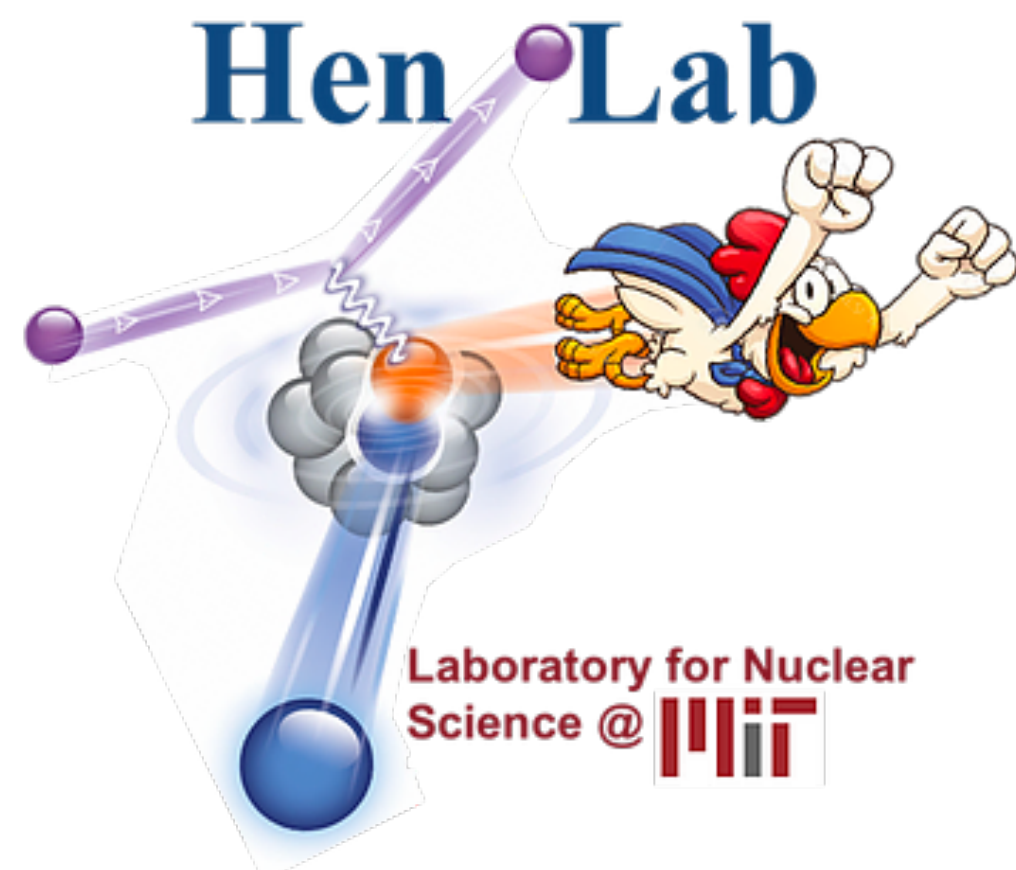


Neutron Spin from Double-Spectator Tagging at the EIC

Jackson Pybus

MIT

EIC Center at Jefferson Lab

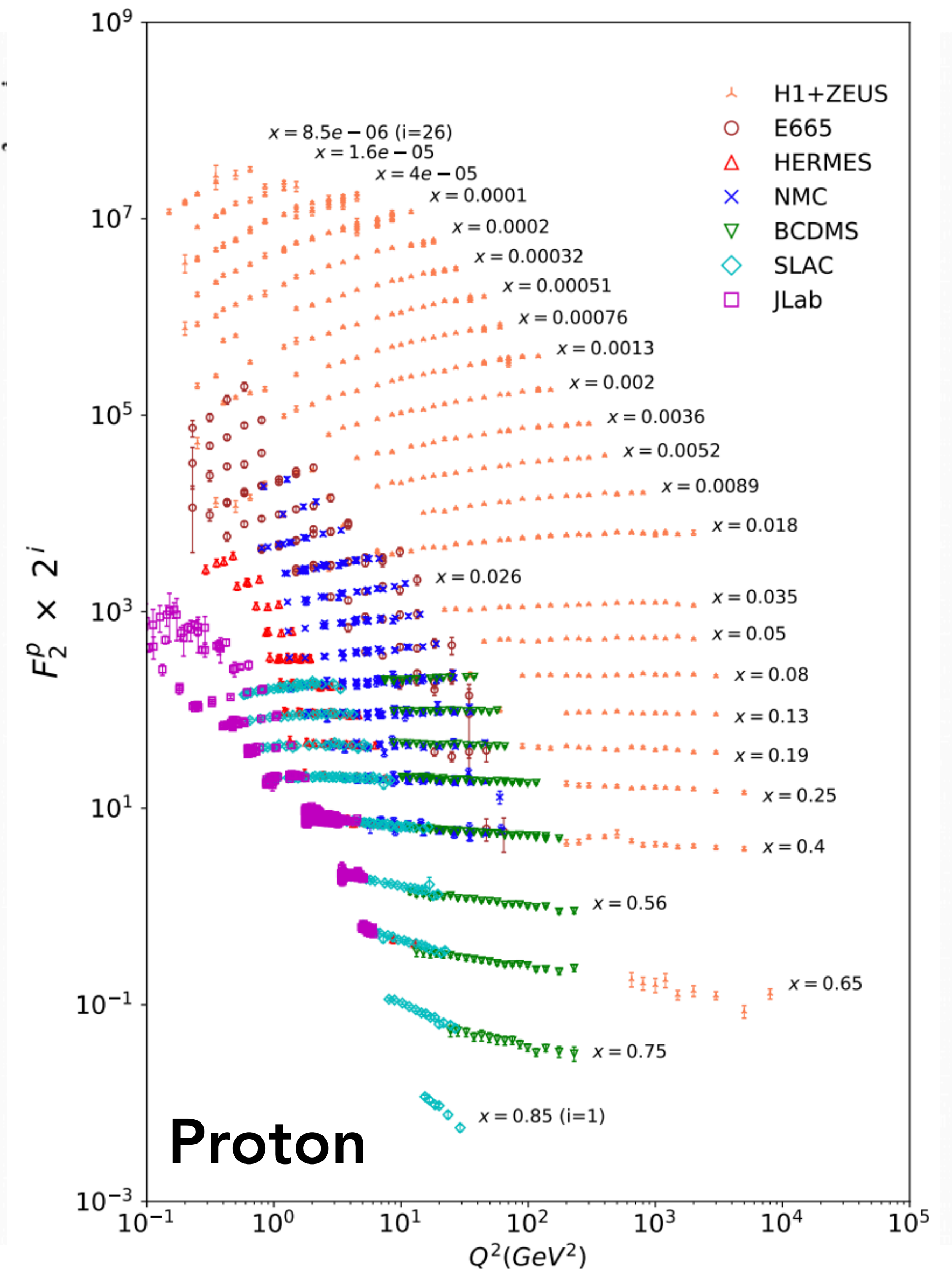


Nucleon Structure Measurements

Measuring nucleon structure fundamental for understanding QCD

Proton:

- Well measured
- Wide coverage in x_B, Q^2
- High precision



Nucleon Structure Measurements

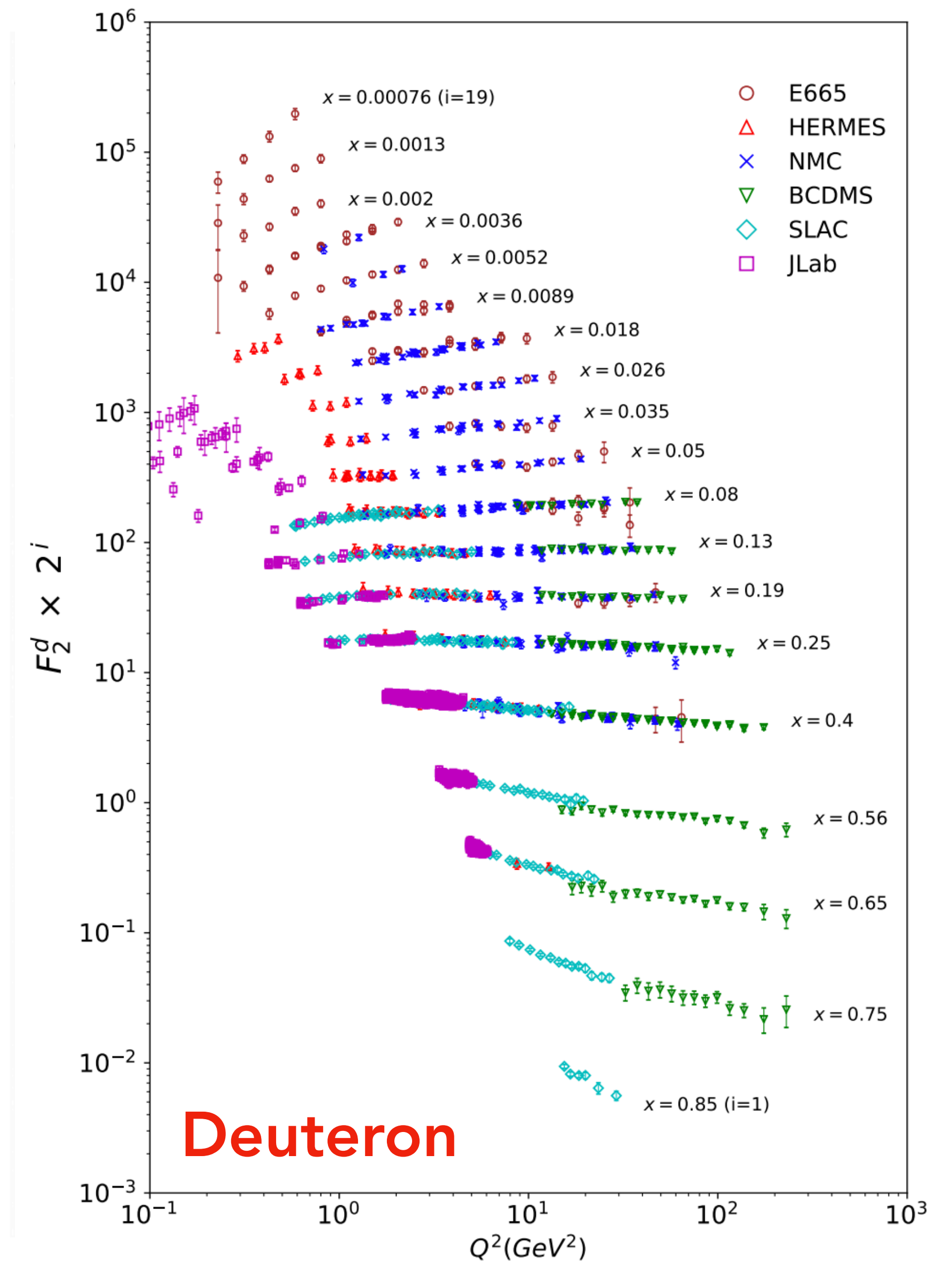
Measuring nucleon structure fundamental for understanding QCD

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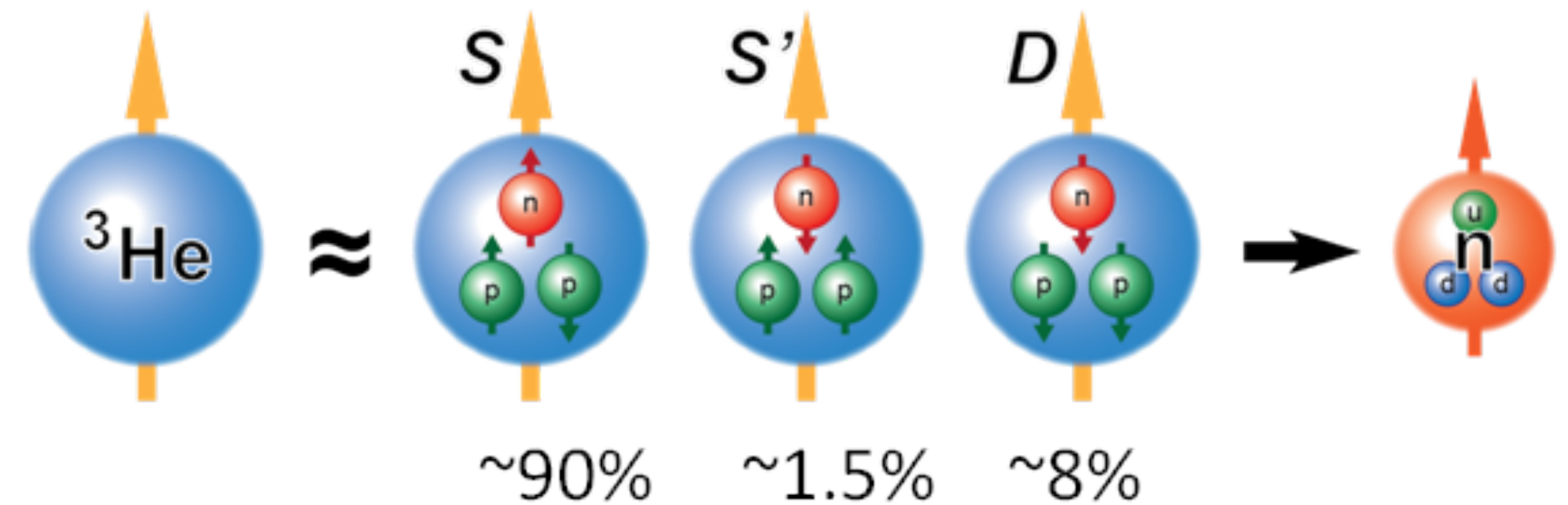
Neutron:

- No free neutron target
- Using light nuclei to probe the neutron
- Large model dependence



Polarized Neutrons in ^3He

- Neutron carries most of the spin in polarized ^3He
- Extracting A_1^n from inclusive $A_1^{^3\text{He}}$:



$$A_1^n \approx \frac{1}{P_n} \frac{F_2^{^3\text{He}}}{F_2^n} \left(A_1^{^3\text{He}} - 2P_p \frac{F_2^p}{F_2^{^3\text{He}}} A_1^p \right)$$

$$P_n \approx 87\%$$

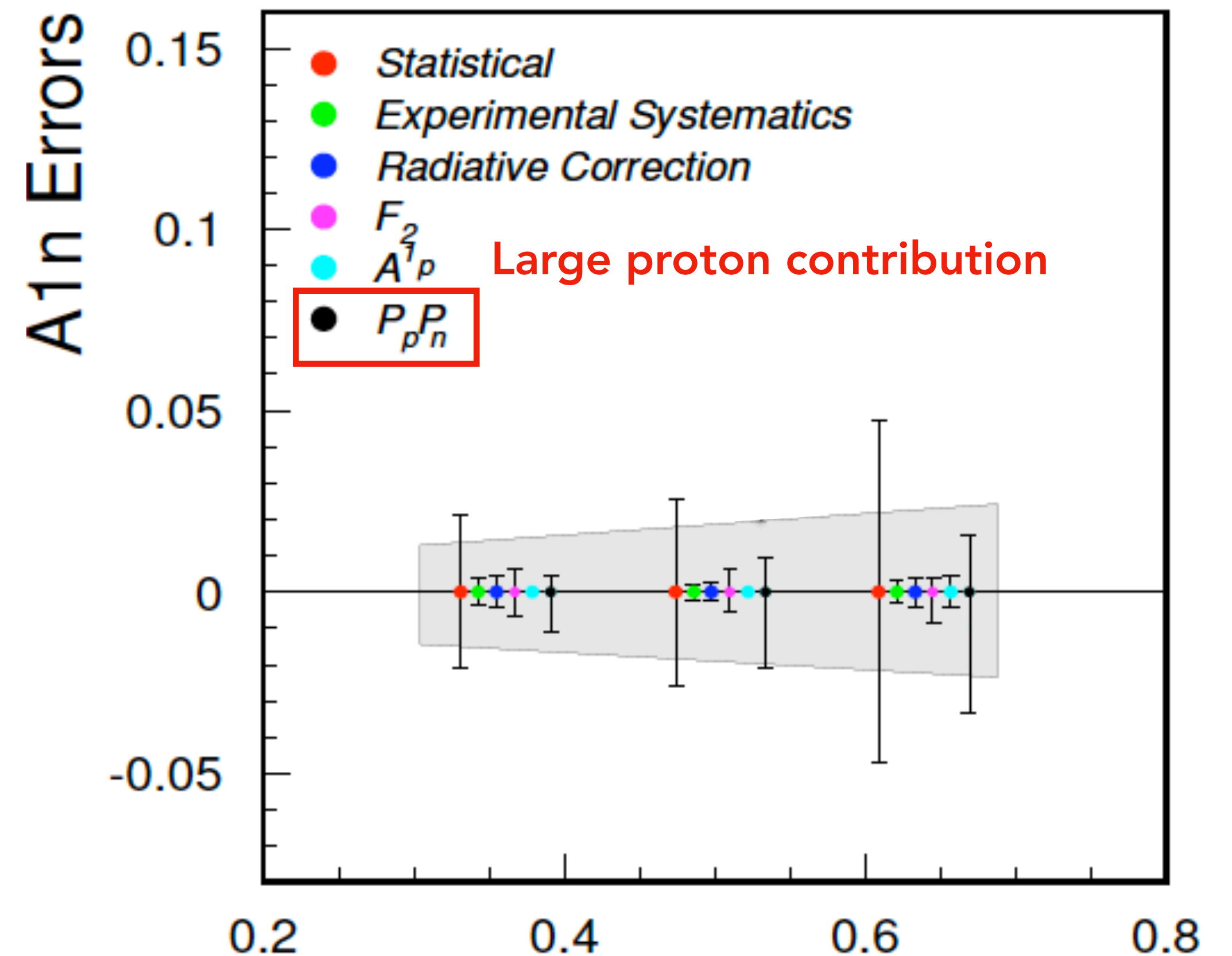
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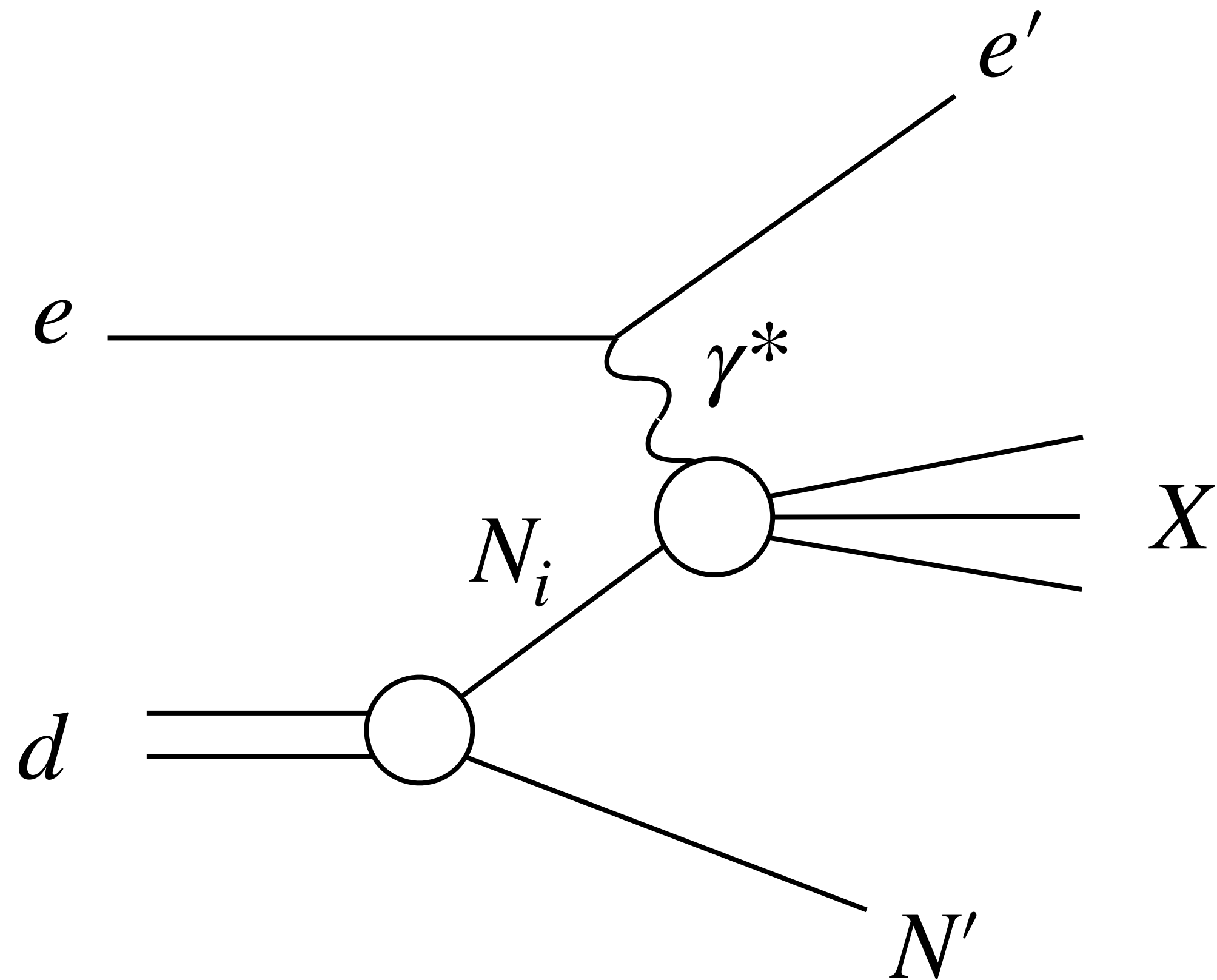
- **Corrections introduce large uncertainties**

