



AC-LGAD sensor measurements and Simulation

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Outlook

- Testboard measurements B19, 30
 - sharing
 - TDC performances
- Pixel detector simulation model study
 - to know the spatial resolution under different ADC-bit

Experimental setup

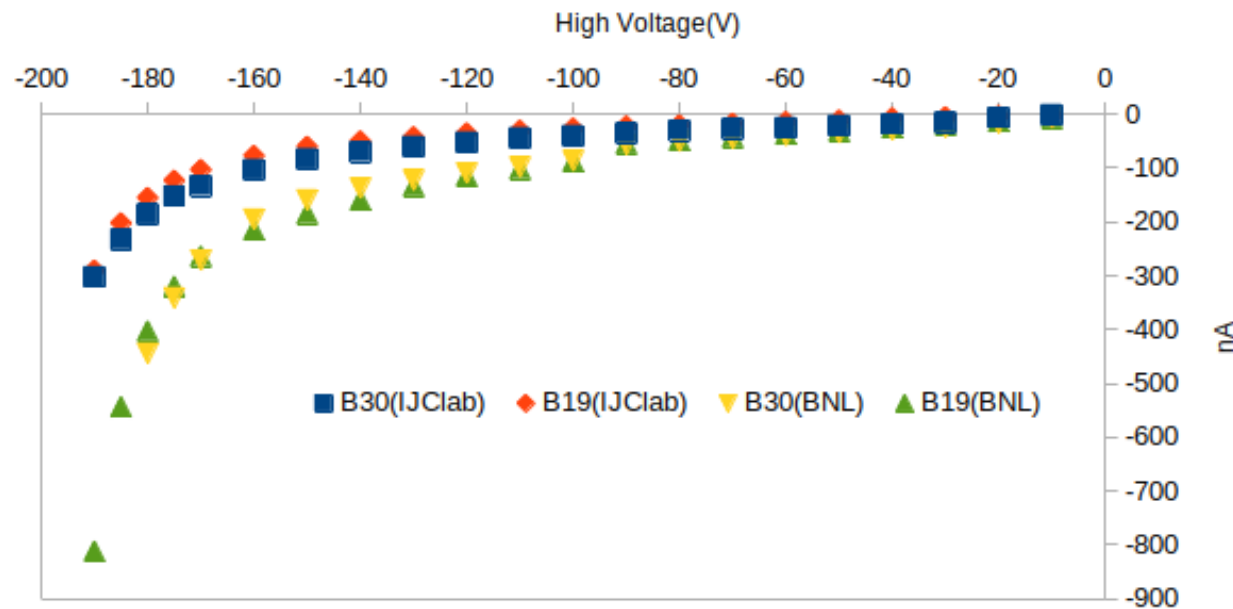


FPGA

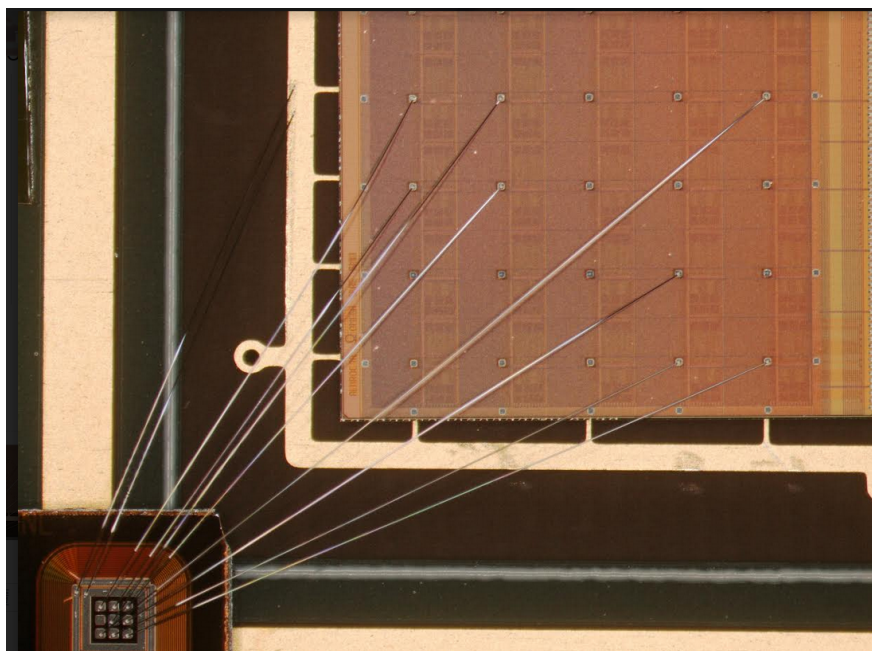
Sensor and the ASIC are in the dark box

IV curve of B19 and 30

- The I-V curve comparison between IJClab and BNL
- The difference between IJClab and BNL comes from the experimental setup.



Channel sharing of B19



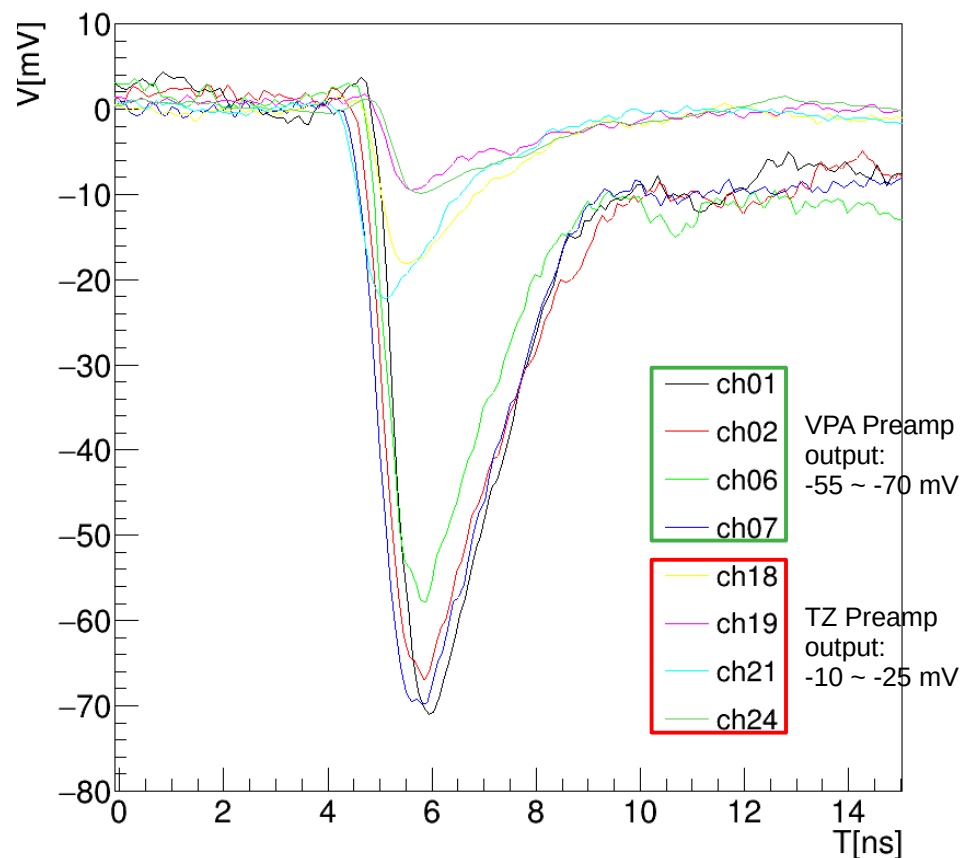
Preamp:VPA

0	5	10	15	20
1	6	11	16	21
2	7	12	17	22
3	8	13	18	23
4	9	14	19	24

1	2	7
NC	6	18
21	19	24

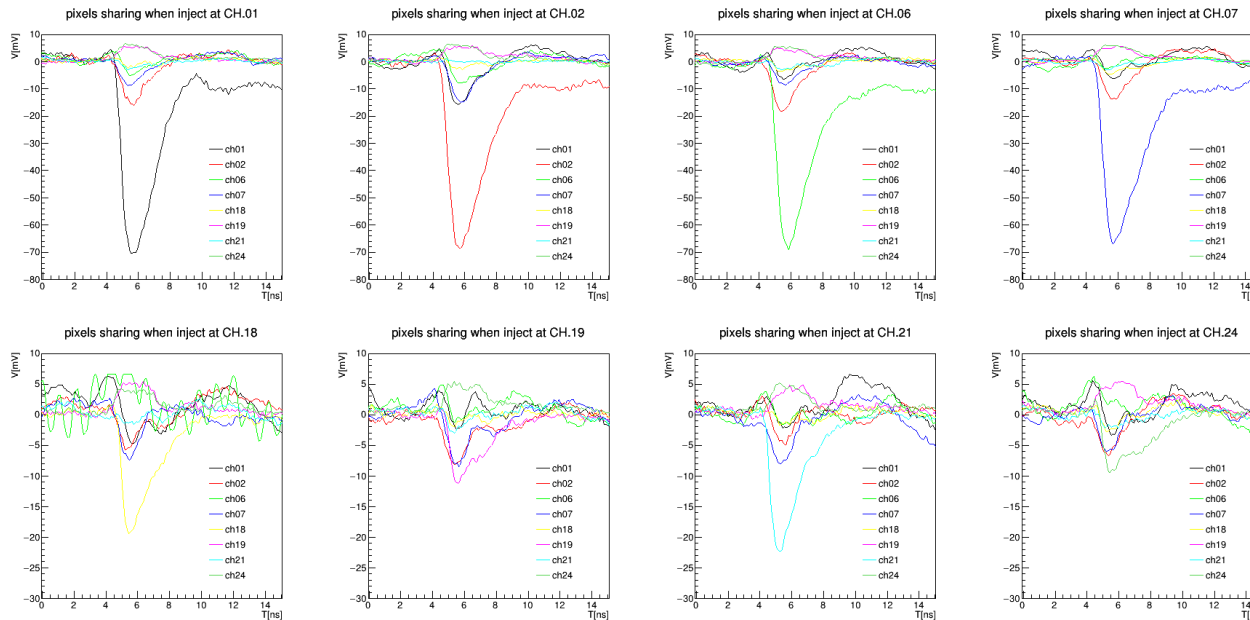
Preamp:TZ

Probe the injected channel
turn off the other 24 channels



HV: -160V
I: ~68nA
DAC pulser: 10[~8fC]
DAC-bit[threshold]: 400

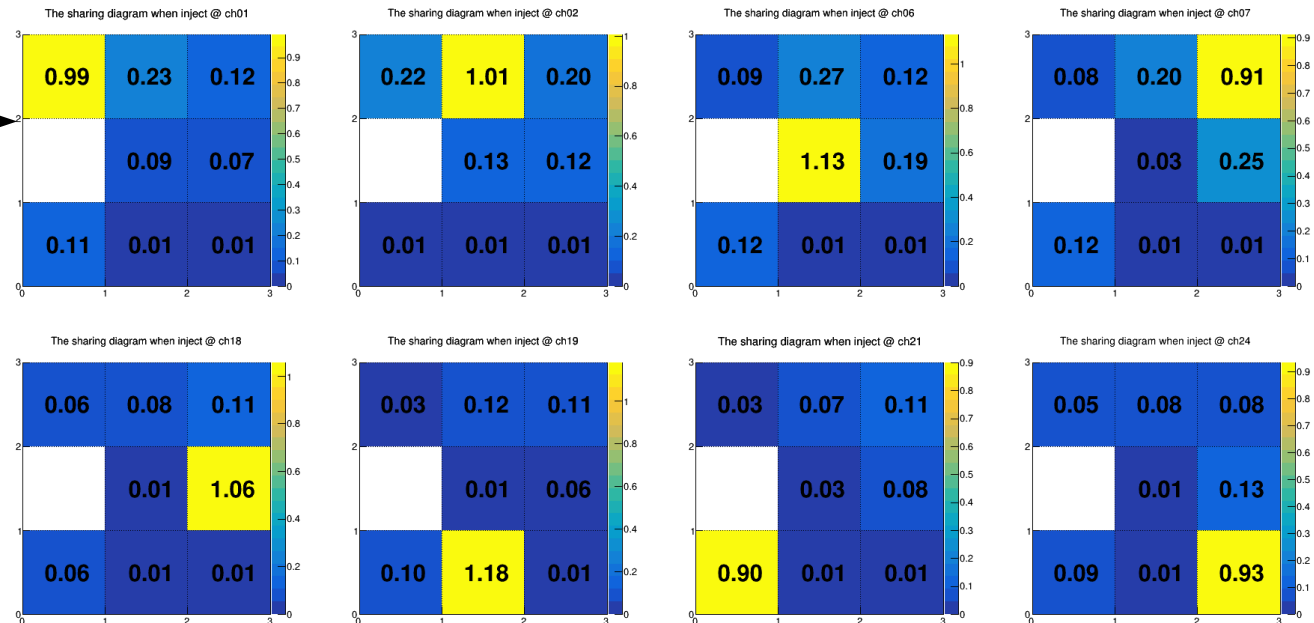
Channel sharing of B19



HV: -160V
I: ~68nA
DAC pulser: 10[~8fC]
DAC-bit[threshold]: 400

Amplitude of each channel normalized to the one when all others are OFF (previous slide)

Charge injected in one channel [yellow background]

