



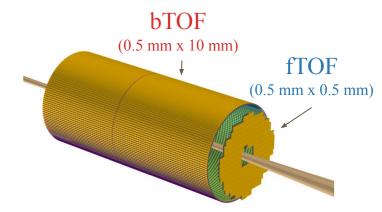
Effect of Time of Flight layer on PID efficiency of dRICH

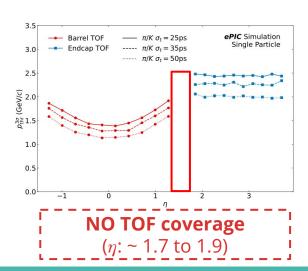
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Reconstruction WG Meeting (03 November 2025)

Aim & Motivation

- Aim: To understand the role of fTOF in terms of PID efficiency of dRICH
 - π-K separation
 - e-π separation
- Addition of TOF is expected to provide an additional hit point for improved track reconstruction
 - Causes multiple scattering (for low momentum particles)
 - Expensive (AC-LGAD sensor) technology



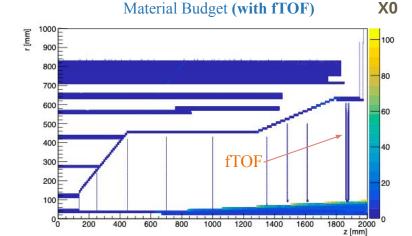


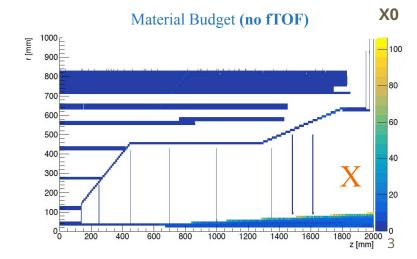
Two-step approach

- 1. Change in geometry (removal of fTOF layer in config .yml file)
 - Dedicated <u>geometry file</u> for generation of material map (lighter)
 - Removal of only fTOF layer → dependent volume (material/detectors behind fTOF including dRICH) become orphaned (Thanks to Shujie!)
 - All dependent volumes (including dRICH) are removed (during generation of material budget only)
- 2. Generation of fresh material map (cbor file) [Recipe]

To understand the effect of fTOF: generation of two different material maps with only difference in presence/absence of fTOF

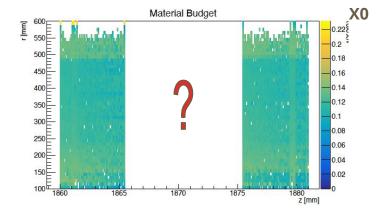
All dependent volumes (including dRICH) are removed in each case!

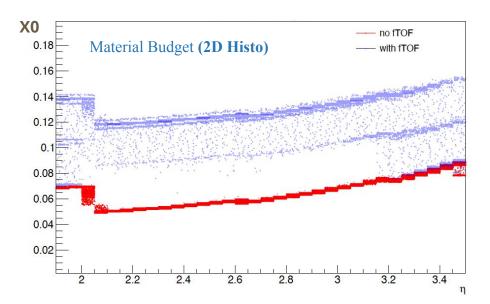


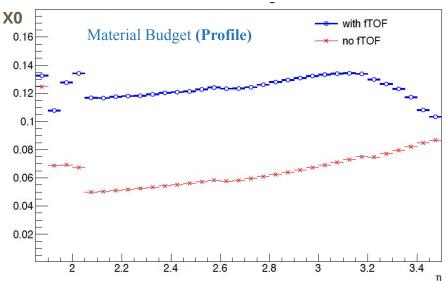


Generation of Material Map

- Total material equivalent to ~12% of radiation length in fTOF region
- Still empty region between two layers (?)
 - Seeking clarifications from TOF team
 - Support structure (being insensitive) is not registered for ACTS







Analysis Details

- <u>1000</u> single particle events for
 - Three Particles: Electron, Pion, and Kaon
 - 22 Momentum bins (0.5-20 GeV/c):
 - 0.5, 0.75, 1.0, 1.25, 1.5, 1.75, 2.0, 2.25, 2.5, 3.0, 3.5, 4.0, 4.5, 5.0, 6.0, 7.0, 8.0, 10.0, 12.5, 15.0, 17.5, 20.0
 - o <u>21</u> different pseudorapidity values: (1.5-3.5)

eic-shell (v 25.07.0-stable) ElCrecon (v1.26.1)

epic (v 25.06.1)

