

# Meson Form Factor measurements at the EIC and the importance of B0

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EIC 2<sup>nd</sup> Detector WG  
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Supported by:

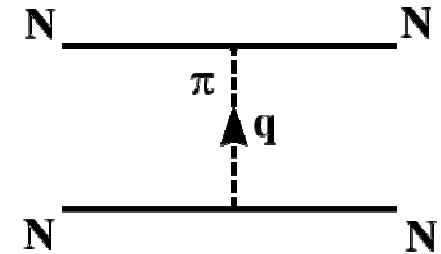


SAPPJ-2025-00040  
SAPIN-2021-00026



# The Pion has Particular Importance

- The pion is responsible for the long-range part of the nuclear force, acting as the basis for meson exchange forces, and playing a critical role as an elementary field in nuclear structure Hamiltonians.



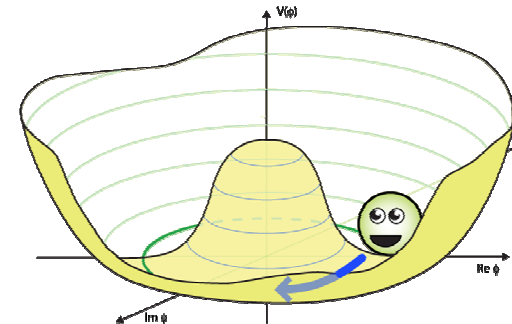
- As the lightest meson, it must be a valence  $q\bar{q}$  bound state, but understanding its structure through QCD has been exceptionally challenging.
  - e.g. Constituent Quark Models that describe a nucleon with  $m_N=940$  MeV as a  $qqq$  bound state, are able to describe the  $\rho$ -meson under similar assumptions, yielding a constituent quark mass of about

$$m_Q \approx \frac{m_N}{3} \approx \frac{m_\rho}{2} \approx 350 \text{ MeV}$$

- The pion mass  $m_\pi \approx 140$  MeV seems “too light”.
- **We exist because nature has supplied two light quarks and these quarks combine to form the pion, which is unnaturally light and hence very easily produced.**

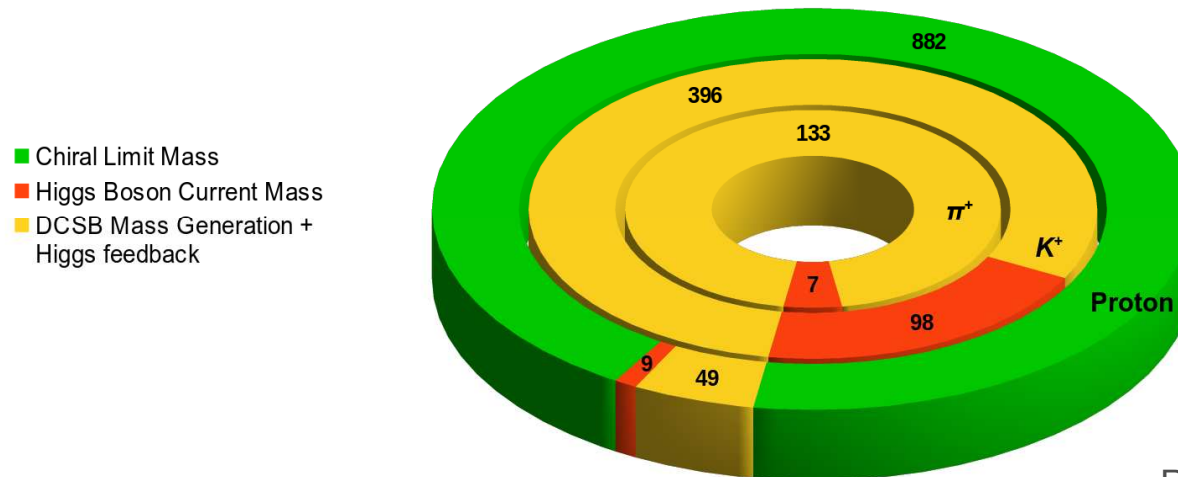
# The Pion as a Goldstone Boson

- A remarkable feature of QCD is Dynamical Chiral Symmetry Breaking (DCSB) because it cannot be derived directly from the Lagrangian and is related to nontrivial nature of QCD vacuum.
  - Explicit symmetry breaking, which is put in “by hand” through finite quark masses, is quite different.
- DCSB is now understood to be one of the most important emergent phenomena in the Standard Model, responsible for generation of >98% baryonic mass.
- **Two important consequences of DCSB:**
  1. Valence quarks acquire a dynamical or constituent quark mass through their interactions with the QCD vacuum.
  2. The pion is the spin-0 boson that arises when Chiral Symmetry is broken, similar to how Higgs boson arises from Electroweak Symmetry Breaking.





Hadron Mass Budget



Ref: Craig Roberts (2021)

- Proton mass large in absence of quark couplings to Higgs boson (chiral limit). Conversely,  $K$  and  $\pi$  are massless in chiral limit (i.e. they are Goldstone bosons).
- The mass budgets of these crucially important particles demand interpretation.
- Equations of QCD stress that any explanation of the proton's mass is incomplete, unless it simultaneously explains the light masses of QCD's Goldstone bosons, the  $\pi$  and  $K$ .
- **Understanding  $\pi^+$  and  $K^+$  form factors over broad  $Q^2$  range is central to this puzzle.**



**Above  $Q^2 > 0.3 \text{ GeV}^2$** ,  $F_\pi$  is measured indirectly using the “pion cloud” of the proton via pion electroproduction  $p(e, e' \pi^+) n$

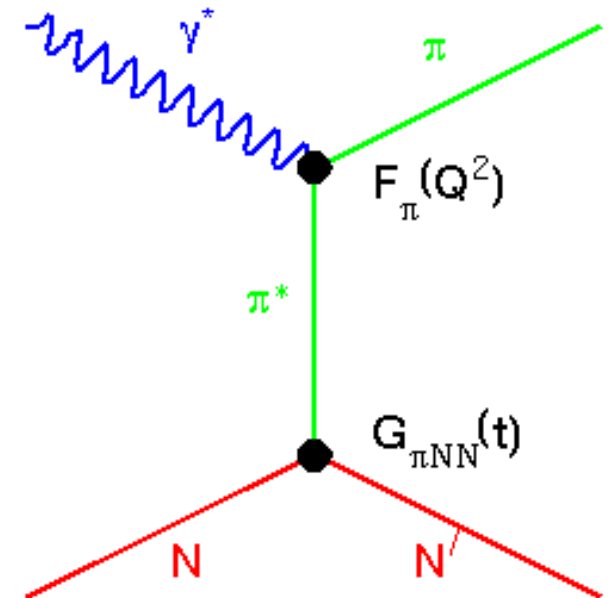
$$|p\rangle = |p\rangle_0 + |n\pi^+\rangle + \dots$$

- At small  $-t$ , the pion pole process dominates the longitudinal cross section,  $\sigma_L$
- In Born term model,  $F_\pi^2$  appears as

$$\frac{d\sigma_L}{dt} \propto \frac{-tQ^2}{(t - m_\pi^2)} g_{\pi NN}^2(t) F_\pi^2(Q^2, t)$$

## Drawbacks of this technique:

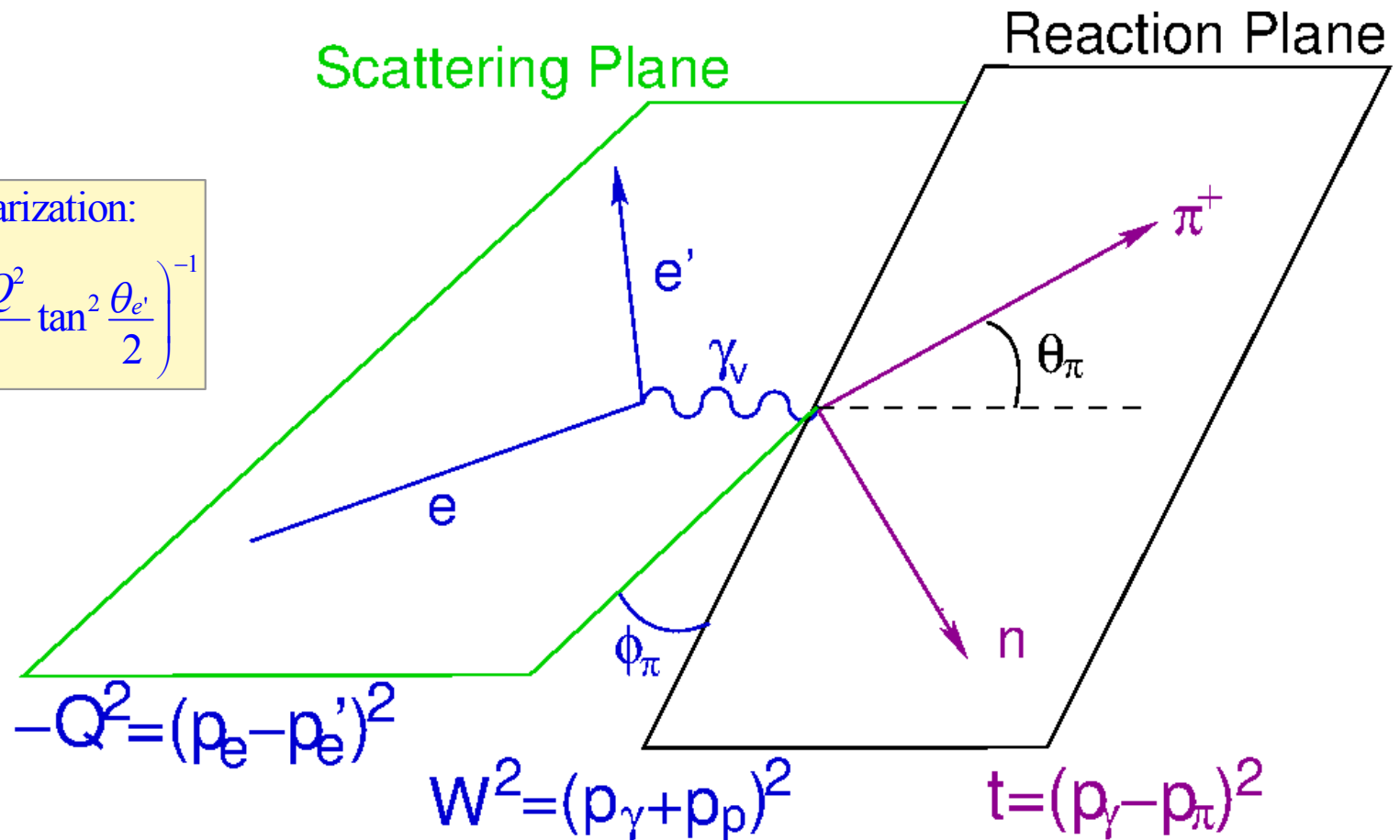
- Isolating  $\sigma_L$  experimentally challenging.
- The  $F_\pi$  values are in principle dependent upon the model used, but this dependence is expected to be reduced at sufficiently small  $-t$ .



$$2\pi \frac{d^2\sigma}{dt d\phi} = \varepsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\varepsilon(\varepsilon+1)} \frac{d\sigma_{LT}}{dt} \cos \phi + \varepsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi$$

Virtual-photon polarization:

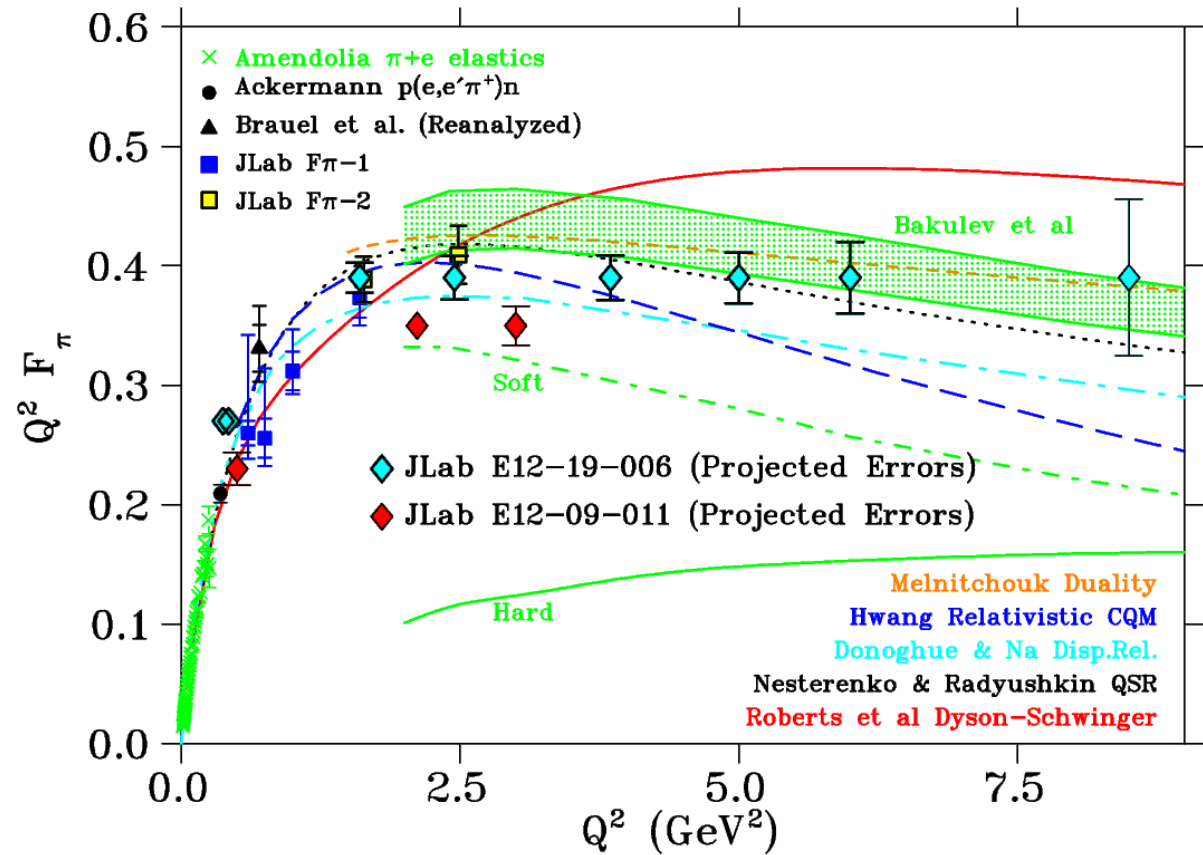
$$\varepsilon = \left( 1 + 2 \frac{(E_e - E_{e'})^2 + Q^2}{Q^2} \tan^2 \frac{\theta_{e'}}{2} \right)^{-1}$$



- L-T separation required to separate  $\sigma_L$  from  $\sigma_T$ .
- Need to take data at smallest available  $-t$ , so  $\sigma_L$  has maximum contribution from the  $\pi^+$  pole.

# Current and Projected $F_\pi$ Data

- JLab E12-19-006 will allow measurement of  $F_\pi$  to  $Q^2=6$  with small uncertainties, and to  $Q^2=8.5$  with larger errors (both experimental and theoretical).
- New low  $Q^2$  point (data acquired in 2019) will provide comparison of the electroproduction extraction of  $F_\pi$  vs. elastic  $\pi+e$  data.



The  $\sim 10\%$  measurement of  $F_\pi$  at  $Q^2=8.5 \text{ GeV}^2$  is at higher  $-t_{min}=0.45 \text{ GeV}^2$

**The pion form factor is the clearest test case for studies of QCD's transition from non-perturbative to perturbative regions.**



## ■ Physics Motivation:

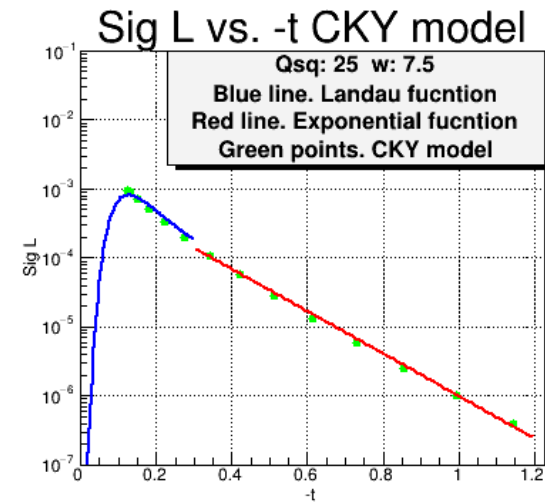
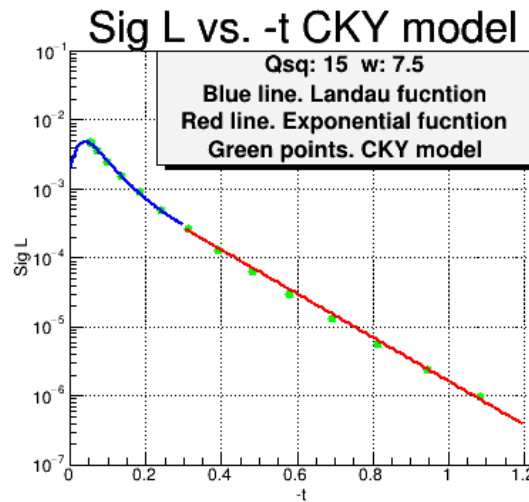
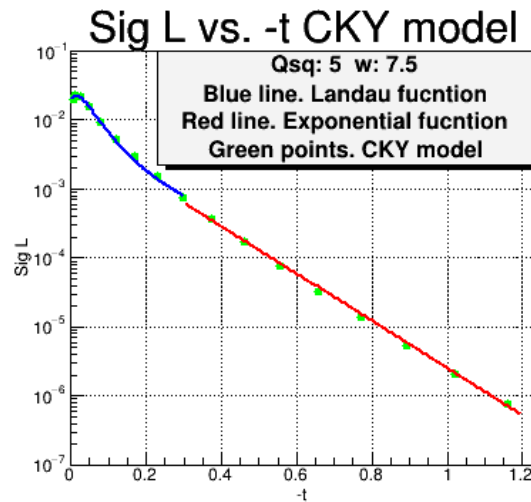
- $\pi^+$  and  $K^+$  structure studies are important for understanding QCD's transition from “weak” and “strong” domains, and understanding DCSB's role in generating hadron properties
- Definite answers to these questions require high  $Q^2$  data well beyond JLab's reach, the EIC may provide these data

## ■ Experimental Issues:

- The DEMP cross section is small, can the exclusive  $p(e, e'\pi^+)n$  and  $p(e, e'K^+)\Lambda$  channels be cleanly identified?
  - Count rates, Detector Acceptances?
- Is the detector resolution sufficient to reliably reconstruct  $(Q^2, W, t)$ ?
- How to measure the longitudinal cross section  $d\sigma_L/dt$  needed for form factor extraction?

