

LUT (preliminary)

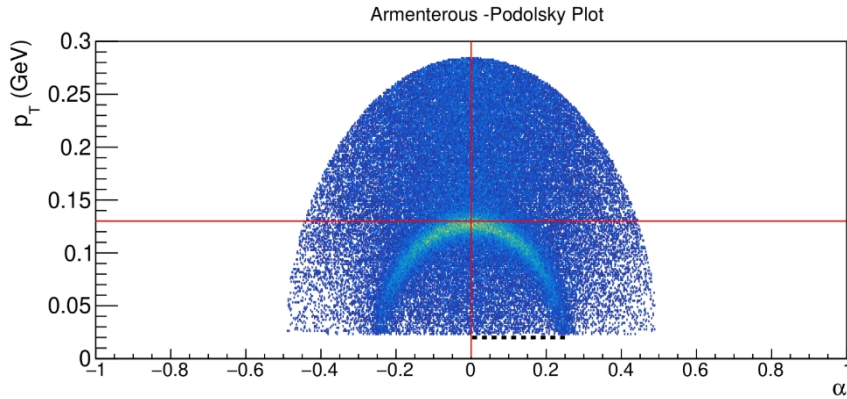
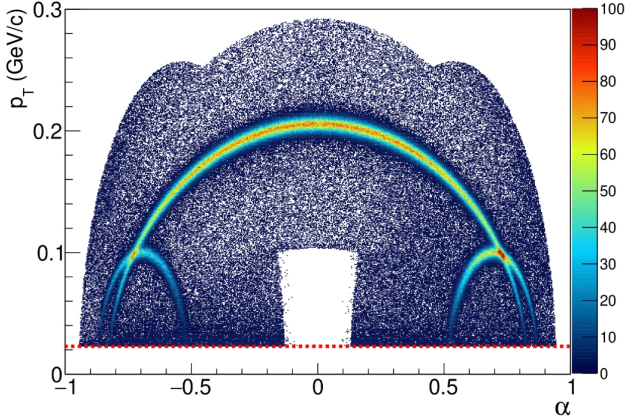
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Use of RICH matrix (an example: COMPASS)

$$\epsilon(j \rightarrow i) = \frac{N(j \rightarrow i)}{N(j)}$$

$$M_{RICH} = \begin{pmatrix} \epsilon(\pi \rightarrow \pi) & \epsilon(\pi \rightarrow K) & \epsilon(\pi \rightarrow p) & \epsilon(\pi \rightarrow X) \\ \epsilon(K \rightarrow \pi) & \epsilon(K \rightarrow K) & \epsilon(K \rightarrow p) & \epsilon(K \rightarrow X) \\ \epsilon(p \rightarrow \pi) & \epsilon(p \rightarrow K) & \epsilon(p \rightarrow p) & \epsilon(p \rightarrow X) \end{pmatrix}$$

$$\vec{T}_h = M_{RICH}^{-1} \cdot \vec{I}_h$$



	π	K
mom	$p > p_{\pi,thr}$	$p > p_{K,thr}$
LH(i)/LH(π)	-	1.08
LH(i)/LH(K)	1.0	-
LH(i)/LH(P)	1.0	1.0
LH(i)/LH(Bkg)	1.0	1.24

Our LUT

$$M_{RICH} = \begin{pmatrix} \epsilon(\pi \rightarrow \pi) & \epsilon(\pi \rightarrow K) & \epsilon(\pi \rightarrow p) & \epsilon(\pi \rightarrow X) \\ \epsilon(K \rightarrow \pi) & \epsilon(K \rightarrow K) & \epsilon(K \rightarrow p) & \epsilon(K \rightarrow X) \\ \epsilon(p \rightarrow \pi) & \epsilon(p \rightarrow K) & \epsilon(p \rightarrow p) & \epsilon(p \rightarrow X) \end{pmatrix}$$

