

May 25, 2021



Center for Frontiers
in Nuclear Science

RHIC Spin Capabilities in connection to the EIC

Renee Fatemi
University of Kentucky



EIC ➡ Nucleon Tomography

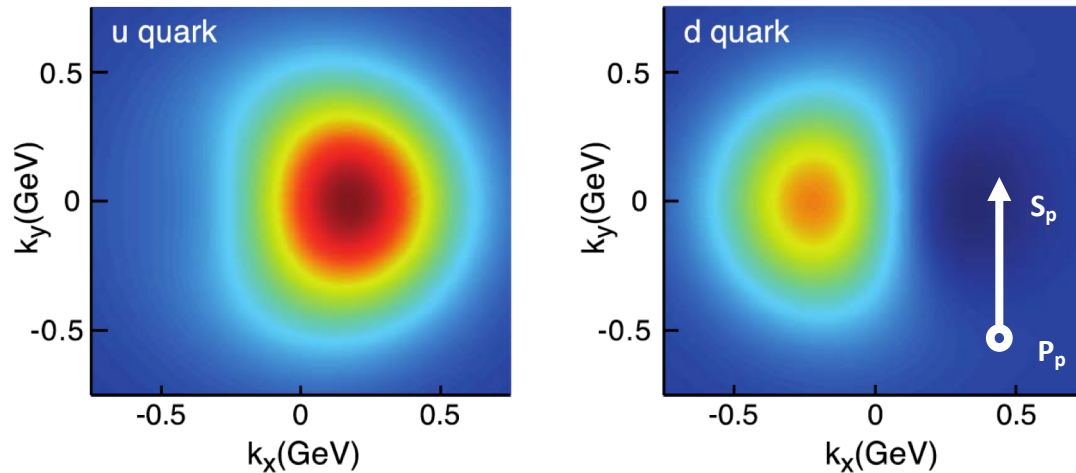
“Imaging by sections or sectioning through the use of any kind of penetrating wave ”

Nucleon Tomography

“Imaging by sections or sectioning through the use of any kind of penetrating wave ”

MOMENTUM SPACE

TRANSVERSE MOMENTUM DEPENDENT (**TMD**)
PARTON DISTRIBUTION FUNCTIONS

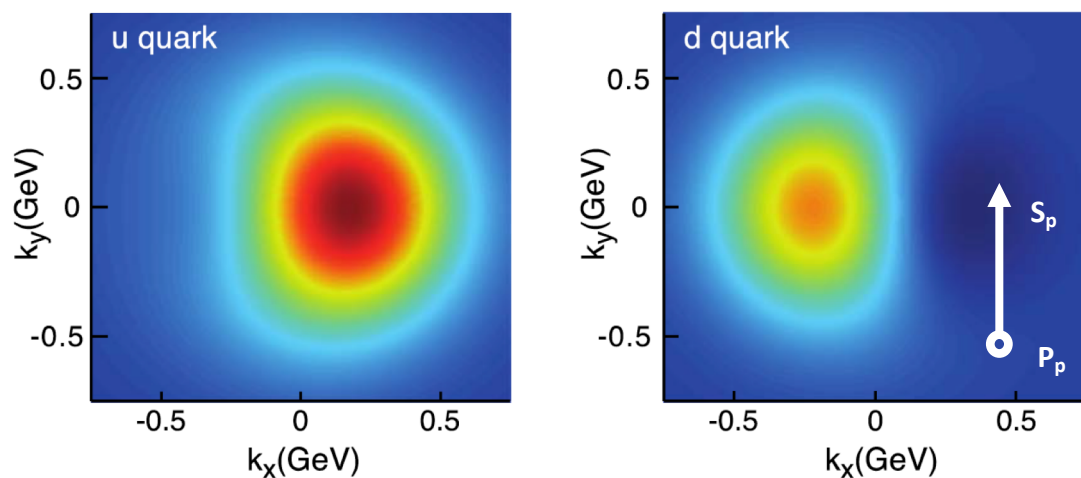


Nucleon Tomography

“Imaging by sections or sectioning through the use of any kind of penetrating wave ”

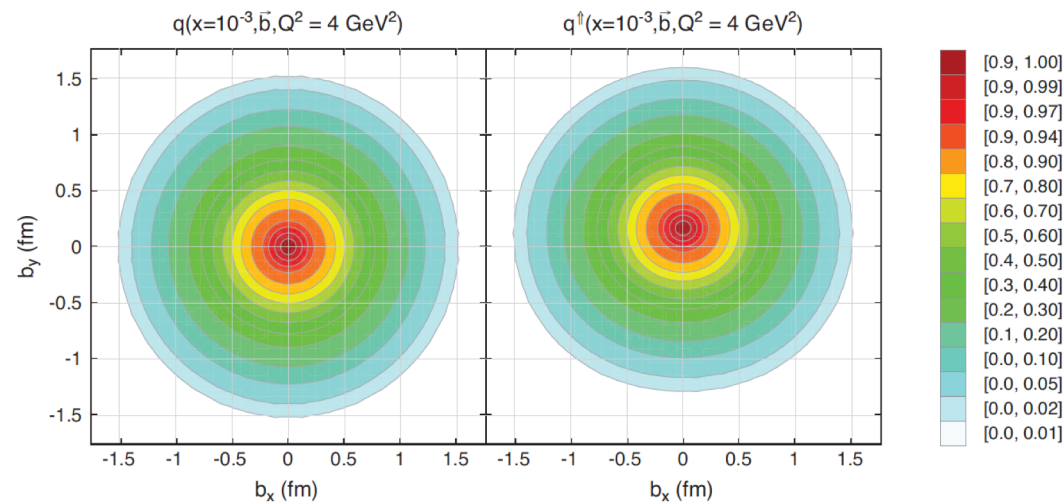
MOMENTUM SPACE

TRANSVERSE MOMENTUM DEPENDENT (TMD)
PARTON DISTRIBUTION FUNCTIONS



COORDINATE SPACE

GENERALIZED PARTON DISTRIBUTION
FUNCTIONS (GPD)

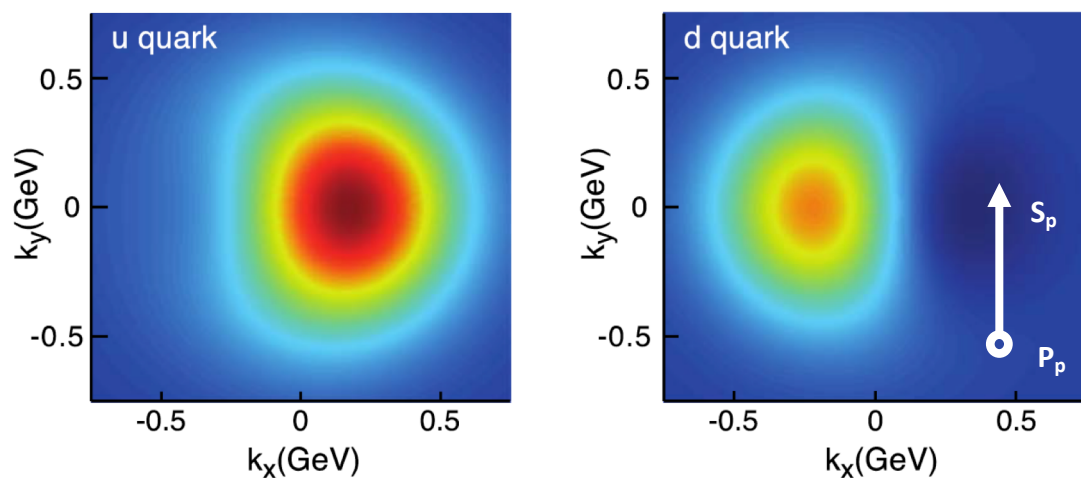


Nucleon Tomography

“Imaging by sections or sectioning through the use of any kind of penetrating wave ”

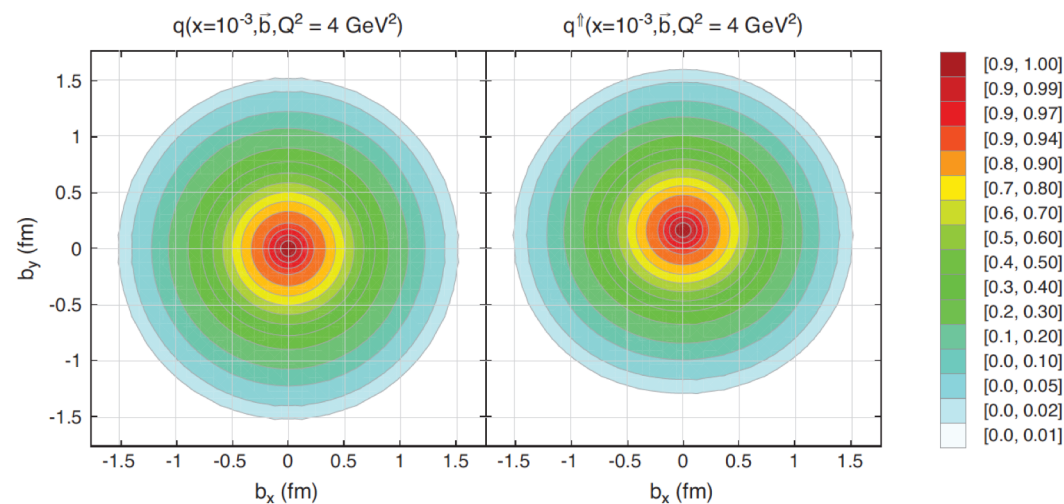
MOMENTUM SPACE

TRANSVERSE MOMENTUM DEPENDENT (**TMD**)
PARTON DISTRIBUTION FUNCTIONS



COORDINATE SPACE

GENERALIZED PARTON DISTRIBUTION
FUNCTIONS (**GPD**)



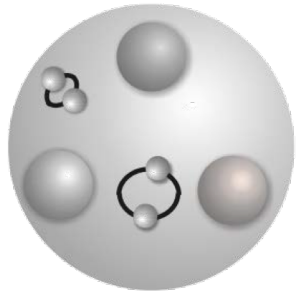
$$\int f(x, \mathbf{k}_T, Q^2) d^2k_T \Rightarrow f(x, Q^2) \Leftarrow \int f(x, \mathbf{b}_T, Q^2) d^2b_T$$

Which probe?

“Imaging by sections or sectioning through the use of any kind of penetrating wave ”

ELECTROMAGNETIC

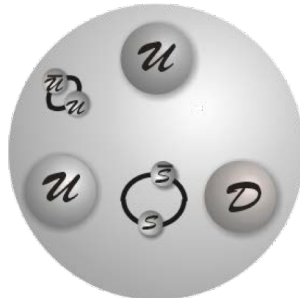
Sensitive to charge²



+

WEAK

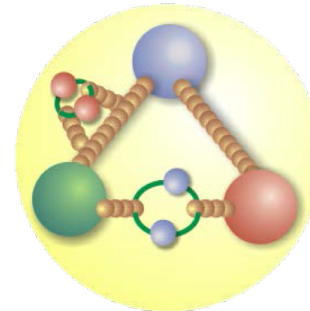
Sensitive to flavor



+

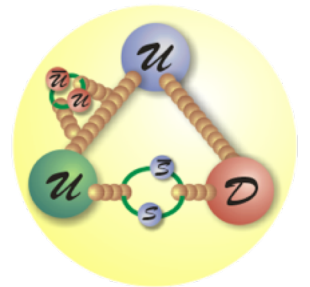
STRONG

Sensitive to color



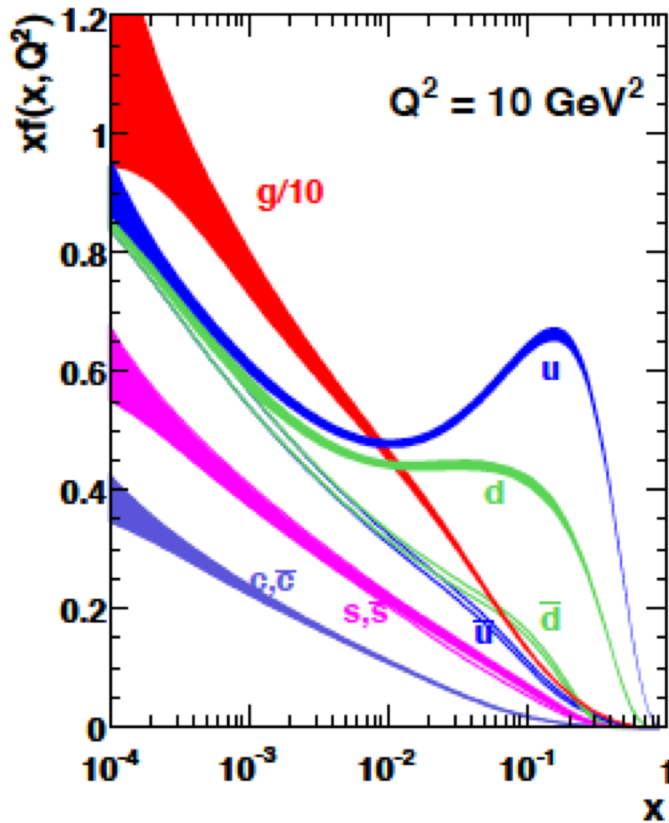
=

**THE BIG
PICTURE**



Full suite of probes is necessary to rigorously test theoretical frameworks used to extract distributions from experimental results. Precision tests of **Universality**, **Factorization** and **Evolution** are essential.

Classic Example : $f(x, Q^2)$



A.D. Martin et al., Eur.Phys.J. C63 (2009)

Process	Subprocess	Partons	x range
$\ell^\pm \{p, n\} \rightarrow \ell^\pm X$	$\gamma^* q \rightarrow q$	q, \bar{q}, g	$x \gtrsim 0.01$
$\ell^\pm n/p \rightarrow \ell^\pm X$	$\gamma^* d/u \rightarrow d/u$	d/u	$x \gtrsim 0.01$
$pp \rightarrow \mu^+ \mu^- X$	$u\bar{u}, d\bar{d} \rightarrow \gamma^*$	\bar{q}	$0.015 \lesssim x \lesssim 0.35$
$pn/pp \rightarrow \mu^+ \mu^- X$	$(u\bar{d})/(u\bar{u}) \rightarrow \gamma^*$	\bar{d}/\bar{u}	$0.015 \lesssim x \lesssim 0.35$
$\nu(\bar{\nu}) N \rightarrow \mu^-(\mu^+) X$	$W^* q \rightarrow q'$	q, \bar{q}	$0.01 \lesssim x \lesssim 0.5$
$\nu N \rightarrow \mu^- \mu^+ X$	$W^* s \rightarrow c$	s	$0.01 \lesssim x \lesssim 0.2$
$\bar{\nu} N \rightarrow \mu^+ \mu^- X$	$W^* \bar{s} \rightarrow \bar{c}$	\bar{s}	$0.01 \lesssim x \lesssim 0.2$
$e^\pm p \rightarrow e^\pm X$	$\gamma^* q \rightarrow q$	g, q, \bar{q}	$0.0001 \lesssim x \lesssim 0.1$
$e^+ p \rightarrow \bar{\nu} X$	$W^+ \{d, s\} \rightarrow \{u, c\}$	d, s	$x \gtrsim 0.01$
$e^\pm p \rightarrow e^\pm c\bar{c} X$	$\gamma^* c \rightarrow c, \gamma^* g \rightarrow c\bar{c}$	c, g	$0.0001 \lesssim x \lesssim 0.01$
$e^\pm p \rightarrow \text{jet} + X$	$\gamma^* g \rightarrow q\bar{q}$	g	$0.01 \lesssim x \lesssim 0.1$
$p\bar{p} \rightarrow \text{jet} + X$	$gg, qg, qq \rightarrow 2j$	g, q	$0.01 \lesssim x \lesssim 0.5$
$p\bar{p} \rightarrow (W^\pm \rightarrow \ell^\pm \nu) X$	$ud \rightarrow W, \bar{u}\bar{d} \rightarrow W$	u, d, \bar{u}, \bar{d}	$x \gtrsim 0.05$
$p\bar{p} \rightarrow (Z \rightarrow \ell^+ \ell^-) X$	$uu, dd \rightarrow Z$	d	$x \gtrsim 0.05$

Classic Example : $f(x, Q^2)$

FULL SUITE OF PROBES

- Electromagnetic
- Weak
- Strong

Global analysis allows
for test of UNIVERSALITY
and FACTORIZATION by
looking at consistency
and tensions between
datasets.

