Implicit Neural Representation as a Differentiable Surrogate for Photon Propagation in a Monolithic Neutrino Detector

Patrick TSANG (SLAC) Apr 12, 2024

Second Wire-Cell Reconstruction Summit @BNL





Introduction

Input

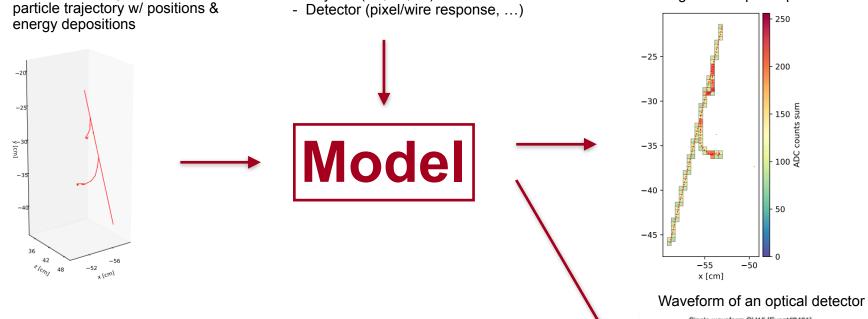
List of points/segments of a

Parameters

- Physics (Ab, kb, ...)

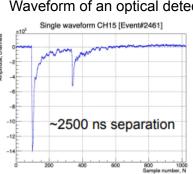
Output

Digitized output of pixel readout



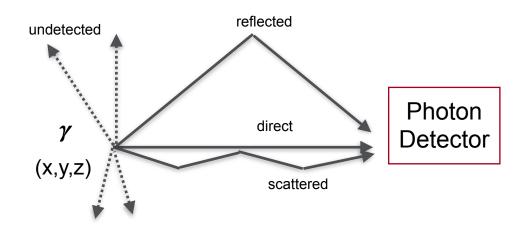
In this workshop, we will introduce two new ideas for detector modeling using AI/ML techniques:

- 1. Differentiable simulator (see Yifan's talk) explicit handling of model parameters w/ differentiable functions
- 2. Surrogate model (this talk) functional representation of the model



Figures adopted from the paper "Highly-parallelized simulation of a pixelated LArTPC on a GPU" and 2 larnd-sim software.

Scintillation Light Propagation Model



Traditional Approach (as a lookup table)

- divide the detector volume into voxels of ~cm in size
- for each voxel, simulate and propagate millions of photons
- count the number of detected photons
- **visibility** at (x,y,z) = # detected photons / # generated photons
 - Limited by memory usage
 - *Not scalable* for large detector
 - Simulation-based, difficult to calibrate

Sinusoidal Representation Network (SIREN)

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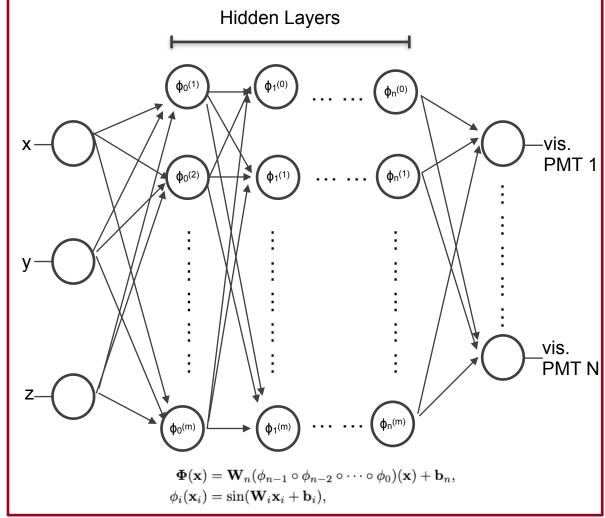
Implicit Neural Representation

Parameterize signals as <u>continuous</u> functions via <u>neural networks</u>, which are trained to map the domain the signal (e.g. spatial coordinates) to the target outputs (e.g. signal at those coordinates).

f: $\mathbb{R}^{M} \rightarrow \mathbb{R}^{N}$

SIREN

a simple multilayer perceptron (MLP) network architecture along with periodic <u>sine</u> function activations (Sitzmann et al., <u>arXiv:2006.09661</u>)

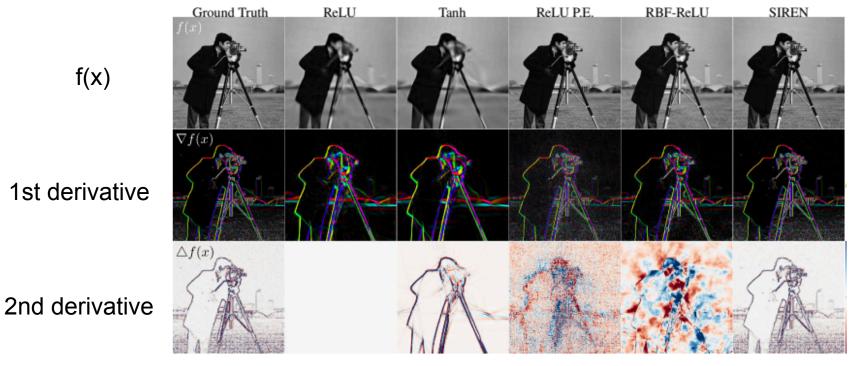


Why SIREN?