# DEMP $\pi^+/K^+$ Event Generator

- Regge-based  $p(e, e' \pi^+)n$  model of *T.K. Choi, K.J. Kong, B.G. Yu (CKY)* [J.Kor.Phys.Soc. 67(2015)1089]
  - Created a MC event generator by parameterizing CKY  $\sigma_L$ ,  $\sigma_T$  for  $5 < Q^2$  ( $\text{GeV}^2$ )  $< 35$   $2.0 < W$  ( $\text{GeV}$ )  $< 10$   $0 < -t$  ( $\text{GeV}^2$ )  $< 1.2$
- Extended to  $p(e, e' K^+) \Lambda[\Sigma^0]$  by parameterizing Regge-based model of M. Guidal, J.M. Laget, M. Vanderhaeghen (VGL) [PRC 61 (2000) 025204]
- DEMPgen paper: *Comp.Phys.Commun.* 308(2025)109444, arXiv:2403.06000



$$p(e, e' \pi^+)n$$

# $p(e, e' \pi^+ n)$ Particle Kinematics

Assure exclusivity of  $p(e, e' \pi^+ n)$  reaction by detecting all 3 particles

10( $e^-$ ) x 130(p) GeV Collisions

**Scattered electrons:**

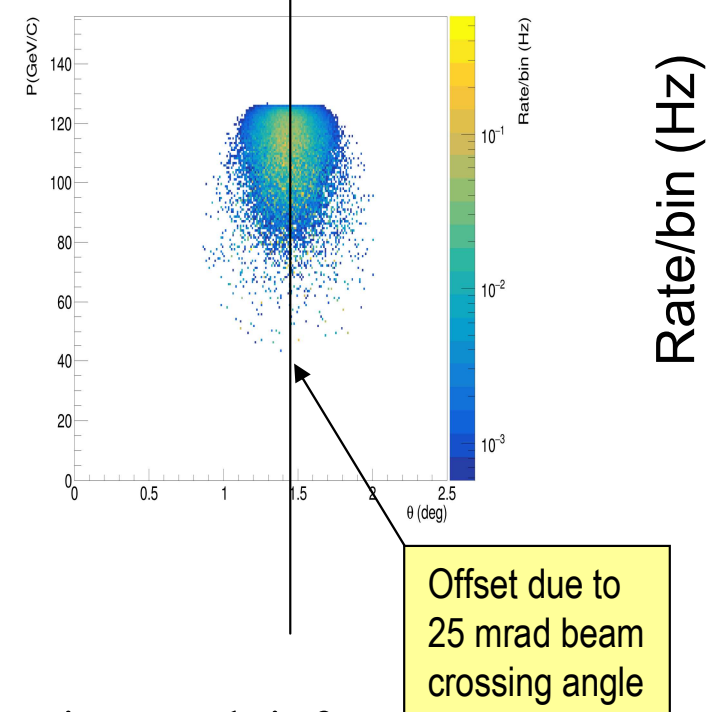
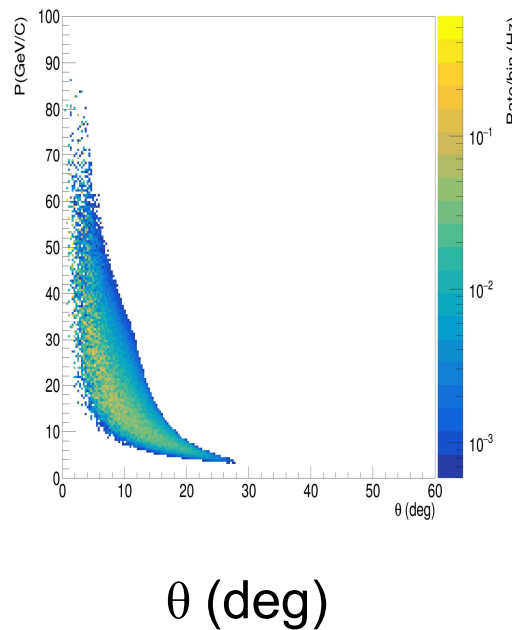
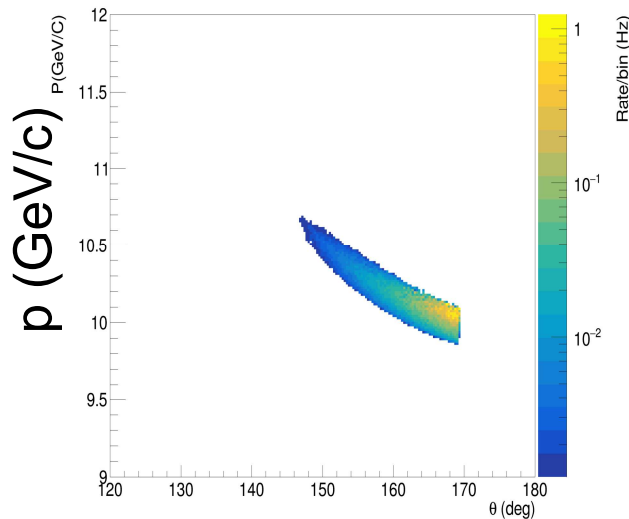
9.8–10.7 GeV/c,  
10–35° from  
outgoing  $e$  beam

**Pions:**

3–60 GeV/c,  
3–28° from  $p$  beam

**Neutrons:**

80–125 GeV/c  
<0.6° of outgoing  
proton beam

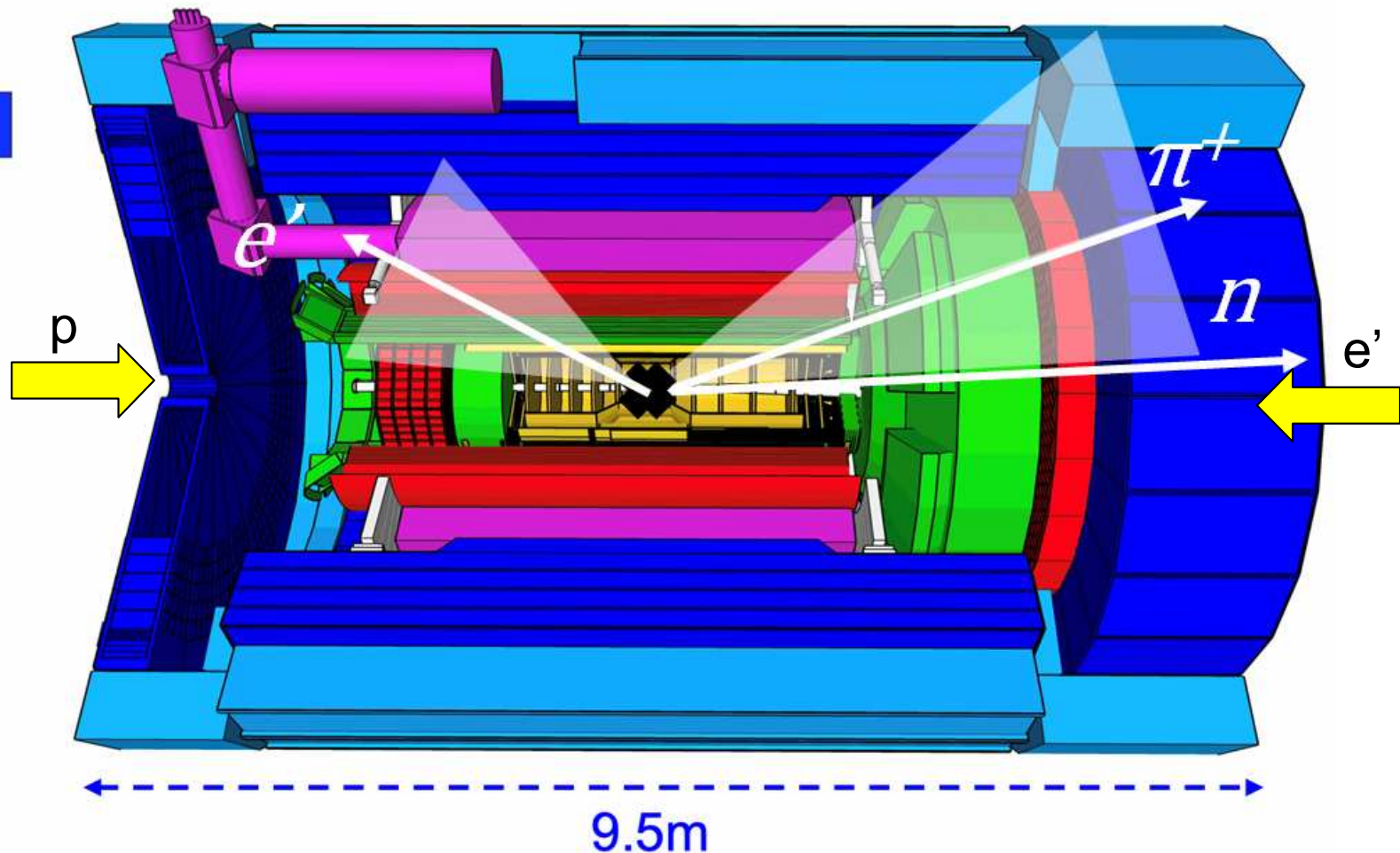


$e-\pi-n$  triple coincidences, weighted by cross section, truth info



# $p(e,e'\pi^+n)$ Particle Kinematics

- $e'$  and  $\pi^+$  hit the central detector
- The high energy neutron escapes down the ion ring exit



hadronic calorimeters

Solenoidal Magnet

e/m calorimeters  
(ECal)

Time.of.Flight,  
DIRC,  
RICH detectors

MPGD trackers

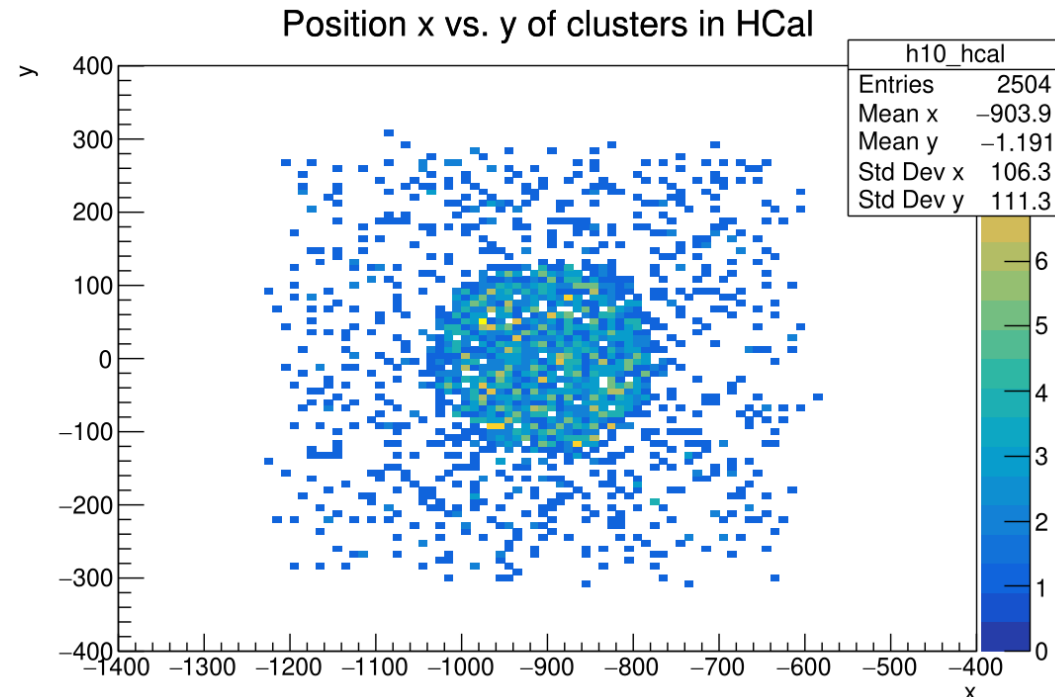
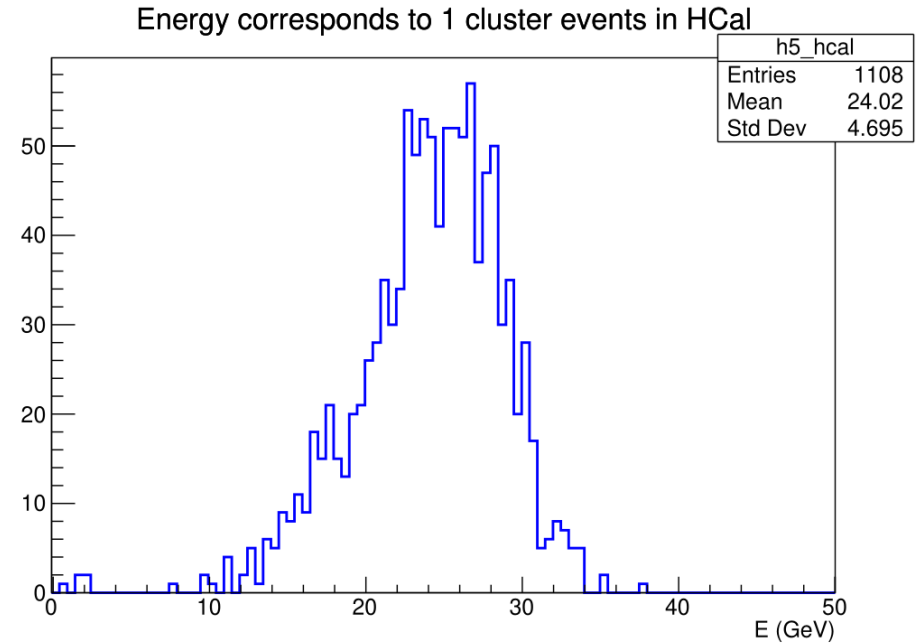
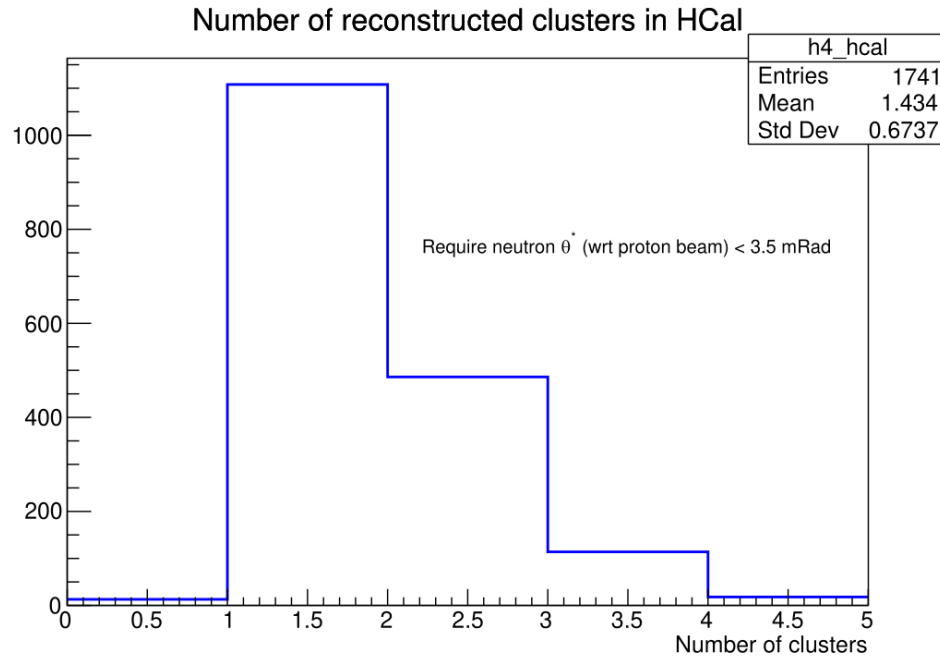
MAPS tracker

9.5m

# Selecting Exclusive $p(e,e'\pi^+n)$ Events

- Need to cleanly identify  $e' \pi^+ n$  triple coincidence events in midst of large inclusive  $e' \pi^+$  coincidence background
- To begin, require that simultaneously we have:
  - 1 negatively charged track in  $-z$  direction ( $e'$ )
    - Recently replaced with something "similar" to Inclusive ElectronFinder
  - 1 positively charged track in  $+z$  direction ( $\pi^+$ )
  - 1 high energy reconstructed neutral cluster in ZDC
    - $E_n > 40$  GeV
    - $\theta_n^* < 4$  mrad
- The ZDC has excellent position ( $\theta, \phi$ ) resolution, but much poorer energy resolution
- If the detected neutron is from an exclusive event, the ZDC should be near the location predicted from  $n$   $\vec{p}_{miss} = \vec{p}_e + \vec{p}_p - \vec{p}_{e'} - \vec{p}_{\pi^+}$ 
  - i.e. the location calculated via
  - This condition only true if there are NO other emitted particles, i.e. the event is from an EXCLUSIVE  $p(e,e'\pi^+n)$  reaction

# $p(e,e'\pi^+n)$ Neutron reconstruction in ZDC



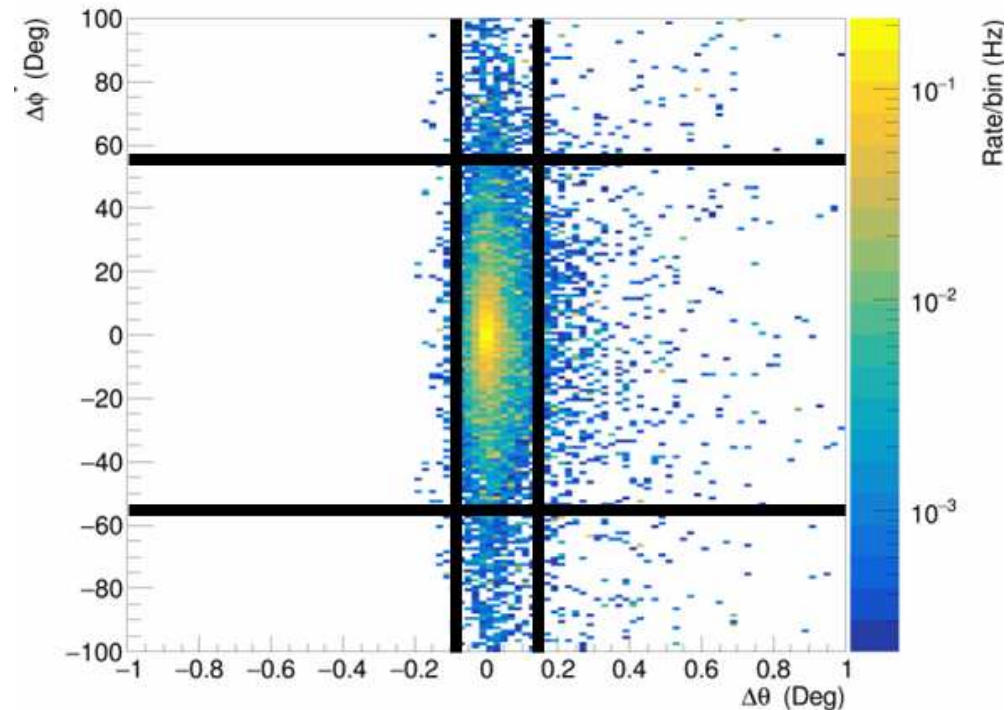
- 5x41 e+p collisions
- High proportion of neutron hits have multi-clusters
- (x,y) acceptance of ZDC fully filled
- For 5x41, the B0 is particularly needed to extend the ZDC coverage to higher -t



