Reconstructing DIS and SIDIS event properties with Machine Learning

2nd Workshop on Artificial Intelligence for the Electron Ion Collider

William & Mary, Oct. 11th, 2022

Connor Pecar, Duke University

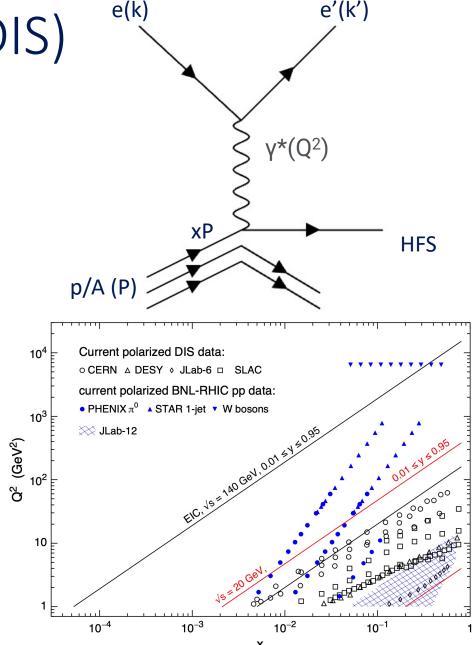
Research supported by





Deep-inelastic scattering (DIS)

- DIS: electroweak process between lepton and parton
 - Kinematics well-defined, but probe unknown
- Various final states to be studied with different requirements for kinematic reconstruction
 - Inclusive DIS (PDFs): measure only scattered lepton
 - Semi-inclusive DIS (SIDIS) (TMD-PDFs, FFs): measure scattered lepton/virtual photon and coincident hadron/dihadron, PID
 - DIS jets (TMD-PDFs, jet FFs): jet energy and transverse momentum resolution





Classical DIS kinematic reconstruction

- Fixed target DIS/SIDIS: kinematics reconstructed from scattered lepton
 - At low-y ("inelasticity"), electron method fails severely
- Developments at HERA: hadronic final state (HFS) can also fully constrain DIS kinematics
- Inclusive DIS kinematics (x, Q^2, y) over-constrained by following set of experimentally measured variables:
 - Leptonic information: $E_{\ell'}$, $\theta_{\ell'}$
 - HFS information:

$$\Sigma = \sum_{i \in HFS} E_i - p_{z,i} \qquad p_{T,HFS} = \sqrt{(\sum p_{x,i})^2 + (\sum p_{y,i})^2}$$

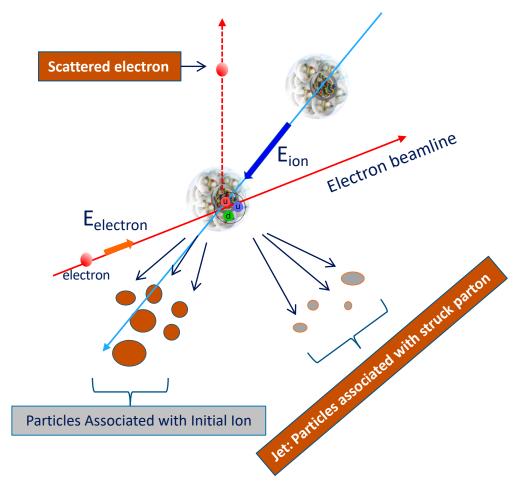


Figure from M. Diefenthaler



Method	Requires	Pro	Contra
Electron	$E_{l'}$, $ heta_{l'}$	precise	sensitive to
(EL)			QED radiation
Jacques-Blondel	$\delta_{\mathcal{H}}$, $P_{T,\mathcal{H}}$	resistant to	needs precise jet
(JB)		QED radiation	energy measurements
Double Angle	$\theta_{l'}$, $\gamma_{\mathcal{H}}$	no need for precise jet	poor resolution at low x
(DA)		energy measurements	and low Q^2