Case-I [00]

No fTOF

in material map in geometry

Case-II [11]

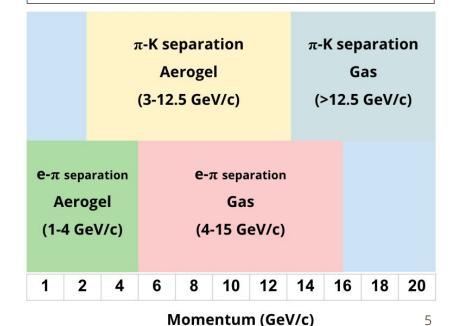
With fTOF

in material map in geometry

1. Power of Separation (between two particles)

$$N_{\sigma}^{A-B} = 2 \frac{\langle \theta_c^A \rangle - \langle \theta_c^B \rangle}{\sigma_{\Delta \theta}^A + \sigma_{\Delta \theta}^B}$$

2. Contamination of one gaussian to another



Analysis Details

Power of Separation (b/w two particles)

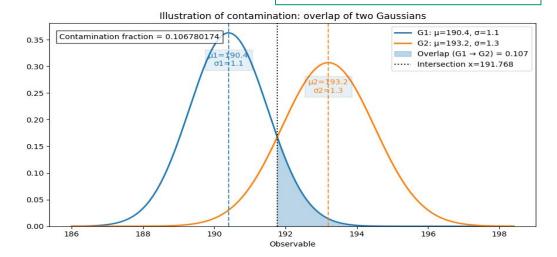
$$Ratio = \frac{N_{\sigma}^{A-B} (no \ TOF)}{N_{\sigma}^{A-B} (with \ TOF)}$$

In terms of Contamination

$$C_1 = Contamination (no TOF)$$

$$C_2 = Contamination (with TOF)$$

$$\Delta C(\%) = \frac{C_1 - C_2}{C_1} X 100$$



If resolution improves by removing fTOF layer:

- Ratio > 1 (in terms of Separation Power)
- $\Delta C = -ve$ (in terms of contamination red.)

For two Gaussians:

$$G_1(x) = \frac{1}{\sqrt{2\pi}\sigma_1} \exp\left(-\frac{(x-\mu_1)^2}{2\sigma_1^2}\right)$$

$$G_2(x) = \frac{1}{\sqrt{2\pi}\sigma_2} \exp\left(-\frac{(x-\mu_2)^2}{2\sigma_2^2}\right)$$

The fraction of G_1 leaking into G_2 can be estimated as:

frac =
$$\int_{-\infty}^{x_{\text{cut}}} G_1(x) dx$$
 or frac = $\int_{x_{\text{cut}}}^{\infty} G_1(x) dx$

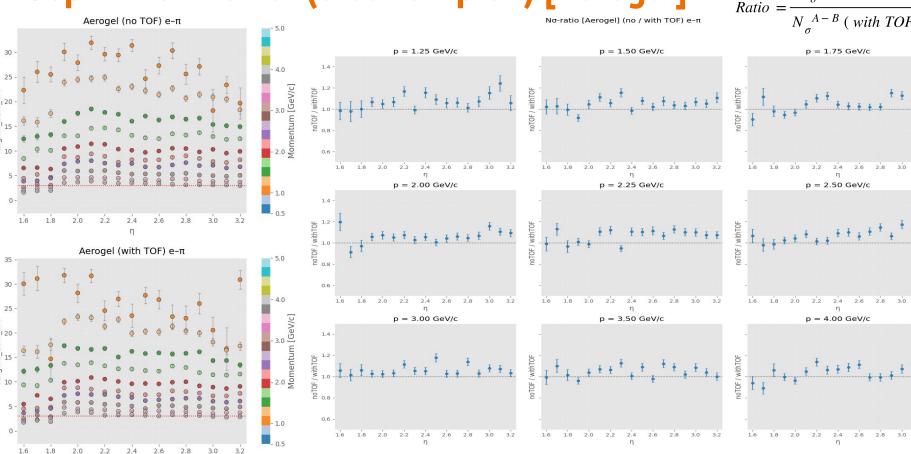
where x_{cut} can be the intersection point of the two Gaussians:

$$x_{\text{cut}} = \frac{\sigma_2^2 \mu_1 - \sigma_1^2 \mu_2 + \sigma_1 \sigma_2 \sqrt{(\mu_1 - \mu_2)^2 + 2(\sigma_2^2 - \sigma_1^2) \ln(\sigma_2 / \sigma_1)}}{\sigma_2^2 - \sigma_1^2}$$

