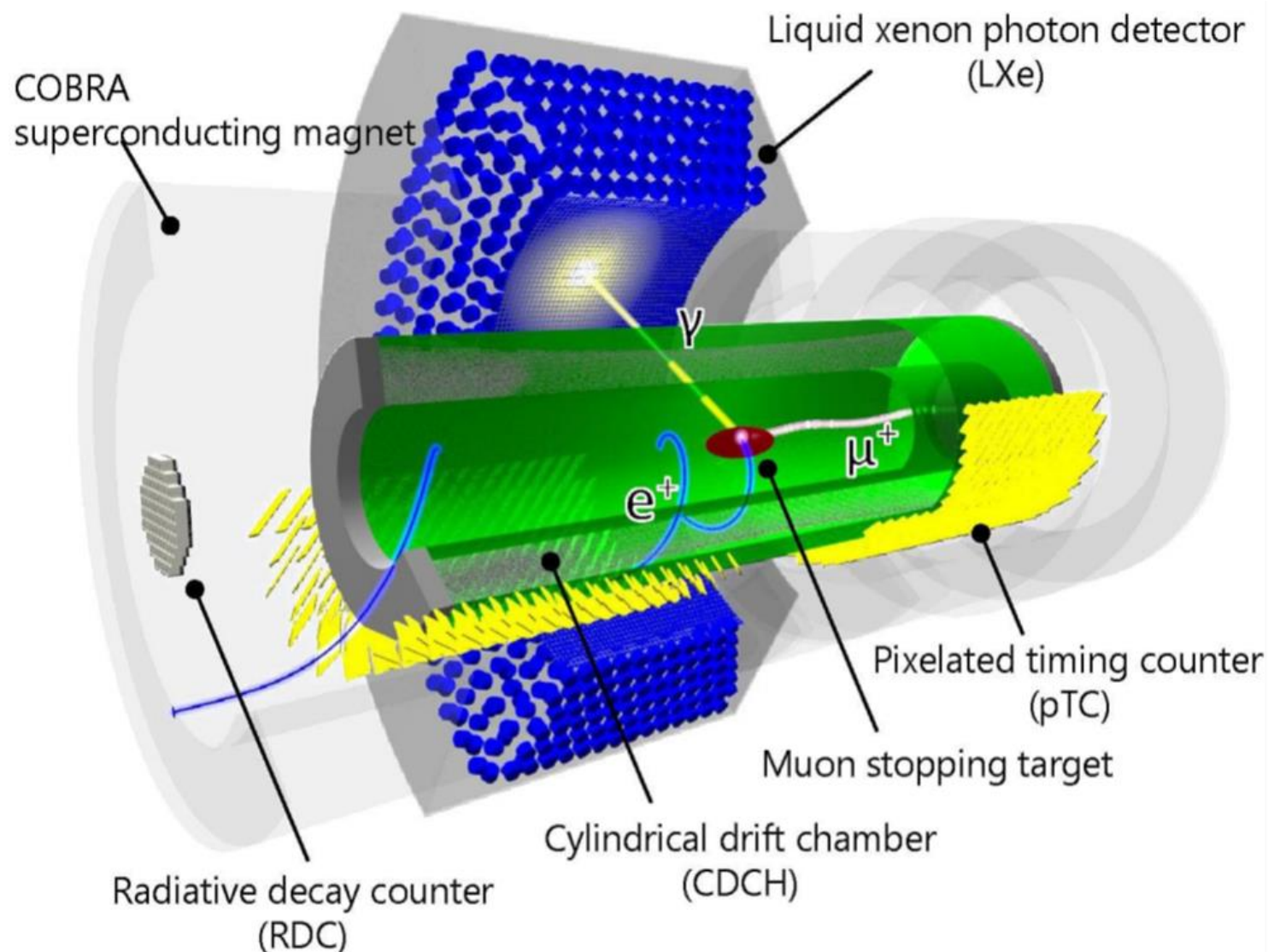




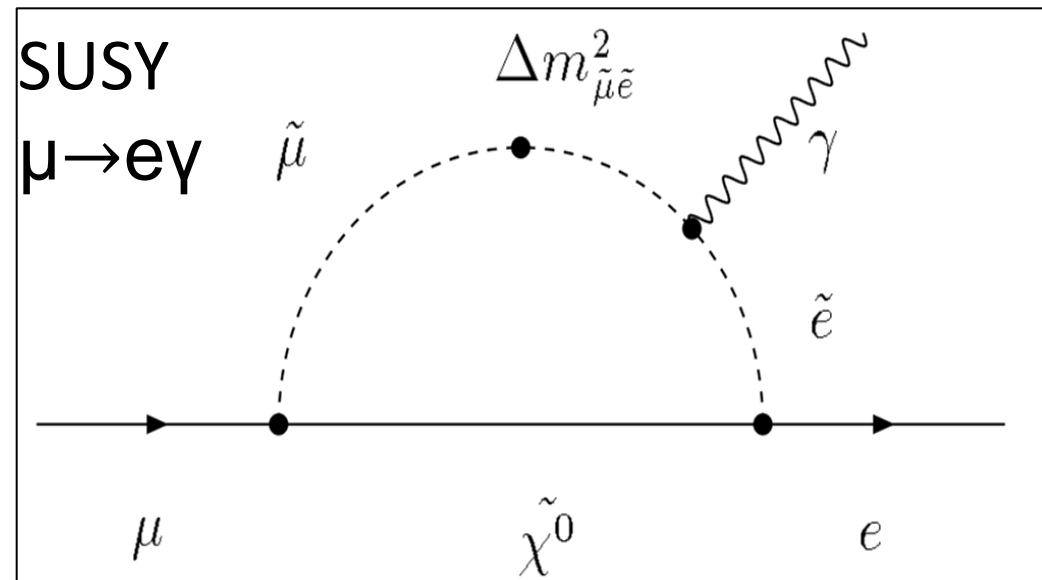
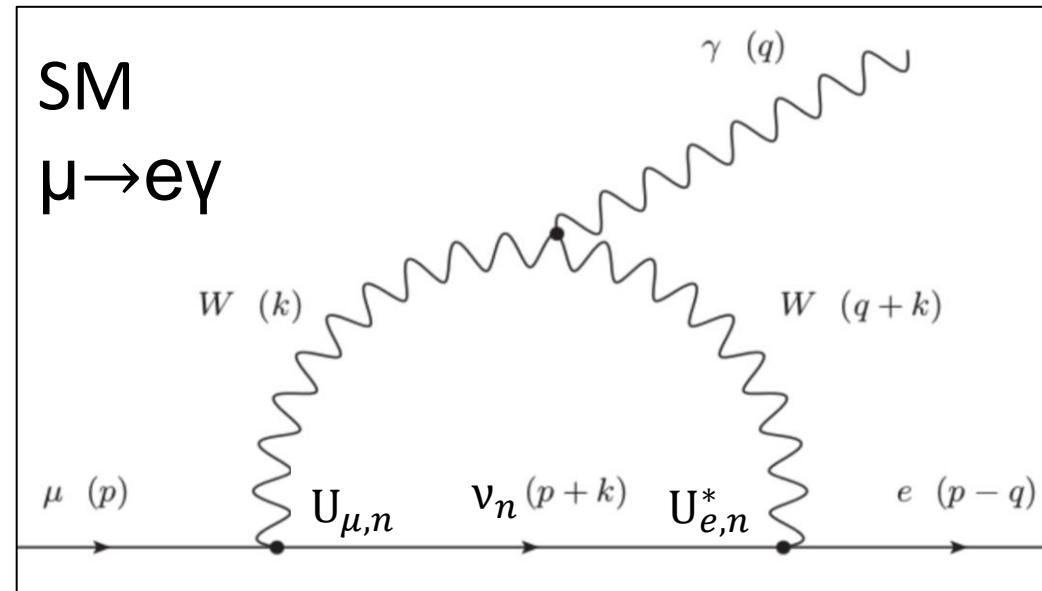
Search for $\mu^+ \rightarrow e^+ \gamma$ in the MEG II Experiment's First Physics Dataset

Dylan Palo on Behalf of the MEG II Collaboration
Formerly at University of California, Irvine
Presently at Fermilab

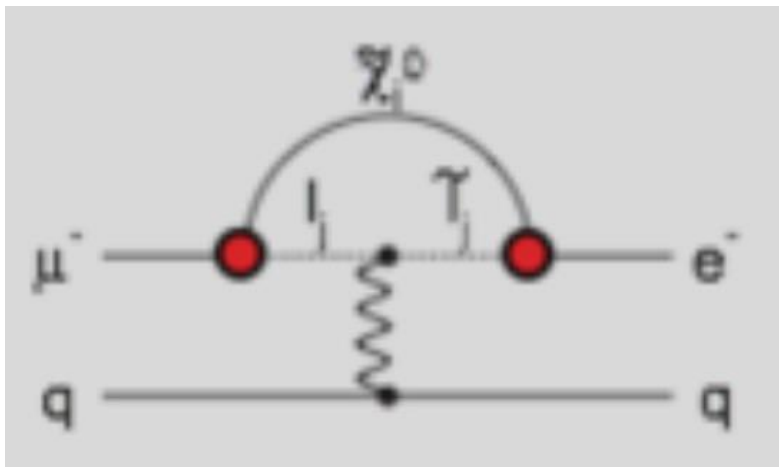
- Goal:
 - Describe the MEG II experimental technique and its first physics analysis
- Discuss:
 - Theoretical background
 - Experimental overview
 - Physics analysis



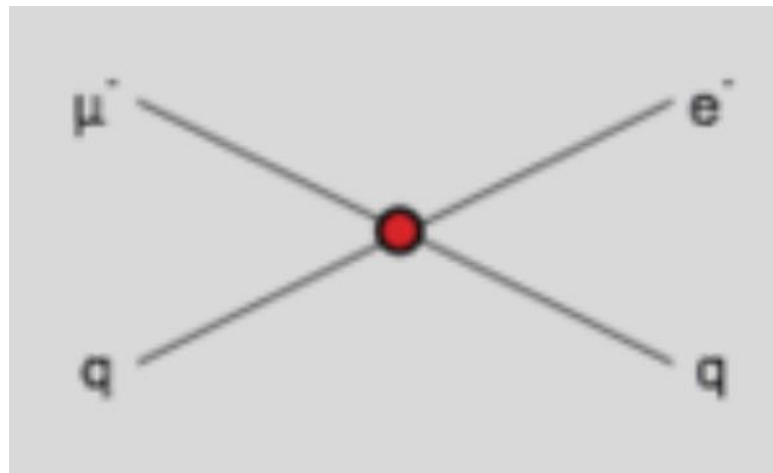
- No instance of CLFV has been observed
- e.g. $\mu \rightarrow e \gamma$ decay is possible in SM:
BR is negligible $\sim 10^{-54}$; $\propto \left[\frac{(\Delta m_{\nu}^2)}{m_W^2} \right]^2$
- BTSM theories allow for CLFV and $\mu \rightarrow e \gamma$ at higher, detectable rates
 (e.g. SUSY, BR $\sim 10^{-11} : 10^{-15}$)
- **MEG II searches for $\mu \rightarrow e \gamma$; signal would be clear indication of new physics**



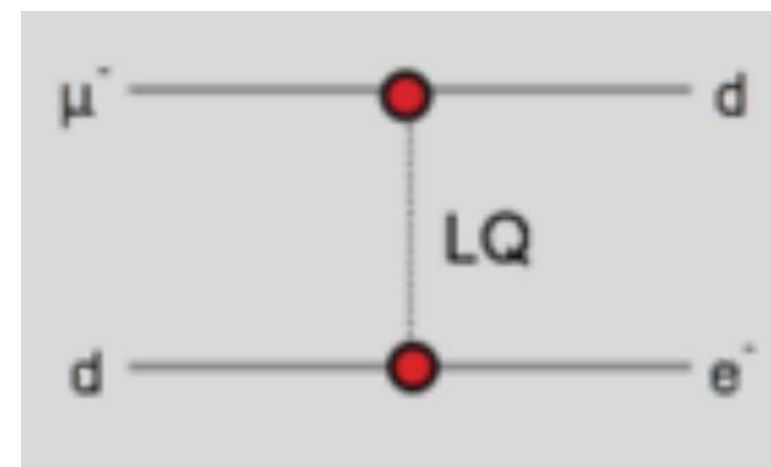
Supersymmetry



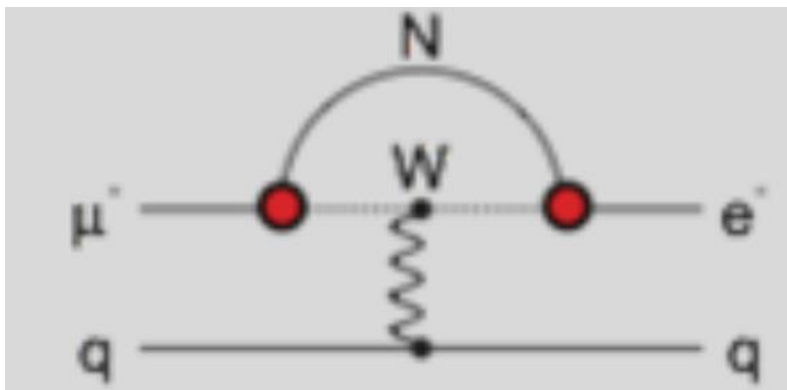
Compositeness



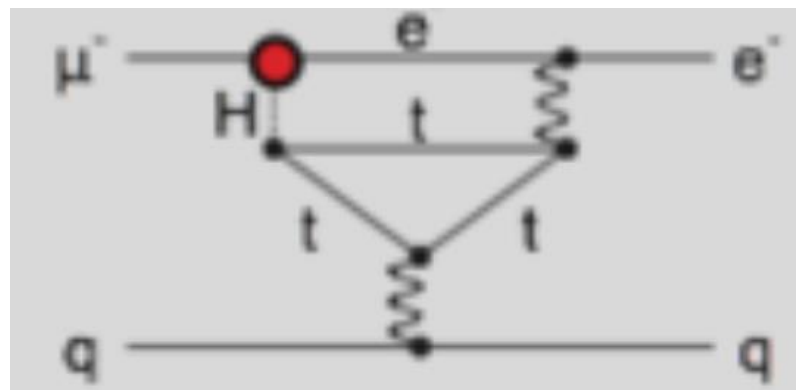
Leptoquark



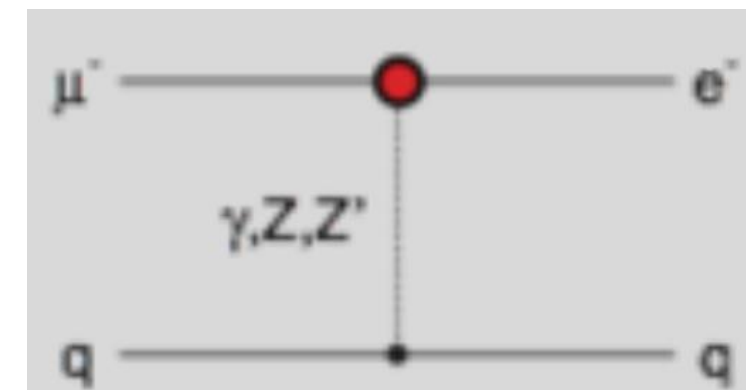
Heavy Neutrinos



Second Higgs Doublet



Heavy Z' Anomal. Z Coupling



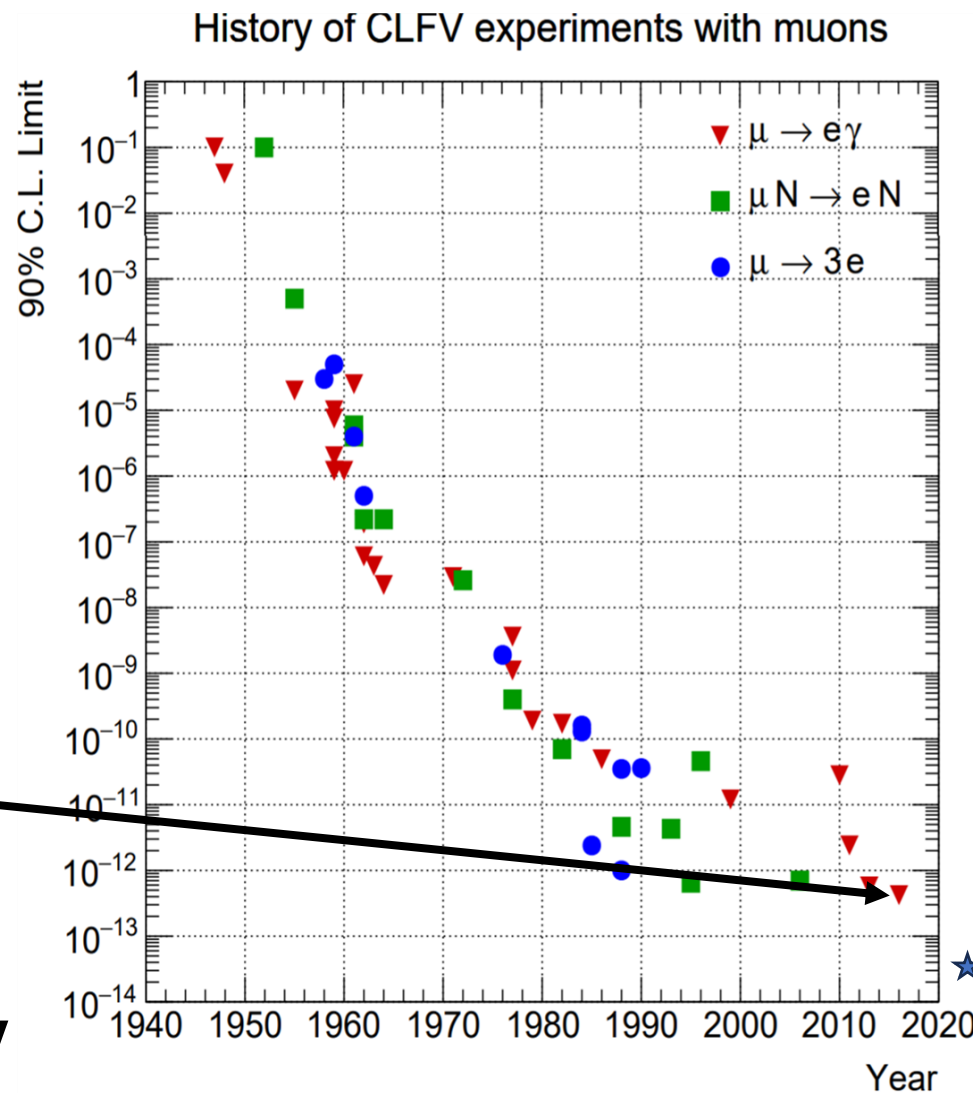
Slide originally by Bill Marciano



CLFV History



- MEG II is the latest in a long line of CLFV experimental searches with others following soon
e.g. Mu3e, COMET, Mu2e
- Improvements from improved accelerators, detector technology, and experience
- The current $\mu \rightarrow e\gamma$ decay limit is 4.2×10^{-13} (90% CL), set by MEG I
- **The MEG II collaboration aims to detect $\mu \rightarrow e\gamma$ or improve upon the sensitivity limit by ~ 10**

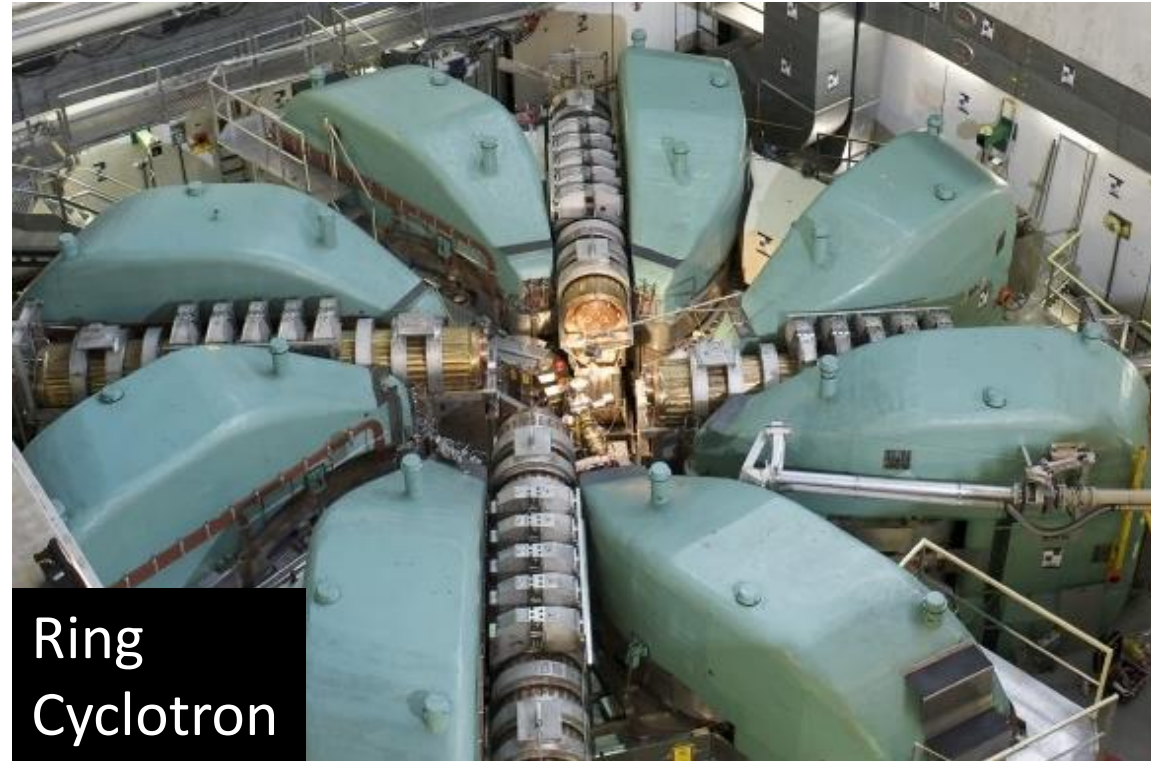


Reaction	Current bound
$B(\mu^+ \rightarrow e^+ \gamma)$	$< 1.2 \times 10^{-11}$
$B(\mu^\pm \rightarrow e^\pm e^+ e^-)$	$< 1.0 \times 10^{-12}$
$B(\mu^\pm \rightarrow e^\pm \gamma \gamma)$	$< 7.2 \times 10^{-11}$
$R(\mu^- \text{Au} \rightarrow e^- \text{Au})$	$< 7 \times 10^{-13}$
$R(\mu^- \text{Al} \rightarrow e^- \text{Al})$	–
$B(\tau^\pm \rightarrow \mu^\pm \gamma)$	$< 5.9 \times 10^{-8}$
$B(\tau^\pm \rightarrow e^\pm \gamma)$	$< 8.5 \times 10^{-8}$
$B(\tau^\pm \rightarrow \mu^\pm \mu^+ \mu^-)$	$< 2.0 \times 10^{-8}$
$B(\tau^\pm \rightarrow e^\pm e^+ e^-)$	$< 2.6 \times 10^{-8}$
$Z^0 \rightarrow e^\pm \mu^\mp$	$< 1.7 \times 10^{-6}$
$Z^0 \rightarrow e^\pm \tau^\mp$	$< 9.8 \times 10^{-6}$
$Z^0 \rightarrow \mu^\pm \tau^\mp$	$< 1.2 \times 10^{-5}$
$K_L^0 \rightarrow e^\pm \mu^\mp$	$< 4.7 \times 10^{-12}$
$D^0 \rightarrow e^\pm \mu^\mp$	$< 8.1 \times 10^{-7}$
$B^0 \rightarrow e^\pm \mu^\mp$	$< 9.2 \times 10^{-8}$



MEG II Experimental Overview

- International collaboration of ~ 60 physicists
- Based at Paul Scherrer Institut located in Villigen, CH near Zurich
- Uses the PSI proton ring cyclotron
 - 590 MeV protons
 - Unbunched surface muon beam produced:
Stop rate $\approx 4 \times 10^7$ Hz,
28 MeV muons



UTokyo
KEK
Kobe



INFN Genoa
INFN Lecce
INFN Pavia
INFN Pisa
INFN Roma



UC Irvine

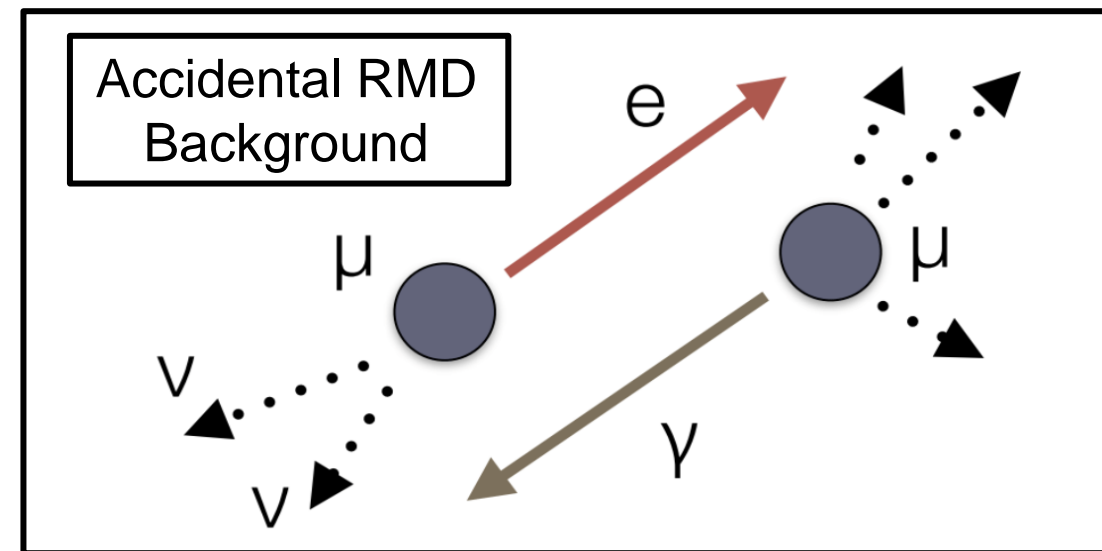
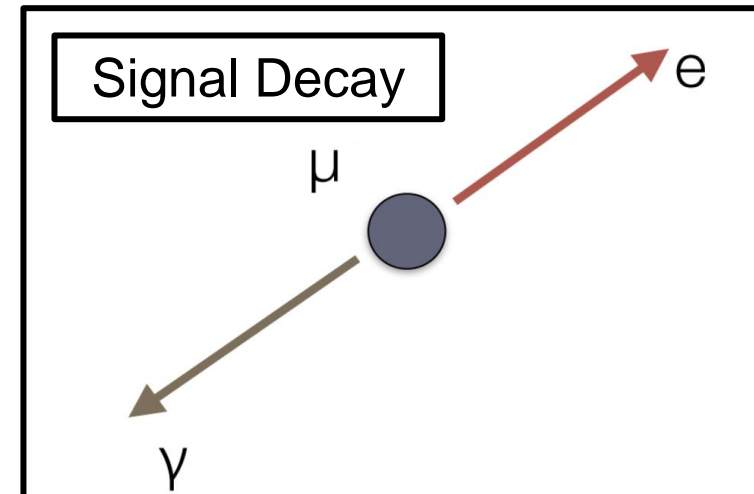