Hall A Experiment E12-06-112



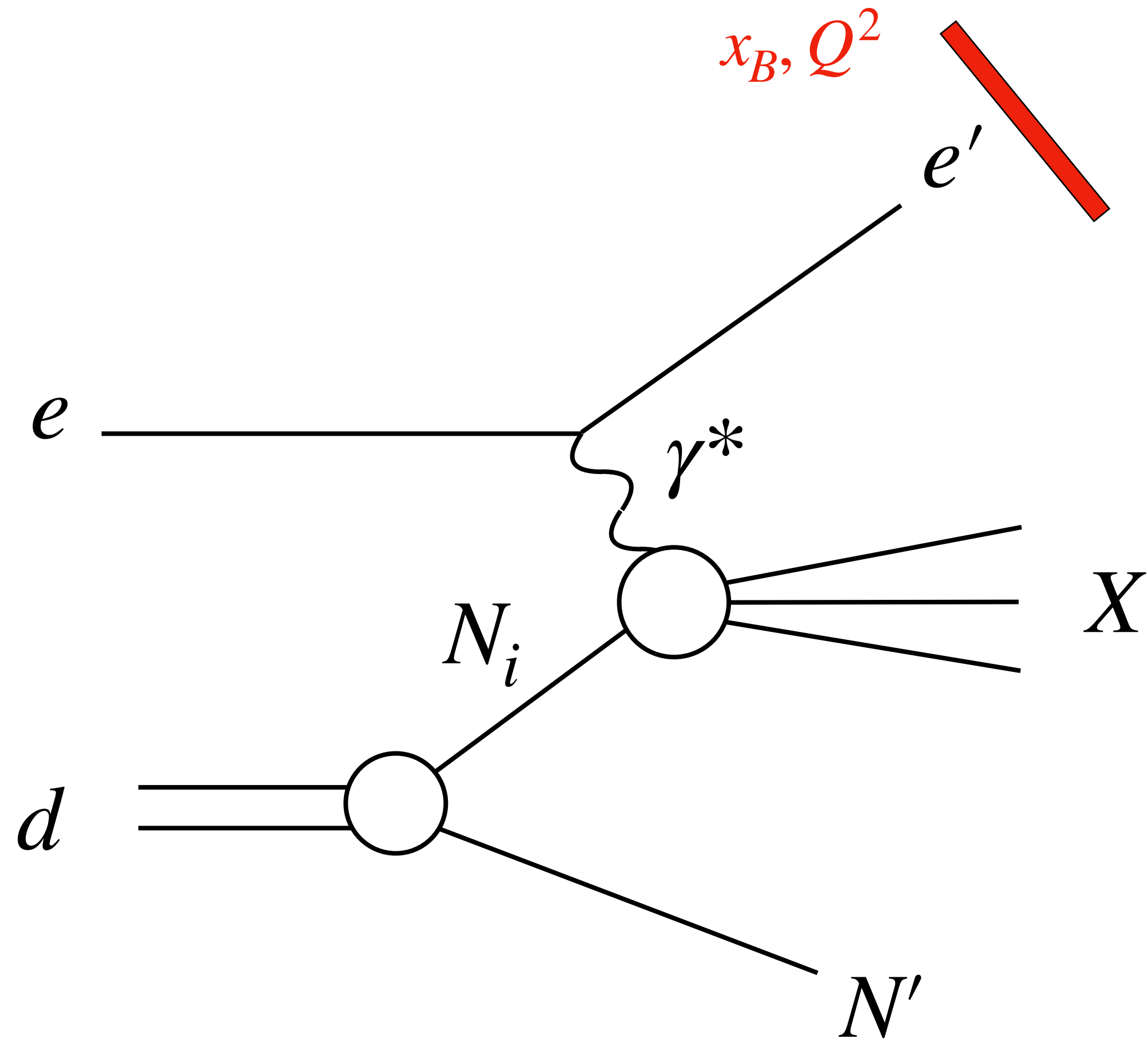
X_{Bjorken}

Spectator-Tagged DIS



Spectator tagging facilitates effective targets not readily found in nature

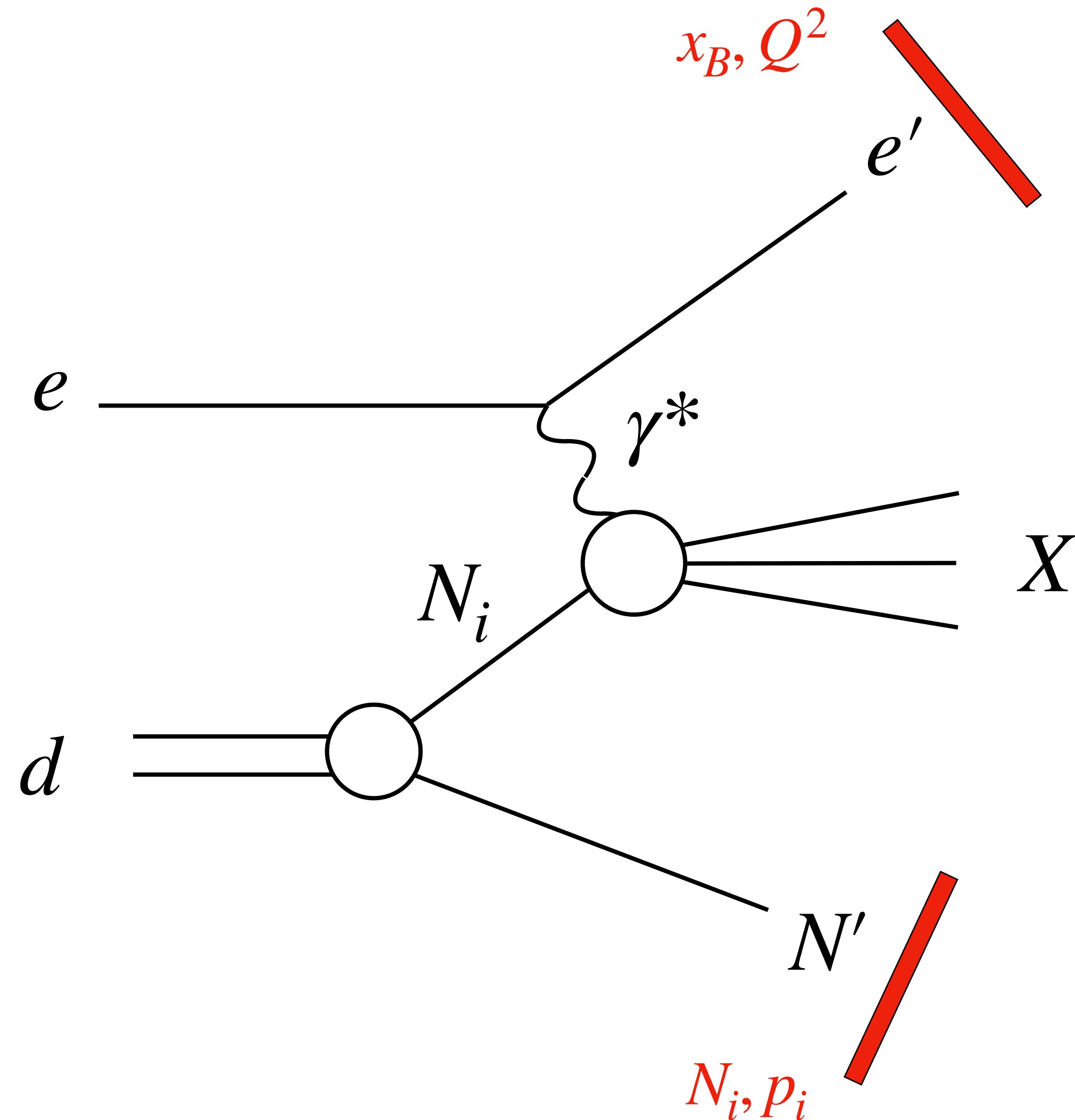
Spectator-Tagged DIS



Spectator tagging facilitates effective targets not readily found in nature

- Measure scattered electron for DIS variables: x_B, Q^2

Spectator-Tagged DIS

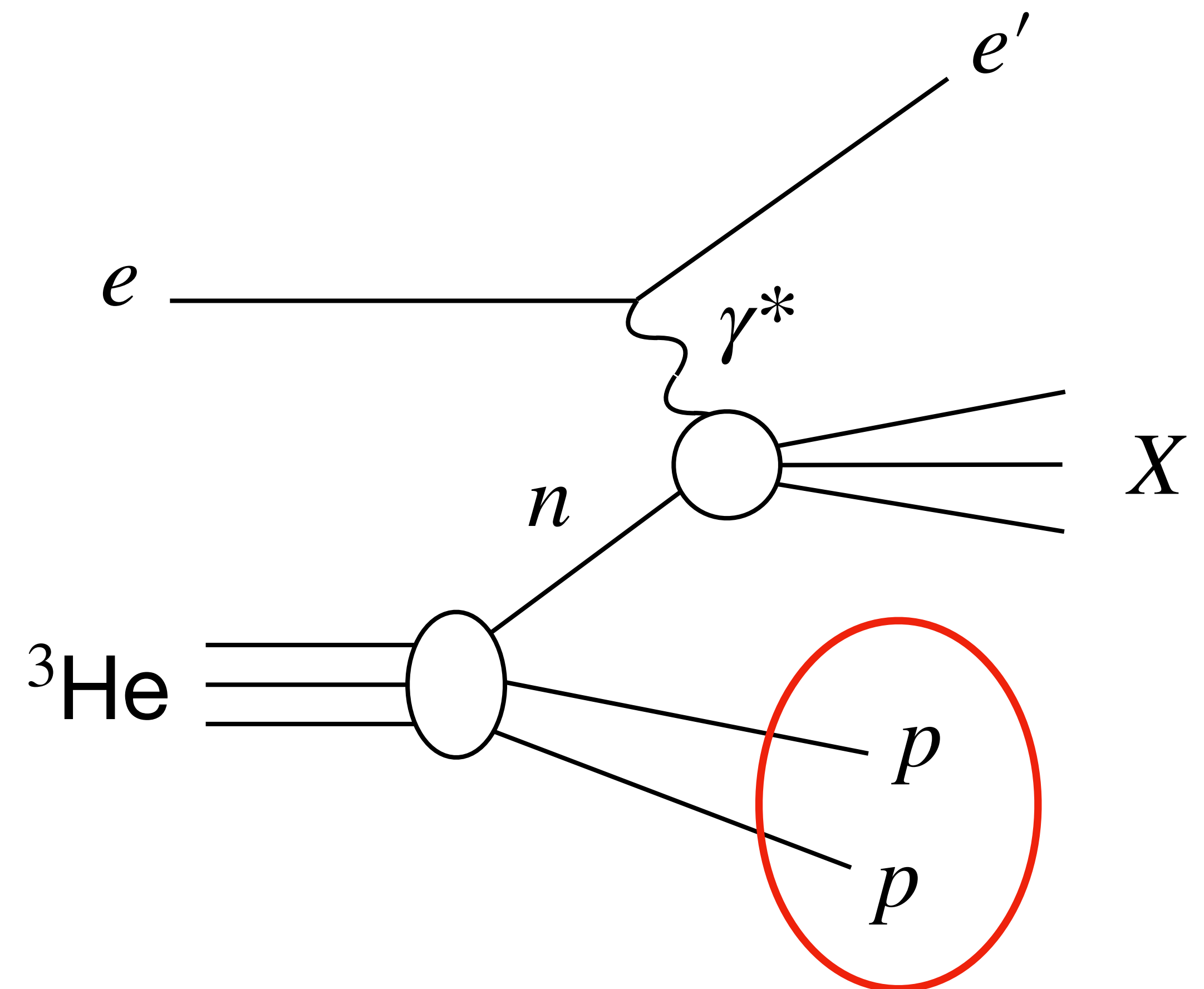


Spectator tagging facilitates effective targets not readily found in nature

- Measure scattered electron for DIS variables: x_B, Q^2
- Measure spectator system for initial nuclear state: $p_i, \text{isospin}$

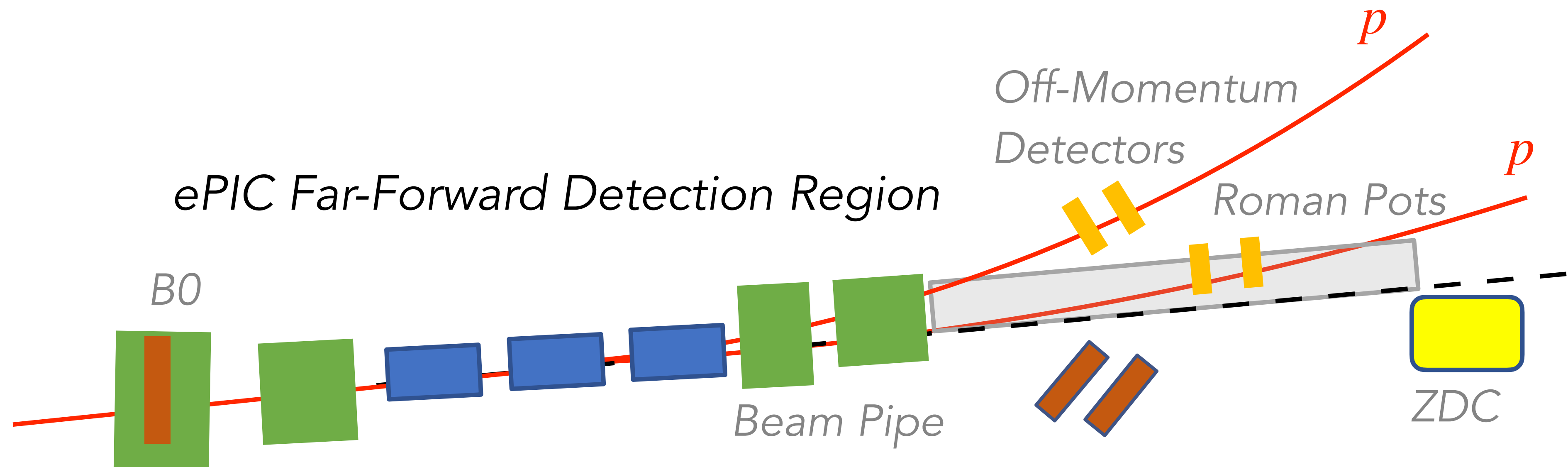
A_1^n from Double-Spectator Tagging

- Measure two spectator protons \rightarrow active neutron
- Reduced model-dependency
- Require low momentum for quasi-free neutron



