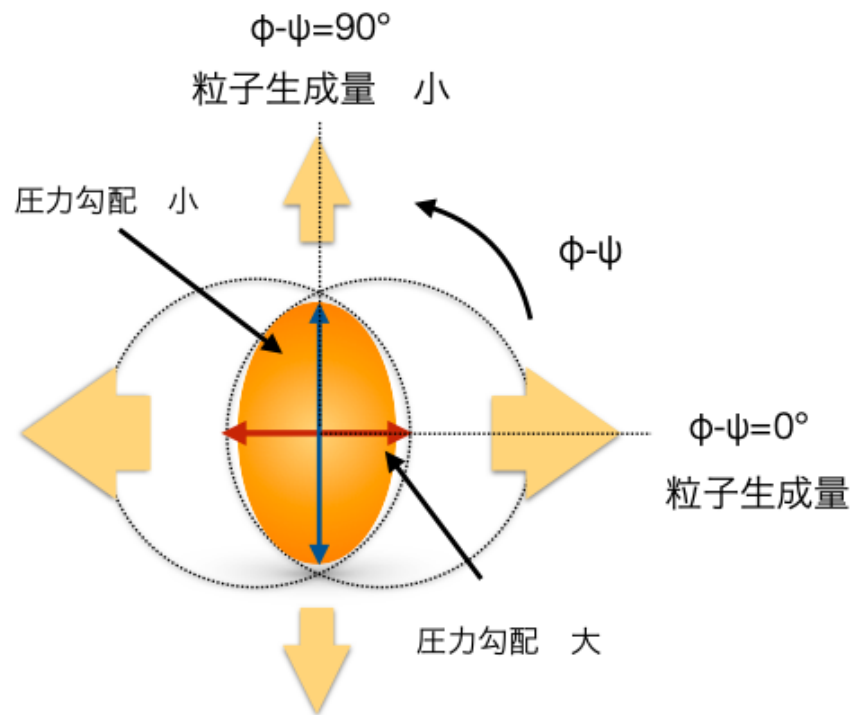


Reaction Plane Calibration in Run2024

2023/11/15 INTT Eng MT
NWU M2 Manami Fujiwara

Hydrodynamic behavior of QGP and azimuthal anisotropy of particles (v_2)



$$\frac{dN}{d(\phi - \psi_2)} \propto 1 + 2v_2 \cos[2(\phi - \psi_2)]$$

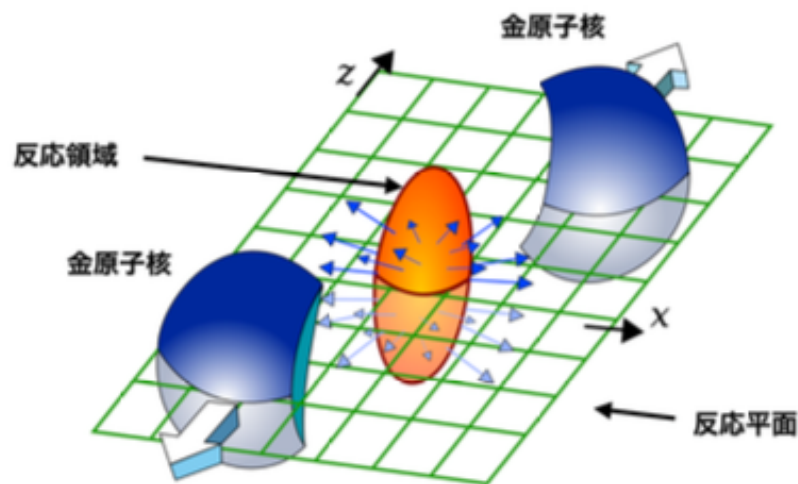
ϕ : Azimuthal angle of the particles produced by the collision