Process	Subprocess	Partons	x range
$\ell^\pm \{p, n\} \rightarrow \ell^\pm X$	$\gamma^* q \rightarrow q$	q, \bar{q}, g	$x \gtrsim 0.01$
$\ell^\pm n/p \rightarrow \ell^\pm X$	$\gamma^* d/u \rightarrow d/u$	d/u	$x \gtrsim 0.01$
$pp \rightarrow \mu^+ \mu^- X$	$u\bar{u}, d\bar{d} \rightarrow \gamma^*$	\bar{q}	$0.015 \lesssim x \lesssim 0.35$
$pn/pp \rightarrow \mu^+ \mu^- X$	$(u\bar{d})/(u\bar{u}) \rightarrow \gamma^*$	\bar{d}/\bar{u}	$0.015 \lesssim x \lesssim 0.35$
$\nu(\bar{\nu}) N \rightarrow \mu^-(\mu^+) X$	$W^* q \rightarrow q'$	q, \bar{q}	$0.01 \lesssim x \lesssim 0.5$
$\nu N \rightarrow \mu^- \mu^+ X$	$W^* s \rightarrow c$	s	$0.01 \lesssim x \lesssim 0.2$
$\bar{\nu} N \rightarrow \mu^+ \mu^- X$	$W^* \bar{s} \rightarrow \bar{c}$	\bar{s}	$0.01 \lesssim x \lesssim 0.2$
$e^\pm p \rightarrow e^\pm X$	$\gamma^* q \rightarrow q$	g, q, \bar{q}	$0.0001 \lesssim x \lesssim 0.1$
$e^+ p \rightarrow \bar{\nu} X$	$W^+ \{d, s\} \rightarrow \{u, c\}$	d, s	$x \gtrsim 0.01$
$e^\pm p \rightarrow e^\pm c\bar{c} X$	$\gamma^* c \rightarrow c, \gamma^* g \rightarrow c\bar{c}$	c, g	$0.0001 \lesssim x \lesssim 0.01$
$e^\pm p \rightarrow \text{jet} + X$	$\gamma^* g \rightarrow q\bar{q}$	g	$0.01 \lesssim x \lesssim 0.1$
$p\bar{p} \rightarrow \text{jet} + X$	$gg, qg, qq \rightarrow 2j$	g, q	$0.01 \lesssim x \lesssim 0.5$
$p\bar{p} \rightarrow (W^\pm \rightarrow \ell^\pm \nu) X$	$ud \rightarrow W, \bar{u}\bar{d} \rightarrow W$	u, d, \bar{u}, \bar{d}	$x \gtrsim 0.05$
$p\bar{p} \rightarrow (Z \rightarrow \ell^+ \ell^-) X$	$uu, dd \rightarrow Z$	d	$x \gtrsim 0.05$

Classic Example : $f(x, Q^2)$

KINEMATIC RANGE

- **FIXED TARGET** – $e, \mu, \nu, p, n + N$
- HERA – $e+p$ collider
- TEVATRON – $p+pbar$ collider

Need fixed target and collider to isolate quark and gluon in different kinematic regions.

Fixed target Q^2 is typically lower than and collider Q^2 .

Process	Subprocess	Partons	x range
$\ell^\pm \{p, n\} \rightarrow \ell^\pm X$	$\gamma^* q \rightarrow q$	q, \bar{q}, g	$x \gtrsim 0.01$
$\ell^\pm n/p \rightarrow \ell^\pm X$	$\gamma^* d/u \rightarrow d/u$	d/u	$x \gtrsim 0.01$
$pp \rightarrow \mu^+ \mu^- X$	$u\bar{u}, d\bar{d} \rightarrow \gamma^*$	\bar{q}	$0.015 \lesssim x \lesssim 0.35$
$pn/pp \rightarrow \mu^+ \mu^- X$	$(u\bar{d})/(u\bar{u}) \rightarrow \gamma^*$	\bar{d}/\bar{u}	$0.015 \lesssim x \lesssim 0.35$
$\nu(\bar{\nu}) N \rightarrow \mu^-(\mu^+) X$	$W^* q \rightarrow q'$	q, \bar{q}	$0.01 \lesssim x \lesssim 0.5$
$\nu N \rightarrow \mu^- \mu^+ X$	$W^* s \rightarrow c$	s	$0.01 \lesssim x \lesssim 0.2$
$\bar{\nu} N \rightarrow \mu^+ \mu^- X$	$W^* \bar{s} \rightarrow \bar{c}$	\bar{s}	$0.01 \lesssim x \lesssim 0.2$
$e^\pm p \rightarrow e^\pm X$	$\gamma^* q \rightarrow q$	g, q, \bar{q}	$0.0001 \lesssim x \lesssim 0.1$
$e^+ p \rightarrow \bar{\nu} X$	$W^+ \{d, s\} \rightarrow \{u, c\}$	d, s	$x \gtrsim 0.01$
$e^\pm p \rightarrow e^\pm c\bar{c} X$	$\gamma^* c \rightarrow c, \gamma^* g \rightarrow c\bar{c}$	c, g	$0.0001 \lesssim x \lesssim 0.01$
$e^\pm p \rightarrow \text{jet} + X$	$\gamma^* g \rightarrow q\bar{q}$	g	$0.01 \lesssim x \lesssim 0.1$
$p\bar{p} \rightarrow \text{jet} + X$	$gg, qg, q\bar{q} \rightarrow 2j$	g, q	$0.01 \lesssim x \lesssim 0.5$
$p\bar{p} \rightarrow (W^\pm \rightarrow \ell^\pm \nu) X$	$ud \rightarrow W, \bar{u}\bar{d} \rightarrow W$	u, d, \bar{u}, \bar{d}	$x \gtrsim 0.05$
$p\bar{p} \rightarrow (Z \rightarrow \ell^+ \ell^-) X$	$uu, dd \rightarrow Z$	d	$x \gtrsim 0.05$

Classic Example : $f(x, Q^2)$

KINEMATIC RANGE

- FIXED TARGET – $e, \mu, \nu, p, n + N$
- HERA – $e+p$ collider
- TEVATRON – $p+pbar$ collider

Need fixed target and collider to isolate quark and gluon in different kinematic regions.

Fixed target Q^2 is typically lower than and collider Q^2 .

Process	Subprocess	Partons	x range
$\ell^\pm \{p, n\} \rightarrow \ell^\pm X$	$\gamma^* q \rightarrow q$	q, \bar{q}, g	$x \gtrsim 0.01$
$\ell^\pm n/p \rightarrow \ell^\pm X$	$\gamma^* d/u \rightarrow d/u$	d/u	$x \gtrsim 0.01$
$pp \rightarrow \mu^+ \mu^- X$	$u\bar{u}, d\bar{d} \rightarrow \gamma^*$	\bar{q}	$0.015 \lesssim x \lesssim 0.35$
$pn/pp \rightarrow \mu^+ \mu^- X$	$(u\bar{d})/(u\bar{u}) \rightarrow \gamma^*$	\bar{d}/\bar{u}	$0.015 \lesssim x \lesssim 0.35$
$\nu(\bar{\nu}) N \rightarrow \mu^-(\mu^+) X$	$W^* q \rightarrow q'$	q, \bar{q}	$0.01 \lesssim x \lesssim 0.5$
$\nu N \rightarrow \mu^- \mu^+ X$	$W^* s \rightarrow c$	s	$0.01 \lesssim x \lesssim 0.2$
$\bar{\nu} N \rightarrow \mu^+ \mu^- X$	$W^* \bar{s} \rightarrow \bar{c}$	\bar{s}	$0.01 \lesssim x \lesssim 0.2$
$e^\pm p \rightarrow e^\pm X$	$\gamma^* q \rightarrow q$	g, q, \bar{q}	$0.0001 \lesssim x \lesssim 0.1$
$e^+ p \rightarrow \bar{\nu} X$	$W^+ \{d, s\} \rightarrow \{u, c\}$	d, s	$x \gtrsim 0.01$
$e^\pm p \rightarrow e^\pm c\bar{c} X$	$\gamma^* c \rightarrow c, \gamma^* g \rightarrow c\bar{c}$	c, g	$0.0001 \lesssim x \lesssim 0.01$
$e^\pm p \rightarrow \text{jet} + X$	$\gamma^* g \rightarrow q\bar{q}$	g	$0.01 \lesssim x \lesssim 0.1$
$p\bar{p} \rightarrow \text{jet} + X$	$gg, qg, q\bar{q} \rightarrow 2j$	g, q	$0.01 \lesssim x \lesssim 0.5$
$p\bar{p} \rightarrow (W^\pm \rightarrow \ell^\pm \nu) X$	$ud \rightarrow W, \bar{u}\bar{d} \rightarrow W$	u, d, \bar{u}, \bar{d}	$x \gtrsim 0.05$
$p\bar{p} \rightarrow (Z \rightarrow \ell^+ \ell^-) X$	$uu, dd \rightarrow Z$	d	$x \gtrsim 0.05$

Classic Example : $f(x, Q^2)$

KINEMATIC RANGE

- FIXED TARGET – $e, \mu, \nu, p, n + N$
- HERA – $e+p$ collider
- **TEVATRON – $p+pbar$ collider**

Need fixed target and collider to isolate quark and gluon in different kinematic regions.

Fixed target Q^2 is typically lower than and collider Q^2 .

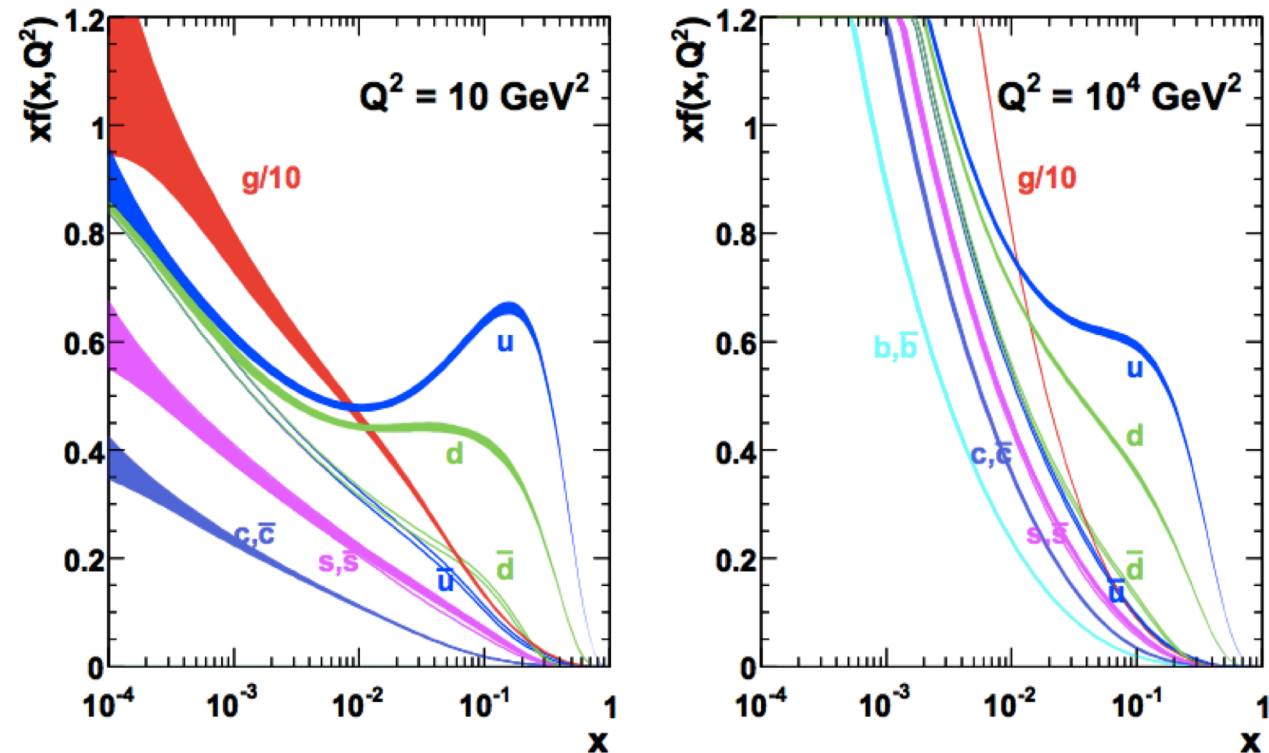
Process	Subprocess	Partons	x range
$\ell^\pm \{p, n\} \rightarrow \ell^\pm X$	$\gamma^* q \rightarrow q$	q, \bar{q}, g	$x \gtrsim 0.01$
$\ell^\pm n/p \rightarrow \ell^\pm X$	$\gamma^* d/u \rightarrow d/u$	d/u	$x \gtrsim 0.01$
$pp \rightarrow \mu^+ \mu^- X$	$u\bar{u}, d\bar{d} \rightarrow \gamma^*$	\bar{q}	$0.015 \lesssim x \lesssim 0.35$
$pn/pp \rightarrow \mu^+ \mu^- X$	$(u\bar{d})/(u\bar{u}) \rightarrow \gamma^*$	\bar{d}/\bar{u}	$0.015 \lesssim x \lesssim 0.35$
$\nu(\bar{\nu}) N \rightarrow \mu^-(\mu^+) X$	$W^* q \rightarrow q'$	q, \bar{q}	$0.01 \lesssim x \lesssim 0.5$
$\nu N \rightarrow \mu^- \mu^+ X$	$W^* s \rightarrow c$	s	$0.01 \lesssim x \lesssim 0.2$
$\bar{\nu} N \rightarrow \mu^+ \mu^- X$	$W^* \bar{s} \rightarrow \bar{c}$	\bar{s}	$0.01 \lesssim x \lesssim 0.2$
$e^\pm p \rightarrow e^\pm X$	$\gamma^* q \rightarrow q$	g, q, \bar{q}	$0.0001 \lesssim x \lesssim 0.1$
$e^+ p \rightarrow \bar{\nu} X$	$W^+ \{d, s\} \rightarrow \{u, c\}$	d, s	$x \gtrsim 0.01$
$e^\pm p \rightarrow e^\pm c\bar{c} X$	$\gamma^* c \rightarrow c, \gamma^* g \rightarrow c\bar{c}$	c, g	$0.0001 \lesssim x \lesssim 0.01$
$e^\pm p \rightarrow \text{jet} + X$	$\gamma^* g \rightarrow q\bar{q}$	g	$0.01 \lesssim x \lesssim 0.1$
$p\bar{p} \rightarrow \text{jet} + X$	$gg, qg, q\bar{q} \rightarrow 2j$	g, q	$0.01 \lesssim x \lesssim 0.5$
$p\bar{p} \rightarrow (W^\pm \rightarrow \ell^\pm \nu) X$	$ud \rightarrow W, \bar{u}\bar{d} \rightarrow W$	u, d, \bar{u}, \bar{d}	$x \gtrsim 0.05$
$p\bar{p} \rightarrow (Z \rightarrow \ell^+ \ell^-) X$	$uu, dd \rightarrow Z$	d	$x \gtrsim 0.05$

Classic Example : $f(x, Q^2)$

EVOLUTION

- For collinear functions DGLAP gives prescription on how to evolve Q^2 for a fixed x .
- Essential for global analyses – allows for combination of disparate data sets and predictions at different scales
- Unlike collinear evolution, TMD evolution contains non-perturbative pieces. MUST BE MEASURED!

MSTW 2008 NLO PDFs (68% C.L.)

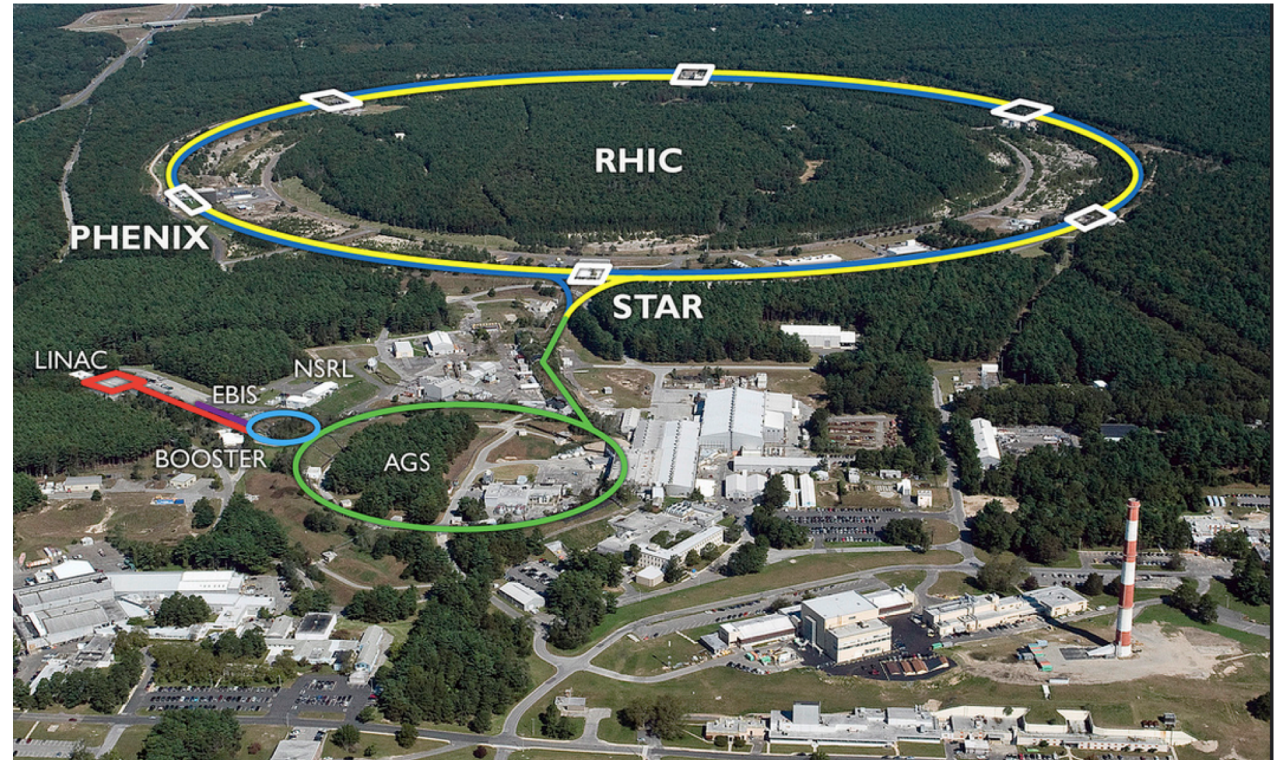


A.D. Martin *et al.*, Eur.Phys.J. C63 (2009)

How can RHIC Contribute in 2022+?

STAR BUR REQUEST

vs species	Polarization	Lumi
510 p+p	transverse	400 pb ⁻¹
200 p+p	transverse/radial	235 pb ⁻¹
200 p+Au	transverse/radial	1.3 pb ⁻¹



How can RHIC Contribute in 2022+?

