

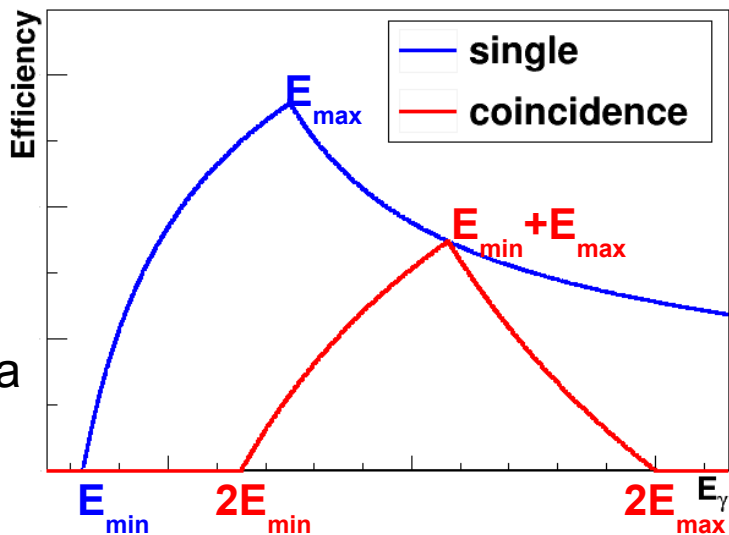
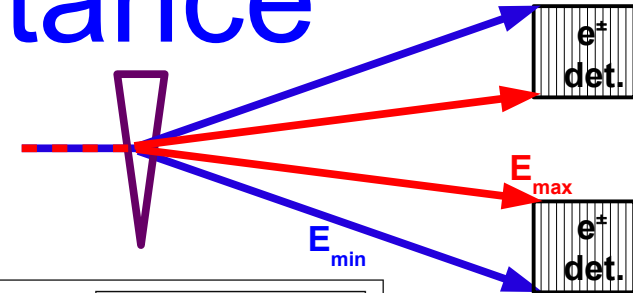
LUMI pair spectrometer: some considerations

ePIC/project LUMI mtg.
16.05.23

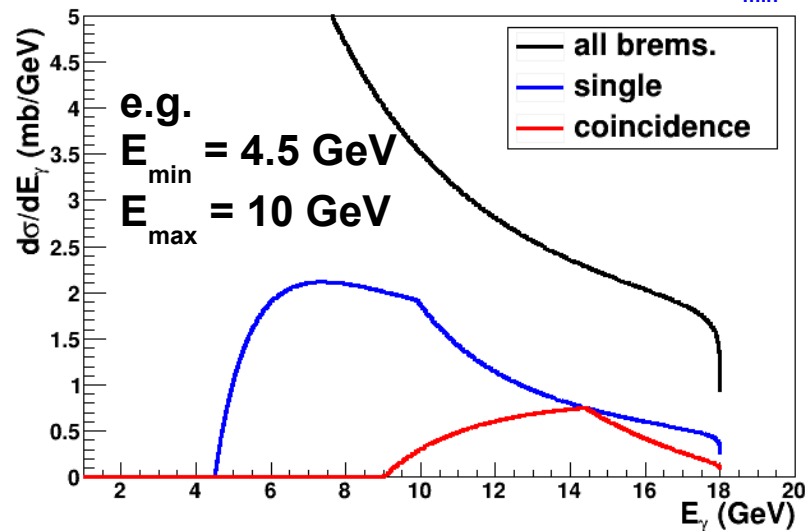
- Calorimeters resolution requirements:
reminders
- Photon path line considerations,
need technical advice, including
 - converters \leftrightarrow sync. rad. viability
 - dipole magnet strengths

Spectrometer acceptance

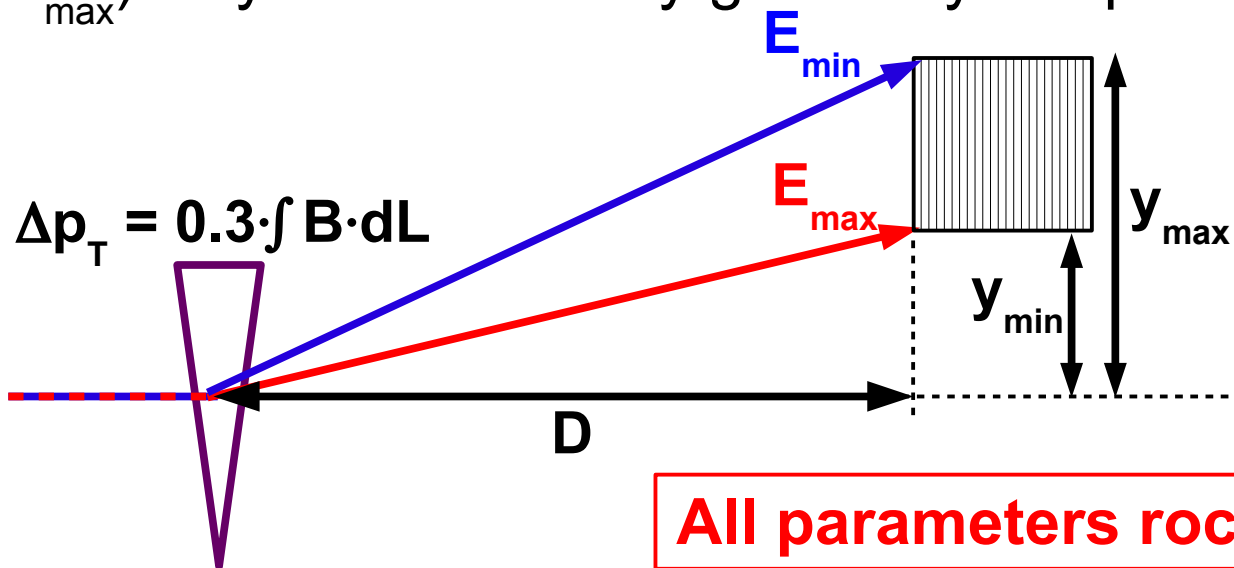
- Spec. acceptance fully determined by min./max. energies (E_{\min}, E_{\max}) of e^{\pm} that can hit detector:



details on extra slides



- (E_{\min}, E_{\max}) fully determined by geometry & dipole:



$$E_{\min} = \Delta p_T \cdot D / y_{\max}$$

$$E_{\max} = \Delta p_T \cdot D / y_{\min}$$

All parameters rock-solid stable

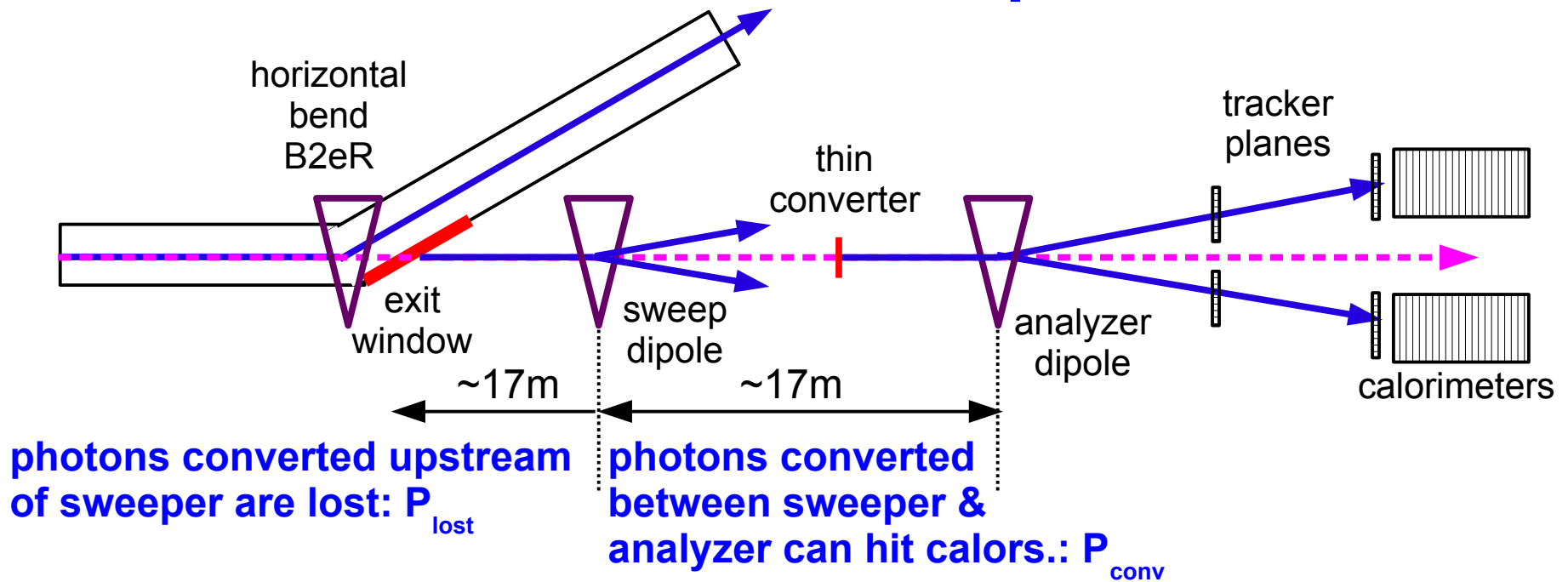
Calorimeter resolutions

- Acceptance determined by geometry, dipole; do not need event-by-event photon energy
- Calorimeter energy resolution not very important; just need to decide '**hits**' or '**no hits**' in a bunch \times ing
- More important: signals must be isolated to one bunch \times ing otherwise pileup correction very complicated

