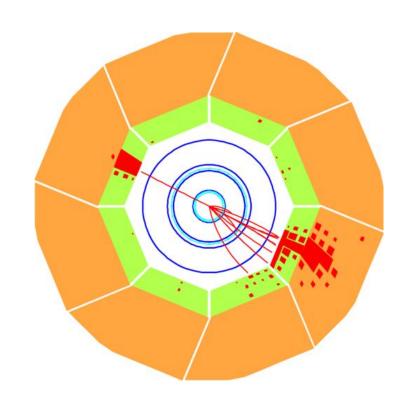
Jet and heavy flavour at the EIC

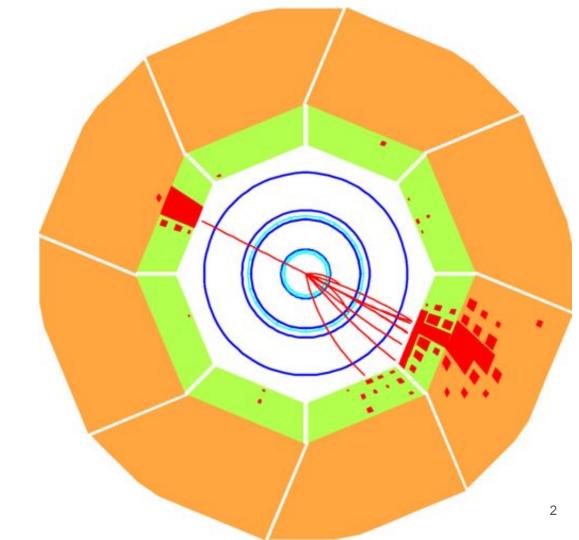
CFNS EIC Summer School 2022

Miguel Arratia



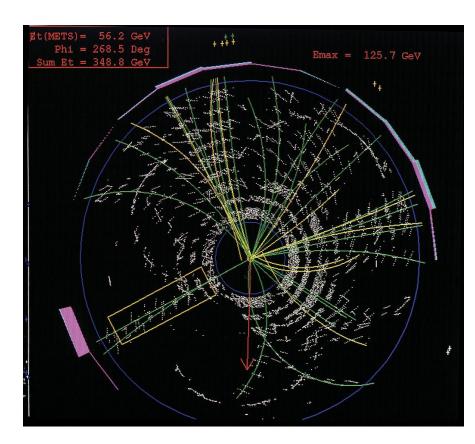


What is a jet?

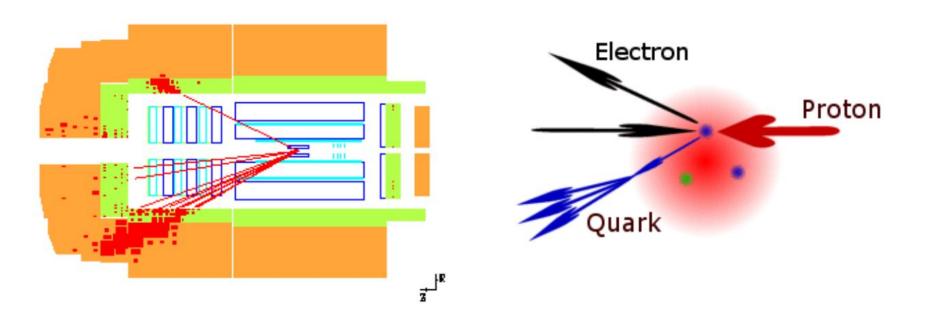


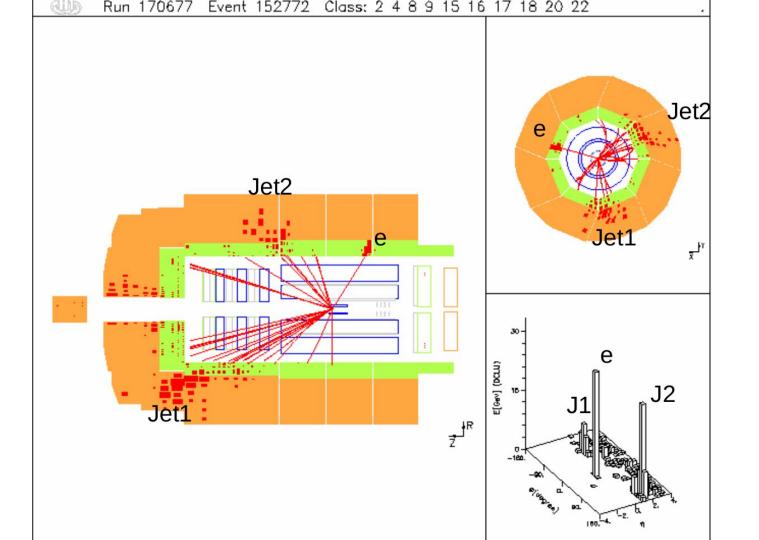
"A jet is a <u>narrow cone of hadrons</u> and other particles produced by the hadronization of a quark or gluon in a particle physics or heavy ion experiment."