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By construction, SIREN is a continuous, differentiable signal representations => modeling signals with fine detail, AND

=> representing smooth gradient surface (and higher order of derivatives)

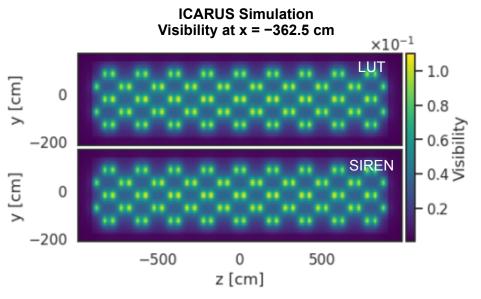


SIREN (arXiv:2006.09661)

Allows wide range of applications from gradient-based algorithms, solving differential equation, optimizing on the derivative ... etc

Visibility: SIREN v.s. LUT

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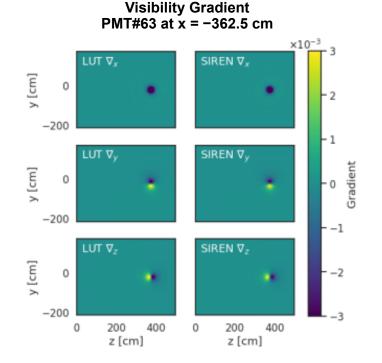
LUT (top)

- 74 × 77 × 394 = 2.2 M voxels (5 cm in size)
- 180 PMTs = ~404 M parameters

SIREN (bottom)

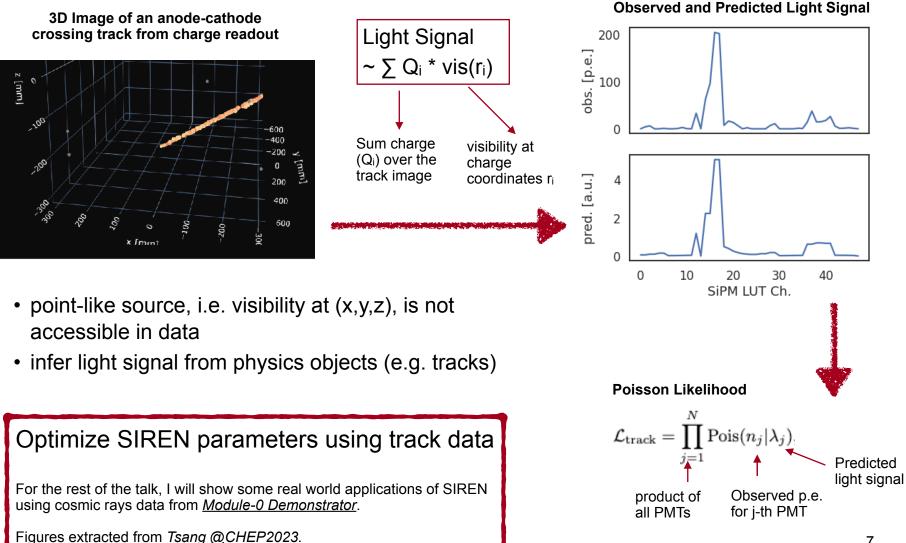
- 5 hidden layers, 512 hidden features
- ~1.5 M parameters

SIREN can reproduce both <u>values</u> and <u>gradients</u> of the visibility LUT with much smaller number of parameters.

