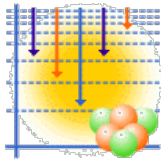




Inclusion of Absolute γ -ray Emission Probabilities in ENSDF Decay Data

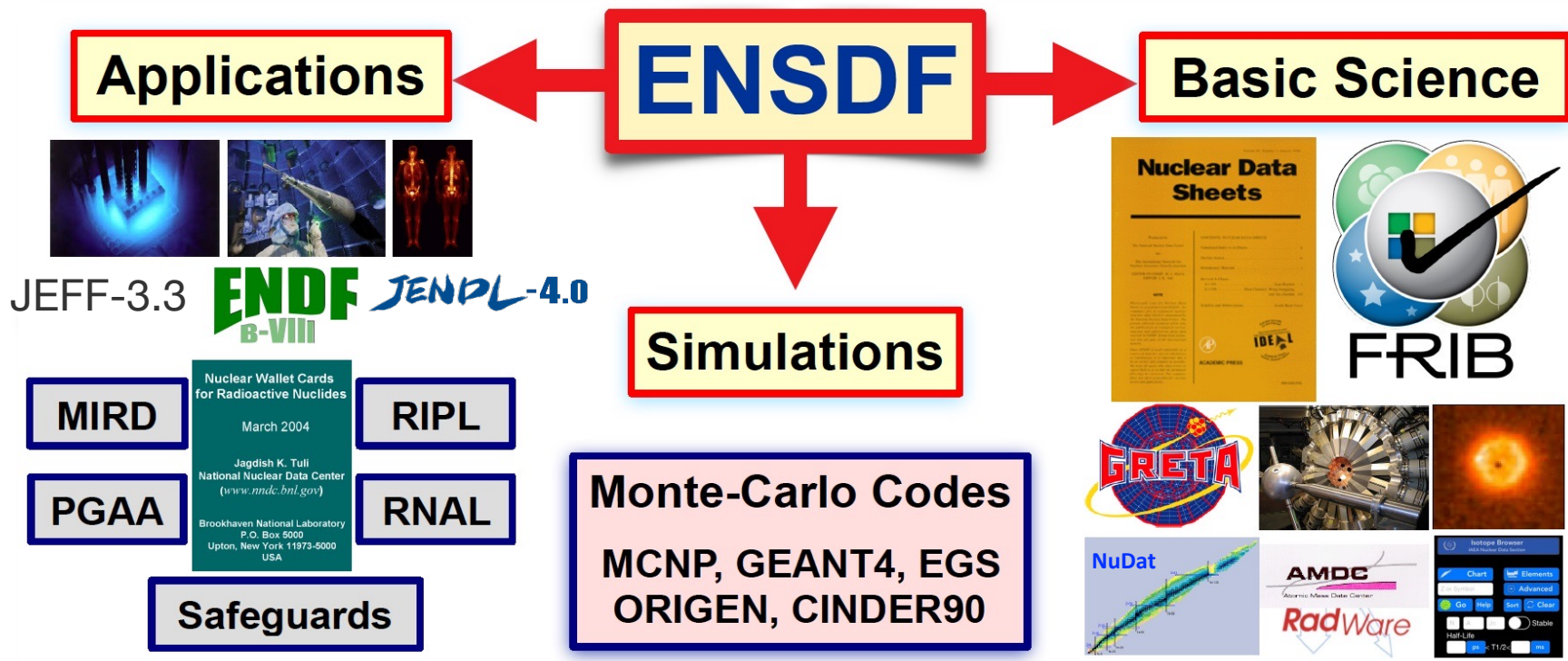
F.G. Kondev

Physics Division, Argonne National Laboratory



- a proposal [F.G. Kondev (ANL), T. Kibedi (ANU) & E. Browne (LBNL)] was made at the 21th Meeting of the NSDD Network, Vienna, Austria 2015, but was not adopted - it was recommended that the necessary computational infrastructure is developed and tested prior the adoption
- a lot of progress was made since 2015 with the modernization and improvement of existing ENSDF codes [IAEA ENSDF-codes development project and effort from T. Kibedi (ANU) and J. Chen (MSU)] - we (Tibor, Jun and I) would like to bring the proposal to the next NSDD meeting for discussion and its adoption as a policy