But good E-resolution is helpful

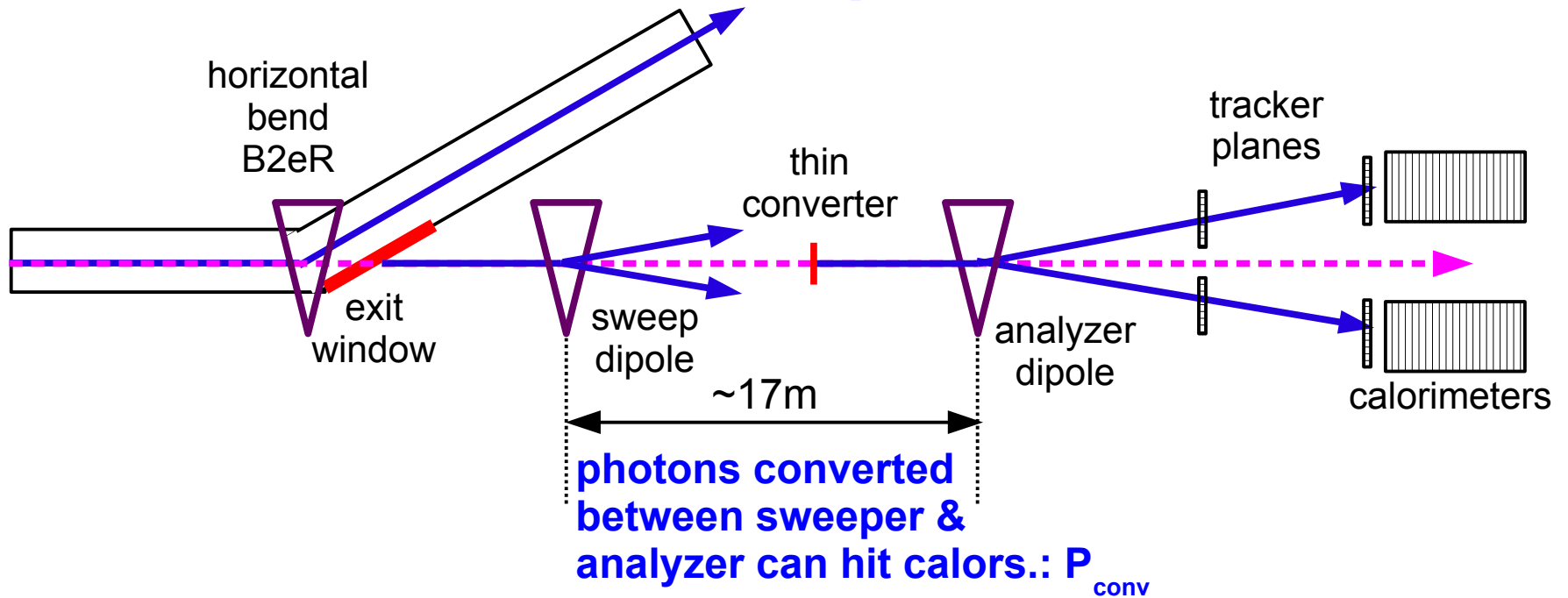
- Acceptance correction requires faithful simulation, factors not in simple calculation, e.g.:
 - photon aperture
 - finite length dipoles
 - beam spread vertically, varying E_{\min} , E_{\max}
 - 'fuzzy' edges of calorimeter acceptance
try to map out with e^{\pm} trackers
- Need to verify: simulation \leftrightarrow data comparison
as many variables as we can plot
better resolutions \Rightarrow better simulations

