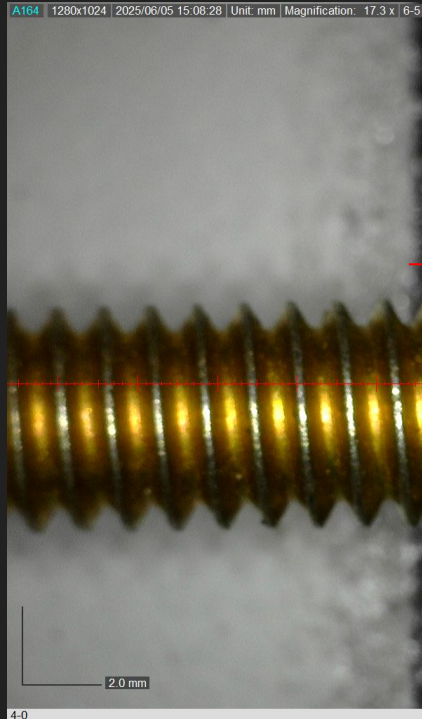


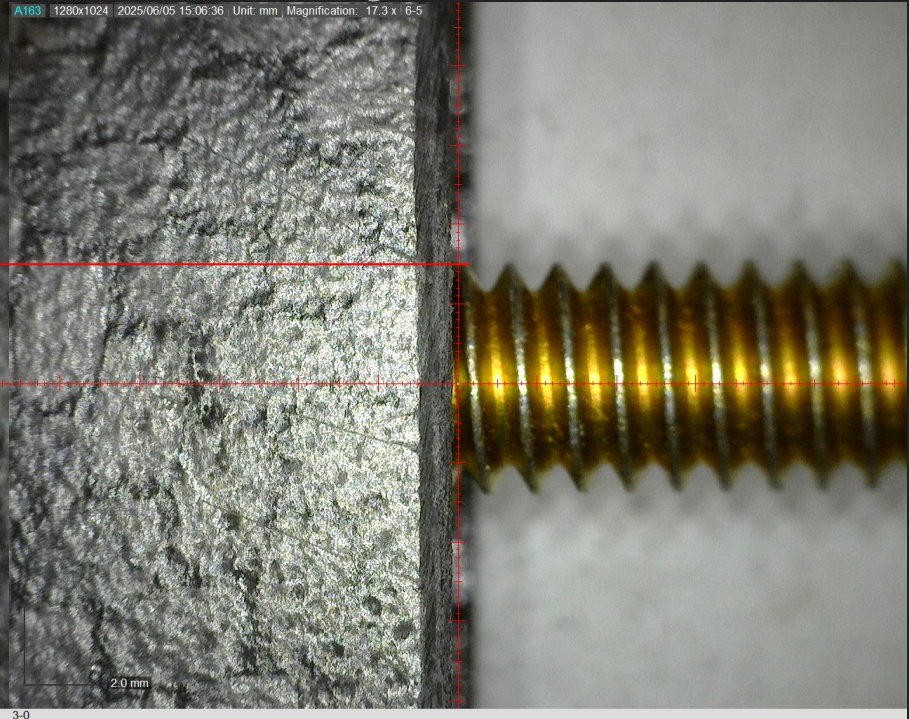
Demonstration of measuring ϕ^*R distribution with camera parallel to -r

Ring 4, Hole 0/120



Ring 3, Hole 0/120

Crosshair aligned to this rod



Analysis

The crosshair was zeroed so that the upper 3mm mark aligned with the top of ring 3 rod 0/120

