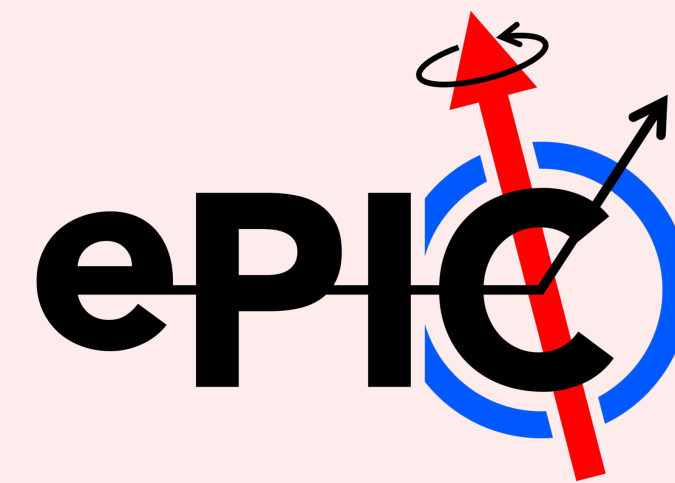
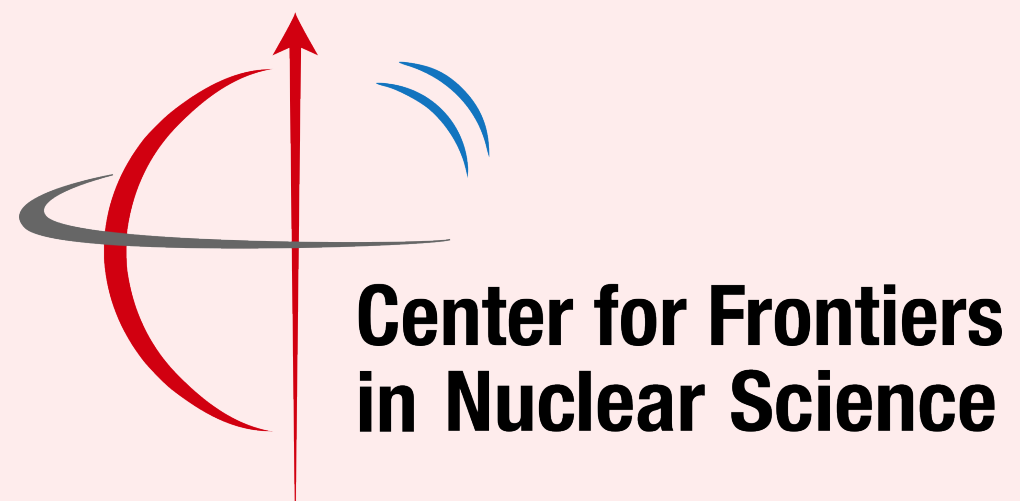


Electron reconstruction and A_1^n , $A_1^{^3\text{He}}$ update II

Win Lin
Stony Brook University

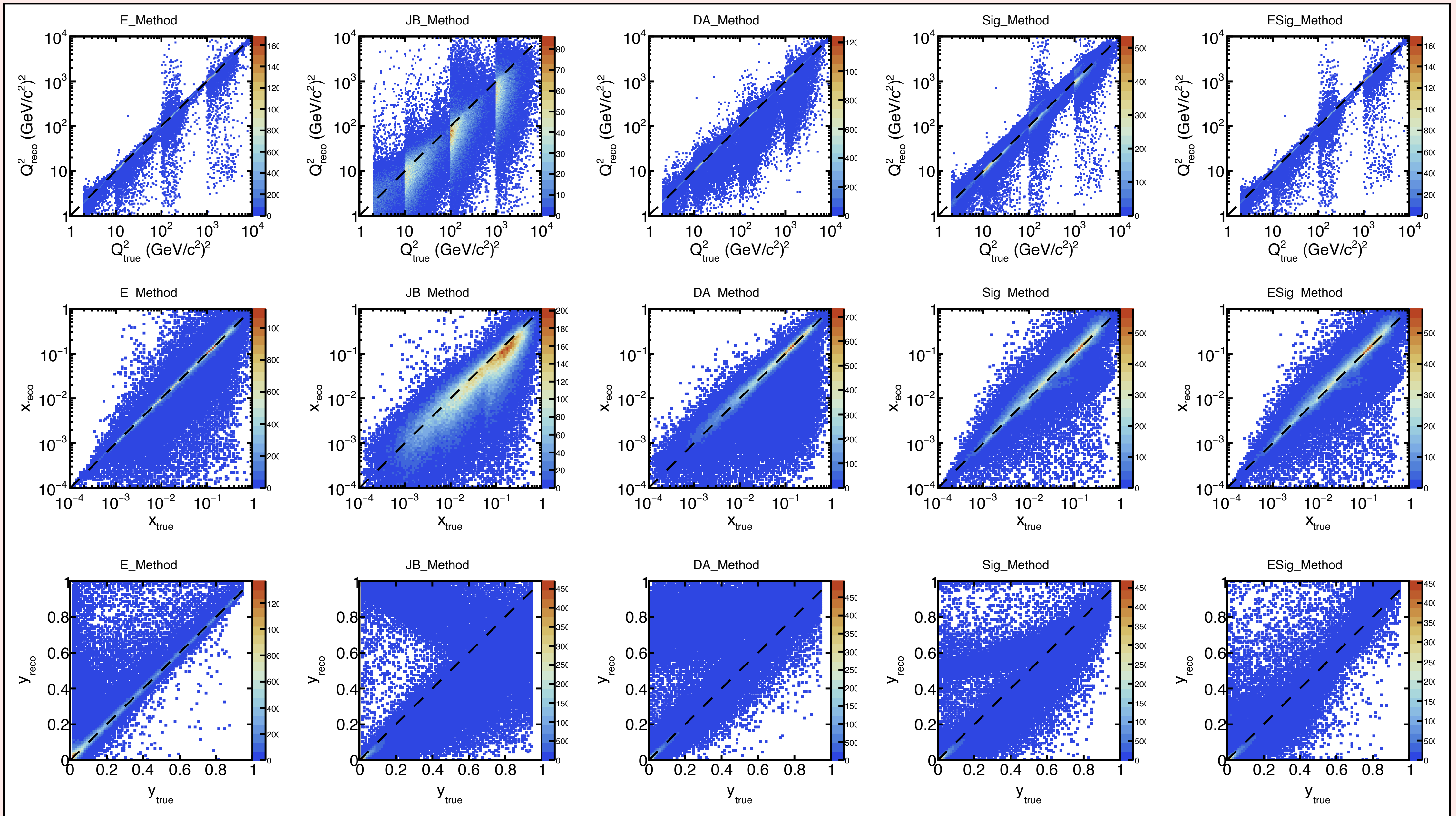
Joint inclusive/EWBSM PWG meeting
06/17/2025



Recap: e recon. (Truth ID)

* EPIC 24.03.1 Sim. ep 18x278 GeV

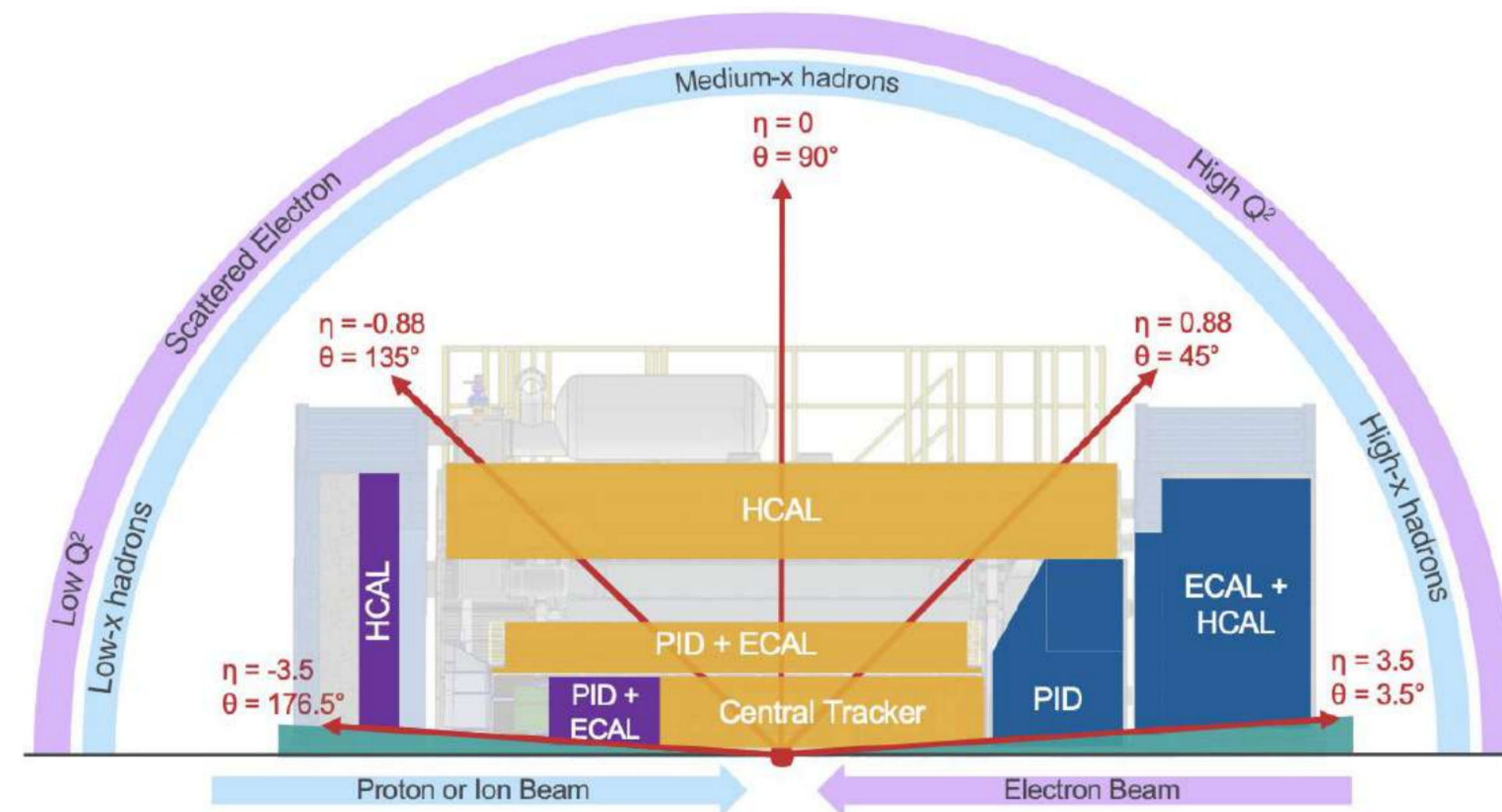
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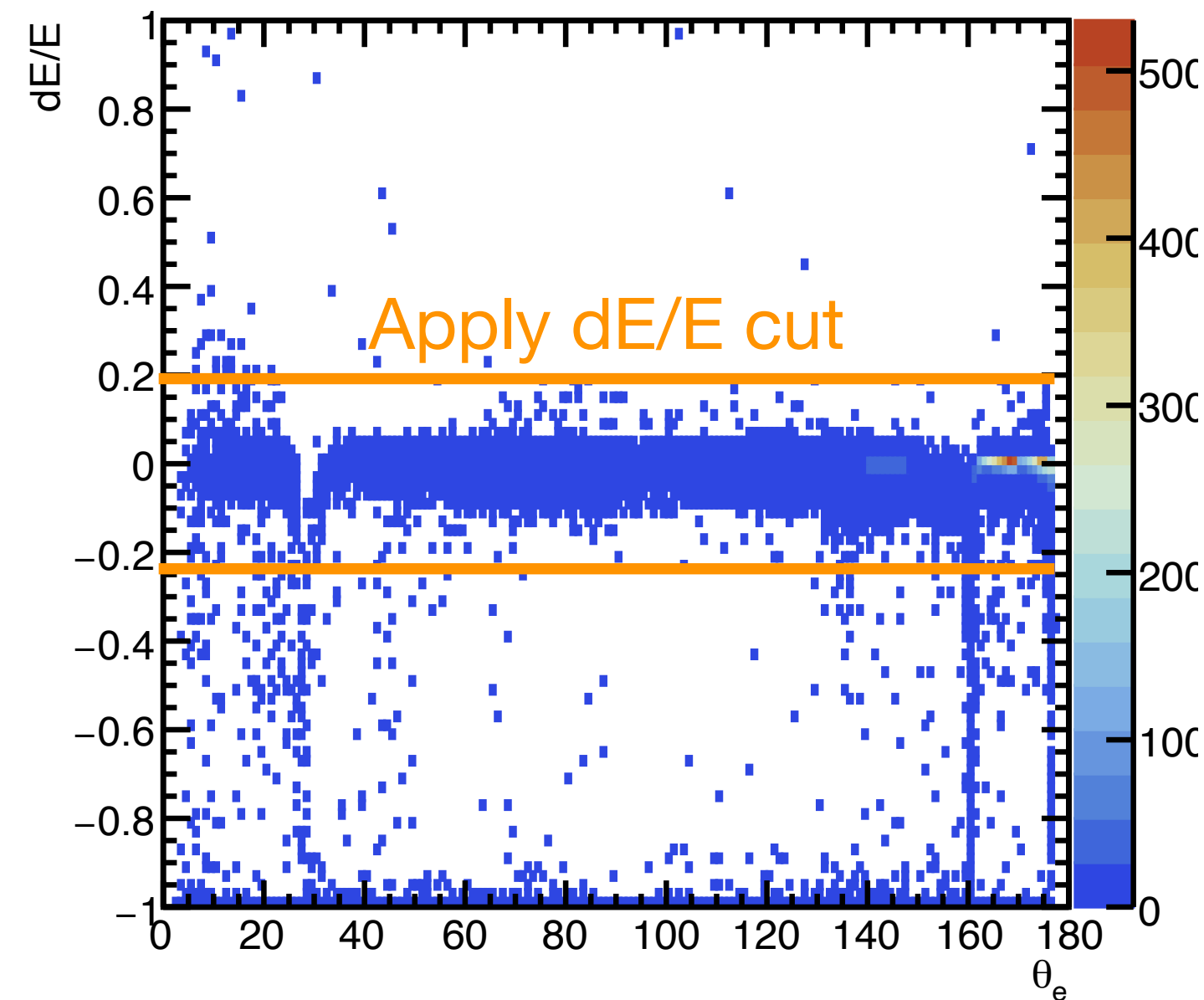
Recap: e recon. (Truth ID)