BINP
JINR



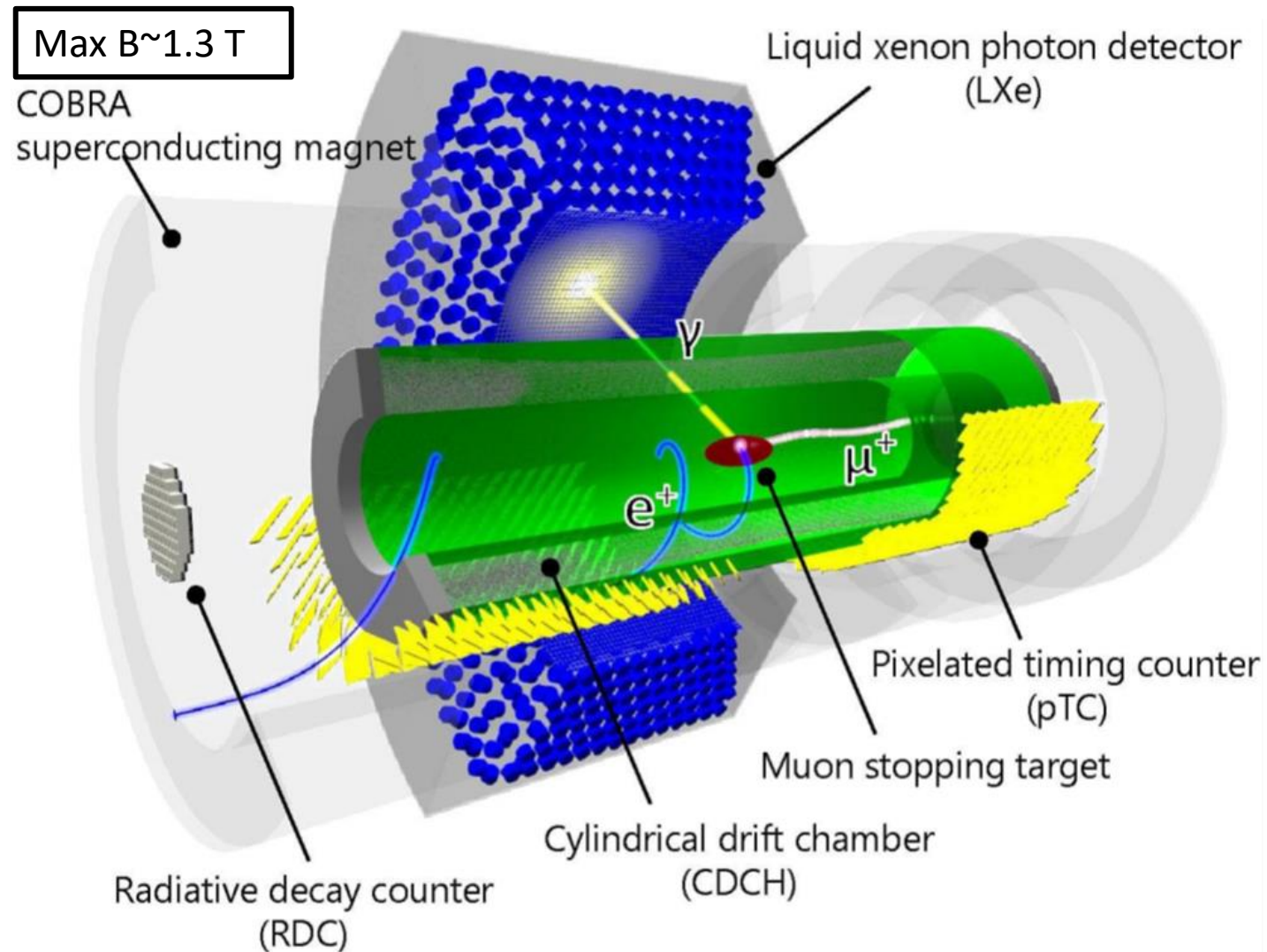
PSI
ETHZ

- The $\mu \rightarrow e\gamma$ signal is a two-body decay at rest, signal e/γ have equal and opposite momentum ($m_\mu/2$)
- Background does not have these characteristics:
 - RMD (radiative muon decay) : $\mu^+ \rightarrow \gamma e^+ \nu_\mu \bar{\nu}_e$ (small $E_{\nu_\mu \bar{\nu}_e}$)
 - **Accidental background:** high p_{e^+} coincident with γ from RMD, AIF ($e^+ e^- \rightarrow \gamma\gamma$)
- **The experiment requires precise kinematic measurements of the decay products** to distinguish between signal/background decays

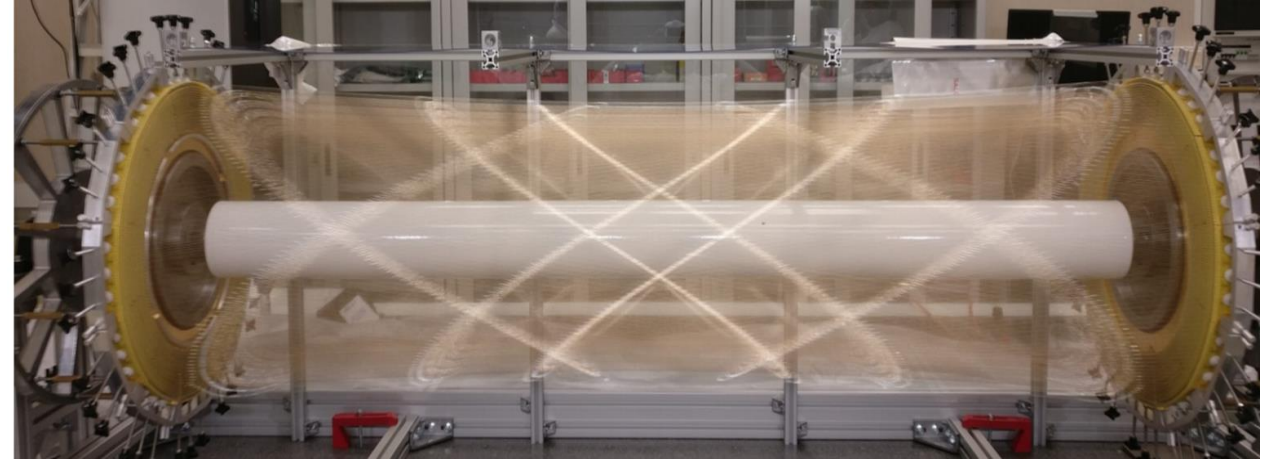


- Stopped μ^+ decay in target; decay products (e , γ) are measured in various detectors
- Similar design to MEG I, but all detectors have been upgraded
- Kinematic estimates at target by propagating e^+ to the target, then projecting γ to e^+ target vertex ($\Delta\theta_{e+\gamma}$, $\Delta\varphi_{e+\gamma}$, $\Delta t_{e+\gamma}$, E_γ , p_{e^+})

$$N_{acc} \propto R_{\mu^+}^2 \cdot \Delta E_\gamma^2 \cdot \Delta p_{e^+} \cdot \Delta\varphi_{e+\gamma} \cdot \Delta\theta_{e+\gamma} \cdot \Delta t_{e+\gamma} \cdot T$$



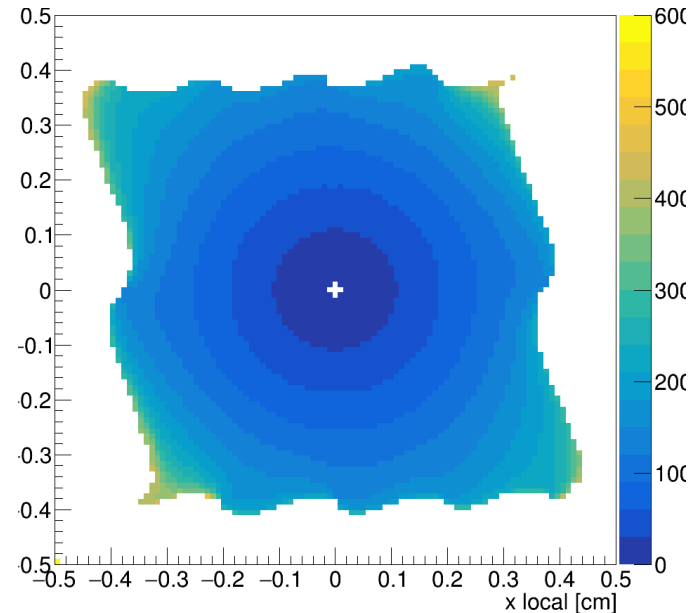
- Upgrades:
 - New ultra-light open cell stereo drift chamber to improve efficiency and resolution
 - More track space points in drift chamber to improve resolution (1150 readout drift cells)
- The chamber was filled with He: C₄H₁₀: C₃H₈O: O₂ (88.2:9.8:1.5:0.5)
- High voltage wires surrounding sense wire creates drift cell geometry



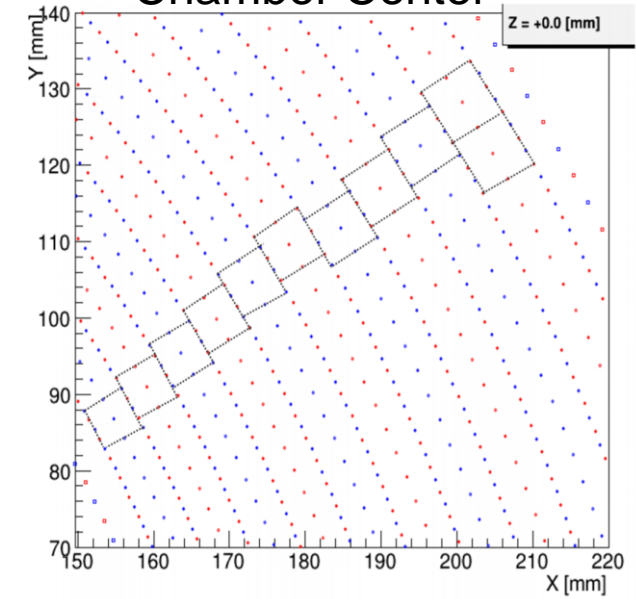
Kinematic Core σ	MEG I	MEG II Goal
p_{e^+} (keV)	380	130
θ_{e^+}/ϕ_{e^+} (mrad)	9.4 / 8.7*	5.3/3.7*
t_{e^+} (ps)	70	30
z_{e^+}/y_{e^+} (mm)	2.4/1.2	1.6/0.7
e+ Efficiency	30	70

* ϕ_{e^+} estimated at plane perpendicular to track

Time-Distance Isochrones[ns]

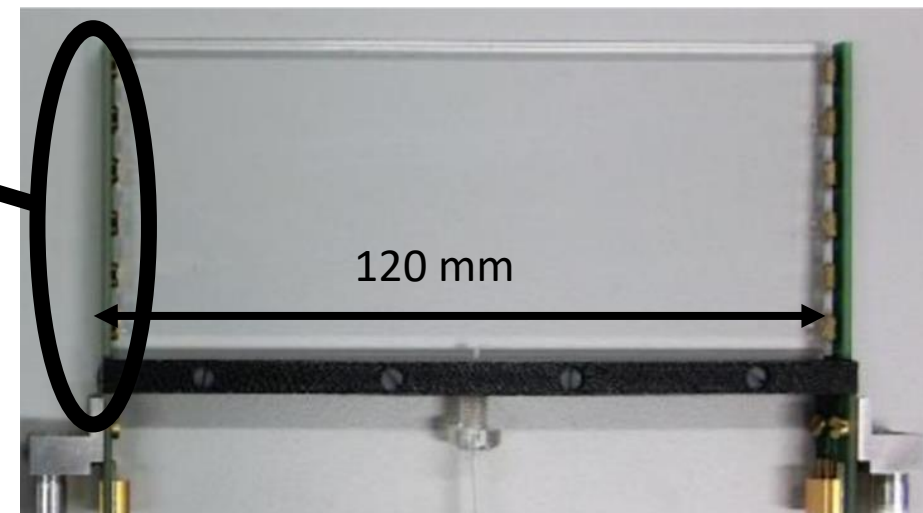
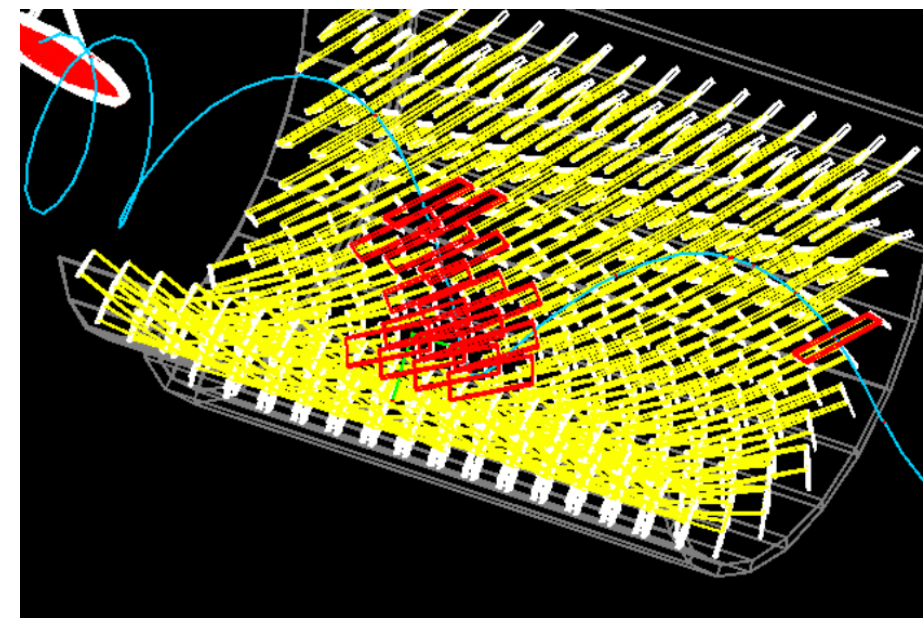


Wire Positions at Chamber Center

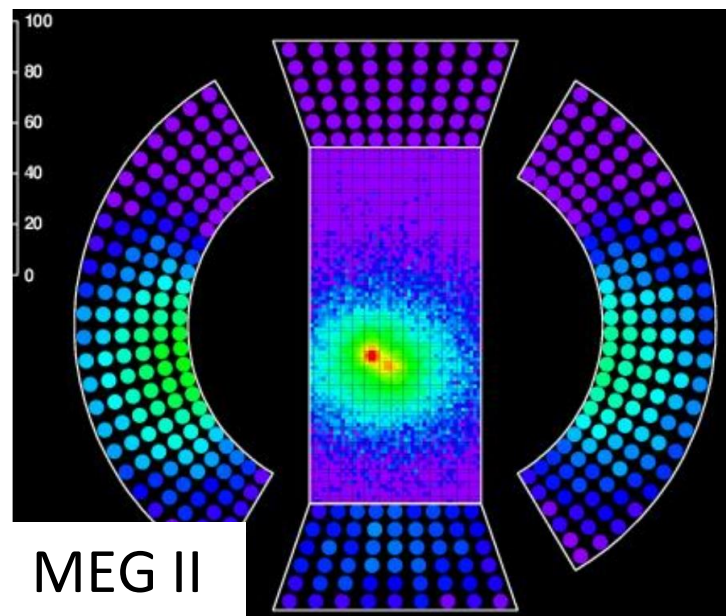


- Upgrade: new design with higher hit multiplicity
- Two semi-cylindrical modules, each consisting of 256 timing counters
- Counter consists of a scintillation tile with double-sided SiPM readout
- Individual counter timing precision ~ 90 ps
- Signal $e^+ \langle N_{TC} \rangle \sim 9$; $\sigma_{t_{e^+}} = 30$ ps

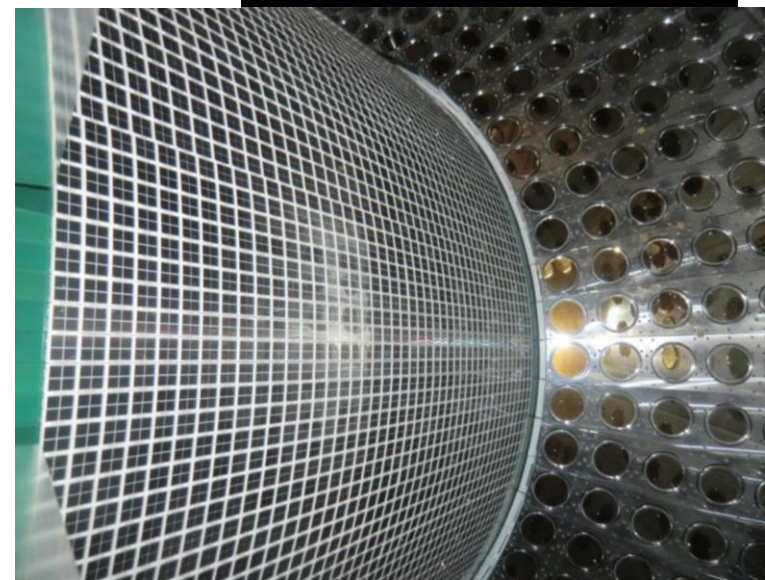
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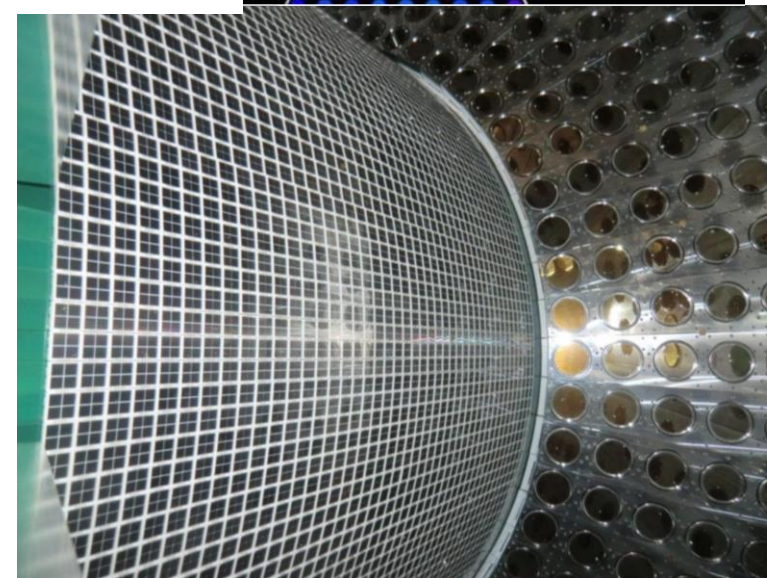
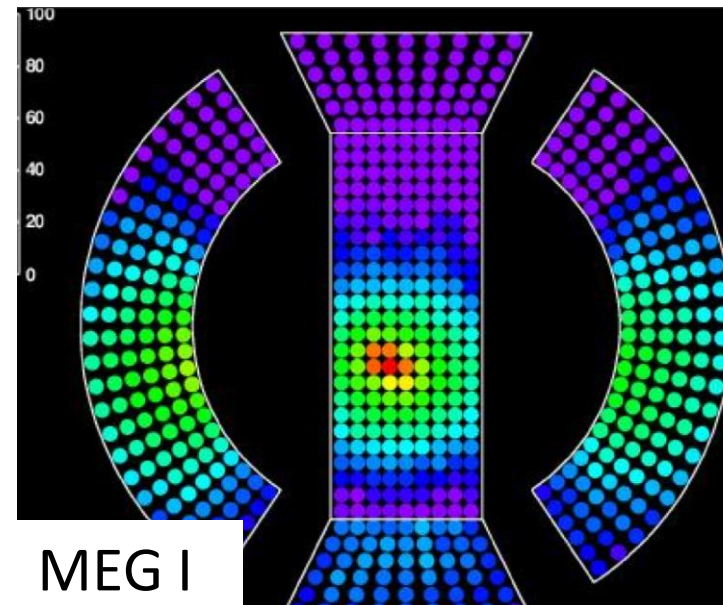
- One of world's largest liquid Xe detector (800 L)
- Upgrade: inner face PMTs replaced by 4092 $15 \times 15 \text{mm}^2$ MPPCs (Multi-Pixel Photon Counters)
- Other 5 sides remain covered by PMT photon counters



Kinematic Core σ	MEG I	MEG II Goal
E_γ (%)	2.4	1.1
u_γ (z_γ) (mm)	5	2.6
v_γ ($R\phi_\gamma$) (mm)	5	2.2
w_γ (R_γ) (mm)	6	5
t_γ (ps)	60	60

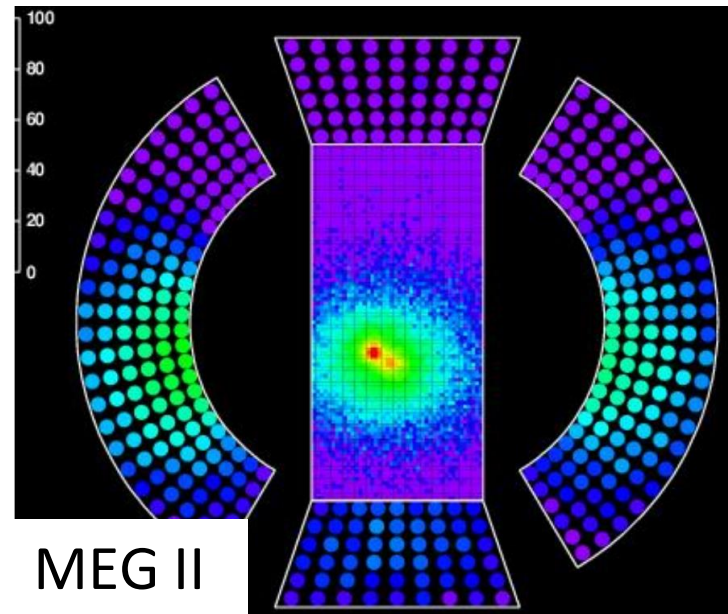


- One of world's largest liquid Xe detector (800 L)
- Upgrade: inner face PMTs replaced by 4092 $15 \times 15 \text{mm}^2$ MPPCs (Multi-Pixel Photon Counters)
- Other 5 sides remain covered by PMT photon counters

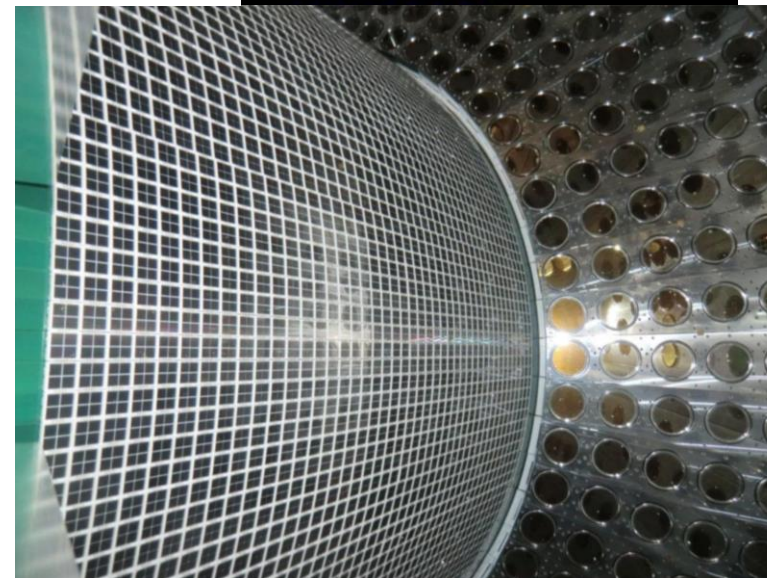


Kinematic	MEG I	MEG II Goal
Core σ		
E_γ (%)	2.4	1.1
u_γ (z_γ) (mm)	5	2.6
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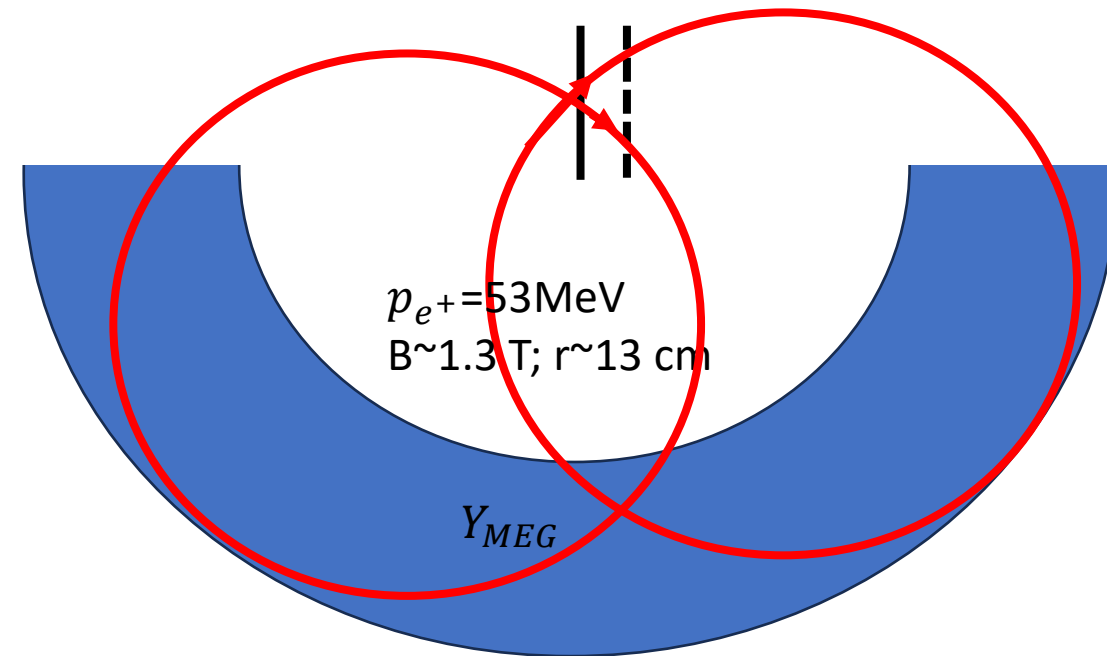
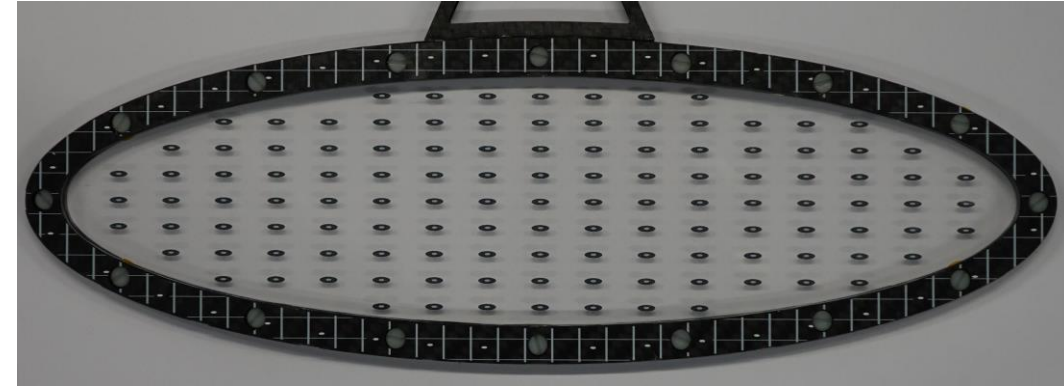
- One of world's largest liquid Xe detector (800 L)
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- Other 5 sides remain covered by PMT photon counters