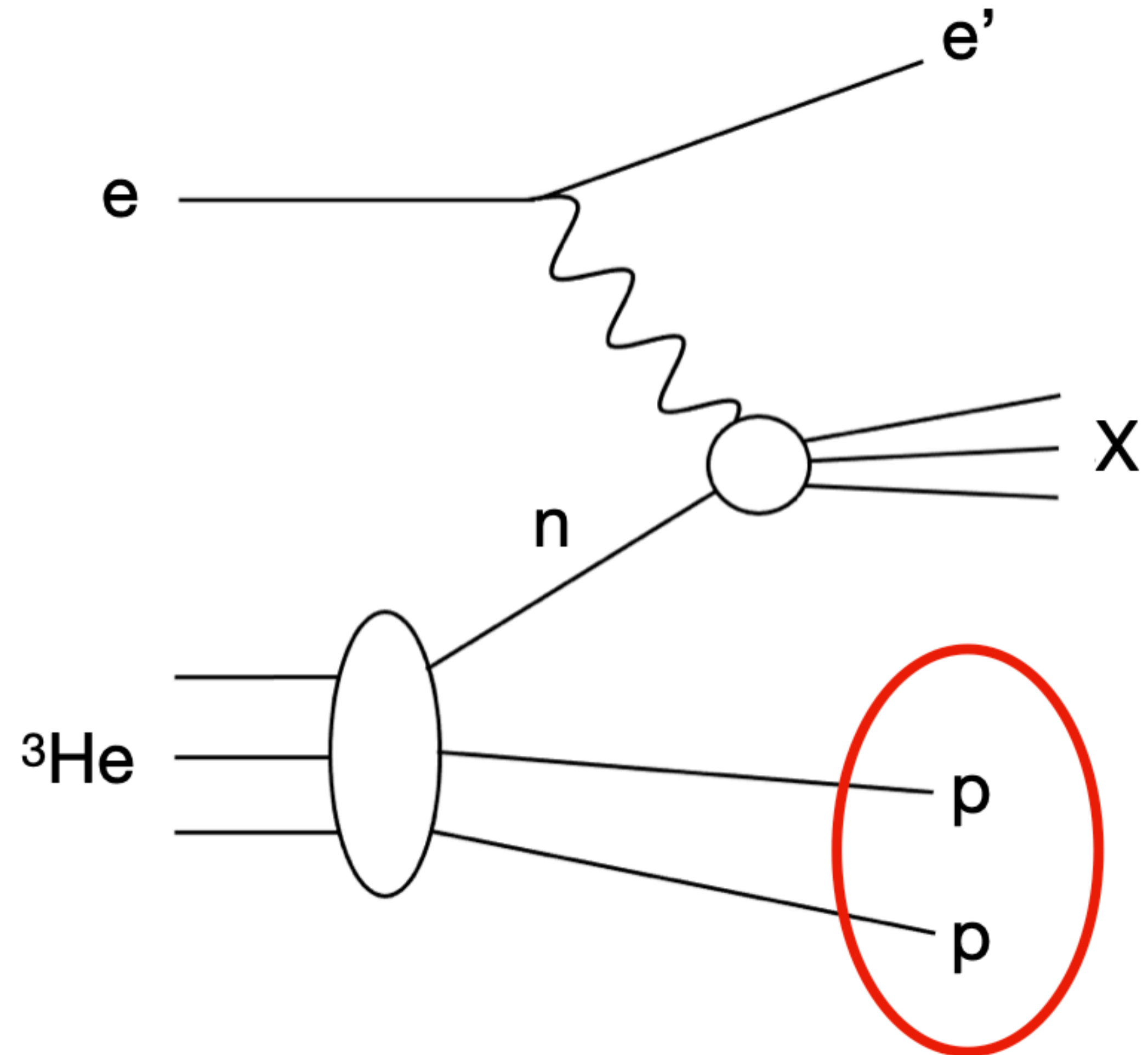
Spectator Tagging at the EIC

- Far-forward detection allows measuring particles with high rapidity
- Protons, neutrons, ions separate cleanly in magnetic field
- Low-momentum spectators detected with high efficiency

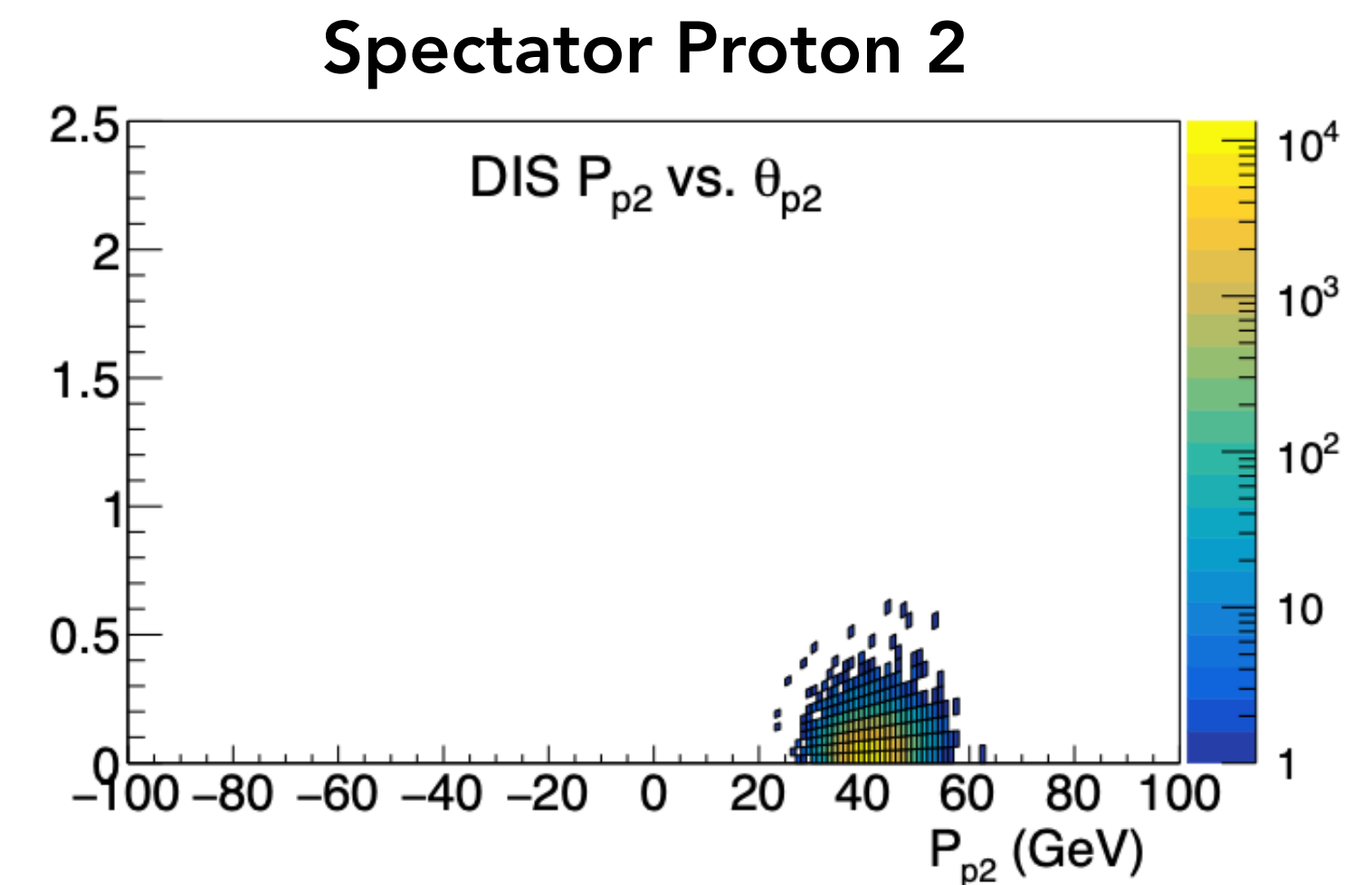
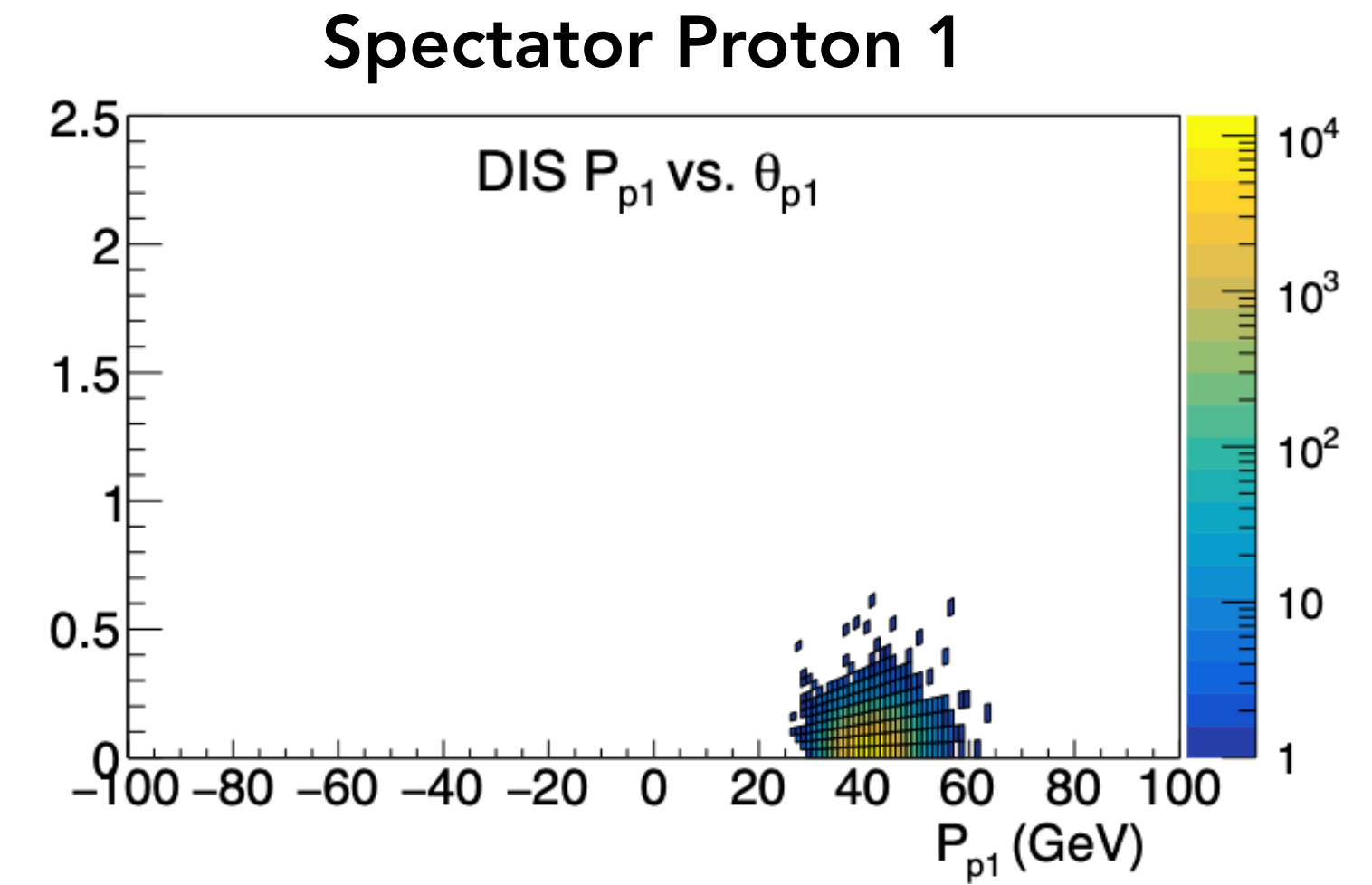
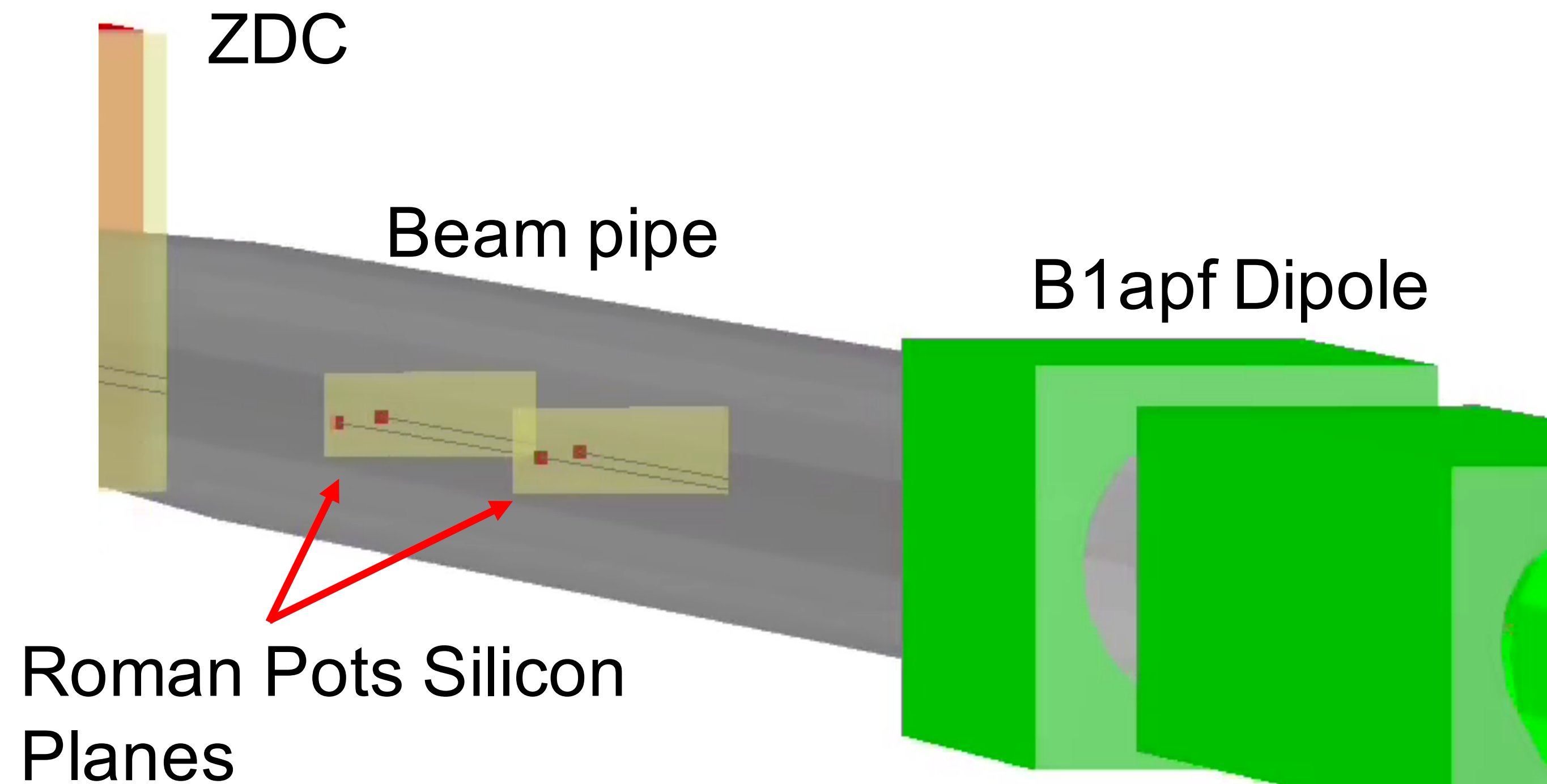