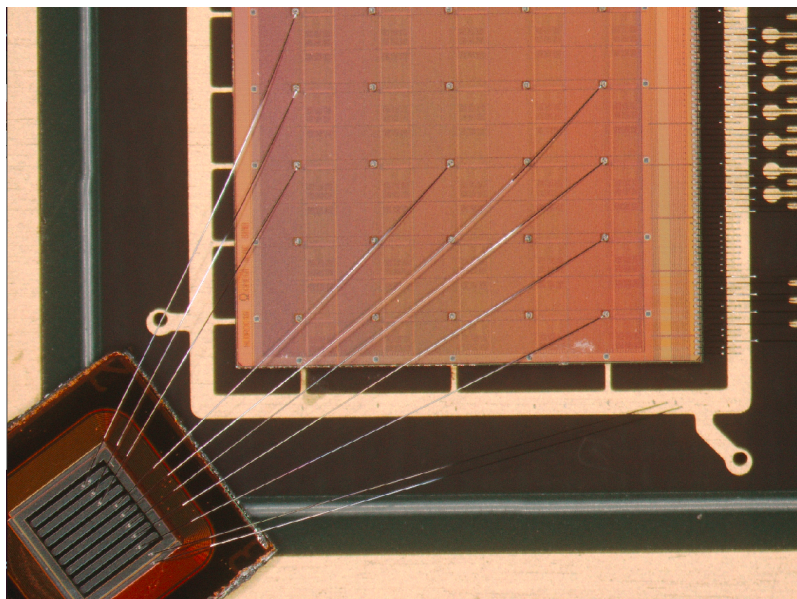


1	2	7
NC	6	18
21	19	24

Sensor to chip ID map

Channel sharing of B30

Probe the injected channel
turn off the other 24 channels

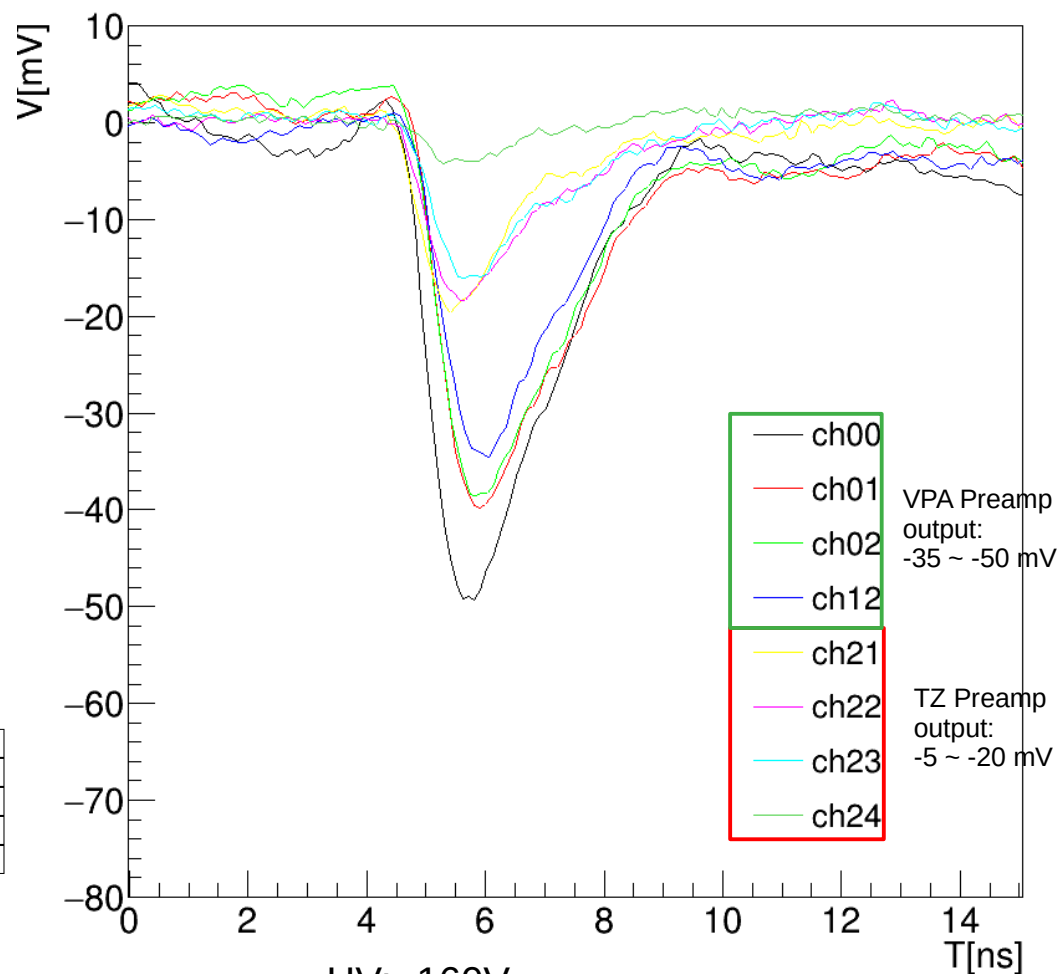


Preamp: VPA

0	5	10	15	20
1	6	11	16	21
2	7	12	17	22
3	8	13	18	23
4	9	14	19	24

0 1 2 12 21 22 23 24

Preamp: TZ



HV: -160V

I: ~85nA

DAC pulser: 10[~8fC]

DAC-bit[threshold]: 400

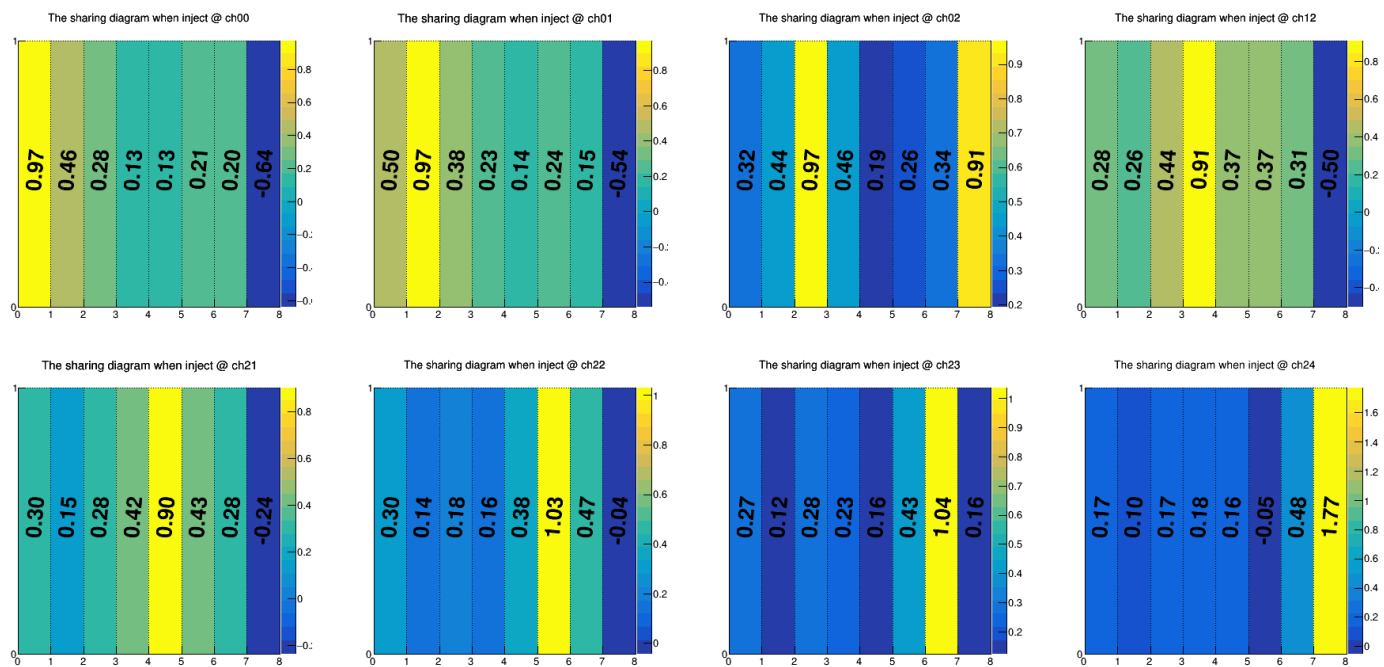
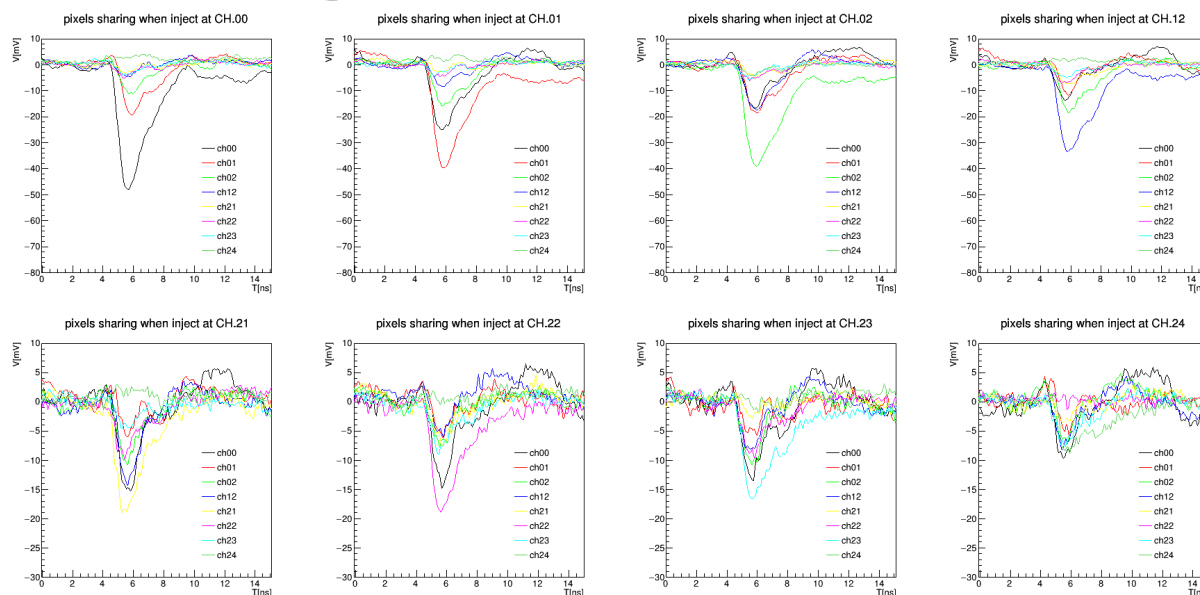
Pixel sharing of B30

HV: -160V

I: ~68nA

DAC pulser: 10[~8fC]

DAC-bit[threshold]: 400

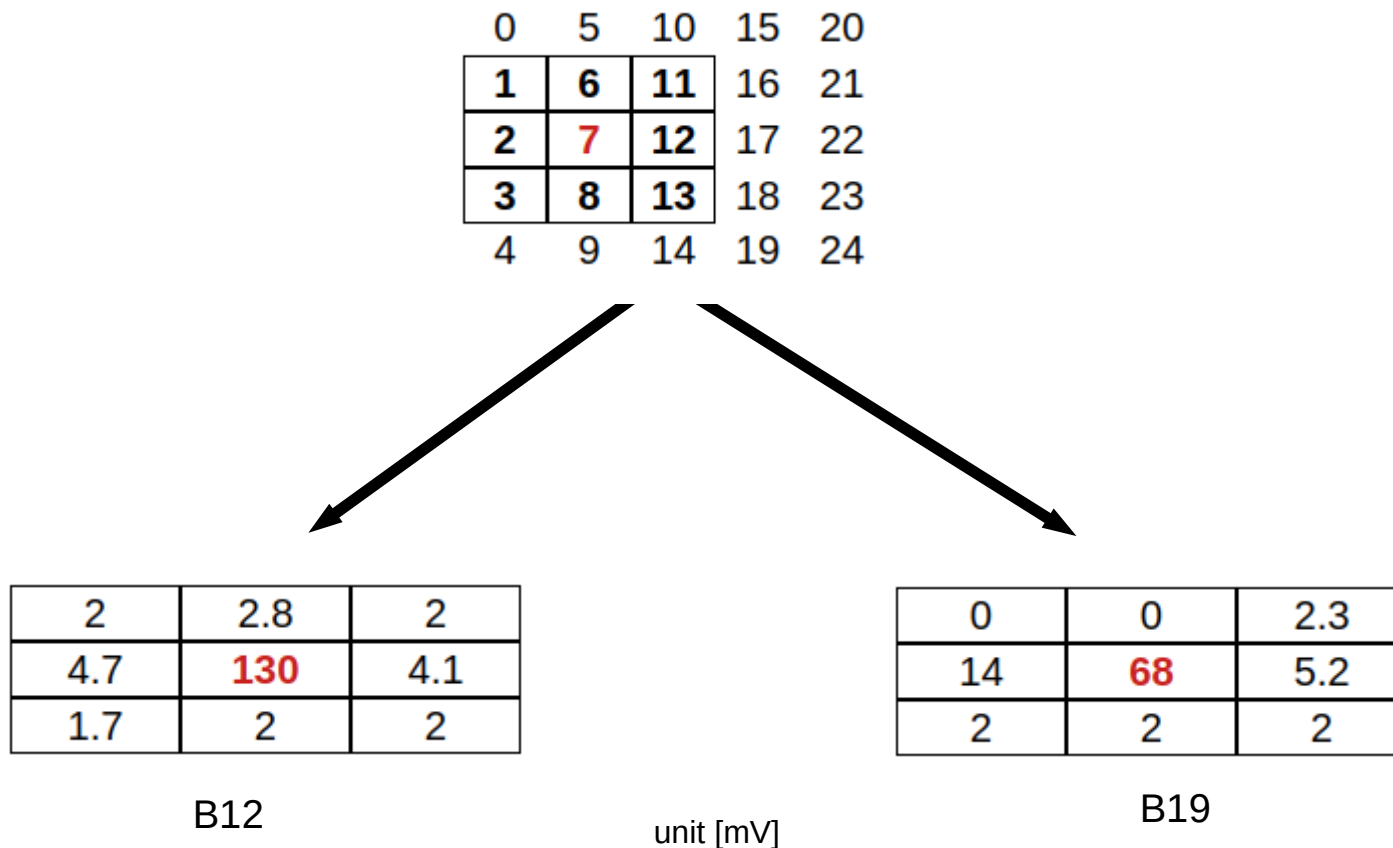


0 1 2 12 21 22 23 24

Sensor to chip ID map

Sharing between connected and non-connected sensor

- Except for sensor connection, B12 is same as B19
- Inject charge ~8fC into ch.07, then probing others.