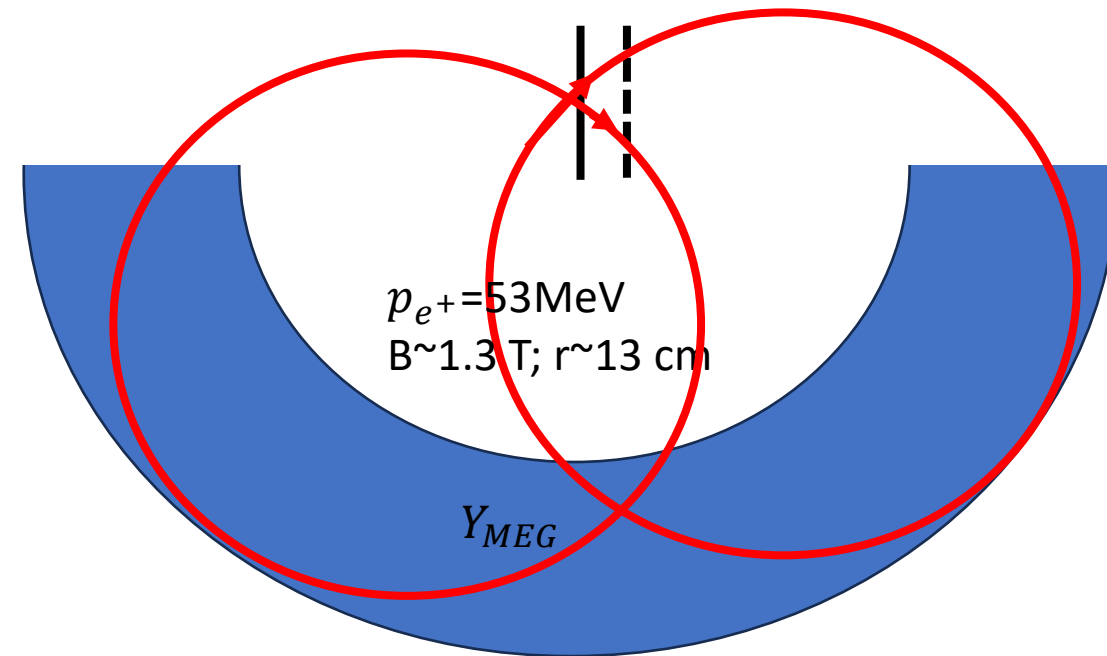
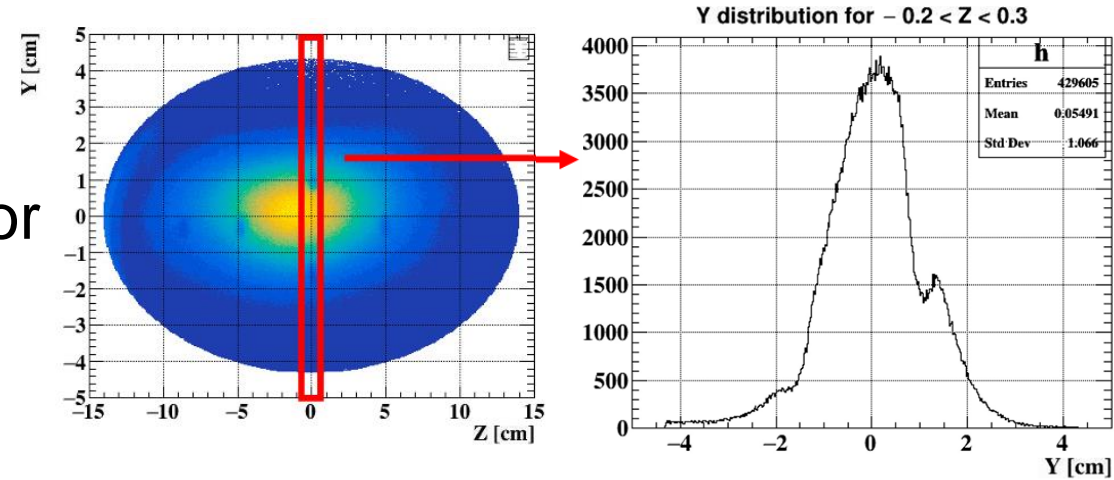
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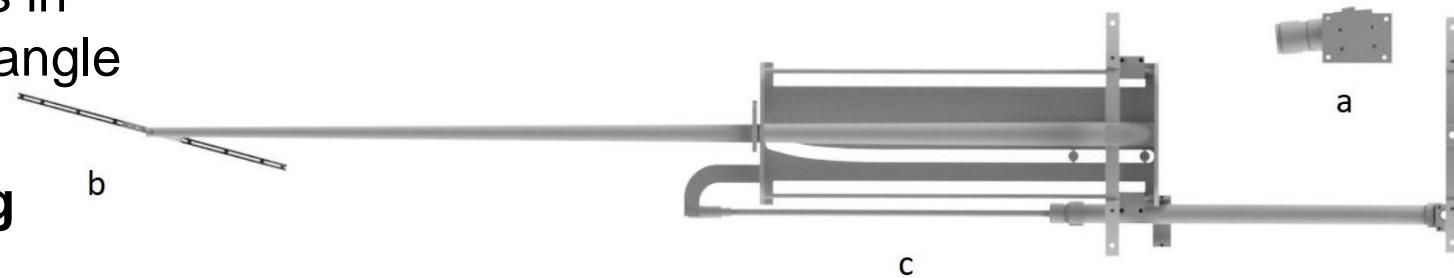
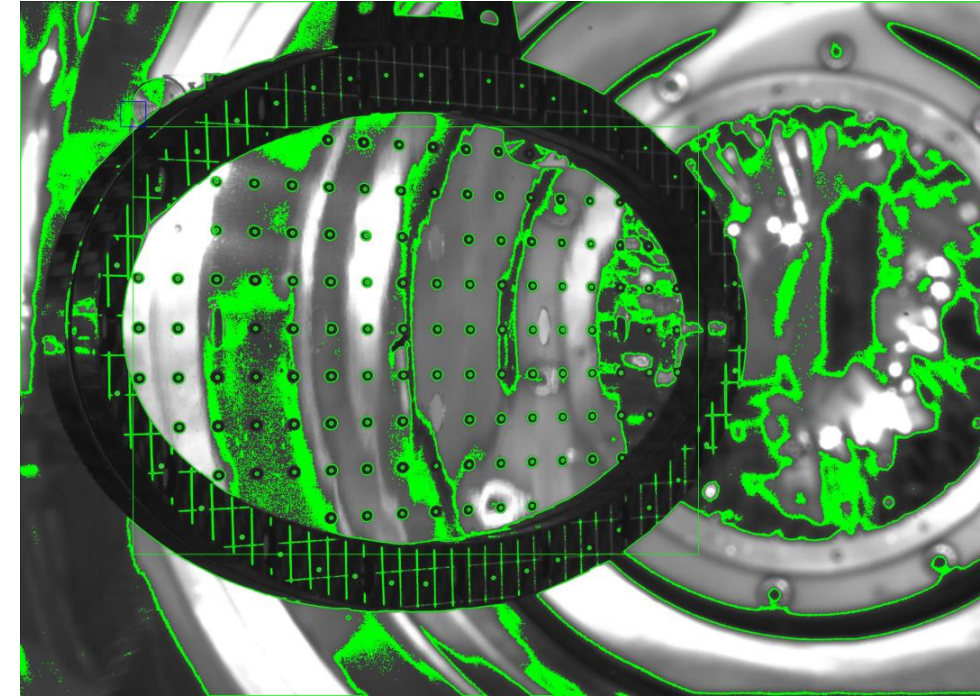
- Motivation:
Target 90 μm normal-displaced, $\varphi_{e^+}=45^\circ \rightarrow$
 e^+ path length error of 130 $\mu\text{m} \rightarrow$ 1 mrad φ_e error
- **One of the most dominant MEG I systematic errors**
- Relative target/CDCH coordinates:
 - Optical survey of the target/CDCH + pre-installation CT scan of target shape
 - ‘Hole Analysis’: image holes in made in target by lack of positrons originating from the hole position – incorrect target position results in reconstructed hole position varying with angle
 - Target motion measured by analyzing photographs taken periodically during data taking analysis



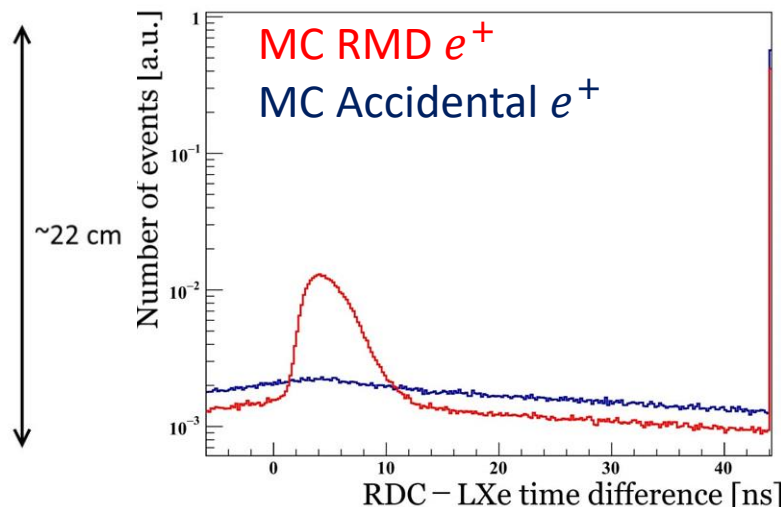
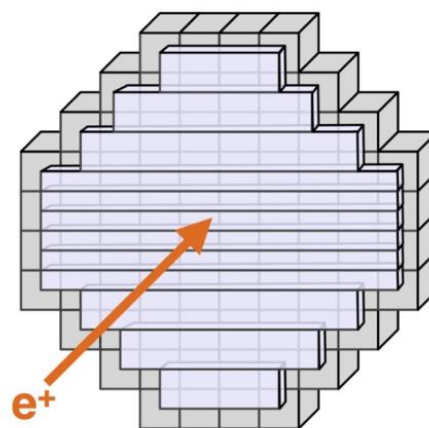
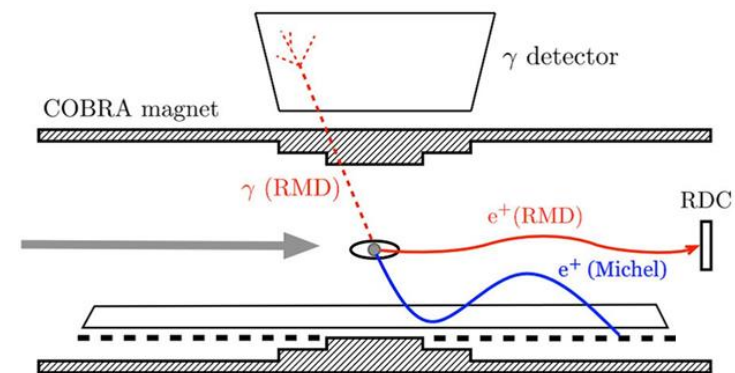
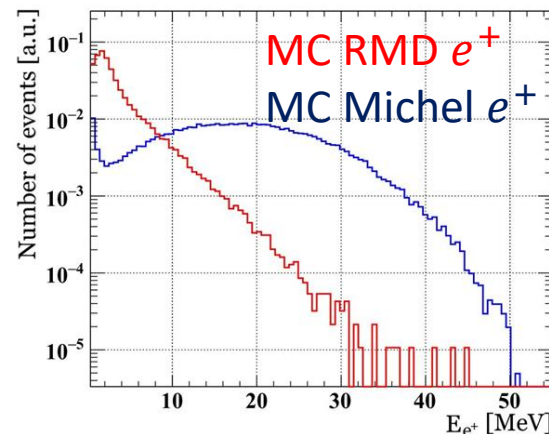
- Motivation:
Target 90 μm normal-displaced, $\varphi_{e^+}=45^\circ \rightarrow e^+$ path length error of 130 $\mu\text{m} \rightarrow 1$ mrad φ_e error
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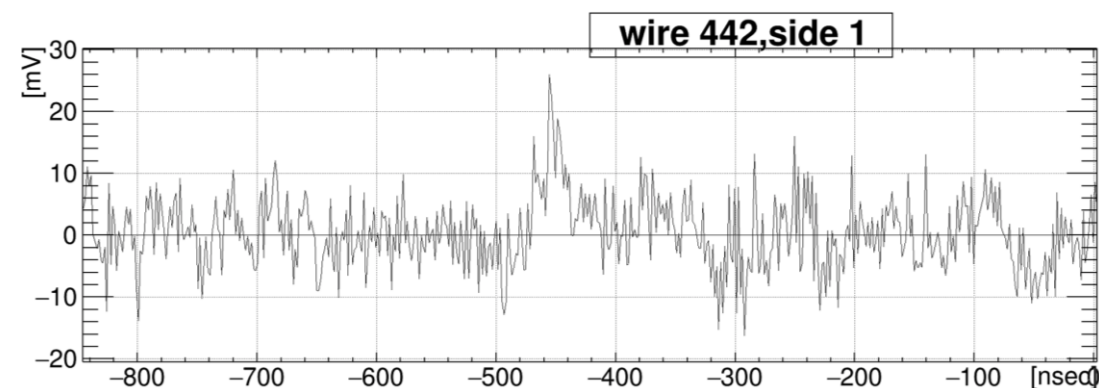


- RDC eliminates a fraction of RMD accidental events using LXe/RDC matched γ/e^+
- Downstream of target only
- Remove events based on:
 - γ/e^+ relative timing (scintillator bars)
 - e^+ energy (LYSO crystal calorimeter)



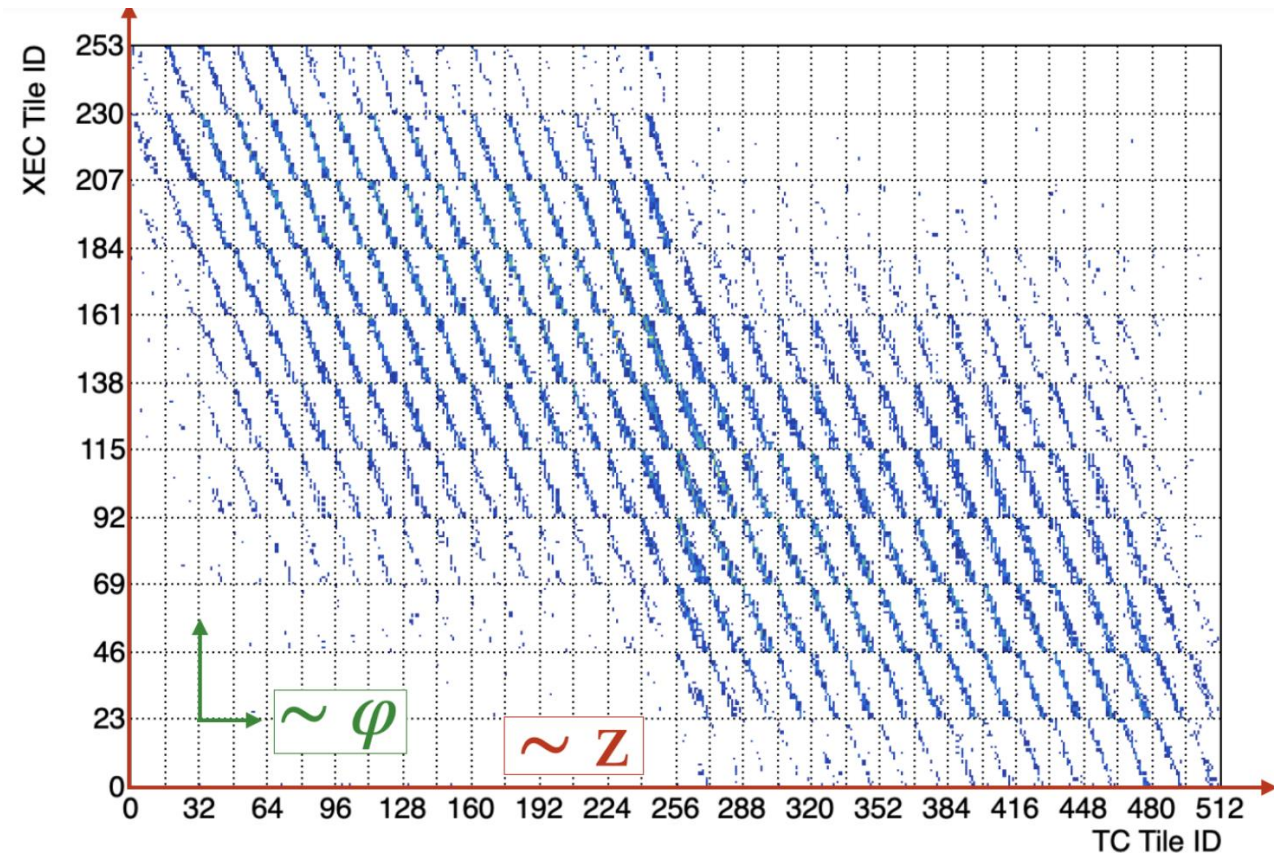
~22 cm

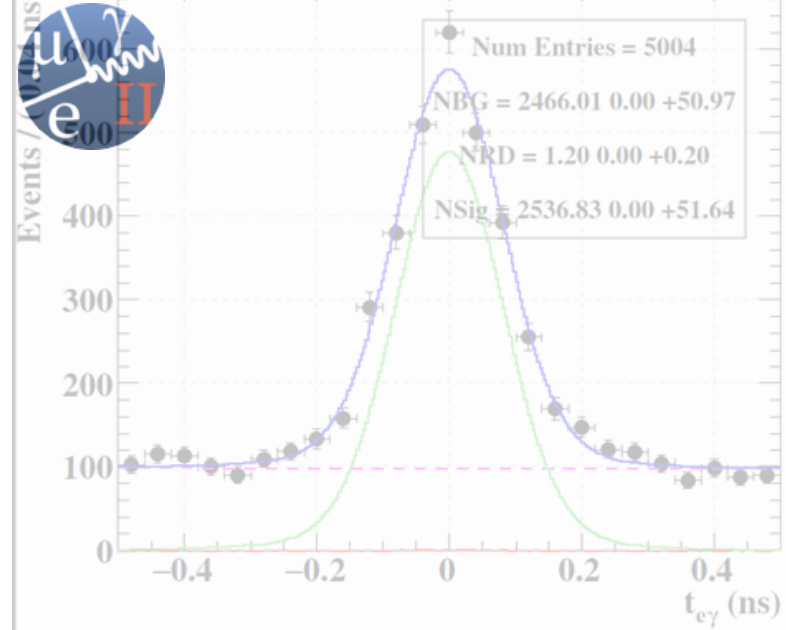
- All detectors use custom WaveDREAM (Waveform Domino REAdout Module) electronics boards
- O(10k) channels contain 1024 'sample-and-hold' cells that sample and temporarily store detector signal (8x2 channels/board)
- After trigger, all charge is digitized via ADC
- Operated at a sampling frequency of 1.4 GHz



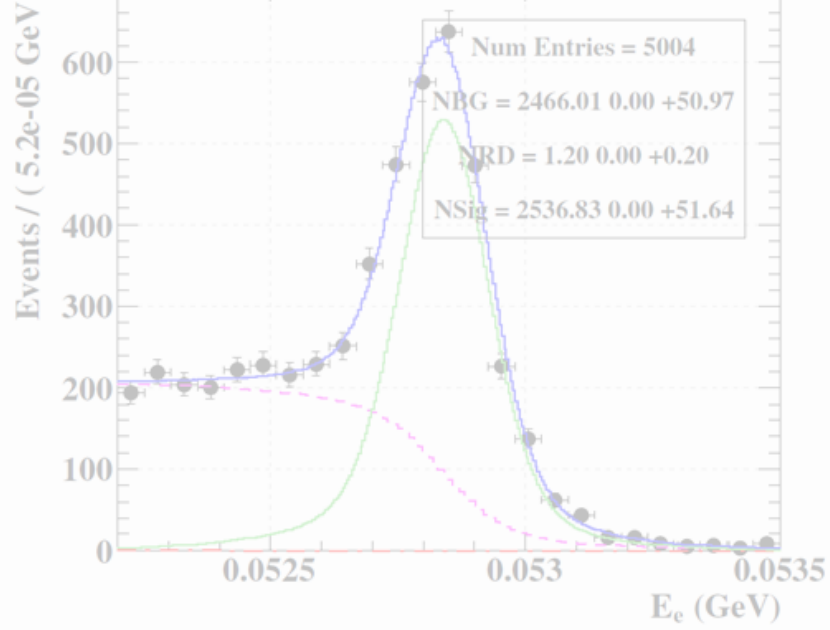
Ritt: <https://doi.org/10.1016/j.nima.2003.11.059>

- MEG Trigger Conditions:
 - LXe $E_\gamma > E_{\text{Threshold}}$ (40-45 MeV)
 - Time Match: pTC/LXe
 $|T_{e^+/\gamma}| < 12.5$ ns
 - Spatial Match: pTC/LXe based on $\mu \rightarrow e\gamma$ decays simulated in Geant4
- Trigger rate of ~ 12 Hz at $4 \times 10^7 \mu/s$