# Example ZDC $p(e,e'\pi^+n)$ Exclusivity Cut

## ■ Make use of high angular resolution of ZDC to reduce non-exclusive background events

- Compare hit  $(\theta, \phi)$  positions of energetic neutron on ZDC to calculated position from  $p_{miss}$
- If no other particles are produced (i.e. exclusive reaction) these quantities should be highly correlated
- Energetic neutrons from inclusive background processes will be less correlated, since additional lower energy particles are produced



Differences between hit and calculated neutron positions on ZDC for  $p(e,e'\pi^+n)$  events

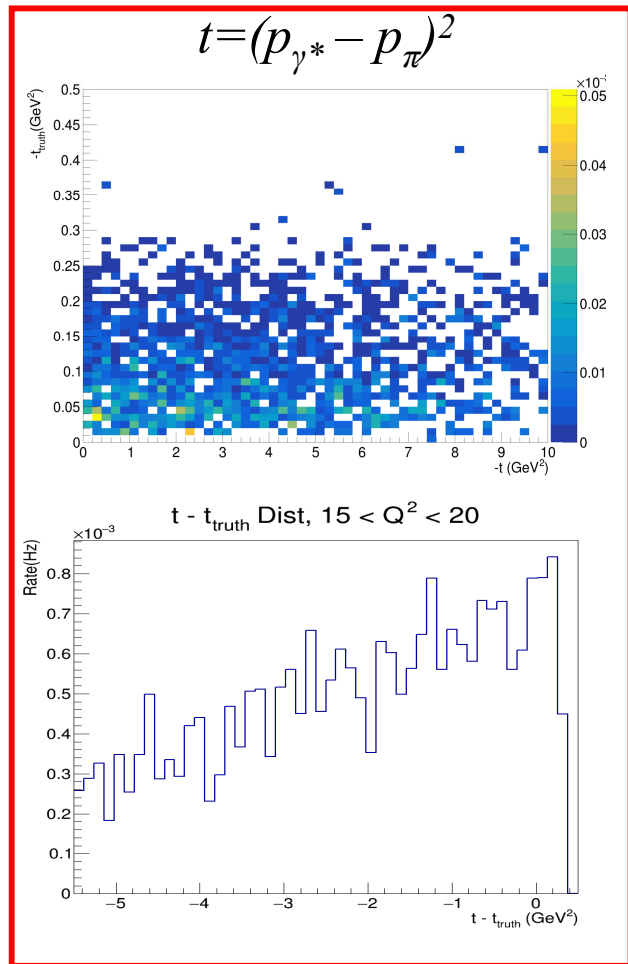
**Cuts applied:**  $-0.09^\circ < \Delta\theta < 0.14^\circ$   
 $-55^\circ < \Delta\phi < 55^\circ$  in addition to triple coincidence cuts

# Reconstructing Mandelstam $t$

- Extraction of pion form factor from  $p(e, e' \pi^+ n)$  data requires  $t$  to be reconstructed accurately, as we need to verify dominance of the  $t$ -channel process from the dependence of  $d\sigma/dt$  upon  $t$

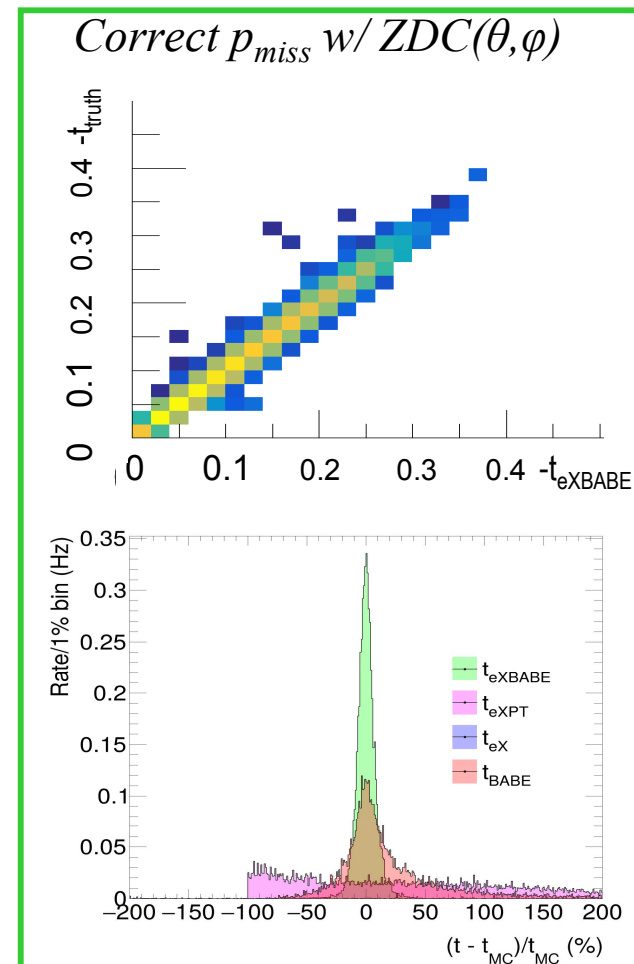
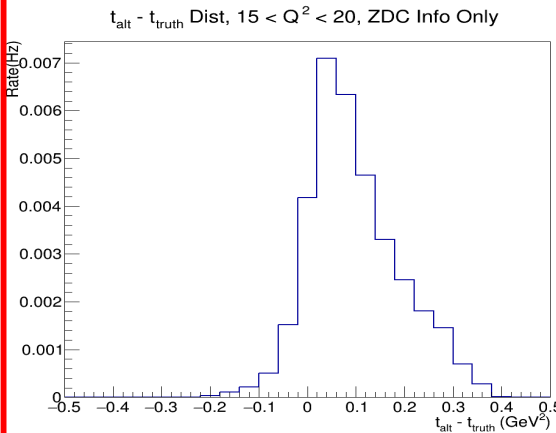
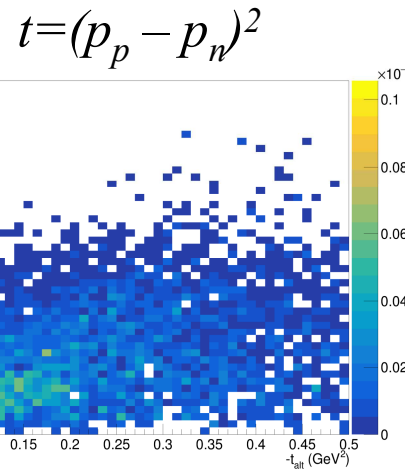
$t_{\text{reconst}}(x)$  vs  $t_{\text{truth}}(y)$

$t_{\text{reconst}} - t_{\text{truth}}$



Unusable  $t$  reconstruction

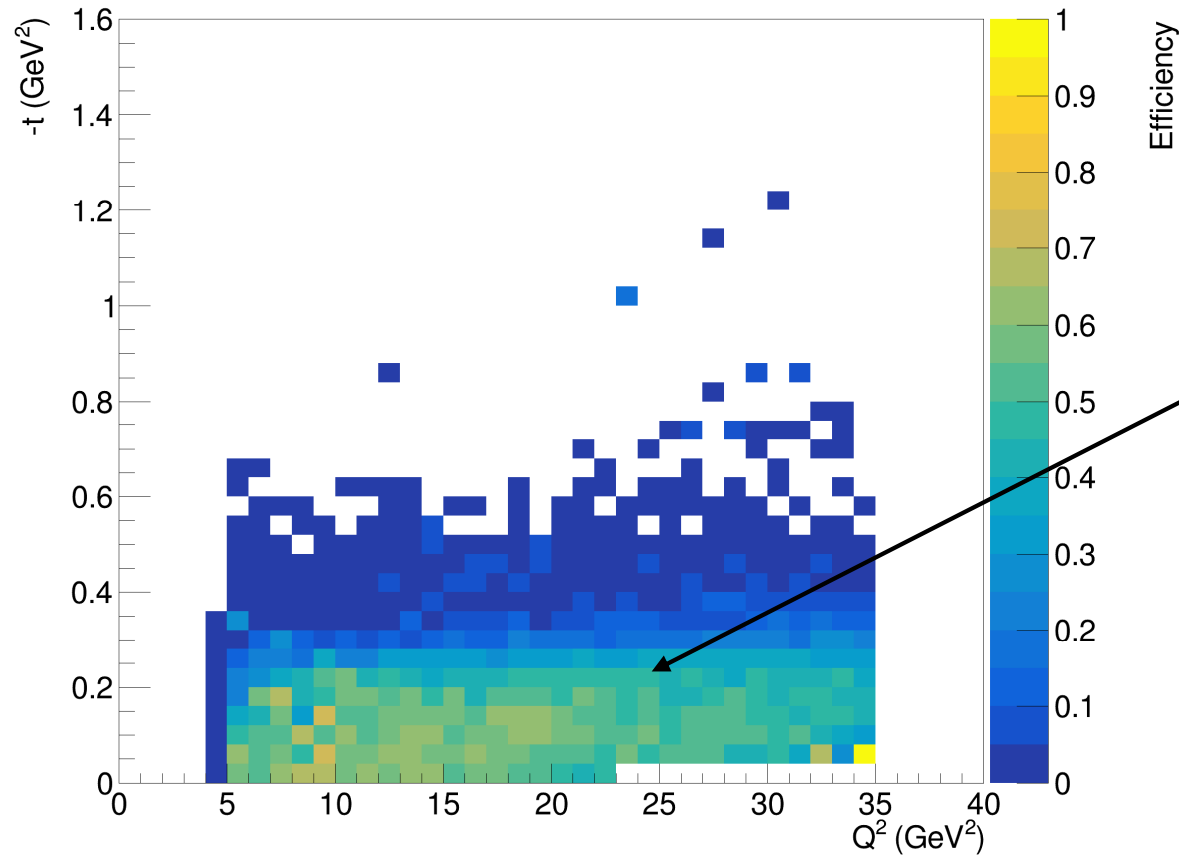
$$\sigma_{t \text{ reconstr}} = 3.4 \text{ GeV}^2$$



Best  $t$  reconstruction

$$\sigma_{t \text{ reconstr}} = 0.073 \text{ GeV}^2$$

# $p(e, e' \pi^+ n)$ Detection Efficiency per $(Q^2, t)$ bin



Detection efficiency best in crucial low  $-t$  region

## Require EXACTLY two tracks:

- One positively charged track in  $+z$  direction ( $\pi^+$ )
- One negatively charged track in  $-z$  direction ( $e'$ )

## AND at least one hit in Zero Degree Calorimeter (ZDC)

- For 10x130 events, require the hit has Energy Deposit  $> 40$  GeV



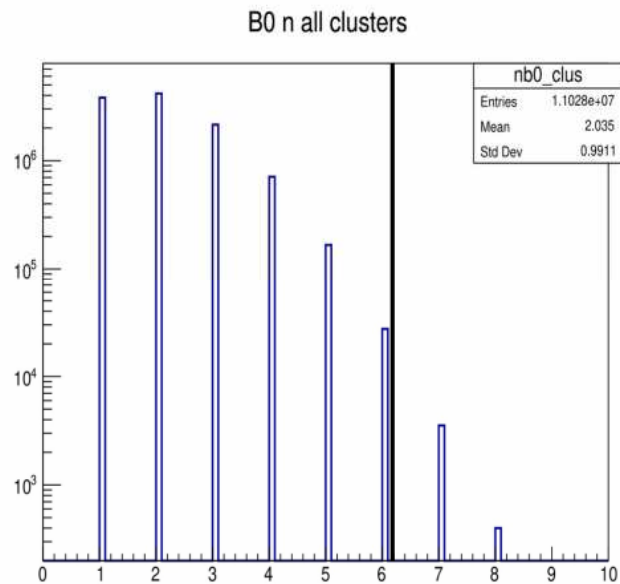
# $p(e,e'\pi^+n)$ B0 event selection

- Reconstruct neutrons from either ZDC or B0 EMCAL
- B0 neutrons correspond to high  $-t$ , while ZDC neutrons give access to low  $-t$

Considered and combined first six cluster events by weighted mean of energies.

[Used B0ECalClusters Branch]

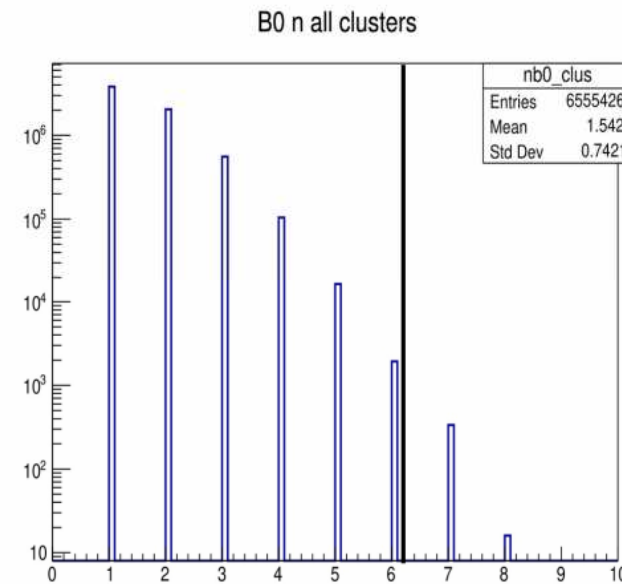
5on41



[  $\geq 2$  cluster events ]

Threshold cluster energy > 100 MeV

10on100



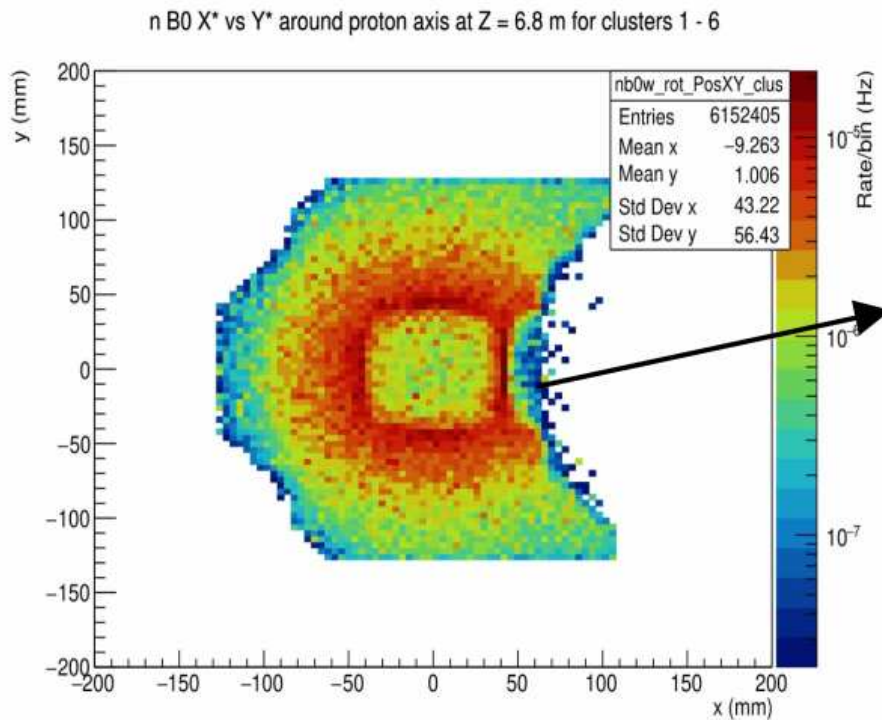
[  $\geq 2$  cluster events ]

Threshold cluster energy > 250 MeV

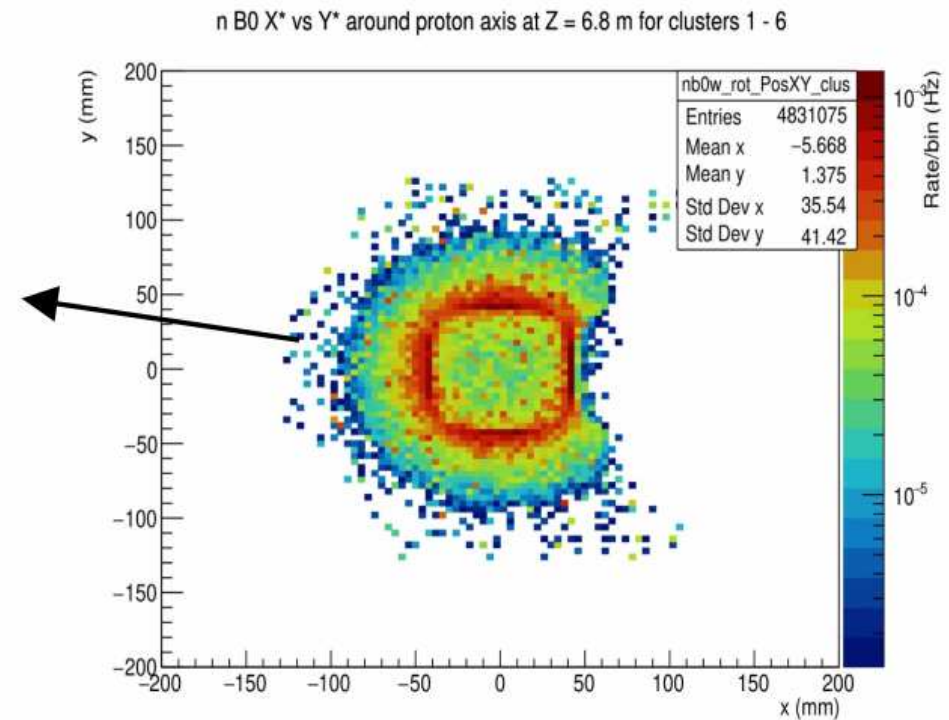
# $p(e,e'\pi^+n)$ B0 neutron hit positions