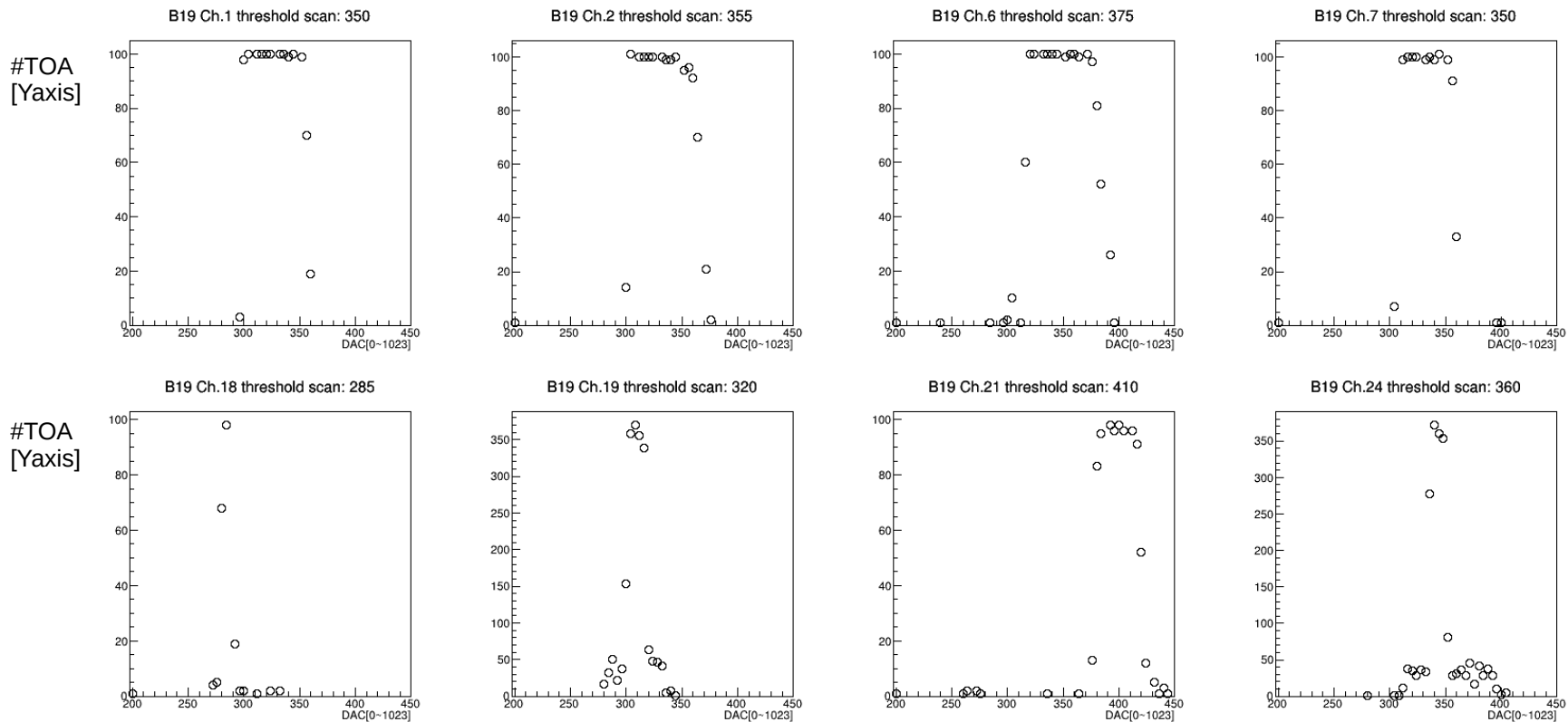


TDC measurements (B19)

- 2 TDC => TOA & TOT
- Discriminator: const. threshold value type.
- To know the time-walk effect, jitter and determine the TOA LSB.
 - Threshold scan
 - Determine TOA LSB by Delay scan
 - Charge scan => time walk and jitter in different charge.

TDC measurements (B19)

- **Threshold scan**
Q = 3 (2.5fC) for 8 channels
- Know the proper threshold value for each channels



VPA

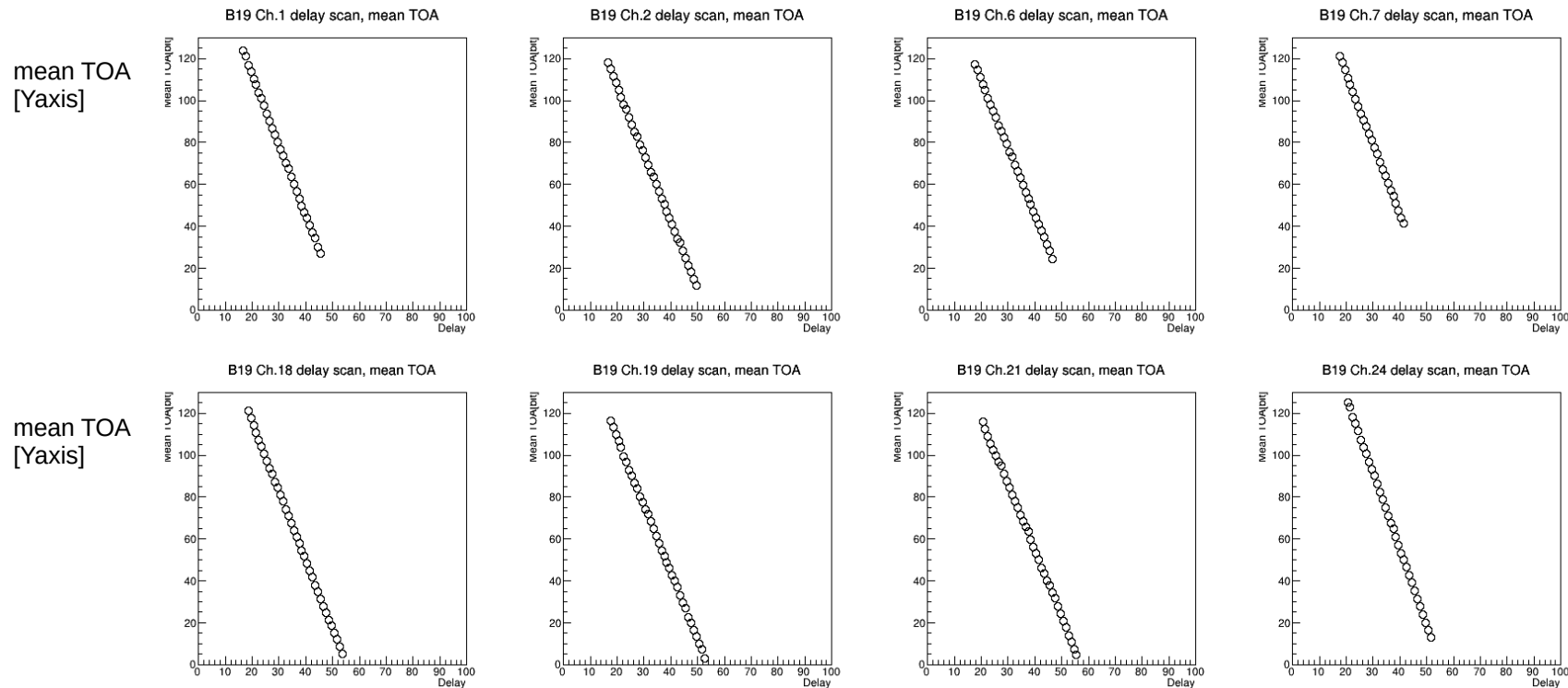
TZ

TDC measurements (B19)

- Delay scan**

$Q = 30[25\text{fC}]$ for all channels

- each delay bit[10ps], using slope and delay bit to determine TOA LSB

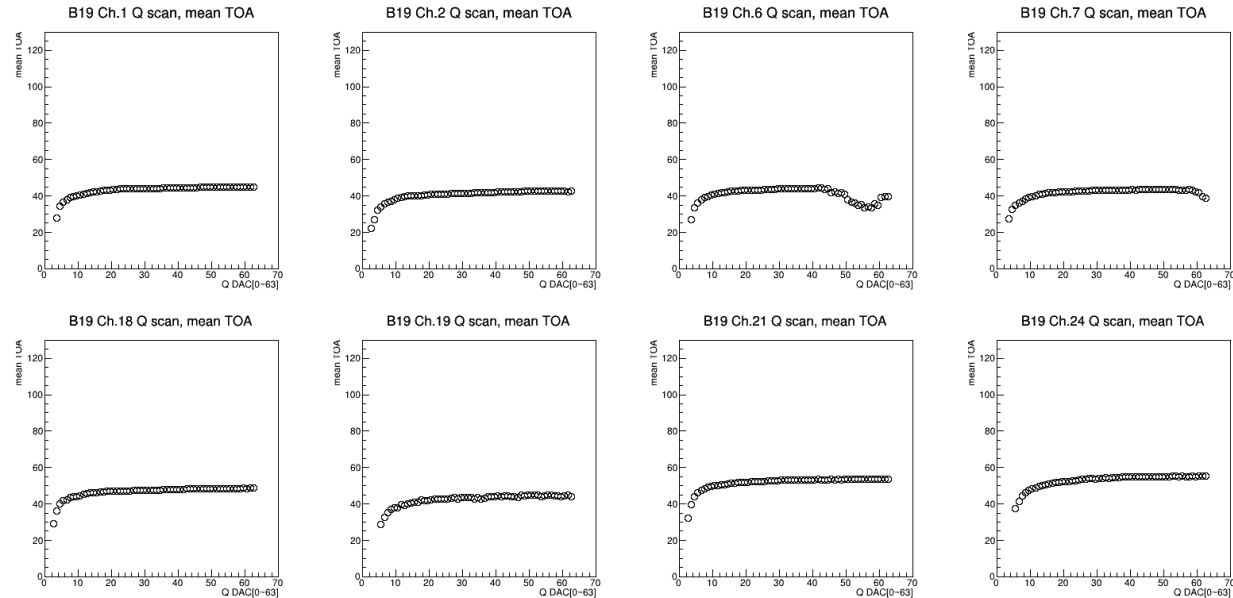


CHID	01	02	06	07	18	19	21	24
Corrected LSB[ps]	28.59	29.79	30.02	28.65	28.98	29.9	30.32	26.32

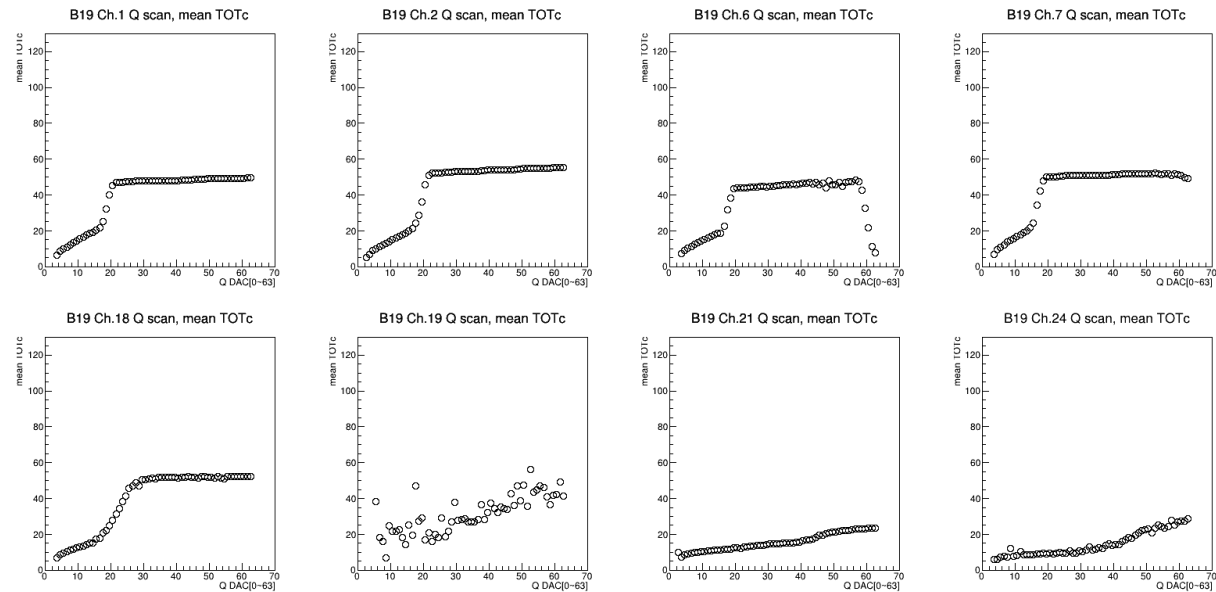
TDC measurements (B19)

Charge scan

Mean TOA[bit] v.s. Q
time walk effect



Mean TOT[bit] v.s. Q
The saturation start
~ Q = 25bit(21fC)