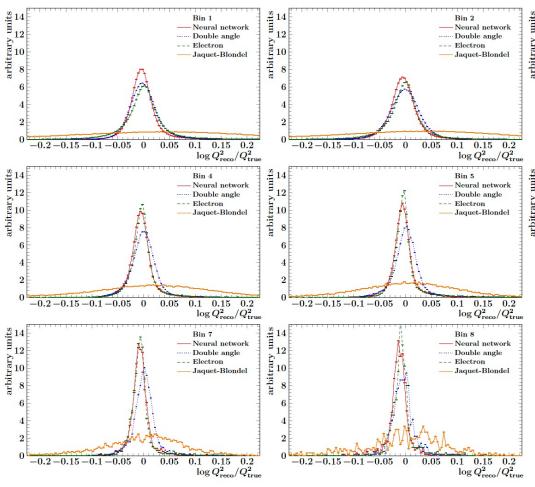
- Diefenthaler, Farhat, Verbytskyi, Xu (2021, arXiv:2108.11638):
 - Physics-motivated NN architecture, deep learning using HERA inclusive DIS methods as input

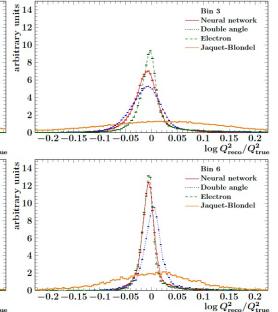
$$Q_{NN}^{2} = A_{Q^{2}} \left(Q_{EL}^{2}, Q_{DA}^{2}, Q_{JB}^{2} \right) + L_{Q^{2}} \left(A_{Q^{2}}, E_{l'}, \theta_{l'} \right) + H_{Q^{2}} \left(A_{Q^{2}}, \delta_{\mathcal{H}}, P_{T,\mathcal{H}} \right)$$
$$x_{NN} = A_{x} \left(x_{EL}, x_{DA}, x_{JB} \right) + L_{x} \left(A_{x}, Q_{NN}^{2}, E_{l'}, \theta_{l'} \right) + H_{x} \left(A_{x}, Q_{NN}^{2}, \delta_{\mathcal{H}}, P_{T,\mathcal{H}} \right)$$

- A, L, H -> fully connected linear neural networks
- Network structured as learned average of HERA methods + corrections terms from scattered electron, hadronic final state
- Method validated on ZEUS full simulation

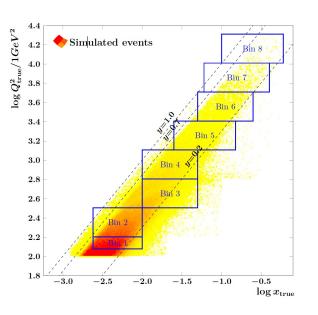


ZEUS full simulation results, $log(Q^2/Q^2_{true})$:





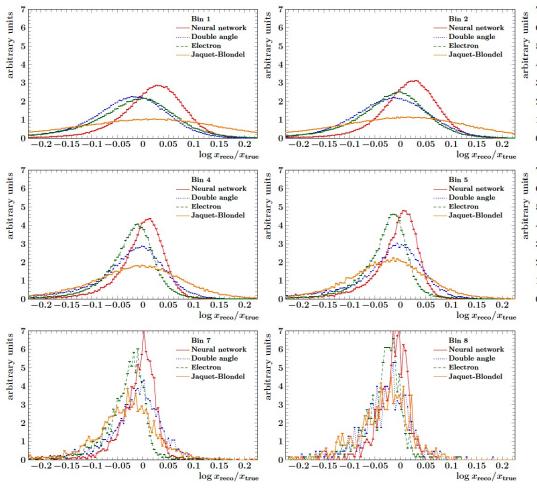
 NN method: sharper peak, minimal bias in most kinematic bins

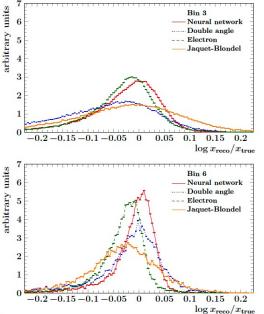




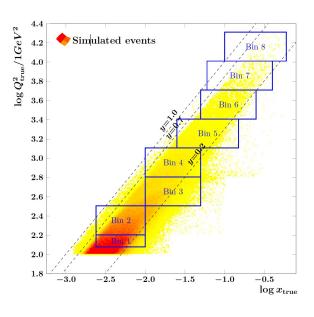
Diefenthaler et. al, arXiv:2108.11638, And DIS2022 talk by A. Farhat

ZEUS full simulation results, $log(x/x_{true})$:



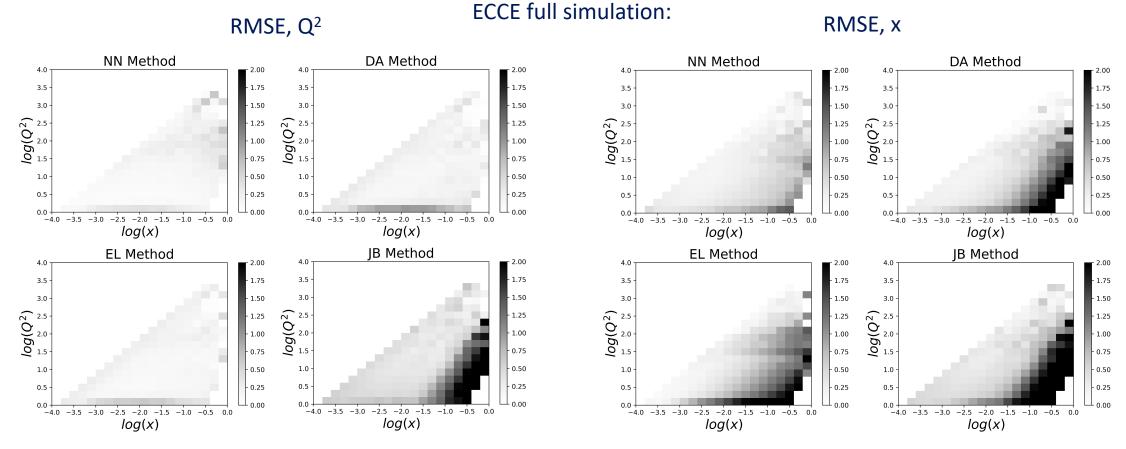


NN method: sharper peak, minimal bias in most kinematic bins





Diefenthaler et. al, arXiv:2108.11638, And DIS2022 talk by A. Farhat



 On ECCE full simulation: network does produce optimal combination of detector level reconstruction methods



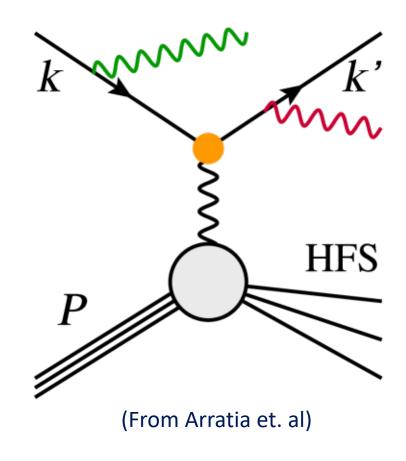
Diefenthaler et. al, arXiv:2108.11638, And DIS2022 talk by A. Farhat

ML inclusive DIS and identifying QED ISR/FSR

- Arratia, Britzger, Long, Nachman (2021, 10.1016/j.nima.2021.166164):
 - Directly addressing QED radiative impact on inclusive DIS kinematics at the EIC
 - Classify events as ISR, FSR, or no QED radiation
 - Momentum imbalance variables defined to quantify QED radiation:

$$p_T^{bal} = 1 - \frac{p_{T,e}}{p_{T,HFS}}$$
 $p_z^{bal} = 1 - \frac{\sum_e + \sum_e}{2E_0}$

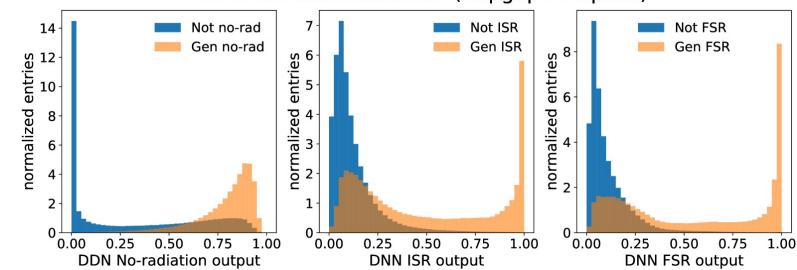
 Both zero if no ISR or FSR, correspond to magnitude of radiation





- Identification of ISR/FSR events achieved using deep learning
 - Also prove capability to regress momentum balance terms previously defined
- Input variables motivated by event shape effects of QED radiation:
 - QED radiation impact variables defined on previous slide
 - ECAL energy and cluster information around scattered electron
 - Photon nearest to electron
 - Total HFS and scattered electron energy, longitudinal and transverse momenta
 - Angle between HFS and scattered electron