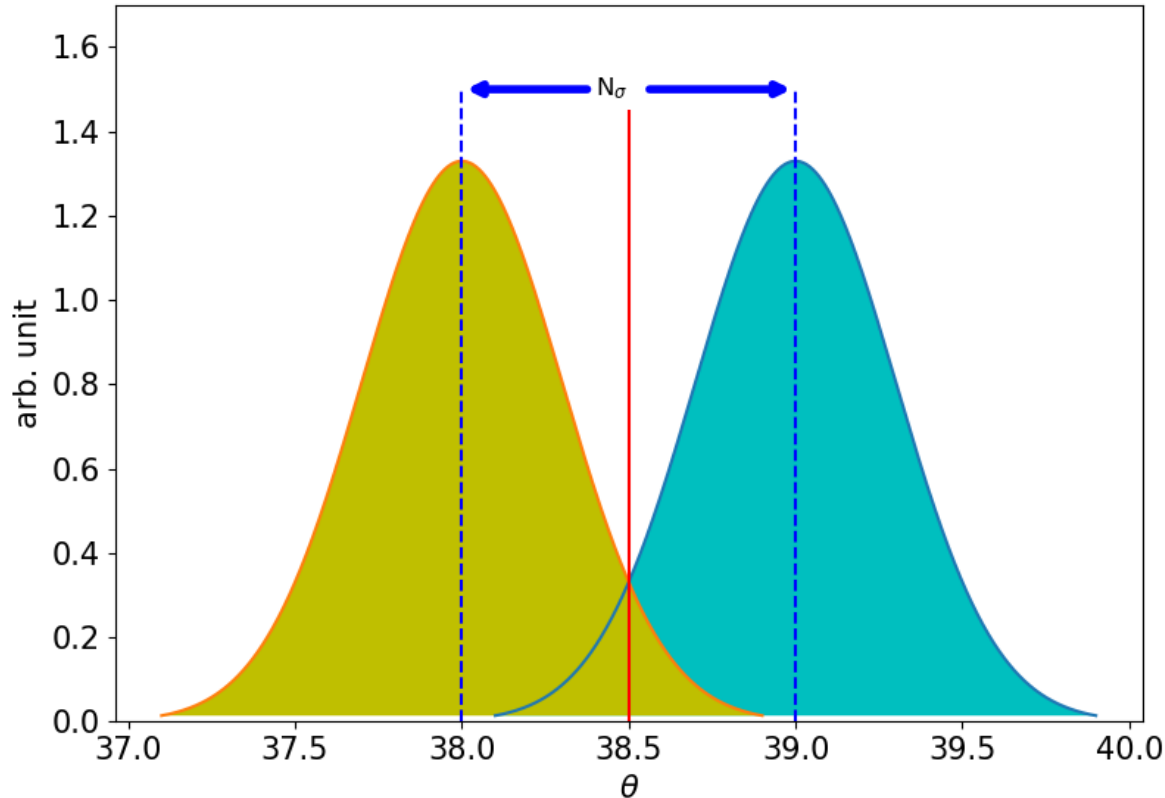
Probabilities will depend on which mass hypothesis are added!

For cases where RICH is asked to identify electrons: pion identification probability drops in high momentum!

To know

- Old aerogel
- Nominal dRICH geometry
- No noise
- Only 3 eta Bins
- No azimuth
- One file for each radiator with e/h and one file for pi/K/P
- 4 files in total
- **Time consuming!! We are using full ePIC chain**
- Thanks to Brian we are using delphes (modified version) to create LUT

DELPHES Computation



- Sigma values are estimated from simulation.
- Refractive index is computed from simulation.
- Central values are estimated by DELPHES to apply a separation cut in the middle.

