

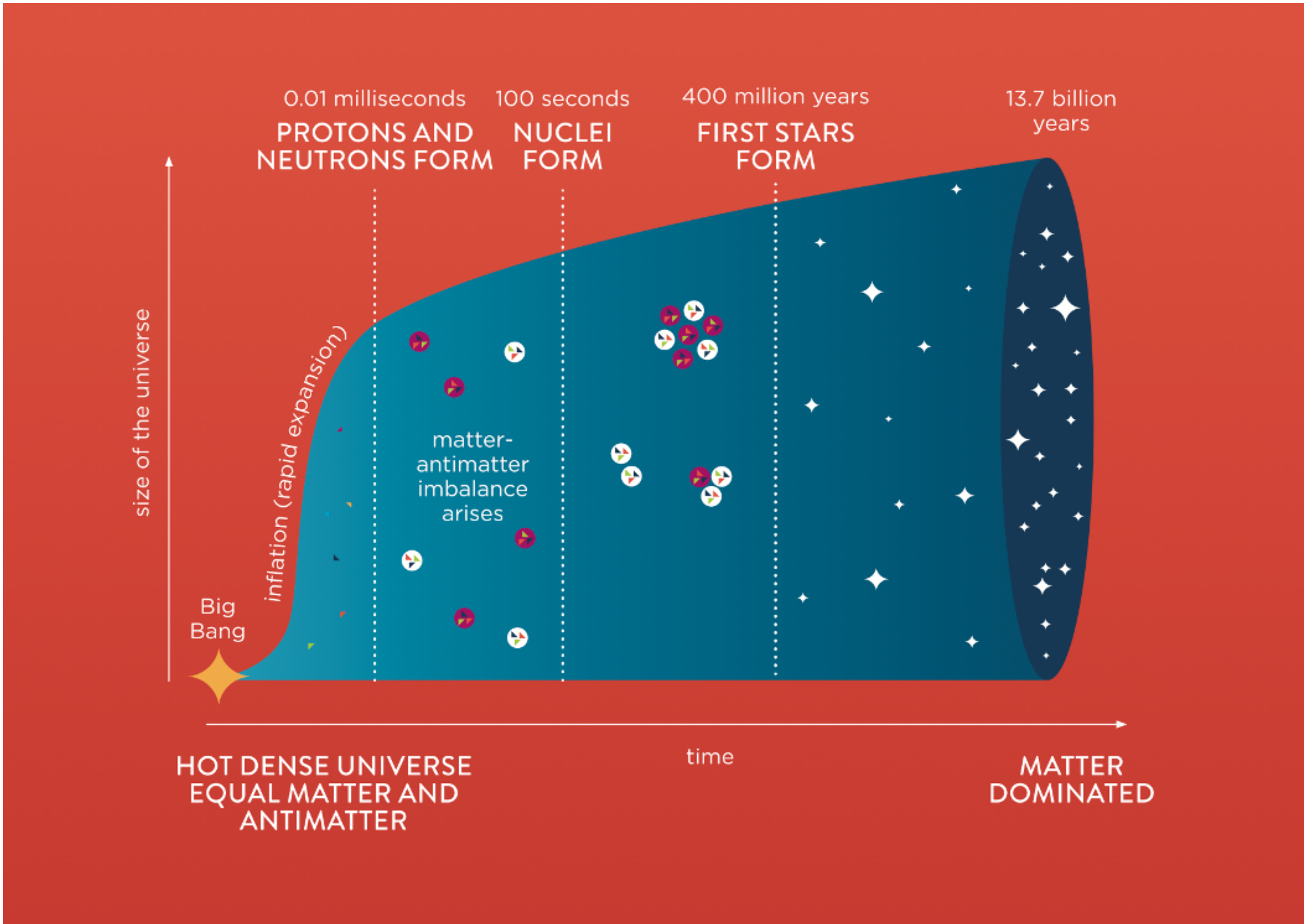
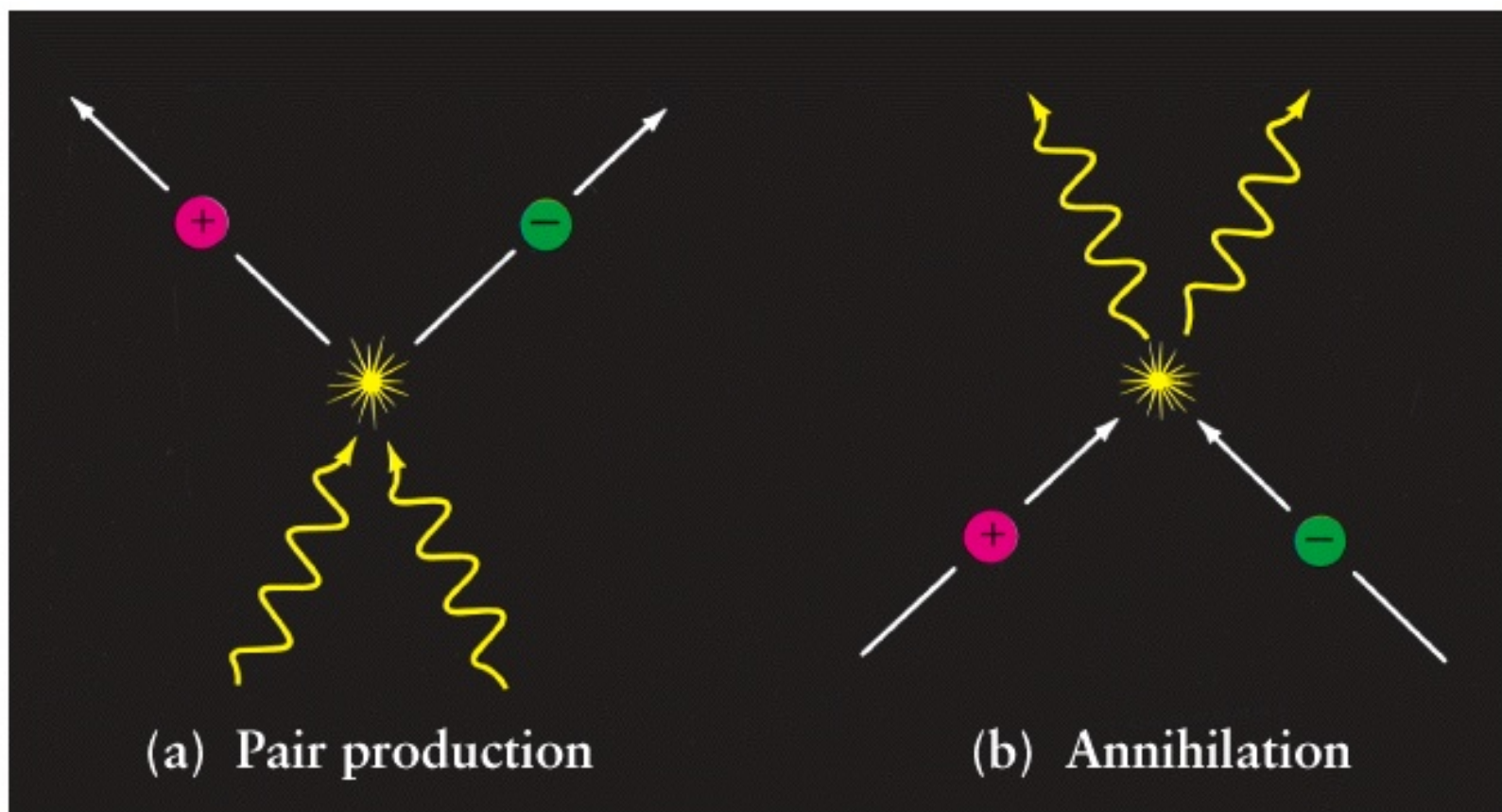
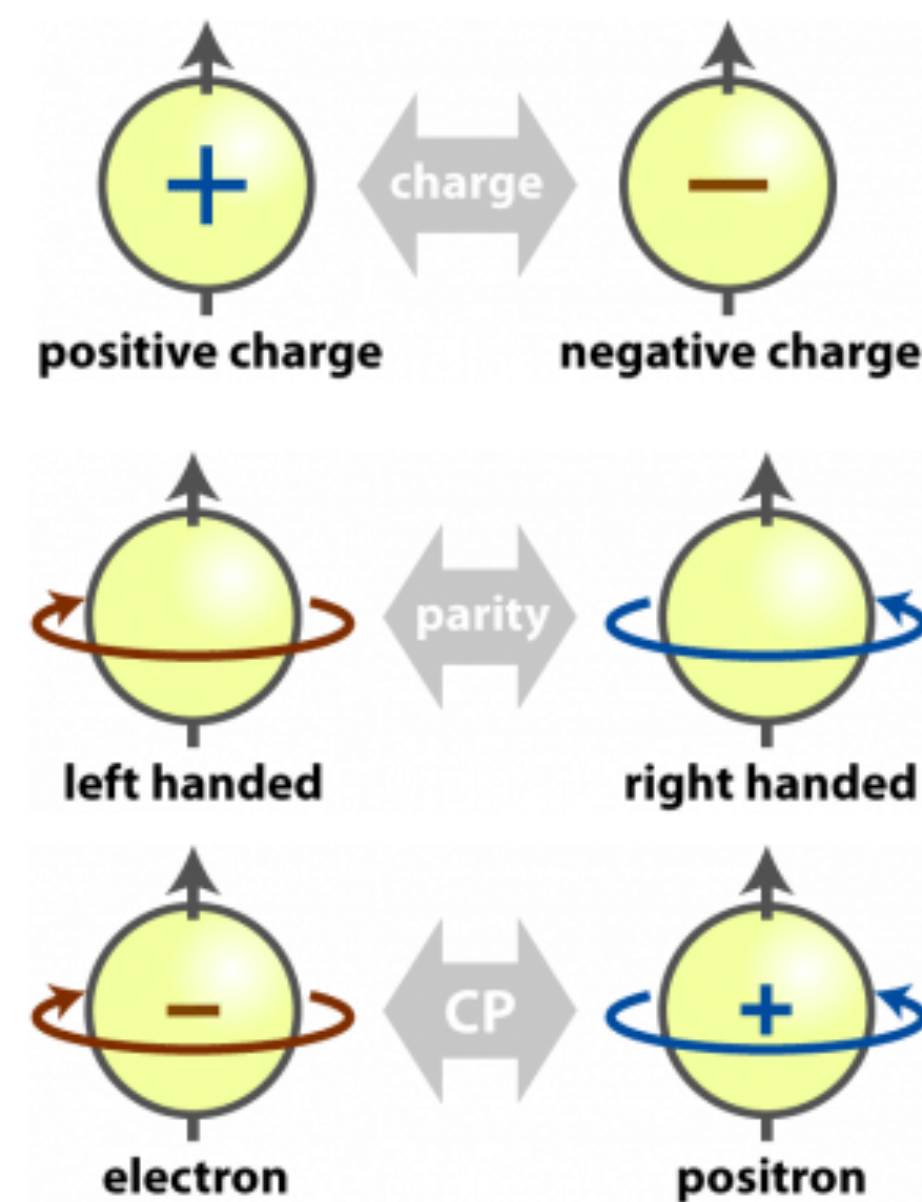


CP violation in charm decays at Belle II

Yifan Jin

August 7th, 2025

Charge-Parity symmetry is violated



Dominance of matter in the Universe indicates Charge-Parity (CP) Violation.

Hunting for CP violation

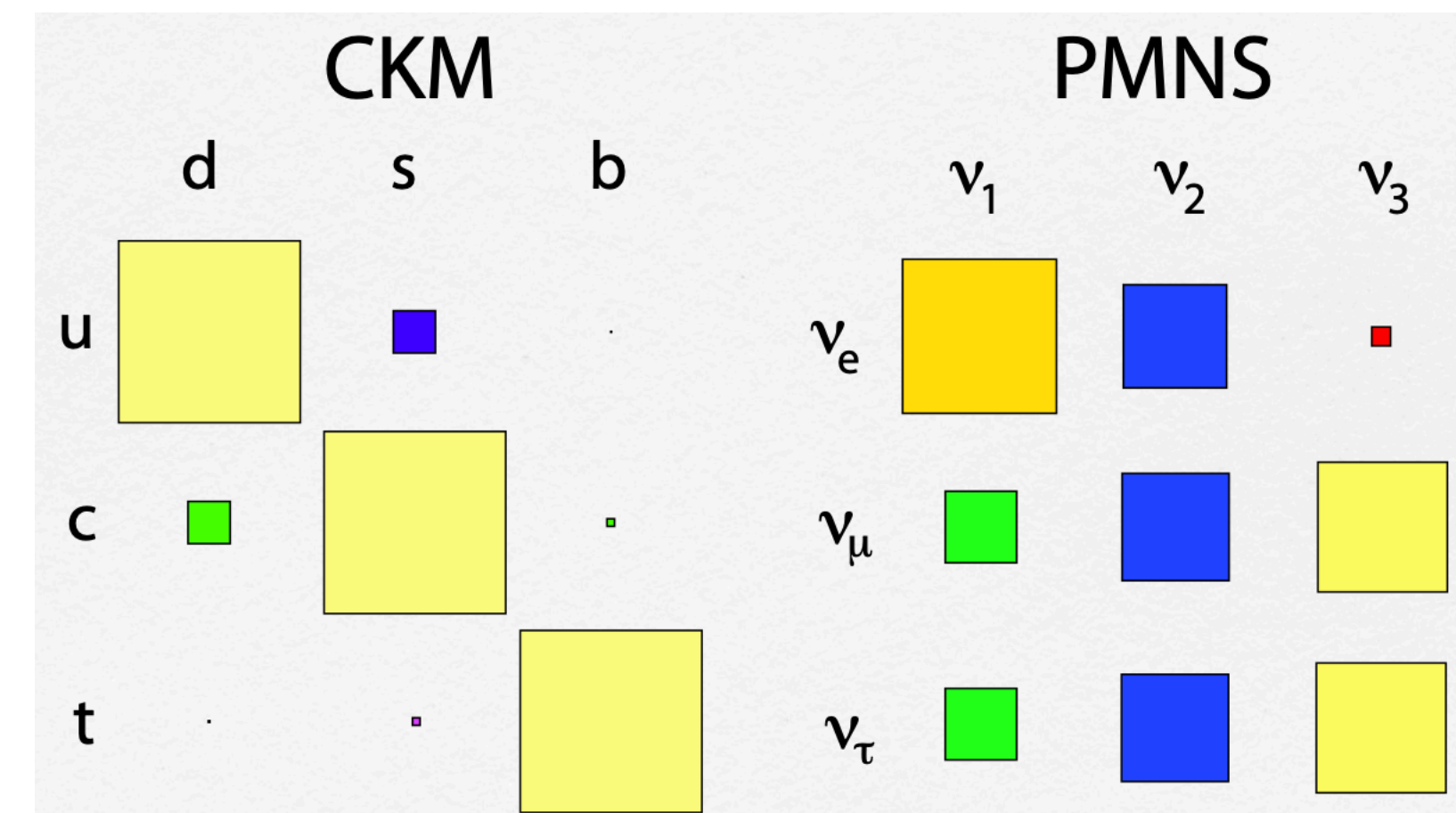
Phys. Rev. Lett. 13, 138 (1964)

- **First** CP violation was observed in the decay of neutral kaon meson at **BNL!**
- Nobel Prize 1980: "for the discovery of violations of fundamental symmetry principles in the decay of neutral K-mesons".

Prog. Theor. Phys. 49 (1973) 652

- The observation of CP violation in the decay of B meson verified Kobayashi-Maskawa mechanism.
- Nobel Prize 2008: "for the discovery of the origin of the broken symmetry which predicts the existence of at least three families of quarks in nature".

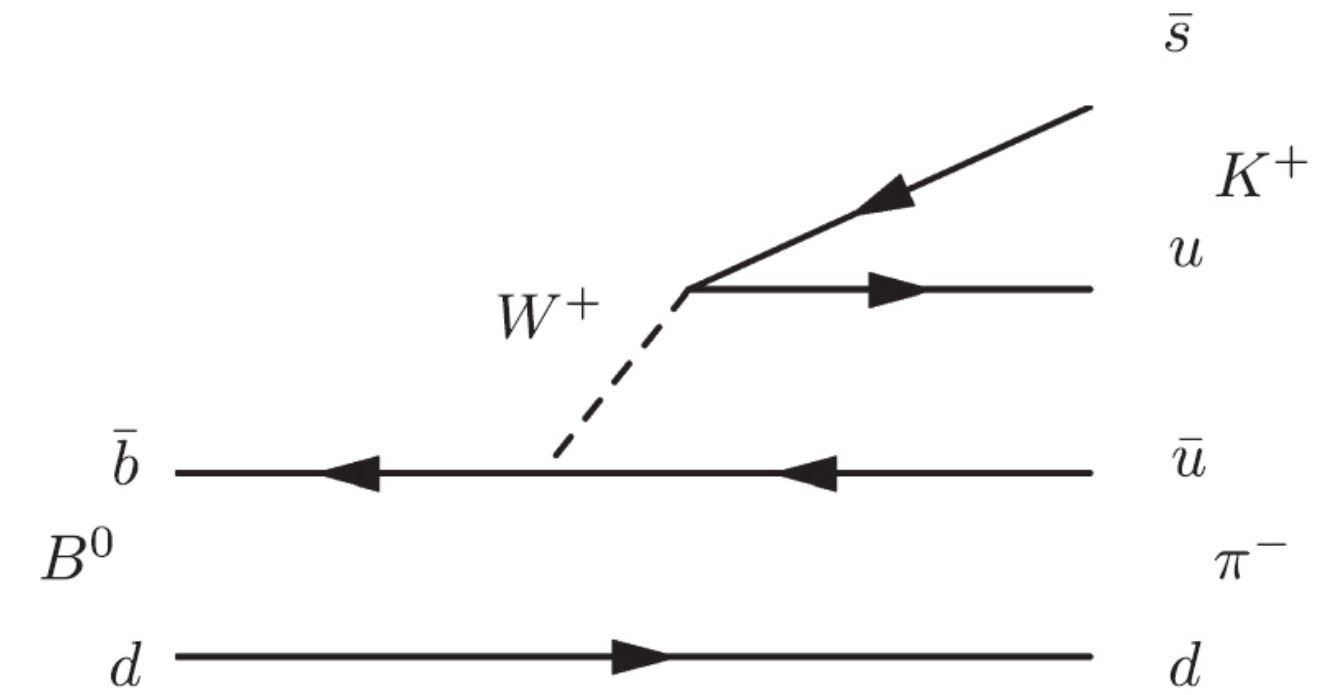
- Matter-antimatter asymmetry indicates that only KM is not sufficient. There should be additional source of CPV.
- DUNE and Hyper-K



Kobayashi-Maskawa mechanism

Direct CPV (CPV in decays)

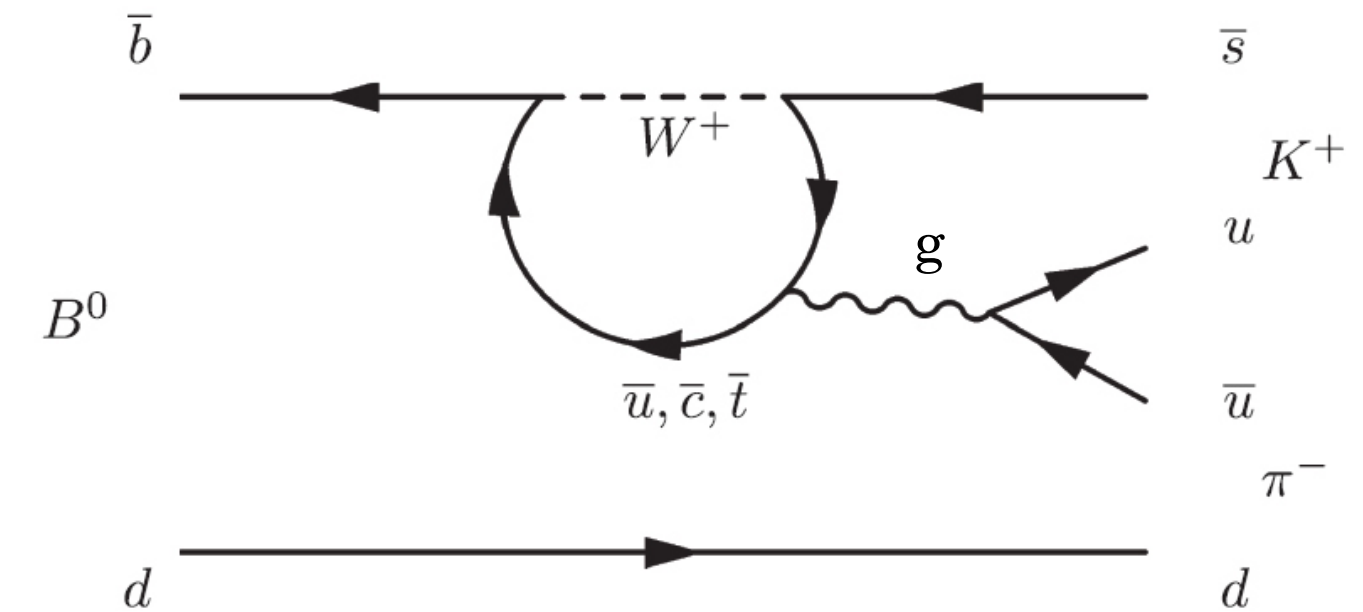
$$\left| \text{Diagram 1} \right|^2 \neq \left| \text{Diagram 2} \right|^2$$



- There should be at least two possible **interfering** paths producing a final state f.

$$A(P \rightarrow f) = |A_1| e^{i\phi_1} e^{i\delta_1} + |A_2| e^{i\phi_2} e^{i\delta_2}$$

here, one weak phase (CP-odd), one strong phase (CP-even).



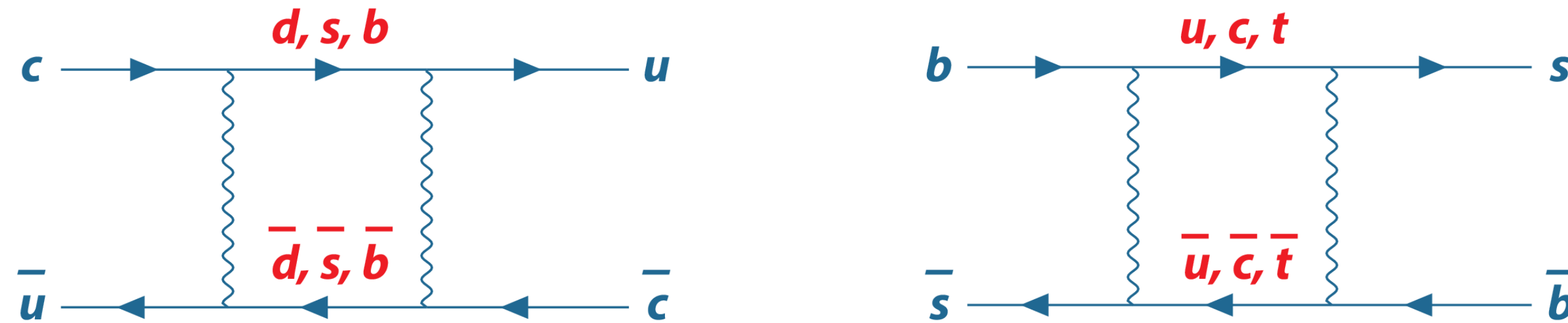
- Then, $|A(P \rightarrow f)|^2 - |A(\bar{P} \rightarrow \bar{f})|^2 = 2|A_1| \cdot |A_2| \sin(\phi_1 - \phi_2) \sin(\delta_1 - \delta_2)$

$$A_{CP}^{dir} = \frac{|A(P \rightarrow f)|^2 - |A(\bar{P} \rightarrow \bar{f})|^2}{|A(P \rightarrow f)|^2 + |A(\bar{P} \rightarrow \bar{f})|^2} = \frac{2|A_2/A_1| \sin(\delta_1 - \delta_2) \sin(\phi_1 - \phi_2)}{1 + |A_2/A_1|^2 + 2|A_2/A_1| \cos(\delta_1 - \delta_2) \cos(\phi_1 - \phi_2)}$$

- Both **phase differences** should be non-zero. Also the relative **size of the two amplitudes** determines size of CPV. Two amplitudes could be a tree diagram and a penguin diagram.

Kobayashi-Maskawa mechanism

Indirect CPV (mixing)

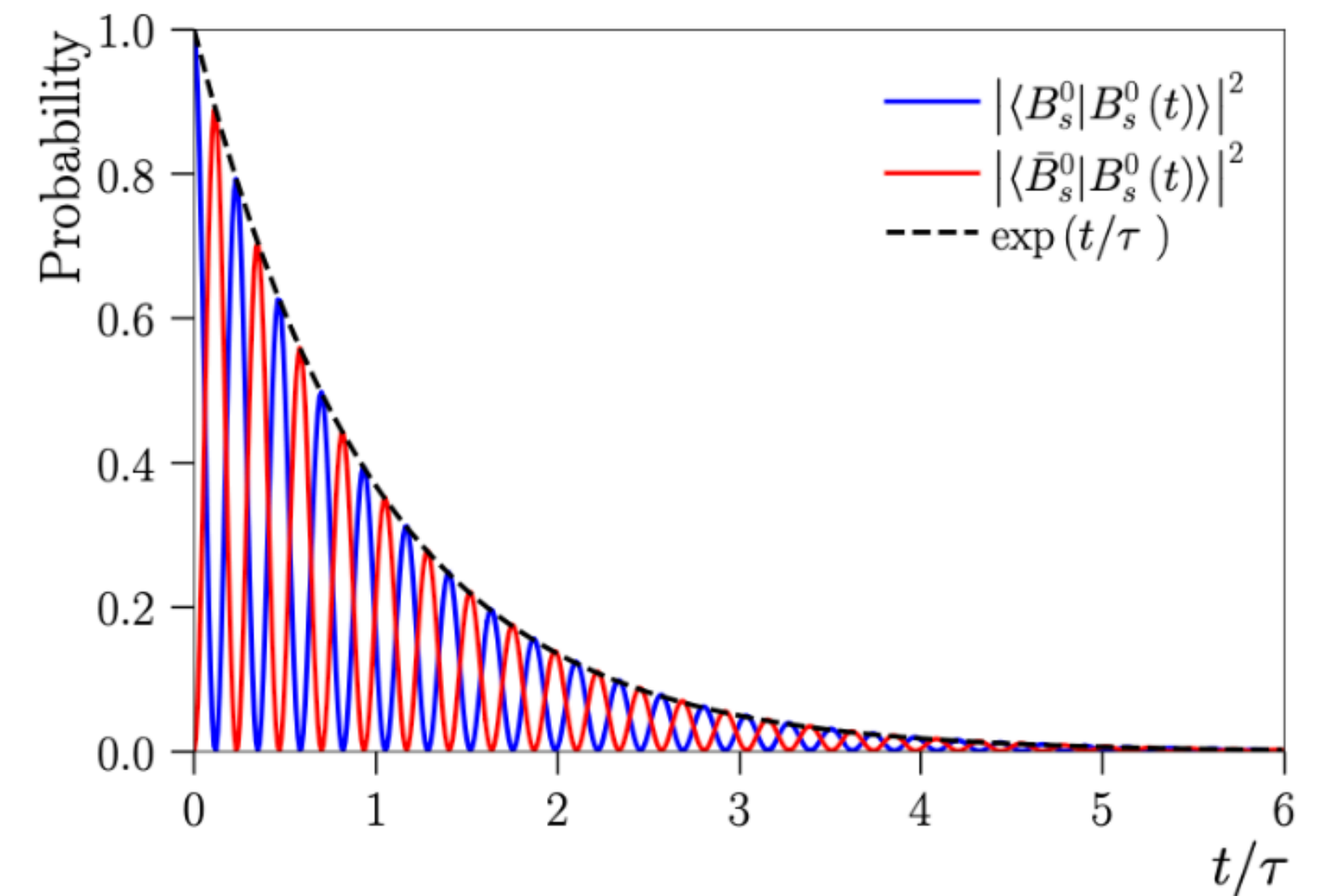
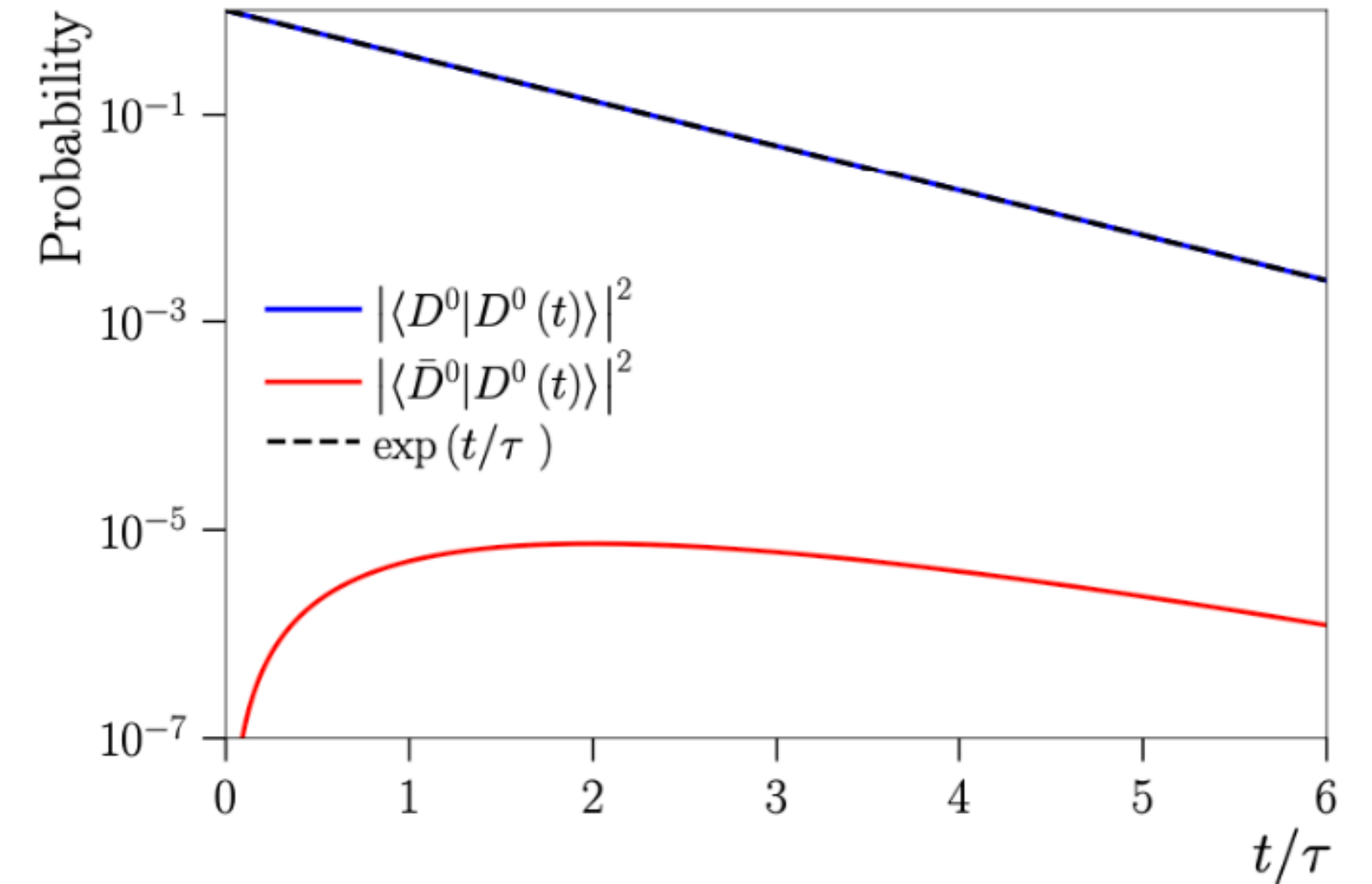


- Since mass eigenstate is not exactly the CP eigenstate, neutral meson systems oscillate/mix.

$$\left| \begin{array}{c} D^0 \\ \text{---} \bullet \text{---} \bar{D}^0 \\ \text{---} \bullet \text{---} f \end{array} \right|^2 \neq \left| \begin{array}{c} \bar{D}^0 \\ \text{---} \bullet \text{---} D^0 \\ \text{---} \bullet \text{---} \bar{f} \end{array} \right|^2$$

- This mixing also introduces CP violation. It is rather significant in B meson and usually is measured in a time-dependent way.
- In addition, interference between mixing and direct also leads to CPV.