Wikipedia

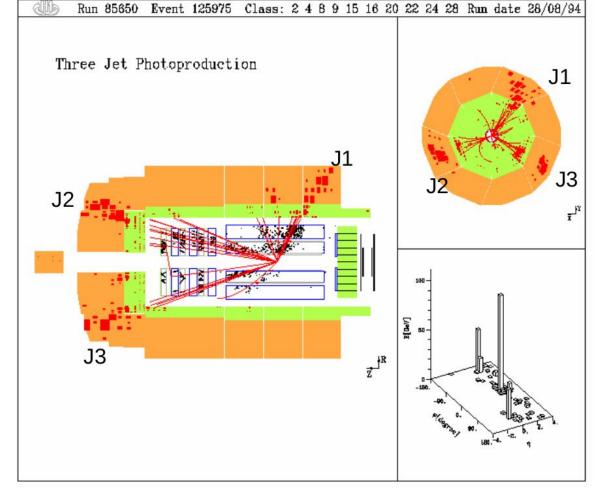


Sometimes "narrow cone of hadrons" seems intuitive:

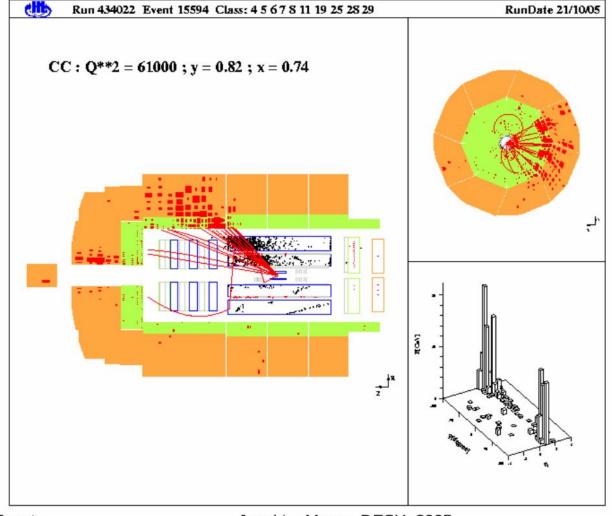




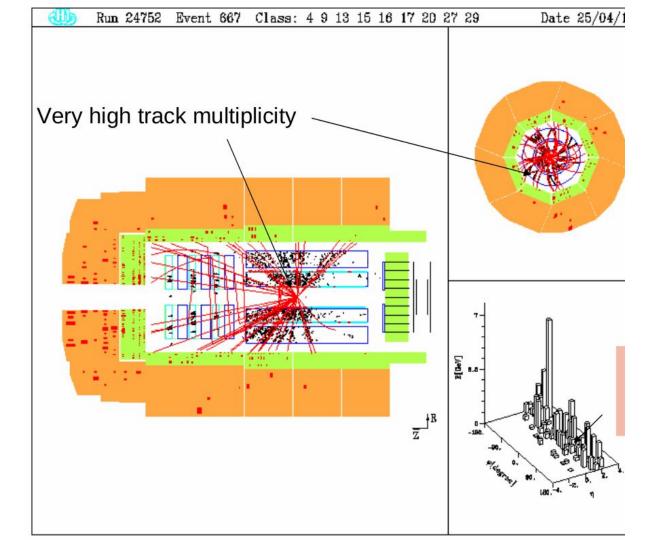
Sometimes such A definition is a bit More tricky



Sometimes even more tricky

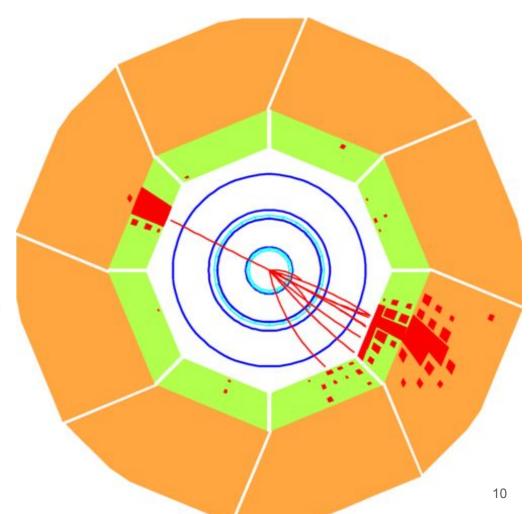


Joachim Meyer DESY 2005



What is a jet?