* EPIC 24.03.1 Sim. ep 18x278 GeV

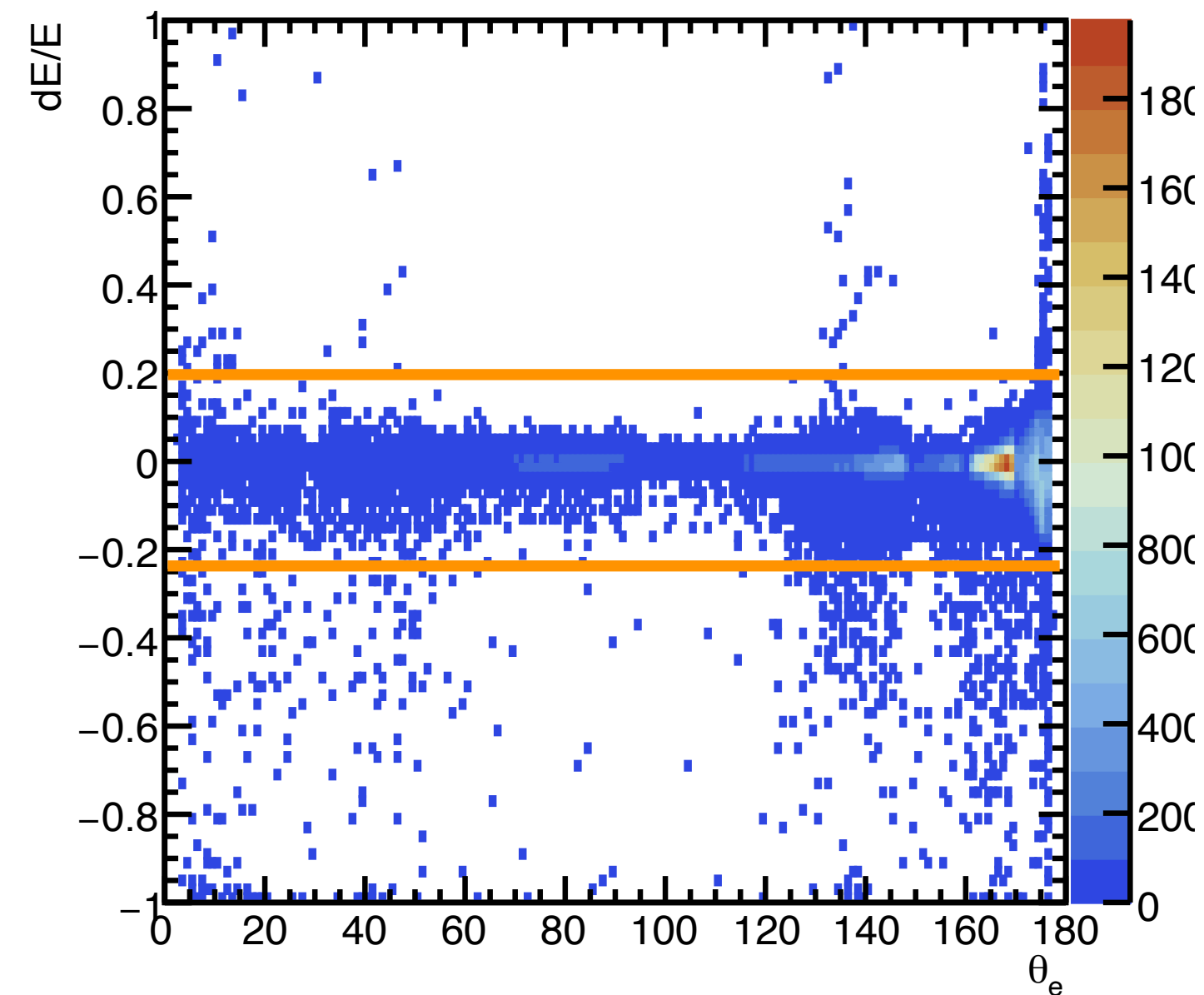
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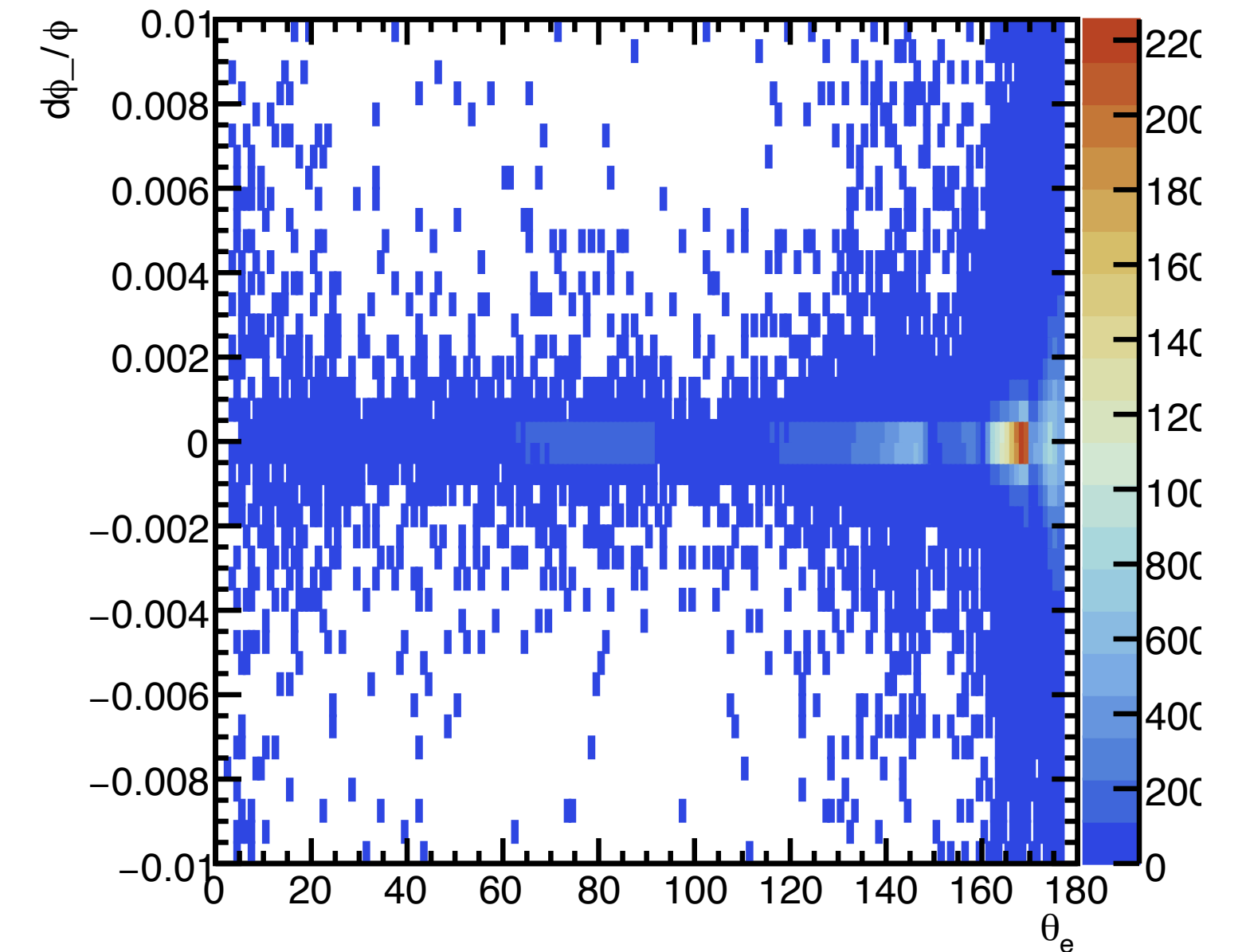
dE_{cal} vs θ_{mc}



