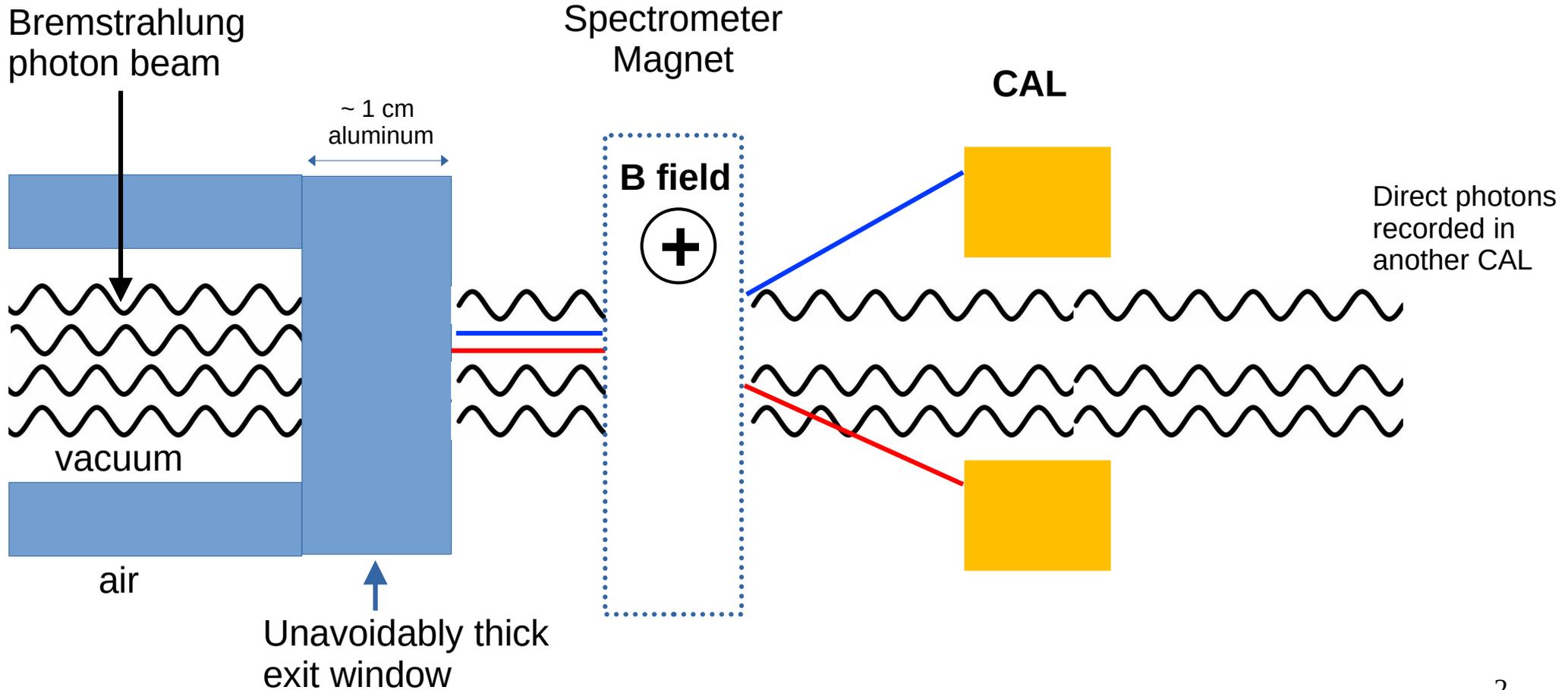


# Luminosity Spectrometer

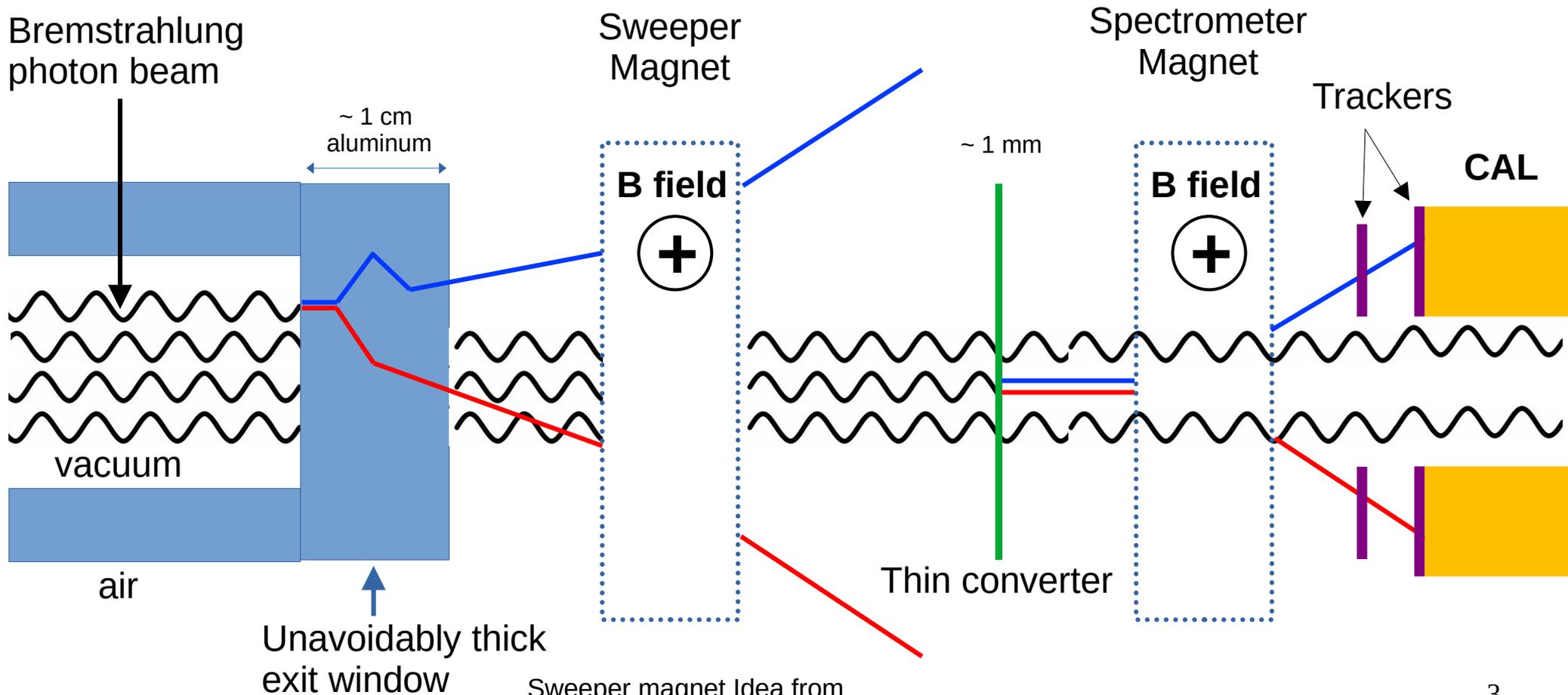
Dhevan Gangadharan & Aranya Giri (University of Houston)  
ePIC collaboration meeting Jan 2023