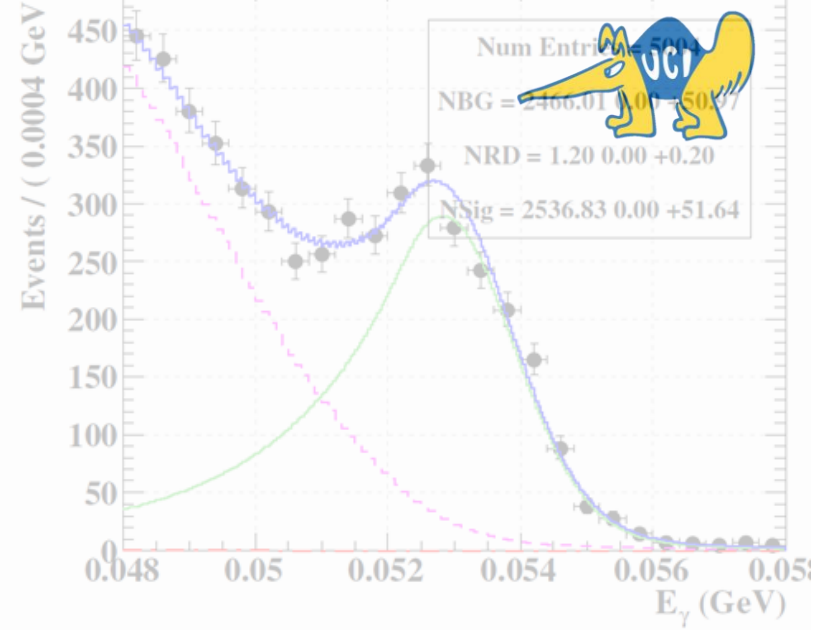




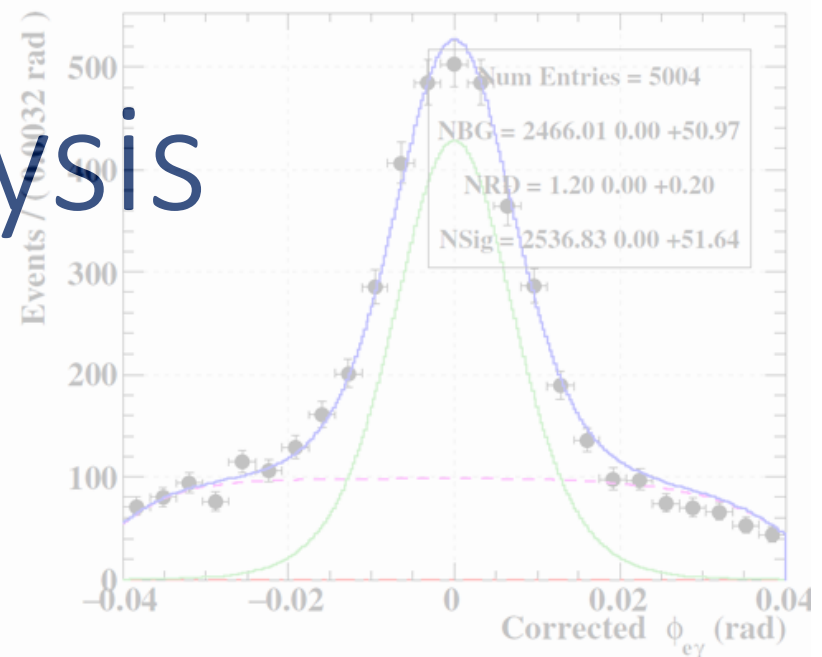
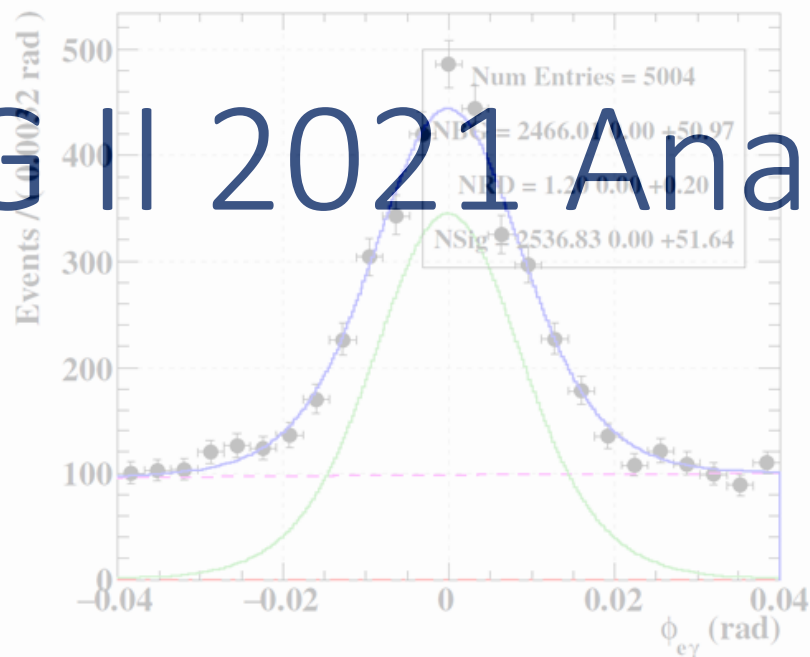
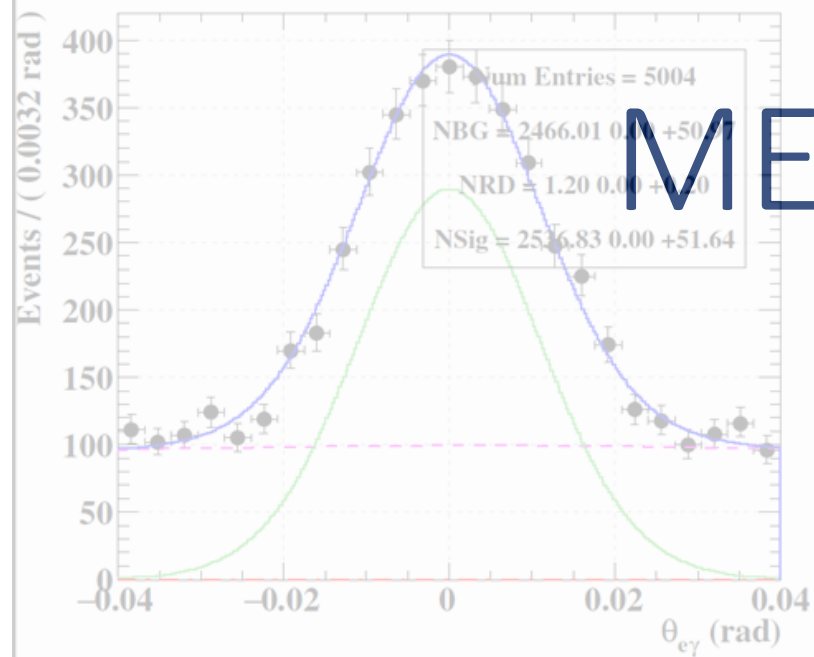
θ angle



ϕ angle

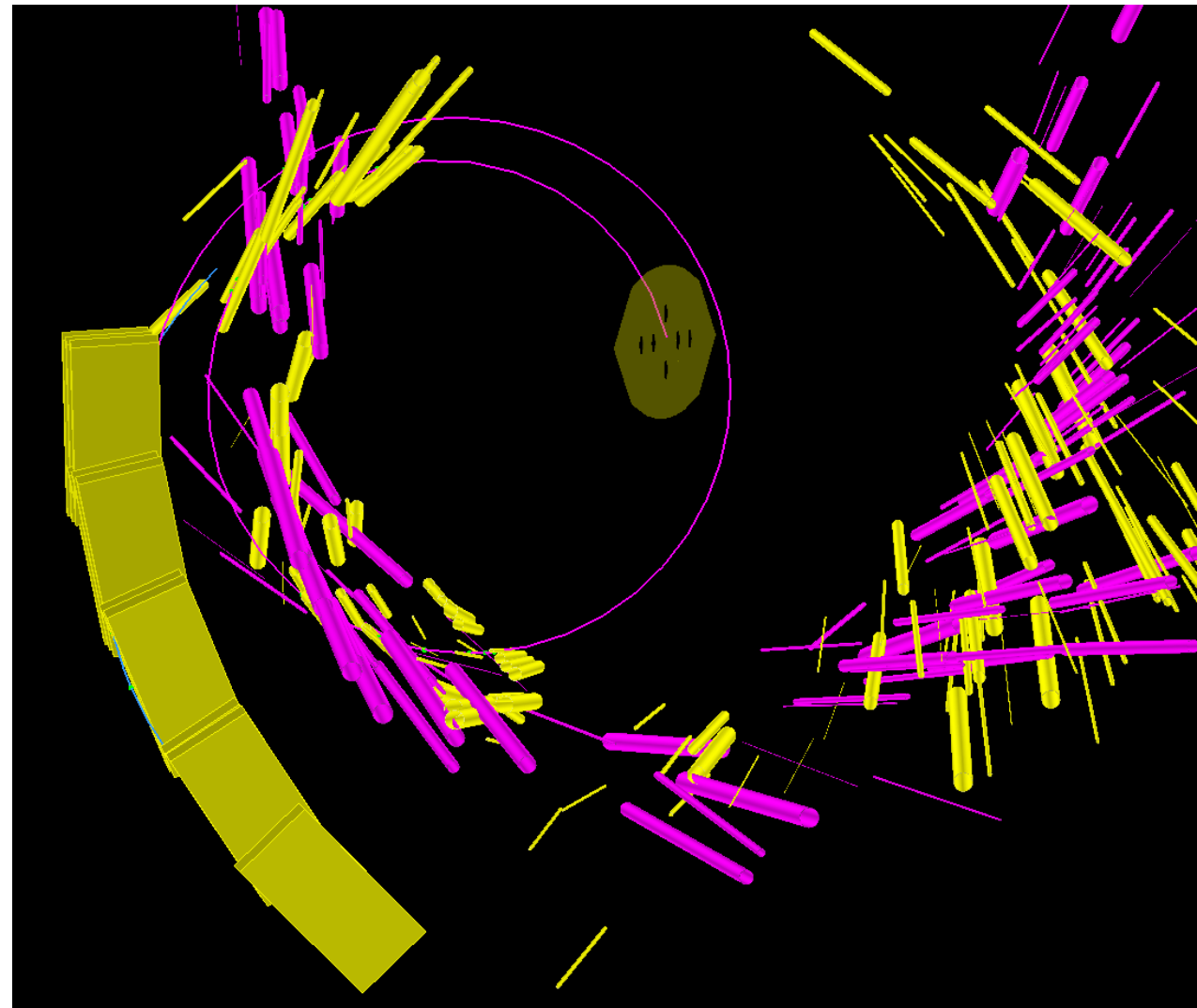


ϕ after correlation correction

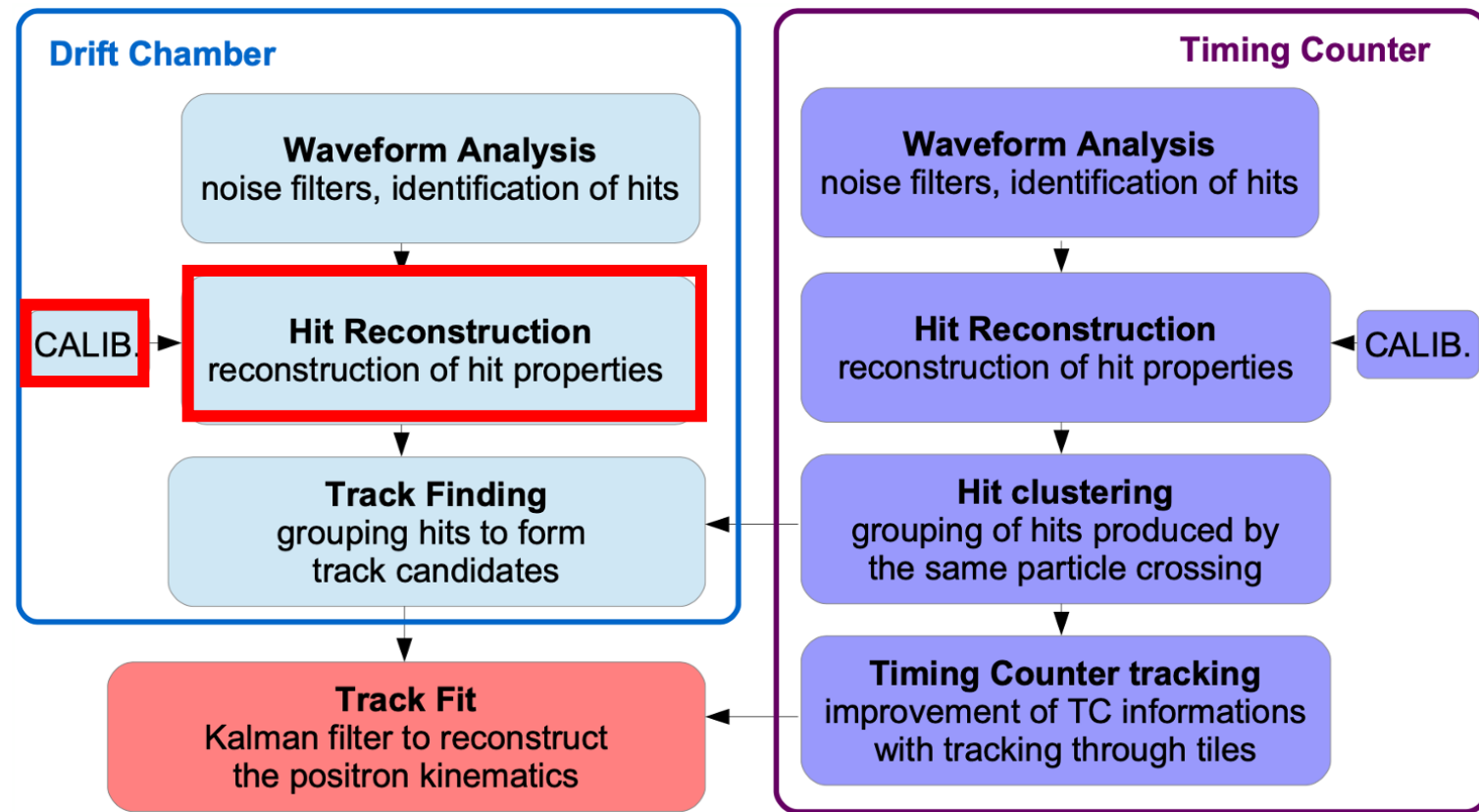


MEG II 2021 Analysis

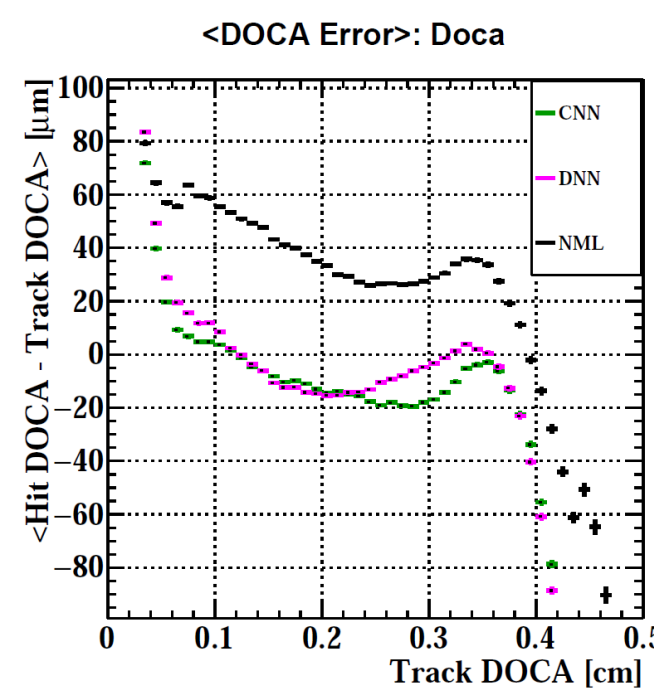
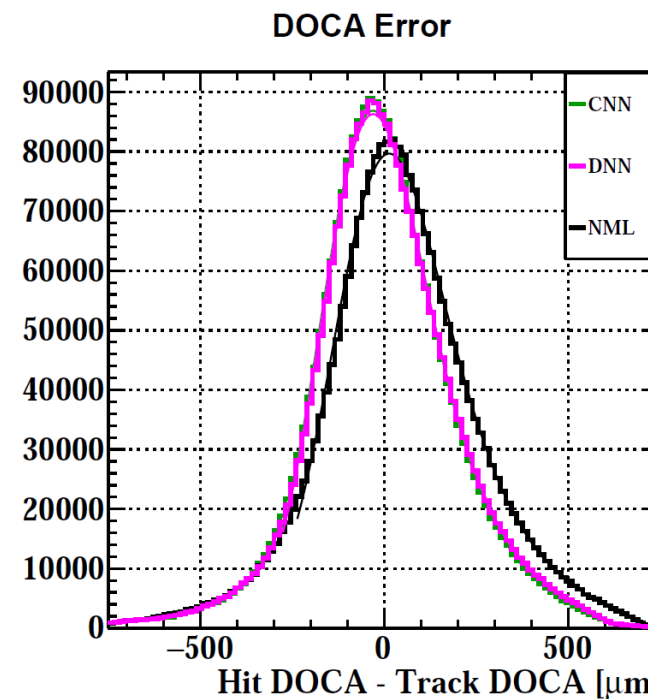
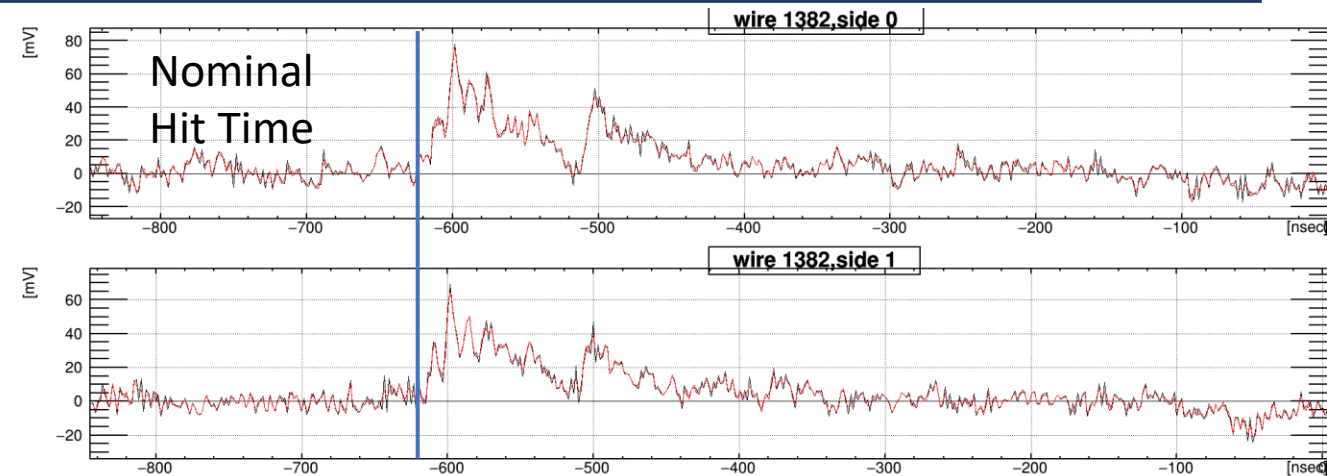
- **Optimizing resolutions/efficiency is critical to achieve the optimal sensitivity and ultimately detect $\mu \rightarrow e\gamma$**
- Much of the analysis work over the last couple years focused on noise suppression, calibrations, and alignment algorithms that were critical to improve resolutions and efficiency in the 2021 dataset
- Data Analysis:
 - **Positron analysis:**
CDCH+SPX waveform data $\rightarrow e^+$ kinematics
 - Photon Analysis:
MPPC+PMT waveform data $\rightarrow \gamma$ kinematics
 - Target analysis: tracking target position, orientation, shape
 - RDC analysis: matching low momentum e^+ with LXe γ



- Multi-step procedure to convert the CDCH+SPX digital waveforms into positron tracks
- Examples calibrations/alignments (bolded discussed):
 - Noise suppression
 - **CDCH wire-to-wire alignment**
 - **CDCH drift cell time-distance relationship**
 - CDCH+SPX time calibrations
 - Relative CDCH/SPX detector timing
 - Magnetic field calculation/measurement

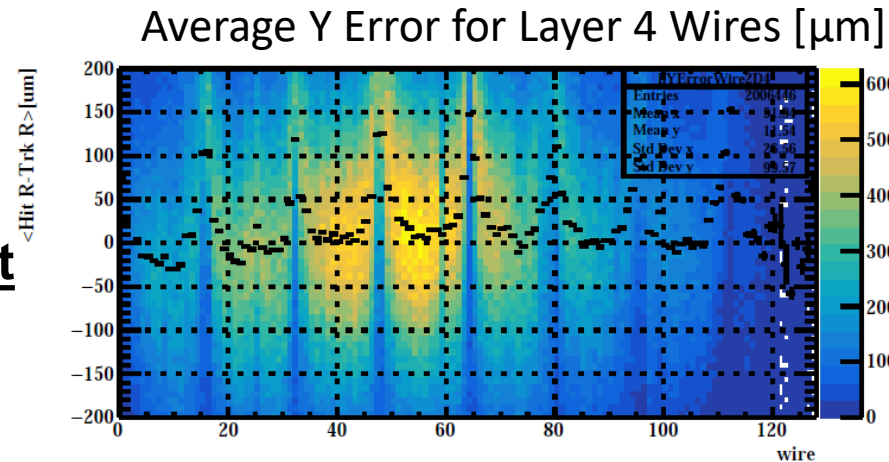


- Primary CDCH measurement is the track's distance of closest approach (DOCA) to a wire
- Analysis results in measured hit time. Combine with track T0 (from pTC), yields a drift time
- **Requires time-distance relationship to estimate the hit DOCA.** Conventionally calculated by Garfield
- Replaced by convolutional neural network (CNN) approach offers a data-driven approach by training on tracks in MEG data
- Improves DOCA resolution, reduces DOCA bias produced by ionization statistics, and improves kinematic resolutions

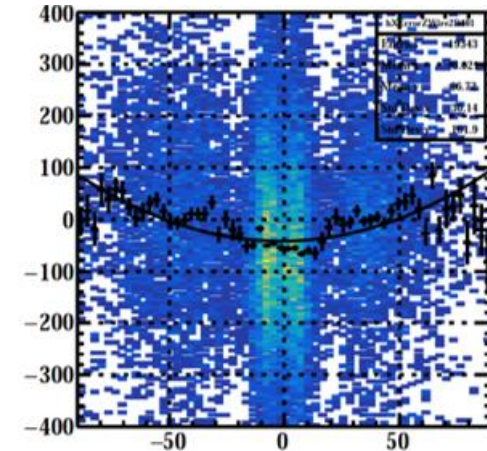


- Align the wires by calculating residuals as a function of position along the wire axis
- Iteratively correct the wire by applying translations, rotations, and a wire sagitta (electrostatic)
- Improves kinematic resolutions and biases in the kinematic resolutions

Survey Alignment

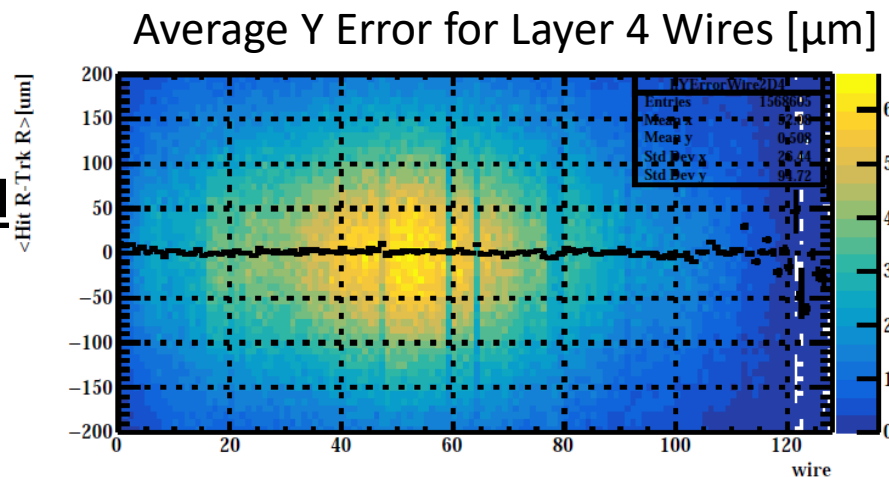


X Error on Wire 401 [μm]

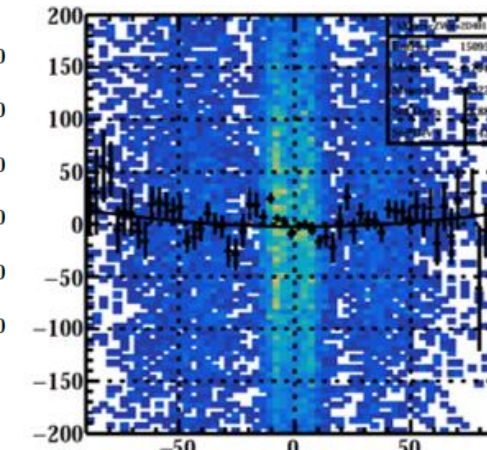


Axial Coordinate [cm]

Track-Based Alignment



X Error on Wire 401 [μm]



Axial Coordinate [cm]

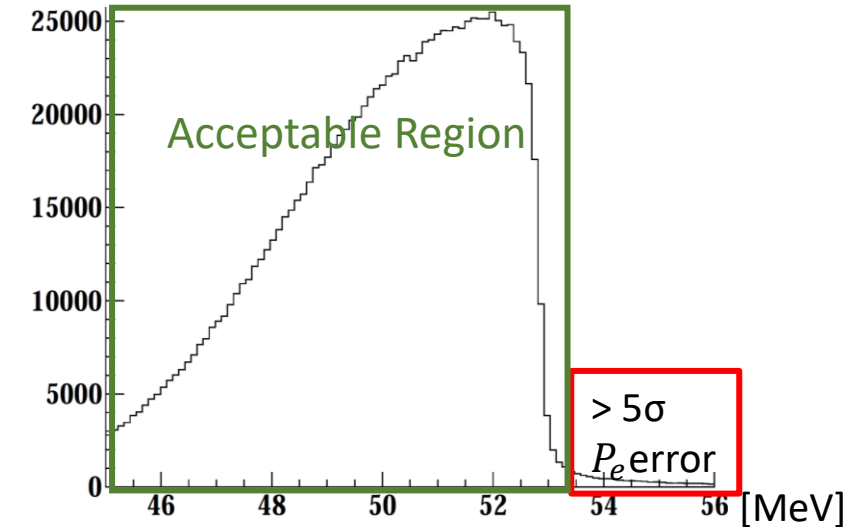


Physics Analysis

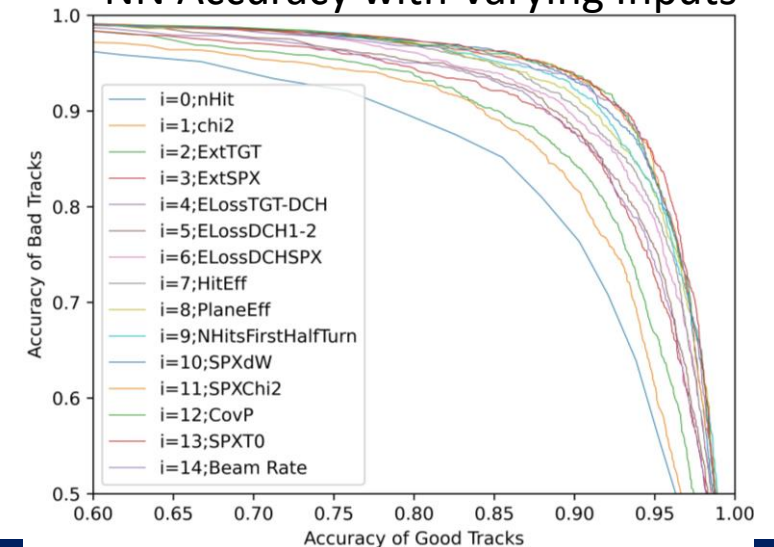


- Goal: detect the $\mu^+ \rightarrow e^+ \gamma$ signal or calculate an upper-limit on BR of $\mu^+ \rightarrow e^+ \gamma$ using $E_\gamma, E_e, \varphi_{e\gamma}, \theta_{e\gamma}, t_{e\gamma} + (t_{RDC-LXE}, E_{RDC})$
- Two **blind** physics analyses discussed in next few slides:
 - Cut and count analysis (2 separate analyses)
 - Maximum likelihood analysis (2 separate analyses)
- Common requirements:
 - **Calibrations, alignments, noise suppression**
 - **Positron/photon selection**
 - **Kinematic resolution estimates**
 - Correlations between kinematics
 - Both opt to include event-by-event information
 - **Estimates of background rates/distributions**