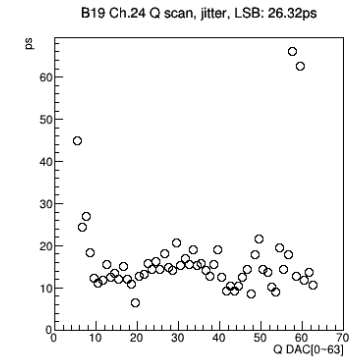
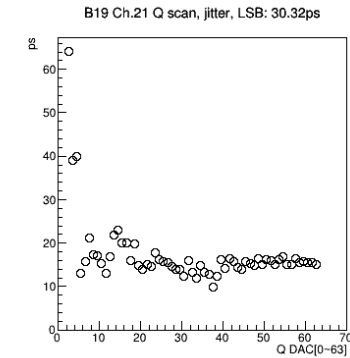
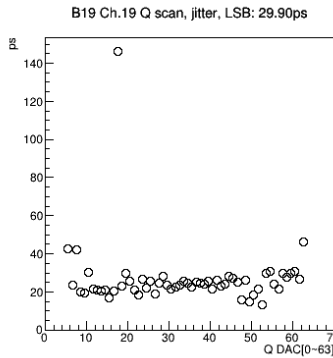
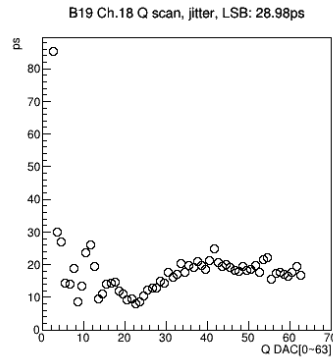
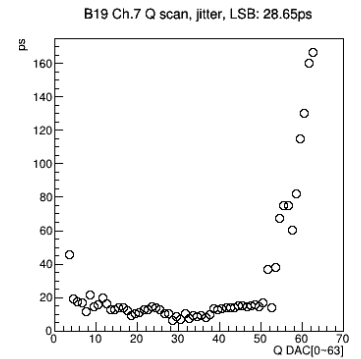
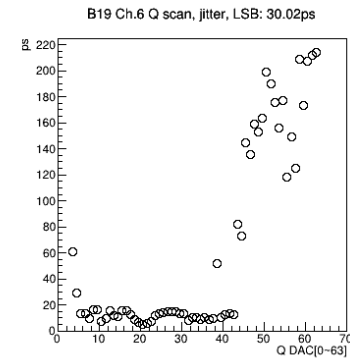
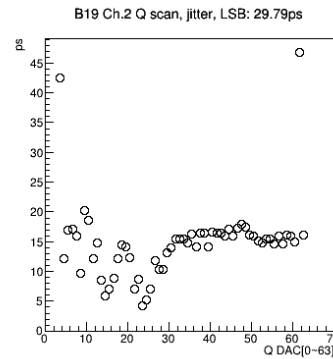
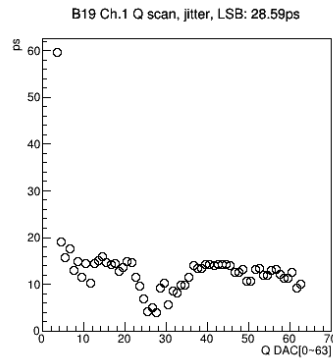


TDC measurement (B19)

Charge scan

jitter[ps] v.s. Q

jitter: 15~20 ps
Calculated from
determined LSB[~30ps]





conclusion

- The determined LSB value for each TDC is $\sim 30\text{ps}$.
- Most channel have saturated issue, as $Q > 21$, shown in the charge scan
- The average jitter for each channel is $15\sim 20\text{ps}$. All these 8 TDC performance are uniform
- Measure the signal by TOA & TOT
- B30 has problem on TOA measurements, still investigated.
- Beta source and infrared laser measurement will conducted in future.

Simulation of pixel sensor

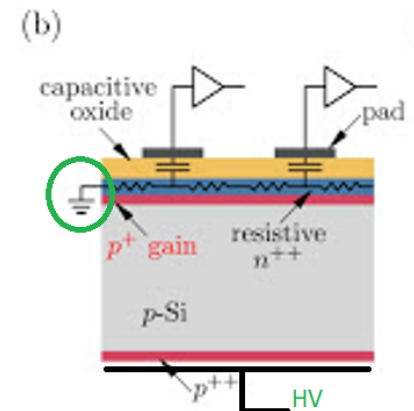
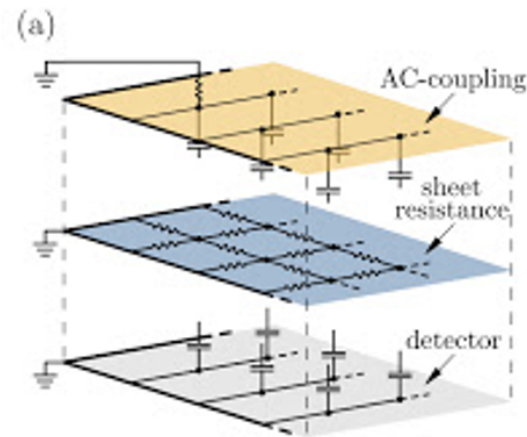
- Maxime build a electronics model about 5x6 pixel sensor
- Simulate the preamp(TZ) output with different inject points
- To know the spatial resolution difference between ADC 8 & 10 bit

y pos

5	24	25	26	27	28	29
4	18	19	20	21	22	23
3	12	13	14	15	16	17
2	6	7	8	9	10	11
1	0	1	2	3	4	5
	1	2	3	4	5	6

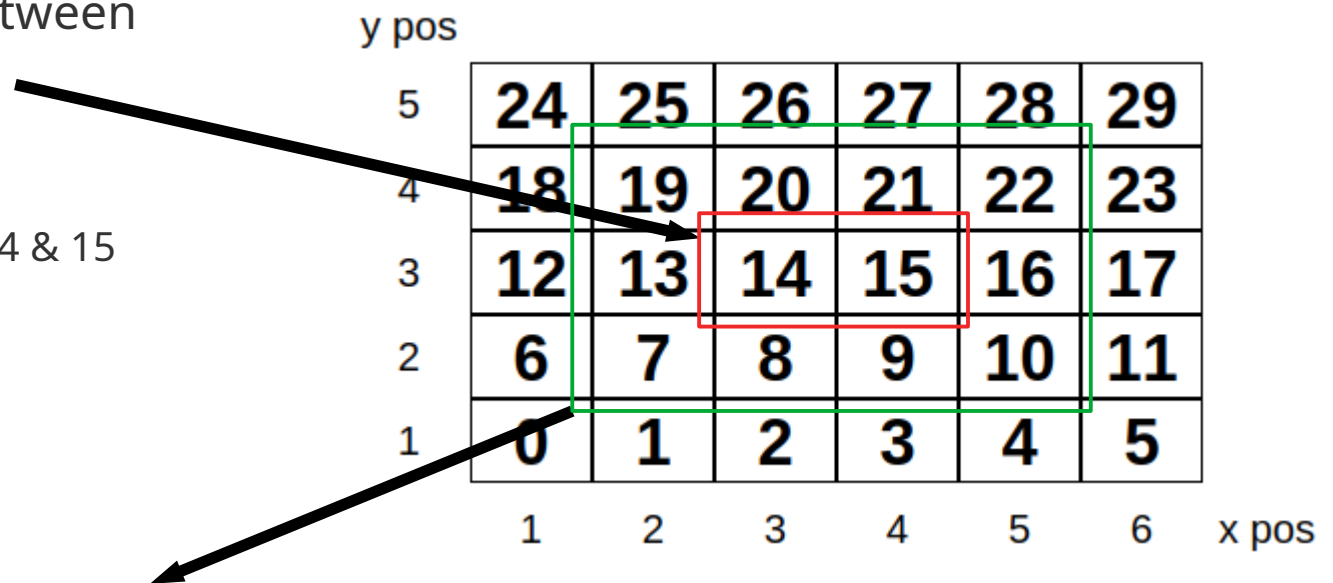
x pos

Inject E(19fC) between ch.14 & 15



Simulation of pixel sensor

- 30 pixels in single pad
- Extract the data(voltage) from excel(Maxime) and draw them in 2D plot
- Each pixel connect each other with resistor
Rsheet: 100Ω , $1k\Omega$, $2k\Omega$, $5k\Omega$, $10k\Omega$
- E injection point between pixel 14 & 15, and
ratio: 0 -> totally on 14
ratio: 1 -> totally on 15
ratio: 0~1 -> between 14 & 15



We only consider these 12 channels (3x4 region)
when we reconstruct the injected point

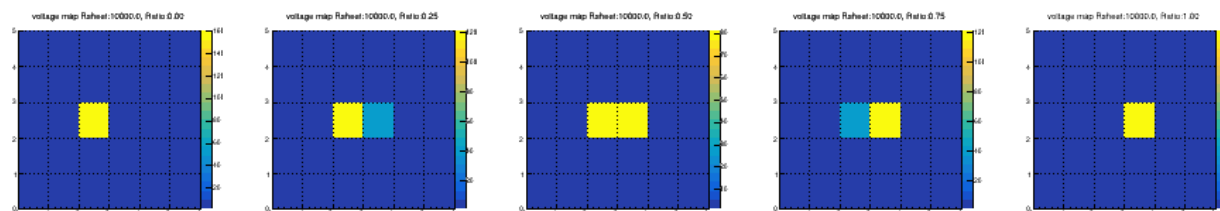
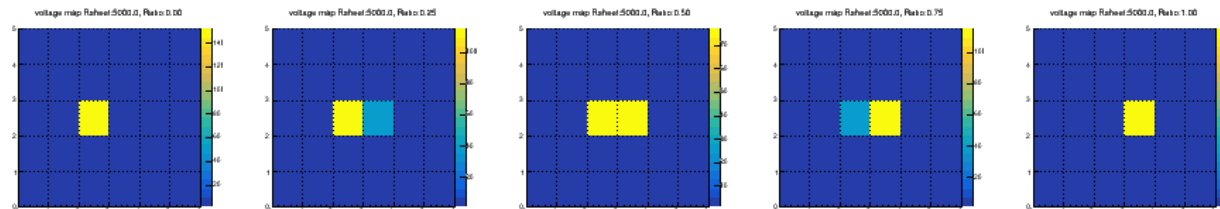
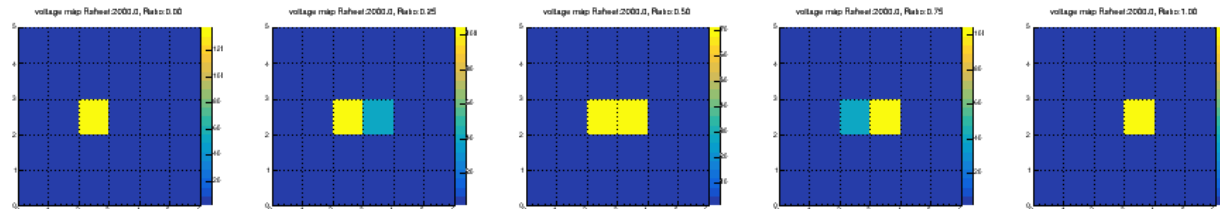
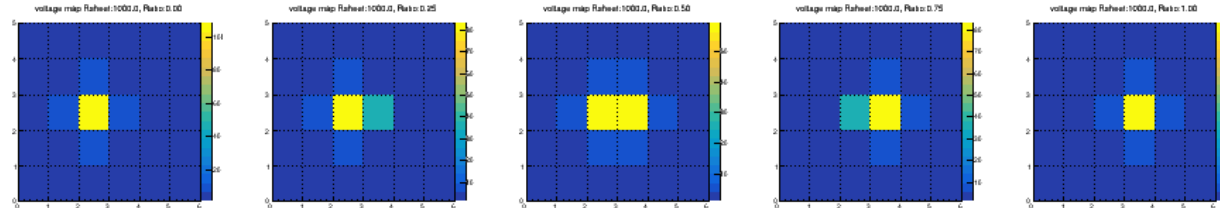
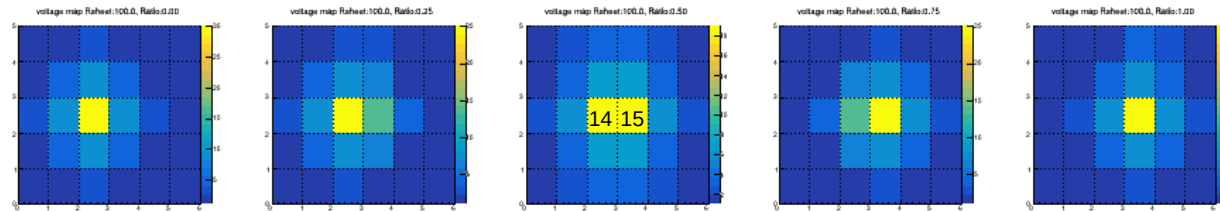
Simulation

Ratio: 0



Ratio: 1

Rsheets: 100Ω



Rsheets: 10kΩ

y pos

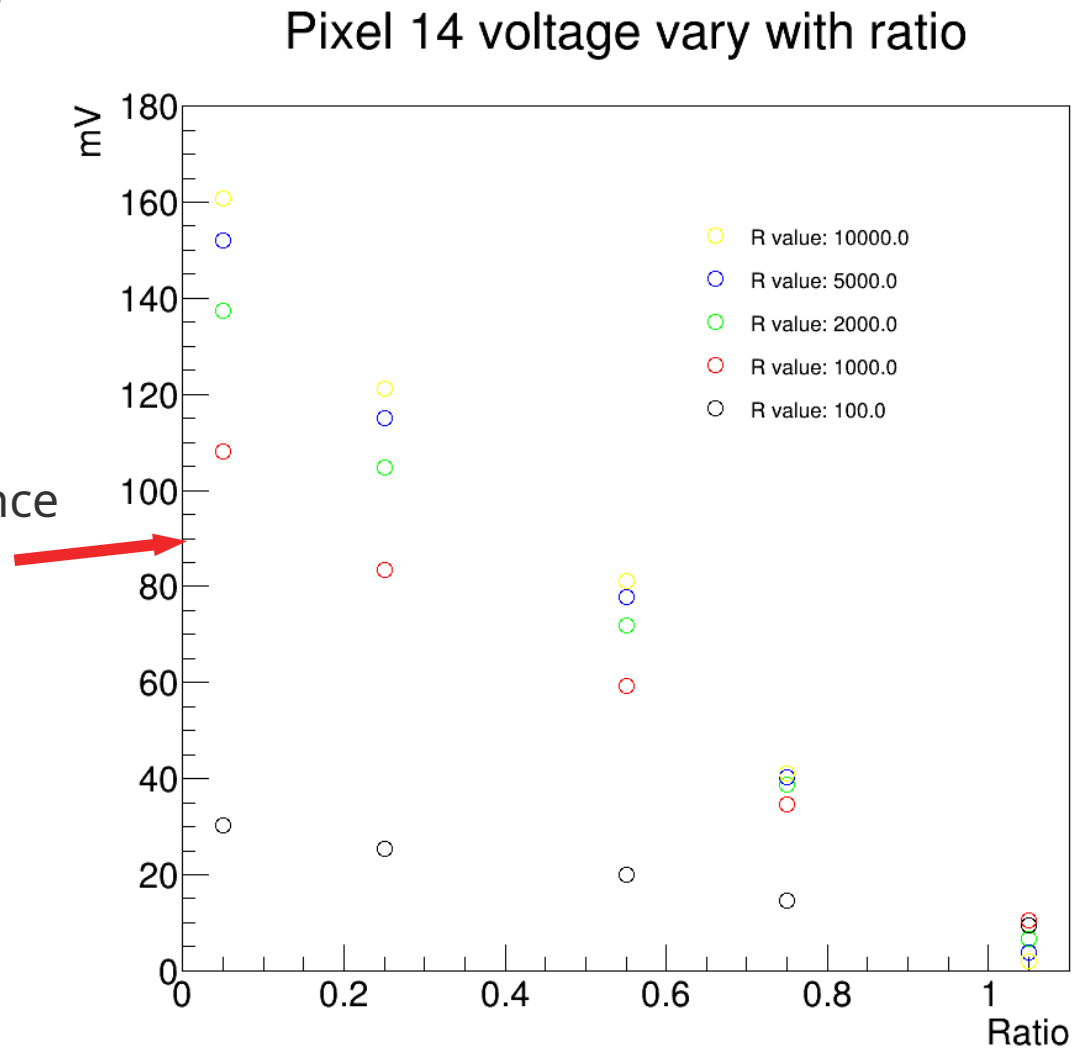
5	24	25	26	27	28	29
4	18	19	20	21	22	23
3	12	13	14	15	16	17
2	6	7	8	9	10	11
1	0	1	2	3	4	5