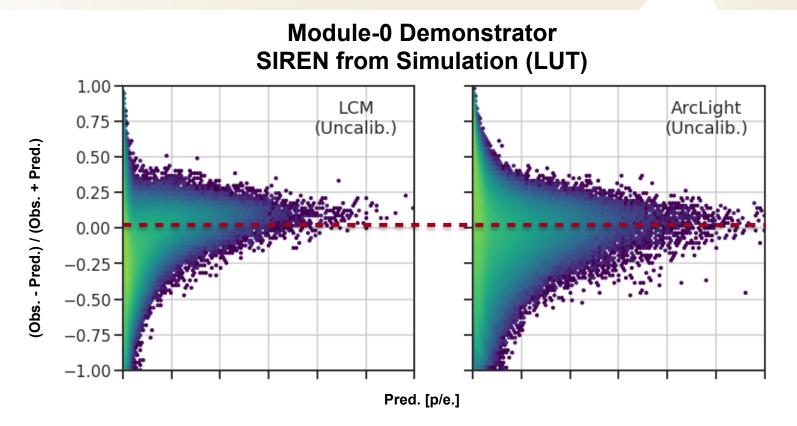


Tsang et al., <u>arXiv:2211.01505</u> 6

SIREN: Data Driven Calibration



Module-0: SIREN from Simulation

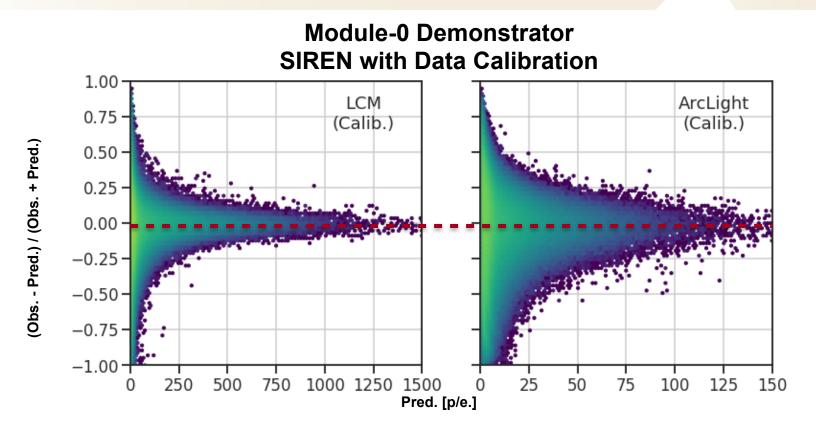


Before Calibration

- train SIREN with LUT from simulation (uncalibrated)
- ~10% discrepancy between observed and predicted light signals

Simulation is reasonable, but not perfect. Need *calibration*.

Module-0: SIREN after Calibration



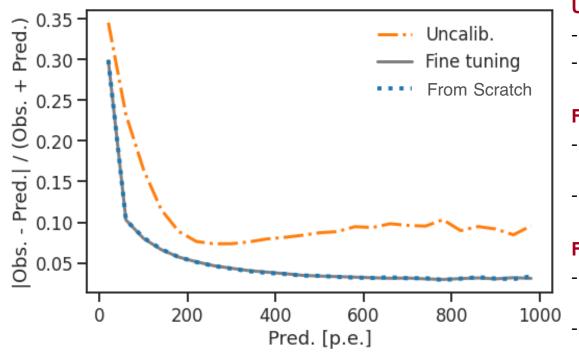
After Calibration

- re-optimize SIREN parameters with tracks
- no bias and smaller variance

SIREN can be calibrated to remove data-simulation discrepancy.

Build a SIREN Model Directly from Data

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Uncalibrated

- SIREN trained from LUT (simulation)
- suffer from data-MC discrepancy

Fine Tuning

- use uncalib. SIREN model as initial parameters
- re-optimize with tracks (calibration)

From Scratch

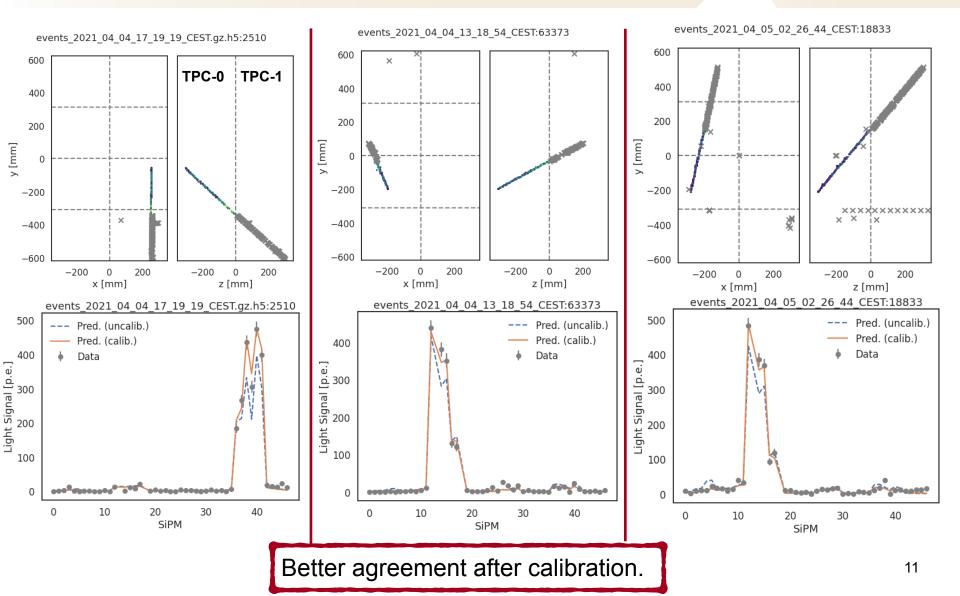
- random initialization of SIREN parameters
- optimize with tracks

SIREN model can be constructed from data alone, without prior knowledge from simulation.

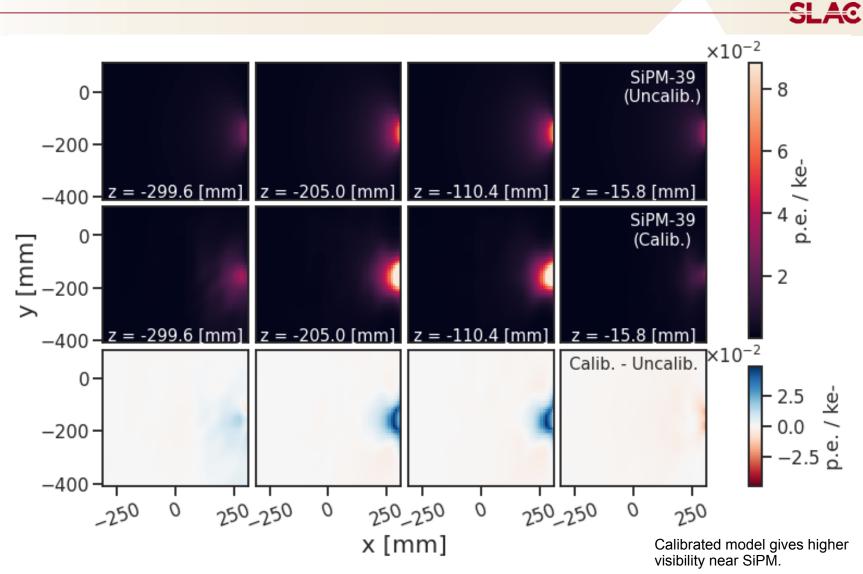
Only one chamber TPC-0 is presented in this study. Grayed out points (unclustered or in TPC-1) are excluded.