ψ_2 : reaction plane angle

v_2 : value representing the strength of the azimuthal anisotropy

QGP is generated \rightarrow large v_2 is measured

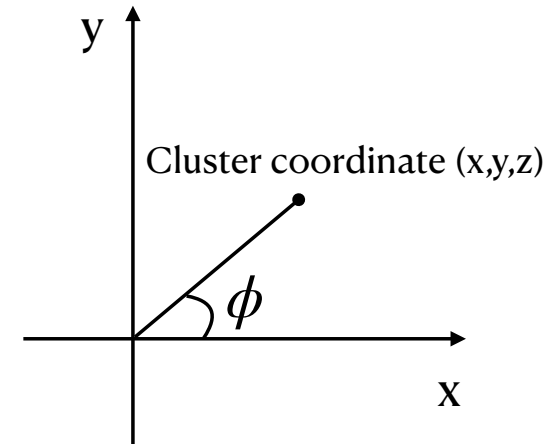
Reaction plane



- Reaction plane is a plane includes the straight line connecting the center of nucleus and and z axis
- Reaction plane is not controlled, so distribution of reaction plane angle should be uniform distribution
 - Reaction plane angle distribution is distorted due to the effect of detector acceptance, beam doesn't throw center of detector
 - Calibrations to fix the effects (re-centering, flattening) are needed

Definition of Reaction plane

- $\phi = \arctan\left(\frac{y}{x}\right)$
- $Q_x^{obs} = \frac{\sum_i \omega_i \cos(n\phi)}{\sum_i \omega_i}$, $Q_y^{obs} = \frac{\sum_i \omega_i \sin(n\phi)}{\sum_i \omega_i}$
- $\psi_n = \frac{1}{n} \tan^{-1} \frac{Q_x}{Q_y}$



Analysis in the case of $n=2$, $\omega_i = 1$ using coordinates of INTT cluster

Reaction plane angle ψ is the angle between the reaction plane and the xy-plane.

The reaction plane is a plane that includes the straight line connecting the centers of the nuclei and the beam axis.

Recentering calibration

- Recentering calibration revises the effect which made by beam doesn't throw center of detector

- Q_x^{rec} and Q_y^{rec} are defined by following equation using observed $Q_{x,y}$ and $\sigma_{x,y}$

- $$Q_x^{rec} = \frac{Q_x^{obs} - \langle Q_x^{obs} \rangle}{\sigma_x^{obs}}, \quad Q_y^{rec} = \frac{Q_y^{obs} - \langle Q_y^{obs} \rangle}{\sigma_y^{obs}}$$

- $$\psi_2^{re-cent} = \frac{1}{2} \tan^{-1} \frac{Q_x^{rec}}{Q_y^{rec}}$$

Flattening

- Flattening calibration revises $\Delta\psi$, the distortion in ψ_{rec} distribution, and makes ψ_{rec} distribution flat
- $\psi^{flat} = \psi^{rec} + \Delta\psi$
- $\frac{\Delta\psi}{2} = \sum_{k=1} (A_k \cos 2k\psi^{rec} + B_k \sin 2k\psi^{rec})$
 - $A_k = -\frac{2}{k} \langle \sin 2k\psi^{rec} \rangle$
 - $B_k = \frac{2}{k} \langle \cos 2k\psi^{rec} \rangle$