Physics Event Modelling

- Generate neutron DIS events
- Sample initial nuclear state from ${}^3\text{He}$ model
- Combine for full event ${}^3\text{He}(e, e'p_s1p_s2)X$



Simulate detector response to final-state particles



Event Selection

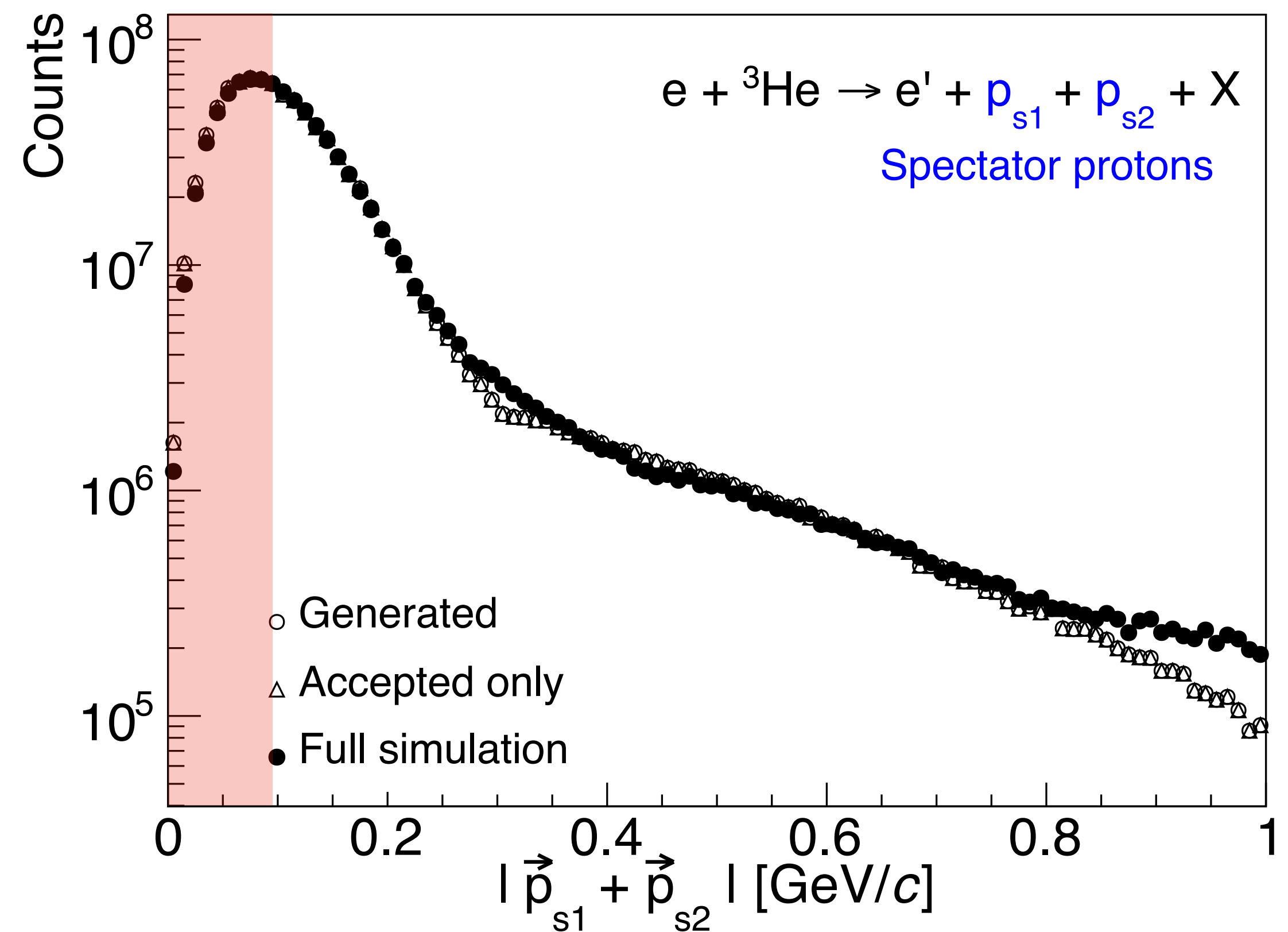
DIS Cuts:

- $Q^2 > 2 \text{ GeV}^2$
- $W^2 > 4 \text{ GeV}^2$
- $0.05 < y < 0.95$

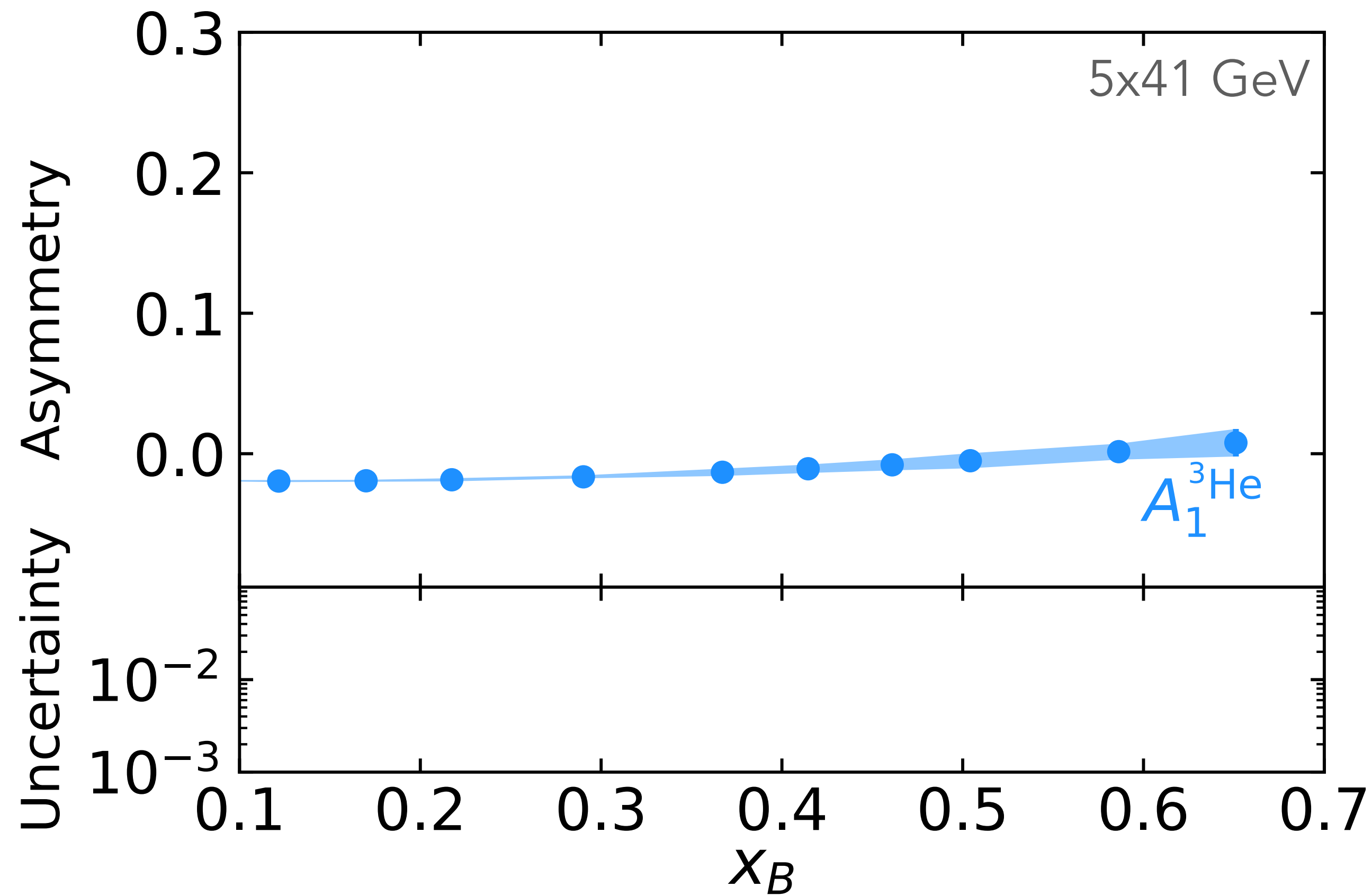
Tagging Cuts:

- Both spectator protons detected
- $|\vec{p}_{s1} + \vec{p}_{s2}| < 0.1 \text{ GeV}$