STAR BUR REQUEST

\sqrt{s} species	Polarization	Lumi
510 p+p	transverse	400 pb ⁻¹
200 p+p	transverse/radial	235 pb ⁻¹
200 p+Au	transverse/radial	1.3 pb ⁻¹

TMD $W^+ / W^- / Z^0$ and Drell-Yan A_N

TWIST-3 Inclusive Jet and Direct Photon A_N

TMD Dijet Sivers

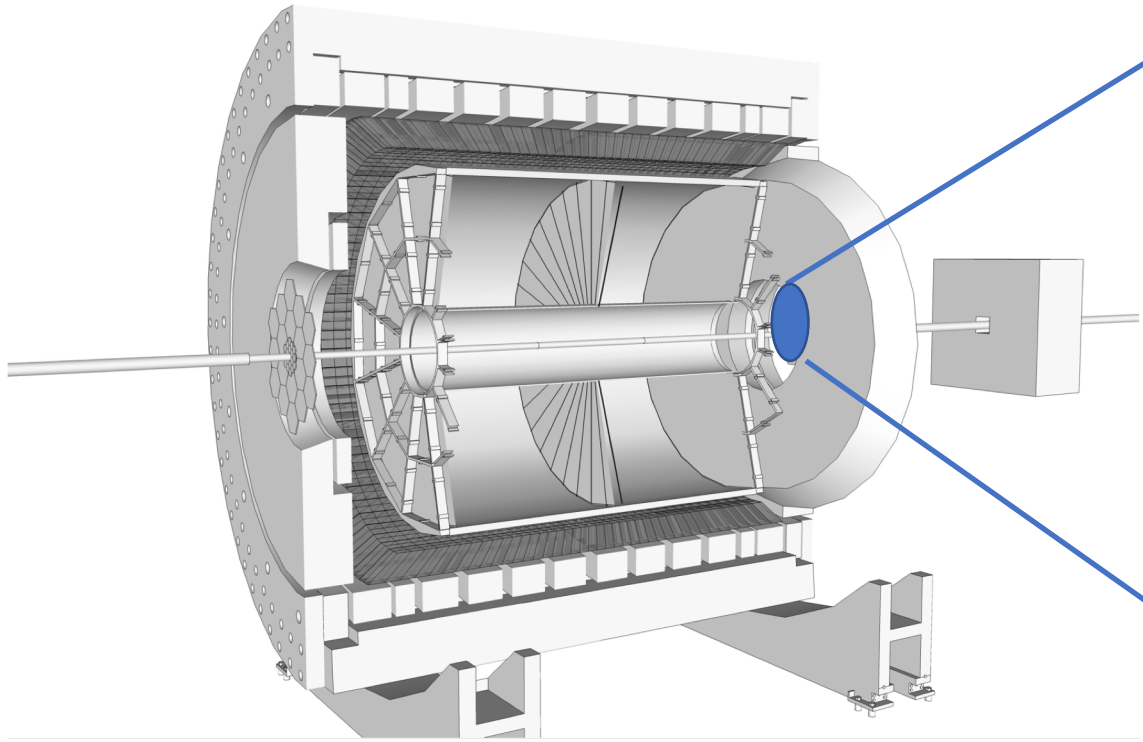
TMD Z Differential cross-section

TMD $\pi/K/p$ in jets A^{UT} and spin integrated FF

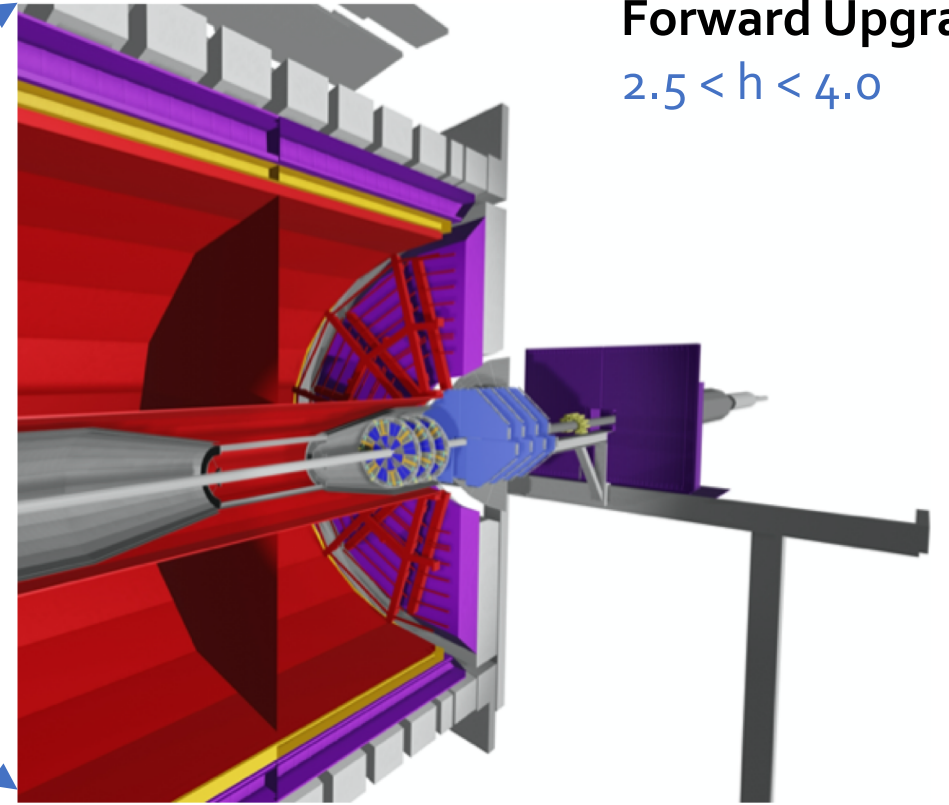
GPD E_g from J/ψ in UPC

**Relevant collinear PDF topics I won't have time to cover are IFF, Lambda D_{TT} , Lambda D_{LL} , Inclusive jet cross-section and W^+/W^- cross-section ratio.*

STAR Detector



Forward Upgrade:
 $2.5 < \eta < 4.0$



TIME PROJECTION CHAMBER

TPC + TOF

EM CALORIMETER
5520 (PbSc) towers

BEAM BEAM COUNTERS
ZERO DEGREE COUNTERS
VERTEX POSITION DETECTORS

CHARGED PARTICLE TRACKING

CHARGED PARTICLE
IDENTIFICATION

EM PARTICLE DETECTION
HIGH PT TRIGGERING

RELATIVE LUMINOSITY
MINIMUM BIAS TRIGGERING

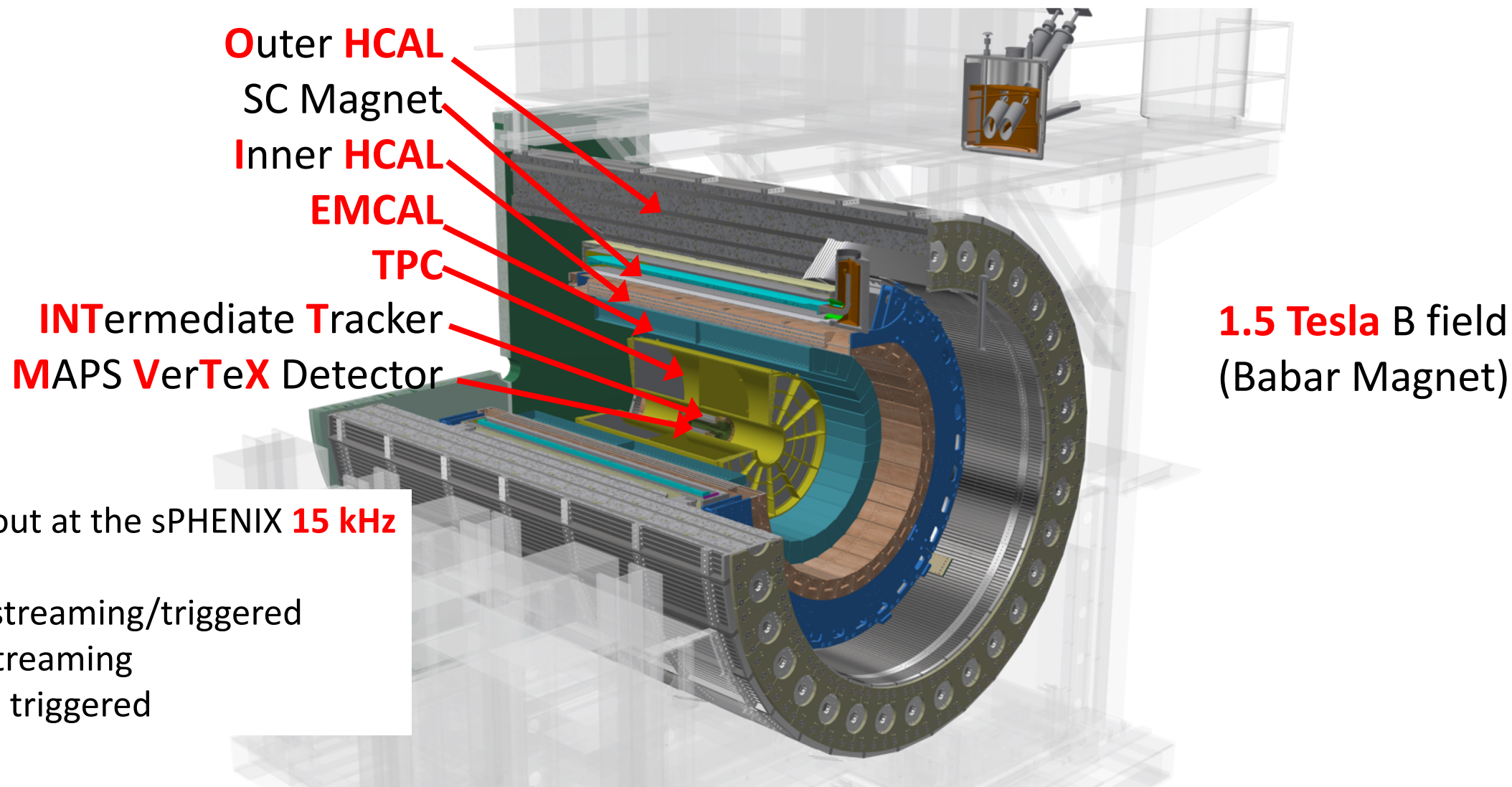
Forward Tracking System (FTS)

- Silicon microstrip sensors
- Small-Strip Thin Gap Chambers (sTGC)
- Momentum Resolution $< 30\%$
- Tracking Efficiency $> 80\%$ @ 100 tracks / evt

Forward Calorimetry System (FCS)

- Hadronic Calorimeter $\sim 50\%/\sqrt{E} + 10\%$
- Electromagnetic Calorimeter $\sim 10\%/\sqrt{E}$ p+p

sPHENIX → covered by John Lajoie

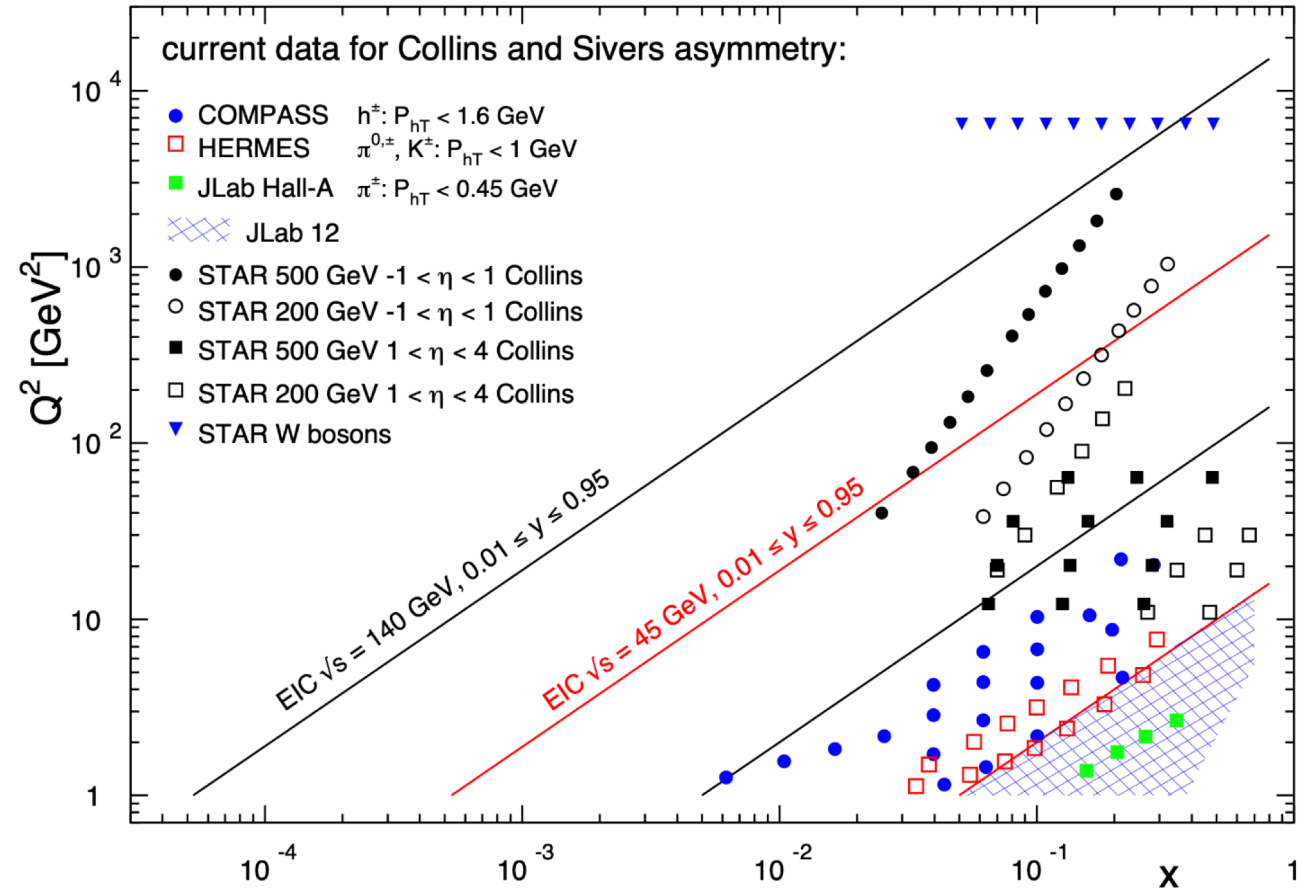


All can be read out at the sPHENIX **15 kHz trigger rate**

- DAQ hybrid streaming/triggered
- TPC/MVTX streaming
- Calorimeters triggered

How can RHIC Contribute in 2022+?

- 1) Covers the same x region as existing fixed target data but at higher Q^2 - no worries about higher twist effects.
- 2) Higher Q^2 provides important information about TMD evolution.
- 3) Kinematic overlap with EIC is substantial enough to allow for statistically meaningful test of universality.
- 4) Provides direct access to gluon PDFs and FF!



Initial State TMD & Twist-3 Functions

Universality

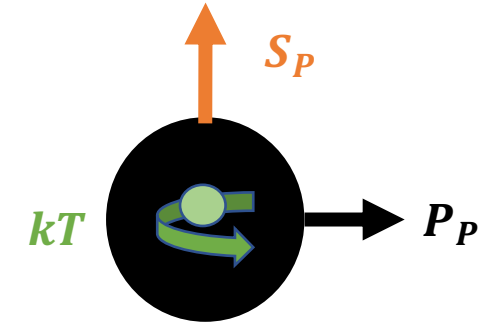
Factorization

Evolution

TMD : Sivers Function

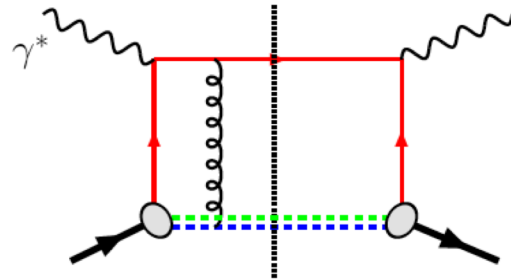
PDF that encapsulates correlations between the proton spin S_P and partonic transverse momentum k_T . Sensitive to partonic orbital angular momentum.

Due to different color interactions Sivers function is predicted to change sign in Drell-Yan compared to SIDIS interactions



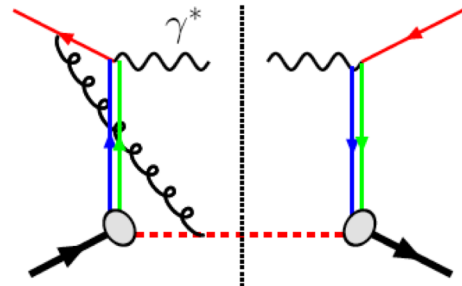
Lepton-proton

Attractive
final state
interaction



Drell-Yan

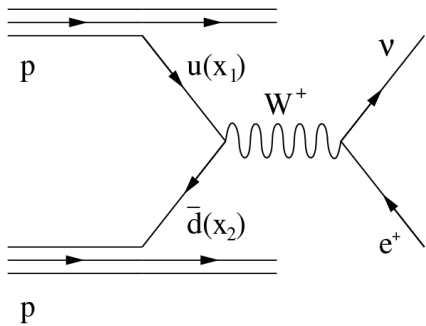
Repulsive
initial state
interaction



Measurement of the sign change provides a critical test of factorization and ensures we understand how to combine DY and SIDIS results in a global analysis.

Cleanest way to test for sign change in TMD Sivers is via $W^{+/-}$ & Z^0 A_N and Drell-Yan.