Example Events

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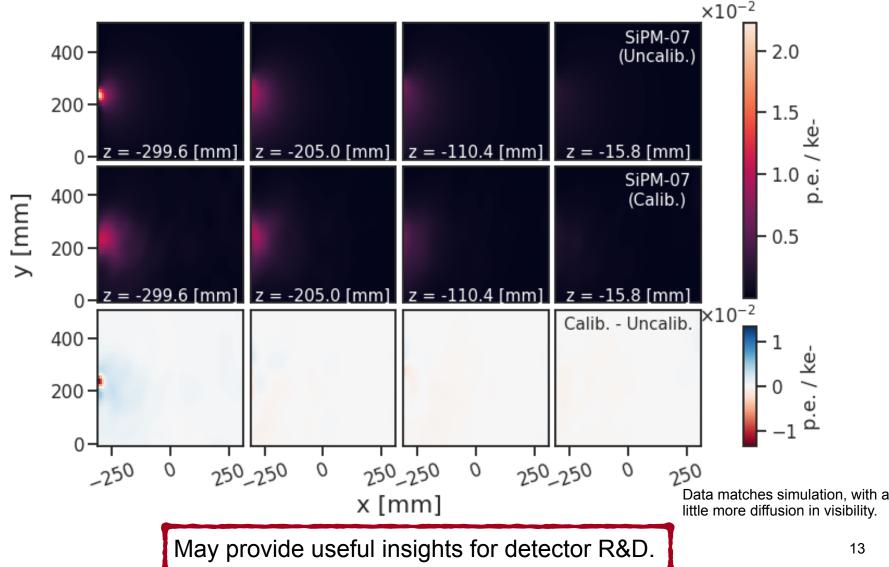


Visibility Map (LCM)



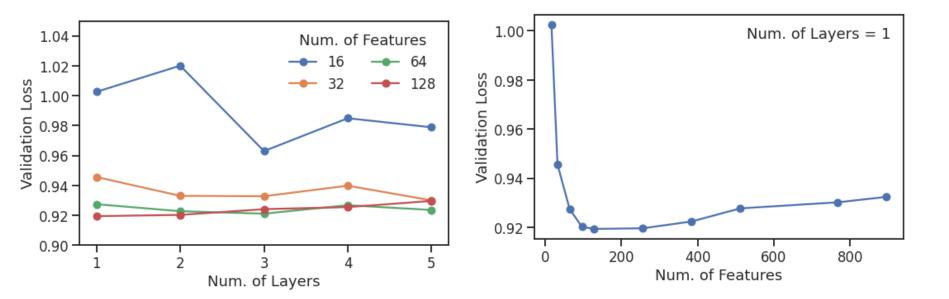
1'

Visibility Map (ArcLight)



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Hyper-Parameter Optimization w/ Data



Optimal SIREN model for module-0 demonstrator

- · determined by track data
- # of layers = 1
- # of features = 128
- ~23k parameters
- c.f. 12.6M for LUT in ~1 cm voxel size

Ops. - Pred. / (Obs. + Pred.) 0.10 - .010 0.10 - .020 Number of Tracks 133 10k 100k --- 5k 50k 0.05 -200 400 600 800 1000 0 Pred. [p.e.]

- performance increase significantly from 5k to 50k tracks
- difference diminishes to
 ~0.1% from 50k and beyond
- <u>~100k tracks</u> are good enough to build a SIREN model for Module-0 demonstrator

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Further Applications

LArTPC Experiments

- DUNE-ND 2x2 Prototype
 - multi-module design
- Flash matching
 - correlate charge and light detectors
 - determine absolute positions

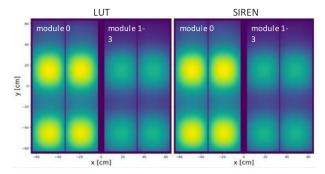
Beyond LArTPC

Calibration and Inference of Detector Response (CIDeR)

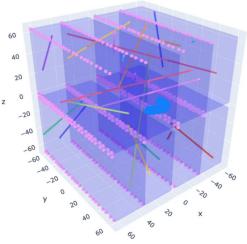
- US-Japan collaboration to apply AI/ML to neutrino detectors (including LArTPC & Water Cherenkov)
- Model Cherenkov photon propagation (position + direction) & Cherenkov light profile w/ SIREN
- Stay tuned for summer conferences