$$\left| \begin{array}{c} D^0 \\ \text{---} \bullet \text{---} f \\ \text{---} \bullet \text{---} \bar{D}^0 \\ \text{---} \bullet \text{---} \bar{f} \end{array} + \begin{array}{c} D^0 \\ \text{---} \bullet \text{---} \bar{D}^0 \\ \text{---} \bullet \text{---} f \end{array} \right|^2 \neq \left| \begin{array}{c} \bar{D}^0 \\ \text{---} \bullet \text{---} \bar{f} \\ \text{---} \bullet \text{---} D^0 \\ \text{---} \bullet \text{---} f \end{array} + \begin{array}{c} \bar{D}^0 \\ \text{---} \bullet \text{---} D^0 \\ \text{---} \bullet \text{---} \bar{f} \end{array} \right|^2$$



$$A_{CP}(t) = \frac{|A(P^0(t) \rightarrow f)|^2 - |A(\bar{P}^0(t) \rightarrow \bar{f})|^2}{|A(P^0(t) \rightarrow f)|^2 + |A(\bar{P}^0(t) \rightarrow \bar{f})|^2} = S_f \sin(\Delta Mt) - C_f \cos(\Delta Mt)$$

CP violation in charm

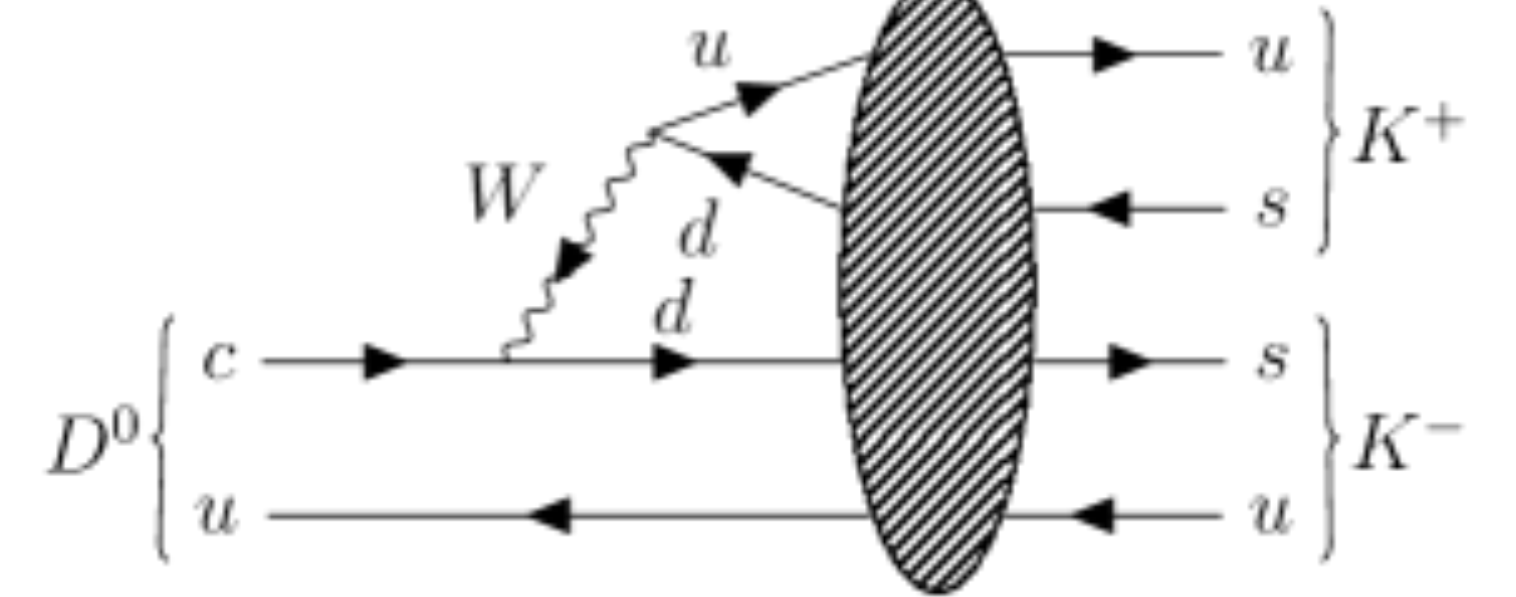
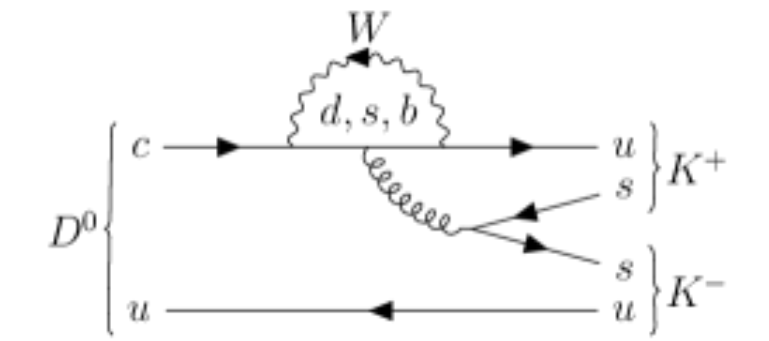
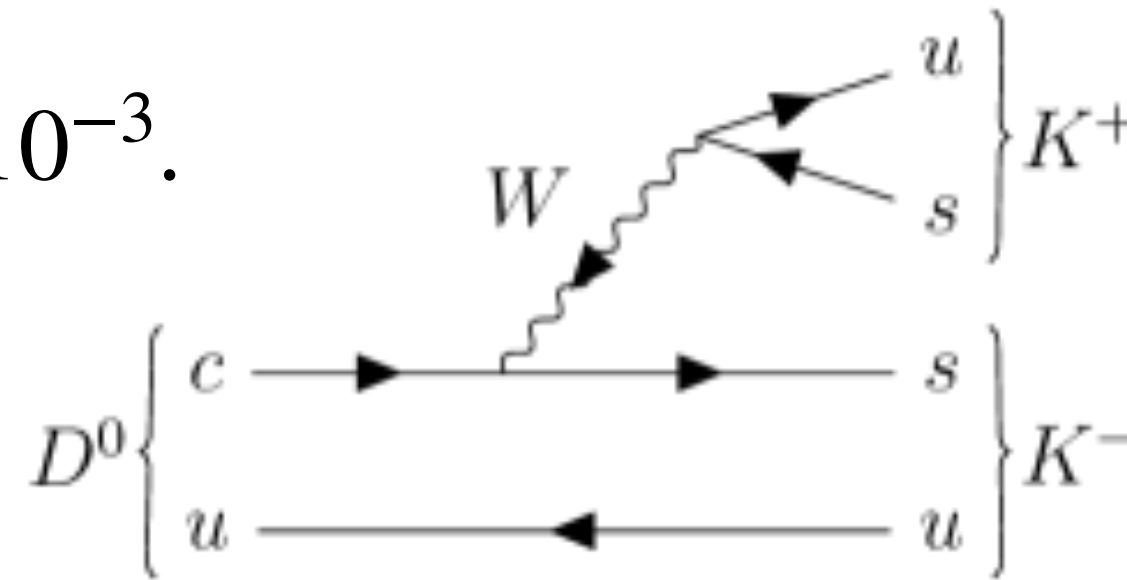
$$\begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} = \begin{pmatrix} 1 - \lambda^2/2 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \lambda^2/2 & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix}$$

- Unlike in Beauty sector, Charm sector has rather small CPV in standard model:

1, small size of $|V_{cb}|$;

2, GIM mechanism;

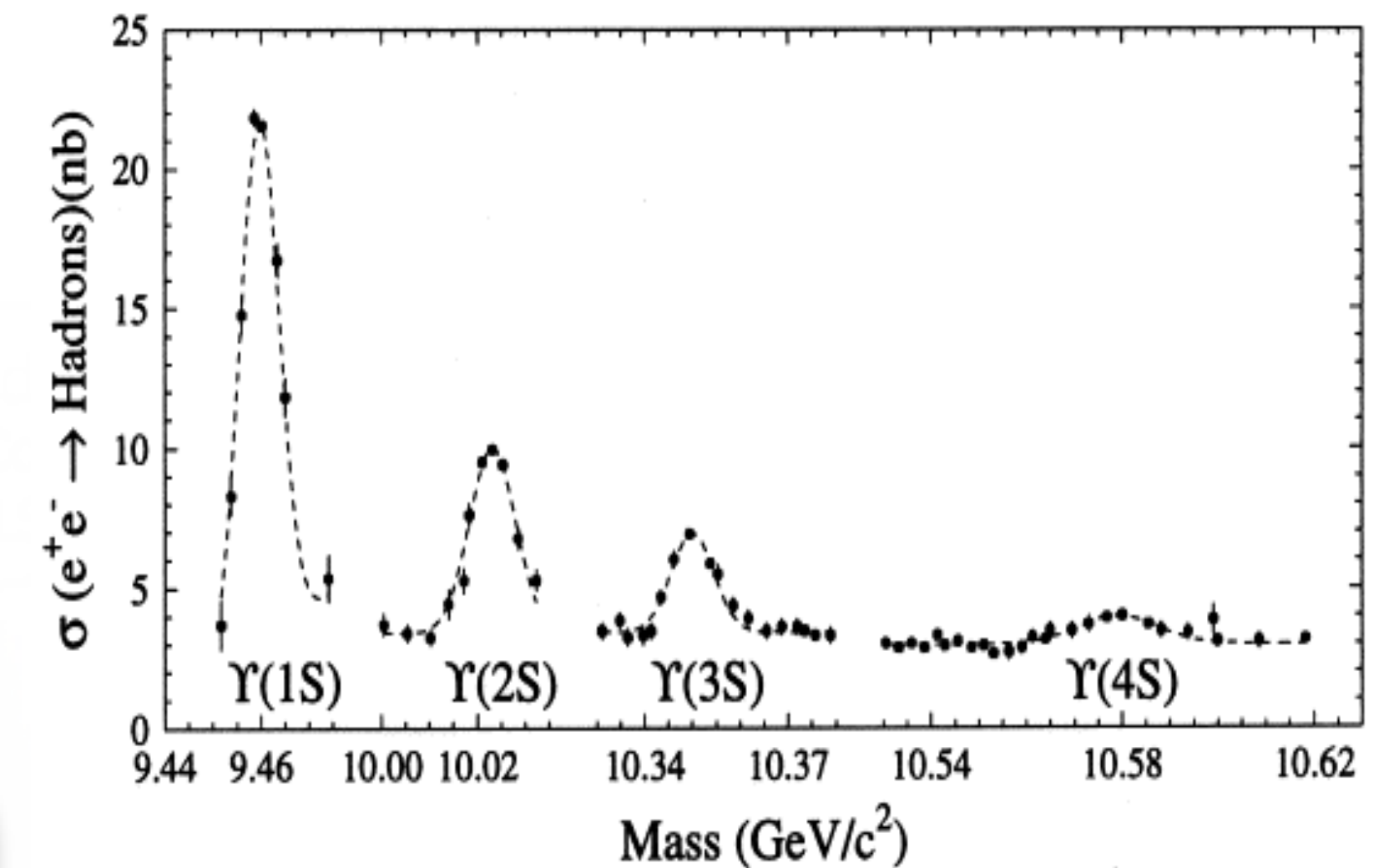
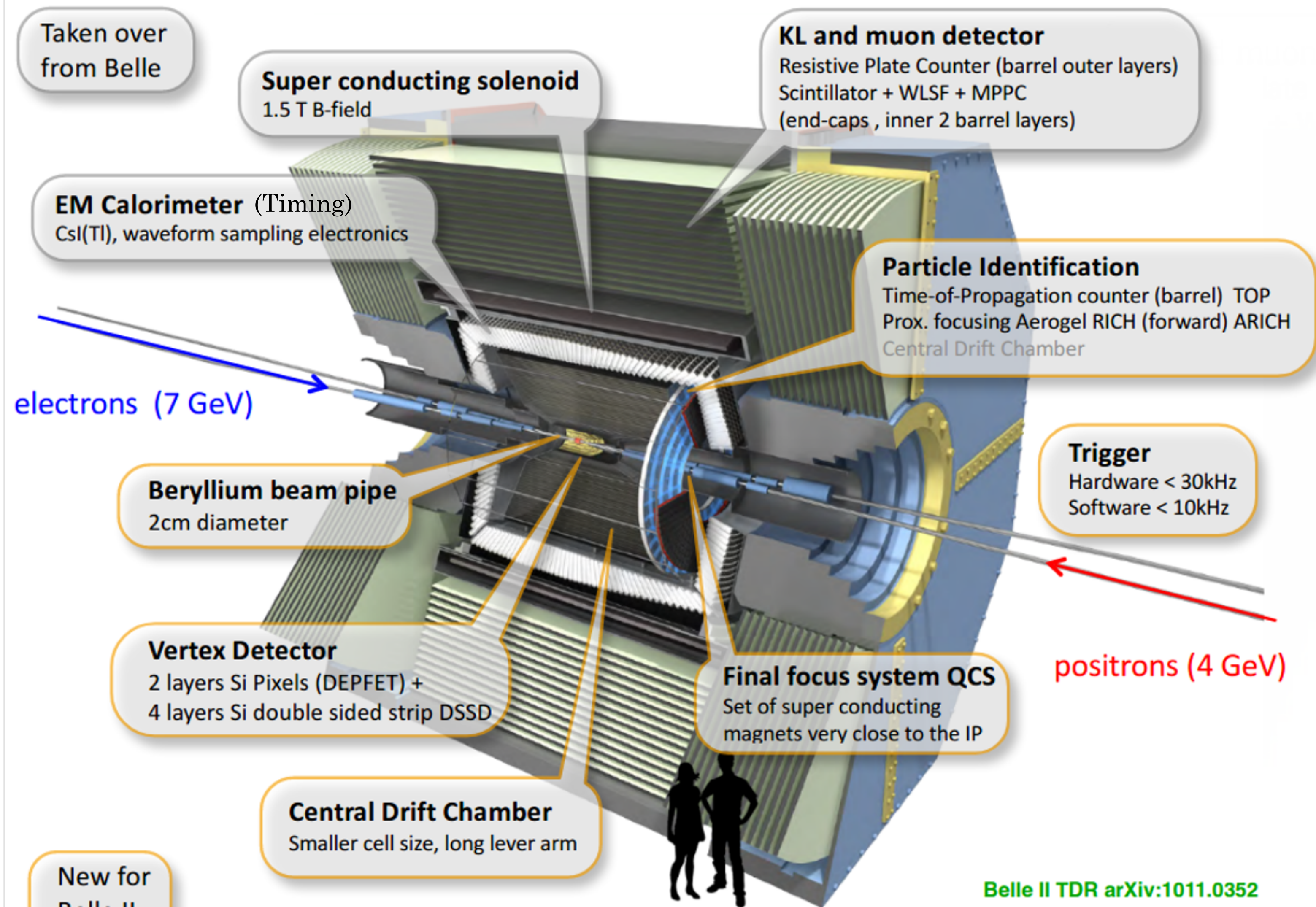
→ CPV effects are at most of order 10^{-3} .



- Singly Cabibbo-Suppressed charm decays, $c \rightarrow s\bar{s}u$ (e.g. $D^0 \rightarrow K^+K^-$) and $c \rightarrow d\bar{d}u$ (e.g. $D^0 \rightarrow \pi^+\pi^-$), are regarded to have largest CPV due to **tree interfering with re-scattering penguin** amplitude. (non-zero phase differences, comparable amplitude size)

- Observation of “excessive” CPV (mode dependent) in charm could be a hint to physics beyond standard model.

Belle II detector



At $\Upsilon(4S)$ resonance:

($\sqrt{s} = 10.58 \text{ GeV}$)

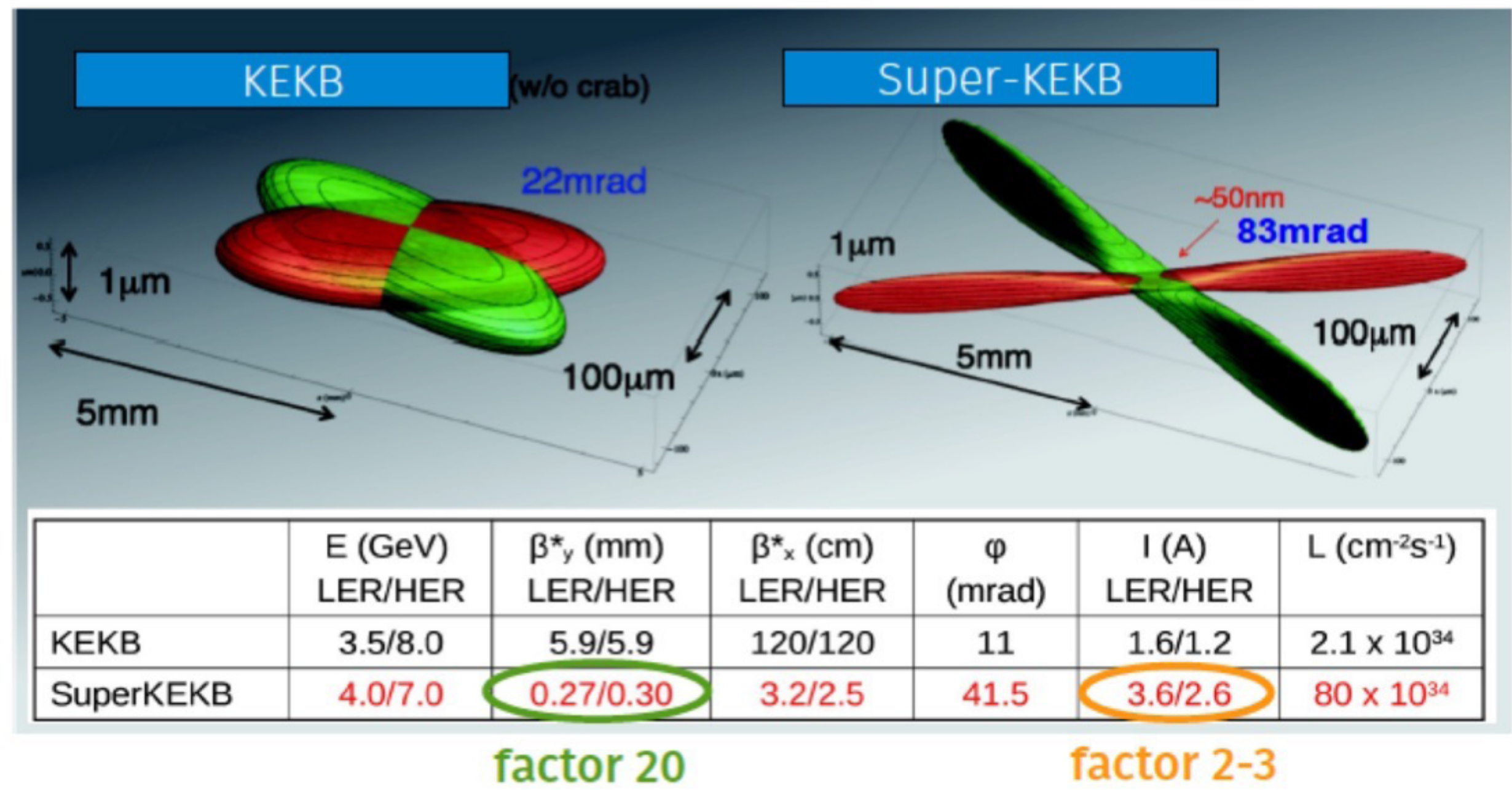
- $\sigma(b\bar{b}) = 1.1 \text{ nb}$;
- $\sigma(c\bar{c}) = 1.3 \text{ nb}$;
- $\sigma(\tau^+\tau^-) = 0.9 \text{ nb}$;

Compared with Belle:

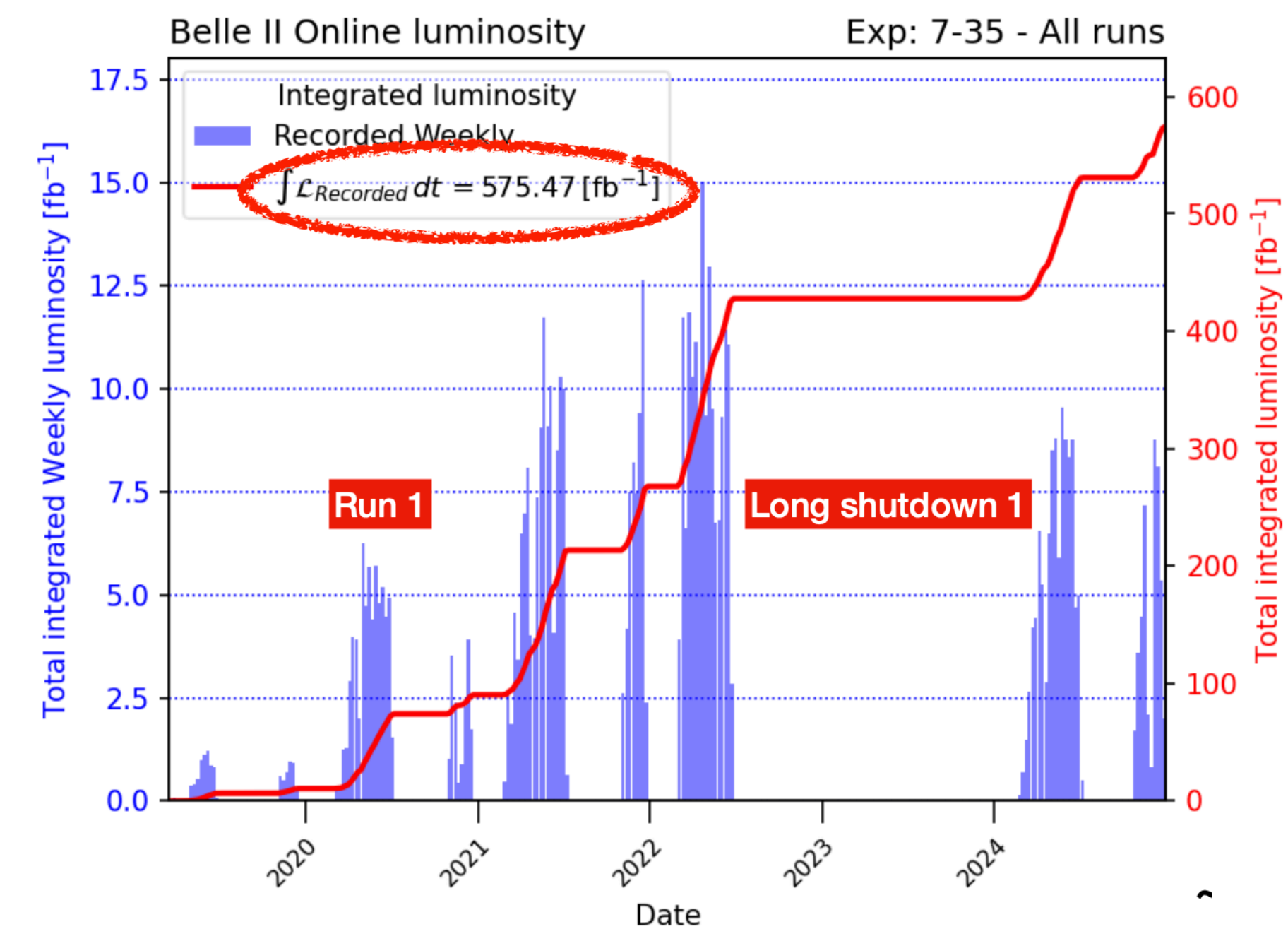
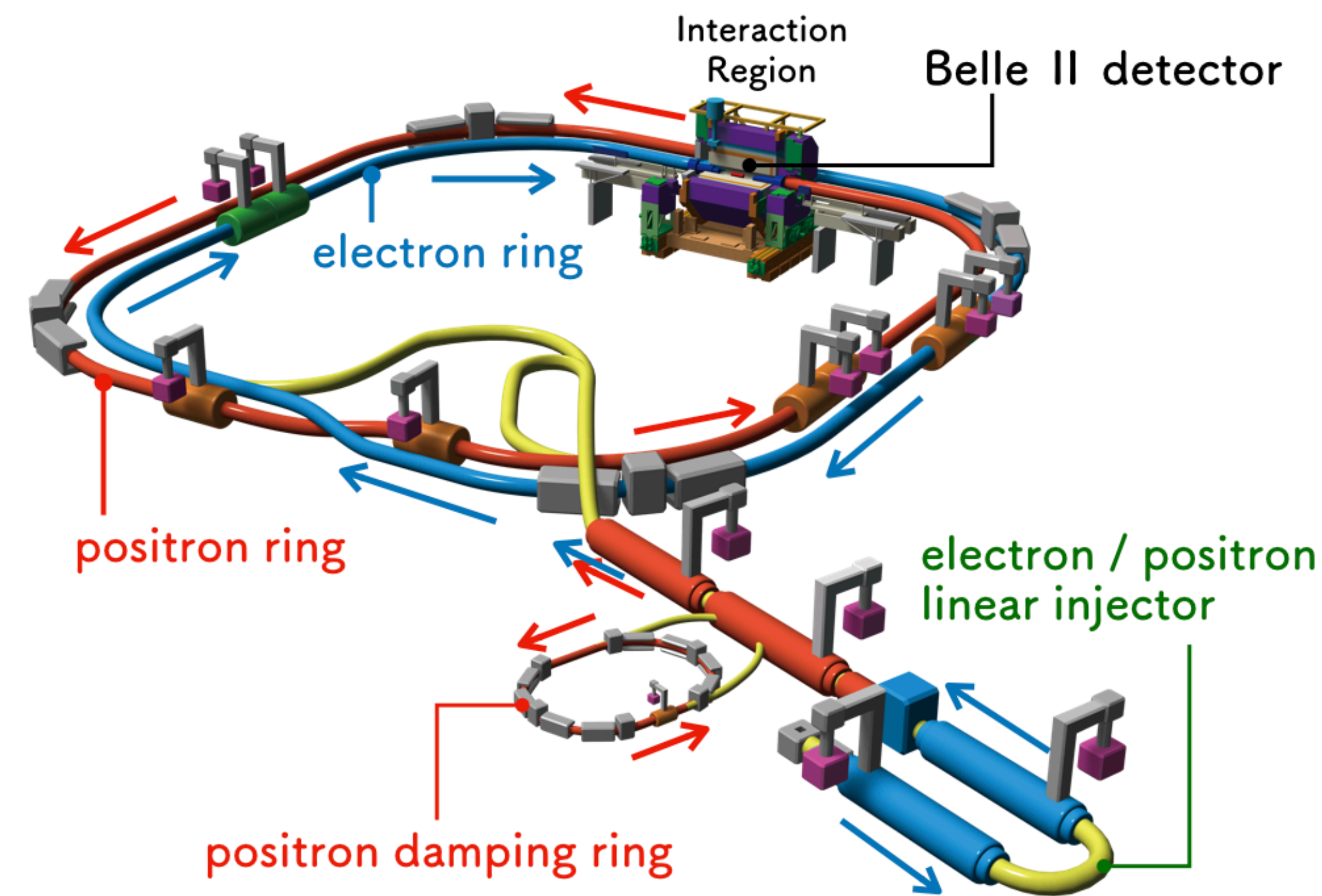
- Slightly higher acceptance;
- Vertexing (decay time) resolution;
- Better momentum resolution;
- More sophisticated trigger;
- More ML technique applied.

SuperKEKB accelerator

Nano-beam Scheme: P. Raimondi, “Status of the SuperB Effort”



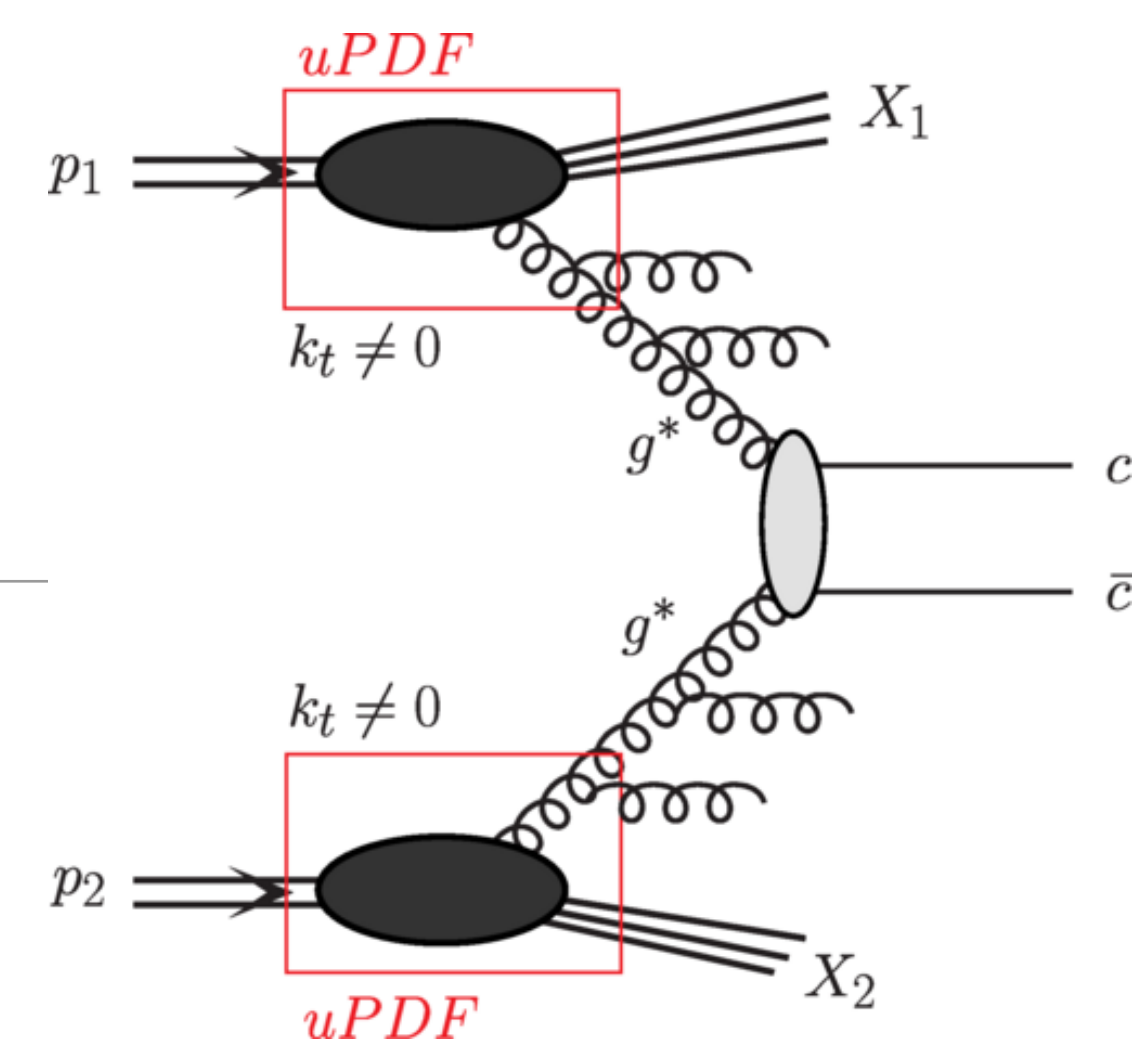
Adopting **beam squeezing** and **current increase** as means to achieve higher luminosity, the project aims to a peak luminosity of $6 \times 10^{35} \text{ cm}^{-2}\text{s}^{-1}$, 30 times more than KEB. Integrated luminosity expected 50 ab^{-1} , x40 previous B factory. In December 2024, SuperKEKB set a new world record for peak luminosity: $5.1 \times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$.



