

# Advances in Accelerator Physics at NSLS-II

Victor Smaluk

NSLS-II

# Outline

- Analysis of nonlinear dynamics by square matrix method.
- Linear lattice correction techniques based on turn-by-turn BPM data:
  - ✓ Independent Component Analysis (ICA);
  - ✓ Driving-Terms-Based Linear Optics Calibration.
- AC LOCO – a fast and precise technique for magnet lattice correction.
- AC orbit bump method of local impedance measurement.
- Real-time redistribution of the fast correctors' strengths to the paired slow correctors.
- Lossless crossing of a half-integer resonance.
- New unique capability of NSLS-II BPMs: gated turn-by-turn BPM data.
  - ✓ Single-shot measurement of the tune shift with amplitude;
  - ✓ High-resolution measurement of current-dependent tune shifts.
- Low-frequency quadrupole impedance of undulators and wigglers.
- Microwave instability studies.
- Fast-ion instability at NSLS-II.
- Beam dynamics with 3rd Harmonic Cavity.
- Self-consistent Parallel Tracking Code.
- High-brightness lattice upgrade options for NSLS-II.

# Analysis of nonlinear dynamics by Square Matrix Method.

L.-H. Yu, "Analysis of nonlinear dynamics by square matrix method",  
Phys. Rev. Accel. Beams 20, 034001 (2017)

- Nonlinear dynamics of a system with periodic structure is analyzed using a square matrix. This is a novel method to optimize the nonlinear dynamic system. The method is illustrated by examples of comparison between theory and numerical simulation.

- Square matrix  $Z = MZ_0$

- One step** to high order without iteration  $UM = e^{i\mu I + \tau U}$

- Action-angle approximation  $W \equiv UZ = \begin{bmatrix} w_0 \\ w_1 \\ \dots \\ w_m - 1 \end{bmatrix}$   $W = e^{i\mu I + \tau} W_0 \cong e^{i(\mu + \phi)} W_0.$

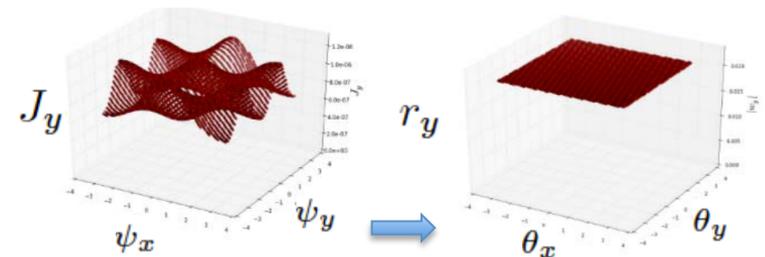
- Amplitude-dependent tune**  $\phi$

**Action**  $|w_0|$  **s nearly a constant:**  $|\frac{\Delta W}{W}| \approx 0$

- Frequency fluctuation**  $\Delta \equiv \frac{w_2}{w_0} - (\frac{w_1}{w_0})^2 \approx 0$

**Amplitude fluctuation**  $|\frac{\Delta W}{W}|$

Phase space transformation

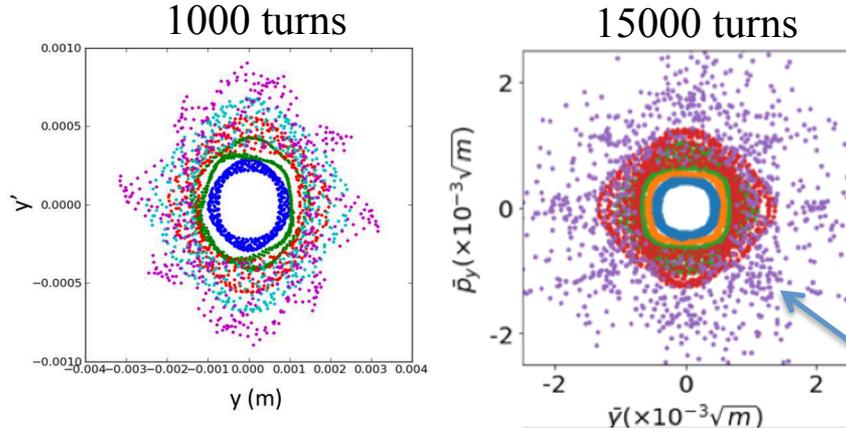


# Phase space manipulation by Square Matrix Method

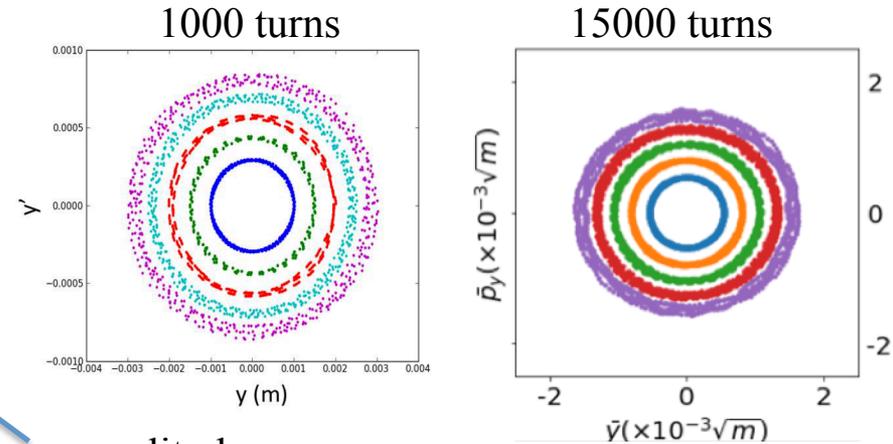
L.-H. Yu, Y. Li

- minimization of  $|\Delta w/w|$  5 particles with initial y increases proportional to initial x

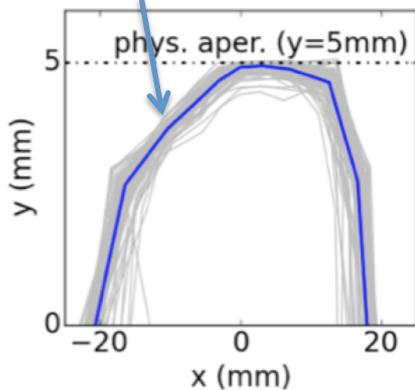
## Conventional optimization



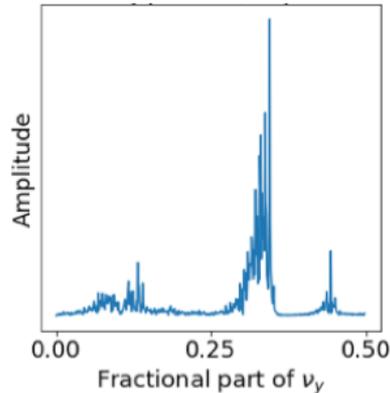
## Square matrix optimization



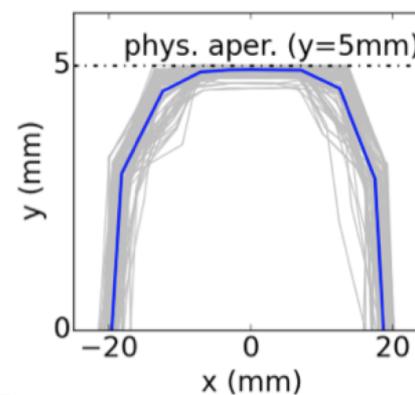
Particles are lost in top left corner



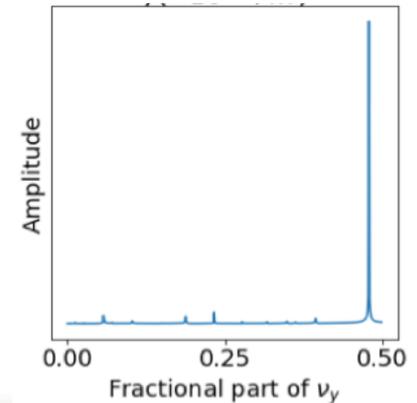
Spectrum is much more wide and complicated.