Lost / converted photons



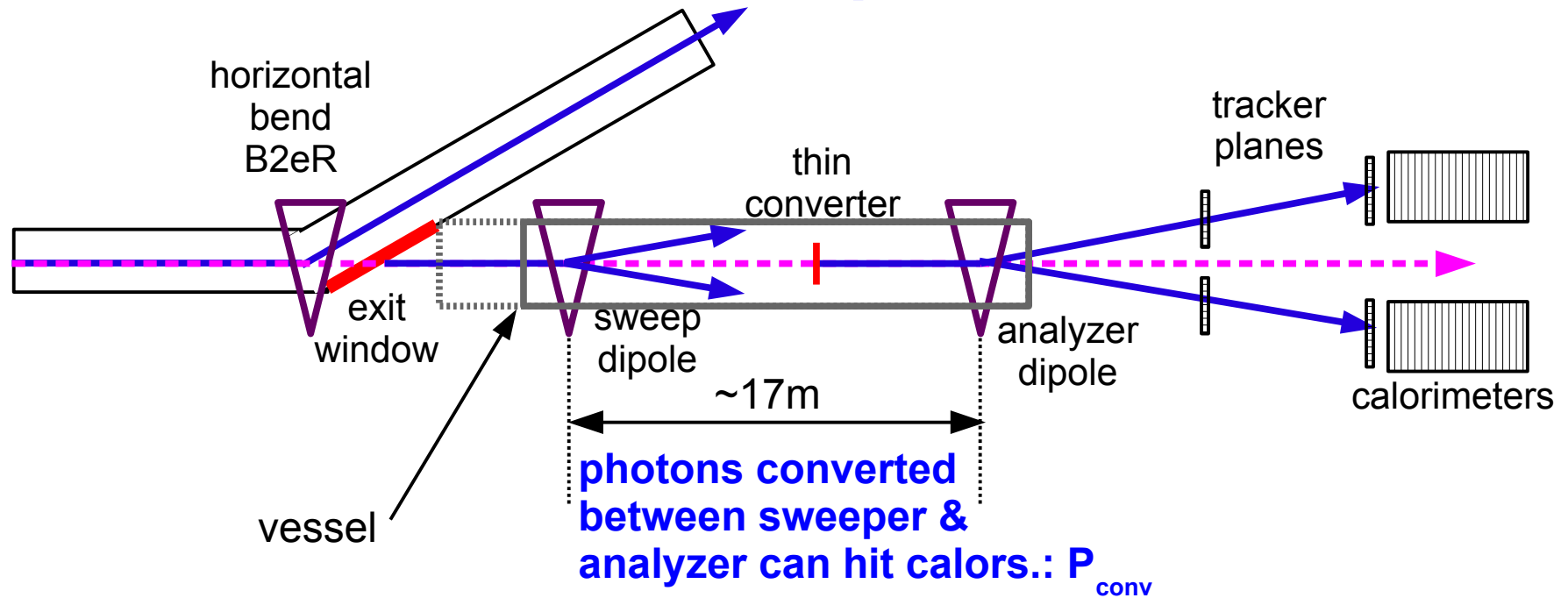
- # calor. hits: $N_{hits} \propto (1 - P_{lost}) \cdot P_{conv} \cdot L$
- $P_{lost} \sim 10\%$ (~ 1 cm Al exit window); also ~ 17 m air...
uncertainty of e.g. 5% on P_{lost} gives 0.55% uncert. on L
- Can measure P_{lost} :
 - turn off sweeper $N_{hits} \propto P_{lost} \cdot P_{conv} \cdot L$
 - measure sweeper on/off rates tagged by low- Q^2 brems. electrons

Converted photons



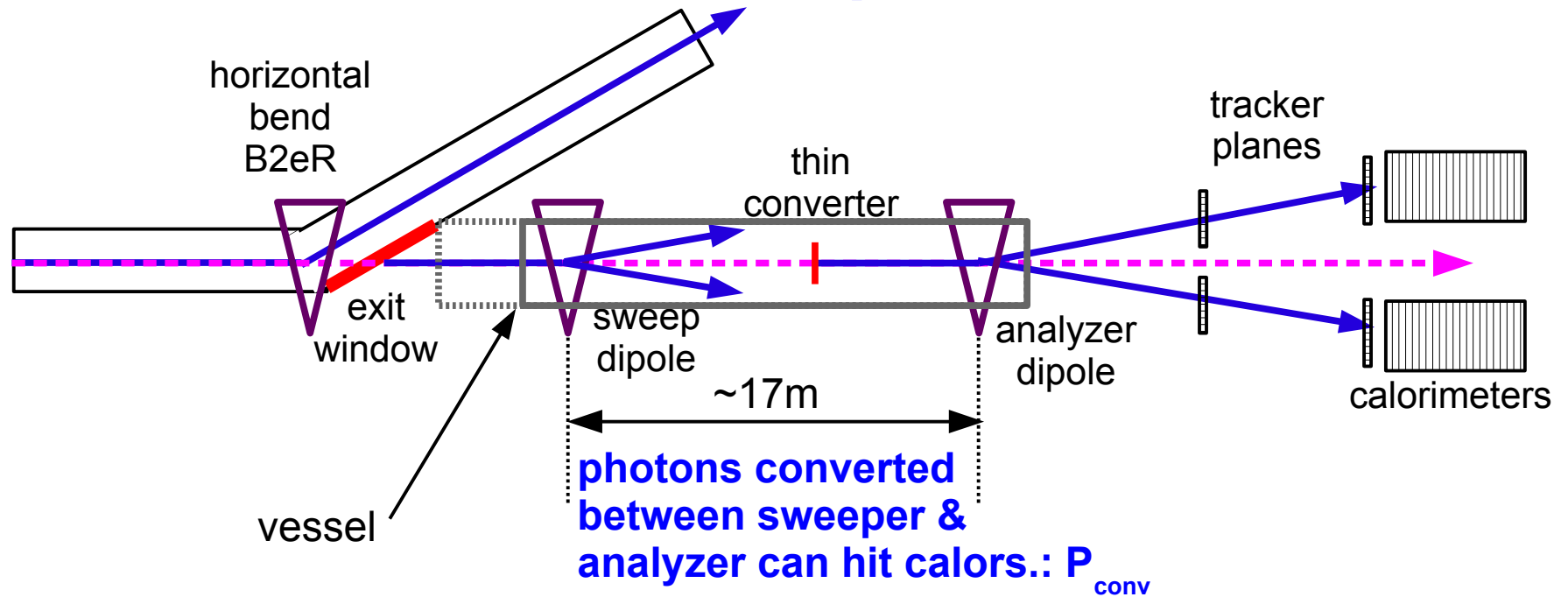
- Want P_{conv} as small as possible, hopefully $\sim 1\%$ (1mm Al)
- Need guidance: **how thin a converter can withstand sync. rad.?**
- But there is $\sim 17\text{m}$ air between sweeper/analyzer
 - dry air, 20°C 1 atm, radiation length $L_{\text{rad}} = 304\text{m}$
 - 17m air adds $\sim 5.6\%$ to P_{conv}
- Too many conversions in air. Similar contribution to $P_{\text{lost}} \dots$