dE_{track} vs θ_{mc}



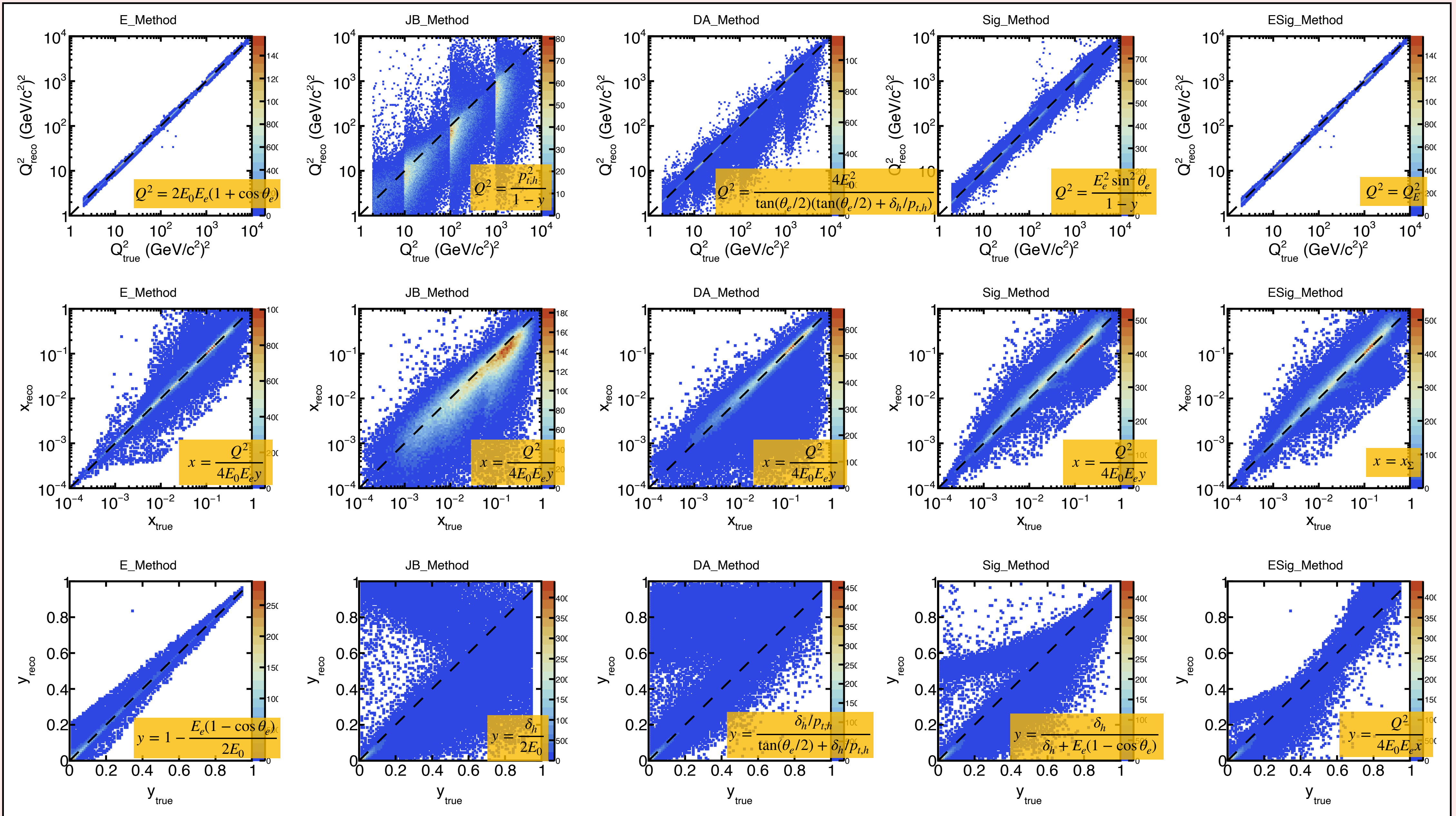
$d\phi$ vs θ_{mc}



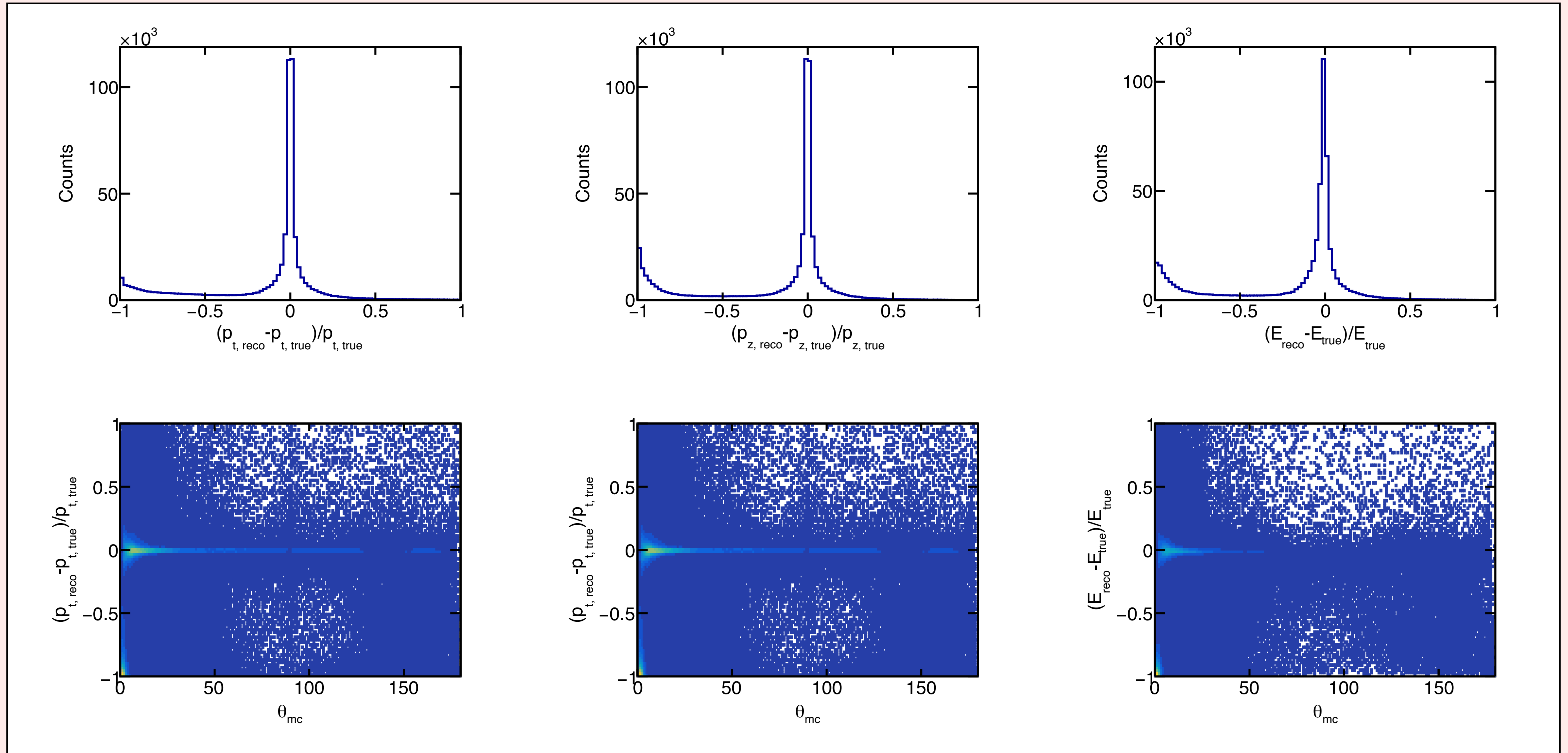
Recap: e recon. (Truth ID) - with dE/E cut

$$p_{t,h}^2 = (\sum_h p_{x,h})^2 + (\sum_h p_{y,h})^2 \quad \delta_h = \sum_h E_h - p_{z,h}$$