Two different charm factories

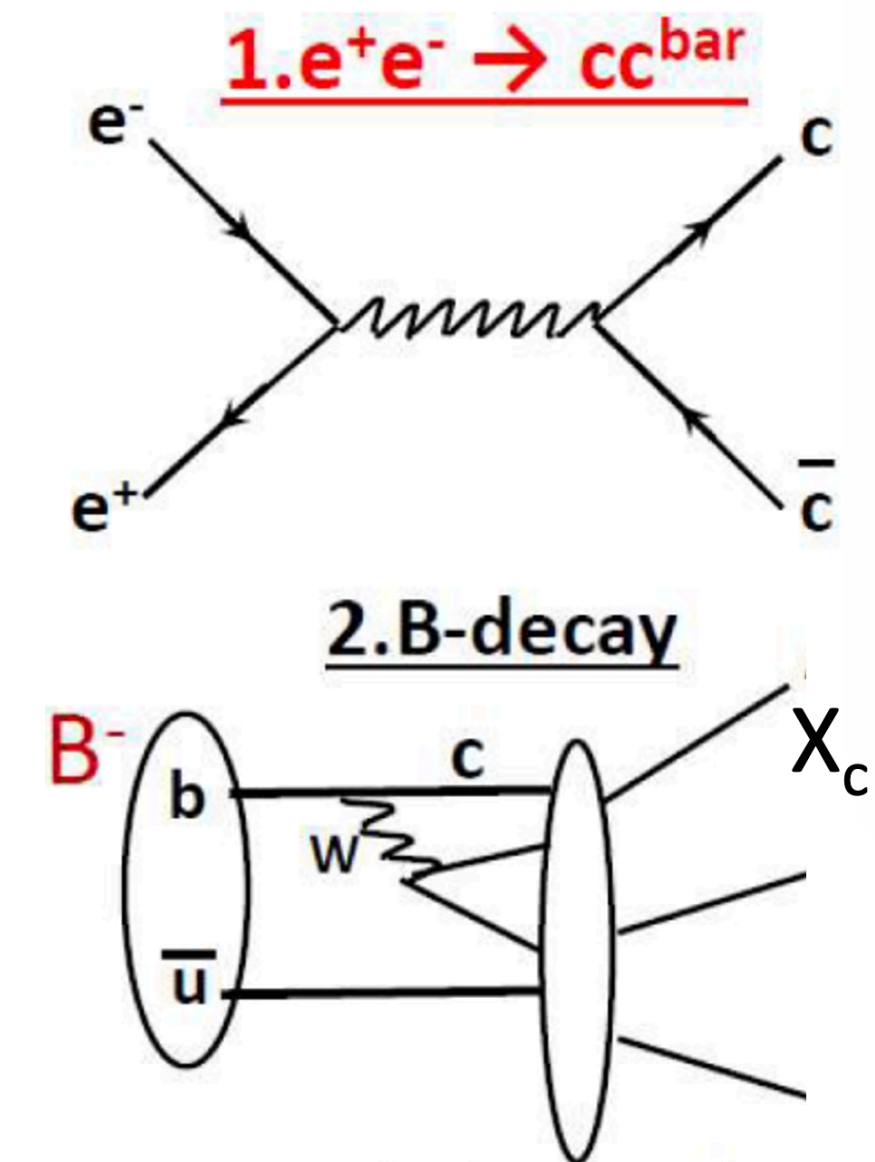
Belle II

LHCb



- Cleaner environment allows for more generous selections — milder efficiency effects
- Better reconstruction of neutrals and unique access to final states with invisible particles
- Much easier separation between promptly produced charm and secondary (from- B) decays

- Huge advantage in production rate, but also large backgrounds — stringent online selections
- Superior decay-time resolution and access to longer decay times (boost)
- ...but tricky efficiency effects (e.g. decay-time acceptance)



The observation of CPV in charm

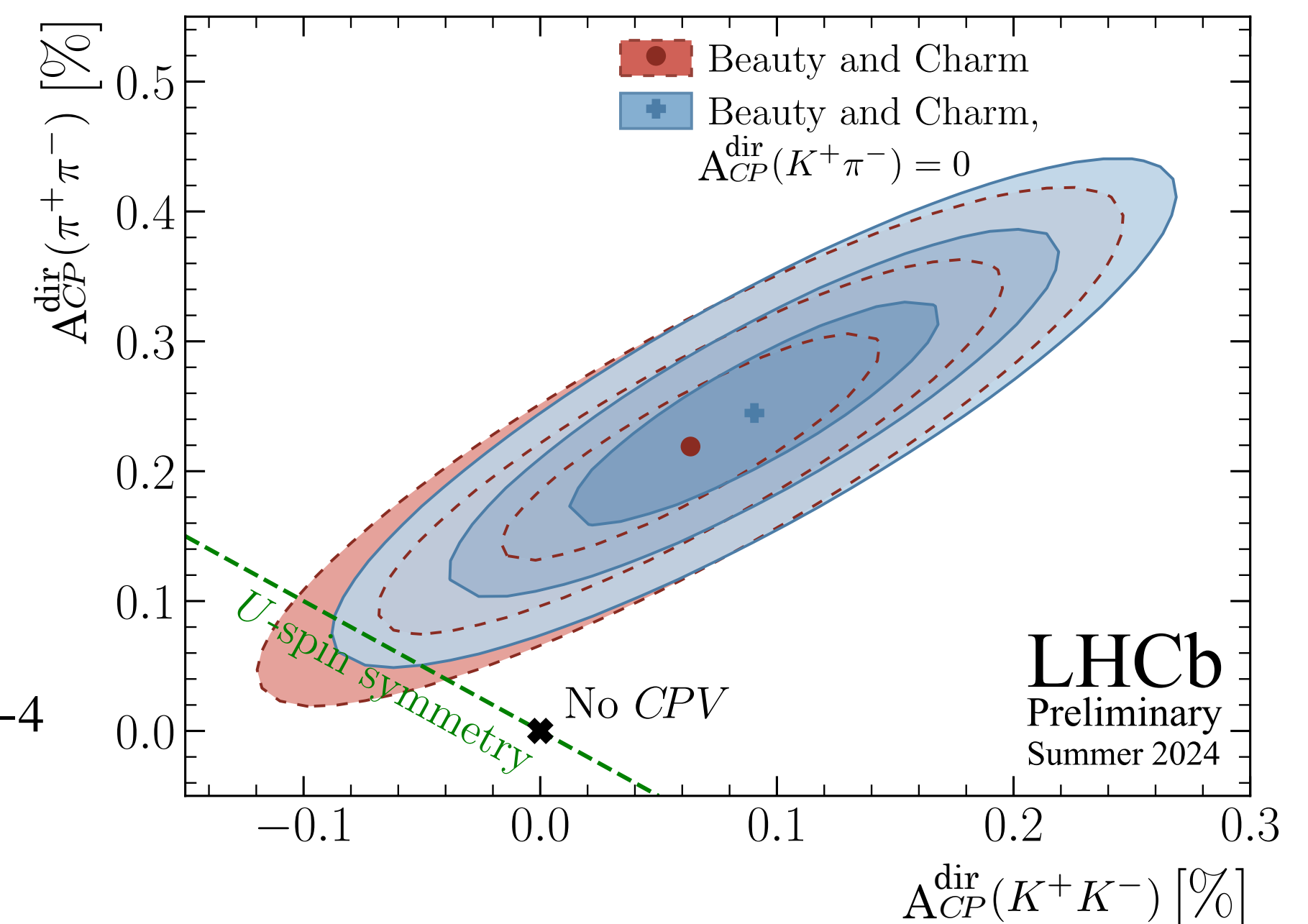
- **First discovery:** $\Delta A_{CP} = A_{CP}(K^+K^-) - A_{CP}(\pi^+\pi^-) = (-15.4 \pm 2.9) \times 10^{-4}$ by LHCb.
PRL 122, 211803 (2019)
- Advantages to measure a difference of two modes:
 1. to **cancel nuisance asymmetries**: production asymmetry, detection of π_{slow}^\pm from tagged $D^{*\pm}$.
 2. to **enhance the sensitivity** since SU(3)/U-spin symmetry predicts $A_{CP}(K^+K^-)$ and $A_{CP}(\pi^+\pi^-)$ have opposite signs and same magnitude.

- Later determined also individual direct asymmetries by measuring A_{CP} in $D^0 \rightarrow K^+K^-$ alone,

$$A_{CP}(K^+K^-) = (6.8 \pm 5.4 \pm 1.6) \times 10^{-4}, \quad \text{PRL 131, 091802 (2023)}$$

larger uncertainty comes from nuisance asymmetries.

- $A_{CP}^{dir}(K^+K^-) = (7.7 \pm 5.7) \times 10^{-4}$, $A_{CP}^{dir}(\pi^+\pi^-) = (23.2 \pm 6.1) \times 10^{-4}$
3.8 σ

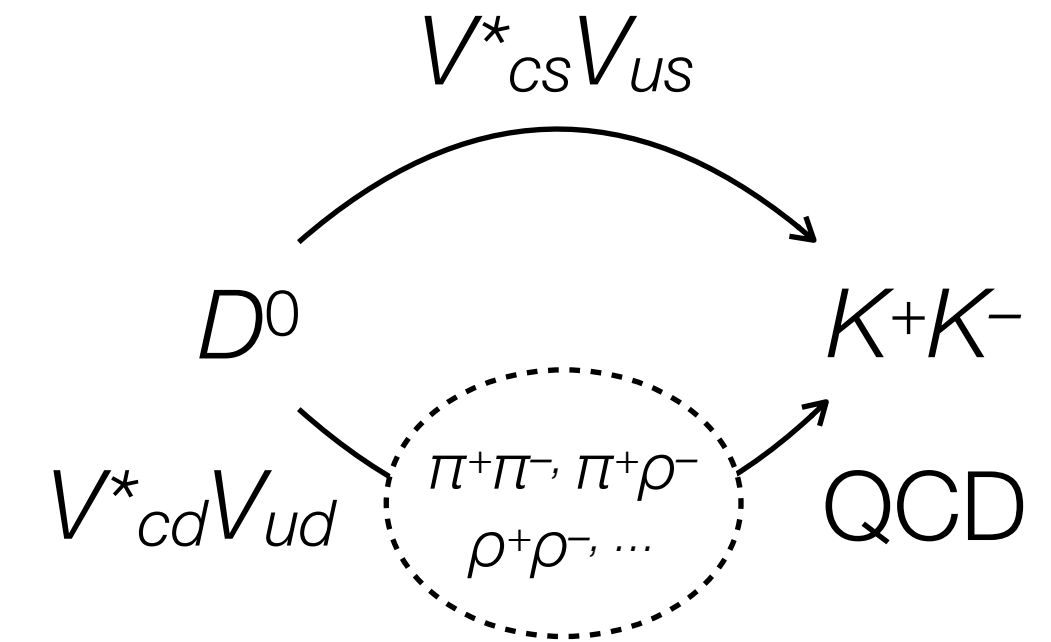


SM or BSM?

- Interference is between tree and QCD re-scattering amplitudes.

Assuming $O(1)$ re-scattering

$$A_{CP} \approx \text{Im} \left(\frac{V_{cs}^* V_{us} + V_{cd}^* V_{ud}}{V_{cs}^* V_{us} - V_{cd}^* V_{ud}} \right) \\ = -\text{Im} \left(\frac{V_{cb}^* V_{ub}}{\lambda} \right) \approx -6 \times 10^{-4}$$



- Difference between $A_{CP}^{dir}(K^+K^-)$ and $A_{CP}^{dir}(\pi^+\pi^-)$ using $SU(3)/U$ -spin symmetry can be $|\Delta A_{CP}| \approx 1.2 \times 10^{-3}$
- A conclusive theory interpretation is missing:

- Experimental value can be accommodated by large re-scattering effects

[e.g., JHEP 07 (2019) 020, PRD 100 (2019) 093002, PRL 131 (2023) 051802]

- However, same-sign CP asymmetries are in tension with U -spin symmetry

[e.g., PRD 108 (2023) 035005, JHEP 03 (2023) 205]

- Experimental value seems too large compared to first-principle standard-model computations

[e.g., PLB 774 (2017) 235, PRD 108 (2023) 036026, JHEP 03 (2024) 151]

- Triggered several beyond-standard-model interpretations

[e.g., JHEP 07 (2019) 161, JHEP 12 (2019) 104, JHEP 10 (2020) 070]

- Need to experimentally constrain non-perturbative QCD effects using measurements of CP asymmetries in several decay modes, related by flavor and isospin symmetries

[e.g., PRD 85 (2012) 114036, PRD 87 (2013) 014024, PRD 99 (2019) 113001]

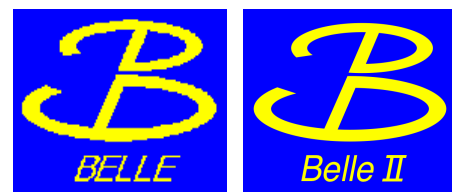
Measurements from Belle II



- $A_{CP}(D^+ \rightarrow \pi^+ \pi^0)$



- $A_{CP}(D^0 \rightarrow \pi^0 \pi^0)$



- $A_{CP}(D^0 \rightarrow K_S^0 K_S^0)$

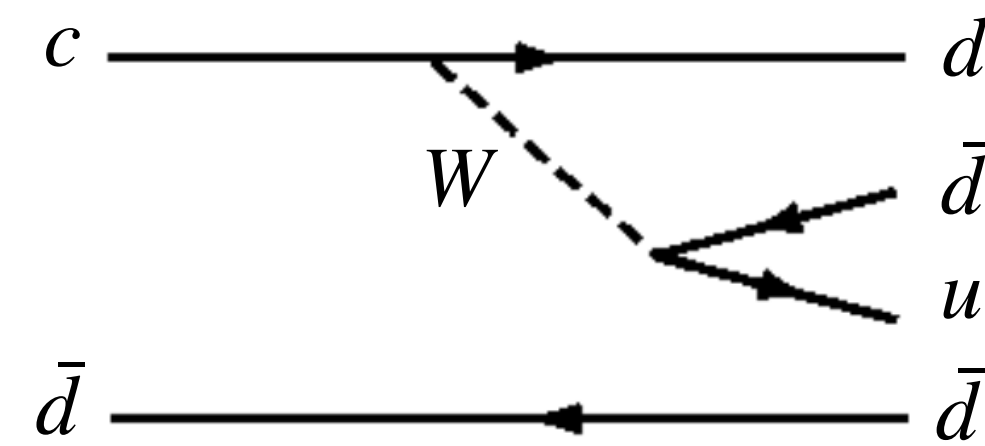
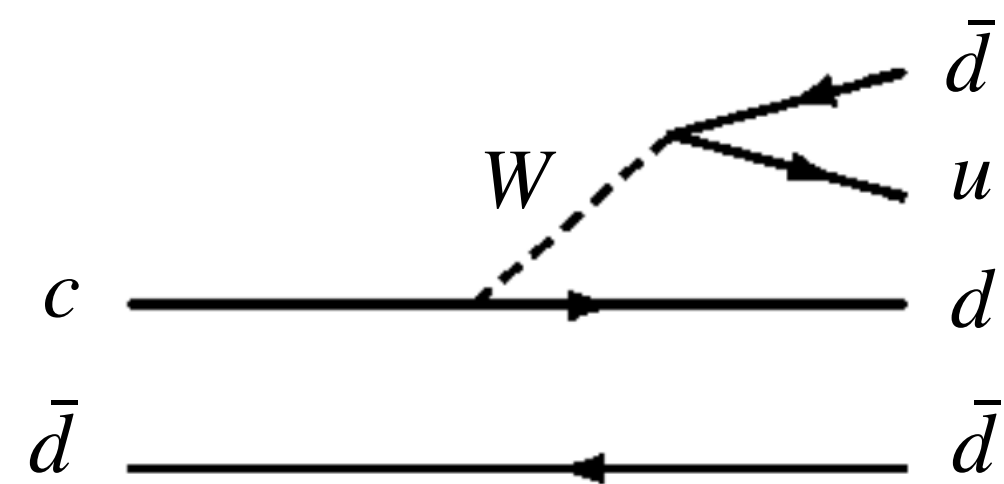
Due to large production rate at LHCb (x ~1M w.r.t Belle II) and clean reconstruction of $D^0 \rightarrow \pi^+ \pi^-$, Belle II focus on other two pionic modes.

All are time-integrated.

Given the small mixing effect, these are direct CPV searches.

Time-integrated $A_{CP}(D^+ \rightarrow \pi^+ \pi^0)$

Phys. Rev. D 112, L031101



Pionic decays of D

- A 3.8σ CPV in the pionic mode $D^0 \rightarrow \pi^+\pi^-$. Unclear if observed CP violation can be described by the SM or not, due to large hadronic uncertainties. [PRL 131, 051802 \(2023\)](#) [PRD 108, 036026 \(2023\)](#) [PRD 109, 033011 \(2024\)](#)
- Isospin-related modes can reduce hadronic uncertainty, following variable is derived using isospin sum rule for $\Delta I=1/2$ processes (SM).

$$R = \frac{A_{CP}^{\text{dir}}(D^0 \rightarrow \pi^+\pi^-)}{1 + \frac{\tau_{D^0}}{\mathcal{B}_{+-}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^0}} - \frac{2}{3} \frac{\mathcal{B}_{+0}}{\tau_{D^+}} \right)} + \frac{A_{CP}^{\text{dir}}(D^+ \rightarrow \pi^+\pi^0)}{1 - \frac{3}{2} \frac{\tau_{D^+}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^0}} + \frac{\mathcal{B}_{+-}}{\tau_{D^0}} \right)} + \frac{A_{CP}^{\text{dir}}(D^0 \rightarrow \pi^0\pi^0)}{1 + \frac{\tau_{D^0}}{\mathcal{B}_{00}} \left(\frac{\mathcal{B}_{+-}}{\tau_{D^0}} - \frac{2}{3} \frac{\mathcal{B}_{+0}}{\tau_{D^+}} \right)}$$

The branching fractions(\mathcal{B}) and lifetimes(τ) have been well measured. (BES3/Belle2/etc)

Before Belle II measuring $A_{CP}(D^+ \rightarrow \pi^+\pi^0)$ and $A_{CP}(D^0 \rightarrow \pi^0\pi^0)$, $R = (0.9 \pm 3.1) \times 10^{-3}$.

[arXiv.2206.07501](#)

$R \neq 0$: CPV arise in $\Delta I=1/2$ transitions, SM contribution present.

$R = 0$: CPV arise in $\Delta I=3/2$ transitions, SM contribution absent, New Physics observed ?!

$$A_{CP}(D^+ \rightarrow \pi^+ \pi^0)$$

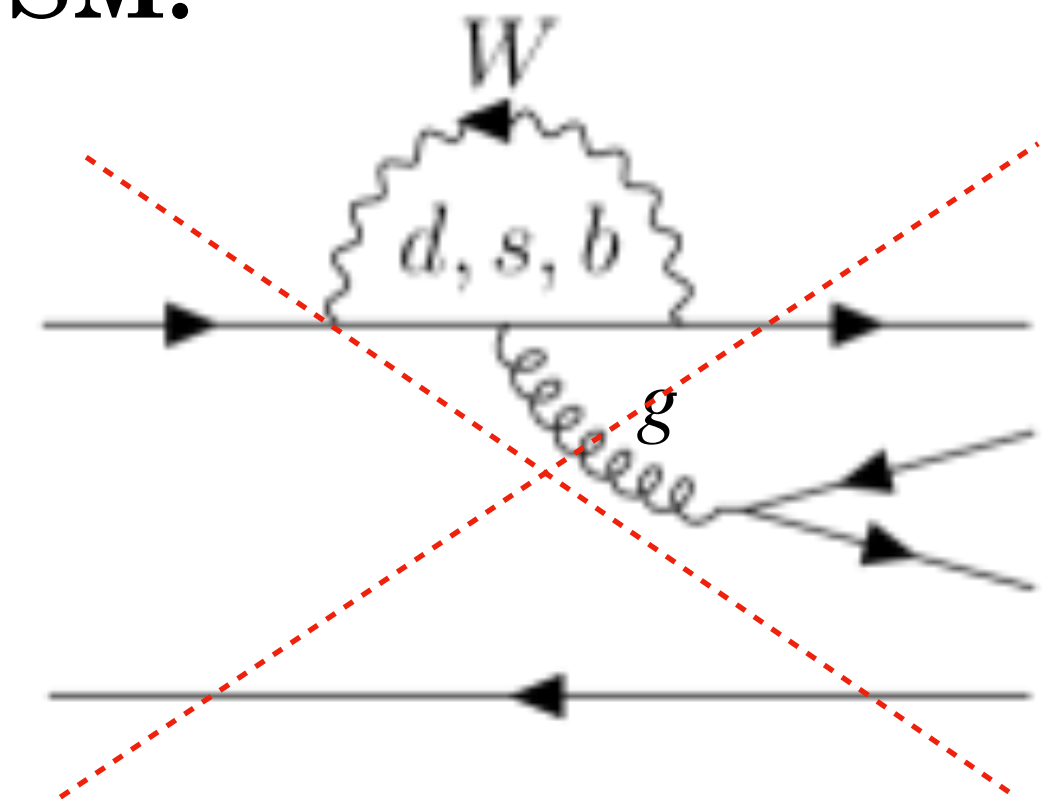
- In addition, D^+ ($I = 1/2$) $\rightarrow \pi^+ \pi^0$ ($I = 2$) is expected to have **no CPV in SM**:

1, it does not receive QCD penguin ($\Delta I=1/2$) contribution;

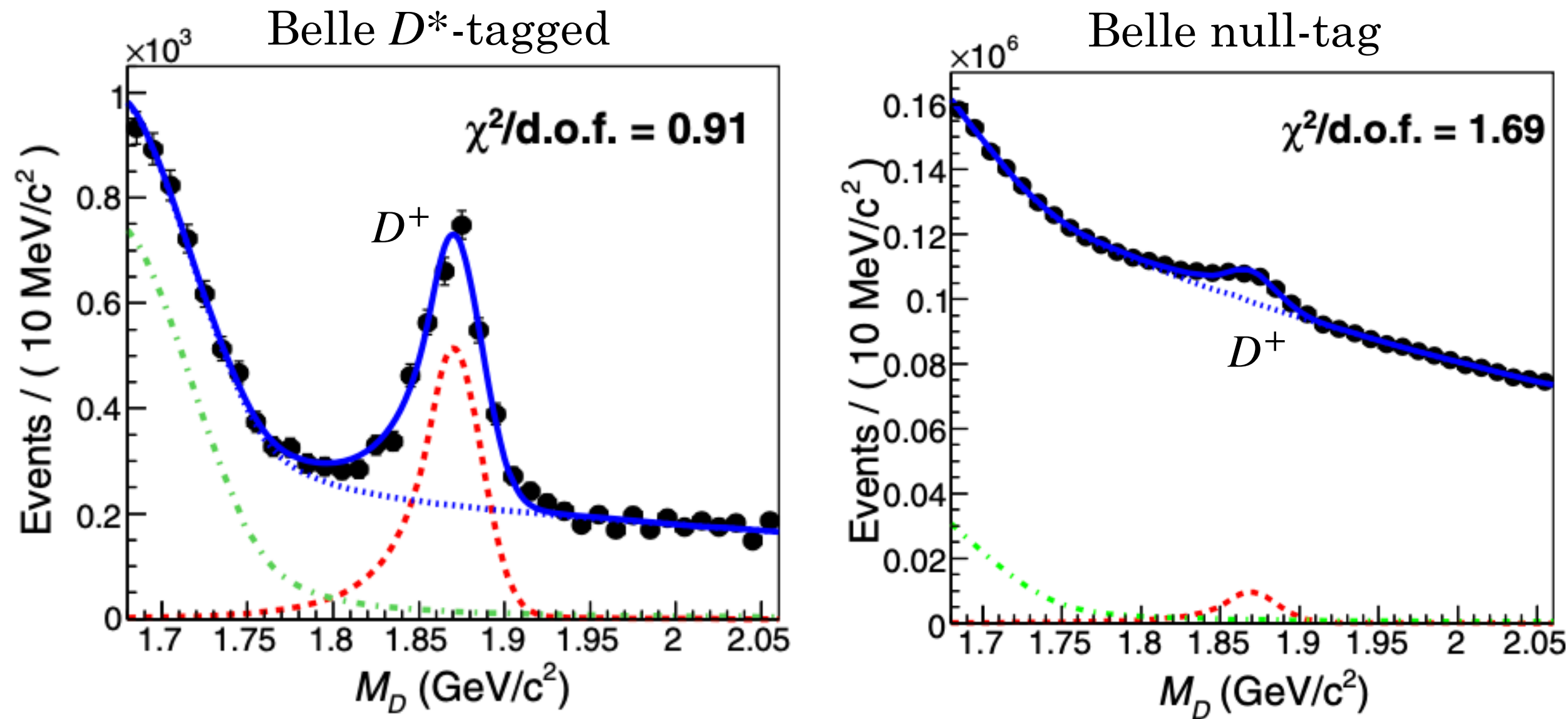
2, suppressed electroweak penguin contribution;

3, re-scattering is suppressed since $I=2$ strong-interaction intermediate states are insignificant.

- Only tree amplitude dominates. It is a golden mode to search for New Physics.

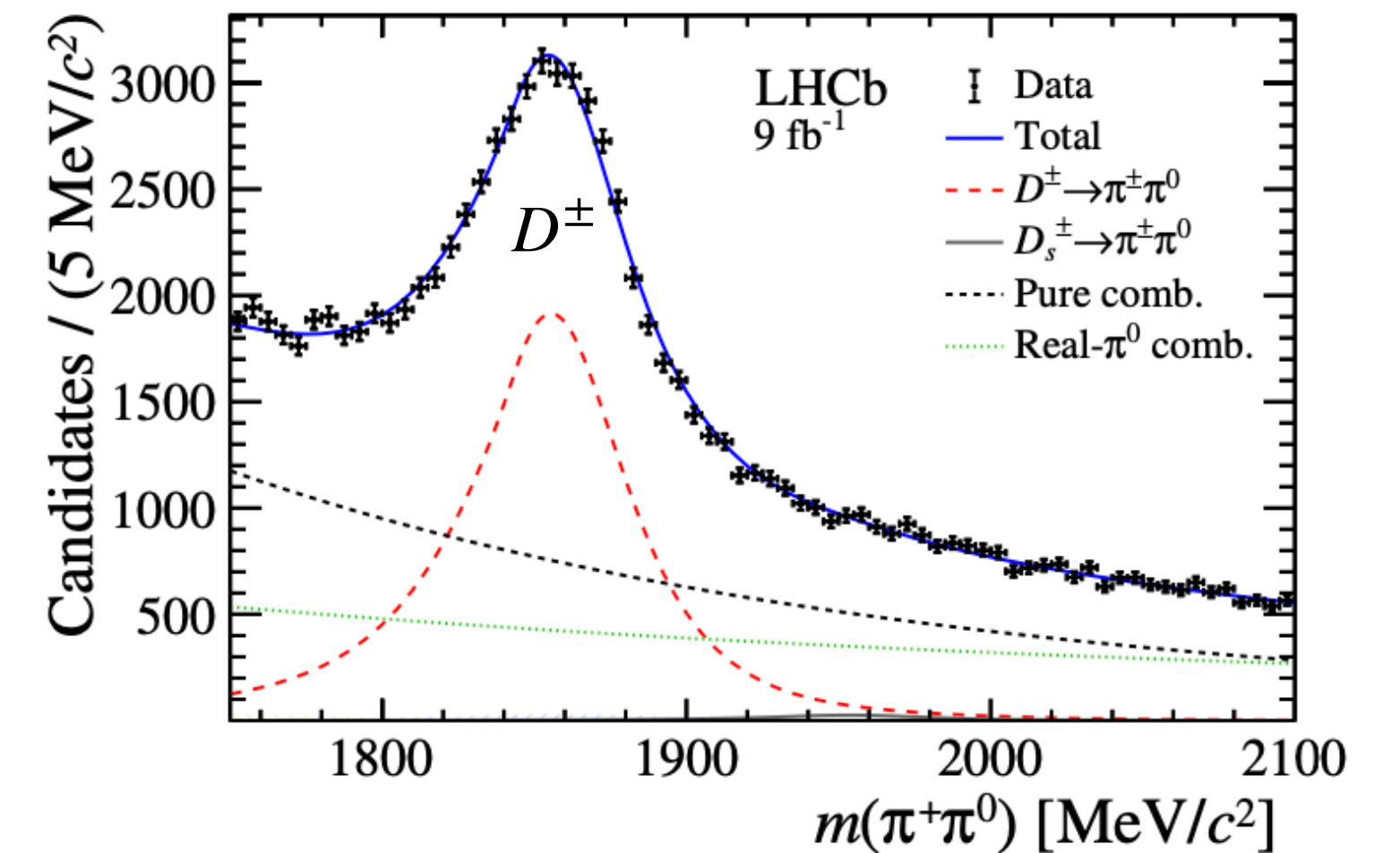


Previous results of $A_{CP}(D^+ \rightarrow \pi^+\pi^0)$



- Belle result: [PRD 97, 011101 \(2018\)](#)
 $A_{CP}(D^+ \rightarrow \pi^+\pi^0) = [2.31 \pm 1.24(\text{stat}) \pm 0.23(\text{syst})] \%$
 sample split according to whether the D^+ is reconstructed from a $D^{*+} \rightarrow D^+\pi_{\text{soft}}^0$ decay or not.
 Tagging suppress background.

- LHCb result: [JHEP 06, 019 \(2021\)](#)
 $A_{CP}(D^+ \rightarrow \pi^+\pi^0) = [-1.3 \pm 0.9(\text{stat}) \pm 0.6(\text{syst})] \%$
 using $\pi^0 \rightarrow \gamma(\rightarrow ee)\gamma$ and $\pi^0 \rightarrow e e \gamma$.



Direct CP asymmetry $A_{CP}(D^+ \rightarrow \pi^+\pi^0)$

The physics variable that we are interested is $A_{CP}(D^+ \rightarrow \pi^+\pi^0) = \frac{\Gamma(D^+ \rightarrow \pi^+\pi^0) - \Gamma(D^- \rightarrow \pi^-\pi^0)}{\Gamma(D^+ \rightarrow \pi^+\pi^0) + \Gamma(D^- \rightarrow \pi^-\pi^0)}$

From experiment, the variable easily accessed is $A_{raw}^{\pi\pi} = \frac{N(D^+ \rightarrow \pi^+\pi^0) - N(D^- \rightarrow \pi^-\pi^0)}{N(D^+ \rightarrow \pi^+\pi^0) + N(D^- \rightarrow \pi^-\pi^0)}$

They are related by $A_{raw}^{\pi\pi} = A_{CP}^{\pi\pi} + \boxed{A_{prod}^D + A_{\epsilon}^{\pi^\pm}}$, assuming very small asymmetries.

A_{prod}^D : forward-backward asymmetric production in e^+e^- collisions of charm hadrons, due to $\gamma^* - Z^0$ interference and higher-order QED effects, is an odd function of $\cos\theta_{CM}(D^\pm)$.

$A_{\epsilon}^{\pi^\pm}$: detection asymmetry of the low-momentum tagging pions.

Nuisance Asymmetry

They are related by $A_{raw}^{\pi\pi} = A_{CP}^{\pi\pi} + \boxed{A_{prod}^D + A_{\epsilon}^{\pi^{\pm}}}$, assuming very small A's.

To estimate these **nuisance asymmetries**, we use $D^+ \rightarrow \pi^+ K_S^0$, ($K_S^0 \rightarrow \pi^+ \pi^-$) as a control mode that has similar kinematics.

$D^+ \rightarrow \pi^+ K_S^0$ ($Br = (1.562 \pm 0.031) \%$, Cabibbo-favored)

$$A_{raw}^{\pi K_S} = A_{K_S} + A_{prod}^D + A_{\epsilon}^{\pi^{\pm}}$$

\downarrow
 $\rightarrow \sim -0.4 \%$

$A_{K_S^0}$: 1, CP-violation in the K^0 - \bar{K}^0 system.

2, different nuclear-interaction cross-sections for K^0 and \bar{K}^0 mesons with detector.