# Basic idea of ZEUS spectrometer



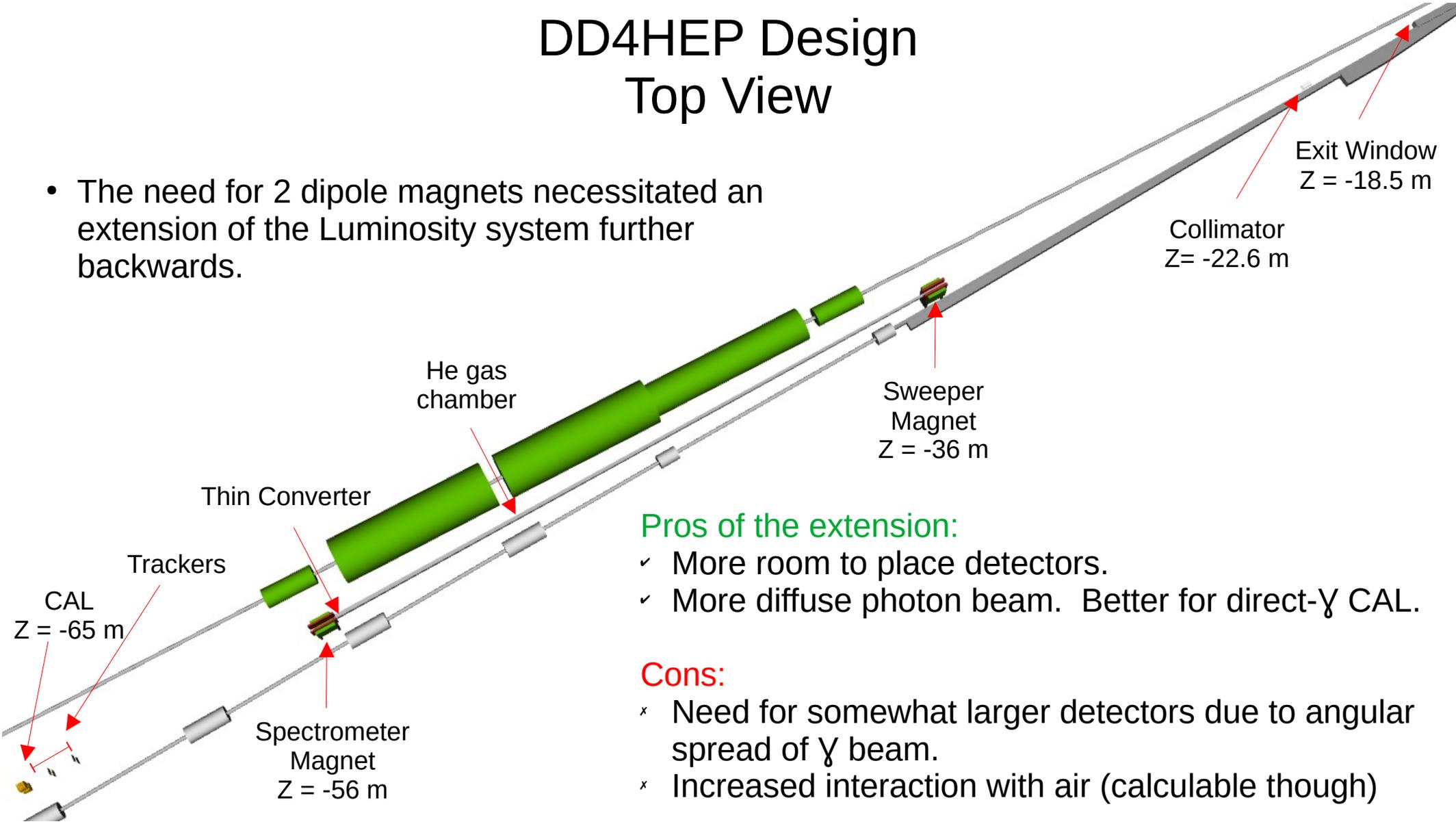
# New work-in-progress design of **ePIC** spectrometer



Sweeper magnet Idea from Krzysztof Piotrzkowski

# DD4HEP Design Top View

- The need for 2 dipole magnets necessitated an extension of the Luminosity system further backwards.



## Pros of the extension:

- ✓ More room to place detectors.
- ✓ More diffuse photon beam. Better for direct- $\gamma$  CAL.