ENSDF decay data



- for many applications one needs absolute γ , β , α , CE, etc. emission probabilities, e.g. **%radiation per decay of the parent**
 - ✓ $\% \alpha$ decay involves discrete radiations – no problem (in general)
 - ✓ $\% \gamma$ and $\% \beta$ are mostly determined from the decay scheme, while CE, X-ray, Auger are derived - deduced from $\% \gamma$ and ICC

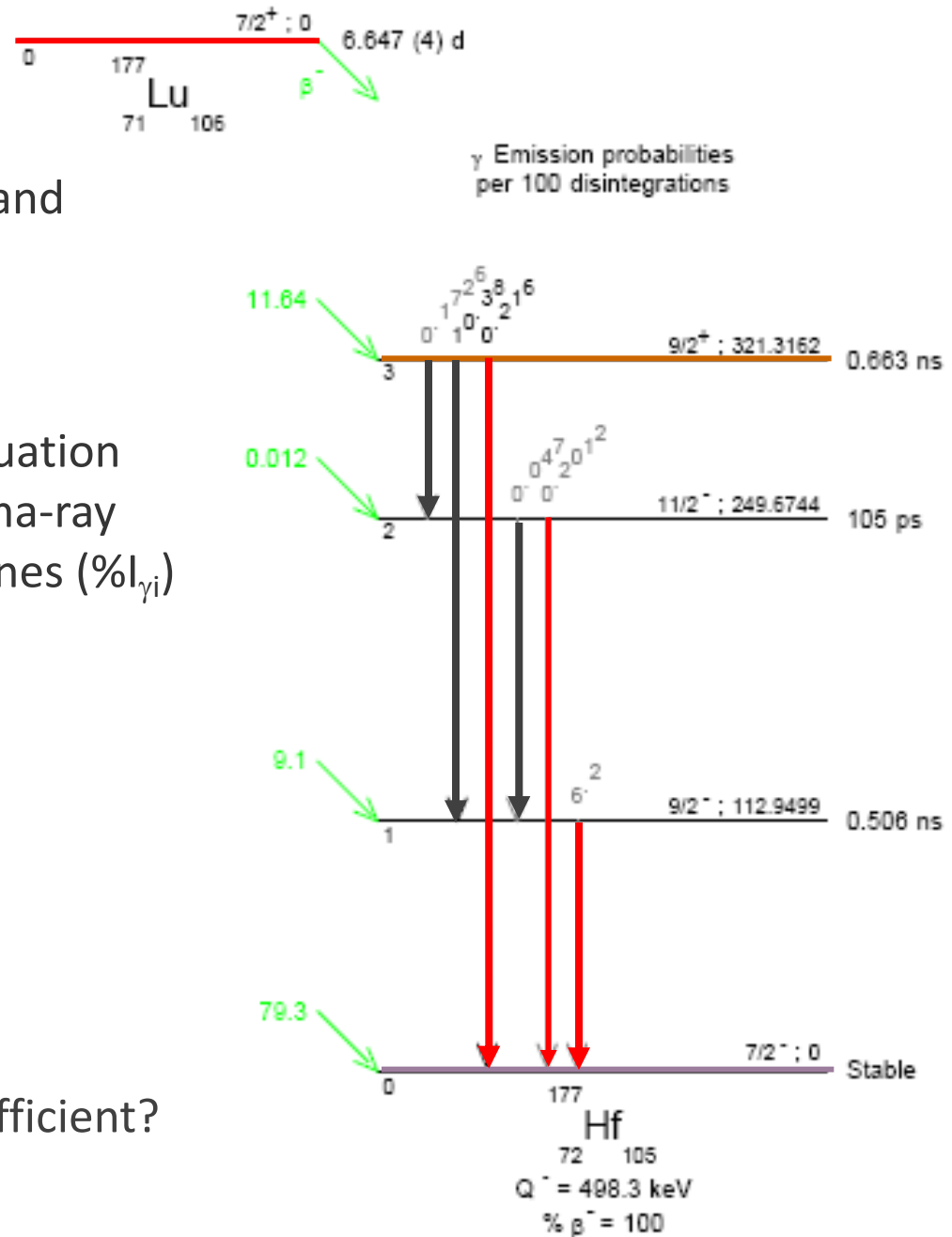
- ✓ what actually the authors measure and publish are relative γ -ray emission probabilities ($I_{\gamma i}$)
- ✓ crucial part of the nuclear data evaluation work is to convert the relative gamma-ray emission probabilities to absolute ones ($\%I_{\gamma i}$)