1 2 3 4 5 6 x pos

Draw Maxime simulation data followed above map

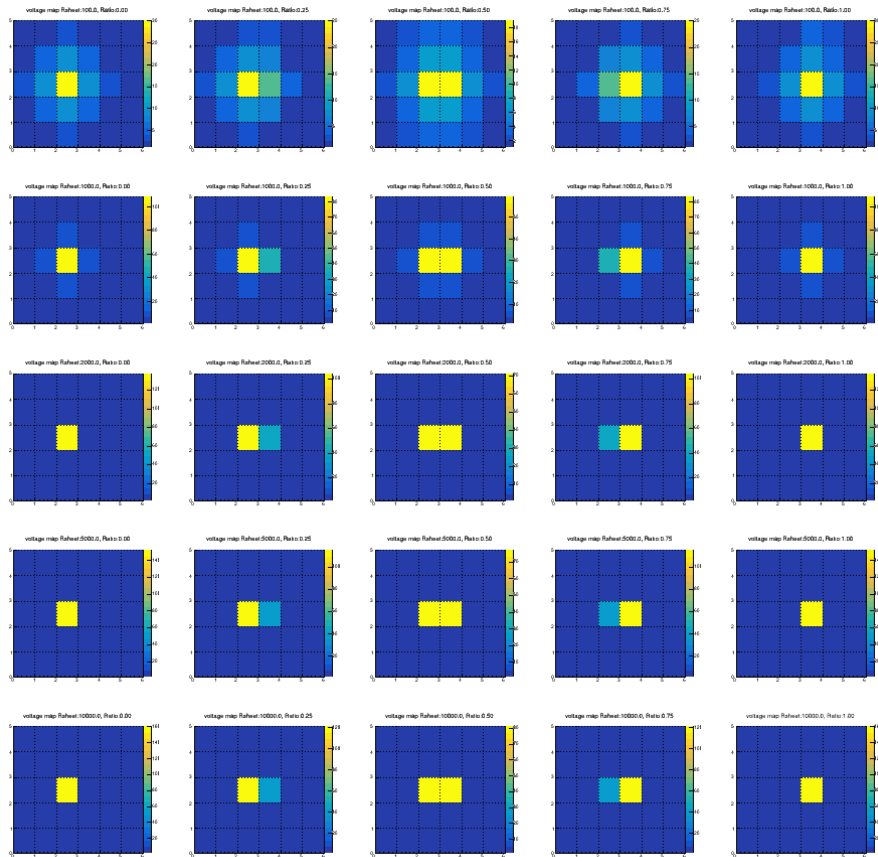
Linearity vs ratio

- We can estimate the amplitude at any given ratio between 0~1
- The significant Amp difference between different R value.

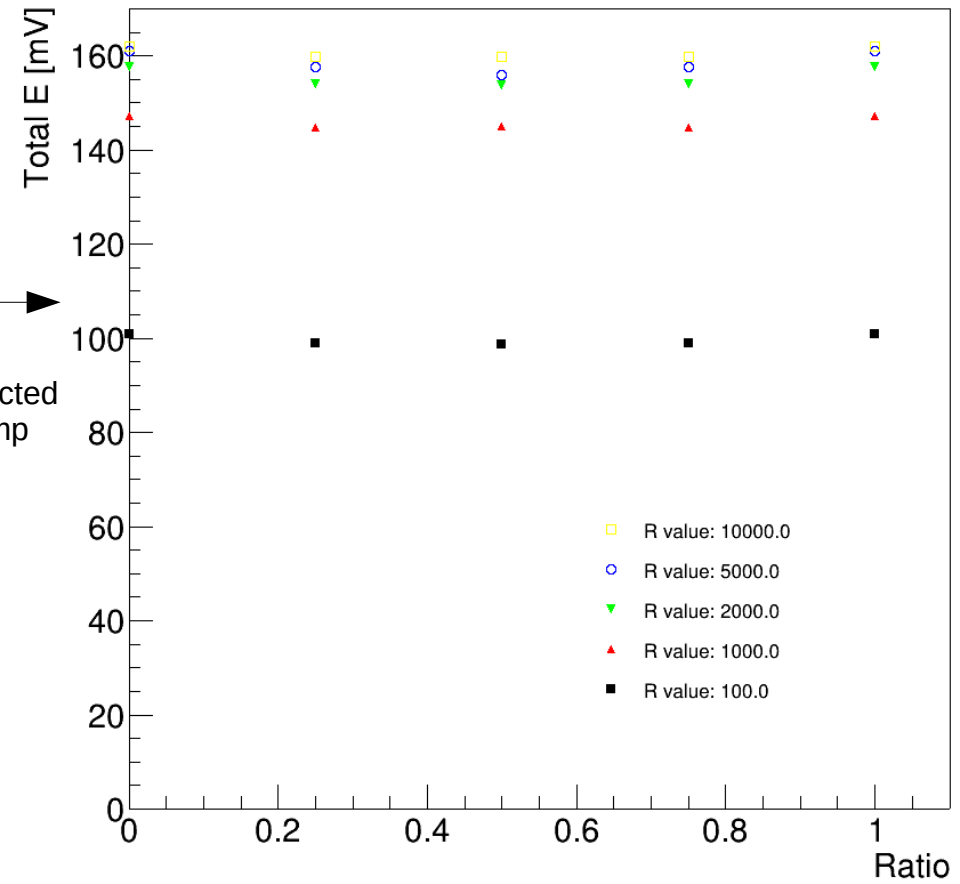


From Maxime simulation data without subtraction and scaling

Total E



Sum up
all subtracted
pixels' Amp

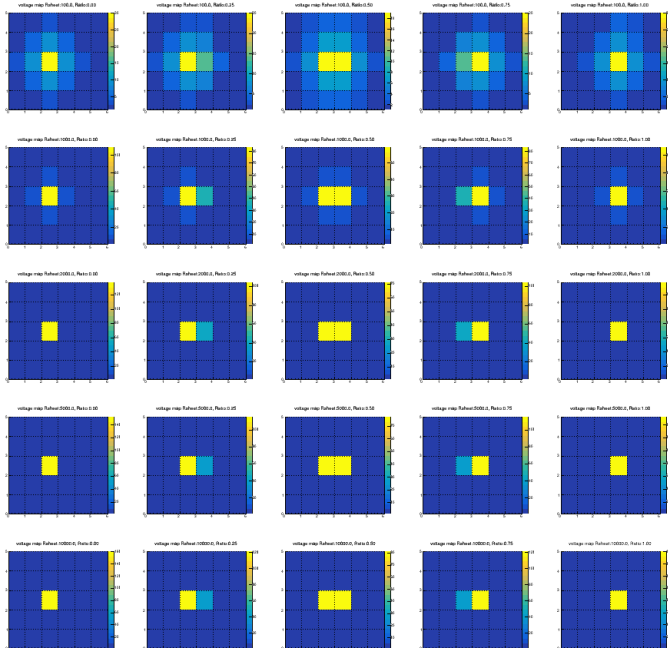


Rsheet100 -> Scale 1.6
Rsheet1000 -> Scale 1.1

Simulation

- Reconstruct inject position:

$$\sum(\text{Pos}_i * V_i) / \sum V_i$$
- 3 different cases for Maxime data:
 - Reconstruct with all pixels without subtraction
 - Reconstruct with all pixels with subtraction
 - Reconstruct with 3x4 pixels with subtraction



Ratio				
0	0.25	0.5	0.75	1

0.116	0.301	0.503	0.707	0.888
0.103	0.3	0.5	0.7	0.897
0.0962	0.285	0.5	0.715	0.904
0.0941	0.289	0.5	0.711	0.906
0.0934	0.296	0.5	0.704	0.907

100



10000

-0.0271	0.226	0.504	0.785	1.03
0.00177	0.249	0.5	0.751	0.998
0.000273	0.233	0.5	0.767	1
-0.000267	0.239	0.5	0.761	1
-0.000556	0.249	0.5	0.751	1

100



10000

0.0842	0.292	0.502	0.711	0.919
-0.000246	0.247	0.5	0.753	1
-0.000311	0.232	0.5	0.768	1
-0.000329	0.239	0.5	0.761	1
-0.000339	0.249	0.5	0.751	1

100



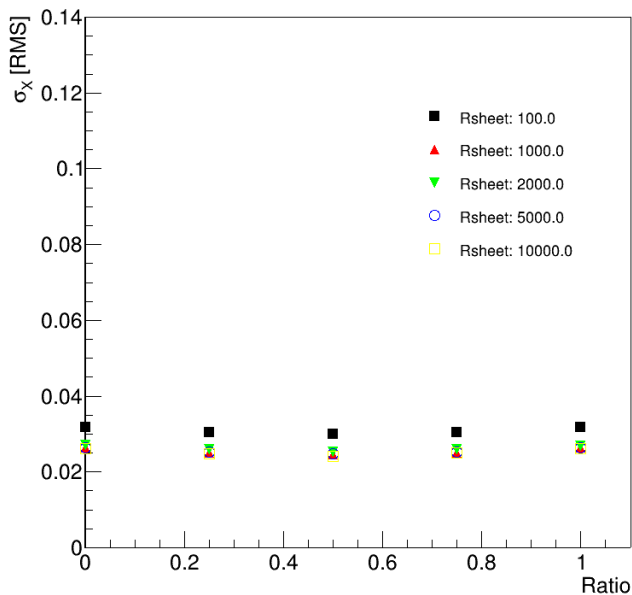
10000

Reconstructed ratio

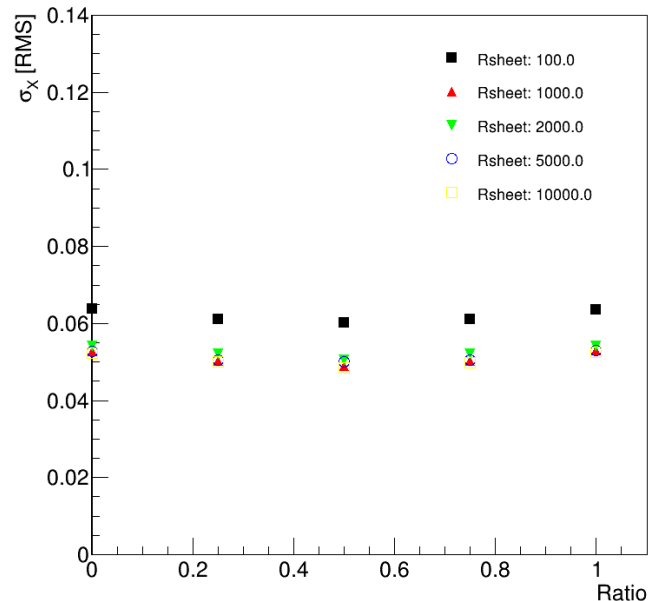
Simulation

- Add noise to each pixel independently.
- noise_i : $\text{Gaus}(\text{mean: } 0\text{mv, width: } 1, 2, 4\text{mv})$
 $\Sigma(\text{Pos}_i * (V_i + \text{noise}_i)) / \Sigma(V_i + \text{noise}_i)$, V_i : Maxime data after the zero subtraction
When $R_{\text{sheet}}=100\Omega$ & 1000Ω , $\Sigma(\text{Pos}_i * (\text{scale} * V_i + \text{noise}_i)) / \Sigma(\text{scale} * V_i + \text{noise}_i)$, scale 1.6 & 1.1
- The reconstruction only consider 3x4 region

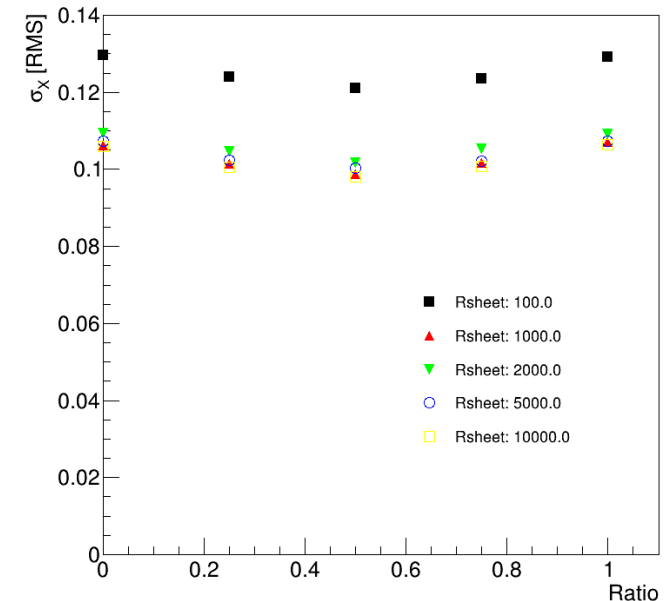
reconstruct resolution @1mV noise



reconstruct resolution @2mV noise



reconstruct resolution @4mV noise



Y-axis in same scale

Simulation

- Smear the injection energy with Landau
- Multiply each pixel voltage with value from Landau distribution

$Lan = \text{Landau}(1., 0.3)$, $noise_i = \text{Gaus}(0, 1\text{mV})$

$\sum(Pos_i * (V_i * Lan + noise_i)) / \sum(V_i * Lan + noise_i)$, V_i : Maxime data after the zero subtraction

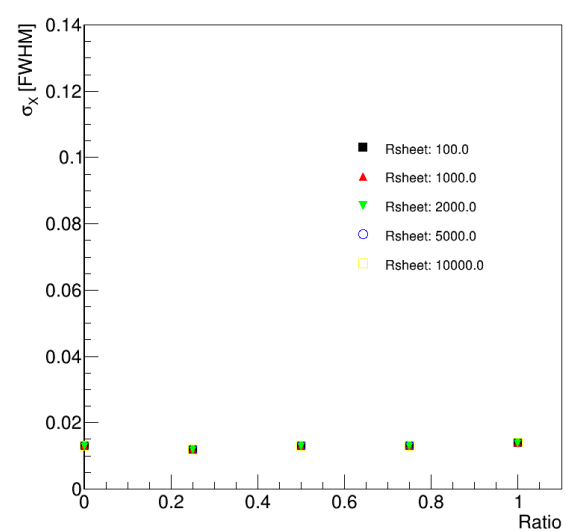
When $R_{sheet}=100\Omega$ & 1000Ω , $\sum(Pos_i * (scale * V_i * Lan + noise_i)) / \sum(scale * V_i * Lan + noise_i)$,
scale 1.6 & 1.1

- The reconstruction only consider 3x4 region
- The position resolution will calculated by FWHM and RMS.