## Cons:

- ✗ Need for somewhat larger detectors due to angular spread of  $\gamma$  beam.
- ✗ Increased interaction with air (calculable though)

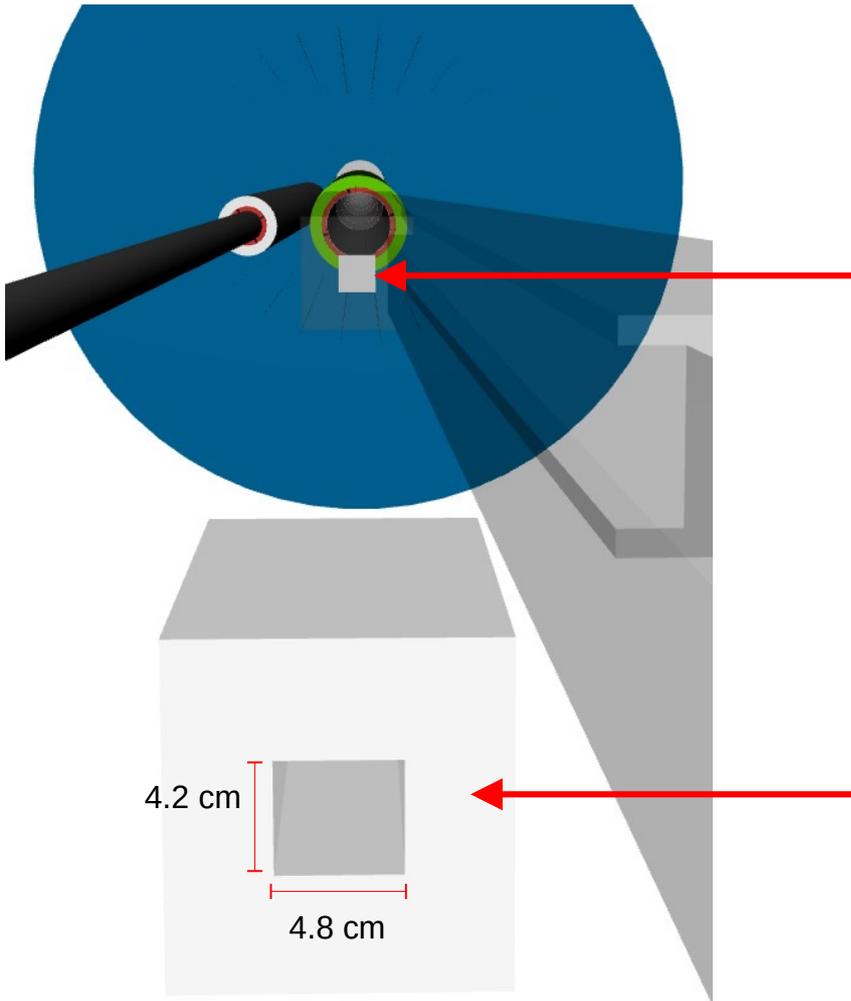
# DD4HEP Design

## Exit Window

- Taken to be Aluminum, 1 cm thick
- Thickness and composition needs to be accurately known in order to account for the lost photons

## Collimator

- Steel block to remove stray particles that may damage other components further downstream.
- Opening size defines phase space of measured photons: taken to be  $5\sigma \sim \pm 2.4$  cm.



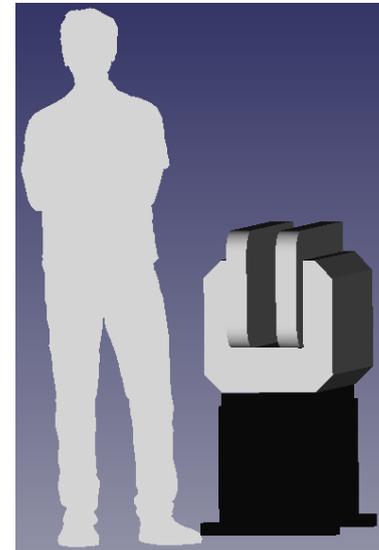
# DD4HEP Design

## Sweeper Magnet

- Taken to be the same as the ZEUS design
- Dimensions extracted from a CAD drawing.
  - 10 cm opening ( $\sim\pm 7\sigma$  photon beam) .
  - 0.5 T horizontal B field (electrons go up and down)
  - $p_T = 0.3 B d L = 0.3 \left( \frac{\text{GeV}}{\text{T m}} \right) * 0.5 \text{T} * 0.78 \text{m} = 0.117 \text{ GeV}$
- Still need to ensure fringe field < 10 Gauss @ electron beam.

## He gas chamber

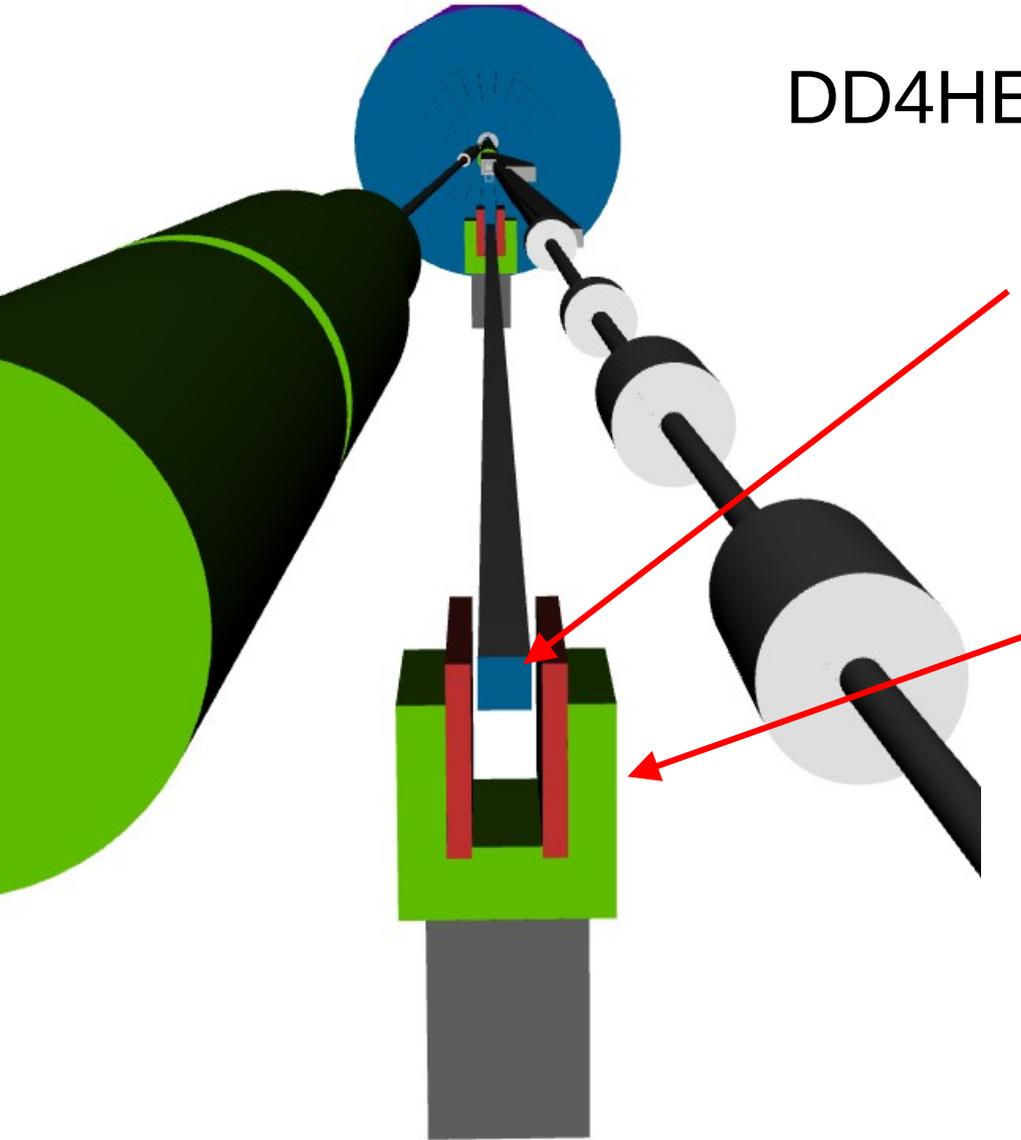
- $\pm 5\sigma$  dimensions
- Minimizes multiple scattering and unwanted conversions