Difference in position measured as the height above the center line minus 3mm

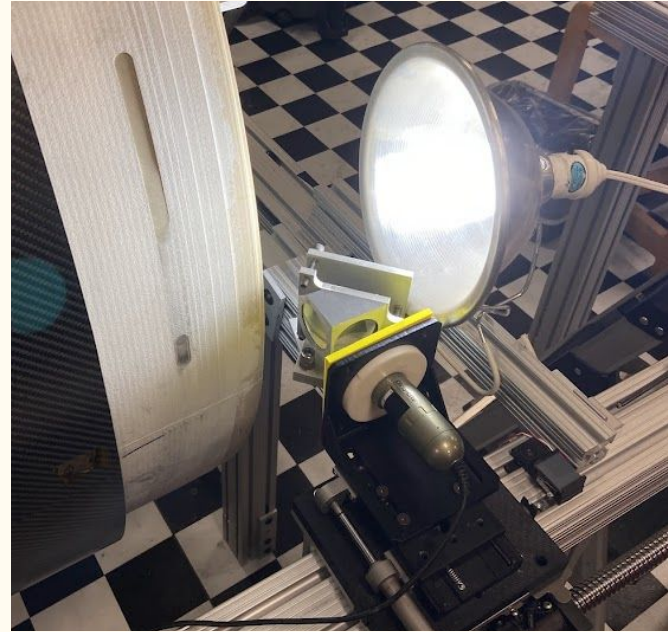
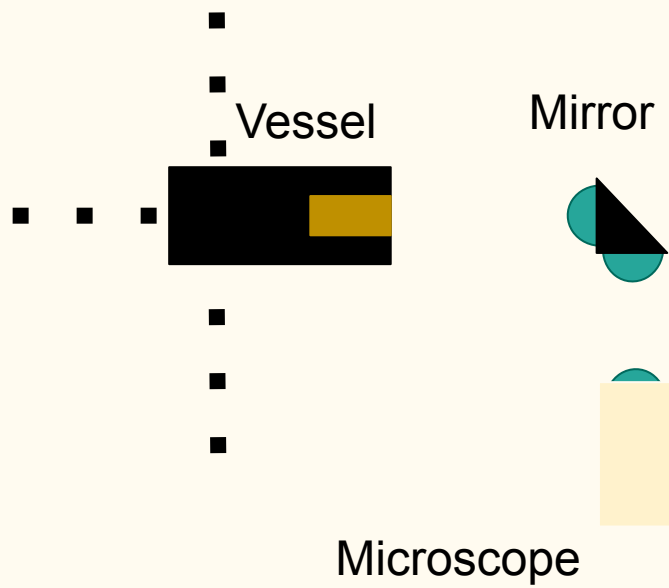
	0/120	15	30	45	60	75	90	105
Ring 4	-0.9mm	-0.4mm	-0.2mm	-0.1mm	0mm	-0.2mm	-0.2mm	-0.7mm
Ring 3	0mm	0mm	0.2mm	0.4mm	0.4mm	0.3mm	0.3mm	0.1mm
3-4	0.9 mm	0.4 mm	0.4 mm	0.5 mm	0.4 mm	0.5 mm	0.5 mm	0.8 mm

Around ring 3, the mean displacement relative to ring 3 hole 0 is 0.21 mm and the standard deviation is 0.15 mm

Around ring 4, the mean displacement relative to ring 3 hole 0 is -0.34 mm and the standard deviation is 0.29 mm