DA is more symmetric



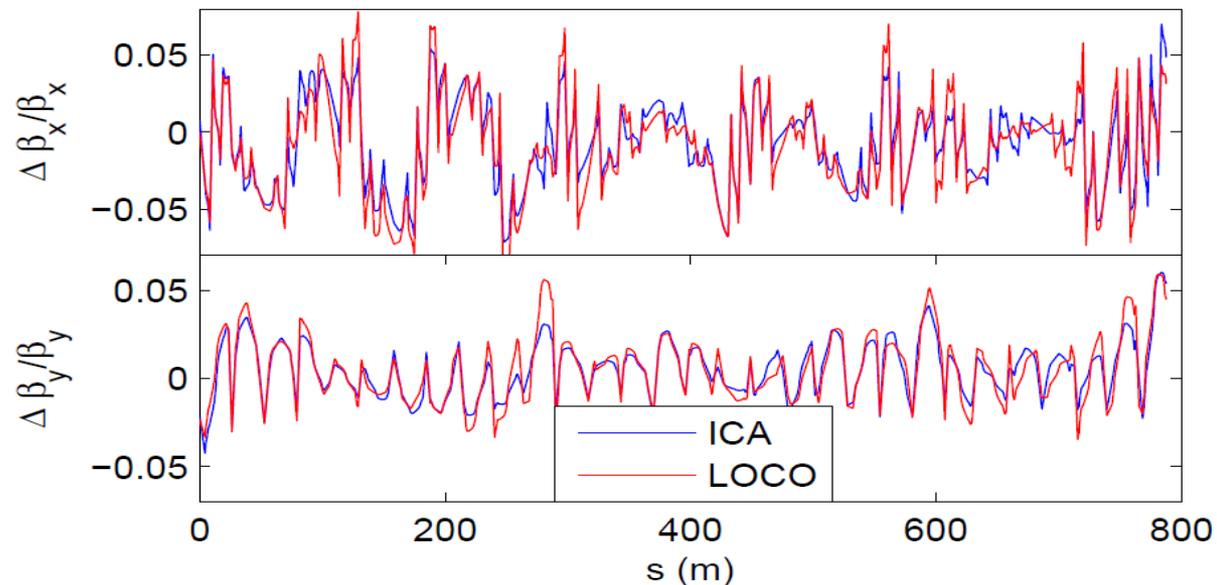
Spectrum is narrow.



# ICA turn-by-turn based lattice tool

X. Yang, X. Huang, “A method for simultaneous linear optics and coupling correction turn-by-turn BPM data”, NIM A 828, p97-104 (2016).

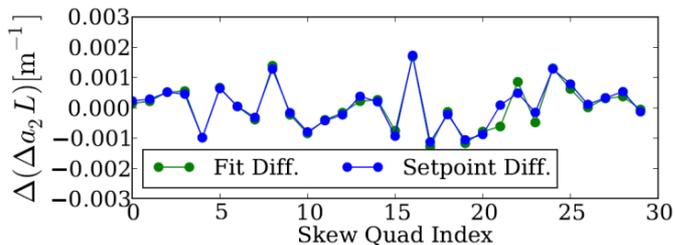
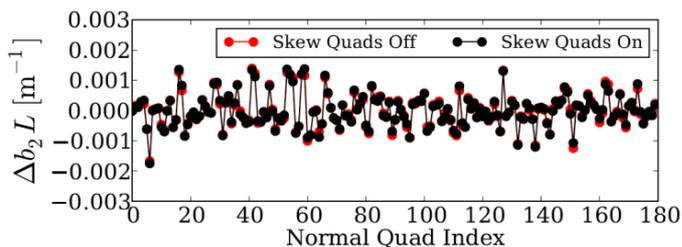
- The independent component analysis (ICA) method for simultaneous linear optics and coupling correction turn-by-turn BPM data has been tested at NSLS-II.
- The ICA method is first applied to extract the amplitudes and phases of the projection of the normal modes on the horizontal and vertical BPM turn-by-turn data, which are then compared to their model-generated counterparts in fitting.
- The fitting scheme is similar to the LOCO algorithm.
- The method provides similar precision of BPM calibration and residual errors of linear lattice compared to the standard LOCO technique.
- Software is ready to release.
- Plan to improve the speed of calculation using parallel computing.



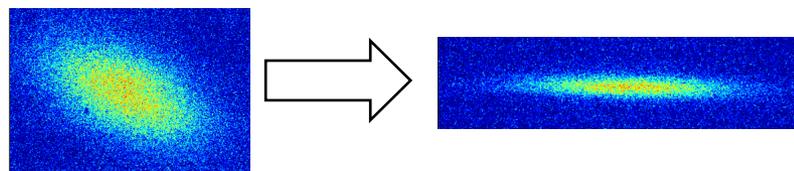
# Driving-terms-based linear optics calibration

Y. Hidaka, B. Podobedov, J. Bengtsson, “Linear optics characterization and correction method using turn-by-turn BPM data based on resonance driving terms with simultaneous BPM calibration capability”, NAPAC’16, Chicago, 2016 (TUPOB52).

- The DTBLOC (Driving-Terms-Based Linear Optics Calibration) algorithm implemented in a Python code.
- Input (Observables): 4 frequency components extracted from turn-by-turn (TbT) data & dispersion functions.
- Output (fitting parameters): normal & skew quad. errors, BPM errors (hor./ver. gain, roll & deformation).
- Iterative least-square fitting via SVD with analytical Jacobian based on resonance driving terms (RDTs).
- Very fast! Only needs ~5 minutes for data acquisition, processing and fitting (vs. ~1 hour to measure full ORM for LOCO) at NSLS-II.
- Corrected to ~1% beta-beating, dispersion errors of ~1 mm, emittance coupling ratio on the order of 0.1%.
- Also works as a validation tool for estimated magnetic and BPM error values.



**Example:** For bare lattice, brought  $\varepsilon_y$  from 100 pm (all skew quads off) down to 2-3 pm, while reducing lifetime from 190 to 26 hr for 2 mA/100 bunches, with 2 iterations taking 10 min.



**Application:** Table generation for global coupling feedforward system for C17-1 IVU: after 1 iteration (12 gap values for 25 min. meas. & 25 min. proc.), closed-vs-open-gap difference of  $(\Delta\sigma_y, \Delta\tau) = (+25\%, +38\%)$  reduced to  $(-1\%, +11\%)$

X. Yang, V. Smaluk, L.H. Yu, Y. Tian, K. Ha,

“Fast and precise technique for magnet lattice correction via sine-wave excitation of fast correctors”, Accepted for publication in Phys. Rev. Accel. Beams (2017).

## Measurement

- Sine-wave (AC) beam excitation via fast correctors.
- Possibility of simultaneous excitation of many correctors with different frequencies.
- Recording BPM fast acquisition (10 kHz) data (all BPMs – 1 response vector).
- Synchronous detection of the beam oscillation amplitude.

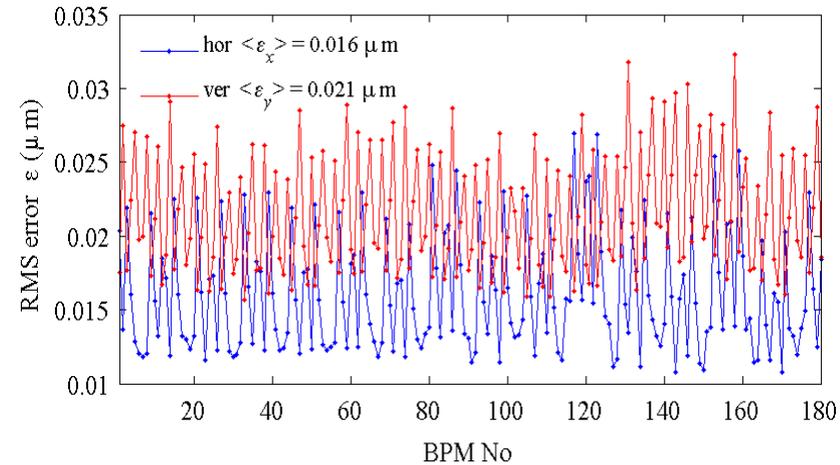
## Correction – standard LOCO technique

- Fitting the measured orbit response matrix to the model.
- Quadrupole strengths.
- Gains and rolls of BPMs and correctors.

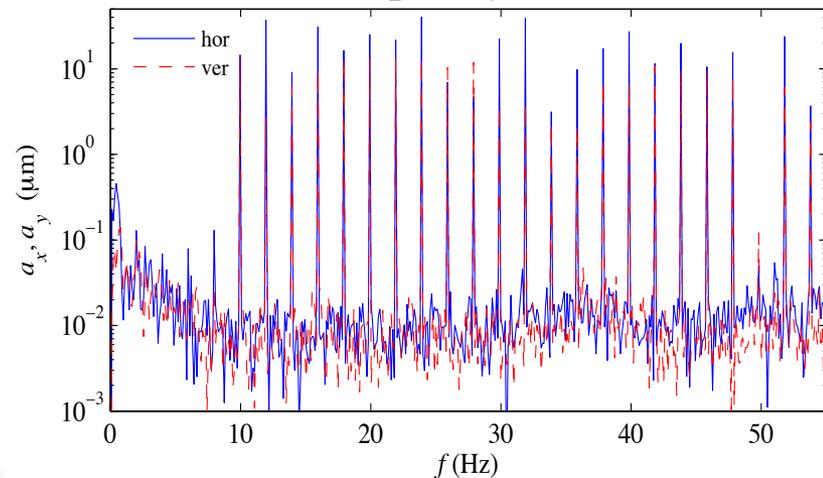
## Experimental results

- A factor of 2 to 5 reduction in the residual beta-beating and dispersion errors.
- Multi-frequency excitation of 30 fast correctors. Measurement time: < 2 mins for 10s BPM data.