CAD drawing  
obtained from  
Yulia Furletova

Implemented in  
DD4HEP by  
Justin Chan

# DD4HEP Design



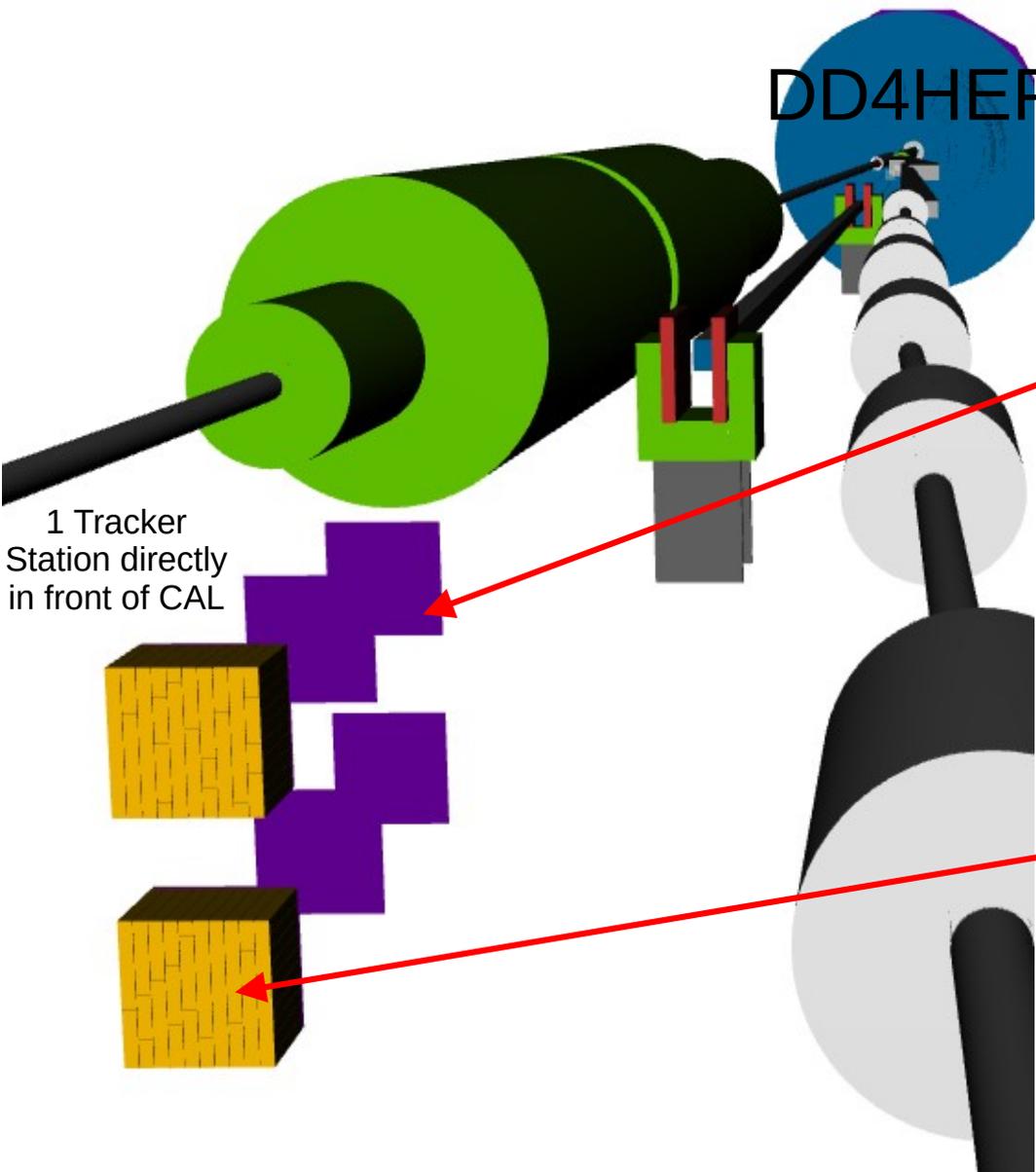
## Converter

- Taken to be Aluminum, **1 mm thin**
- Thickness and composition needs to be accurately known in order to account for the conversions