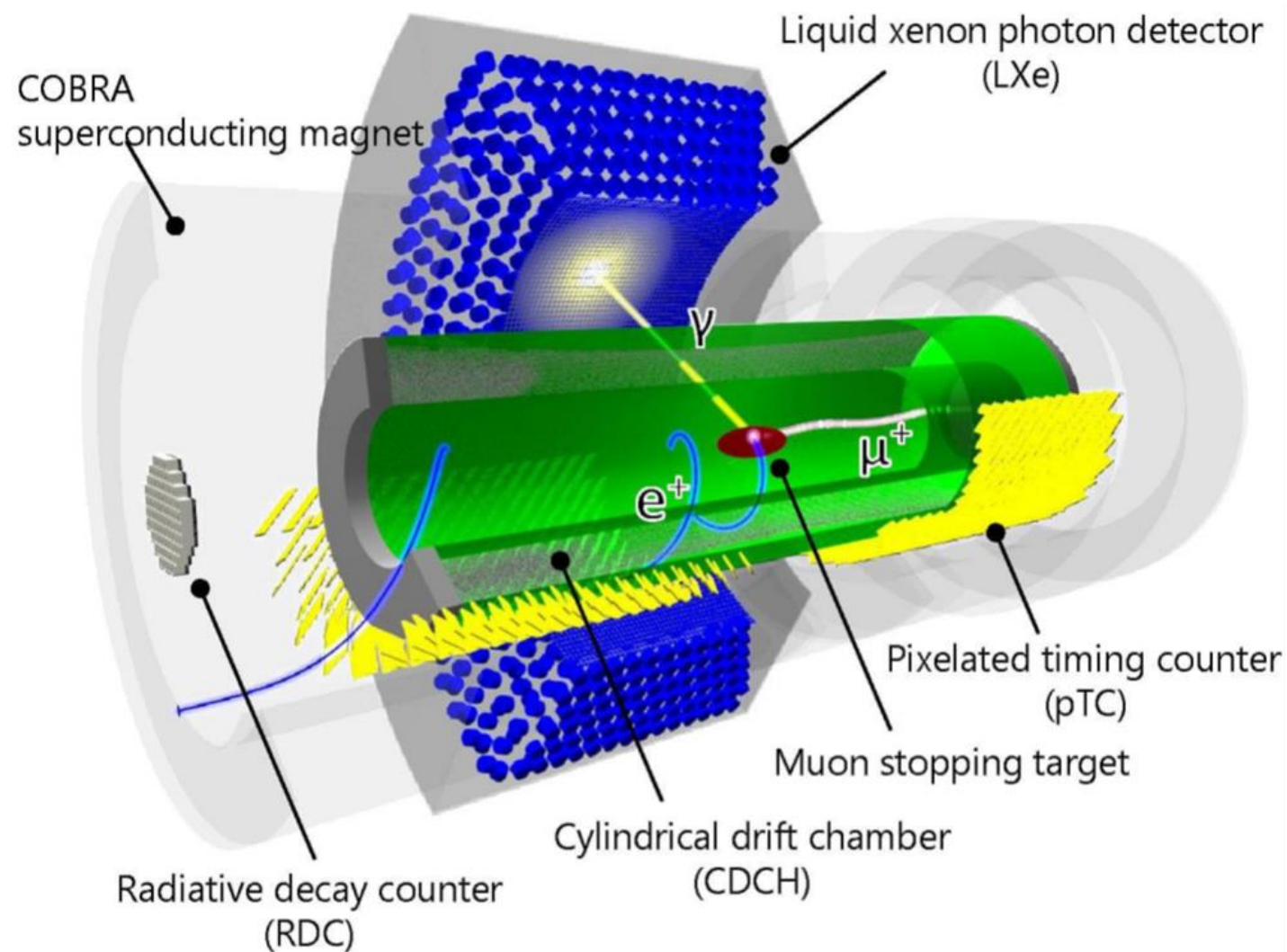
NN Track Selection Trained Directly On Data
To Remove Mismeasured Tracks



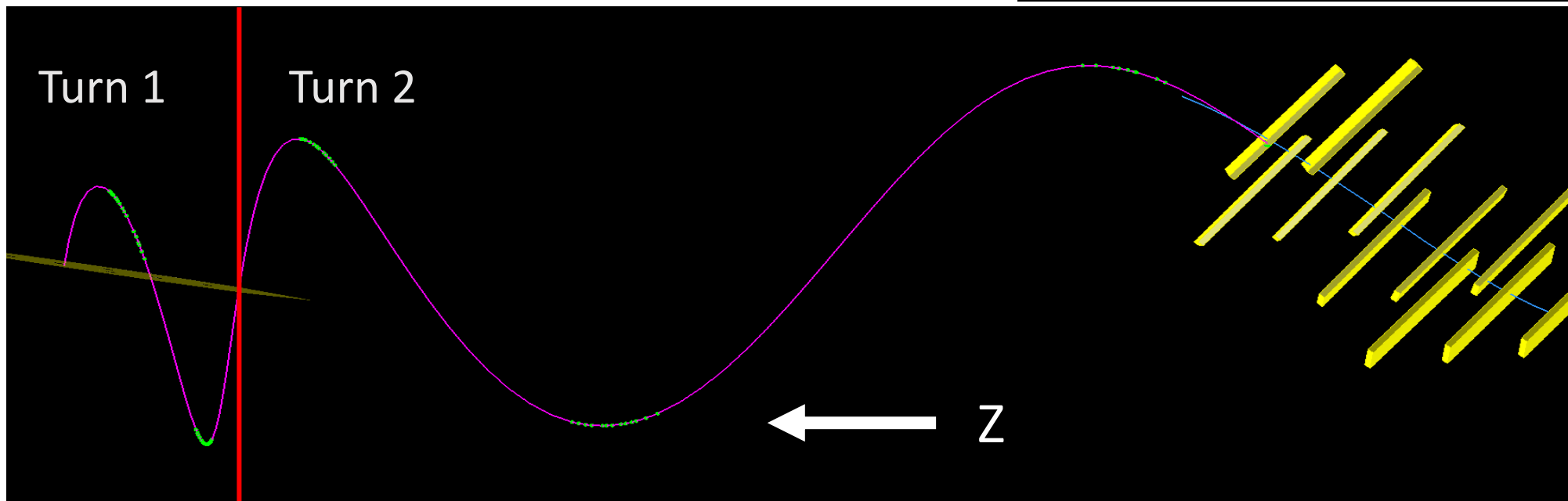
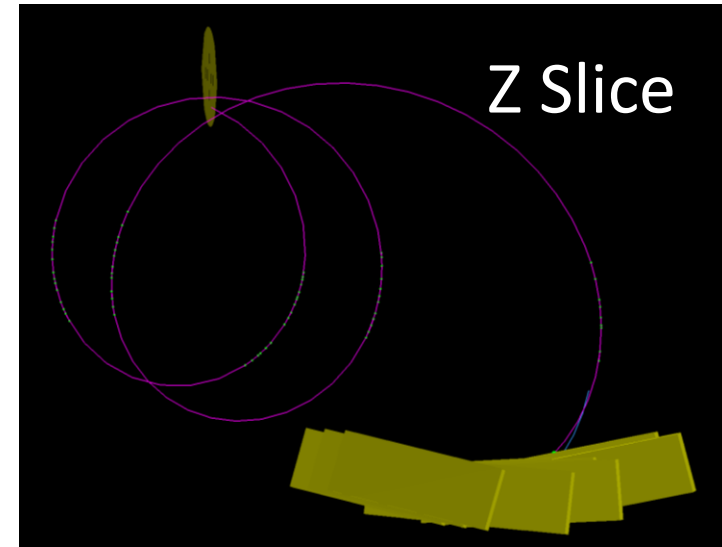
NN Accuracy with Varying Inputs



- Will highlight some of the data-driven kinematic resolution estimate approaches for the CDCH, pTC, and LXe detectors
- Optimal resolutions are required to suppress the background

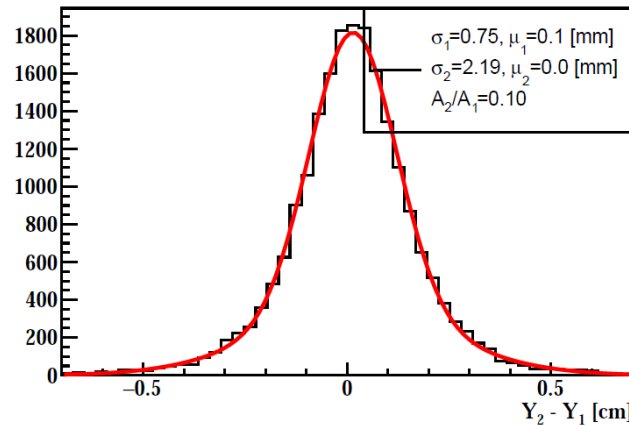


- Data-driven e^+ kinematic resolution estimate compares two independently measured/fit turns on a single e^+ track: double turn analysis
- Compare kinematics at a common plane between the turns

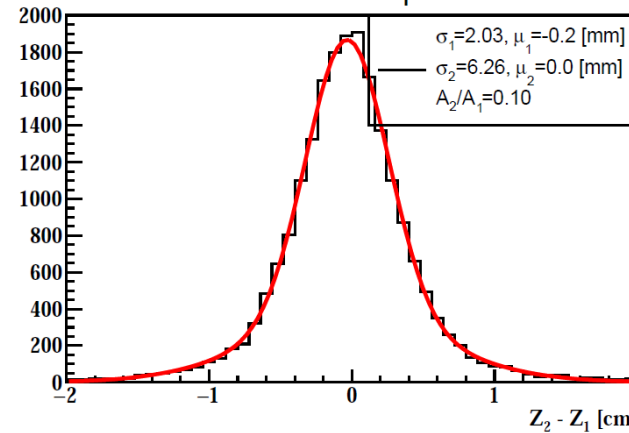


- Turn kinematic comparison at target plane
- $\sigma_{\Delta A}^2 = \sigma_{Turn 2}^2 + \sigma_{Turn 1}^2$
- Fit to convolution of two double gaussians
- Yields quality estimate of the core/tail resolution that only requires minor MC corrections

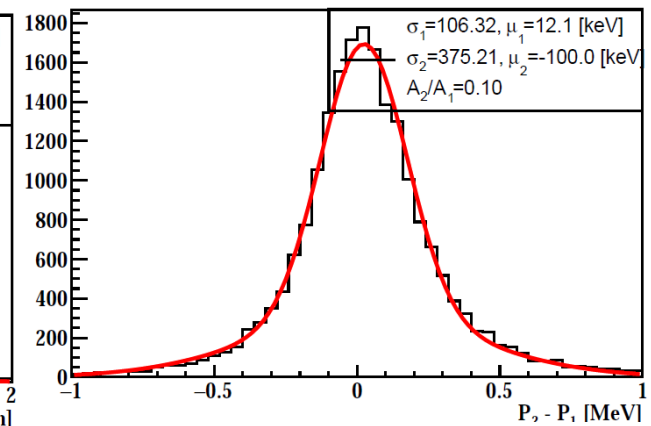
Y Vertex DT Comparison



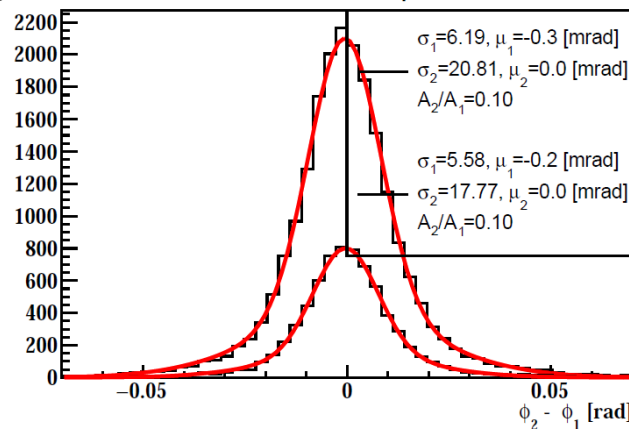
Z Vertex DT Comparison



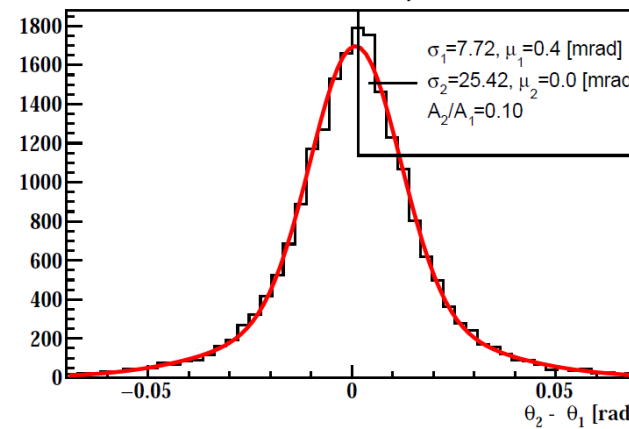
P Vertex DT Comparison



Φ Vertex DT Comparison



Θ Vertex DT Comparison



ϕ_{e^+} estimated at plane perpendicular to track, smaller ϕ_{e^+} is at $|\phi_{e^+}| < 0.2$ rad



Double Turn Analysis



$3 \cdot 10^7 \mu/s$

- Resolutions measured with double turn analysis (DT) are all improved with respect to MEG I and close to goal
- Improving single hit resolution, magnetic field map, etc. aim to achieve the MEG II goal resolutions

Kinematic Resolution	MEG I Core σ	MEG II Goal Core σ	MEG II 2021 DT Core σ
p_{e^+} (keV)	380	130**	97
$\theta_{e^+} / \varphi_{e^+}^*$ (mrad)	9.4/8.7	5.3/3.7	7.2/4.1
z_{e^+} / y_{e^+} (mm)	2.4/1.2	1.6/0.7	2.0/0.7

* φ_{e^+} estimated at plane perpendicular to track, includes correlations

**based on early CDCH track fitting algorithms

- CEX Reaction:

- $\pi^- p \rightarrow \pi^0 n; \pi^0 \rightarrow \gamma \gamma$
- $E_\gamma = 0.5m_{\pi^0} \gamma (1 \pm \beta \cos \theta_{rest})$
- $\theta_{rest} = 0; \beta \sim 0.2; E_\gamma = 55/83 \text{ MeV}$

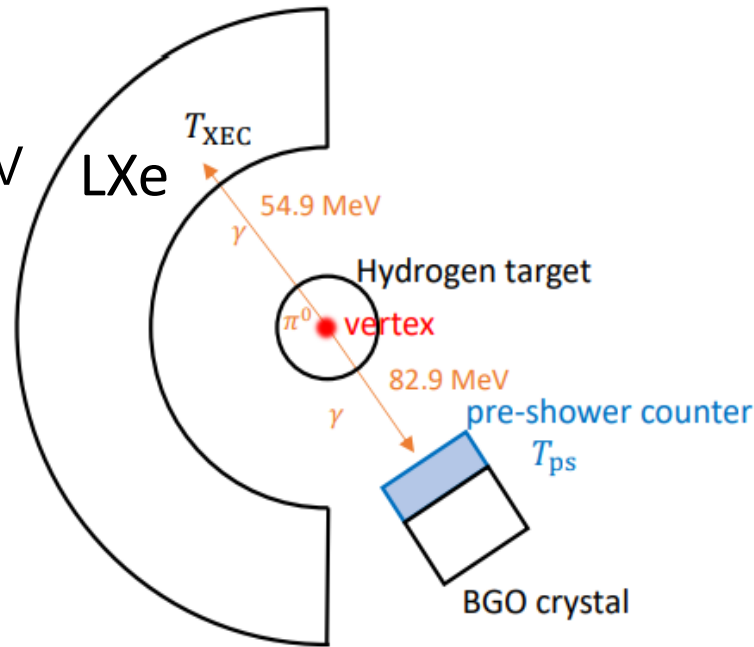
- Separate detector (BGO) selects back-to-back γ pair ($dt_{BGO-LXe}, E_{BGO}$, Opening angle $> 170 \text{ deg}$)

- CEX reaction used to

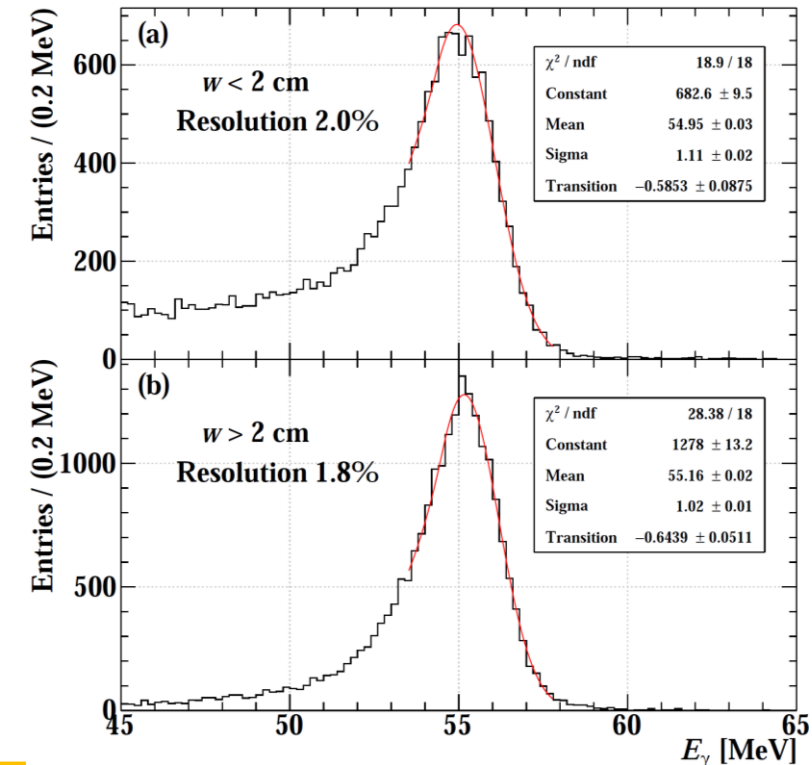
- Calibrate E_γ, t_γ
- Estimate $\sigma_{E_\gamma}, \sigma_{t_\gamma}$

- Ongoing work to calibrate LXe to achieve MEG II goal resolutions (E_γ)

LXe CEX Setup



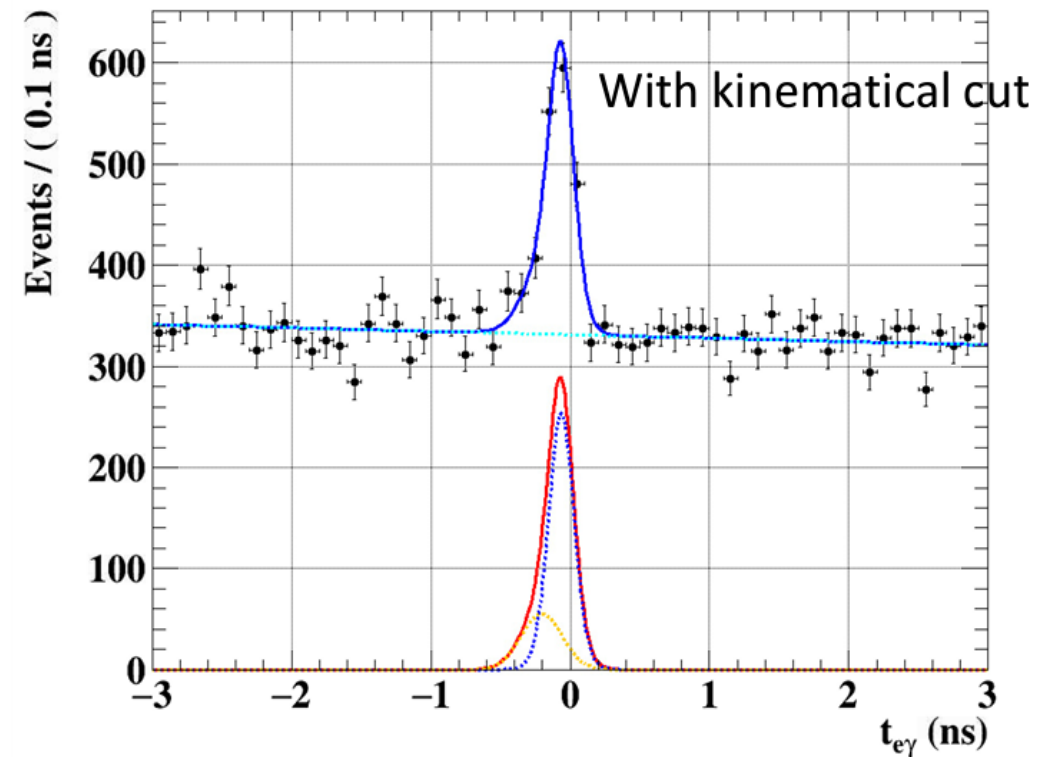
LXe CEX Energy Distribution with Varying Depth (w)



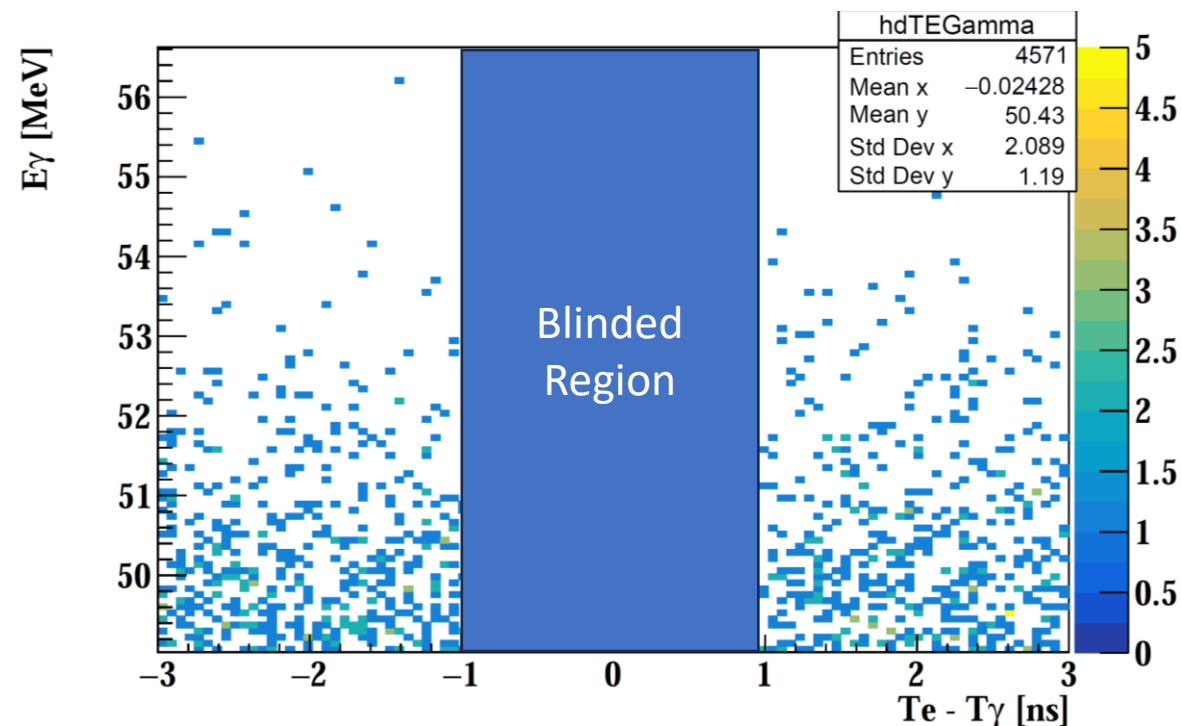
Kinematic Resolution	MEG I	MEG II Goal	MEG II 2021
E_γ (%)	2.4	1.1	1.9
t_γ (ps)	60	60	70

- Use non-accidental RMD e^+/γ pairs at standard beam intensity to estimate $\sigma_{t_{e^+\gamma}}$
- Direct measurement of $\sigma_{t_{e^+\gamma}}$
- Signal e^+ contains $\sim 9 N_{TC}$. For events with $9 N_{TC}$, $\sigma_{t_{e^+\gamma}} \sim 78$ ps
- Comparable to MEG II goal of 84 ps