Converted photons



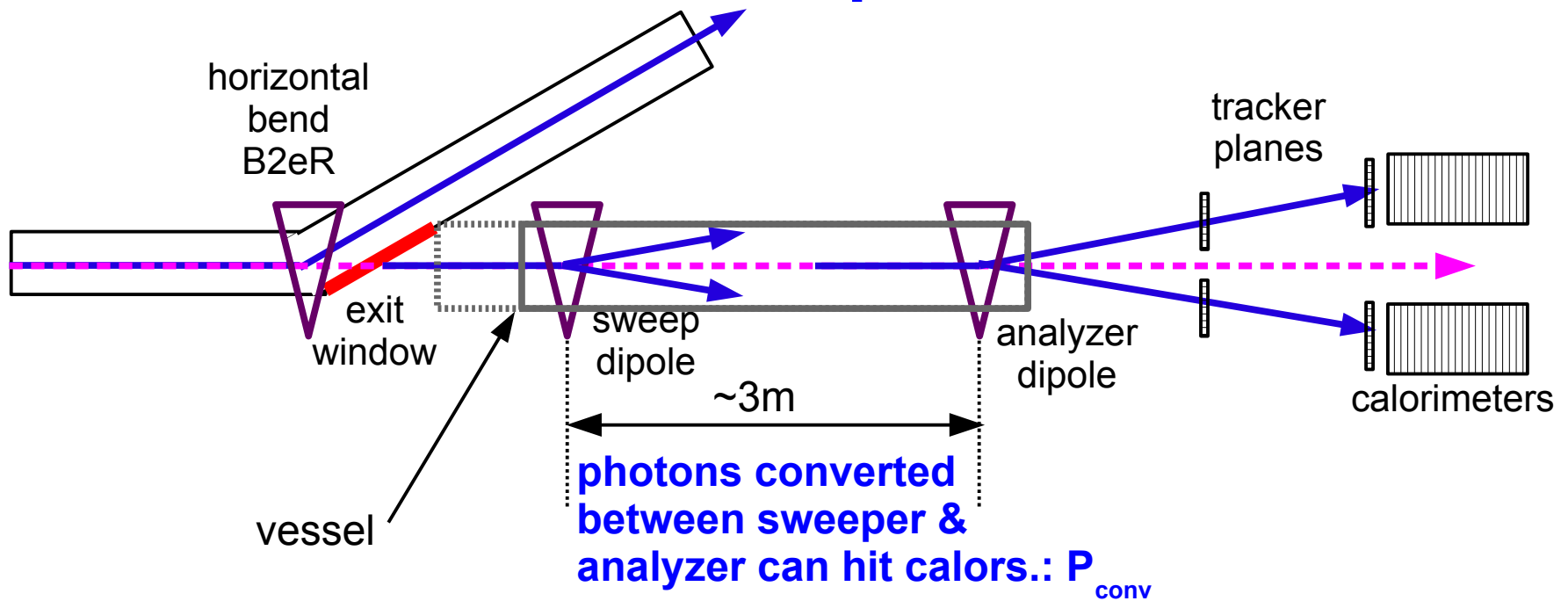
- Add vessel with controlled content between sweeper↔analyzer, or exit window↔analyzer
 - conversions in entrance window swept, exit window not tagged
 - **thin converter must be inside vessel**
- Contents Helium:
 - He, 20° C 1 atm, radiation length $L_{rad} = 5.7\text{km}$
 - 17m He adds ~0.3% to P_{conv}
- He @ 1 atm: entrance/exit windows can be thin

Converted photons



- Vessel contents \sim vacuum: adds \sim nothing to P_{conv}
- Entrance/exit windows must support 1 atm: thick multiple scattering in exit window degrades tracker e^\pm energy resolution, how much?
- Thin converter inside vacuum vessel

Converted photons



Alternatively:

can we make a much stronger sweeper? from 0.4 T-m \rightarrow 2 T-m?

need guidance: **how strong can sweeper be?**

- Shorten sweeper \rightarrow analyzer distance to ~ 3 m
- 3m air, $P_{conv} = 1\%$ eliminate thin converter, vessel

How stable is the weather in EIC (RHIC) tunnel?