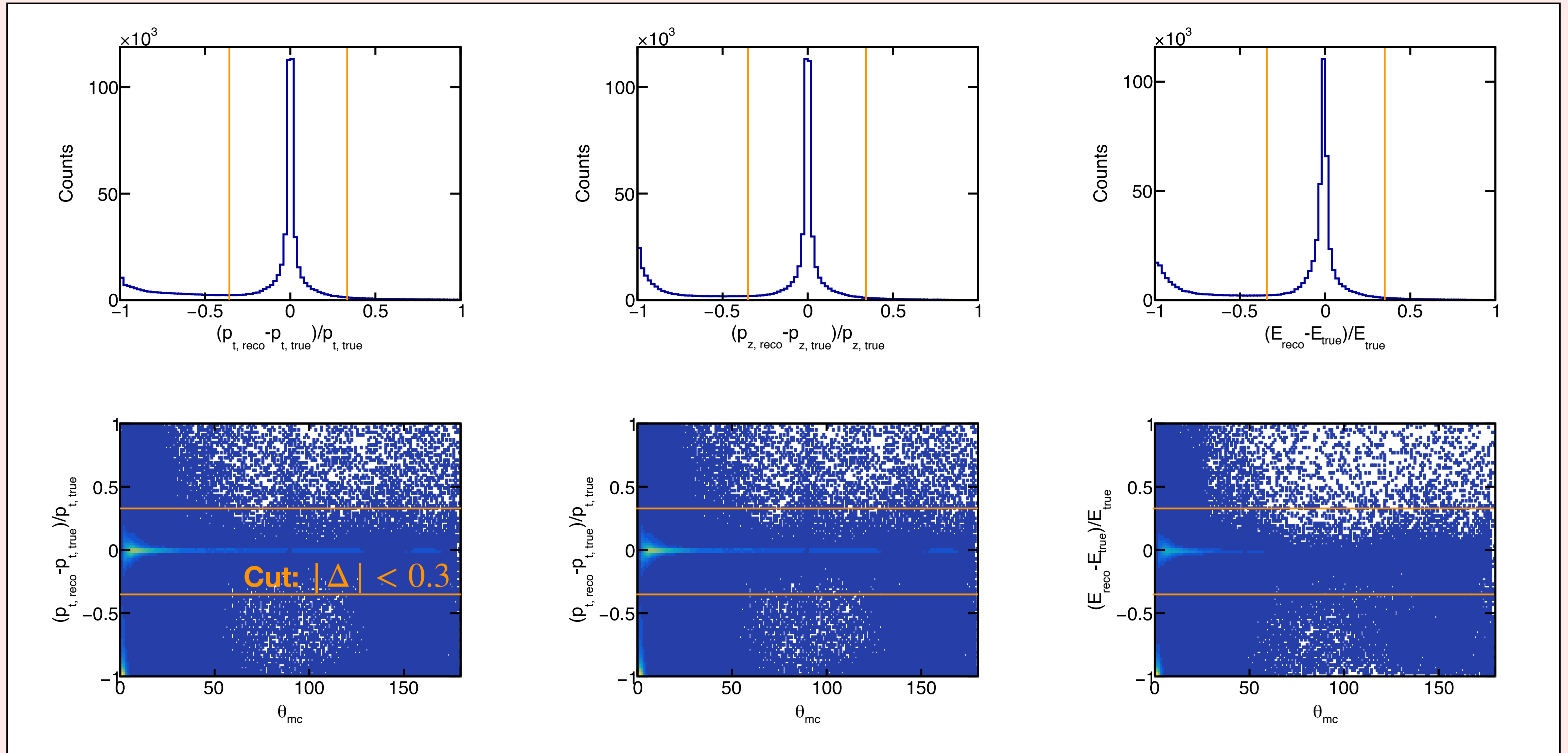
4



$$p_{t,h}^2 = (\sum_h p_{x,h})^2 + (\sum_h p_{y,h})^2 \quad \delta_h = \sum_h E_h - p_{z,h}$$



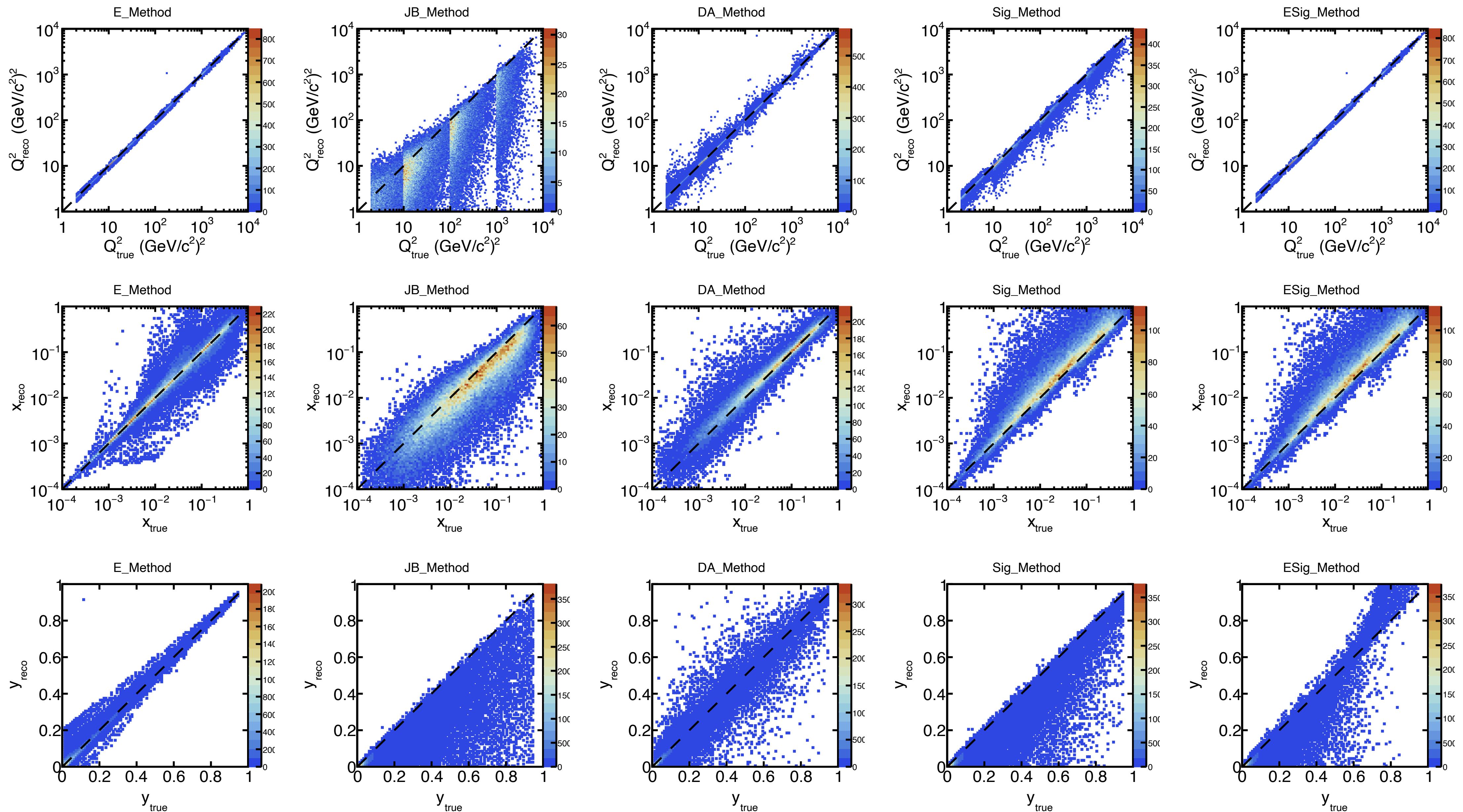
$$p_{t,h}^2 = (\sum_h p_{x,h})^2 + (\sum_h p_{y,h})^2 \quad \delta_h = \sum_h E_h - p_{z,h}$$