TMD : $W^{+/-}$ & Z^0 A_N



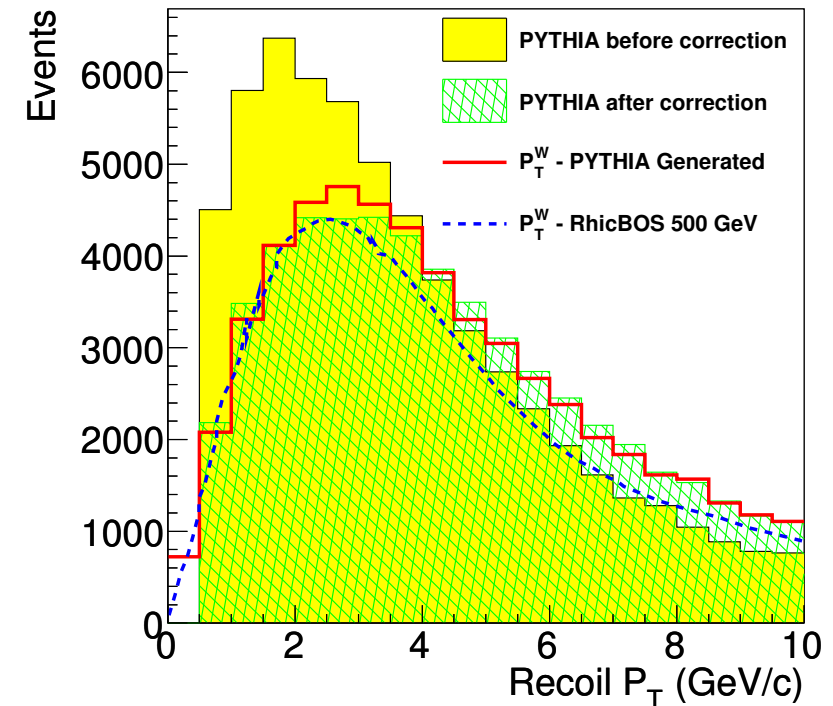
Single Spin Asymmetry of W/Z production in transversely polarized $p+p$:

- Maximal signal in full reconstruction of W/Z
- Hard scale set by $M_{W/Z}$
- Soft scale set by $P_T^{W/Z}$

- Reconstruction relies on measurement of the hadronic recoil:

$$\vec{P}_T^W = \vec{P}_T^e + \vec{P}_T^v = -\vec{P}_T^{recoil}$$

- P_{T}^{recoil} = sum over towers and tracks excluding $e^{+/-}$
- PYTHIA embedded into data used to correct for efficiency and fiducial losses.
- Method used at LHC and Fermilab and now at STAR!

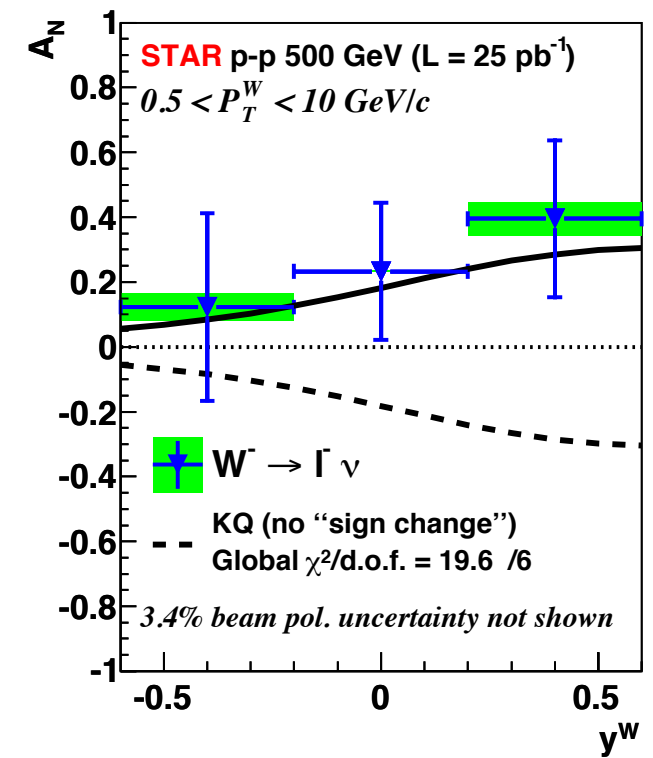
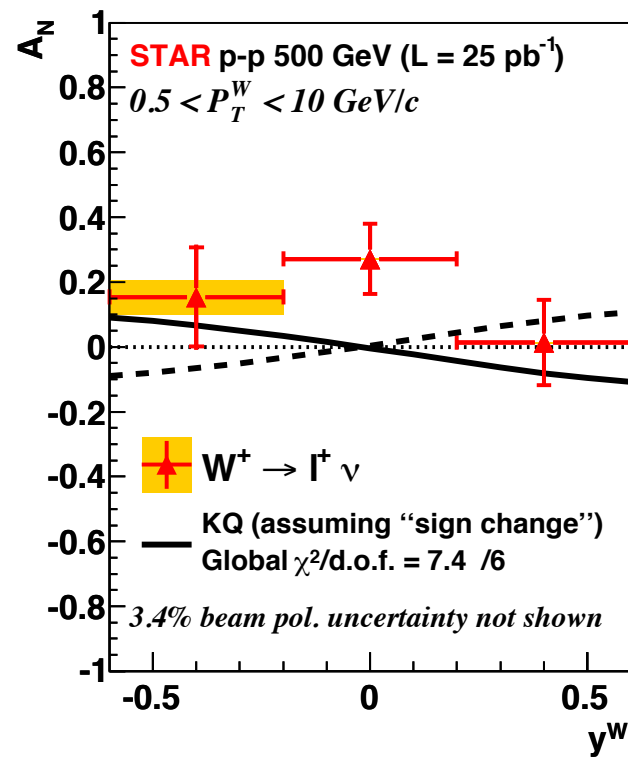


TMD : $W^{+/-}$ A_N from 25 pb⁻¹ in 2011

Theoretical curves include no evolution effects. Z.-B. Kang and J. - W. Qiu, Phys. Rev. Lett. 103, 172001.

Data favor Sivers Function sign change assuming no large evolution effects.

TMD evolution has non-perturbative component that must be measured!

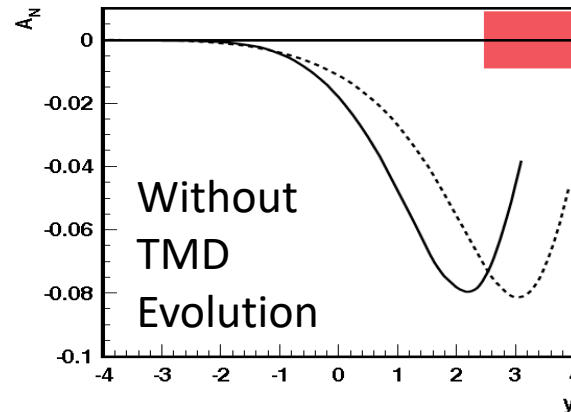
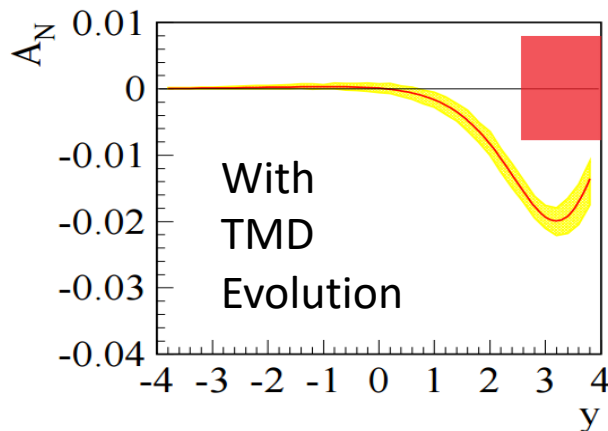
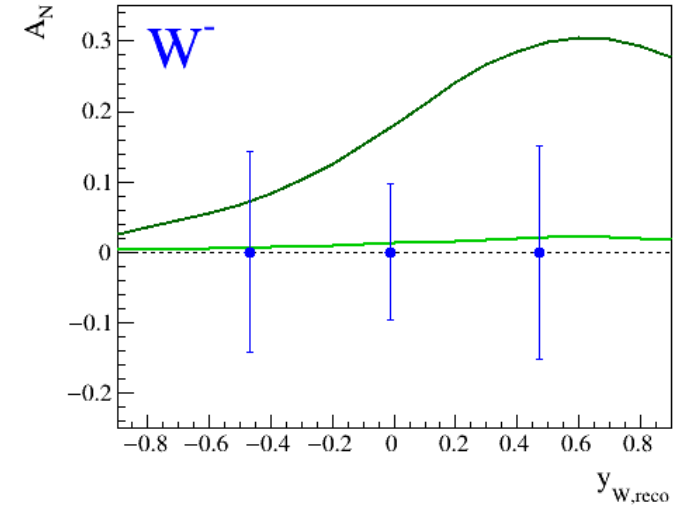
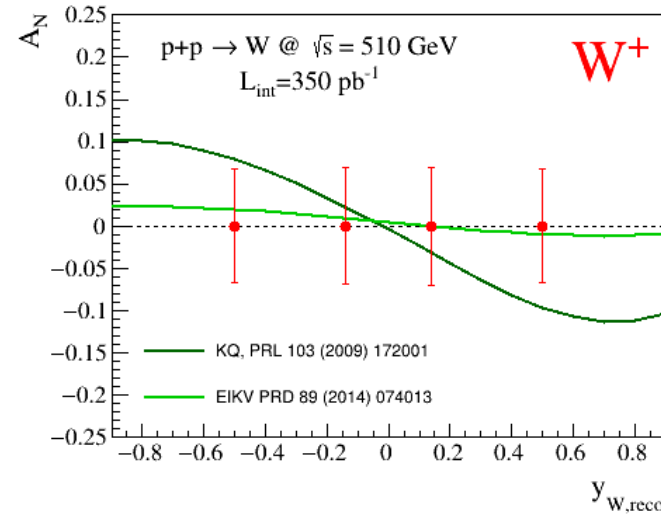


Phys. Rev. Lett. **116** (2016) 132301

TMD : $W^{+/-}$ A_N from 350 pb⁻¹ in 2017 & Beyond

2017 preliminary result will be released
for 2021 STAR BUR!

RUN 22 IMPROVEMENTS: iTPC
upgrade will expand y_W reconstruction
and facilitate a more accurate
reconstruction of \vec{P}_T^{recoil}



TMD: Drell-Yan A_N in 2017 & Beyond

DY e^+e^- in $2.5 < \eta < 4.0$

$4.0 \text{ GeV} < M_{e^+e^-} < 9.0 \text{ GeV}$

The orange square is the statistical uncertainty
achievable with 400 pb⁻¹.

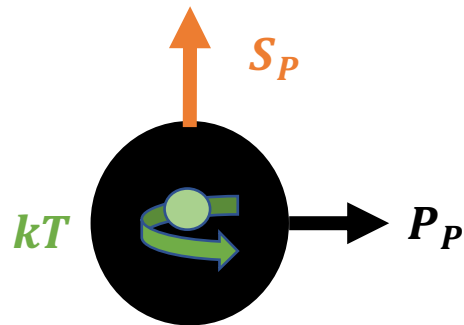
TMD

Requires two scales:

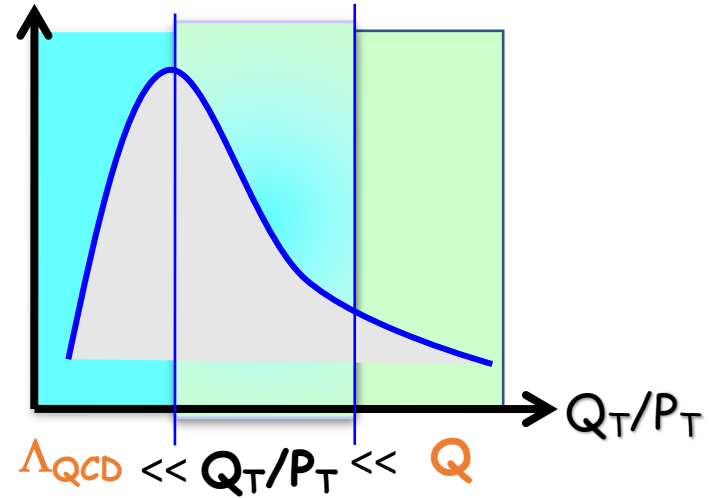
Hard scale Q^2

Soft scale : p_T

Appropriate for SIDIS, DY,
 $W^{+/-}$ & Z, hadrons in jets



TMDs may be expressed in terms of
collinear + twist-3 functions via the
Operator product expansion.