**Noise-induced BPM errors at 20 Hz**



**Multi-frequency excitation**



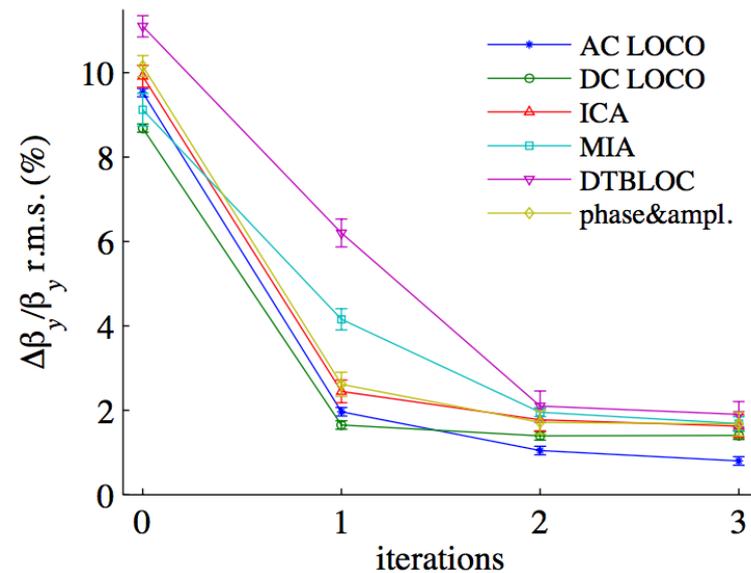
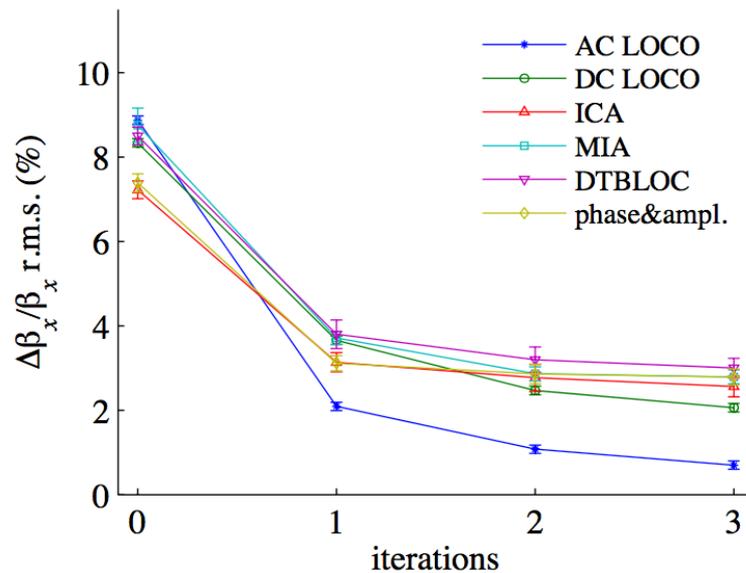
# Experimental crosscheck of lattice correction algorithms

*V. Smaluk, X. Yang, W. Guo, Y. Hidaka, G. Wang, Y. Li, L. Yang, “Experimental crosscheck of algorithms for magnet lattice correction”, IPAC’16, Busan, 2016 (THPMR008).*

- Performance, capabilities and limitations of several algorithms for linear magnet optics correction have been studied experimentally at NSLS-II.
- 4 algorithms based on turn-by-turn beam position analysis:
  - ✓ weighted correction of betatron phase and amplitude;
  - ✓ independent component analysis;
  - ✓ model-independent analysis;
  - ✓ and driving-terms-based linear optics characterization.
- LOCO algorithm based on closed orbit measurement has been used as a reference.

Algorithm	$\Delta\beta_x/\beta_x$ %	$\Delta\beta_y/\beta_y$ %	$\Delta\psi_x$ °	$\Delta\psi_y$ °	$\Delta\eta_x$ mm	$\eta_y$ mm
no corr.	8	10	4.5	3.5	18	8
LOCO	2.1	1.4	0.5	0.2	2.6	4.4
phase only <sup>1</sup>	2.3	1.8	0.6	0.5	39	9.9
phase&amp. <sup>1</sup>	2.8	1.7	0.7	0.9	11	7.8
ICA	2.6	1.6	0.5	0.4	5.0	2.3
MIA	2.8	1.7	0.7	1.0	5.4	6.8
DTBLOC	3.0	1.9	0.4	0.8	2.3	4.5

<sup>1</sup> no dispersion corrected



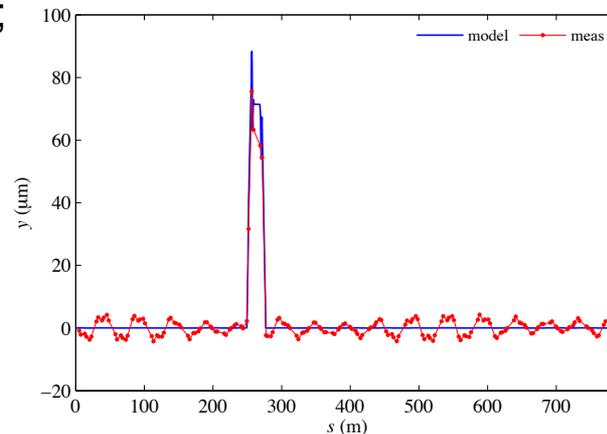
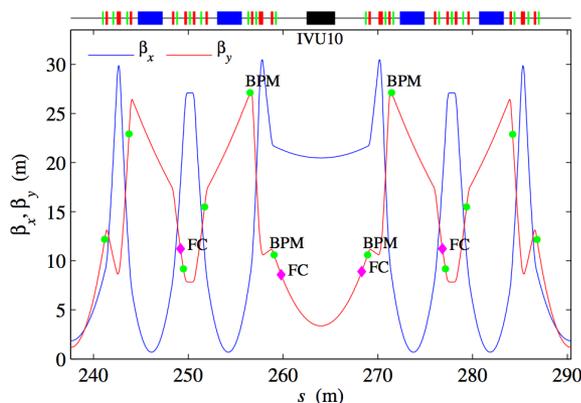
# AC orbit bump method of local impedance measurement

*V. Smaluk, X. Yang, A. Blednykh, Y. Tian, K. Ha*

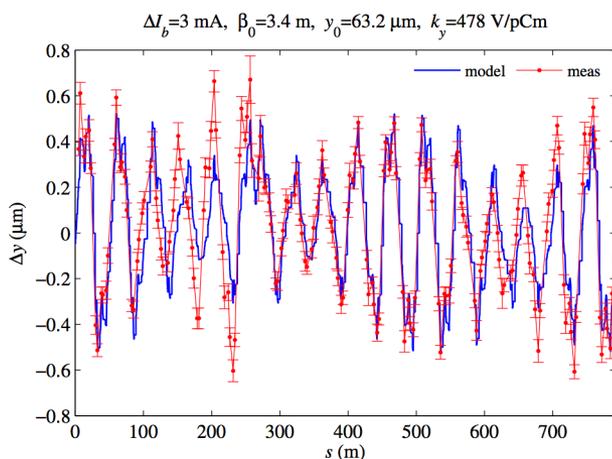
current-dependent orbit distortion  $\Delta y(s) = \frac{\Delta q_b}{E/e} k_y y_0 \overset{\text{bump}}{\sqrt{\beta(s_0)\beta(s)}} \frac{1}{2 \sin \pi \nu_\beta} \cos(|\mu(s) - \mu(s_0)| - \pi \nu_\beta)$

## AC orbit bump: using 4 fast correctors, in-phase 20 Hz sine-wave excitation

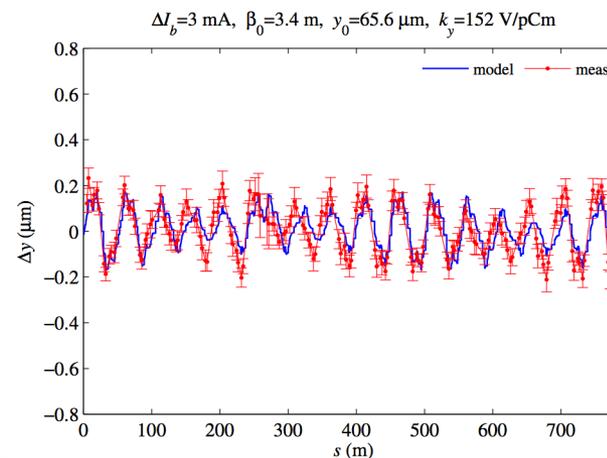
- orbit from 10s FA BPM data (synchronous detection);
- no hysteresis effect, no orbit drift effect.



IVU10 gap  
6 mm



IVU10 gap  
25 mm



# Real-time redistribution of the fast correctors' strengths to the paired slow correctors

X. Yang, Y. Tian, L.-H. Yu, V. Smaluk, "Experimental demonstration of the current shifting between fast and slow correctors in NSLS-II SR when the FOFB on", NSLS-II Technical Note 242 (2017).