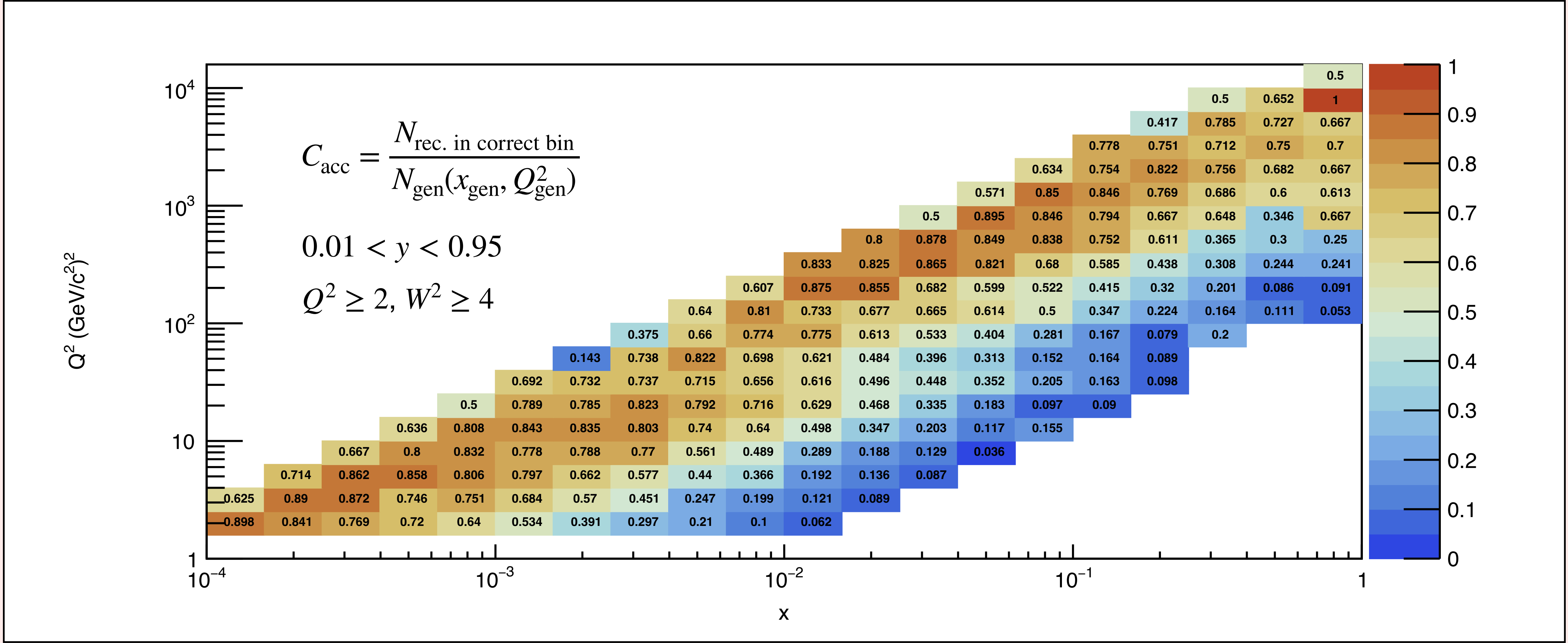
e recon. (Truth ID) - with HFS KE cut

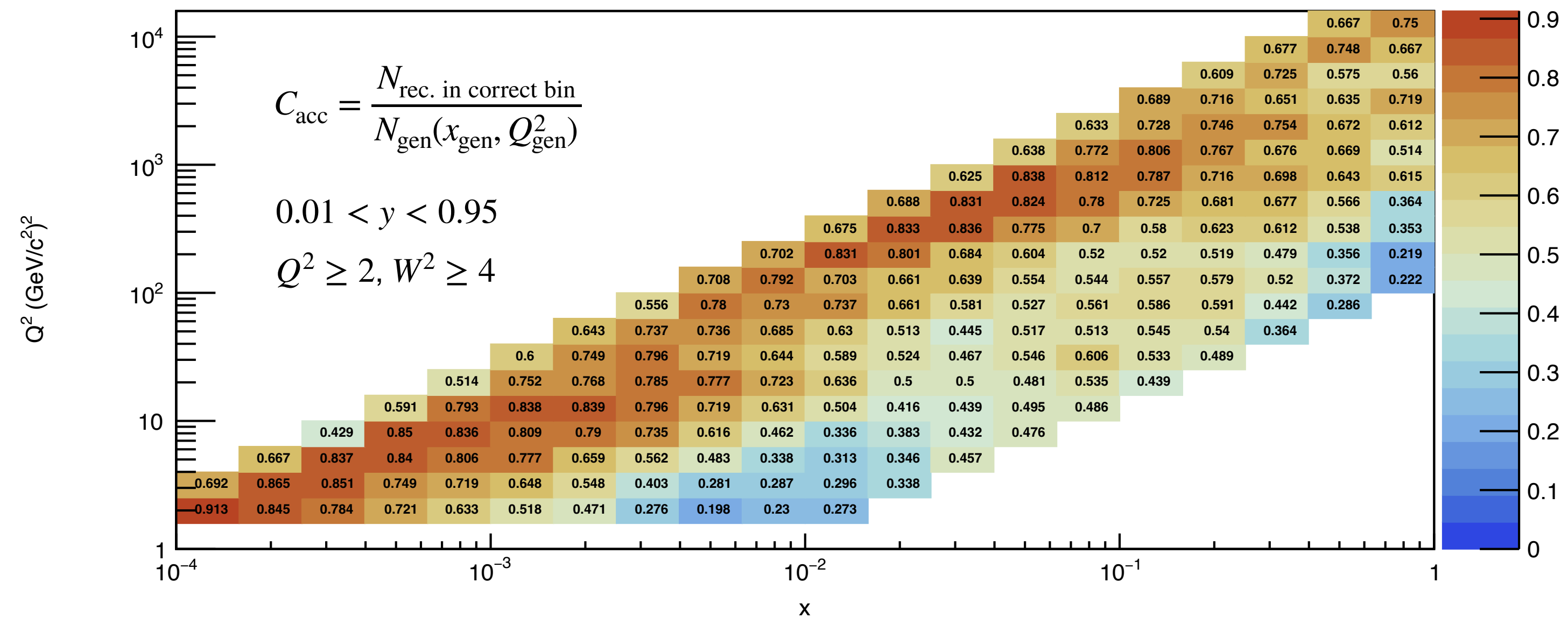
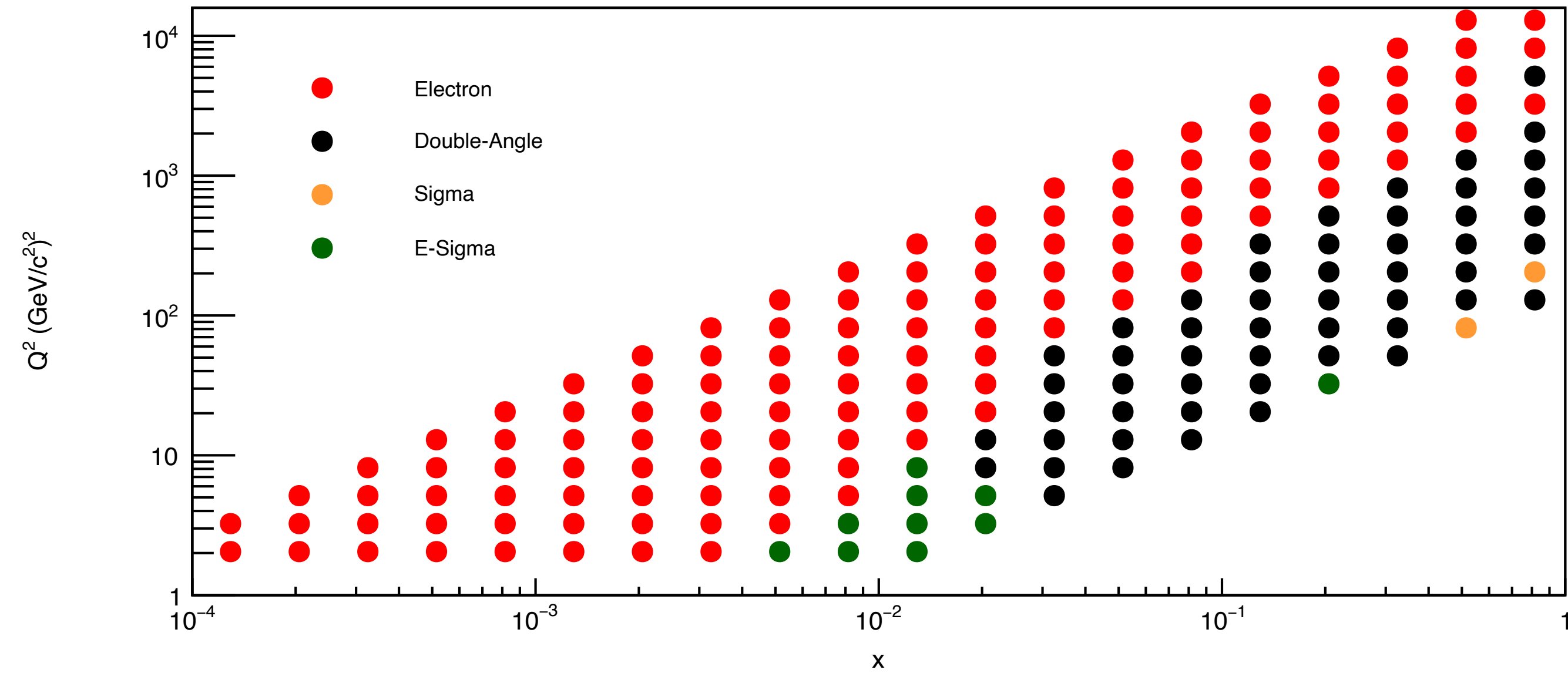
* EPIC 24.05.0 Sim. ep 18x278 GeV