- B0 X vs Y positions for combined 1-6 clusters

5on41



10on100



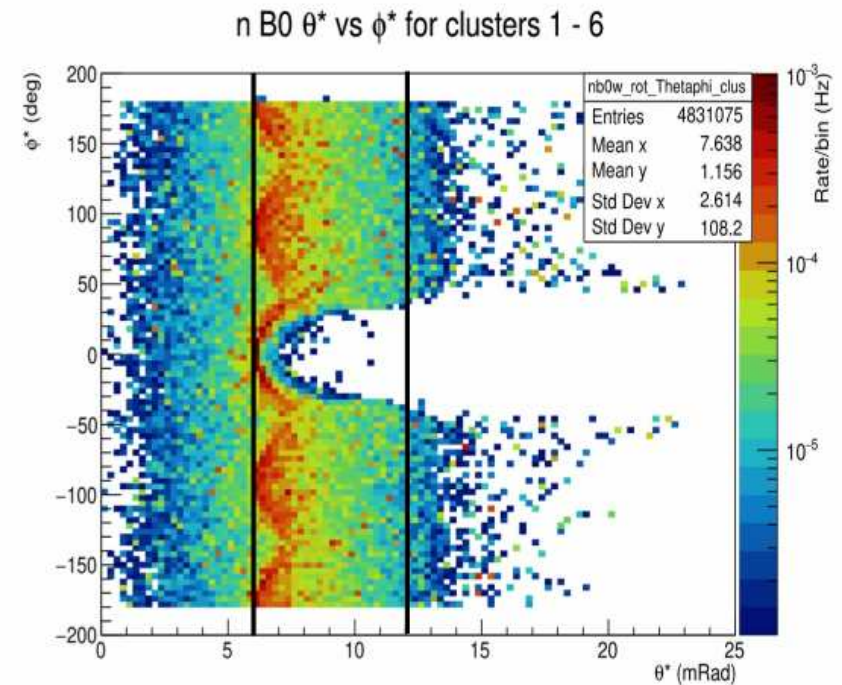
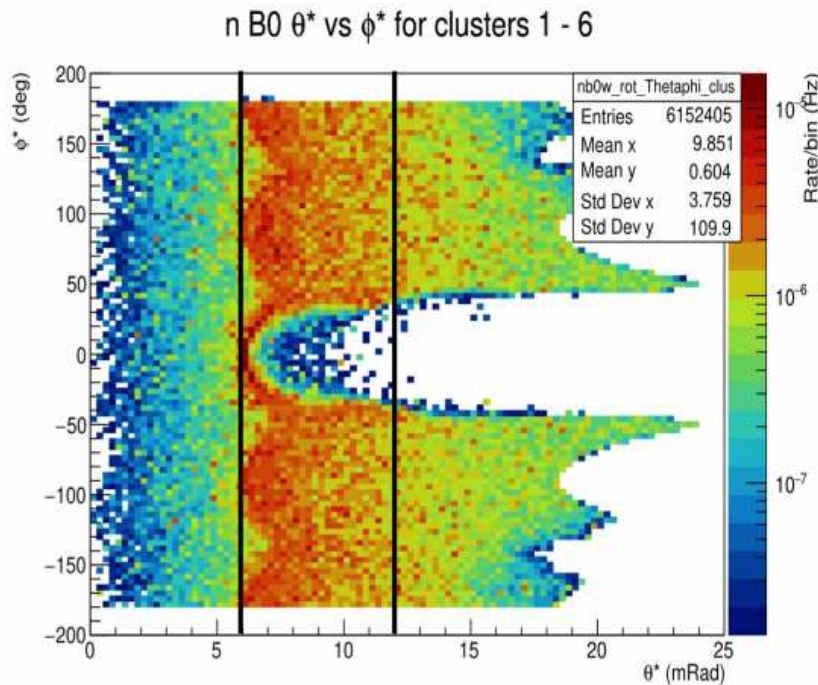
$n$

# $p(e,e'\pi^+n)$ B0 neutron $\theta^*$ vs $\phi^*$

Considered events with  $6 < \theta^*$  (mRad)  $< 12$ .

5on41

10on100



- $\theta^*$  is rotated by 25 mrad about the proton axis
- The  $6 < \theta^* < 12$  mrad cut is to give a more uniform azimuthal acceptance
- All events with 1-6 clusters in B0 are combined



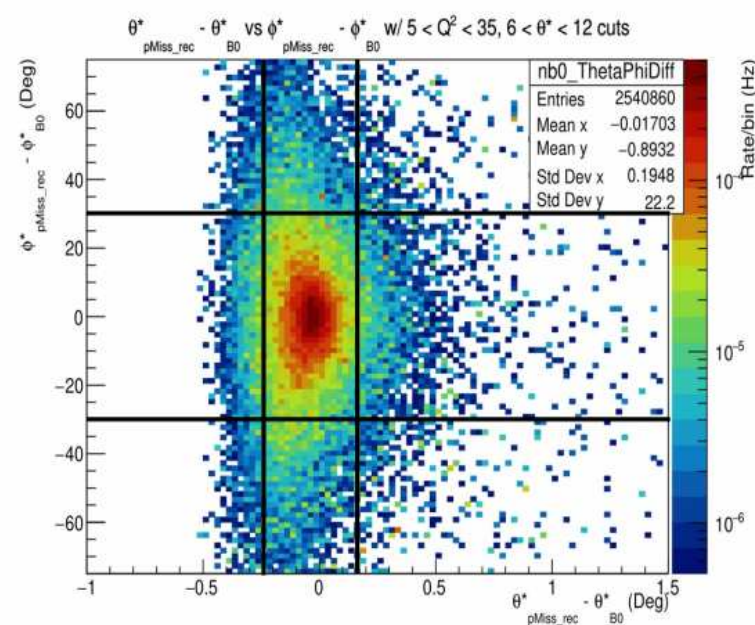
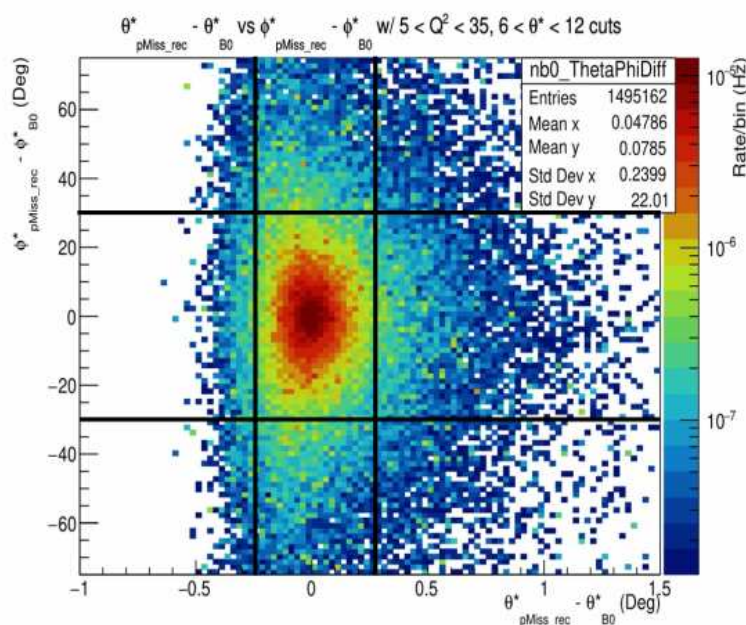
# $p(e,e'\pi^+n)$ B0 exclusivity cut

- We analyze the events with neutron in B0 analogous to the neutron in ZDC events
  - Compare hit  $(\theta, \phi)$  positions of energetic neutron on B0 to calculated position from  $p_{miss}$
- The  $\Delta\theta^*$   $\Delta\phi^*$  cut limits are larger than for ZDC, but still provide a powerful suppression of non-exclusive backgrounds

$$\Delta\theta^* = (\theta^*_{pMiss\_rec} - \theta^*_{B0}), \Delta\phi^* = (\phi^*_{pMiss\_rec} - \phi^*_{B0})$$

5on41

10on100



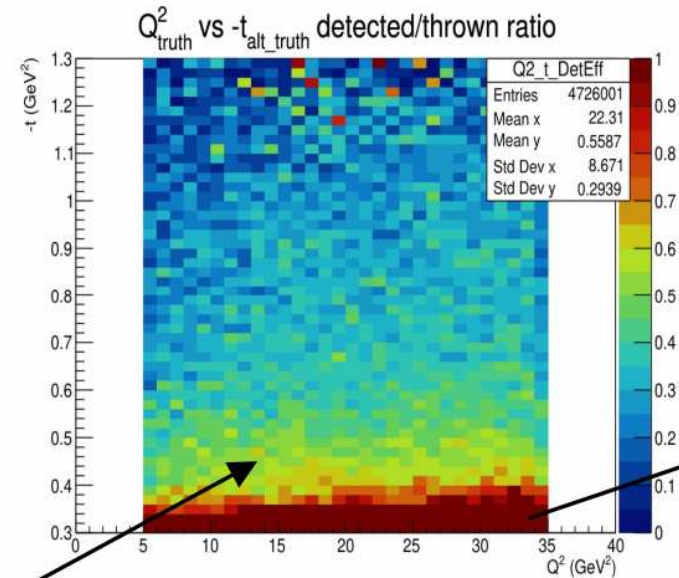
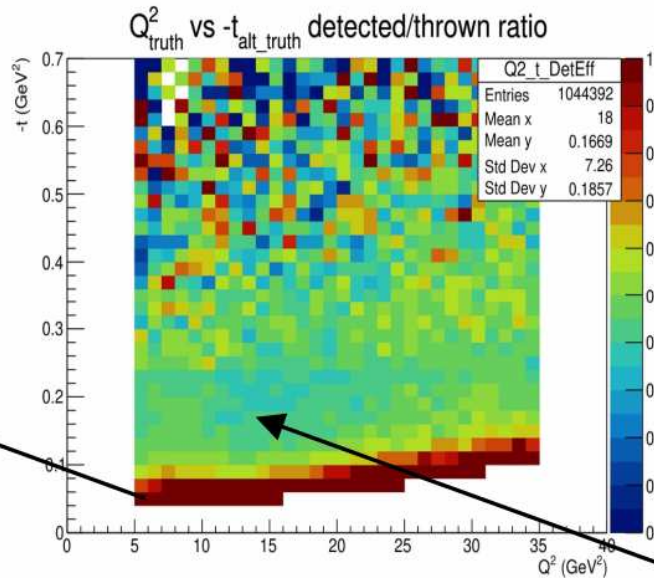
$$[-0.24 < \Delta\theta^* < 0.27, -30 < \Delta\phi^* < 30]$$

$$[-0.26 < \Delta\theta^* < 0.17, -30 < \Delta\phi^* < 30]$$

# $p(e,e'\pi^+n)$ B0 triple coincidences

5on41

10on100



100% ?

100% ?

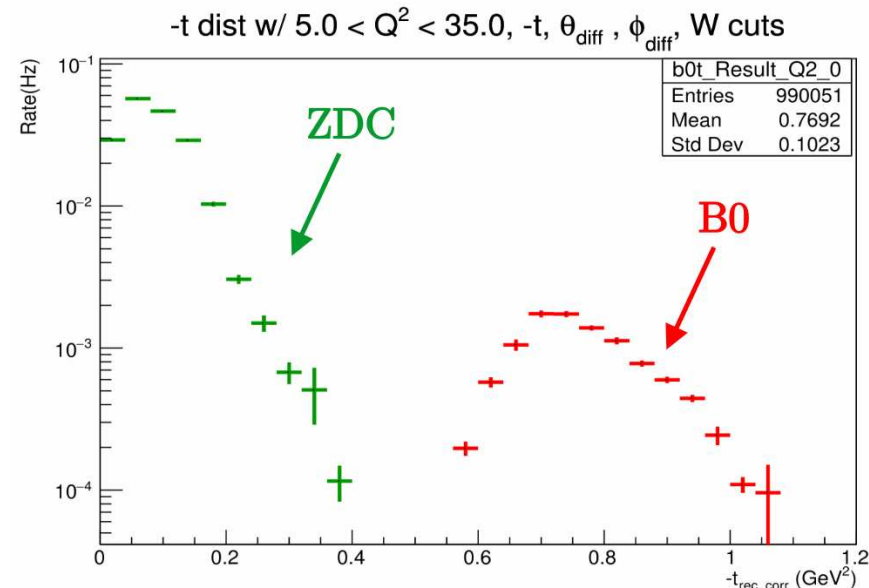
50 – 60 % at low  $-t$  and  $Q^2$ .

- Triple coincidence detection efficiency per  $(Q^2, t)$  bin w/ all cuts
- We believe the 100% efficiency region corresponds to photons or neutrons generated from interactions with the beam pipe. We have not had the opportunity yet to confirm this with further analysis.



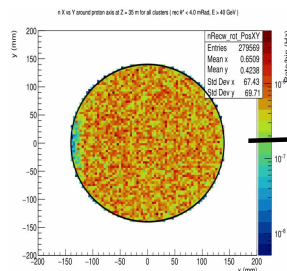
# $p(e,e'\pi^+n)$ combining ZDC and B0

- The **B0 EMCAL** allows the  $t$ -coverage to be greatly expanded compared to **ZDC** alone
- This is particularly important for 5x41, where neutrons scatter over a wider angular range than at higher CM energy.
  - At 5x41, the ZDC  $t$ -coverage is too small to permit a reliable pion form factor measurement by itself.

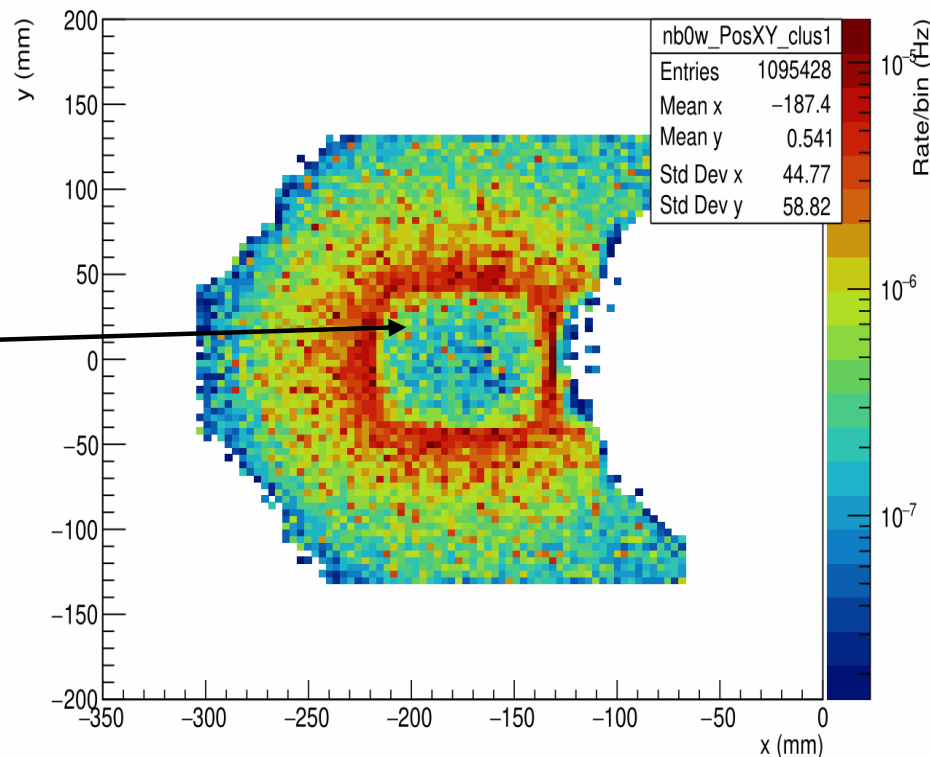


10x100

5x41



neutrons  
in ZDC



neutrons  
in B0  
EMCAL

# Separating $\sigma_L$ from $\sigma_T$ in e-p Collider

$$2\pi \frac{d^2\sigma}{dtd\phi} = \varepsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\varepsilon(\varepsilon+1)} \frac{d\sigma_{LT}}{dt} \cos \phi + \varepsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi$$

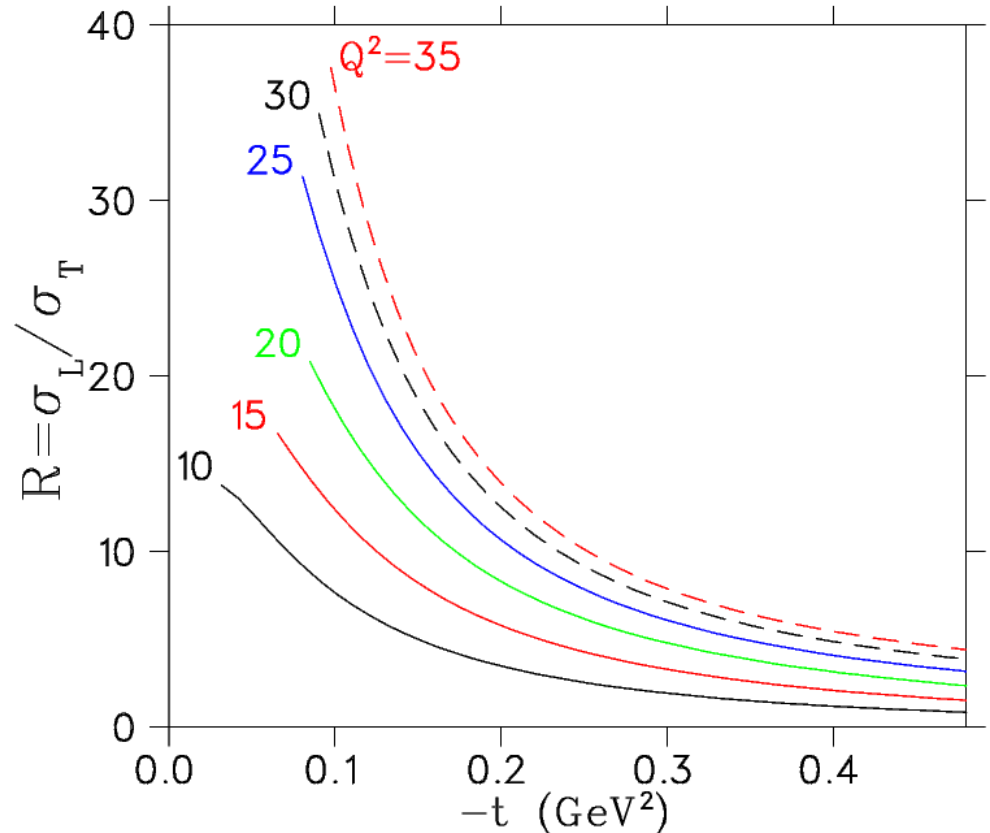
$$\varepsilon = \frac{2(1-y)}{1+(1-y)^2} \quad \text{where the fractional energy loss } y = \frac{Q^2}{x(s_{tot} - M_N^2)}$$

- Systematic uncertainties in  $\sigma_L$  are magnified by  $1/\Delta\varepsilon$ .
  - Desire  $\Delta\varepsilon > 0.2$ .
- **To access  $\varepsilon < 0.8$ , one needs  $y > 0.5$ .**
  - This can only be accessed with small  $s_{tot}$ ,  
i.e. low proton collider energies (5–15 GeV),  
below the EIC design range