- Or: 3m vessel w/ dry N_2 as converter?

no problems from: no sync. rad., temp/humidity (fixed closed volume)

We are still seeking best solution

Extras

Radiation lengths (from PDG)

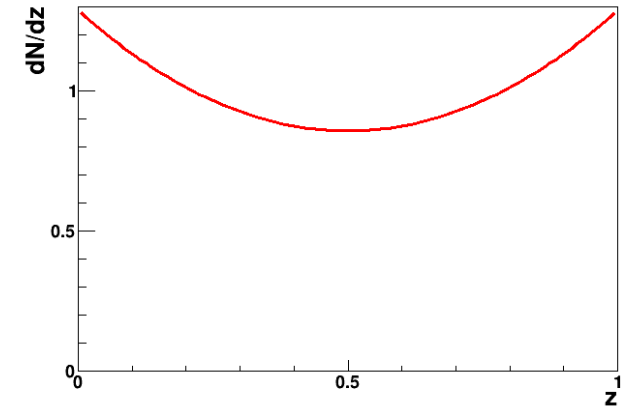
- helium gas (He) 20° C, 1 atm
Radiation length 5.671E+05 cm
- nitrogen gas (N₂) 20° C, 1 atm
Radiation length 3.260E+04 cm
- air (dry) 20° C, 1 atm
Radiation length 3.039E+04 cm
- aluminum (Al)
Radiation length 8.897 cm

Spec. acceptance vs E_γ

- Energy sharing for $\gamma \rightarrow e^+e^-$: $z = E_{e^+}/E_\gamma$, $0 < z < 1$

- Distribution $dN/dz \propto 1 - (4/3) \cdot z \cdot (1-z)$

[PDG eq. 34.31]

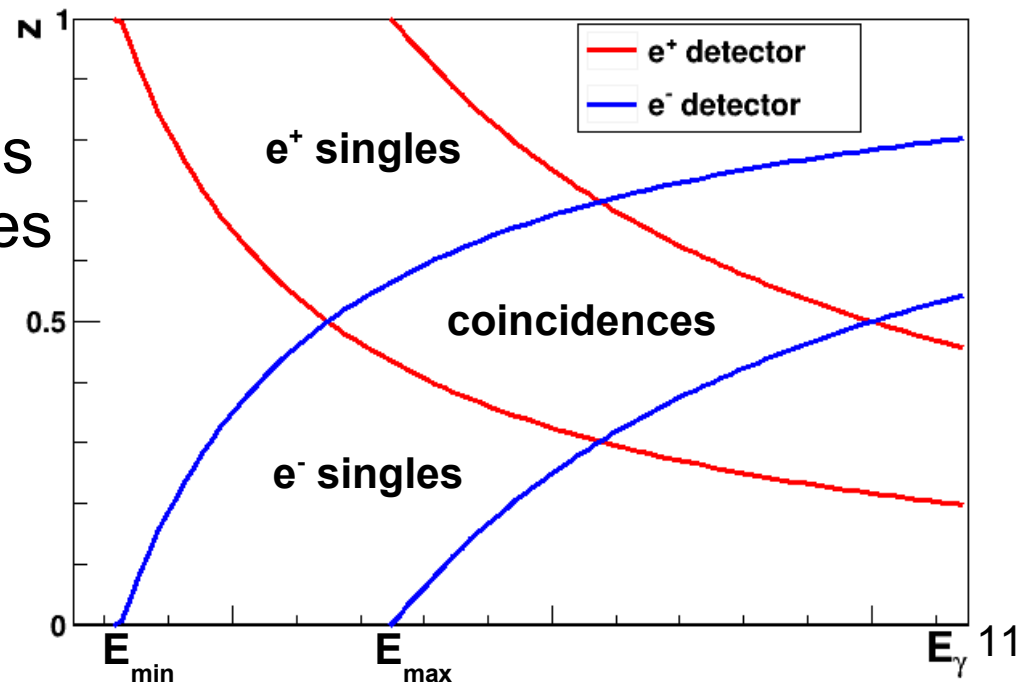


- Energy range of spec. det. (E_{\min}, E_{\max}) defines z ranges:

$$z_{\min, \max} = E_{\min, \max} / E_\gamma \text{ for } e^+ \text{ det. \& } (1 - z_{\max}, 1 - z_{\min}) \text{ for } e^- \text{ det. } (0 < z < 1)$$