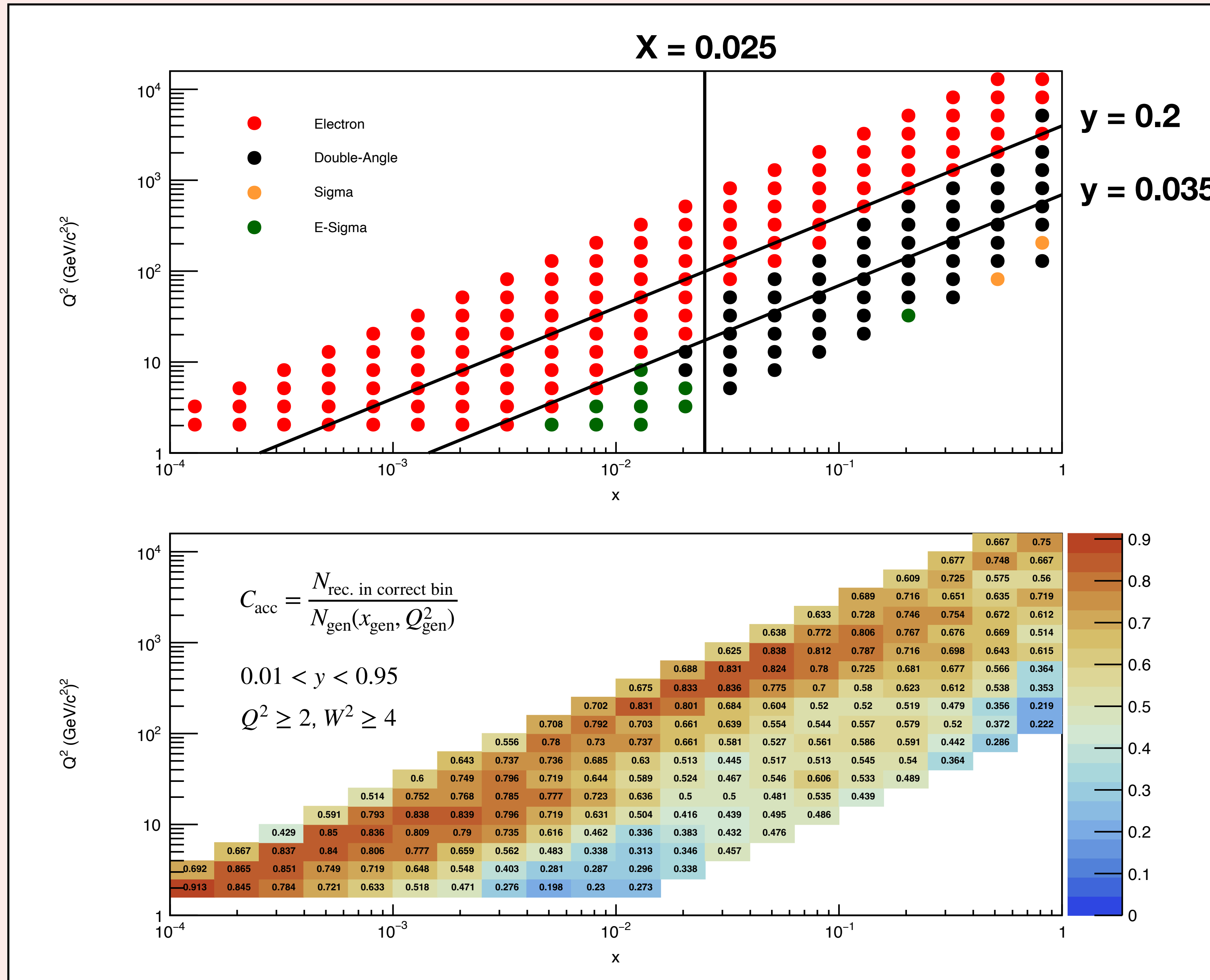
7



Electron Method Bin Efficiency

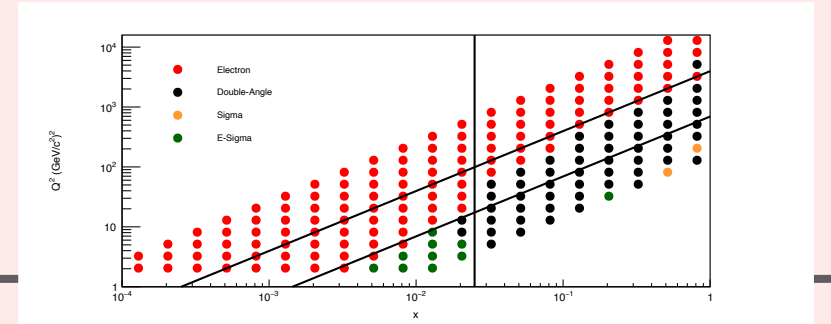




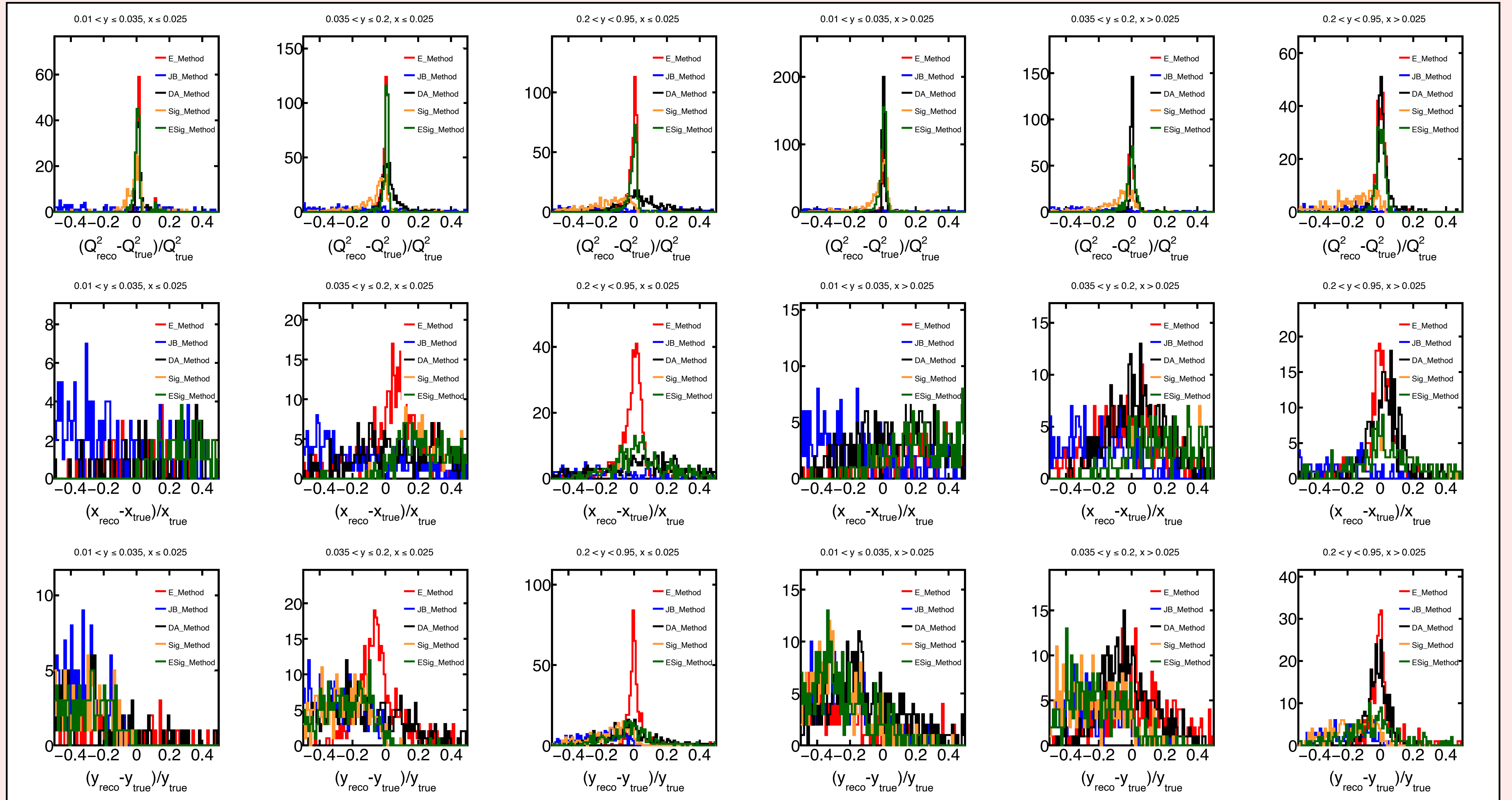


Select eRecon method

* EPIC 24.05.0 Sim. ep 18x278 GeV



11



A_1^n from $e^3\text{He}$ DIS:

$$A_1(x, Q^2) \equiv \frac{\sigma_{1/2} - \sigma_{3/2}}{\sigma_{1/2} + \sigma_{3/2}} = \frac{A_{\parallel}}{D(1 + \eta\xi)} - \frac{\eta A_{\perp}}{d(1 + \eta\xi)}$$

$$\mathcal{L} = 8.65 \text{ fb}^{-1}, P_e = P_n = 70 \%$$

Data split evenly between $A_{\parallel}$ and $A_{\perp}$

$$\delta A_{\parallel, \perp} = \frac{1}{\sqrt{N} P_e P_N}$$

Correction!

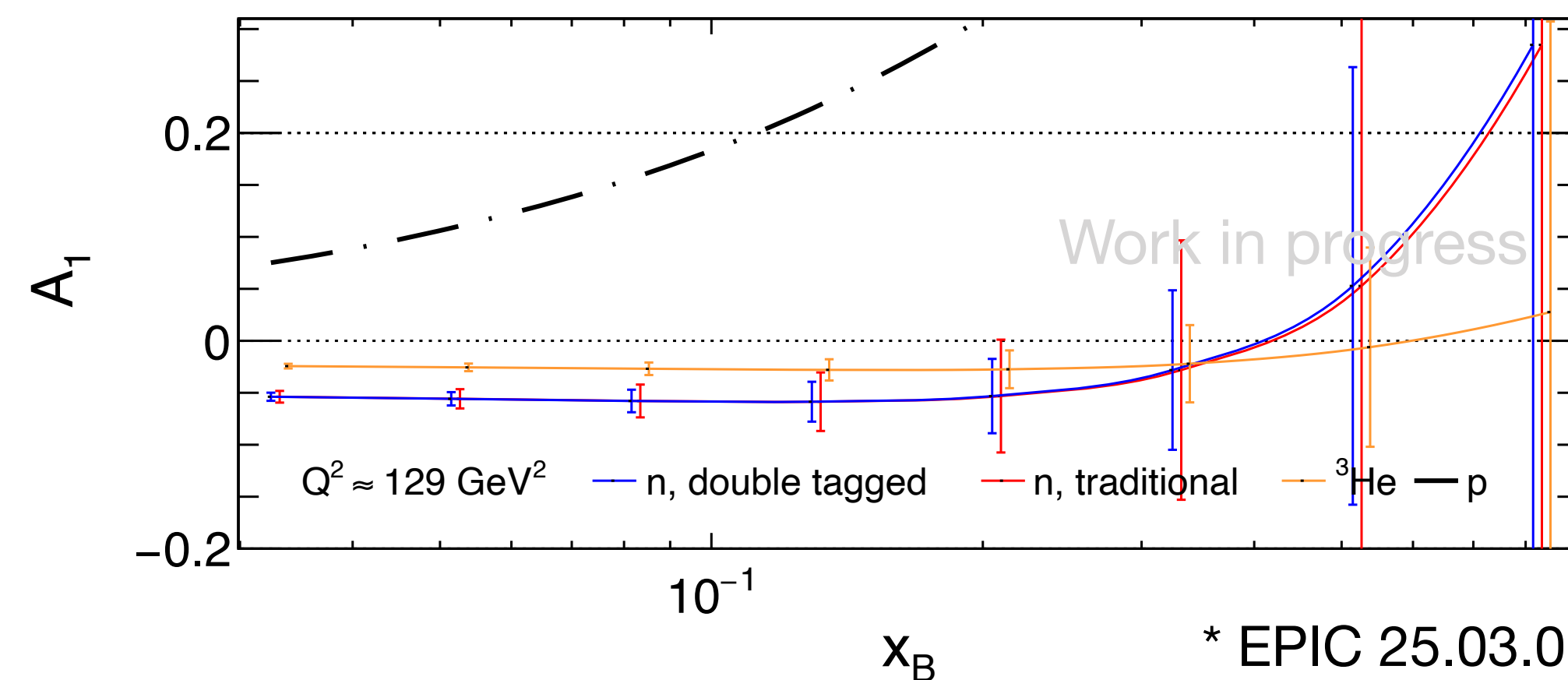
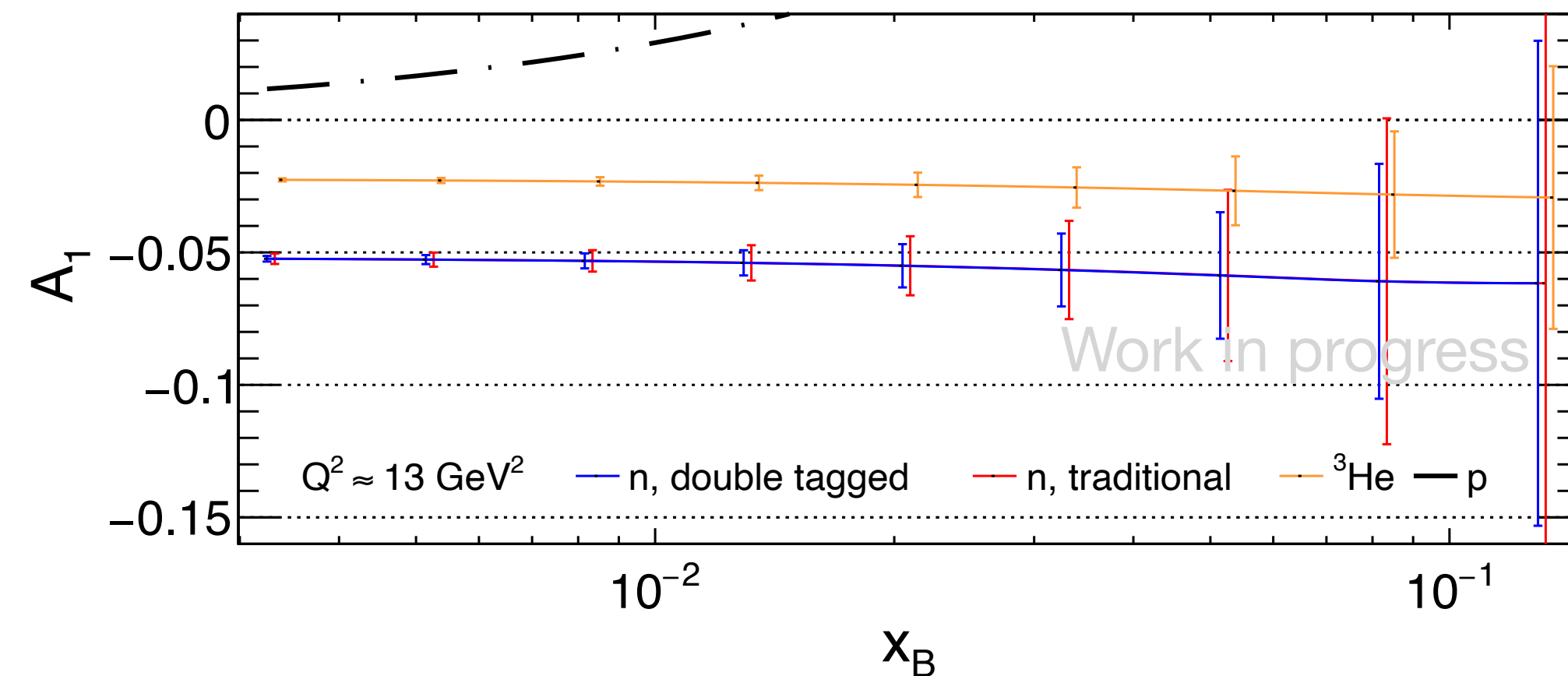
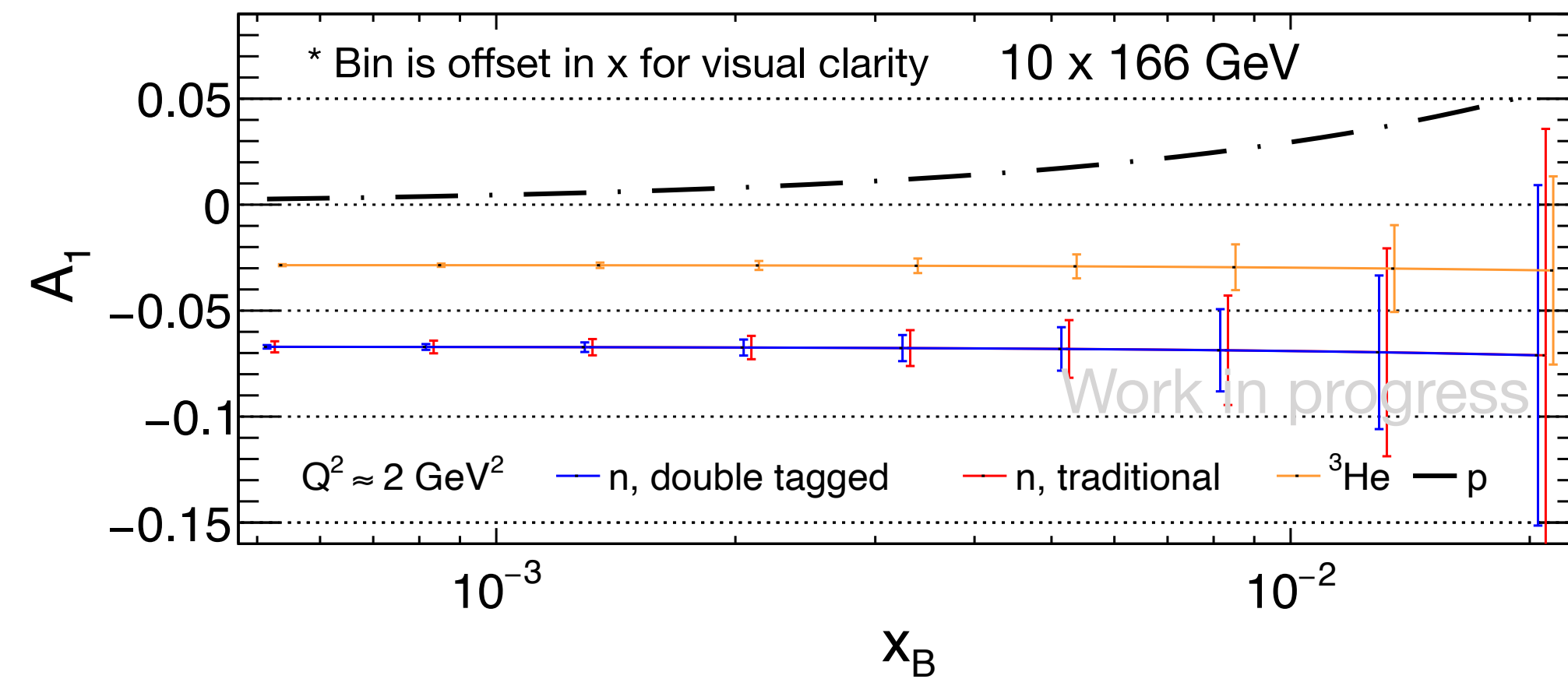
$$A_1^{3\text{He}} = P_n \frac{F_2^n}{F_2^{3\text{He}}} A_1^n + 2P_p \frac{F_2^p}{F_2^{3\text{He}}} A_1^p$$