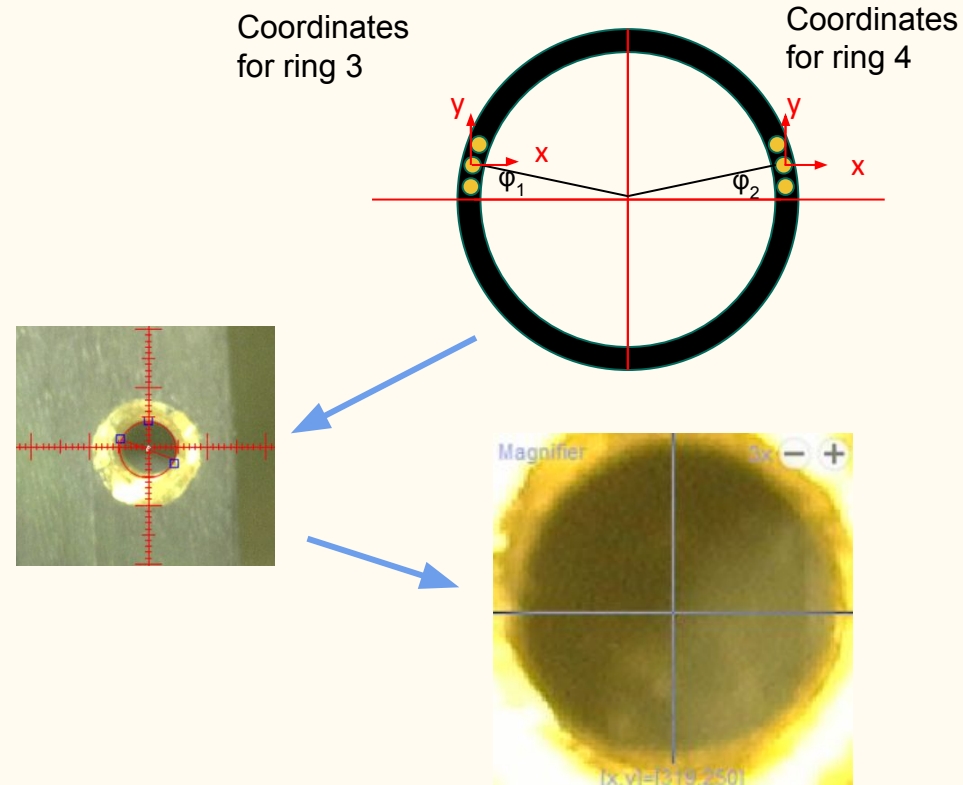
The difference between means is 0.55 mm

Set up



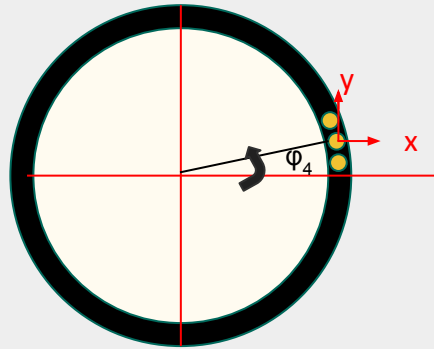
Measurement

- Calibrate the microscope
- Center the microscope on one hole to avoid parallax
- Use a digital zoom and crosshair to estimate the x and y pixel value at the center of the hole.
- Rotate the mandrel by $1/120$ of a revolution and find the central pixel value for the next hole
- repeated the process for all holes.
- Find the conversion from pixel to mm

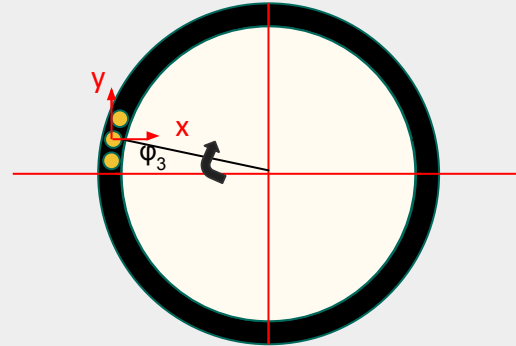


Coordinate Systems Looking Parallel to $\pm \hat{z}$

Coordinates for ring 4
Hole numbers go
counter-clockwise



Coordinates
for ring 3
Hole
numbers go
clockwise



Converting from local (x,y) to (R,φ)