The output of a jet algorithm



Why are jets algorithms useful?

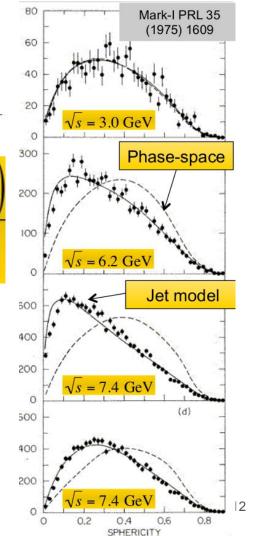
- Link theory and in experiment.
- Good jet algorithms have nice theory properties (like "infrared and collinear safety")
- Good jet algorithms get you closer to "parton level" (minimize "hadronization corrections" and sensitivity to "underlying event")
- Good jet algorithms work well in the real world of experiments (Nice smooth conical shapes, robust to noise and pileup, easy to calibrate)

"Jet algorithms" started in 1975

Evidence for Jet Structure in Hadron Production by e^+e^- Annihilation

G. Hanson *et al.* Phys. Rev. Lett. **35**, 1609 – Published 15 December 1975

"Event shape" variables
Tha define "Pencil" vs "sphere" like events



After even shapes, the Next big-thing were "Cone algorithms",

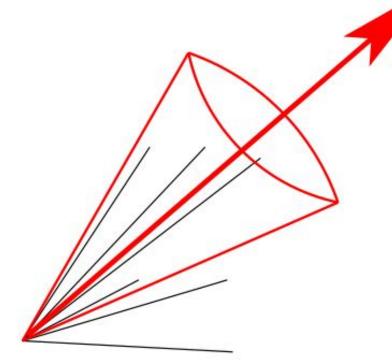


Figure by G. Salam

But the problem of finding "stable cones" was found to be pretty complicated, specially in real world

Moreover, conical algos and their tweaks not always had nice theory properties.

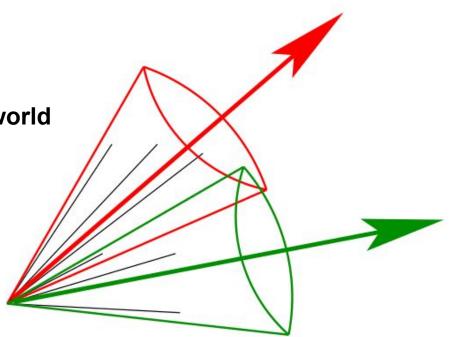


Figure by G. Salam

"Cone algorithms" got pretty complicated over time...

```
Jet algs., G. Salam (p. 30)

Extras

SISCone defn
```

17: end for

SISCone part 2: finding stable cones

```
1: For any group of collinear particles, merge them into a single particle.
2: for particle i = 1 \dots N do
3:
        Find all particles j within a distance 2R of i. If there are no such particles, i forms a stable cone of its own.
        Otherwise for each i identify the two circles for which i and i lie on the circumference. For each circle, compute the angle
        of its centre C relative to i, \zeta = \arctan \frac{\Delta \phi_{iC}}{\Delta v_{iC}}.
5:
        Sort the circles into increasing angle \zeta.
6:
        Take the first circle in this order, and call it the current circle. Calculate the total momentum and checkxor for the cones
        that it defines. Consider all 4 permutations of edge points being included or excluded. Call these the "current cones".
7:
8:
9:
        repeat
            for each of the 4 current cones do
                 If this cone has not yet been found, add it to the list of distinct cones.
10:
                  If this cone has not yet been labelled as unstable, establish if the in/out status of the edge particles (with respect
                 to the cone momentum axis) is the same as when defining the cone; if it is not, label the cone as unstable.
11:
12:
              end for
              Move to the next circle in order. It differs from the previous one either by a particle entering the circle, or one leaving
            the circle. Calculate the momentum for the new circle and corresponding new current cones by adding (or removing)
            the momentum of the particle that has entered (left); the checkxor can be updated by XORing with the label of that
            particle.
13:
          until all circles considered.
14: end for
15: for each of the cones not labelled as unstable do
```

Explicitly check its stability, and if it is stable, add it to the list of stable cones (protojets).

```
Jet algs., G. Salam (p. 31)

Extras

SISCone defn
```

SISCone part 3: split-merge

1: repeat

Remove all protojets with $p_t < p_{t,min}$.