Run and Cut condition

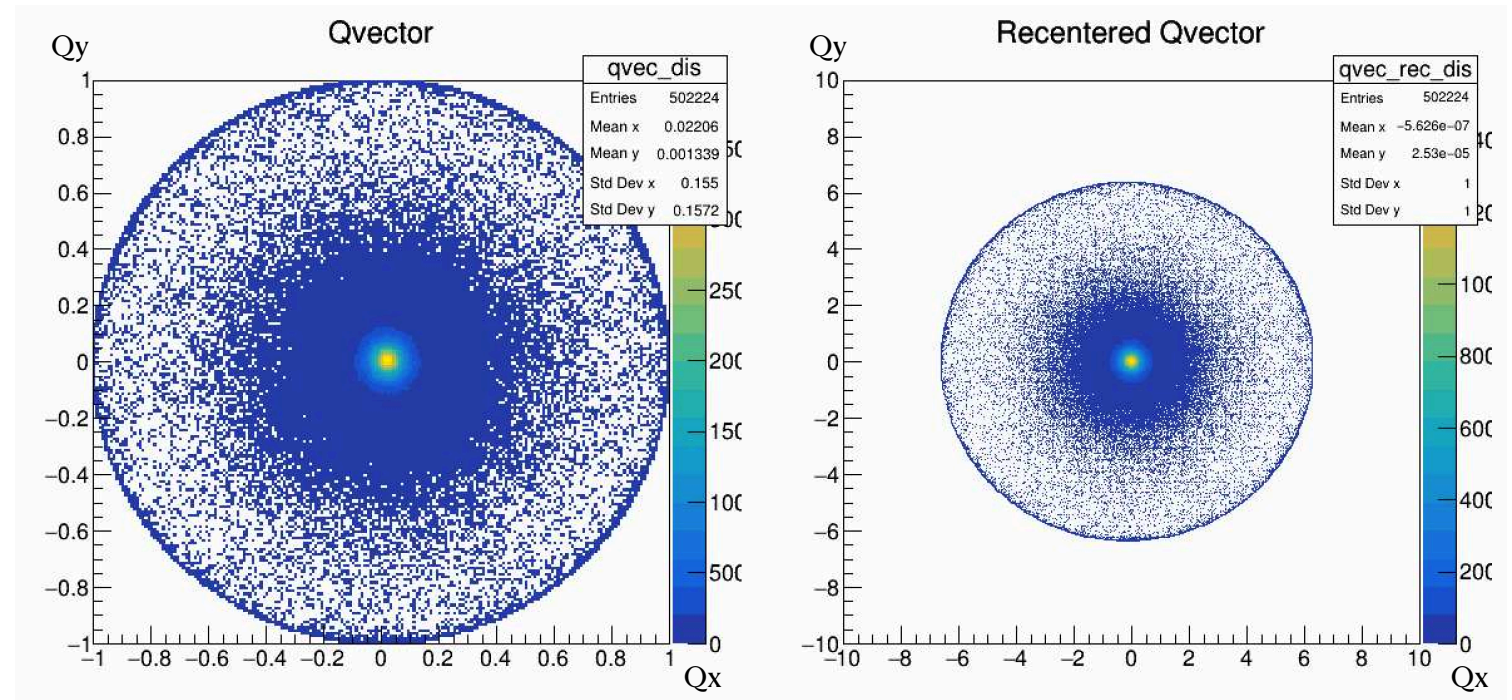
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- Run54280
 - Zero field
 - Number of Event : First 1M events (Run54280 has 10M events.)
- Cut Condition
 - Hot Channel (produced by Jeain)
 - BCO Timing
 - $|\text{MBD } z \text{ vertex}| < 20$
 - INTT Cluster ADC > 45
- TTree produced by Cheng-Wei

Run54280 RP Calibration

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- Left : Before recentering
- Right : After recentering
- The circle in plot is made by high multiplicity events