$$NR = \frac{(100 - I_{\beta 0})}{\sum I_{\gamma i} \times (1 + \alpha_{Ti})}$$

$$\%I_{\gamma i} = NR \times I_{\gamma i}$$

in ENSDF

providing NR and relative I_{γ} seems sufficient?



$$I_{\gamma_1} = 100 \pm 10$$

$$I_{\gamma_2} = 60 \pm 6 \quad I_{\beta_0} = 79.4 \pm 0.5 \%$$

$$I_{\gamma_3} = 50 \pm 5$$

$$NR = \frac{(100 - I_{\beta_0})}{\sum I_{\gamma_i} \times (1 + \alpha_{Ti})}$$

$$\Delta^2(NR) = \Delta^2(I_{\beta_0}) + \text{SUM}[\Delta^2(I_{\gamma_i})]$$

$$NR = 0.098 \pm 0.006$$

$$\%I_{\gamma_i} = NR \times I_{\gamma_i}$$

$$\Delta^2(\%I_{\gamma_i}) = \Delta^2(NR) + \Delta^2(I_{\gamma_i})$$

$$\%I_{\gamma_1} = 9.8 \pm 1.1 - \text{unc. } 11.2 \%$$

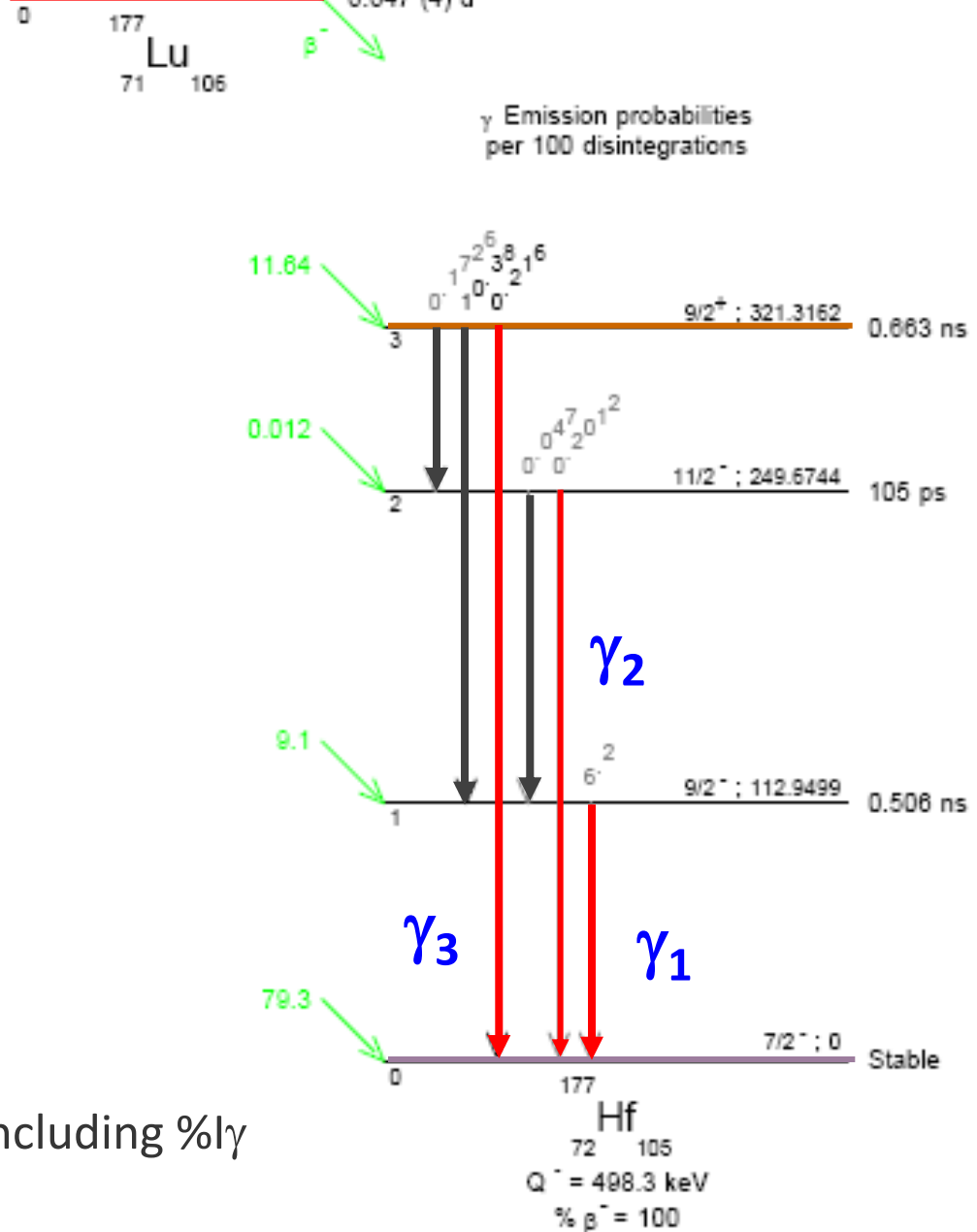
$$\%I_{\gamma_2} = 5.9 \pm 0.7$$

$$\%I_{\gamma_3} = 4.9 \pm 0.6$$

.....

this is what every ENSDF user is doing, including %I_γ
quoted in LiveChart & NUDAT

... BUT – there is a problem!



$$\%I_{\gamma j} = \frac{(100 - I_{\beta 0})}{\sum I_{\gamma i} \times (1 + \alpha_{Ti})} \times I_{\gamma j}$$

- ✓ E. Browne, NIM A249 (1986)
- ✓ uncertainties package (python)
www.pythonhosted.org/uncertainties/

