## Design of Efficient and Privacy Preserving Machine Learning

#### **Dr. Caiwen Ding**

Assistant Professor

Department of Computer Science & Engineering

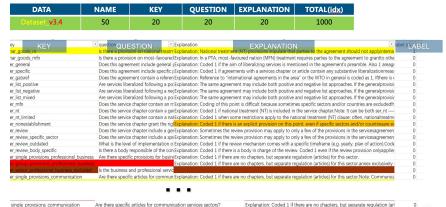
University of Connecticut

Email: caiwen.ding@uconn.edu

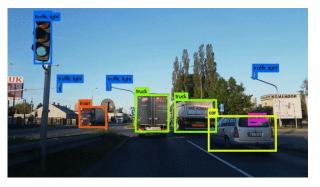
https://caiwending.cse.uconn.edu/



## Machine Learning is Everywhere

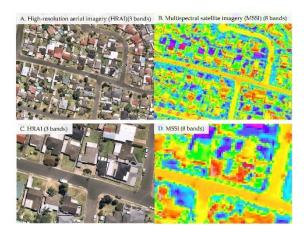






Section of the sectio

https://gfycat.com/gifs/tag/object+d etection





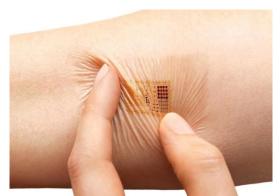




Image credits to <u>Hikuwai</u> et al

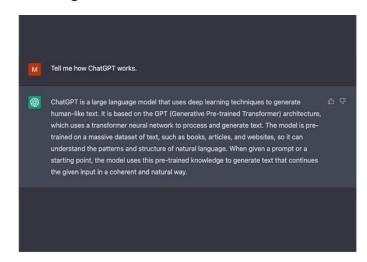




Image credits to Brother UK.



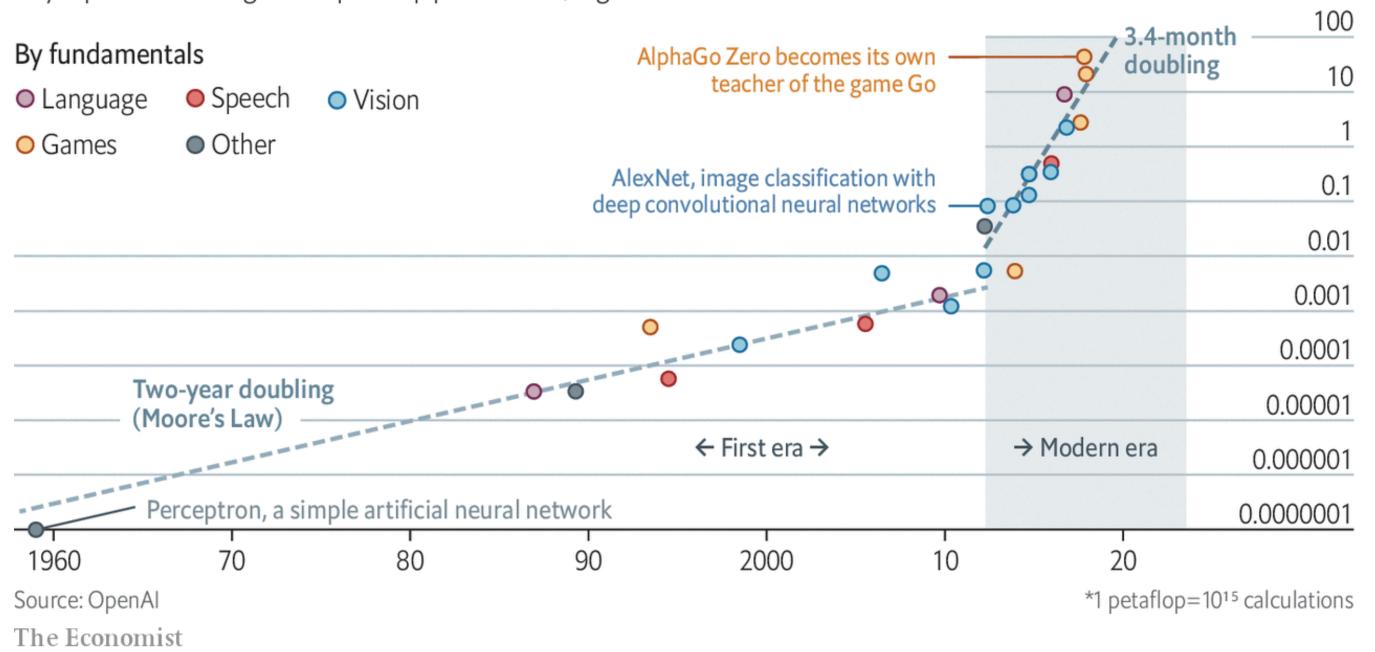
Source: DeepMind

### Machine Learning is Expensive

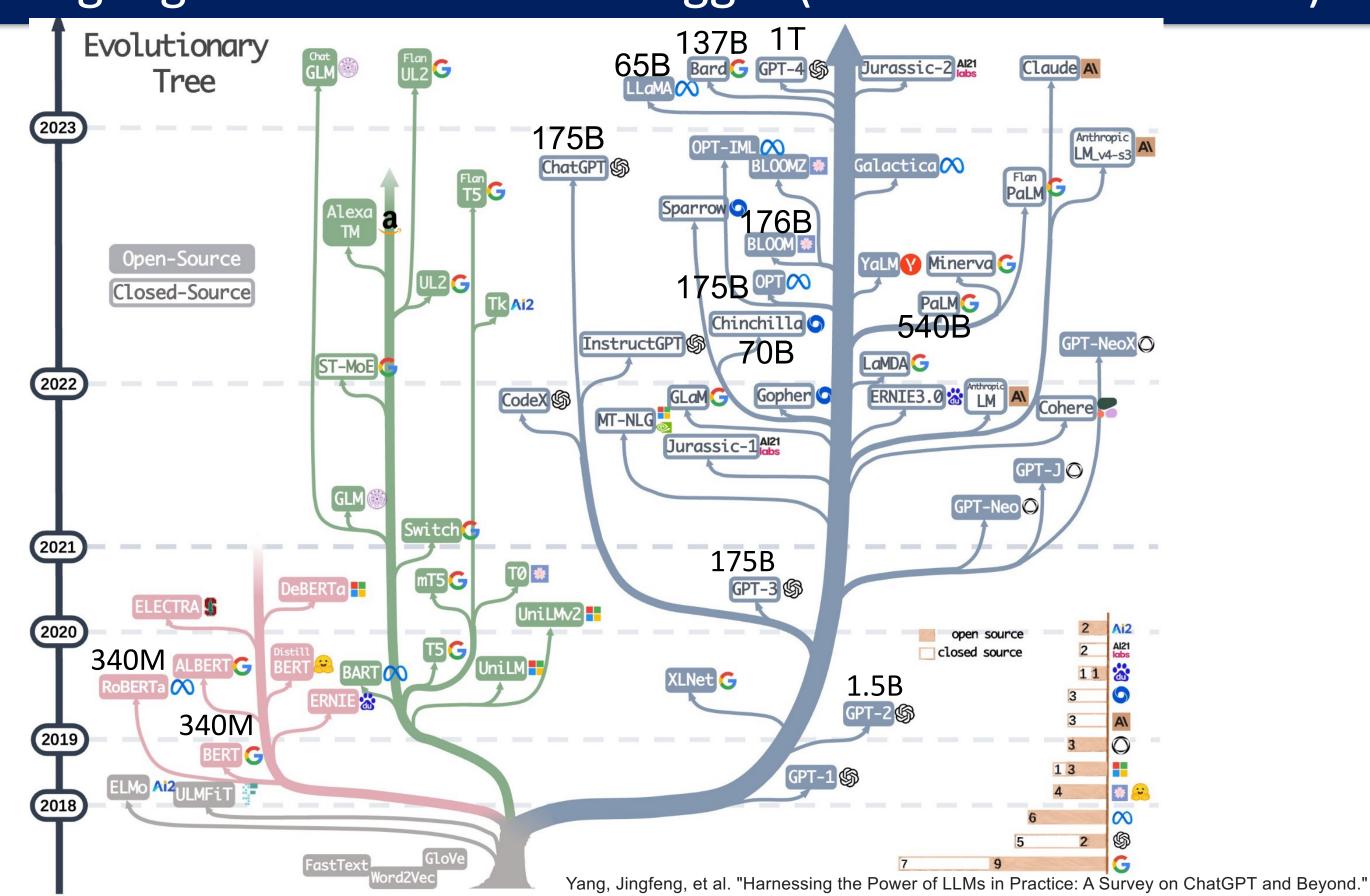
#### **Deep and steep**

Computing power used in training AI systems

Days spent calculating at one petaflop per second\*, log scale



## Language Models are Much Bigger (Billions of Parameters)



### Machine Learning Challenges

#### **Challenges: Model Storage**



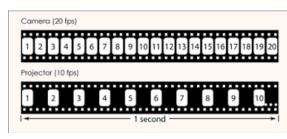




• Large model sizes store large-scale, multi-modal deep learning systems.

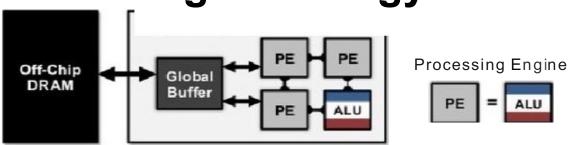
#### **Challenges: Computation**

- Increase computations, therefore increase training time.
- Increases throughput/latency
  - Frame rate, delay

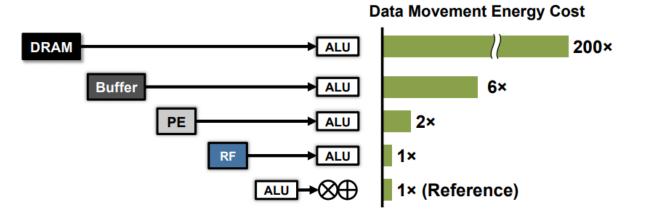


He, Kaiming, Xiangyu Zhang, Shaoqing Ren, and Jian Sun. "Deep residual learning for image recognition." In *Proceedings of the IEEE conference on computer vision and pattern recognition*, pp. 770-778. 2016.

#### **Challenges: Energy**



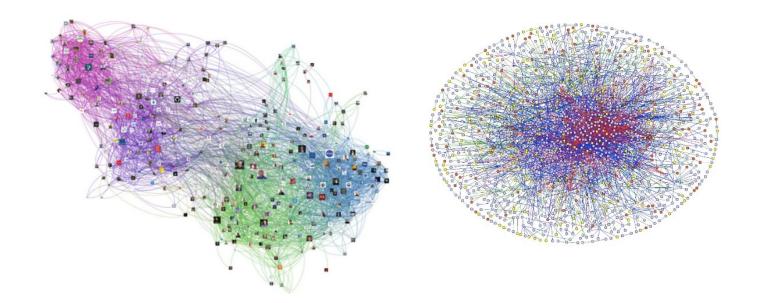
Von Neumann architecture



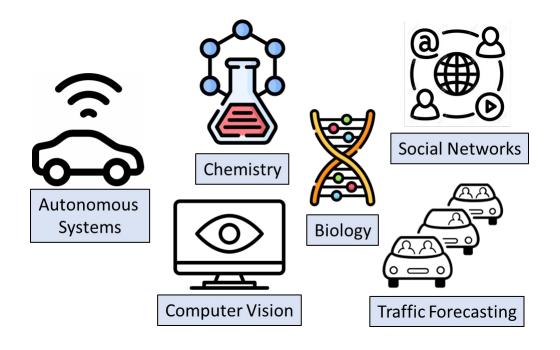
Slide courtesy: V. Sze, et.al., "Hardware for Machine Learning: Challenges and Opportunities", CICC' 17

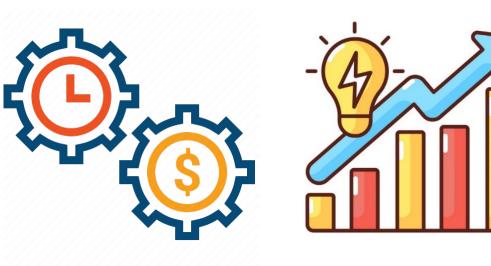
## Challenges with Large and Sparse Graph Input

Growing massive real-world graphs = Larger GNNs



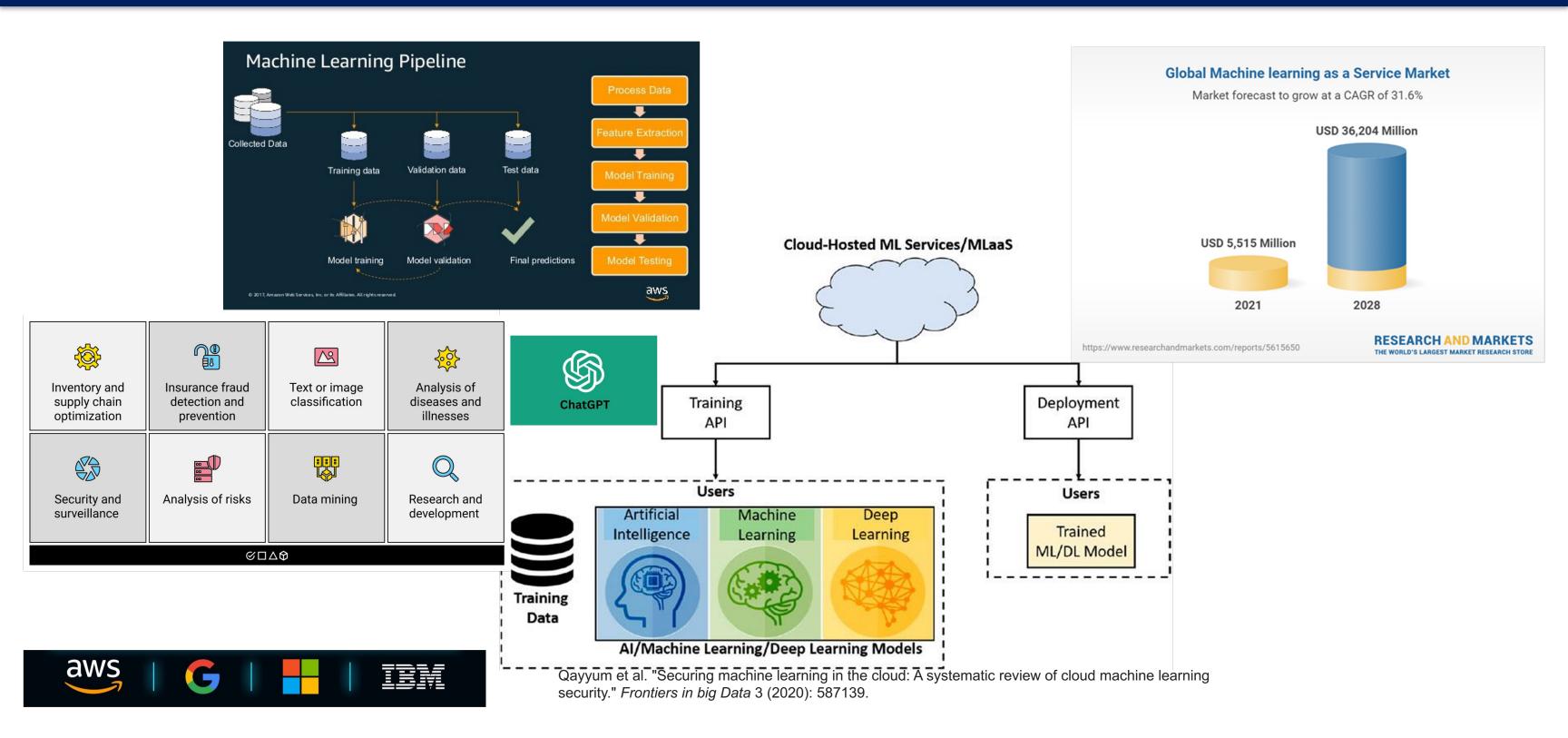
- Example: **492 million** nodes, **6.8 billion** edges in Alibaba's AliGraph
- Problem: Increasing computational and memory cost, need for more high-end servers with expensive GPUs, increased training and inference time...