ATHENA fast simulation (Rapgap+Delphes)

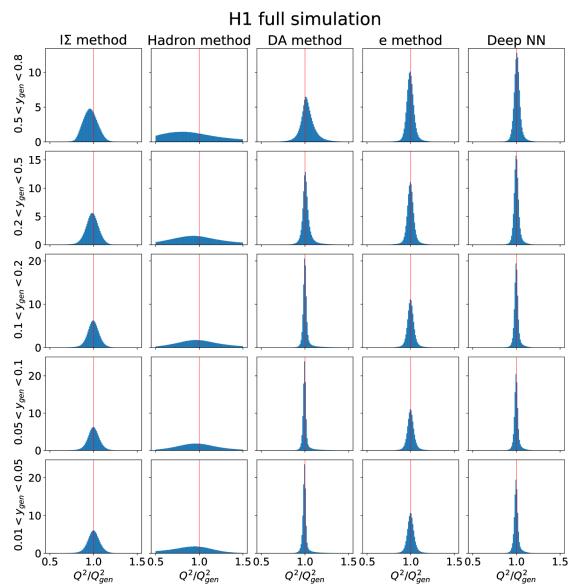




ML inclusive DIS and identifying QED ISR/FSR

Arratia et. al, arXiv:2110.05505

- Same input variables used to train NN to simultaneously reconstruct inclusive DIS kinematics Q², x, y
 - Method validated using H1 full simulations, ATHENA fast simulations



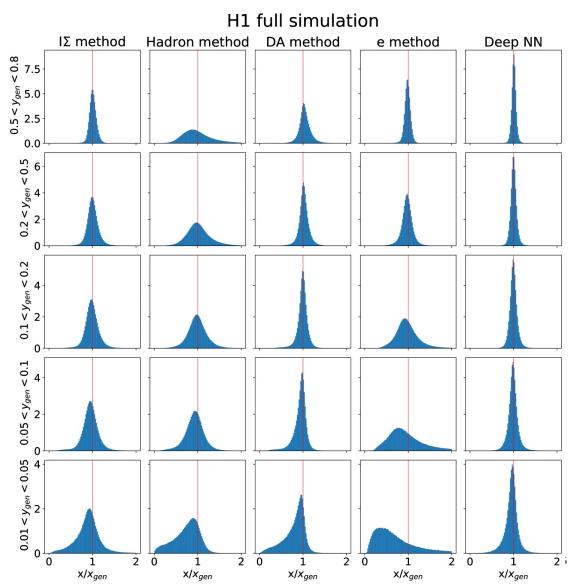


Ygen

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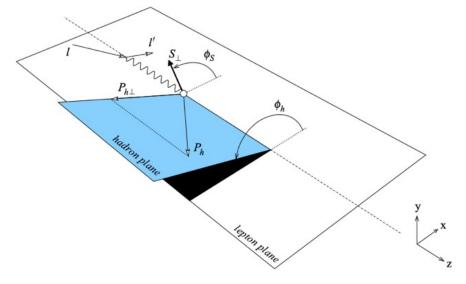


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Semi-inclusive DIS reconstruction at the EIC

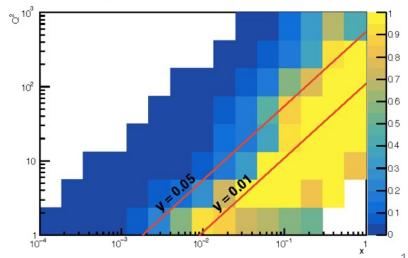
Pecar, Vossen: arXiv:2209.14489

- SIDIS only previously studied in fixed-target experiments
 - Electron reconstruction of virtual photon four-momentum (q) largely reliable in fixed target
- Significant uncertainty anticipated for SIDIS kinematics at low-y at EIC
 - Similar severity to inclusive DIS reconstruction, but without any methods previously developed specifically for low-y
- Reconstructing q with HFS and scattered electron first explored in EIC YR and detector proposals



ATHENA full simulation:

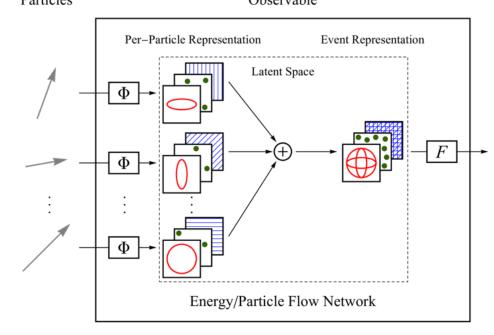
pT mean relative error, ele. method





Semi-inclusive DIS reconstruction with ML

- Our approach: utilizing full information from both scattered electron and HFS
- Rather than directly regressing SIDIS kinematics per hadron, regressing virtual photon four-momentum by event
- Particle Flow Network utilized (arXiv:1810.05165, https://energyflow.network/)
 - Learns function of features of unordered set of particles to compute observable
 - Like graph neural network, but with no connections between particles prior to summation
 - Successful in tasks like jet classification at LHC



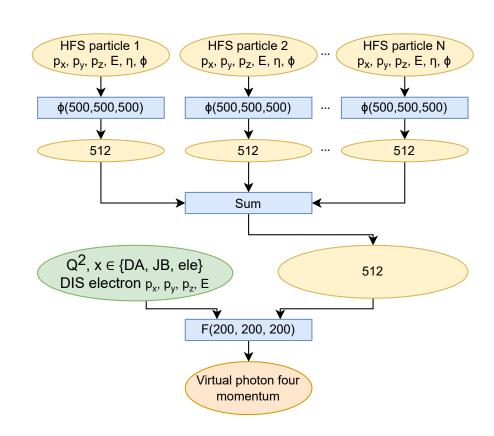
JHEP 01 (2019) 121



Semi-inclusive DIS reconstruction with ML

Pecar, Vossen

- HFS particle features supplied:
 - Momenta, energy, angular information
- Scattered electron input to network at latent space level
 - DIS electron unique among final state particles, so in a fixed place in network
- Inclusive DIS variables from DA, JB, electron methods also input at latent space level
- Trained on low Q² ATHENA full simulation sample

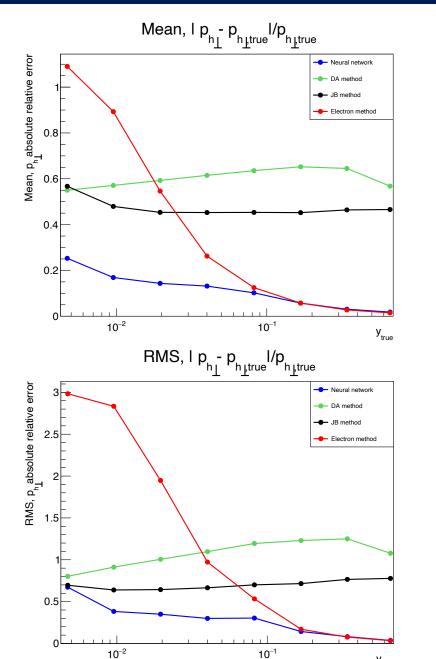


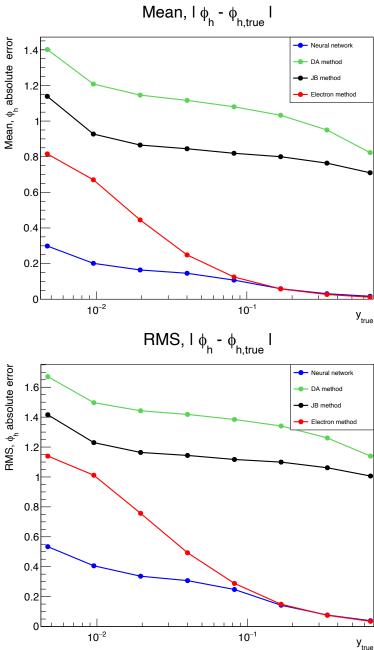


Resolutions as a function of y:

ATHENA full simulation, 10x275, pi+, z > 0.2

- Resolution very significantly improved over electron method
 - Equal to electron at large-y as expected
 - Remains stable at low-y when electron method fails