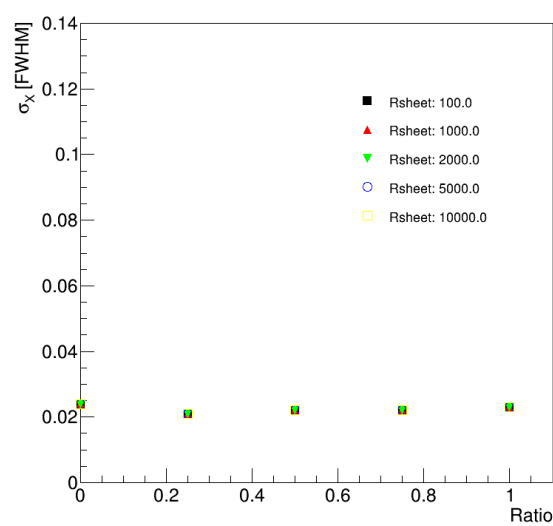
Simulation

Y-axis in same scale

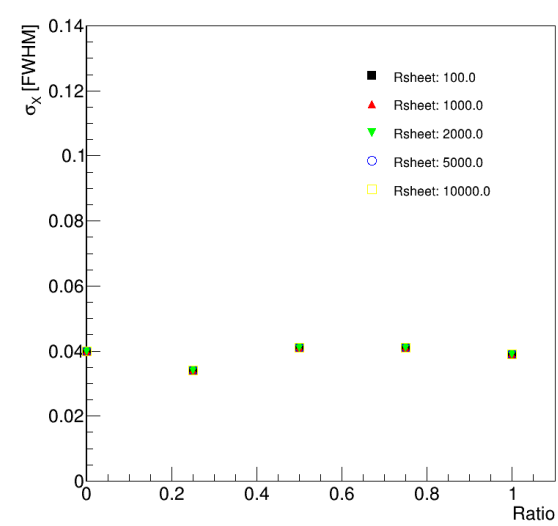
reconstruct resolution @1mV noise and Lan(1, 0.3)



reconstruct resolution @2mV noise and Lan(1, 0.3)

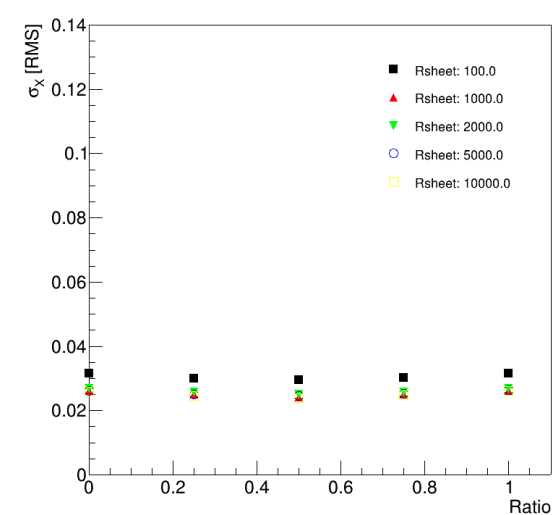


reconstruct resolution @4mV noise and Lan(1, 0.3)

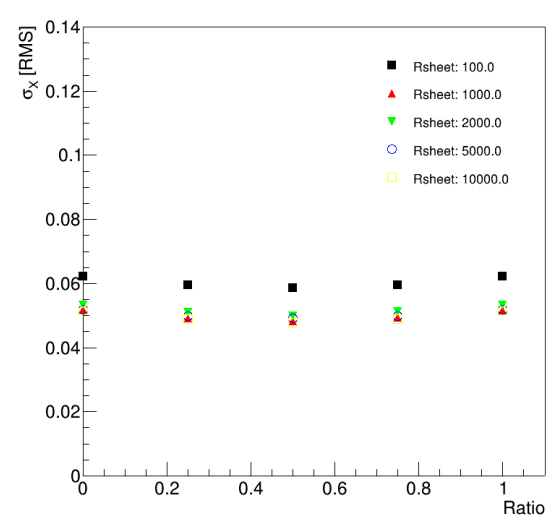


FWHM

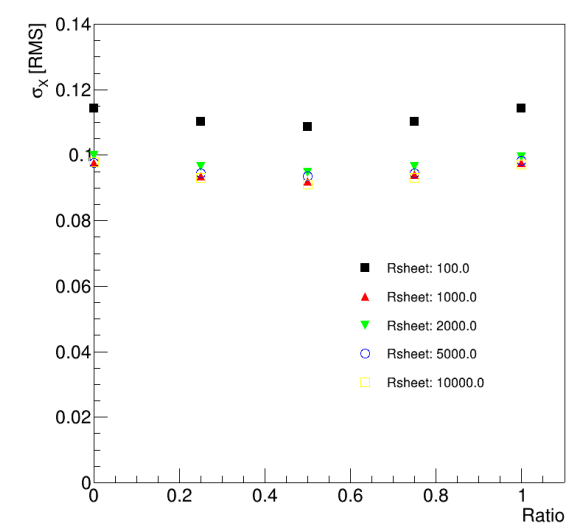
reconstruct resolution @1mV noise and Lan(1, 0.3)



reconstruct resolution @2mV noise and Lan(1, 0.3)



reconstruct resolution @4mV noise and Lan(1, 0.3)



RMS

Lan(1, 0.3), noise: 1mV

Lan(1, 0.3), noise: 2mV

Lan(1, 0.3), noise: 4mV

ADC

- Randomly choose the inject ratio from Uniform(0, 1): R_U (ratio uniform), pixel 14 - 15
- Dynamic range: **1000mV**
- Noise scale: **1** and **4 mV**, Smear with **Lan(1, 0.3)**
- LSB: Dynamic range / $2^{n\text{-bit}}$
- ADC bit: 4, 6, 8, 10, 12
- The reconstruction only consider 3x4 region
- Calculate the amplitude of pixel_i:

$\text{Amp}_{i, \text{analog}} = [V_{i,0} + (V_{i,1} - V_{i,0}) \times R_U] \times \text{Lan}(1, 0.3) + \text{Gaus}_i(0, 1)$, Rsheet100, 1000 need to be scaled

$\text{Amp}_{i, \text{digital}} = \text{Ceil}[(\text{Amp}_{i, \text{analog}} + 5 \times 1\text{mV}) / \text{LSB}]$ (non saturated case)

$\text{Amp}_{i, \text{digital}} = \text{Ceil}[1000 / \text{LSB}]$ (saturated case)

- Reconstruct the position:

$$\sum(\text{Pos}_i \times \text{Amp}_{i, \text{digital}}) / \sum(\text{Amp}_{i, \text{digital}})$$

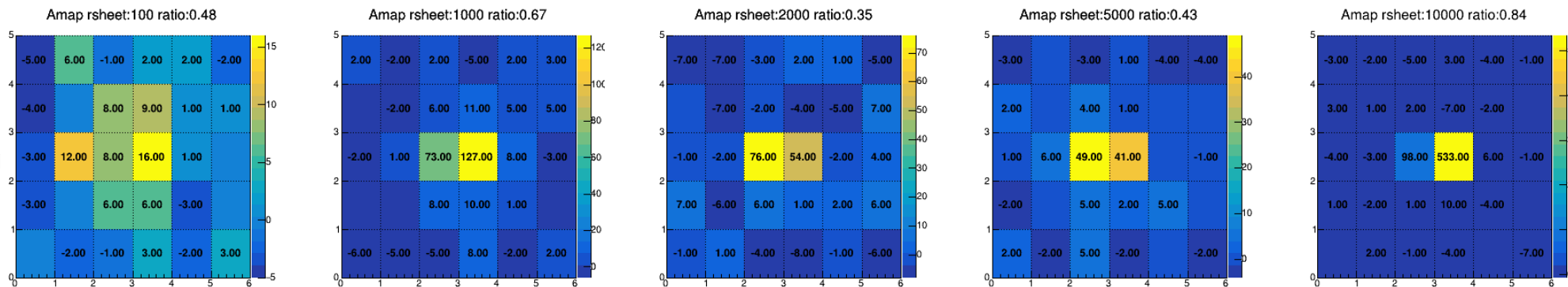
Simulation

- Saturation means the amplitude > dynamic range[**1000mV**] and,
 $\text{Satur.}[\%] = \# \text{saturated} / 1\text{M}$
- The analog and digital map comparison

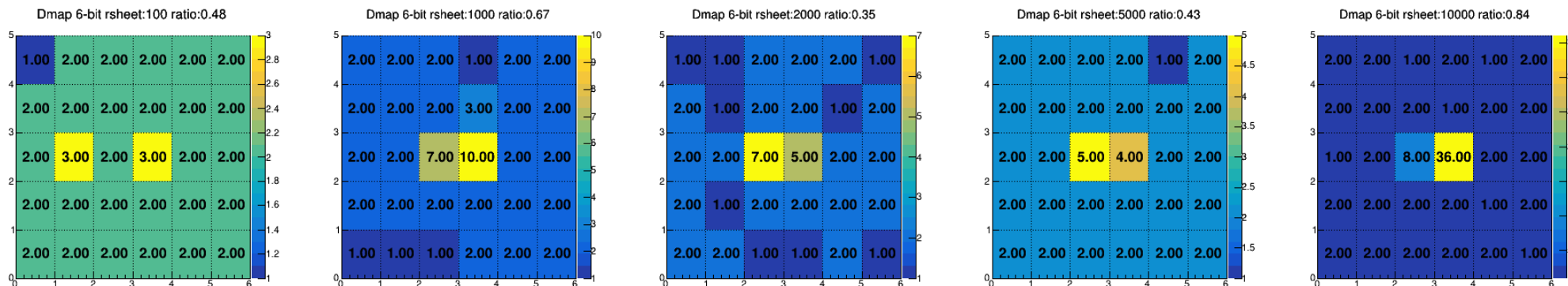
Rsheets	100	1000	2000	5000	10000
Satur.[%]	1.3%	3.4%	3.9%	4.3%	4.7%

Lan(1, 0.3), noise level: 4mV

Analog



6-bit



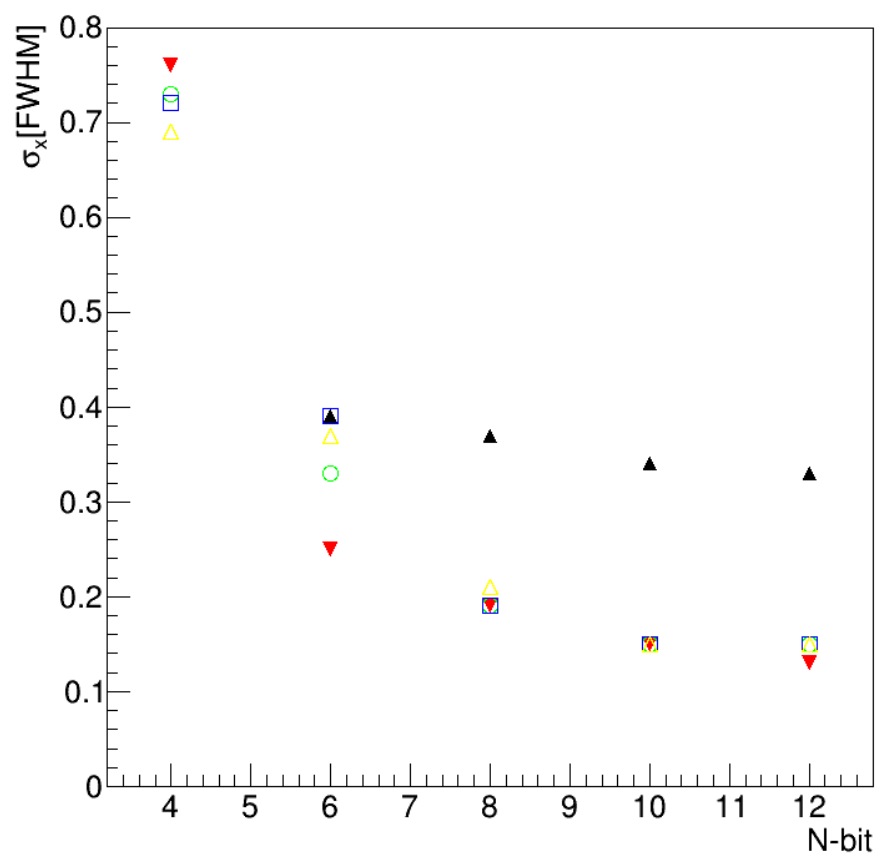
1 LSB for 6-bit = 15.625mV

And there is 5-sigma shift($5 \times 4\text{mV} = 20\text{mV}$) for the pedestal
the digital noise would around 2bits.