- $Q_x^{obs} = \langle \cos(2\phi) \rangle,$

- $Q_y^{obs} = \langle \sin(2\phi) \rangle$

- $Q_x^{rec} = \frac{Q_x^{obs} - \langle Q_x^{obs} \rangle}{\sigma_x},$

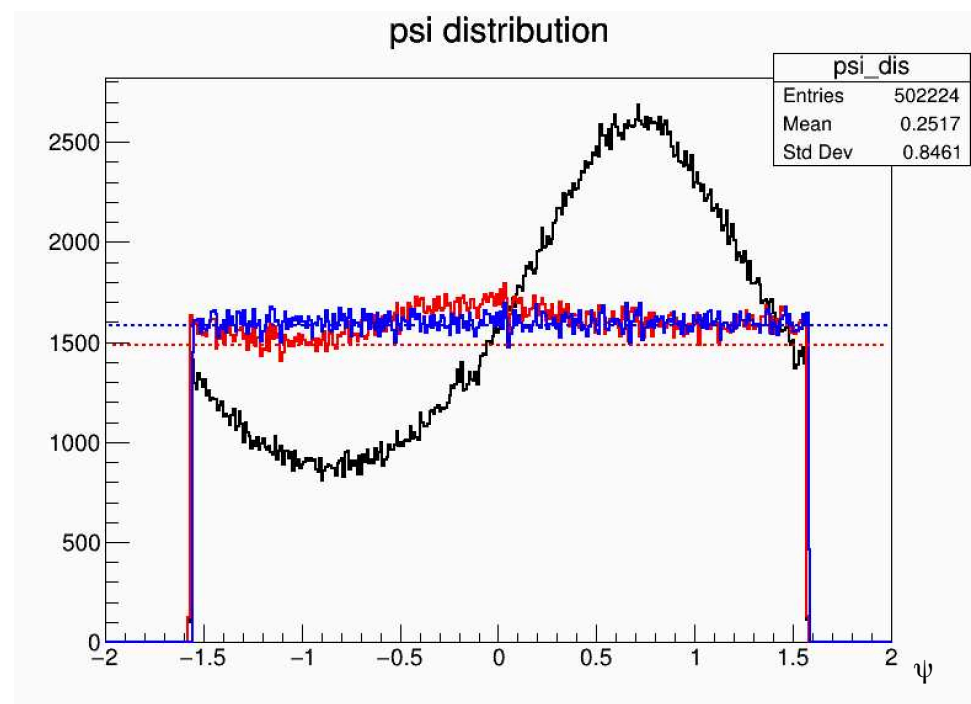
- $Q_y^{rec} = \frac{Q_y^{obs} - \langle Q_y^{obs} \rangle}{\sigma_y}$

Run54280 RP Calibration

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All INTT

- Black : raw ψ_2
- Red : After recentering ψ_2
- Blue : After flattening ψ_2



$$\bullet \psi^{flat} = \psi^{rec} + \Delta\psi$$

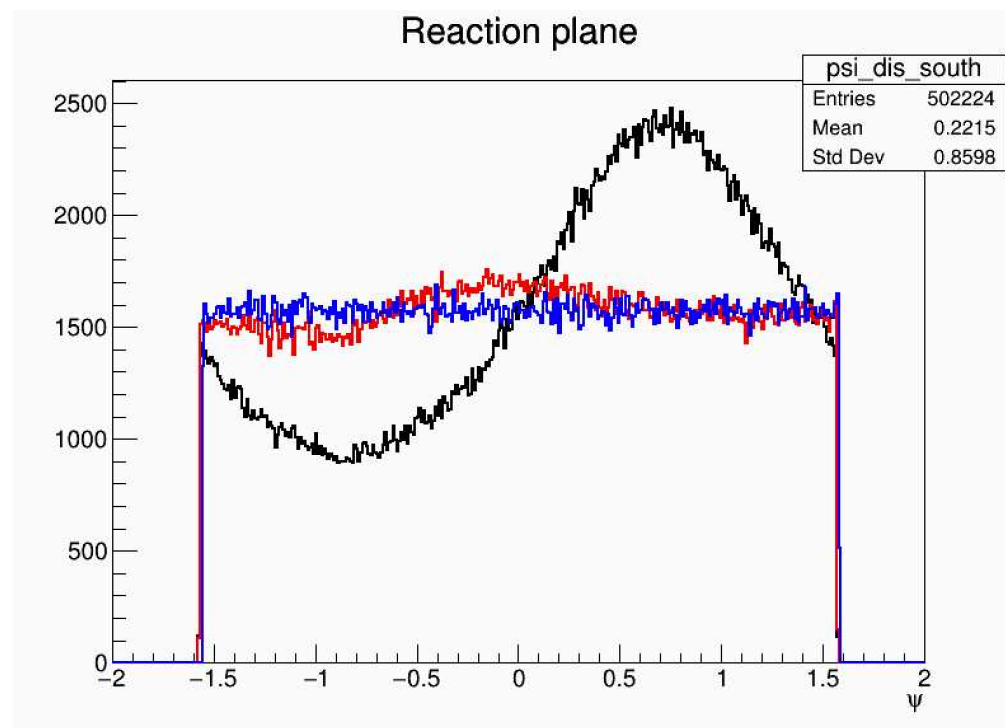
$$\bullet \frac{\Delta\psi}{2} = \sum_{k=1}^8 (A_k \cos 2k\psi^{rec} + B_k \sin 2k\psi^{rec})$$