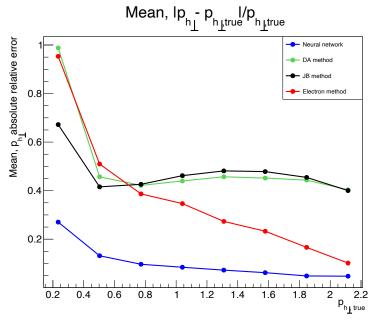


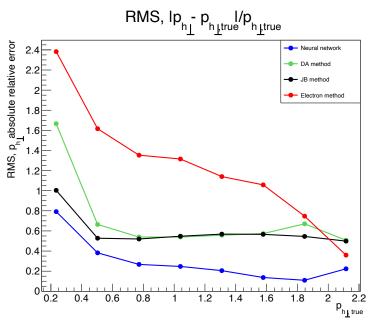
Pecar, Vossen

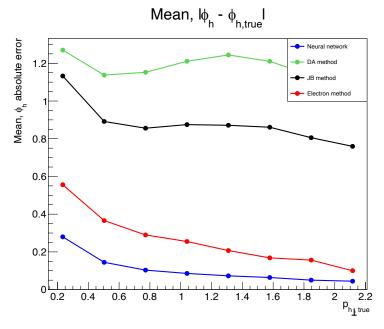
Resolutions as a function of $p_{h,\perp}$:

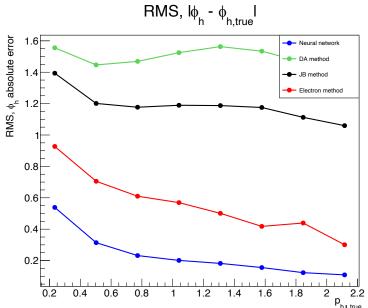
ATHENA full simulation, 10x275, pi+, z > 0.2

- Similar behavior observed as a function of SIDIS transverse momentum
 - q with PFN provides significant improvement in resolution at low p_{h, \(\)}









Pecar, Vossen



Next steps in SIDIS reconstruction

- Currently working on testing similar implementation with different architectures like GNNs
- Plan to continue benchmarking performance as project detector simulations developed
- Need further testing of impact of QED radiation
 - Options like including momentum balance terms (Arratia et. al), other QED impact-proportional variables within network



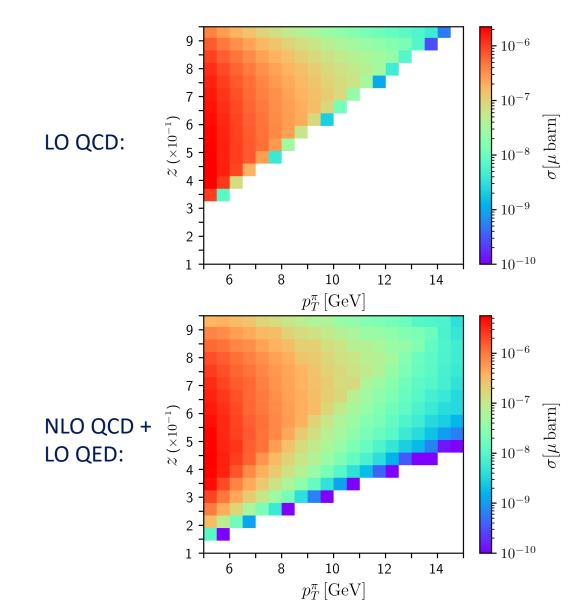
ML for heavy ion partonic kinematics (arXiv:2112.05043)

- Rentería-Estrada, Hernández-Pinto, Sborlini, & Zurita (2021): ML approaches to heavy ion collision kinematics
 - Partonic kinematics not well-defined at higher orders
- Ion-collision process:

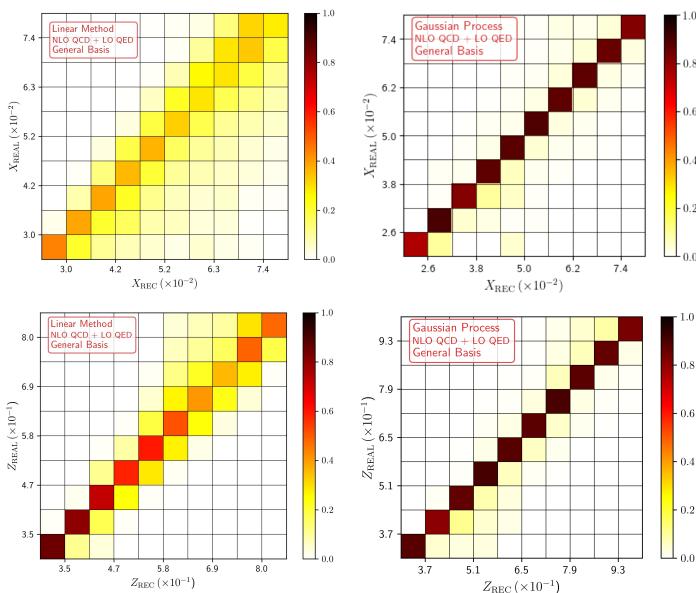
$$H_1(P_1) + H_2(P_2)
ightarrow h(P^h) + \gamma(P^\gamma)$$

- Want to connect to partonic variables x₁,
 x₂, Z
- Complex dependence on final state information at NLO QCD + LO QED

$$p_j = \{\bar{p}_T^{\gamma}, \bar{p}_T^{\pi}, \bar{\eta}^{\gamma}, \bar{\eta}^{\pi}, \overline{\cos}(\phi^{\pi} - \phi^{\gamma})\} \in \bar{\mathcal{V}}_{\mathrm{Exp}}$$



ML for heavy ion kinematics (arXiv:2112.05043)



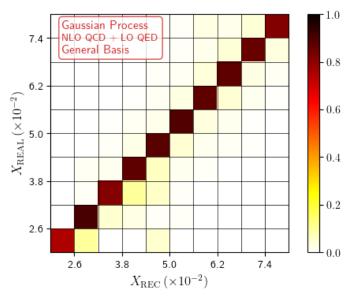
$$(x_{1,2})_j = \sum_i (x_{1,2})_i \frac{d\sigma_j}{dx_{1,2}} (p_j; (x_{1,2})_i), \quad (z)_j = \sum_i z_i \frac{d\sigma_j}{dz} (p_j; z_i)$$
$$p_j = \{\bar{p}_T^{\gamma}, \bar{p}_T^{\pi}, \bar{\eta}^{\gamma}, \bar{\eta}^{\pi}, \overline{\cos}(\phi^{\pi} - \phi^{\gamma})\} \in \bar{\mathcal{V}}_{\text{Exp}}$$

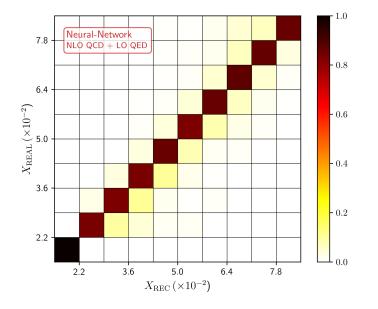
- Basis for regression constructed from products of up to three kinematic variables
- Gaussian process found to better account for higher order QCD + QED effects
 - Without needing to construct basis of higher order terms
- Both methods strongly dependent on choosing a proper basis

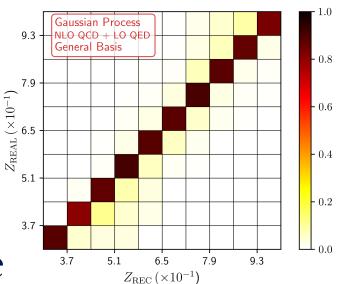
Rentería-Estrada et. al

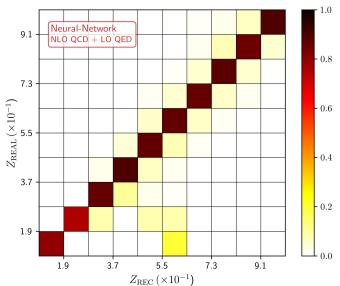


ML for heavy ion kinematics (arXiv:2112.05043)









 Neural network: not dependent on basis with well-chosen network structure, non-linear activation

Rentería-Estrada et. al



Conclusions

- Machine learning applicable to many aspects of DIS kinematic reconstruction
 - Improved precision in regressing well-defined kinematics
 - Identification of QED-radiation in initial or final state
 - Better determination of virtual photon axis (SIDIS)
- Different approaches to regression of DIS kinematics already shown to be effective on first EIC detector simulations, HERA simulations
- Machine learning shown to be effective in studies of regression of partonic kinematics in ion collisions