- The maximal kick angle of a fast corrector is 0.015 mrad (limited by PS maximal current of 1.2 A).
- Possible reasons of moving fast correctors to saturation: long-term drift, local bumps, changing ID gaps, orbit correction.
- We choose 90 slow correctors, which are paired with 90 fast correctors, to perform the shift. Then there is always a unique solution, which guarantees the convergence.

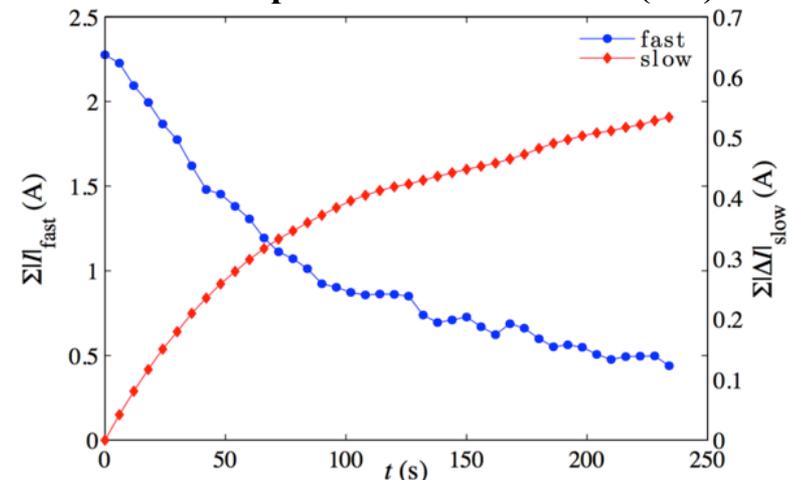
The procedure, which is applicable to horizontal ( $X$ ) and vertical ( $Y$ ) planes separately, is the following:

1. Varying one of 90 slow correctors paired with the fast correctors in bipolar mode  $\pm 0.5$  A, find the orbit difference  $\Delta X$ .
2. Correction of the orbit difference  $\Delta X$  using all 90 fast correctors and the model orbit response matrix. The resulting vector of the fast corrector currents is one column of the slow-to-fast matrix  $\mathbf{M}_{s \rightarrow f}$ .
3. Repeating steps 1 and 2 for all those 90 slow correctors to obtain the full  $90 \times 90$  slow-to-fast matrix  $\mathbf{M}_{s \rightarrow f}$ .
4. Inverting the square matrix  $\mathbf{M}_{s \rightarrow f}$  to obtain the fast-to-slow matrix  $\mathbf{M}_{s \rightarrow f}^{-1}$ .

Thus the vector of additional currents  $\Delta \mathbf{I}_s$  of these 90 slow

correctors required for compensation of the fast corrector currents  $\mathbf{I}_f$  is:  $\Delta \mathbf{I}_s = \mathbf{M}_{s \rightarrow f}^{-1} \mathbf{I}_f$

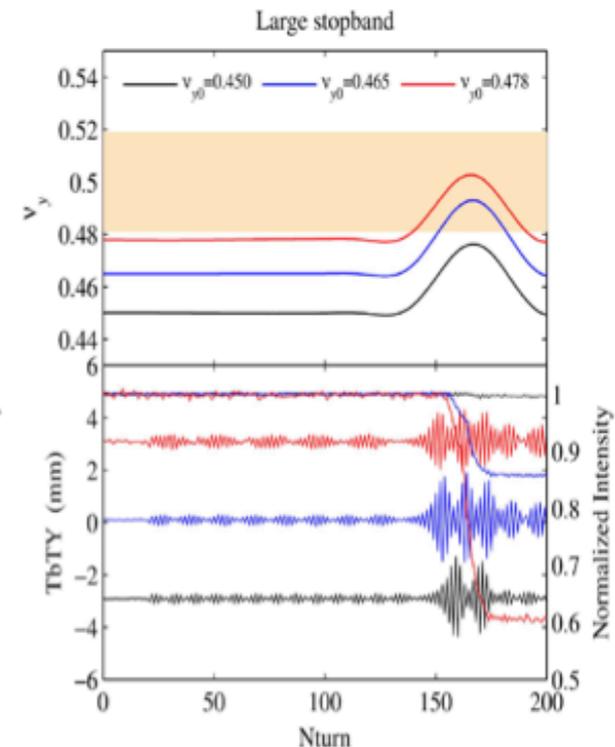
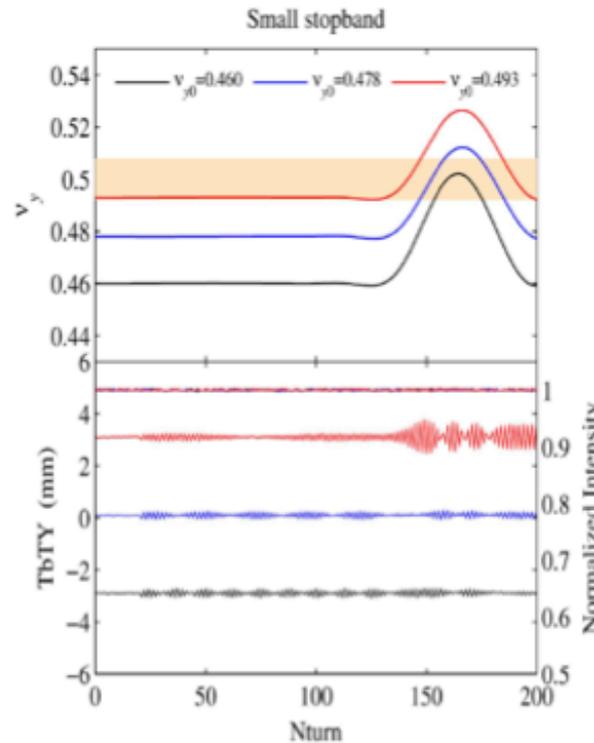
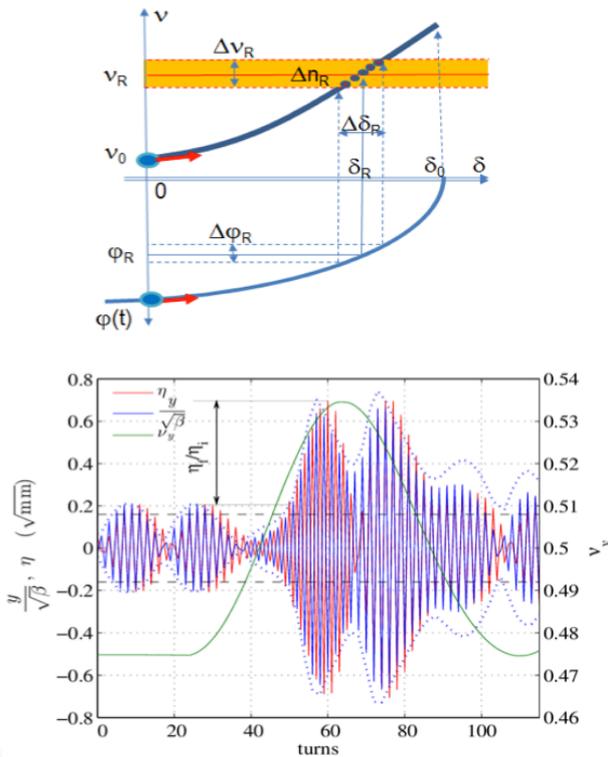
**Sum  $I$  of all horizontal fast correctors (blue) and sum  $\Delta I$  of all paired slow correctors (red).**



# Lossless crossing of a half-integer resonance

*G-M. Wang, T. Shafiq, J. Rose, V. Smaluk, Y. Li, B. Holub, "Experiments of lossless crossing-resonance with tune modulation by synchrotron oscillations", NAPAC'16, Chicago, 2016 (WEPOB65).*

- Modern high-performance circular accelerators require sophisticated corrections of nonlinear beam dynamics. The beam betatron tune footprint may cross many resonances, which may cause particle loss and reduce dynamic aperture.
- The half-integer resonance poses concerns in many accelerators, such as modern synchrotron light sources, heavy ion medical accelerators and non-scaling FFAG accelerators.
- Our results convincingly demonstrate that particles can cross a half-integer resonance without being lost if the passage is reasonable fast and the resonance stopband is sufficiently narrow.