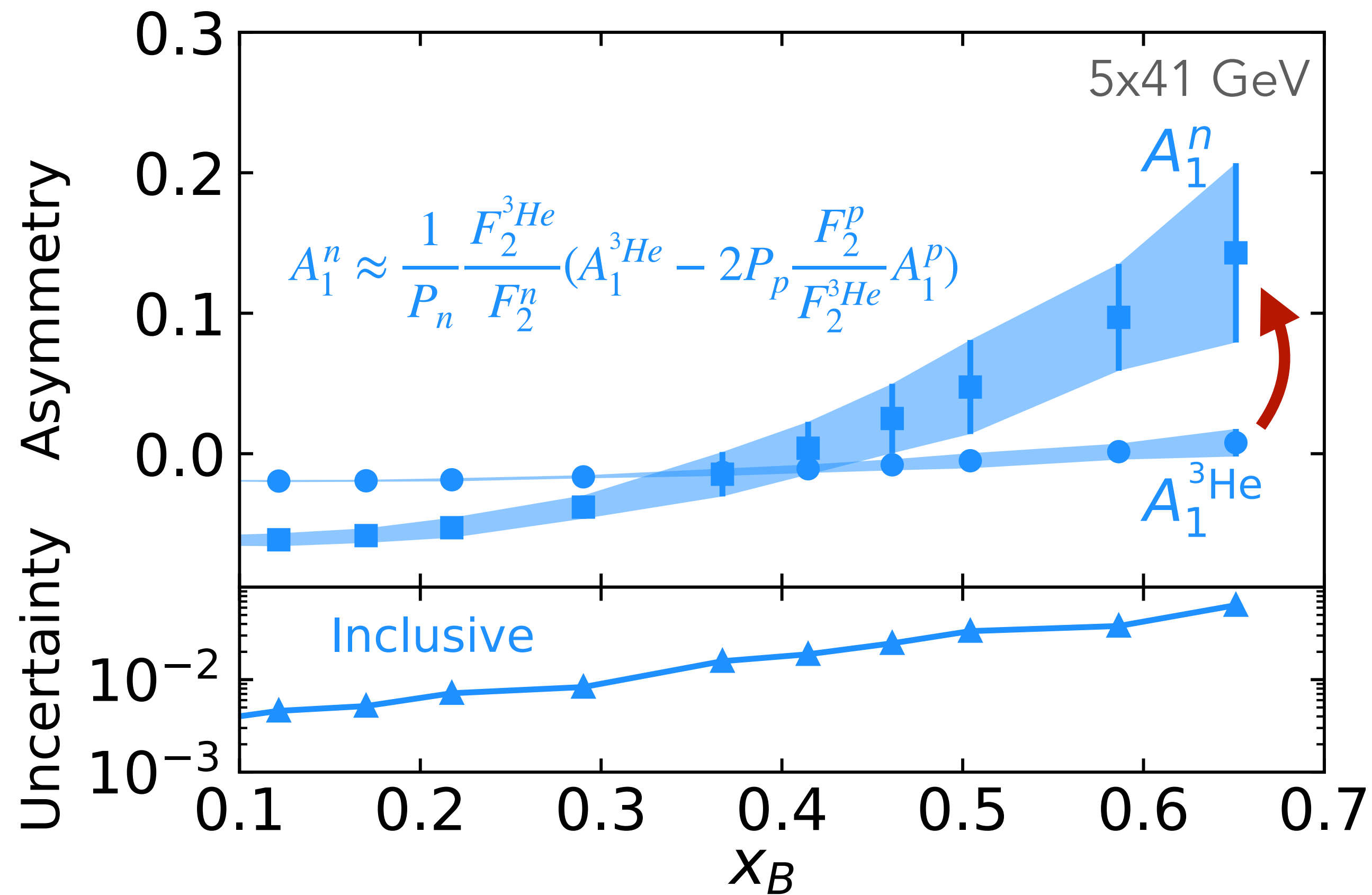
Bin in x_B , Q^2 , scale to 100 fb^{-1}



A_1^n from inclusive ${}^3\text{He}(e, e')$

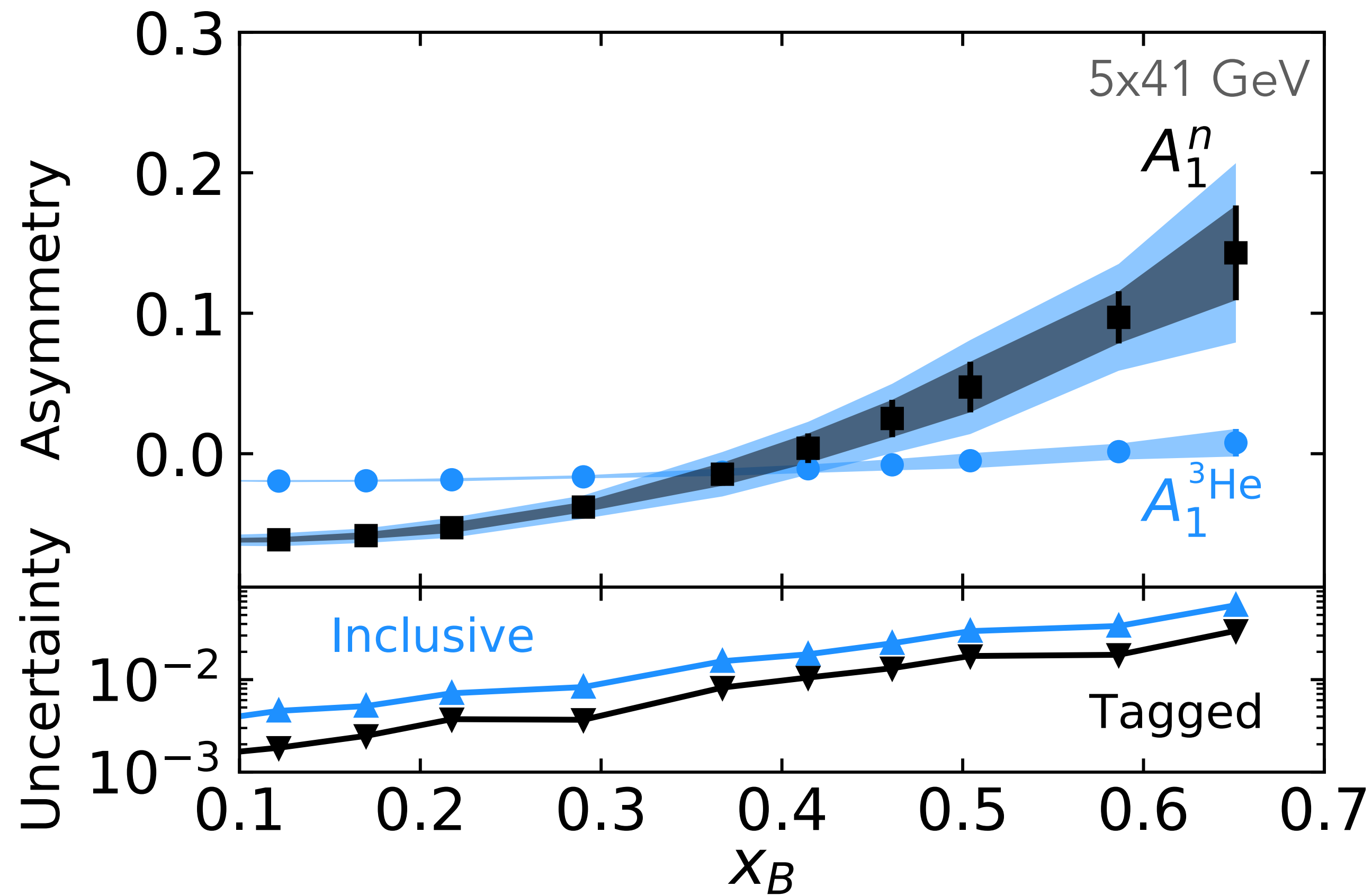


A_1^n from inclusive ${}^3\text{He}(e, e')$



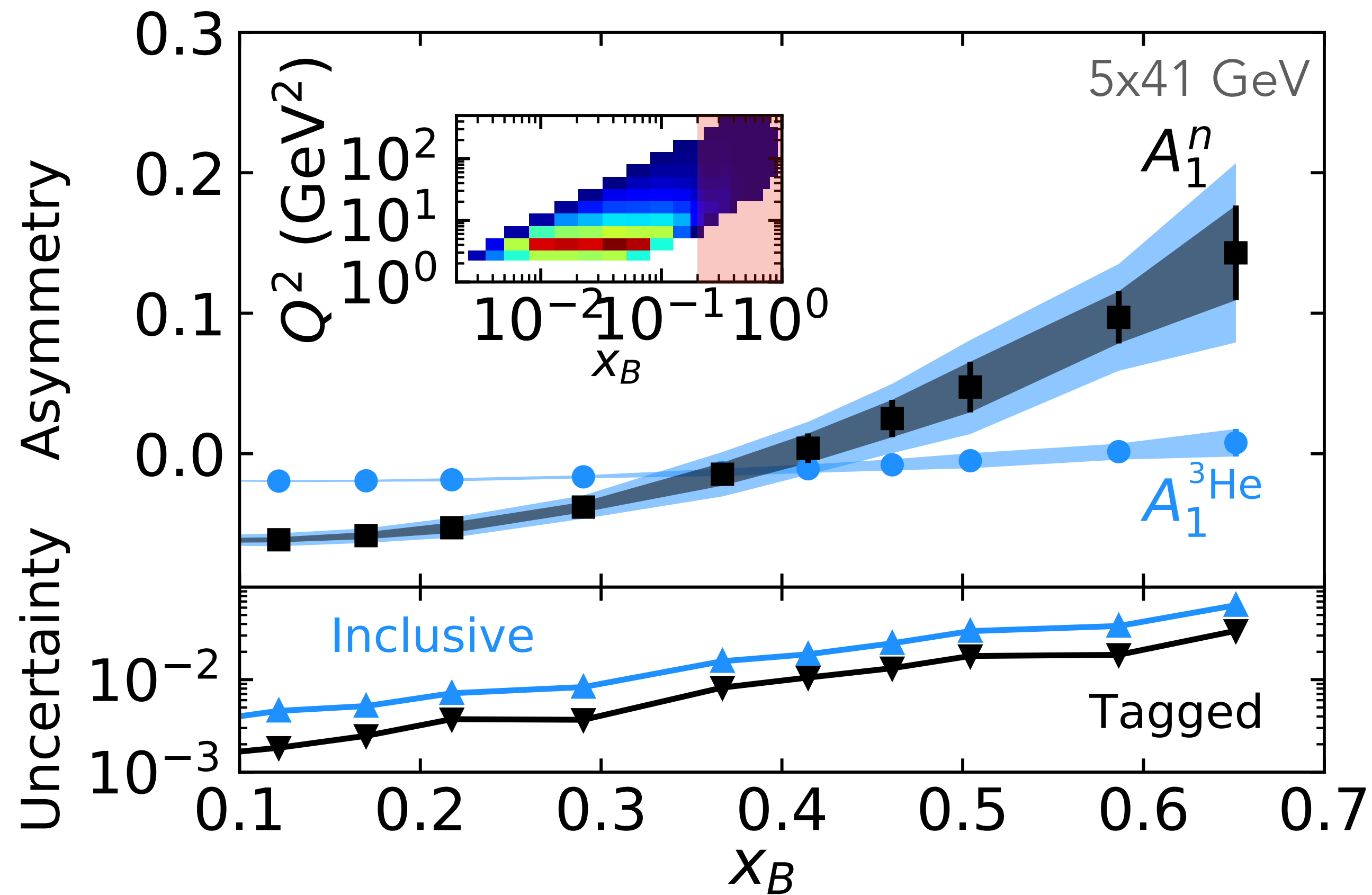
Extraction introduces large systematic uncertainties

