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Comments to the "Simulation of pp interactions at the HJET"

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Simulation of pp interactions at the HJet polarimeter at RHIC

BROOKHAVEN

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Hadron polarimetry method and data



Basis:

Elastic scattering in CNI-region

-> left-right asymmetry of recoil particles:

$$\epsilon = \frac{N_L - N_R}{N_L + N_R}$$

Asymmetry and polarization are related through analyzing power: $\epsilon = A_N P$





According to the Convention,



Basis:

Elastic scattering in CNI-region

-> left-right asymmetry of recoil particles:

Asymmetry and polarization are related through **analyzing power**: $\epsilon = A_N P$





left

right

 $s_z = N$



Hadron pc

 $s_z = N$

- Alphas cannot be produced in *pp* scattering
- Most likely, we see a nucleus dissociation: $pA \rightarrow pX \rightarrow \alpha + \cdots$.
- Background protons also can be generated in the dissociation
 - In the data analysis, it was found that such protons are dominant background at the HJET (for the banana events).
- The simulation cannot be considered as complete without such pA events.



left



About Time-Amplitude distributions



- A Si detector segmentation by vertical strips, is critically important feature in the data analysis.
- Therefore, it is counterproductive to ALWAYS display the time-amplitude distribution integrated over the whole detector (12 strips).
- The distribution for a single strip is much more informative.

To compare with experimental data, both beams, blue and yellow, should be simulated

OUTER

3500

3000

2500

2000

1500

1000

500

0th

-40

-20

0

20

Z

Z hit distribution

INNER

The elastic pp dN/dx is wrong. Coulomb part is missed ? $T_R < 2$ MeV cut off ?

 $\sigma_z = 5 \text{ mm target}$

-20

 $\sigma_{7} =$

-20

20

m target

20

0

120×10

20

30000

25000

20000

15000

10000

5000F

0

-60

-40

-60



- z>0 strips include hits from elastic process
- z<0 strips don't include hits from elastic process

40

60

For the HJET:

 $\sigma_z = 2.6 \text{ mm}$

As expected

 $\sigma_{7} = 10 \text{ cm target}$

60

40

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Recoil proton spectra for elastic pp scattering

$$\frac{d\sigma}{dt} \propto \left[\left(\frac{t_c}{t}\right)^2 - 2(\rho + \delta_c) \frac{t_c}{t} + 1 + \rho^2 \right] e^{Bt}$$
$$z_{HIET} = \tilde{z} \sqrt{T_R}, \qquad \tilde{z} = 18 \text{ mm/MeV}^{1/2}$$

For 255 GeV proton beam

$$T_c = -t_c/2m_p \approx 1 \text{ MeV} \rightarrow z_c = \tilde{z}\sqrt{T_c} = 18 \text{ mm}$$

$$\frac{dN}{dz} \propto \left[\left(\frac{z_c}{z} \right)_{em}^3 + \left(\frac{z}{z_c} \right)_h \right] e^{-0.02 \left(\frac{z}{z_c} \right)^2},$$

For fixed T_R and $\sigma_z = 0$, the dN/dzreflects the jet density distribution $f_{jet}(z)$:

$$\frac{dN}{dz}(z) \propto f_{jet}(z - \tilde{z}\sqrt{T_R})$$
Fixed coordinate z_{strip}
in the detector
$$\frac{dN}{d\sqrt{T_R}}(\sqrt{T_R}) \propto f_{jet}(z_{strip} - \tilde{z}\sqrt{T_R})$$





Recoil proton tracking in the Holding Field Magnet

I do not see any indication, that, in the simulation, recoil protons are tracked in the magnetic field.



The magnetic field effect is strongly recoil proton energy T_R dependent and is not the same for left/right or upstream/downstream detectors.



For the *pp* scattering and $\sigma_z = 0$:

- Recoil protons $(E_{dep} < 8 \text{ MeV})$ can be detected in the banana area and only at z > 0
- Pions (*E*_{dep} < 3.1 MeV) can be seen only in the prompts and the rate is about z-independent.



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Pages 6-7

(MeV

E ... (MeV)

 σ_z = 10 cm target

There is no much sense to discuss pages 6-7 ($\sigma_z = 10$ and 100 cm) before we will understand the case $\sigma_z = 2.6$ cm.