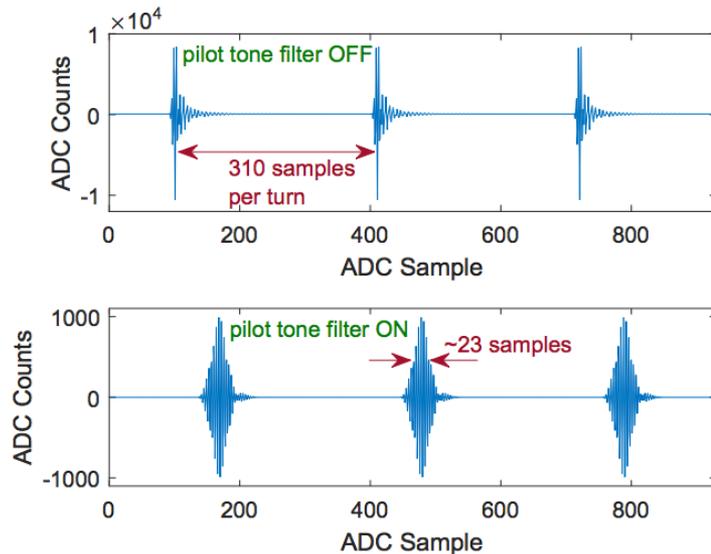


# Gated turn-by-turn BPM data

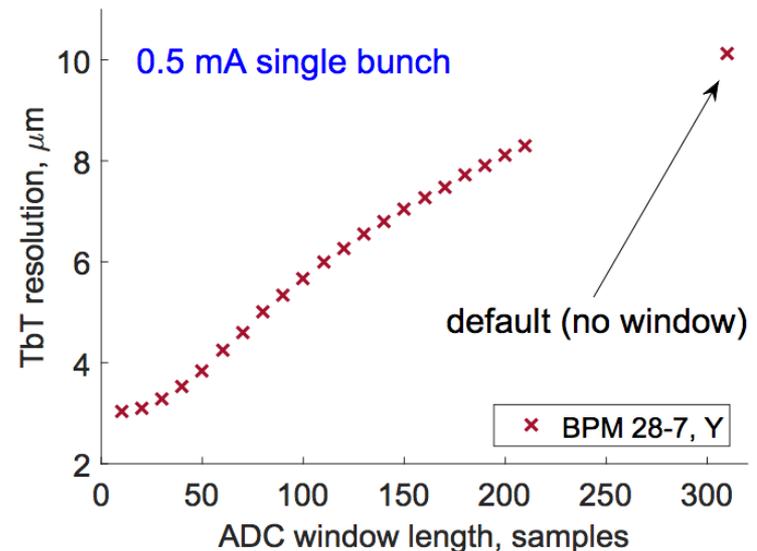
B. Podobedov, W.X. Cheng, K. Ha, Y. Hidaka, J. Mead, O. Singh, K. Vetter. "Single micron single-bunch turn-by-turn BPM resolution achieved at NSLS-II". IPAC'16, Busan, 2016 (WEOBB01).

- Single-bunch resolution of NSLS-II BPMs was improved by an order of magnitude to about one micron turn-by-turn at 1 nC per bunch by special processing of ADC signals.
- The new capability of resolving turn-by-turn signals from up to 8 bunches stored in the ring is useful for sensitive measurements of collective effects or single particle dynamics.
- Having this capability on all NSLS-II RF BPMs is valuable for sensitive measurements of collective effects and non-linear beam dynamics. It allows us to simultaneously measure bunches with different charges (or kick amplitudes) thus eliminating harmful effects of machine drifts.

## 3 turns of raw ADC data; 0.5 mA single bunch



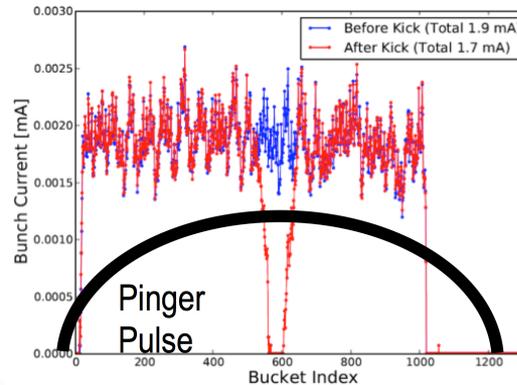
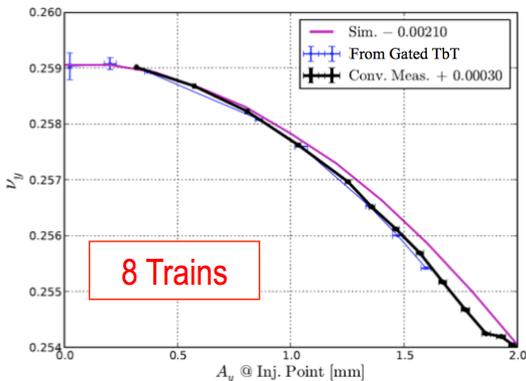
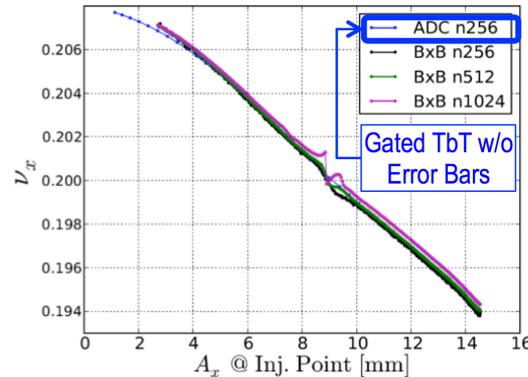
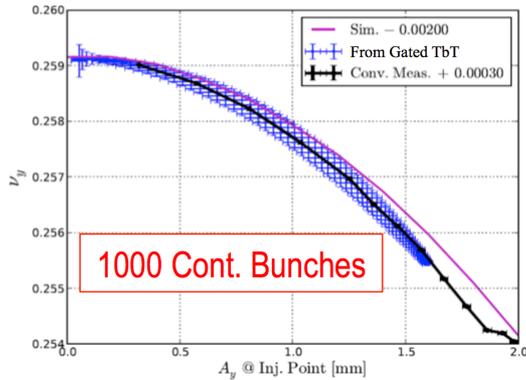
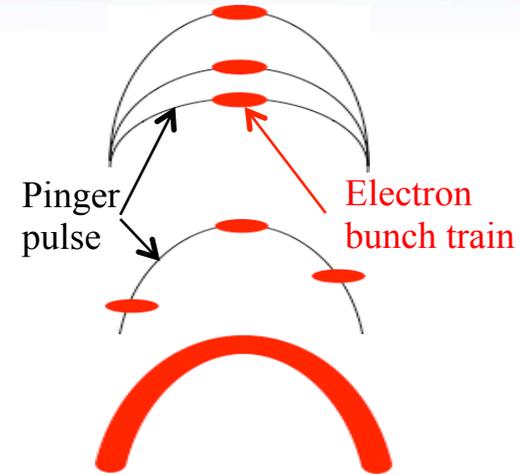
## Resolution vs. ADC signal window length



# Single-shot measurement of the tune shift with amplitude

Y. Hidaka, W. Cheng, B. Podobedov, NAPAC 2016.

- Accuracy of conventional amplitude-dependent tune shift measurement is affected by short-term tune jitter and long-term machine drift.
- Place trains of bunches in a ring with or without gaps to sample different amplitudes with a single pulse of a kicker.
- Now we need to obtain TbT data for each train kicked with different amplitude.
  - ✓ Data Type #1: New unique NSLS-II BPM capability: Gated turn-by-turn (TbT) BPM data that resolve groups of bunches within a turn.
  - ✓ Data Type #2: Use bunch-by-bunch (BxB) data from BxB feedback system.

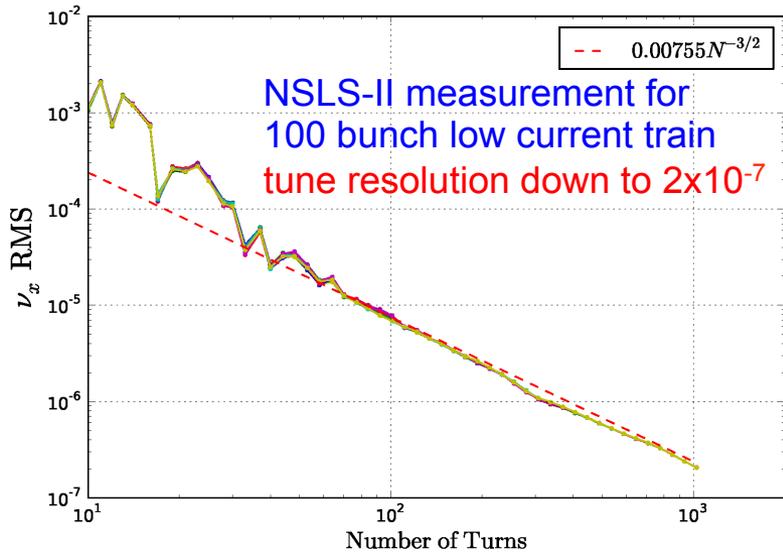
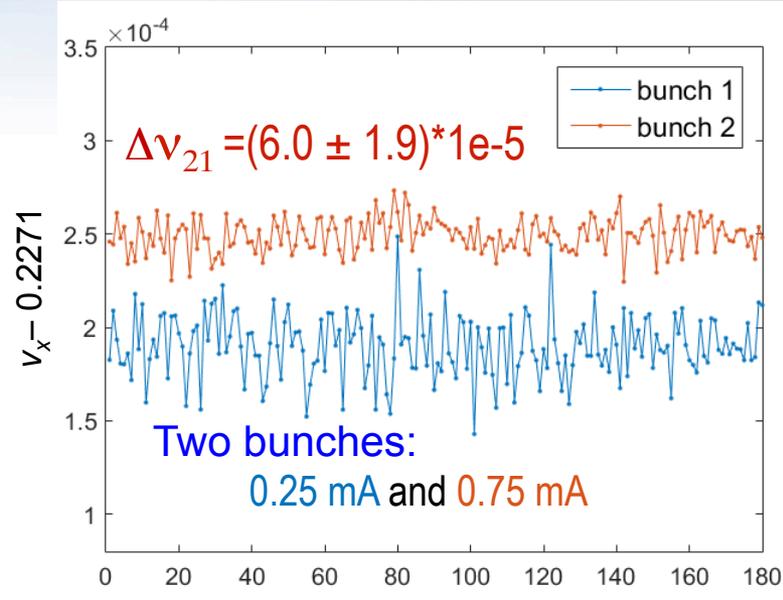
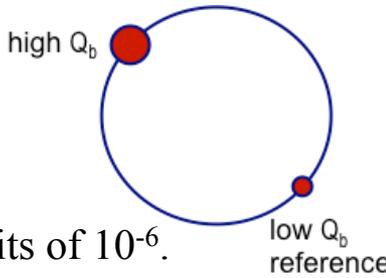