**A conventional L–T separation is impractical, need some other way to identify  $\sigma_L$ .**

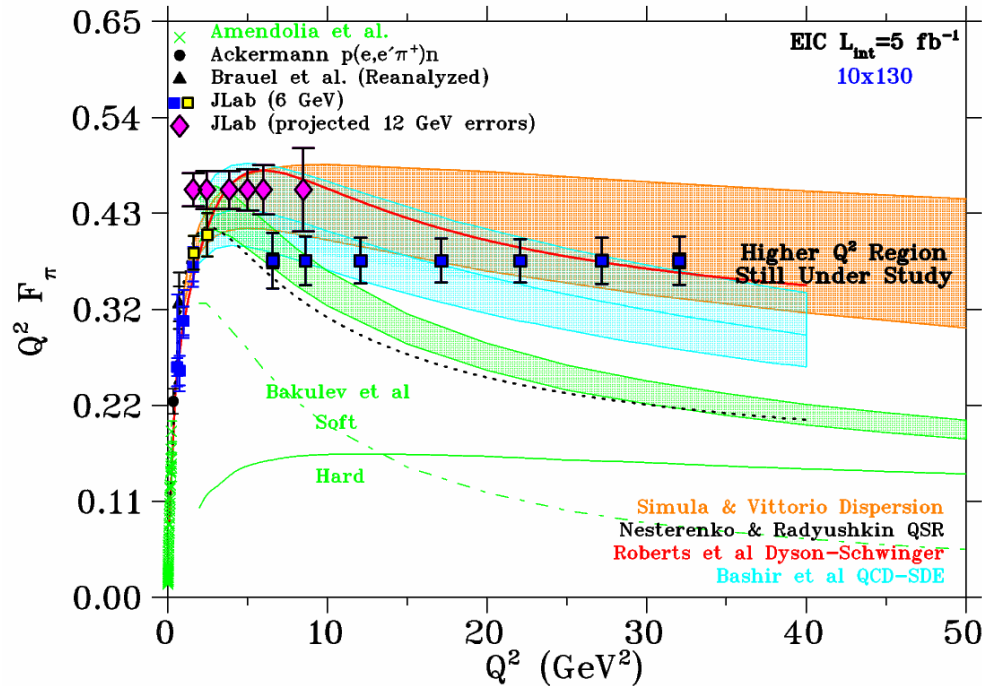
# Isolate $d\sigma_L/dt$ using a Model

- In the hard scattering regime, QCD scaling predicts  $\sigma_L \propto Q^{-6}$  and  $\sigma_T \propto Q^{-8}$ .
- At high  $Q^2$ ,  $W$  accessible at EIC, phenomenological models predict  $\sigma_L \gg \sigma_T$  at small  $-t$ .
- The most practical choice might be to use a model to isolate dominant  $d\sigma_L/dt$  from measured  $d\sigma_{UNS}/dt$ .
- **In this case, it is very important to confirm the validity of the model used.**



- T. Vrancx, J. Ryckebusch, PRC 89(2014)025203.
- Predictions are for  $\epsilon > 0.995$   $Q^2, W$  kinematics shown earlier.

# $F_\pi$ EIC Early Running Projections



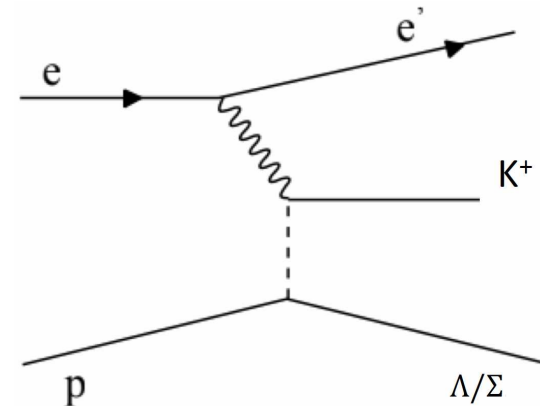
- $10(e^-) \times 130(p)$
- $\int L = 5 \text{ fb}^{-1}$
- Based on full ePIC detector reconstruction including cuts for clean identification of exclusive  $p(e, e' \pi^+ n)$  events
- **y-axis location of projected data is ARBITRARY, what is meaningful are the error bars, which represent real projected errors, including:**
  - Syst. Unc: 2.5% pt-pt and 12% scale.
  - $R = \sigma_L / \sigma_T = 0.013 - 0.14$  at lowest  $-t$ , and  $\delta R = R$  syst. unc. in model subtraction to isolate  $\sigma_L$
  - $\pi$  pole dominance at small  $-t$  confirmed in  $e+d \pi^- / \pi^+$  ratios

# Can we measure $F_K$ at the EIC?

- Can the “kaon cloud” of proton be used in same way as the pion to extract kaon form factor via  $p(e, e' K^+) \Lambda$  ?

- Kaon pole further from kinematically allowed region

- Many of these issues are being explored in JLab E12-09-011



- Propose to use  $p(e, e' K^+ \Lambda/\Sigma)$  reactions for pole dominance test

$$R = \frac{\sigma_L[p(e, e' K \Sigma^0)]}{\sigma_L[p(e, e' K \Lambda)]} \rightarrow R \approx \frac{g_{pK\Sigma}^2}{g_{pK\Lambda}^2}$$

- Decay modes:  $\Lambda \rightarrow n\pi^0$  36%,  $\Lambda \rightarrow p\pi^-$  64%

- Neutral channel most likely best option

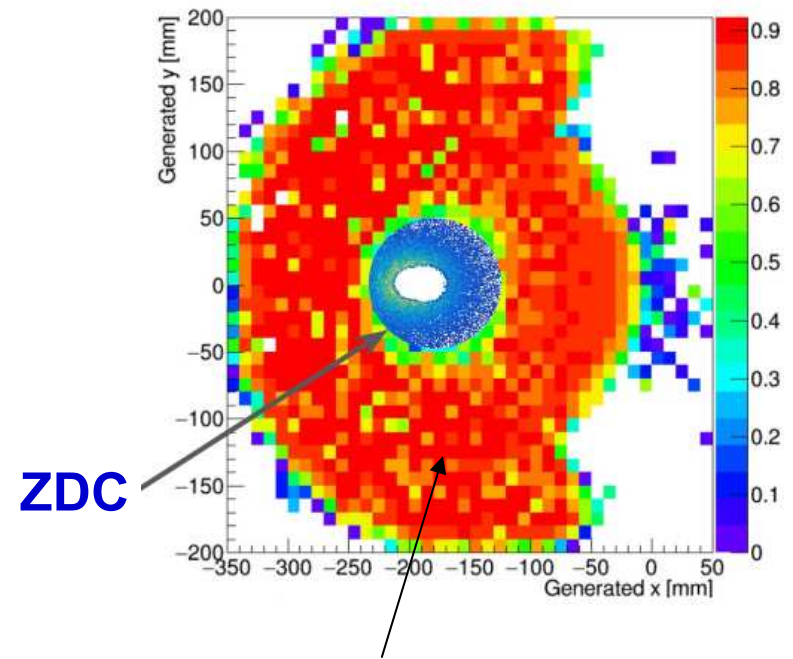
- Avoids deflection of  $p\pi^-$  away from detectors by ion ring elements

- $\Sigma^0$  identified from  $\Sigma^0 \rightarrow \Lambda \gamma \rightarrow \Lambda \pi^0 \rightarrow n 3\gamma$  decay



- Significantly more challenging than  $p(e, e' \pi^+) n$  reconstruction
- Need to efficiently identify  $\Lambda \rightarrow n \pi^0 \rightarrow n \gamma \gamma$  decay ( $\sim 33\%$ )
  - Neutral products take straight line paths
  - Cleanly distinguishing  $n$  from  $\gamma$  clusters is main challenge
- Dominant  $\Lambda \rightarrow p \pi^-$  channel ( $\sim 67\%$ ) has its own challenges
  - Avoids issue of distinguishing  $n$  from  $\gamma$  clusters
  - Main issue is that  $p, \pi^-$  are deflected in opposite directions by proton ring magnetic elements, and it will not be possible to efficiently detect both of them
- Additional reconstruction issue:
  - Do not know  $\Lambda$  decay vertex when reconstructing  $\pi^0 \rightarrow \gamma \gamma$  decay
  - SiPM will provide enough information about spatial extent of showers to extract incident angle of  $\gamma$  on EMCAL to enable full 4-vector reconstruction of  $\pi^0$ . Is it sufficiently good?

- Far forward large acceptance will be even more important for  $K^+$  form factor than for  $\pi^+$  form factor
- Identification of forward hyperon will be essential for clean separation of exclusive  $K^+$  channel from larger  $\pi^+$  channel
  - $\Lambda \rightarrow n\pi^0 \rightarrow n2\gamma$  and  $\Sigma \rightarrow \Lambda\gamma \rightarrow n3\gamma$  identification likely only possible if ZDC calorimeter acceptance is extended with addition of a B0 calorimeter
  - Not only essential for  $F_K$ , but also would improve forward acceptance for u-channel DVCS, and nuclear coherent diffraction studies



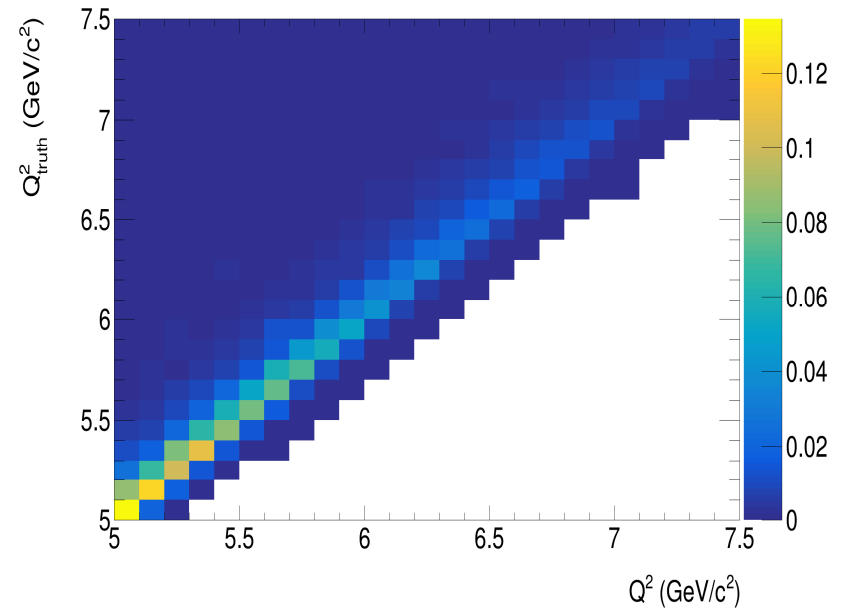
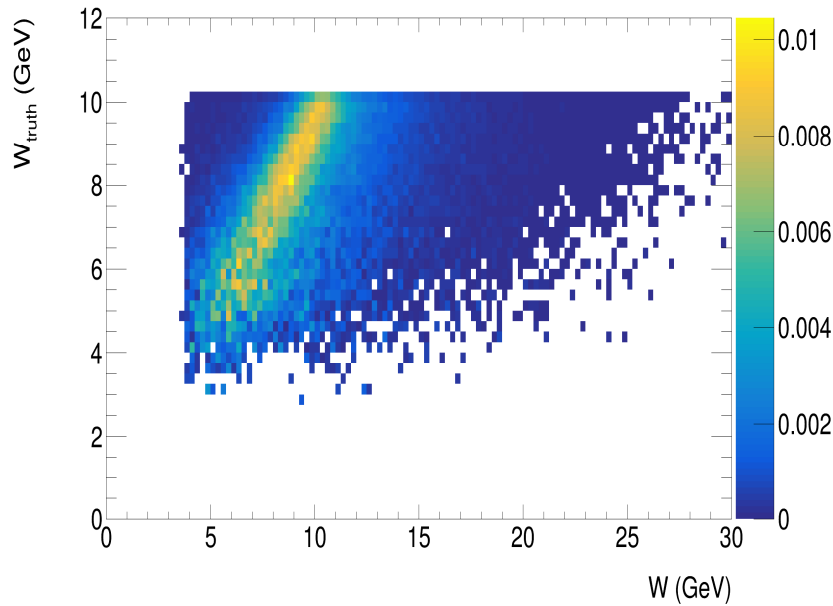
**Possible B0 Calorimeter**  
• Greatly extends acceptance!

- Higher  $Q^2$  data on  $\pi^+$  and  $K^+$  form factors are vital to our better understanding of hadronic physics
  - Pion and kaon properties are intimately connected with dynamical chiral symmetry breaking (DCSB), which explains the origin of more than 98% of the mass of visible matter in the universe
- **Measurement of  $F_\pi$  at EIC has various challenges**
  - Need efficient identification of  $p(e, e'\pi^+n)$  triple coincidences
  - Need good resolution  $t$  reconstruction to avoid excessive bin migration
  - Conventional L–T separation not possible as can't access  $\varepsilon < 0.8$
  - As  $\sigma_L \gg \sigma_T$  expected, most likely possibility is to use model to extract  $\sigma_L$  from  $d\sigma_{\text{UNS}}/dt \rightarrow$  Used also for  $Q^2 = 10 \text{ GeV}^2$  Cornell expt (1978)
  - Best to use exclusive  $\pi^-/\pi^+$  ratio in e+d collisions to validate model
  - **Studies look very encouraging for data to  $Q^2 \approx 30 \text{ GeV}^2$**
- **Measurement of  $F_K$  is probably only possible at IR8**
  - Our studies are in early stage, but it is already obvious that a larger far forward calorimeter acceptance is essential
  - B0 calorimeter would give 2<sup>nd</sup> Detector unique capabilities

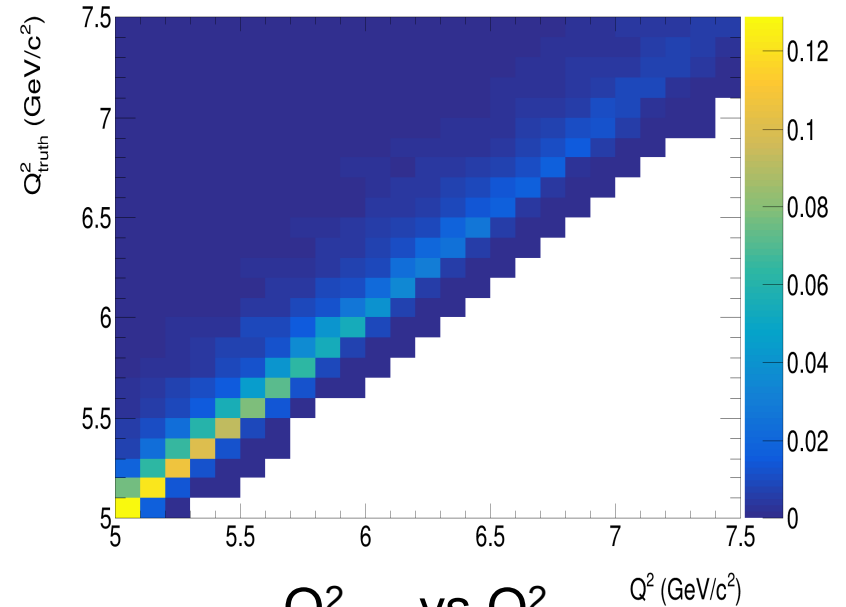
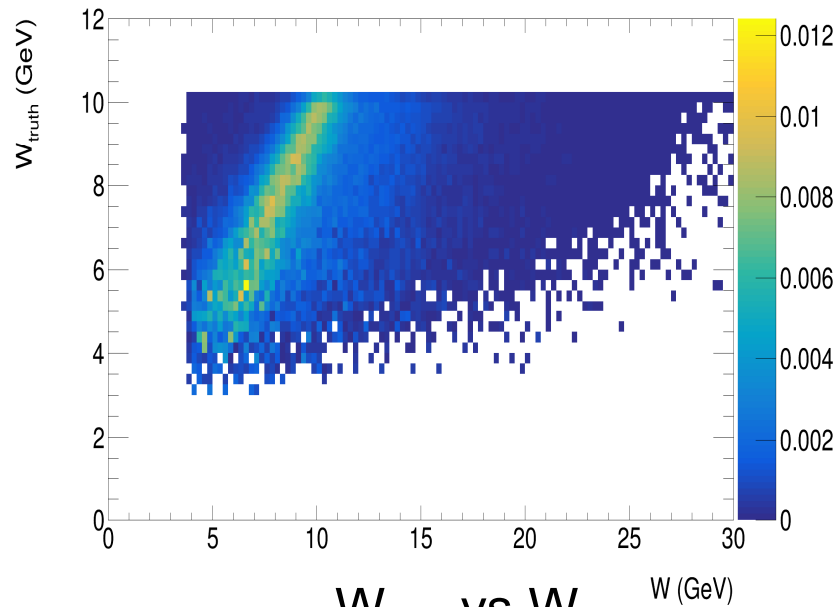