Or, for simplicity, if we assume the same σ for G_1 and G_2 (common in Cherenkov fit), the midpoint formula becomes:

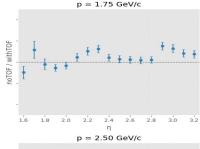
frac =
$$\frac{1}{2} \left[1 - \operatorname{erf} \left(\frac{\mu_2 - \mu_1}{\sqrt{2} \sigma_1} \right) \right]$$
 if $\mu_1 < \mu_2$

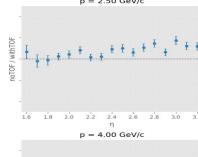
Separation Power (electron-pion) [Aerogel]

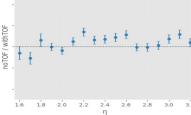


Range: 1.0 - 4.0 GeV

 N_{σ}^{A-B} (no TOF) N_{σ}^{A-B} (with TOF)

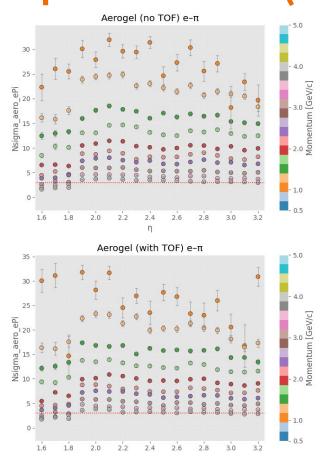


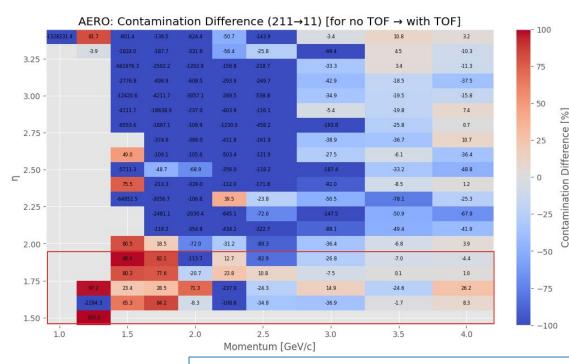




Separation Power (electron-pion) [Aerogel]

Range: 1.0 - 4.0 GeV





 $C_1 = Contamination (no TOF)$

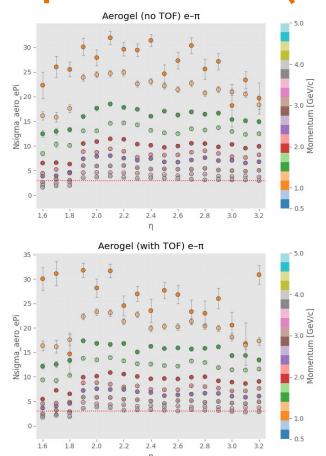
 $C_2 = Contamination (with TOF)$

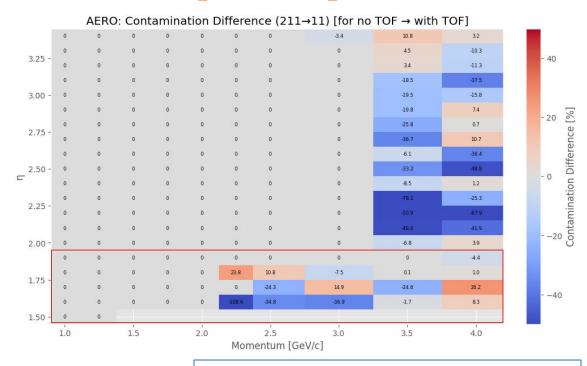
$$\Delta C(\%) = \frac{C_1 - C_2}{C_1} X 100$$

- Large blue region \rightarrow Potential Gain (?)
- Contamination < 1 % (in several cases)

Separation Power (electron-pion) [Aerogel]