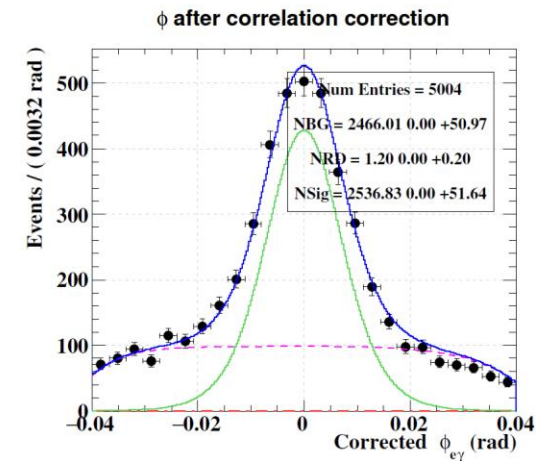
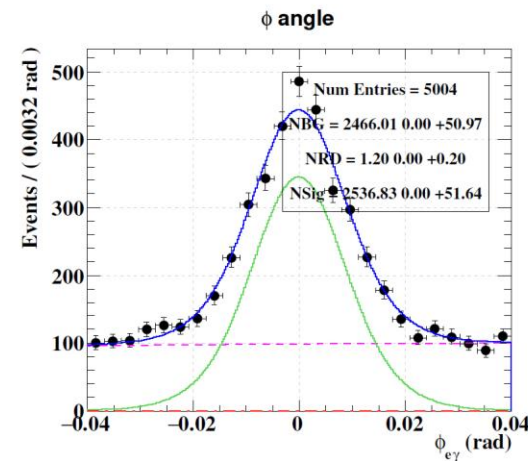
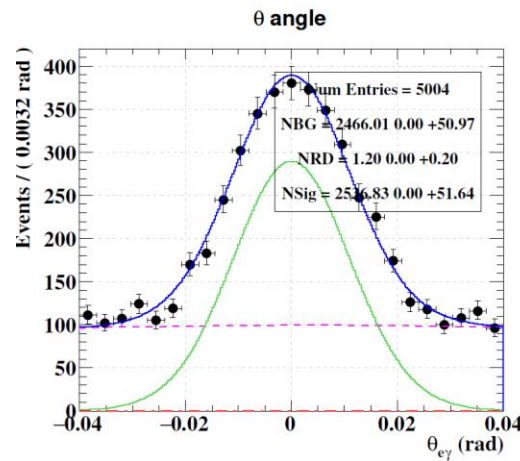
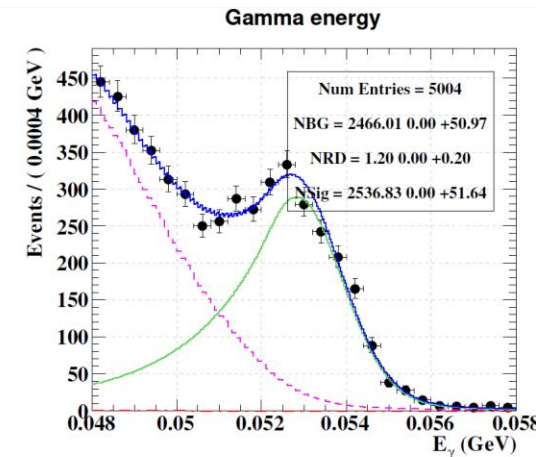
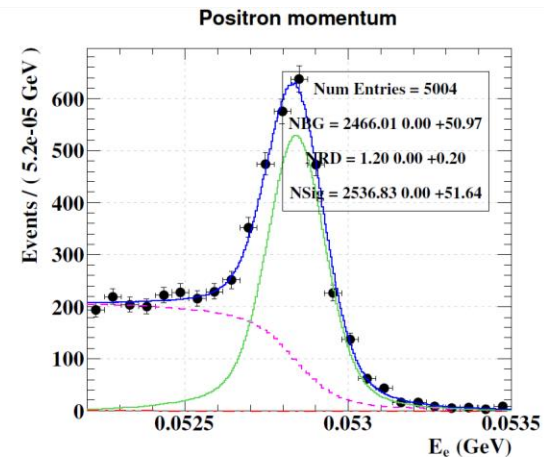
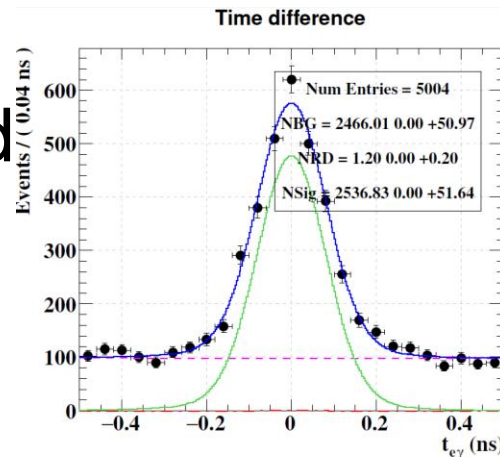
RMD $t_{e^+\gamma}$ with TC per-event Errors



- Tools to estimate background rates/distributions in the signal region
- Time sideband:
 - Signal region offset in $t_{e+\gamma}$
 - Estimate N_{ACC} in signal region
 - Calculate distribution of accidentals (e.g. E_γ, p_e) expected in the signal region
- Energy sideband:
 - Signal region shifted to lower E_γ
 - Estimate N_{RMD} in signal region; found to be completely negligible
- Toy MC:
 - Use resolutions and sideband results to generate many toy MC “experiments”
 - Toy MC experiments contain expected accidental distributions: used to calculate the upper-limit in the absence of signal



- Using kinematic resolutions and sideband information we build **signal** and **accidentals** PDFs (graphic shows equal weighting)



- Maximum likelihood analysis (MLA) uses the signal/background PDFs to fit for N_{SIG} , N_{ACC} , N_{RMD} , X_{TGT}

- Extended Likelihood function:

$$L(\vec{\theta}) = \frac{e^{-N} N^n}{n!} \prod_{i=1}^n p(\vec{x}_i; \vec{\theta})$$

$$L(N_{sig}, N_{RMD}, N_{Acc}, X_{TGT})$$

$$:= \exp\left(-\frac{(X_{TGT})^2}{2\sigma_{TGT}^2}\right) \times \exp\left(-\frac{(N_{RMD} - \langle N_{RMD} \rangle)^2}{2\sigma_{RMD}^2}\right) \times \exp\left(-\frac{(N_{Acc} - \langle N_{Acc} \rangle)^2}{2\sigma_{Acc}^2}\right)$$

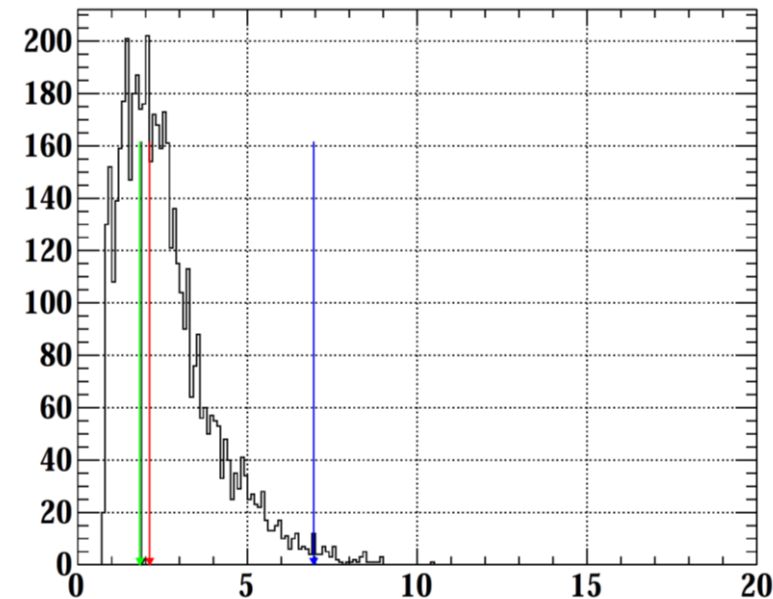
Nuisance Parameters

$$\times \frac{e^{-(N_{sig} + N_{RMD} + N_{Acc})}}{N_{obs}!} \prod_{i=1}^{N_{obs}} (N_{sig} S(\vec{x}_i | X_{TGT}, \vec{q}_i) + N_{RMD} R(\vec{x}_i | \vec{q}_i) + N_{Acc} A(\vec{x}_i | \vec{q}_i))$$

- Applying the MLA to toy MC in the absence of signal, we estimate a median upper-limit on N_{SIG} of 2.21 at the 90% CL

Toy MC in the absence of signal

90% upper limit on N_{sig}

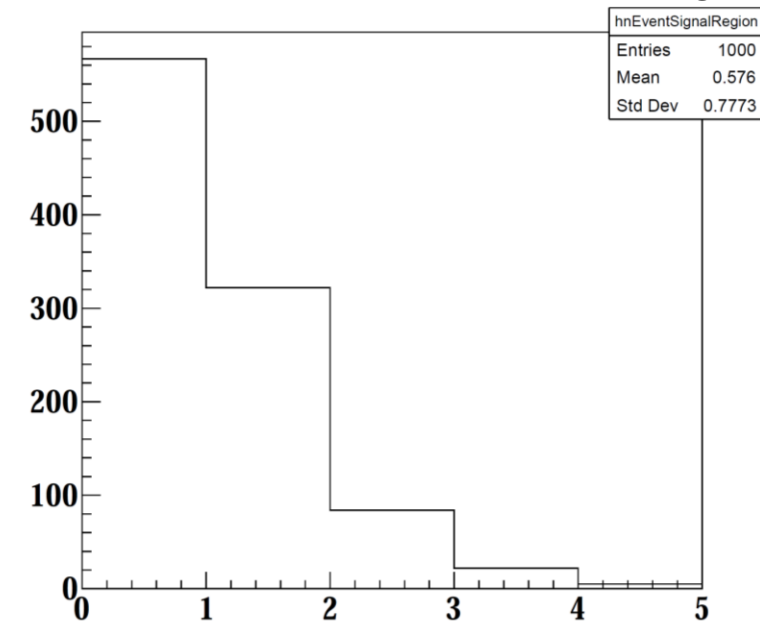


- Cut and count analysis (CCA): define a signal region and count the number of events inside (N_{SIG}). No RDC used
- The analysis region is defined by a hyperradius ($r_H < 3.45$):

$$r_H = \sqrt{\left(\frac{t_{e\gamma}}{\sigma_{t_{e\gamma}}}\right)^2 + \left(\frac{\phi_{e\gamma}}{\sigma_{\phi_{e\gamma}}}\right)^2 + \left(\frac{\theta_{e\gamma}}{\sigma_{\theta_{e\gamma}}}\right)^2 + \left(\frac{\left(\frac{m_\mu}{2} - \alpha\right) - p_e}{\sigma_{p_e}}\right)^2 + \left(\frac{\left(\frac{m_\mu}{2} - \beta\right) - E_\gamma}{\sigma_{E_\gamma}}\right)^2}$$

- Calculate $\langle N_{ACC} \rangle$ in signal region using time sidebands and toy MC: $\langle N_{ACC} \rangle = 0.61$ events
- The median/mode toy MC experiment results in zero events
- Using the Feldman Cousins approach, this null signal would result in an UL on N of 1.8 at the 90% CL, but a lower signal efficiency ($\langle UL \rangle$ of 2.95 at the 90% CL)

N_{ACC} in Toy MC in the absence of signal





Normalization



- In either physics analysis, to convert the upper-limit on N into a branching fraction of $\mu^+ \rightarrow e^+ \gamma$, we require the number of μ^+ observed in our dataset, N_μ
- *Single event sensitivity is the branching fraction that would result in 1 signal event in the dataset i.e., $1/N_\mu$
- Measure N_μ using two techniques:

- Measure the number of positrons reconstructed in a trigger requiring only an SPX hit:

$$N_\mu = N_{e\nu\bar{\nu}} \cdot P_{e\nu\bar{\nu}} \cdot \frac{1}{f(e\nu\bar{\nu}, *)} \cdot \frac{\epsilon_{TRG}^{e\gamma}}{\epsilon_{TRG}^{e\nu\bar{\nu}}} \cdot \frac{\epsilon_e^{e\gamma}}{\epsilon_e^{e\nu\bar{\nu}}} \cdot A_{e\gamma} \cdot \epsilon_\gamma^{e\gamma} \cdot \epsilon_{SEL}^{e\gamma}$$

- Measure the number of RMD events in the physics trigger sample ($45 < E_\gamma < 48$ MeV):

$$N_\mu = N_{e\nu\bar{\nu}\gamma} \cdot \frac{1}{B(e\nu\bar{\nu}\gamma, *)} \cdot \frac{\epsilon_{TRG}^{e\gamma}}{\epsilon_{TRG}^{e\nu\bar{\nu}\gamma}} \cdot \frac{\epsilon_e^{e\gamma}}{\epsilon_e^{e\nu\bar{\nu}\gamma}} \cdot \frac{\epsilon_\gamma^{e\gamma}}{\epsilon_\gamma^{e\nu\bar{\nu}\gamma}} \cdot \frac{\epsilon_{SEL}^{e\gamma}}{\epsilon_{SEL}^{e\nu\bar{\nu}\gamma}}$$

- Both require acceptance and efficiency terms estimated from a variety of sources e.g. calibration data, alternate trigger data, Monte Carlo, etc.

- Normalization measurements agree within 2σ

- Normalization of MLA is $2.64 \cdot 10^{12}$, CCA is $1.98 \cdot 10^{12}$ due to a lower signal efficiency

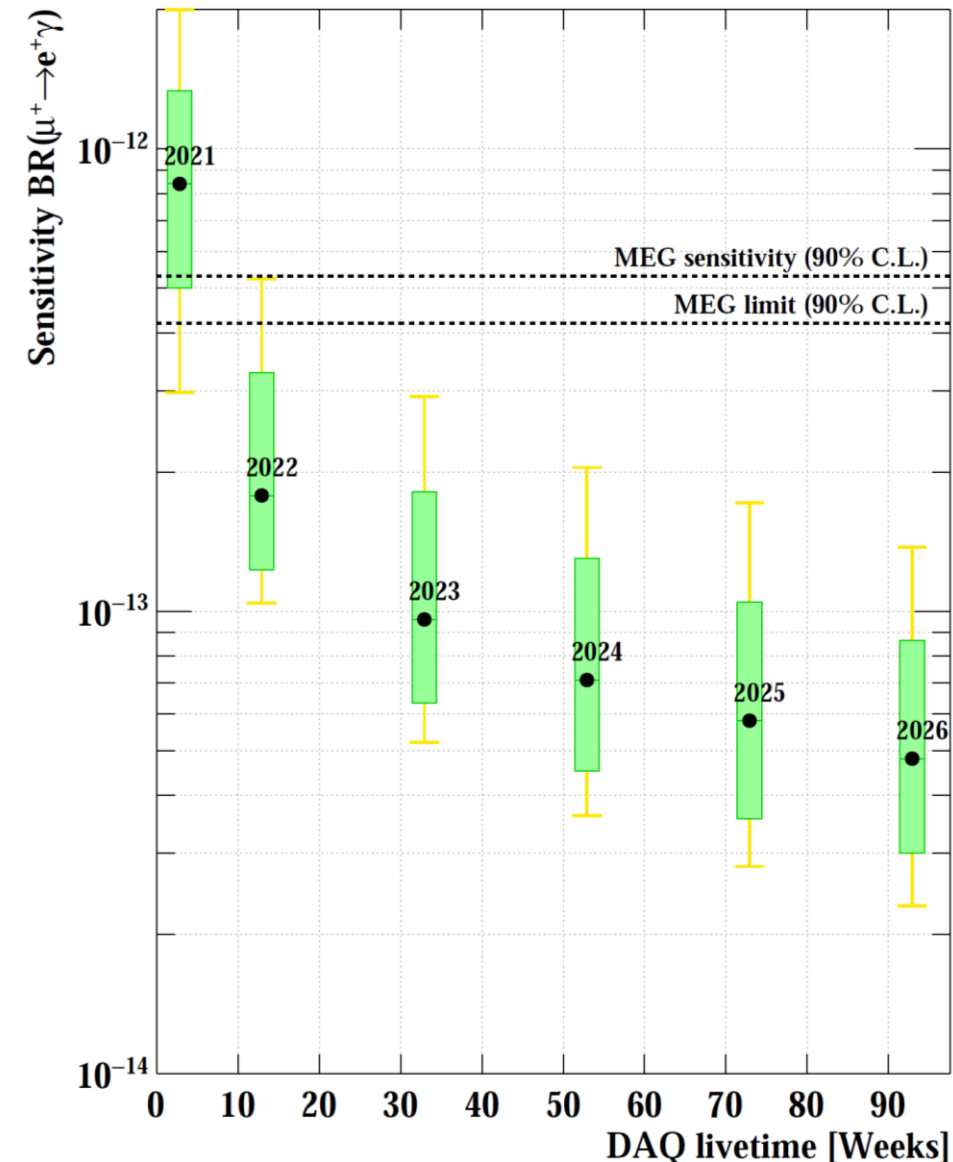


Sensitivity From Toy MC

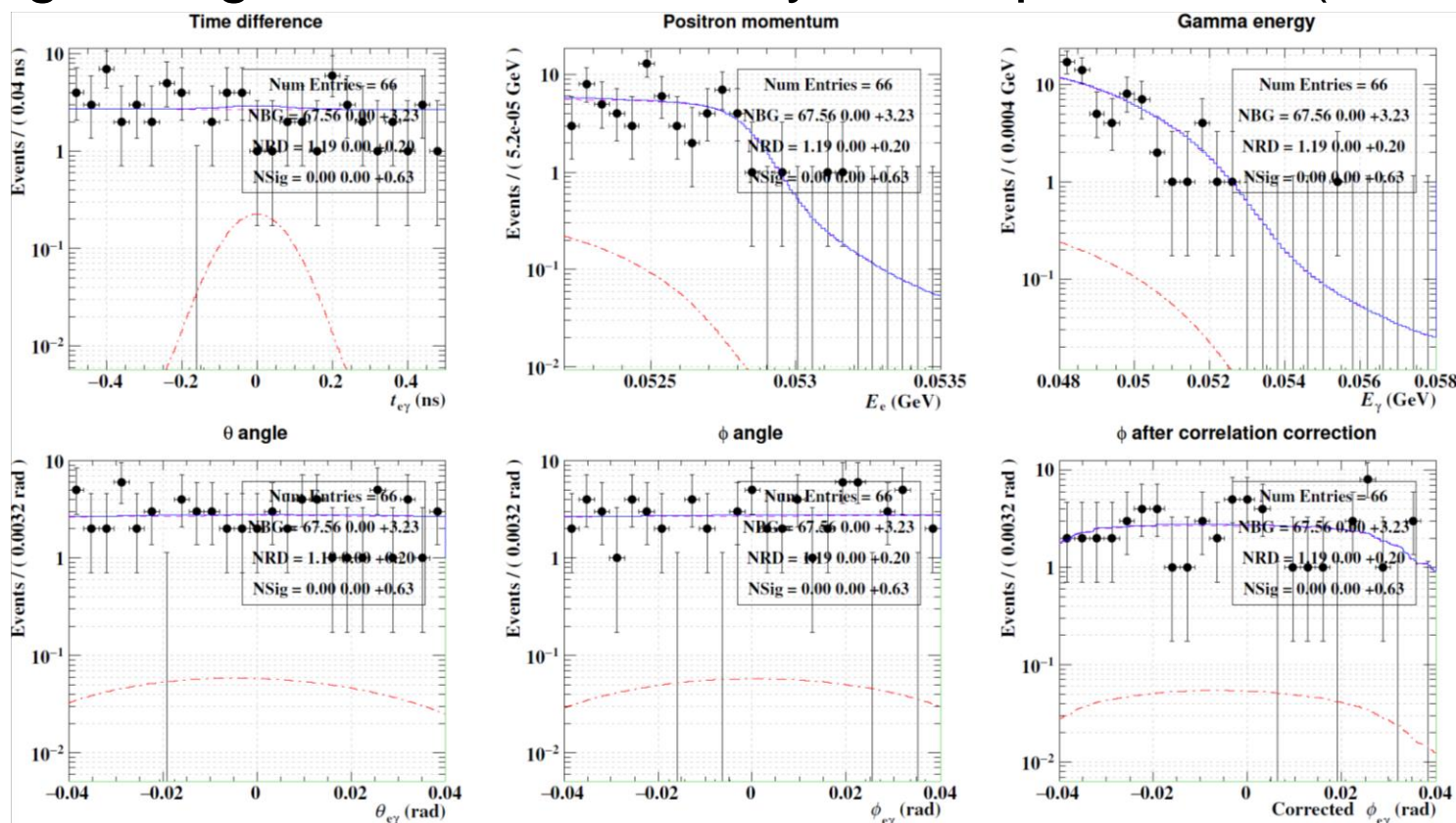


- ‘Sensitivity’ is median toy MC upper-limit in the absence of signal:
upper-limit on N_{SIG} divided by the normalization, N_μ : $UL_{N_{SIG}} / N_\mu$
- This is the median upper-limit we expect to set in the absence of signal
- MEG II 2021 dataset sensitivity approaches that of MEG I
- Projects to reach its goal sensitivity by end of MEG II lifetime

Dataset	Sensitivity (10^{-13})	Single Event Sensitivity (10^{-13})
MEG I Sensitivity	5.3	0.58
MEG II 2021 Sensitivity CCA	9.3	5.0
MEG II 2021 Sensitivity MLA	8.8	3.8



- The CCA resulted in a null signal therefore resulting in an upper-limit of $9.3 \cdot 10^{-13}$
- The MLA resulted in an upper-limit on N_{SIG} of 1.98 i.e., an upper-limit of $7.5 \cdot 10^{-13}$
NLL is comparable to that of toy MC
- Both results are in good agreement with the toy MC experiments (close to median)





Signal Region



- The CCA resulted in a null signal therefore resulting in an upper-limit of $9.3 \cdot 10^{-13}$
- The MLA resulted in an upper-limit on N_{SIG} of 1.98 i.e., an upper-limit of $7.5 \cdot 10^{-13}$
NLL is comparable to that of toy MC
- The top ranked events from the CCA are shown below. Good agreement between the top ranked MLA and CCA events

Run #	Event #	$\theta_{e\gamma}$ [mrad]	$\phi_{e\gamma}$ [mrad]	E_e [MeV]	E_γ [MeV]	$t_{e\gamma}$ [ns]	r_H	MLA Rank
402458	22	1.3	3.4	52.69	49.51	0.14	4.2	2
401563	1286	-27.7	-2.2	52.97	51.95	-0.11	4.2	1
403059	2406	-13.3	-1.4	52.74	52.01	-0.29	4.3	3
405800	1663	5.2	-31.1	52.67	49.63	-0.06	4.6	-
401603	2718	24.0	-22.8	52.77	49.19	-0.10	4.9	5
405442	9	-30.3	9.9	52.77	49.72	-0.04	4.9	4
401221	892	-14.7	8.7	52.74	49.27	-0.25	5.1	11
401611	2589	-13.5	-0.1	52.74	48.77	0.21	5.1	9
406530	570	9.6	19.6	52.79	49.98	0.21	5.1	13
402692	2734	32.0	-21.8	52.53	51.75	-0.11	5.3	7
-	Typical σ	9	7	0.1	1.1	0.08	-	-
-	Signal	0	0	52.82	52.83	0	-	-

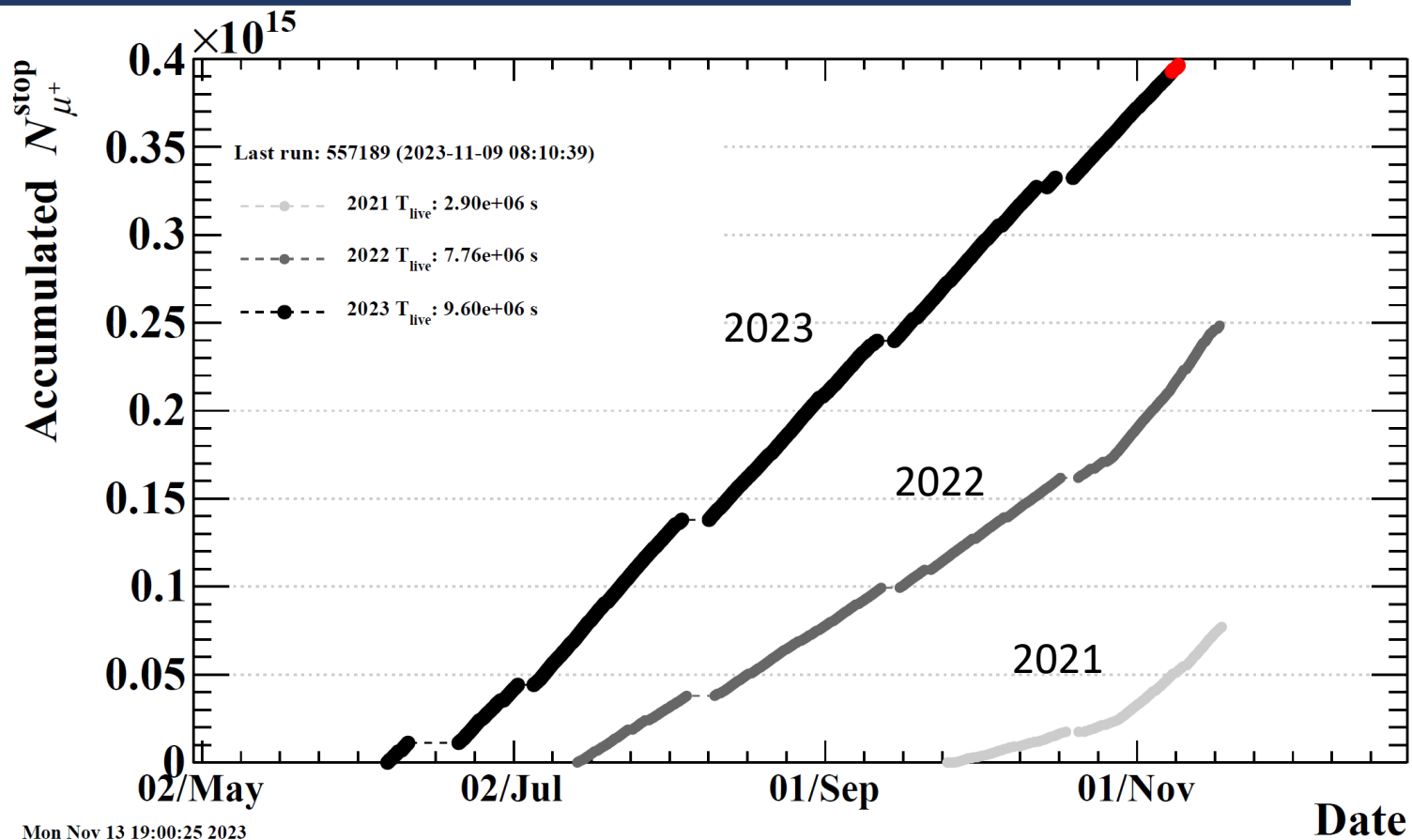
← In-time RDC hit;
Not used in CCA



MEG II Current Status



- Figure shows the effective number of muons accumulated for 2021-2023
- Accumulated data is already 9x that of the 2021 result
- The sensitivity after the full 2023 run (December) should approach the goal of the MEG II experiment, expected to reach a sensitivity of $\sim 9 \times 10^{-14}$