Run54280 RP Calibration

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INTT south

- Using INTT cluster in south
- Black : raw ψ_2
- Red : After recentering ψ_2
- Blue : After flattening ψ_2



$$\bullet \psi^{flat} = \psi^{rec} + \Delta\psi$$

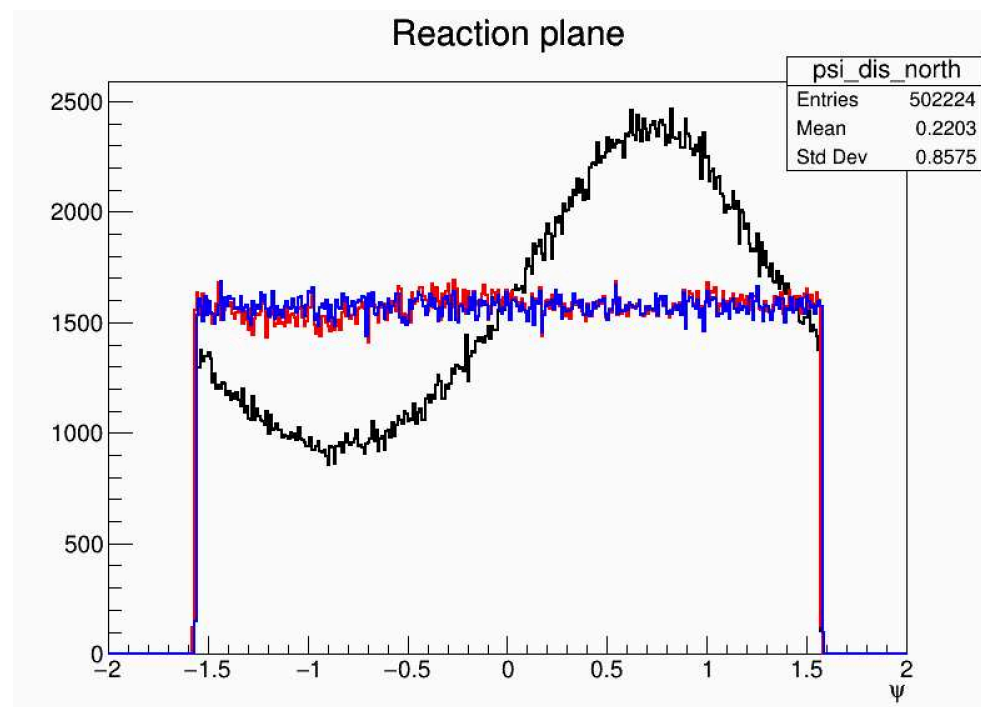
$$\bullet \frac{\Delta\psi}{2} = \sum_{k=1}^8 (A_k \cos 2k\psi^{rec} + B_k \sin 2k\psi^{rec})$$

Run54280 RP Calibration

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INTT north

- Using INTT cluster in north
- Black : raw ψ_2
- Red : After recentering ψ_2
- Blue : After flattening ψ_2



$$\bullet \psi^{flat} = \psi^{rec} + \Delta\psi$$

$$\bullet \frac{\Delta\psi}{2} = \sum_{k=1}^8 (A_k \cos 2k\psi^{rec} + B_k \sin 2k\psi^{rec})$$

INTT reaction plane resolution

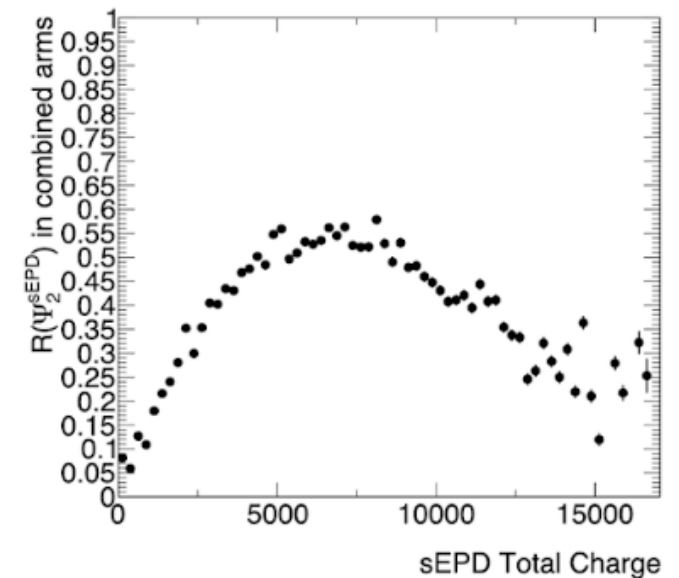
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- Calculate the resolution using 2sub-method
 - Suppose that $\sigma_{INTTS} = \sigma_{INTTN}$, the resolution is