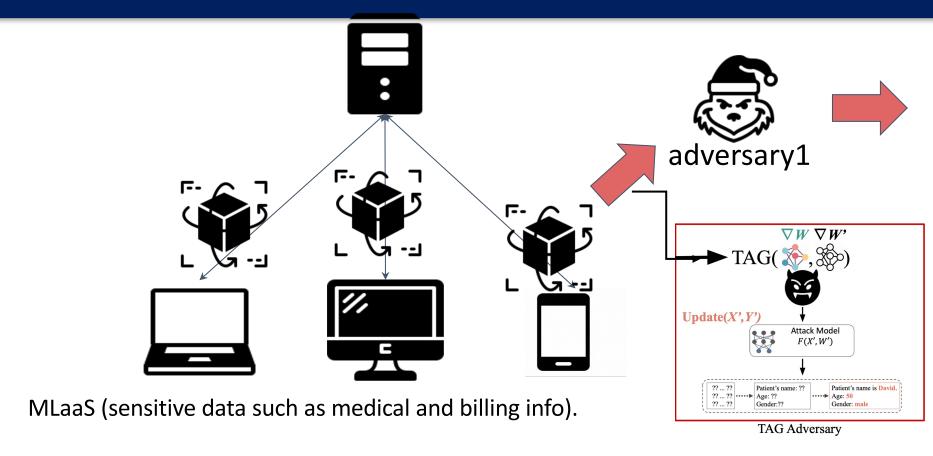




## Machine Learning as a Service (MLaaS)



## More Challenges with Privacy Leakage

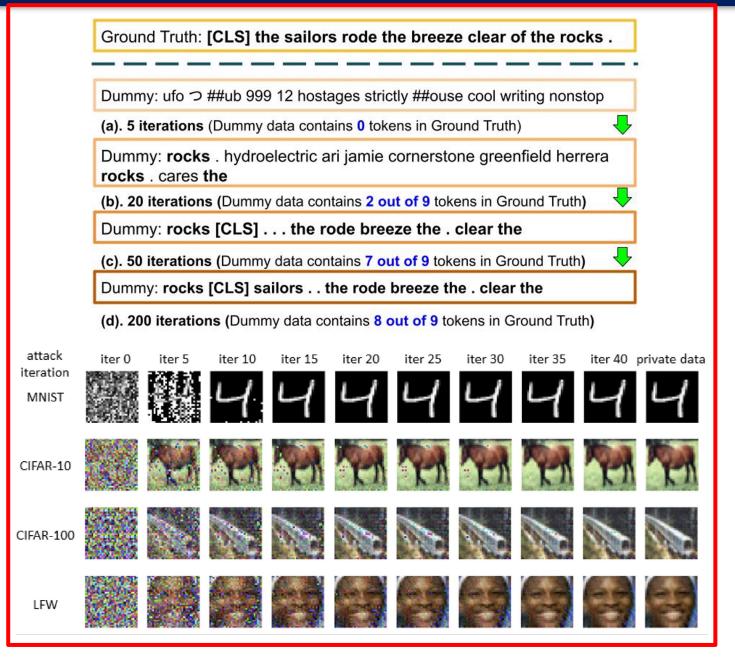


#### **Algorithm 1** TAG

- 1: Input:  $\nabla \mathbf{W}$ : ground truth gradient;  $\mathcal{F}(\mathbf{X}, \mathbf{W}')$ : NLP model;  $\eta$ : learning rate;  $\mathbf{W}'$ : parameter weights
- 2: Initial:  $\mathbf{X}' \sim \mathcal{N}(0, 1), \mathbf{Y}' \sim \mathcal{N}(0, 1)$
- 3: **for** the i-th iteration **do**
- 4:  $\nabla \mathbf{W}'_i \leftarrow \partial \ell(\mathcal{F}(\mathbf{X}', \mathbf{W}')/\partial \mathbf{W}')$  //get dummy gradient by TAG
- 5:  $\mathcal{D}(\nabla \mathbf{W}, \nabla \mathbf{W}_i') \leftarrow \|\nabla \mathbf{W}_i' \nabla \mathbf{W}\|_2 + \alpha(\nabla \mathbf{W})\|\nabla \mathbf{W}_i' \nabla \mathbf{W}\|$
- 6: **update**  $(\mathbf{X}', \mathbf{Y}')$ :
- 7:  $\mathbf{X}' \leftarrow \mathbf{X}' \eta \frac{\partial \mathcal{D}(\nabla \mathbf{W}, \nabla \mathbf{W}_i')}{\partial \nabla \mathbf{X}'}$ ,
- 8:  $\mathbf{Y}' \leftarrow \mathbf{Y}' \eta \frac{\partial \mathcal{D}(\nabla \mathbf{W}, \nabla \mathbf{W}_i')}{\partial \nabla \mathbf{Y}'}$
- 9: end for
- 10: Output: Recovered Data **X**\*,**Y**\*

#### [1] J. Deng et al. EMNLP 2021

- [2] W. Wei et al. ESORICS 2020
- [3] L. Zhu et al. NeurIPS 2019
- [4] Y. Wang et al. IJCNN 2022



Gradient Attack on Federated Learning<sup>1,2,3,4</sup>

- Data are distributed across devices
- Decentralized collaborative machine learning
- Prevent direct access to private data

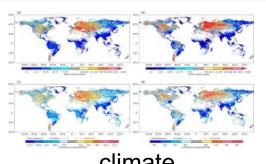
#### Research Overview

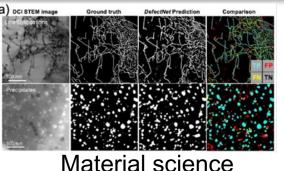


Images

int x = 2;  $n \neq x = 2$ ;  $n \neq$ #pragma omp taskwait\n\n printf("%d\n",x);\n return 0;\n}\n

rtran example: program DRB130\_mergeable\_taskwait\_orig\_no\n use omp\_lib\n mplicit none\n\n integer ::  $x \in 2 n$  !\$omp task shared(x) mergeable\n x = x+1\n !\$omp end task\n\n print 100, x\n 100 format ('x







economy

#### Efficient Computing for ML system [Training and Inference]

Hardware-aware pruning (SC-21, EMNLP-20, DAC-21,

ISLPED-20, IJCAI-21, ACL-22)

Knowledge Distillation (ACL-22, IJCAI-23) Algorithm

Fine-tuning free (IJCAI-21)

Quantization (SC-23)

-Sparse training (ICCD-22, **DAC-23**)

GPU kernel design (ICCAD-23)

Run-time reconfigurable Inference (ICCAD-22, DAC-21, DATE-22, DAC-22)

Platform (ReRAM, FPGA) (**ISCA-21**, DATE-21 (BPN), DAC-20)

Technology Optical Neural Network (DAC-23)

#### Efficient Computing for privacy preserving protocols

Algorithm

Gradient attack (EMNLP-21, IJCNN-22) Membership Inference Attack (IJCAI-21) Secure federated learning (EMNLP-21

(Oral), Oakland-23)

FHE-based PPML (ICML-23)

MPC-based PPML

MPC-based PPML (DAC-23, MICRO-23, ICCV-23)

System

#### Hardware

System



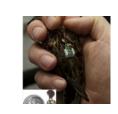
**FPGA** 



**Mobile Device** 

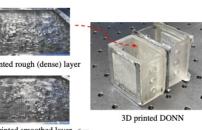


**Energy Harvesting** devices



ReRAM

**Optics** 



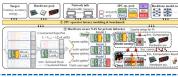
Source: Xu et al, HPCA 2015

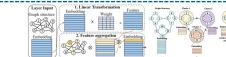
## Major Sponsors



PI, Collaborative Research: SaTC: CORE: Medium: Accelerating Privacy-Preserving Machine Learning as a Service: From Algorithm to Hardware, NSF

Co-PI, GNN-based Hardware Trojan Detection for Large Complex Third-Party Ips, NSF IUCRC CHEST

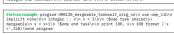








PI, Feasibility of Transformer-based Code Migration for HPC, DOE/LLNL





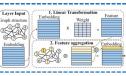
PI, Evaluating the Impact of Preferential Trade Agreements on Agricultural and Food Trade: New Insights from Natural Language Processing and Machine Learning, USDA NIFA

**Co-PI**, Developing a food image recognition technique to evaluate the nutrition information of restaurant foods and community food environment, USDA NIFA Hatch





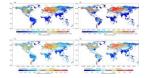
**PI**, Exploring Extreme Sparsity for GNNs to Achieve High Energy Efficiency in Large Core-Count Machines





PI, CLIMB: Connecticut's Low-carbon, Innovative, and Modernized electric grid for Better resilience

PI, Optigrid: Planning & Optimizing the Power Grid During the Low Carbon Transition in Connecticut





Co-PI, Change and Damage Detection from Aerial Images

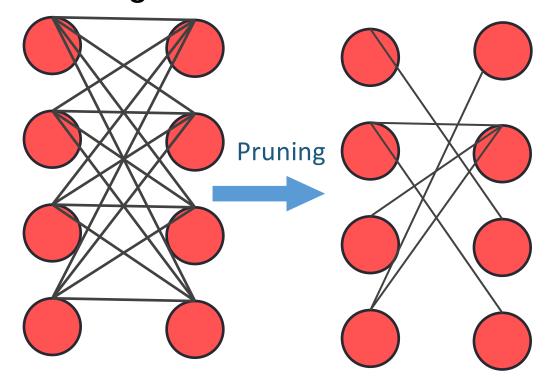
Co-PI, Creating Insurance-Specific Transformers for Representation Learning from Large-scale Unstructured Claim Text, Travelers



Outstanding Student Paper Award @ 2023 HPEC. Bin Lei, Caiwen Ding (UConn), Le Chen, Pei-Hung Lin, Chunhua Liao (LLNL). Creating a Dataset for High-Performance Computing Code Translation using LLMs: A Bridge Between OpenMP Fortran and C++.

## Sparsity types

#### Sparsity (e.g., pruning) makes the machine learning model small & fast



|   | Irre | gulaı | • |   |
|---|------|-------|---|---|
|   | 0    | 0     | 6 | ( |
|   | 0    | 7     | 0 | 2 |
|   | 0    | 8     | 0 |   |
|   | 5    | 2     | 0 |   |
| • |      |       |   | _ |

| 3 | gulai | <u> </u> |   | Row | / |   |   |
|---|-------|----------|---|-----|---|---|---|
|   | 0     | 6        | 0 | 4   | 3 | 6 | 9 |
|   | 7     | 0        | 2 | 0   | 0 | 0 | 0 |
|   | 8     | 0        | 0 | 4   | 8 | 3 | 2 |
|   | 2     | 0        | 0 | 0   | 0 | 0 | 0 |
|   |       |          |   |     |   |   |   |

|   |   |   |   | _ |
|---|---|---|---|---|
|   | 4 | 0 | 6 | 0 |
|   | 8 | 0 | 6 | 0 |
|   | 4 | 0 | 3 | 0 |
| , | 5 | 0 | 4 | 0 |

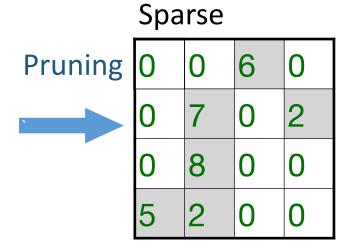
**Column pruning** 

| Pr | Pruning |   |   |  |  |  |  |
|----|---------|---|---|--|--|--|--|
| 0  | 0       | 6 | 9 |  |  |  |  |
| 0  | 0       | 6 | 2 |  |  |  |  |
| 4  | 8       | 0 | 0 |  |  |  |  |
| 5  | 2       | 0 | 0 |  |  |  |  |

**Tensor-tile** 

Dense

| 4 | 3 | 6 | 9 |
|---|---|---|---|
| 8 | 7 | 6 | 2 |
| 4 | 8 | 3 | 2 |
| 5 | 2 | 4 | 9 |



Or the combinations

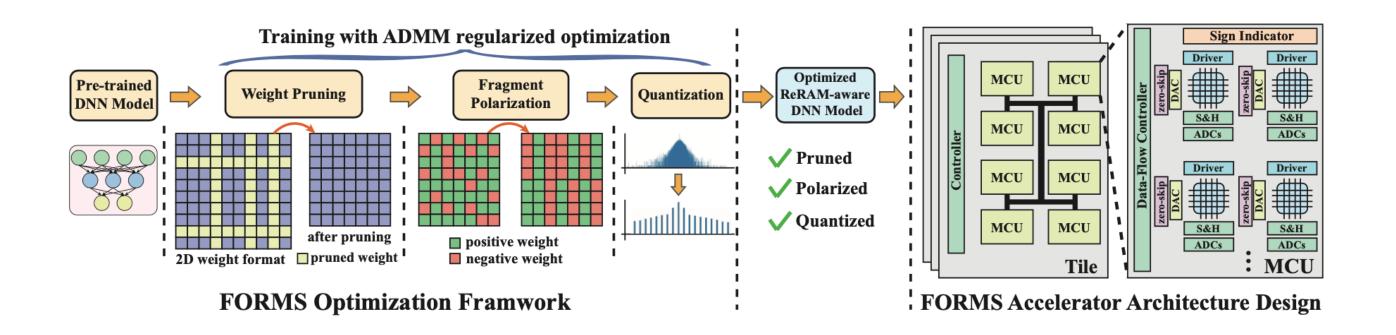


#### FORMS: Fine-grained Polarized ReRAM-based In-situ

#### Computation for Mixed-signal DNN Accelerator

Geng Yuan, Payman Behnam, Zhengang Li, Ali Shafiee, Xiaolong Ma, Hang Liu, Xuehai Qian, Mahdi Bojnordi, Yanzhi Wang, Caiwen Ding

(ISCA'21) The 48th International Symposium on Computer Architecture, 2021



#### Challenges

- Mapping signed weights
  - Decompose crossbars to positive and a negative ones (PRIME [1])
    - Significant crossbar overhead
  - Add an offset to the original negative weight values (ISAAC [2])
    - A bias must be subtracted from the results.
    - Count all 1s in MSB position (negative values) for all inputs and perform subtractions for each
      of 1s.
    - Peripheral circuit overhead
- Software optimization agnostic (mapping, pruning, quantization)
  - Not explore intrinsic sparsity of current DNNs
    - Hardware managed with remarkable overheads such as row indexing, routing controls, word-line controls, etc. (ReCom: DATE'18, SRE: ISCA'19)
    - highly model-dependent: (SNRram: DAC'18)

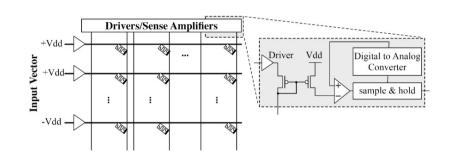
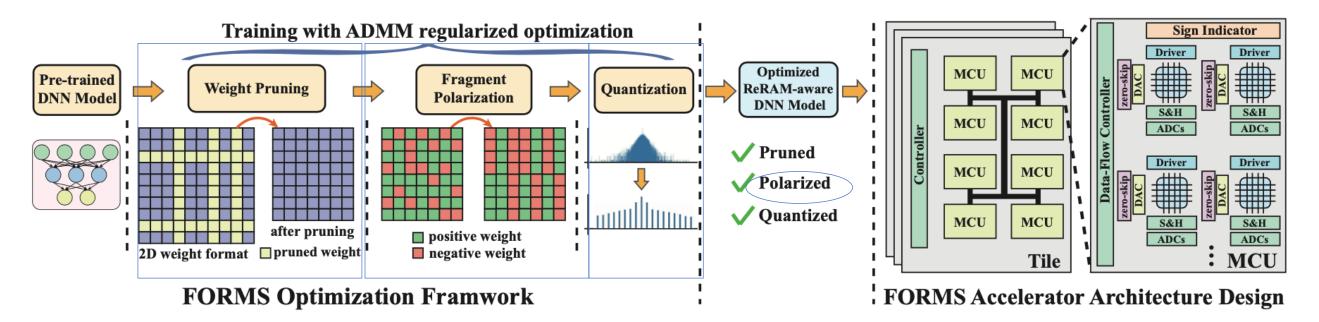


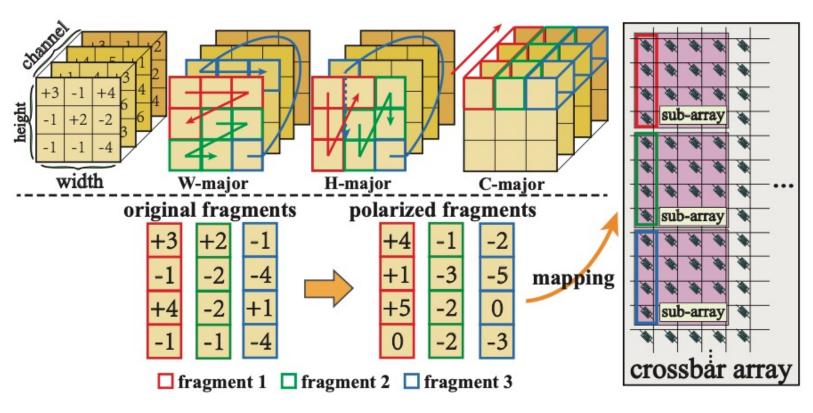
Figure 1: Illustrative example of the circuit for the RRAM crossbar arrays.



