



# Assignment of gamma-intensity uncertainties based on authors' general statement

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U.S. DEPARTMENT OF  
**ENERGY**

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# One common scenario for reported uncertainties in $I_g$

*Very often encountered by evaluators, mostly seen in a footnote of a gamma-ray data table:*

<sup>a</sup> The intensities are normalized to the 188.5 keV transition. The errors are 5% for the strongest peak and 40% for the weaker ones.

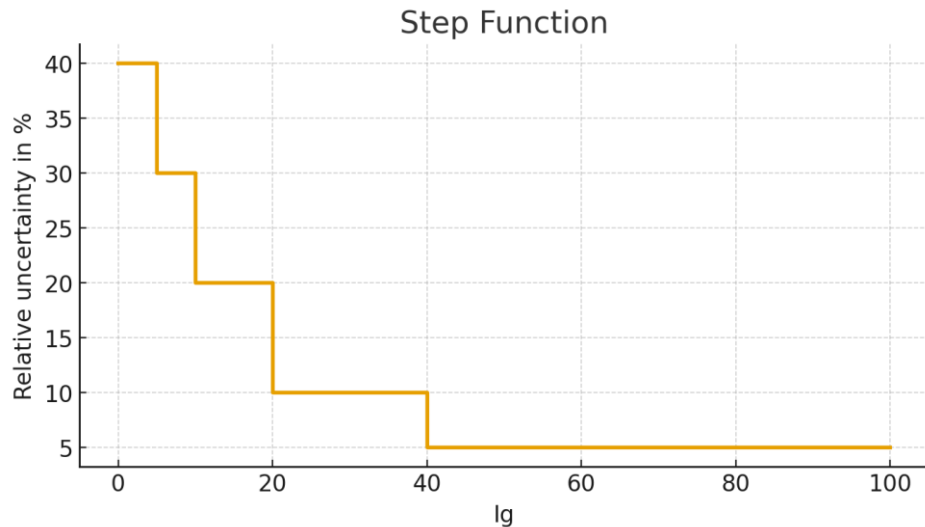
*where uncertainties in intensities are not explicitly given and the evaluators must make educated guess for different  $I_g$  values based on the statement, like, using a step function of percentage uncertainties,*

The evaluators have assumed the following uncertainties for  $I_g$  values: 40% for  $I_g < 5$ , 30% for  $I_g < 10$ , 20% for  $I_g < 20$ , 10% for  $I_g < 40$ , and 5% for  $I_g > 40$ .