- Successful single-shot tune shift measurements obtained.
- Combination of BxB data with gated TbT amplitude data shows clear distortion around  $\nu_x = 0.2$  ( $5\nu_x$  resonance).
- Also single-shot dynamic aperture (DA) measurement is also possible with pinger & fill pattern monitor.

# Accurate impedance measurements using gated turn-by-turn BPM data

B. Podobedov, W.X. Cheng, Y. Hidaka,  
IPAC'16, IBIC'16.

- At NSLS-II, transverse tunes could be measured very accurately,  $<10^{-6}$ , but tune stability is only  $\sim 10^{-4}$ .
  - We figured out how to accurately measure tunes of different charge bunches stored together.
  - **Example:** ping two stored bunches. From simultaneously recorded TbT positions get the tunes of each bunch.
  - Tune difference is resolved to few units of  $10^{-6}$ .
- => Very small current-dependent tune-shifts can be measured.
- => Combined with local bumps we can measure very small impedances of vacuum chamber components



resolve tunes to  $10^{-6}$

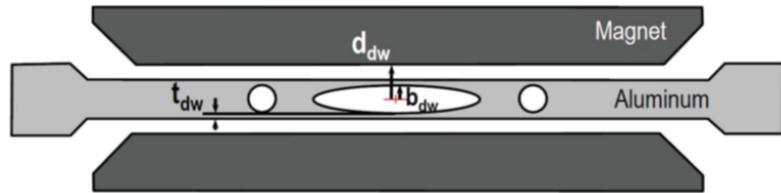
$$\delta k_{kick} = 4\pi \delta(\nu_{low Q_b} - \nu_{hi Q_b}) \frac{E/e}{\Delta Q_b < \beta_x >}$$

↑  
get kick factors as low as 10 V/pC/m\*  
\*assumed 1 nC,  $\beta=4$  m, 3 GeV,  $\sigma=20$  ps

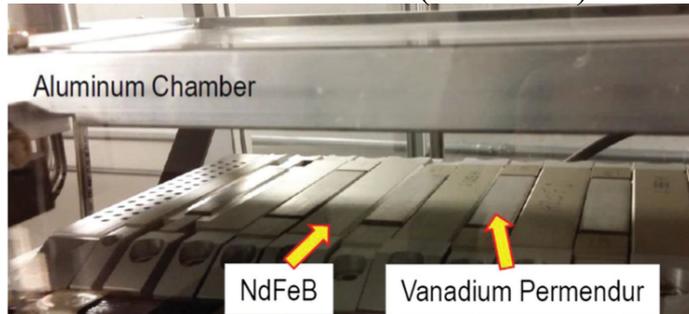
# Low-frequency quadrupole impedance of undulators and wigglers

A. Blednykh, G. Bassi, Y. Hidaka, V. Smaluk, G. Stupakov, "Low-frequency quadrupole impedance of undulators and wigglers", Phys. Rev. Accel. Beams 19, 104401 (2016).

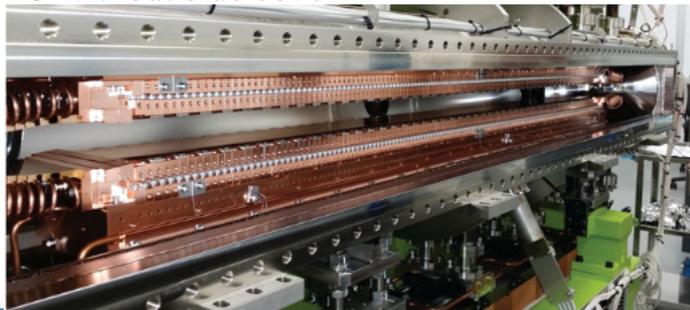
Damping wiggler chamber cross section with magnet gap closed,  $d_{dw} > t_{dw} + b_{dw}$  and  $t_{dw} \ll b_{dw}$ .



Damping wiggler at open position and the aluminum vacuum chamber (side-view)



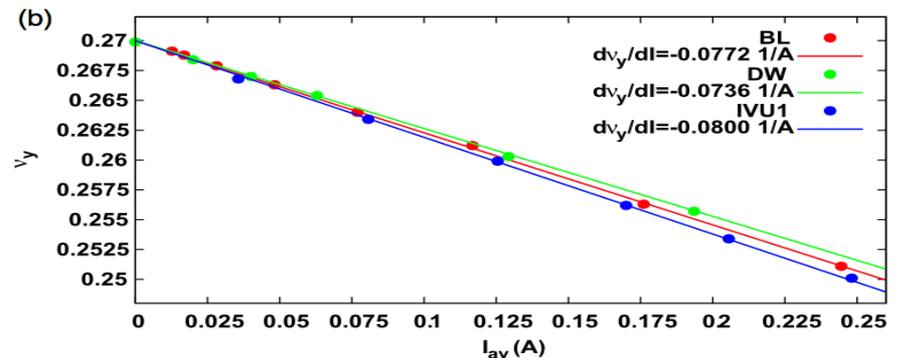
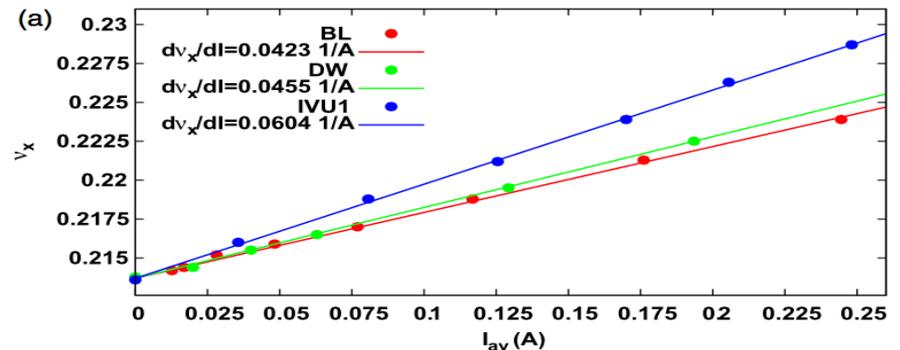
IVU without side cover



$$Z_{Q_{x,y}}^{IVU}(d) = \pm i \frac{\pi^2}{12c(d-t)^2} \left( 1 + 2 \frac{(d-t)^2}{d^2} f(\eta) \right)$$

$$Z_{Q_{x,y}}^{DW}(d) = \pm i \frac{\pi^2}{12cb^2} \left( 1 + \frac{2b^2}{d^2} f(\eta) \right)$$

$$\Delta\nu_{x,y} = \frac{I_{av}L}{4\pi E/e} \beta_{x,y} \text{Im}Z_{Q_{x,y}}(0),$$

