

HET SEMINAR, BROOKHAVEN NATIONAL LABORATORY

LHC PHYSICS AT NNLO+PS ACCURACY WITH MiNNLOPs

SILVIA ZANOLI - University of Oxford
14th November 2024



UNIVERSITY OF
OXFORD

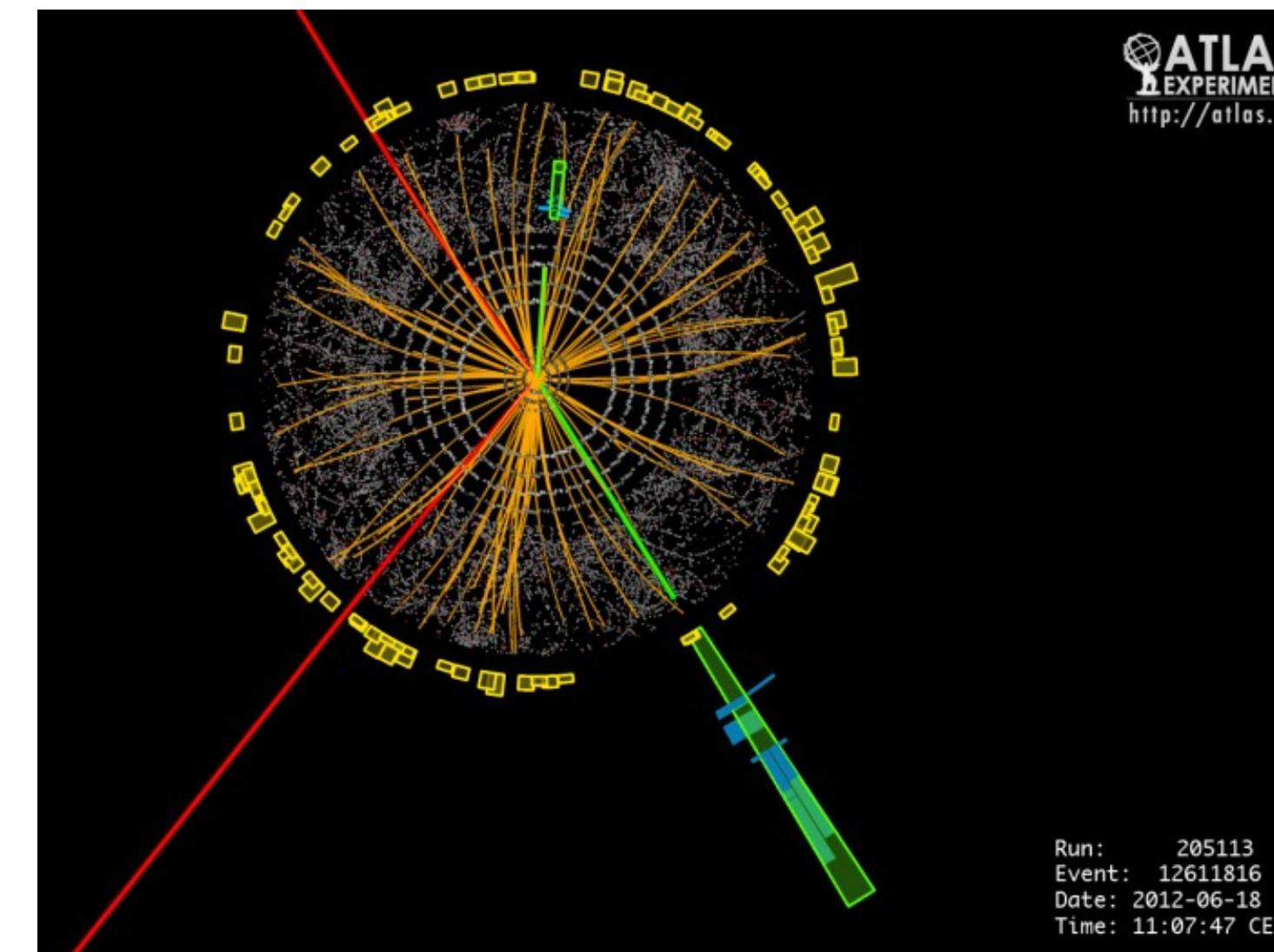
1. MOTIVATION

AN AMBITIOUS TASK

THEORY

$$\begin{aligned}\mathcal{L} = & -\frac{1}{4} F_{\mu\nu} F^{\mu\nu} \\ & + i \bar{\psi} D_\mu \psi \\ & + Y_i Y_{ij} Y_j \phi + h.c. \\ & + |\partial_\mu \phi|^2 - V(\phi)\end{aligned}$$

EXPERIMENTAL DATA



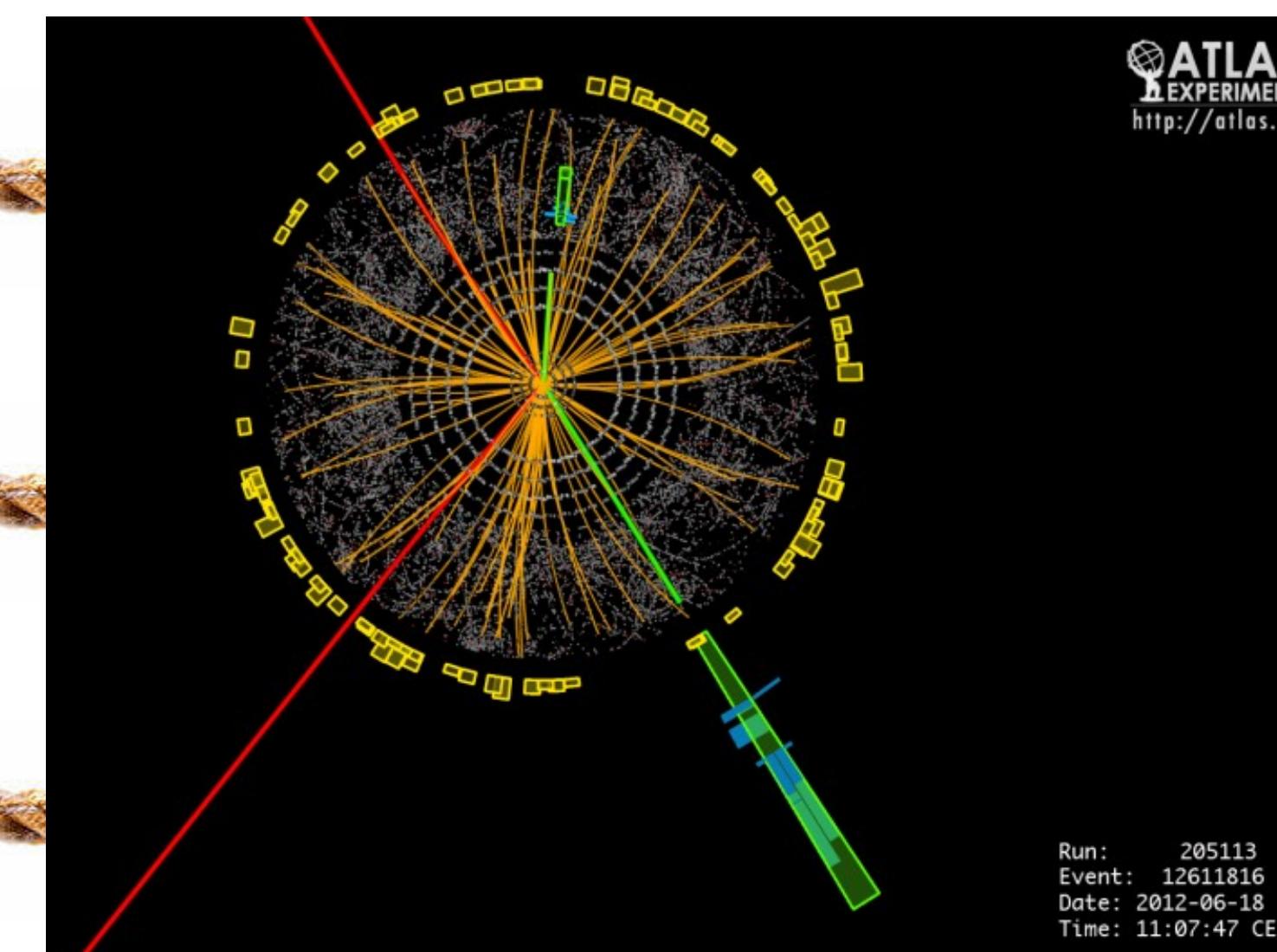
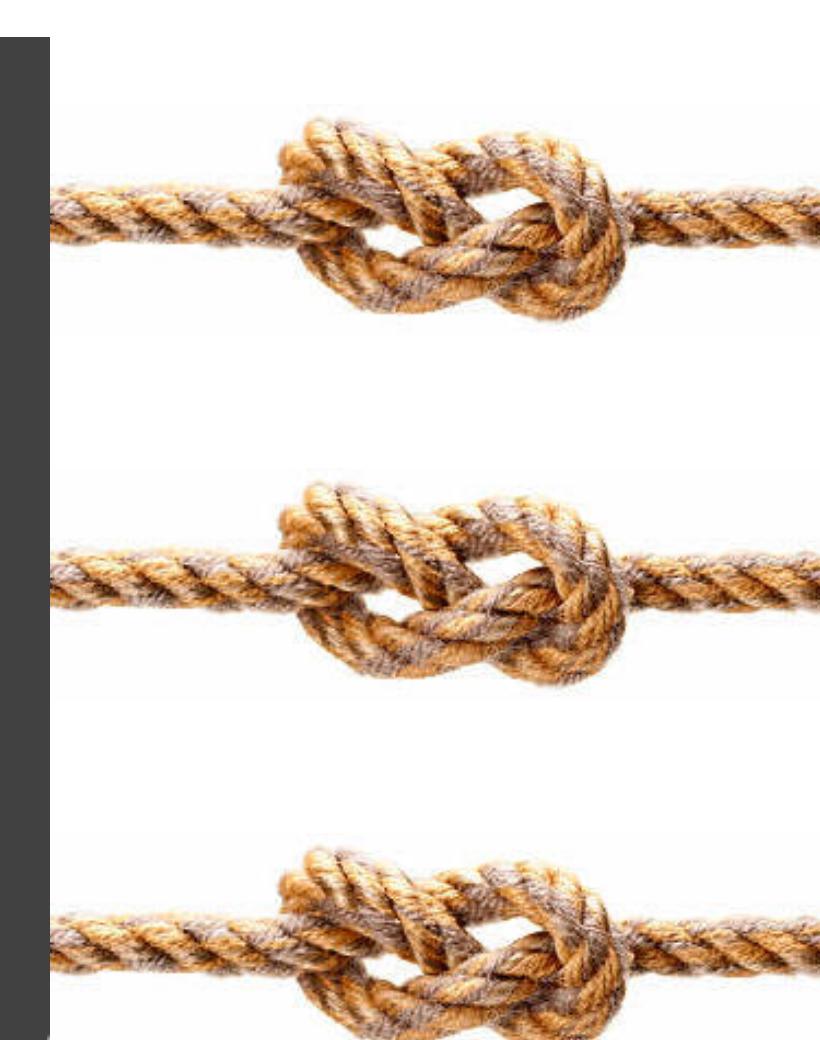
AN AMBITIOUS TASK

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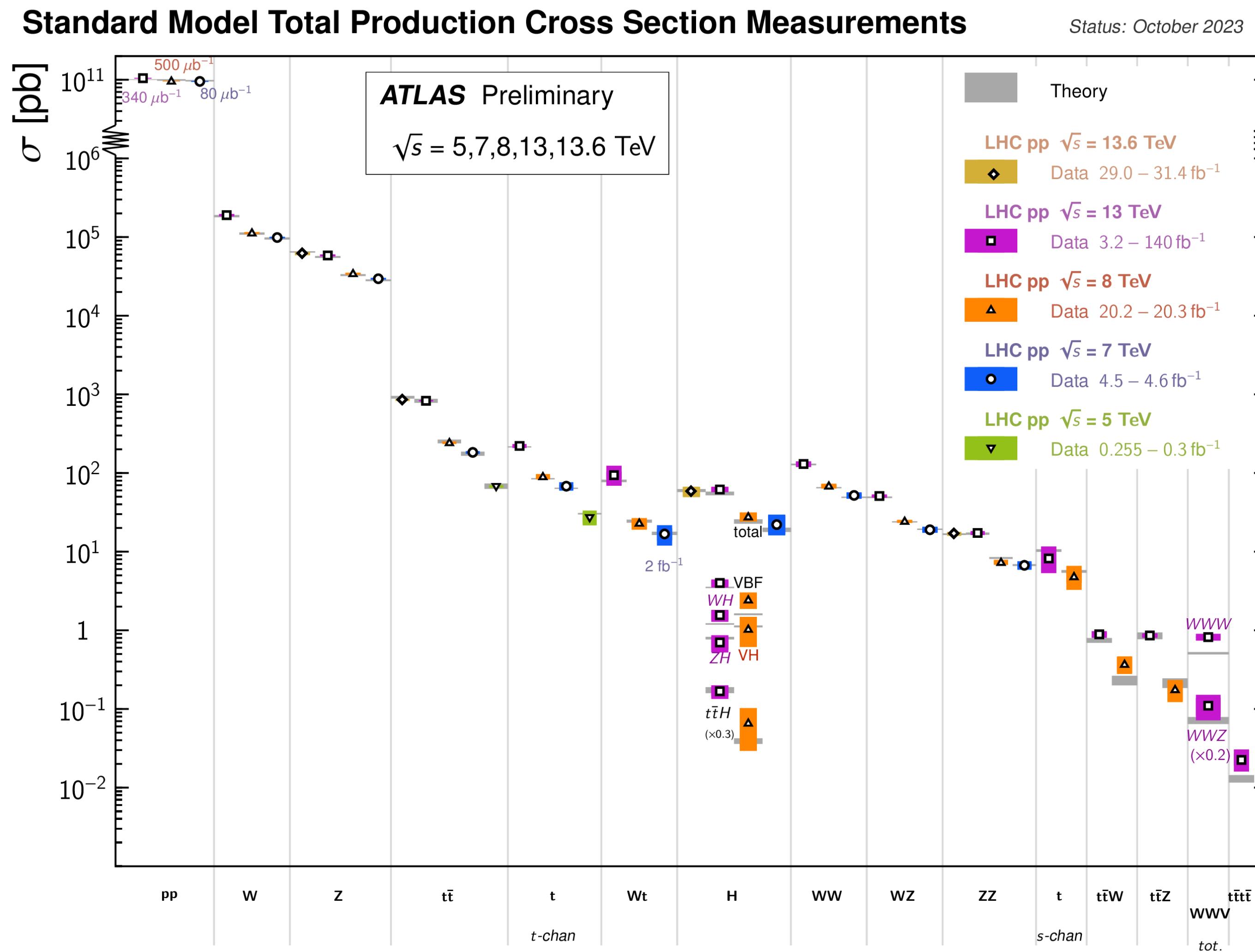
EXPERIMENTAL DATA



=

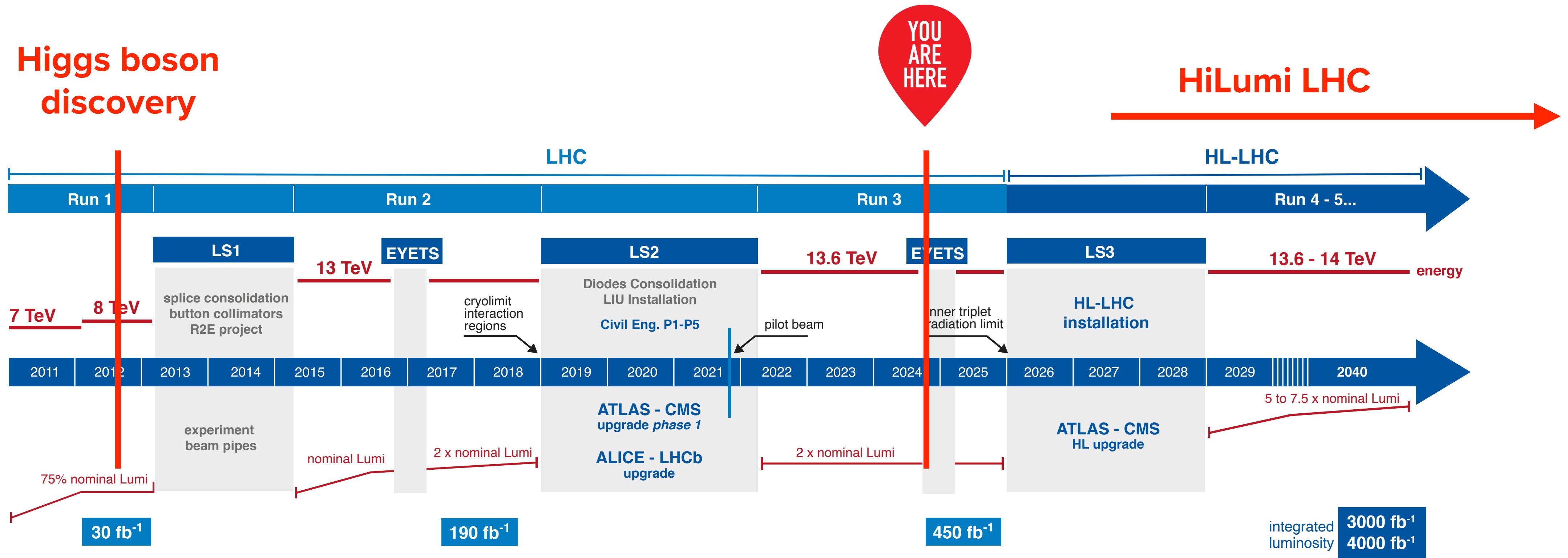
PRECISE AND REALISTIC
THEORETICAL PREDICTIONS

THE SUCCESS OF THE STANDARD MODEL



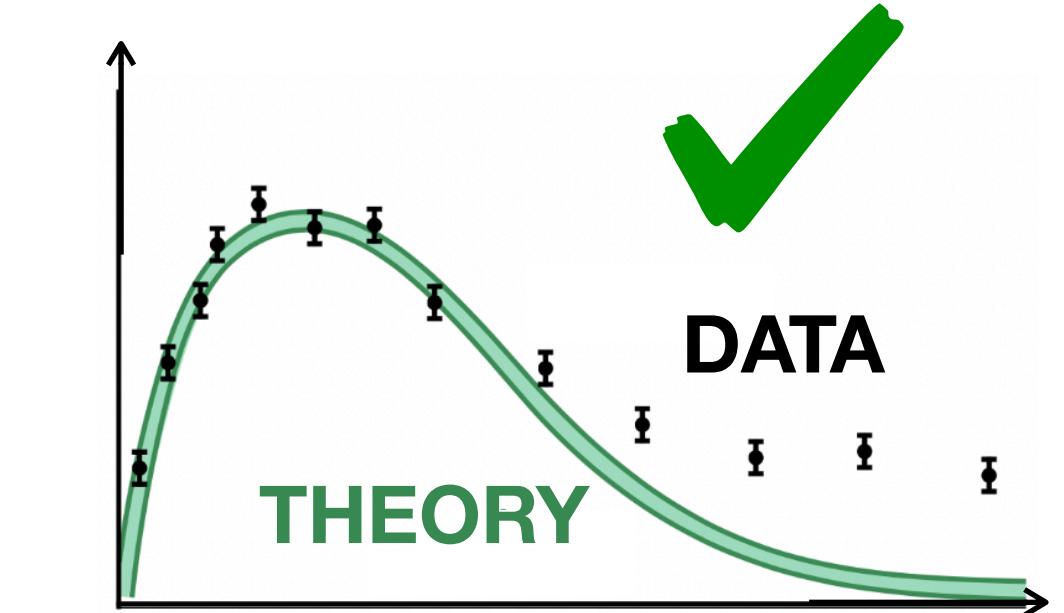
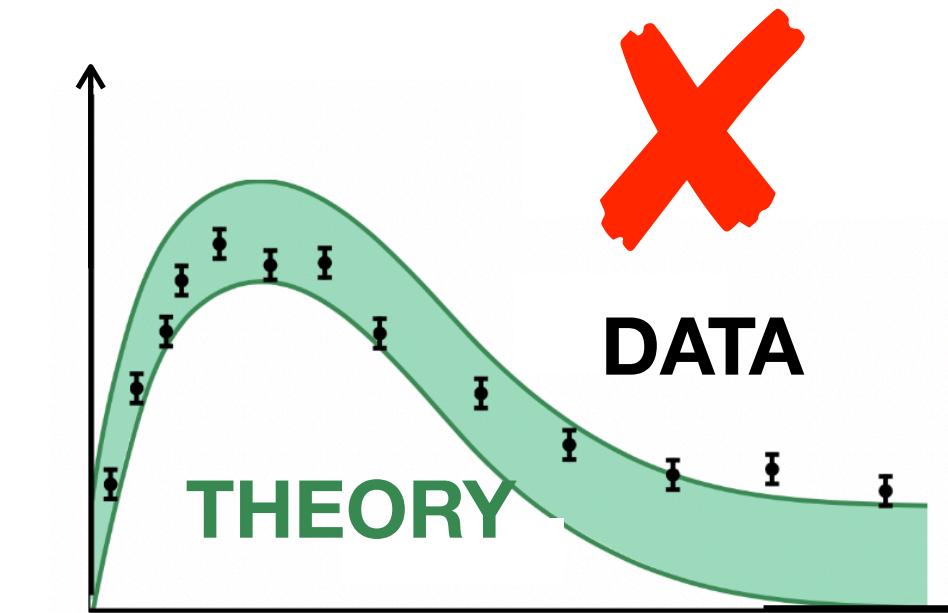
LHC PROGRAMME