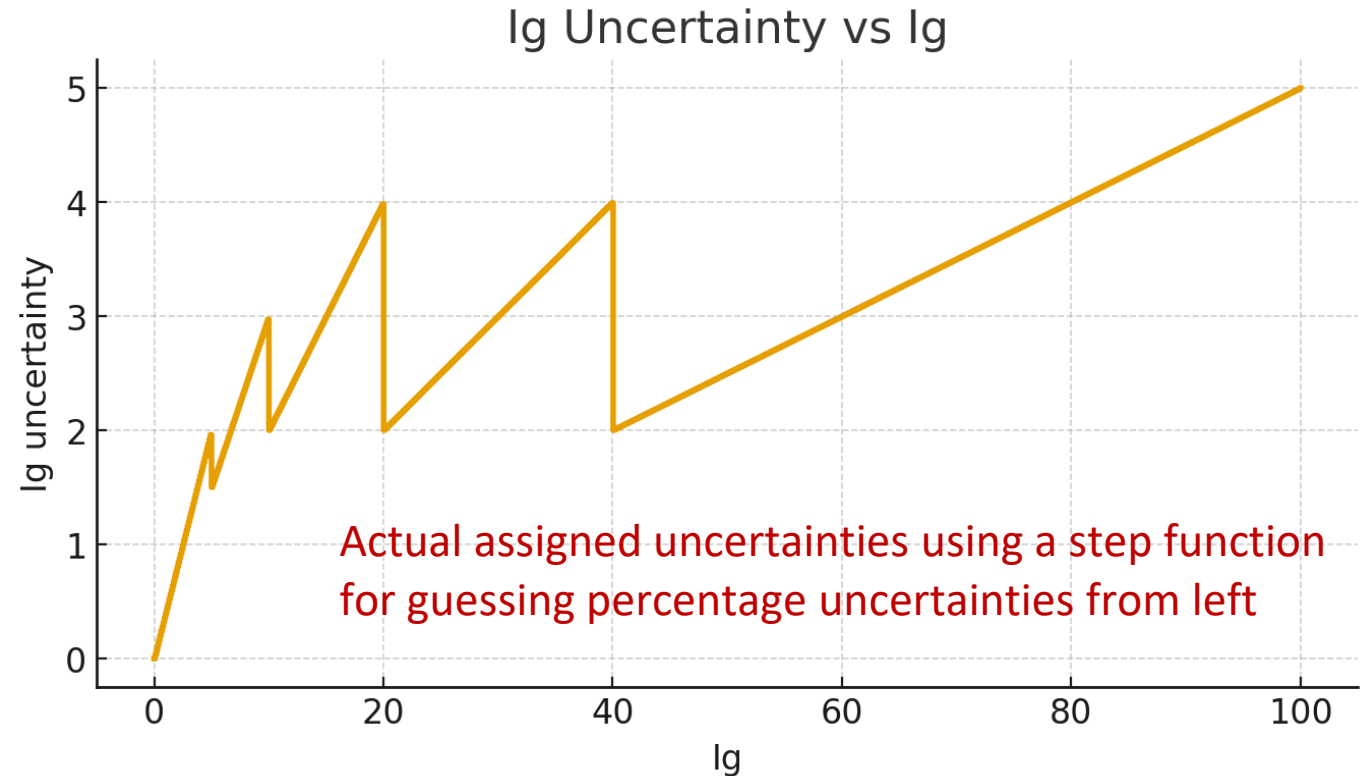
# Problem with the educated guess using a step function

## Evaluator's guess using step functions:

The evaluators have assumed the following uncertainties for  $I_g$  values: 40% for  $I_g < 5$ , 30% for  $I_g < 10$ , 20% for  $I_g < 20$ , 10% for  $I_g < 40$ , and 5% for  $I_g > 40$ .



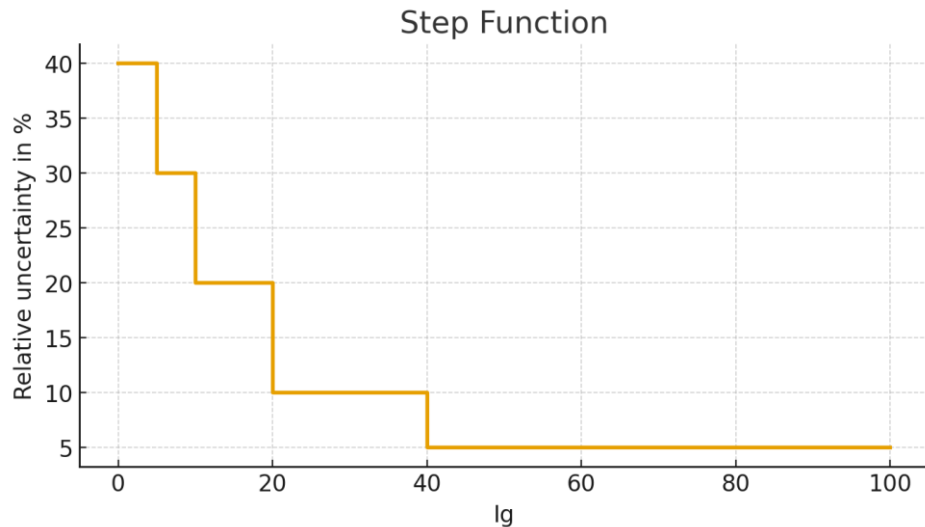
**Percentage uncertainties** for  $I_g$  values in different ranges from an educated guess using step function