Range: 1.0 - 4.0 GeV





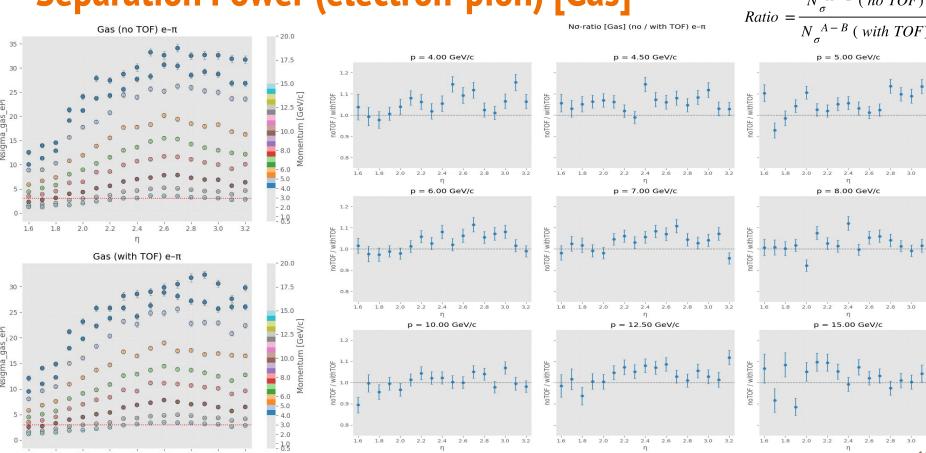
 $C_1 = Contamination (no TOF)$

 $C_2 = Contamination (with TOF)$

$$\Delta C(\%) = \frac{C_1 - C_2}{C_1} X 100$$

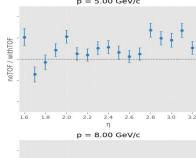
- Removed the cases with contamination < 1%
- Still large blue region → Potential Gain (?)

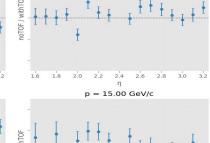
Separation Power (electron-pion) [Gas]

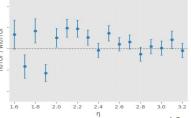


Range: 4.0 - 15.0 GeV |

 N_{σ}^{A-B} (no TOF) N_{a}^{A-B} (with TOF)





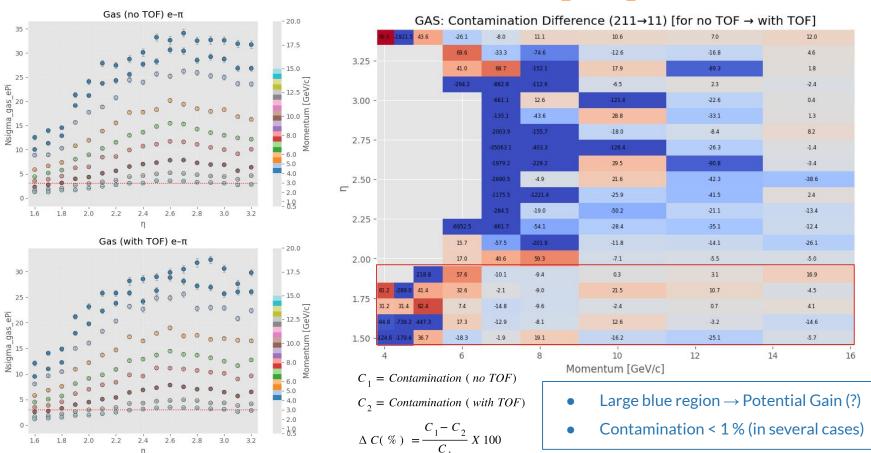


Separation Power (electron-pion) [Gas]

Range: 4.0 - 15.0 GeV

- 75

- 50

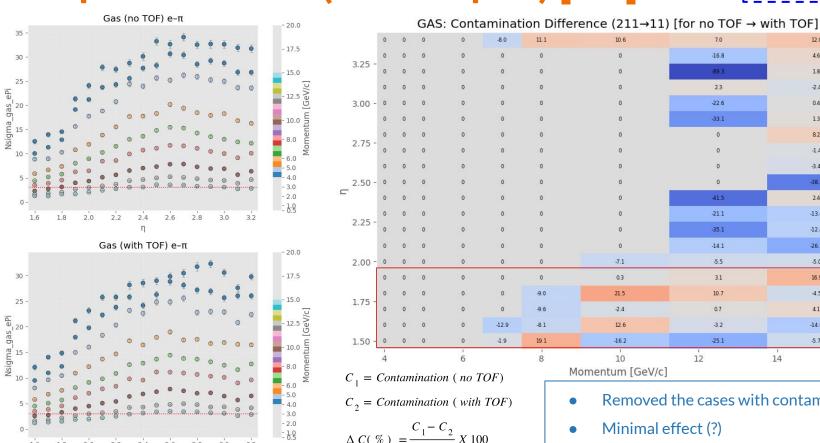


Separation Power (electron-pion) [Gas]