Higgs boson discovery



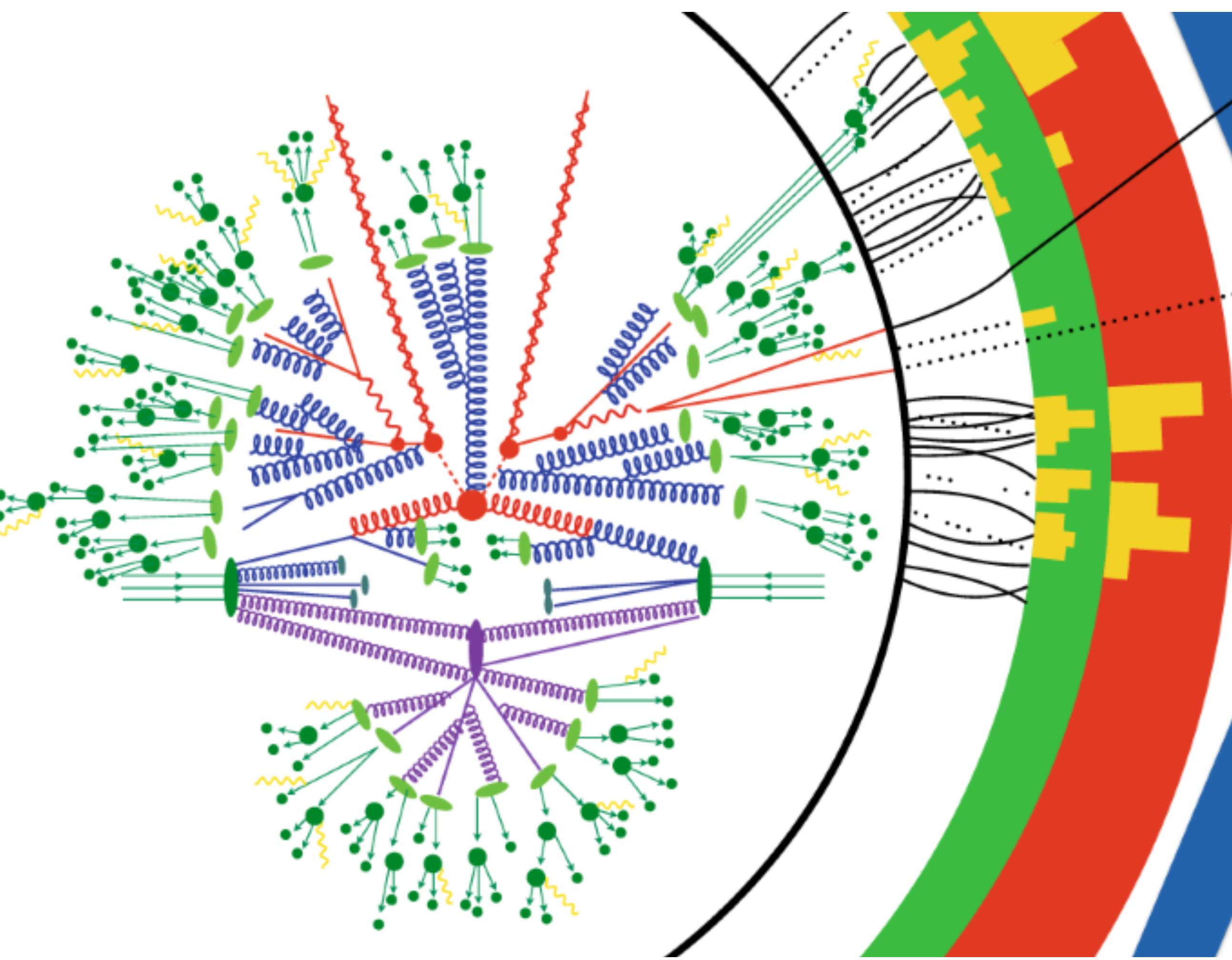
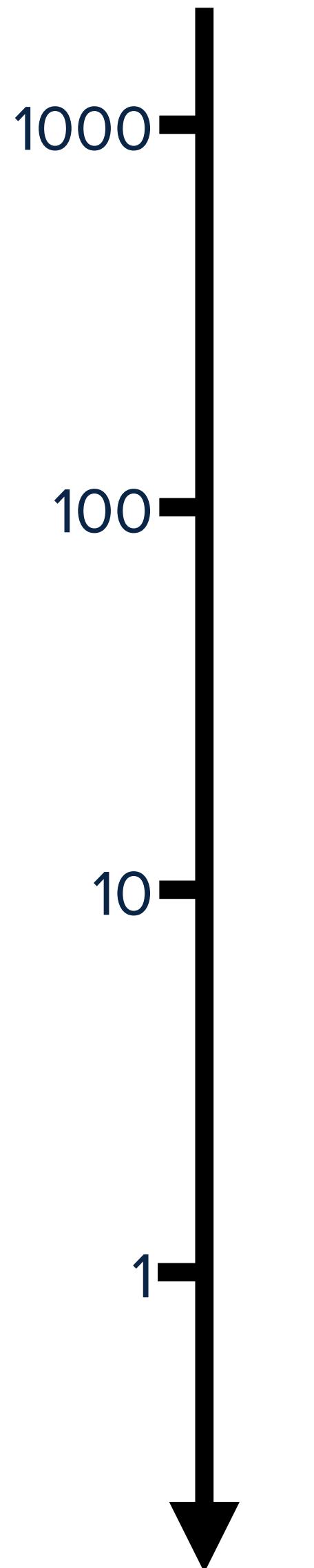
Precision is needed to:

- Study properties of new particles (Higgs boson).
- Test the SM to detect new physics effects.



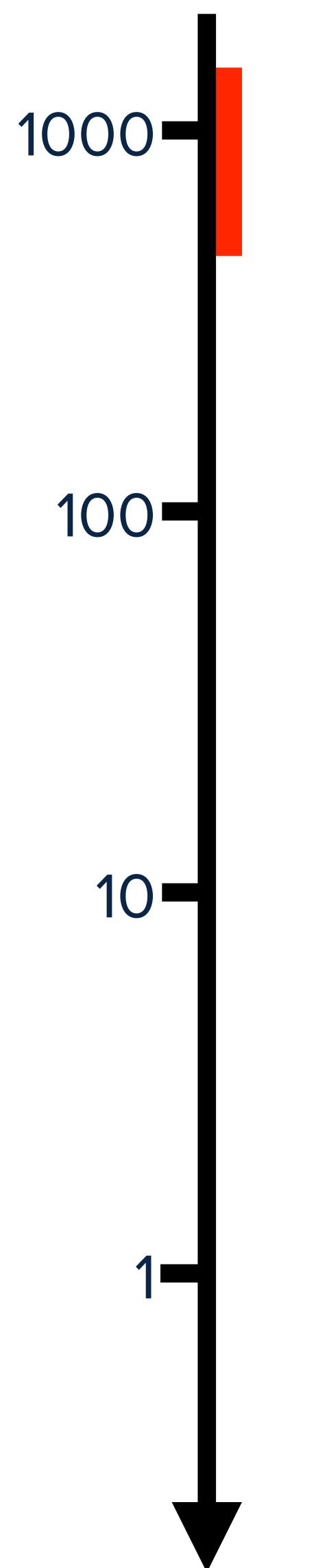
LHC EVENT

ENERGY
SCALE [GeV]

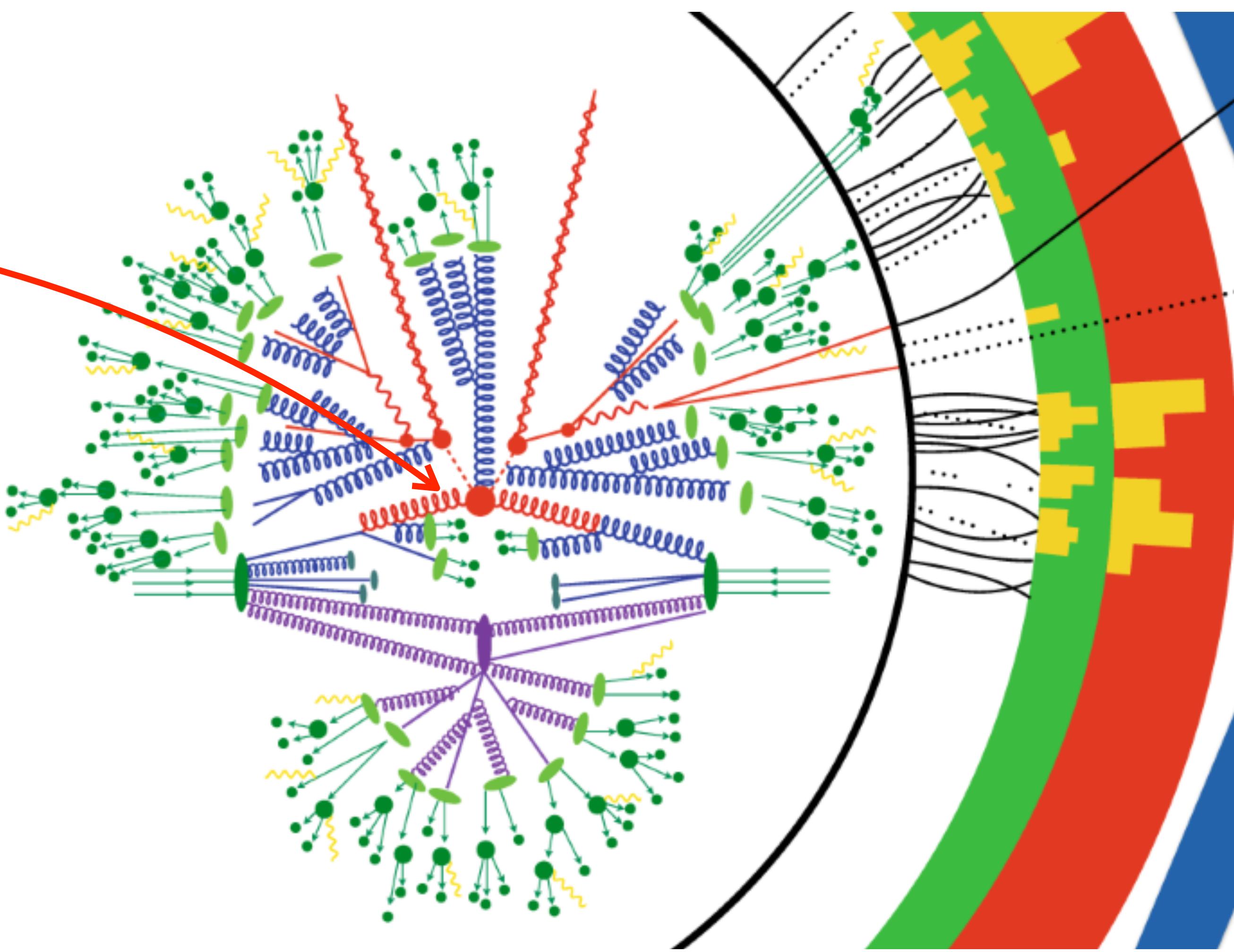


LHC EVENT

ENERGY
SCALE [GeV]

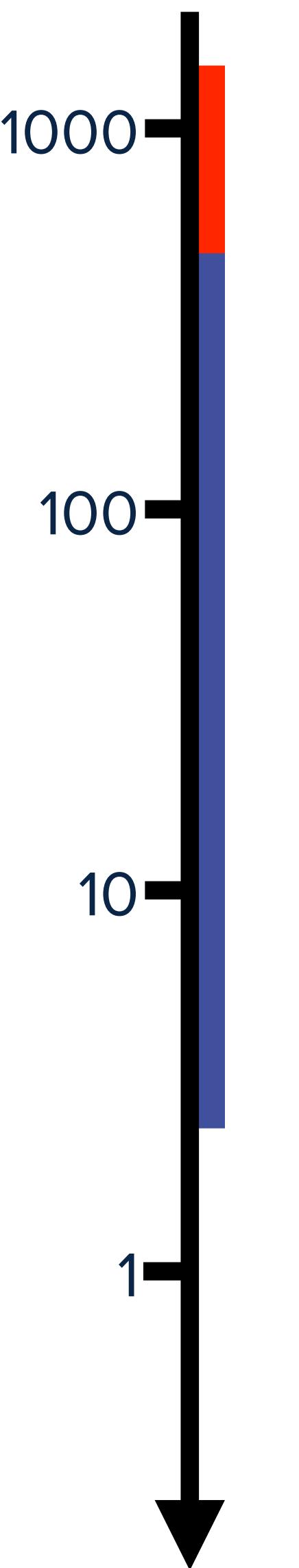


1. HARD SCATTERING

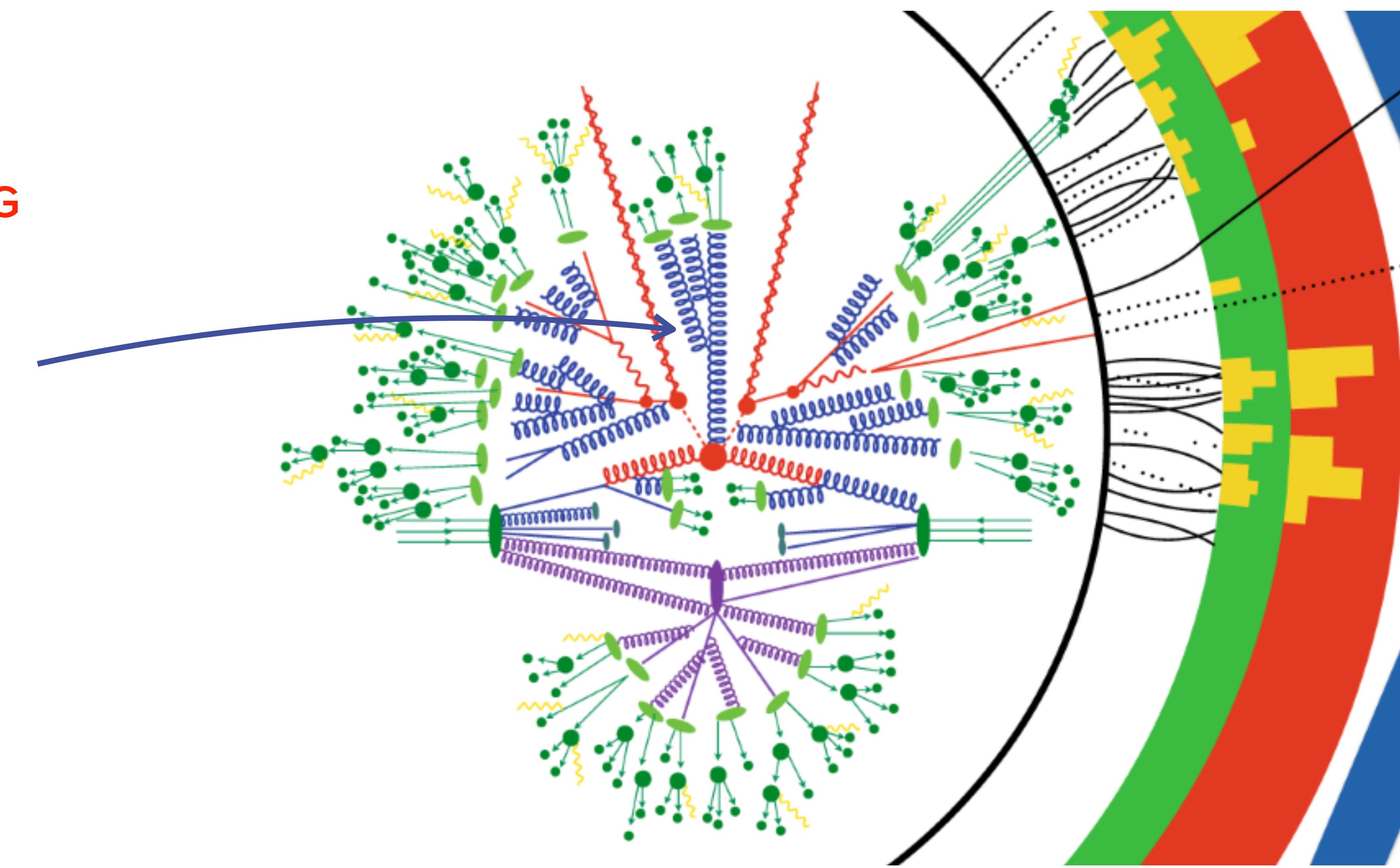


LHC EVENT

ENERGY
SCALE [GeV]

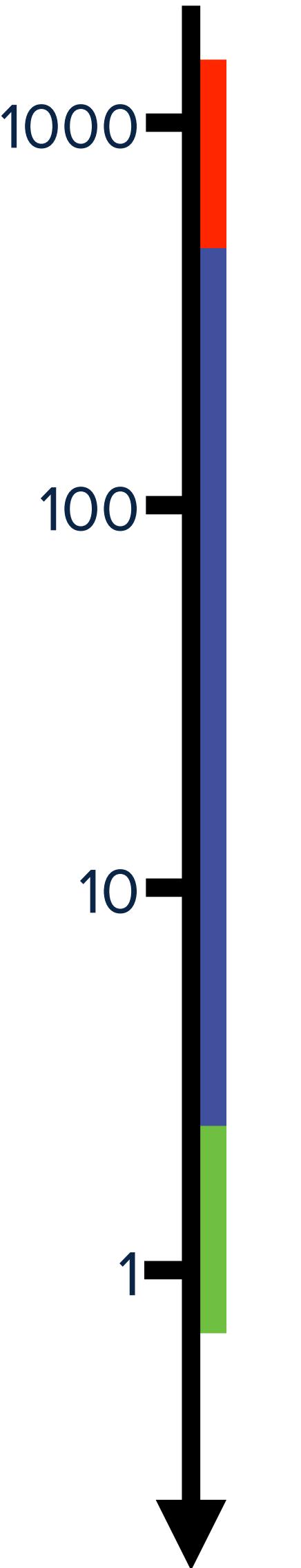


1. HARD SCATTERING
2. PARTON SHOWER

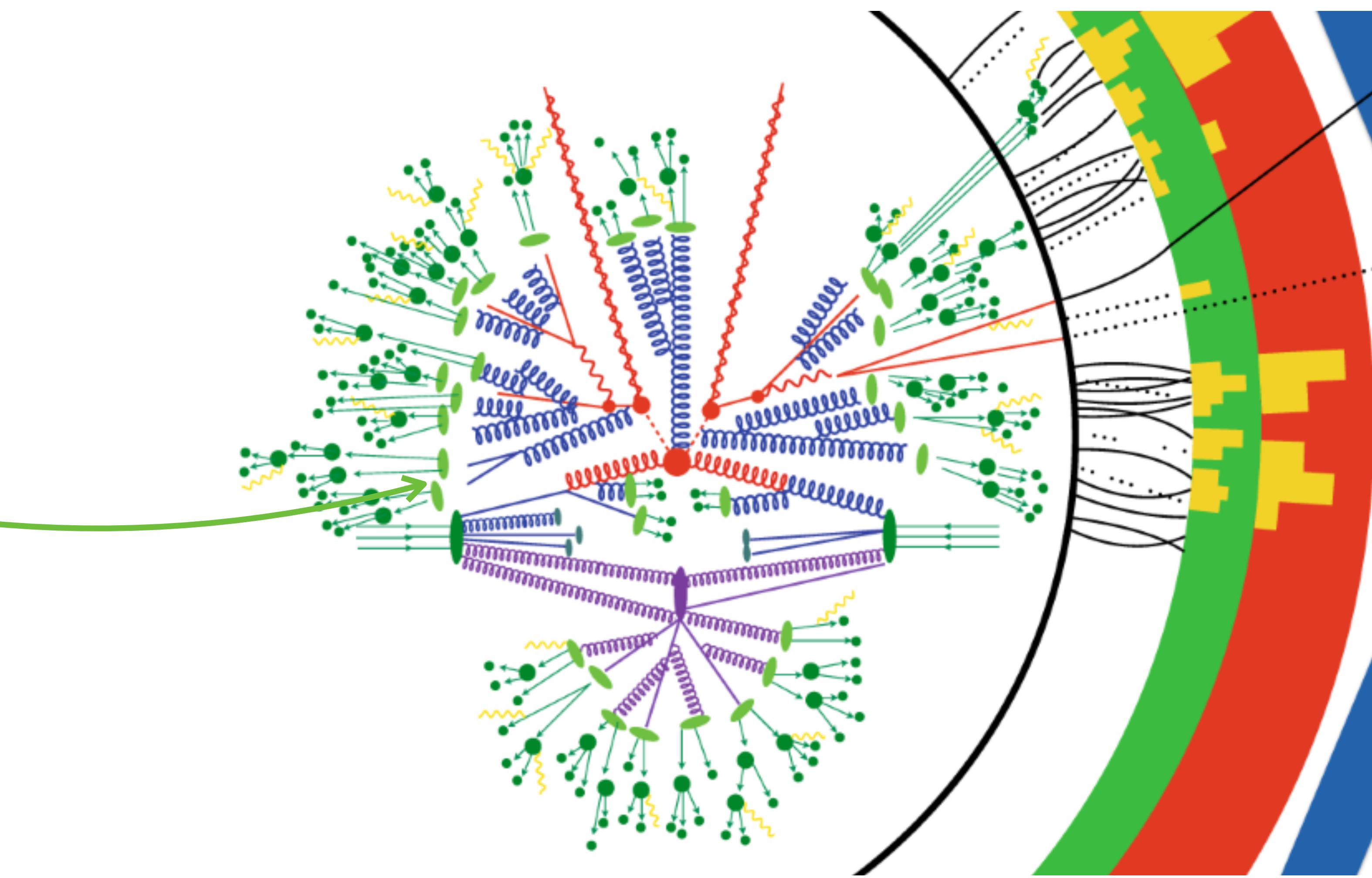


LHC EVENT

ENERGY
SCALE [GeV]