Add your applications HERE

DUNE-ND 2x2 Visibility Sam Young @APS Apr 2024



DUNE-ND 2x2 Flash Matching Carolyn Smith @APS Apr 2024

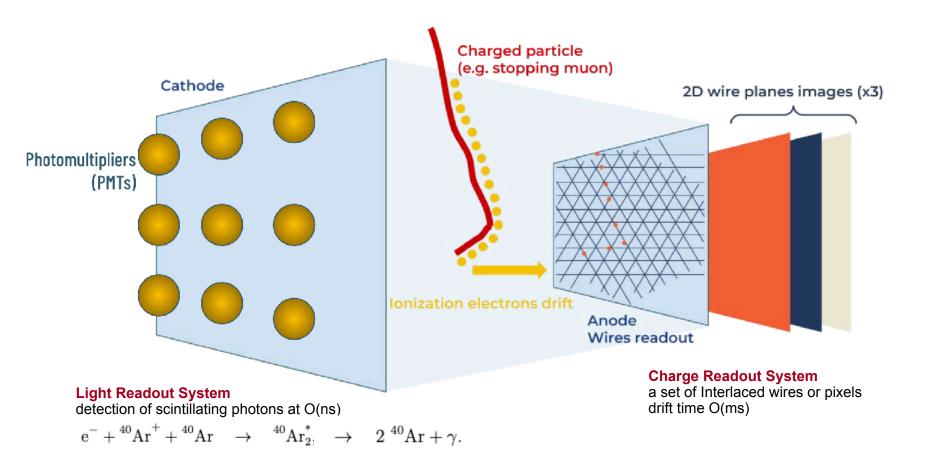


Conclusions

- propose the use of sinusoidal representation network (SIREN) to model the light propagation for LArTPCs
 - memory efficient => scalable for large detectors
 - optimizable w/ data => calibration
 - smooth gradient surface => further applications
- optimize a SIREN model using data from Module-0 demonstrator
 - fine-tuning from a simulation-based SIREN model,
 - or construct a SIREN model from data only.
- potential applications to other experiments (not limited to LArTPC)

Backup Slides

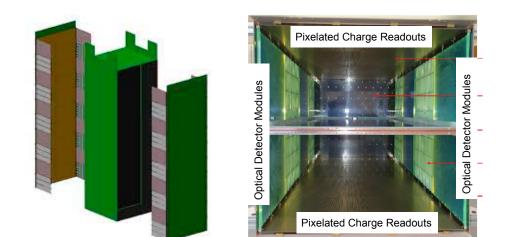
Liquid Argon Time Projection Chamber (LArTPC)



Drift distance = Drift Velocity * (t - t₀)

Examples of LArTPC Detectors

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Module-0 Demonstrator

- 1st ton-scale prototype of DUNE* near detector design
- ~0.7 m x 0.7 m x 1.4 m
- divided into 2 TPCs
- pixelated charge readout
- 2 different optical detector prototypes: LCM & ArcLight



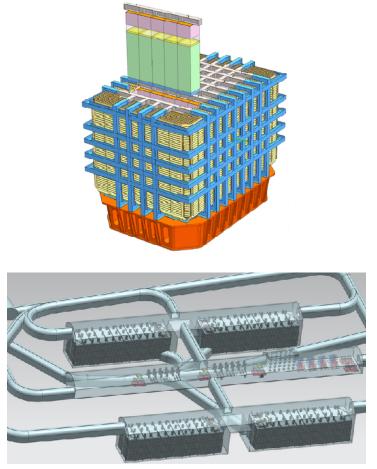
ICARUS**

- largest LArTPC in operation with wire readout
- 760 ton LAr in 2 TPCs
- each ~3.6 m x 3.9 m x 19.9 m

*DUNE: Deep Underground Neutrino Experiment **ICARUS: Imaging Cosmic And Rare Underground Signals

Proposed LArTPC Detectors

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DUNE Near Detector-Liquid Argon (ND-LAr)

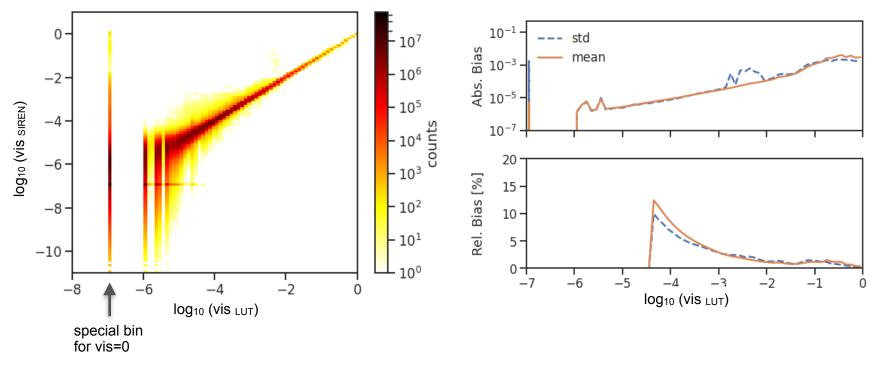
- 7x5 array of 1 m x 1m x 3m detector modules (similar design as module-0 demonstrator)
- ~67 ton of LAr

DUNE Far Detector

- 4 x ~17-kton detector modules
- each ~19 m x 18 m x 66 m

Scalability is the key for the future

SIREN Performance



SIREN is able to represent LUT with $\sim 1\%$ in the high visibility region (vis. > 1e-2).