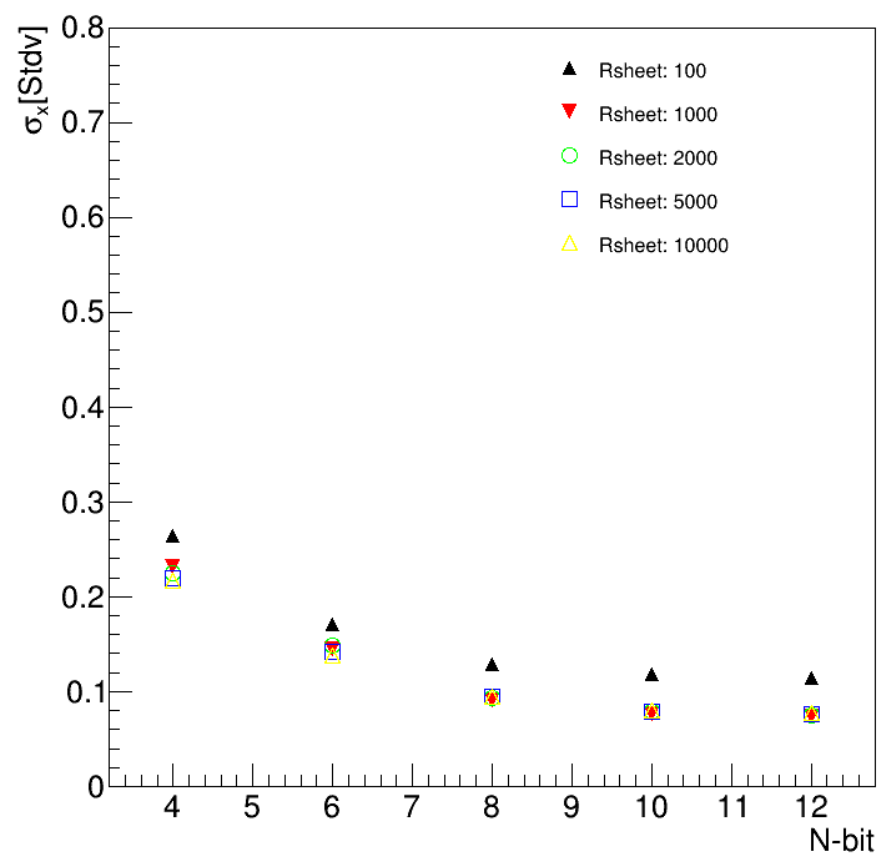
Simulation ADC

Smear with Lan(1, 0.3)
Noise: 1mV

Pos Reso[FWHM] @ N-bit and different Rsheet



Pos Reso[Stdv] @ N-bit and different Rsheet

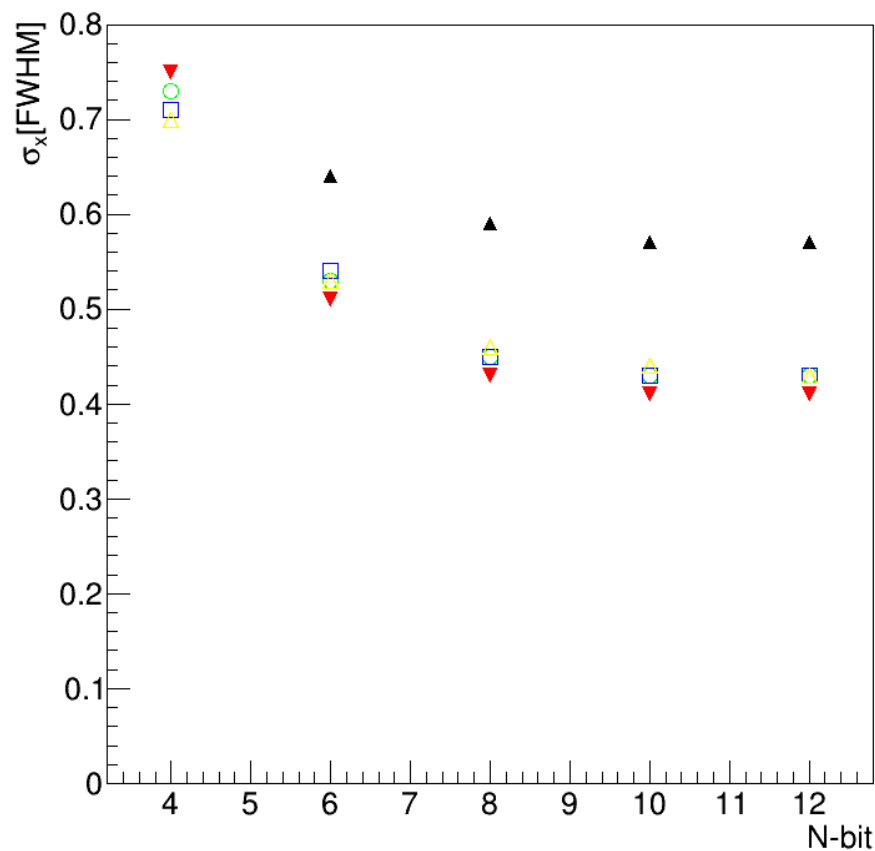


Y-axis in same scale

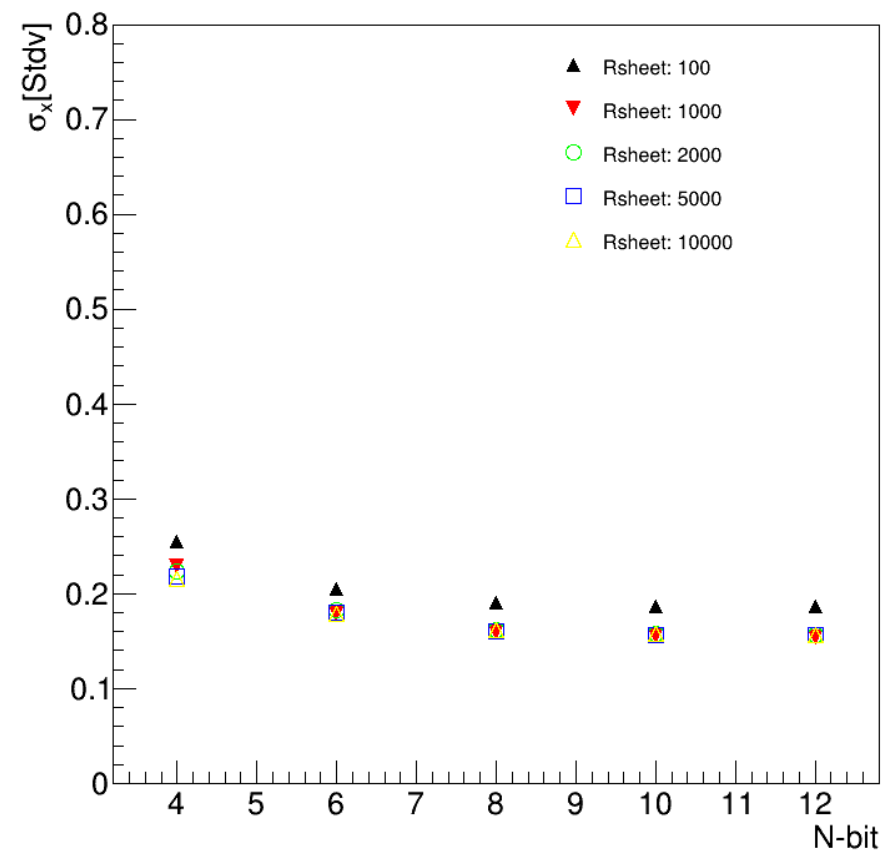
Simulation ADC

Smear with Lan(1, 0.3)
Noise: 4mV

Pos Reso[FWHM] @ N-bit and different Rsheet



Pos Reso[Stdv] @ N-bit and different Rsheet



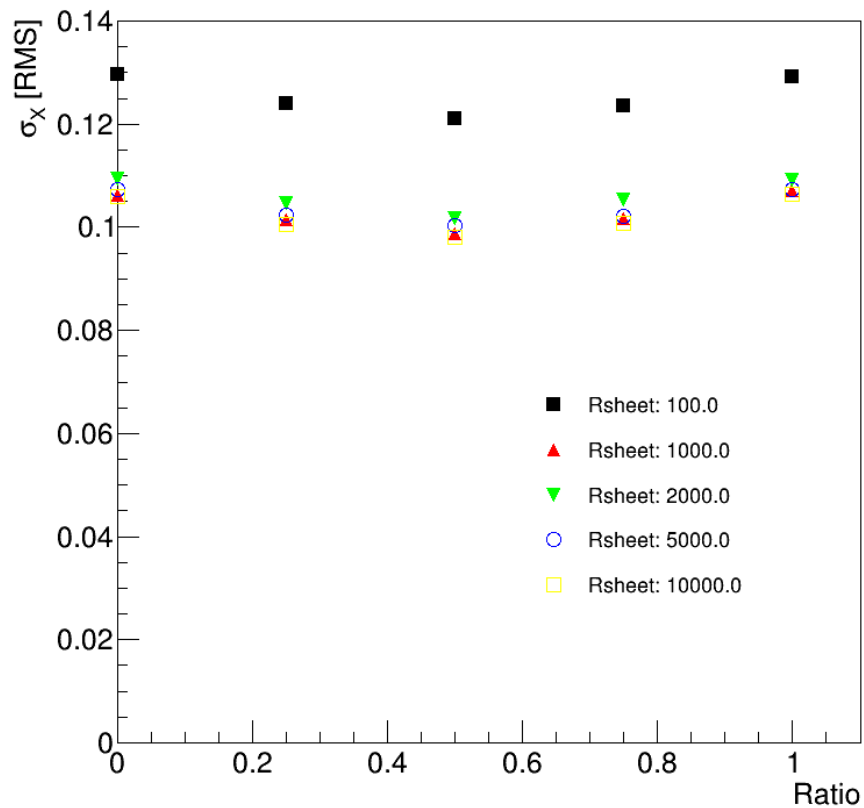
No significant difference between 1mV and 4mV noise level @ 4-bit case.
Since the LSB for 4-bit case is 62.5mV is much larger than change of noise.

Conclusion

- The smaller noise and higher ADC-bit give the better resolution
 - 8 & 10 bit has 10% difference between noise @ 1mV and 4mV for [RMS]
 - 8 & 10 bit has 25% difference between noise @ 1mV and 4mV for [FWHM]
- The resolution[FWHM] difference between 10 and 8-bit is ~ 5% pixel width.
- The small Rsheet value(100) have too much sharing to reconstruct well.