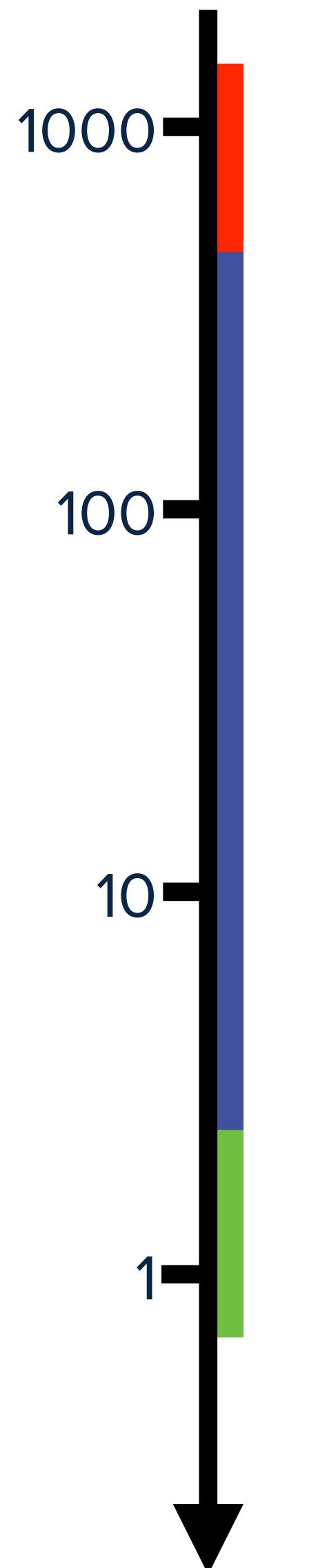


1. HARD SCATTERING
2. PARTON SHOWER
3. HADRONIZATION

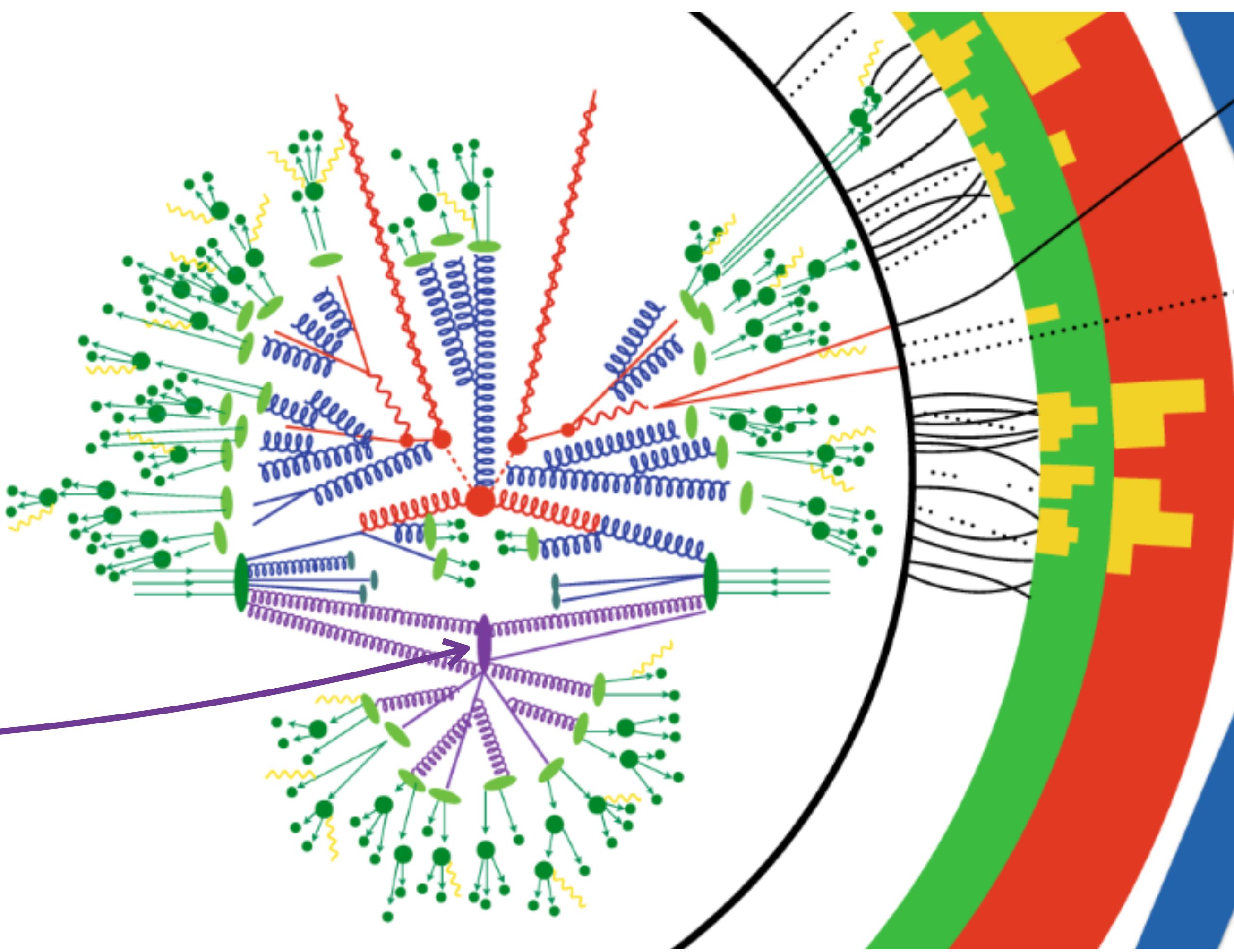


LHC EVENT

ENERGY
SCALE [GeV]

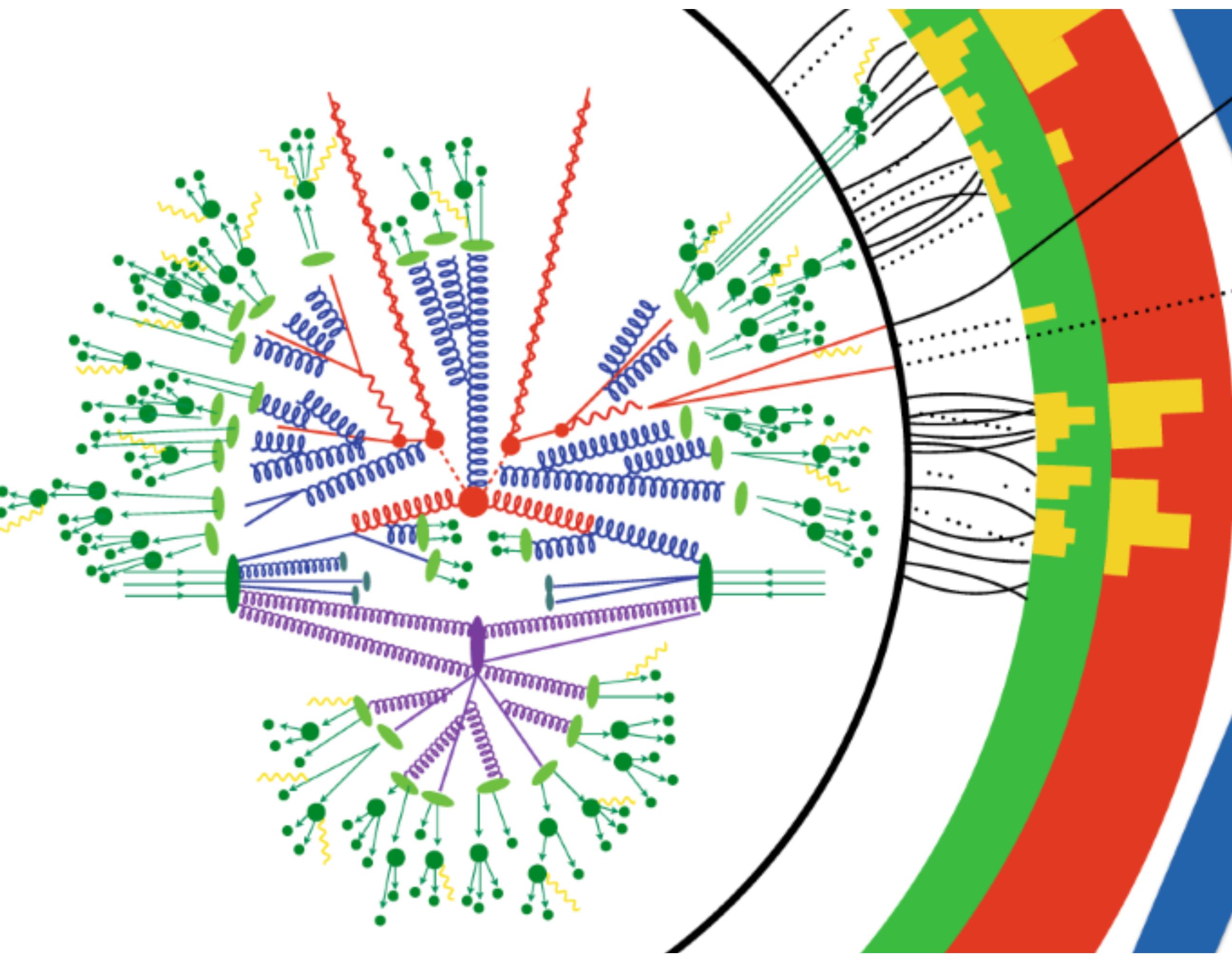
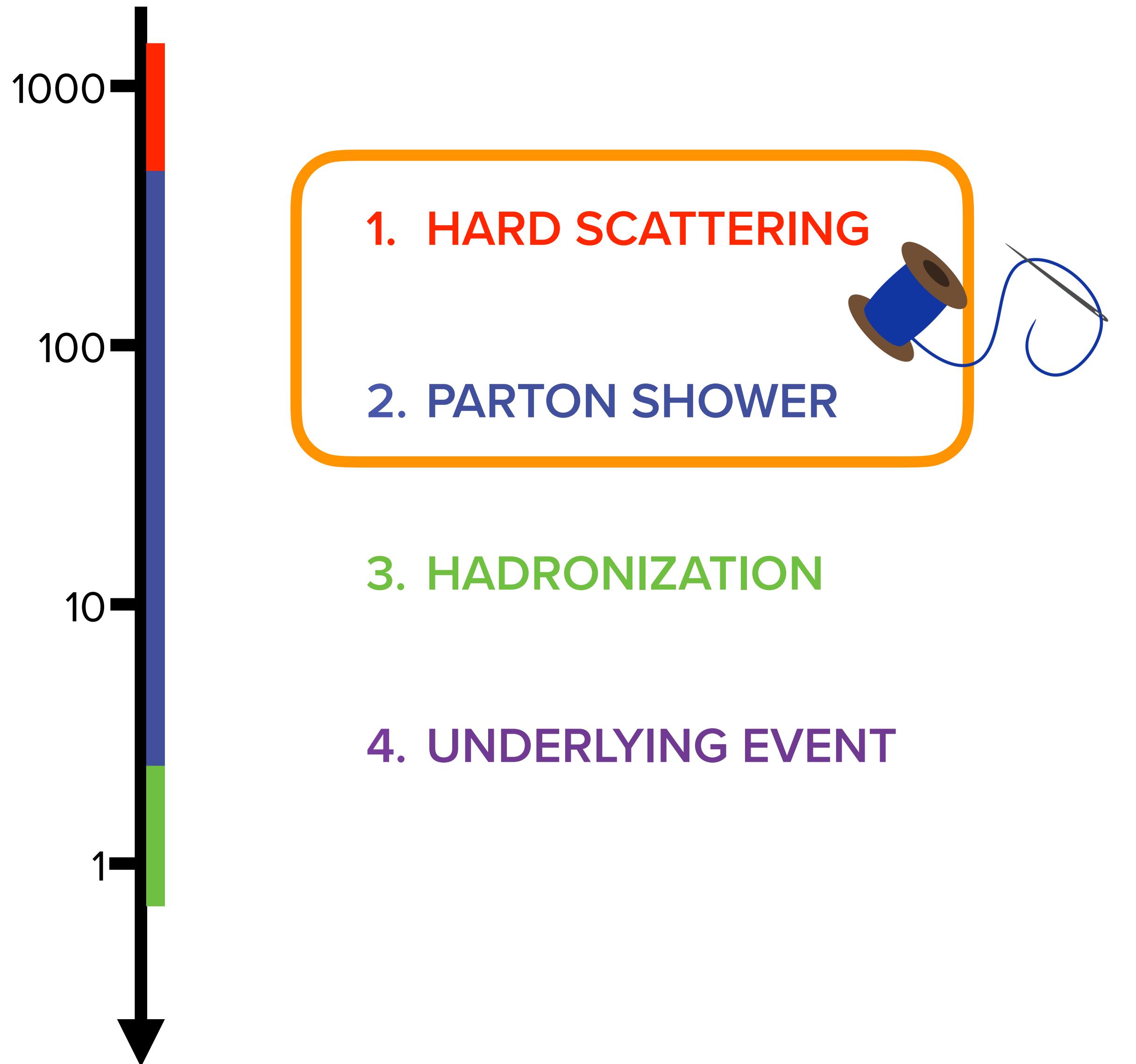


1. HARD SCATTERING
2. PARTON SHOWER
3. HADRONIZATION
4. UNDERLYING EVENT



LHC EVENT

ENERGY
SCALE [GeV]

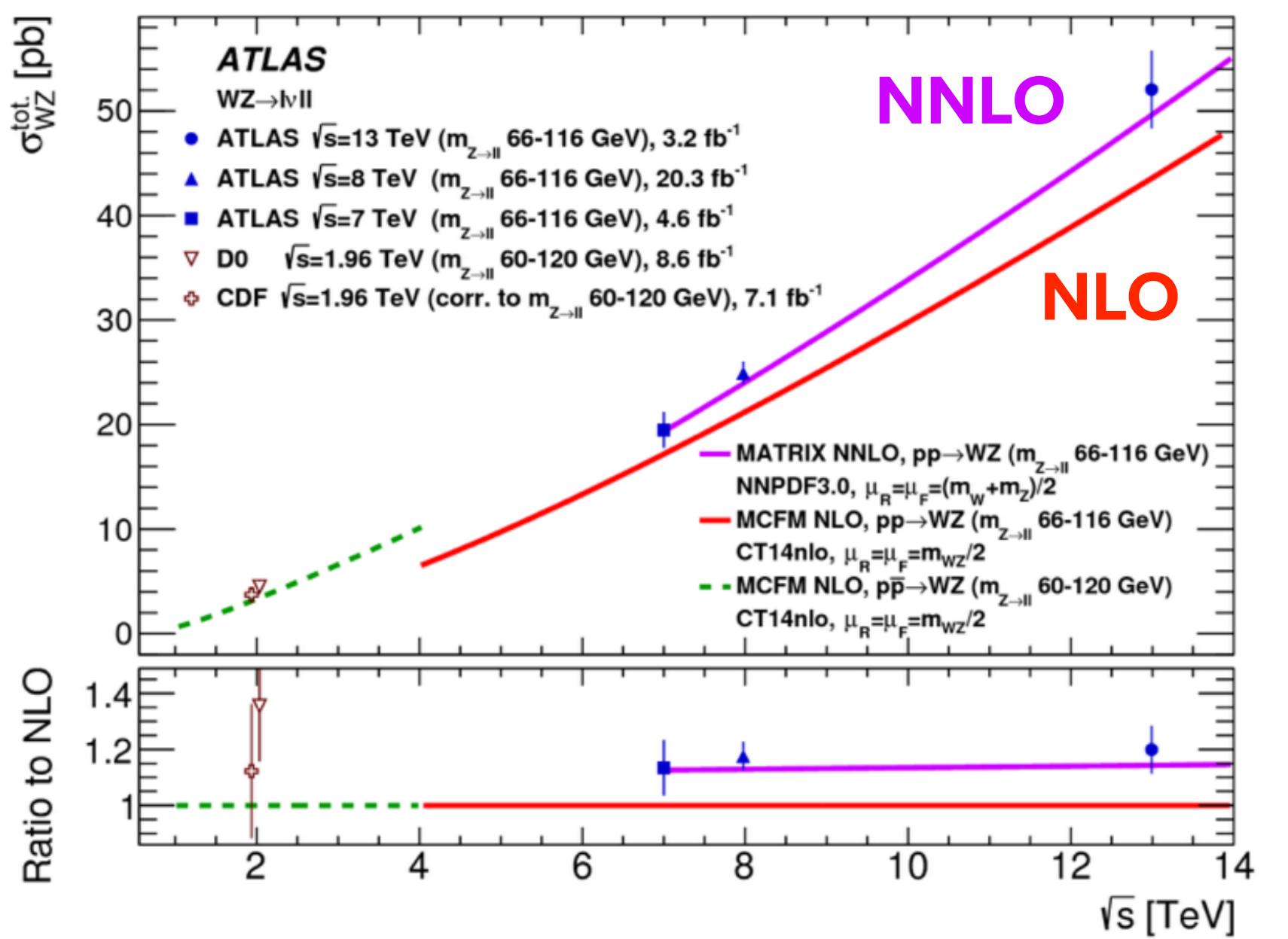


HARD SCATTERING

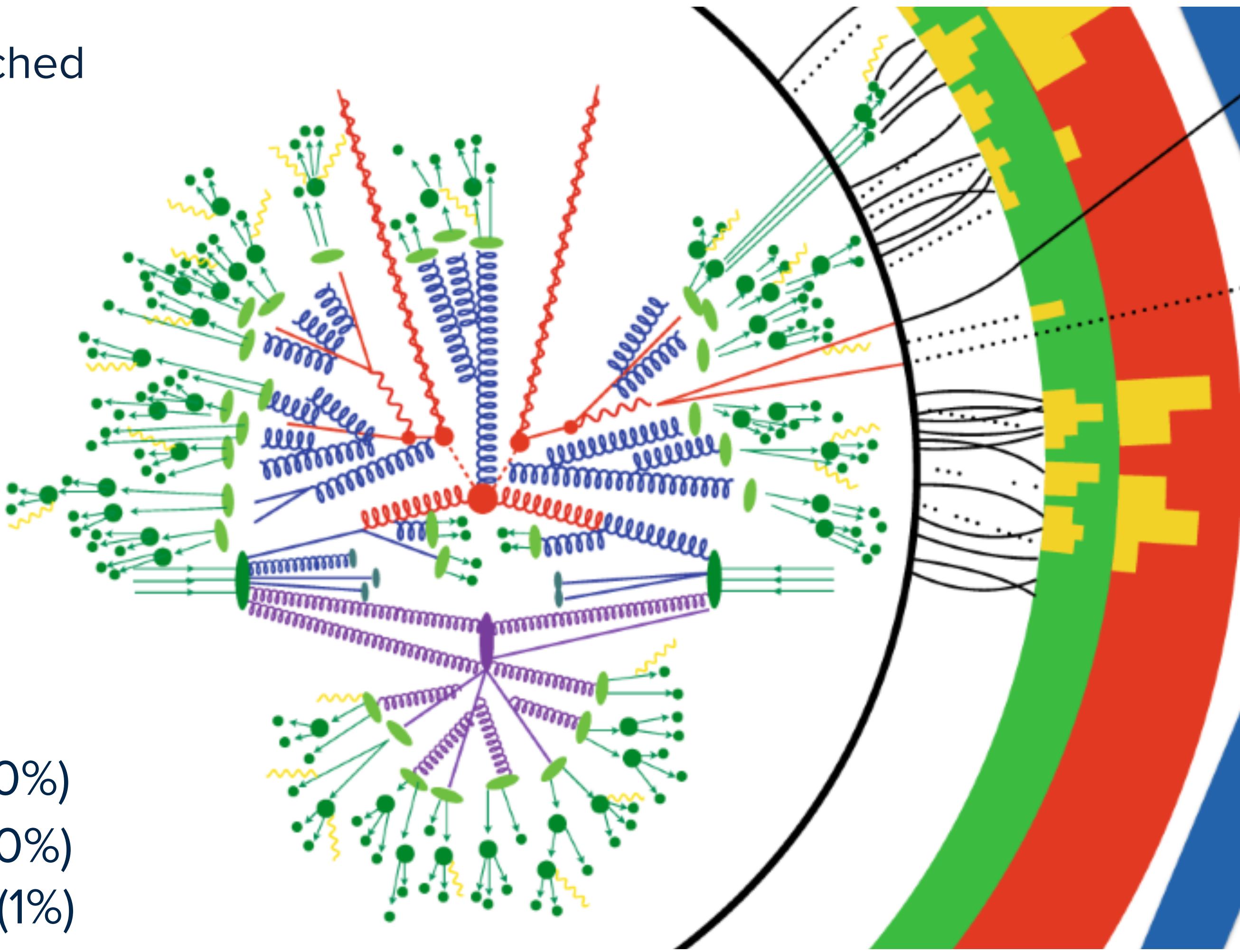
$$\mu \sim Q \gg \Lambda_{QCD}$$

Studied with fixed-order calculations. Precision is reached through perturbation theory:

$$\sigma = \sigma_{LO}(1 + \alpha_s \delta_{NLO} + \alpha_s^2 \delta_{NNLO} + \mathcal{O}(\alpha_s^3))$$