## Spectrometer Magnet

- Taken to be the same as the Sweeper Magnet: 0.5 T horizontal B field.
- Placed just after the converter.
- 12 cm opening also provides  $\sim \pm 6\sigma$  clearance for direct- $\gamma$  beam.
- $p_T = 0.3 B d L = 0.3 \left( \frac{\text{GeV}}{\text{T m}} \right) * 0.5 \text{T} * 0.78 \text{m} = 0.117 \text{ GeV}$

# DD4HEP Design



1 Tracker Station directly in front of CAL

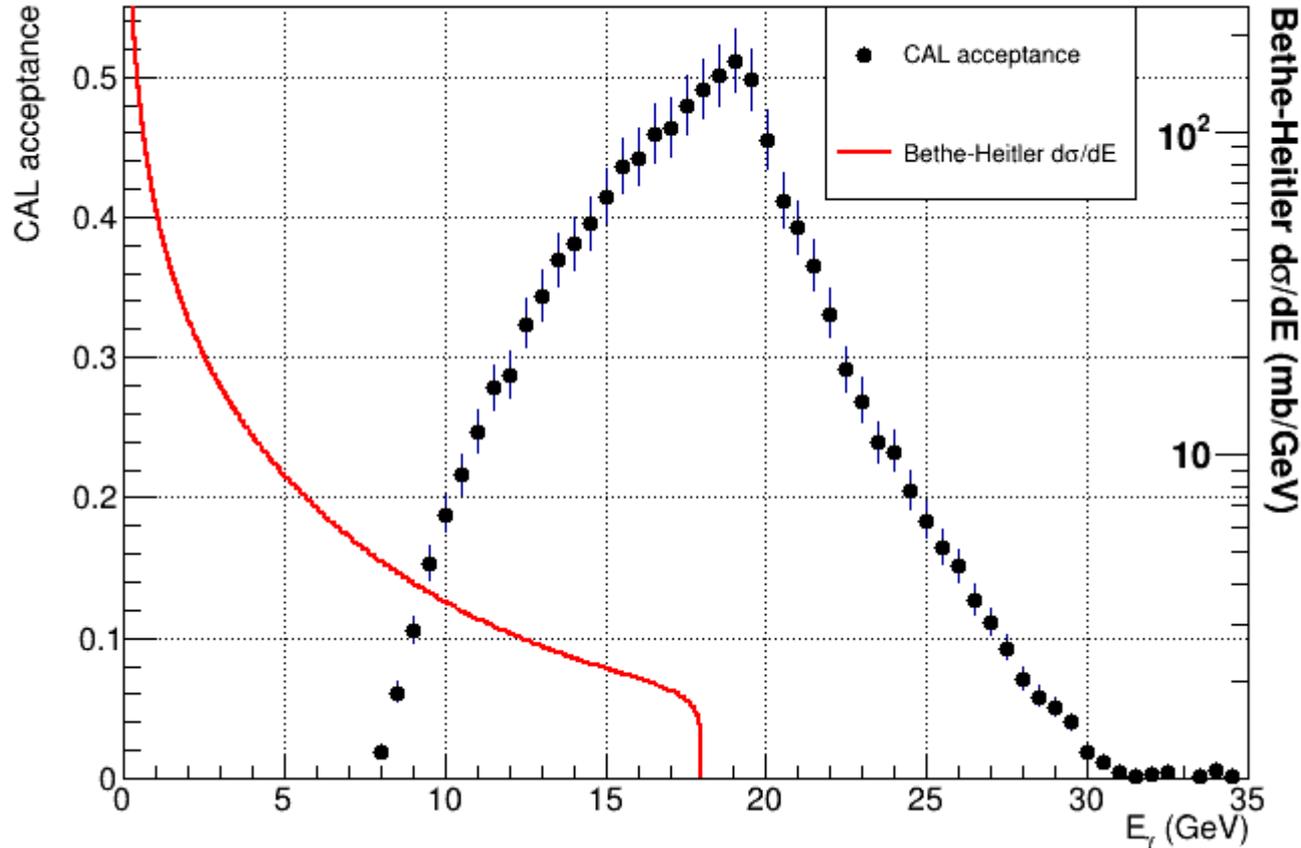
## Trackers

- 3 stations with a top & bottom plane each.
- $\pm 5\sigma$  gap between top and bottom for direct photon passage.
- 20 cm x 20 cm transverse dimensions
- 0.3 mm SiliconOxide (sensor) + 0.14 mm Copper (ASIC+cooling approximation):  $\sim 1\% X_0$

## Calorimeter

- Taken to be PbWO<sub>4</sub> with same module dimensions as scattered electron CAL
  - 2 cm x 2 cm x 20 cm.
- $\pm 5\sigma$  gap between top and bottom for direct photon passage.

# CAL acceptance



- Shape of acceptance governed by geometry of spectrometer arm
- Current design with nominal  $B=0.5$  T favors high end of spectrum
- One can “slide” the acceptance to the left by decreasing  $B$