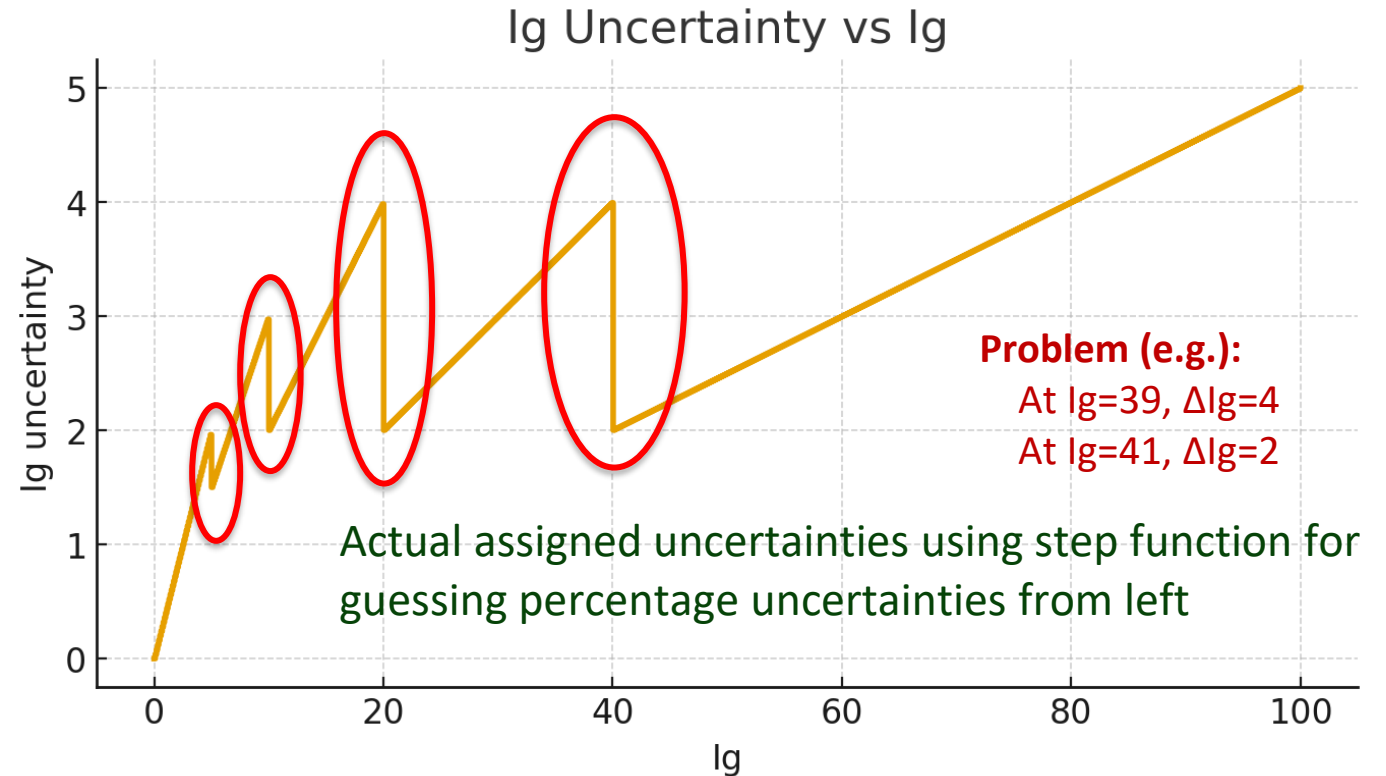
# Problem with the educated guess using a step function

Evaluator's guess using a step function (often used):

The evaluators have assumed the following uncertainties for  $I_g$  values: 40% for  $I_g < 5$ , 30% for  $I_g < 10$ , 20% for  $I_g < 20$ , 10% for  $I_g < 40$ , and 5% for  $I_g > 40$ .