LO $\rightarrow \mathcal{O}(100\%)$
NLO $\rightarrow \mathcal{O}(10\%)$
NNLO $\rightarrow \mathcal{O}(1\%)$



PARTON SHOWER

$$\Lambda_{QCD} < \mu < Q$$

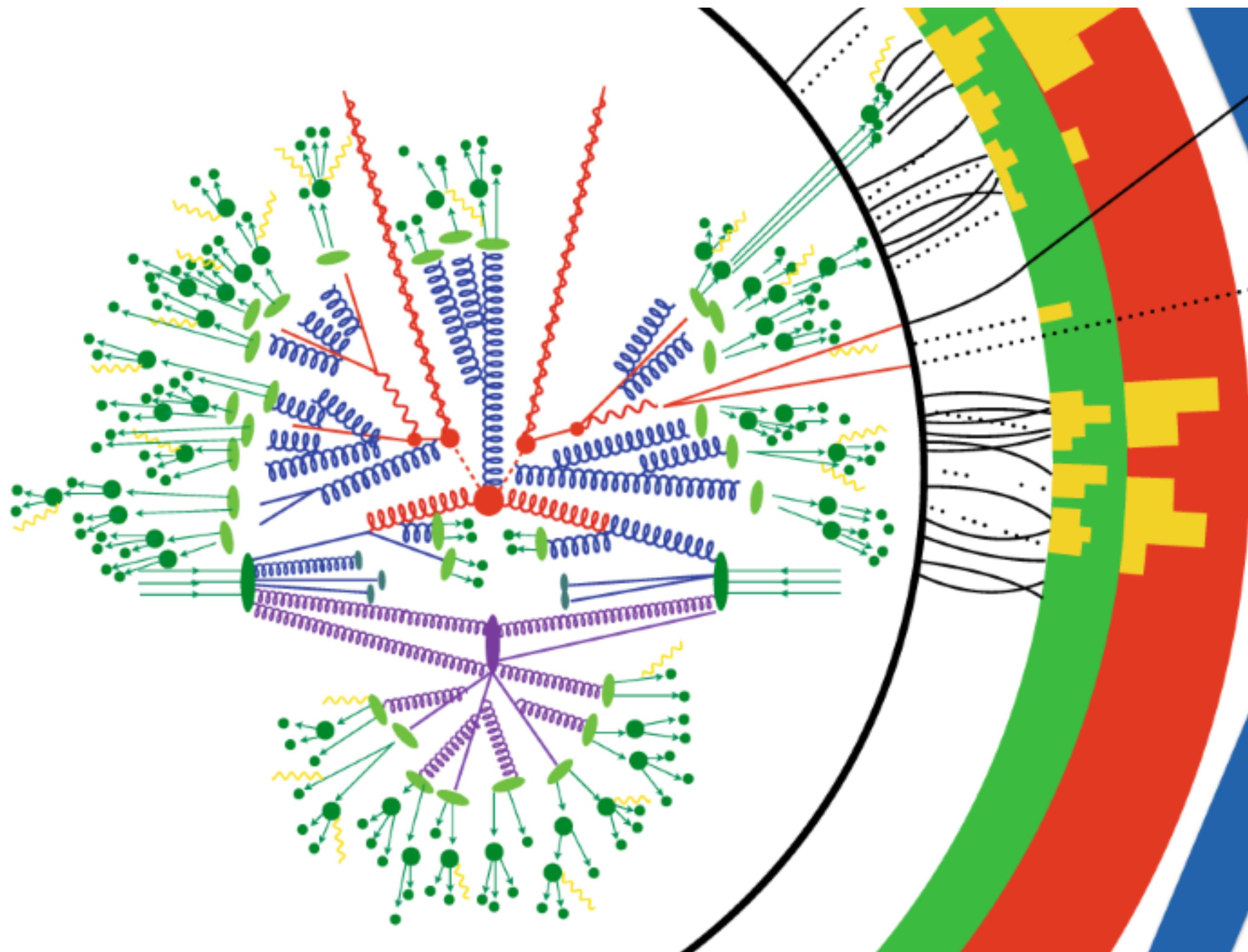
Cascade of particles from the high-energy limit to the detector level. It is constructed starting from the factorization of QCD amplitudes in the infra-red limit:

$$|M_{n+1}|^2 \rightarrow |M_n|^2 \cdot K$$

For a specific observable (e.g. event-shape V):

$$\Sigma(V < e^{-|L|}) = \exp\left(\underbrace{Lg_1(\alpha_s L)}_{\text{LL}} + \underbrace{g_2(\alpha_s L)}_{\text{NLL}} + \underbrace{\alpha_s g_3(\alpha_s L)}_{\text{NNLL}} + \dots\right)$$

Most widely-used showers are only LL accurate.



PARTON SHOWER

$$\Lambda_{QCD} < \mu < Q$$

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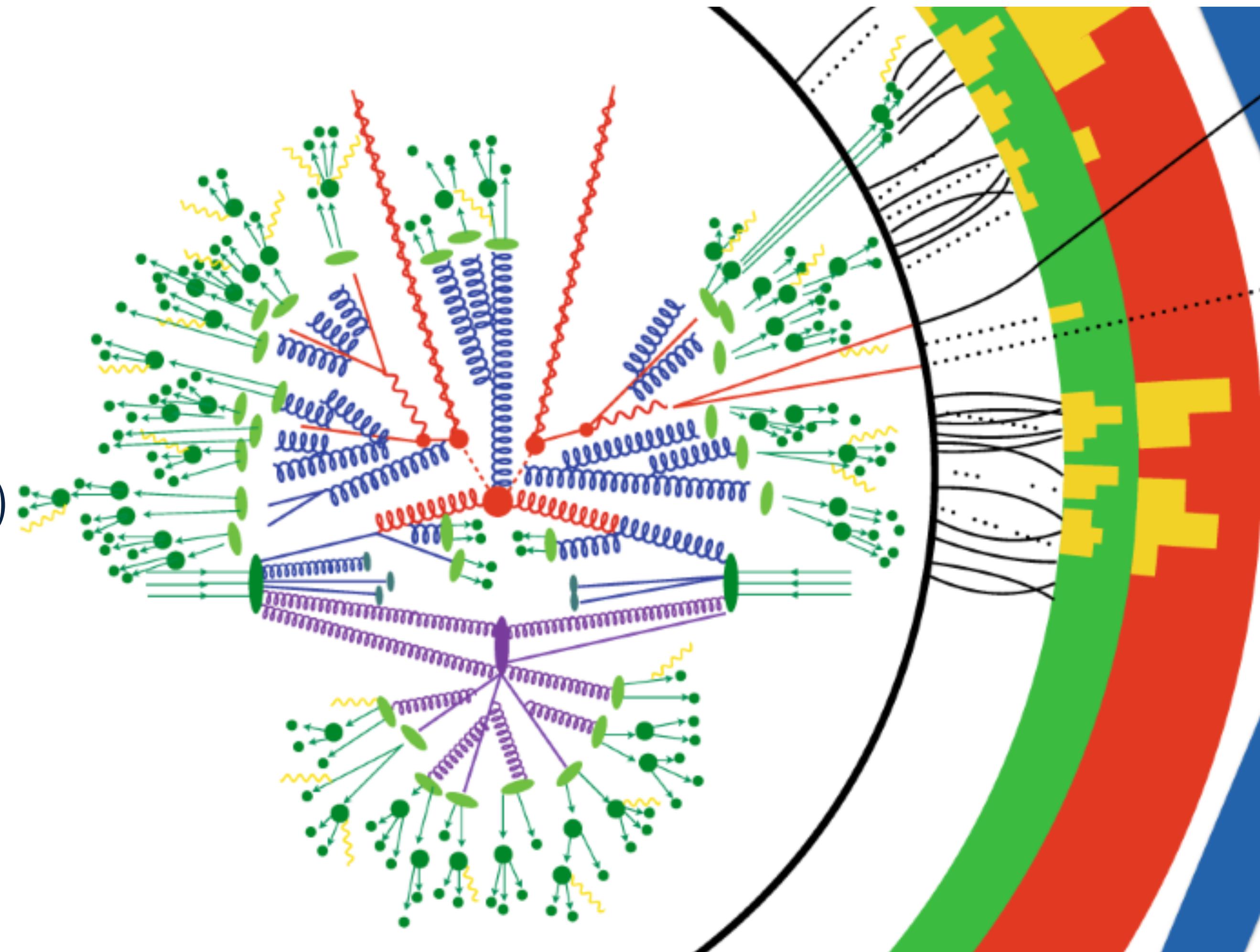
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Most widely-used showers are only LL accurate.



Lots of progress done in recent years to improve the accuracy of parton showers (see e.g. [Dasgupta, Dreyer, Hamilton, Monni, Salam, Soyez '20](#)). However, LHC phenomenology is not possible with these new tools yet.



MATCHING

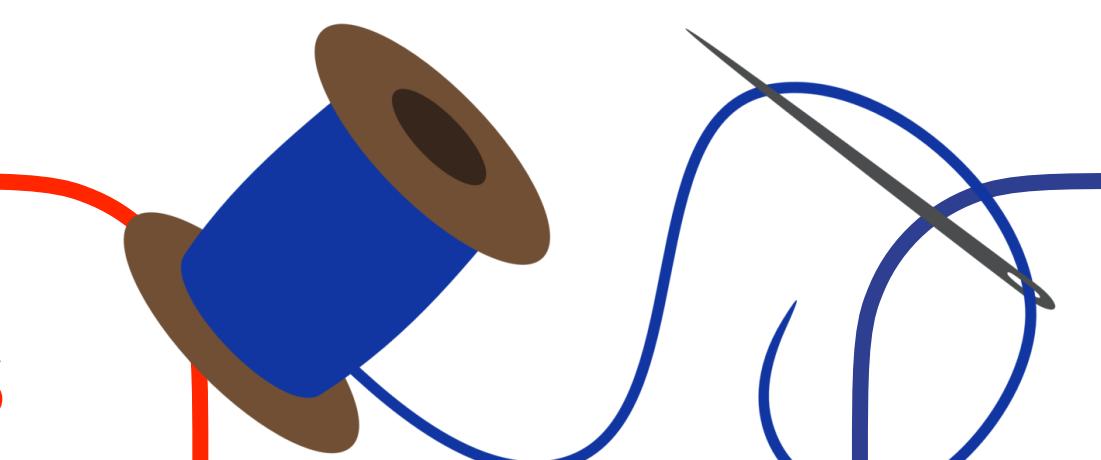
COMBINATION OF THE TWO DESCRIPTIONS
KEEPING THE BEST FEATURES OF BOTH

FIXED-ORDER CALCULATIONS

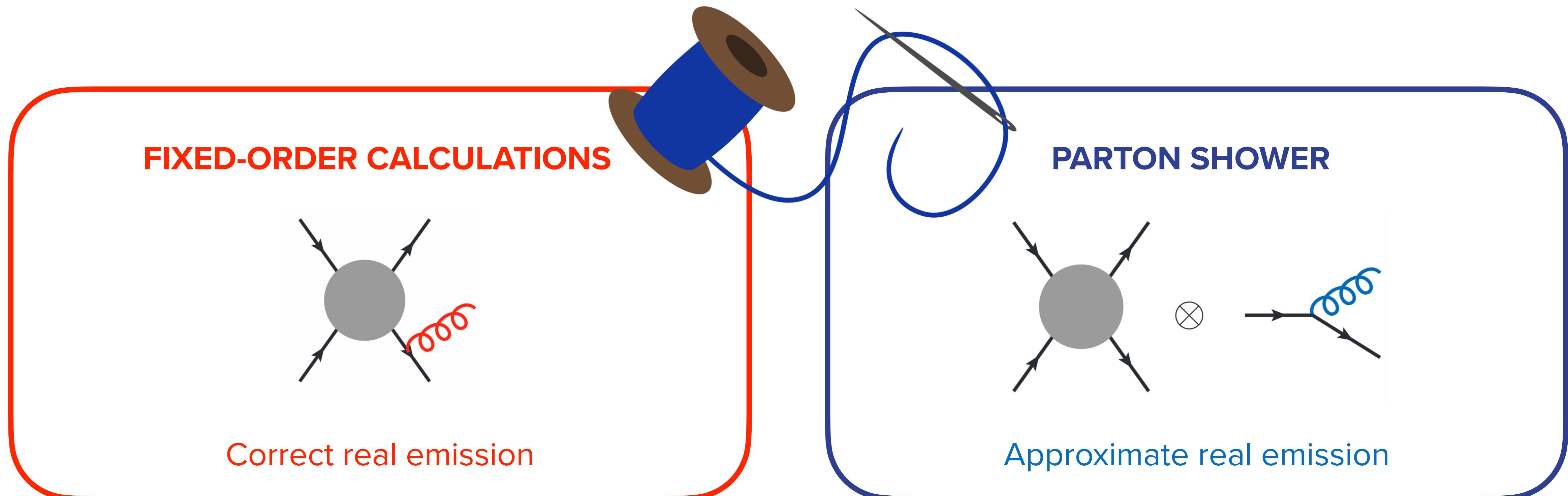
- Extremely accurate and precise.
Systematically improvable accuracy.
- Non-realistic final state.

PARTON SHOWER

- Realistic and fully-differential final states.
- Difficulties in improving its accuracy
(understood only very recently)



WHAT'S THE PROBLEM? (SIMPLE) NLO CASE

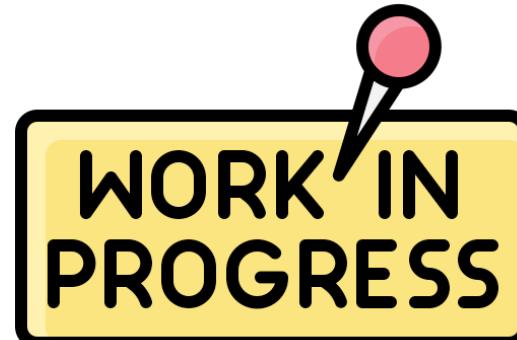


!! DOUBLE COUNTING !!

MATCHING



- A **solved problem** for long time.
- Completely understood and **fully automatized**.
- Two main approaches available: POWHEG [Nason '04; Frixione, Nason, Oleari '07; Alioli, Nason, Oleari, Re '10] and MC@NLO [Frixione, Webber '02].

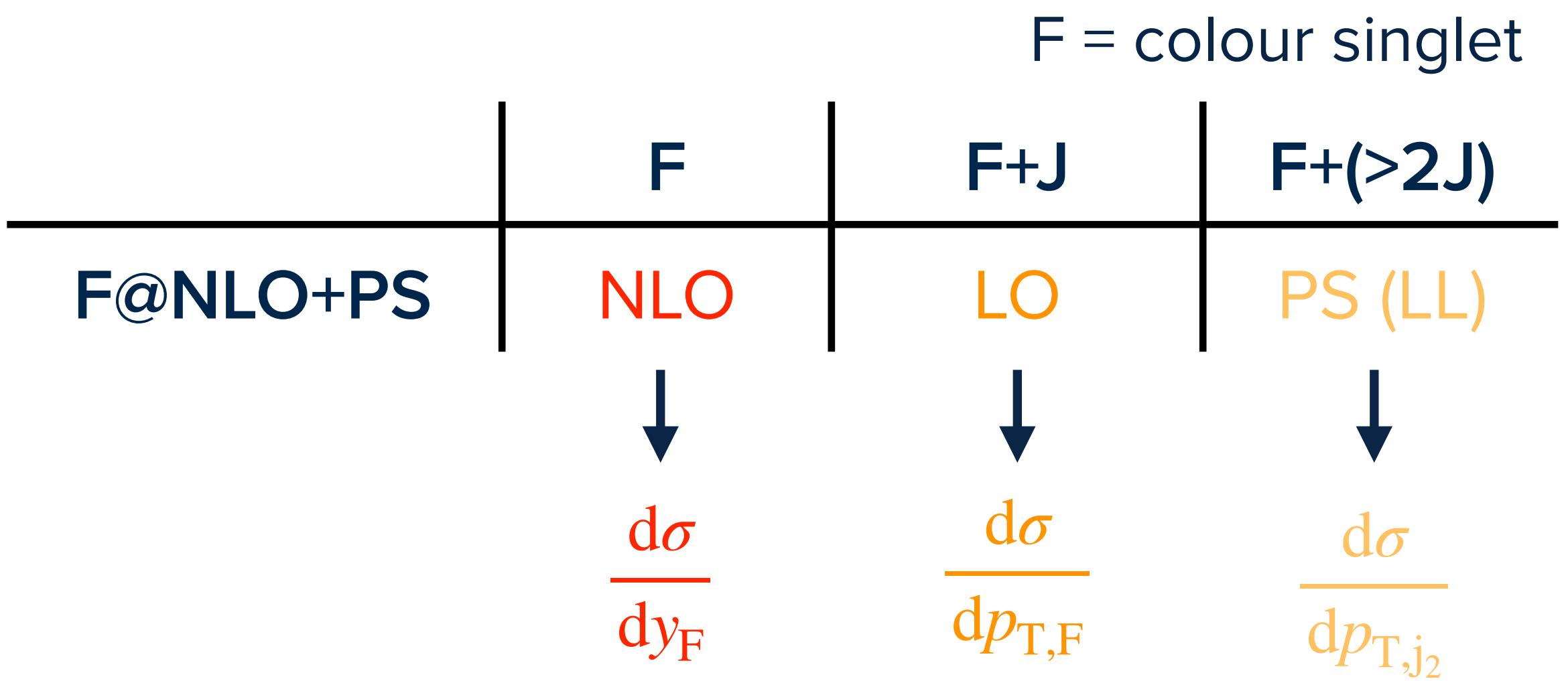


- **State-of-the-art** for precision LHC phenomenology.
- Lots of ongoing effort, **many processes already implemented**.
- Two main methods available: MiNNLO_{PS} [Monni, Nason, Re, Wiesemann, Zanderighi '19] and Geneva [Alioli, Bauer, Berggren, Tackmann, Walsh, Zuberi '13, + subsequent papers].