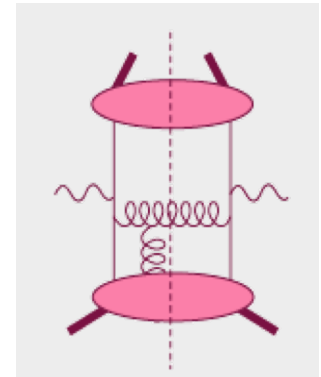


Collinear Twist-3

Single hard scale : p_T

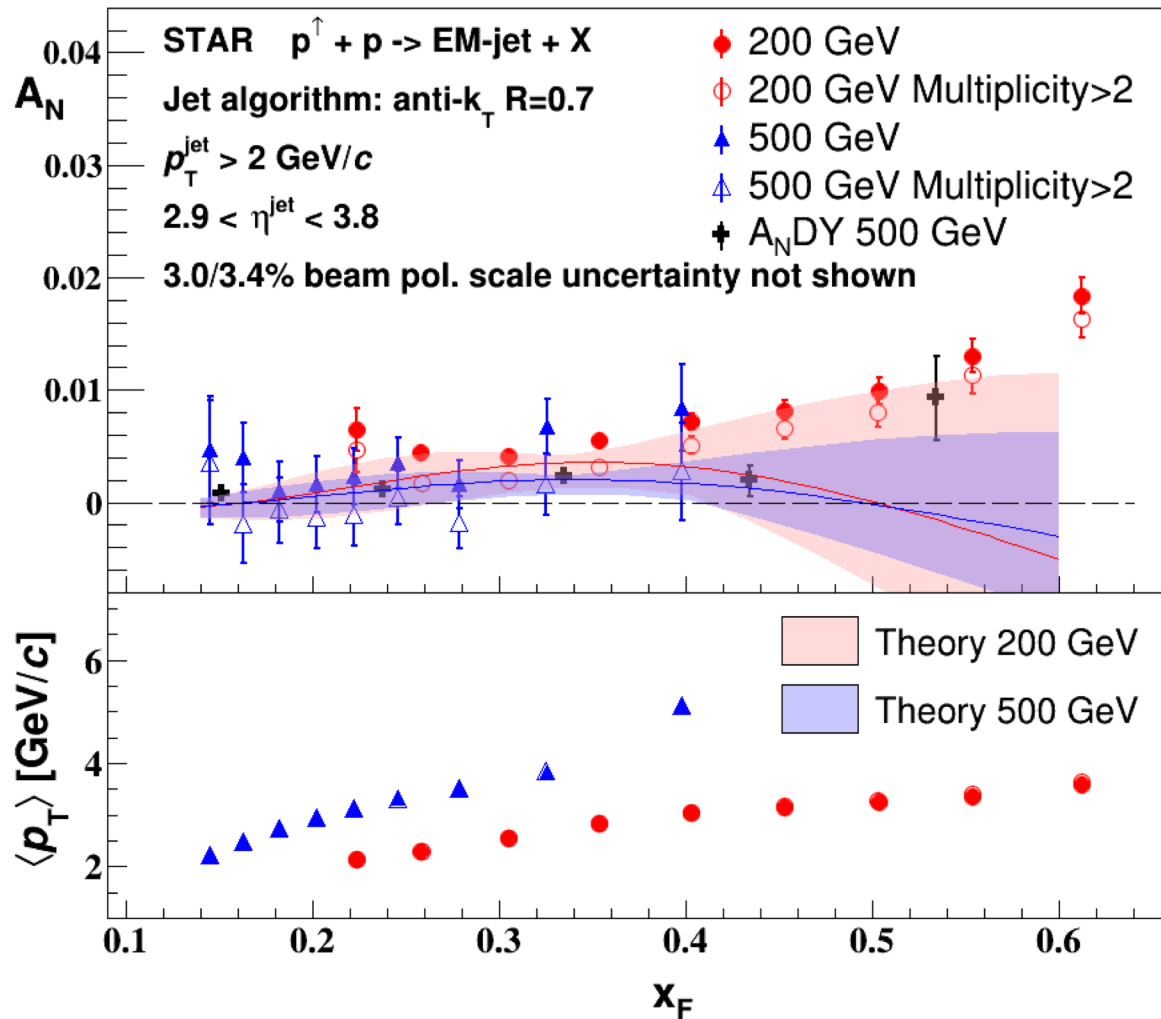
Appropriate for inclusive
 π^0 , jet, γ

Sensitive to $\langle k_T \rangle$



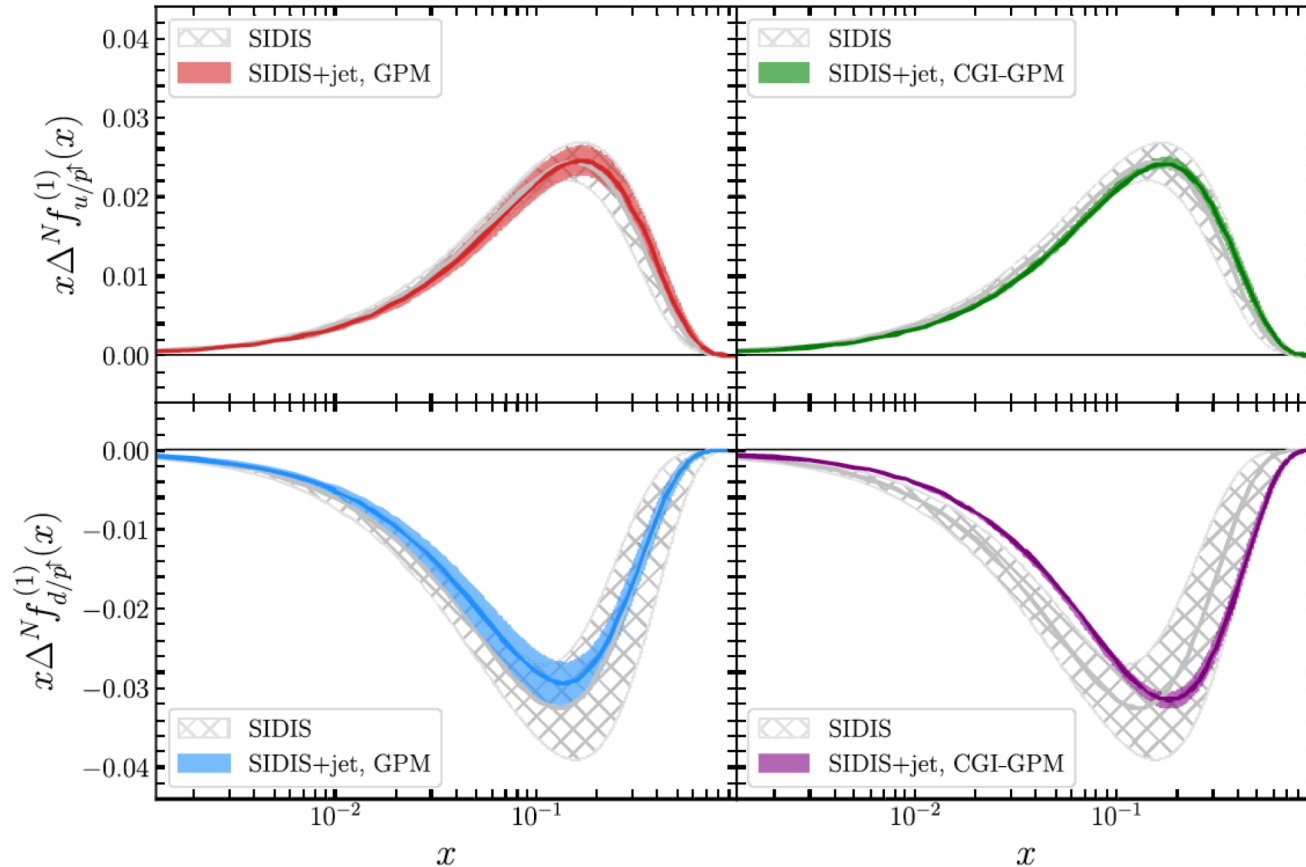
Efremov, Teryaev;
Qiu, Sterman

TWIST-3: Far-Forward Jet TSSA



- 2011 500 GeV and 2015 200 GeV data
- No charged tracks – EM jets only.
- TSSA reduced with photon multiplicity > 2 requirement is placed.
- AnDY results shows TSSA of fully reconstructed jet and is consistent with EM jet with 3+ photon requirement.
- Theory curves : *L. Gamberg, Z. Kang, A. Prokudin, Phys.Rev.Lett. 110 23, 232301 (2013)*

TWIST-3: Far-Forward Jet TSSA

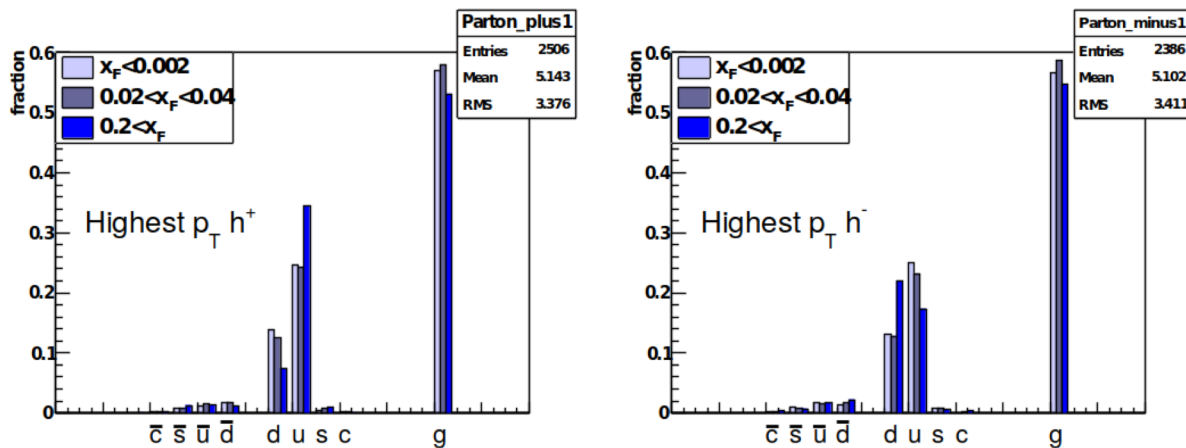


- Impact on Sivers first moment (k_T integrated) is significant – especially for down quark.
- pp data pushes to higher x than existing fixed target SIDIS data
- EIC will measure up to $x \sim 0.5$ so it is important to have statistically meaningful constraints from pp for tests of universality and evolution.
- 2022+ - Full jet (HCAL+ECAL) reconstruction in forward upgrade will provide additional data.

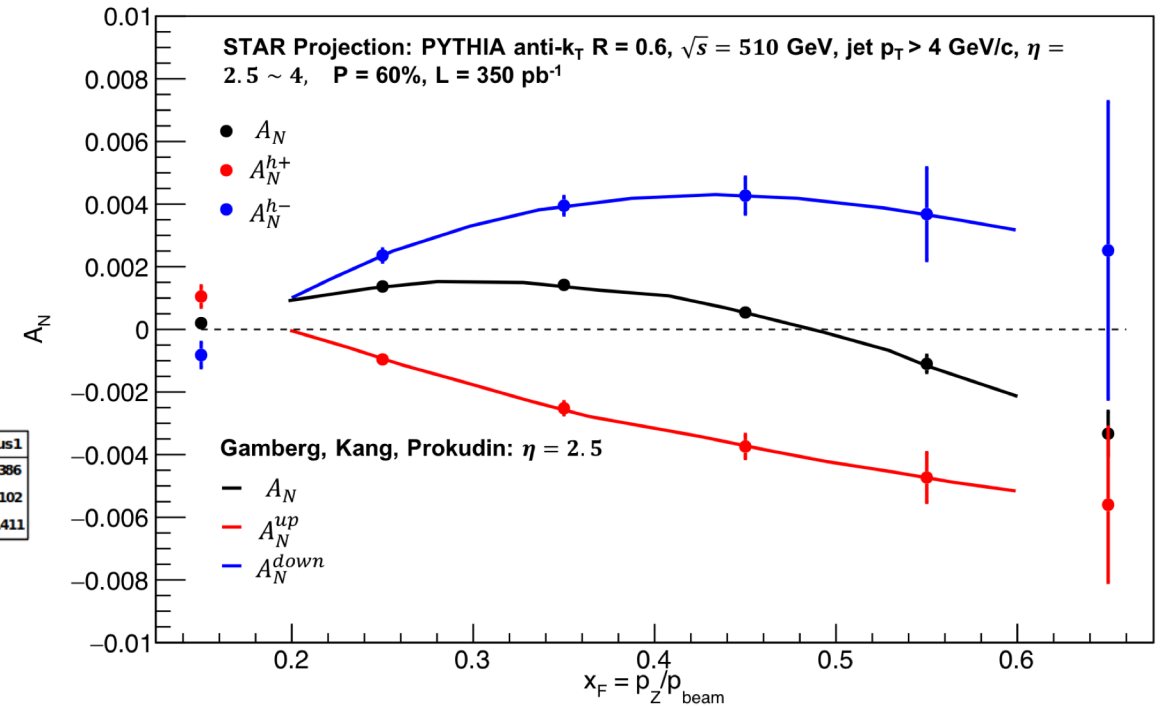
Twist-3: A_{UT} of Forward Jets with high z hadrons

Jet A_{UT} is sensitive to twist-3 “Sivers-like” correlators, which are expected to be opposite sign for u and d quarks.

Tag jets with h^+/h^- $z > 0.5$ and enhance u/d

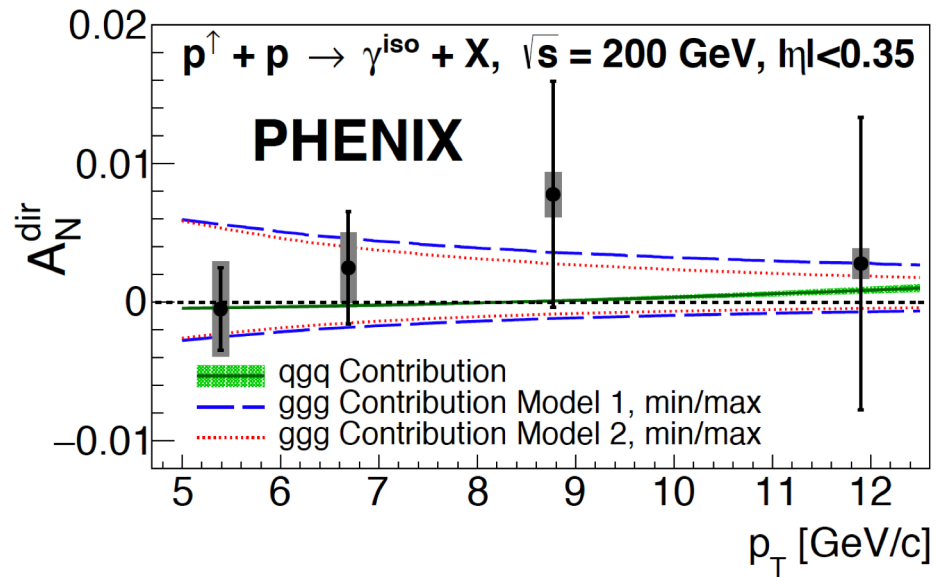


Tests connection between twist-3 and TMDs via ETQS relationship.



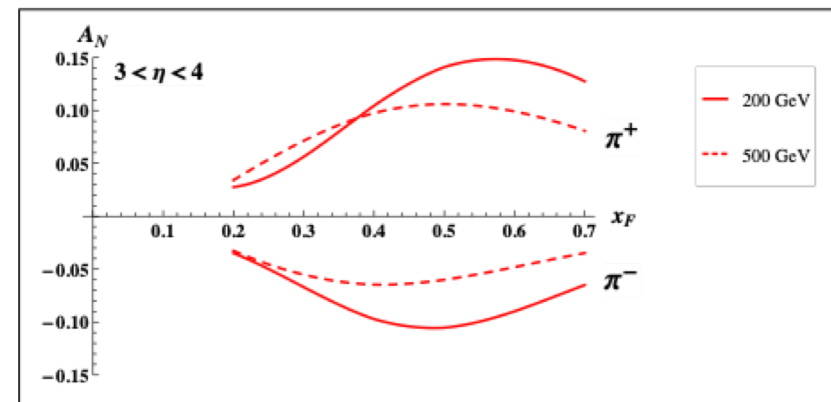
2022+ Full jet reconstruction in forward region. No PID in forward region, but charged sign separation for h^+/h^- should allow for reconstruction of significant asymmetries.

TWIST-3: Direct photon A_N

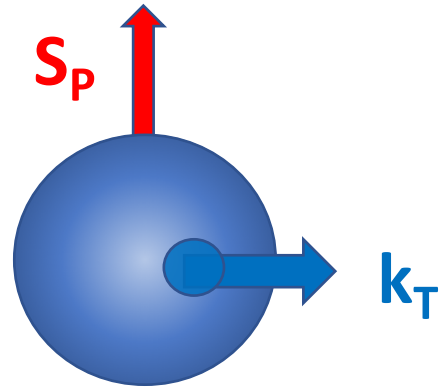


2022+ : STAR Forward Upgrade will push A_N measurement of inclusive photons, neutral and charged pions into forward η . Provide worlds best data on evolution of twist-3 ETQS functions and determine role of twist-3 FF in large forward asymmetries.

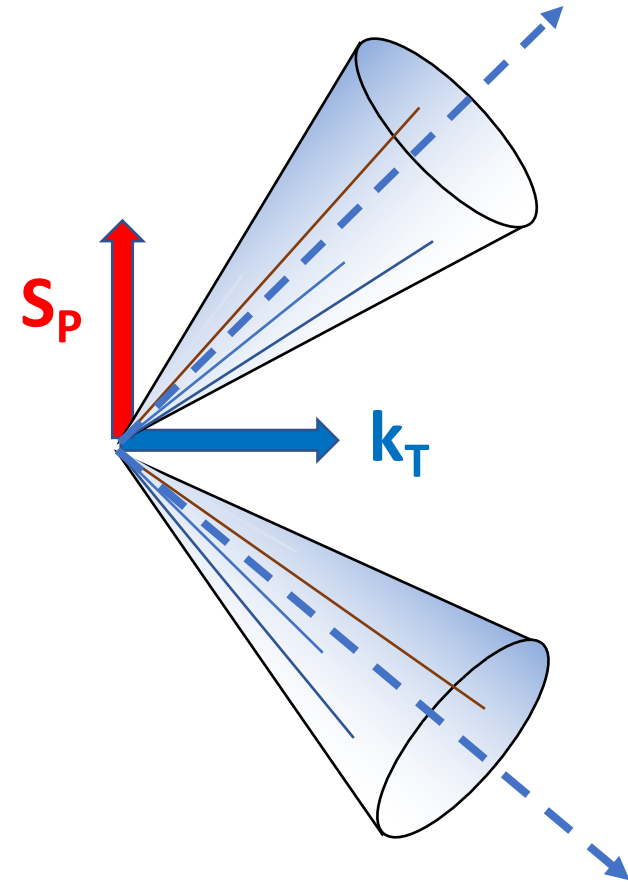
- Dominated by q-g Compton scattering
- Model 1 & 2 by Koike and Yoshida, Phys.Rev.D 85, 034030 (2012) and Pitonyak (qgq). All re-evaluated for mid-rapidity.
- Provide constraints on ggg twist-3 “Sivers” functions at low p_T



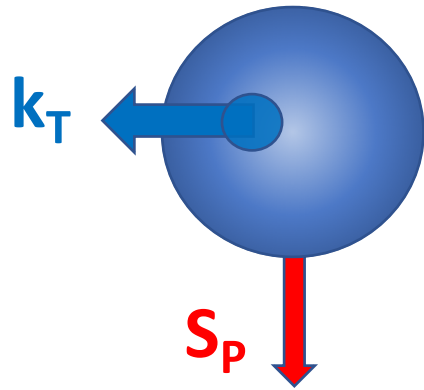
TMD: Sivvers Effect in Dijet Production



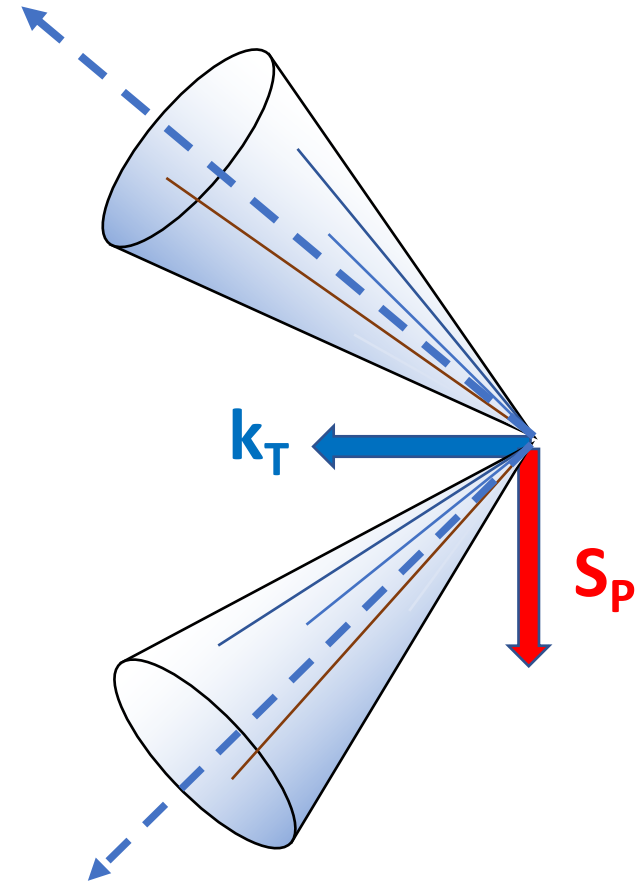
$$\langle \vec{S}_{proton} \cdot (\vec{P}_{proton} \times \vec{k}_T) \rangle$$