# Comparison: IR6 vs IR8 ( $5 < Q^2 < 7.5$ )

IR6



IR8



$W_{\text{true}}$  vs  $W$

- tighter correlation for IR6

$Q^2_{\text{true}}$  vs  $Q^2$

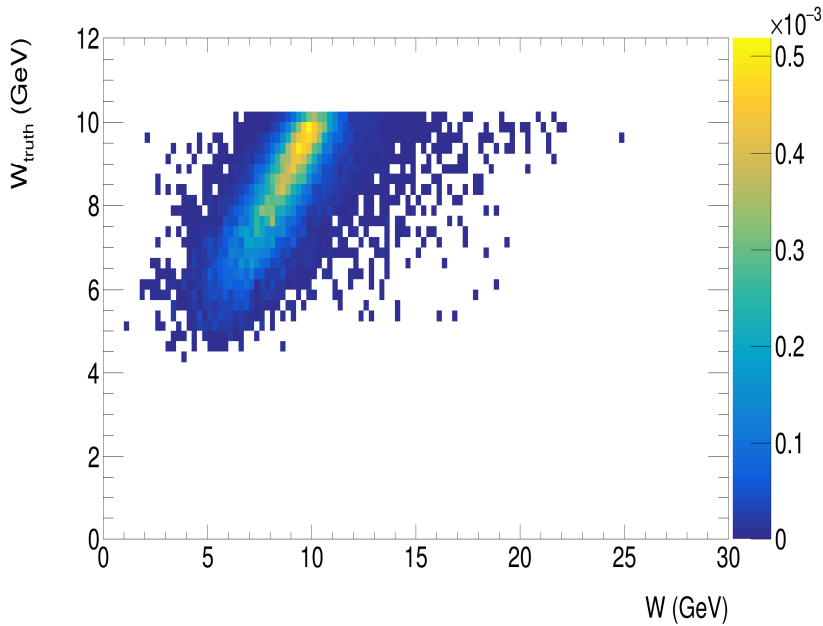
- resolutions very similar

Plots by Stephen Kay

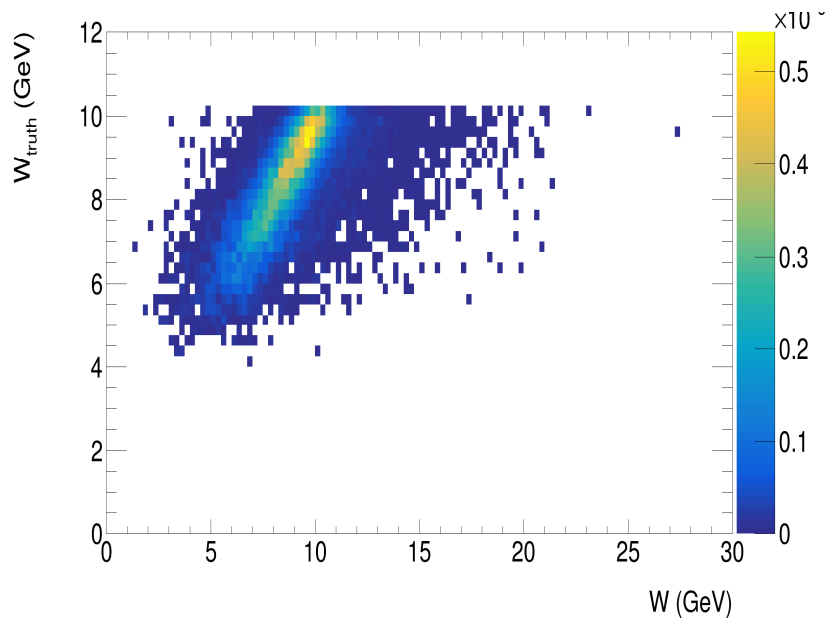


# Comparison: IR6 vs IR8 ( $15 < Q^2 < 20$ )

IR6

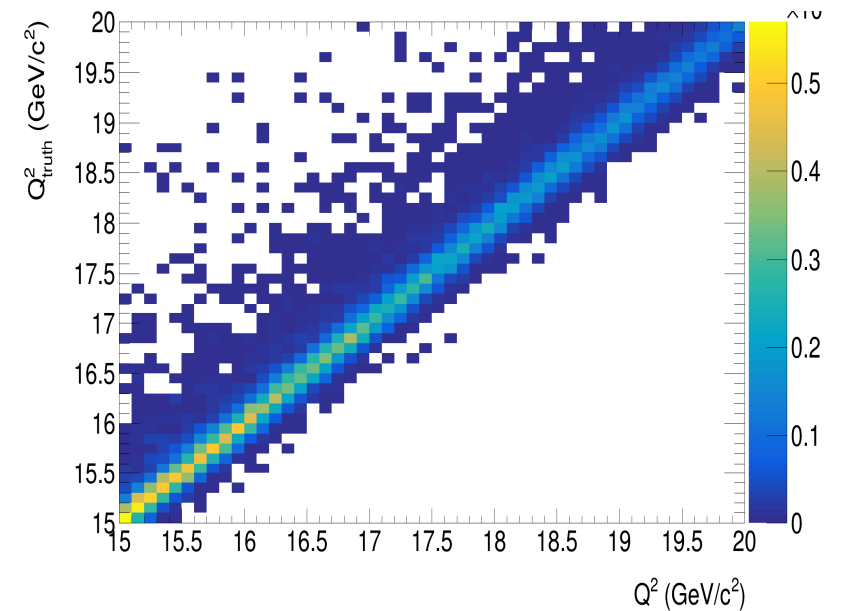
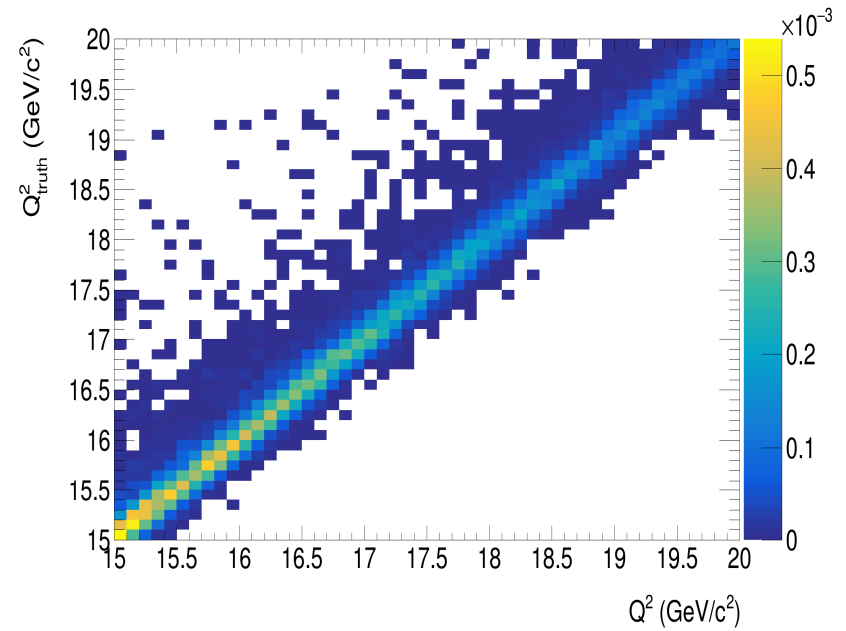


IR8



$W_{\text{true}}$  vs  $W$

• resolutions very similar



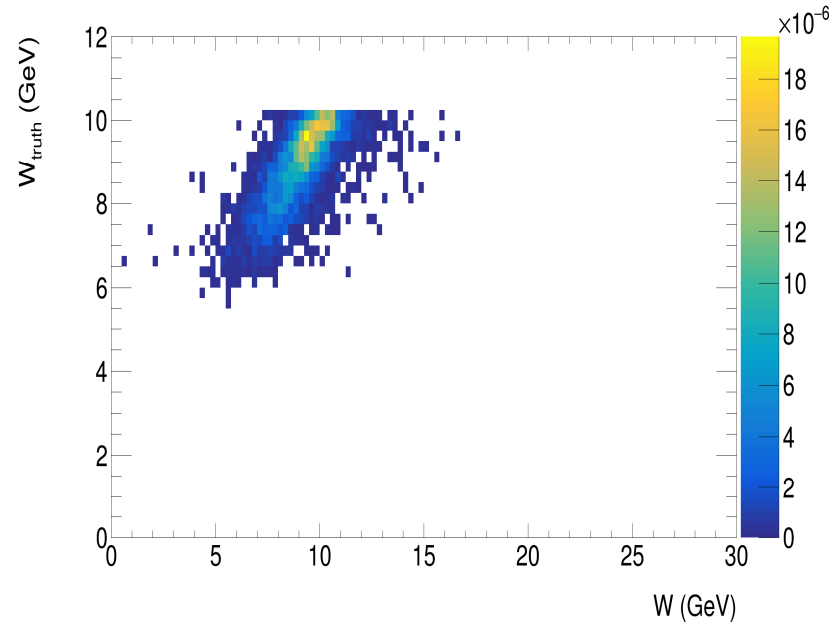
$Q^2_{\text{true}}$  vs  $Q^2$

• resolutions very similar

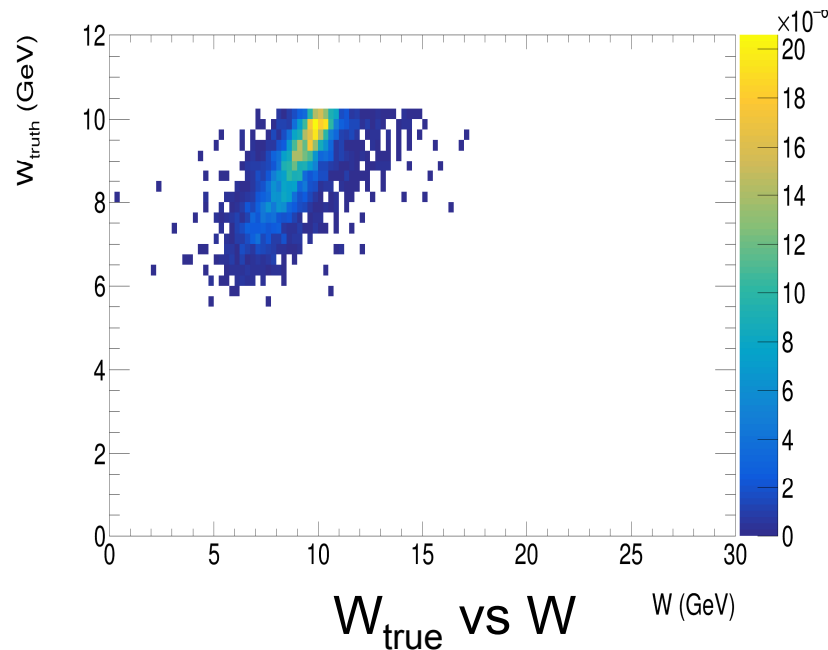
Plots by Stephen Kay

# Comparison: IR6 vs IR8 ( $30 < Q^2 < 35$ )

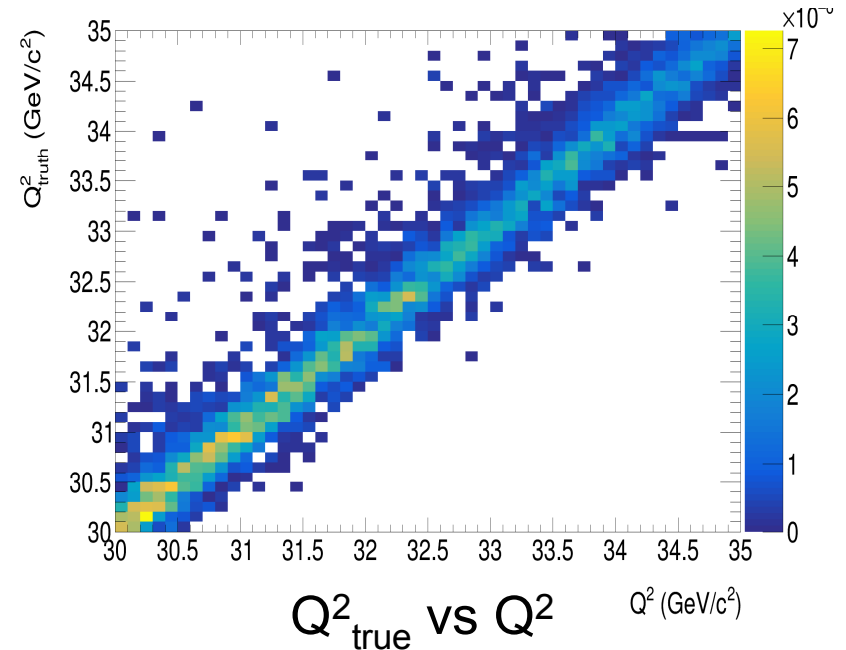
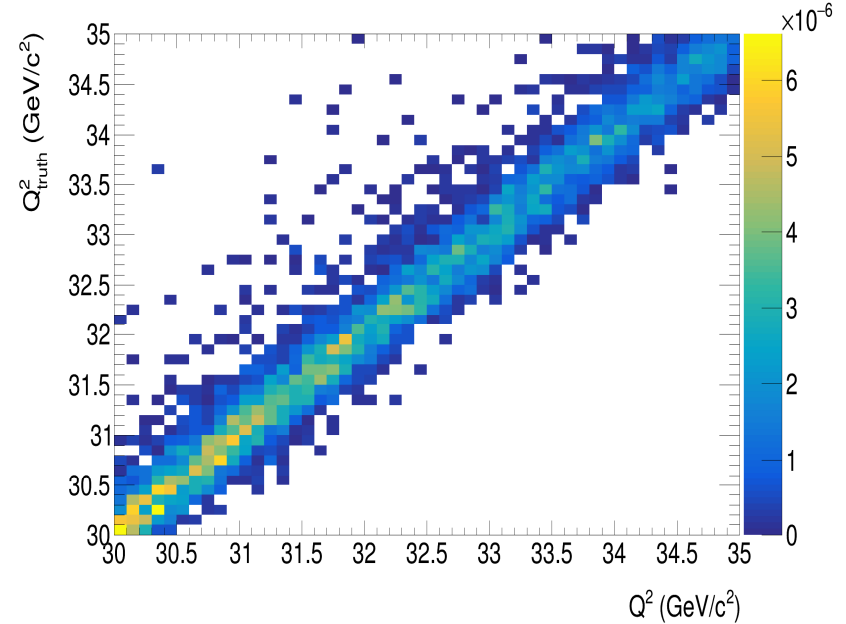
IR6



IR8



$W_{\text{true}}$  vs  $W$   
• tighter correlation for IR8

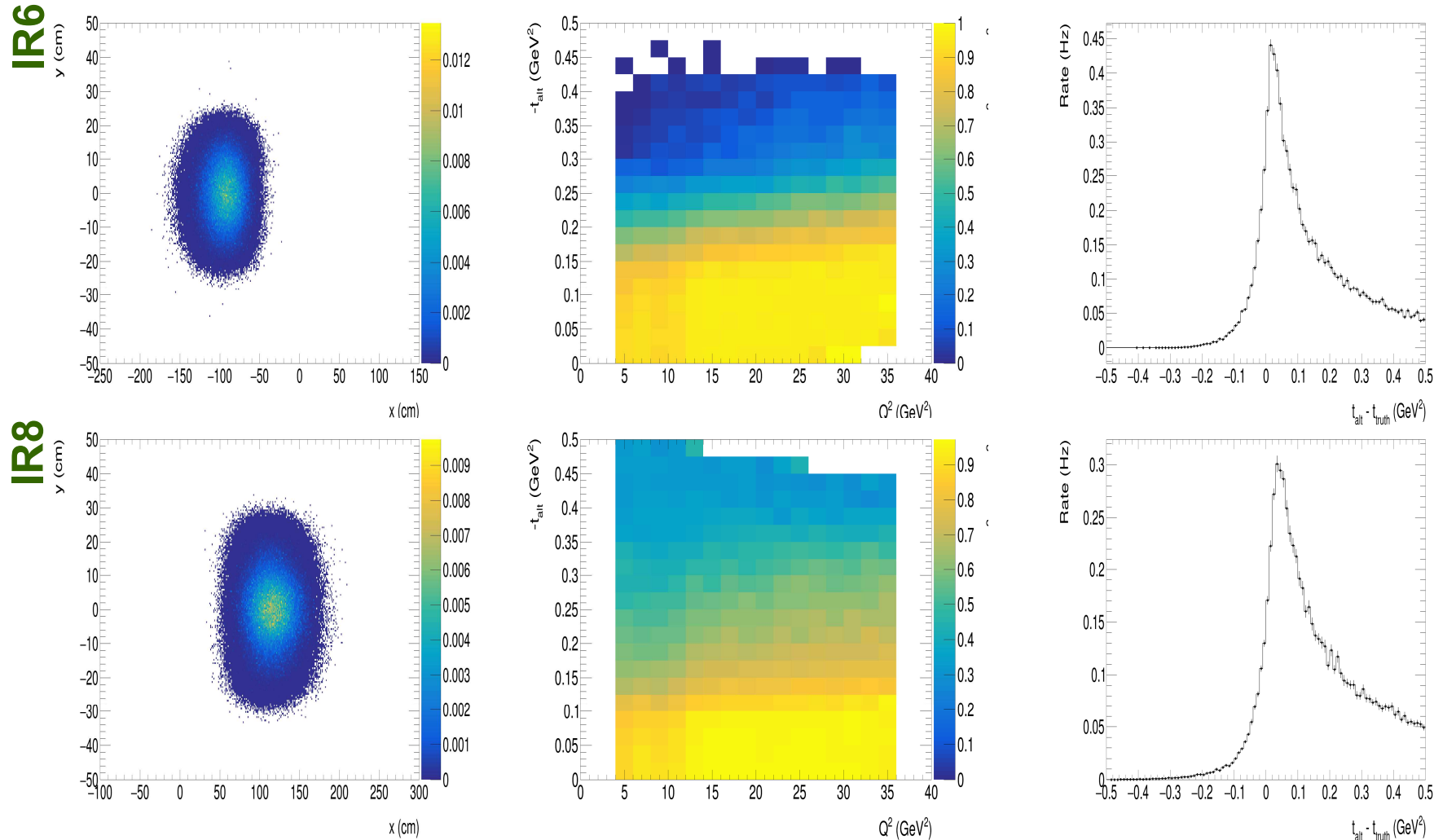


$Q^2_{\text{true}}$  vs  $Q^2$   
• resolutions very similar

Plots by Stephen Kay

# Comparison: IR6 vs IR8 (All Events)

$e' \pi^+ n$  Triple Coincidence Rate for  $5 \times 100$  @  $L = 10^{34}$   
Cuts applied:  $|\theta_n - \theta_{\text{cent}}|$ ,  $p_{\text{miss}}$ ,  $|\Delta\theta|$ ,  $|\Delta\phi|$ ,  $y > 0.01$



*neutron hits on ZDC*  
• Not surprisingly, IR8 has larger acceptance

Detection Efficiency per  $(Q^2, t)$ -bin  
• IR8 better at  $-t=0.35$

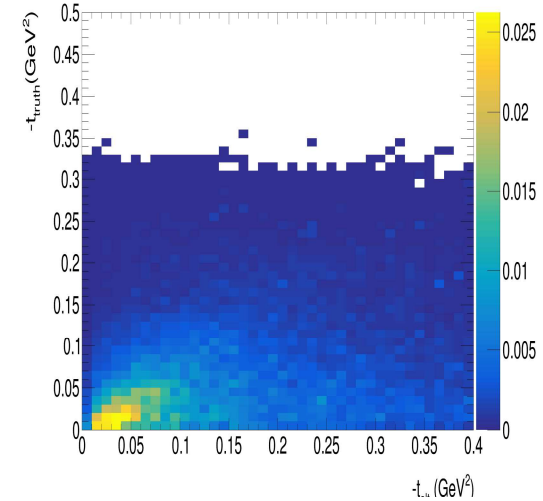
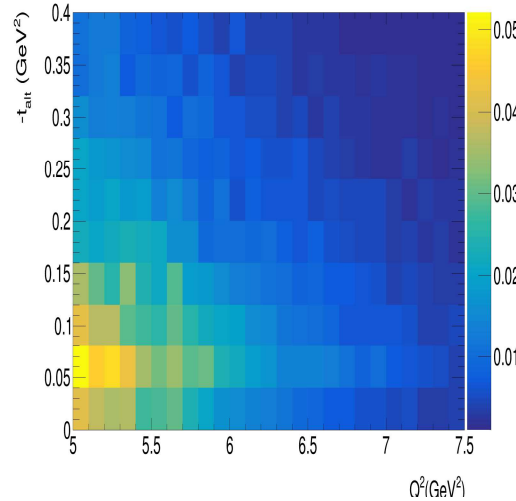
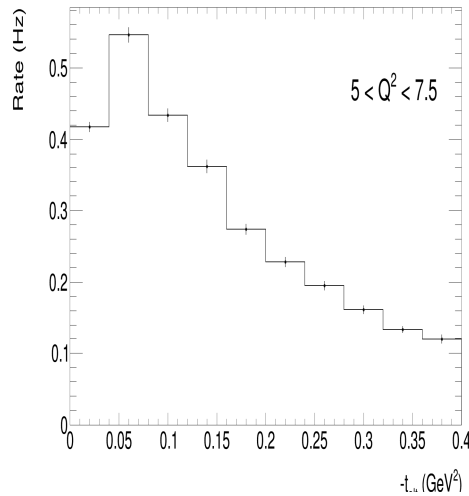
$t_{\text{true}} - t_{\text{alt}}$   
• IR6, IR8 reconstruction resolutions similar