2. THE STRATEGY

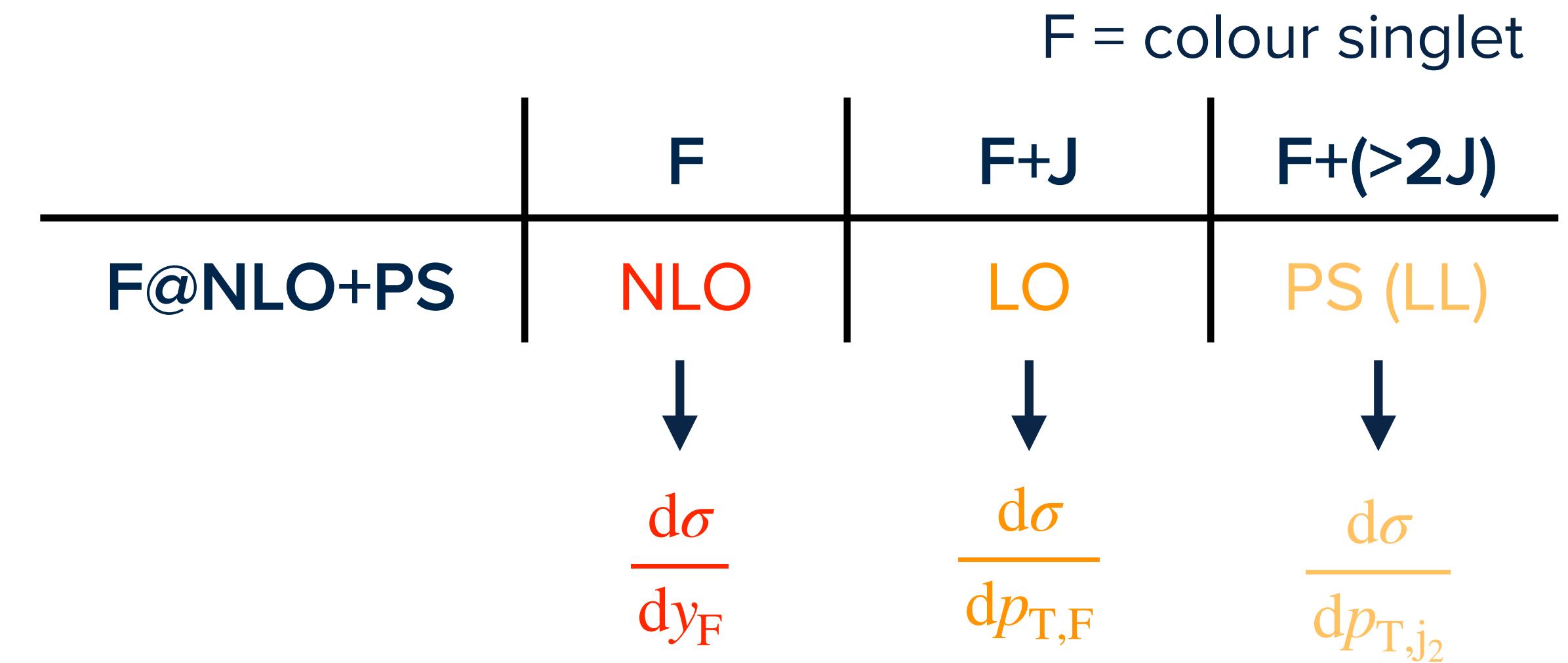
NLO+PS ACCURACY

- **NLO** accuracy in observables inclusive on QCD radiation (e.g. rapidity distribution).
- **LO** accuracy in 1 jet observables (e.g. transverse momentum of colour singlet).
- The **logarithmic structure of the parton shower** is not spoilt.

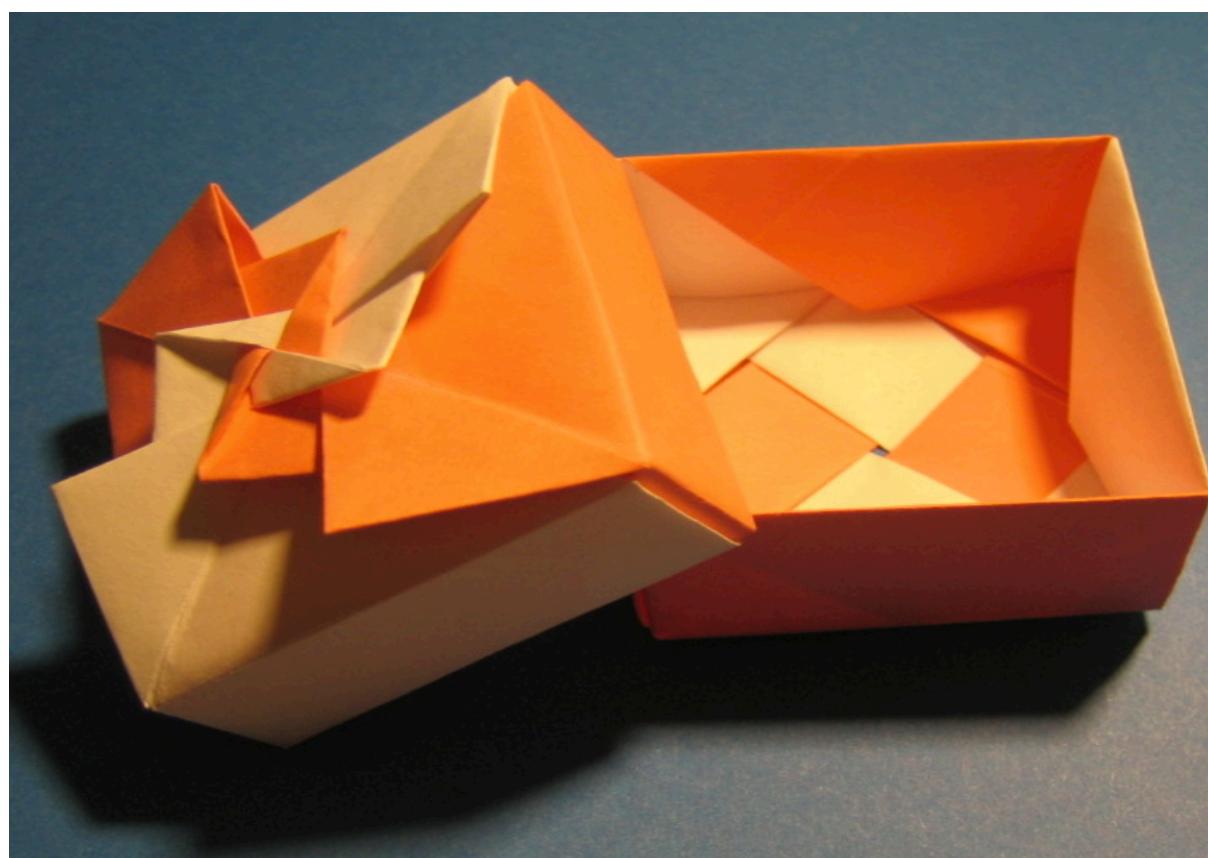


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THE POWHEG METHOD



Matching NLO QCD computations with Parton Shower simulations: the POWHEG method

#15

Stefano Frixione (INFN, Genoa), Paolo Nason (INFN, Milan Bicocca), Carlo Oleari (INFN, Milan Bicocca) and Milan Bicocca U.) (Sep, 2007)

Published in: *JHEP* 11 (2007) 070 • e-Print: [0709.2092 \[hep-ph\]](https://arxiv.org/abs/0709.2092)

pdf

DOI

cite

claim

reference search

4,591 citations

<https://powhegbox.mib.infn.it/>

[Nason '04; Frixione, Nason, Oleari '07; Alioli, Nason, Oleari, Re '10]

THE POWHEG METHOD

Master Formula

$$d\sigma_{\text{pwg}} = d\Phi_F \bar{B}(\Phi_F) \left\{ \Delta_{\text{pwg}}(\Lambda_{\text{pwg}}) + \int d\Phi_{\text{rad}} \Delta_{\text{pwg}}(p_{T,\text{rad}}) \frac{R(\Phi_F, \Phi_{\text{rad}})}{B(\Phi_F)} \right\}$$

NLO NORMALIZATION (= xs)

$$\bar{B}(\Phi_F) = B(\Phi_F) + V(\Phi_F) + \int d\Phi_{\text{rad}} [R(\Phi_{FJ}) - C(\Phi_{FJ})]$$

FIRST (= hardest) EMISSION
obtained with the correct matrix element R/B

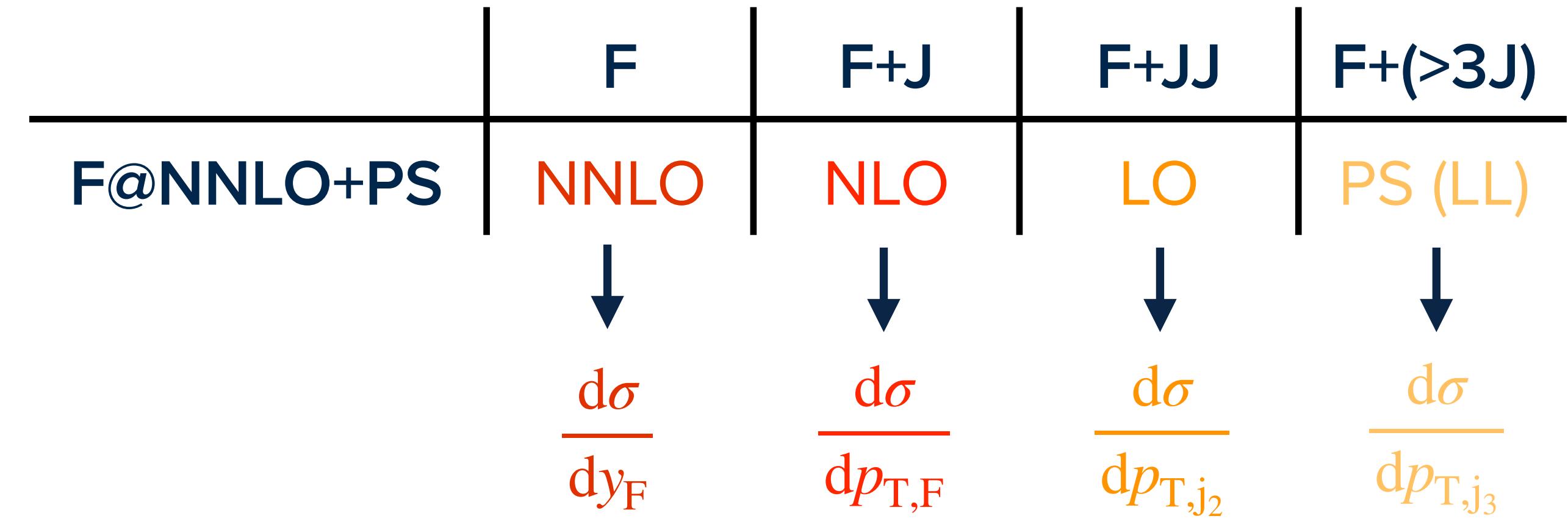
$$\Delta(p_T) = \exp \left\{ - \int d\Phi'_{\text{rad}} \frac{R(\Phi_F, \Phi'_{\text{rad}})}{B(\Phi_F)} \Theta(p'_T - p_T) \right\}$$

When using a p_T -ordered shower (most common option, like PYTHIA), we apply a p_T -veto: all the emissions produced by the shower must be softer than the first emission produced by POWHEG.

NNLO+PS ACCURACY

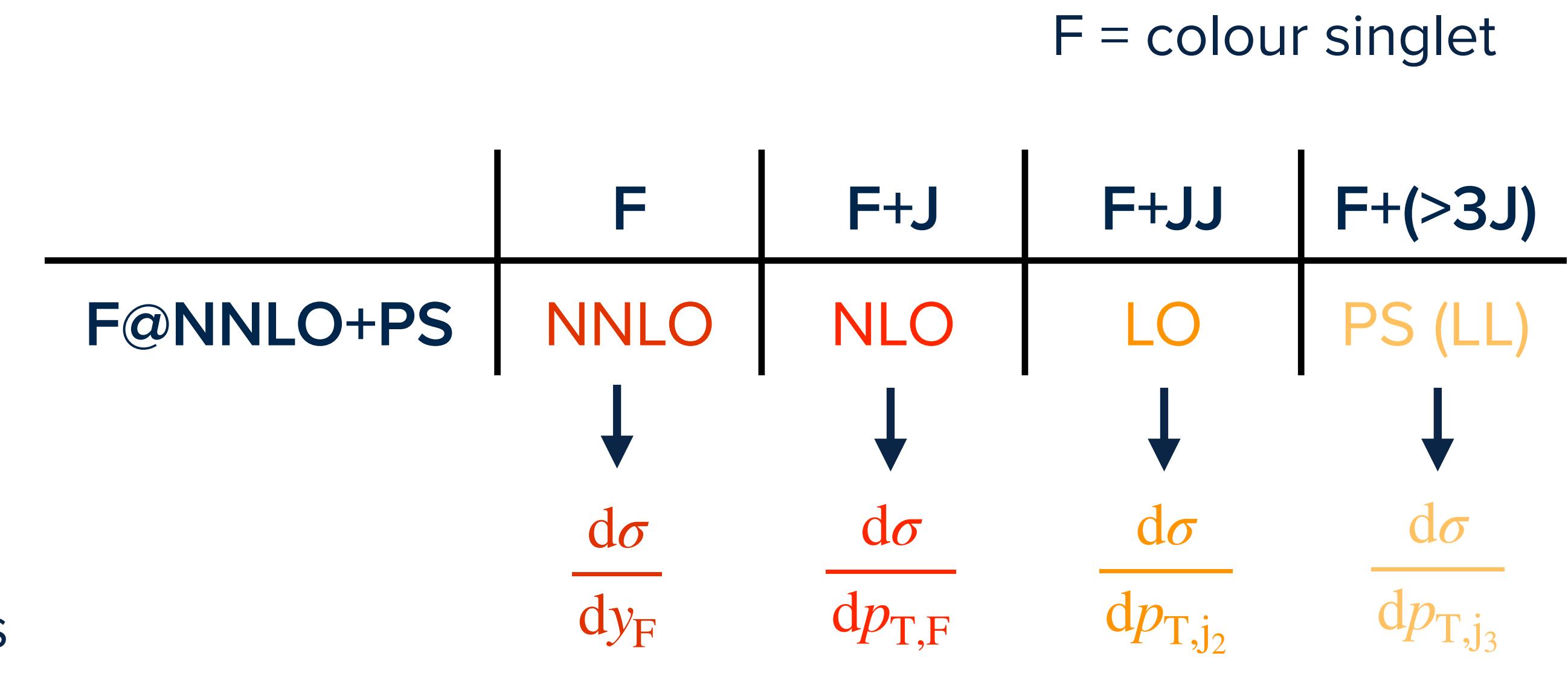
F = colour singlet

- **NNLO** accuracy in observables inclusive on QCD radiation (e.g. rapidity distribution).
- **NLO** accuracy in 1 jet observables (e.g. transverse momentum of colour singlet).
- **LO** accuracy in 2 jet observables (e.g. transverse momentum of second leading jet).
- The **logarithmic structure of the parton shower** is not spoilt.



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THE MiNNLOPS METHOD



Available NNLO+PS Processes using MiNNLOPS [back to Index](#)

(References of the MiNNLOPS procedure: P. Monni, P. Nason, E. Re, M. Wiesemann and G. Zanderighi, *JHEP* **05** (2020) 143, arXiv:1908.06987 [[paper](#)], P. Monni, E. Re and M. Wiesemann, *Eur. Phys. J.* **C80** (2020), no.11, 1075, arXiv:2006.04133 [[paper](#)])

<https://powhegbox.mib.infn.it/>

[Monni, Nason, Re, Wiesemann, Zanderighi '19]

THE MiNNLO_{PS} METHOD F = colour singlet

Master Formula

$$d\sigma_F^{\text{MiNNLO}_\text{PS}} = d\Phi_{\text{FJ}} \quad \bar{B}^{\text{MiNNLO}_\text{PS}}(\Phi_{\text{FJ}}) \left\{ \Delta_{\text{pwg}}(\Lambda_{\text{pwg}}) + \int d\Phi_{\text{rad}} \Delta_{\text{pwg}}(p_{T,\text{rad}}) \frac{R(\Phi_{\text{FJ}}, \Phi_{\text{rad}})}{B(\Phi_{\text{FJ}})} \right\}$$



NNLO NORMALIZATION (= xs)

SECOND EMISSION
obtained à la POWHEG

THE MINNLOPS METHOD

F = colour singlet

$$d\sigma_F^{\text{MiNNLO}_{\text{PS}}} = d\Phi_{\text{FJ}} \quad \bar{B}^{\text{MiNNLO}_{\text{PS}}}(\Phi_{\text{FJ}}) \left\{ \Delta_{\text{pwg}}(\Lambda_{\text{pwg}}) + \int d\Phi_{\text{rad}} \Delta_{\text{pwg}}(p_{\text{T,rad}}) \frac{R(\Phi_{\text{FJ}}, \Phi_{\text{rad}})}{B(\Phi_{\text{FJ}})} \right\}$$

NNLO NORMALIZATION (= xs)

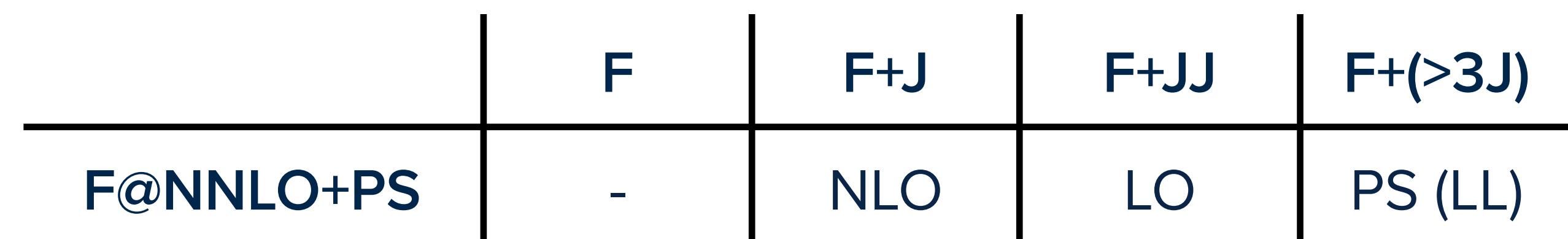
SECOND EMISSION obtained à la POWHEG

$$\bar{B}^{\text{MiNNLO}_{\text{PS}}}(\Phi_{FJ}) = \left(B(\Phi_{FJ}) + V(\Phi_{FJ}) + \int d\Phi_{\text{rad}} R(\Phi_{FJJ}) \right)$$

Born FJ

DIVERGENT

Virtual+Real on F+J



THE MiNNLO_{PS} METHOD F = colour singlet

Master Formula

$$d\sigma_F^{\text{MiNNLO}_\text{PS}} = d\Phi_{FJ} \bar{B}^{\text{MiNNLO}_\text{PS}(\Phi_{FJ})} \left\{ \Delta_{\text{pwg}}(\Lambda_{\text{pwg}}) + \int d\Phi_{\text{rad}} \Delta_{\text{pwg}}(p_{T,\text{rad}}) \frac{R(\Phi_{FJ}, \Phi_{\text{rad}})}{B(\Phi_{FJ})} \right\}$$

NNLO NORMALIZATION (= xs)

SECOND EMISSION
obtained à la POWHEG

$$\bar{B}^{\text{MiNNLO}_\text{PS}}(\Phi_{FJ}) = e^{-\tilde{S}(p_T)} \left(B(\Phi_{FJ}) (1 + \alpha_s \tilde{S}^{(1)}) + V(\Phi_{FJ}) + \int d\Phi_{\text{rad}} R(\Phi_{FJ}) \right)$$

Sudakov form factor

$$\tilde{S}(p_T) = \int_{p_T^2}^{Q^2} \frac{dq^2}{q^2} \left[A \log \frac{Q^2}{q^2} + B \right]$$

Born FJ
DIVERGENT

Correct NLO on F+J

Virtual+Real
on F+J

F@NNLO+PS

NLO

NLO

LO

PS (LL)

THE MiNNLO_{PS} METHOD F = colour singlet

Master Formula

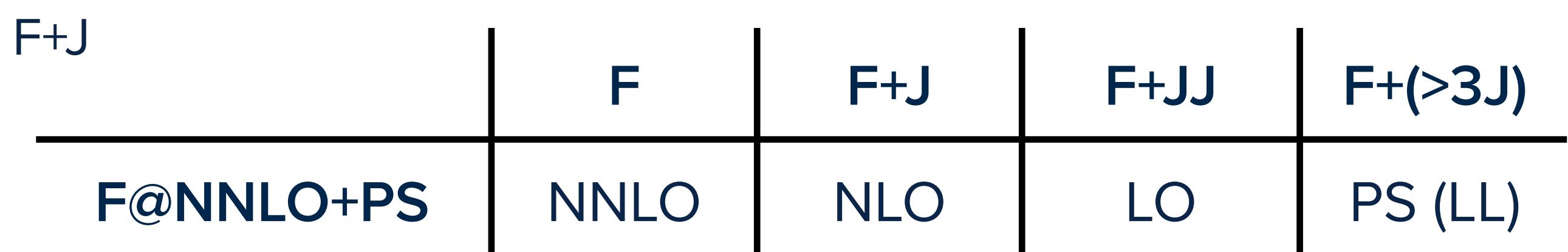
$$d\sigma_F^{\text{MiNNLO}_\text{PS}} = d\Phi_{FJ} \bar{B}^{\text{MiNNLO}_\text{PS}(\Phi_{FJ})} \left\{ \Delta_{\text{pwg}}(\Lambda_{\text{pwg}}) + \int d\Phi_{\text{rad}} \Delta_{\text{pwg}}(p_{T,\text{rad}}) \frac{R(\Phi_{FJ}, \Phi_{\text{rad}})}{B(\Phi_{FJ})} \right\}$$

NNLO NORMALIZATION (= xs)

SECOND EMISSION
obtained à la POWHEG

$$\bar{B}^{\text{MiNNLO}_\text{PS}}(\Phi_{FJ}) = e^{-\tilde{S}(p_T)} \left(B(\Phi_{FJ}) (1 + \alpha_s \tilde{S}^{(1)}) + V(\Phi_{FJ}) + \int d\Phi_{\text{rad}} R(\Phi_{FJJ}) + (D(p_T) - \alpha_s D^{(1)}(p_T) - \alpha_s^2 D^{(2)}(p_T)) \mathcal{F} \right)$$

Sudakov form factor $\tilde{S}(p_T) = \int_{p_T^2}^{Q^2} \frac{dq^2}{q^2} \left[A \log \frac{Q^2}{q^2} + B \right]$
 Born FJ ! DIVERGENT
 Correct NLO on F+J