**$eA$**  (very high Bremstrahlung)

- Use a large  $B$

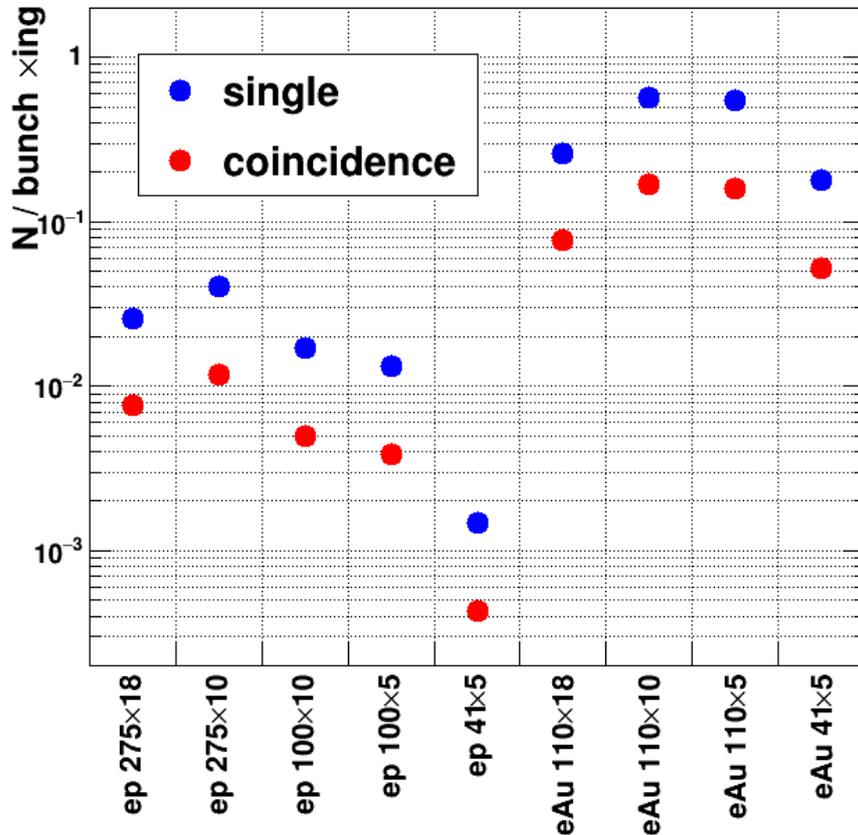
**$ep$**

- Use a smaller  $B$

# Expected Rates of electrons at spectrometer CALs

Bethe-Heitler formula for unpolarized ep Bremstrahlung

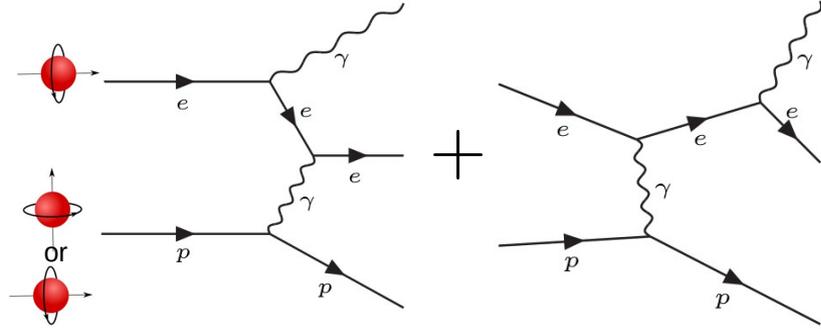
$$\frac{d\sigma}{dE_\gamma} = 4\alpha Z^2 r_e^2 \frac{E'_e}{E_\gamma E_e} \left( \frac{E_e}{E'_e} + \frac{E'_e}{E_e} - \frac{2}{3} \right) \left( \ln \frac{4E_p E_e E'_e}{m_p m_e E_\gamma} - \frac{1}{2} \right)$$



- Bremstrahlung  $\sigma$  is much larger for eAu than ep, but the bunch luminosity will be lower for eAu.
- These rates depend also on the design (acceptance) of the spectrometer CALs as well as the converter thickness (1 mm Al).
- **Pileup greatly suppressed with low conversion rate!**

See Bill Schmidke's [talk](#) for studies assuming 10 mm converter

# Calculation of Polarized Bremsstrahlung



- Bethe & Heitler first derived the cross section for bremsstrahlung in 1934, but for unpolarized projectile and targets.
- Steps to calculate the polarized cross section outlined in Lifshitz QED textbook (section 93).

Before calculating the polarized cross section, a re-derivation of the unpolarized double-differential cross section has been done:

- 1) Write out Feynman amplitudes, square them, and work through the Dirac algebra.
- 2) Integrate over scattered electron angles and photon's azimuthal angle.
- 3) Take ultra-relativistic and small-angle limit ( $p \sim \varepsilon$ ,  $\theta \ll m/\varepsilon$ ),  $\delta = \theta \varepsilon/m$ .

Lifshitz Eq 93.16

$$\frac{d^2\sigma}{d\omega d\delta} = 8Z^2 \alpha r_e^2 \frac{1}{\omega} \frac{\varepsilon'}{\varepsilon} \frac{\delta}{(1+\delta^2)^2} \left( \left[ \frac{\varepsilon}{\varepsilon'} + \frac{\varepsilon'}{\varepsilon} - \frac{4\delta^2}{(1+\delta^2)^2} \right] \ln \frac{2\varepsilon\varepsilon'}{m_e\omega} - \frac{1}{2} \left[ \frac{\varepsilon}{\varepsilon'} + \frac{\varepsilon'}{\varepsilon} + 2 - \frac{16\delta^2}{(1+\delta^2)^2} \right] \right)$$

**Unpolarized spinor simplification**

$$\frac{1}{2} \sum_{spins} u(p)\bar{u}(p) = \frac{1}{2}(\gamma p + m)$$

**Polarized case**

$$u(p)\bar{u}(p) \rightarrow \frac{1}{2}(\gamma p + m)(1 - \gamma^5(\gamma s))$$

Contains  
beam  
polarization

# Summary

- New luminosity spectrometer design implemented in DD4HEP.
- With new design (sweeper magnet + thin converter), pileup is greatly suppressed.
- Preliminary estimates for energy resolutions from trackers and CALs have been given.
  - Synergy with taggers: special low-luminosity runs are planned to cross calibrate spectrometer CAL and taggers. Full detection of  $e+p \rightarrow e+p+\gamma$

# Next steps

- Check the fringe-field strength of Lumi dipole magnets to confirm  $< 10$  Gauss @ beams.
- Optimize placements/sizes of trackers and CAL.
- Further investigate feasibility & benefit of an extended He<sup>2</sup> gas chamber.
- Implement a clusterizer to more appropriately extract hit centers & deal with residual pileup.