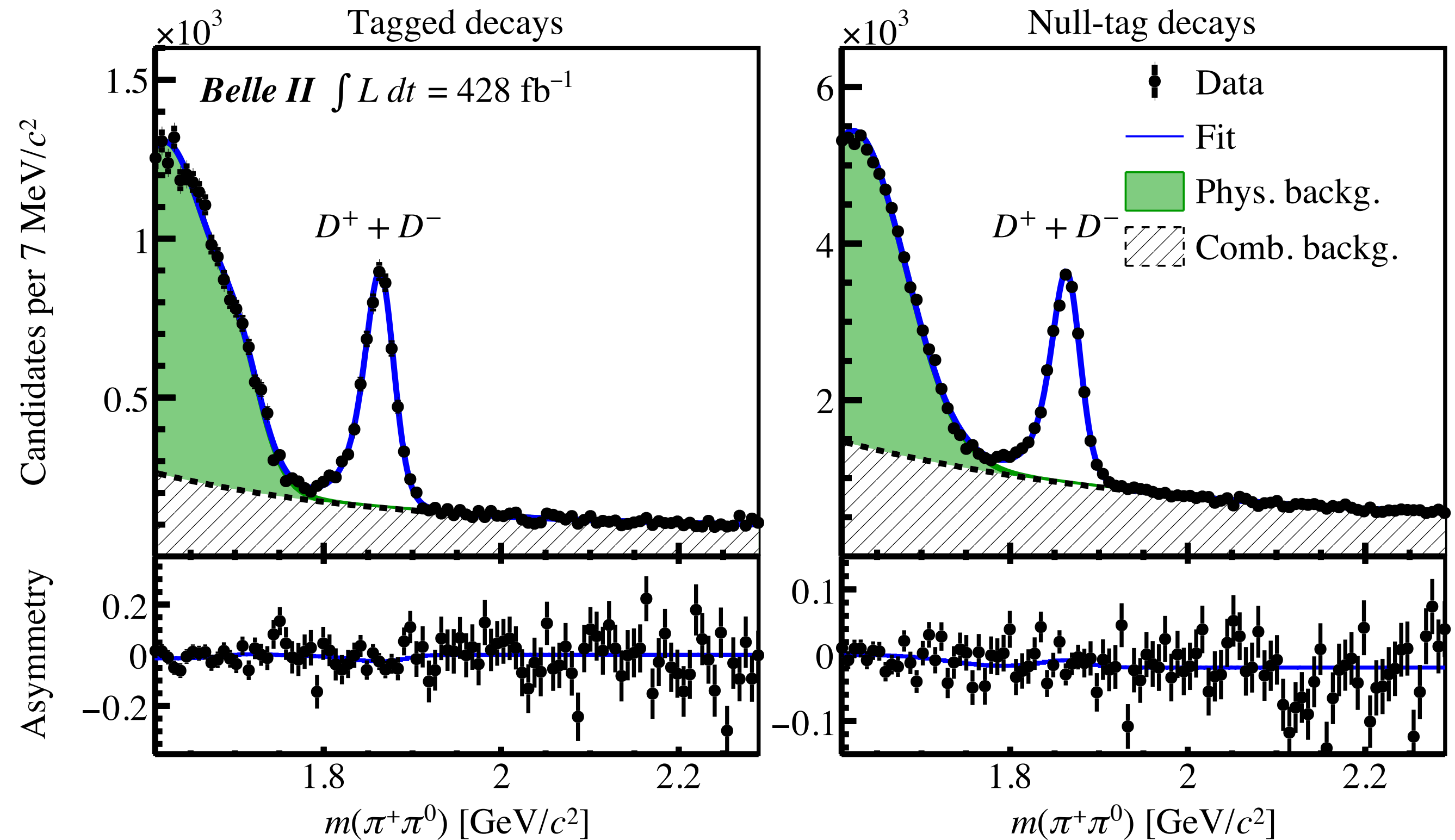
$$A_{CP}^{\pi\pi} = A_{raw}^{\pi\pi} - A_{raw}^{\pi K_S} + A_{K_S}$$

Selections for $D^+ \rightarrow \pi^+ \pi^0$

- Following same strategy as Belle, splitting the sample by D^* -tag.
- The main limitation in the Belle analysis was the large background due to fake π^0 candidates and random $\pi^+ \pi^0$ pairs.
- Thus, at Belle II:
 1. When reconstruct $\pi^0 \rightarrow \gamma\gamma$, use **multivariate discriminators** (employing timing and cluster shape variables) on γ to suppress fake photons from hadronic split-off and beam background.
 2. Use the π^+ impact parameter and final state kinematics as input to a **neural network** to suppress combinatorial from charged pions not originating from a long-lived D decay.

Fit to signal $D^+ \rightarrow \pi^+ \pi^0$

- After full selection, tagged and null-tag have similar shapes in mass spectra, signal peak sitting over combinatorial background, physics background on the left.
- Physics BKG is composed of $D^0 \rightarrow \pi^+ \pi^- \pi^0$, $D^+ \rightarrow \pi^+ \pi^0 \pi^0$, $D^+ \rightarrow \pi^0 \mu^+ \nu$, $D^+ \rightarrow K_S^0 \pi^0$. Fractions are different in two cases due to selection.
- Simultaneous fit to D^+ and D^- using charge symmetric PDF with asymmetry for each component.

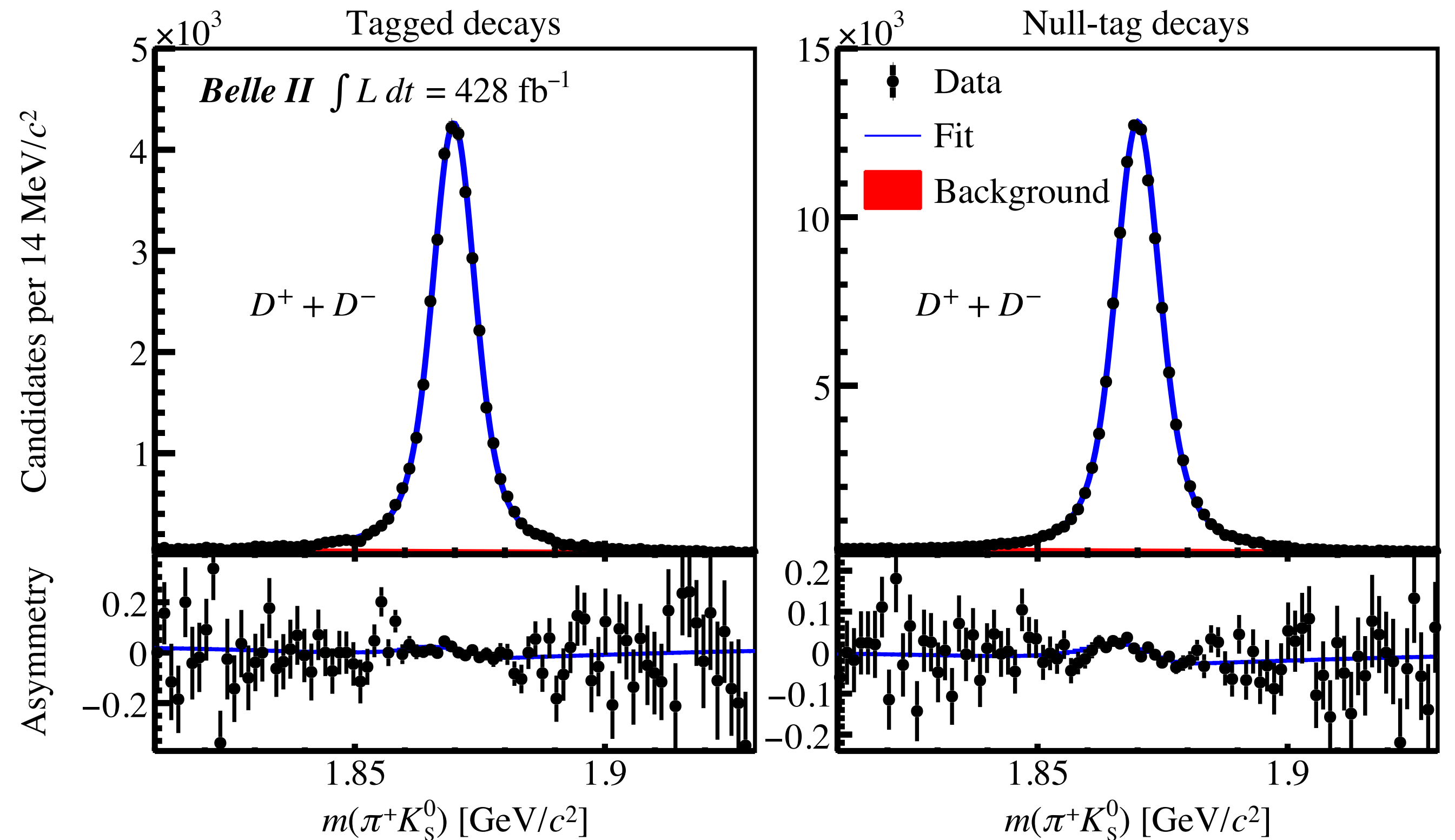


	Tagged	Null-tag
Yield	5130 ± 110	18510 ± 240
A_{raw}	$(-2.9 \pm 1.8)\%$	$(-0.4 \pm 1.0)\%$

Control mode $D^+ \rightarrow \pi^+ K_S, (K_S \rightarrow \pi^+ \pi^-)$

- Similar selection as signal mode.
- Clean, high yield, precisely measured.
- **Background is negligible.**
- Signal Peak is narrower due to all charged final state.
- PDF has charge dependency on mean and width of the peak. (Unlike signal, where γ dilute the resolution.)

	Tagged	Null-tag
Yield	39630 ± 300	123560 ± 500
A_{raw}	$(0.54 \pm 0.53)\%$	$(0.33 \pm 0.30)\%$



$$A_{CP}^{\pi\pi} = A_{raw}^{\pi\pi} - A_{raw}^{\pi K_S} + A_{K_S}$$

	Tagged	Null-tag
$A_{raw}(D^+ \rightarrow \pi^+ \pi^0)$	$(-2.9 \pm 1.8) \%$	$(-0.4 \pm 1.0) \%$
$A_{raw}(D^+ \rightarrow \pi^+ K_S^0)$	$(0.54 \pm 0.53) \%$	$(0.33 \pm 0.30) \%$
A_{K_S}	$(-0.4223 \pm 0.0030) \%$	$(-0.4181 \pm 0.0016) \%$
$A_{CP}(D^+ \rightarrow \pi^+ \pi^0)$	$(-3.9 \pm 1.8) \%$	$(-1.1 \pm 1.0) \%$

- Statistical error only.
- $A_{K_S^0}$ is estimated based on kaon flight path and detector material budget.

Systematics

Source	Uncertainty [%]	
	Tagged	Null-tag
Modeling of the $D^+ \rightarrow \pi^+ \pi^0$ fit	0.119	0.044
Modeling of the $D^+ \rightarrow \pi^+ K_S^0$ fit	0.122	0.048
Kinematic differences	0.096	0.053
Neutral kaon asymmetry	0.007	0.007
Total systematic	0.196	0.084
Statistical	1.8	1.0

- **Fit modeling:**

1, asymmetry on all parameters, e.g., $\lambda \rightarrow \lambda(1 \pm A_\lambda)$. All A 's $< 2 \sigma$, resulting $\Delta A_{raw} < 2 \sigma$.

2, alternative models for each component (signal, combinatorial, physics) (control, background), resulting ΔA_{raw} is assigned as systematics.

- **Kinematics weighting** between control and signal mode using MC: $\cos\theta_{CM}(D^\pm)$, $\cos\theta(\pi^\pm)$, $p(\pi^\pm)$.

resulting ΔA_{raw} is assigned as systematics.

- $A_{K_S^0}$: uncertainty due to precise knowledge of the material budget (varied by 5%) of Belle II.

Results

- Using 428 /fb, Belle II obtain:

1. $A_{CP}(D^+ \rightarrow \pi^+ \pi^0) = [-3.9 \pm 1.8(stat) \pm 0.2(syst)] \%$ for D^* -tagged sample;

2. $A_{CP}(D^+ \rightarrow \pi^+ \pi^0) = [-1.1 \pm 1.0(stat) \pm 0.1(syst)] \%$ for null-tag sample.

- Combined:

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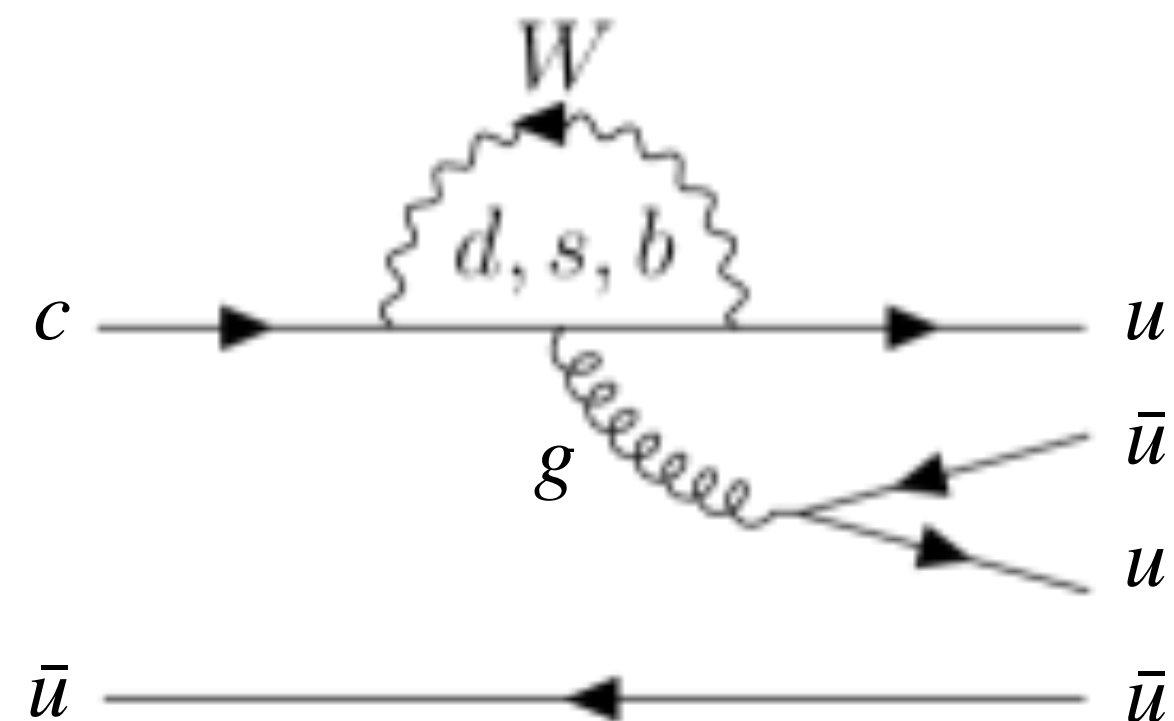
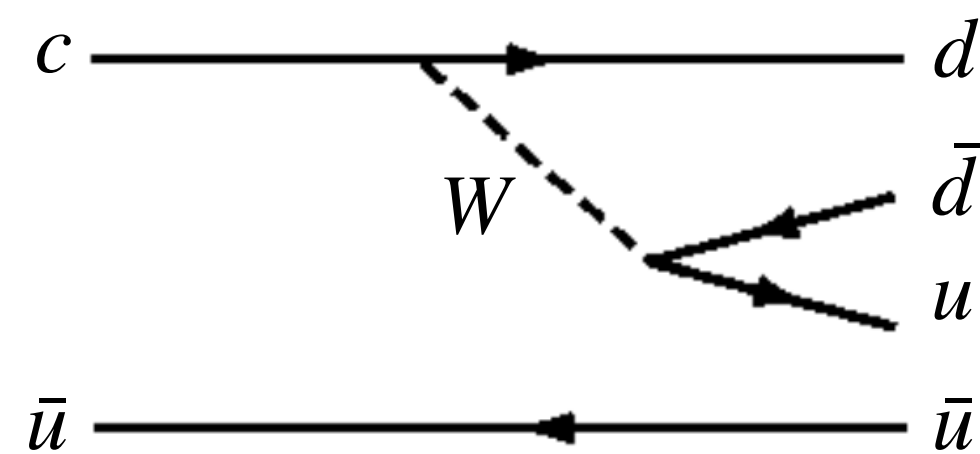
$$A_{CP}(D^+ \rightarrow \pi^+ \pi^0) = [-1.8 \pm 0.9(stat) \pm \mathbf{0.1(syst)}] \%, \text{ \textbf{most precise!}}$$

Statistics limited, could be further improved with coming data.

The impressive gain on precision comes from machine learning, good vertexing of Belle II and tiny beamspot of SuperKEKB.

Time-integrated $A_{CP}(D^0 \rightarrow \pi^0 \pi^0)$

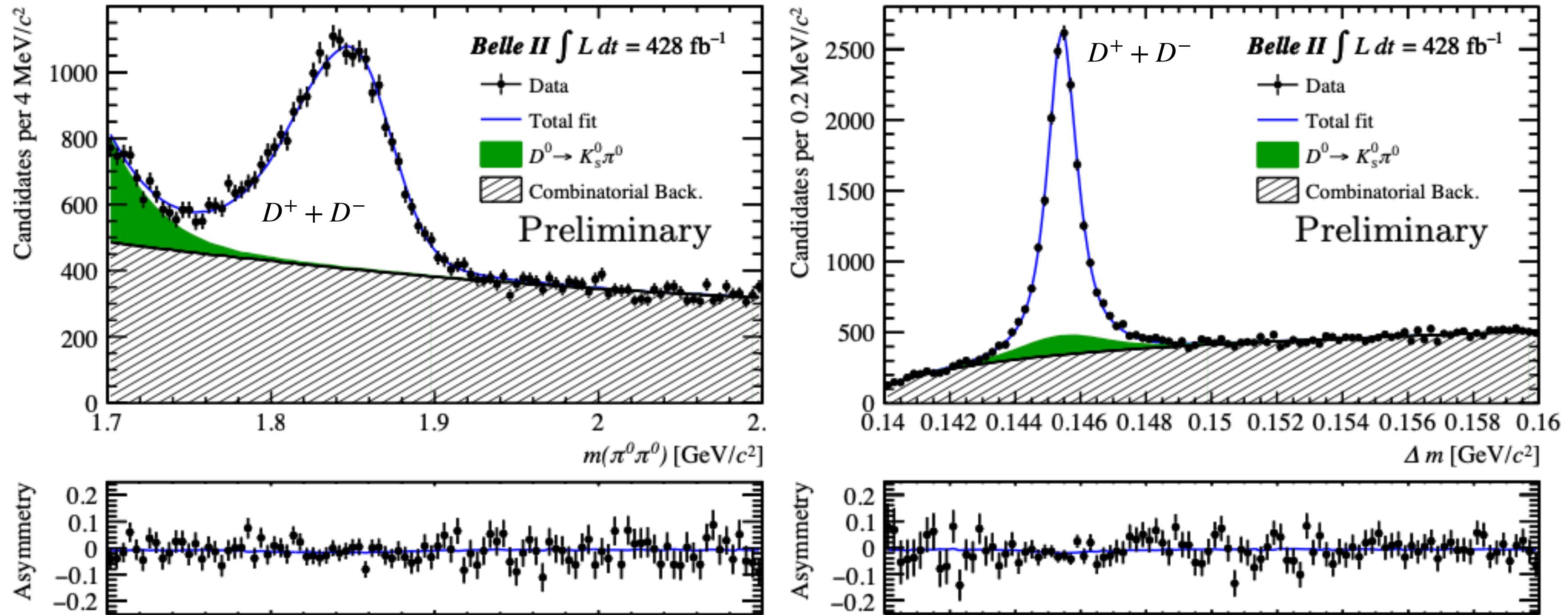
PRD 112, 012006 (2025)



Time-integrated $A_{CP}(D^0 \rightarrow \pi^0 \pi^0)$

- To determine the production flavor of neutral D, $D^0 \rightarrow \pi^0 \pi^0$ from $D^{*+} \rightarrow D^0 \pi_s^+$ are used.
- Using 980 /fb, Belle obtained $A_{CP}(D^0 \rightarrow \pi^0 \pi^0) = [-0.03 \pm 0.64(stat) \pm 0.10(syst)] \%$ [PRL 112, 211601 \(2014\)](#)
- Signal mode: $A_{raw}^{\pi^0 \pi^0} = A_{CP}^{\pi^0 \pi^0} + A_{prod}^{D^*} + A_{\epsilon}^{\pi_s}$; control modes: D^* -tagged $D^0 \rightarrow K^- \pi^+$, untagged $D^0 \rightarrow K^- \pi^+$.
- $A_{raw}^{K\pi,tag} = A_{prod}^{D^{*+}}(D^0 \rightarrow K^- \pi^+) + A_{\epsilon}^{\pi_s}(D^0 \rightarrow K^- \pi^+) + A_{\epsilon}^{K\pi}(D^0 \rightarrow K^- \pi^+)$
- $A_{raw}^{K\pi,untag} = A_{prod}^{D^0}(D^0 \rightarrow K^- \pi^+) + A_{\epsilon}^{K\pi}(D^0 \rightarrow K^- \pi^+)$
- Using $A'_{raw} = \frac{A_{raw}(\cos\theta_{CM} < 0) + A_{raw}(\cos\theta_{CM} > 0)}{2}$, the [Production Asymmetry](#) is averaged out.
(odd function of $\cos\theta_{CM}$)
- $A_{CP}(D^0 \rightarrow \pi^0 \pi^0) = A'_{raw}^{\pi^0 \pi^0} - (A'_{raw}^{K\pi,tag} - A'_{raw}^{K\pi,untag})$

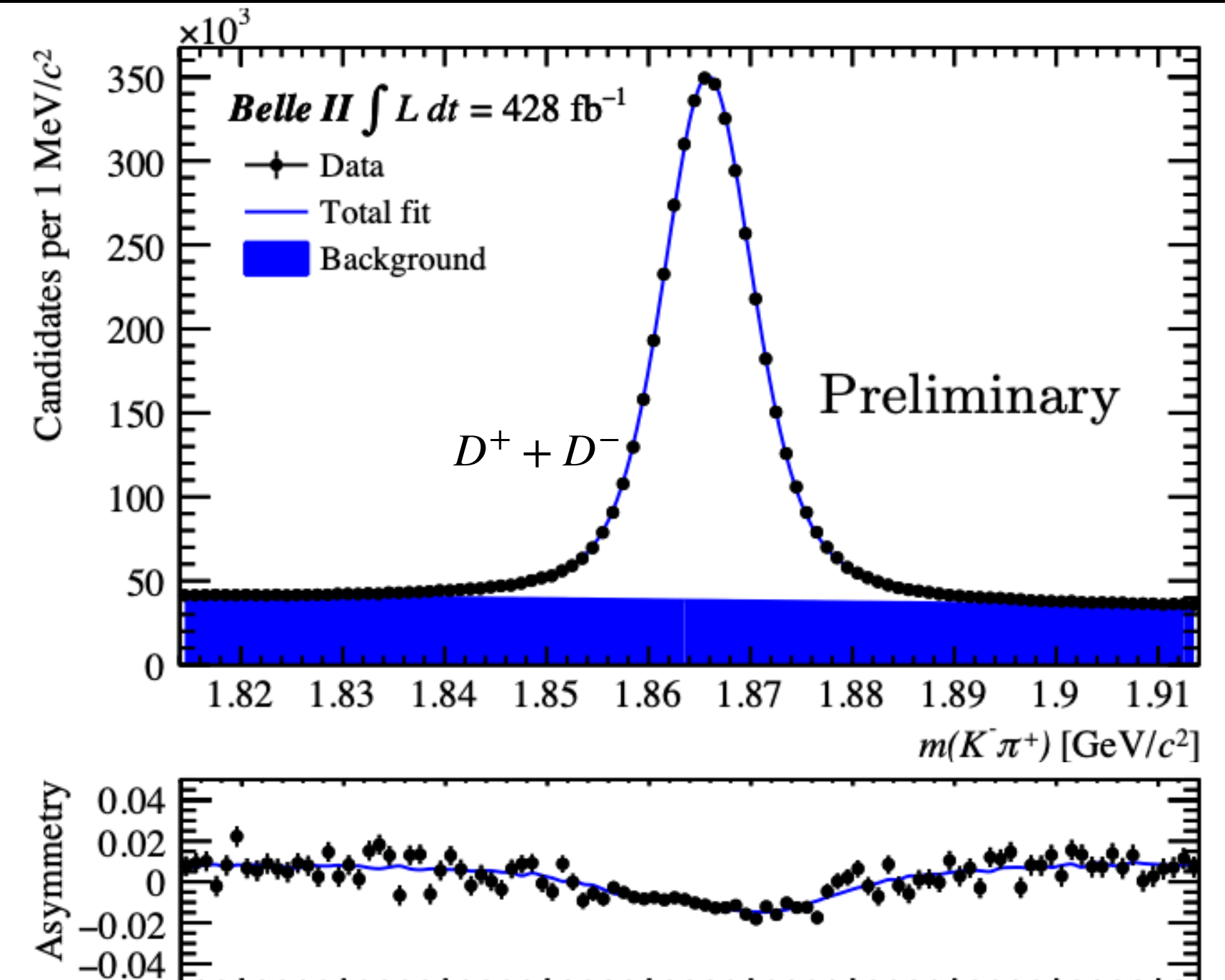
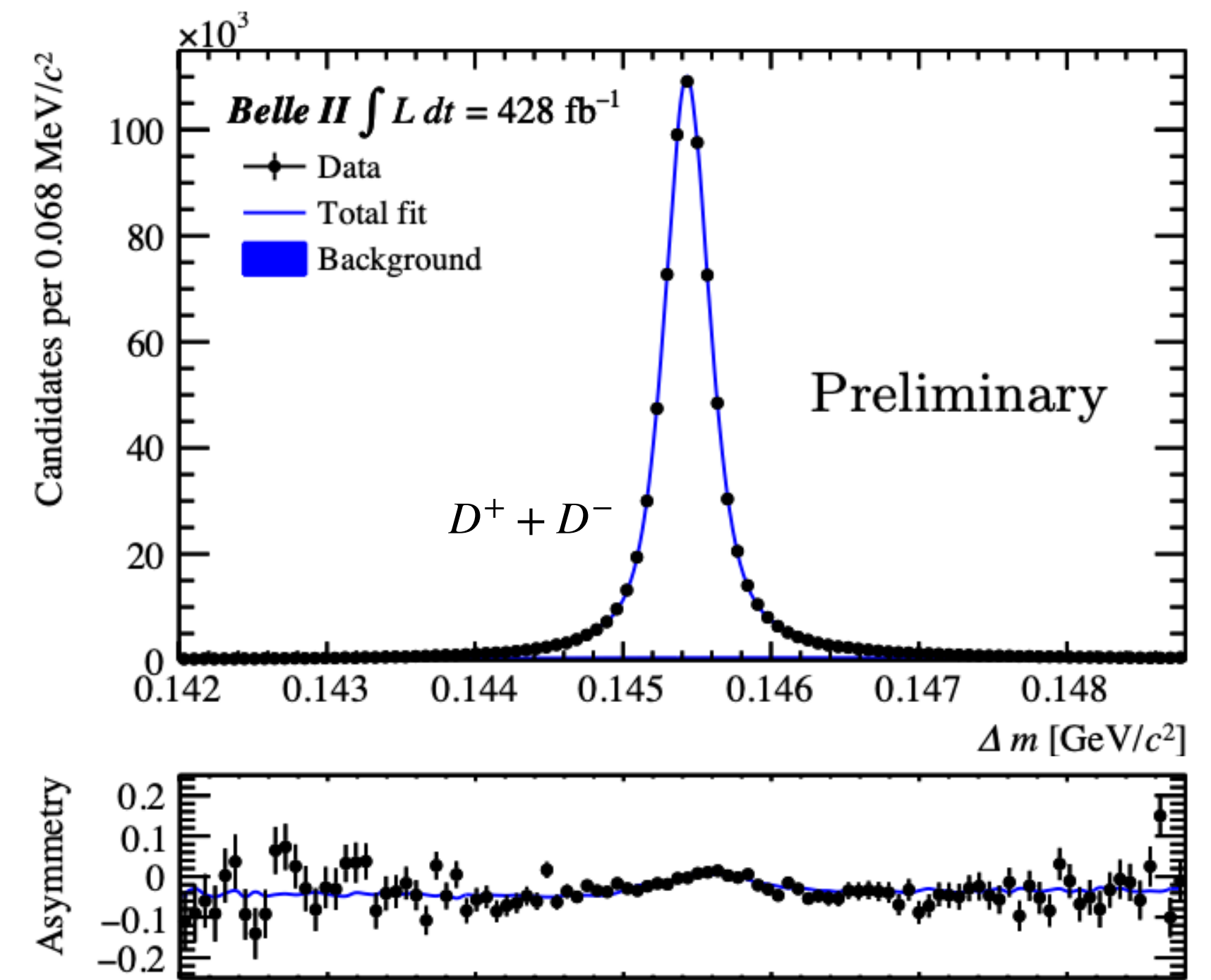
2D fit to signal $D^0 \rightarrow \pi^0\pi^0$



- Simultaneous 2D fit to $m(\pi^0\pi^0)$ and Δm (mass difference between D^{*+} and D^0).
- Physics background ($D^0 \rightarrow K_s^0\pi^0$) peaks on the left in $m(\pi^0\pi^0)$ but same position as signal in Δm .
- Combinatorial background is well-constrained in both spectra.
- Yields: 14100 ± 130 in forward bin and 11550 ± 110 in backward bin. $A_{raw}^{\pi^0\pi^0} = (1.73 \pm 0.71) \%$

Fit to control modes $D^0 \rightarrow K^- \pi^+$

- Samples weighted to cancel nuisance asymmetries.
- Tagged mode fit by Δm (mass difference between D^{*+} and D^0) with signal PDF that has flavor-dependent mean and width.
- Background is negligible.
- $A_{raw}^{K\pi,tag} = (2.49 \pm 0.09) \%$
- Untagged mode fit by $m(K^- \pi^+)$ with signal PDF that has flavor-dependent width.
- Background significant but flat.
- $A_{raw}^{K\pi,untag} = (1.05 \pm 0.07) \%$
- Two values are consistent with expected differences in reconstruction asymmetries for charged particles in forward and backward directions.



Systematics

Source	Uncertainty (%)
Resolution in $\cos(\theta^*)$	<0.01
Modeling of the $D^0 \rightarrow \pi^0\pi^0$ fit	0.15
Modeling of the tagged $D^0 \rightarrow K^-\pi^+$ fit	0.05
Modeling of the untagged $D^0 \rightarrow K^-\pi^+$ fit	0.09
Kinematic equalization	0.09
Total systematic	0.20
Statistical	0.72

- Resolution in $\cos(\theta^*)$:

1, using MC, difference of using reconstructed θ^* and true θ^* .

2, using MC and data, deviation due to equalizing distributions of $|\cos(\theta^*)|$.

- Modeling of PDF:

1, introduce asymmetry on parameters.

2, using bootstrap, r.m.s. of observed biases assigned as systematics. Ann. Statist. 7 (1) 1 - 26, 1979

- Kinematic equalization:

1, using MC, bias of subtracting background by sPlot. NIM-A 555, 356 (2005)

2, alternative variables for weighting.

Results

- Using 428 /fb, Belle II obtain $A_{CP}(D^0 \rightarrow \pi^0 \pi^0) = [0.30 \pm 0.72(stat) \pm 0.20(syst)] \%$. This is 15% less precise than Belle, but with <50% data set.