THE MINNLO_{PS} METHOD

- Analytic all-order formula:

$$\frac{d\sigma}{d\Phi_F dp_T} = \frac{d\sigma^{\text{sing}}}{d\Phi_F dp_T} + R(p_T) = \frac{d}{dp_T} \left\{ e^{-\tilde{S}(p_T)} \mathcal{L}(p_T) \right\} + R(p_T) = e^{-\tilde{S}(p_T)} \left[D(p_T) + \frac{R(p_T)}{e^{-\tilde{S}(p_T)}} \right]$$

$$D(p_T) \equiv - \frac{d\tilde{S}(p_T)}{dp_T} \mathcal{L}(p_T) + \frac{d\mathcal{L}p_T}{dp_T}$$

THE MINNLO_{PS} METHOD

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- Combine with FJ fixed-order $d\sigma_{\text{FJ}}$ and expand up to α_s^3 : 
- $\mu_R = \mu_F = p_T$

$$d\sigma_F = d\sigma_F^{\text{sing}} + [d\sigma_{\text{FJ}}]_{\text{f.o.}} - [d\sigma_F^{\text{sing}}]_{\text{f.o.}} = e^{-\tilde{S}(p_T)} \left\{ D + \underbrace{\frac{[d\sigma_{\text{FJ}}]_{\text{f.o.}}}{[e^{-\tilde{S}(p_T)}]_{\text{f.o.}}} - \frac{[d\sigma_F^{\text{sing}}]_{\text{f.o.}}}{[e^{-\tilde{S}(p_T)}]_{\text{f.o.}}}}_{1 - \alpha_s \tilde{S}^{(1)}} - \alpha_s D^{(1)}(p_T) - \alpha_s^2 D^{(2)}(p_T) \right\}$$

$$D(p_T) \equiv - \frac{d\tilde{S}(p_T)}{dp_T} \mathcal{L}(p_T) + \frac{d\mathcal{L}p_T}{dp_T}$$

THE MiNNLO_{PS} METHOD

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- $\mu_R = \mu_F = p_T$

$$d\sigma_F = d\sigma_F^{\text{sing}} + [d\sigma_{\text{FJ}}]_{\text{f.o.}} - [d\sigma_F^{\text{sing}}]_{\text{f.o.}} = e^{-\tilde{S}(p_T)} \left\{ D + \underbrace{\frac{[d\sigma_{\text{FJ}}]_{\text{f.o.}}}{[e^{-\tilde{S}(p_T)}]_{\text{f.o.}}} - \frac{[d\sigma_F^{\text{sing}}]_{\text{f.o.}}}{[e^{-\tilde{S}(p_T)}]_{\text{f.o.}}}}_{1 - \alpha_s \tilde{S}^{(1)}} - \alpha_s D^{(1)}(p_T) - \alpha_s^2 D^{(2)}(p_T) \right\}$$

$$\bar{B}^{\text{MiNNLO}_{\text{PS}}}(\Phi_{\text{FJ}}) = e^{-\tilde{S}(p_T)} \left(B(\Phi_{\text{FJ}}) \left(1 + \alpha_s \tilde{S}^{(1)} \right) + V(\Phi_{\text{FJ}}) + \int d\Phi_{\text{rad}} R(\Phi_{\text{FJ}}) + \left(D(p_T) - \alpha_s D^{(1)}(p_T) - \alpha_s^2 D^{(2)}(p_T) \right) \mathcal{F} \right)$$

WHAT CAN WE DO WITH MiNNLOps?

2 → 1 PROCESSES

- H** [1908.06987, 2407.01354] ✓
- Z** [1908.06987] ✓
- W** [2006.04133] ✓
- bb**→**H** [2402.04025]

2 → 2 PROCESSES

- Z γ** [2010.10478] ✓
- $\gamma\gamma$** [2204.12602] ✓
- ZZ** [2108.05337] ✓
- VH (H→bb)** [2112.04168]
- (+SMEFT [2204.00663])
- WW** [2103.12077] ✓
- WZ** [2208.12660] ✓

INCLUSION NLO EW

- WZ** [2208.12660] ✓
- Z** ongoing

QQ PRODUCTION

- tt** [2012.14267, 2112.12135] ✓
- bb** [2112.04168]

QQF PRODUCTION

- bbZ** [2404.08598]

X EXTENSION TO PROCESSES WITH JETS

[2402.00596]

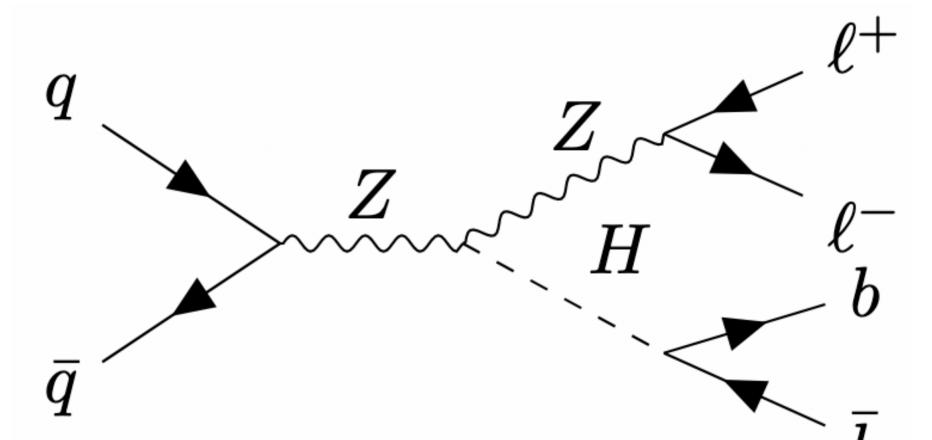
DIFFICULT

✓ = publicly available at <https://powhegbox.mib.infn.it/>

3. PHENOMENOLOGICAL RESULTS

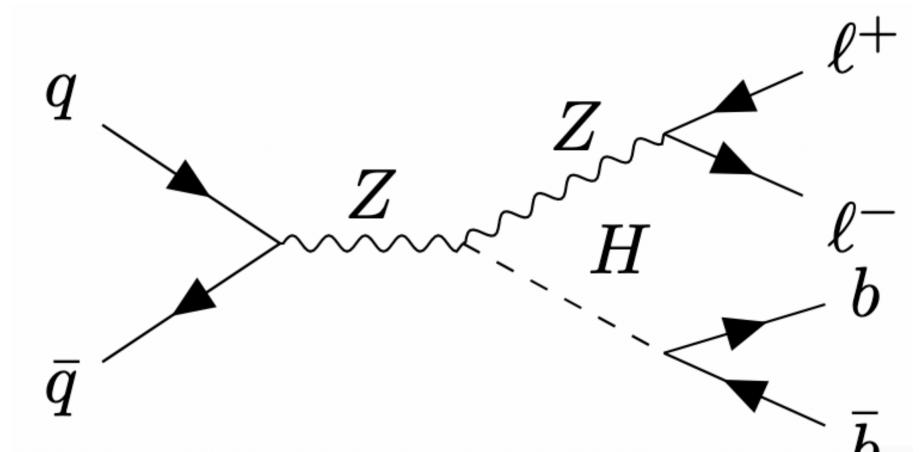
VH x H \rightarrow bb @ NNLO+PS

- NNLO+PS accuracy in both production and decay.
- Clean channel for H production + largest branching fraction in the decay.

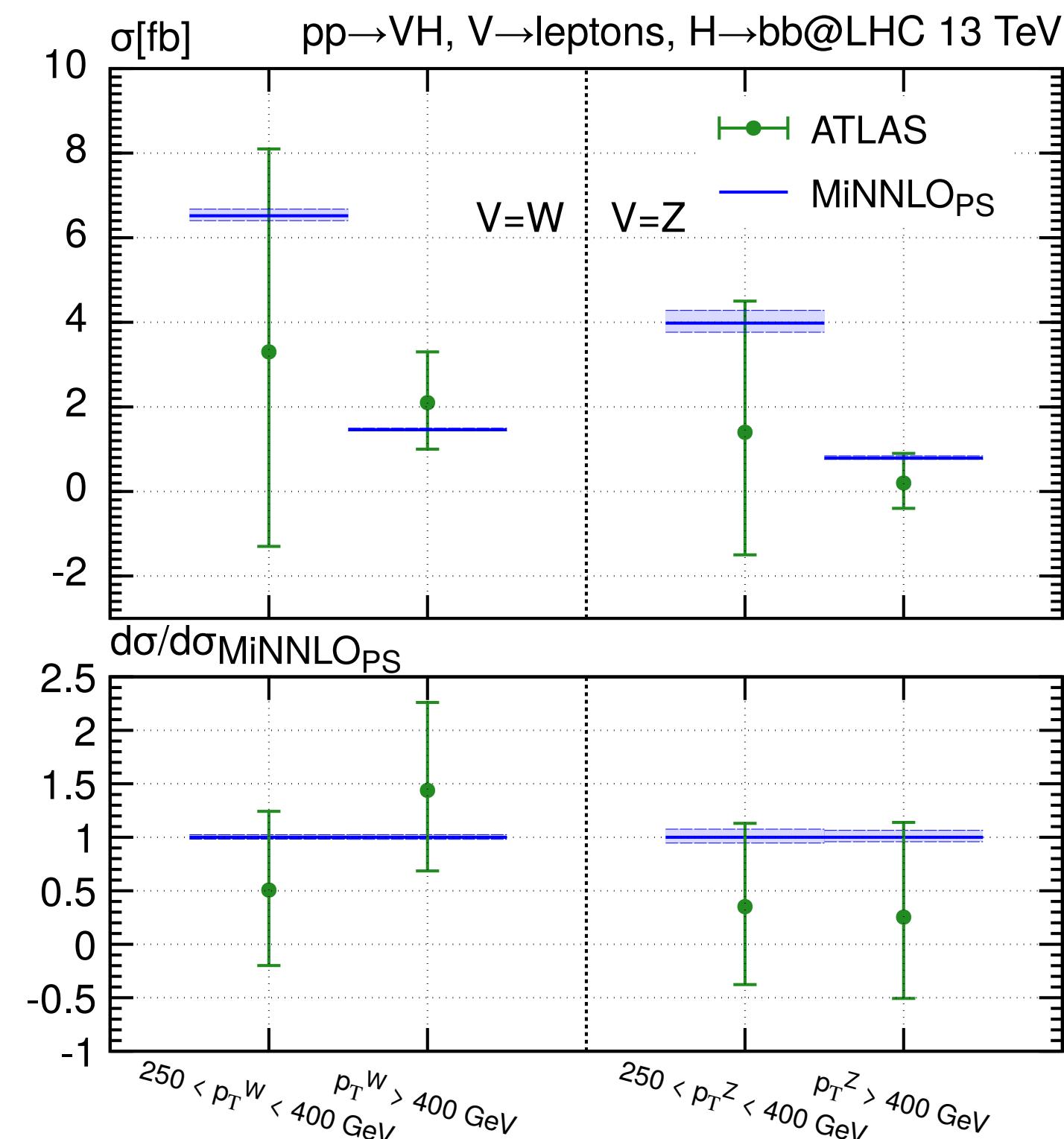


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COMPARISON WITH DATA



$pp \rightarrow W^\pm H \rightarrow \ell^\pm \nu_\ell b\bar{b}$		
σ [fb]	$p_T^W \in [250, 400] \text{ GeV}$	$p_T^W \in [400, \infty] \text{ GeV}$
MiNNLO _{PS}	$6.52^{+2.4\%}_{-1.8\%}$	$1.46^{+2.5\%}_{-1.9\%}$
ATLAS [130]	$3.3^{+3.6(\text{Stat.})+3.2(\text{Syst.})}_{-3.4(\text{Stat.})-3.0(\text{Syst.})}$	$2.1^{+1.0(\text{Stat.})+0.6(\text{Syst.})}_{-0.9(\text{Stat.})-0.5(\text{Syst.})}$
$pp \rightarrow ZH \rightarrow (\ell^+\ell^-, \nu_\ell\bar{\nu}_\ell)b\bar{b}$		
σ [fb]	$p_T^Z \in [250, 400] \text{ GeV}$	$p_T^Z \in [400, \infty] \text{ GeV}$
MiNNLO _{PS}	$3.98^{+7.6\%}_{-5.4\%}$	$0.79^{+6.5\%}_{-4.2\%}$
ATLAS [130]	$1.4^{+2.4(\text{Stat.})+1.9(\text{Syst.})}_{-2.3(\text{Stat.})-1.7(\text{Syst.})}$	$0.2^{+0.6(\text{Stat.})+0.3(\text{Syst.})}_{-0.5(\text{Stat.})-0.3(\text{Syst.})}$

[ATLAS 2008.02508]

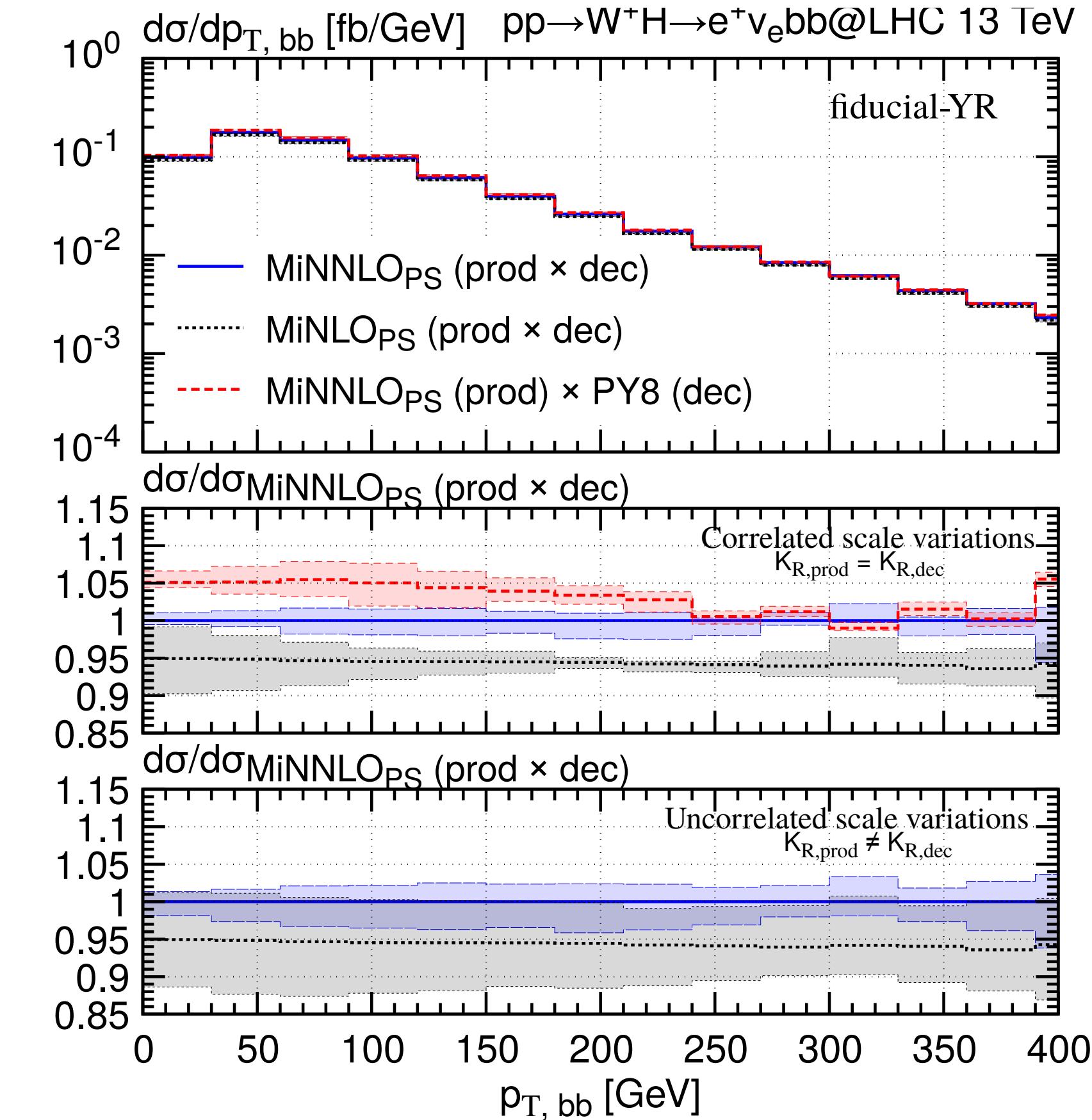
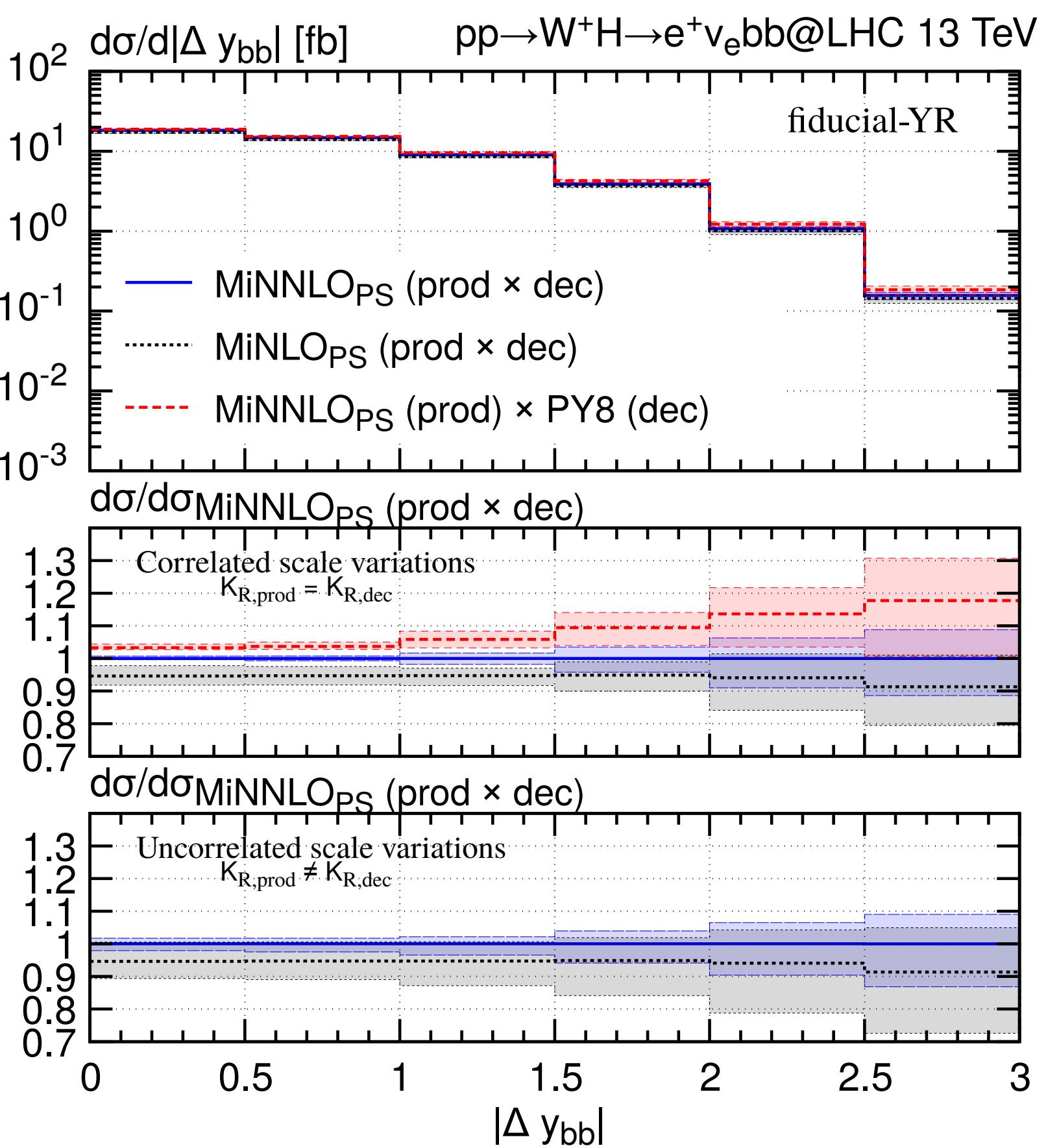
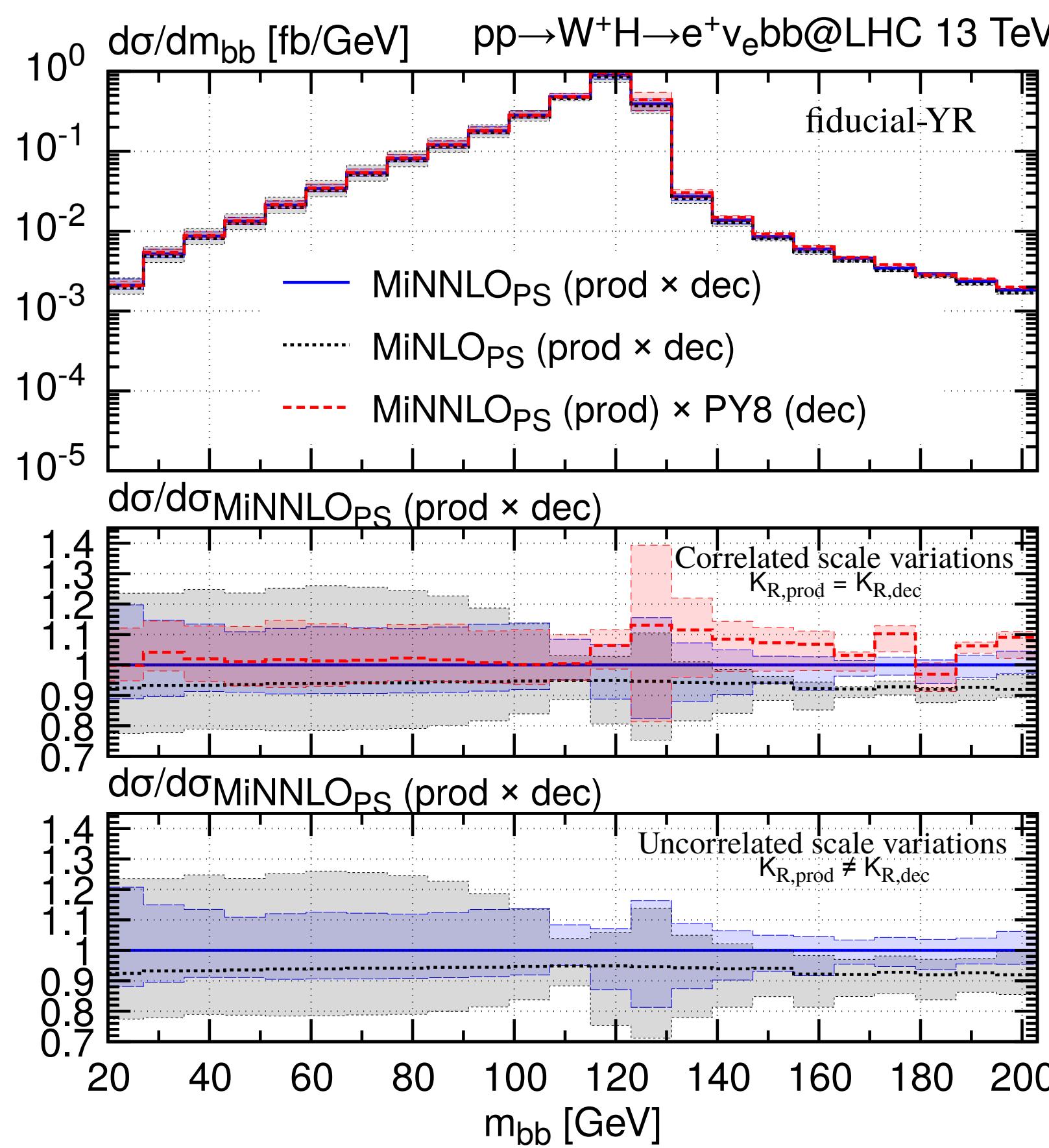
CROSS SECTIONS