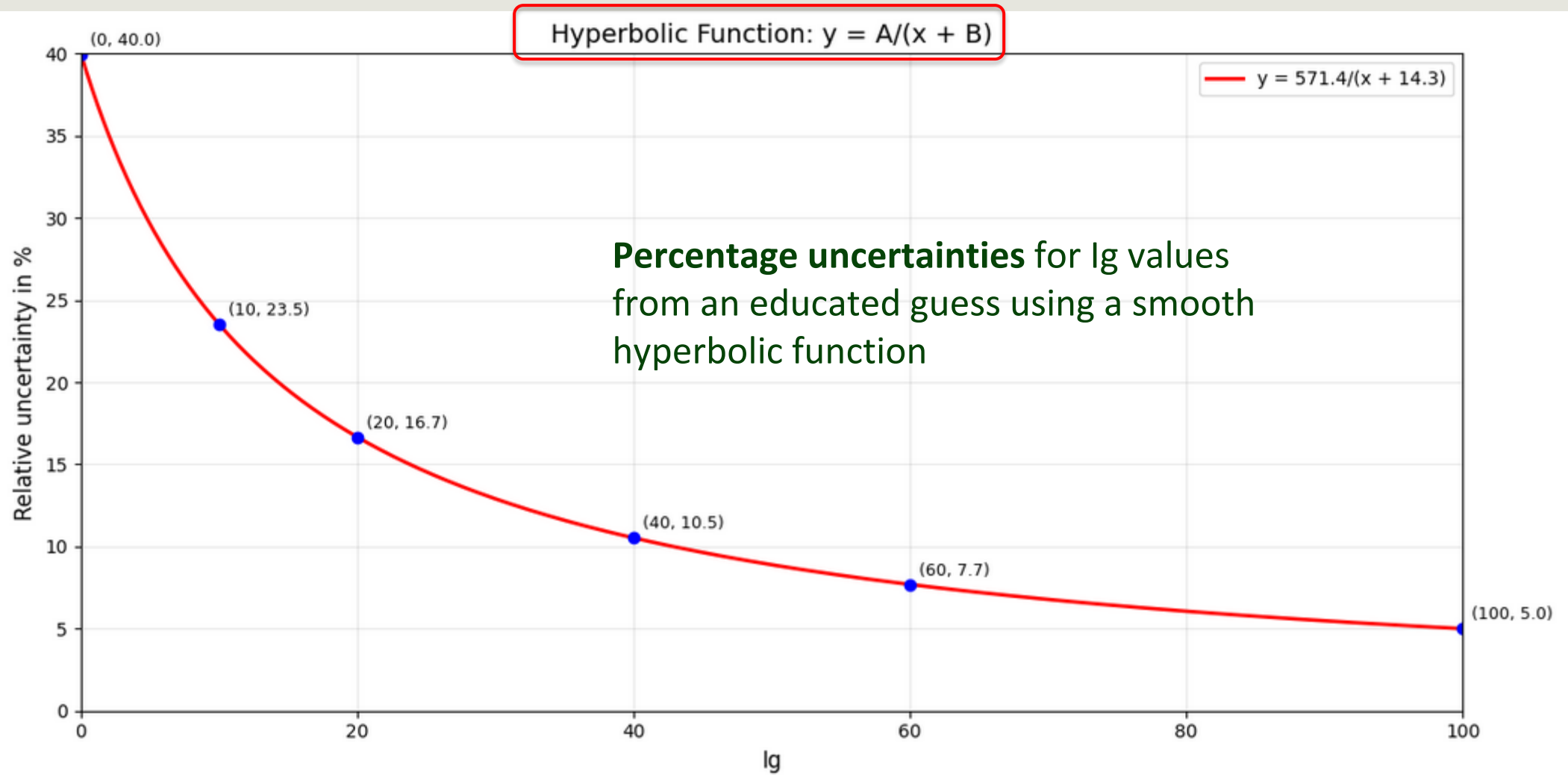
**Percentage uncertainties** for  $I_g$  values in different ranges from an educated guess using step function