Plots by Stephen Kay

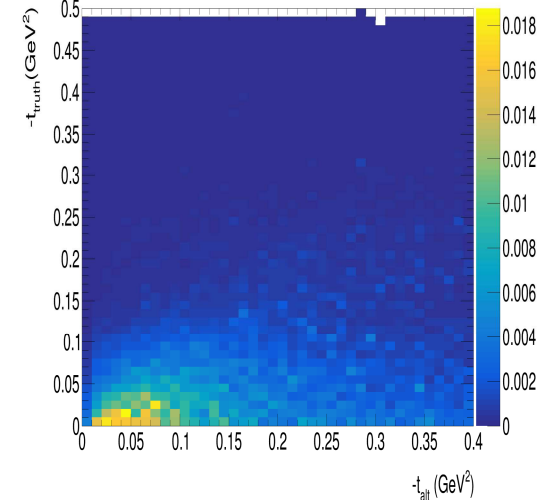
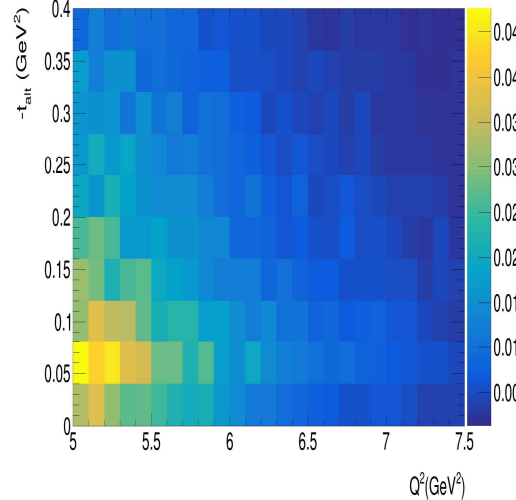
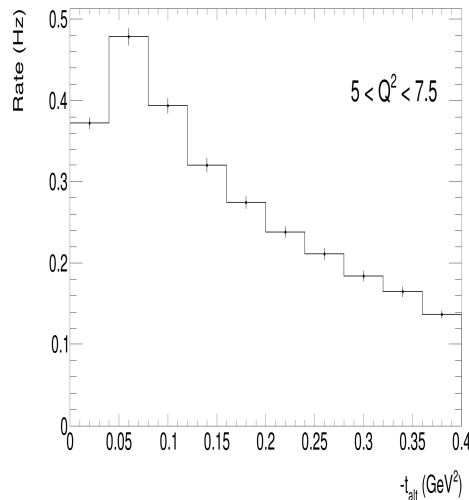
# Comparison: IR6 vs IR8 ( $5 < Q^2 < 7.5$ )

$e' \pi^+ n$  Triple Coincidence Rate for  $5 \times 100$  @  $L = 10^{34}$   
Cuts applied:  $|\theta_n - \theta_{\text{cent}}|$ ,  $p_{\text{miss}}$ ,  $|\Delta\theta|$ ,  $|\Delta\phi|$ ,  $y > 0.01$

IR6



IR8



Rate (Hz) per  $t$ -bin

- IR6 higher at  $-t_{\text{min}}$
- IR8 higher at  $-t=0.35$

Rate (Hz) per  $(Q^2, t)$ -bin

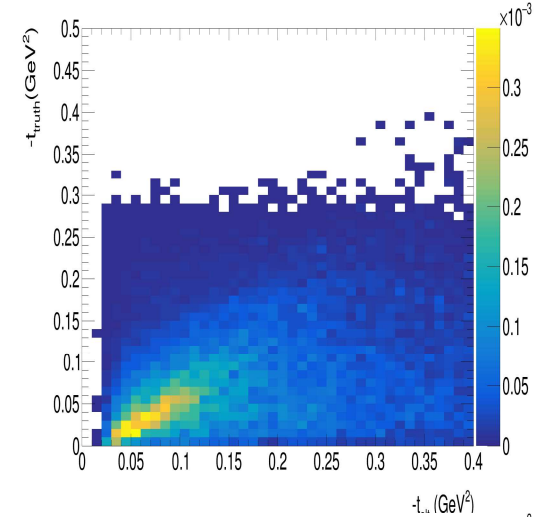
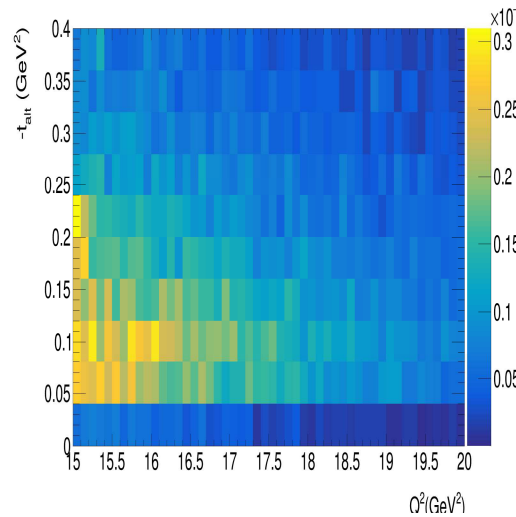
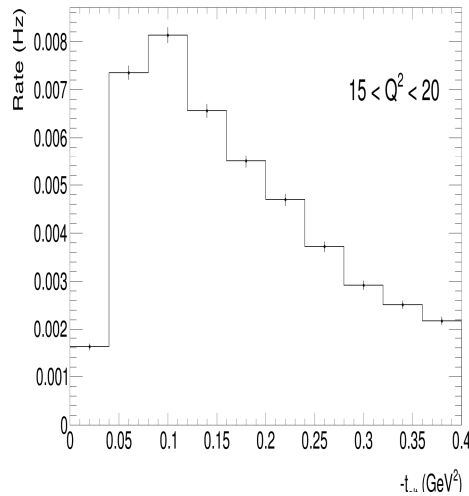
- $t_{\text{true}}$  vs  $t_{\text{alt}}$
- tighter correlation for IR6

Plots by Stephen Kay

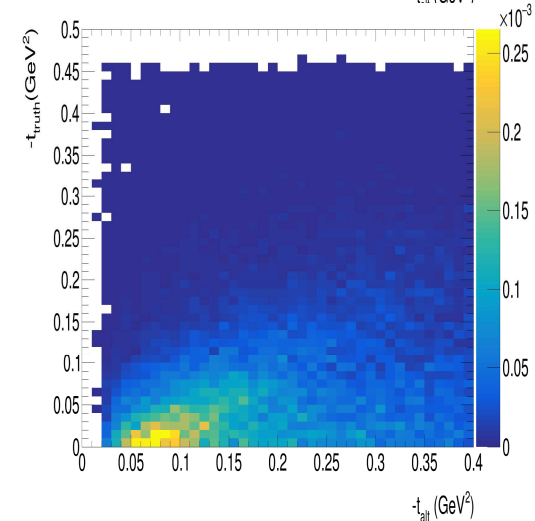
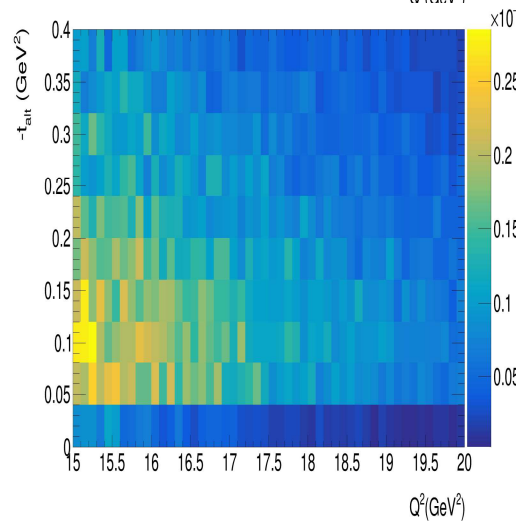
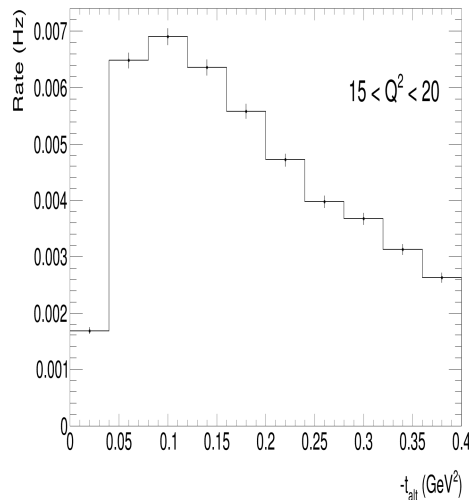
# Comparison: IR6 vs IR8 ( $15 < Q^2 < 20$ )

$e' \pi^+ n$  Triple Coincidence Rate for  $5 \times 100$  @  $L = 10^{34}$   
Cuts applied:  $|\theta_n - \theta_{\text{cent}}|$ ,  $p_{\text{miss}}$ ,  $|\Delta\theta|$ ,  $|\Delta\phi|$ ,  $y > 0.01$

IR6



IR8



Rate (Hz) per  $t$ -bin

- IR6 higher at  $-t_{\text{min}}$
- IR8 higher at  $-t=0.35$

Rate (Hz) per  
( $Q^2, t$ )-bin

$t_{\text{true}}$  vs  $t_{\text{alt}}$   
• tighter correlation for IR6

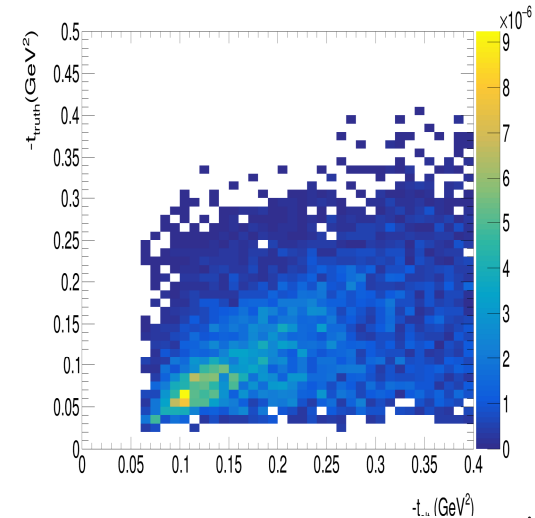
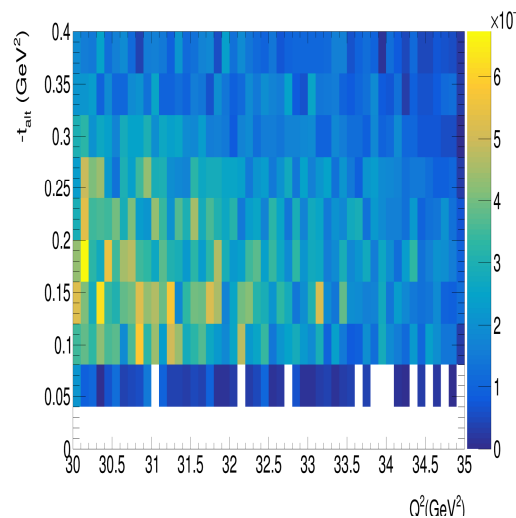
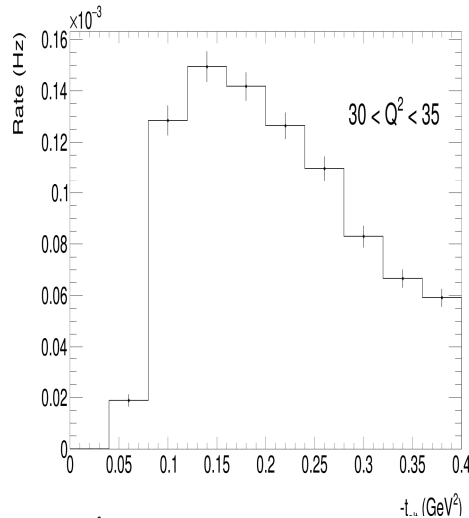
Plots by Stephen Kay



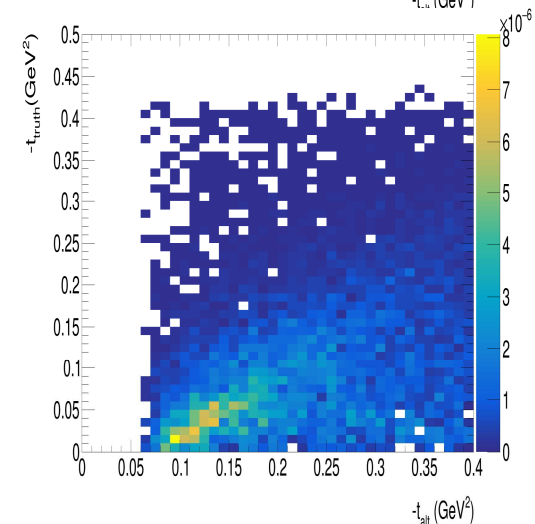
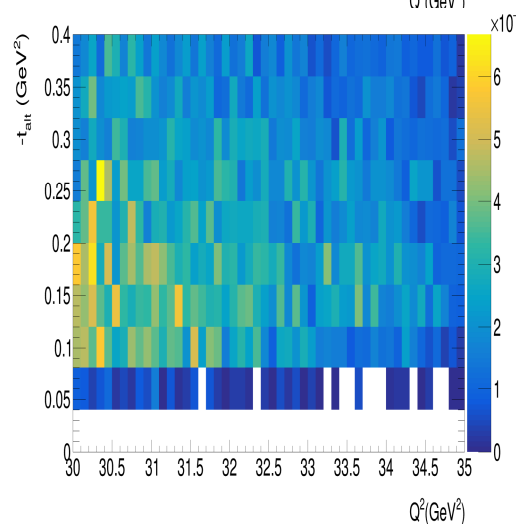
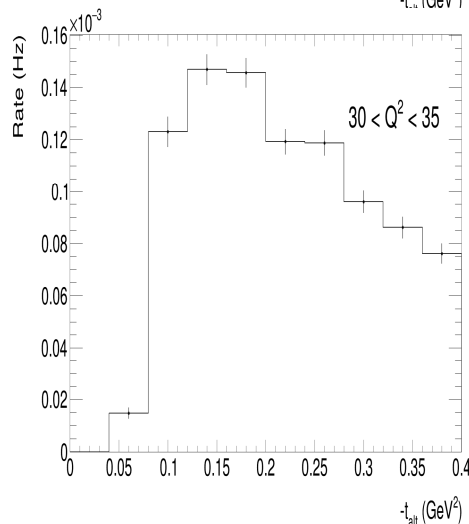
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Cuts applied:  $|\theta_n - \theta_{\text{cent}}|$ ,  $p_{\text{miss}}$ ,  $|\Delta\theta|$ ,  $|\Delta\phi|$ ,  $y > 0.01$

IR6



IR8



Rate (Hz) per  $t$ -bin

- IR6 higher at  $-t_{\text{min}}$
- IR8 higher at  $-t=0.35$

Rate (Hz) per  
( $Q^2, t$ )-bin

$t_{\text{true}}$  vs  $t_{\text{alt}}$

- tighter correlation for IR6

Plots by Stephen Kay

# Measurement of $\pi^+$ Form Factor – Low $Q^2$

**At low  $Q^2$** ,  $F_\pi$  can be measured model-independently via high energy elastic  $\pi^-$  scattering from atomic electrons in Hydrogen

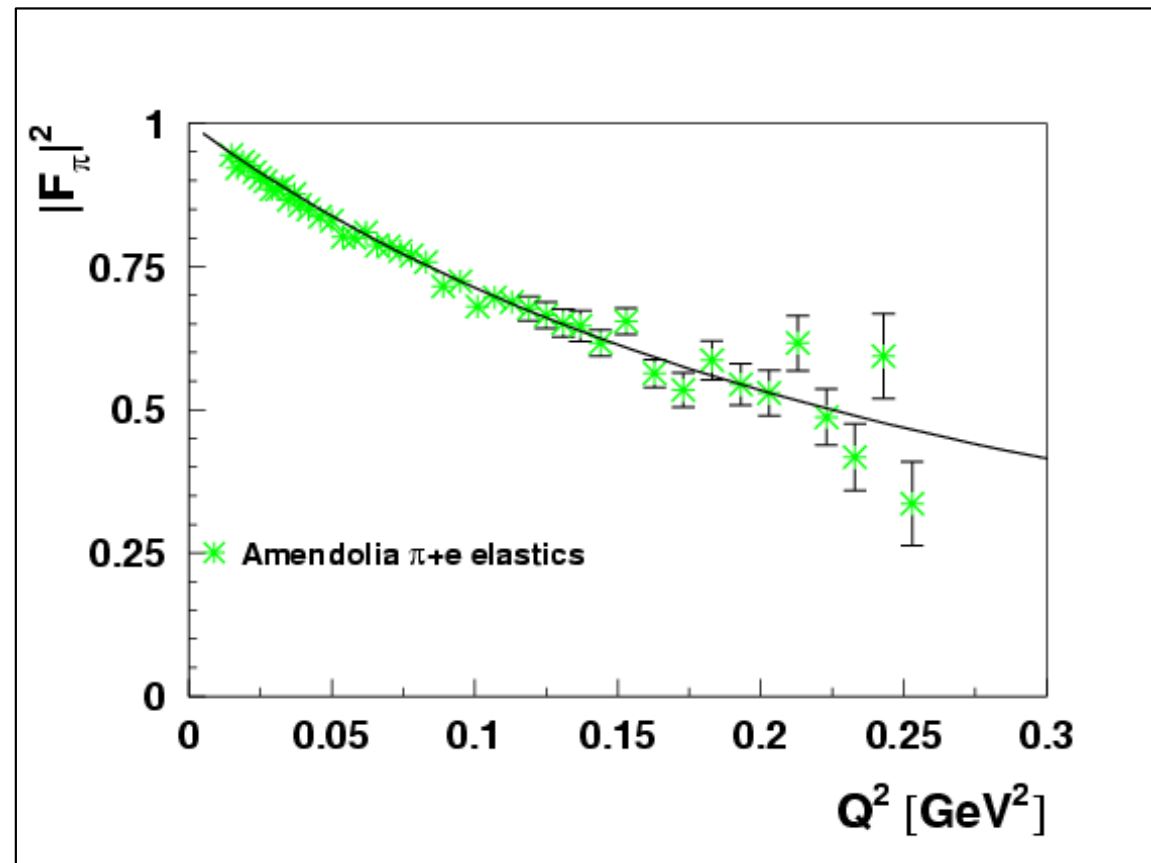
- CERN SPS used 300 GeV pions to measure form factor up to  $Q^2 = 0.25 \text{ GeV}^2$  [*Amendolia, et al., NPB 277(1986)168*]