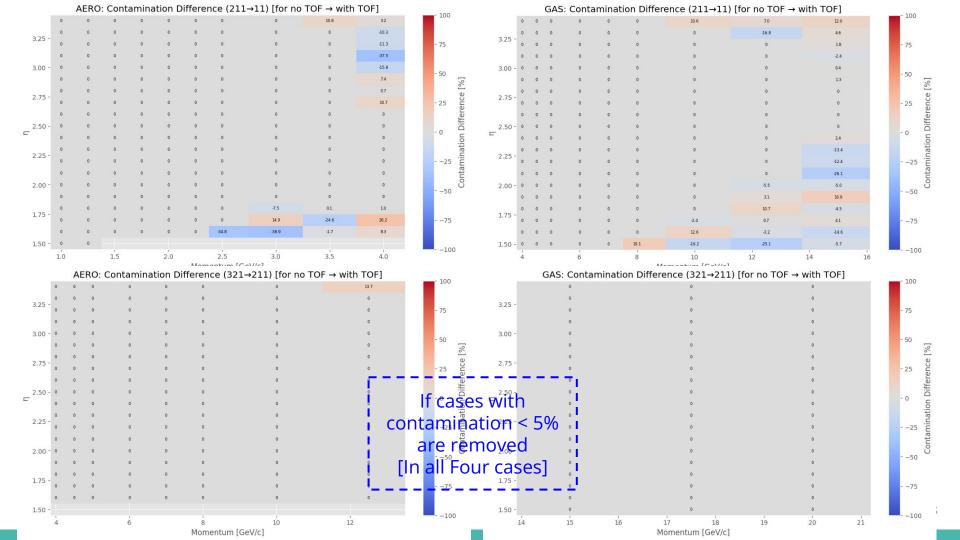
Range: 4.0 - 15.0 GeV

8.2 -1.4

-3.4



2.4 -13.4 -12.4 -26.1 -5.0 16.9 -14.6 -5.7 Removed the cases with contamination < 1%



Summary

- Open Issues/Questions
 - Correctness of the strategy/approach (?)
 - What does variable mat_X0 represent?
 - Variation in mat_X0 as a function of pseudorapidity (Why?)
 - How to check the uncertainty in tracking if we remove the fTOF from material budget?
 - Any methodology to estimate the multiple scattering?

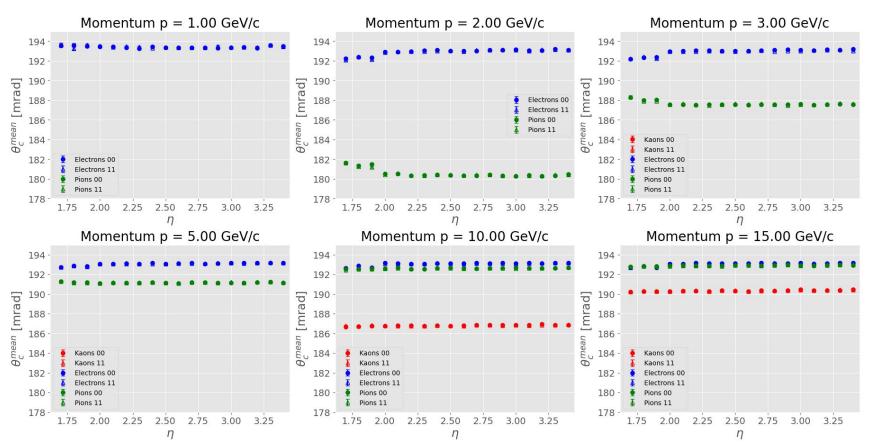
- Observations (so far):
 - Effect on dRICH performance in the presence of fTOF (?)