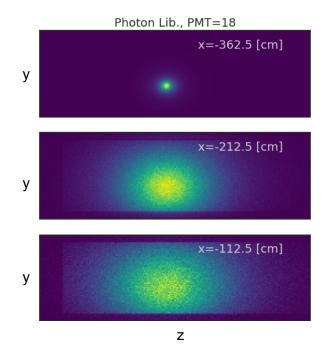
The overall (average) bias is \sim 7-8%, which is dominated by the <u>statistical fluctuation</u> of the LUT at low visibility.

Statistical Uncertainty in LUT

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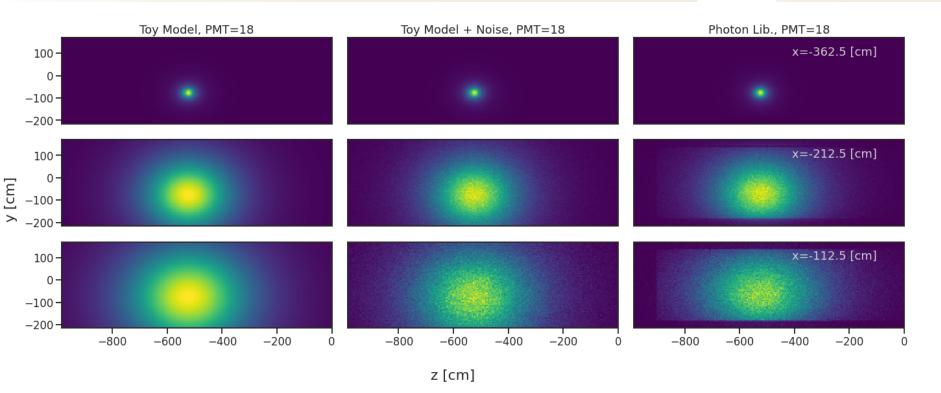
Generation of the photon library is limited by *finite statistics*.

The input data to the SIREN are subjected to *statistical uncertainty* (more prominent for voxels with low visibility).



Toy Model: A Study w/ and /o Stat. Err.

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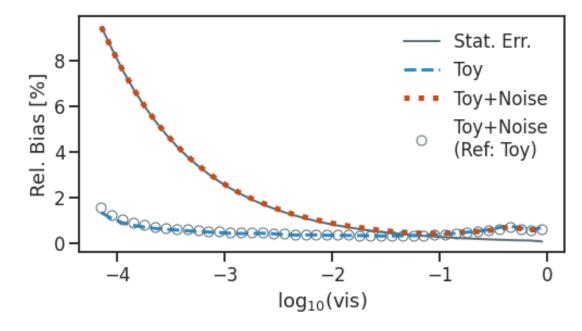


Toy Model: analytical (smooth) model that roughly reassemble the features of LUT. No statistical fluctuation.

Toy Model + Noise: sampling from toy model, assuming 1e6 photons per voxel, ~same statistical uncertainty as the LUT.

SIREN Performance w/o Statistical Uncertainty

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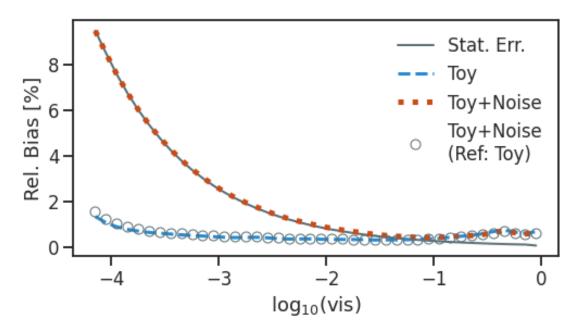


Toy Model

- train SIREN w/ toy model
 - NO stat. fluctuation
- compare SIREN output to the analytical model
- $\leq 1\%$ bias
- systematic error for SIREN

SIREN Performance w/ Statistical Uncertainty

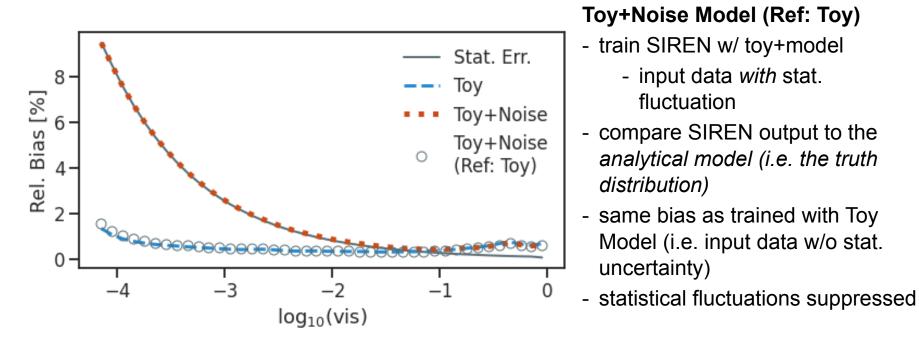
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Toy+Noise Model