All (x',y') measured at a fixed φ_n
for each ring

$$x_n = R_n \cdot \cos(\varphi_n)$$

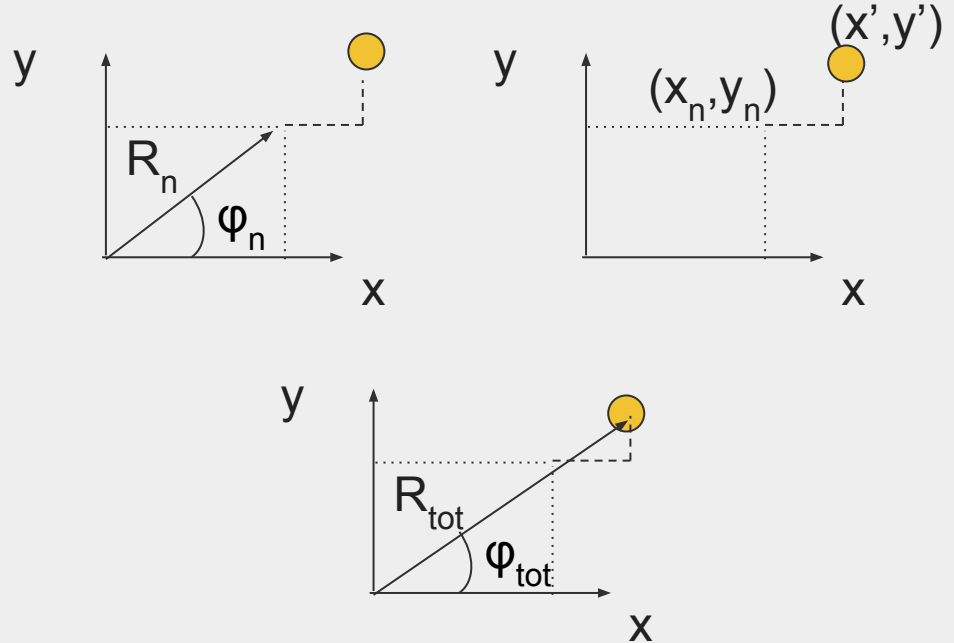
$$y_n = R_n \cdot \sin(\varphi_n)$$

$$X_{\text{tot}} = x_n + x'$$

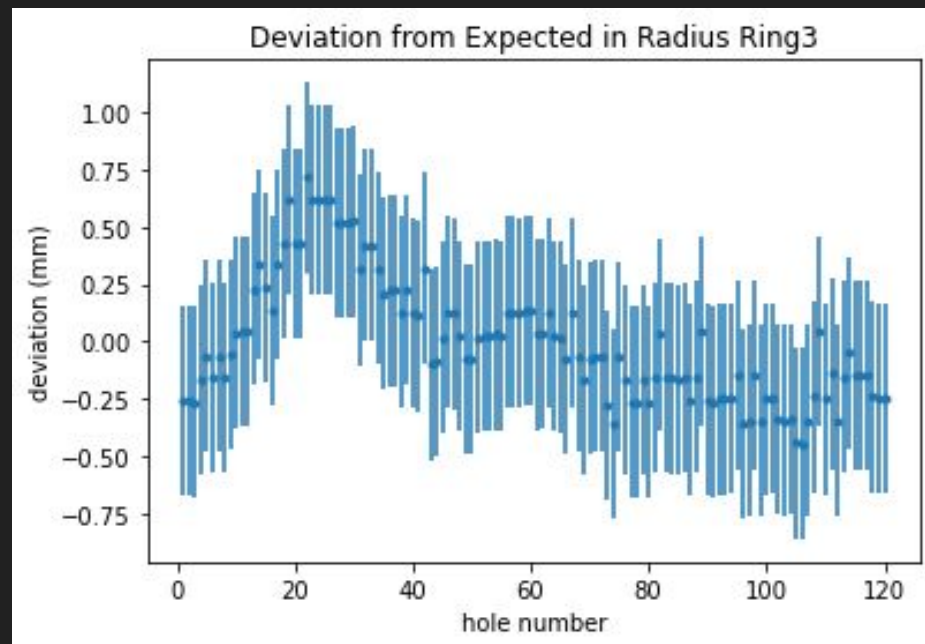
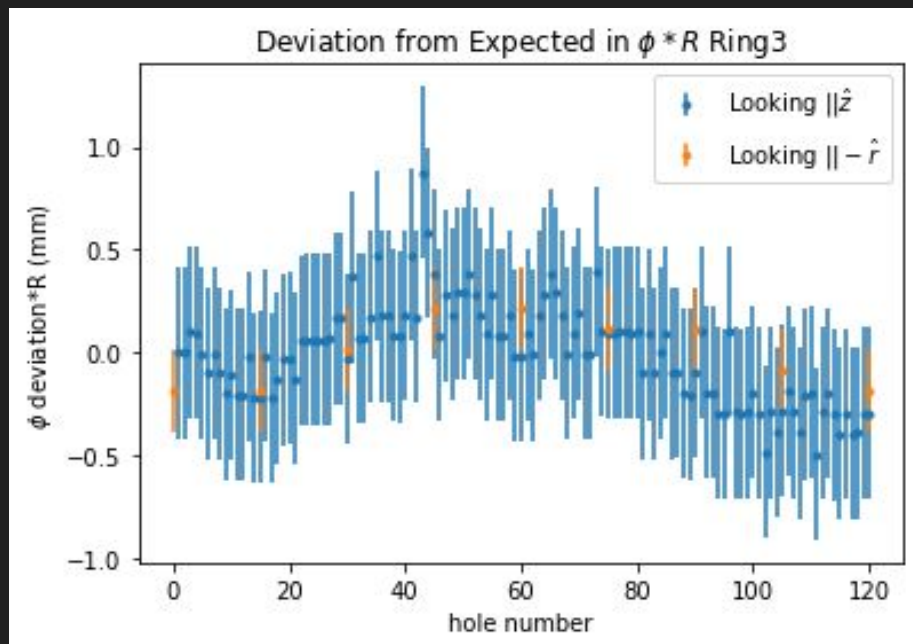
$$y_{\text{tot}} = y_n + y'$$