PRD 112, 012006 (2025)

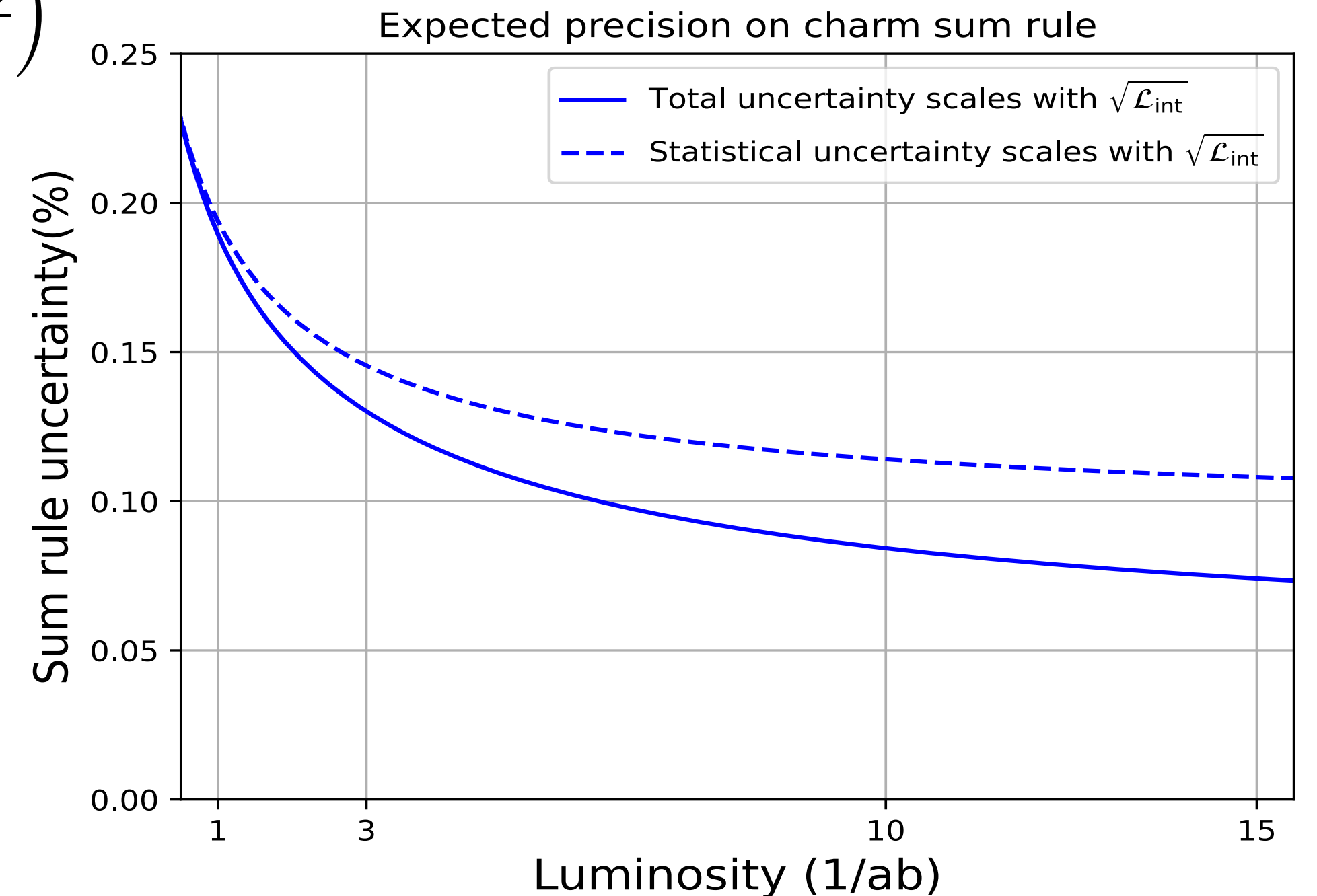
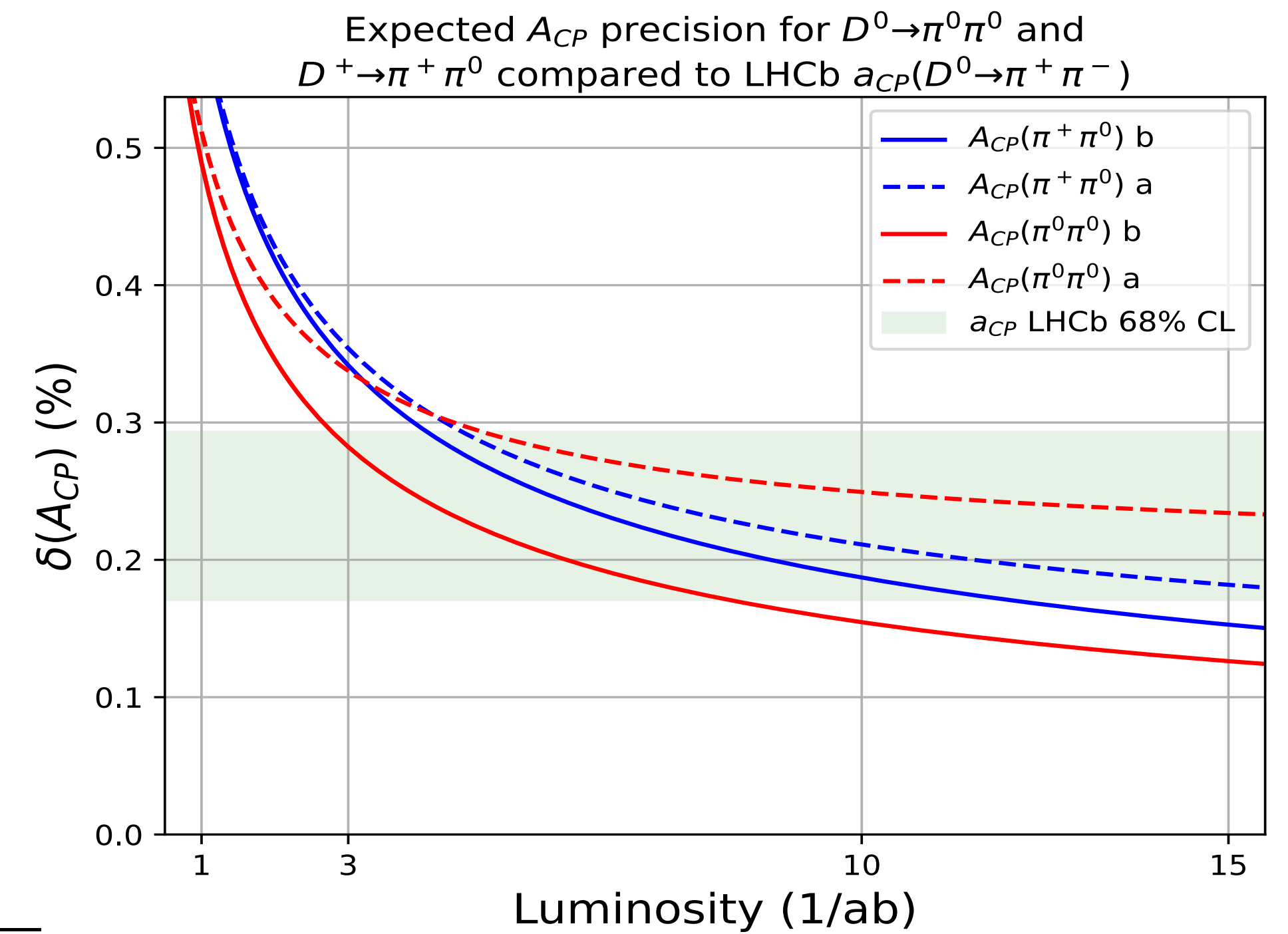
$$R = \frac{A_{CP}^{dir}(D^0 \rightarrow \pi^+ \pi^-)}{1 + \frac{\tau_{D^0}}{\mathcal{B}_{+-}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^0}} - \frac{2}{3} \frac{\mathcal{B}_{+0}}{\tau_{D^+}} \right)} + \frac{A_{CP}^{dir}(D^+ \rightarrow \pi^+ \pi^0)}{1 - \frac{3}{2} \frac{\tau_{D^+}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^0}} + \frac{\mathcal{B}_{+-}}{\tau_{D^0}} \right)} + \frac{A_{CP}^{dir}(D^0 \rightarrow \pi^0 \pi^0)}{1 + \frac{\tau_{D^0}}{\mathcal{B}_{00}} \left(\frac{\mathcal{B}_{+-}}{\tau_{D^0}} - \frac{2}{3} \frac{\mathcal{B}_{+0}}{\tau_{D^+}} \right)}$$

limited by $A_{CP}(D^0 \rightarrow \pi^0 \pi^0)$ precision

- Before these two measurements, $R = (0.9 \pm 3.1) \times 10^{-3}$

including $A_{CP}(D^0 \rightarrow \pi^0 \pi^0) \rightarrow (1.5 \pm 2.5) \times 10^{-3}$

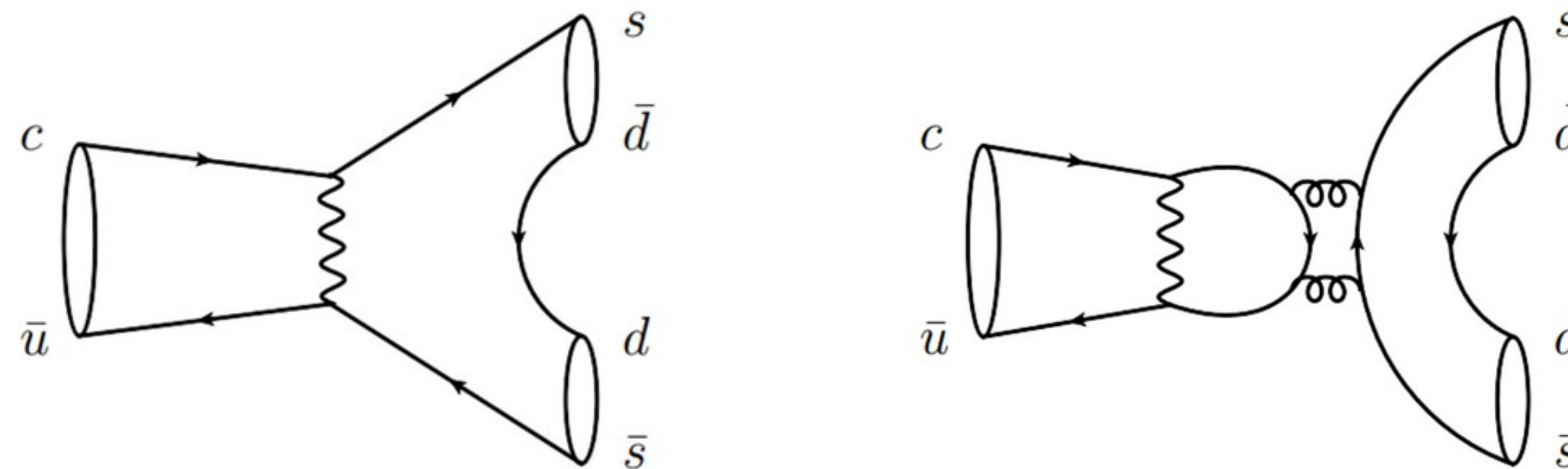
including $A_{CP}(D^+ \rightarrow \pi^+ \pi^0) \rightarrow (3.1 \pm 2.3) \times 10^{-3}$



Time-integrated $A_{CP}(D^0 \rightarrow K_S^0 K_S^0)$

PRD 111, 012015 (2025)

PRD 112, 012017 (2025)



$$A_{CP}(D^0 \rightarrow K_S^0 K_S^0)$$

- The time-integrated CP asymmetry $A_{CP}(D^0 \rightarrow K_S^0 K_S^0) = \frac{\Gamma(D^0 \rightarrow \pi^+ \pi^0) - \Gamma(\bar{D}^0 \rightarrow K_S^0 K_S^0)}{\Gamma(D^0 \rightarrow K_S^0 K_S^0) + \Gamma(\bar{D}^0 \rightarrow K_S^0 K_S^0)}$

[PRD 99, 113001 (2019), PRD 86, 014023 (2012), PRD 92, 054036 (2015)]

- It may be enhanced to be an observable level ($\sim 1\%$) within the Standard Model, due to the interference of $c \rightarrow us\bar{s}$ and $c \rightarrow udd\bar{d}$ amplitudes.

- World average: $A_{CP}(D^0 \rightarrow K_S^0 K_S^0) = (-1.9 \pm 1.0) \%$ is dominated by

Belle (921 /fb): $A_{CP} = (-0.02 \pm 1.53 \pm 0.02 \pm 0.17) \%$, using $D^0 \rightarrow K_S^0 \pi^0$ as control mode. [PRL 119, 171801 \(2017\)](#)

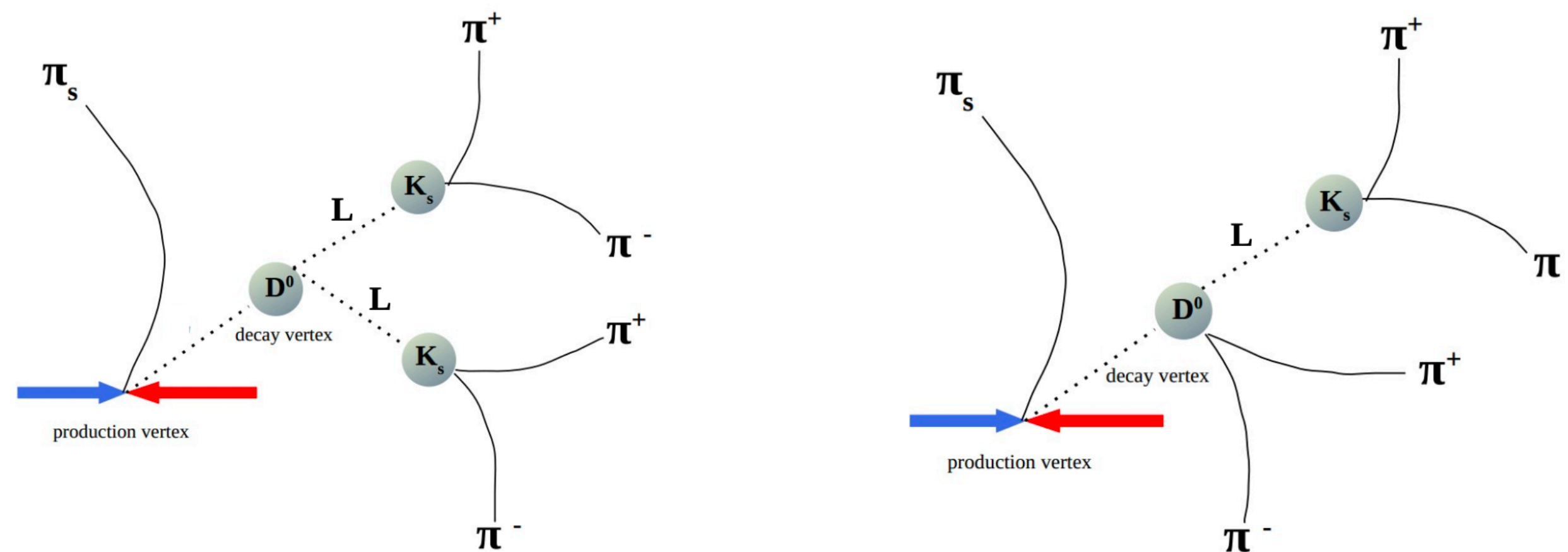
LHCb (6 /fb, run 1&2): $A_{CP} = (-3.1 \pm 1.2 \pm 0.4 \pm 0.2) \%$, using $D^0 \rightarrow K^+ K^-$ as control mode. [PRD 104, L031102 \(2021\)](#)

LHCb (6.2 /fb, run 3): $A_{CP} = (1.9 \pm 1.0 \pm 0.4) \%$, using $D^0 \rightarrow K_S^0 \pi^+ \pi^-$ as control mode. indico.cern.ch/event/1569705/

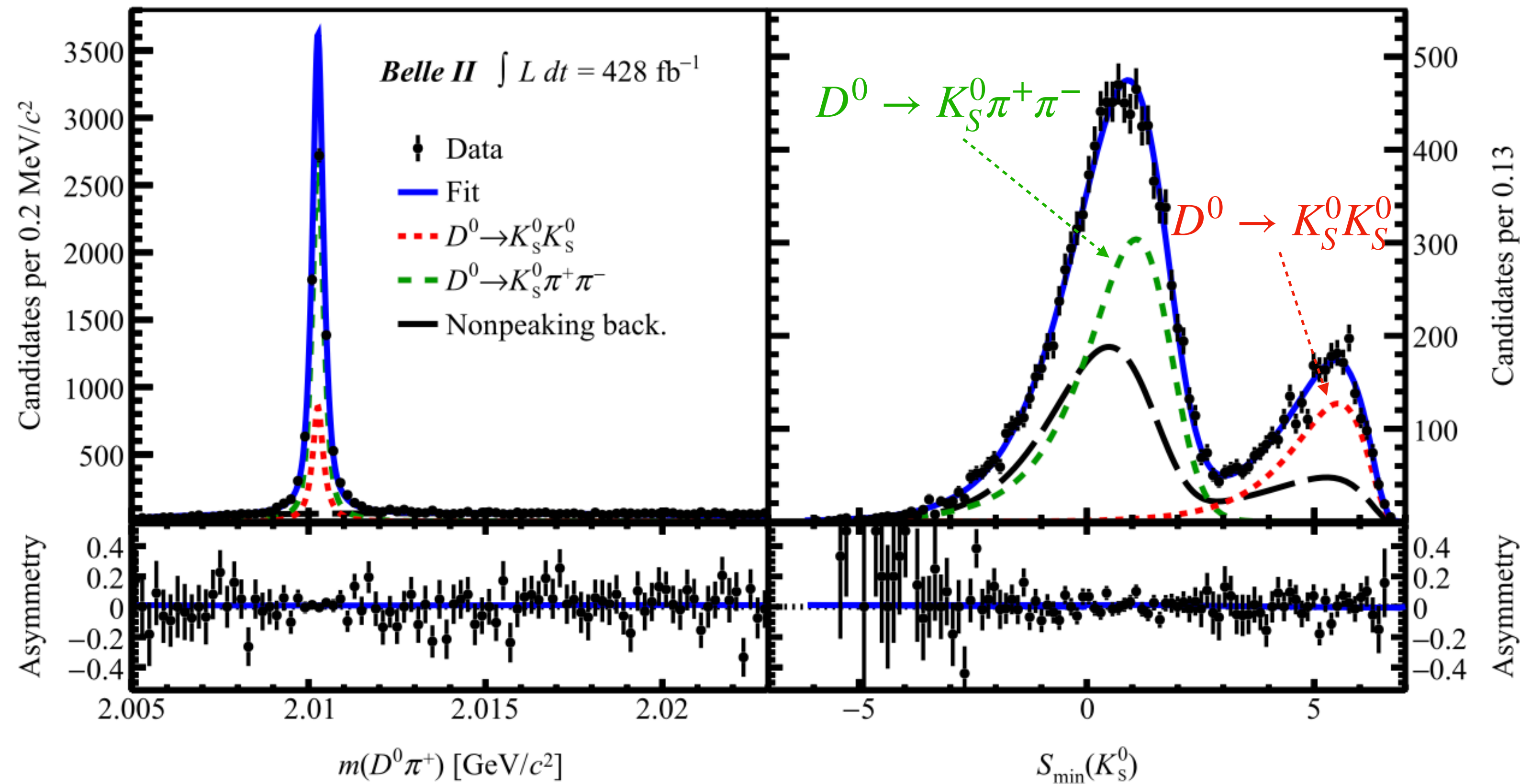
- $A_{CP}(D^0 \rightarrow K^+ K^-)$: improved by LHCb, uncertainty $< 0.1\%$. [PRL 131, 091802 \(2023\)](#)

$A_{CP}(D^0 \rightarrow K_S^0 K_S^0)$ using D^* -tagged sample

- Measure $A_{CP}(D^0 \rightarrow K_S^0 K_S^0)$ based on $D^{*+} \rightarrow D^0 \pi_s^+$ sample at Belle + Belle II (1.4 /ab).
- $A_{CP}^{K_S^0 K_S^0} = (A_{raw}^{K_S^0 K_S^0} - A_{raw}^{K^+ K^-}) + A_{CP}^{K^+ K^-}$ assuming nuisance asymmetries are made identical by kinematics weighting.
- Main background from same-final-state $D^0 \rightarrow K_S^0 \pi^+ \pi^-$ decays. Separate with K_S^0 flight distance significance L/σ : $S_{min}(K_S^0) = \log[\min(L1/\sigma1, L2/\sigma2)]$.



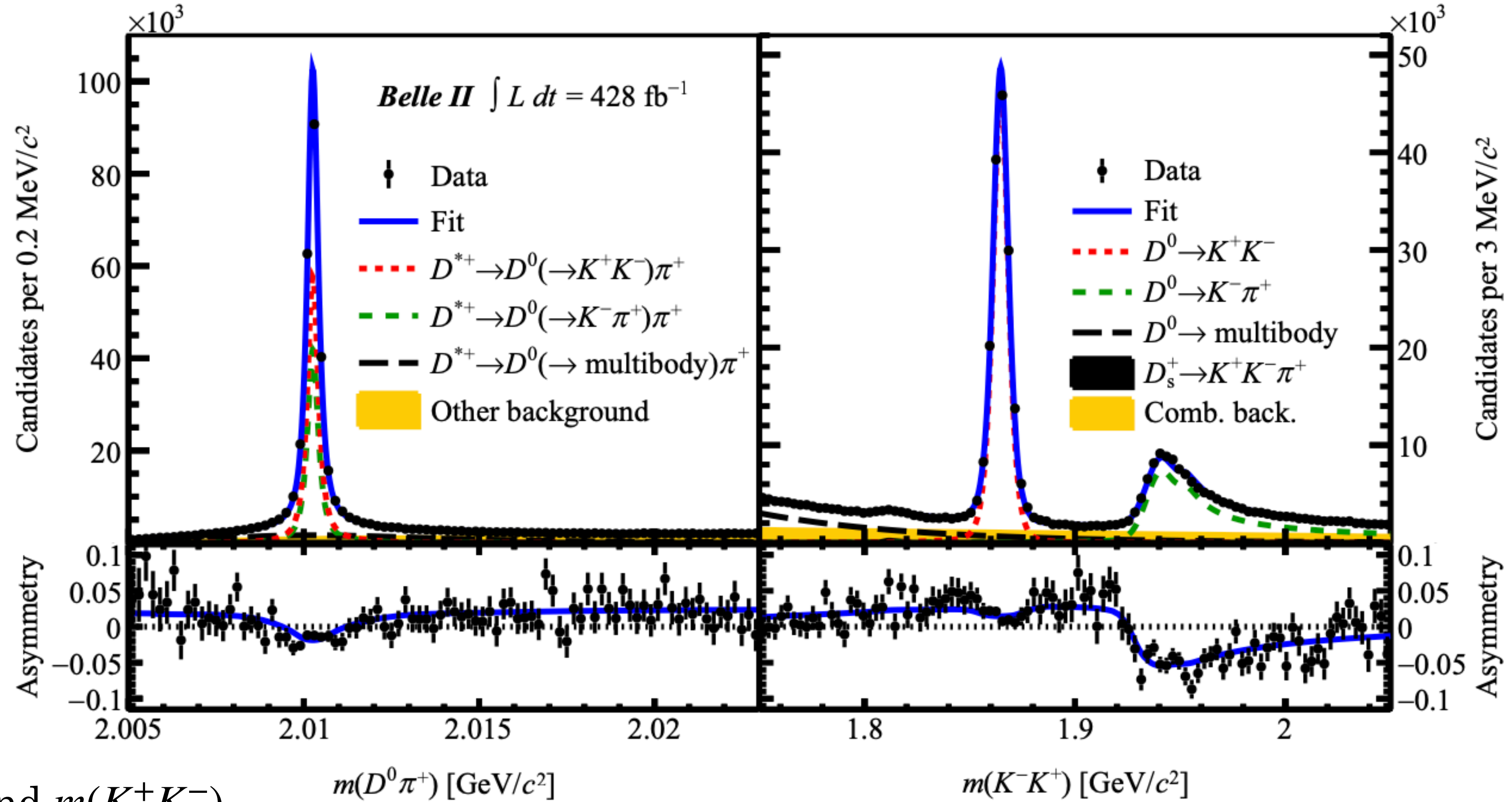
2D fit to signal mode $D^0 \rightarrow K_S^0 K_S^0$



- Simultaneous 2D fit to $m(D^0\pi^+)$ and $S_{min}(K_S^0)$.
- **Signal** and **Physics background** ($D^0 \rightarrow K_S^0\pi^+\pi^-$) peak at the same position in $m(D^0\pi^+)$ but different in $S_{min}(K_S^0)$.
- Non peaking background is modeled by sideband data in $S_{min}(K_S^0)$

$$A_{raw}^{K_S^0 K_S^0} = (-1.0 \pm 1.6) \% \text{ in Belle; } A_{raw}^{K_S^0 K_S^0} = (-0.6 \pm 2.3) \% \text{ in Belle II.}$$

2D fit to control mode $D^0 \rightarrow K^+ K^-$



- $m(D^0 \pi^+)$ and $m(K^+ K^-)$
- $A_{raw}^{K^+ K^-} = (0.17 \pm 0.19) \%$ in Belle; $A_{raw}^{K^+ K^-} = (1.61 \pm 0.27) \%$ in Belle II.
- Difference in $A_{raw}^{K^+ K^-}$ due to reconstruction asymmetries for low-momentum pions.

Results (D^* -tagging)

- Systematics:

Source	Uncertainty (%)	
	Belle	Belle II
Modeling in the $D^0 \rightarrow K_S^0 K_S^0$ fit	0.04	0.05
Modeling in the $D^0 \rightarrow K^+ K^-$ fit	0.02	< 0.01
Kinematic equalization	0.06	0.07
Input $A_{CP}(D^0 \rightarrow K^+ K^-)$	0.05	0.05
Total systematic	0.09	0.10
Statistical	1.60	2.30

PRD 111, 012015 (2025)

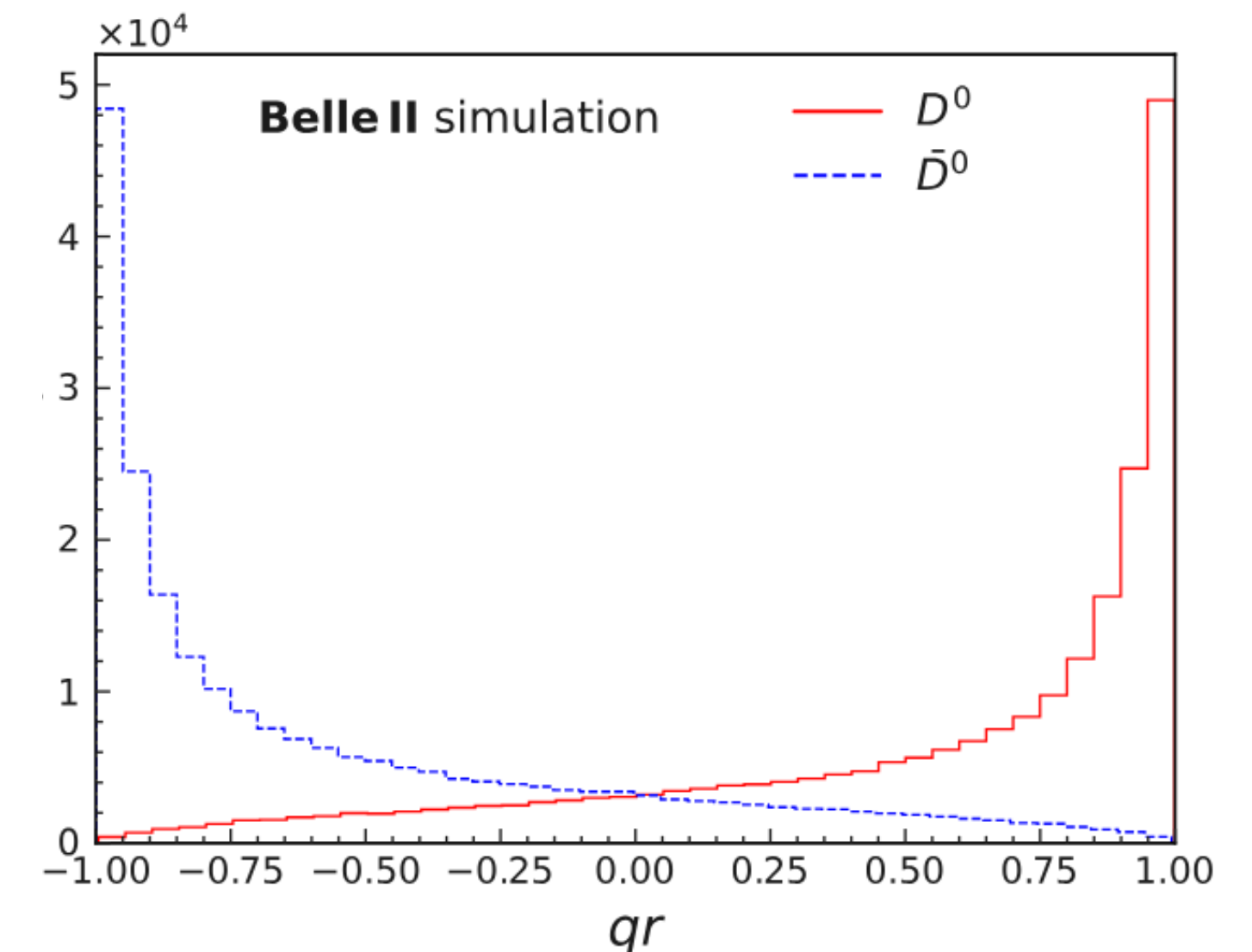
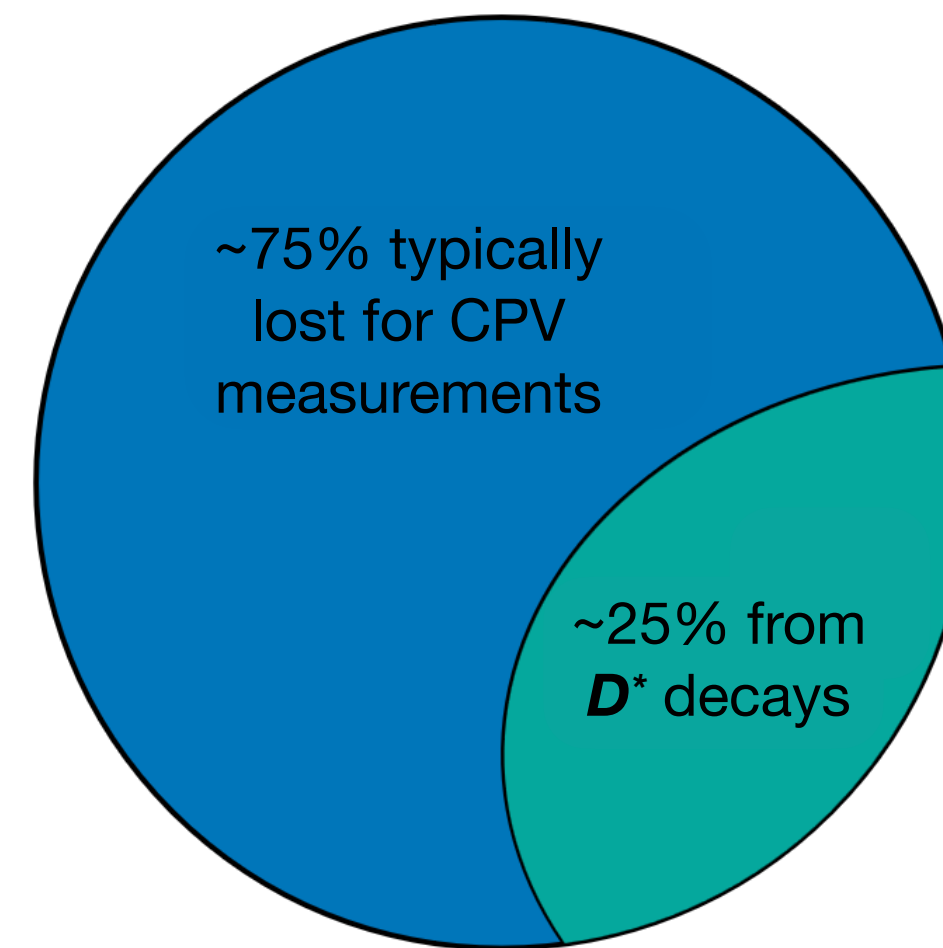
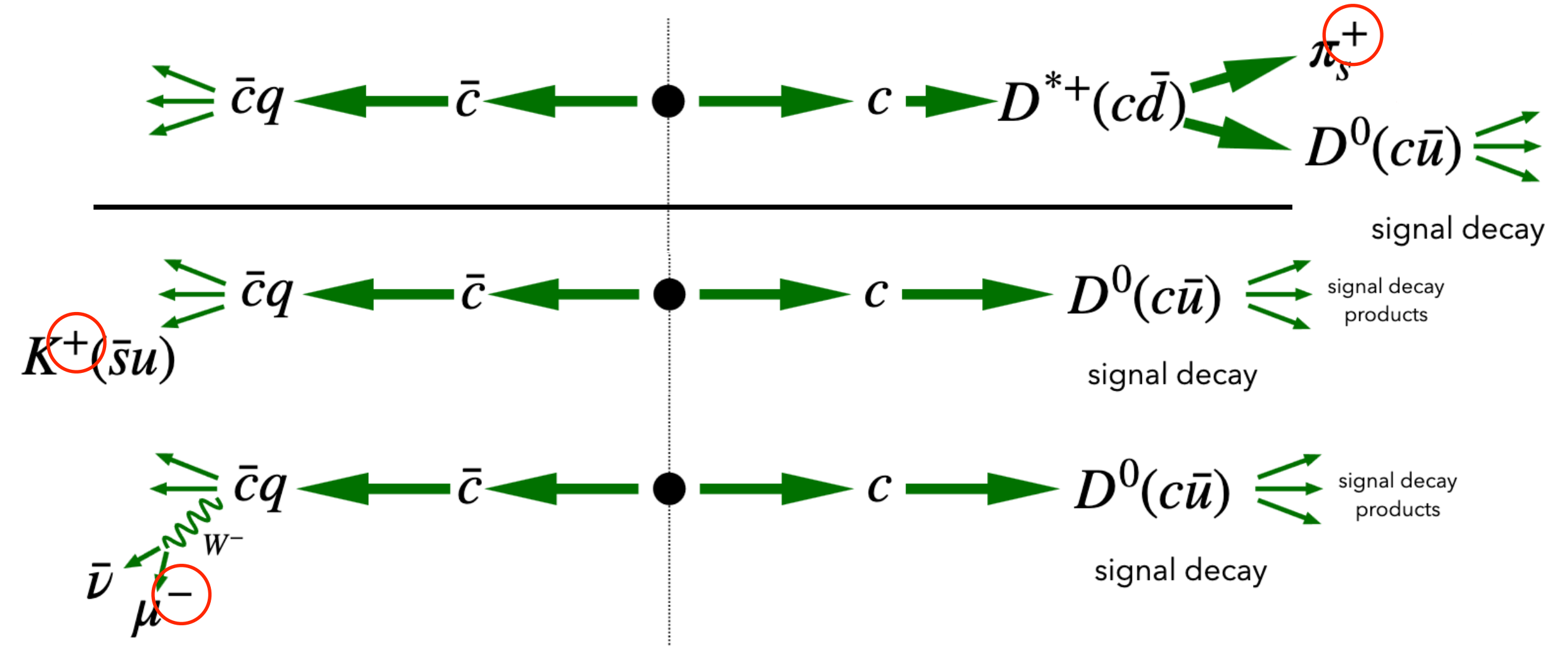
- Combined Belle and Belle II (1.4 /ab), $A_{CP}(D^0 \rightarrow K_S^0 K_S^0) = (-1.4 \pm 1.3 \pm 0.1) \%$, comparable to the best existing measurement (LHCb).