TMD: Sivvers Effect in Dijet Production



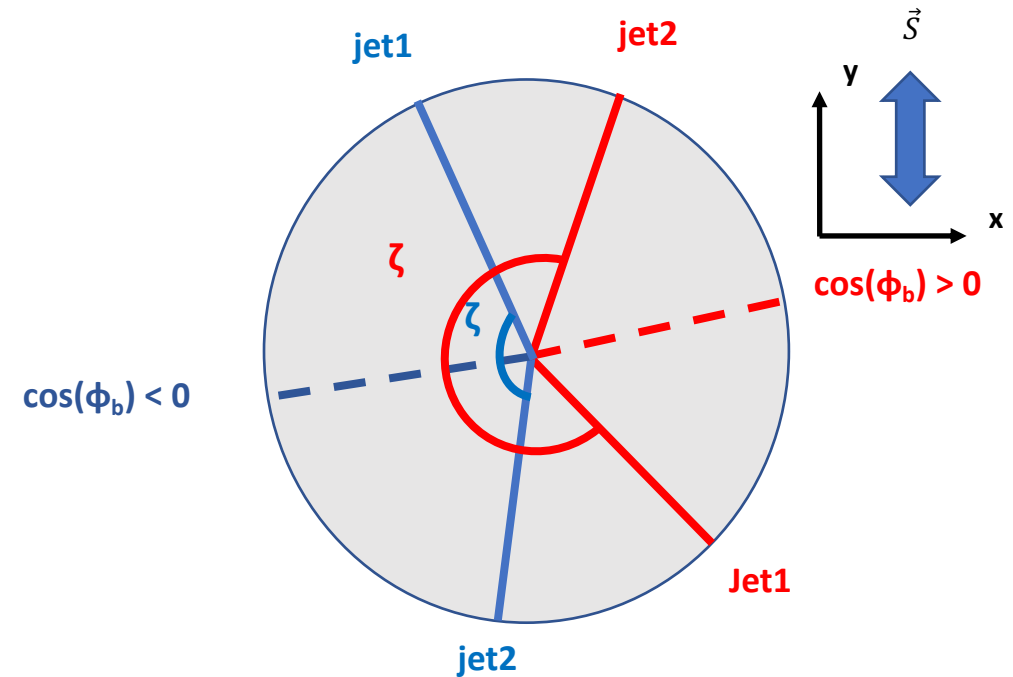
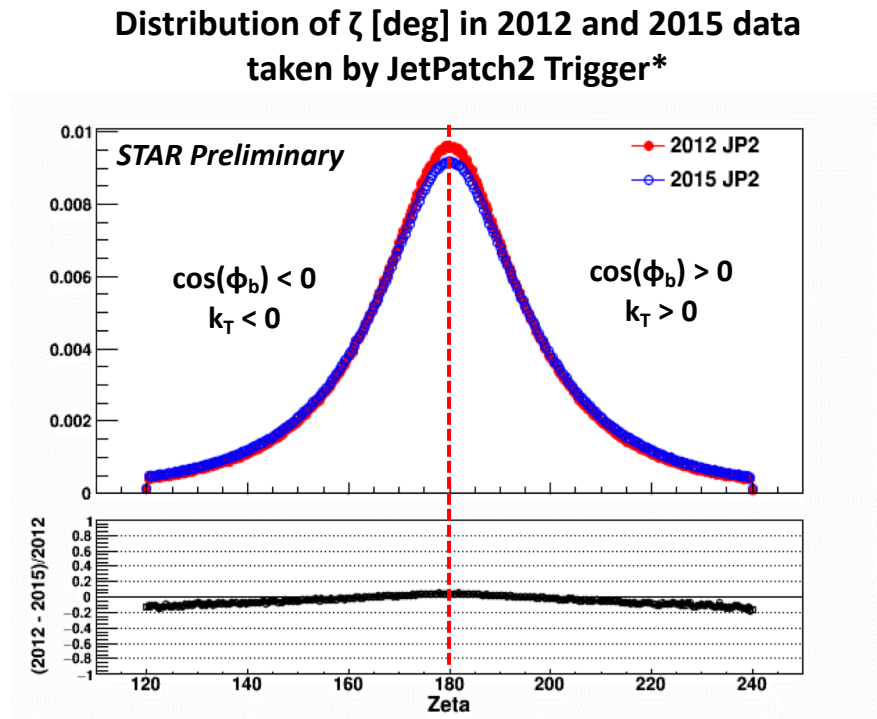
$$\langle \vec{S}_{proton} \cdot (\vec{P}_{proton} \times \vec{k}_T) \rangle$$



Observable in Dijet Production

- ϕ_b is di-jet bisector angle
- ζ is the opening angle of dijet in the transverse plane
 $\zeta > \pi$ when $\cos(\phi_b) > 0$ $\zeta < \pi$ when $\cos(\phi_b) < 0$

$$A = \frac{\langle \xi + \rangle - \langle \xi - \rangle}{P}$$



Jet Flavor “Tagging”

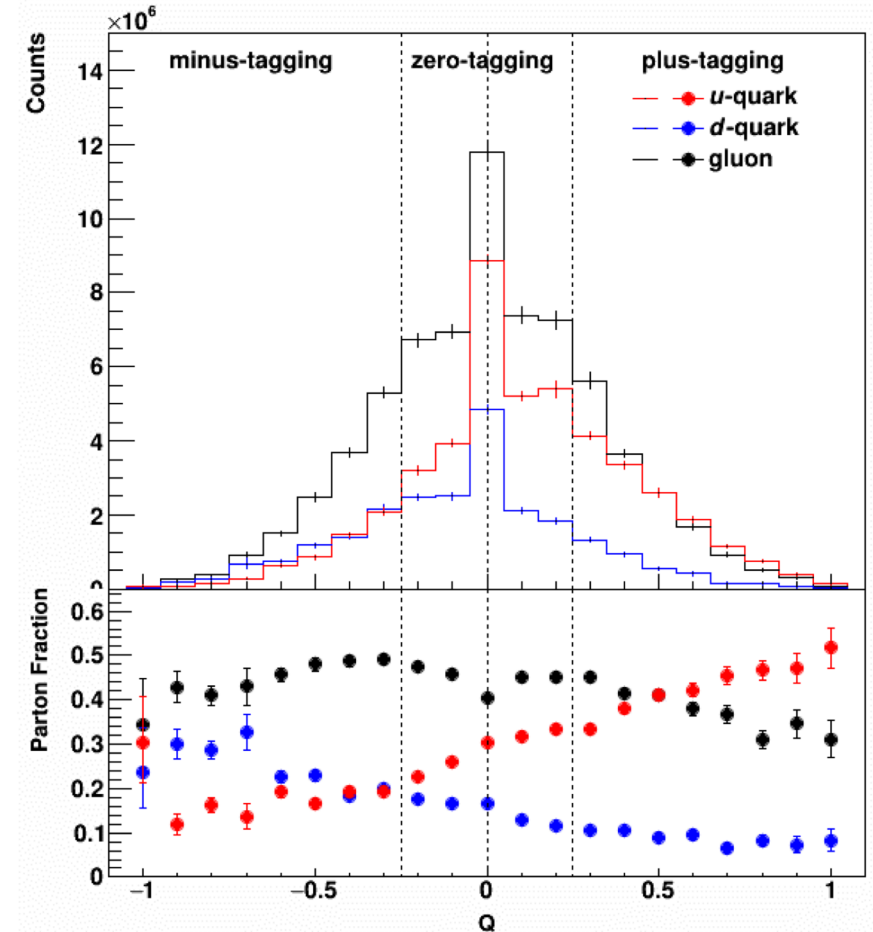
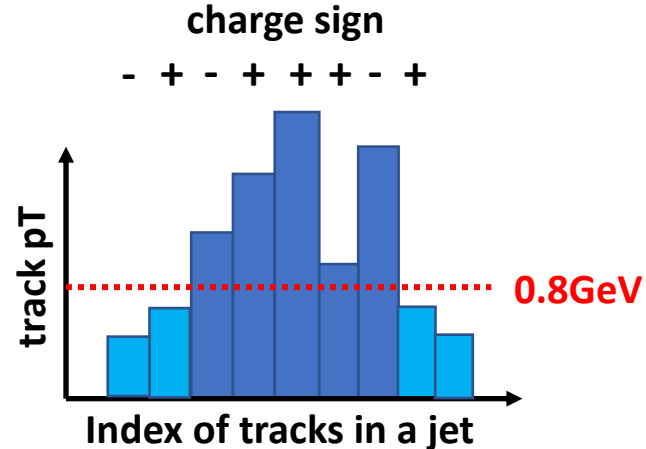
Tag associated jets to enhance the purities of u -quarks and d -quarks separately.

$$Q = \sum_{\substack{\text{all the tracks} \\ \text{with } pT > 0.8 \text{ GeV}}} \frac{\text{track } |p|}{\text{jet } |p|} \cdot \text{track charge}$$

Mostly from parton fragmentations

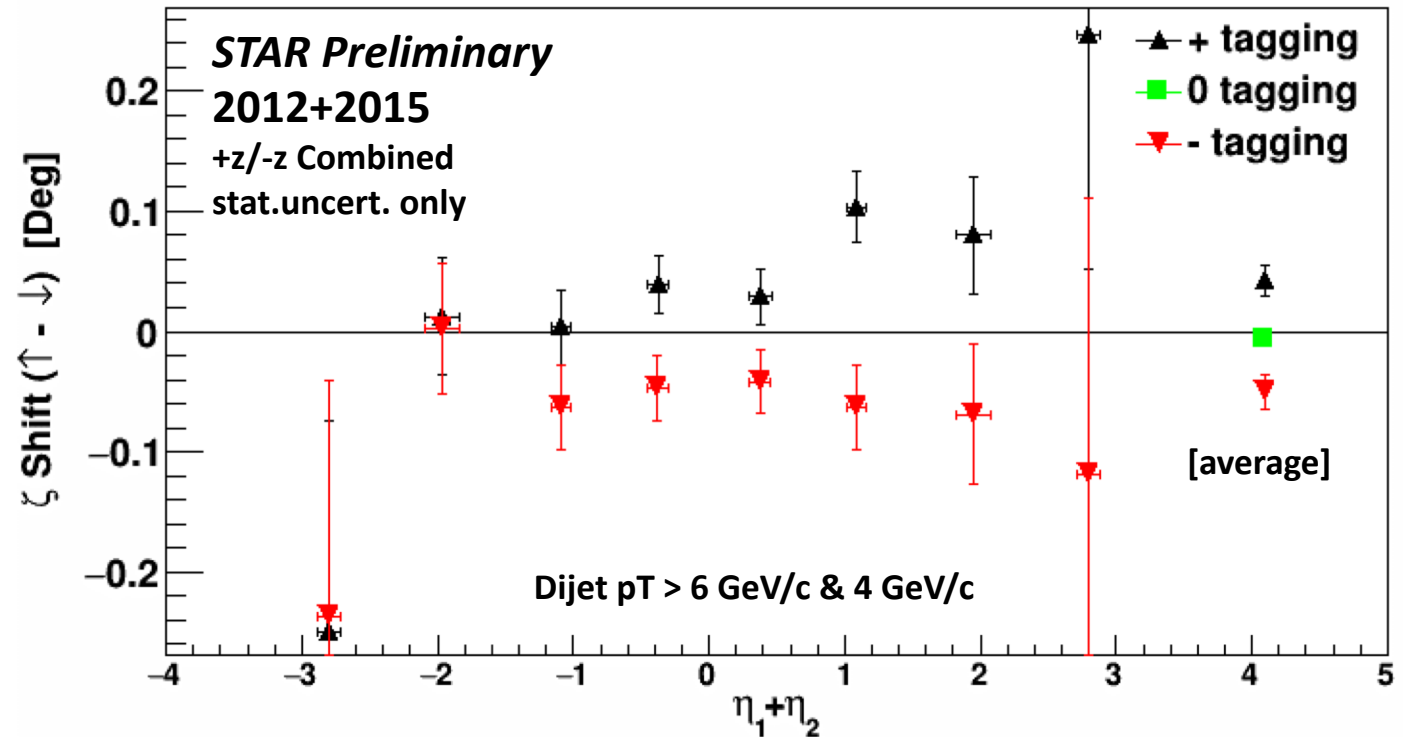


Contaminated by tracks from underlying events



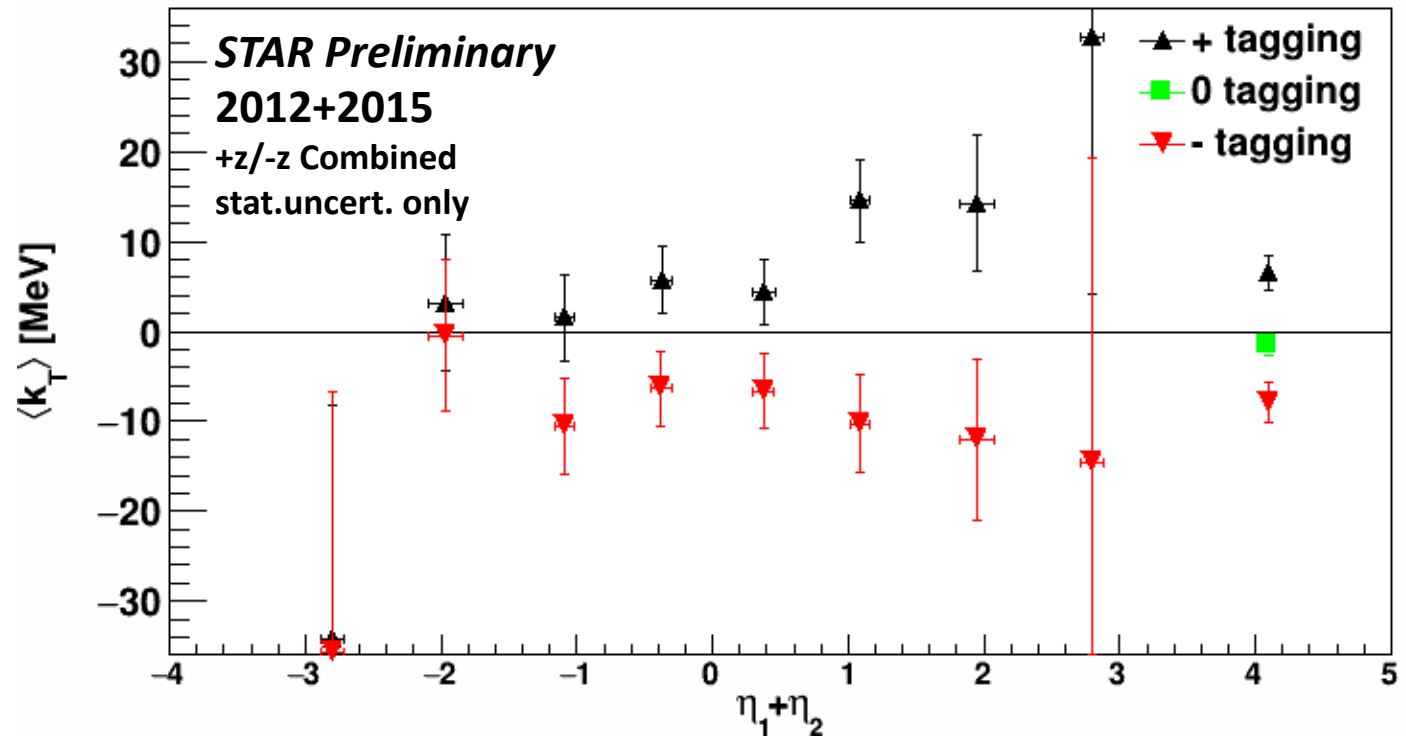
2012+2015 Data — Dijet Sivers Asymmetry

- Clear separation between + and - tagging.
- Asymmetry systematically shifts from + to – as u and d quark fractions shift.
- zero-tagging is consistent with zero.
- Simple kinematic scaling allows for interpretation in terms of partonic k_T .



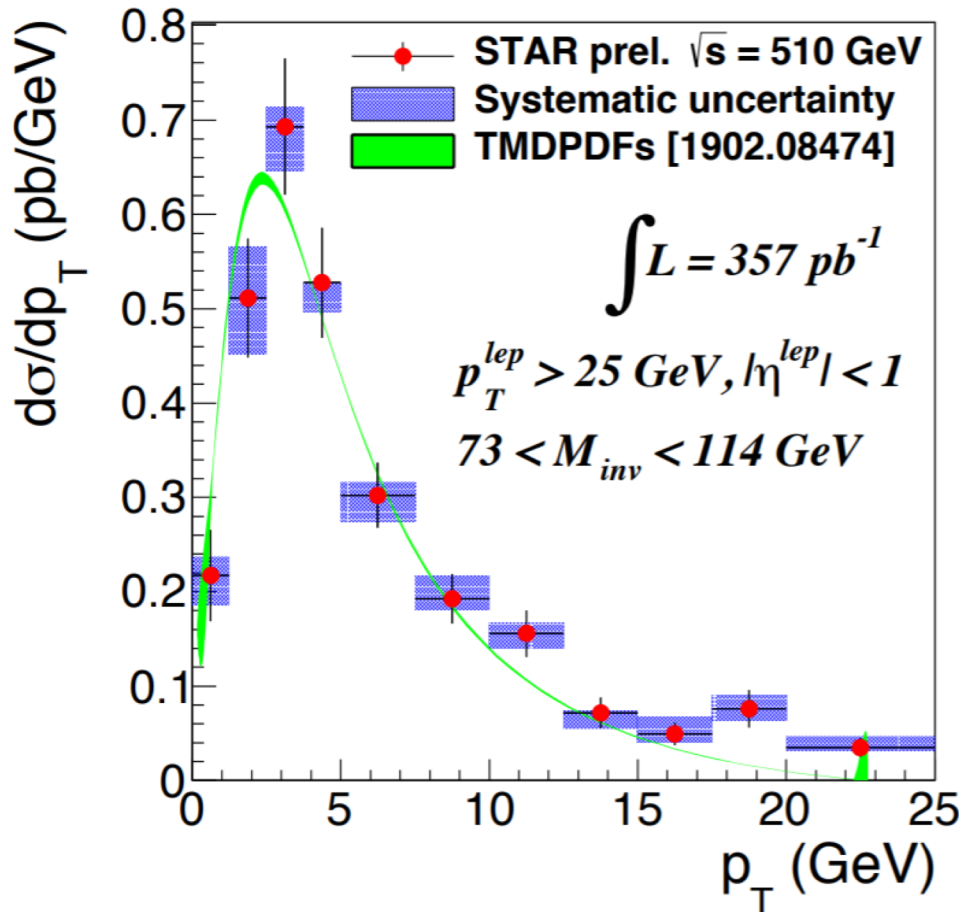
2012+2015 Data — Dijet Sivers Asymmetry

- Clear separation between + and - tagging.
- Asymmetry systematically shifts from + to – as u and d quark fractions shift.
- zero-tagging is consistent with zero.
- Simple kinematic scaling allows for interpretation in terms of partonic k_T .