# Backup

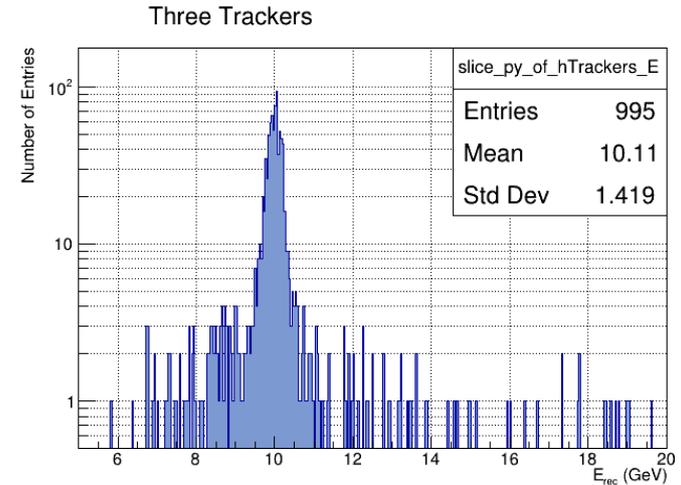
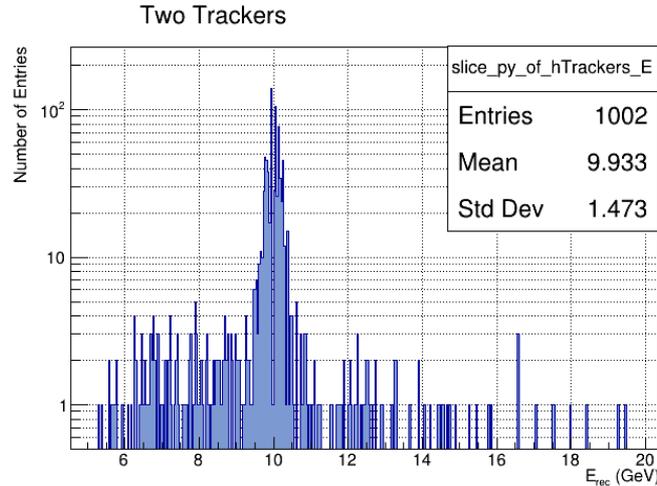
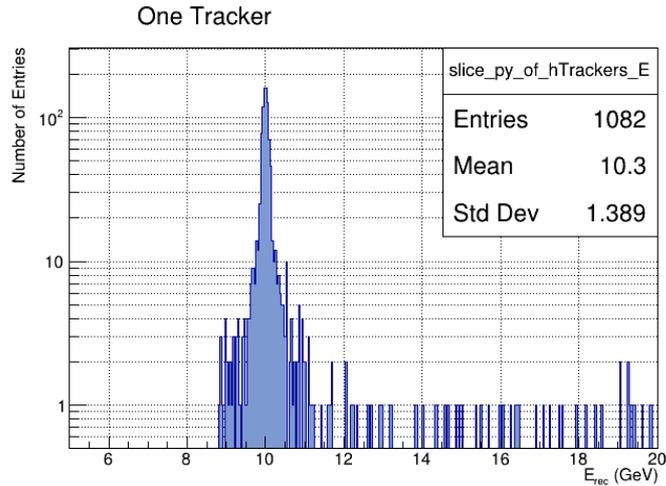
# Tracker Energy reconstruction

Slope of track obtained from the least-squares linear regression formula

$$\tan \theta = \frac{N \sum z_i y_i - \sum z_i \sum y_i}{N \sum z_i^2 - (\sum z_i)^2}$$
$$E_{e^\pm} = \frac{p_T}{\sin \theta} = \frac{0.3 \int B_x dz}{\sin \theta}$$
$$E_\gamma = E_{e^-} + E_{e^+}$$

NIM Phys Res A 565 (2006) 572-58  
8

Generated  $E_\gamma = 10$  GeV

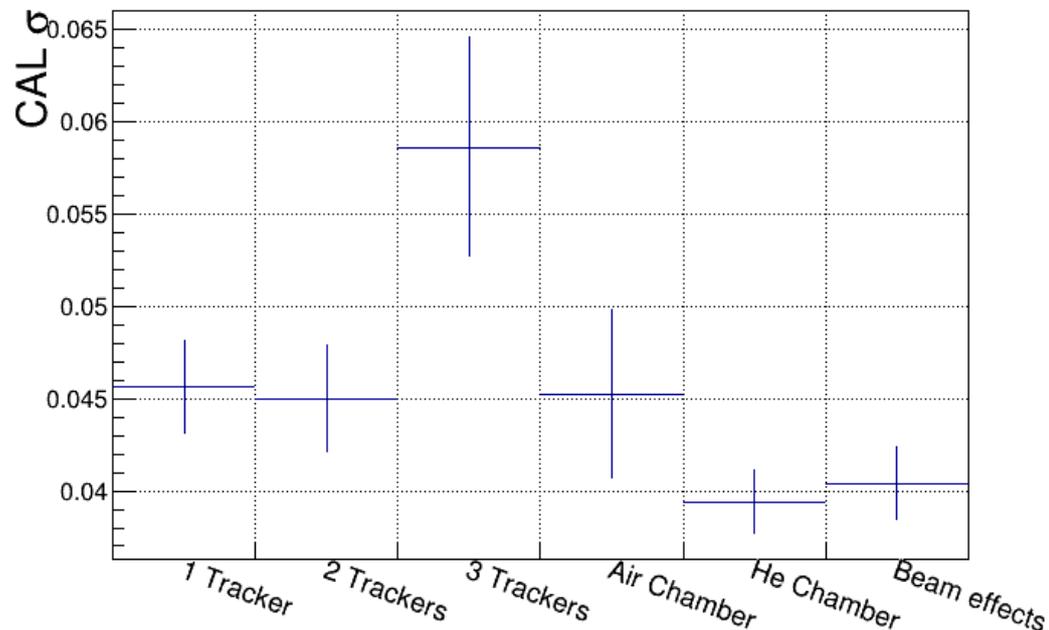
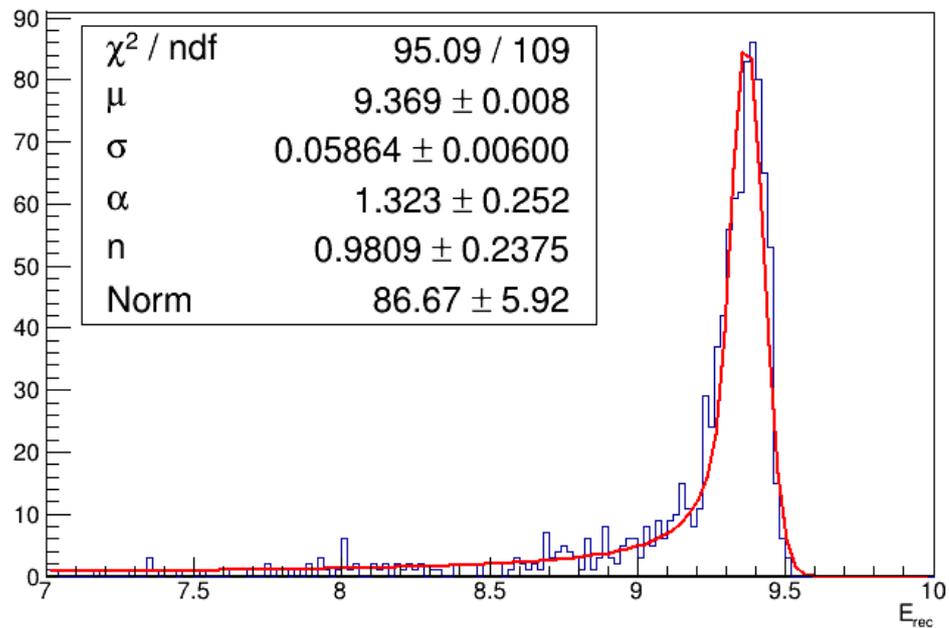