Our solution: FORMS -- algorithm/hardware co-design



- Two types of structured pruning methods
  - Filter pruning
  - Filter-shape pruning
- Weights in a fragment are polarized with the same sign.
  - Either positive or negative.
  - Sign bit saving.
- New Challenges:
  - How to determine the sign of weights in a fragment
  - The mapping policy of weights to sub-array columns



#### ADMM-Regularized Optimization

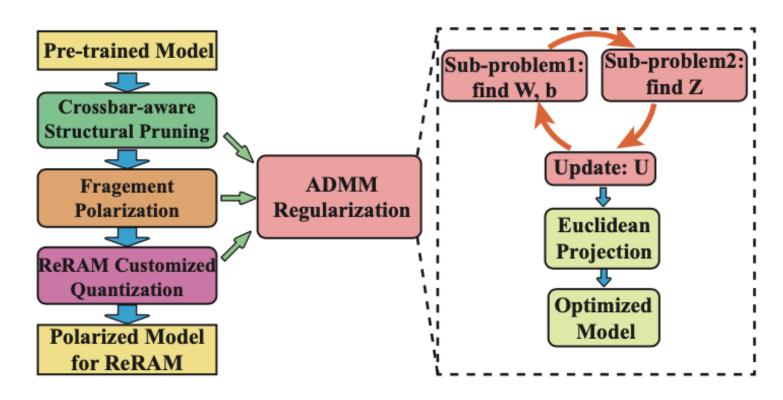
- To achieve optimized weight pruning, polarization, and quantization, FORMS utilizes Alternating Direction Method of Multipliers (ADMM) into the training process.
- ADMM regularization can reforge and separate the problem, then solve them iteratively.

minimize 
$$\mathcal{L}(\{\mathbf{W}_i\}_{i=1}^N, \{\mathbf{b}_i\}_{i=1}^N),$$
 subject to  $\mathbf{W}_i \in \mathbf{S}_i, \ \mathbf{W}_i \in \mathbf{P}_i, \ \mathbf{W}_i \in \mathbf{Q}_i, \ i = 1, \dots, N,$  (1)

 $\mathbf{W}_i \in \mathbf{S}_i := \{\mathbf{H} \mid \text{the percentage of nonzero } \textit{filters} \text{ and } \textit{filter-shapes} \text{ in } \mathbf{H} \text{ is less than or equal to } \alpha_i \text{ and } \beta_i, \text{ where } \alpha_i \text{ and } \beta_i \text{ are predefined hyperparameters. For example, suppose we want a 43% filter sparsity and 62% shape sparsity in } i_{th} \text{ layer, then we set } \alpha_i = 0.57 \text{ and } \beta_i = 0.38.$ 

 $P_i$ ={the weights on each fragment(a column of a crossbar sub-array)

$$Sign_{\mathbf{f}} = \begin{cases} + & \text{if } \sum_{i=1}^{m} (W_i) \ge 0, \\ - & \text{otherwise,} \end{cases}$$



The original compression

problem is not differentiable,

#### Formulation:

$$\begin{array}{ll} \underset{\{\mathbf{W}_i\},\{\mathbf{b}_i\}}{\text{minimize}} & f\big(\{\mathbf{W}_i\},\{\mathbf{b}_i\}\big) + \sum_{i=1}^N g_i(\mathbf{W}_i), \text{ not applicable through backpropagation} \\ & \text{backpropagation} \end{array}$$

$$g_i(\mathbf{W}_i) = \begin{cases} 0 & \text{if } \mathbf{W}_i \in \mathbf{S}_i \text{ or } \mathbf{P}_i \text{ or } \mathbf{Q}_i, \\ +\infty & \text{otherwise.} \end{cases}$$



#### **ADMM** formulation

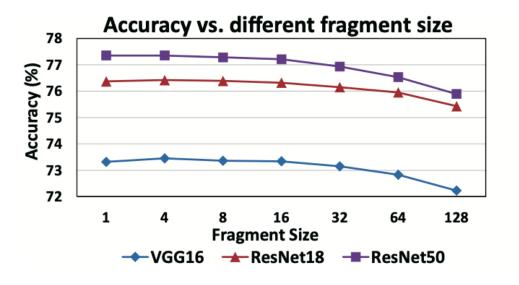


Augmented Lagrangian of ADMM formulation Solving 2 sub-problems iteratively

$$\underset{\{\mathbf{W}_i\},\{\mathbf{b}_i\}}{\text{minimize}} \quad f\left(\{\mathbf{W}_i\}_{i=1}^N,\{\mathbf{b}_i\}_{i=1}^N\right) + \sum_{i=1}^N \frac{\rho_i}{2} \|\mathbf{W}_i - \mathbf{Z}_i^t + \mathbf{U}_i^t\|_F^2, \quad \text{Stochastic Gradient Decent.}$$

#### Fragment size

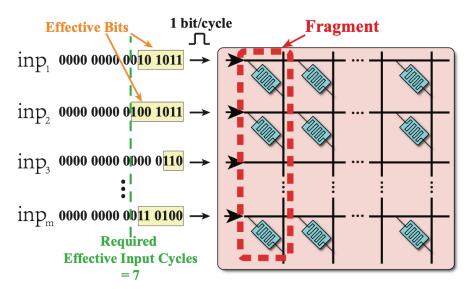
- There is no accuracy drop with appropriate fragment size (e.g., 8, 16).
- Minor accuracy drop when fragment size is 32.

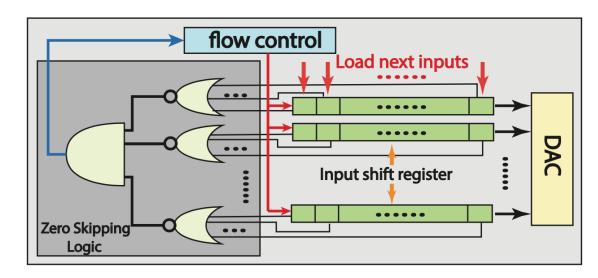


$$\underset{\{\mathbf{Z}_i\}}{\text{minimize}} \quad \sum_{i=1}^N g_i(\mathbf{Z}_i) + \sum_{i=1}^N \frac{\rho_i}{2} \|\mathbf{W}_i^{t+1} - \mathbf{Z}_i + \mathbf{U}_i^t\|_F^2, \\ \text{Euclidean projection: } \mathbf{Z}_i^{t+1} = \prod_{\mathbf{X}_i} (\mathbf{W}_i^{t+1} + \mathbf{U}_i^t), \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{X}_i \mathbf{W}_i^{t+1} + \mathbf{U}_i^t, \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{X}_i \mathbf{W}_i^{t+1} + \mathbf{U}_i^t, \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{X}_i \mathbf{W}_i^{t+1} + \mathbf{U}_i^t, \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{X}_i \mathbf{W}_i^{t+1} + \mathbf{U}_i^t, \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{X}_i \mathbf{W}_i^{t+1} + \mathbf{Y}_i^t, \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{X}_i \mathbf{W}_i^{t+1} + \mathbf{Y}_i^t, \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{X}_i \mathbf{W}_i^{t+1} + \mathbf{Y}_i^t, \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{X}_i \mathbf{W}_i^{t+1} + \mathbf{Y}_i^t, \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{X}_i \mathbf{W}_i^{t+1} + \mathbf{Y}_i^t, \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{X}_i \mathbf{W}_i^{t+1} + \mathbf{Y}_i^t, \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{X}_i \mathbf{W}_i^{t+1} + \mathbf{Y}_i^t, \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{X}_i \mathbf{W}_i^{t+1} + \mathbf{Y}_i^t, \\ \text{The projection is } \mathbf{Z}_i^{t+1} = \mathbf{Z}_i^t \mathbf{W}_i^{t+1} + \mathbf$$

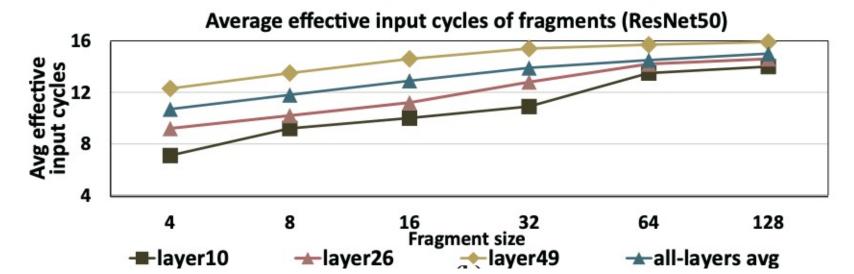
- Larger fragments (e.g., ISAAC) have a higher probability to contain at least one input that its significant bits are not zero.
- Zero-skipping logic with negligible overhead in corporation with small fragment size can catch the intrinsic sparsity of DNN models.

Zeroskipping Logic





- Zero skipping saves requited feeding input cycles.
- Average effective input cycles for various fragment sizes of different layers of ResNet50 (CIFAR100).



- **Training:** 8× NVIDIA Quadro RTX 6000 GPU by PyTorch API
- Data Sets: MNIST, CIFAR10, CIFAR100, ImageNet
- **DNN Models:** LeNet5, VGG16, ResNet18, ResNet50
- Software Baselines:
  - NeurIPS'15, ICCV'17, DAC'17, ECCV'18, NeurIPS'18, CVPR'19, ASPDAC'20
- Design Space Exploration: In-house tool while its back-end utilizes unified CACTI 7.0, NVSIM, and NVSIM-CAM, with multi-banking support
- Hardware Simulator: In-house tool while SW results are back annotated
- Hardware Baselines:
  - Digital: DaDianNao, TPU, WAX, SIMBA
  - Mixed-Signal: ISAAC, PUMA

| Method                             | Original<br>Acc.<br>(32-bit) | Prune<br>Ratio | Fragment<br>Size | Acc.<br>Drop<br>(8-bit) | Crossbar<br>Reduction |  |  |  |
|------------------------------------|------------------------------|----------------|------------------|-------------------------|-----------------------|--|--|--|
|                                    | (32 510)                     | CIFAR-         | 100              | (0 010)                 |                       |  |  |  |
| FPGM[5] (7, 626) 1, 72 0.76% 1, 72 |                              |                |                  |                         |                       |  |  |  |
| ResNet20                           | 67.62%                       | 1.73×          | -                | (32-bit)                | 1.73×                 |  |  |  |
| our                                |                              |                | 4                | -0.06%                  |                       |  |  |  |
| ResNet18                           | 76.37%                       | 6.65×          | 8                | -0.03%                  | 53.2×                 |  |  |  |
| Residetto                          |                              |                | 16               | 0.17%                   |                       |  |  |  |
| FPGM[5]                            | 71.110                       |                |                  | 1.75%                   | 2.11                  |  |  |  |
| ResNet56                           | 71.41%                       | 2.11×          | -                | (32-bit)                | 2.11×                 |  |  |  |
|                                    |                              |                | 4                | 0.10%                   |                       |  |  |  |
| our                                | 77.35%                       | 9.18×          | 8                | 0.31%                   | 73.44×                |  |  |  |
| ResNet50                           | 17.00 /0                     | 7.10           | 16               | 0.61%                   | 75.117                |  |  |  |
| Network Slim[6]                    |                              |                | 10               | -0.22%                  |                       |  |  |  |
| VGG16                              | 73.26%                       | 2×             | -                | (32-bit)                | 2×                    |  |  |  |
| VGG10                              |                              |                | 4                | -0.01%                  |                       |  |  |  |
| our                                | 73.32%                       | 8.15×          | 8                | 0.10%                   | 65.20×                |  |  |  |
| VGG16                              |                              |                | -                |                         | 05.20×                |  |  |  |
|                                    |                              | <u> </u>       | 16               | 0.37%                   |                       |  |  |  |
|                                    |                              | Imagel         | Net              |                         |                       |  |  |  |
| DCP[7]                             | 88.98%                       | 1.42×          | _                | 0.12%                   | 1.42×                 |  |  |  |
| ResNet18                           | 00.7076                      | 1.42 ^         |                  | (32-bit)                | 1.42                  |  |  |  |
| TinyButAcc[3]                      | 89.07%                       | 39.07% 3.33×   |                  | 0.6%                    | 12.4×                 |  |  |  |
| ResNet18                           | 09.07%                       | 3.33 X         | _                | 0.0%                    | 12.4×                 |  |  |  |
|                                    |                              |                | 4                | 0.03%                   |                       |  |  |  |
|                                    |                              | 1.67×          | 8                | 0.27%                   | 13.36×                |  |  |  |
| our                                | 90 09 01                     |                | 16               | 1.19%                   |                       |  |  |  |
| ResNet18                           | 89.08%                       |                | 4                | 0.34%                   |                       |  |  |  |
|                                    |                              | 2.0×           | 8                | 0.62%                   | 16.0×                 |  |  |  |
|                                    |                              | 2.0            | 16               | 1.73%                   |                       |  |  |  |
| our                                |                              |                | 4                | 0.13%                   |                       |  |  |  |
|                                    |                              | 2.15×          | 8                | 0.34%                   | 17.2×                 |  |  |  |
|                                    |                              | 2.10           | 16               | 1.17%                   | 17.27                 |  |  |  |
| ResNet50                           | 92.34%                       |                | 4                | 0.37%                   |                       |  |  |  |
| Residence                          |                              | 3.67×          | 8                | 0.70%                   | 29.36×                |  |  |  |
|                                    |                              |                | 16               | 1.62%                   | 29.30 ×               |  |  |  |
|                                    |                              |                | 10               | 1.0270                  |                       |  |  |  |

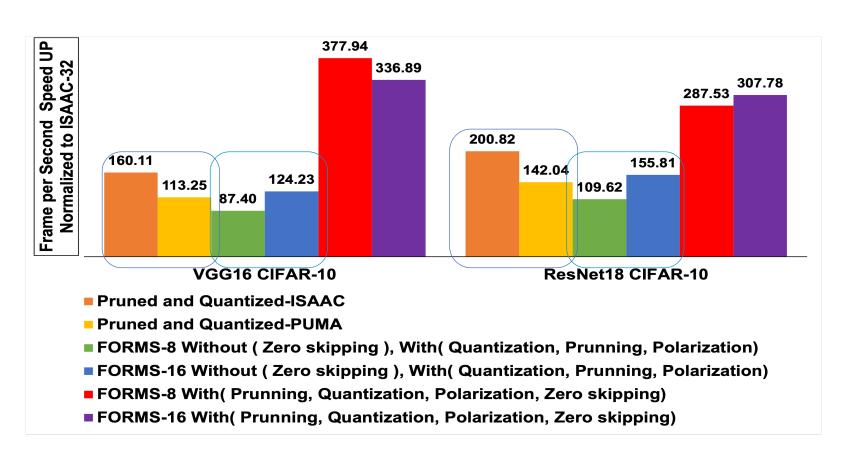
CIFAR100:  $53\times$ ,  $73\times$ , and  $65\times$  crossbar reduction on ResNet-18, ResNet-50, and VGG-16, respectively.

ImageNet: higher crossbar reduction ( $13 \times$  and  $16 \times$ ) with higher or similar accuracy when fragment size is 4 and 8.

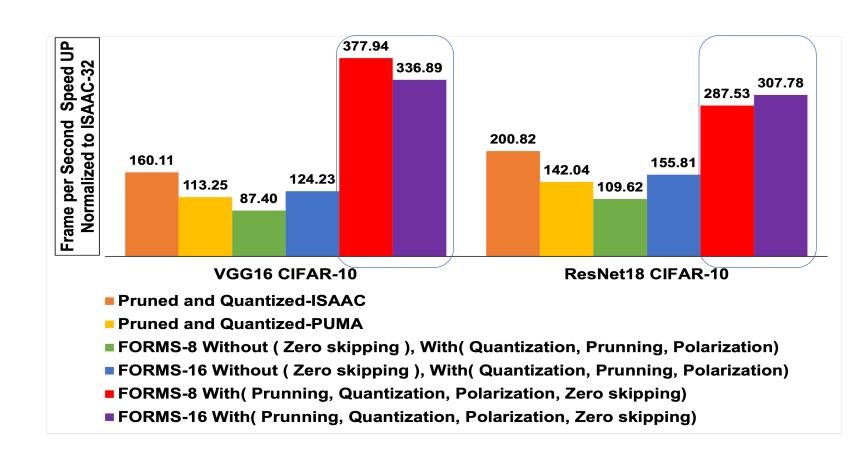
- [1]Y. Wang et al., Group scissor, DAC'17
- [2] S. Han et al., IterativePrune, NeurIPS'15
- [3] X. MA et al., TinyBytAcc, ASPDAC'20
- [4] Y. He et al., AMC, ECCV'18
- [8] S. Sayyaparaju et al., GLVLSI'17

- [5]Y. He et al., FPGM, CVPR'19
- [6] Z. Liu et al., NetworkSlim, ICCV'17
- [7] Z. Zhuang et al., DCP, NeurIPS'18

- Applying pruning and quantization will speed up the frame processing rate of ISAAC by 160× and 200× for VGG16 and ResNet18.
- Applying pruning and quantization increases FORMS speed up, up to 109× and 155× when the fragment sizes are 8 and 16, respectively.



 By applying zero-skipping on top of model optimizations, the speed-up of FORMS goes up to 377 × and 366 × when fragment sizes are 8 and 16, respectively.