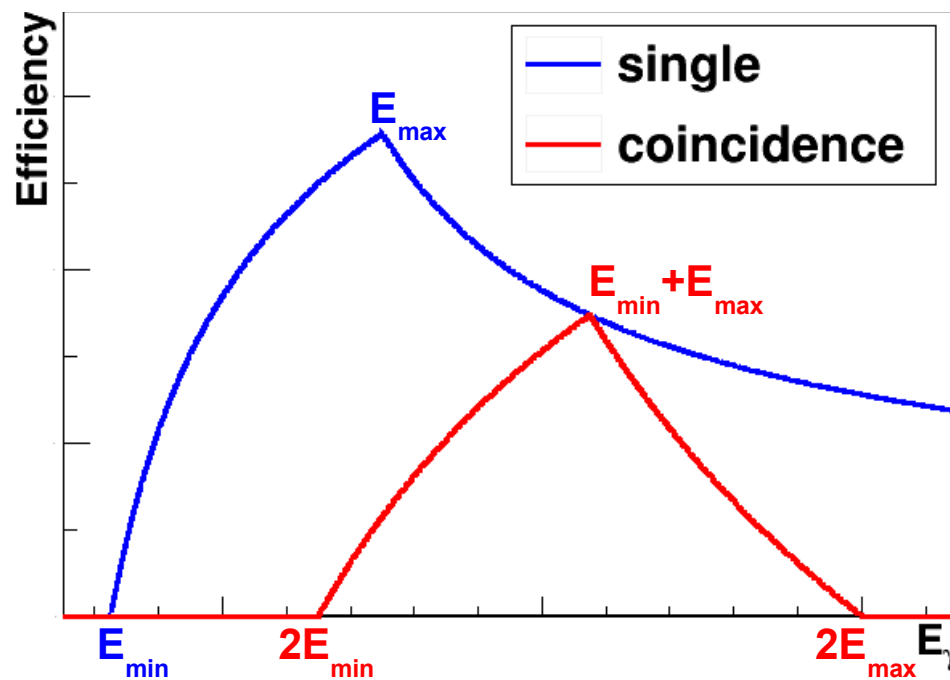
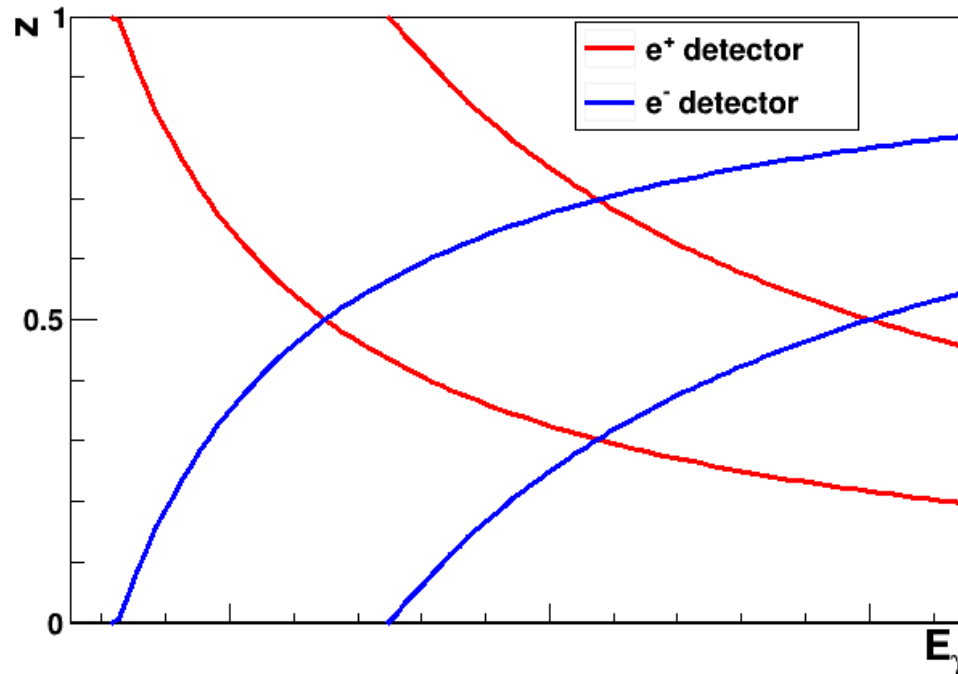
- Acceptance in E_γ - z plane:

- e^+ singles between red curves
- e^- singles between blue curves
- coincidence in diamond shaped region