- More tracking layers leads to more multiple scattering (of course).

# CAL Energy reconstruction

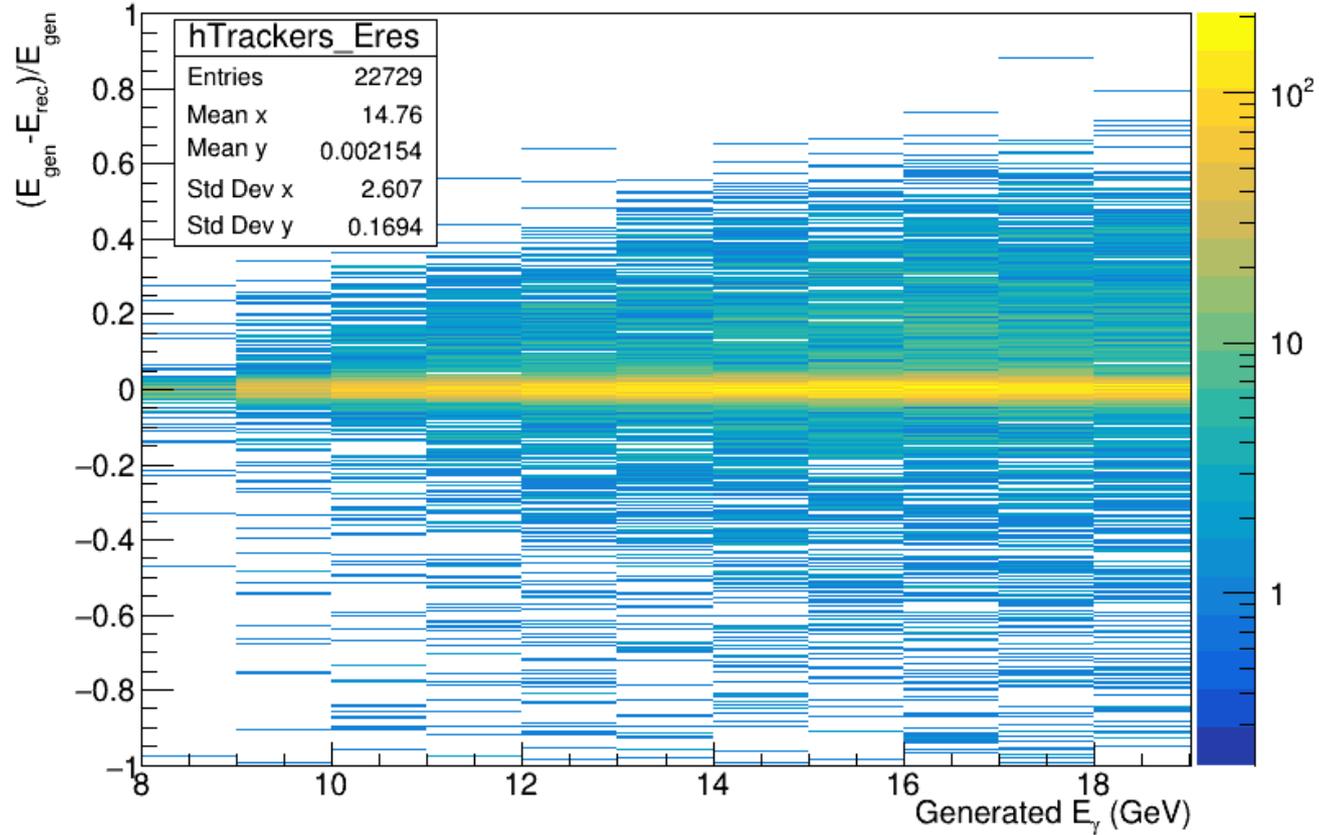
Crystal Ball fit used: Gaussian + power law tail

$E_{\text{gen}} = 10 \text{ GeV}$



- No observable difference in CAL energy resolution with these configurations.

# Tracker relative Energy reconstruction



3 Tracker planes

# Bethe-Heitler

$$\frac{d\sigma}{dE_\gamma} = 4\alpha Z^2 r_e^2 \frac{E'_e}{E_\gamma E_e} \left( \frac{E_e}{E'_e} + \frac{E'_e}{E_e} - \frac{2}{3} \right) \left( \ln \frac{4E_p E_e E'_e}{m_p m_e E_\gamma} - \frac{1}{2} \right)$$

Bethe-Heitler