### Accel-GCN: High-Performance GPU Accelerator Design for Graph

#### Convolution Networks

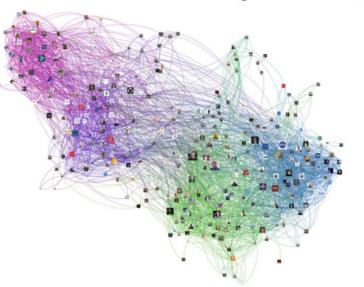
\*Xi Xie<sup>[1]</sup>, \*Hongwu Peng<sup>[1]</sup>, Amit Hasan<sup>[1]</sup>, Shaoyi Huang<sup>[1]</sup>, Jiahui Zhao<sup>[1]</sup>, †Haowen Fang, Wei Zhang<sup>[1]</sup>, Tong Geng<sup>[2]</sup>, Omer Khan<sup>[1]</sup>, and Caiwen Ding<sup>[1]</sup>

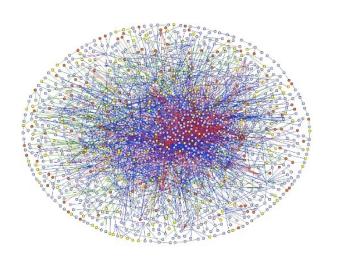
\*These authors contributed equally.

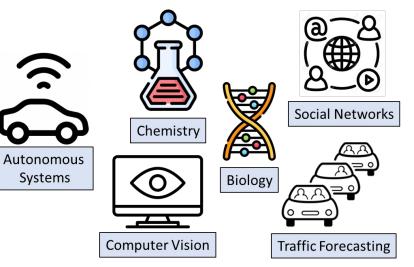
[1] University of Connecticut, [2] University of Rochester

[1] {xi.xie, hongwu.peng, amit.hasan, shaoyi.huang, jiahui.zhao, wei.13.zhang, khan, caiwen.ding}@uconn.edu,

[2] haowfang@gmail.com, [3]tgeng@ur.rochester.edu











## Graph Datasets Features

|            | Accel-GCN's Benchmark Graph Datasets Details |            |              |                     |           |            |              |            |           |             |              |
|------------|--|------------|--------------|---------------------|-----------|------------|--------------|------------|-----------|-------------|--------------|
| Graph Name | # Nodes                                      | #Edges     | Sparsity (%) | Graph Name          | # Nodes   | #Edges     | Sparsity (%) | Graph Name | # Nodes   | #Edges      | Sparsity (%) |
| am         | 881,680                                      | 5,668,682  | 99.9993      | amazon0601          | 403,394   | 5,478,357  | 99.9966      | Artist     | 50,515    | 1,638,396   | 99.9358      |
| Arxiv      | 169,343                                      | 1,166,243  | 99.9959      | Citation            | 2,927,963 | 30,387,995 | 99.9996      | Collab     | 235,868   | 2,358,104   | 99.9958      |
| com-amazon | 334,863                                      | 1,851,744  | 99.9983      | OVCAR-8H            | 1,889,542 | 3,946,402  | 99.9999      | PRODUCTS   | 2,449,029 | 123,718,280 | 99.9979      |
| Pubmed     | 19,717                                       | 99,203     | 99.9745      | PPA                 | 576,289   | 42,463,862 | 99.9872      | Reddit     | 232,965   | 114,615,891 | 99.7888      |
| SW-620H    | 1,888,584                                    | 3,944,206  | 99.9999      | TWITTER-<br>Partial | 580,768   | 1,435,116  | 99.9996      | wikikg2    | 2,500,604 | 16,109,182  | 99.9997      |
| Yelp       | 716,847                                      | 13,954,819 | 99.9973      | Yeast               | 1,710,902 | 3,636,546  | 99.9999      | youtube    | 1,138,499 | 5,980,886   | 99.9995      |

#### High Memory and Computation Costs:

- Large graphs demand substantial memory storage and computational resources
- Optimizing algorithms and utilizing parallel processing can help manage the increased overheads

#### High Sparsity:

- The high sparsity; many nodes have few connections
- Techniques tailored for sparse graphs can be beneficial in this regard.

## SPMM Background

Basic SPMM approaches[1]:

(a) Inner product

(b) Outer product

(c) Row-wise product

(d) Column-wise product

- Row-wise SPMM is well-suited for GPUs for several reasons:
  - Coalesced Memory Access
  - Optimized Data Locality and Cache Usage
  - Balanced Workload
  - Streamlined Control Flow

## State of the Arts

- **PyTorch-Geometric** (**PyG**)[1] utilizes the torch-scatter library, which is built on CUDA, to perform graph aggregation operations central to its function. This library aids in the support of node embedding propagation, following the essential principles of graph-processing systems.
- **Deep Graph Library (DGL)[2]** incorporates a ready-to-use Sparse-Matrix Multiplication (SpMM) solution, specifically utilizing the functionalities in cuSPARSE, for straightforward sum-reduced aggregation. Furthermore, it leverages its own CUDA kernel for the implementation of more sophisticated aggregation schemes that factor in edge attributes.
- **GNNAdvisor[3]** is an adaptive and efficient runtime system developed to address the limitations of existing Graph Neural Networks (GNNs) frameworks. It is designed to foster the acceleration of various GNN workloads on GPU platforms through several strategic interventions, such as performance-relevant features identification, workload management, GPU memory hierarchy utilization and lightweight analytical model.
- **CuSPARSE[4]** is a library in NVIDIA's CUDA toolkit, facilitating optimized sparse matrix operations through GPU-acceleration. It is essential in high-performance computing applications, helping developers manage sparse matrices more efficiently in CUDA-accelerated environments.

<sup>[1]</sup> Matthias Fey and Jan E. Lenssen. Fast graph representation learning with PyTorch Geometric. In ICLR Workshop on Representation Learning on Graphs and Manifolds (ICLR), 2019.

<sup>[2]</sup> MinjieWang, Lingfan Yu, Da Zheng, Quan Gan, Yu Gai, Zihao Ye, Mufei Li, Jinjing Zhou, Qi Huang, Chao Ma, Ziyue Huang, Qipeng Guo, Hao Zhang, Haibin Lin, Junbo Zhao, Jinyang Li, Alexander J Smola, and Zheng Zhang. Deep graph library: Towards efficient and scalable deep learning on graphs. ICLR Workshop on Representation Learning on Graphs and Manifolds, 2019.

<sup>[3]</sup> Yuke Wang, Boyuan Feng, Gushu Li, Shuangchen Li, Lei Deng, Yuan Xie, and Yufei Ding. Gnnadvisor: An efficient runtime system for gnn acceleration on gpus. In Proceedings of the USENIX Symposium on Operating Systems Design and Implementation (OSDI'21), 2021.

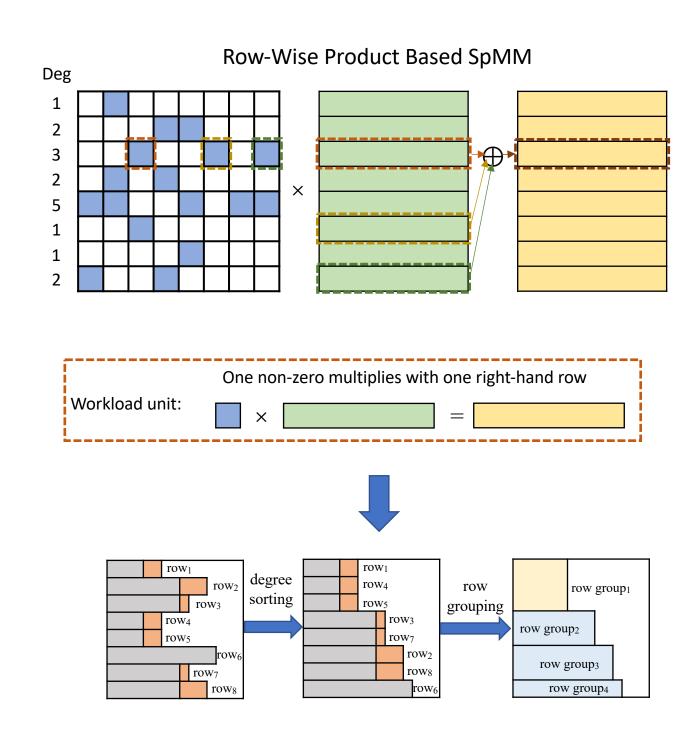
<sup>[4]</sup> M. Naumov, L. Chien, P. Vandermersch, and U. Kapasi. Cusparse library. GPU Technology Conference (GTC), 2010.

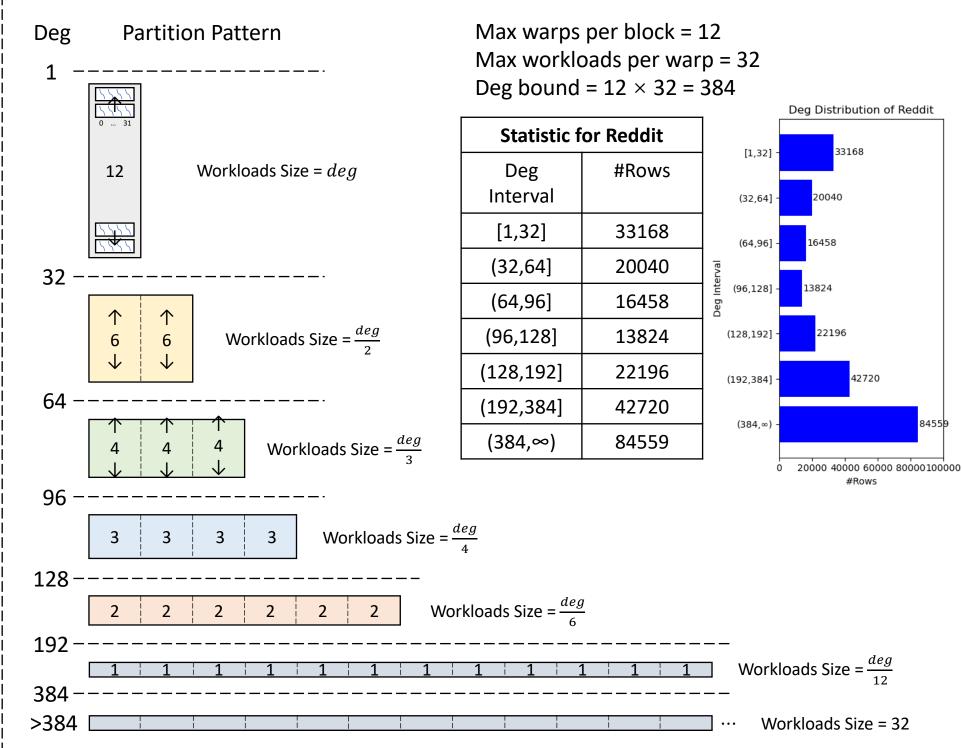
## Research Gaps

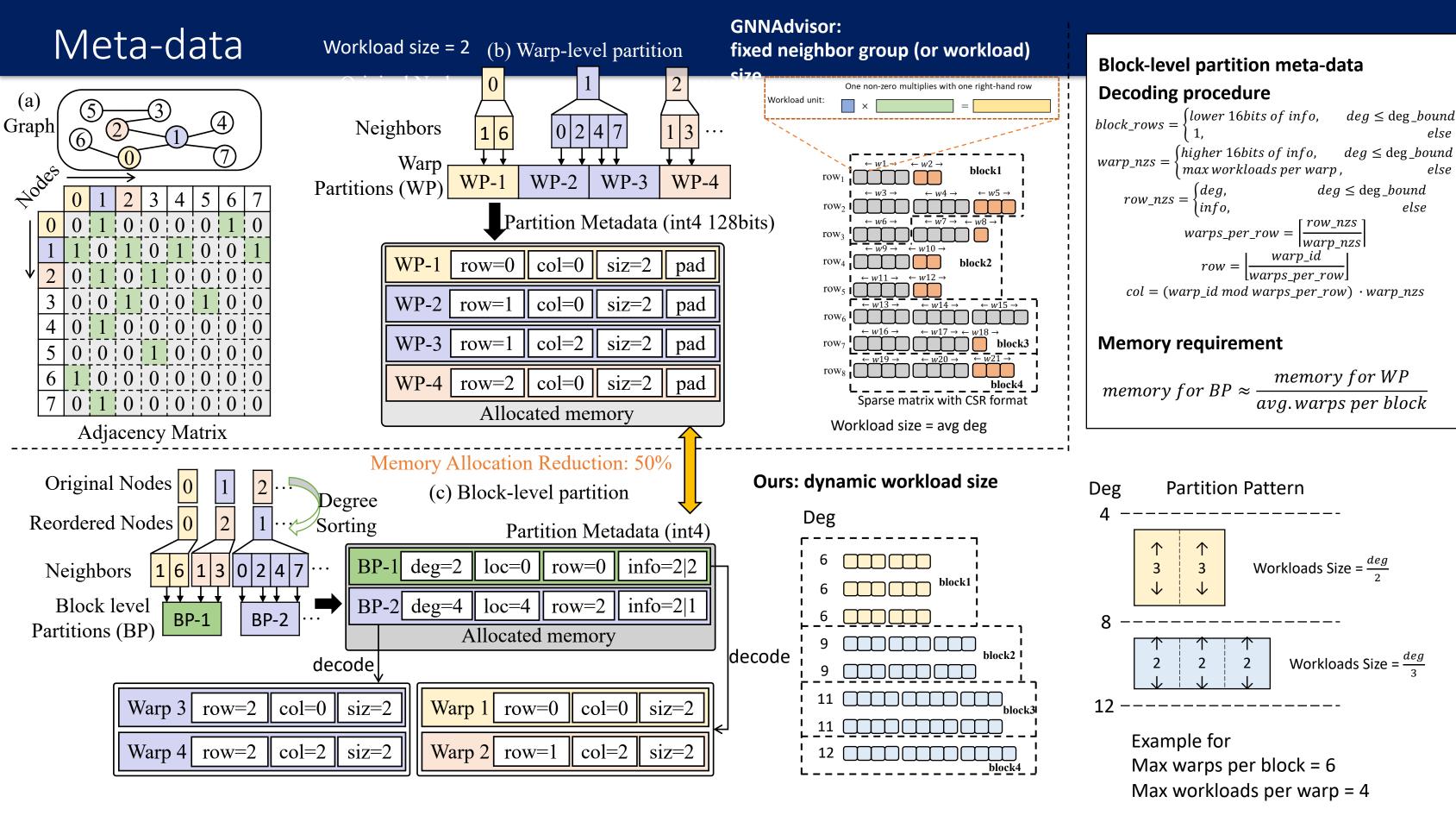
#### • Limitations:

- Both PyG and DGL face low scalability when dealing with large sparse graphs with high-dimensional node embeddings.
  - PyG: due to high-overhead atomic operations.
  - DGL: despite utilizing SpMM strategies and its CUDA kernel for more complex aggregations.
- GNNAdvisor leverages Non-zero groups (NG) to improve workload mapping.
  - Warp-level workload imbalance and resource underutilization when dealing with graphs exhibiting power-law non-zero distribution.
- CuSPARSE is a popular baseline for SpMM kernels, but restricts further insight due to its closed-source nature.
- Hilight of our **Accel-GCN** design:
  - Lightweight degree sorting stage to group nodes with similar degreeBlock-level partition.
  - Block-level partition strategy that dynamically adjusts warp workload sizes, enhancing shared memory locality and workload balance, and reducing metadata overhead.
  - **Combined warp** strategy that improves memory coalescing and computational parallelism in the column dimension of dense matrices.