$pp \rightarrow W^+ H \rightarrow e^+ \nu_e b\bar{b}$		
σ [fb]	inclusive	fiducial-YR
MiNLO'	$54.04^{+6.6\%}_{-3.6\%}$	$20.13^{+2.3\%}_{-3.1\%}$
MiNNLO _{PS}	$57.44^{+1.7\%}_{-0.8\%}$	$21.27^{+1.3\%}_{-1.3\%}$
$pp \rightarrow W^- H \rightarrow e^- \bar{\nu}_e b\bar{b}$		
σ [fb]	inclusive	fiducial-YR
MiNLO'	$33.82^{+6.6\%}_{-3.6\%}$	$13.07^{+2.4\%}_{-3.3\%}$
MiNNLO _{PS}	$35.87^{+1.5\%}_{-0.7\%}$	$13.77^{+1.5\%}_{-1.6\%}$
$pp \rightarrow ZH \rightarrow e^+ e^- b\bar{b}$		
σ [fb]	inclusive	fiducial-YR
MiNLO'	$14.88^{+6.7\%}_{-3.7\%}$	$5.21^{+2.2\%}_{-3.0\%}$
MiNNLO _{PS} (no $gg \rightarrow ZH$)	$15.79^{+1.8\%}_{-0.9\%}$	$5.48^{+1.2\%}_{-1.2\%}$
MiNNLO _{PS} (with $gg \rightarrow ZH$)	$16.99^{+3.6\%}_{-2.3\%}$	$6.07^{+3.4\%}_{-2.9\%}$

VH x H \rightarrow bb @ NNLO+PS

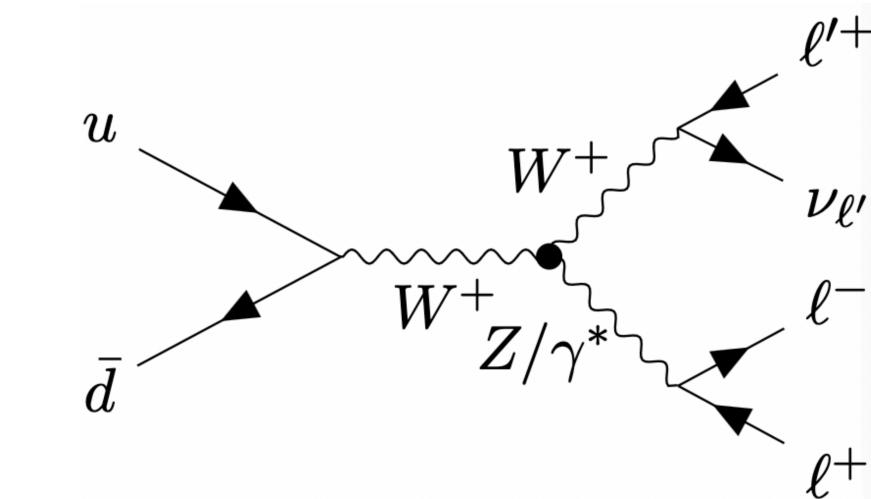
DIFFERENTIAL DISTRIBUTIONS

$$pp \rightarrow W^+H \rightarrow e^+\nu_e b\bar{b}$$



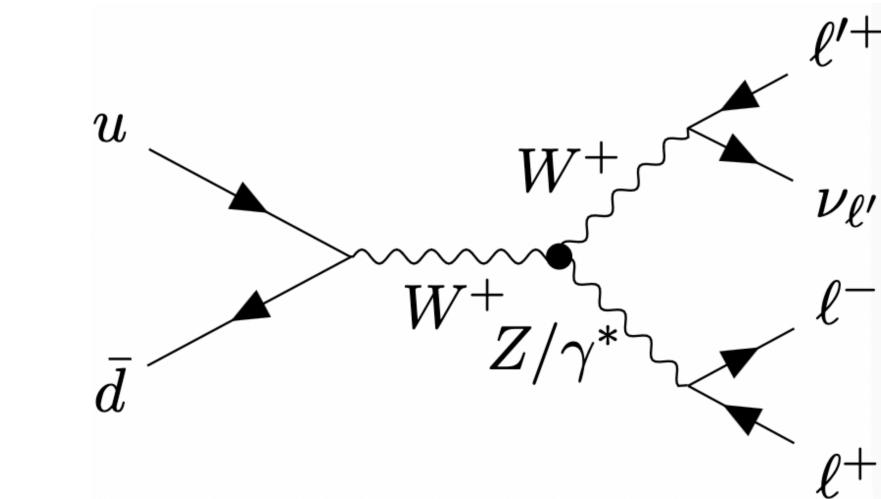
WZ @ NNLO_{QCD}+PS & NLO_{EW}+PS

- Direct access to trilinear gauge couplings (BSM searches).
- Clear experimental signature in the leptonic channel.
- Precision physics at % level of accuracy requires inclusion of both QCD and EW effects.



WZ @ NNLO_{QCD}+PS & NLO_{EW}+PS

- Direct access to trilinear gauge couplings (BSM searches).
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STRATEGY:

1. Event generation

Generate separately NNLO QCD and NLO EW results. The former are obtained with MiNNLOPS, the latter with POWHEG.

2. Matching with the shower

Non trivial treatment of QCD and QED radiation. Treated them separately according to different veto procedures.

3. A-posteriori recombination

Define possible matching schemes (additive/multiplicative) of QCD and EW corrections that do not introduce any double counting.

WZ @ NNLO_{QCD}+PS & NLO_{EW}+PS

ADDITIVE SCHEMES:

1. $\text{NNLO}_{\text{QCD}}^{(\text{QCD}, \text{QED})_{\text{PS}}} + \text{NLO}_{\text{EW}}^{(\text{QCD}, \text{QED})_{\text{PS}}} - \text{LO}^{(\text{QCD}, \text{QED})_{\text{PS}}} = \text{NNLO}_{\text{QCD+EW}}^{(\text{QCD}, \text{QED})_{\text{PS}}}$
2. $\text{NNLO}_{\text{QCD}}^{(\text{QCD}, \text{QED})_{\text{PS}}} + \text{NLO}_{\text{EW}}^{(\text{QED})_{\text{PS}}} - \text{LO}^{(\text{QED})_{\text{PS}}}$
3. $\text{NNLO}_{\text{QCD}}^{(\text{QCD})_{\text{PS}}} + \text{NLO}_{\text{EW}}^{(\text{QCD}, \text{QED})_{\text{PS}}} - \text{LO}^{(\text{QCD})_{\text{PS}}}$

MULTIPLICATIVE SCHEMES:

4. $\text{NNLO}_{\text{QCD}}^{(\text{QCD}, \text{QED})_{\text{PS}}} \times \text{NLO}_{\text{EW}}^{(\text{QCD}, \text{QED})_{\text{PS}}} / \text{LO}^{(\text{QCD}, \text{QED})_{\text{PS}}} = \text{NNLO}_{\text{QCD}\times\text{EW}}^{(\text{QCD}, \text{QED})_{\text{PS}}}$
5. $\text{NNLO}_{\text{QCD}}^{(\text{QCD}, \text{QED})_{\text{PS}}} \times \text{NLO}_{\text{EW}}^{(\text{QED})_{\text{PS}}} / \text{LO}^{(\text{QED})_{\text{PS}}}$
6. $\text{NLO}_{\text{EW}}^{(\text{QCD}, \text{QED})_{\text{PS}}} \times \text{NNLO}_{\text{QCD}}^{(\text{QCD})_{\text{PS}}} / \text{LO}^{(\text{QCD})_{\text{PS}}}$
7. $\text{NNLO}_{\text{QCD}}^{(\text{QCD})_{\text{PS}}} \times \text{NLO}_{\text{EW}}^{\text{f.o.}} / \text{LO}^{\text{f.o.}}$

NOTATION:

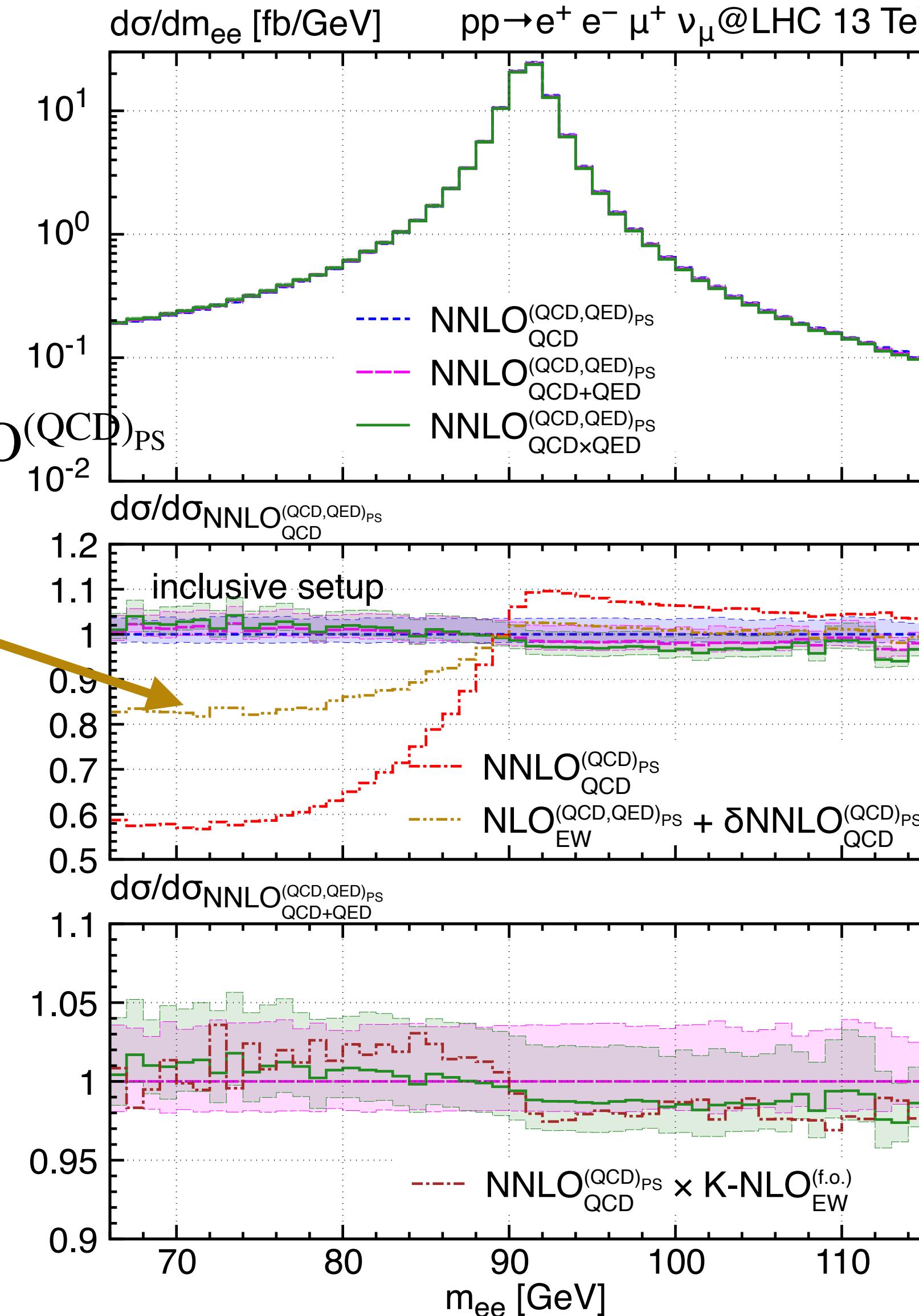
$(\text{N})\text{NLO}_X^{(Y)_{\text{PS}}}$

$X = \text{QCD, EW calculation}$

$Y = \text{QCD, QED showers (PY8)}$

WZ @ NNLO_{QCD}+PS & NLO_{EW}+PS

● NNLO_{QCD}^(QCD)_{PS} + NLO_{EW}^(QCD,QED)_{PS} – LO_{QCD}^(QCD)_{PS}

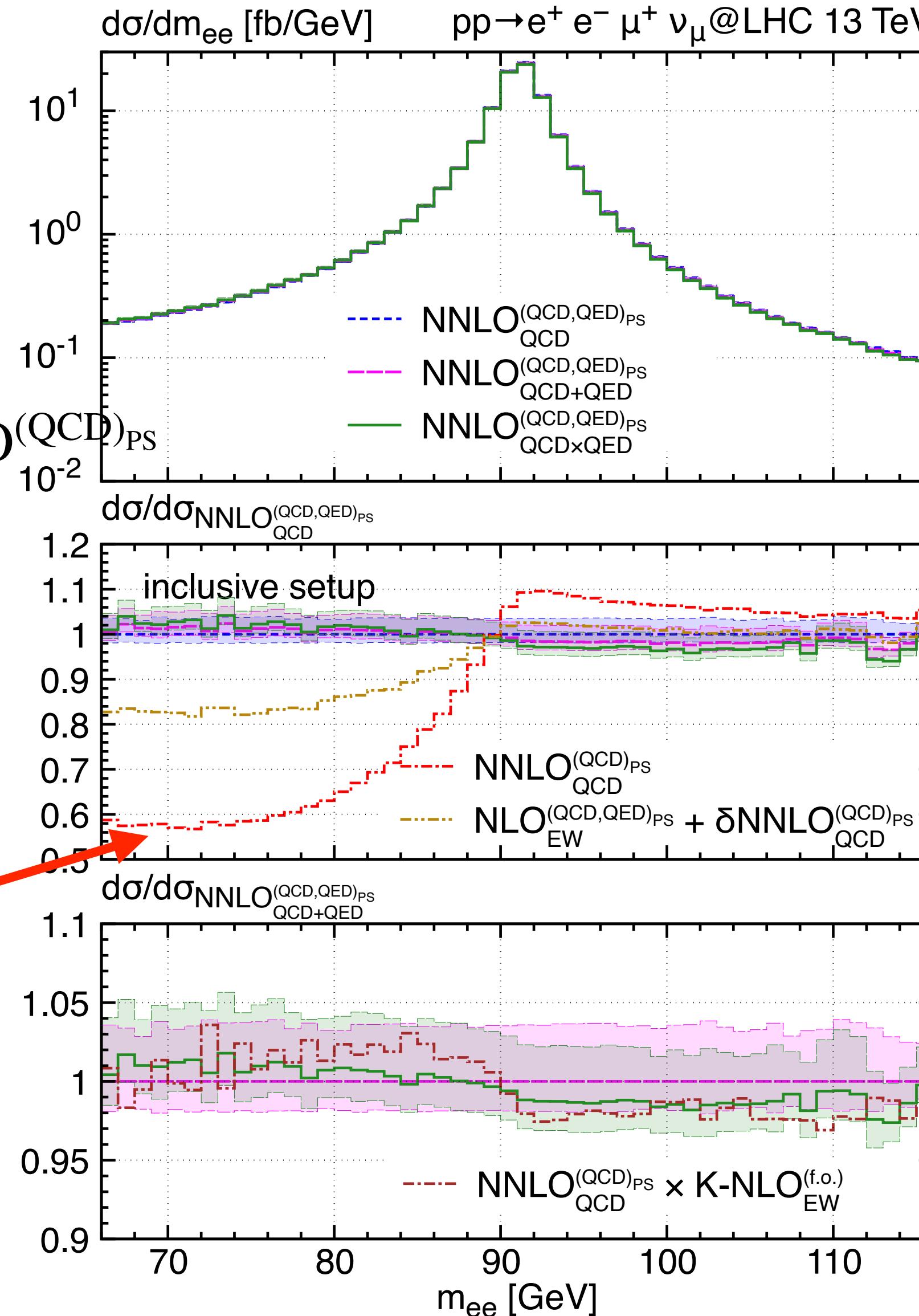


LEGEND:

- NNLO_{QCD}^(QCD,QED)_{PS}
- NNLO_{QCD}^(QCD,QED)_{PS}
- NNLO_{QCD}^(QCD,QED)_{PS}
- NNLO_{QCD}^(QCD)_{PS}
- NNLO_{QCD}^(QCD)_{PS} × K_{EW}^{f.o.}

WZ @ NNLO_{QCD}+PS & NLO_{EW}+PS

● NNLO_{QCD}^(QCD)_{PS} + NLO_{EW}^(QCD,QED)_{PS} – LO_{QCD}^(QCD)_{PS}



PURE QCD RESULT:

Large effects from missing collinear QED radiations.