Conclusions



- MEG II collaboration has come a long way in the last few years. In the 2020 engineering run, the drift chamber experienced high currents and only a small fraction of the electronics were available
- In the 2021 physics run, the experiment achieved resolutions comparable to the MEG II design
- Now the 2021-2023 dataset is expected to achieve the most stringent limit on the CLFV $\mu \rightarrow e\gamma$ decay or detect a signal
- Will continue optimizing for 2022,2023 physics analysis. Focus on shortcomings:
 - Optimize the magnetic field calculation/measurements
 - Alternative LXe energy calculations
 - Alternative CDCH track finders
- [Physics paper](#), [Operations paper](#)



Thanks for listening! Questions?

$$N_{e\nu\bar{\nu}} = \frac{N_{e\nu\bar{\nu}}^{\mu}}{P_{e\nu\bar{\nu}}} \cdot \mathcal{B}_{e\nu\bar{\nu}} \cdot f_{e\nu\bar{\nu},*} \cdot T_{e\nu\bar{\nu}} \cdot \epsilon_{TRG}^{e\nu\bar{\nu}} \cdot \epsilon_e^{e\nu\bar{\nu}}$$

$$N_{e\gamma} = \frac{N_{e\gamma}^{\mu}}{P_{e\gamma}} \cdot \mathcal{B}_{e\gamma} \cdot T_{e\gamma} \cdot \epsilon_{TRG}^{e\gamma} \cdot \epsilon_e^{e\gamma} \cdot A_{e\gamma}^{\gamma} \cdot \epsilon_{\gamma}^{e\gamma} \cdot \epsilon_{SEL}^{e\gamma}$$

$$\frac{\mathcal{B}_{e\gamma}}{\mathcal{B}_{e\nu\bar{\nu}}} = \frac{N_{e\gamma}}{N_{e\nu\bar{\nu}}} \cdot \frac{f_{e\nu\bar{\nu},*}}{P_{e\nu\bar{\nu}}} \cdot \frac{\epsilon_{TRG}^{e\nu\bar{\nu}}}{\epsilon_{TRG}^{e\gamma}} \cdot \frac{\epsilon_e^{e\nu\bar{\nu}}}{\epsilon_e^{e\gamma}} \cdot \frac{1}{A_{e\gamma}^{\gamma}} \cdot \frac{1}{\epsilon_{\gamma}^{e\gamma}} \cdot \frac{1}{\epsilon_{SEL}^{e\gamma}}$$

$$SES = \frac{1}{N_{e\nu\bar{\nu}}} \cdot \frac{f_{e\nu\bar{\nu},*}}{P_{e\nu\bar{\nu}}} \cdot \frac{\epsilon_{TRG}^{e\nu\bar{\nu}}}{\epsilon_{TRG}^{e\gamma}} \cdot \frac{\epsilon_e^{e\nu\bar{\nu}}}{\epsilon_e^{e\gamma}} \cdot \frac{1}{A_{e\gamma}^{\gamma}} \cdot \frac{1}{\epsilon_{\gamma}^{e\gamma}} \cdot \frac{1}{\epsilon_{SEL}^{e\gamma}}$$

$$N_{\mu} = N_{e\nu\bar{\nu}} \cdot \frac{P_{e\nu\bar{\nu}}}{f_{e\nu\bar{\nu},*}} \cdot \frac{\epsilon_{TRG}^{e\gamma}}{\epsilon_{TRG}^{e\nu\bar{\nu}}} \cdot \frac{\epsilon_e^{e\gamma}}{\epsilon_e^{e\nu\bar{\nu}}} \cdot A_{e\gamma}^{\gamma} \cdot \epsilon_{\gamma}^{e\gamma} \cdot \epsilon_{SEL}^{e\gamma}$$

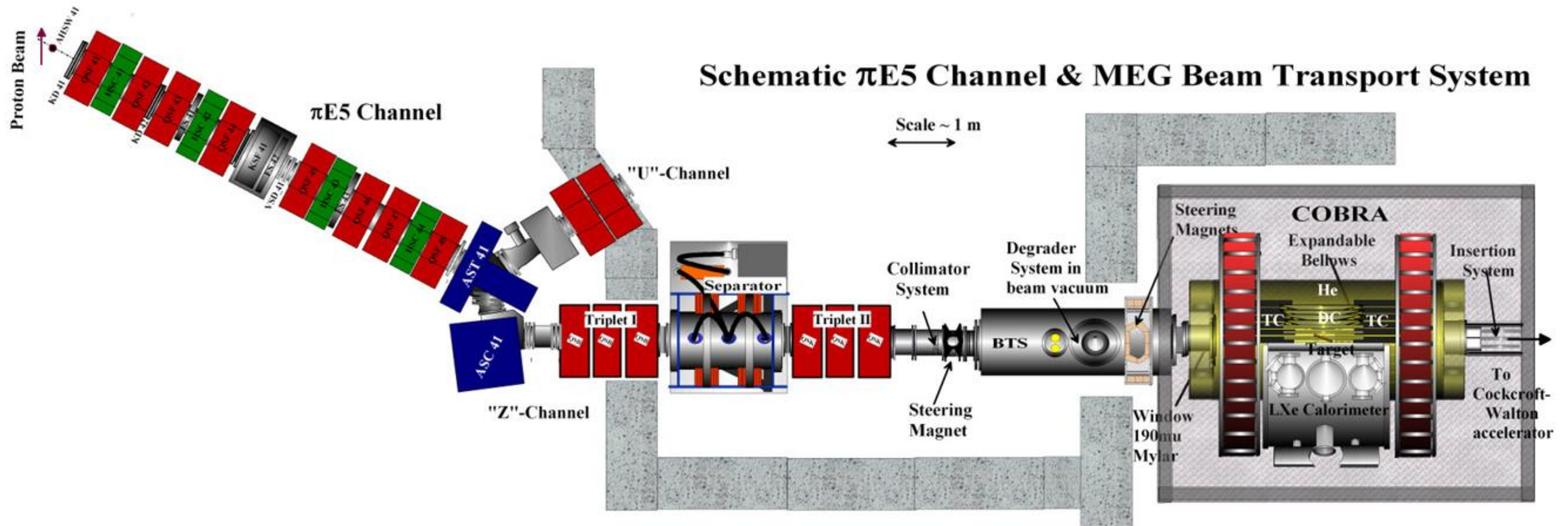
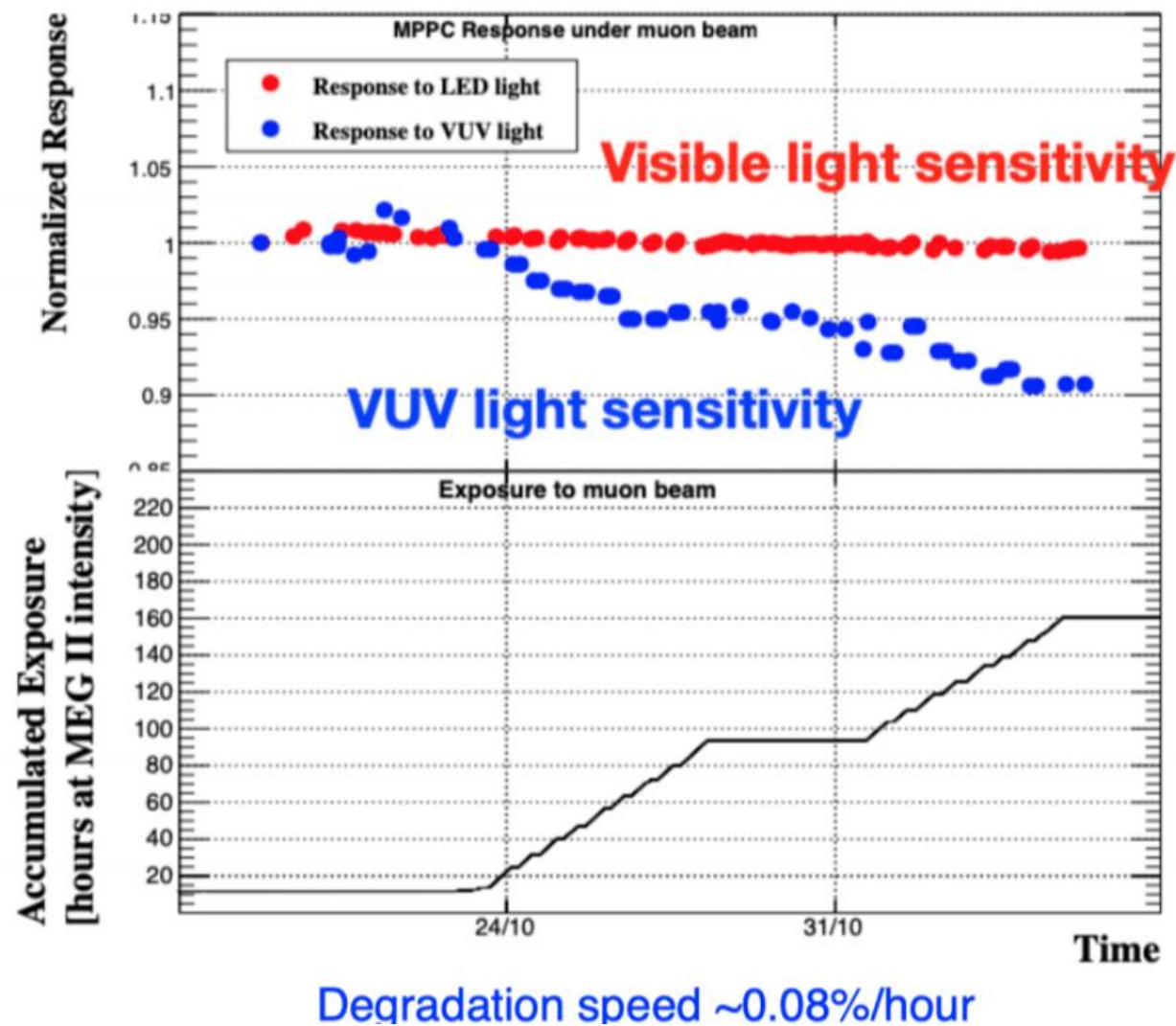
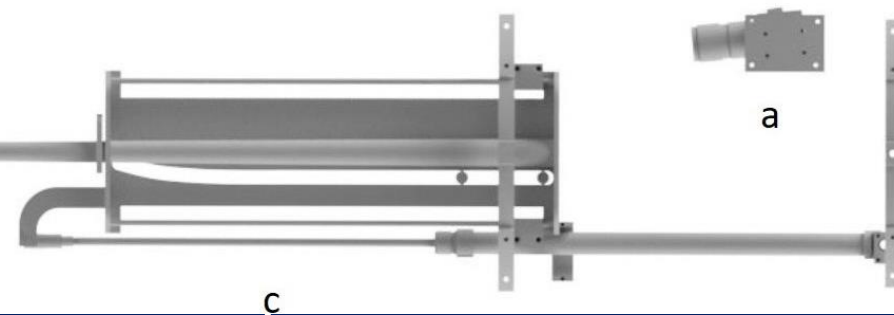
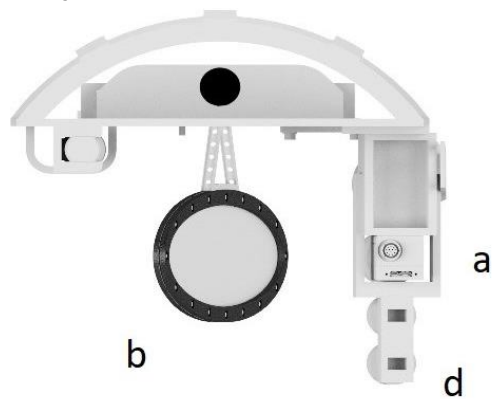
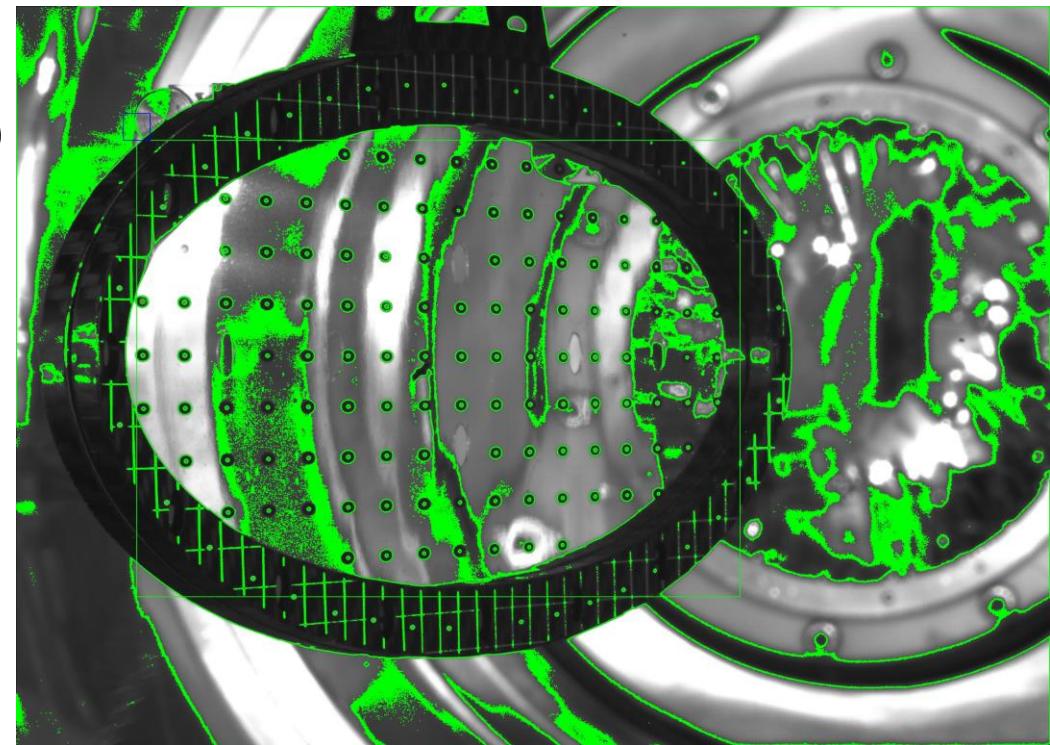


Figure 4 MEG Beam line with the π E5 channel and MEG detector system incorporated in and around the COBRA magnet.

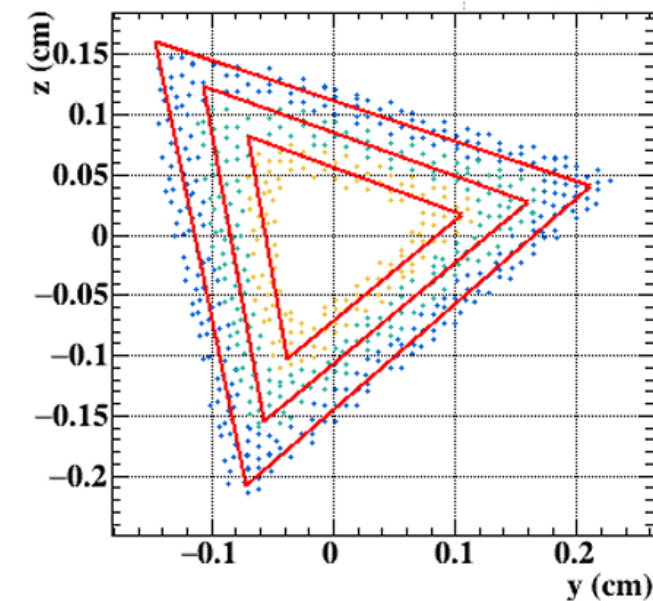
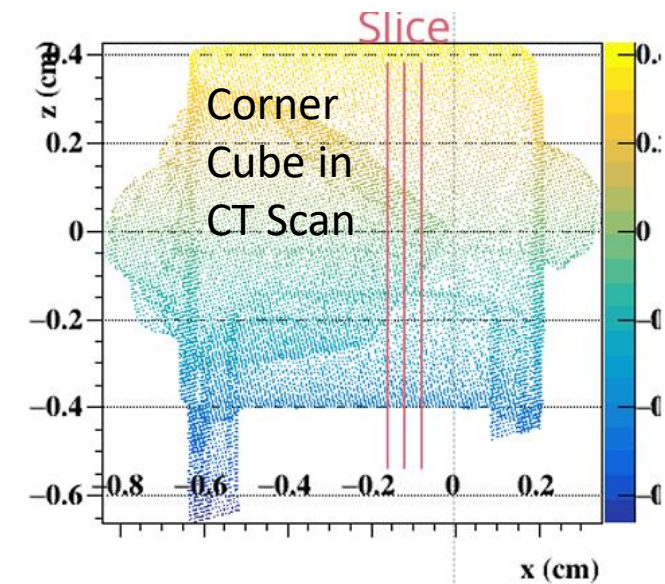
- Anneal MPPCs every year in order to recover MPPC quantum efficiency
- Quantum efficiency degrades with beam exposure
- Likely related to removing a protective coating, removed to absorb VUV light on MPPCs
- Anneal using Joule method: i.e. applying high current



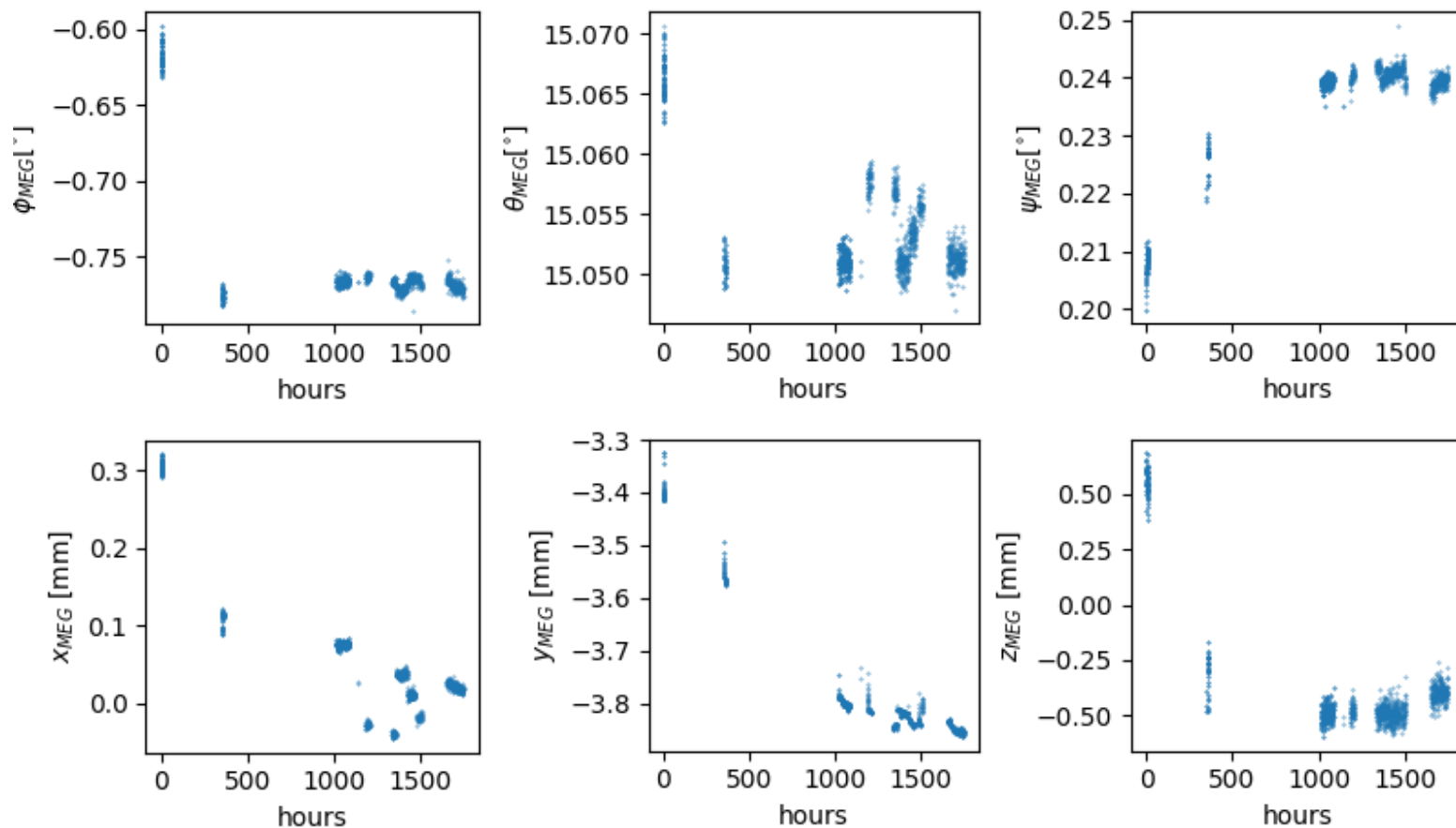
- Expect target motion on a short time scale e.g., following target insertions/extractions (LXe calibrations)
- ~120 dots printed on target surface; imaged by photographic camera ~1.2 m from target
- Image analysis code measures dot coordinates on the CCD
- Fit for the 3D target position, rotation, shape using projection equations: $X_{CCD} = \frac{f * X_{CAM}}{Z_{CAM} - f}$
- Analysis requires relative CDCH-target position



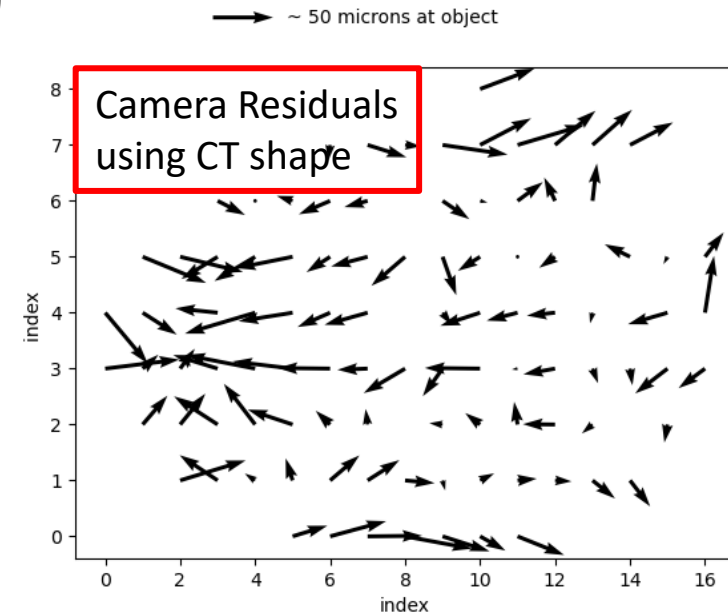
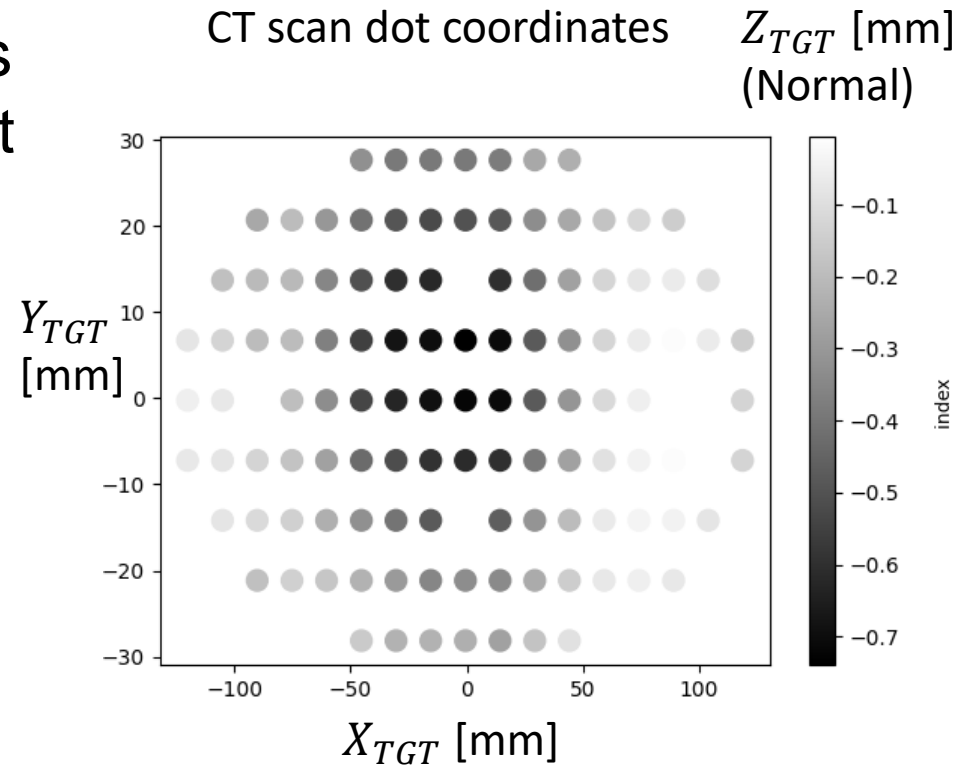
- Three optical corner cubes on the target frame
- Optical survey provides the corner position in relative to detectors (CDCH, LXe, etc.)
- Target CT scan provides the relative coordinates of the target foil/corner cubes in a nominal coordinates system
- Combination yields the relative position of the target foil with respect to the detectors at the time of the survey



- Rigid body 6-parameter transformation: survey → MEG data start (0 → 1000 h)
- ~600 μm shifts normal to the target surface:
 $\cos(15^\circ)X_{MEG} + \sin(15^\circ)Z_{MEG}$
- Unknown origin, but significant work in area
- Reminder:
600 μm → ~7 mrad φ_e error
- Small shifts of ~ 50 μm with insertions/extractions