A_1^n from tagged ${}^3\text{He}(e, e'pp)$



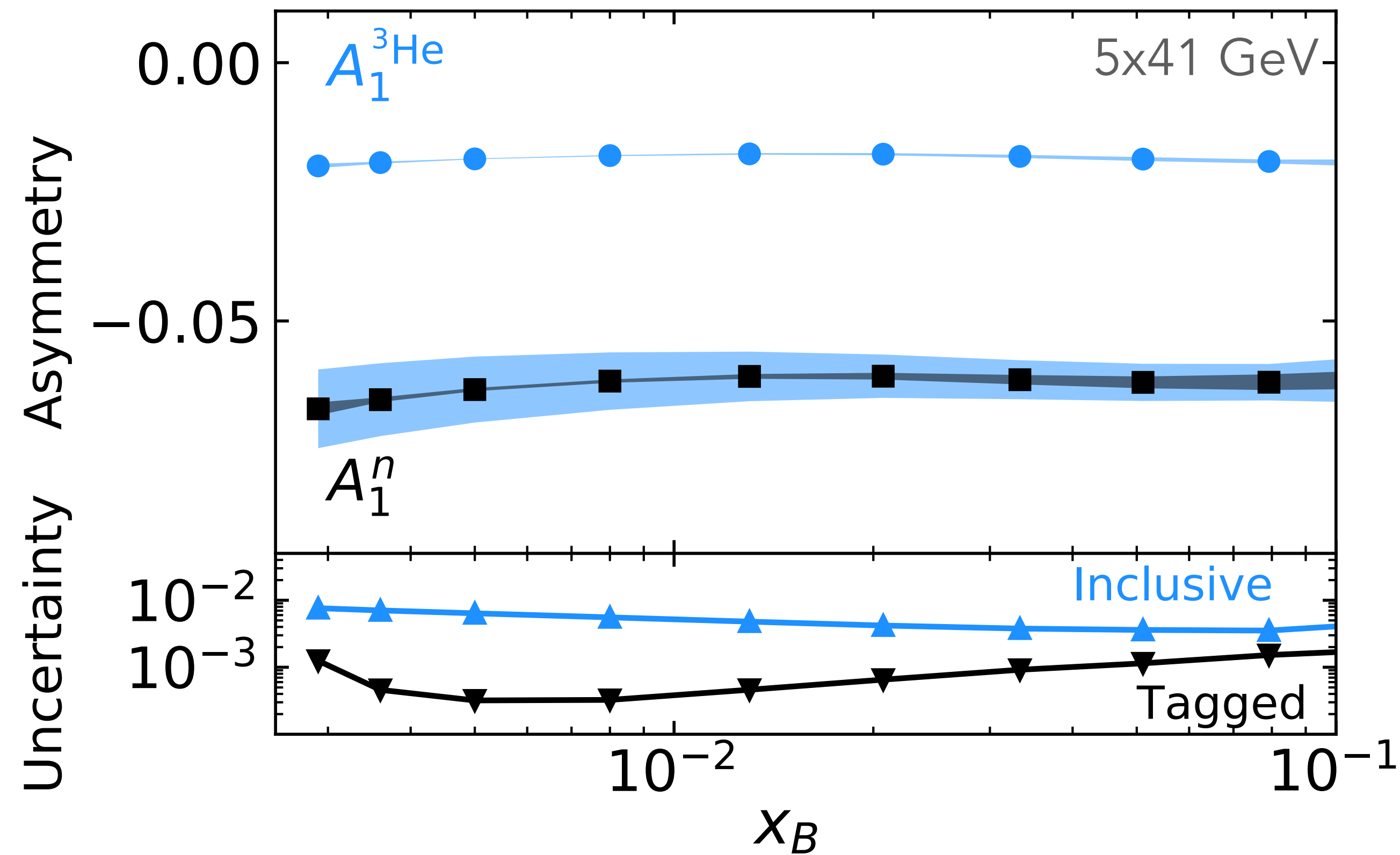
Tagging improves precision

A_1^n Coverage at EIC



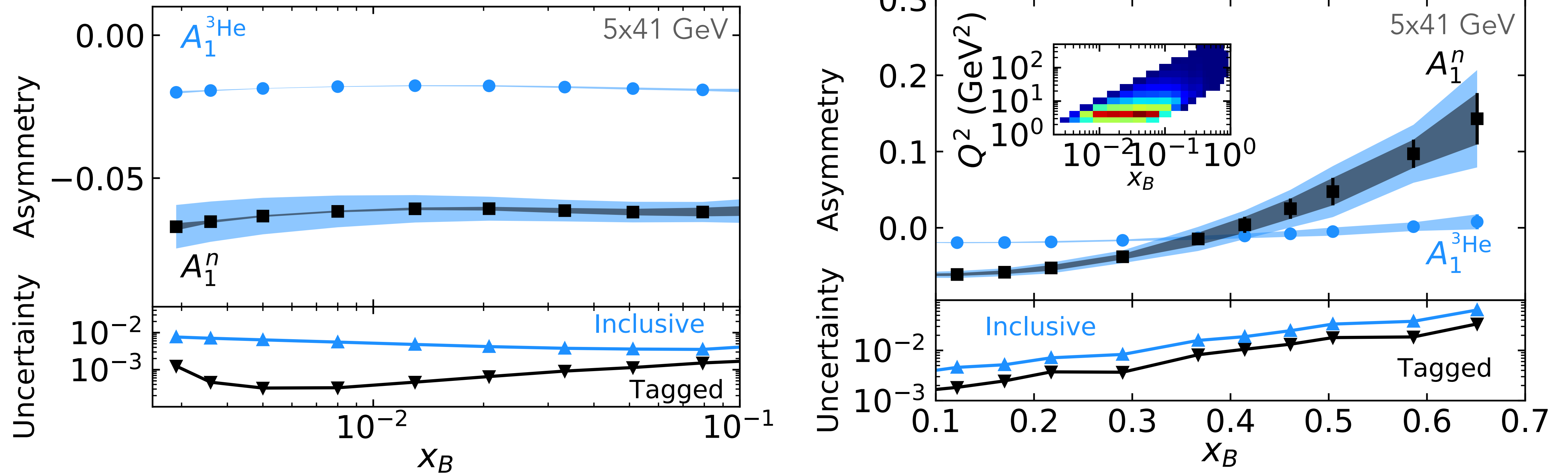
EIC allows measurement in valence region at high- Q^2

A_1^n Coverage at EIC



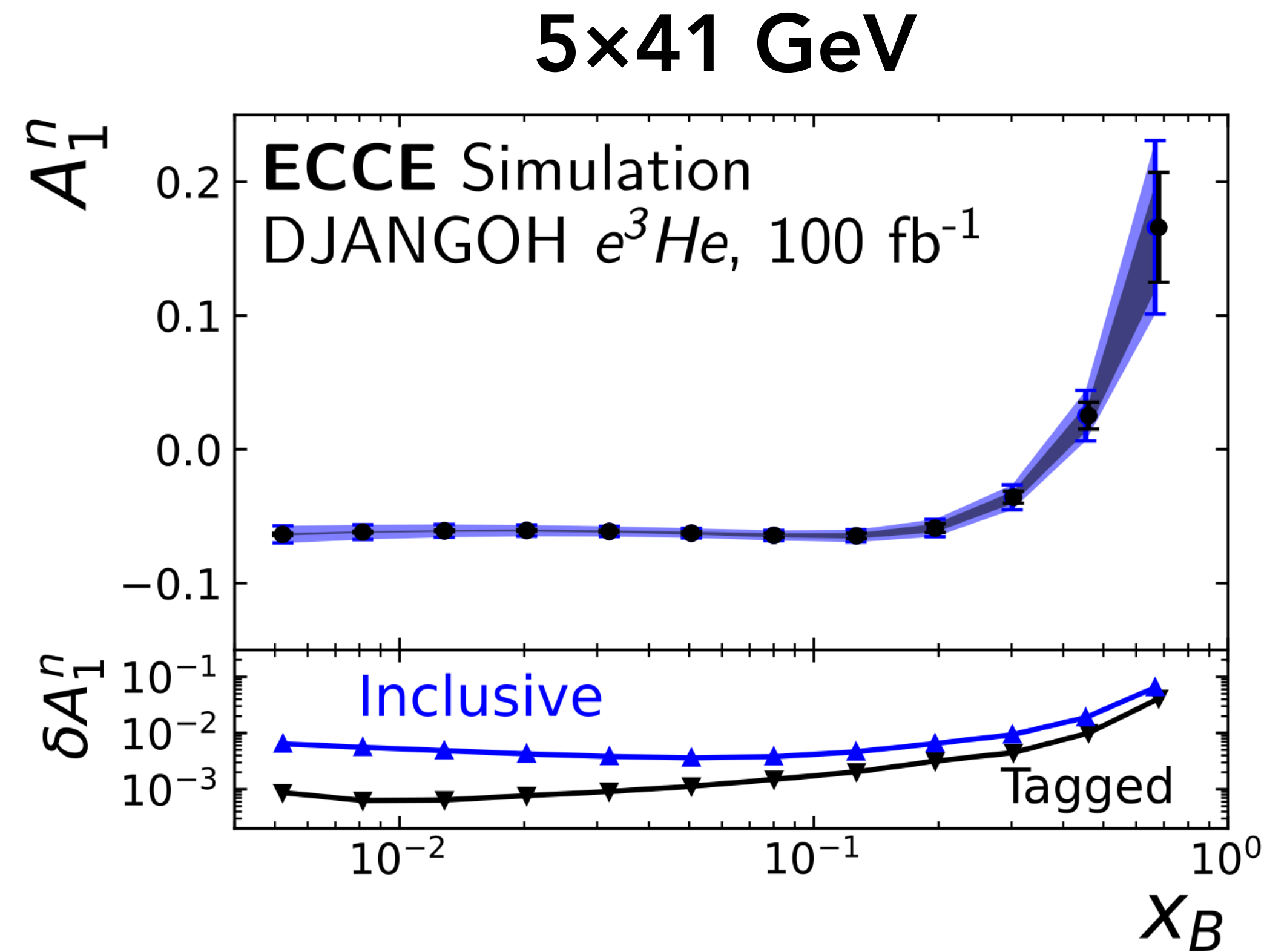
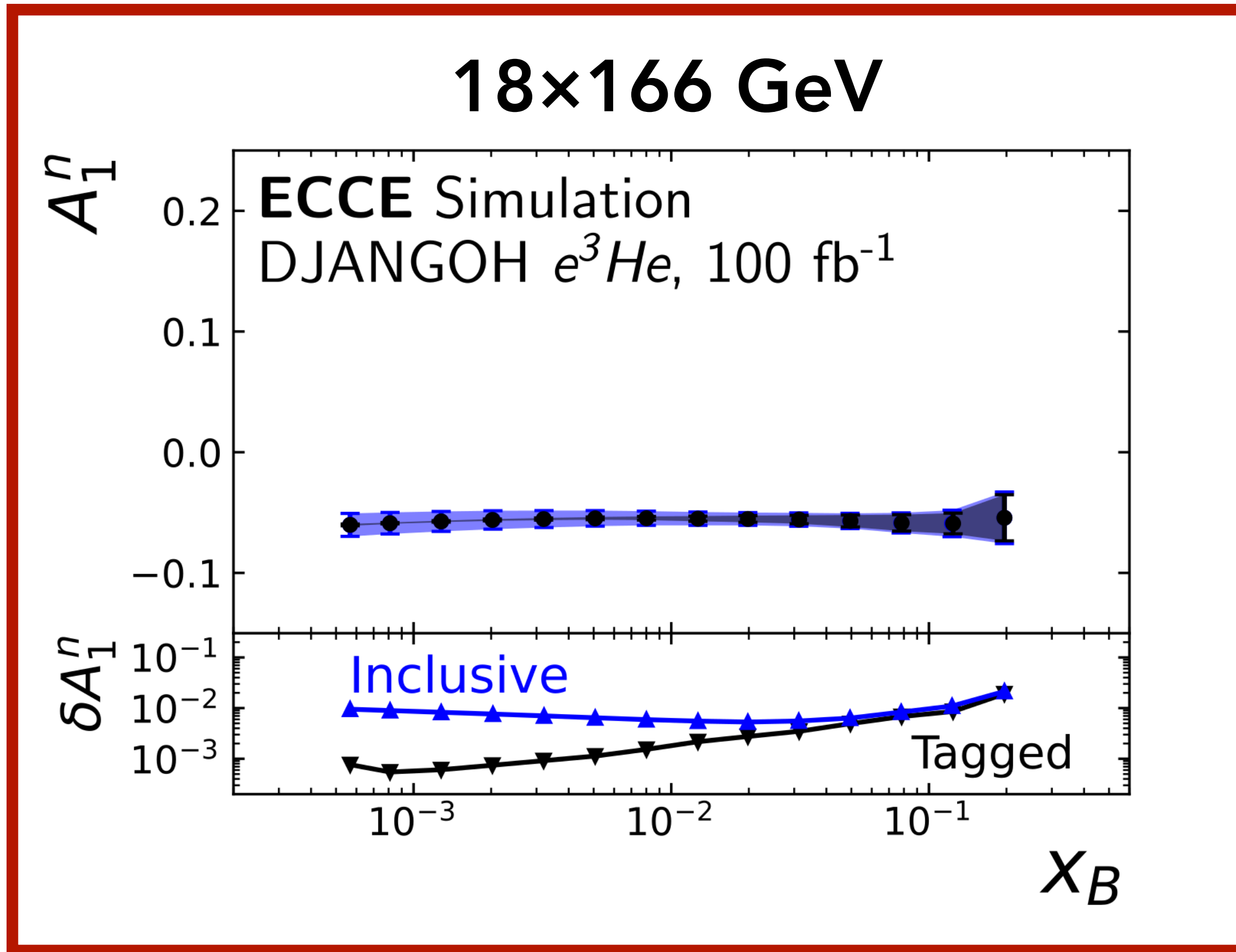
Coverage also extends to low- x_B even at low-energy setting

Inclusive vs. Tagged A_1^n



Spectator tagging reduces uncertainty in A_1^n by a factor of >10 at low- x , factor of >2 everywhere