PRD 104, L031102 (2021)

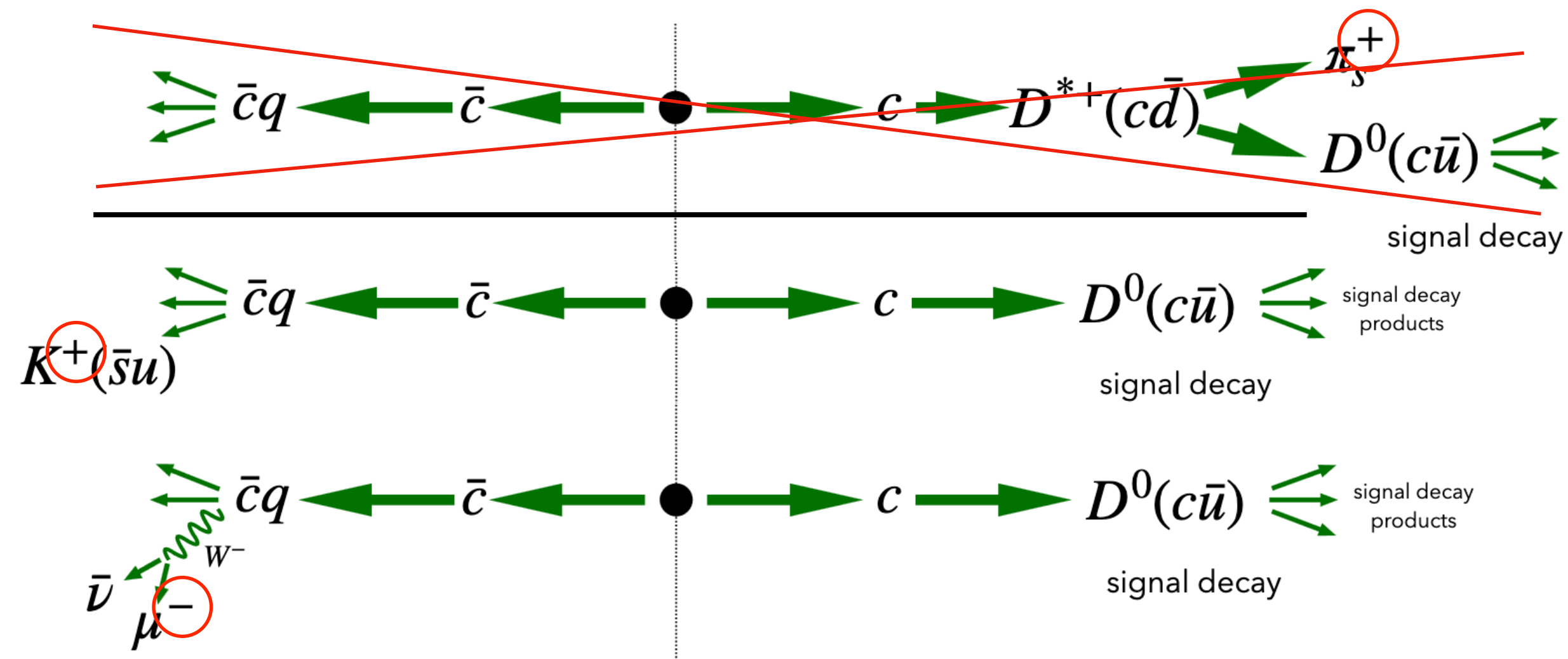
Charm-flavor tagger

PRD 107, 112010 (2023)

- Charm flavor tagger: novel method to tag flavor of D^0 meson from other collision products (K^\pm/μ^\pm from other charm hadron) \rightarrow new CFT-tag independent sample.
- $q = \pm 1$, the predicted flavor
- ω , per-event wrong-tag probability
- Define dilution $r = 1-2\omega$. Use product qr to measure A_{CP} .
- Calibrate r value using self-tagged decays ($D^0 \rightarrow K^- \pi^+$) in data.

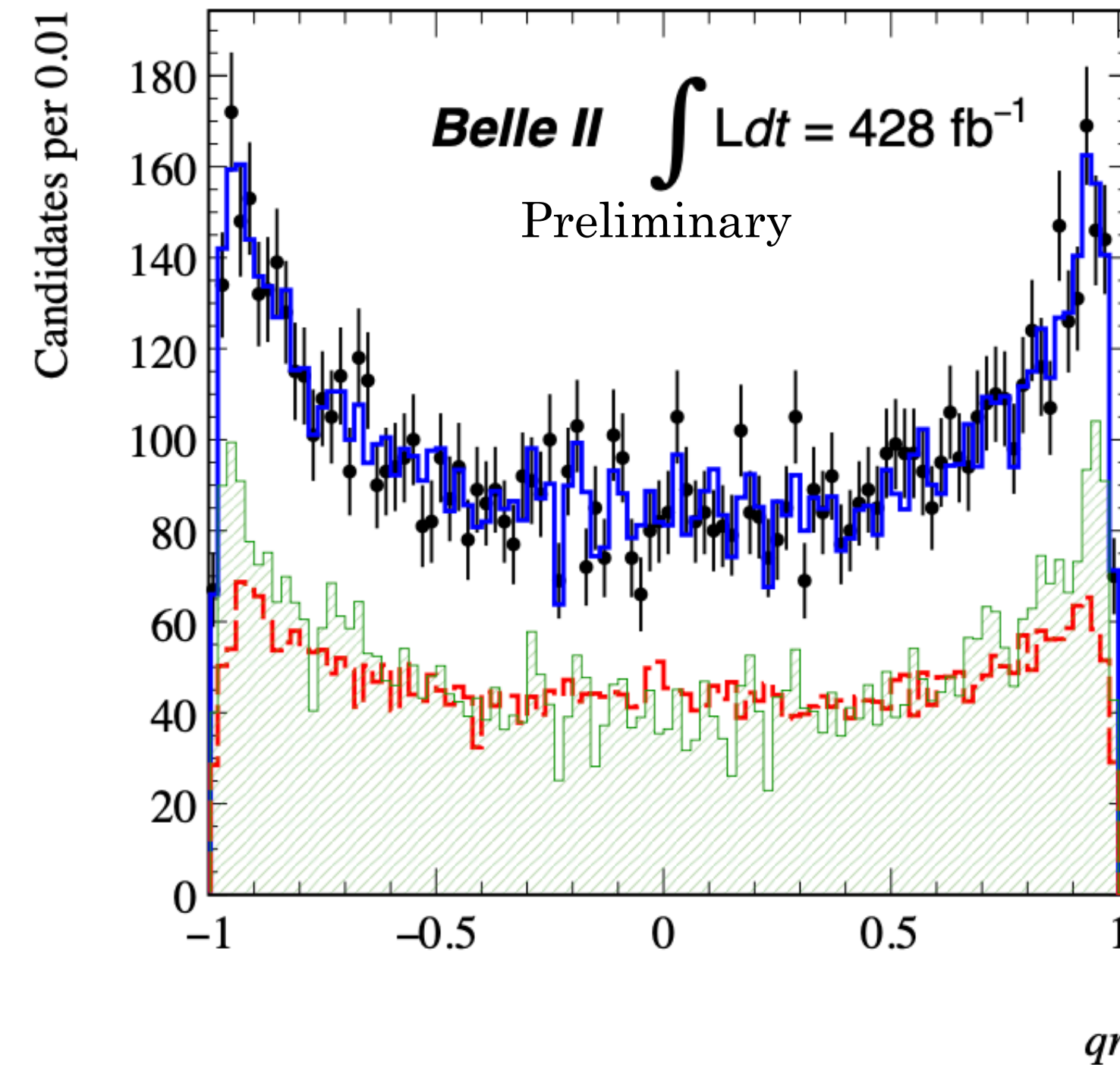
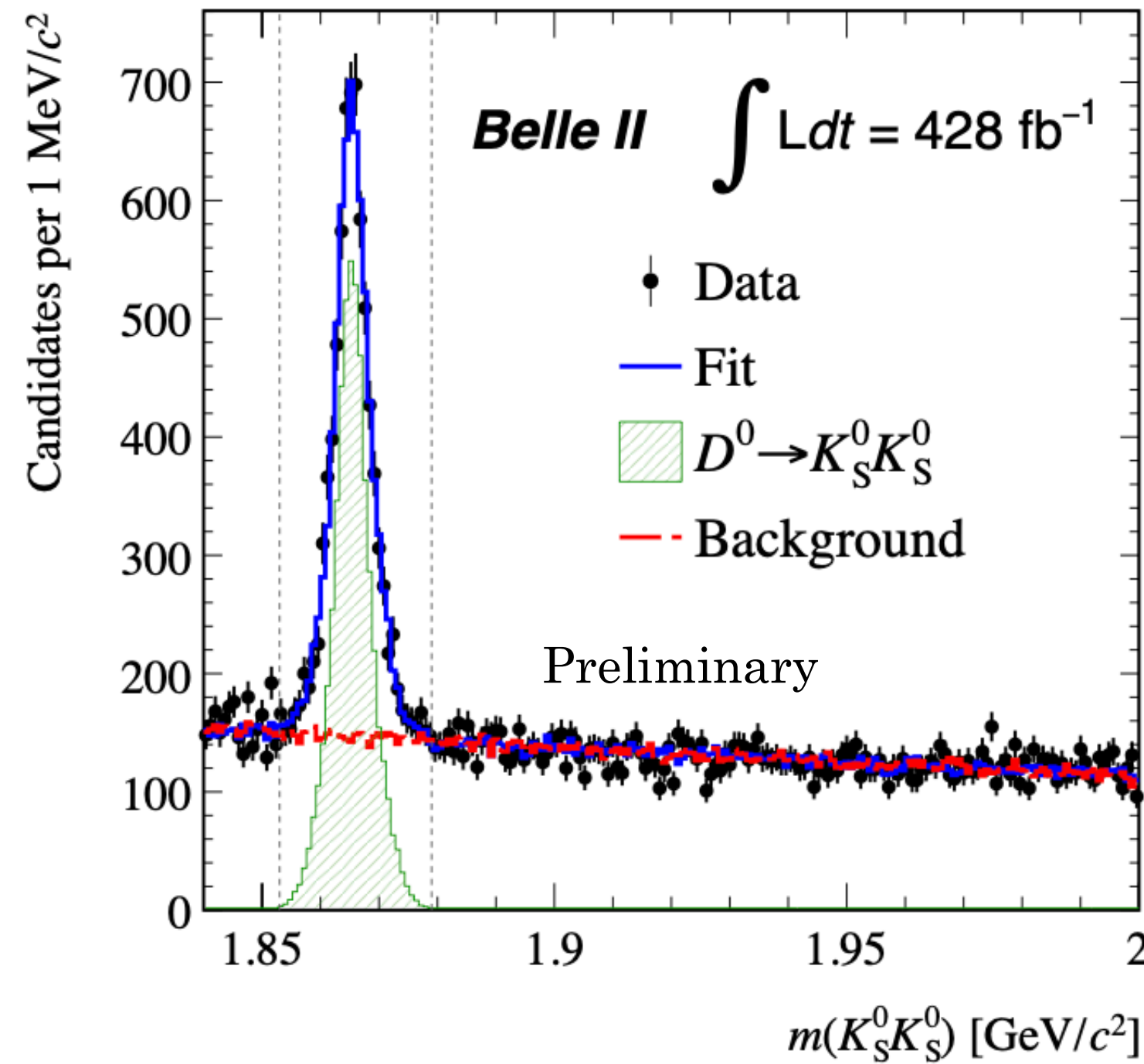


$A_{CP}(D^0 \rightarrow K_S^0 K_S^0)$ using opposite side charm-flavor tagger



- Use Belle + Belle II data sets (1.4 /ab), **excluding D^* -tagged sample.**
- Larger background wrt D^* -tag: train BDT with kinematic information using signal MC and Sideband data.
- Cut on BDT output and S_{\min} reduce $D^0 \rightarrow K_S^0 \pi^+ \pi^-$ significantly.

2D fit to signal mode $D^0 \rightarrow K_S^0 K_S^0$



- Simultaneous fit to $m(K_S^0 K_S^0)$ and qr (template: data in sideband \rightarrow BKG, data in region of interest with BKG subtracted \rightarrow signal).
- Note that 1, MC shows that D^0 and \bar{D}^0 has identical distribution of r . 2, MC also shows that BKG in sideband are identical to BKG in ROI. Thus templates of r are accurate.

Result of $A_{CP}(D^0 \rightarrow K_S^0 K_S^0)$

- **No nuisance asymmetry!** No π_s^+ from D^{*+} , and negligible production asymmetry since pairs of charm are selected by CFT. (Verified by equalizing $\cos\theta_{CM}(D^0)$ distributions.)

- Systematics:

1. Alternative model for $m(K_S^0 K_S^0)$ and varying sideband data for r.

2. Small contamination ($\sim 2\%$) of $D^0 \rightarrow K_S^0 \pi^+ \pi^-$.

Source	Uncertainty [%]	
	Belle	Belle II
Fit modeling	0.35	0.10
$K_S^0 \pi \pi$ contamination	0.25	0.23
Total systematics	0.43	0.25
Statistical	2.7	3.0

PRD 112, 012017 (2025)

- Combine Belle and Belle II: $A_{CP}(D^0 \rightarrow K_S^0 K_S^0) = (1.3 \pm 2.0 \pm 0.3) \%$.

- Equivalent to extra data 35% to Belle and 60% to Belle II.

Method	A_{CP} [%]
D^* -tag	$-1.4 \pm 1.3 \pm 0.1$
CFT-tag	$1.3 \pm 2.0 \pm 0.3$
Most precise! Combination	$-0.6 \pm 1.1 \pm 0.1$

Summary

- Time-integrated $A_{CP}(D^{+,0} \rightarrow \pi^{+,0}\pi^0)$

Using Belle II run 1 data (428 /fb), $A_{CP}(D^+ \rightarrow \pi^+\pi^0) = [-1.8 \pm 0.9(stat) \pm 0.1(syst)] \%$ (most precise, statistics limited) and $A_{CP}(D^0 \rightarrow \pi^0\pi^0) = [0.30 \pm 0.72(stat) \pm 0.20(syst)] \%$ (comparable to world best). R is updated to $(3.1 \pm 2.3) \times 10^{-3}$. Could be further improved with coming data.

- Time-integrated $A_{CP}(D^0 \rightarrow K_S^0 K_S^0)$

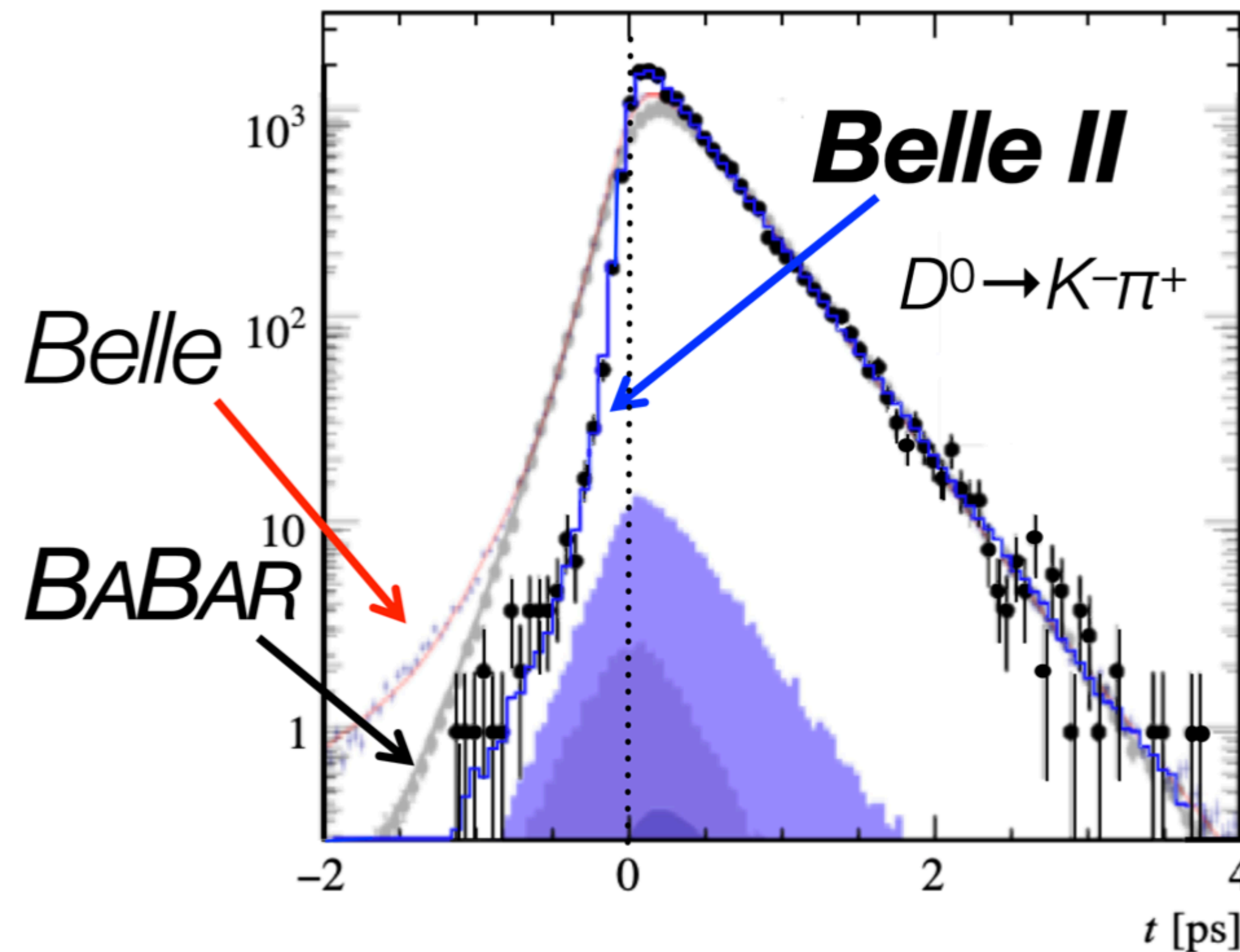
Using Belle + Belle II (1.4 /ab), D^* -tagged + CFT, $A_{CP}(D^0 \rightarrow K_S^0 K_S^0) = (-0.6 \pm 1.1 \pm 0.1) \%$ (most precise). We are developing tools to get the most out of the data.

- Belle II will resume data-taking this coming fall. More results on the way, $A_{CP}(D^0 \rightarrow \pi^+\pi^-\pi^0)$, $A_{CP}(\Xi_c^+ \rightarrow \Sigma^+ h^+ h^-)$, $A_{CP}(\Lambda_c^+ \rightarrow p h^+ h^-)$.
- LHCb also has started to analyze their Run3 data.

Thank you!

Enjoy the charm of physics

Vertex resolution of Belle II



- Manifested in the measurement of charm meson lifetime, the vertex resolution of Belle II is a factor of 2 better than that of Belle.

$D \rightarrow \pi\pi$ sum rule inputs

$$R = \frac{A_{CP}^{\text{dir}}(D^0 \rightarrow \pi^+\pi^-)}{1 + \frac{\tau_{D^0}}{\mathcal{B}_{+-}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^0}} - \frac{2}{3} \frac{\mathcal{B}_{+0}}{\tau_{D^+}} \right)} + \frac{A_{CP}^{\text{dir}}(D^+ \rightarrow \pi^+\pi^0)}{1 - \frac{3}{2} \frac{\tau_{D^+}}{\mathcal{B}_{+0}} \left(\frac{\mathcal{B}_{00}}{\tau_{D^0}} + \frac{\mathcal{B}_{+-}}{\tau_{D^0}} \right)} + \frac{A_{CP}^{\text{dir}}(D^0 \rightarrow \pi^0\pi^0)}{1 + \frac{\tau_{D^0}}{\mathcal{B}_{00}} \left(\frac{\mathcal{B}_{+-}}{\tau_{D^0}} - \frac{2}{3} \frac{\mathcal{B}_{+0}}{\tau_{D^+}} \right)}$$

$$A_{CP}^{\text{dir}}(D^0 \rightarrow \pi^+\pi^-) = 0.0013 \pm 0.0014$$

$$A_{CP}^{\text{dir}}(D^+ \rightarrow \pi^+\pi^0) = 0.004 \pm 0.013$$

$$A_{CP}^{\text{dir}}(D^0 \rightarrow \pi^0\pi^0) = 0.000 \pm 0.006$$

$$\mathcal{B}_{+-} = \mathcal{B}(D^0 \rightarrow \pi^+\pi^-) = (1.454 \pm 0.024) \times 10^{-3}$$

$$\mathcal{B}_{+0} = \mathcal{B}(D^+ \rightarrow \pi^+\pi^0) = (1.247 \pm 0.033) \times 10^{-3}$$

$$\mathcal{B}_{00} = \mathcal{B}(D^0 \rightarrow \pi^0\pi^0) = (8.26 \pm 0.25) \times 10^{-4}$$

$$\tau_{D^0} = (4.103 \pm 0.010) \times 10^{-12} \text{ ps}$$

$$\tau_{D^+} = 1.033 \pm 0.005 \text{ ps}$$

If $R \neq 0$, then CPV arises in $\Delta I = 1/2$ transitions

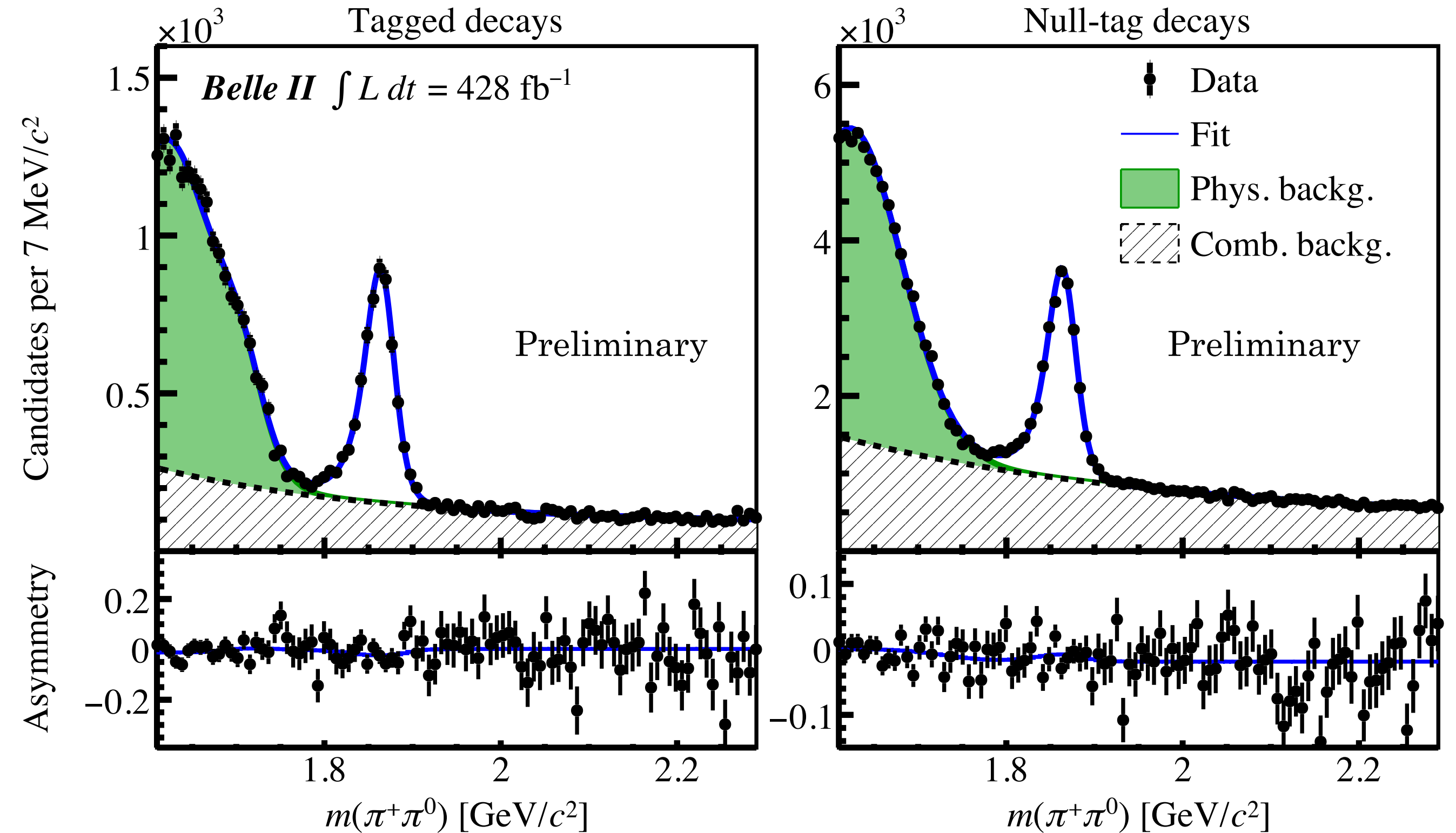
If $R = 0$ and at least one direct CPV is observed, then CPV happens in $\Delta I = 3/2$ transitions \rightarrow non-SM

Fit model

$$P(m|q) \propto N_{\text{sig}}(1 + qA_{\text{sig}})P_{\text{sig}}(m) + N_{\text{comb}}(1 + qA_{\text{comb}})P_{\text{comb}}(m) \\ + N_{\text{phys } 1}(1 + qA_{\text{phys } 1})P_{\text{phys } 1}(m) + \left[N_{\text{phys } 2}(1 + qA_{\text{phys } 2})P_{\text{phys } 2}(m) \right]$$

	Tagged	Null-tag
Yield	5130±110	18510±240
Araw	(-2.9±1.8)%	(-0.4±1.0)%

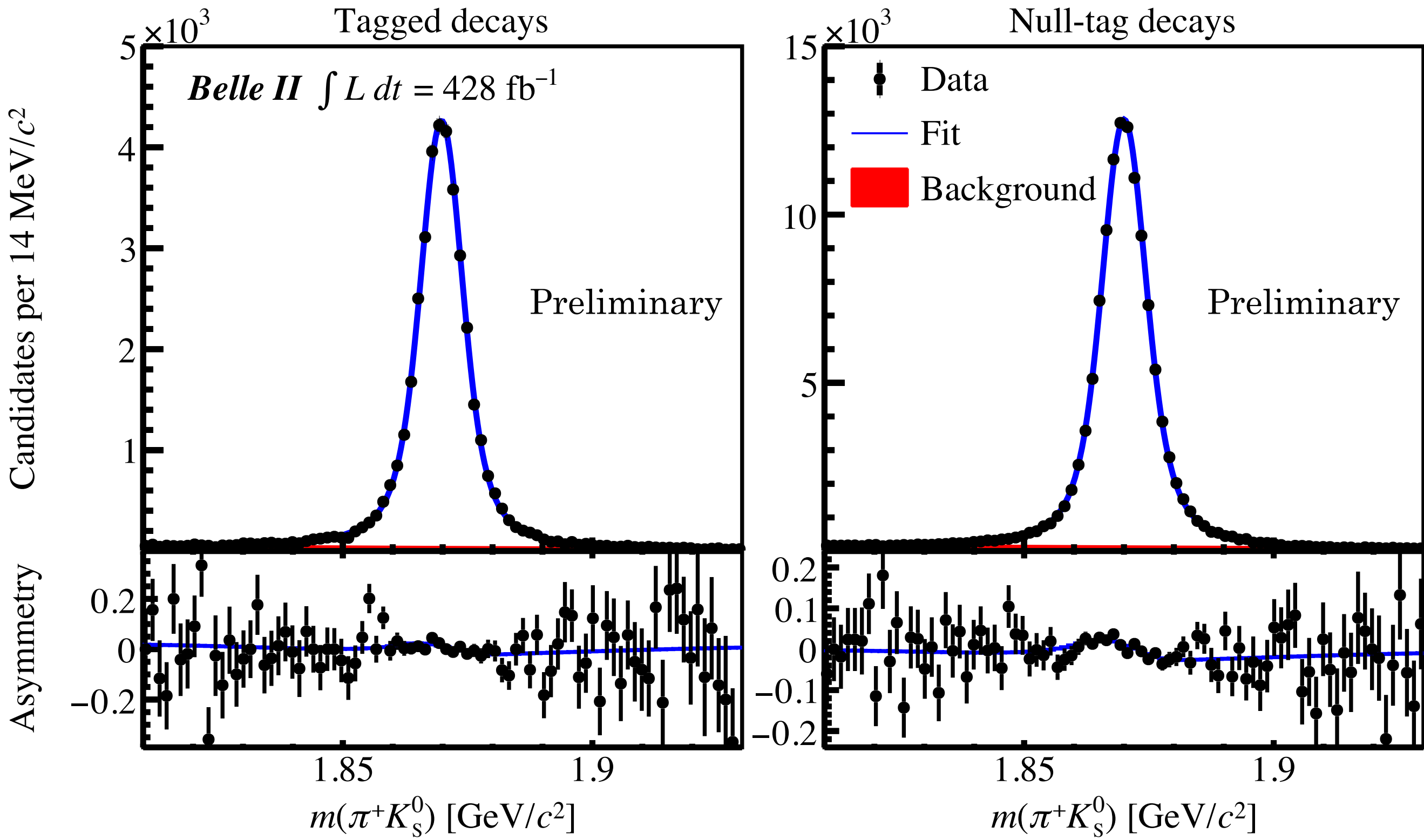
- Signal Peak: Johnson \otimes Gaussian.
(γ , δ , and λ of Johnson fixed by MC values.)
- Combinatorial BKG: Exponential + Constant
- Physics BKG ($D^0 \rightarrow \pi^+\pi^-\pi^0$, $D^+ \rightarrow \pi^+\pi^0\pi^0$, $D^+ \rightarrow \pi^0\mu^+\nu$):
Two Gaussian for tagged,
One Gaussian for null-tag.