Identify the protojet (i) with the highest \tilde{p}_t ($\tilde{p}_{t, \text{jet}} = \sum_{i \in \text{iet}} |p_{t,i}|$).

Among the remaining protojets identify the one (j) with highest \tilde{p}_t that shares particles (overlaps) with i.

- 5: **if** there is such an overlapping jet **then**
- 6: Determine the total $\tilde{p}_{t,\text{shared}} = \sum_{k \in i \& j} |p_{t,k}|$ of the particles shared between i and j.
- 7: **if** $\tilde{p}_{t, \text{shared}} < f \tilde{p}_{t,j}$ **then**

Each particle that is shared between the two protojets is assigned to the one to whose axis it is closest. The protojet momenta are then recalculated.

9: else

Merge the two protojets into a single new protojet (added to the list of protojets, while the two original ones are removed).

- 11: end if
- 12: If steps 7–11 produced a protojet that coincides with an existing one, maintain the new protojet as distinct from the existing copy(ies).
- 13: else
- Add *i* to the list of final jets, and remove it from the list of protojets.

 15: **end if**
- 16: until no protojets are left.

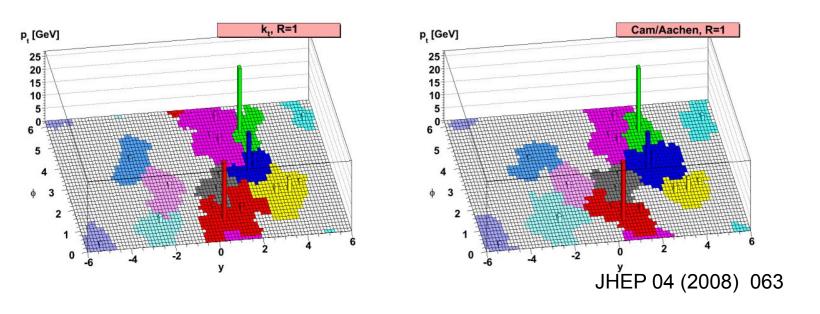
Sequential recombination algorithms

Defined with a metric and simple steps. k=1 defines "kT algorithm" and k=0 the "Cambridge/Achen algorithm"

$$d_{ij}(p_i, p_j) = \min(p_{T,i}^{2k}, p_{T,j}^{2k}) \frac{\Delta R^2}{R^2}$$

- Calculate pairwise distance between all possible pair of 4-vectors
- Merge the closest two to define a new 4-vector
- Repeat

These had good theory properties but did not yield nice stable cones in presence of soft radiation (an issue in hadron colliders)



One event that contains some particles in azimuth and rapidity space + a large number of "ghost" particles.

Colors represent the boundaries defined by different particle algorithms

The "anti-kT" algorithm JHEP 04 (2008) 063

- The exponent in metric can be negative and yield an IRC safe algorithm with other sensible properties. The k=-1 case defines "anti-kT".