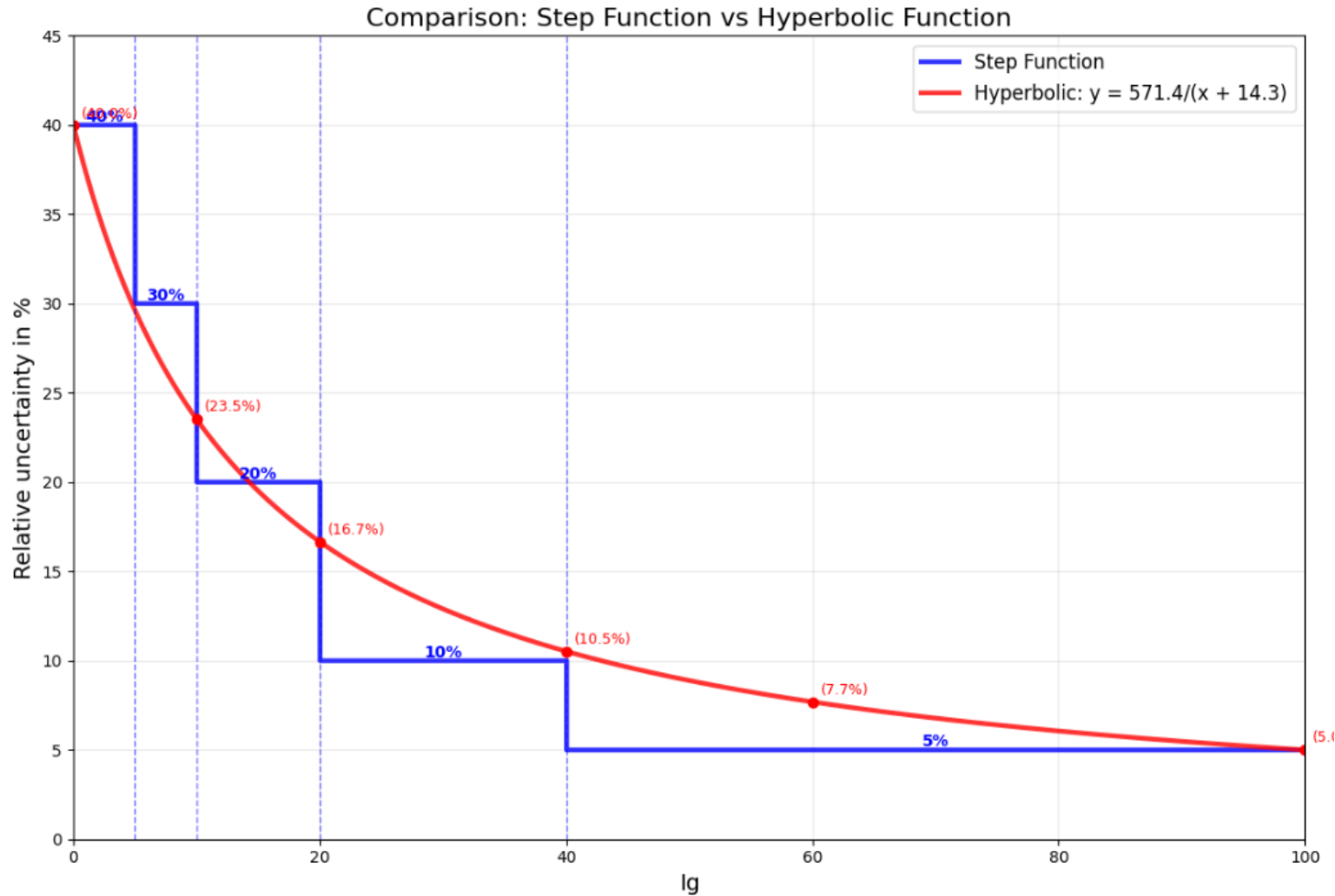
**Problem:** close  $I_g$  values at different sides of jump points have very different uncertainties, which makes no sense (circled area)

