# **SciGlass: Performance Studies**

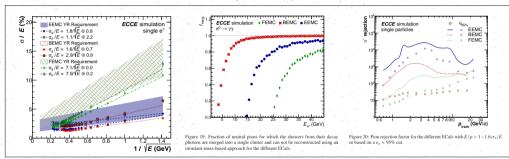
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**University of Kentucky** 



#### Simulation studies

» Fun4All for ECCE with PANDA-like geometry



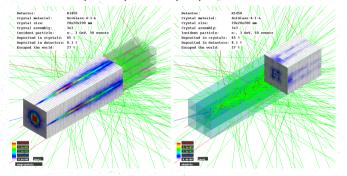
https://arxiv.org/abs/2207.09437

- » Standalone Geant4 with optical photon propagation for beam tests
- » DD4hep-based ePIC simulation



#### Simulation studies

- » Fun4All for ECCE with PANDA-like geometry
- » Standalone Geant4 with optical photon propagation for beam tests



» DD4hep-based ePIC simulation Subject of this talk



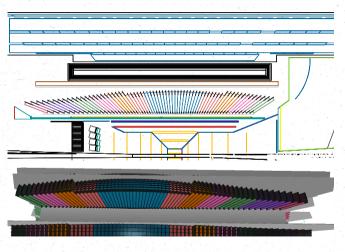
#### **Simulation setup**

- » Single particle simulations
- » Momentum direction sampled uniformly on a sphere
- » Vertex at (0, 0, 0)
- » ePIC 22.12.0 geometry
- » FTFP\_BERT physics list
- » Particle momenta are used in place of reconstructed charged track momenta



#### SciGlass calorimeter geometry

Tower dimensions and placement implemented based on engineering design







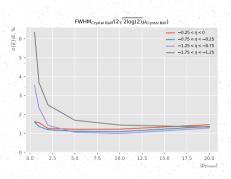
#### SciGlass material in Geant

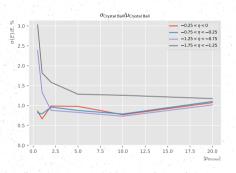
- » Density 4.22g/cm<sup>3</sup>
- » Energy deposits corrected according to the Birks' law with kB = 0.0333 mm/MeV (nominal for PbWO4 at CMS)



#### **Energy resolution**

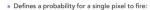








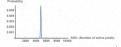
#### "kSiPM photon digitization" in Fun4All



$$P_{\text{pixel}} = 1 - \exp\left(-\frac{E_{\text{tower}} \times N_{\text{photoelectrons/GeV}}}{N_{\text{pixels}}}\right)$$

$$N_{\rm photons} \sim {\sf Binomial}(N_{\rm pixels}, P_{\rm pixel})$$

» Produces a following distribution of N<sub>photons</sub> for a 1 GeV tower:



» And is converted back to energy using a "gain" of





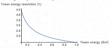
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#### "kSiPM photon digitization" in Fun4All: resolution

» The resolution can be calculated as:

$$\frac{\delta E_{\text{tower}}}{E_{\text{tower}}} = \frac{N_{\text{pixels}} \sqrt{P_{\text{pixel}} (1 - P_{\text{pixel}})}}{N_{\text{pixels}} P_{\text{pixel}}}$$

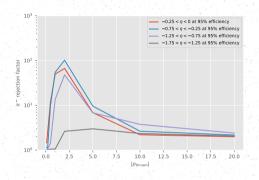
» Which results in a following dependency:

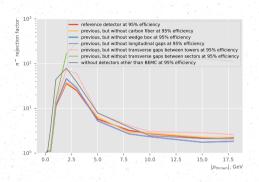


» Note that this is for singular towers. For clusters or for full events, the observed resolution will degrade as the energy is split among several towers.



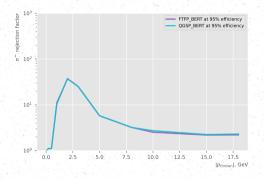
#### Pion rejection: $\eta$ dependence







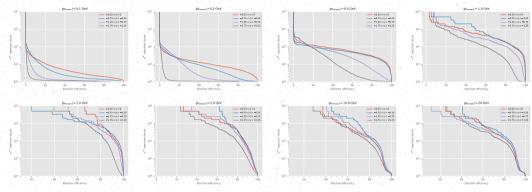
### **Systematics**





### Pion rejection: $\eta$ dependence







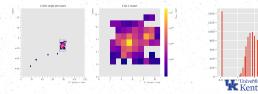
#### **Island Clustering**

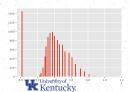
- » Pick connected "islands" of hits
- » Select islands with peak energy > threshold (50 MeV here)
- » In each island, find hits that are local maxima w.r.t. 4 neighbours
- » Select local maxima above a threshold (100 MeV here yeah, should be 50)
- » For hit h calculate its distance  $d_{hm}$  to each local maxima hit m, the weight is

$$\omega_{hm} \sim E_m \exp\left(-\frac{d_{hm}}{\lambda}\right)$$

» Fraction proportional to  $\omega_{hm}$  of energy  $E_h$  is attributed to a subcluster m.

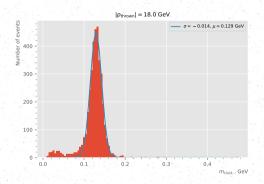
For each island calculate 
$$\chi^2 = \sum_h \left(\sum_m E_m \exp\left(-\frac{d_{hm}}{\lambda}\right) - E_h\right)^2$$
, minimize  $\chi^2$  over  $\lambda$ 





#### $\pi^0$ reconstruction

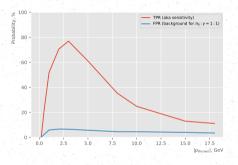


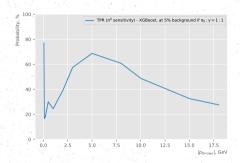




## $\pi^0/\gamma$ separation



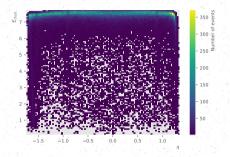


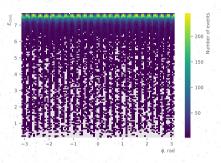


Naive method based on counting local maxima and ML based on 5x5 cluster information



# Reconstructed cluster energy response

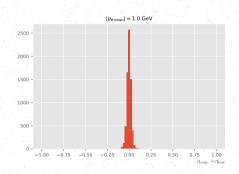


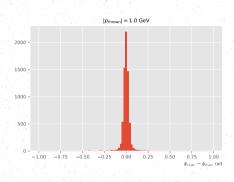




### **Angular resolution**









# **Detector optimization using ML**

**TBD** 