Run 2022+ - Extended tracking and calorimeter coverage from iTPC and Forward Upgrade will allow coverage from $-1 < \eta < 4$ (with a gap for 1.5-2.5). Will problem low x gluon and high x quark Sivers Functions.

TMD : Z differential cross-section



Use clean Z signal to extract unpolarized TMD PDFs.

Note : unpolarized TMDs really important for extracting spin dependent TMDs!

STAR result provides constraints at high x .

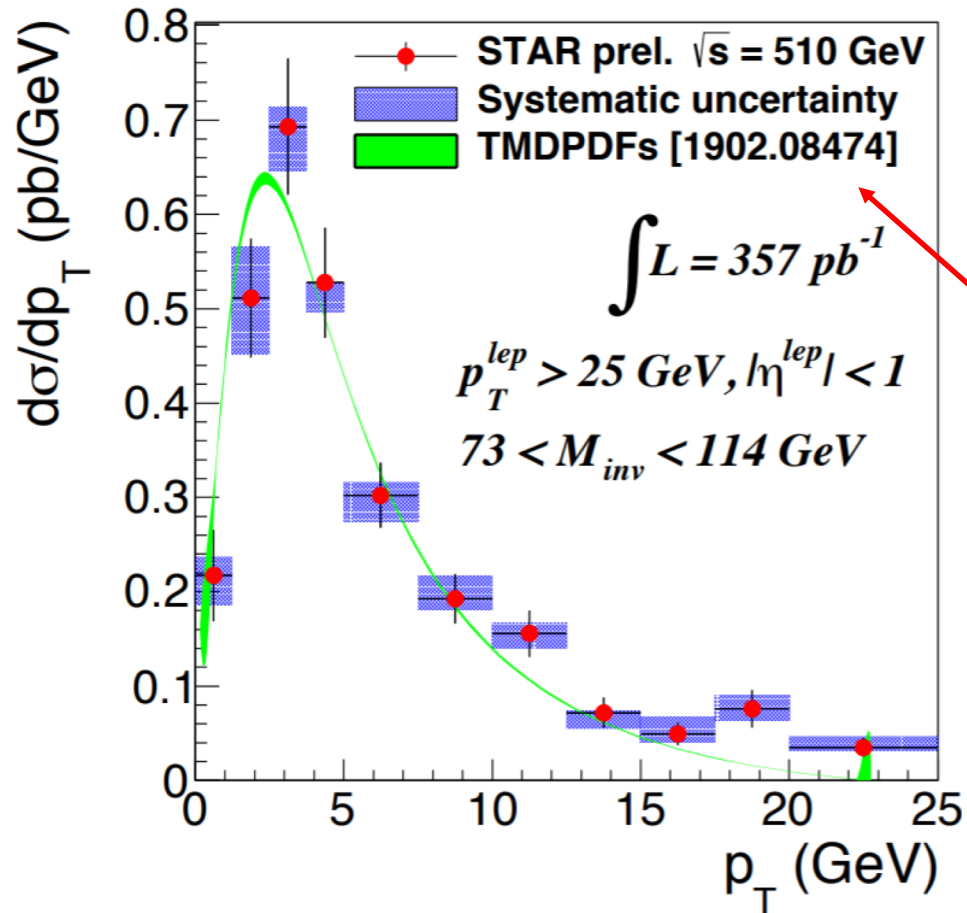
Bertone, Scimemi & Vladimirov theoretical curve is global analysis of world DY and Z differential cross-sections

Systematic errors at low p_T are driven by gain uncertainties.

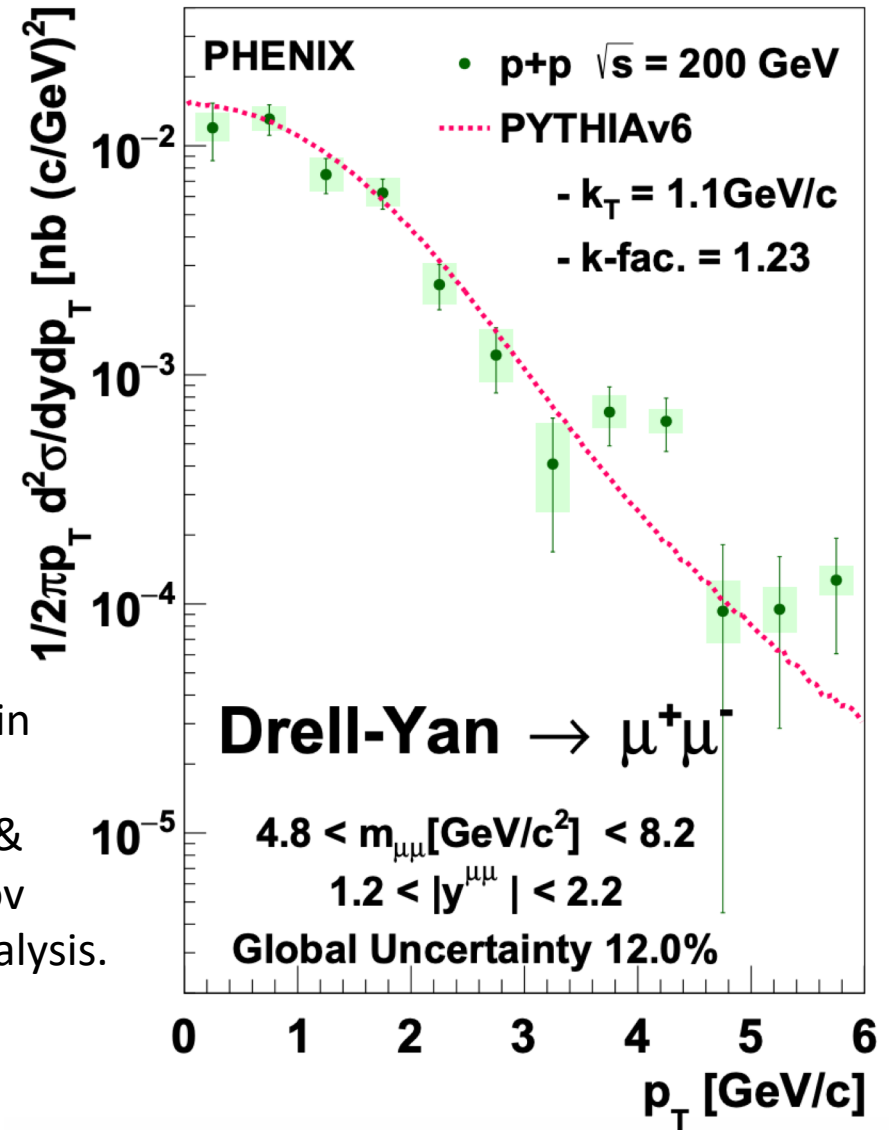
Run 17 update released for STAR 2021 BUR!

Run 17 + Run 22 would triple total statistics

TMD : Drell-Yan differential cross-section



Included in Bertone, Scimemi & Vladimirov global analysis.



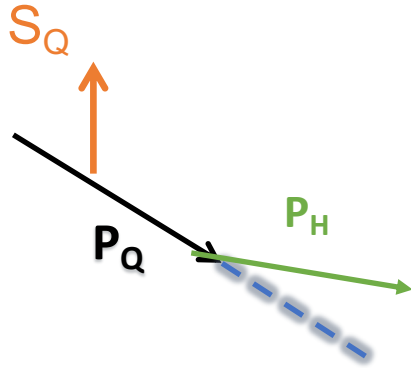
Final State TMD Function

Universality

Factorization

Evolution

TMD : Fragmentation Function



FF that encapsulates correlations between the quark spin S_Q and the transverse momentum j_T of the daughter hadron.

Use reconstruction of hadrons in jets to access Collins FF

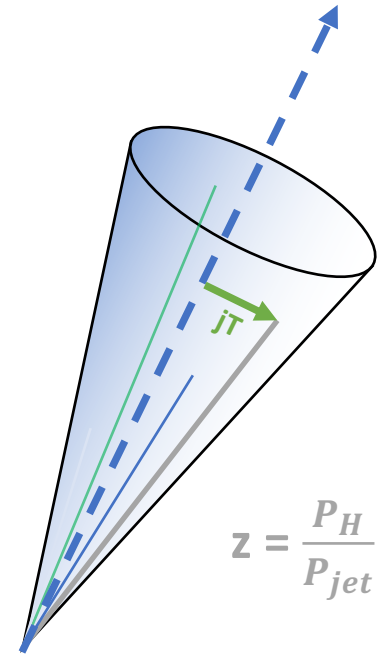
- Fraction of the jet momentum (z) carried by the hadron

- The component of the hadron momentum that is transverse to the jet axis (j_T)

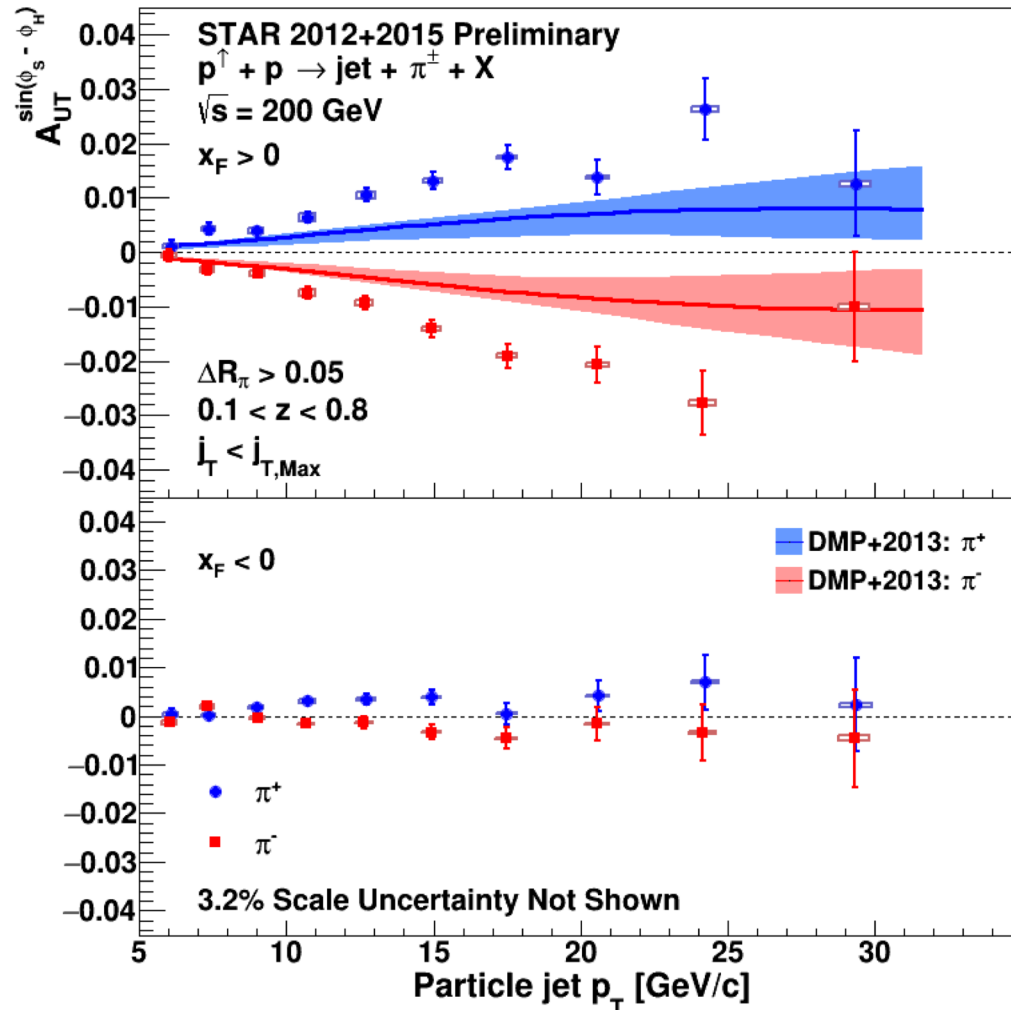
Use single spin asymmetries A_{UT} in **transversely polarized** proton collisions to gain sensitivity to both gluon and quark TMDs.

$$A_{UT}^{\sin \phi} \sin(\phi) = \frac{\sigma^{\uparrow}(\phi) - \sigma^{\downarrow}(\phi)}{\sigma^{\uparrow}(\phi) + \sigma^{\downarrow}(\phi)} \propto \frac{\sum_{AB} \Delta_T q_A f_B \times \Delta \sigma_{AB \rightarrow jet + \pi} \times H_1^\perp}{\sum_{AB} q_A f_B \times \sigma_{AB \rightarrow jet + \pi} \times D}$$

$\phi = \phi_s - \phi_H$ moment is sensitive to **Collinear** Transversity PDF $\Delta_T q_A(x_A, Q)$ + **TMD** Collins FF $H_1^\perp(Z, J_T, Q)$. Provides a cleaner kinematic separation of transverse TMD physics than in SIDIS which convolutes the Transversity TMD PDF with Collins TMD FF.



TMD : Collins $\pi^{+/-}$ FF @ 200 GeV

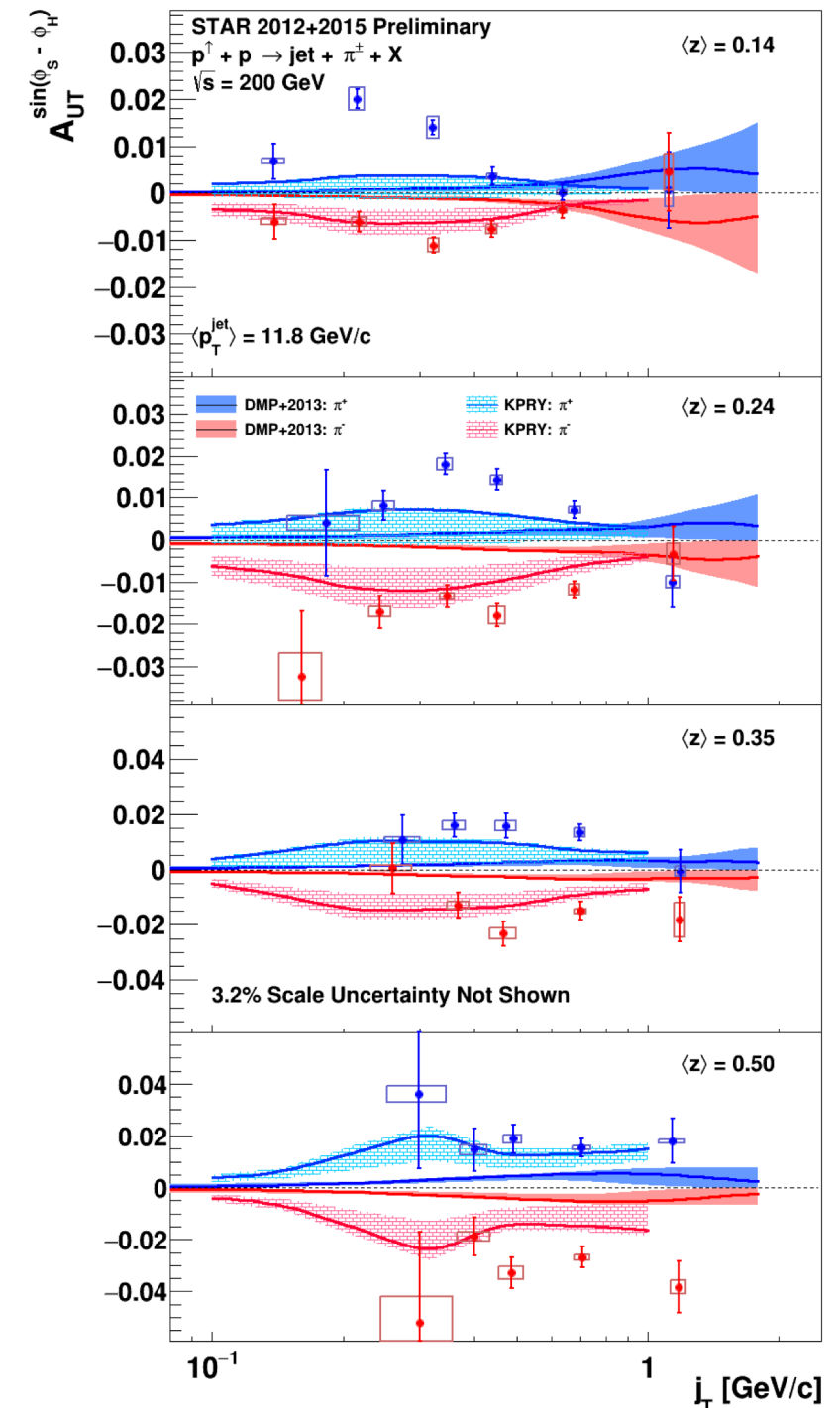


Plotting differentially
 in $\langle z \rangle$ and $\langle j_T \rangle$
 provides input on
 flavor separated
 shape of Collins
 TMDFF.