Backup

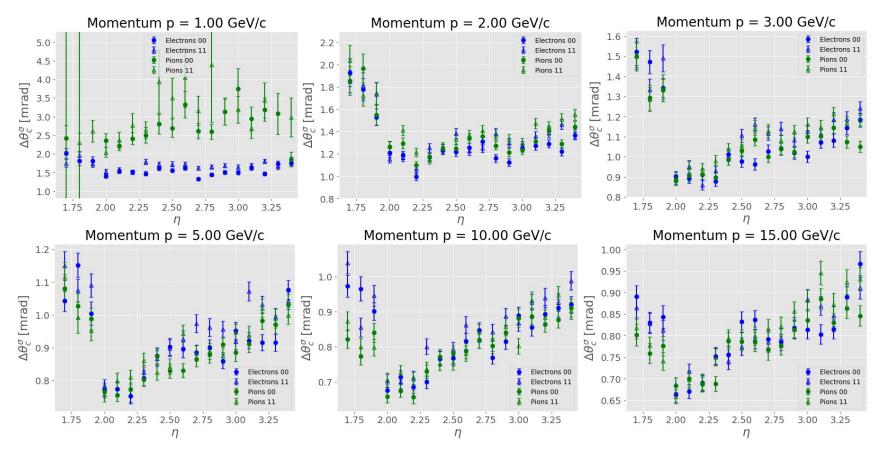
Cherenkov Angle [Radiator: Aerogel] (Mean)



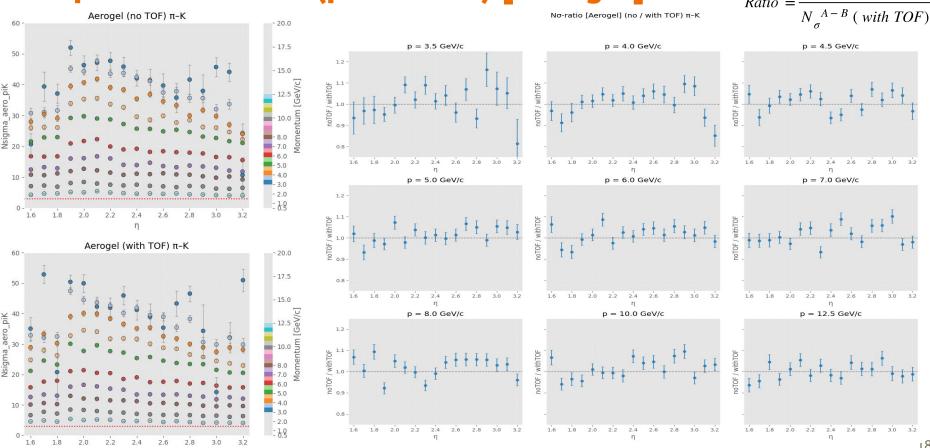


Prelim.

Res. Cherenkov Angle [Aerogel] (Sigma)



Separation Power (pion-kaon) [Aerogel]

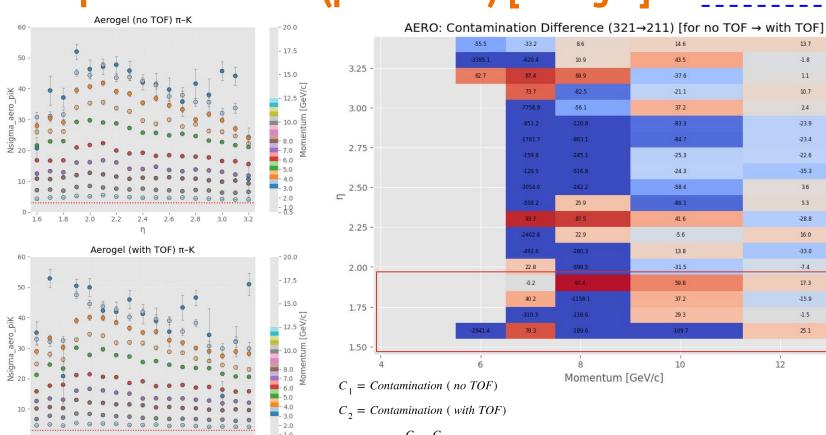


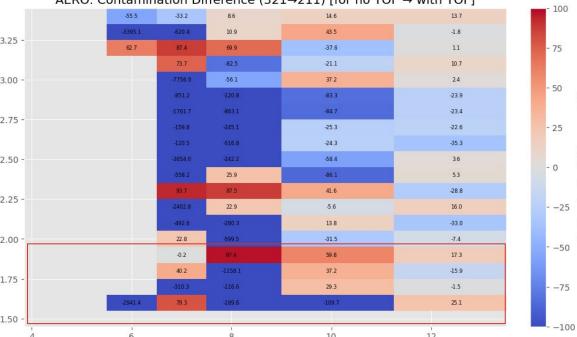
Range: 3.0 - 12.5 GeV

 N_{σ}^{A-B} (no TOF) Ratio =

Separation Power (pion-kaon) [Aerogel]