### Degree Sorting and Block-level Partition







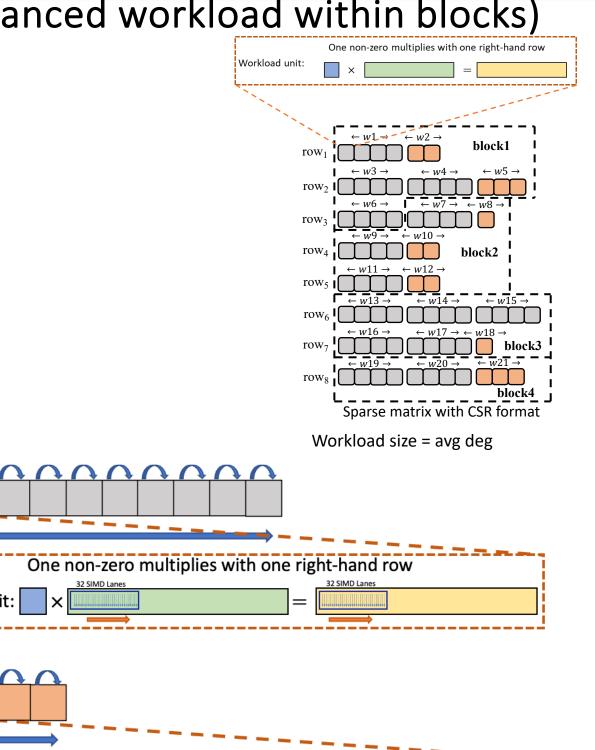
### Fixed NG (workload) Size

Workload unit:

Workload unit:

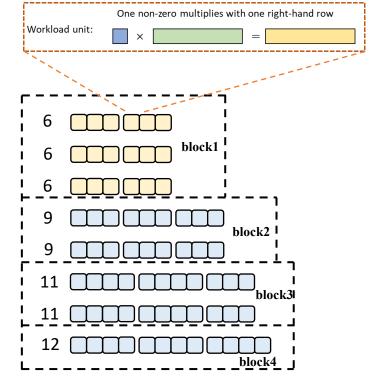
(imbalanced workload within blocks)

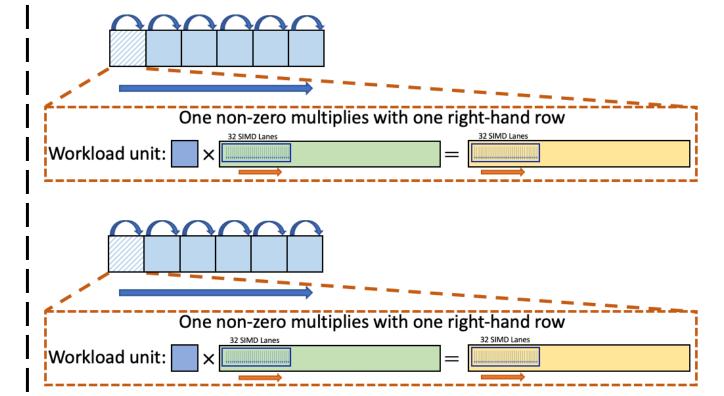
One non-zero multiplies with one right-hand row



#### Block-level Partition (ours)

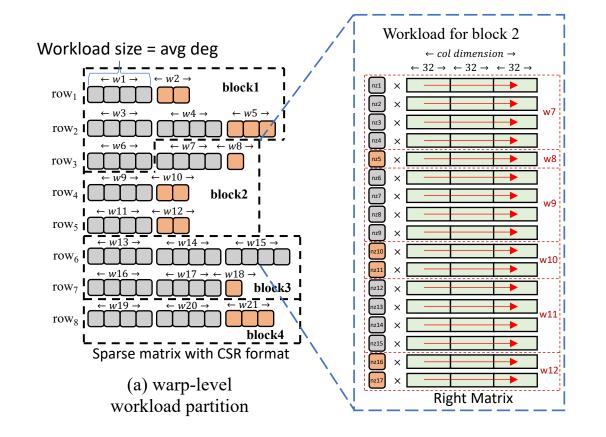
(balanced workload within blocks)

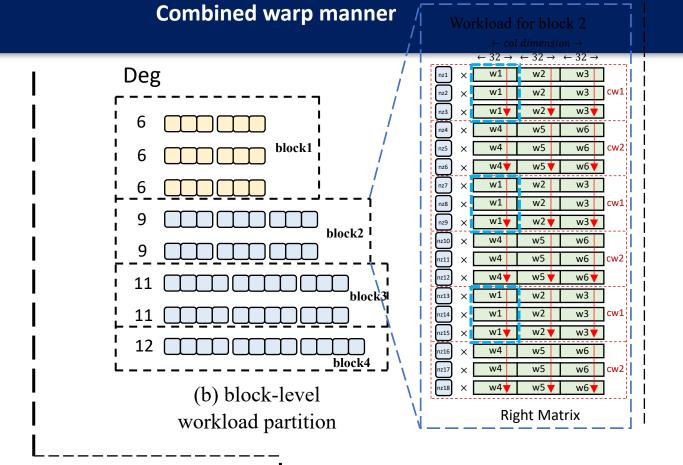


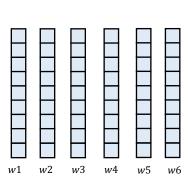


### Combined Warp Strategy

#### Single warp looping manner







Block partition workload (column dimension = 96)

# w7 w8 w9 w10 w11 w12

Warp-level partition workload (column dimension = 96)

#### Single warp looping manner:

for each warp:

for all nzs handled by this warp:

get the location of the workload; for j = 1, ..., dim / 32:

execute the workload with parallelism of 32;

•••

••

#### **Combined warp manner:**

round\_dim = ((dim + 31) / 32) \* 32;

for i = 1, ..., dim / 32:

form combined warps consist of round\_dim threads;

for each combined warp:

for all nzs handled by this combined warp in i-th interval :

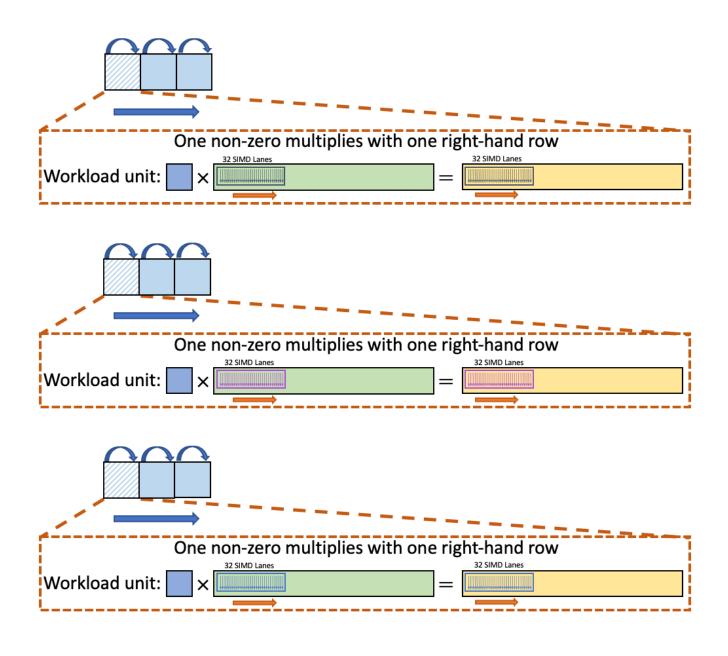
get the location of the workload;

execute the workload with parallelism of round\_dim;

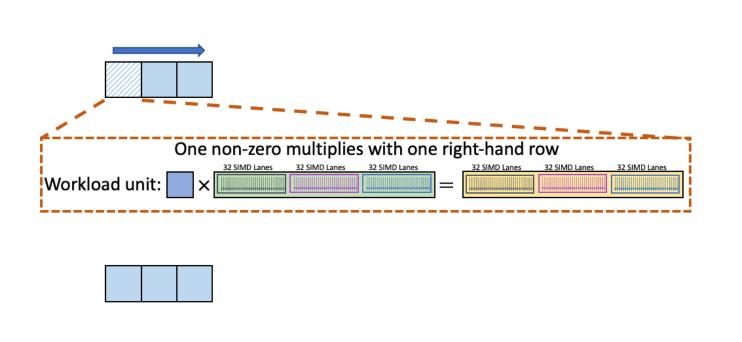
.

•••

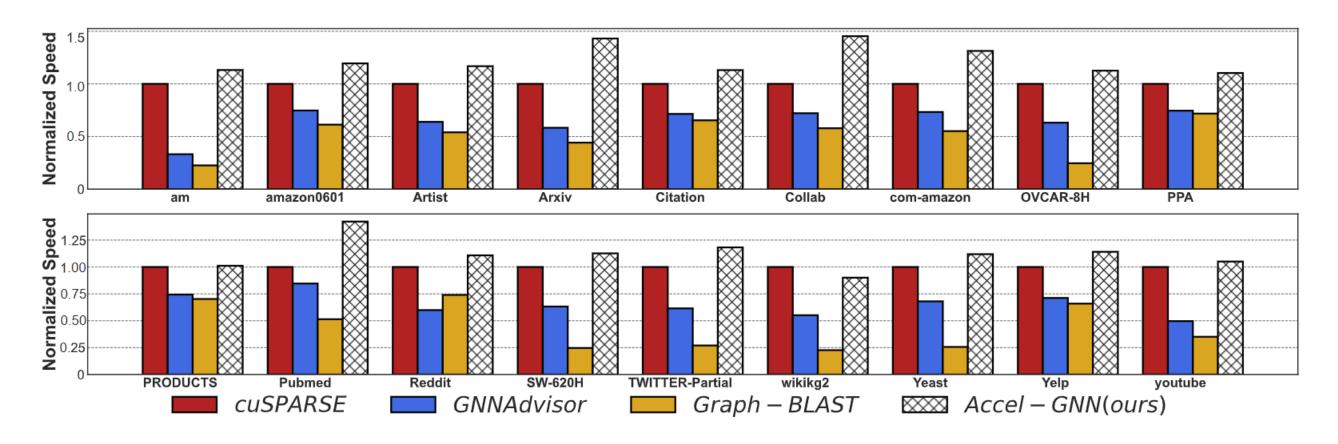
## Single Warp Looping Manner (less parallelism in execution)



## Combined Warp Manner (ours) (improved parallelism in execution)

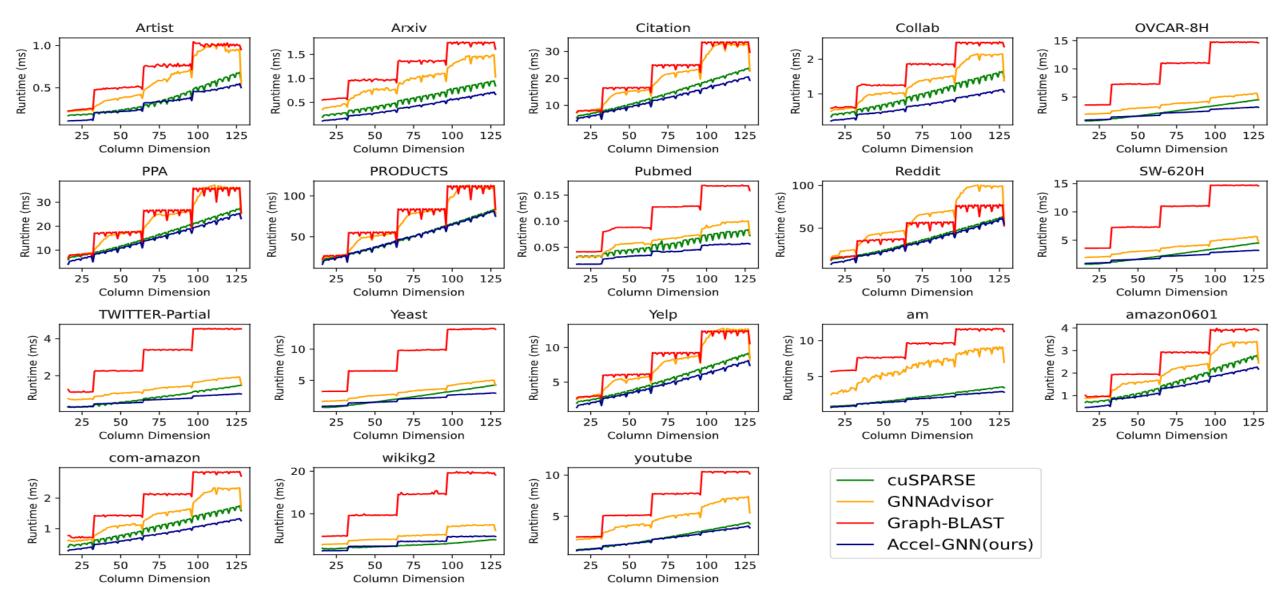


## Overall Performance



- Average improvement of 1.17× over cuSPARSE; up to 1.45× improvement.
- More improvement than GNNAdvisor and graph-BLAST across all benchmark graphs,
  - Average speedup of  $1.86 \times$  and  $2.94 \times$ , and a maximum speedup of  $3.41 \times$  and  $5.02 \times$ , respectively.

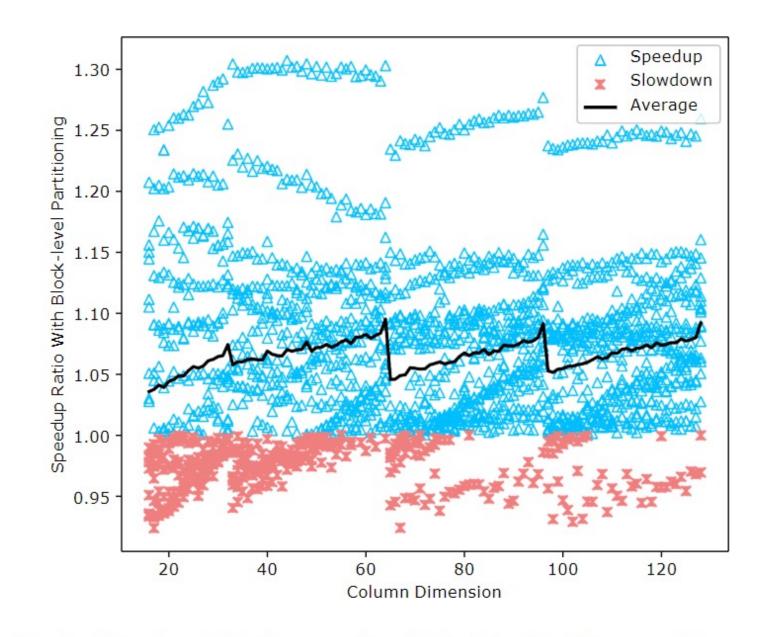
## Kernel Execution Time vs. Column Dimension



- A gradual and smooth I increase in runtime as the column dimension increases.
  - Benefiting from memory coalescing and automatic alignment of intermediate results proffered by the combined warp strategy.

### Block-level Partition vs. Warp-level Partition

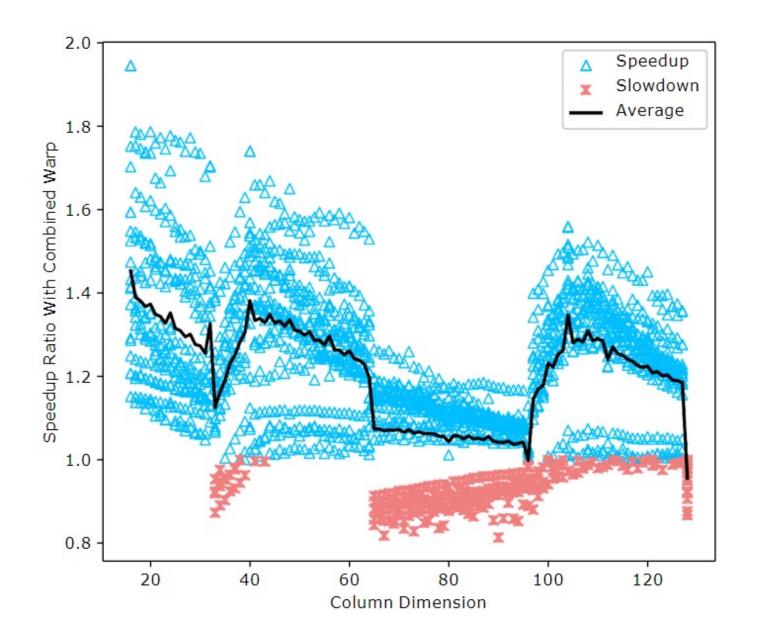
Profiling results on 18 graphs; each with 18 dimensions; total 2016 graph tests.



 Block-level partition has realized an average speedup ranging from 1.05× to 1.07× across disparate column dimension intervals, culminating in a peak improvement of 1.31×; and a least effective case of 0.92×.

Fig. 7. Speedup of (i). degree sorting & block-level partition over (ii). warp-level partition. Both integrated with combined-warp strategy.

## Combined Warp vs. Single warp looping



- Combined warp strategy leads to performance improvement specifically within the column dimension intervals [0, 32], [32, 64], and [96, 128], with an average speed gain recorded between 1.23× and 1.33×.
- This enhancement is somewhat diminished within the column dimension range [64, 96], a divergence potentially ascribable to unaligned cache line size in the prevailing GPU architecture.

Fig. 8. Speedup of degree sorting & block-level partition (i). with combined-warp strategy over (ii). without combined-warp strategy.



## Dynamic Sparse Training via Balancing the Exploration-Exploitation Trade-off

Shaoyi Huang <sup>1</sup>, Bowen Lei <sup>2</sup>, Dongkuan Xu <sup>3</sup>, Hongwu Peng <sup>1</sup>, Yue Sun <sup>4</sup>, Mimi Xie <sup>5</sup>, Caiwen Ding <sup>1</sup>

<sup>1</sup>University of Connecticut, <sup>2</sup>Texas A&M University, <sup>3</sup>North Carolina State University,

<sup>4</sup>Lehigh University, <sup>5</sup>University of Texas at San Antonio

{shaoyi.huang, hongwu.peng, caiwen.ding}@uconn.edu,
bowenlei@stat.tamu.edu, dxu27@ncsu.edu, yus516@lehigh.edu, mimi.xie@utsa.edu







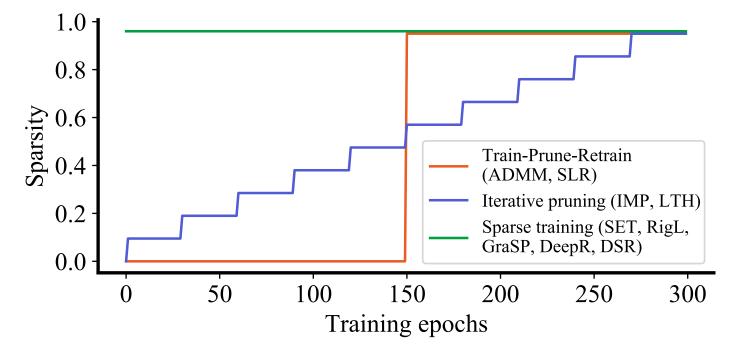




#### **Sparse Training**



#### Weight pruning vs. sparse training



#### Comparison of different sparsification methods

|               | Train-<br>prune-<br>retrain | Iterative<br>pruning | Sparse<br>training |
|---------------|-----------------------------|----------------------|--------------------|
| Sparsity      | Low                         | Medium               | High               |
| Accuracy      | Low                         | Medium               | High               |
| Training cost | High                        | Medium               | Low                |

Weight pruning: ADMM [1], Lottery Ticket Hypothesis (LTH) [2];

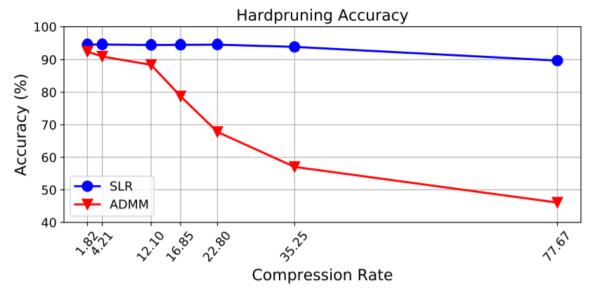
> Training is NOT efficient; Efficient Inference.