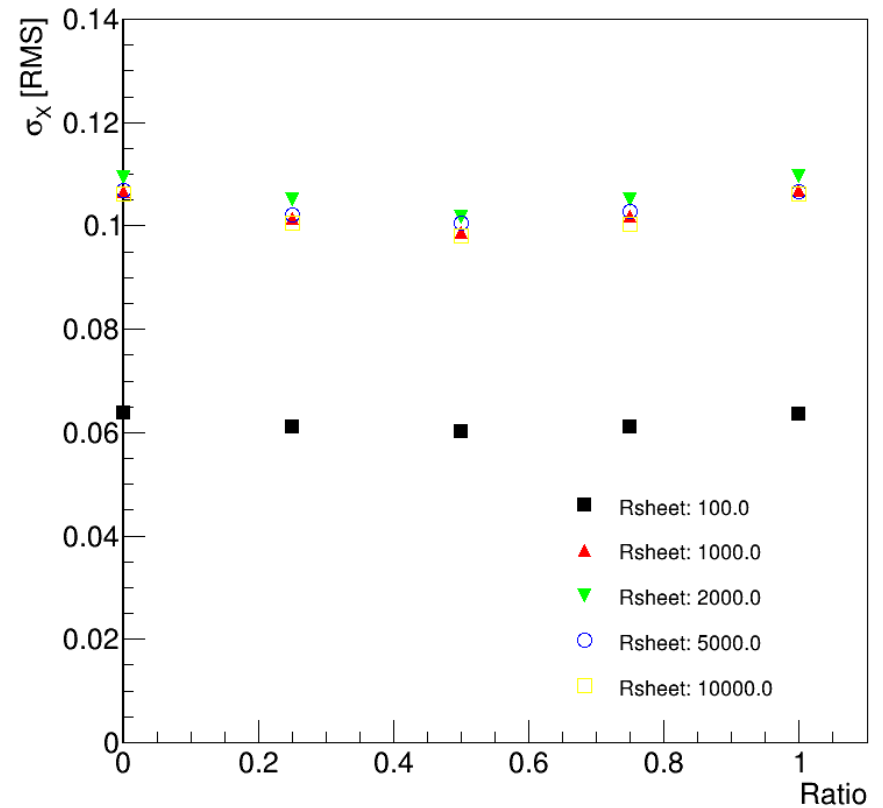
Backup

reconstruct resolution @4mV noise



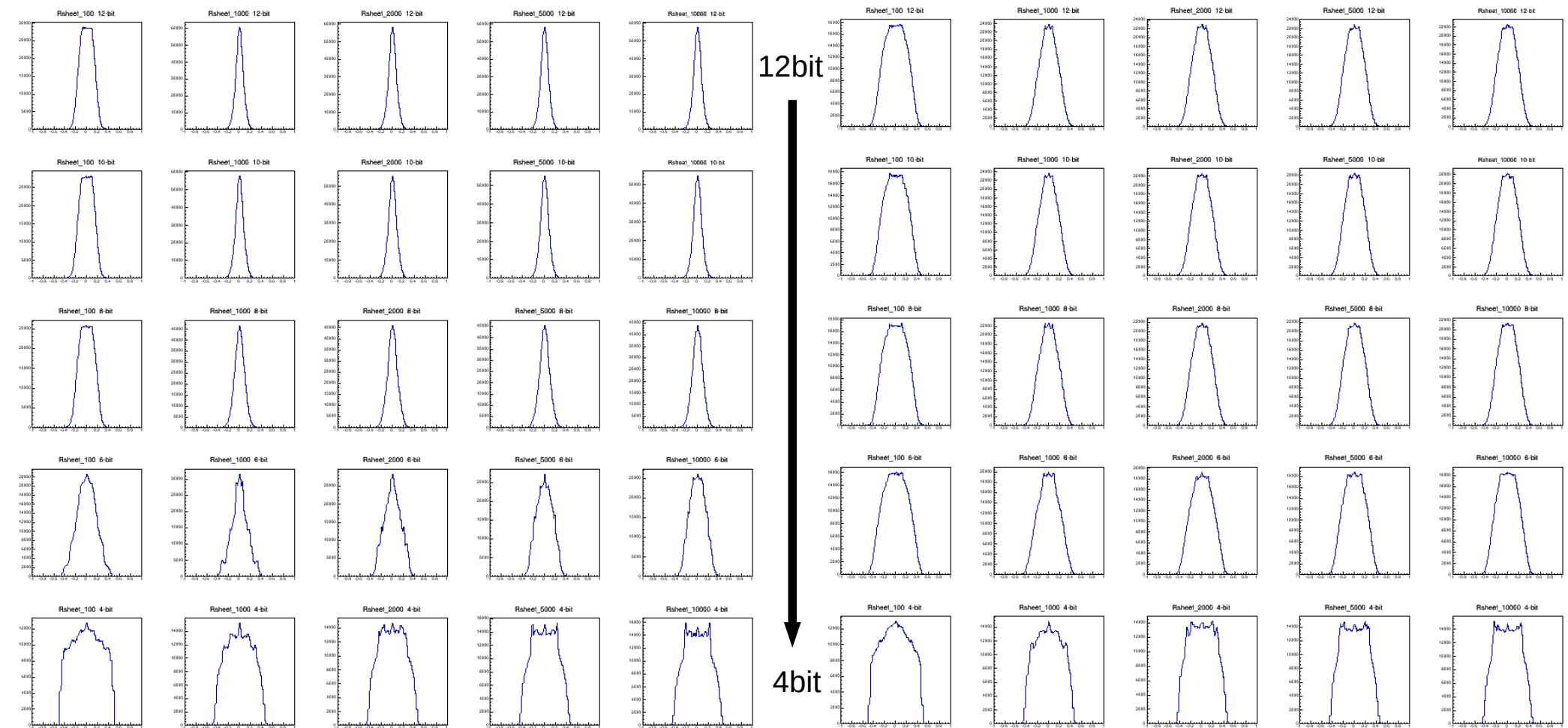
Scale amp of all pixels in Rsheet100 with 1.6

reconstruct resolution @4mV noise



Scale amp of all pixels in Rsheet100 with 3.2

Backup



Rsheets 100 → Rsheets 10000

1mV noise

Rsheets 100 → Rsheets 10000

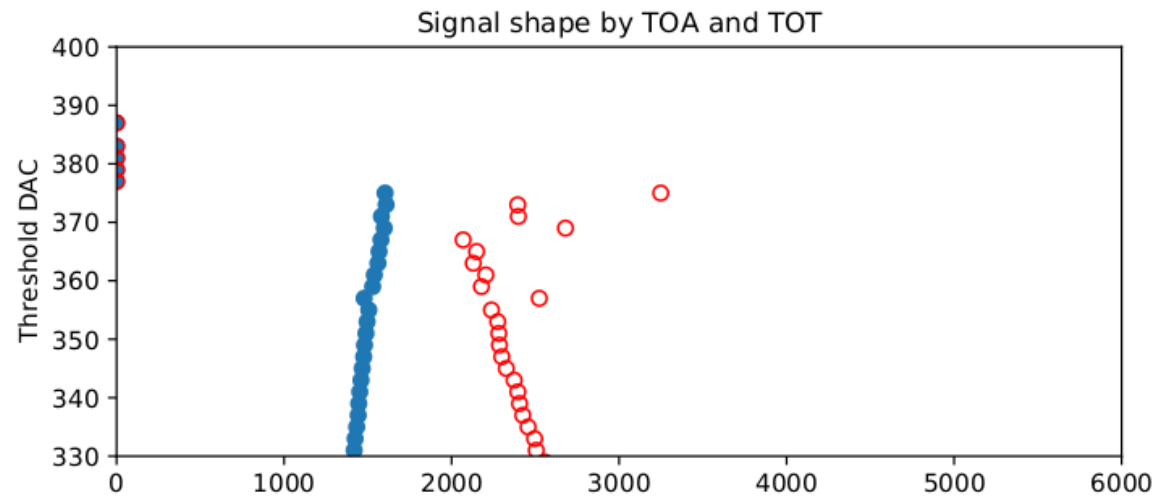
4mV noise

31 / 34

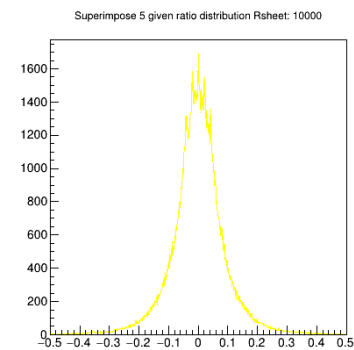
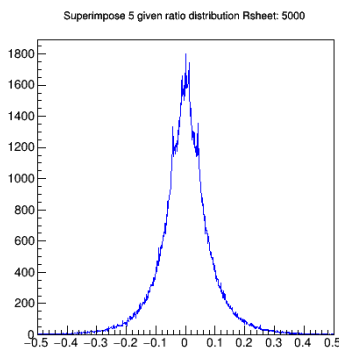
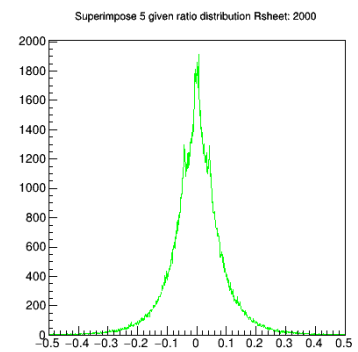
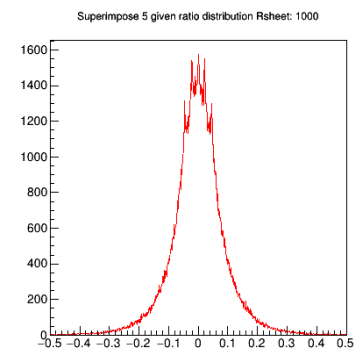
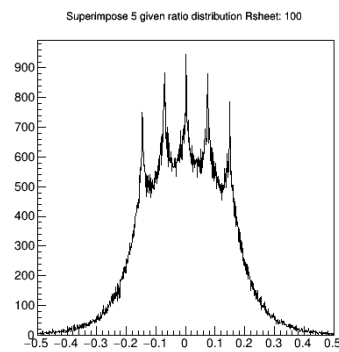
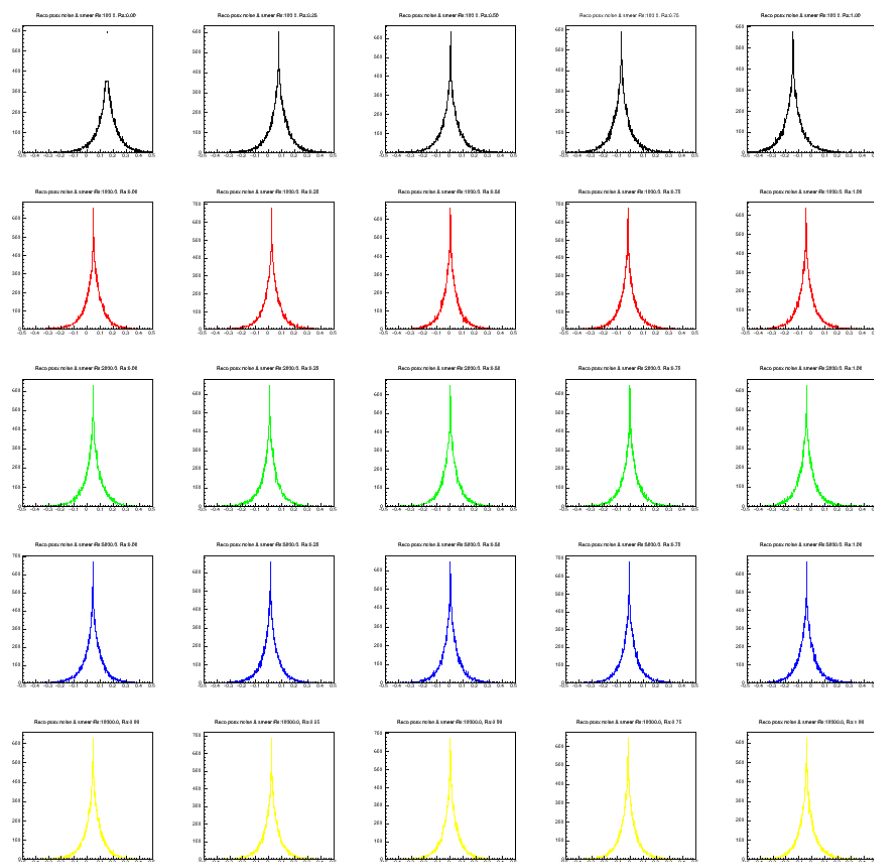
Backup - Testboard

TOA LSB: 30ps TOT LSB: 160ps

Ch02, Q = 3
Delay = 2450
Cd = 0



Backup - simulation p22 & 26

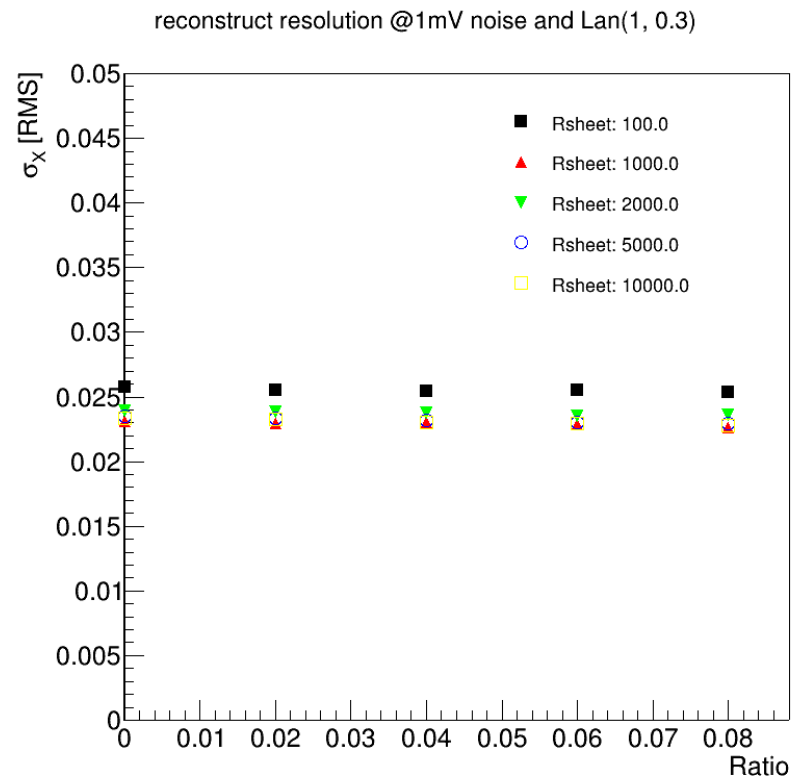
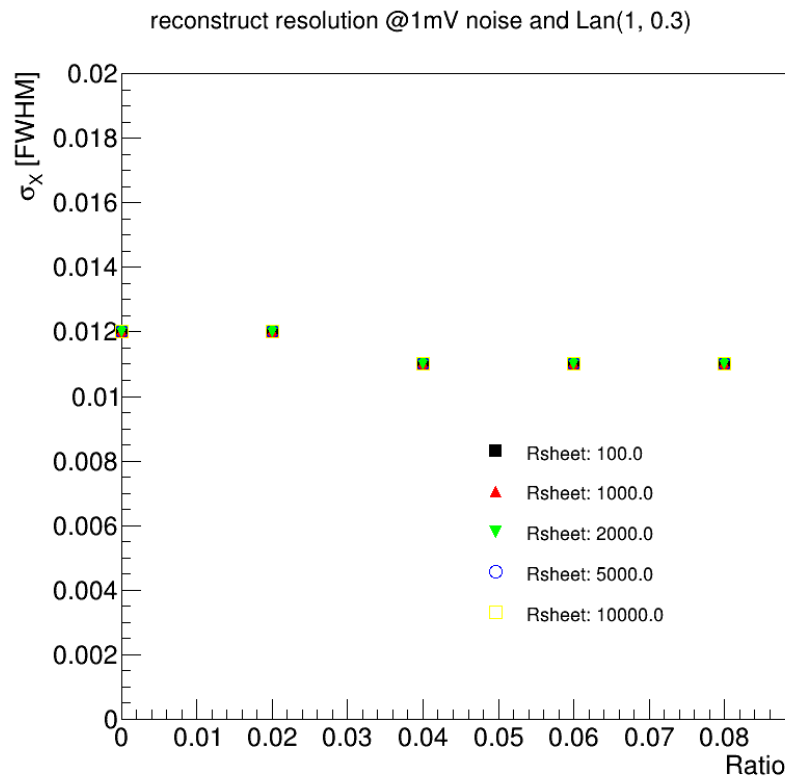


5 given ratio [0, 0.25, 0.5, 0.75, 1]

superimpose →

Backup - Simulation specific small ratio

- compare with p22 ratio[0, 0.25, 0.5, 0.75, 1]



- ratio[0, 0.02, 0.04, 0.06, 0.08]