$\%I_{\gamma 1} = 9.8 \pm 0.7$ – relative unc. **7.1 %**

$\%I_{\gamma 2} = 5.9 \pm 0.5$

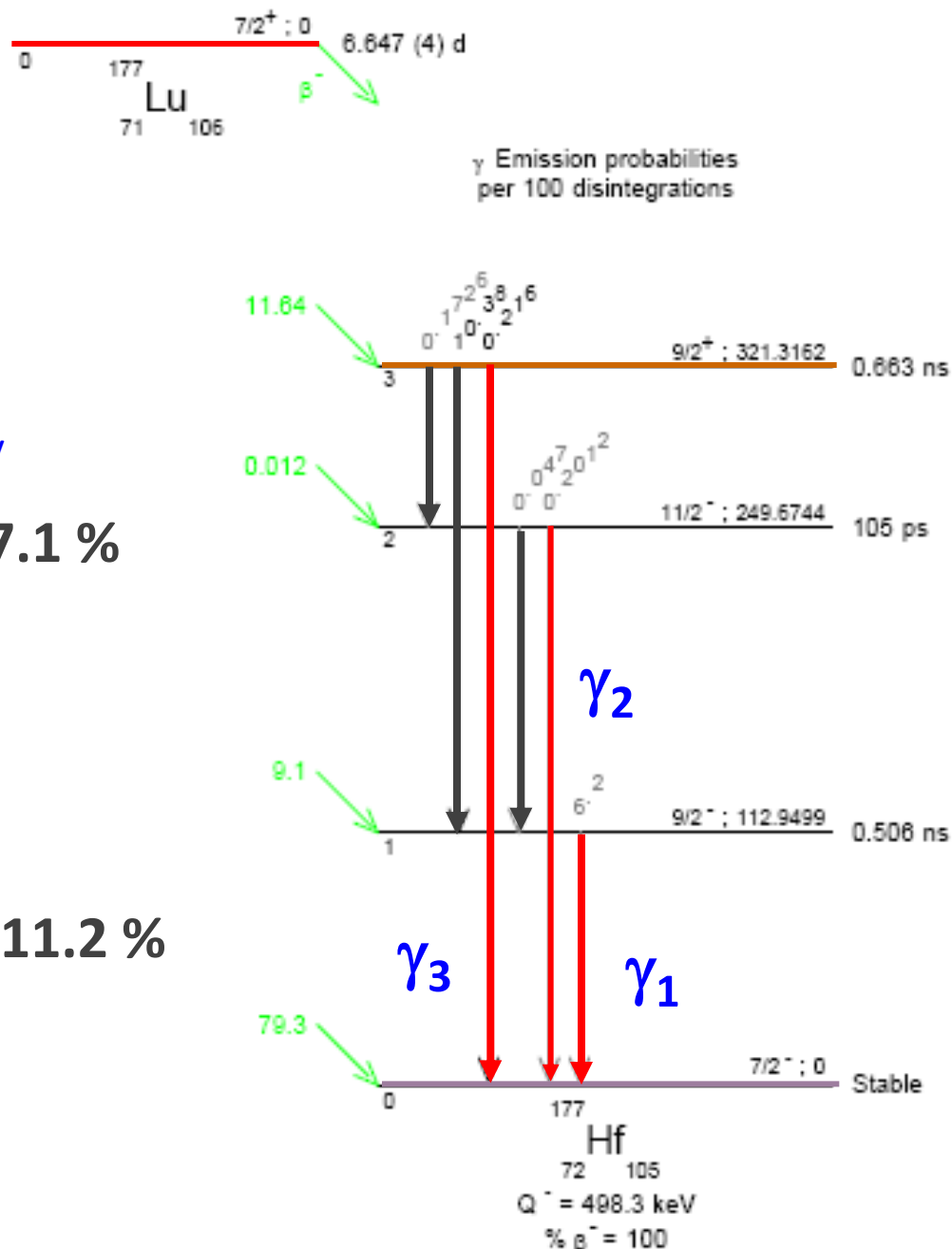
$\%I_{\gamma 3} = 4.9 \pm 0.5$

compared to: $\%I_{\gamma j} = NR \times I_{\gamma j}$

$\%I_{\gamma 1} = 9.8 \pm 1.1$ – relative unc. **11.2 %**

$\%I_{\gamma 2} = 5.9 \pm 0.7$

$\%I_{\gamma 3} = 4.9 \pm 0.6$



might end up with a huge differences in cases where precision matters!

Consequences

- ✓ using NR and relative I_{γ_i} , the end-users may end up with incorrect uncertainties for the absolute γ -ray emission probabilities for gamma rays that are used in the normalization procedure
- ✓ in many such cases the uncertainties for absolute γ -ray emission probabilities that you can find in derivative database such as NuDat , LiveChart, ENDF, JEFF ... are incorrect - same is true for DDEP



Solution & Implementation

- %ly must be provided by the evaluators in the ENSDF decay data sets, by correctly taking into account the uncertainty propagation & correlations
- we have the tools to do that promptly and with little additional effort
 - ✓ the (modified) **GABS** analysis program – T. Kibedi (ANU)
 - ✓ the **GLSC** code – J. Chen (MSU)
- change the ENSDF policy that %ly are provided mandatory in each decay data set