Sparse training: SET[3], RigL[4], GraSP[5], DeepR[6], DSR[7];

- > both efficient training and inference
- ➤ Sparsity is introduced from the beginning of training → less memory footprint due to a smaller number of parameters
- Can achieve same accuracy compared to dense training using same training epochs [1] Zhang, Tianyun, et al. "A Systematic DNN Weight Pruning Framework using Alternating Direction Method of Multipliers." ECCV (2018).
- [2] Jonathan F., and Carbin M., "The Lottery Ticket Hypothesis: Finding Sparse, Trainable Neural Networks." ICLR, 2019
- [3] Mocanu, D., et al., "Scalable training of artificial neural networks with adaptive sparse connectivity inspired by network science." Nature communications 9.1 (2018): 2383.
- [4] Evci, U., et al., "Rigging the lottery: Making all tickets winners." ICML. PMLR, 2020.
- [5] Wang, C., et al., "Picking Winning Tickets Before Training by Preserving Gradient Flow." ICLR, 2019.
- [6] Bellec, G., et al., Deep rewiring: Training very sparse deep networks. ICLR, 2018.
- [7] Mostafa H. and Wang X., Parameter efficient training of deep convolutional neural networks by dynamic sparse reparameterization. ICML, 2019.

### Weight pruning

- One of the most common model compression methods.
- Many works: ADMM [1], AMC [2], GSM [3], LTH...
- Use Surrogate Lagrangian Relaxation (SLR)-based pruning as an example[4] (our work).



Faster convergence than ADMM

#### (Image Classification)

| Model     | Method                                 | Acc. (%) | Params<br>Pruned<br>(%) |  |
|-----------|--|----------|-------------------------|--|
|           | SLR                                    | 91.2     |                         |  |
|           | AMC [He et al., 2018]                  | 91.0     | 90                      |  |
|           | L0 [Louizos et al., 2018]              | 80.0     |                         |  |
| VGG-16    | SLR                                    | 93.1     | 60                      |  |
|           | One-shot pruning[Liu et al., 2019]     | 92.4     | OU                      |  |
|           | SLR                                    | 93.2     | 50                      |  |
|           | Iter. Prun. [Han et al., 2015]         | 92.2     | 50                      |  |
| D N 10    | SLR (at 20k iterations)                | 89.9     | 00 6                    |  |
| ResNet-18 | Iter. prun. [Frankle and Carbin, 2018] | 75.0     | 88.6                    |  |
| DasNat 50 | SLR                                    | 93.6     | 60                      |  |
| ResNet-50 | AMC [He et al., 2018]                  | 93.5     | 60                      |  |
| ResNet-56 | SLR                                    | 92.3     | 84.4                    |  |
| Resnet-30 | GSM [Ding et al., 2019]                | 94.1     | 85.0                    |  |
|           | Group Sparsity [Li et al., 2020b]      | 92.65    | 79.2                    |  |
|           | [Zhao et al., 2019]                    | 92.26    | 20.49                   |  |
|           | GAL-0.6 [Lin et al., 2019]             | 93.38    | 11.8                    |  |
|           | [Li et al., 2016]                      | 93.06    | 13.7                    |  |
|           | NISP [Yu et al., 2018]                 | 93.01    | 42.6                    |  |
|           | KSE [Li et al., 2019]                  | 93.23    | 54.73                   |  |
|           | DHP-50 [Li et al., 2020a]              | 93.58    | 41.58                   |  |

#### Better accuracy

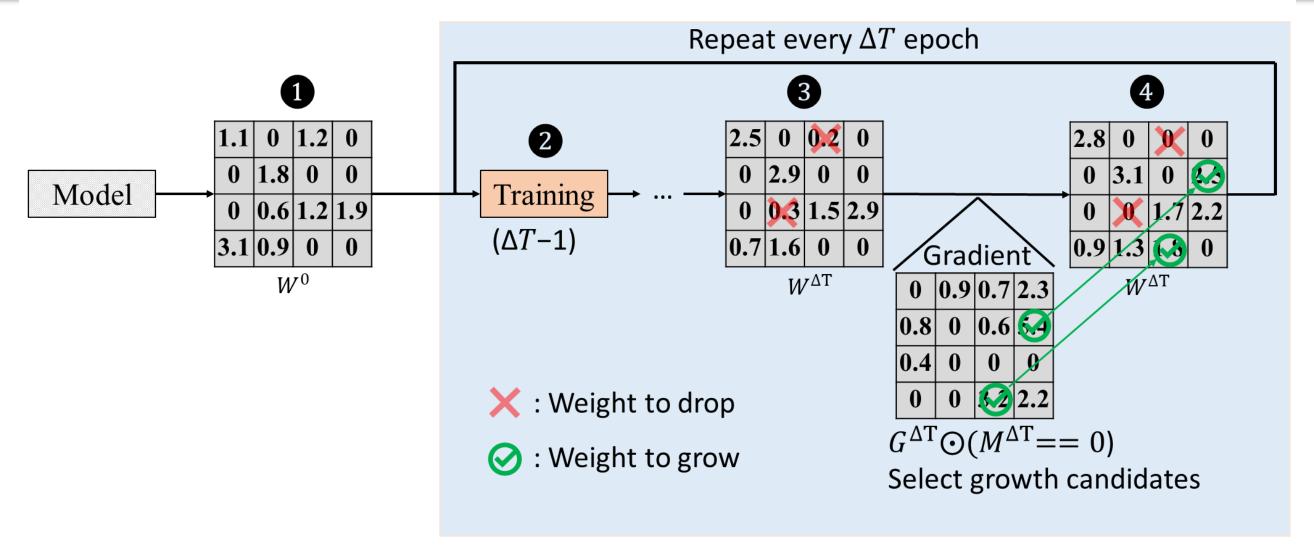
<sup>[1]</sup> Li, Zhe, et al. "E-RNN: Design optimization for efficient recurrent neural networks in FPGAs." In 2019 IEEE International Symposium on High Performance Computer Architecture (HPCA), pp. 69-80. IEEE, 2019. (our work).

<sup>[2]</sup> He, Yihui, et al. "AMC: AutoML for Model Compression and Acceleration on Mobile Devices." ECCV (2018).

<sup>[3]</sup> Ding, Xiaohan, et al. "Global Sparse Momentum SGD for Pruning Very Deep Neural Networks." NeurIPS (2019).

<sup>[4]</sup> Gurevin, Deniz, et al. "Enabling Retrain-free Deep Neural Network Pruning Using Surrogate Lagrangian Relaxation." IJCAI (2021). (our work).

## State-of-the-arts on sparse training

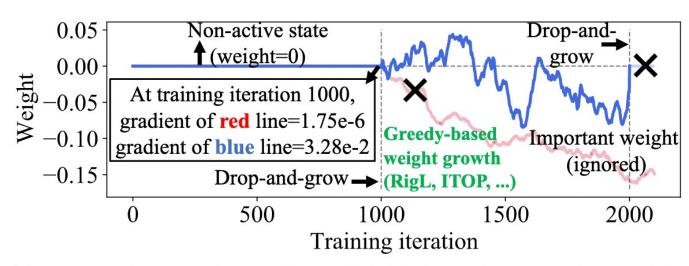


- **Step 1:** Randomly initialize weight tensor with a fixed sparsity.
- **Step 2:** Train the sparsified weight for  $\Delta T$  -1 epochs, where  $\Delta T$  is the drop-grow frequency.
- **Step 3:** During forward propagation, drop k weights with the least absolute magnitude (k=2 in the example).
- **Step 4:** During backpropagation, grow the weights with the highest k absolute gradients back to non-zero.

Repeat steps 2-4 till the end of the training.

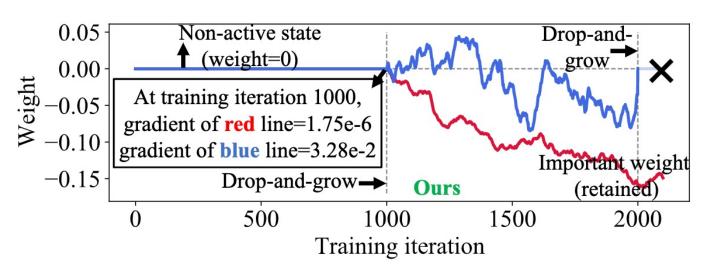
## How to achieve Extreme Sparsity?

#### **Motivation**



- (a) Non-active weights with small initial gradients are ignored in greedy-based weight growth methods (i.e., RigL, ITOP, ...)
- Greedy-based grow methods (e.g., RigL, ITOP [1], GraSP, DeepR, DSR;): search for sparse masks with a local minimal -> limited weights coverage-> limited accuracy or sparsity
- Random-based grow methods (SET, ITOP [1]): lower accuracy

### Highlight of our solution



(b) Non-active weights with small initial gradients could be retained and grown in proposed method.

## How to achieve Extreme Sparsity?

### Our solution – Balancing the Exploration-**Exploitation Trade-off**

$$\mathbf{S}_i^t = |\frac{\partial l(\mathbf{W}_i^t, \mathcal{X})}{\partial \mathbf{W}_i^t}| + c\frac{\ln t}{\mathbf{N}_i^t + \epsilon}, \quad t = q\Delta T, \quad i = 1, 2, ..., L$$

Exploitation

**Exploration** 

(magnitude) (prefer unexplored regions)

Example:  $S_1^{1000} = 16.9 = 3.1 + 2e^{(-5)} \times \frac{ln1000}{0 + 1e - 5}$ 

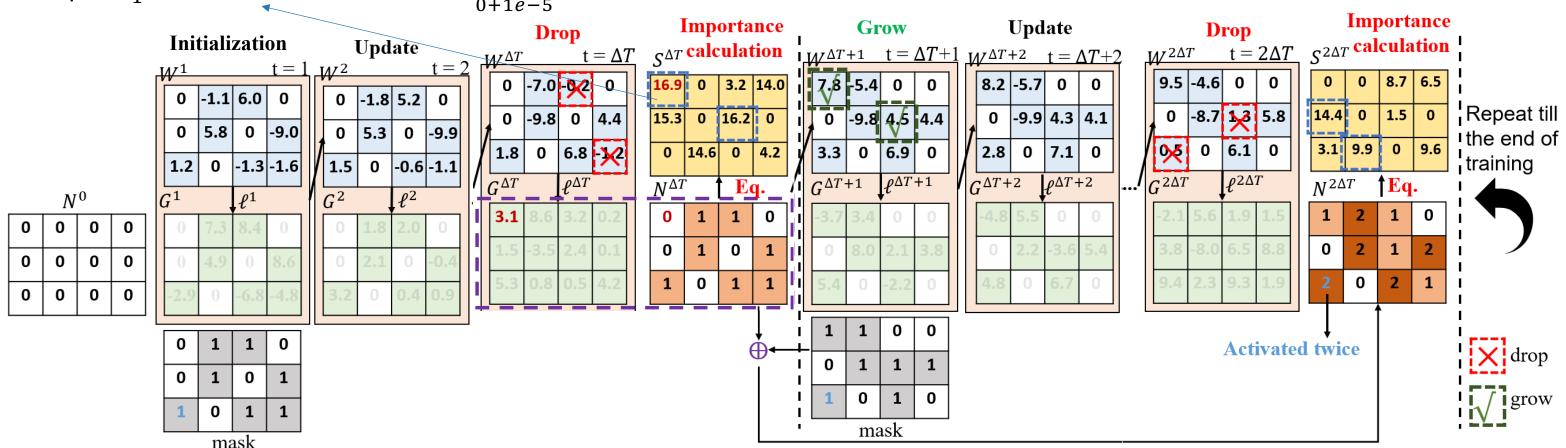
*i*: Layer number

 $\mathcal{X}$ : Input training data

 $S_i^t$ : Importance score tensor in q-th mask update round

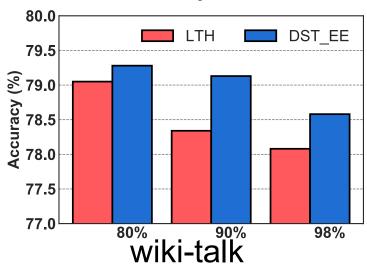
 $|\frac{\partial l(\mathbf{W}_i^t, \mathcal{X})}{\partial \mathbf{W}_i^t}|$ : absolute gradient tensor of i - th layer at t - thiteration

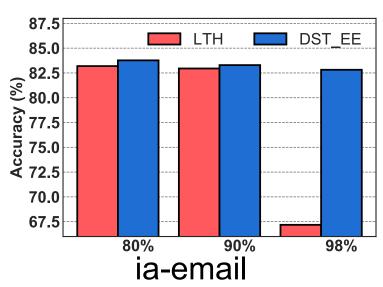
 $N_i^t$ : Counter tensor that collects the activated frequency for each weight element



## **Extreme Sparsity**

### **GNN** link prediction





### Convolutional neural network (CNN)

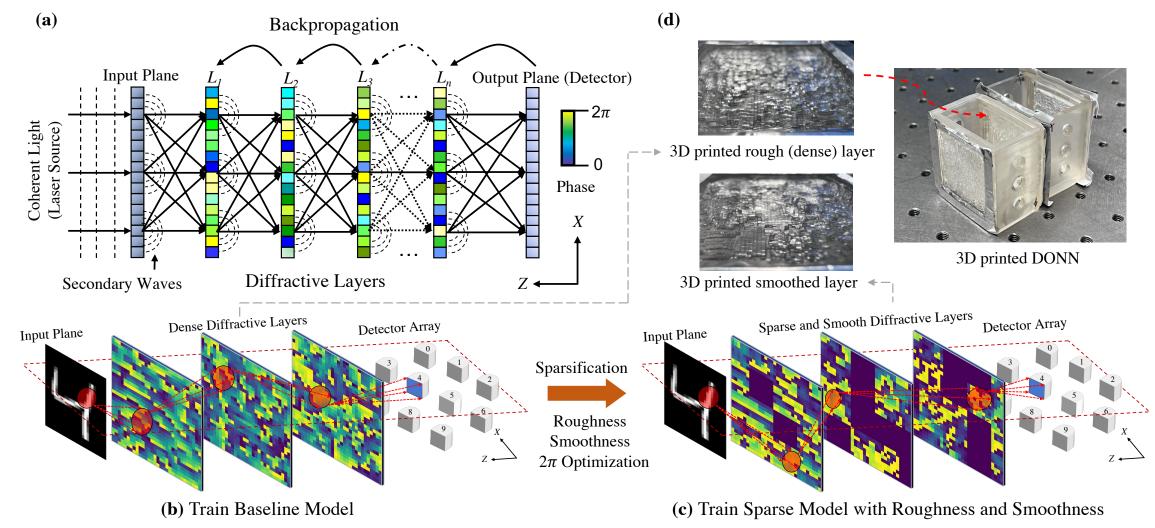
| Dataset                              | #Epochs  |                  | CIFAR-10         |                  |                  | CIFAR-100        |                  |  |
|--------------------------------------|--|------------------|------------------|------------------|------------------|------------------|------------------|--|
| Sparsity ratio                       |  | 90%              | 95%              | 98%              | 90%              | 95%              | 98%              |  |
| VGG-19(Dense)                        | 160  |                  | $93.85 \pm 0.05$ |                  |                  | $73.43 \pm 0.08$ |                  |  |
| SNIP (Lee, Ajanthan, and Tort 2019)  | 160  | 93.63            | 93.43            | 92.05            | 72.84            | 71.83            | 58.46            |  |
| GraSP (Wang, Zhang, and Grosse 2020) | 160  | 93.30            | 93.04            | 92.19            | 71.95            | 71.23            | 68.90            |  |
| SynFlow (Tanaka et al 2020)          | 160  | 93.35            | 93.45            | 92.24            | 71.77            | 71.72            | 70.94            |  |
| STR (Kusupati et al 2020)            | 160  | 93.73            | 93.27            | 92.21            | 71.93            | 71.14            | 69.89            |  |
| SIS (Verma and Pesquet 2021)         | 160  | 93.99            | 93.31            | 93.16            | 72.06            | 71.85            | 71.17            |  |
| DeepR (Bellec et al. 2018)           | 160  | 90.81            | 89.59            | 86.77            | 66.83            | 63.46            | 59.58            |  |
| SET (Mocanu et al. 2018)             | 160  | 92.46            | 91.73            | 89.18            | 72.36            | 69.81            | 65.94            |  |
| RigL (Evci et al 2020)               | 160  | $93.38 \pm 0.11$ | $93.06 \pm 0.09$ | $91.98 \pm 0.09$ | $73.13 \pm 0.28$ | $72.14 \pm 0.15$ | $69.82 \pm 0.09$ |  |
| DST-EE (Ours)                        | 160  | $93.84 \pm 0.09$ | $93.53 \pm 0.08$ | $92.55 \pm 0.08$ | $74.27 \pm 0.18$ | $73.15 \pm 0.12$ | $70.80 \pm 0.15$ |  |
|                                      |  | ı                |                  |                  | ı                |                  | ı                |  |
| ResNet-50(Dense)                     | 160  |                  | $94.75 \pm 0.01$ |                  |                  | $78.23 \pm 0.18$ |                  |  |
| SNIP (Lee, Ajanthan, and Tori 2019)  | 160  | 92.65            | 90.86            | 87.21            | 73.14            | 69.25            | 58.43            |  |
| GraSP (Wang, Zhang, and Grosse 2020) | 160  | 92.47            | 91.32            | 88.77            | 73.28            | 70.29            | 62.12            |  |
| SynFlow (Tanaka et al 2020)          | 160  | 92.49            | 91.22            | 88.82            | 73.37            | 70.37            | 62.17            |  |
| STR (Kusupati et al 2020)            | 160  | 92.59            | 91.35            | 88.75            | 73.45            | 70.45            | 62.34            |  |
| SIS (Verma and Pesquet 2021)         | 160  | 92.81            | 91.69            | 90.11            | 73.81            | 70.62            | 62.75            |  |
| RigL (Evci et al. 2020)              | 160  | $94.45 \pm 0.43$ | $93.86 \pm 0.25$ | $93.26 \pm 0.22$ | $76.50 \pm 0.33$ | $76.03 \pm 0.34$ | $75.06 \pm 0.27$ |  |
| DST-EE (Ours)                        | 160  | $94.96 \pm 0.23$ | $94.72 \pm 0.18$ | $94.20 \pm 0.08$ | $78.15 \pm 0.17$ | $77.54 \pm 0.25$ | $75.68 \pm 0.11$ |  |
|                                      | <del>3                                    </del> |                  |                  |                  |                  |                  |                  |  |