**Expected:** smoothly-varied uncertainty

# Using a smooth function for educated guess

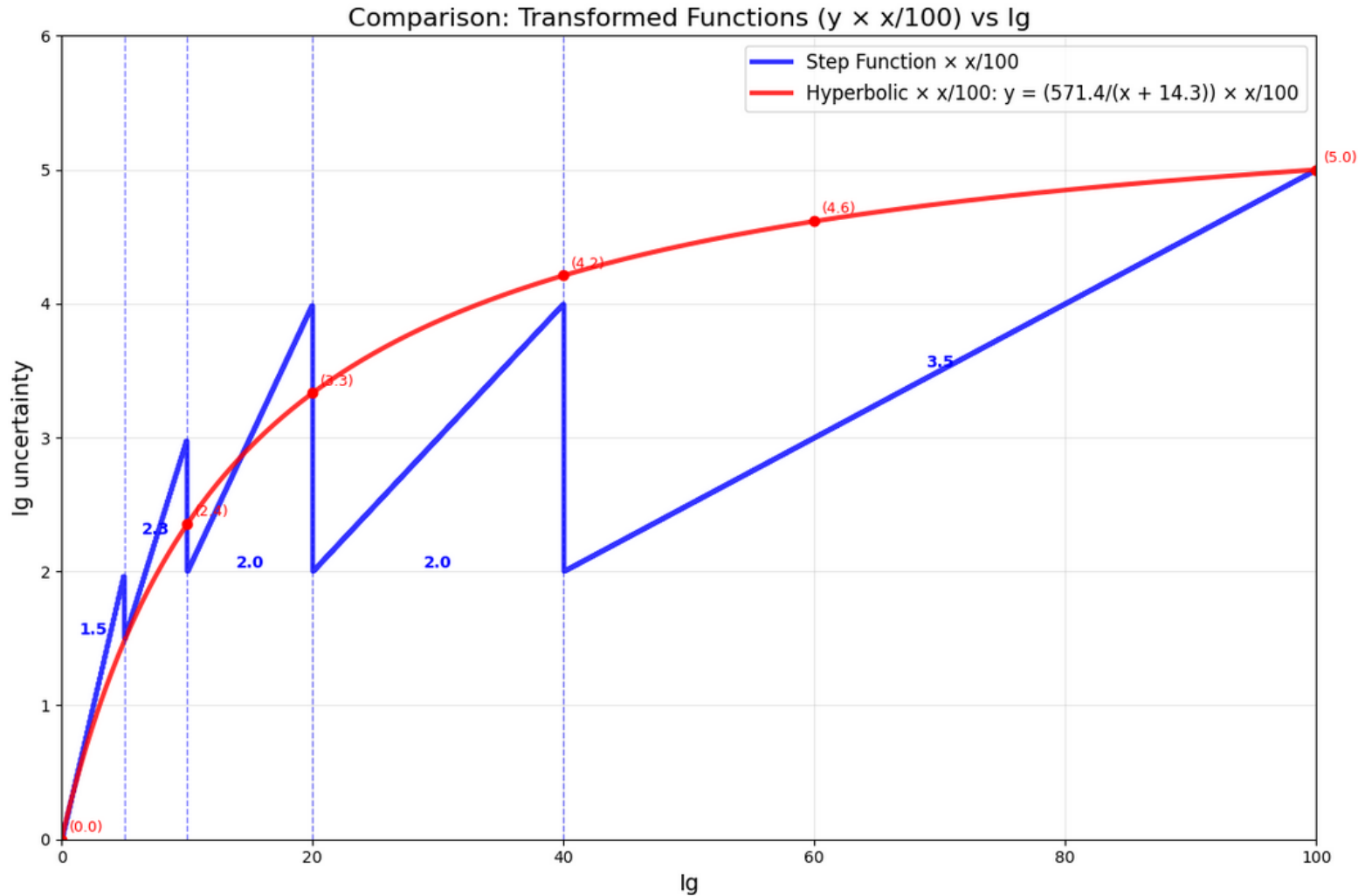


# Using a smooth function for educated guess



**Percentage uncertainties** for lg values:  
comparison of a smooth hyperbolic  
function with a step function

# Using a smooth function for educated guess



**$\lg$  uncertainties** for different  $\lg$  values:  
comparison of a smooth hyperbolic  
function with a step function

With a hyperbolic function for guessing  
percentage uncertainty, the  $\lg$  uncertainty  
varies smoothly as expected. The only  
“downside” might be that it tends to assign  
a constant uncertainty for strong  $\lg$  values  
( $\lg > 60$  in this case) --- more conservative  
than using a step function

# A simple hyperbolic function

For authors' general statement on percentage  $I_g$  uncertainties:

<sup>a</sup> The intensities are normalized to the 188.5 keV transition. The errors are 5% for the strongest peak and 40% for the weaker ones.