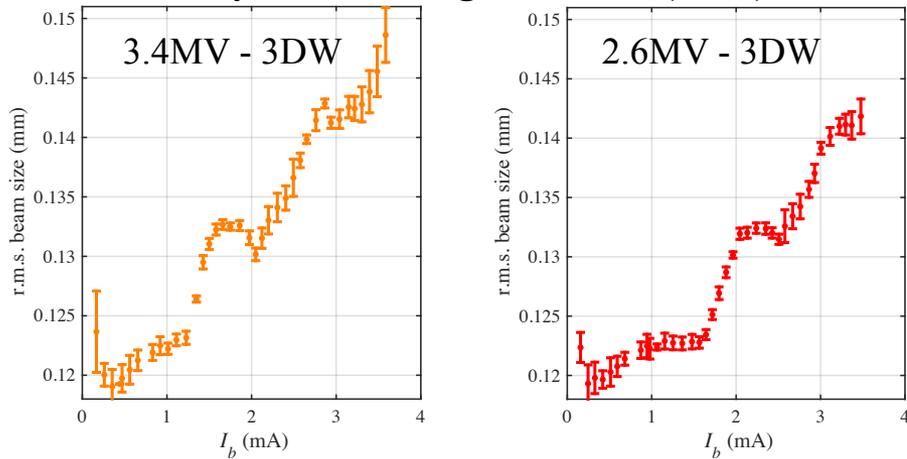


# Microwave instability studies

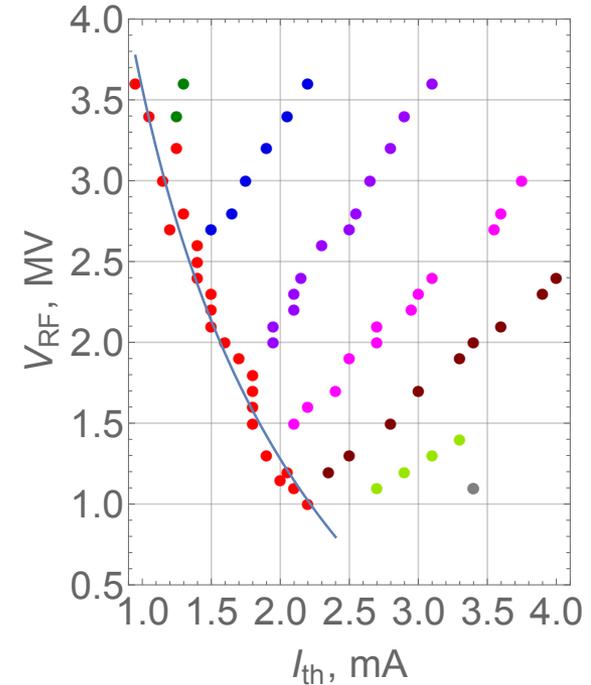
*A. Blednykh, B. Bacha, G. Bassi, Y. Chen-Wiegart, W.X. Cheng, O.V. Chubar, A.A. Derbenev, V.V. Smaluk, "Microwave instability studies in NSLS-II", NAPAC'16, Chicago, 2016 (WEA1CO05).*

*A. Blednykh, B. Bacha, G. Bassi, W. Cheng, K. Chen-Wiegart, O. Chubar, M. Rakin, V. Smaluk, M. Zhernenkov, "Numerical and experimental studies of the microwave instability", NSLS-II Technical Note 239 (2017).*

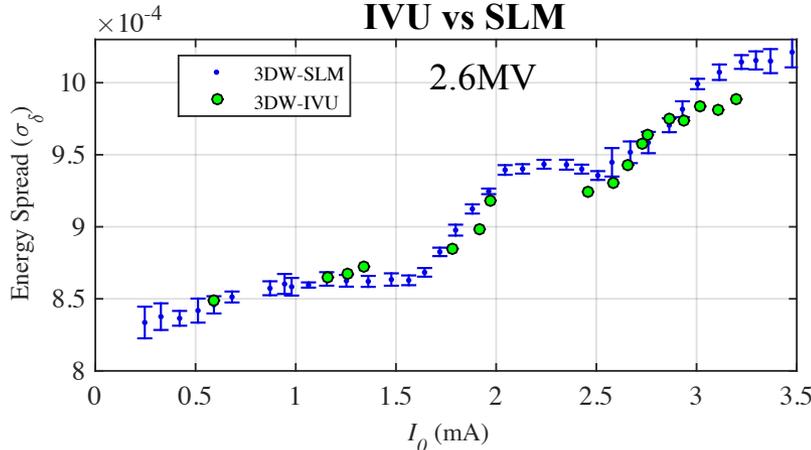
## Synchrotron Light Monitor (SLM)



Summary of the measured single-bunch instability thresholds at different RF voltages for 3DW lattice



## IVU vs SLM

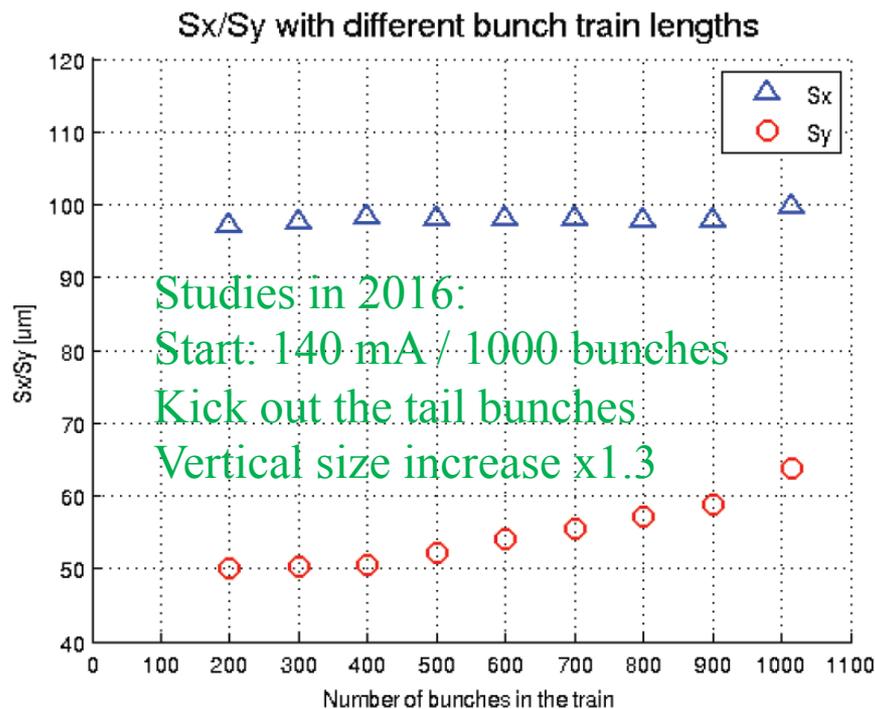
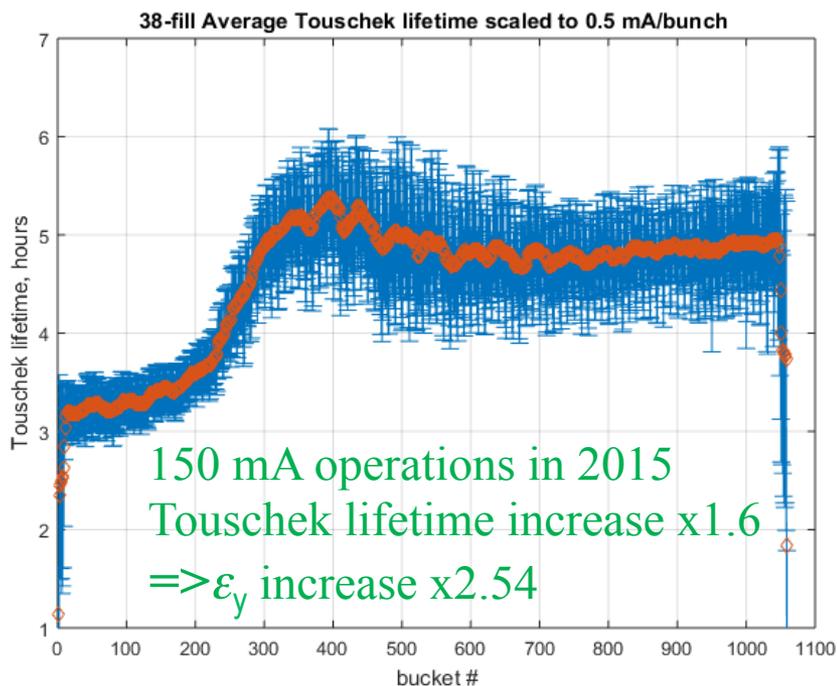


IVUs of SMI, SRX, IXS and SMI beamlines used as diagnostic tools to determine the energy spread.

# Fast ion instability at NSLS-II

*W. Cheng, Y. Li, B. Podobedov, "Experimental evidence of ion-induced instabilities in the NSLS-II storage ring", Accepted for publication in NIM A (2017).*

- Numerous evidence of fast-Ion instability has been observed at NSLS-II.
- Instability improves with vacuum conditioning, but it is still present, esp. at low  $\epsilon_y$ .
- Touschek lifetime increases along the bunch train => implies vertical beam size blow-up.
- Bunch-by-bunch feedback cures the centroid motion, not the beam size blow-up => could be a challenge for higher brightness light sources.