| Methods                              | Epochs           | Training FLOPS $(\times e18)$ | Inference FLOPS $(\times e9)$ | Top-1 Acc (%)    | Training FLOPS (×e18) | Inference FLOPS $(\times e9)$ | Top-1 Acc (%)    |
|--------------------------------------|------------------|-------------------------------|-------------------------------|------------------|-----------------------|-------------------------------|------------------|
| Dense                                | 100              | 3.2                           | 8.2                           | $76.8 \pm 0.09$  | 3.2                   | 8.2                           | $76.8 \pm 0.09$  |
| Sparsity ratio                       | -                |                               | 80%                           |                  |                       | 90%                           |                  |
| SNIP (Lee, Ajanthan, and Tori 2019)  | -                | 0.23×                         | 0.23×                         | -                | 0.10×                 | 0.10×                         | -                |
| GraSP (Wang, Zhang, and Grosse 2020) | 150              | 0.23×                         | 0.23×                         | 72.1             | 0.10×                 | $0.10 \times$                 | 68.1             |
| DeepR (Bellec et al 2018)            | 7-2              | n/a                           | n/a                           | 71.7             | n/a                   | n/a                           | 70.2             |
| SNFS (Dettmers and Zettlemoyer 2019) | ·-               | n/a                           | n/a                           | 73.8             | n/a                   | n/a                           | 72.3             |
| DSR (Mostafa and Wang 2019)          | o <del>.</del> 5 | $0.40 \times$                 | $0.40 \times$                 | 73.3             | 0.30×                 | $0.30 \times$                 | 71.6             |
| SET (Mocanu et al 2018)              | -                | 0.23×                         | $0.23 \times$                 | $72.9 \pm 0.39$  | 0.10×                 | $0.10 \times$                 | $69.6 \pm 0.23$  |
| RigL (Evci et al 2020)               | 100              | $0.23 \times$                 | $0.23 \times$                 | $74.6 \pm 0.06$  | 0.10×                 | $0.10 \times$                 | $72.0 \pm 0.05$  |
| MEST (Yuan et al. 2021)              | 100              | 0.23×                         | $0.23 \times$                 | 75.39            | 0.10×                 | $0.10 \times$                 | 72.58            |
| RigL-ITOP (Liu et al. 2021)          | 100              | 0.42×                         | 0.42×                         | $75.84 \pm 0.05$ | 0.25×                 | 0.24×                         | $73.82 \pm 0.08$ |
| DST-EE(Ours)                         | 100              | 0.23×                         | 0.42×                         | $76.25 \pm 0.09$ | 0.10×                 | 0.24×                         | $75.3 \pm 0.06$  |

**Table 2:** Performance of sparse ResNet-50 models on ImageNet dataset. The results reported with (mean  $\pm$  std) are run with three different random seeds.

# Efficient DONN

- Challenges posed by high computation and memory storage of CMOS-based DNN systems.
- Diffractive optical neural networks (DONNs) as an ultra-efficient DNN accelerator
  - Mismatch between numerical modeling and physical deployment of current DONN systems
- OPhysics-aware roughness optimization process for DONN system
  - Improves accuracy awareness, reduces interpixel crosstalk impacts
  - o Three steps: roughness regularization, block sparsification, 2π periodic phase modulation



[23'DAC] Shanglin Zhou\*, Yingjie Li\*, Minhan Lou, Weilu Gao, Zhijie Shi, Cunxi Yu, Caiwen Ding, Physics-aware Roughness Optimization for Diffractive Optical Neural Networks, In Proceedings of ACM/EDAC/IEEE Design Automation Conference (DAC).

# Efficient DONN

- Ours-A: roughness-aware trained model
- Ours-B: the model trained with sparsity
- Ours-C: the model trained with sparsity and roughness
- Ours-D: the model trained with sparsity, plus roughness and intra-block smoothness

TABLE II: MNIST Result. Baseline is trained under 50 epochs. The sparsification are trained with block size equal to 25.

| Model         | $\begin{array}{c c} \textbf{Accuracy} & R_{overall} \ \textbf{before} \\ \textbf{(\%)} & 2\pi \ \textbf{optimization} \end{array}$ |        | $R_{overall}$ after $2\pi$ optimization |
|---------------|--|--------|---|
| [5], [6], [8] | 96.67  | 466.39 | 460.85                                  |
| Ours-A        | 96.18  | 416.07 | _                                       |
| Ours-B        | 96.38  | 538.78 | 400.38                                  |
| Ours-C        | 96.47  | 409.41 | 299.87                                  |
| Ours-D        | 95.90  | 375.35 | 280.32                                  |

TABLE III: FMNIST Result. Baseline is trained under 150 epochs. The sparsification are trained with block size equal to 20.

| Model         | $egin{array}{c c c c c c c c c c c c c c c c c c c $ |        | $R_{overall}$ after $2\pi$ optimization |
|---------------|--|--------|---|
| [5], [6], [8] | 87.98  | 464.78 | 461.98                                  |
| Ours-A        | 86.99  | 421.49 | _                                       |
| Ours-B        | 87.88  | 488.11 | 438.53                                  |
| Ours-C        | 86.79  | 350.67 | 305.86                                  |
| Ours-D        | 85.76  | 450.73 | 229.70                                  |

TABLE IV: KMNIST Result. Baseline is trained under 100 epochs. The sparsification are trained with block size equal to 20.

| Model         | Accuracy $R_{overall}$ before $2\pi$ optimization |        | $R_{overall}$ after $2\pi$ optimization |  |
|---------------|---|--------|---|--|
| [5], [6], [8] | 86.92   | 460.61 | 445.57                                  |  |
| Ours-A        | 85.26   | 462.7  | _                                       |  |
| Ours-B        | 86.83   | 473.08 | 432.26                                  |  |
| Ours-C        | 85.01   | 396.84 | 331.22                                  |  |
| Ours-D        | 83.19   | 327.48 | 288.42                                  |  |

TABLE V: EMNIST Result. Baseline is trained under 100 epochs. The sparsification are trained with block size equal to 20.

| Model         | Accuracy (%) | $R_{overall}$ before $2\pi$ optimization | $R_{overall}$ after $2\pi$ optimization |
|---------------|--------------|--|---|
| [5], [6], [8] | 92.30        | 463.42                                   | 458.48                                  |
| Ours-A        | 91.61        | 435.58                                   | _                                       |
| Ours-B        | 92.36        | 465.85                                   | 443.91                                  |
| Ours-C        | 91.16        | 349.61                                   | 336.75                                  |
| Ours-D        | 90.74        | 312.17                                   | 298.09                                  |

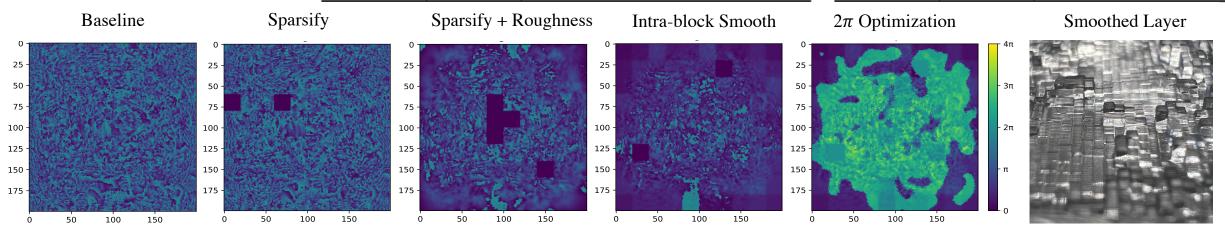


Fig: Comparison of the phase mask of the second diffractive layer under EMNIST dataset. Black blocks mean weights inside are sparsified and set to zero. The fifth is  $2\pi$  optimization of phase mask that trained with sparsification, roughness and intra-block smoothness. The last is 3D printed smoothed diffractive layer.



# PASNet: Polynomial Architecture Search Framework for Two-party Computation-based Secure Neural Network Deployment

\*Hongwu Peng<sup>[1]</sup>, \*Shanglin Zhou<sup>[1]</sup>, \*Yukui Luo<sup>[2]</sup>, Nuo Xu<sup>[3]</sup>, Shijin Duan<sup>[2]</sup>, Ran Ran<sup>[3]</sup>, Jiahui Zhao<sup>[1]</sup>, Chenghong Wang<sup>[4]</sup>, Tong Geng<sup>[5]</sup>, Wujie Wen <sup>[3]</sup>, Xiaolin Xu<sup>[2]</sup>, and Caiwen Ding<sup>[1]</sup>

\*These authors contributed equally.

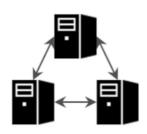
[1] University of Connecticut, USA. [2] Northeastern University, USA. [3] Lehigh University, USA. [4] Duke University, USA. [5] University of Rochester, USA.

[1] {hongwu.peng, shanglin.zhou, jiahui.zhao, caiwen.ding}@uconn.edu, [2] {luo.yuk, duan.s, x.xu}@northeastern.edu, [3] {nux219, rar418, wuw219}@lehigh.edu, [4]cw374@duke.edu, [5]tgeng@ur.rochester.edu

## Background



Trusted Execution Environment (TEE)



Multi-Party (MPC)
Computation



Homomorphic Encryption (HE)

| Method | Example   | Secure setup | Universal circuit | Simple key management | Flexible hardware | Straightforward distributed extension |
|--------|---|--------------|-------------------|-----------------------|-------------------|---------------------------------------|
| HE     | [43, 48, 48]  | Moderate     | _                 | _                     | <b>√</b>          | _                                     |
| TEE    | [ <del>48</del> , <mark>43</mark> , <mark>53</mark> ] | Complicated  | $\checkmark$      | _                     | _                 | _                                     |
| MPC    | [27, 32, 44], ours                                    | Moderate     | ✓                 | ✓                     | ✓                 | ✓                                     |

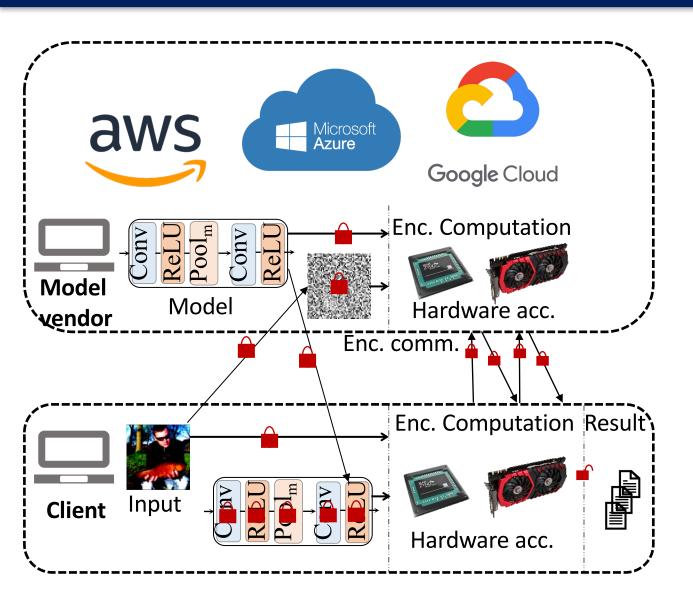
- HE applies operations on ciphertext while the result still can be recovered to plaintext;
- TEE constructs an environment that allow content inside works with confidentiality and integrity;
- MPC manages sensitive operations and communications on multiple parties while maintaining the security among each party

[15] Cryptonets [18] Cryptodl

[16] Mlcapsule [43] Visor [53] Slalom

[27] Mp-spdz [32] Cryptflow [44] Cryptflow2

### Hardware Solution – GPU vs. CPU



Secure Machine-Learning-As-A-Service (MLaaS), MPC setting

#### HE:

- High cost multiplicative gates for DNN inference.
- > >100s per image for a 10-layer SqueezeNet on CIFAR10 [1]. Intel Xeon E5- 2667v3@3.2GHz with 224 GB of memory

MPC: CryptGPU [2]

- ➤ achieves takes ~2s (VGG-16, CIFAR10) on Tesla V100 GPU with 16 GB memory
- > 2.3× faster than the CRYPTFLOW [3] (CPU). (ResNet-152, ImageNet)
- ➤ Two CryptGPU with power budget of 315 × 2 Watt
- > Still expensive for non-linear operators such as ReLU

#### FPGA advantages:

Power efficiency: computational efficient compared to CPUs and GPUs

Design flexibility: Rich reconfigurable gate-level hardware resources

<sup>[1]</sup> Dathathri et al, 2019 ASPLOS.

<sup>[2]</sup> Tan et al, 2021 Oakland

<sup>[3]</sup> Kumar et al, 2020 Oakland

## Privacy Preserving Machine Learning - Research Gap

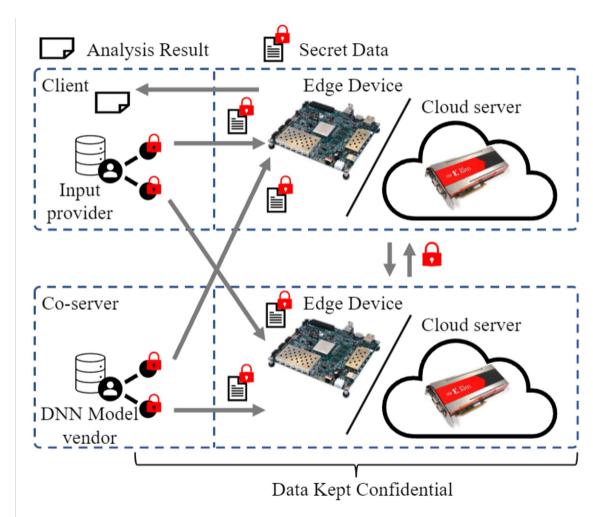


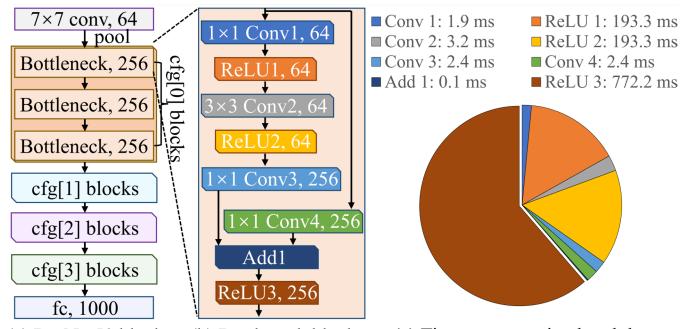
Fig. 1: Two-party secure computing (2PC) deployment.