LEGEND:

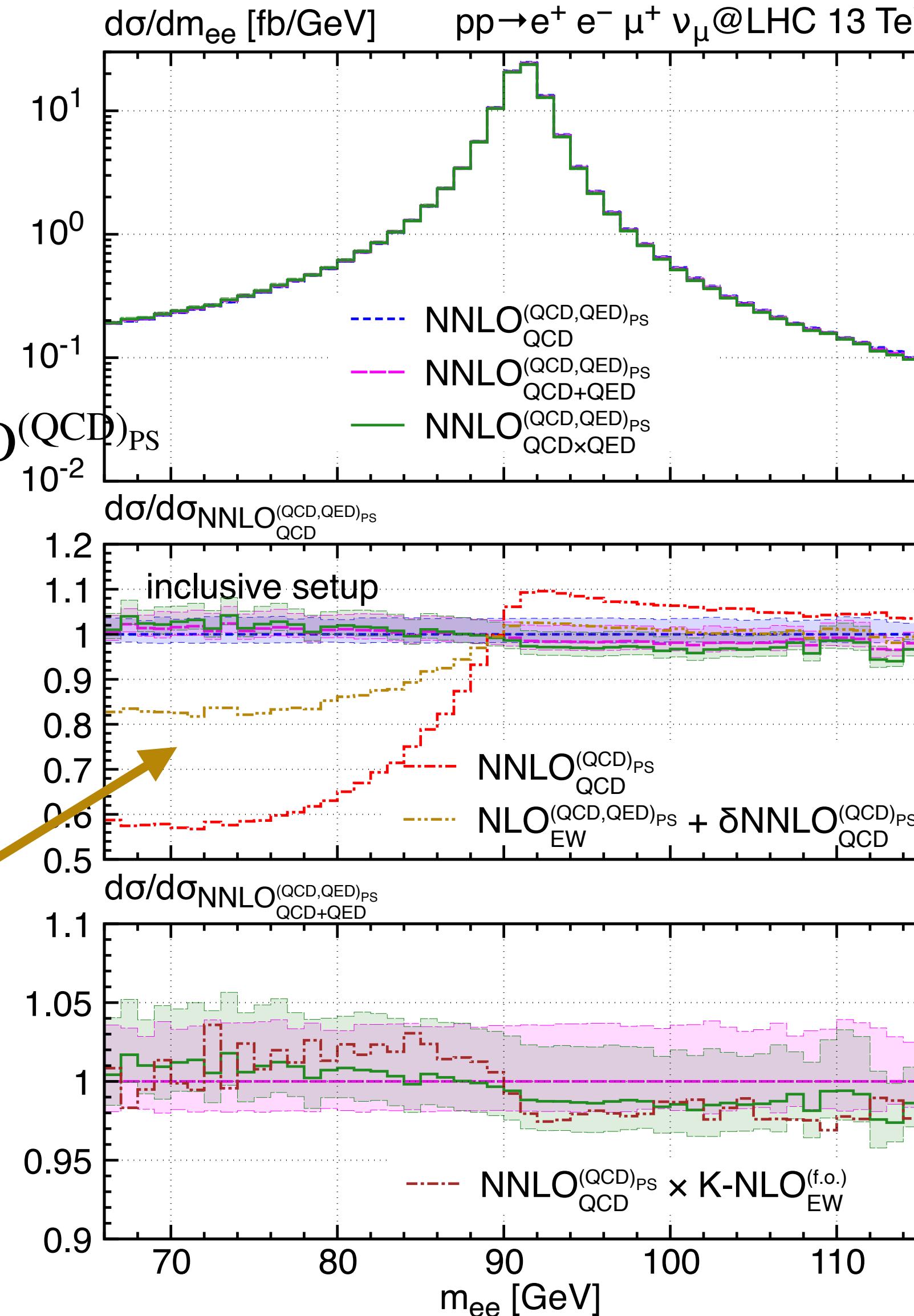
- NNLO_{QCD}^(QCD,QED)_{PS}
- NNLO_{QCD}^(QCD,QED)_{PS}
- NNLO_{QCD}^(QCD,QED)_{PS}
- NNLO_{QCD}^(QCD)_{PS}
- NNLO_{QCD}^(QCD)_{PS} × K_{EW}^{f.o.}

WZ @ NNLO_{QCD}+PS & NLO_{EW}+PS

● NNLO_{QCD}^(QCD)_{PS} + ~~O^(QCD,QED)_{EW}~~ - LO_{QCD}^(QCD)_{PS}



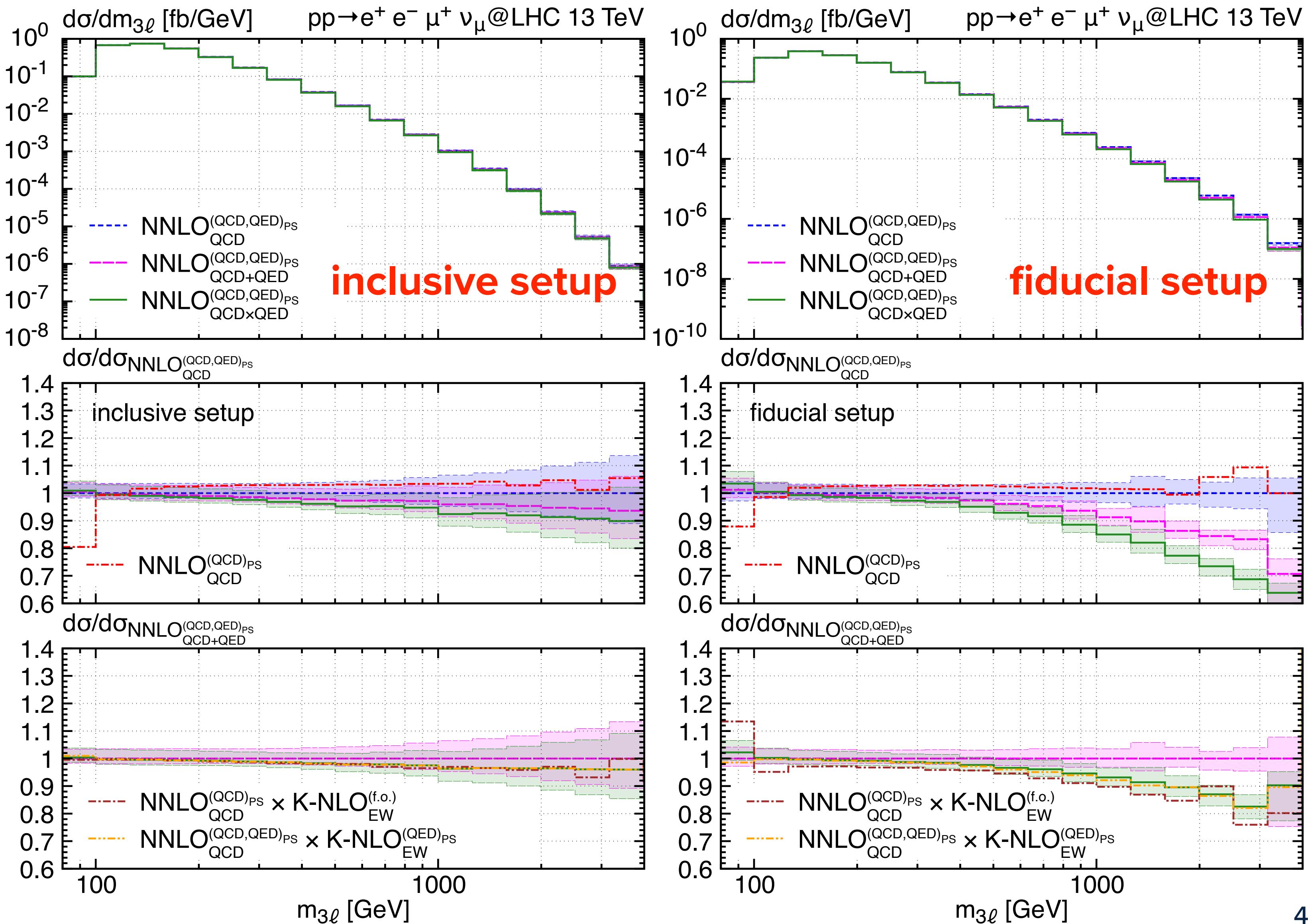
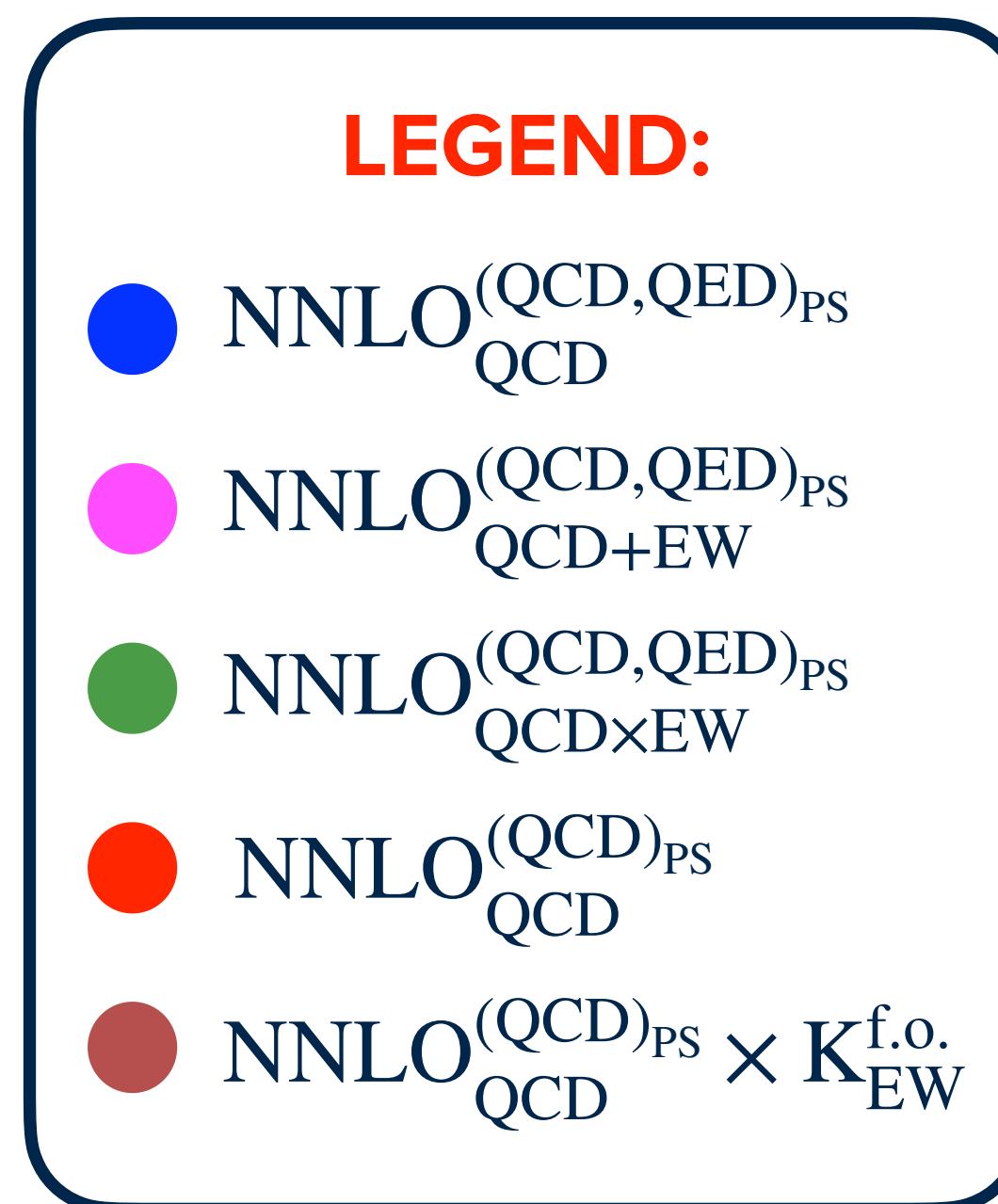
● misses important
QED-QCD effects
originating from QED
emissions on top of the
NNLO calculation.



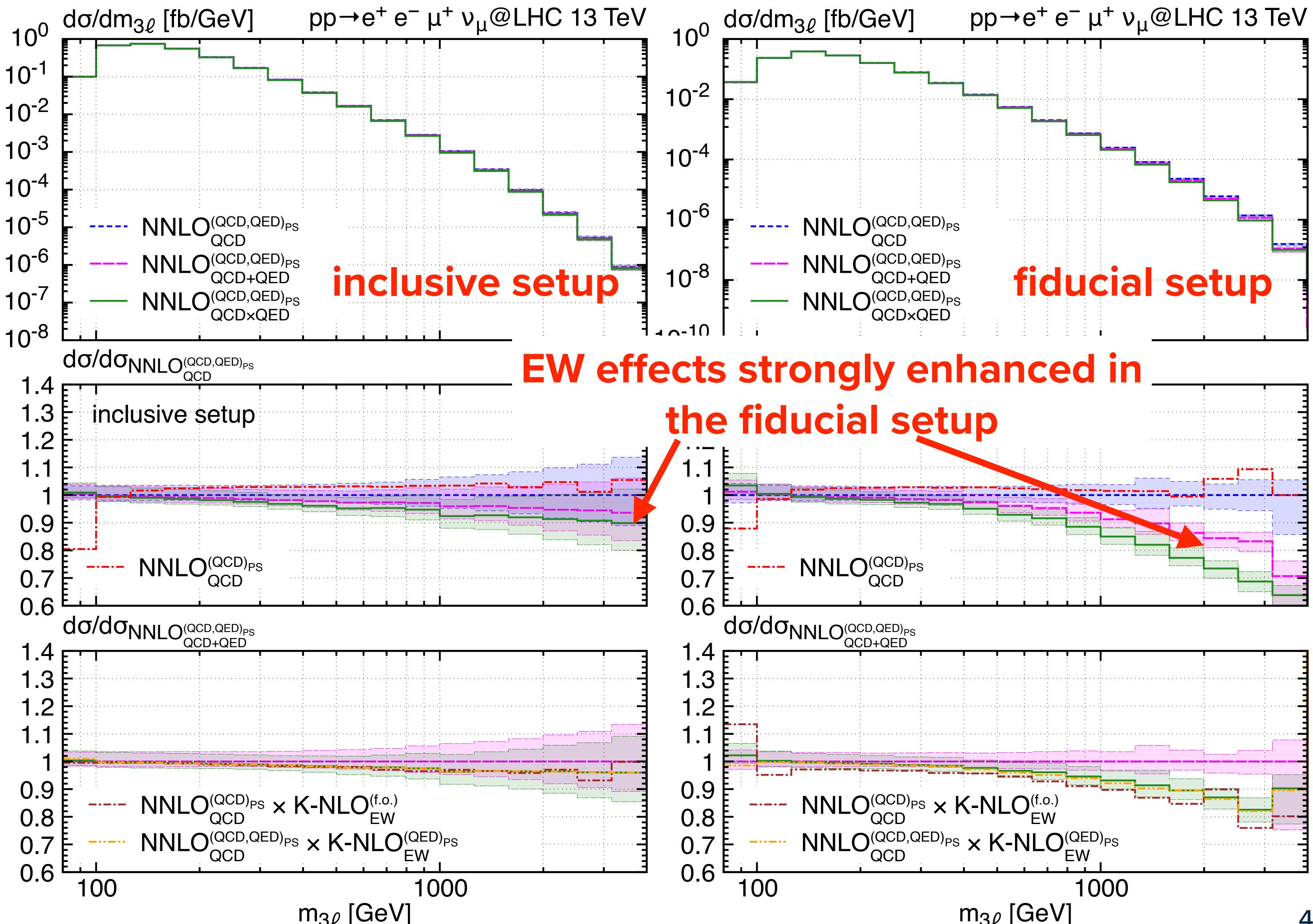
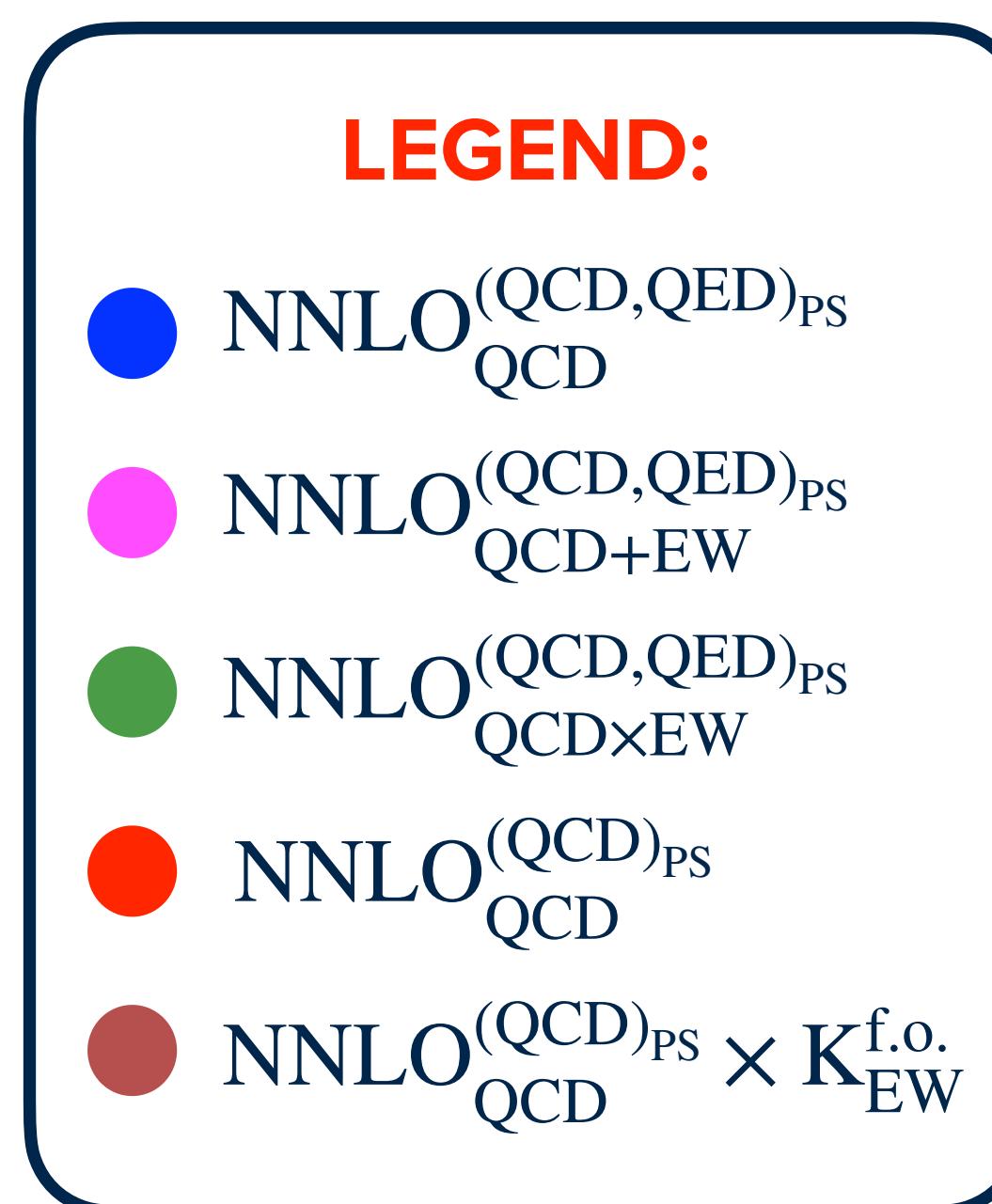
LEGEND:

- NNLO_{QCD}^(QCD,QED)_{PS}
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- NNLO_{QCD}^(QCD,QED)_{PS}
- NNLO_{QCD}^(QCD)_{PS}
- NNLO_{QCD}^(QCD)_{PS} $\times K_{EW}^{f.o.}$

WZ @ NNLO_{QCD}+PS & NLO_{EW}+PS

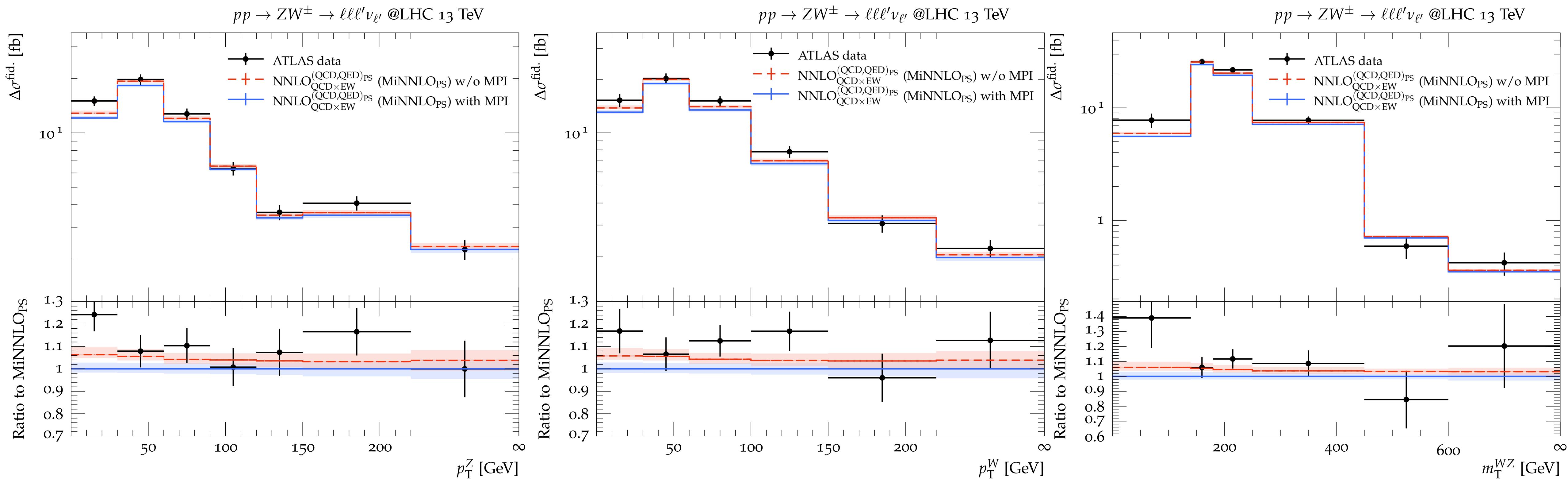


WZ @ NNLO_{QCD}+PS & NLO_{EW}+PS



WZ @ NNLO_{QCD}+PS & NLO_{EW}+PS

COMPARISON TO DATA



4. CONCLUSIONS

SUMMARY AND OUTLOOKS

- **NNLO+PS** accuracy is the **state-of-the art** for precision physics at the LHC.
- **The MiNNLO_{PS} method is a powerful framework** to reach this accuracy.
- I presented a selection of interesting phenomenological results obtained with this approach, but many others processes are available here:

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Many future developments are possible! Currently working on:

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Thank you!