Expected fraction within:

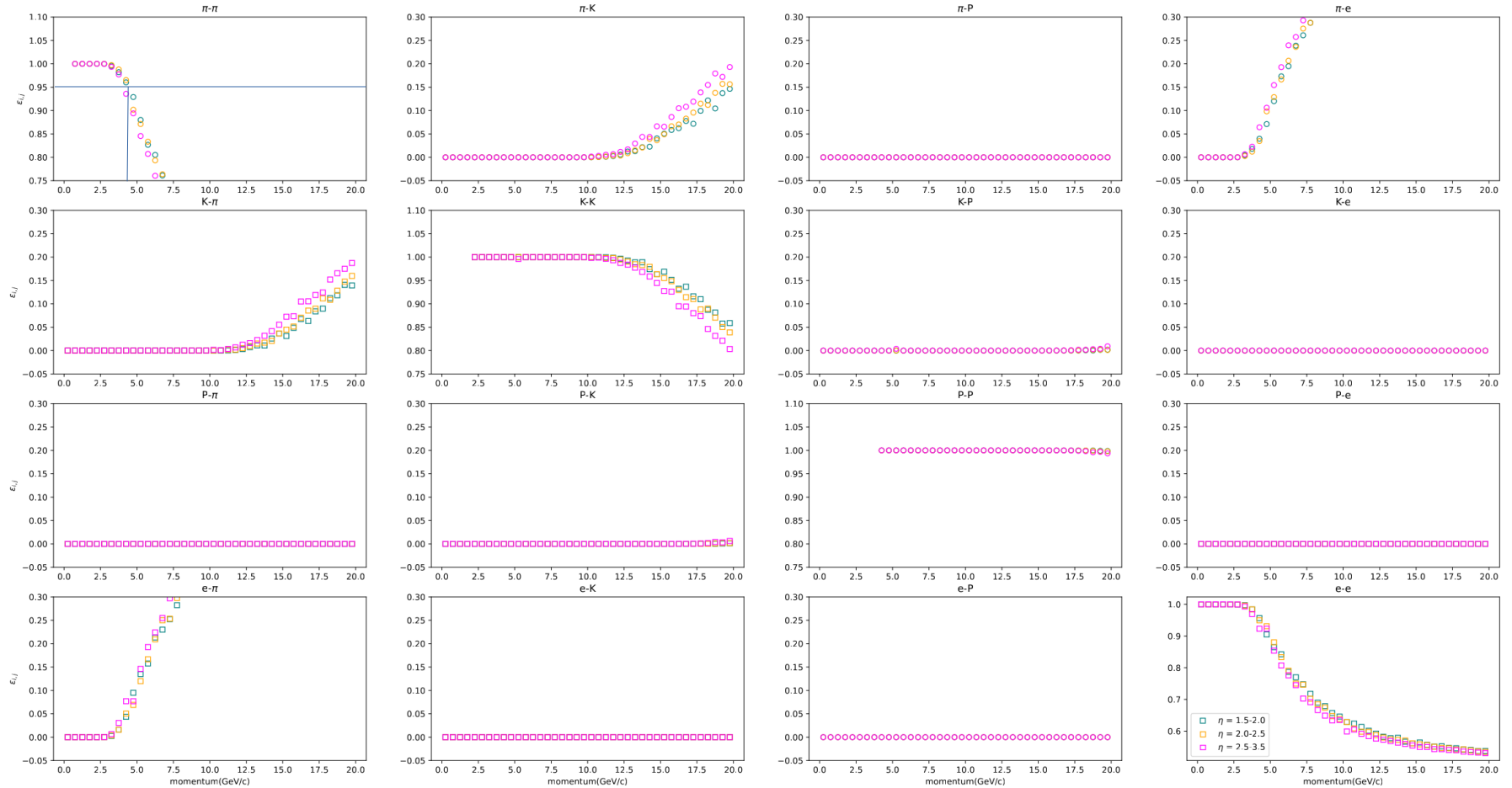
$$\mu \pm x\sigma = \text{erf}\left(\frac{x}{\sqrt{2}}\right) \quad (1)$$

Expected fraction outside:

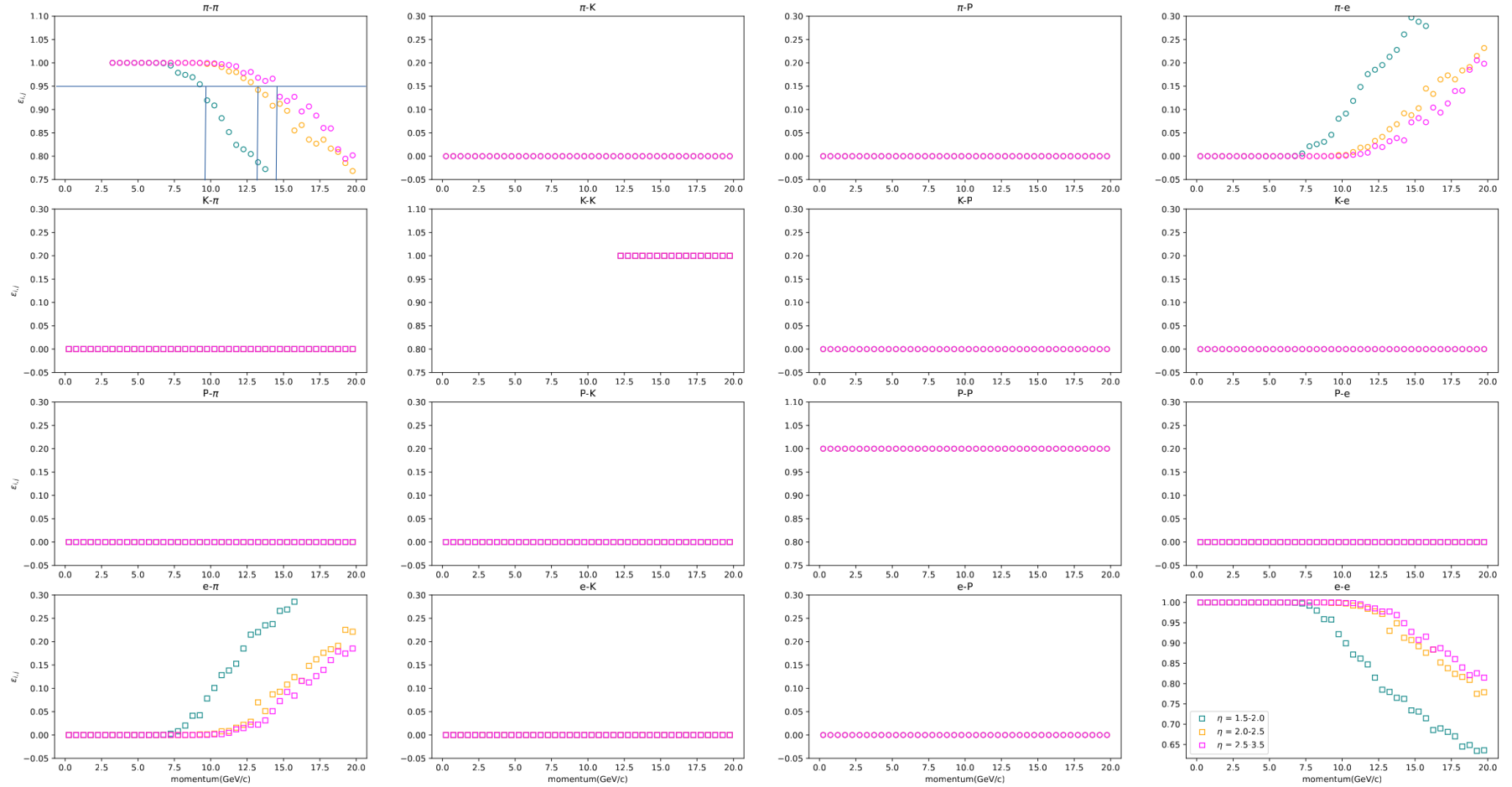
$$\mu \pm x\sigma = 1 - \text{erf}\left(\frac{x}{\sqrt{2}}\right) = \text{erfc}\left(\frac{x}{\sqrt{2}}\right) \quad (2)$$

Pion to pion identification with 95% efficiency corresponds to $\text{erfc} = 0.1$.
Roughly, $x = 1.64$.