- $$\sigma_{INTT} = \sqrt{\sigma_{INTTS}^2 + \sigma_{INTTN}^2} = \sqrt{2\langle \cos 2(\psi_{INTTS} - \psi_{INTTN}) \rangle}$$

- $\sigma_{INTT} = 0.696062$

- Compare with sEPD event plane resolution, it is higher than sEPD resolution



sEPD Total Charge vs sEPD event plane resolution
by ejiro

<https://docs.google.com/document/d/1hNYyXgFVp3XaeH182aTlv55webk9-ZO5qKOok26zclk/edit?tab=t.o>

Next to do

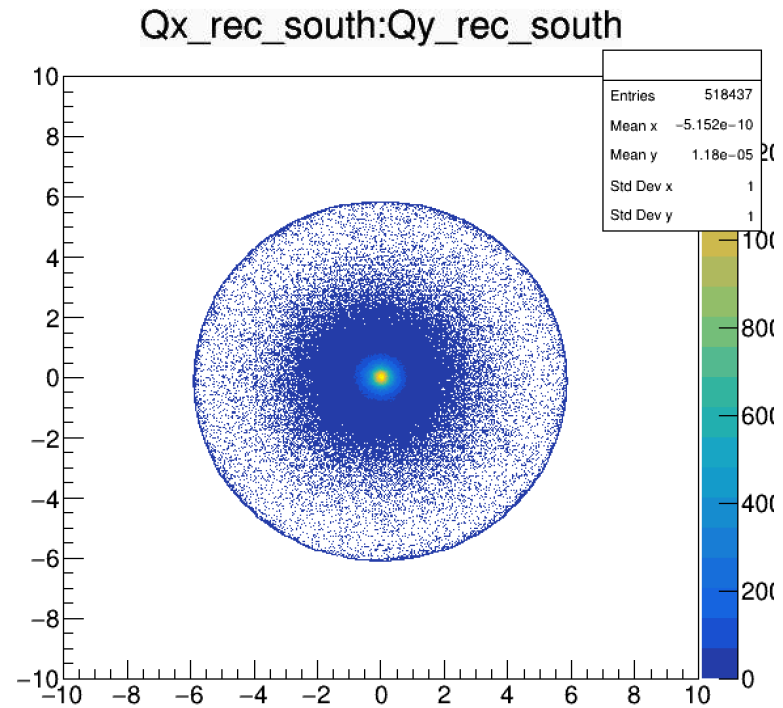
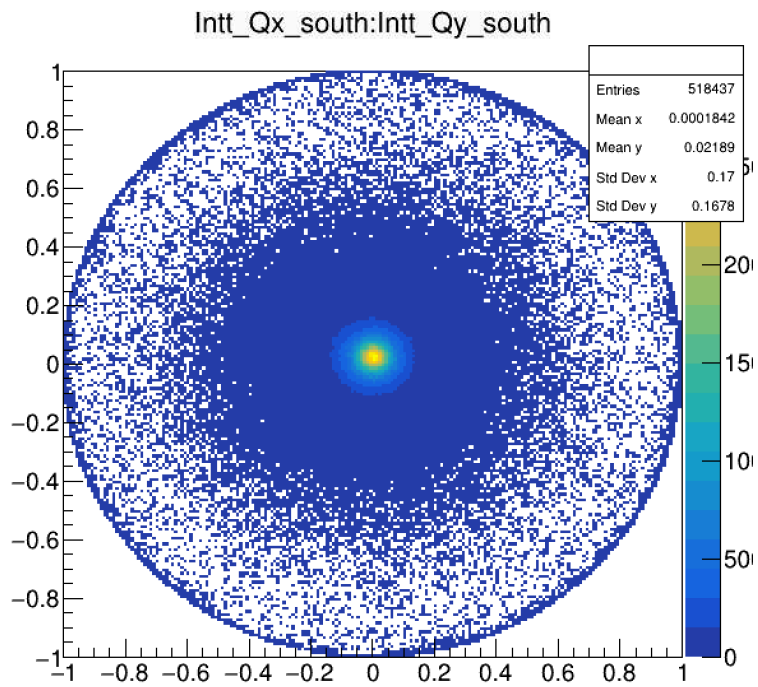
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- Calculate v_2 INTT reaction plane with MBD ϕ_{MBD}
- Correlation between INTT multiplicity and v_2 , INTT multiplicity and INTT reaction plane resolution