Guess percentage uncertainty using a simple hyperbolic function:

$$\text{percentage uncertainty } P = \frac{A}{B + I_g}$$

Applied to this case:

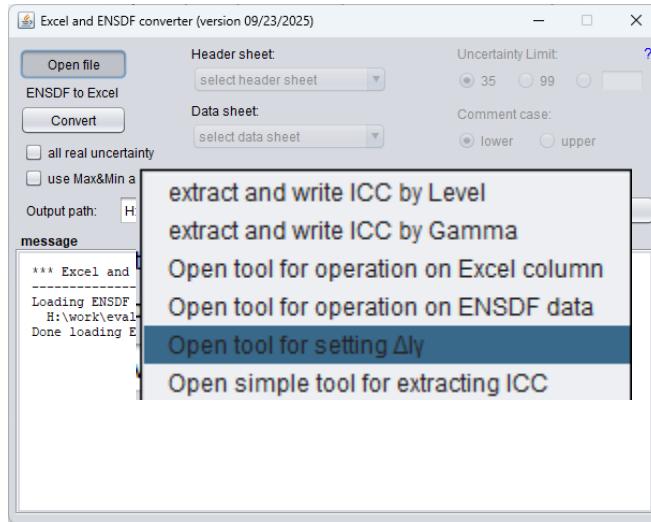
$$\% \left( \frac{\Delta I_\gamma}{I_\gamma} \right) = \frac{571.4}{14.3 + I_\gamma}$$

Constants **A** and **B** are determined by:  
P=5 at  $I_g=100$  for the strongest  
P=40 at  $I_g=0$  for the weakest  
(the weakest point can also be set at a different  $I_g$ , like  $I_g=5$ )



# A tool for setting $\% \left( \frac{\Delta I_\gamma}{I_\gamma} \right)$ in a dataset

For setting  $I_\gamma$  uncertainties to  $I_\gamma$  values in a dataset, based on authors' general statement on percentage  $I_\gamma$  uncertainties using a hyperbolic function as an educated guess:



Setting uncertainty for gamma intensi...

Set relative  $\Delta I_\gamma / I_\gamma$  based on RI range for empty  $\Delta I_\gamma$

☐ set by individual RI ranges

lower RI	upper RI	set $\% \Delta I_\gamma / I_\gamma$
0	10	20
10	20	15
20	40	10
40	100	5

☒ estimate by a function for a given range of  $\% \Delta I_\gamma / I_\gamma$

Step#3  $\% \Delta I_\gamma / I_\gamma$  estimated by:  $a / (RI + b)$

from min(%)= 5 to max(%)= 40

at max RI= 100 at min RI=0

With a= 571.4 b= 14.3

☐ reset all existing non-empty  $\Delta I_\gamma$

Do operation

Generate comment

Eval: at RI=   $\% \Delta I_\gamma / I_\gamma$ =   $\Delta I_\gamma$ =

New output: "dataset\_after\_setting\_DRI.out"

Generated generic comment:

```
223RA cG RIBased on the general statement that the uncertainty ranges from 5%
223RA2cG for strong lines to 40% for weak lines, the evaluators have estimated
223RA3cG and assigned uncertainties using a smoothly-varying function of I|g
223RA4cG values, that is,  $\% (|DI|g/I|g) = A / (I|g + B)$ , with A=571 and B=14 determined
223RA5cG from 5% at I|g=100 and 40% at I|g close to 0
```

Step#1: In Excel2ENSDF code  
Load the ENSDF dataset

Step#2: right click on a blank area,  
select "open tool for setting  $\Delta I_\gamma$ "