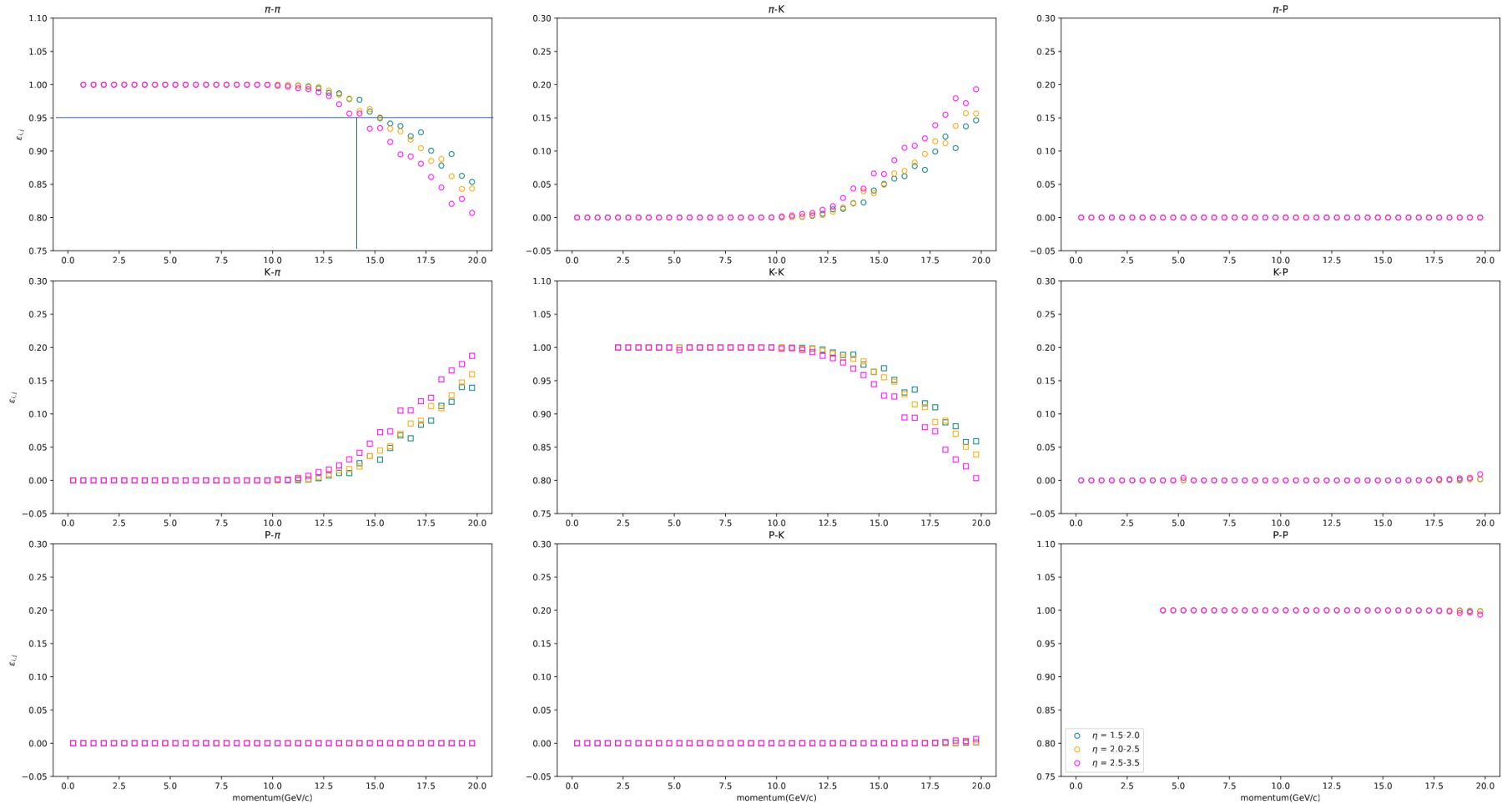
Aerogel e/h



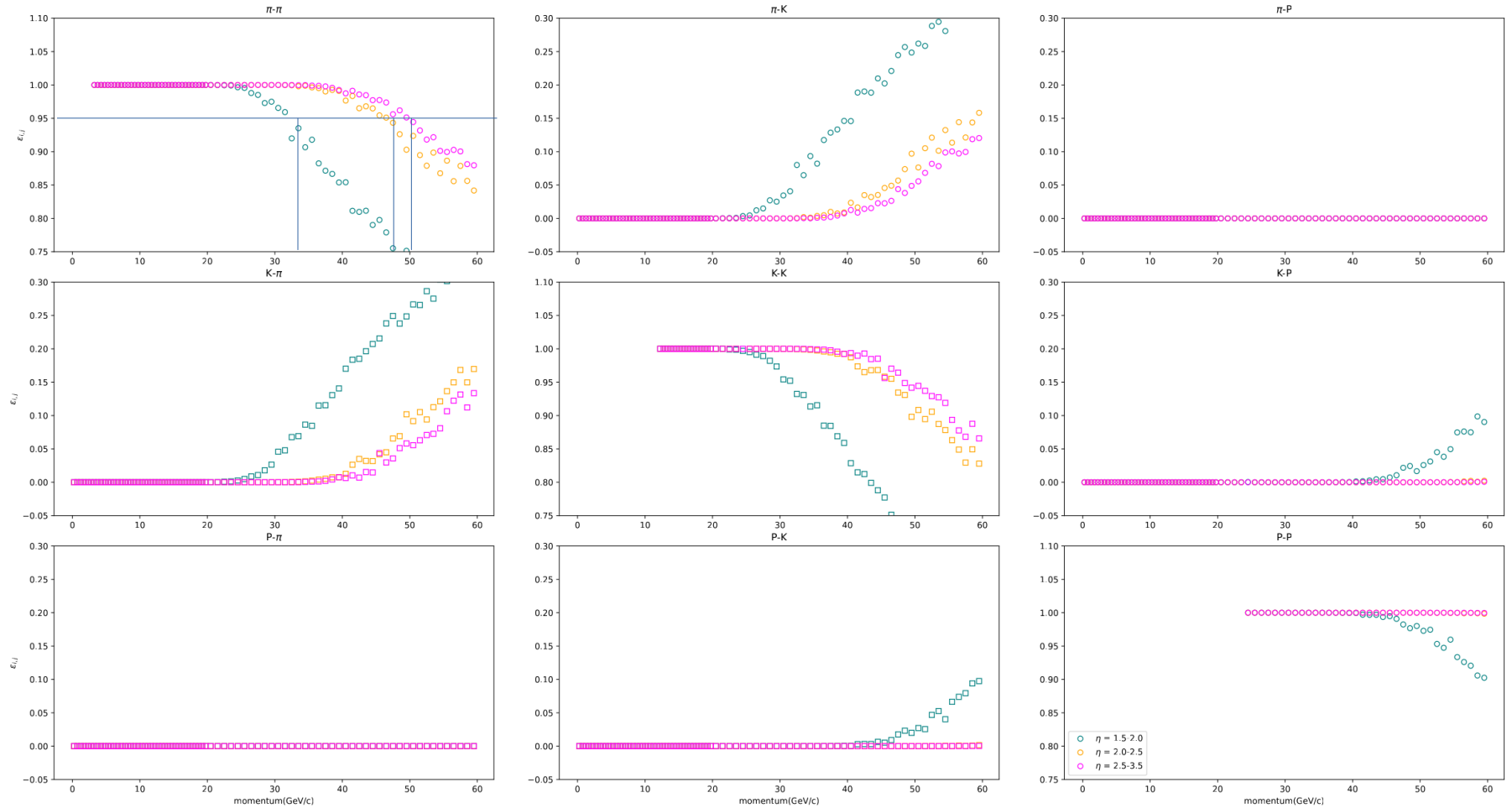
gas e/h



aerogel pi/K/P



gas pi/K/P



Consistency with Nsigma separation