Back Up

Run54280

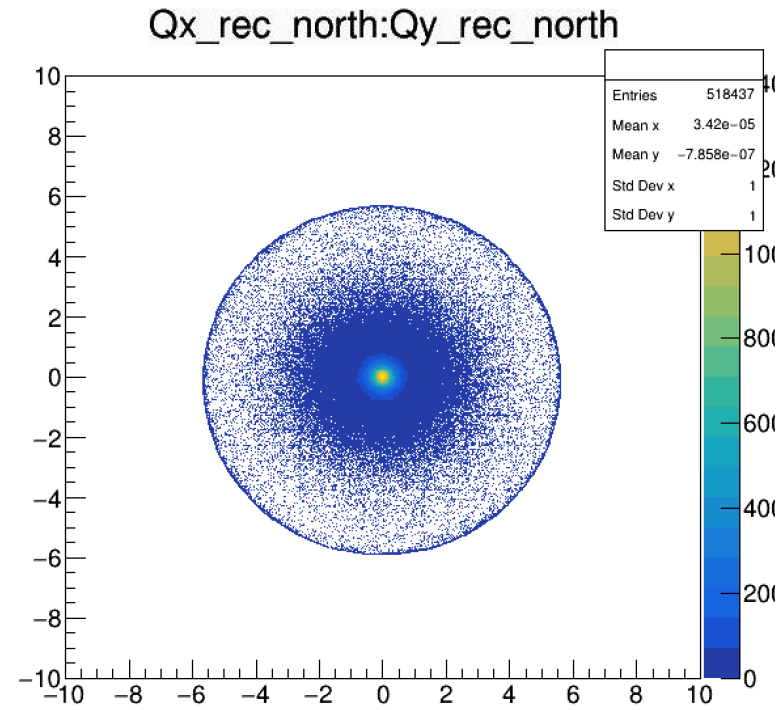
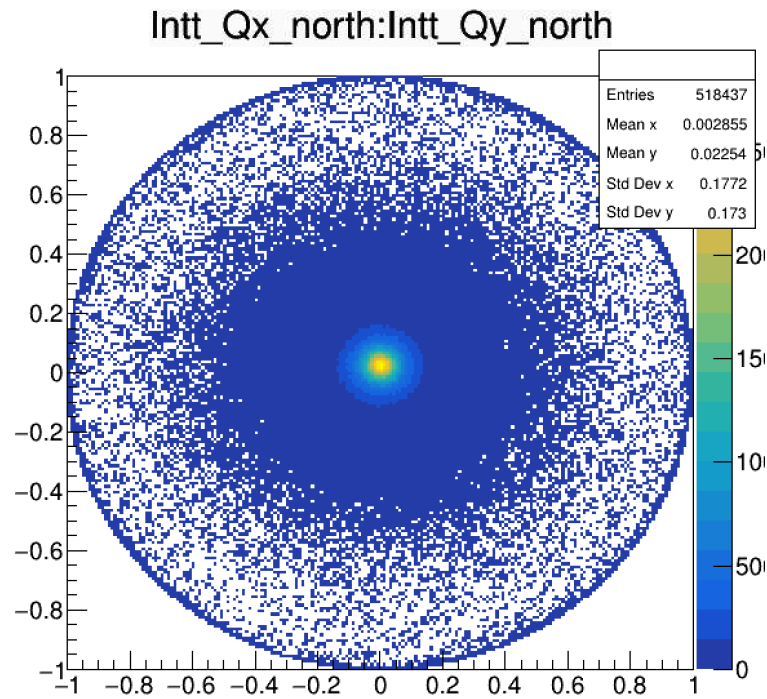
- Q vector in south