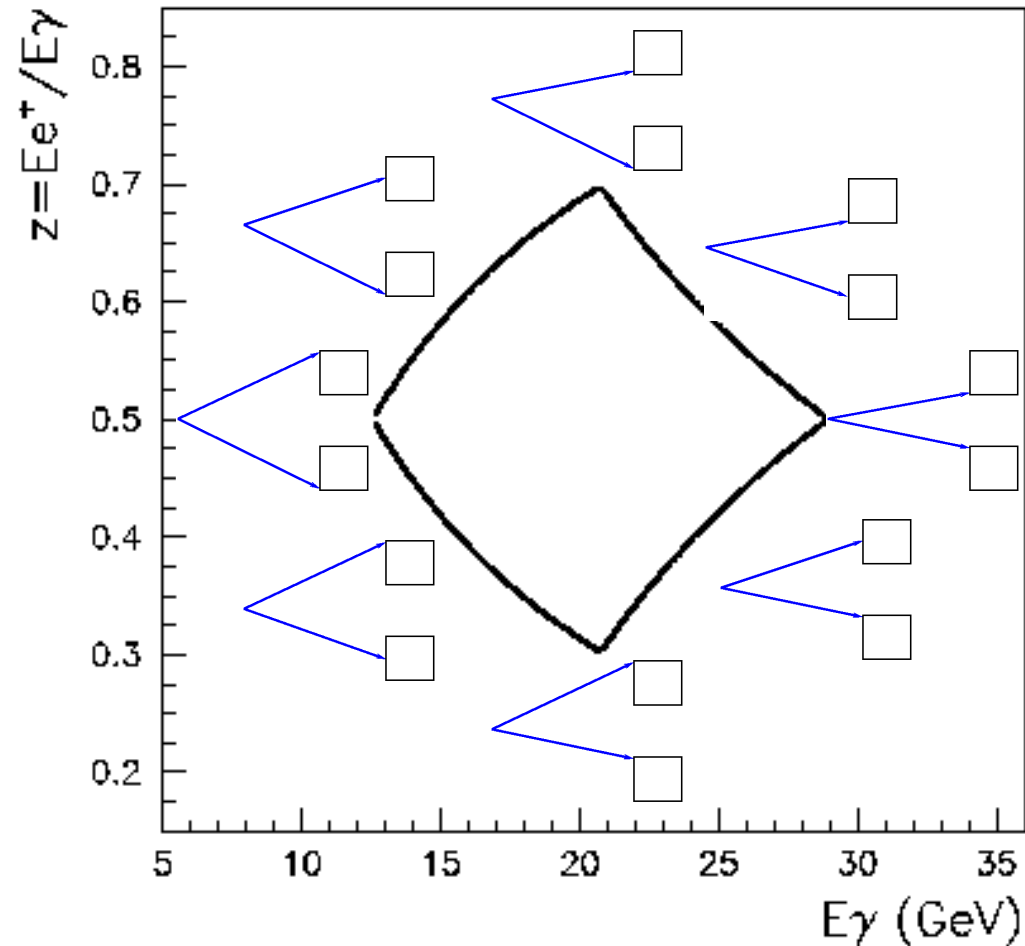
Spec. acceptance vs E_γ

- $\text{acc}(E_\gamma) = \int dz \cdot dN/dz$
- single:
integrate between red/blue curves
 - coincidence:
integrate in diamond shaped region



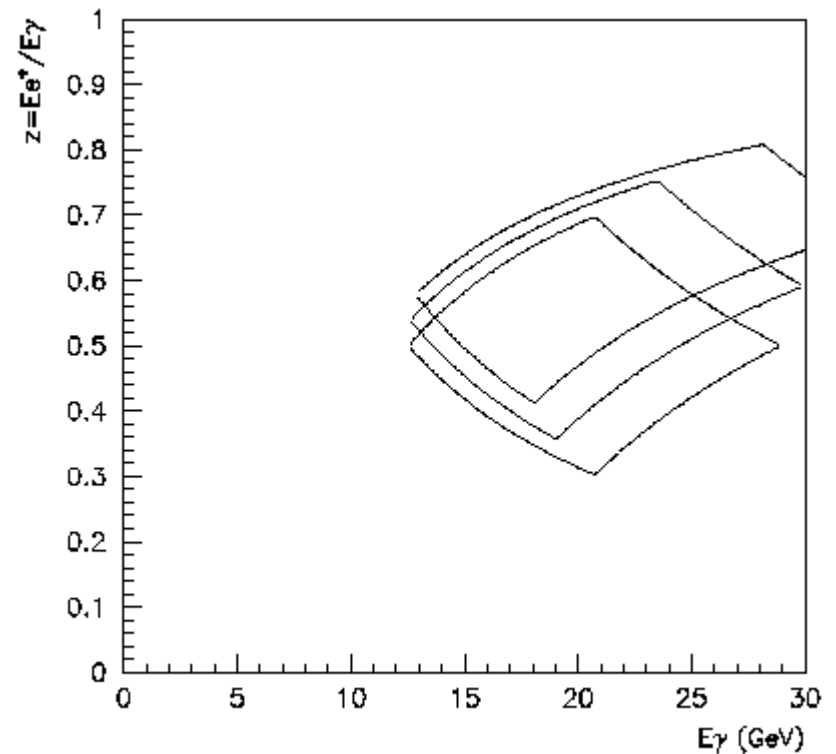
Coincidence region E_γ -z plane

- Insets show pair detector configurations at edges, corners of acceptance region



Spec. acceptance vs y_γ

- Coincidence region in γ -z plane varies with γ vertical position
- Shown here for 0, 1, 2 cm above spec. midpoint



- Prescription previous slides outlines acceptance for a given γ vertical position y : $\text{acc}(E_\gamma, y)$
- γ vertical position distribution due beam divergence: $\text{Gaus}(y)$
- Then overall acceptance $\text{acc}(E_\gamma) = \int dy \cdot \text{Gaus}(y) \cdot \text{acc}(E_\gamma, y)$
- Easily evaluated numerically as in previous examples, providing estimates including beam divergence