$$d_{ij}(p_i, p_j) = \min(p_{T,i}^{2k}, p_{T,j}^{2k}) \frac{\Delta R^2}{R^2}$$

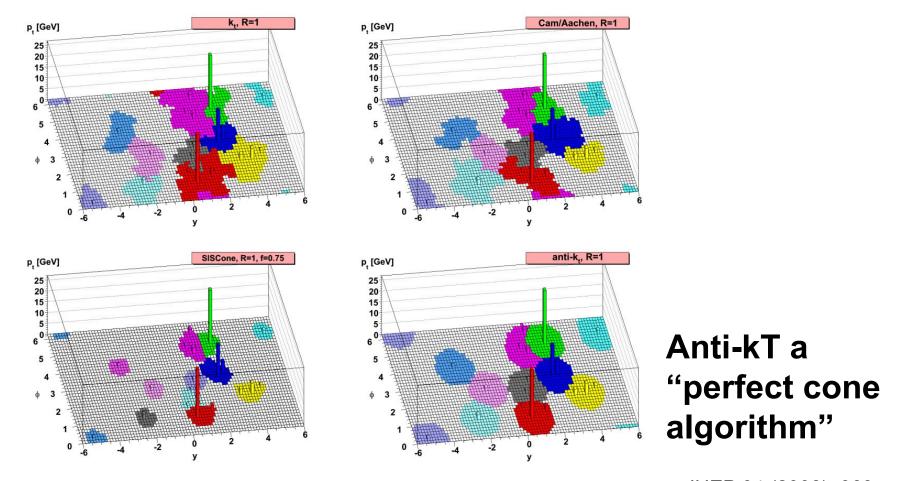


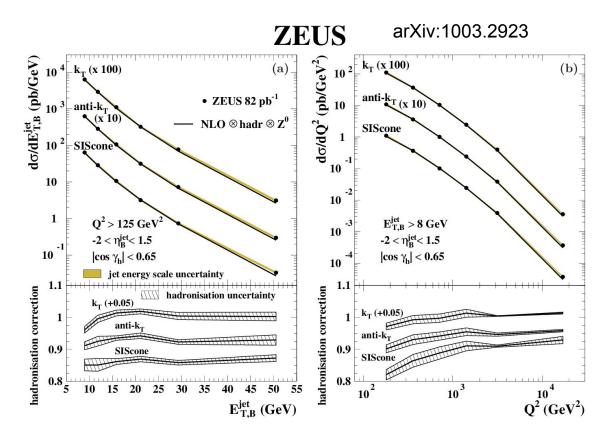
Figure 1: A sample parton-level event (generated with Herwig [8]), together with many random soft "ghosts", clustered with four different jets algorithms, illustrating the "active" catchment areas of

JHEP 04 (2008) 063

Historical fun fact: anti-kT was invented at the dawn of the LHC era. Now the default and original paper has 8810 citations



How about at in electron-proton DIS at at HERA?



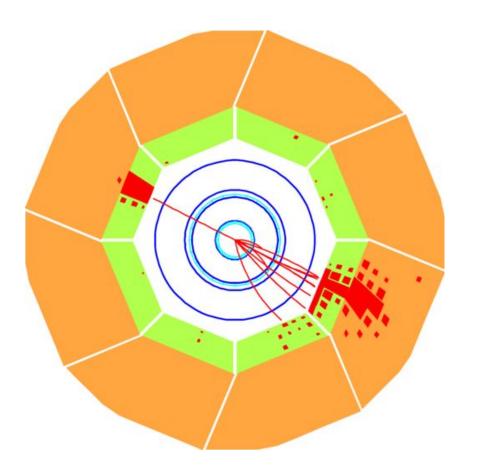
- Most HERA jet measurements use the kT algo.
- Quality of data/theory agreement and hadronization corrections seem rather comparable for kT and anti-kT in DIS

An example of running a jet algorithm

https://fastjet.fr/quickstart.html

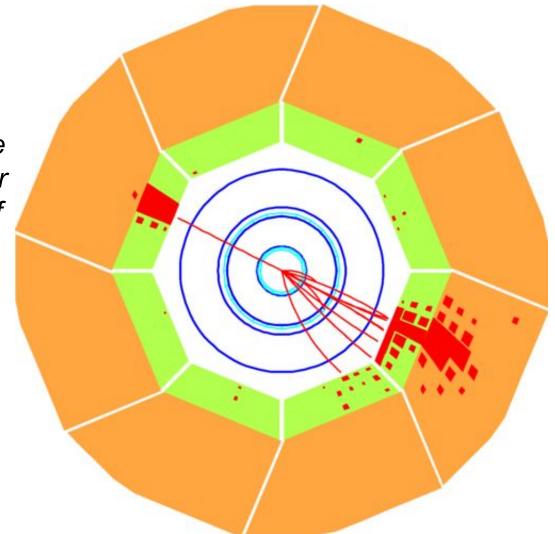
```
#include "fastjet/ClusterSequence.hh"
#include <iostream>
using namespace fastjet;
using namespace std;
int main () {
 vector<PseudoJet> particles;
 // an event with three particles: px
                                            py pz
  particles.push back( PseudoJet( 99.0, 0.1, 0, 100.0) );
  particles.push back( PseudoJet( 4.0, -0.1, 0, 5.0));
  particles.push back( PseudoJet( -99.0, 0, 0, 99.0) );
  // choose a jet definition
  double R = 0.7;
  JetDefinition jet def(antikt algorithm, R);
 // run the clustering, extract the jets
  ClusterSequence cs(particles, jet def);
  vector<PseudoJet> jets = sorted by pt(cs.inclusive jets());
 // print out some infos
  cout << "Clustering with " << jet def.description() << endl;</pre>
 // print the jets
  cout << "
                    pt y phi" << endl;
  for (unsigned i = 0; i < jets.size(); i++) {
    cout << "jet " << i << ": "<< jets[i].pt() << " "
                   << jets[i].rap() << " " << jets[i].phi() << endl;
    vector<PseudoJet> constituents = jets[i].constituents();
    for (unsigned j = 0; j < constituents.size(); j++) {</pre>
      cout << " constituent " << j << "'s pt: " << constituents[j].pt()</pre>
           << endl;
```

Why are jets useful?