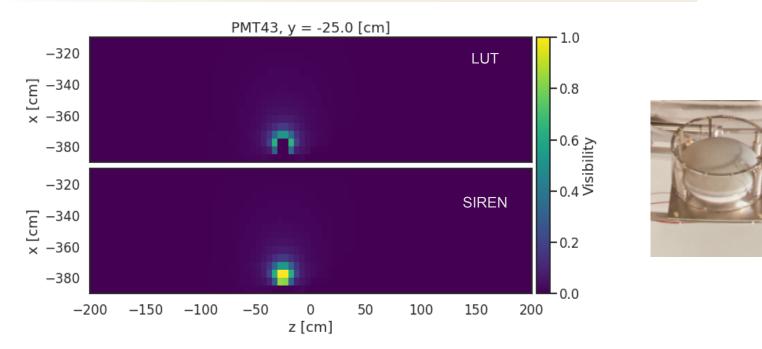
- train SIREN w/ toy+model
 - input data with stat.
 fluctuation
- compare SIREN output to the *input data*
- \leq 1% bias at high visibility values
- bias increases gradually for lower visibility
 - comparable to the expected stat. err.
- contributions from both *statistical* and *systematic*

SIREN Performance Learning the Underlying Distribution



SIREN is able to learn the underlying distribution at \leq 1% level, even with the imperfect input data.

Case 1: LUT == 0, SIREN high vis.

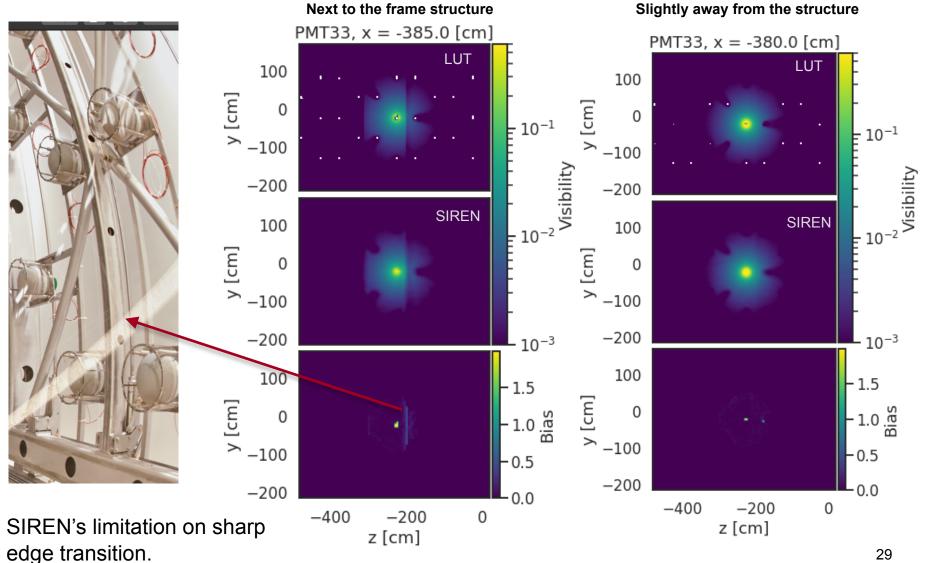


No light at the base / mount of PMT.

SIREN (as a continuous parameterization) tries to map the visibility toward max. visibility = 1.

Negligible impact on physics. It corresponds track hitting directly to the PMT, leaving *NO* ionization charge. Likely there is a fiducial volume in the high level analysis.

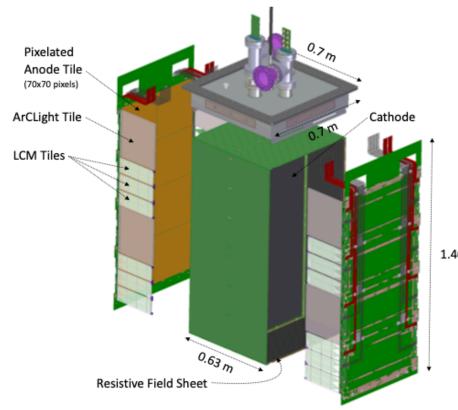
Case 2: SIREN Overpredicts Visibility



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Module-0 Detector

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Short term goal

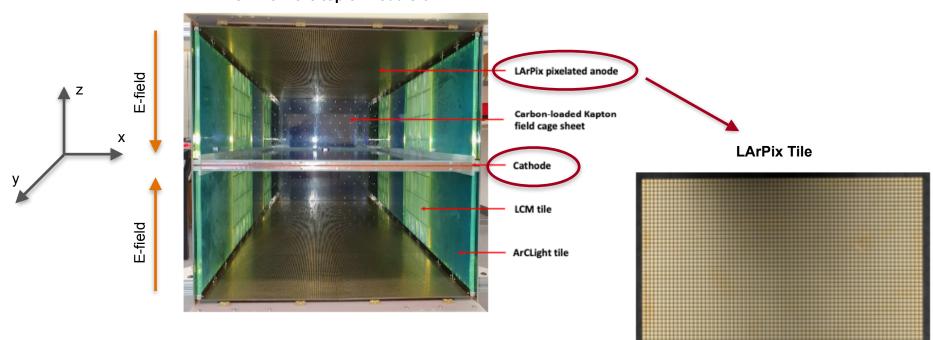
- build a prototype of 2x2 array of detector modules
- test w/ NuMI neutrino beam at Fermilab

1.40 m Long term goal

 build a 7x5 array (TBC) for the DUNE Liquid Argon Near Detector

Figure 1. Schematic of the 0.7 m \times 0.7 m \times 1.4 m Module-0 detector with annotations of the key components.