A generic framework that combines the aforementioned FPGA advantages when both DNN inference and MPC are required, has not yet been widely investigated.

- (1) ultra-high computation and communication overhead;
  - vast amount of data communication between the edge devices and cloud,
  - > limited resources (e.g., memory size) on the edge

(2) Adding cryptographic operations introduces more

overhead.



- ReLU operator has much longer latency than Conv
- ❖ Hardware & software techniques are required for secure privarate inference (PI) acceleration.

(a) ResNet50 blocks (b) Bottleneck block (c) Time consumption breakdown Lantecy breakdown under 2PC PI setup. Network banwidth: 1 GB/s. Device: ZCU104. ResNet50 on ImageNet

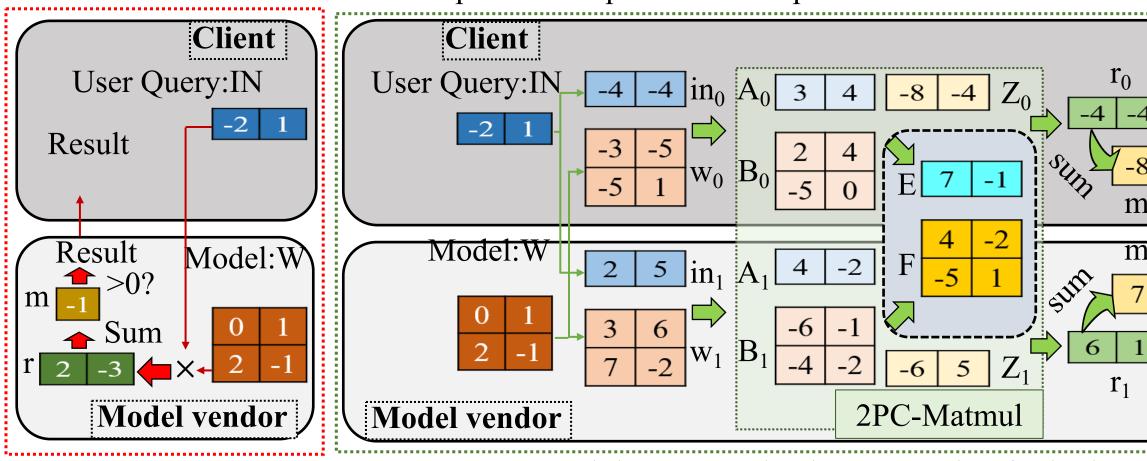
## Background: MPC Basics

According to the additive share and two-party setting, assuming a matrix multiplication over input ( $\llbracket IN \rrbracket$ ) and weight ( $\llbracket W \rrbracket$ ):  $\llbracket OUT \rrbracket \leftarrow \llbracket IN \rrbracket \otimes \llbracket W \rrbracket$  that produces a new secret shared value  $[OUT] \leftarrow (OUT_i, OUT_i)$ , such that  $rec(\llbracket OUT \rrbracket) = rec(\llbracket IN \rrbracket) \otimes rec(\llbracket W \rrbracket)$ . In this process, we need two masks  $\llbracket E \rrbracket$  and  $\llbracket F \rrbracket$  to assist each party's computation, i.e., hide the secret information of [IN] and [W]by using pre-computed multiplication triple [A], [B], and [Z], where  $[\![Z]\!] = [\![A]\!] \cdot [\![B]\!]$ . The three secret shared matrices of triple are  $\llbracket A \rrbracket \leftarrow (A_i, A_j)$ ,  $\llbracket B \rrbracket \leftarrow (B_i, B_j)$ , and  $\llbracket Z \rrbracket \leftarrow (Z_i, Z_j)$ . Initially, each party computes  $\llbracket E \rrbracket = \llbracket IN \rrbracket - \llbracket A \rrbracket$  and  $\llbracket F \rrbracket = \llbracket IN \rrbracket$  $\llbracket W \rrbracket - \llbracket B \rrbracket$ . Then both parties jointly recover  $E \leftarrow \operatorname{rec}(\llbracket E \rrbracket)$ . and  $F \leftarrow \text{rec}(\llbracket F \rrbracket)$ , and each party computes Eq. 1, the socalled Beaver multiplication triples [4] adopted by many other relevant works like Crypten [29], CryptGPU [50], ABY [15], and ABY2 [43]. Taking party i as an example,  $OUT_i$ will then be treated as the secret share for [OUT]. Typically, the multiplication triple can be generated using homomorphic encryption [58] or with oblivious transfer (OT) [28].

 $OUT_i = -i \cdot E \otimes F + IN_i \otimes F + E \otimes W_i + Z_i \ (i \in \{0, 1\})$  (1)

- ❖2PC-Oblivious Transfer (OT) -foundation of secure comparison (ReLU)
- Multiple rounds of communication
- \*Reducing ReLU is essential

An example of 4-bit plaintext vs. ciphertext evaluation.



Plaintext Evaluation, user Not safe! query revealed to vendor

Ciphertext Evaluation, protection for both user query & vendor's model Safe!

### 2PC-OT Processing Flow:

- ① Server 0  $(S_0)$  generates a random integer  $rd_{s_0}$ , and compute mask number S with  $S = g^{rd_{S_0}} \mod m$ , then shares S with the Server 1  $(S_1)$ .
- ② Server 1  $(S_1)$  received S, and generates R list based on  $S_1$ 's 32-bit dataset  $M_1$ , and then send them to  $S_0$ . Each element of  $M_1$  is split into U = 16 parts, thus each part is with 2 bits.
- **3** Server **0**  $(S_0)$  received R, it will first generate the encryption  $key_0(y,u) = R(y,u) \oplus (S^{b2d(M_1(y,u))+1} \mod m)^{rd_{S_0}} \mod m$ . The  $S_0$  also generates is comparison matrix for it's  $M_0$  with 32-bit datatype and U=16 parts,
- **4** Server 1  $(S_1)$  decodes the interested encrypted massage by  $key_1 = S^{rd_{S_0}} \mod m$  in the final step.

Result

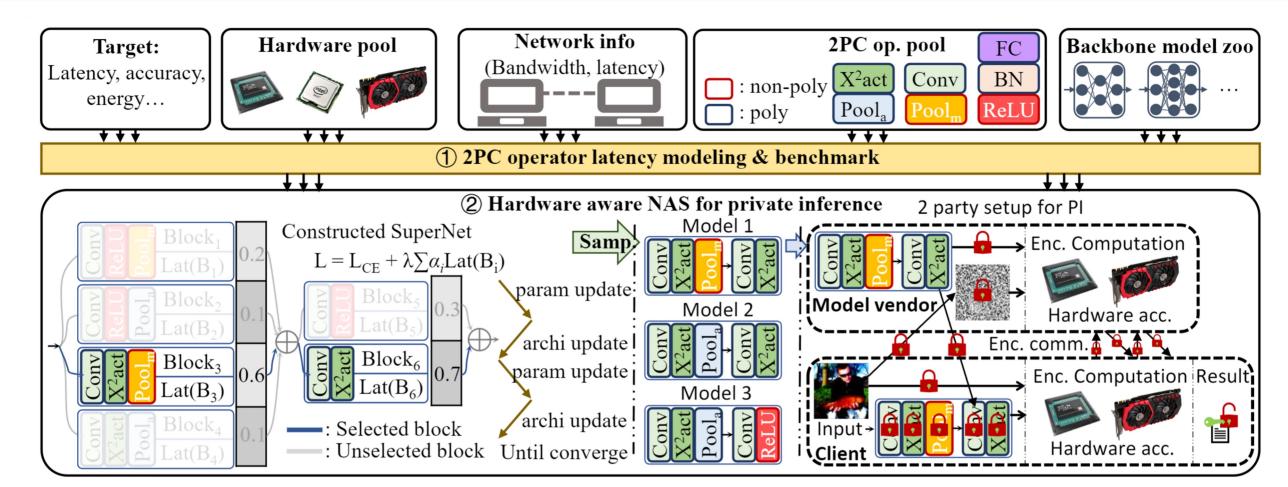
## Crypto-Friendly Neural Architecture Co-search

#### Algorithm 1 Differentiable Polynomial Architecture Search.

**Input:**  $M_b$ : backbone model; D: a specific dataset Lat(OP): latency loop up table; H: hardware resource Output: Searched polynomial model  $M_n$ 

- 1: while not converged do
- Sample minibatch  $x_{trn}$  and  $x_{val}$  from trn. and val. dataset
- // Update architecture parameter  $\alpha$ :
- Forward path to compute  $\zeta_{trn}(\omega, \alpha)$  based on  $x_{trn}$
- Backward path to compute  $\delta\omega = \frac{\partial \zeta_{trn}(\omega,\alpha)}{2}$
- Virtual step to compute  $\omega' = \omega \xi \delta \omega'$
- Forward path to compute  $\zeta_{val}(\omega', \alpha)$  based on  $x_{val}$
- Backward path to compute  $\delta \alpha' = \frac{\partial \zeta_{val}(\omega', \alpha)}{\alpha}$
- Backward path to compute  $\delta\omega' = \frac{\partial \zeta_{val}(\omega',\alpha)}{\partial \omega'}$
- Virtual steps to compute  $\omega^{\pm} = \omega \pm \varepsilon \delta \omega'$
- Two forward path to compute  $\zeta_{trn}(\omega^{\pm}, \alpha)$
- Two backward path to compute  $\delta \alpha^{\pm} = \frac{\partial \zeta_{trn}(\omega^{\pm}, \alpha)}{\alpha}$
- Compute hessian  $\delta \alpha'' = \frac{\delta \alpha^+ \delta \alpha^-}{2}$
- Compute final architecture parameter gradient  $\delta \alpha = \delta \alpha'$  14:
- Update architecture parameter using  $\delta \alpha$  with Adam optimizer
- // Update weight parameter  $\omega$ :
- Forward path to compute  $\zeta_{trn}(\omega, \alpha)$  based on  $x_{trn}$
- Backward path to compute  $\delta\omega = \frac{\partial \zeta_{trn}(\omega,\alpha)}{\alpha}$
- Update architecture parameter using  $\delta \omega$  with SGD optimizer 20: end while

Obtain architecture by  $OP_l(x) = OP_{l,k^*}(x)$ , s.t.  $k^* =$  $\operatorname{argmax}_{k} \theta_{l,k}$ 



- The search algorithm uses hardware latency modeling as input for loss function
- Trainable X2act Non-linear **Function**
- Operator Modeling and Latency-Analysis

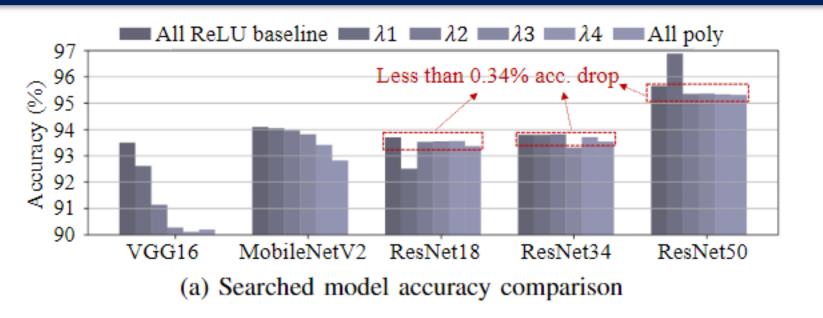
2PC-MaxPool Operator

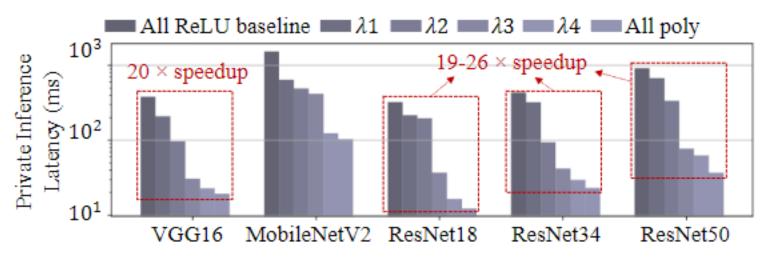
2PC-X2act Operator

2PC-AvgPool Operator

2PC-Conv Operator

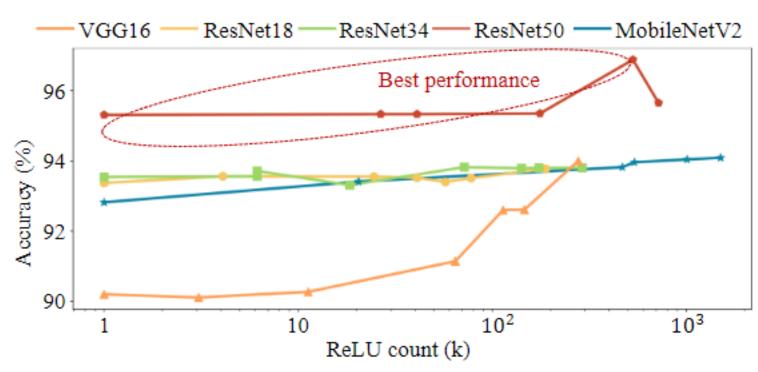
### Results

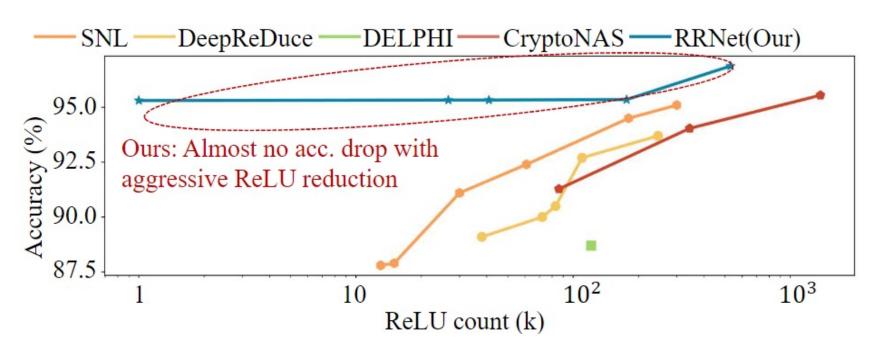




(b) Searched model private inference latency comparison

PASNet on CIFAR-10 under 2PC PI setup. Network banwidth: 1 GB/s. Device: ZCU104.





Accuracy-ReLU count trade-off on CIFAR-10.

ReLU reduction comparison with SOTA works on CIFAR-10.

### Results

|                       |           | CII       | FAR-10 dataset | ImageNet dataset  |           |           |          |            |                  |
|-----------------------|-----------|-----------|----------------|-------------------|-----------|-----------|----------|------------|------------------|
| Model                 | Top 1 (%) | Lat. (ms) | Comm. (MB)     | Effi. (1/(ms*kW)) | Top 1 (%) | Top 5 (%) | Lat. (s) | Comm. (GB) | Effi. (1/(s*kW)) |
| RRNet-A               | 93.37     | 12.2      | 2.86           | 5.12              | 70.54     | 89.59     | 0.063    | 0.035      | 999              |
| RRNet-B               | 95.31     | 36.74     | 13.18          | 1.70              | 78.79     | 93.99     | 0.228    | 0.162      | 274              |
| RRNet-C               | 95.33     | 62.91     | 30.03          | 0.99              | 79.25     | 94.38     | 0.539    | 0.368      | 115              |
| RRNet-D               | 92.82     | 104.09    | 25.01          | 0.60              | 71.36     | 90.15     | 0.184    | 0.103      | 339              |
| CryptGPU<br>ResNet50  | \         | \         | \              | \                 | 78        | 92        | 9.31     | 3.08       | 0.15             |
| CryptFLOW<br>ResNet50 | \         | \         | \              | \                 | 76.45     | 93.23     | 25.9     | 6.9        | 0.096            |

PASNet evaluation & cross-work comparison with CryptGPU and CryptFLOW. Batch size = 1, Network bandwidth: 1 GB/s. Device: ZCU104.

CryptGPU: Tan et al, 2021 Oakland

CryptFLOW: Kumar et al, 2020 Oakland

## **Acknowledgement: Team Members**

#### **Ph.D. Students**



**Bingbing Li** 



**Shanglin Zhou** 



**Shaoyi Huang** 



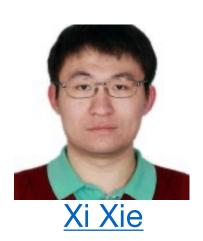
Hongwu Peng



**Amit Hasan** 



Ronuk Sahu





**Kiran Thorat** 



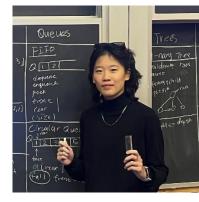
Jiahui Zhao



Bin Lei

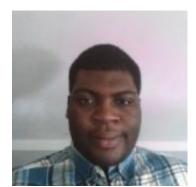


Yuebo Luo



Nicole Meng

#### **Master Students**



Ya-Sine Agrignan

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## Thank you!



caiwen.ding@uconn.edu