Was using $F_2^{3\text{He}}$ per nucleon

Bin A_1^n calculated from: [Doi: 10.2172/824895](https://doi.org/10.2172/824895)

$F_2^{3\text{He}} = F_2^D + F_2^p$, all F_2 's are taken from [JAM22](#)

Correction not yet applied



A_1^n from $e^3\text{He}$ DIS (updated):

$$A_1(x, Q^2) \equiv \frac{\sigma_{1/2} - \sigma_{3/2}}{\sigma_{1/2} + \sigma_{3/2}} = \frac{A_{\parallel}}{D(1 + \eta\xi)} - \frac{\eta A_{\perp}}{d(1 + \eta\xi)}$$

$$\mathcal{L} = 8.65 \text{ fb}^{-1}, P_e = P_n = 70 \%$$

Data split evenly between $A_{\parallel}$ and $A_{\perp}$

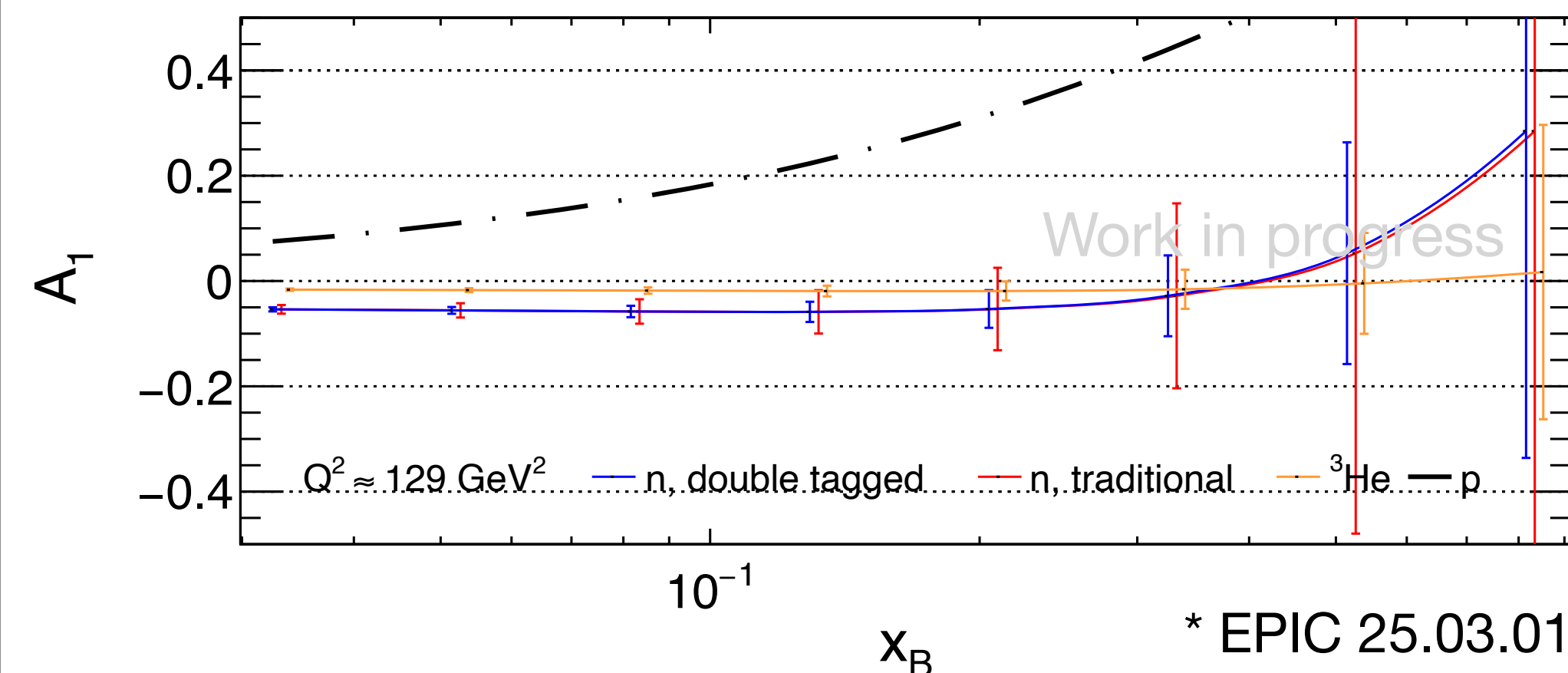
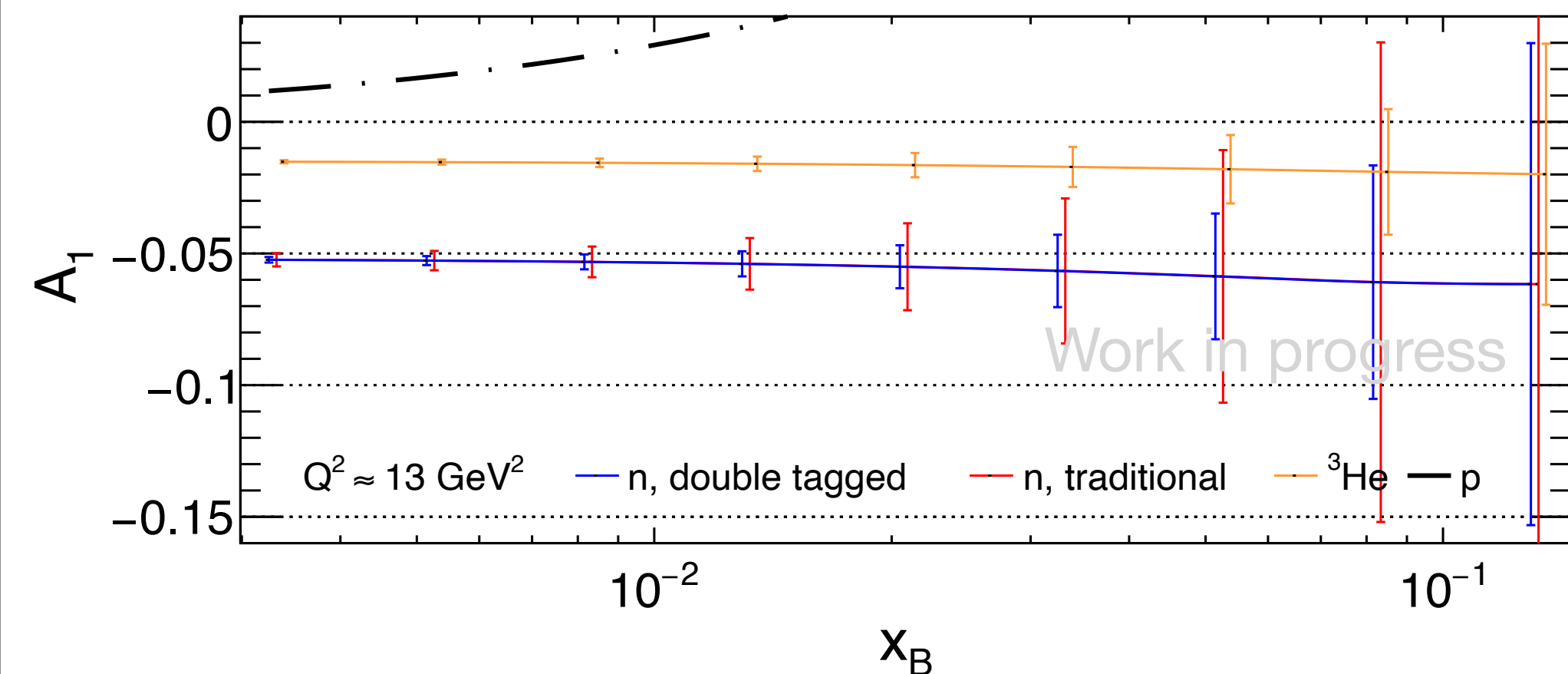
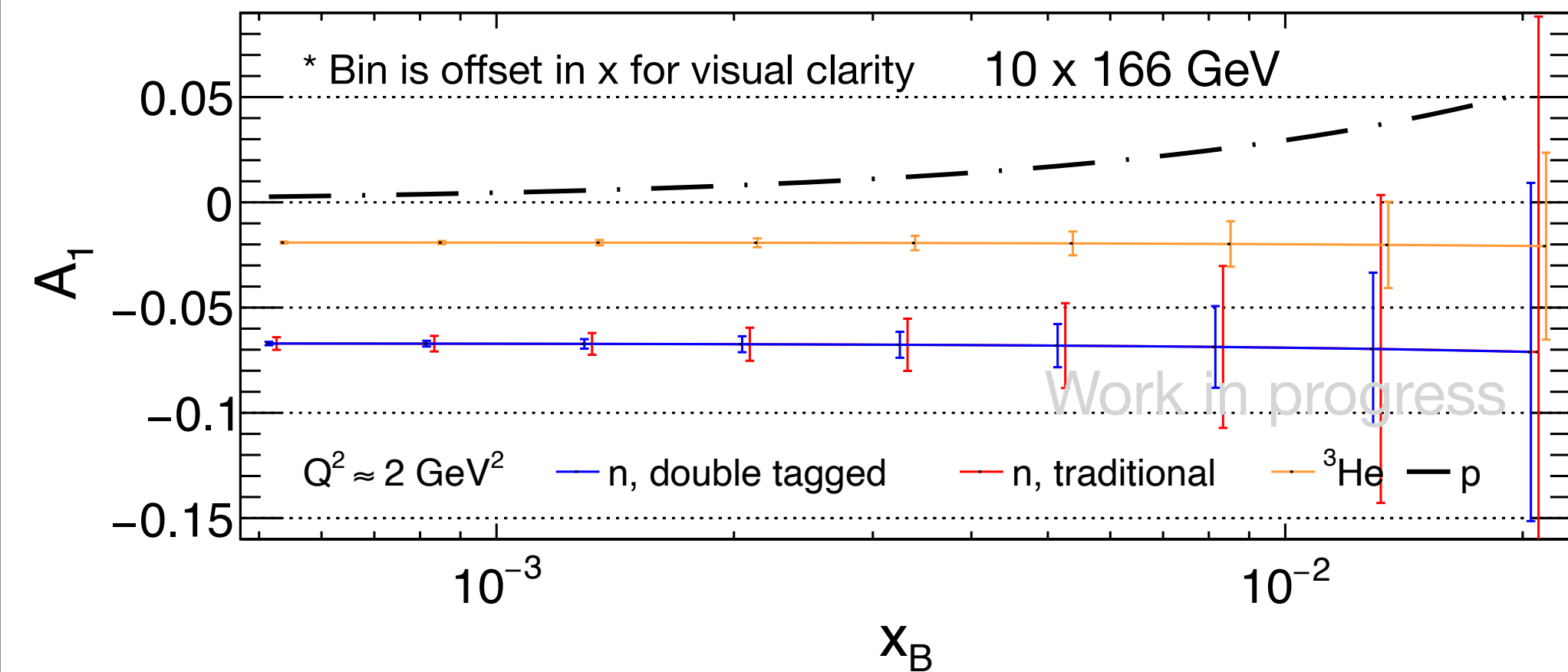
$$\delta A_{\parallel, \perp} = \frac{1}{\sqrt{N} P_e P_N}$$