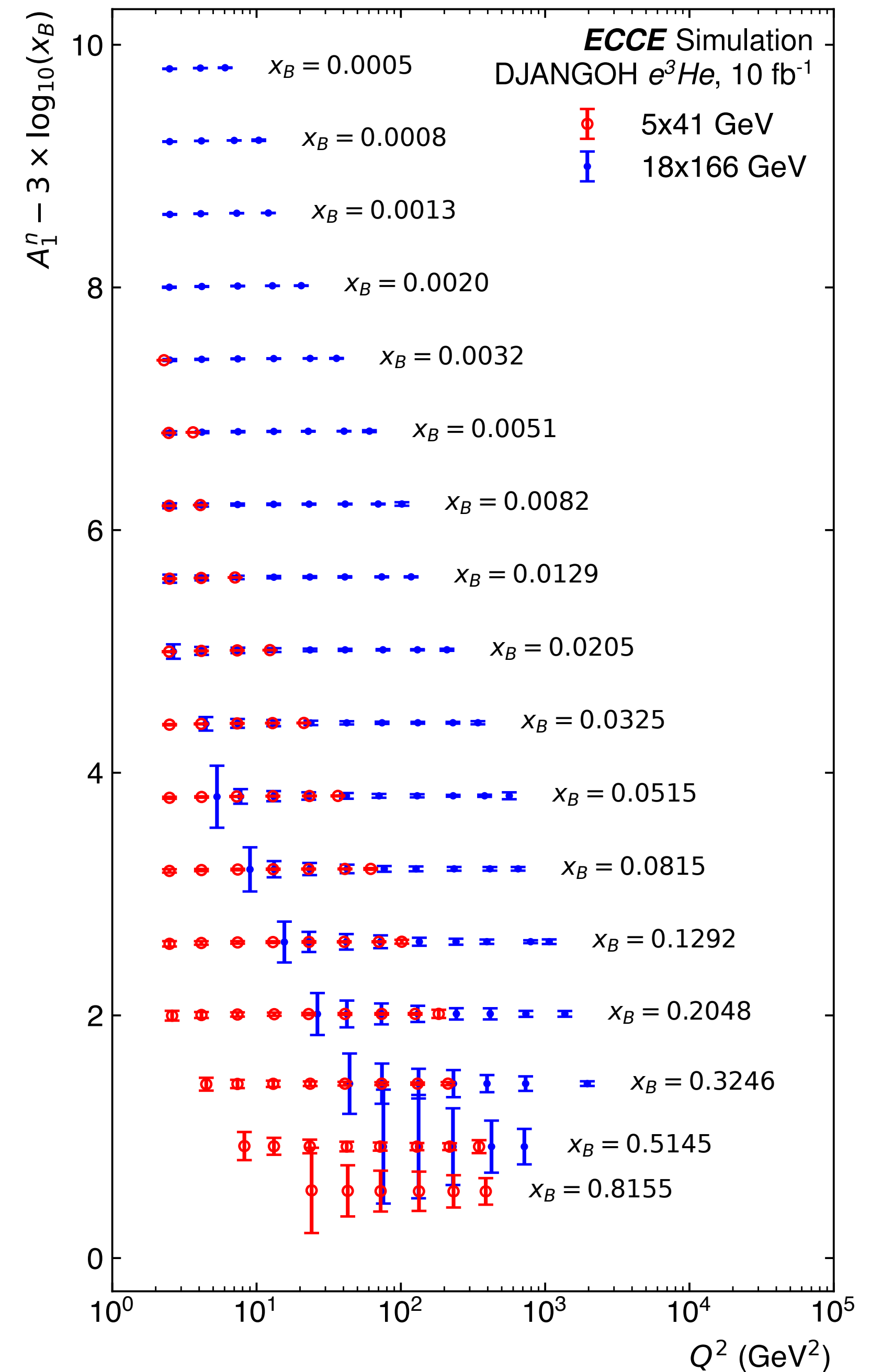
More detailed studies done with ePIC



Highest-energy setting pushes to $x_B < 10^{-3}$, where tagging is critical

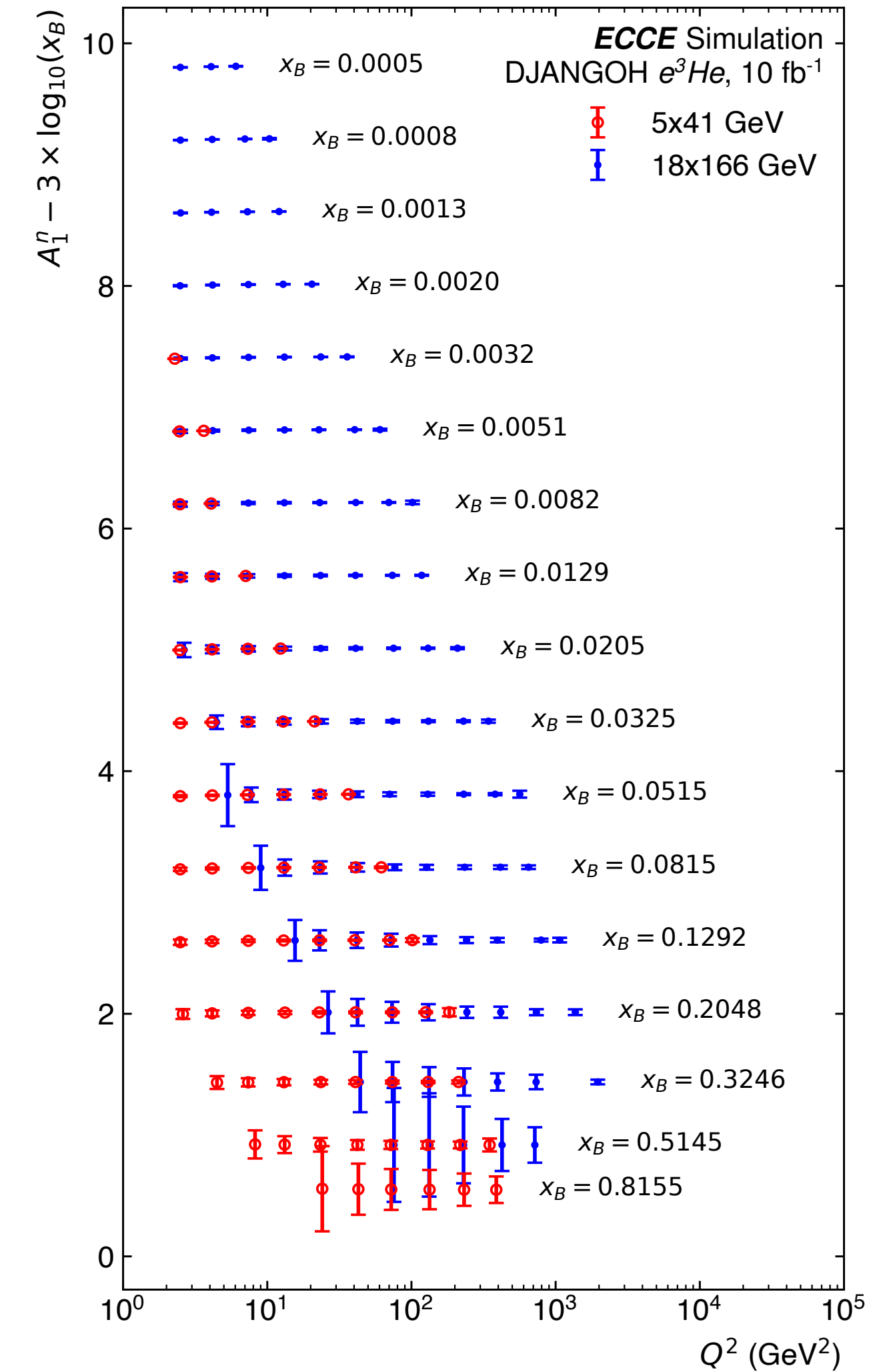
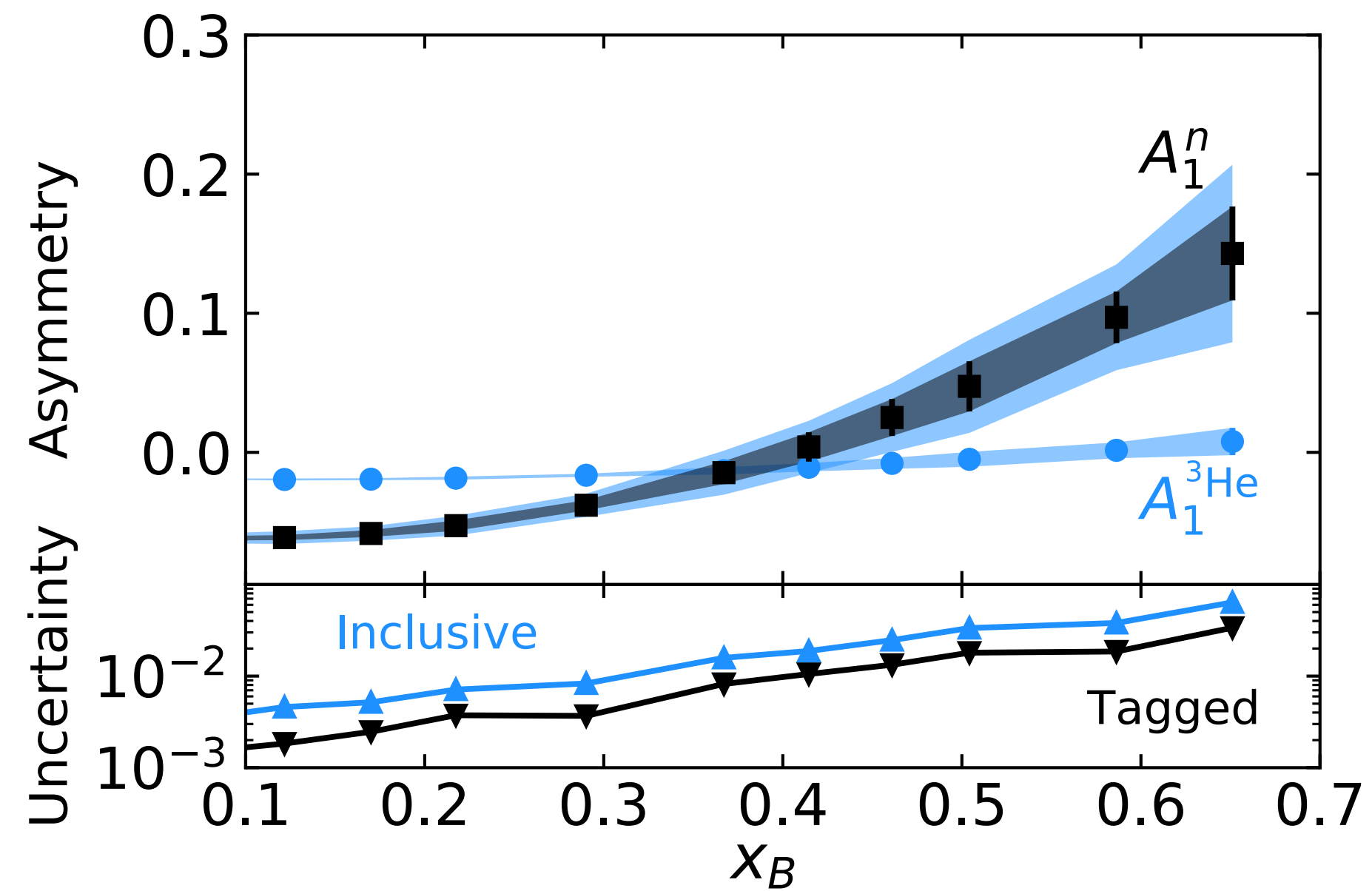
Combining EIC settings gives substantial kinematic coverage

Q^2 -evolution of neutron spin structure still poorly known!



Conclusions

- EIC provides unique opportunity to measure neutron spin structure over wide kinematics
- Spectator tagging critical to fully realize this potential



Backup

A_1 Spin Asymmetry

- Quark spin structure function:

$$g_1(x, Q^2) = \frac{1}{2} \sum_i e_i^2 \left[q_i^\uparrow(x, Q^2) - q_i^\downarrow(x, Q^2) \right]$$

- Accessed by measuring virtual photon asymmetry:

$$A_1(x, Q^2) = \frac{\sigma_{1/2} - \sigma_{3/2}}{\sigma_{1/2} + \sigma_{3/2}} \approx \frac{g_1(x, Q^2)}{F_1(x, Q^2)}$$

- Can be calculated from electron-nucleon spin asymmetries:

$$A_1 = \frac{A_{||}}{D(1 + \eta\xi)} - \frac{\eta A_{\perp}}{d(1 + \eta\xi)}$$