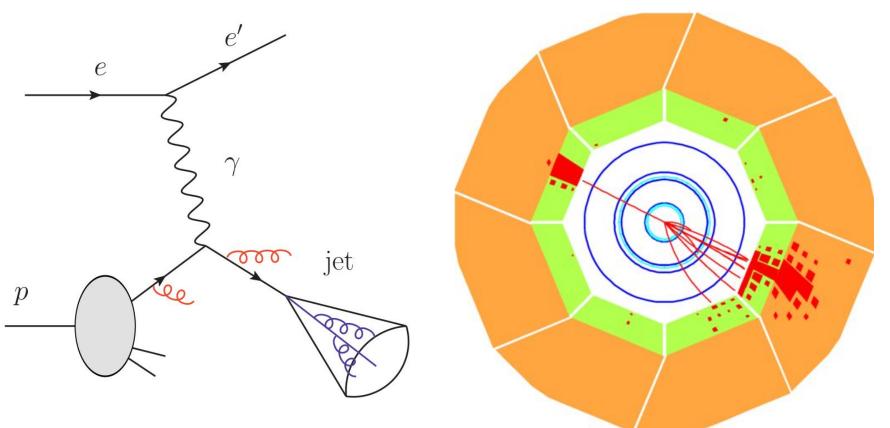


"Jets are measured in particle detectors and studied in order to determine the properties of the original quarks"

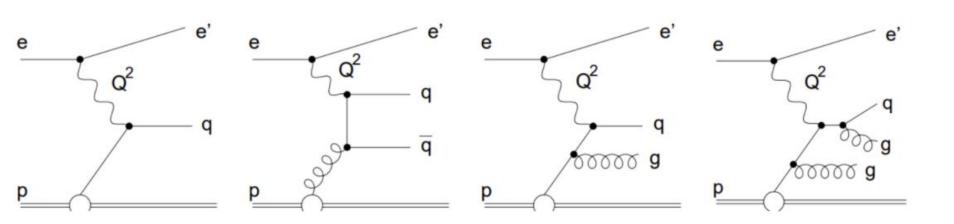
Wikipedia.



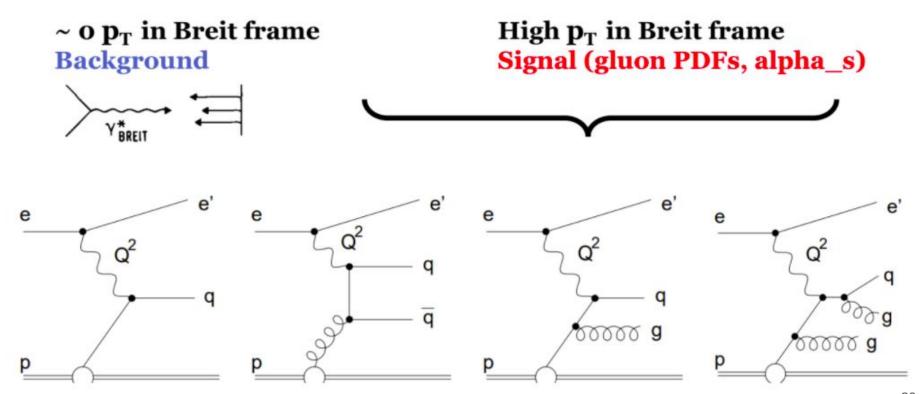
Jets are good proxies for quarks (gluons)



Jet production in DIS

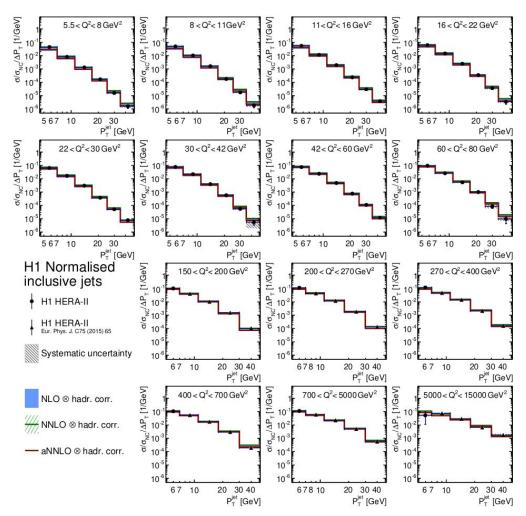


For most HERA studies:

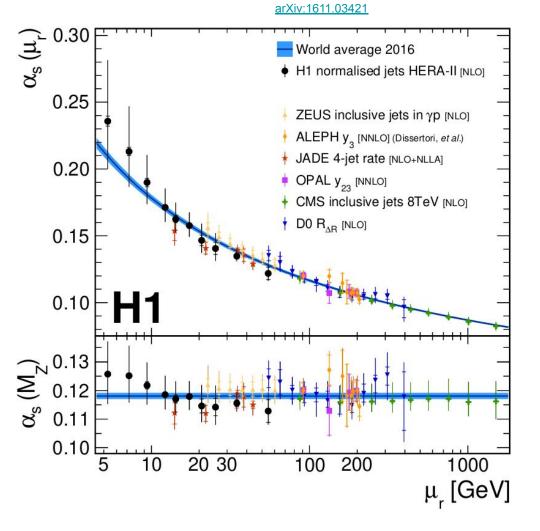


HERA experiments did many measurements like this

arXiv:1611.03421



Which yielded Nice legacy "textbook" plots

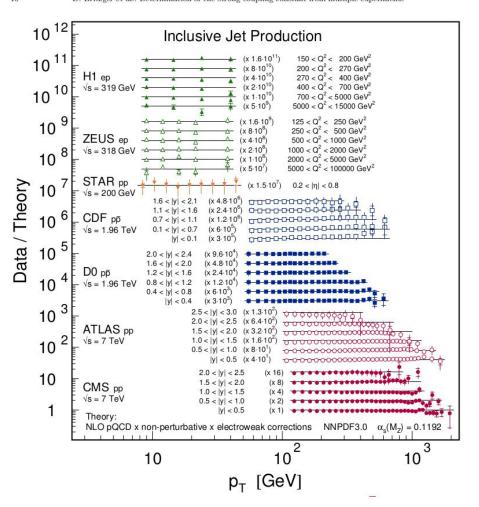


Similar measurements
were performed
In hadron collisions
(Tevatron, RICH and LHC)
These constrain
strong-coupling and gluon
PDFs.

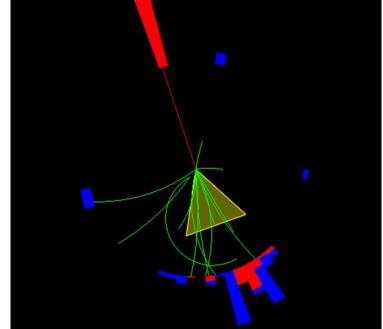
Eur.Phys.J.C 79 (2019) 1, 68

D. Britzger et al.: Determination of the strong coupling constant from multiple experiments

10



Is the point of jets@EIC to repeat jets@HERA?



No, that is not the point.

(this is a very common misconception!)

Rather, we will explore jets in polarized DIS and nuclear DIS, which have never done before → Discovery potential

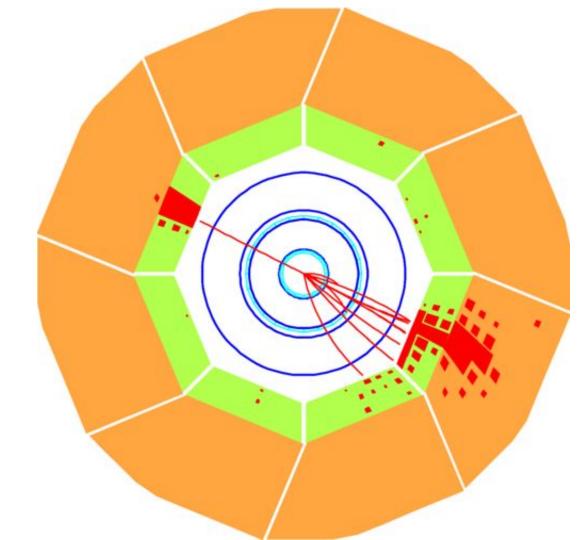
Why are jets useful?