$$A_1^{^3\text{He}} = P_n \frac{F_2^n}{F_2^{^3\text{He}}} A_1^n + 2P_p \frac{F_2^p}{F_2^{^3\text{He}}} A_1^p$$

Bin A_1^n calculated from: [Doi: 10.2172/824895](https://doi.org/10.2172/824895)

$F_2^{^3\text{He}} = F_2^D + F_2^p$, all F_2 's are taken from [JAM22](#)

Correction not yet applied



$$- A_1(x, Q^2) \equiv \frac{\sigma_{1/2} - \sigma_{3/2}}{\sigma_{1/2} + \sigma_{3/2}} = \frac{A_{\parallel}}{D(1 + \eta\xi)} - \frac{\eta A_{\perp}}{d(1 + \eta\xi)}$$

$$- \mathcal{L} = 8.65 \text{ fb}^{-1}, P_e = P_n = 70 \%$$

- Data split evenly between $A_{\parallel}$ and $A_{\perp}$

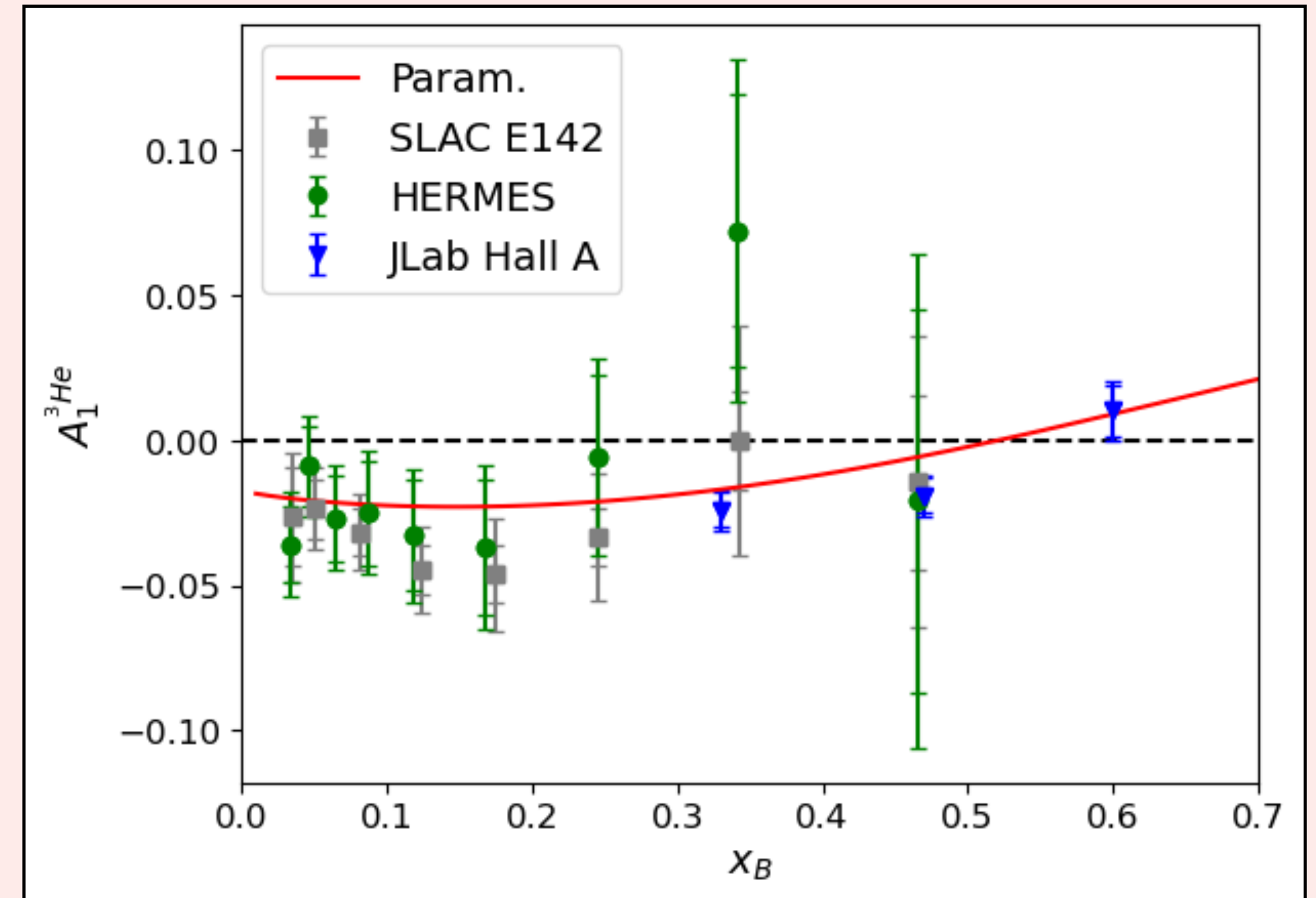
$$- \delta A_{\parallel, \perp} = \frac{1}{\sqrt{N} P_e P_N}$$

$$- A_1^{3\text{He}} = P_n \frac{F_2^n}{F_2^{3\text{He}}} A_1^n + 2P_p \frac{F_2^p}{F_2^{3\text{He}}} A_1^p$$

- Bin A_1^n calculated from: [Doi: 10.2172/824895](https://doi.org/10.2172/824895)

- $F_2^{3\text{He}} = F_2^D + F_2^p$, all F_2 's are taken from [JAM22](https://doi.org/10.1103/PhysRevD.54.6620)

- Correction not yet applied



SLAC E142: <https://doi.org/10.1103/PhysRevD.54.6620>

HERMES: [https://doi.org/10.1016/S0370-2693\(99\)00964-8](https://doi.org/10.1016/S0370-2693(99)00964-8)

JLab Hall A: <https://doi.org/10.1103/PhysRevC.70.065207>

A_2 and g_2 ?

$$- A_1(x, Q^2) \equiv \frac{\sigma_{1/2} - \sigma_{3/2}}{\sigma_{1/2} + \sigma_{3/2}} = \frac{A_{\parallel}}{D(1 + \eta\xi)} - \frac{\eta A_{\perp}}{d(1 + \eta\xi)}$$

$$- A_2(x, Q^2) \equiv \frac{2\sigma_{LT}}{\sigma_{1/2} + \sigma_{3/2}} = \frac{\xi A_{\parallel}}{D(1 + \eta\xi)} - \frac{A_{\perp}}{d(1 + \eta\xi)}$$

$$- \gamma A_2(x, Q^2) + A_1(x, Q^2) = (1 + \gamma^2) \frac{g_1(x, Q^2)}{F_1(X, Q^2)}$$

$$- \frac{A_2(x, Q^2)}{\gamma} - A_1(x, Q^2) = (1 + \gamma^2) \frac{g_2(x, Q^2)}{F_1(X, Q^2)}$$

$$- g_2(x, Q^2) = g_2^{ww}(x, Q^2) + \bar{g}_2(x, Q^2)$$

$$- g_2^{ww}(x, Q^2) = -g_1(x, Q^2) + \int_x^1 \frac{g_1(y, Q^2)}{y} dy$$