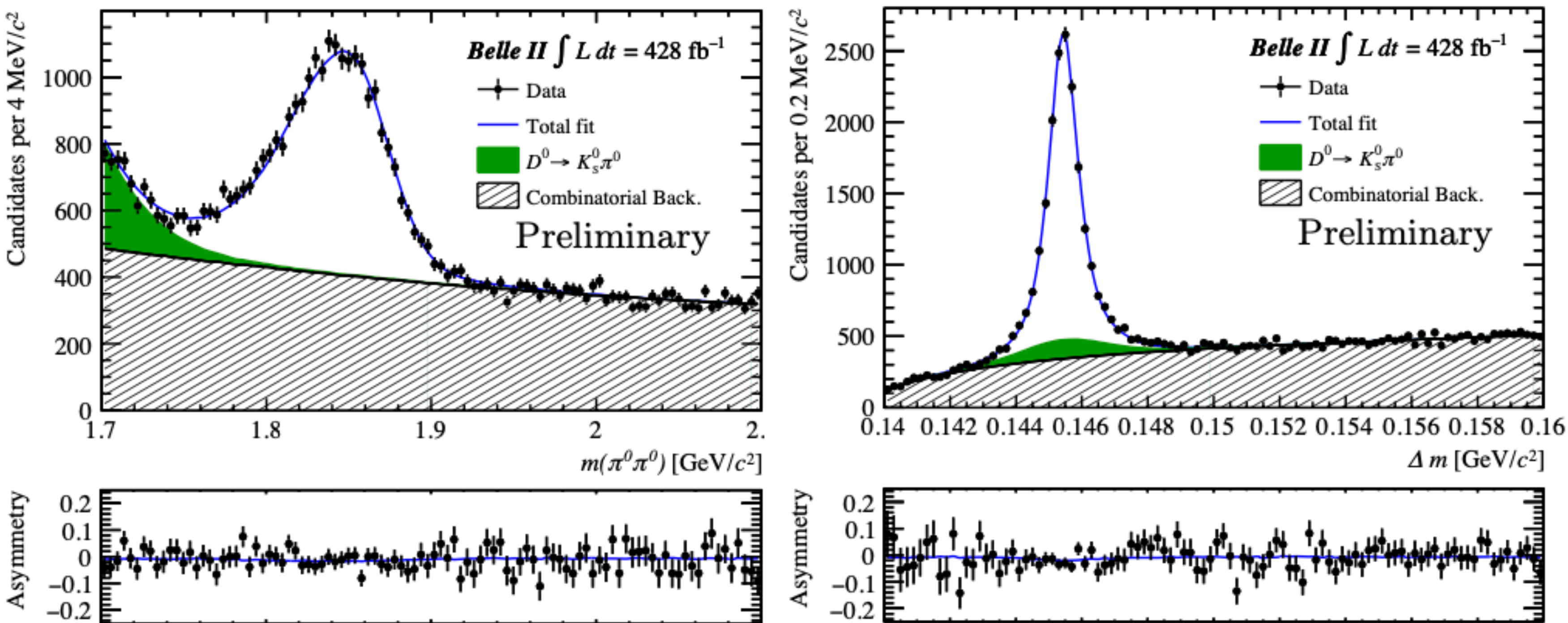
Control mode $D^+ \rightarrow \pi^+ K_S, (K_S \rightarrow \pi^+ \pi^-)$

- Similar selection as signal mode.
- Clean, high yield, precisely measured.
- Signal Peak: Johnson \otimes Gaussian.
(λ and μ have charge dependency.)
- **BKG: Exponential**
- All parameters float

	Tagged	Null-tag
Yield	39630 ± 300	123560 ± 500
Araw	$(0.54 \pm 0.53)\%$	$(0.33 \pm 0.30)\%$



2D fit (signal $D^0 \rightarrow \pi^0 \pi^0$)

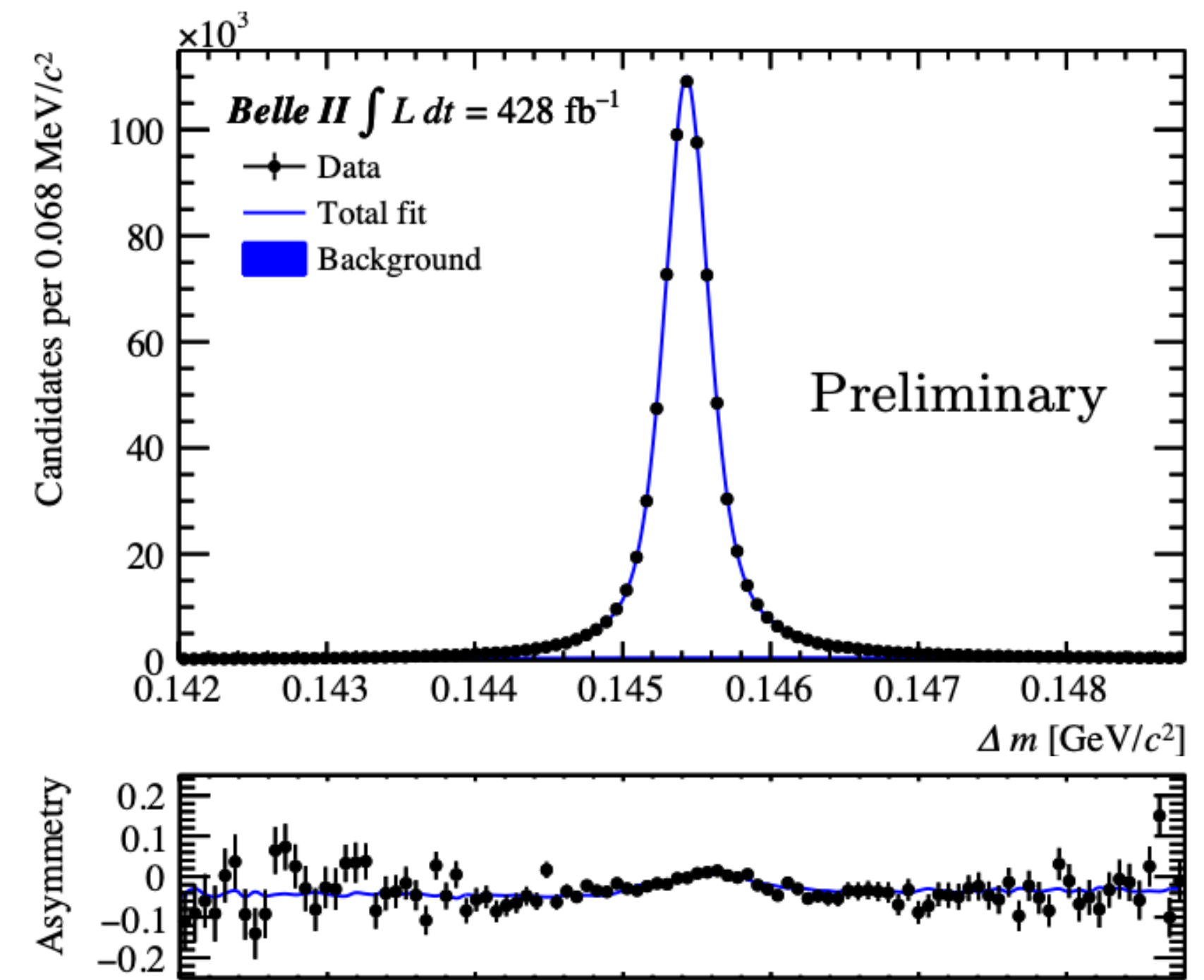


- Yields 14100 ± 130 in forward bin and 11550 ± 110 in backward bin.
- $A'_{\pi^0 \pi^0}_{\text{raw}} = (1.73 \pm 0.71) \%$

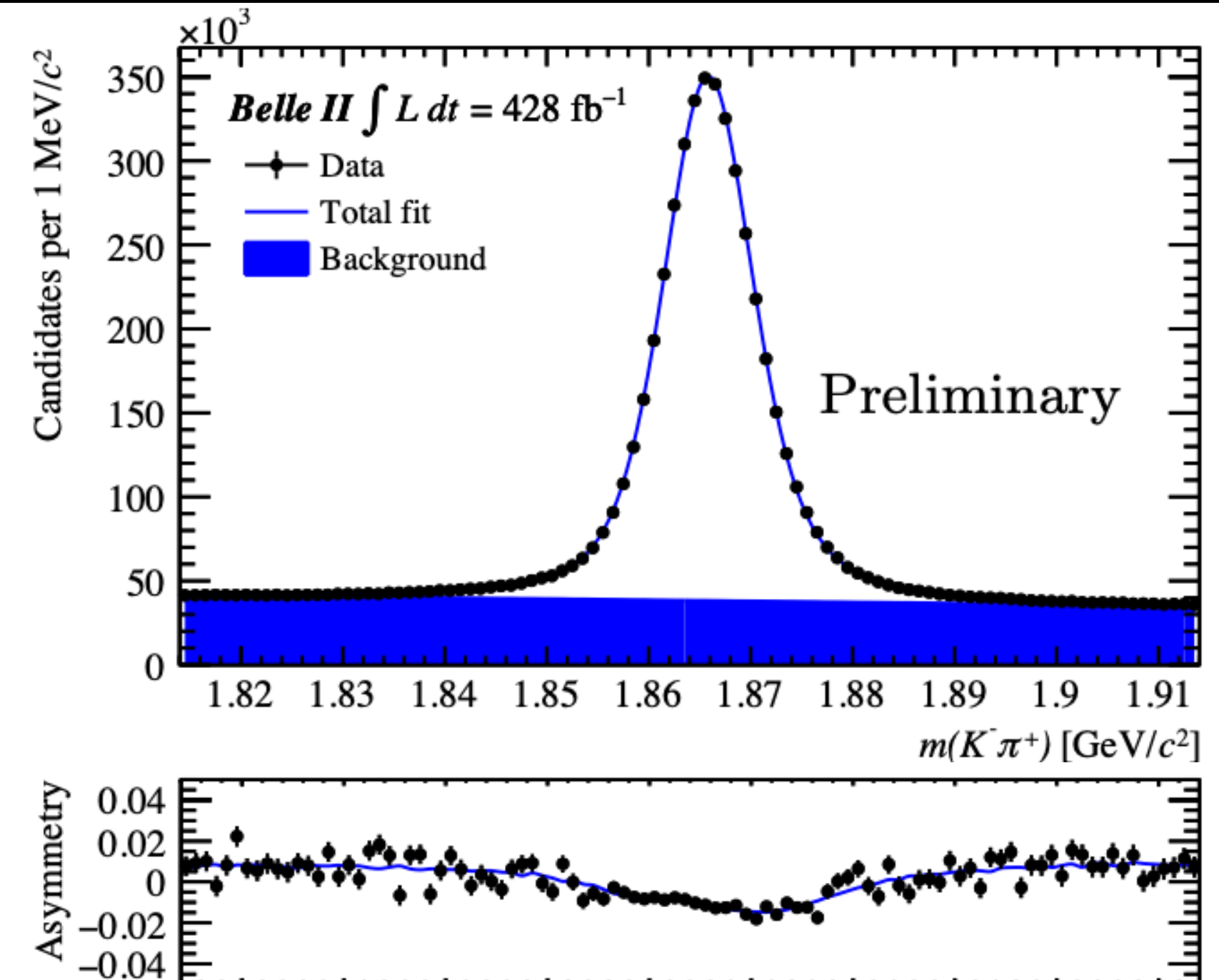
- $m(\pi^0 \pi^0)$
- Signal mode: Johnson + Gaussian
- Physics BKG ($D^0 \rightarrow K_S^0 \pi^0$): Gaussian + Exponential
- Combinatorial BKG: 2-order Polynomial
- Δm (mass difference btw D^{*+} and D^0)
- Signal mode: Johnson + 2 Gaussians
- Physics BKG ($D^0 \rightarrow K_S^0 \pi^0$): Johnson + Gaussian (σ from $m(\pi^0 \pi^0)$)
- Combinatorial BKG: threshold like function.

Fit to control mode $D^0 \rightarrow K^- \pi^+$

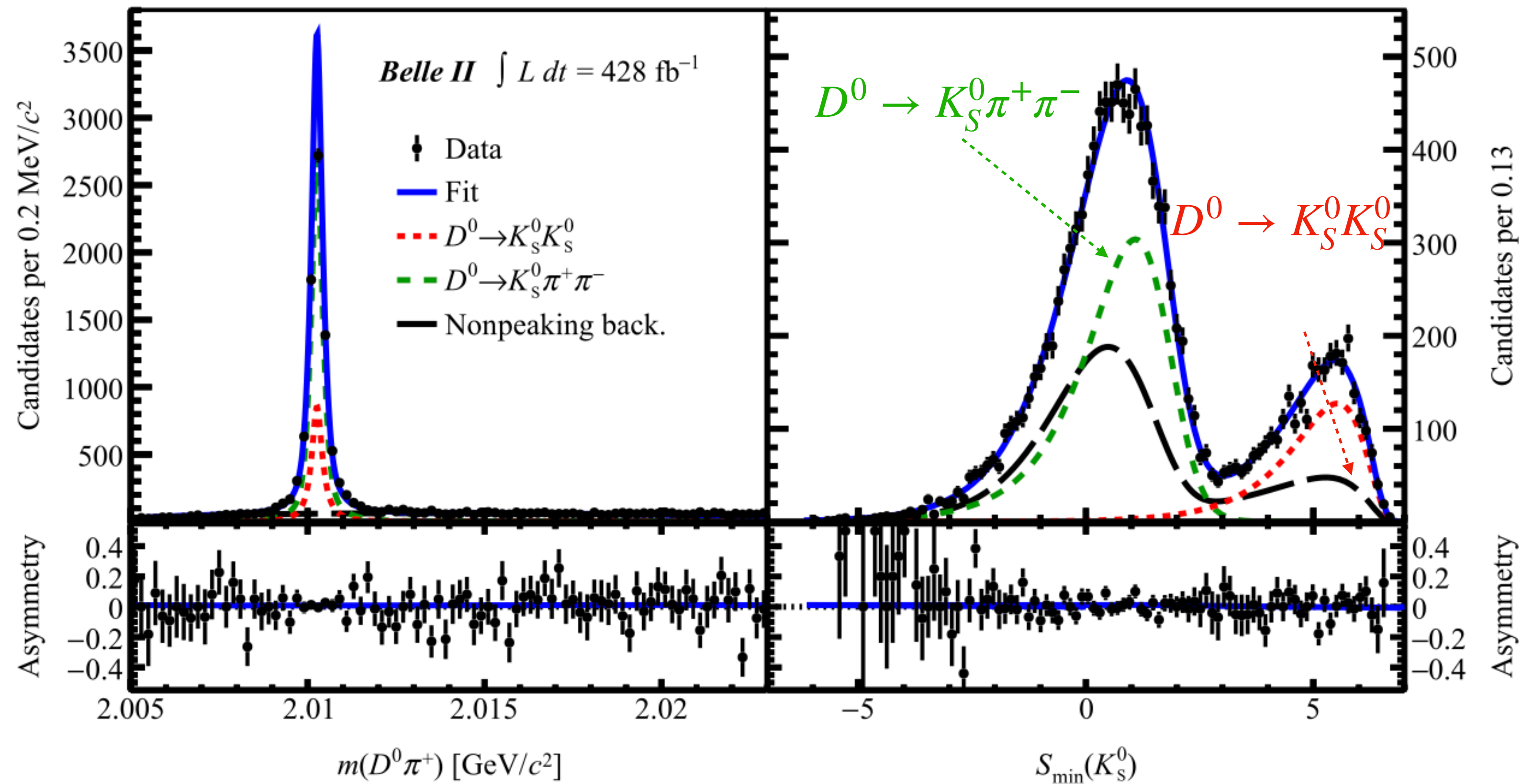
- Δm (mass difference btw D^{*+} and D^0) (tagged)
- Control mode: Johnson + Gaussian (flavor-dependent mean and width)
- Background: $(\Delta m - m_{\pi^+})^\beta \cdot e^{-\lambda(\Delta m - m_{\pi^+})}$
- $A_{raw}^{K\pi,tag} = (2.49 \pm 0.09) \%$



- $m(K^- \pi^+)$ (untagged)
- Control mode: Johnson + Gaussian (flavor-dependent width)
- Background: linear line.
- $A_{raw}^{K\pi,untag} = (1.05 \pm 0.07) \%$
- Two values are consistent with expected differences in reconstruction asymmetries for charged particles in forward and backward directions.



2D fit (signal mode $D^0 \rightarrow K_S^0 K_S^0$)



$$A_{raw}^{K_S^0 K_S^0} = (-1.0 \pm 1.6) \% \text{ in Belle; } A_{raw}^{K_S^0 K_S^0} = (-0.6 \pm 2.3) \% \text{ in Belle II}$$

• $m(D^0 \pi^+)$:

Signal: Johnson (from MC);

Peaking BKG ($D^0 \rightarrow K_S^0 \pi^+ \pi^-$): Johnson (from MC);

Non-peaking bkg: threshold-like distribution.

• $S_{\min}(K_S^0)$:

Signal: Johnson (from MC);

Peaking BKG ($D^0 \rightarrow K_S^0 \pi^+ \pi^-$): Johnson (from MC);

Non-peaking bkg: sum of two Johnson (sideband data)

2D fit

- Fit to $m(K_S^0 K_S^0)$:

BKG PDF: Exponential.

Signal PDF: sum of two Gaussian.

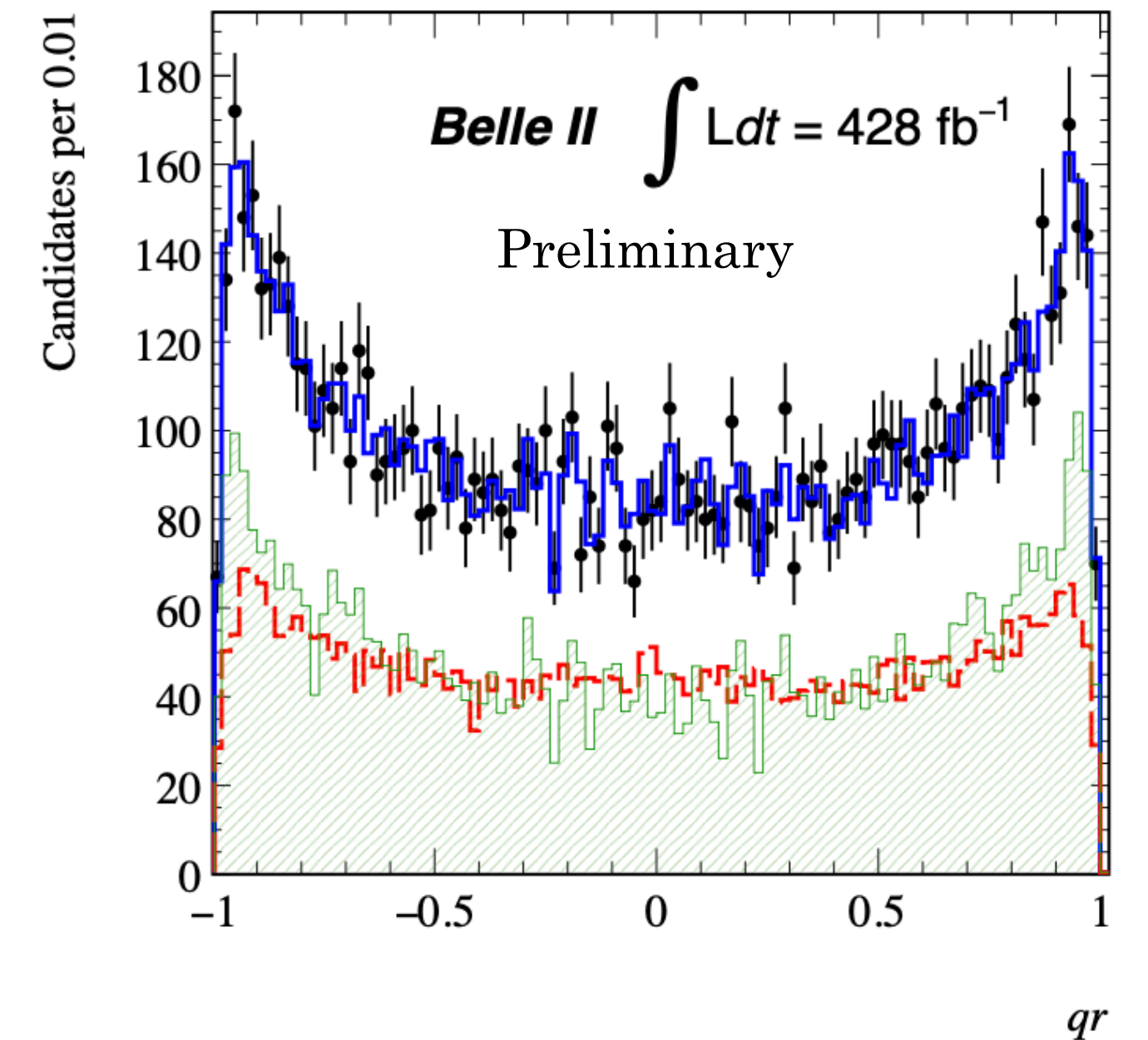
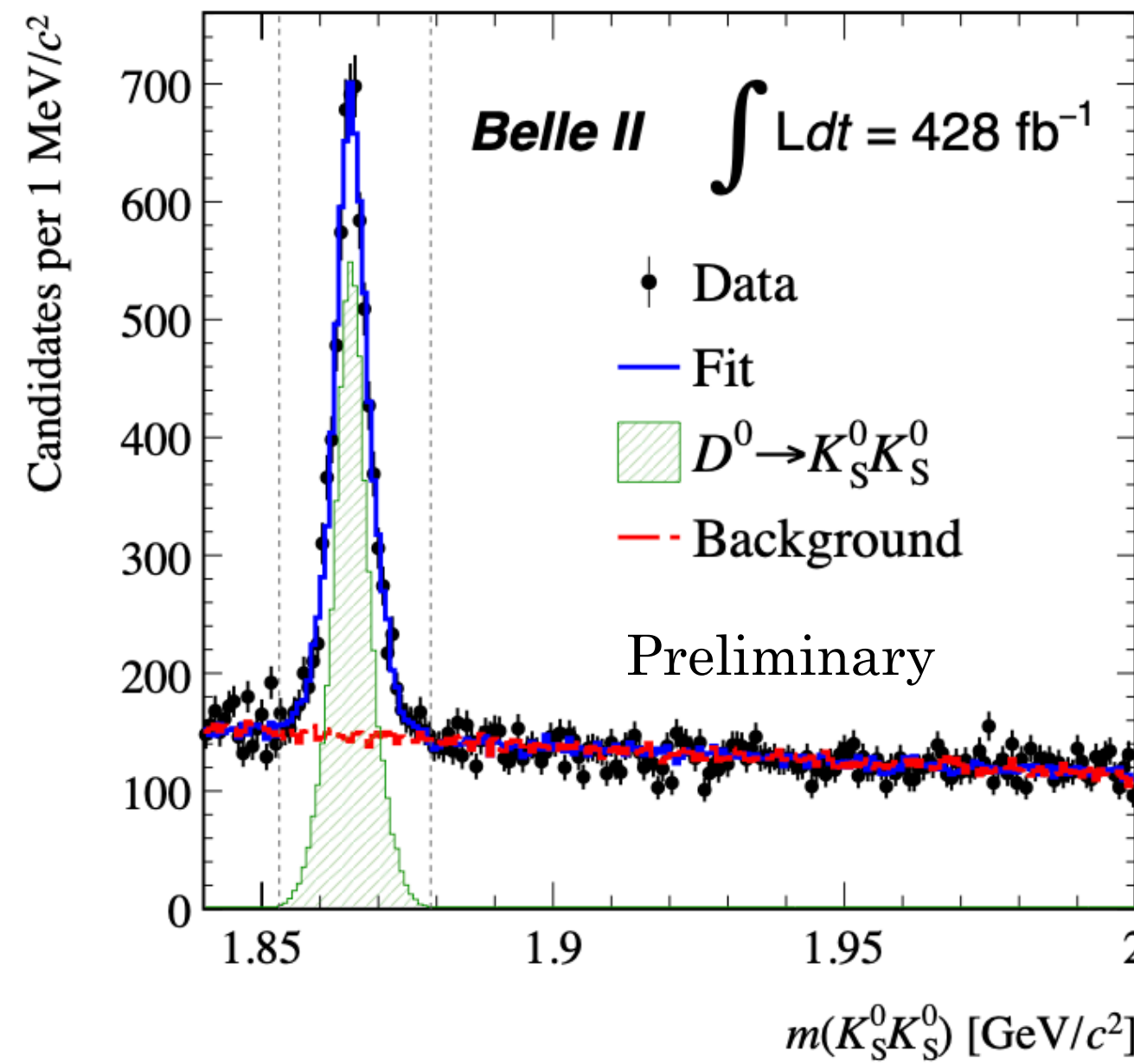
- Fit to r :

BKG PDF: template from sideband data ($D^0 + \bar{D}^0$).

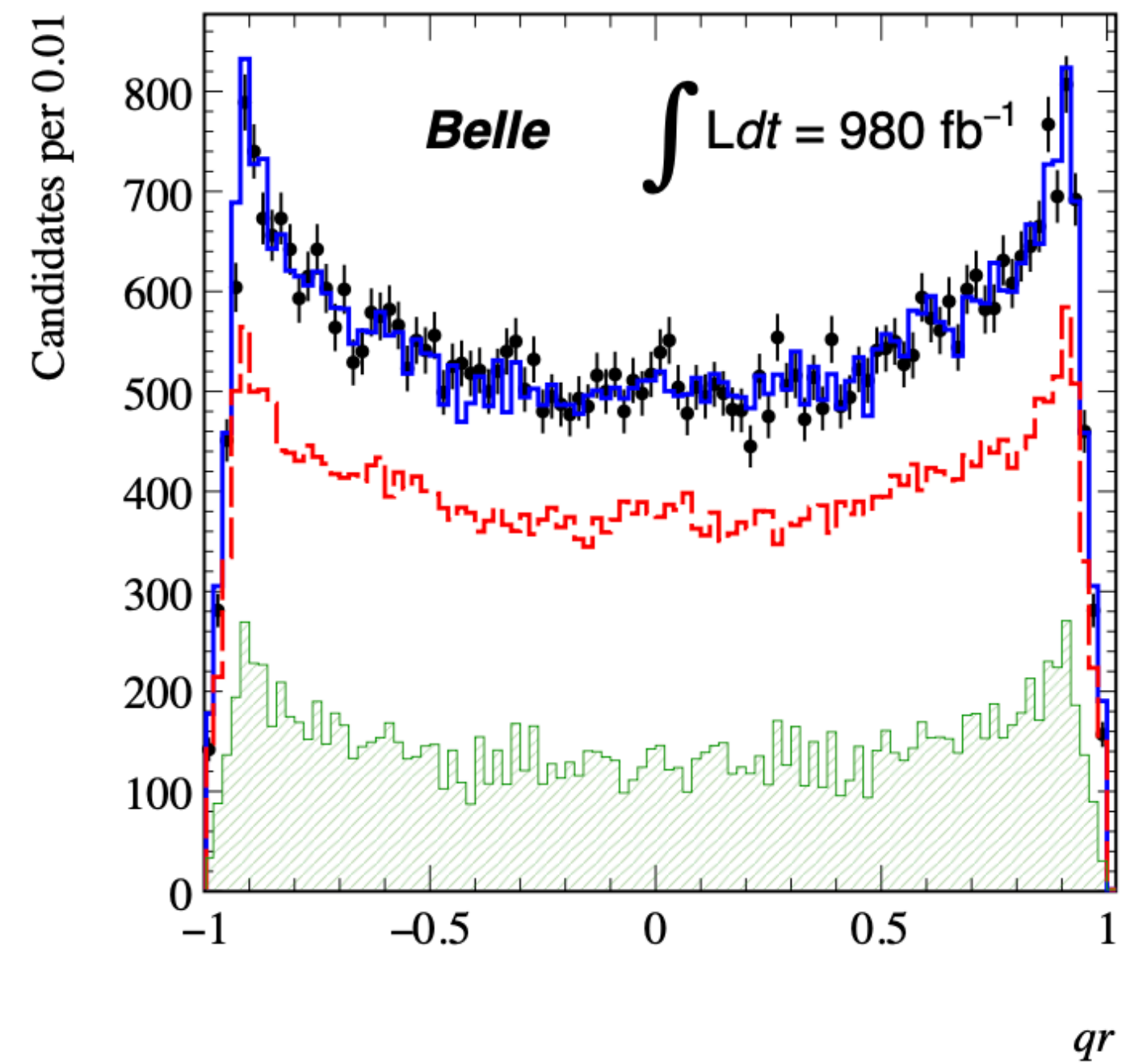
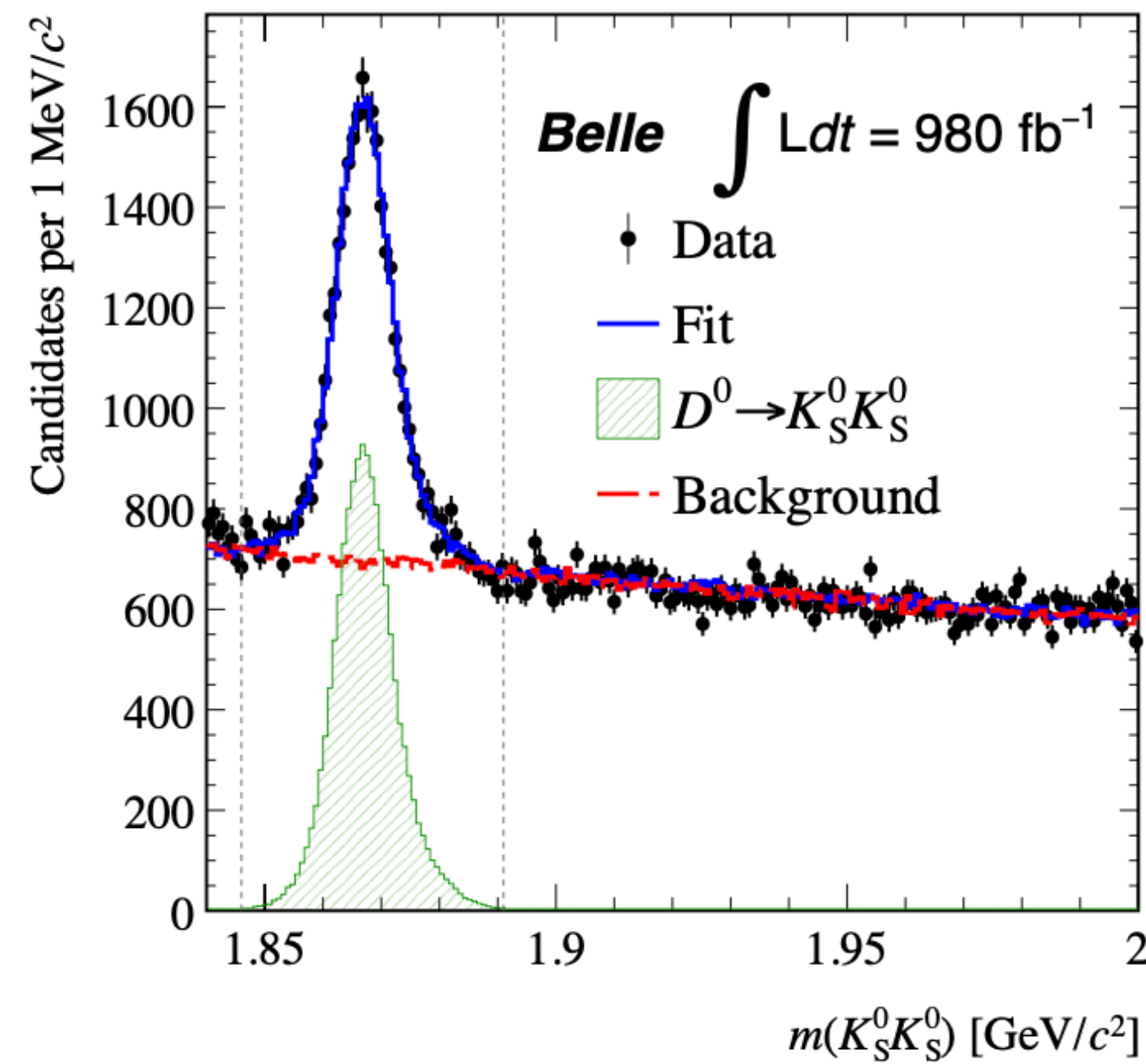
Signal PDF: template from data ($D^0 + \bar{D}^0$) in region of interest subtracting BKG.

- Note that 1, D^0 and \bar{D}^0 has identical distribution of r in MC. 2, BKG in sideband are identical to BKG in ROI in MC. 3, This analysis aims only to measure A_{CP} , not branching fraction.

- $$P(m, q, r | A_{CP}, A_b, \dots) = f_b(1 + qrA_b)P_b(m | \dots)P_b(r) + (1 - f_b)(1 + qrA_{CP})P_s(m | \dots)P_s(r)$$



$A_{CP}(D^0 \rightarrow K_S^0 K_S^0)$ using CFT



- On Belle data. Similar shape but more severe background.

Sudden beam loss

Squeeze size? Increase current?