# Beam dynamics with 3rd Harmonic Cavity

G. Bassi

## Storage Ring Parameters

Parameter	Value
Beam energy	E = 3GeV
Average Current	I = 500mA
Number of bunches	M = 1000
Harmonic number	h = 1320
Circumference	C = 792m
Bunch length w/o HC	$\sigma_{\tau} = 14.5$ ps
Energy loss per turn	$U_s = 664$ keV
Long. radiation damping	$\tau_{\text{rad}} = 11.9$ ms

## SC Cavity System

**2 MAIN** cavities+ **3rd HARMONIC** cavity

Per cavity parameter	Value
RF frequency (main)	$f_{\text{rf}} = 499.68$ MHz
RF frequency (3rd harmonic)	$3f_{\text{rf}} = 1499.04$ MHz
RF voltage (main)	V = 1.23MV
Beta coupling	$\beta = 9615$
Shunt impedance (main)	$R_L = 33375$ M $\Omega$
Quality factor (main)	$Q_L = 78000$
Shunt impedance (Landau)	$R_H = 22880$ M $\Omega$
Quality factor (Landau)	$Q_H = 2.6 \times 10^8$

## Theoretical Bunch Lengthening from Active 3rd HC

bunch lengthening  $u$  for an equilibrium distribution  $\rho_e$  in quartic potential

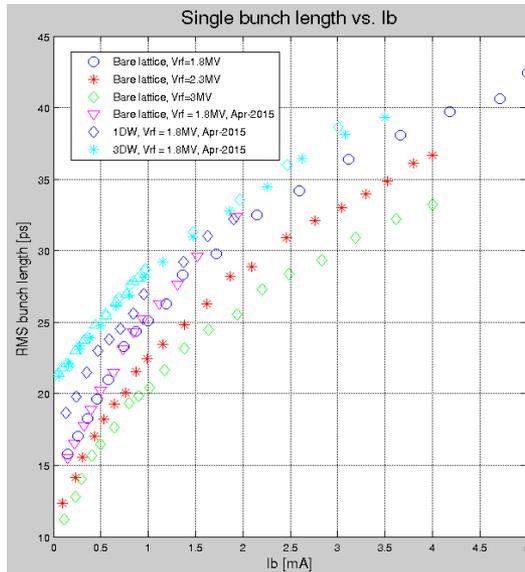
$$u := \frac{\sigma_{\tau L}}{\sigma_{\tau m}} = \left( \frac{\Gamma(3/4)}{\Gamma(1/4)} \right)^{1/2} \left( \frac{24 \cos \phi_{s0}}{(m^2 - 1)\omega_{rf}^2 \cos \phi_s} \right)^{1/4} \frac{1}{\sqrt{\sigma_{\tau m}}} \quad (18)$$

where  $\Gamma$  is the Gamma function,  $\sigma_{\tau m} = \frac{\eta}{\omega_{s0}} \sigma_{\delta}$  is the equilibrium bunch length with only the main cavity, and  $\sigma_{\tau L}$  is the equilibrium bunch length with the Landau cavity. The

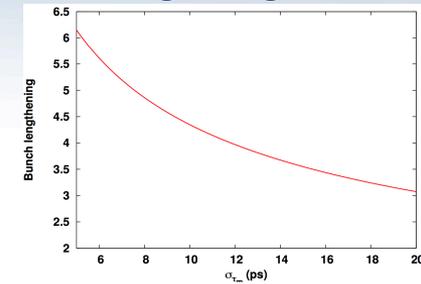
For the NSLS-II with  $\sigma_{\tau} = 14.5$ ps:  $u = 3.7$

## Bunch lengthening measurements: ~ 10ps/1mA

(W.Cheng, B. Bacha, Mar 4, 2016)

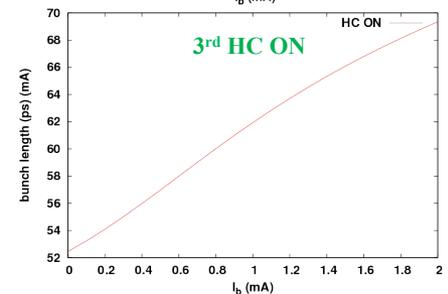
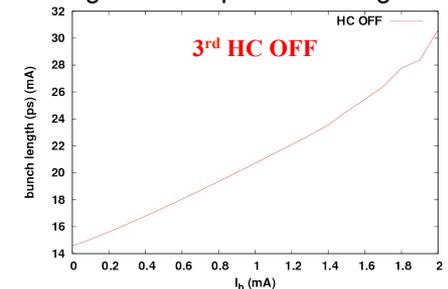


## Bunch lengthening factor $u$



## Simulations of active HC + bunch lengthening (uniform fillings)

**SPACE** simulations with the current longitudinal impedance budget



Bunch lengthening from 3rd HC weakly affected by longitudinal Impedance

# Self-consistent Parallel Tracking Code **SPACE**

(**S**elf-consistent **P**arallel **A**lgorithm for **C**ollective **E**ffects)

*G. Bassi, A. Blednykh and V. Smaluk, “Self-consistent simulations and analysis of the coupled-bunch instability for arbitrary multi-bunch configurations”, Phys. Rev. Acc. Beams 19, 024401, (2016).*

## General Features and Capabilities

- Efficient study of short and long-range wakefield effects in 6D phase-space.
- Study of slow head-tail effect + coupled-bunch instabilities.
- Passive higher harmonic cavity effects with arbitrary fillings.
- Microwave instability. Efficient density estimation methods from particles.

## General Parallel Structure

- $M$  bunches each with  $N$  simulation particles distributed to  $M$  processors.
- Short-range (single bunch) wakefield interaction calculated in serial (locally).
- Long-range wakefield calculation done in parallel (globally) via master-to-slave processor communications by storing the “history” of bunch moments.
- For efficient study of microwave instability, the calculation is done in parallel by distributing  $N/M$  simulation particles to  $M$  processors.

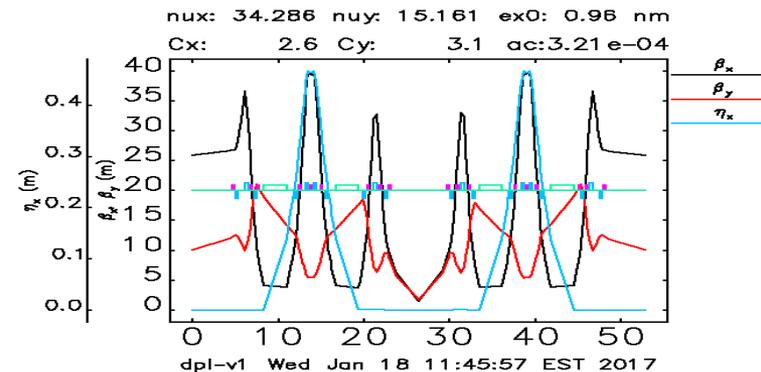
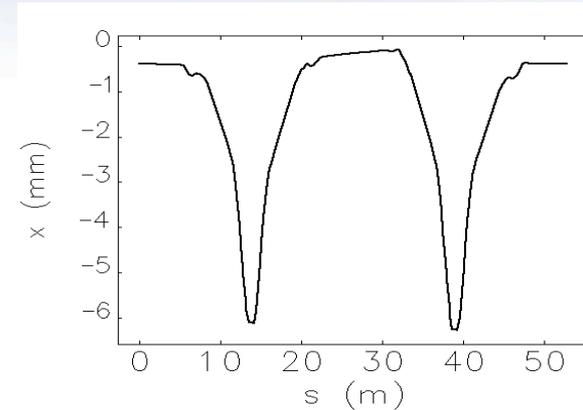
## Future Additions

- Model transverse feedback system, ion effects, LLRF.

# High-brightness lattice upgrade

W. Guo, E. Blum

- Minimizing  $\langle H \rangle$ :
  - theoretical limit: 1nm vs 2nm; theoretical minimal  $\beta_x$ : 0.25m vs 0.68m;
  - **Not effective**, 10-15% reduction limited by the sextupole strength.
- Relaxing the achromat condition(long straights only): theoretical 0.7nm
  - 50% reduction achievable while maintaining similar lattice functions;
  - Damping wiggler sections must be dispersion-free;
  - ID provides excitation rather than damping;
  - Users of the long straights will not benefit.
- 4-bend achromat: major upgrade, challenging nonlinear optimization, emittance 0.5nm.
- Emittance reduction by changing damping partition:**
  - ✓ Increase dipole current by about 5-10A;
  - ✓ Peak orbit change is about -6mm;
  - ✓ Rematch the quadrupoles.
  - ✓ 3-pole wiggler beamline needs to be realigned.
    - The angular deviation is 0.7mrad (pointing outboard); however it stays within the present front end acceptance of 3.25mrad.
  - ✓ Ray tracing and top-off must be redone to ensure radiation protection.
  - ✓ Interlock values must be re-set.
  - ✓ Emittance with 3-DW is 0.6nm



Emit	Sig d	Jx	JE
1 nm	0.06%	1.58	1.42
2 nm	0.05%	1.0	2.0

# Summary

- Linear lattice correction.
- Nonlinear beam dynamics.
- Orbit correction and feedbacks.
- Beam diagnostics methods.
- Collective effects, impedances and instabilities.
- Beam dynamics with 3rd Harmonic Cavity.
- New light-generating devices.
- Injector optimization.
- High-brightness lattice upgrade.
- UED/UEM project (LDRD).
- Beam-beam interaction studies for a ring-ring based electron-ion collider (LDRD).

Thank you for your attention!