Module-0 Charge Readout System



View from the top of Module-0

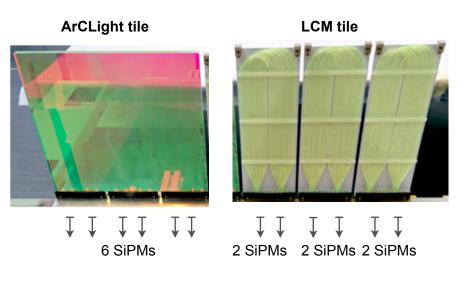
- 2 drift volumes (TPCs)
- separated by a cathode plane
- 4x2 LArPix tiles per anode plane
- 70x70 pixels per tile
- pixel pitch 4.43 mm

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Module-0 Light Readout System

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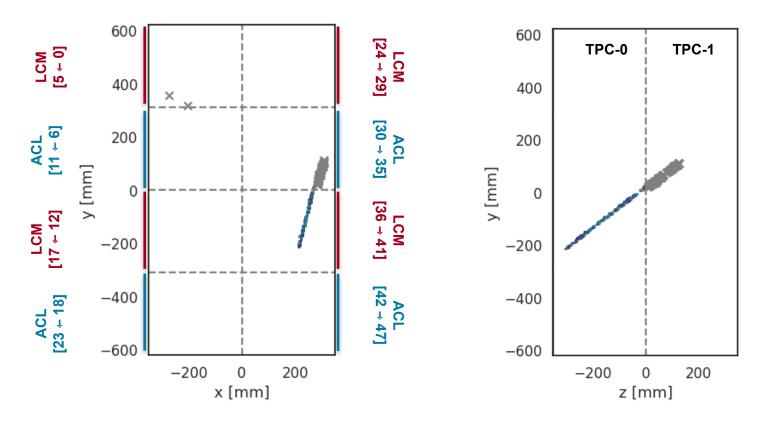




- 4 LCM and 4 ArCLight tiles per TPC
- each tiles ~300 mm x 300 mm x 10 mm
- 6 SiPMs per tile
- total of 48 SiPMs per TPC

- data collected between 4/4/21 4/10/21 at Bern
 - "*default*" settings (0.5 kV/cm, med. threshold)
- cathode-anode crossing tracks in TPC-0
 - one clustered object per charge image
 - dbscan eps=25 mm, min_samples=5
- matching charge-light pairs by trigger timestamp
- ~680k tracks selected
 - training/validation/testing samples in 75-15-15 splitting ratio
 - for track statistic study, splitting ratio is 20-80 for training/testing

Note on SiPM Indexing

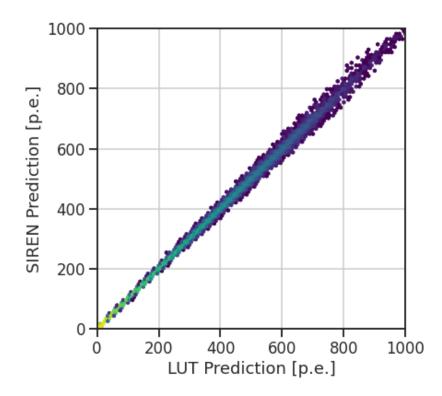


** Grayed out points are excluded from this analysis

- unclustered points, or
- portion of track in TPC-1

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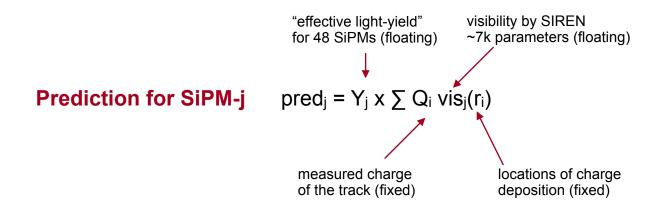
Charge-to-Light: SIREN v.s. LUT



- train a SIREN model using simulated data (i.e. LUT)
- point-source input
 - ${x_i, y_i, z_i} \rightarrow {vis_i^0, vis_i^1, ..., vis_i^{47}}$
- calculate charge-to-light prediction
 - pred. ~ $\sum Q_i vis(r_i)$
- vis(r_i): either from LUT or SIREN
- both methods are practically the same <<1% difference

Calibration => Multi-parameters optimization problem of the SRIEN model

Objective minimize the difference between observation and prediction



Loss function chi2 = $\sum_{j} (obs_j - pred_j)^2 / (pred_j + \epsilon^2)$ $\epsilon = 5 p.e.$