$$R_{\text{tot}} = \sqrt{x_{\text{tot}}^2 + y_{\text{tot}}^2}$$

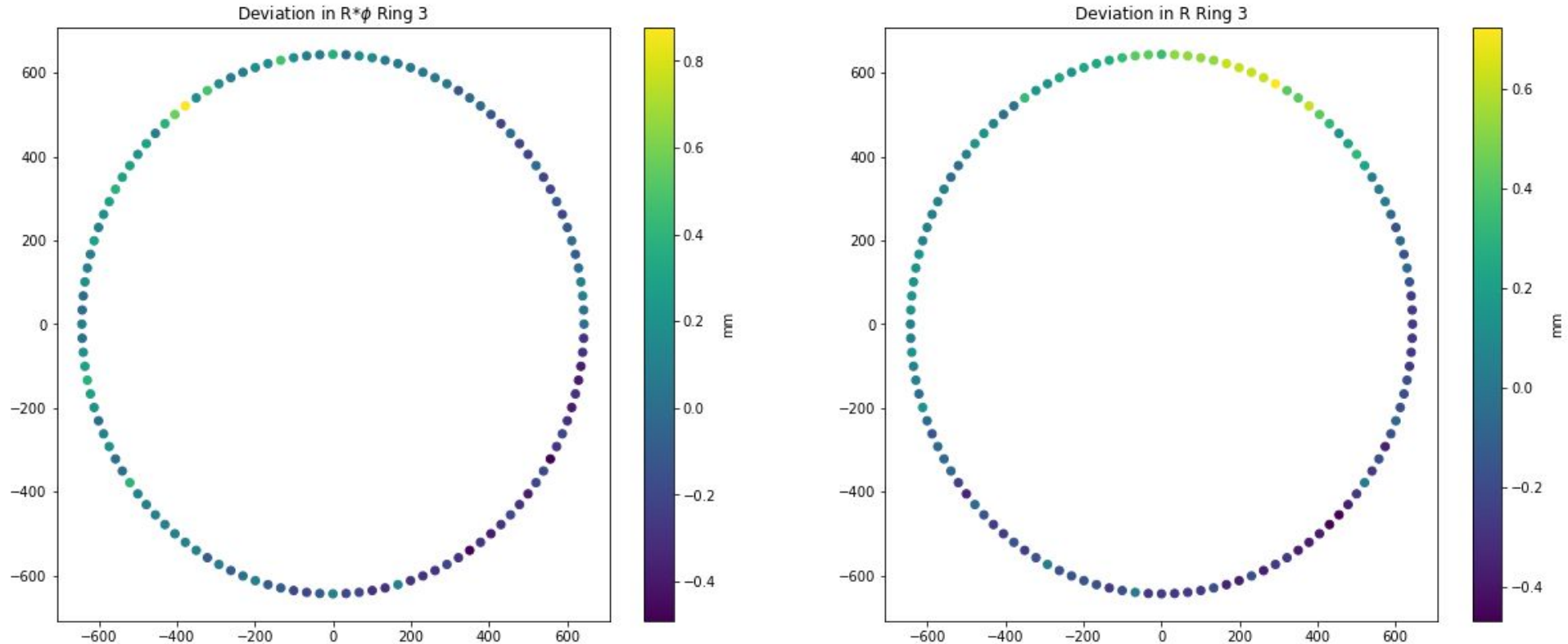
$$\varphi_{\text{tot}} = \tan^{-1}(y_{\text{tot}}/x_{\text{tot}})$$