Edep (MeV)

Slice: $2.0 \le E_{dep} < 2.4 \text{ MeV}$ Data vs t.o.f. (ns) - All strips 70 60 140 Strip #2 10⁵ 120 - Strip #3 Strip #4 104 100 50 - Strip #5 simulation Strip #6 80 - Sum strips #2-6 30È 60F 20E 40 DATA: t.o.f. vs E_{dep} 10F 30 40 50 70 6 10 20 60 E_{dep} (MeV) t.o.f. (ns) 1Bevents, $\sigma_7 = 5$ mm target, 100Mevents σ_z = 10 cm target, SIMULATION: Pythia6+Geant4 Slice: $2.0 \le E_{dep} < 2.4 \text{ MeV}$ 35×10³ t.o.f. (ns) - All strips 100Mevents $\sigma_z = 1 \text{ m target}$, 70E - Strip #2 - Strip #3 60 background (z⁻<0) Strip #4 - Strip #5 multiplicative factor 45 - Strip #6 - Sum strips #2-6 SIMULATION: t.o.f. vs E_{dep} 10 80 70 Edep (MeV) t.o.f. (ns) RATIO: Simulation/Data Slice: $2.0 \le E_{dep} < 2.4 \text{ MeV}$ t.o.f. (ns) - All strips 1.8 70F - Sum strips #2-6 1.6 60 50E 40 0.8 30E 0.6 20Ē 0.4 RATIO (SIMULATION/DATA): t.o.f. vs E_{dep} 0.2 80 0.0^E 20 30 50 70 40 6 10 60 Eden (MeV) t.o.f. (ns)

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Comments to the HJET simulation

DATA: HJet 2017 run #20592

Data vs simulation

DATA: t.o.f. vs E_{den}

1BFor the normalization used, the10simulated rate of the elastic protons,10 $T_R \sim 5$ MeV, is overestimated by10factor ~2, while the prompts,10 $E_{dep} \sim 1$ MeV, are underestimated by

factor 5-10.

Thus, the simulation explains no more than 10% of the experimentally observed rate of the prompts.

RATIO (SIMULATION/DATA): t.o.f. vs E_{dep}



Summary and outlook

The simulation is incomplete yet, pA, etc

The method is not explained. Are there any advantages compared to the injected hydrogen measurement?

A reasonable description of the HJet data was achieved using Pythia 6 and Geant 4 / HJetSim, namely:

- Composition of the background (including punch-through particles) to elastic events
- Extended targets allow to emulate molecular hydrogen
- Dead layer allows to reproduce the cutoff in the tof vs E_{dep} plot at E_{dep}~7 MeV
- Delta(tof) ~ 1 ns allows to get an almost symmetric ration for the signal peak

Next steps:

- Second layer of silicon
- pC polarimeter

??? 7 MeV cutoff is wrong value

First, adequate simulation of the prompts in a single layer detector should be done

10

Detector dead-layer and energy calibration



 $T_R = 7 \text{ MeV} \rightarrow 380 \ \mu\text{m}$ stopping power $T_R = 8 \text{ MeV} \rightarrow 480 \ \mu\text{m}$

The HJET detector thickness is 480 µm







Both, gain and dead-layer $x_{DL} \sim 0.37 \text{ mg/cm}^2$ are determined in α -calibration

The recoil proton energy deposited in the dead-layer: \sim 70 keV ($T_R = 1$ MeV) \sim 10 keV ($T_R = 8$ MeV)

The results of α -calibration were verified in the elastic data analysis. The evaluated systematic uncertainty in the energy calibration is $\delta T_R = \pm 15 \text{ keV} \oplus (\pm 0.01) \times T_R$

2200

How can the simulation help the HJET data analysis in RHIC?

1. Study of the signal waveform shape dependence on $p(\pi, \alpha, ...)$ kinetic energy.



2. Background subtraction

Background subtraction method:

Evaluation of a background out of the elastic pp diagonal in the $z-\sqrt{T_R}$ plot and extrapolation the background to the "diagonal" events.

- *pA* background is expected to be the same in all Si strips. The extrapolation is trivial.
- Scattering on the beam gas hydrogen. The background is the same in all Si strips if no magnetic field. Recoil proton tracking in the magnetic field requires special study.
- Inelastic *pp* scattering. The background is essential only above the diagonal and only for E_{beam} >100 GeV.
- For $T_R > 2$ MeV, background can be accurately evaluated and subtracted using the data below the elastic pp diagonal
- For T_R < 2 MeV, simulation of the backgrounds separately in UL (Upstream Left), UR, DL, and DR detectors is needed.







Standard background subtraction was applied to both histograms

Summary

- Any, e.g. Geant, simulation is only an approximation of the real experiment. In basic approach, it is crude (if 1% accuracy required) but often can be properly adjusted.
- The simulation should be scrupulously compared with relevant experimental data before it can be used in data analysis or to improve the experimental setup.
- For the HJET simulation, it is time to begin such a fine tuning.