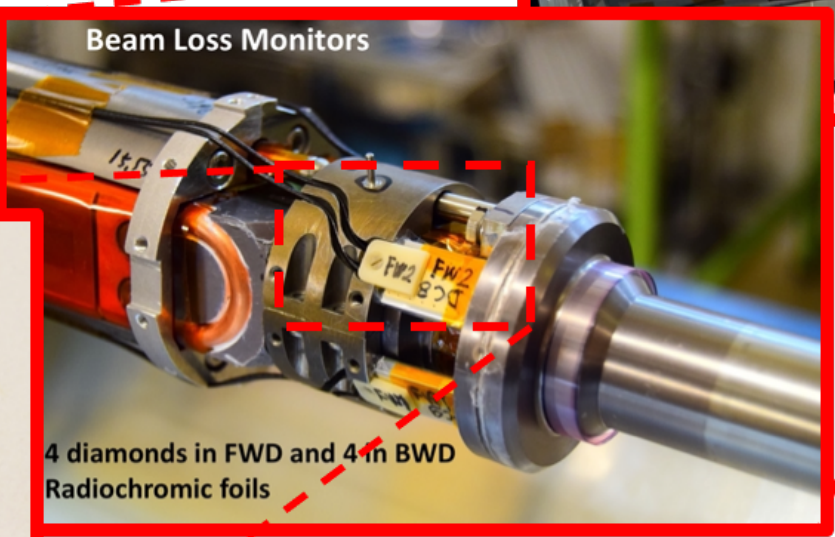
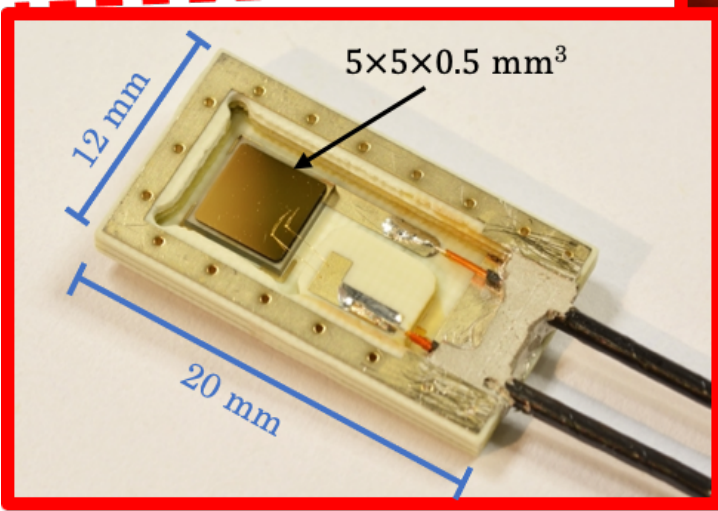
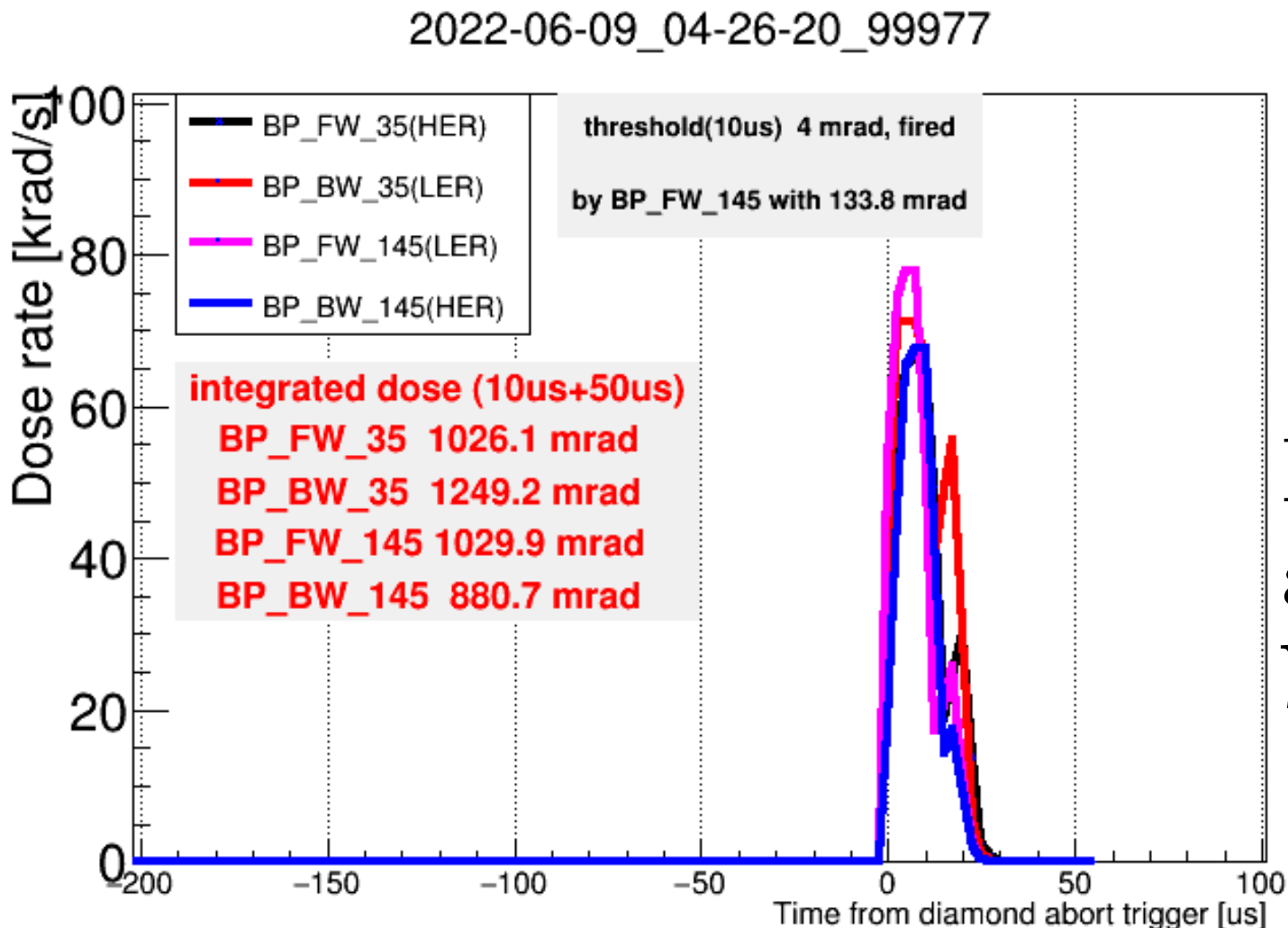
Beam loss monitors abort the beam when beam loss is severe.

to prevent

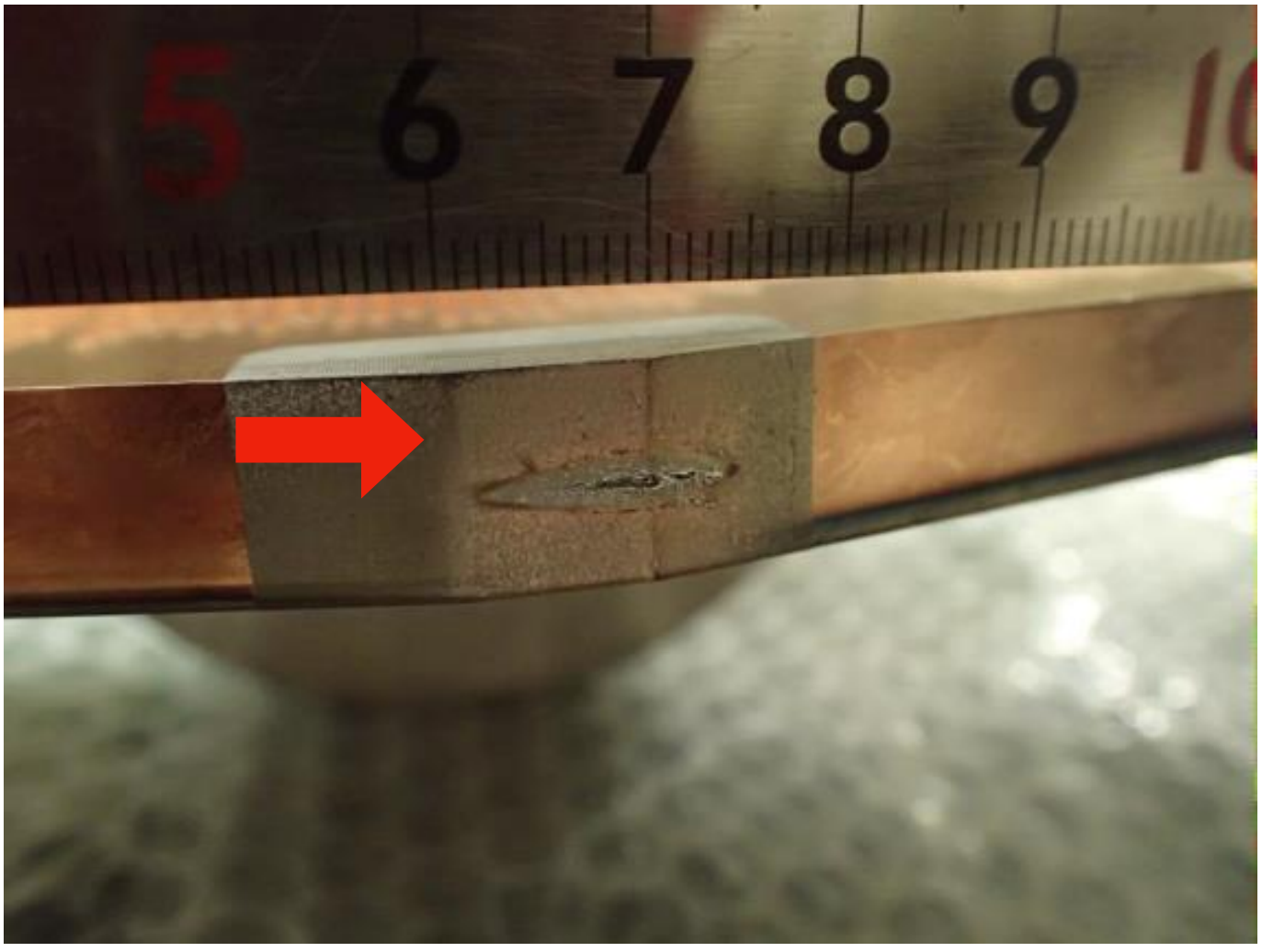
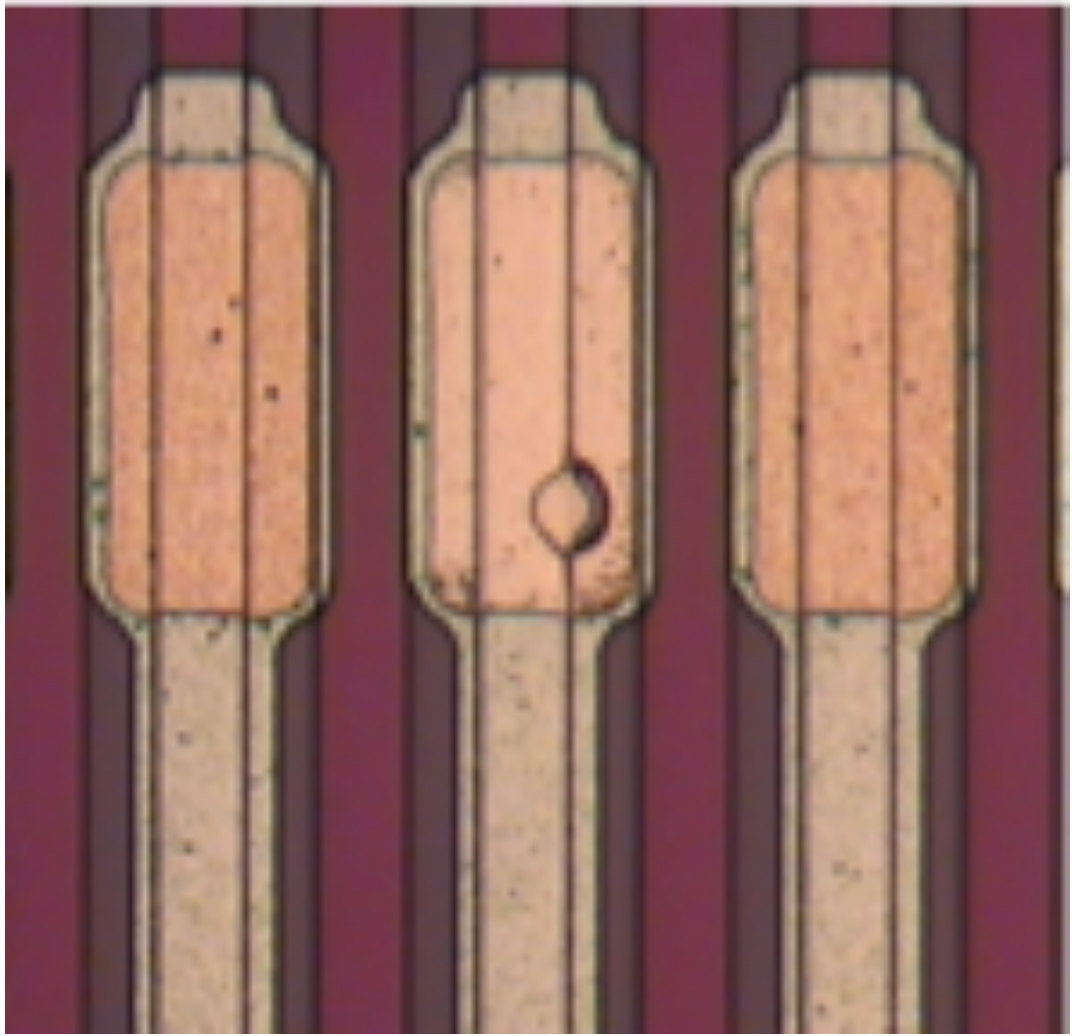
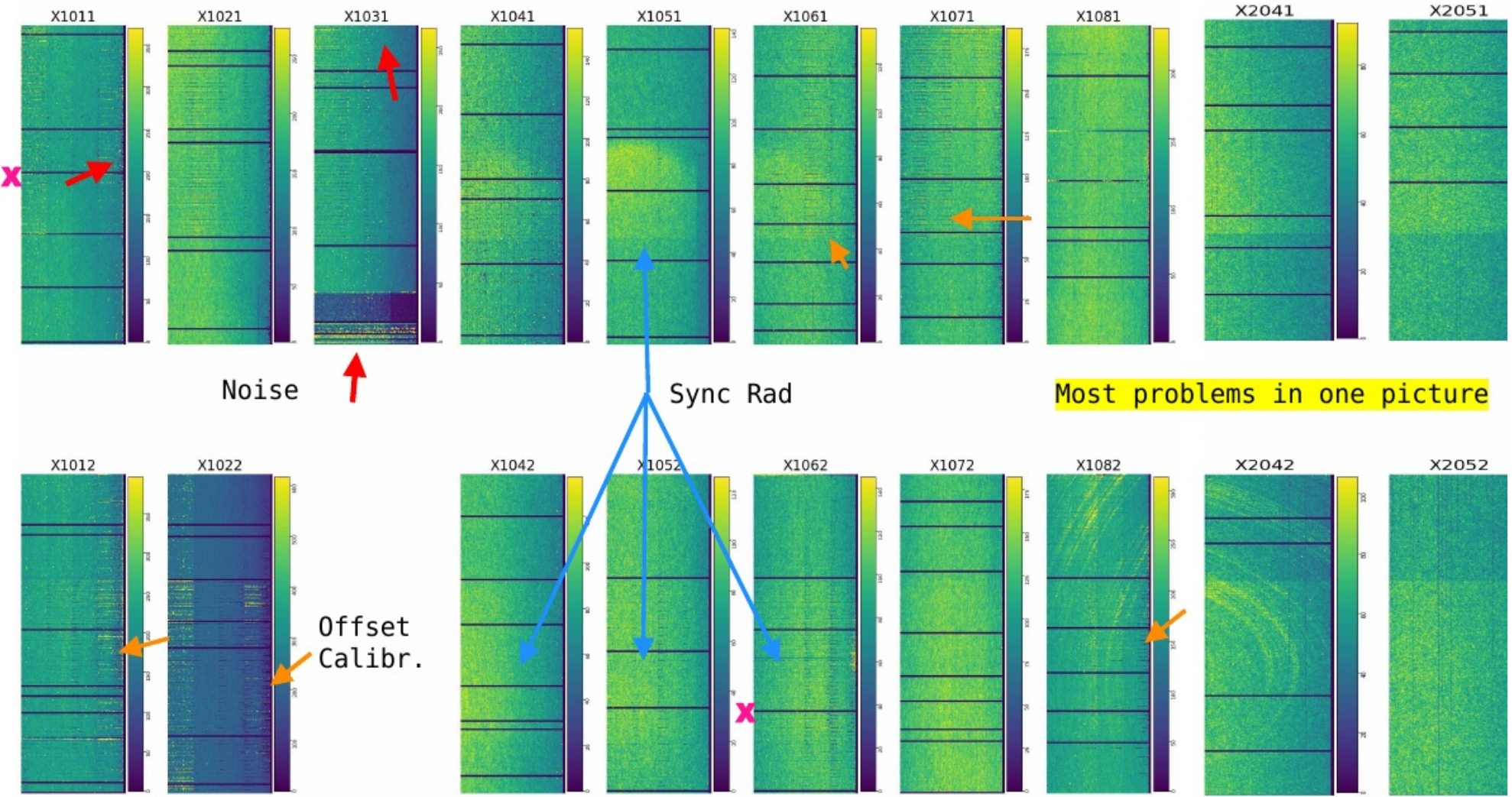
Gate/switcher in PXD damaged

Pinholes in SVD

Head of collimators melt



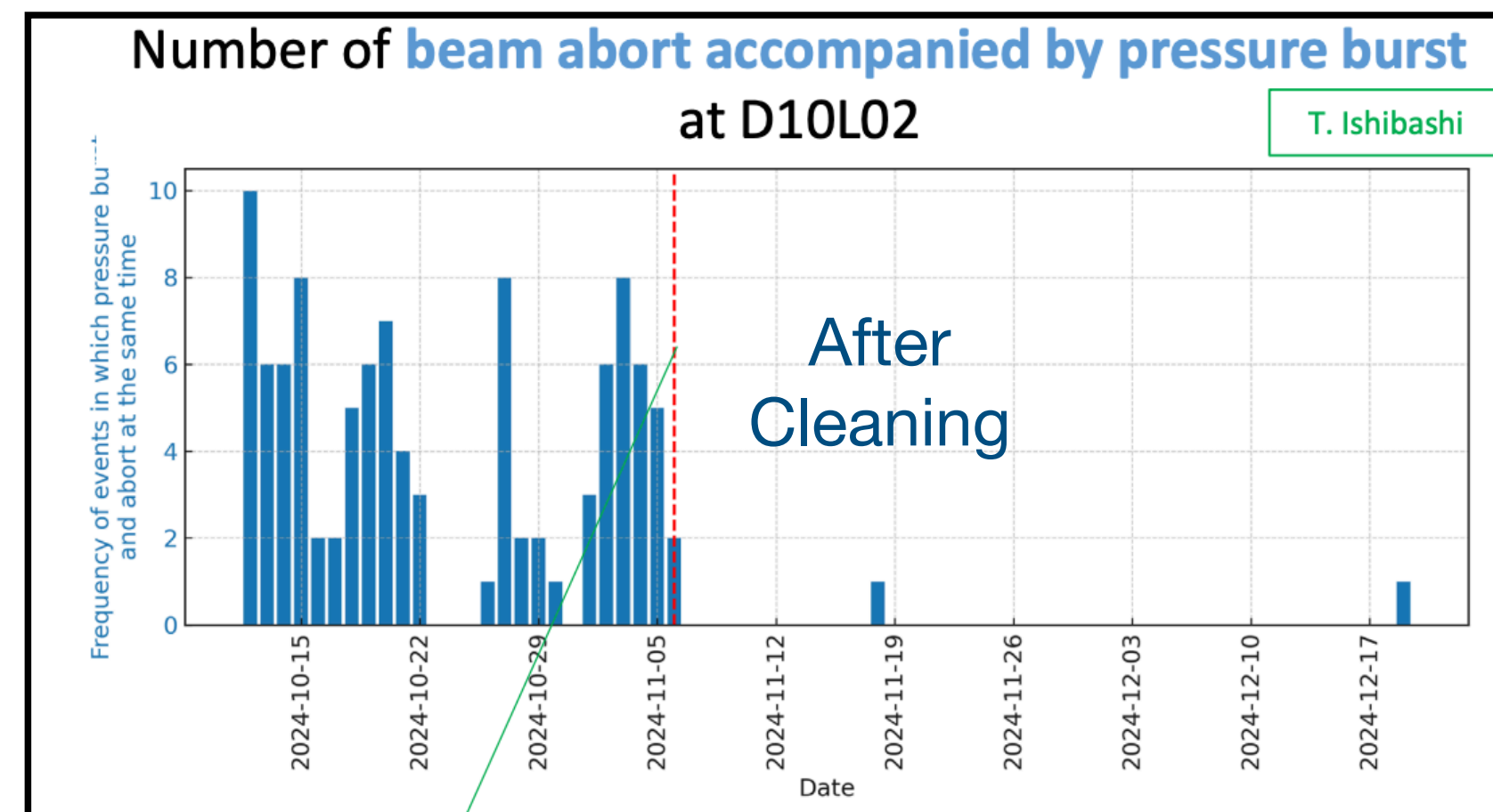
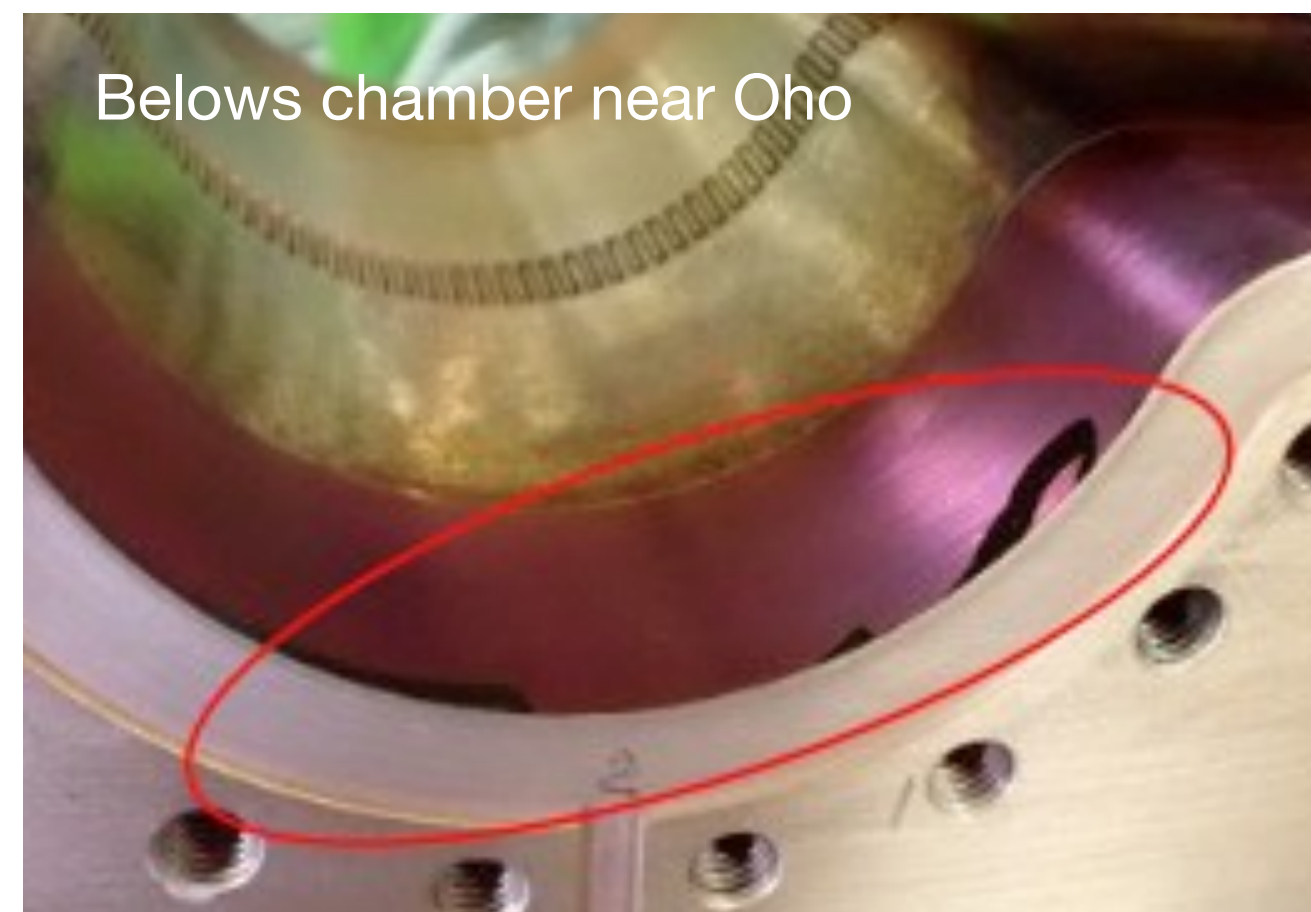
NIMA 997 (2021)165157



We have many reasons to be (cautiously) optimistic

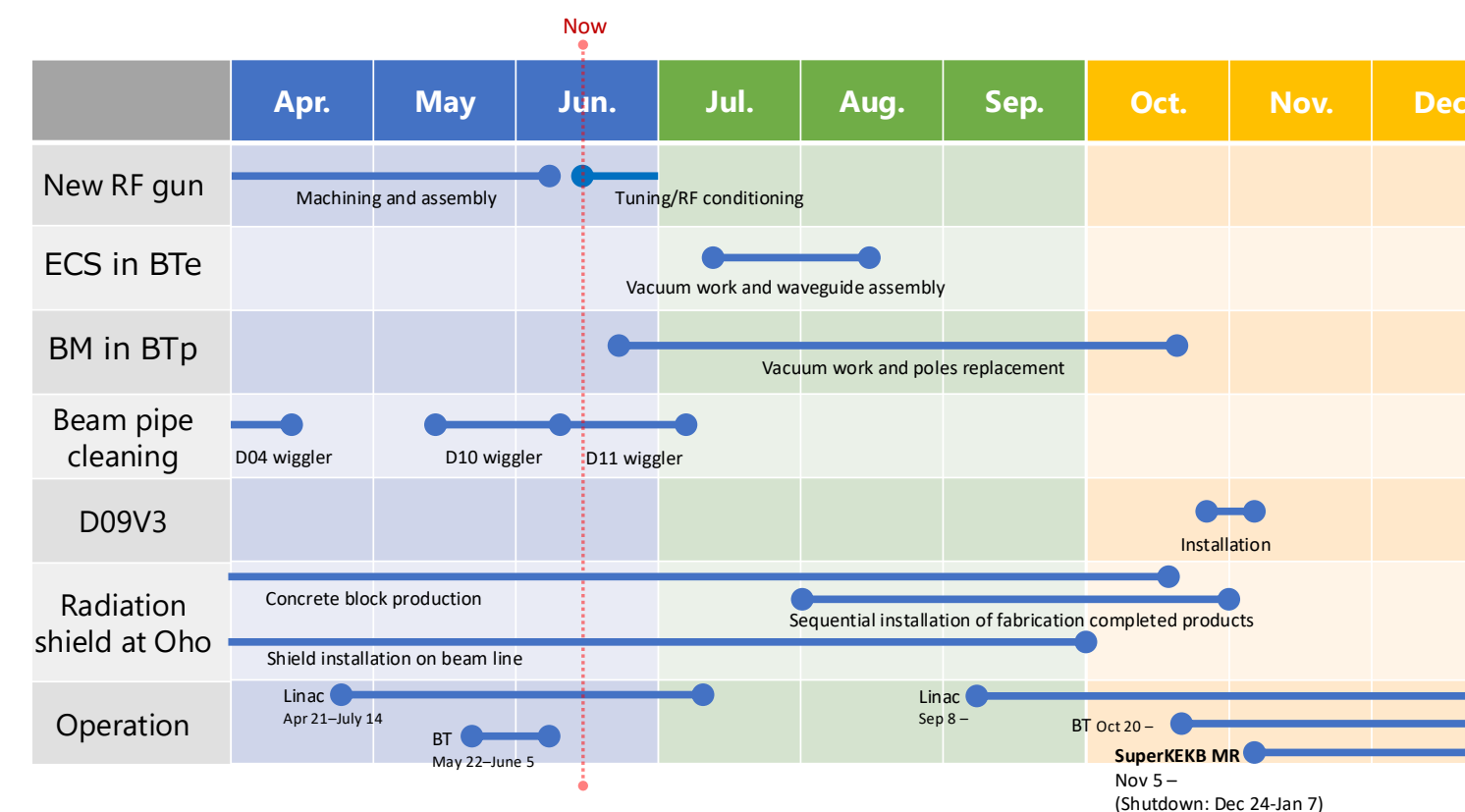
We have identified, **for the first time**, a physical mechanism that can explain sudden beam losses in LER

A slide from Belle II Spokesperson

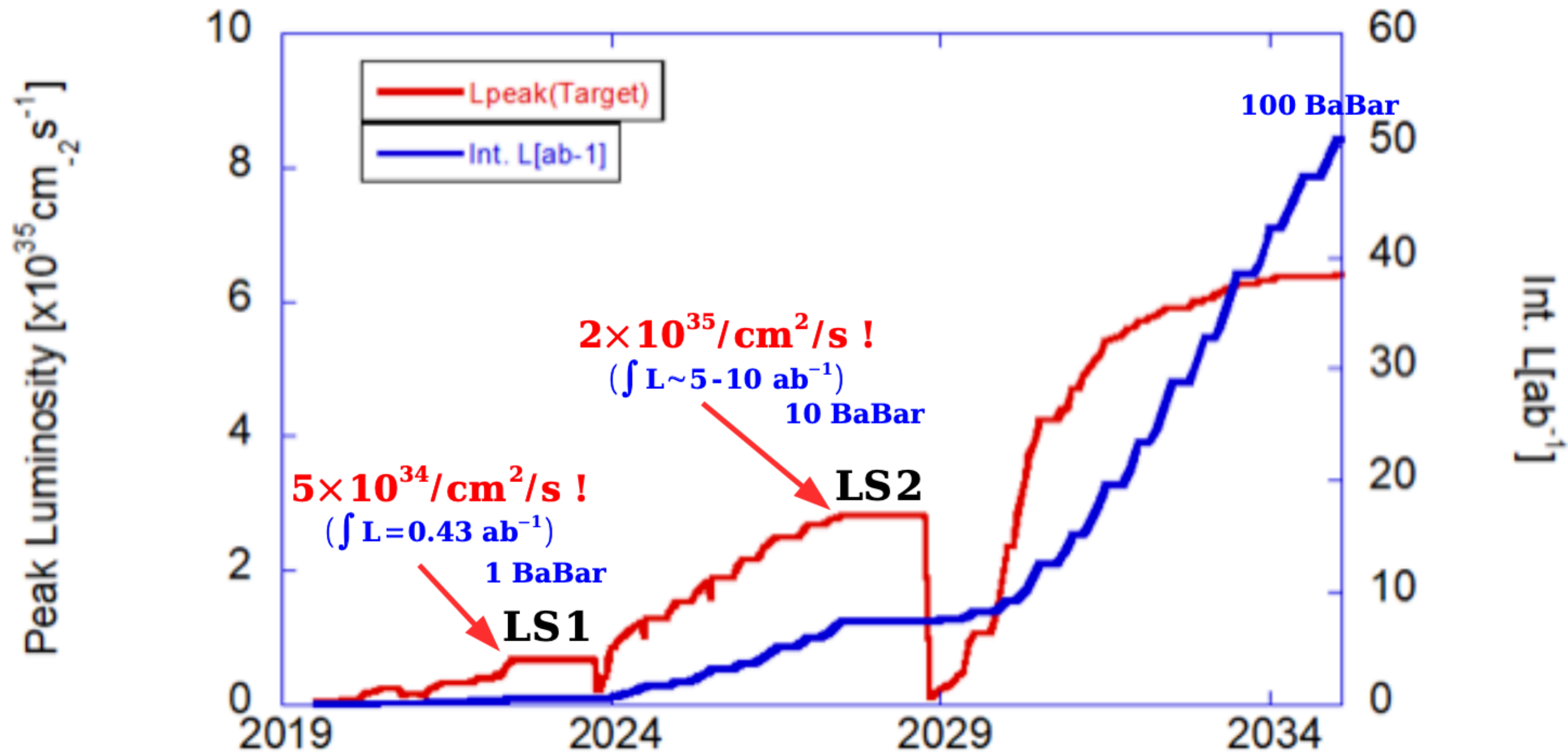


Much work being done over summer shutdown: →

- **Removal of stains from vacuum sealant**
- New electron gun
- New enhanced shielding near non-linear collimator @ Oho



Belle II luminosity projection



- Just ballpark estimate.