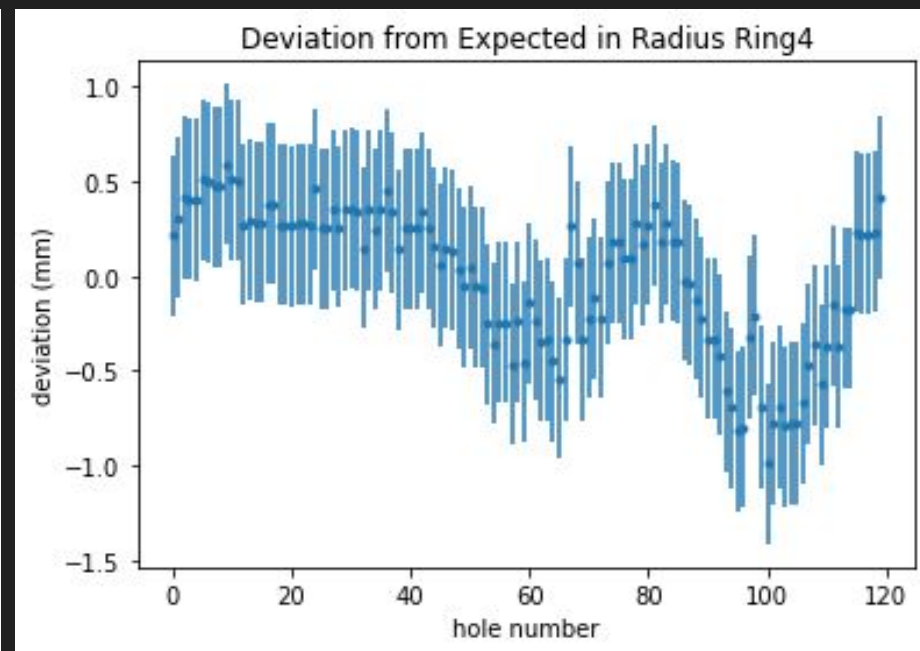
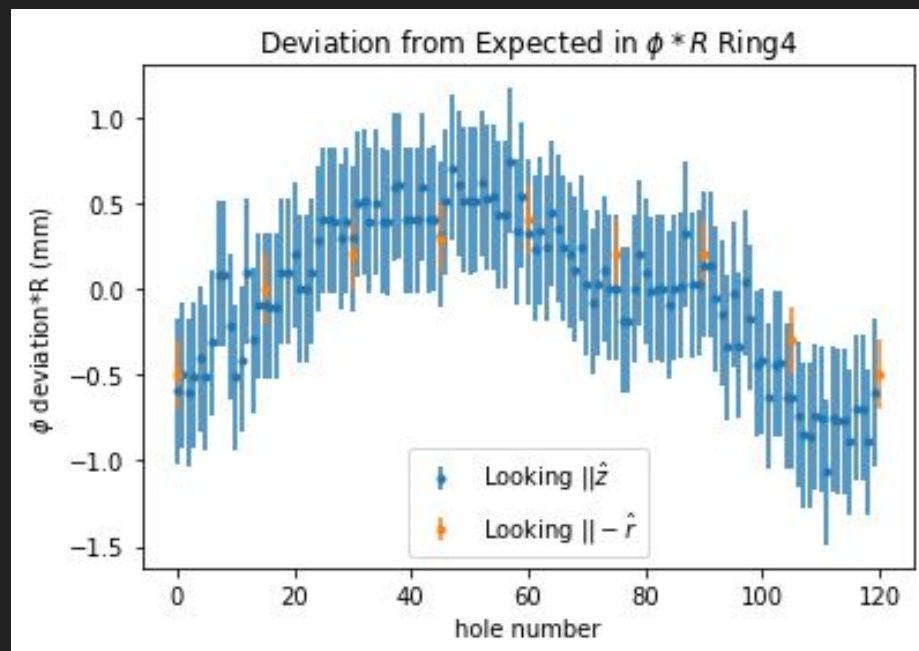
Results



Deviations for each hole Ring 3



Results



Deviations for each hole Ring 4