Run54280

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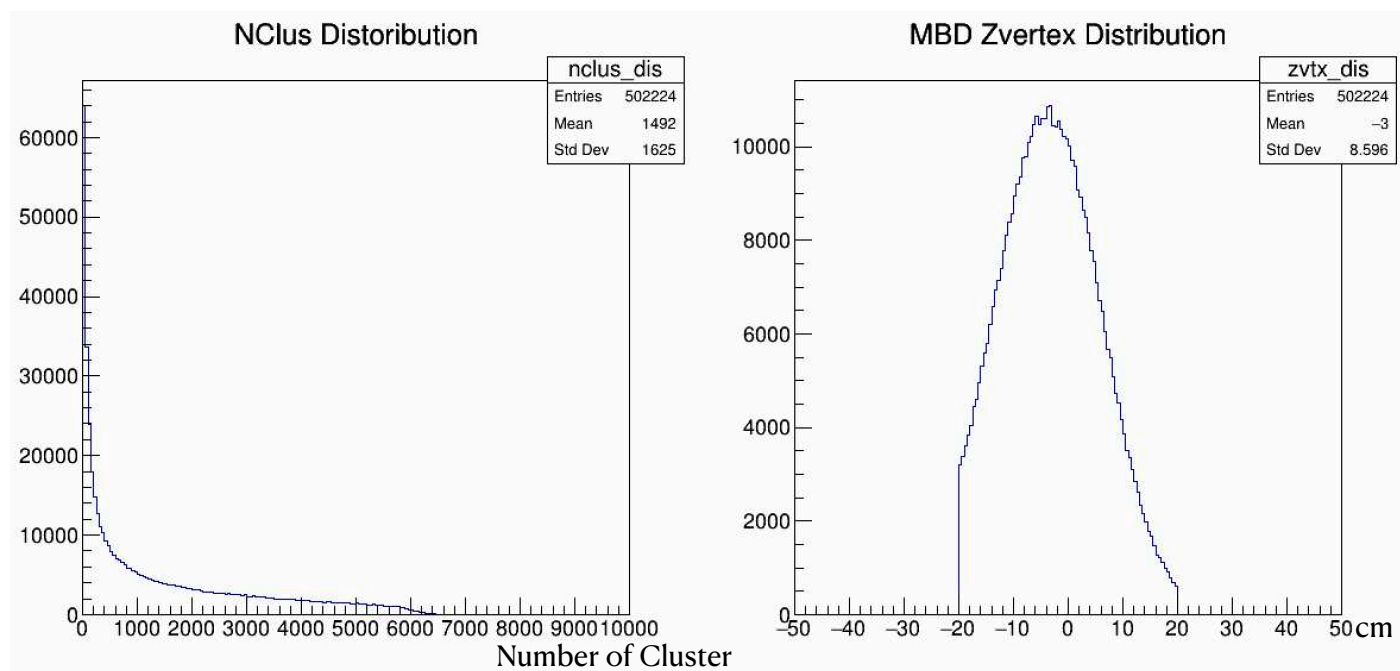
- Q vector in north



Run54280

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- MBD z vertex was spread to compare with run2023.



Proof of $\sigma_x^{rec} = 1$

$$\bullet (\sigma_x^{rec})^2 = \frac{\sum^N Q_x^{rec} - \langle Q_x^{rec} \rangle}{N}$$

$$\bullet \langle Q_x^{rec} \rangle = 0, Q_x^{rec} = \frac{Q_x - \langle Q_x \rangle}{\sigma_x}$$

$$\bullet (\sigma_x^{rec})^2 = \frac{1}{N} \sum^N \left(\frac{Q_x - \langle Q_x \rangle}{\sigma_x} \right)^2$$

$$\bullet \sigma_x^2 = \frac{1}{N} \sum^N (Q_x - \langle Q_x \rangle)^2$$

$$\bullet \therefore \sigma_x^{rec} = 1$$