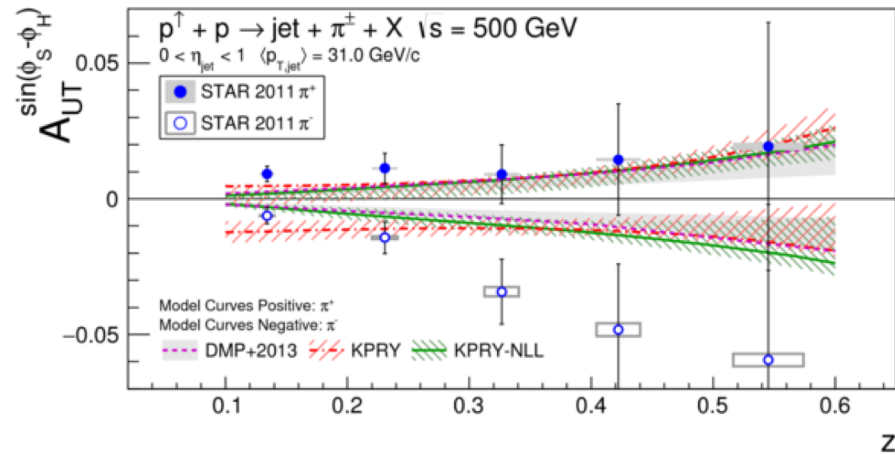
Theory:

- 1) DMP, Phys. Lett. **B773**, 300 (2017)
- 2) KPRY Phys.Lett. **B774** 635-642 (2017)

p/K A_{UT} in backup!

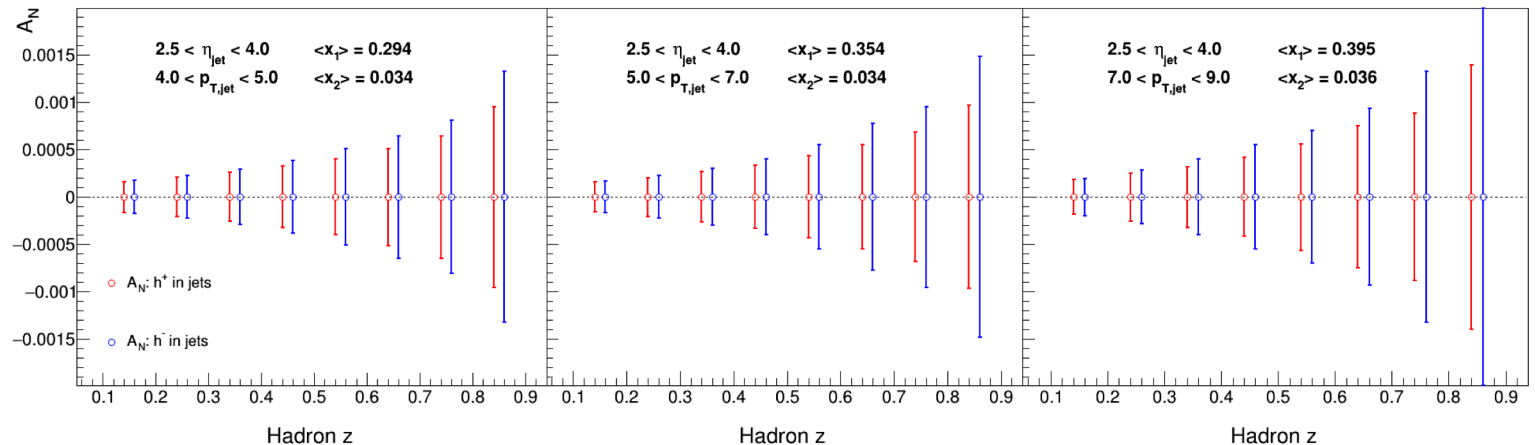


TMD : Collins $\pi^{+/-}$ FF @ 500 GeV



Data and theory agree - **TMD Evolution effects appear to be small**. At the current level of precision the data supports theoretical work by Kang, Liu, Ringer and Xing JHEP 1711 (2017) 068 , ie **universality holds for Collins TMDs in p+p collisions**. Need more 510 GeV mid-rapidity data!

2022+: STAR Forward Upgrade provides provides full jet reconstruction as well as $h^{+/-}$ ID. Expect dilution of ~26% from p+K in h^+ , while h^- will have a purity of 78%.



TMD : Fragmentation Functions

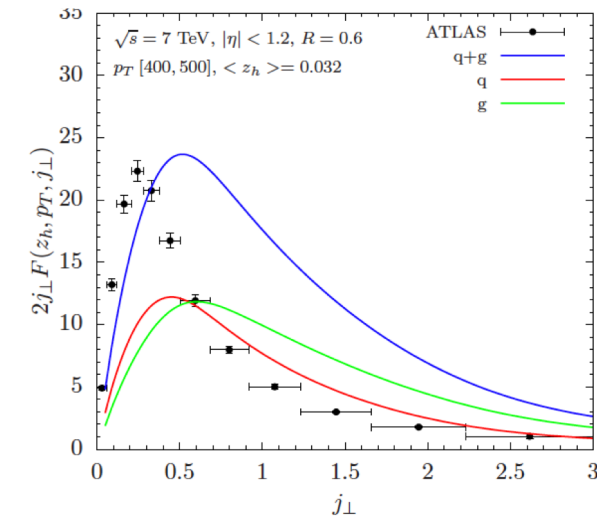
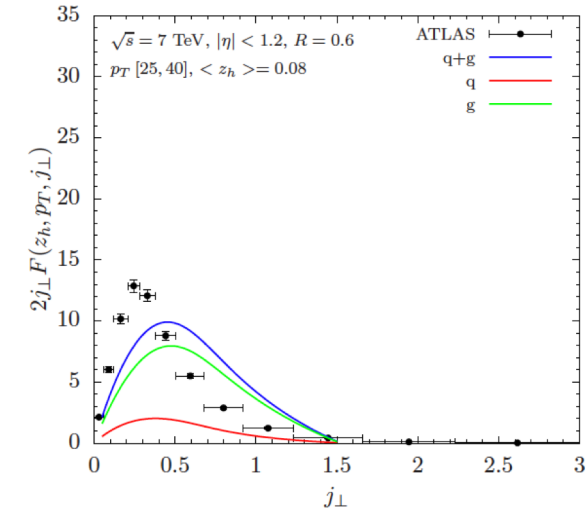
Work by Kang, Liu, Ringer and Xing defined a universal TMD FF:

$$F(z_h, j_T; p_T, \eta, R) = \frac{\frac{d\sigma^{pp \rightarrow \text{jet}+X}}{dp_T^{\text{jet}} d\eta^{\text{jet}} d^2 j_T dz_h}}{dp_T^{\text{jet}} d\eta^{\text{jet}}}$$

It is especially sensitive to the **GLUON** TMD FF, which is at this time virtually unconstrained.

Unlike in SIDIS, the TMDFF's accessed in pp do not depend on the TMDPDFs!

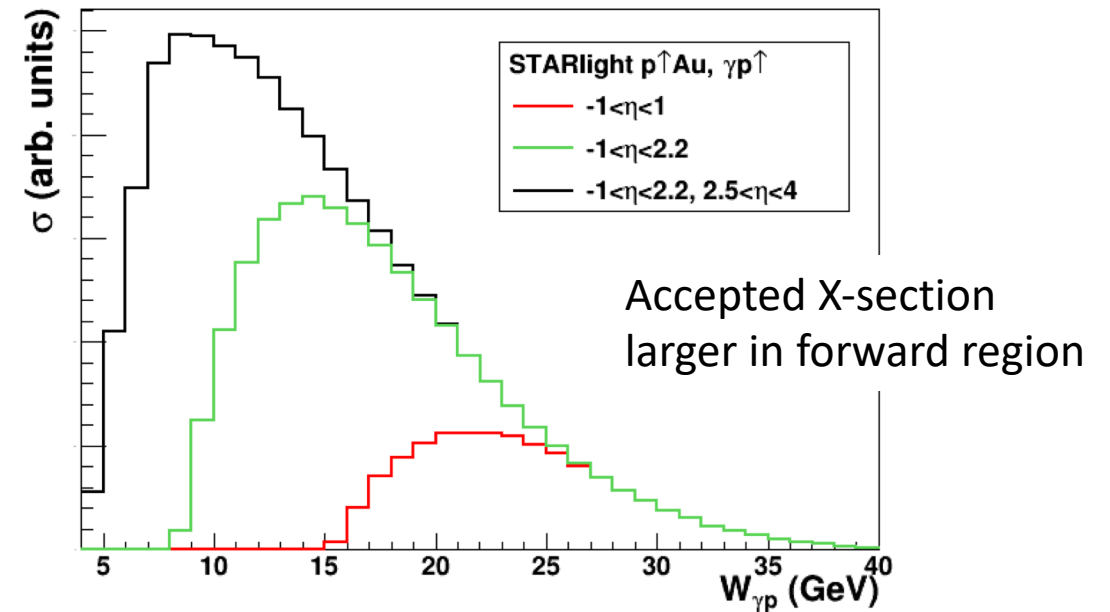
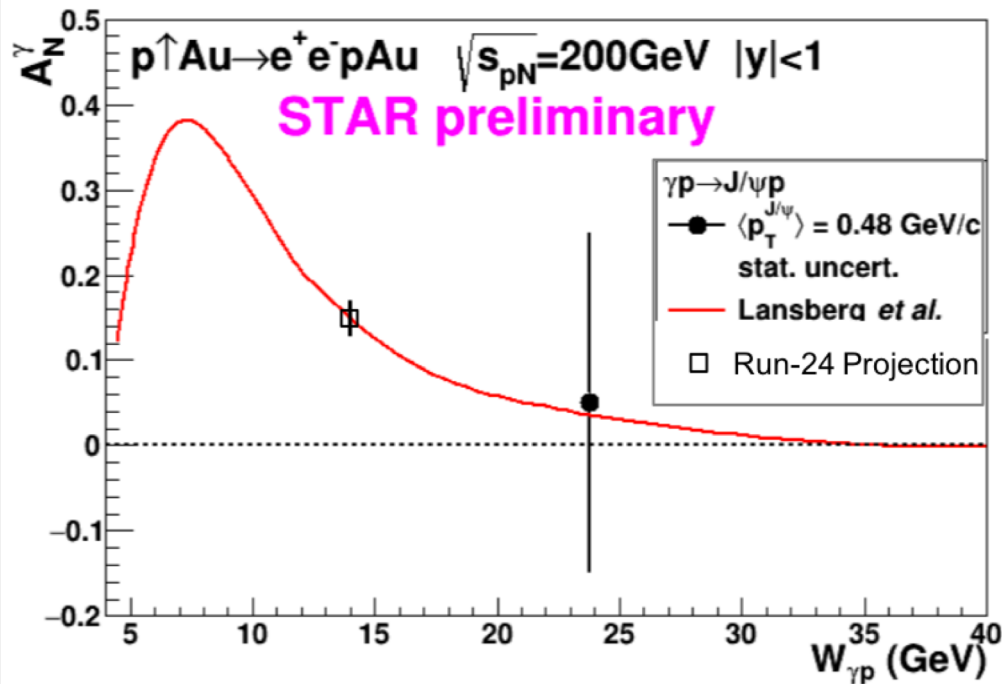
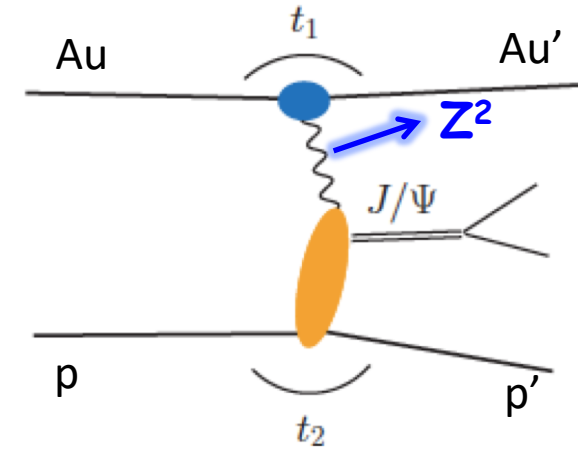
2022+ Measurement at mid and forward rapidity.



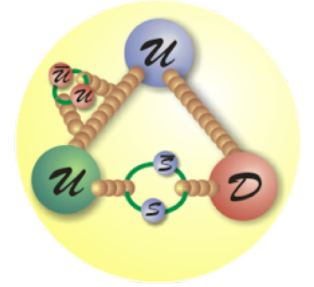
First look at GPD E_g

GPD : E_g from J/ψ in UPC

- RHIC can access the GPD E function for gluons via measurements of A_{UT} of J/ψ in ultra-peripheral collisions
- GPD E_g is sensitive to spin-orbit correlations and provides input on **angular momentum** component of the spin puzzle.



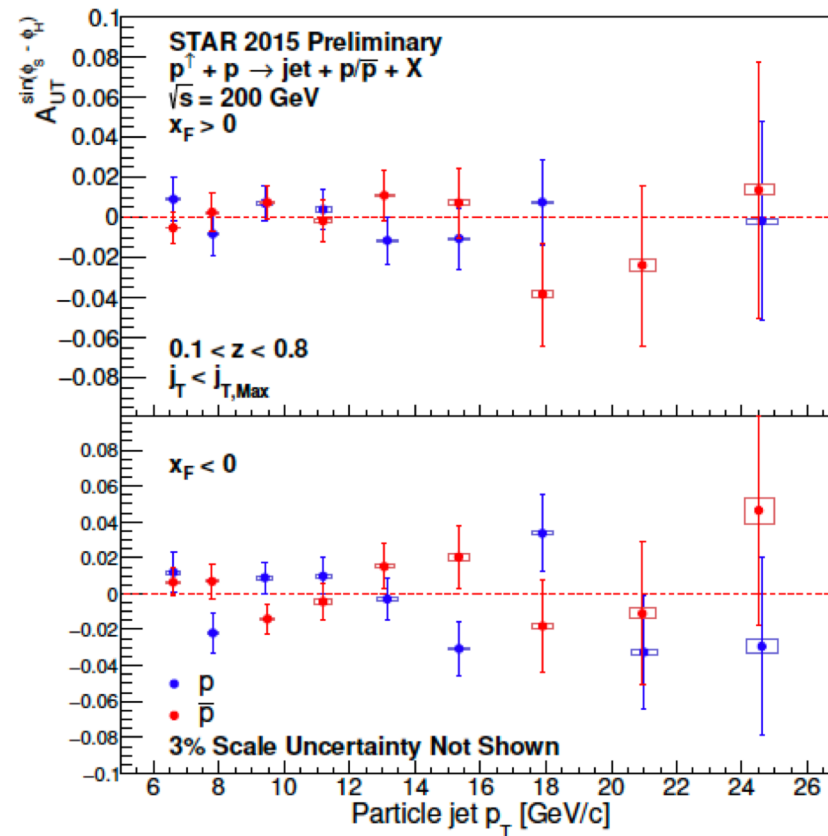
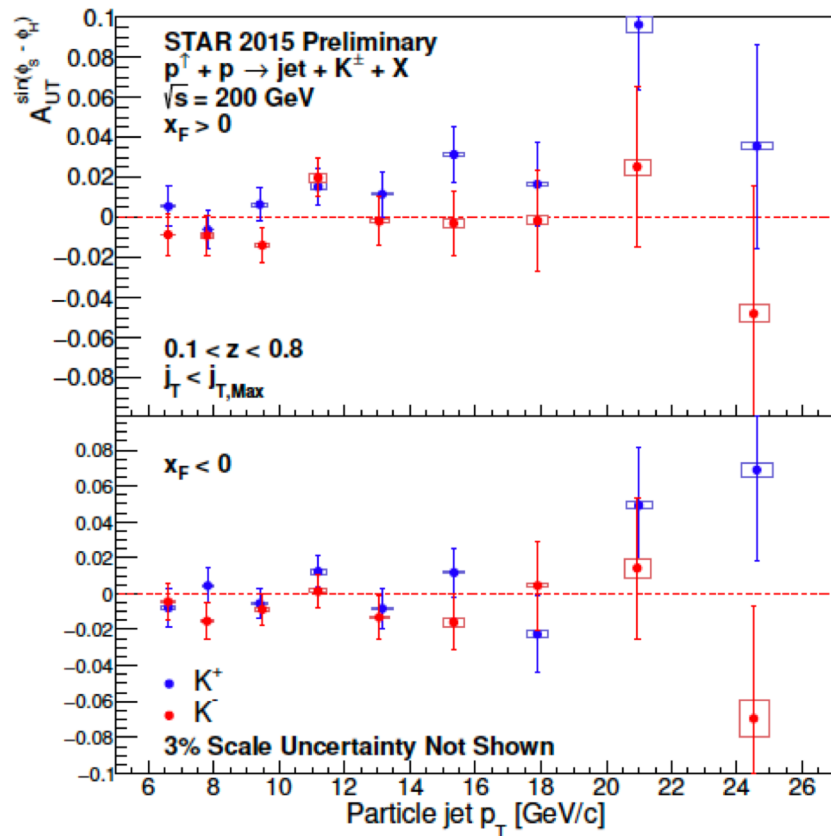
Take Away



- A robust and complete picture of the nucleon requires scattering data from electromagnetic, weak and strong probes.
- Tests of factorization and universality require significant kinematic overlap for data with different probes.
- STAR iTPC and Forward upgrade will provide full jet reconstruction spanning from $-1 < \eta < 4$ (with a gap for 1.5-2.5).
- RHIC Runs 22-24 provide last opportunity to make important measurements
 1. “Sivers” sign-change, in both TMD and twist-3 framework.
 2. Use jet reconstruction in the forward upgrade to probe high x distributions for Sivers and transversity.
 3. Push to higher precision on mid-rapidity TMDFF via hadrons-in-jets -> both for Collins and unpolarized FF.
 4. Definitively determine role of twist-3 FF in large forward TSSA.

Back-up

TMD: Collins p/K @ 200 GeV



Gluon Linear Polarization

- $\sin(\Phi_S - 2\Phi_H)$ modulation in jet A_{UT} is sensitive to gluon linear polarization signal.
- First measurement - completely unconstrained! Possible cause of the ridge in pp/pA? *Phys.Rev. D94 no.1, 014030*, *arXiv:1708.08625*
- Shaded bands represent maximal predictions from *U. D'Alesio, F. Murgia, and C. Pisano, arXiv:1707.00914* utilizing Kretzer and DSS fragmentation functions.