Range: 3.0 - 12.5 GeV

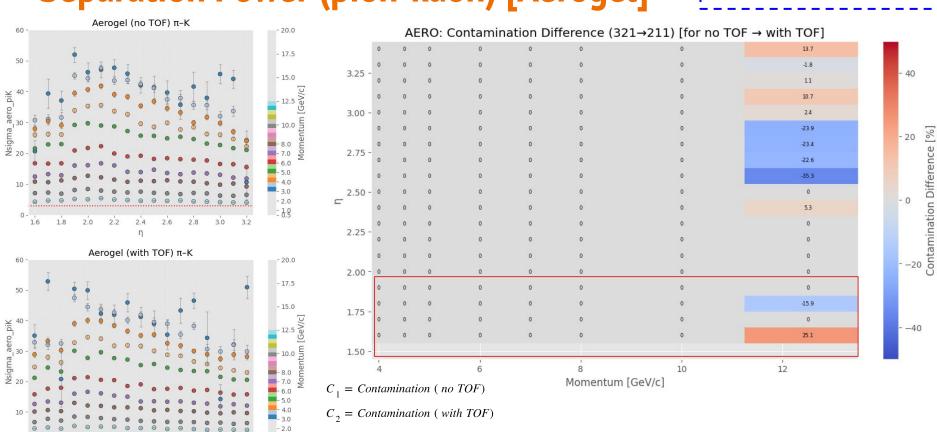


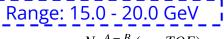


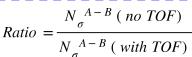
$$\Delta C(\%) = \frac{C_1 - C_2}{C_1} X 100$$

Separation Power (pion-kaon) [Aerogel]

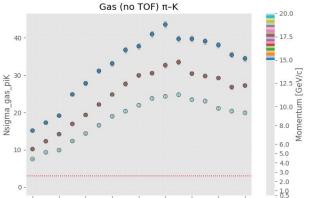
Range: 3.0 - 12.5 GeV

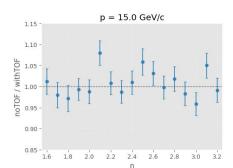


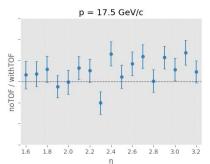


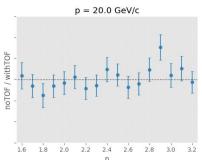


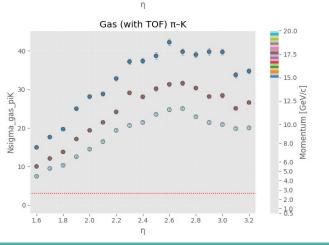








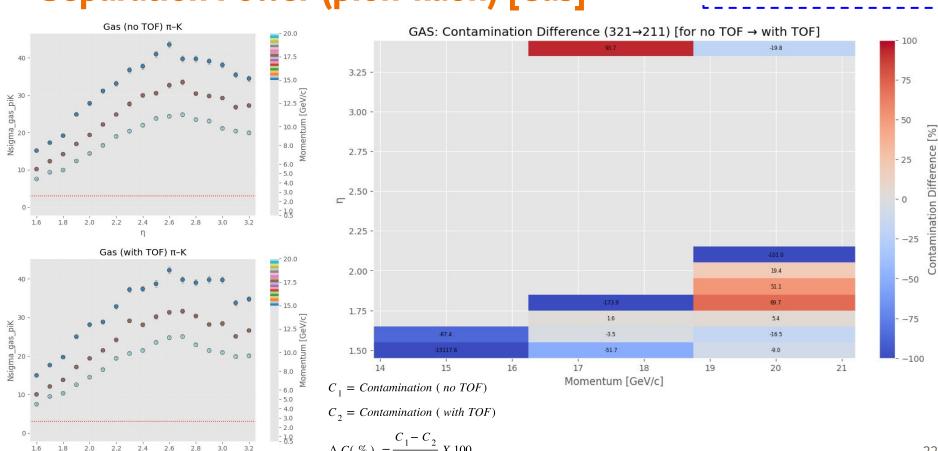




2.6 2.8

2.2

Range: 15.0 - 20.0 GeV



Range: 15.0 - 20.0 GeV