Classic answer:

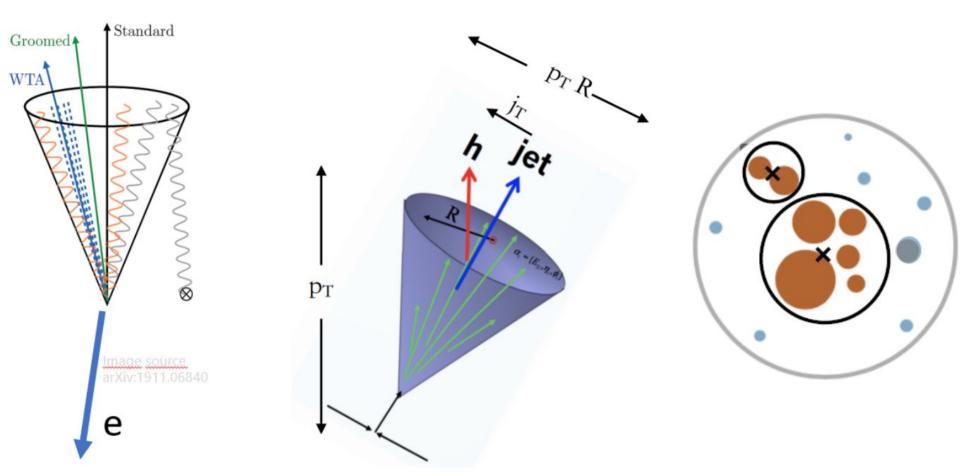
Good proxies for quarks

Modern addition:

Jets have substructure



Jets have rich substructure, which encodes rich dynamics



Jet Substructure studies have exploded at the LHC over the last decade and is still hot topic. It will surely influence EIC studies

Jet Substructure at the Large Hadron Collider: A Review of Recent Advances in #1
Theory and Machine Learning

Andrew J. Larkoski (Reed Coll.), Ian Moult (UC, Berkeley and LBNL, Berkeley), Benjamin

Nachman (LBL, Berkeley) (Sep 13, 2017)

Published in: Phys.Rept. 841 (2020) 1-63 • e-Print: 1709.04464 [hep-ph]

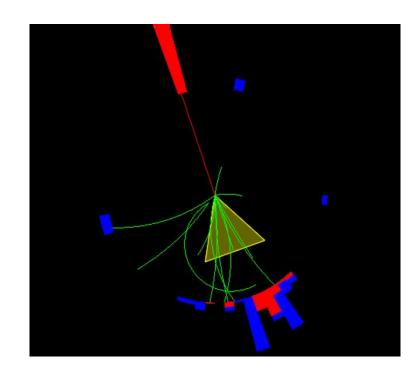


Why is studying jet substructure useful?

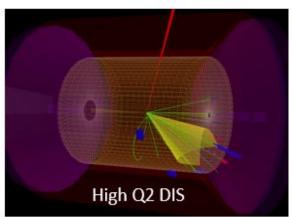
- Substructure encodes much more information (QCD) than a single 4 vector→ many more studies possible.
- Can be used as **tool** to better control theory or experiment.

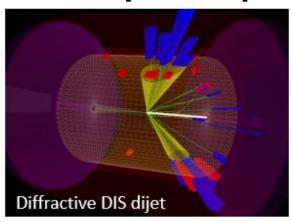
Is the point of jets@EIC to repeat jets@HERA?

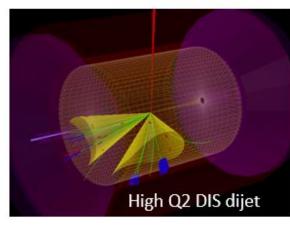
No, and jet substructure was in its infancy at HERA times!

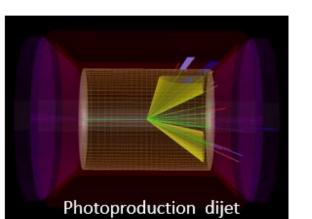


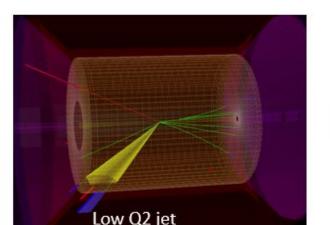
The EIC, a jet factory, will make the first jets in nuclear DIS and proton-polarized DIS

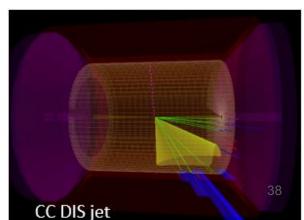














More next lecture...

Summary

What is a jet?
Output of a jet algo

Why are jets useful?
Proxies to partons and their substructure encodes rich, useful info