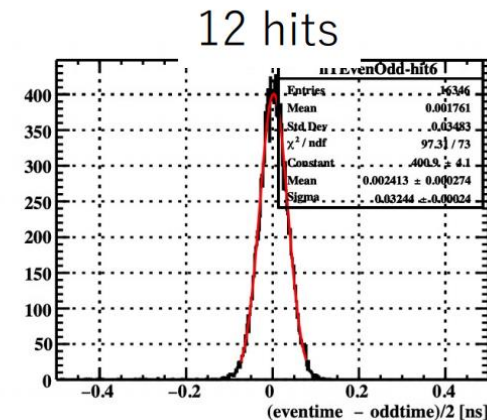
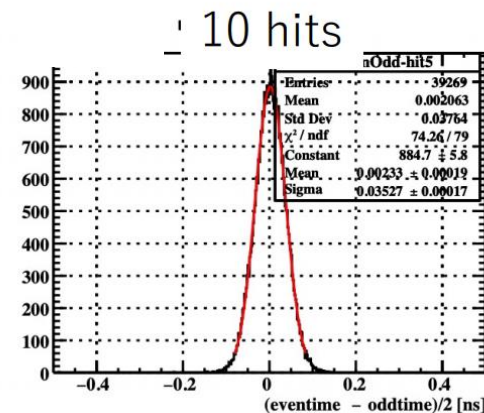
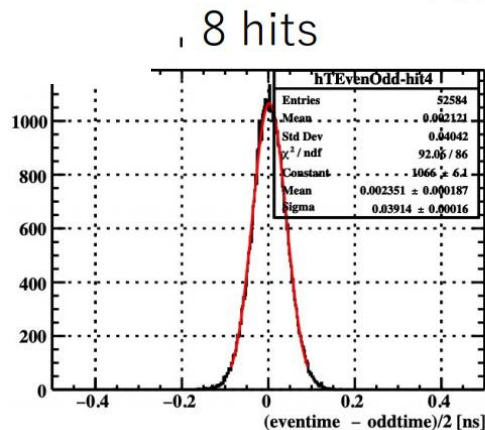
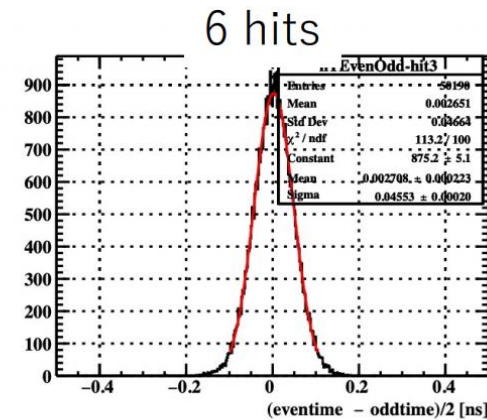
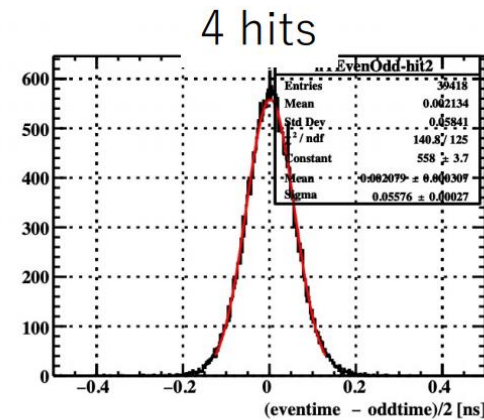
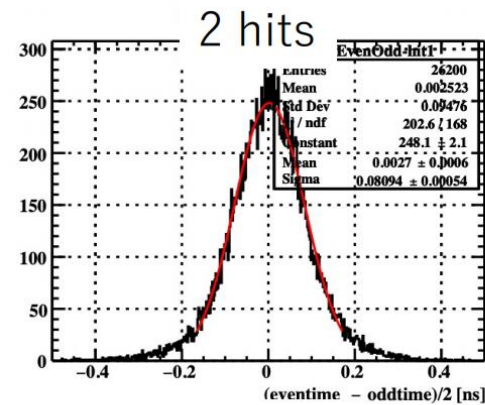


- CT scan and camera analysis shape agree within $\sim 50 \mu\text{m}$ at all points on the surface
- Implement target into MEG analysis framework by tessellating the deformation into an array of triangular faces
- Propagate positrons to tessellation



- pTC $\sigma_{t_{e^+}}$ estimated by comparing time of even/odd ordered hits in the same “cluster” of SPX hits

- Fit for $\sigma_{t_{e^+}}(N_{TC}) = \frac{112}{\sqrt{N_{TC}}}$
- Signal $e^+ \langle N_{TC} \rangle \sim 9$



Kinematics/ Core σ	MEG I	MEG II Goal	MEG II 2021
t_{e^+} (ps)	70	30	37



Positron Analysis

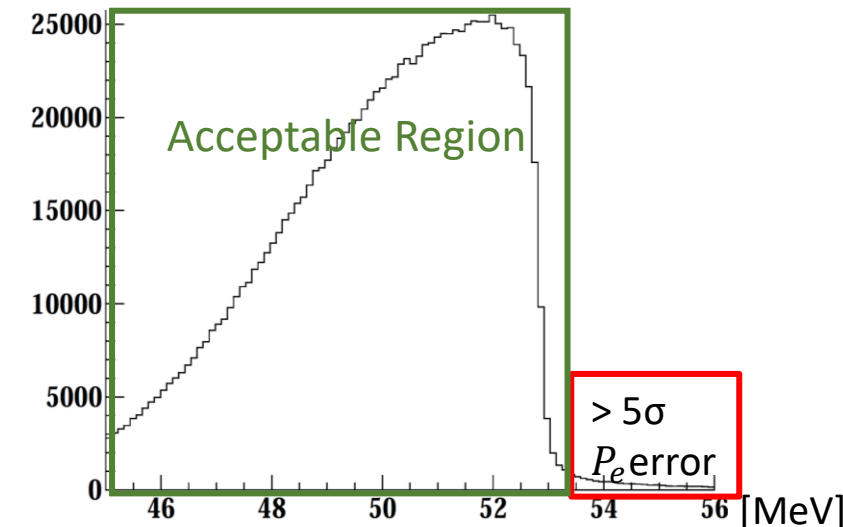


Physics Analysis

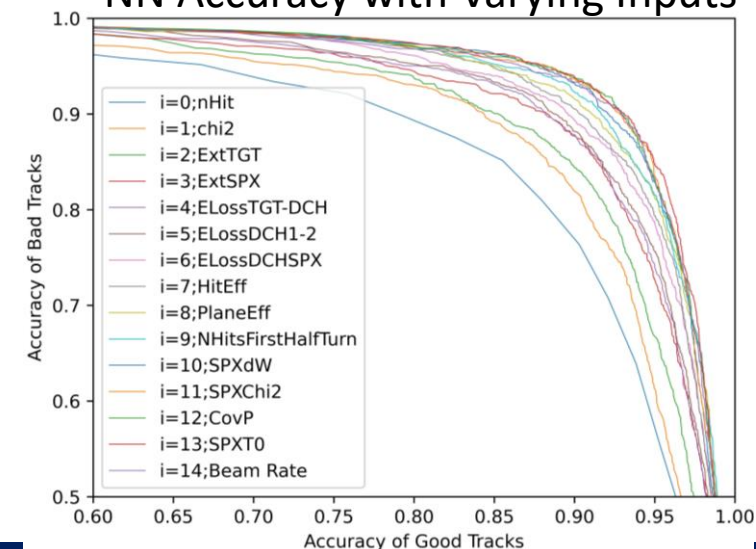


- Goal: detect the $\mu^+ \rightarrow e^+ \gamma$ signal or calculate an upper-limit on BR of $\mu^+ \rightarrow e^+ \gamma$ using $E_\gamma, E_e, \varphi_{e\gamma}, \theta_{e\gamma}, t_{e\gamma} + (t_{RDC-LXE}, E_{RDC})$
- Two **blind** physics analyses discussed in next few slides:
 - Cut and count analysis (2 separate analyses)
 - Maximum likelihood analysis (2 separate analyses)
- Common requirements:
 - **Calibrations, alignments, noise suppression**
 - **Positron/photon selection**
 - **Kinematic resolution estimates**
 - Correlations between kinematics
 - Both opt to include event-by-event information
 - **Estimates of background rates/distributions**

NN Track Selection Trained Directly On Data
To Remove Mismeasured Tracks



NN Accuracy with Varying Inputs



- The double turn analysis also extracts correlations between kinematic variables
- Some are not accessible in the data and thus rely on MC
- Correlations:

$$\delta\phi = [p_0^\phi + p_1^\phi \cdot \tan(\phi)] \cdot \delta E^*$$

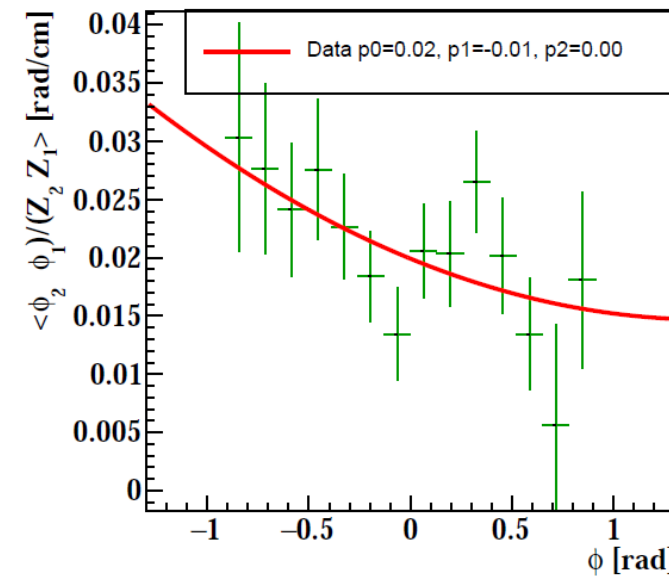
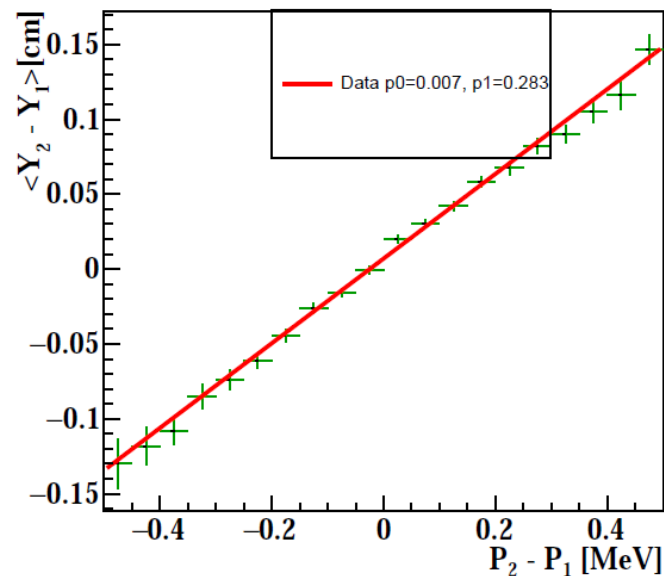
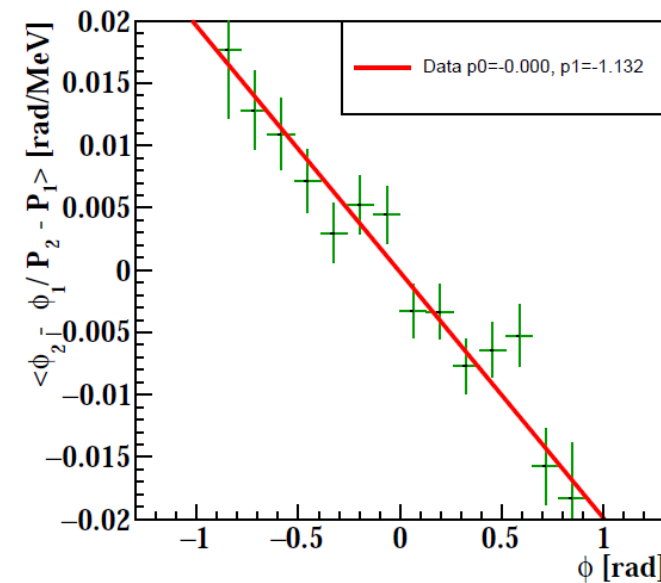
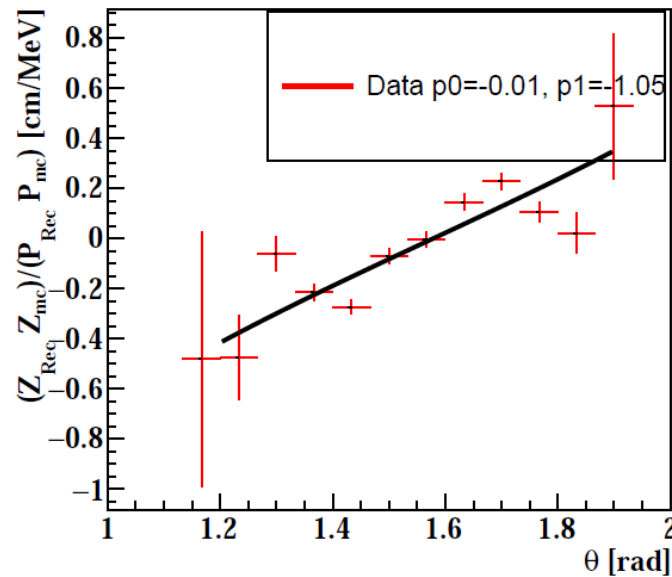
$$\delta Y = p_0^Y + p_1^Y \cdot \delta E^*$$

$$\delta Z = [p_2^Z + p_3^Z \cdot \cot(\theta)] \cdot \delta E^*$$

$$\delta Z = p_0^Z + p_1^Z \cdot \delta\theta$$

$$\delta\phi = [p_5^\phi + p_6^\phi \cdot \phi + p_7^\phi \cdot \phi^2] \cdot \delta Z^*$$

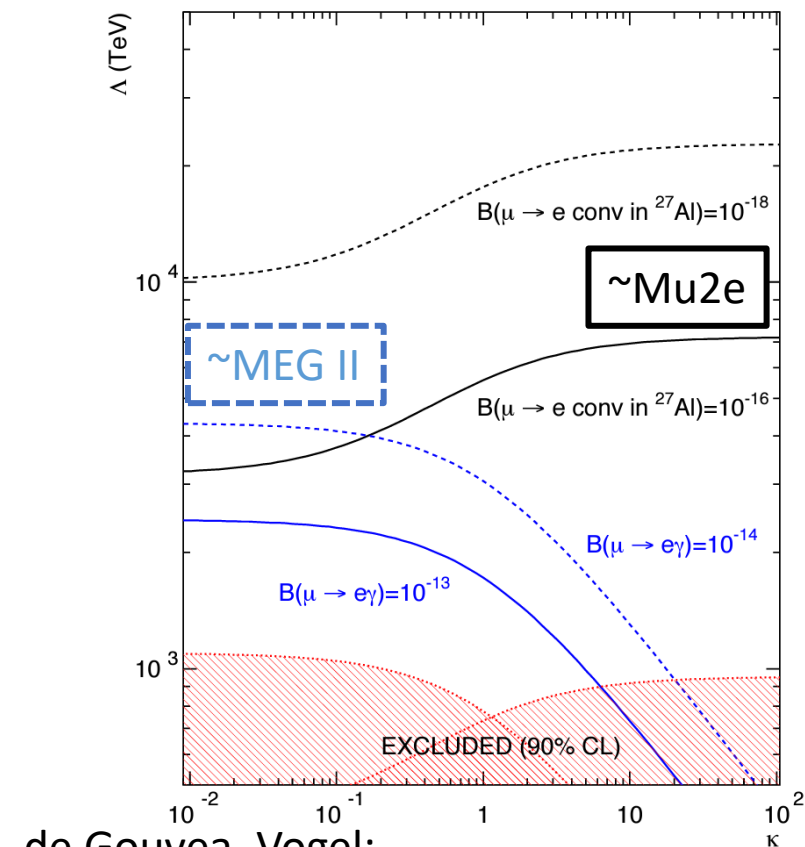
$$\delta\phi = [p_2^\phi + p_3^\phi \cdot \phi + p_4^\phi \cdot \phi^2] \cdot \delta\theta$$



- Model-independent effective Lagrangian with two types of theoretical models
- If (e.g. SUSY, $\kappa \ll 1$):
 $BR(\mu \rightarrow e\gamma) \sim BR(\mu N \rightarrow eN)/\alpha$
- If (e.g. leptoquarks, $\kappa \gg 1$):
 $\mu N \rightarrow eN$ is at tree level and $\mu \rightarrow e\gamma$ is at loop level
- Mu2e reaches far lower sensitivities in the quark-lepton coupling models
- MEG II and Mu2e are synergetic: in $\kappa \ll 1$ models the two will have a comparable sensitivity (if MEG II sees a signal, Mu2e should too)

$$\mathcal{L}_{\text{CLFV}} = \frac{m_\mu}{(\kappa + 1)\Lambda^2} \bar{\mu}_R \sigma_{\mu\nu} e_L F^{\mu\nu} + h.c.$$

$$\frac{\kappa}{(1 + \kappa)\Lambda^2} \bar{\mu}_L \gamma_\mu e_L (\bar{u}_L \gamma^\mu u_L + \bar{d}_L \gamma^\mu d_L) + h.c..$$



de Gouvea, Vogel:

<https://doi.org/10.1016/j.pnpnp.2013.03.006>



Backup: XEC Calibrations



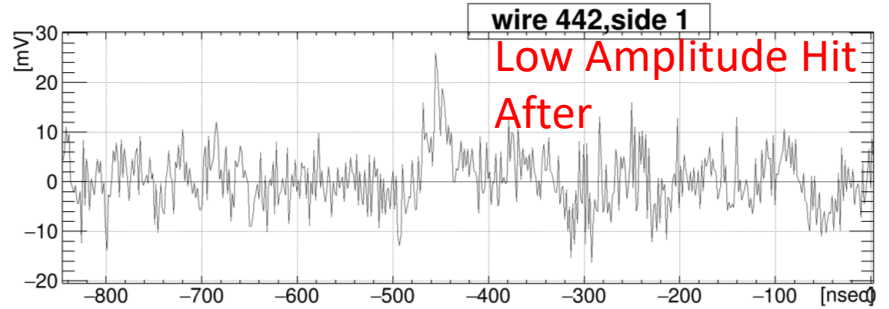
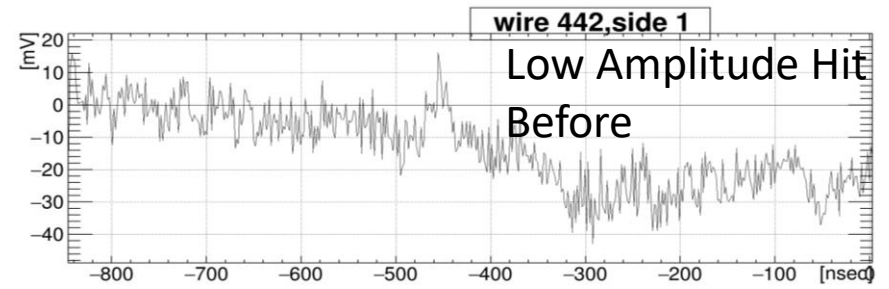
Process		Energy	Main Purpose	Frequency
Cosmic rays	μ^\pm from atmospheric showers	Wide spectrum $O(\text{GeV})$	LXe-CDCH relative position LXe purity	Annually On demand
Charge exchange	$\pi^- p \rightarrow \pi^0 n$ $\pi^0 \rightarrow \gamma\gamma$	55, 83, 129 MeV photons	LXe energy scale/resolution	Annually
Radiative μ -decay	$\mu^+ \rightarrow e^+ \nu \bar{\nu} \gamma$	Photons >40 MeV, Positrons >45 MeV	LXe-pTC relative timing	Continuously
Proton accelerator	${}^7\text{Li}(p, \gamma){}^8\text{Be}$ ${}^{11}\text{B}(p, \gamma){}^{12}\text{C}$	14.8, 17.6 MeV photons 4.4, 11.6, 16.1 MeV photons	LXe uniformity/purity LXe-pTC timing	Weekly Weekly
Neutron generator	${}^{58}\text{Ni}(n, \gamma){}^{59}\text{Ni}$	9 MeV photons	LXe energy scale	Weekly
Radioactive source	${}^{241}\text{Am}(\alpha, \gamma){}^{237}\text{Np}$	5.5 MeV α 's	LXe PMT/SiPM calibration LXe purity	Weekly
Radioactive source	${}^9\text{Be}(\alpha_{{}^{241}\text{Am}}, n){}^{12}\text{C}^*$ ${}^{12}\text{C}^*(\gamma){}^{12}\text{C}$	4.4 MeV photons	LXe energy scale	On demand
Radioactive source	${}^{57}\text{Co}(\text{EC}, \gamma){}^{57}\text{Fe}$	136 (11 %), 122 keV (86 %) X-rays	LXe-spectrometer alignment	Annually
LED		UV region	LXe PMT/SiPM calibration	Continuously



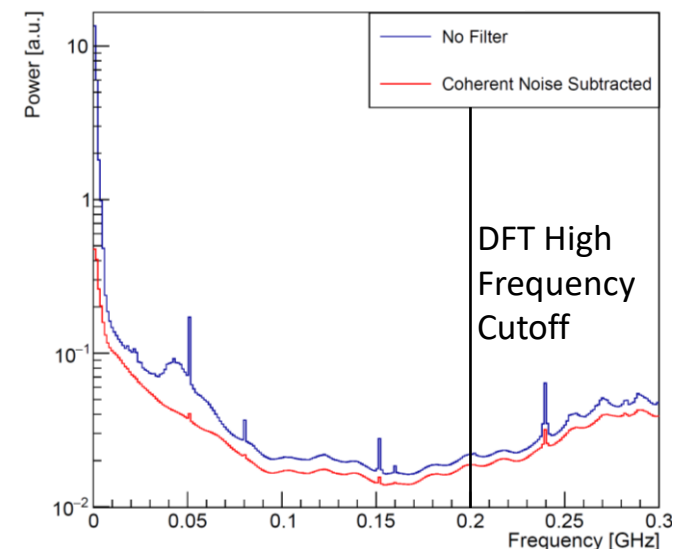
CDCH Waveform Analysis: Noise Suppression



- Observed low frequency noise on the CDCH waveforms coherent over entire electronics chips
- Developed algorithms to suppress noise by averaging the voltage bin-by-bin/chip away from signals
- **Noise suppression is critical to improving hit efficiency and improving track space-point measurements**



Noise Spectra

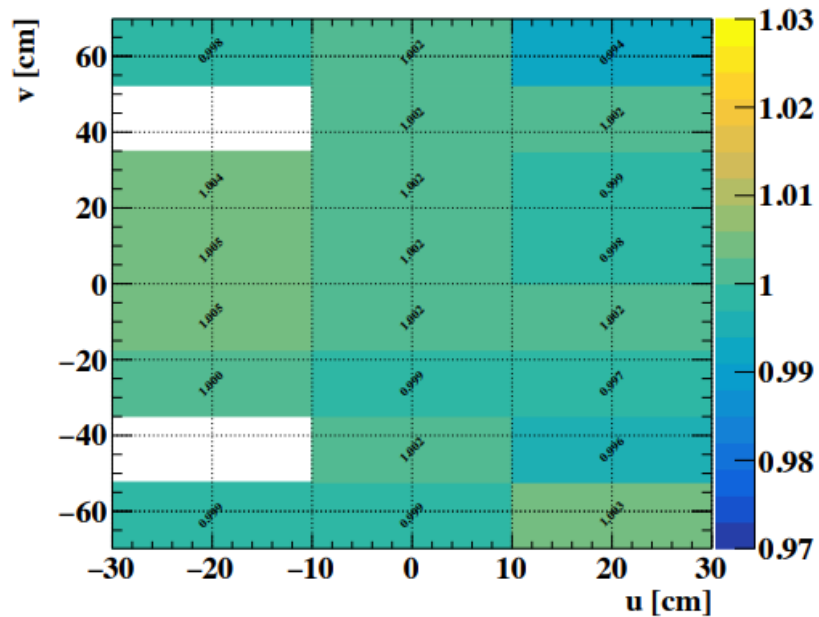




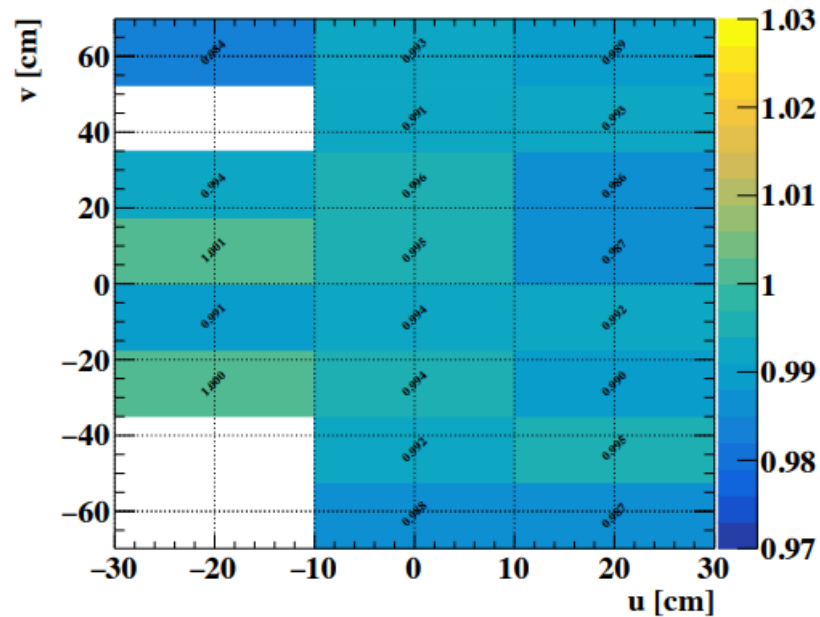
Backup: XEC Energy Calibration



CEX 55 MeV ($w < 2$)



CEX 83 MeV ($w < 2$)



CW 17.6 MeV ($w < 2$)