- Data used to extract pion charge radius

$$r_\pi = 0.657 \pm 0.012 \text{ fm}$$

Maximum accessible  $Q^2$   
roughly proportional to pion  
beam energy

*$Q^2=1 \text{ GeV}^2$  requires  
1 TeV pion beam*



# Measurement of $K^+$ Form Factor

- Similar to  $\pi^+$  form factor, elastic  $K^+$  scattering from electrons used to measure charged kaon form factor at low  $Q^2$

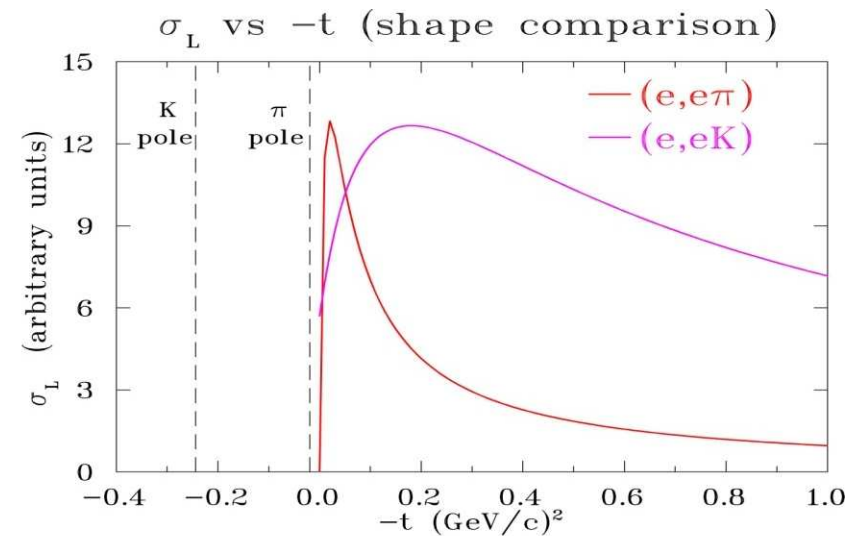
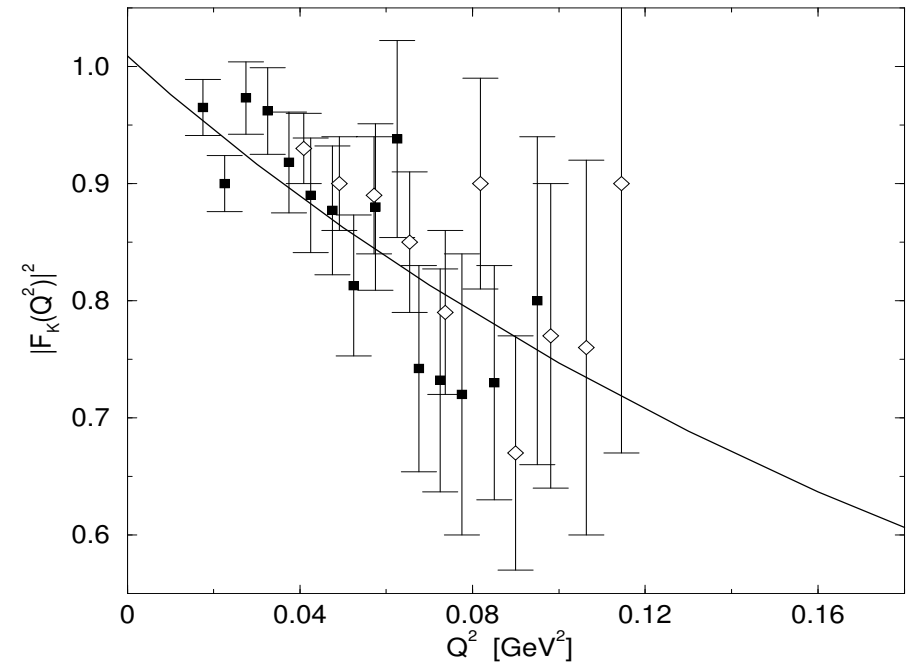
[Amendolia, et al., PL **B178** (1986) 435]

- Can “kaon cloud” of the proton be used in the same way as the pion to extract kaon form factor via  $p(e,e'K^+)\Lambda$  ?

- Kaon pole further from kinematically allowed region

$$\frac{d\sigma_L}{dt} \propto \frac{-tQ^2}{(t - m_K^2)} g_{K\Lambda N}^2(t) F_K^2(Q^2, t)$$

- Many of these issues are being explored in JLab E12-09-011



# Current and Projected $F_K$ Data

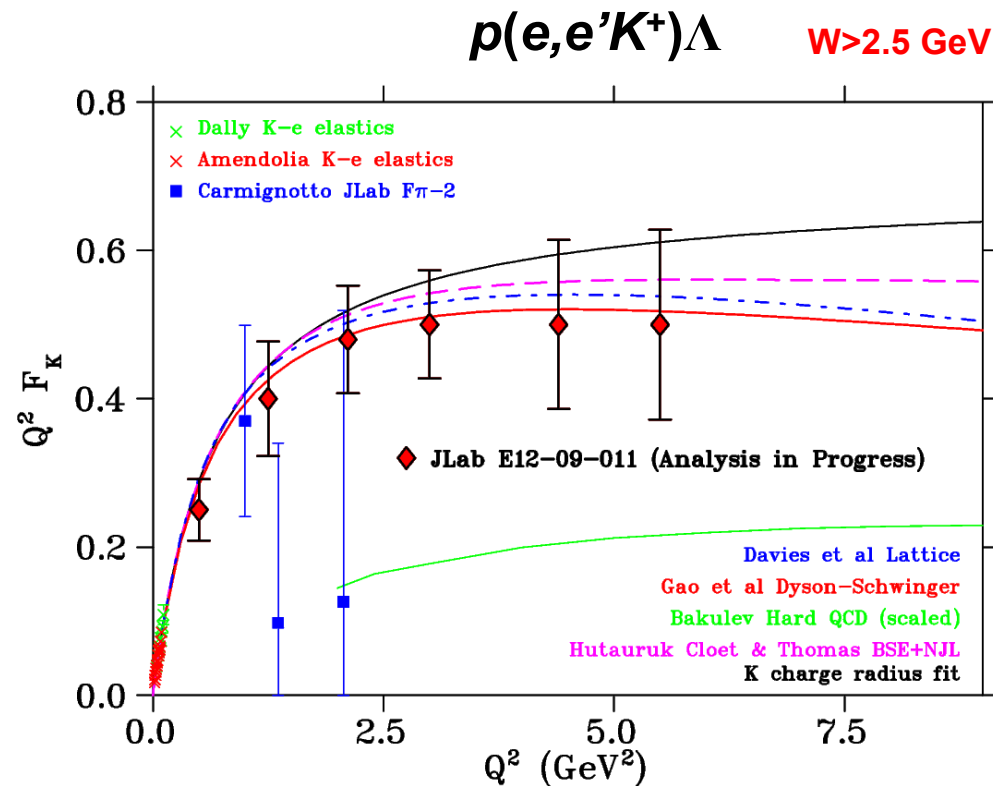
- Similar to  $\pi^+$  form factor, elastic  $K^+$  scattering from electrons used to measure charged kaon form factor at low  $Q^2$

[Amendolia, et al., PL **B178** (1986) 435]

- Can “kaon cloud” of the proton be used in the same way as the pion to extract kaon form factor via  $p(e,e'K^+)\Lambda$  ?

- Kaon pole further from kinematically allowed region

$$\frac{d\sigma_L}{dt} \propto \frac{-tQ^2}{(t - m_K^2)} g_{K\Lambda N}^2(t) F_K^2(Q^2, t)$$



Extraction of  $F_K$  from  $Q^2 > 4 \text{ GeV}^2$  data is more uncertain, due to higher  $-t_{\min}$

**Many of these issues are being explored in JLab E12-09-011**

Error in  $d\sigma_L/dt$  is magnified by  $1/\Delta\varepsilon$

→ To keep magnification factor <5x, need  $\Delta\varepsilon > 0.2$ , preferably more!

$$\frac{d^2\sigma}{dt d\phi} = \varepsilon \frac{d\sigma_L}{dt} + \frac{d\sigma_T}{dt} + \sqrt{2\varepsilon(\varepsilon+1)} \frac{d\sigma_{LT}}{dt} \cos\phi_\pi + \varepsilon \frac{d\sigma_{TT}}{dt} \cos 2\phi_\pi$$

$$\frac{\Delta\sigma_L}{\sigma_L} = \frac{1}{(\varepsilon_1 - \varepsilon_2)} \left( \frac{\Delta\sigma}{\sigma} \right) \sqrt{(R + \varepsilon_1)^2 + (R + \varepsilon_2)^2} \quad \text{where } R = \frac{\sigma_T}{\sigma_L}$$

$$\frac{\Delta\sigma_T}{\sigma_T} = \frac{1}{(\varepsilon_1 - \varepsilon_2)} \left( \frac{\Delta\sigma}{\sigma} \right) \sqrt{\varepsilon_1^2 \left( 1 + \frac{\varepsilon_2}{R} \right)^2 + \varepsilon_2^2 \left( 1 + \frac{\varepsilon_1}{R} \right)^2}$$

The relevant quantities for  $F_\pi$  extraction are  $R$  and  $\Delta\varepsilon$

$$\frac{d\sigma_L}{dt} \propto \frac{-tQ^2}{(t - m_\pi^2)} g_{\pi NN}^2(t) F_\pi^2(Q^2, t)$$

Although the technique has not been tested for this reaction, it is in principle possible to extract  $R=\sigma_L/\sigma_T$  using polarization degrees of freedom

For parallel kinematics  
(outgoing meson along  $\vec{q}$ )  
in proton rest frame

$$R = \frac{\sigma_L}{\sigma_T} = \frac{1}{\varepsilon_L} \left( \frac{1}{\chi_z} - 1 \right)$$

Longitudinal polarization  
of virtual photon

$$\varepsilon_L = \left( Q^2 / \omega_{cm}^2 \right) \varepsilon$$

z-component of proton  
“reduced” polarization in  
exclusive pseudoscalar  
meson production

$$\chi_z = \frac{1}{2P_e P_p \sqrt{1 - \varepsilon^2}} A_z$$

$A_z$  = double-spin asymmetry

Schmieden, Tiator Eur.Phys.J. A **8**(2000)15-17.



- A point in favor of this technique is that  $P_p$  (component of proton polarization parallel to  $\vec{q}$ ) should be readily optimizable at EIC.
- Need to keep in mind that the  $R=\sigma_L/\sigma_T$  polarization relation only strictly applies in parallel kinematics.
  - The detector geometry enforces very tight constraints, as recoil neutron angle is very sensitive to  $\theta_{CM}$ .

$$\sigma_L \propto P_e P_p \sqrt{1 - \varepsilon^2} A_z$$

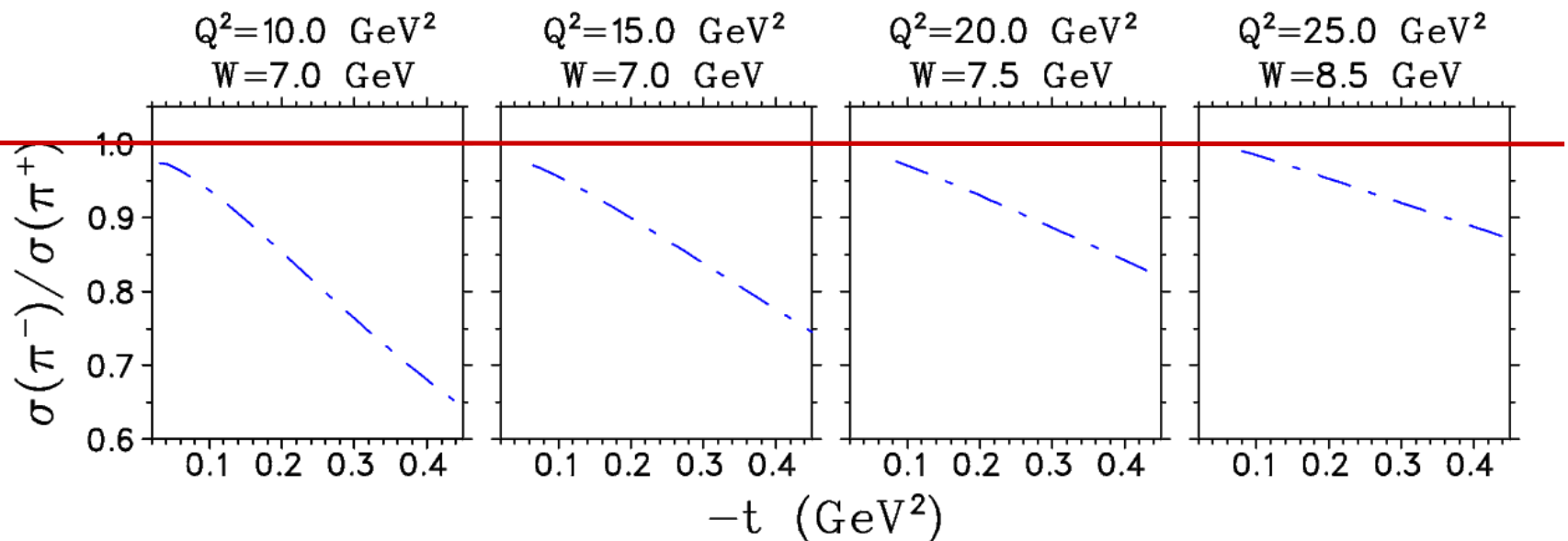
- Figure of merit for this technique vanishes for  $\varepsilon \approx 1.0$ .
- $\varepsilon \approx 0.95$  gives  $\sqrt{1 - \varepsilon^2} \approx 0.31$
- Requires  $E_{CM} < 20$  GeV, e.g. 3x25. Luminosity low.
- At best, this could be used as a spot-check only in specific kinematics. Generally not feasible.

# Using $\pi^-/\pi^+$ ratios to confirm $\sigma_L \gg \sigma_T$

- Exclusive  $^2\text{H}(e,e'\pi^+n)n$  and  $^2\text{H}(e,e'\pi^-p)p$  in same kinematics as  $p(e,e'\pi^+n)$
- $\pi$   $t$ -channel diagram is purely isovector (G-parity conservation).

$$R = \frac{\sigma[n(e,e'\pi^-p)]}{\sigma[p(e,e'\pi^+n)]} = \frac{|A_V - A_S|^2}{|A_V + A_S|^2}$$

- The  $\pi^-/\pi^+$  ratio will be diluted if  $\sigma_T$  is not small, or if there are significant non-pole contributions to  $\sigma_L$ .
- Compare measured  $\pi^-/\pi^+$  ratio to model expectations.

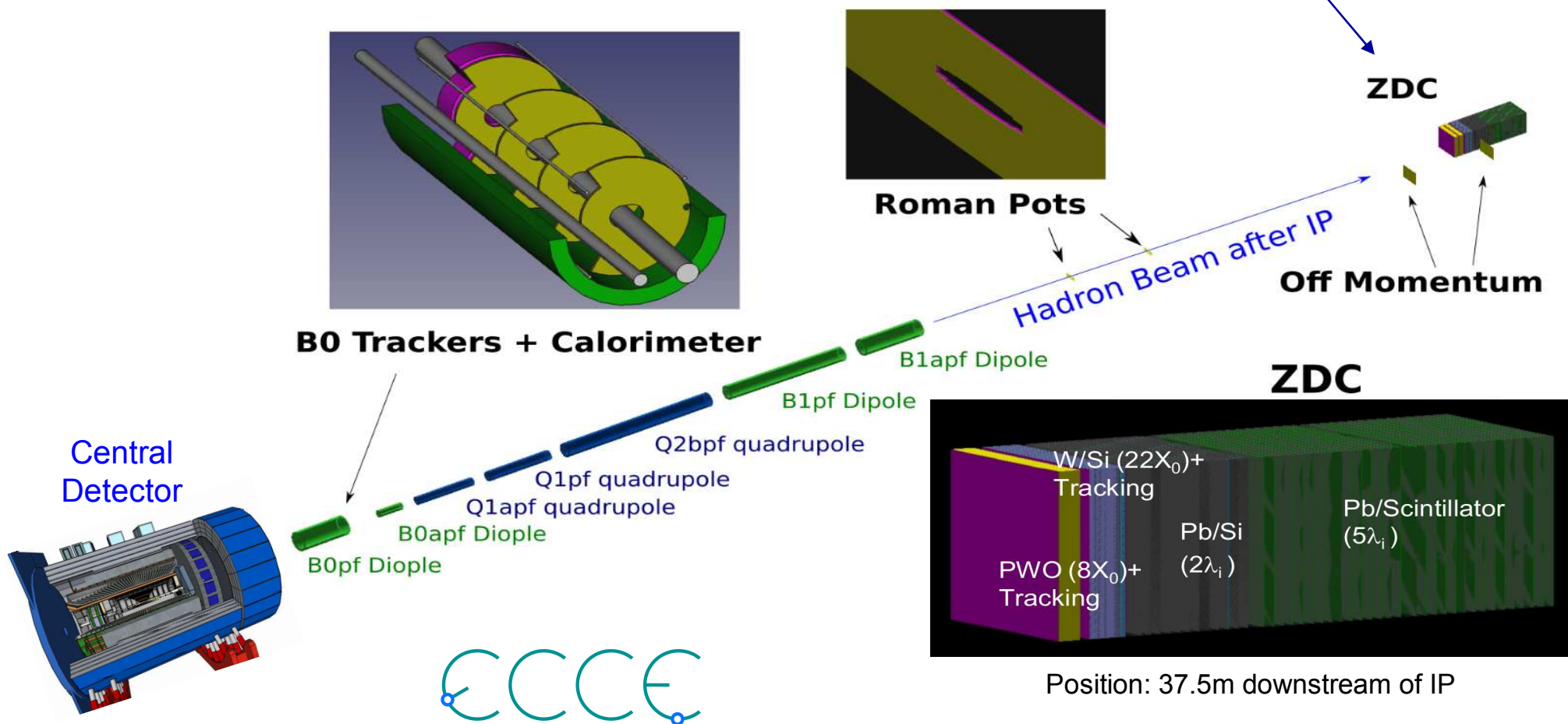


$R=1.0$

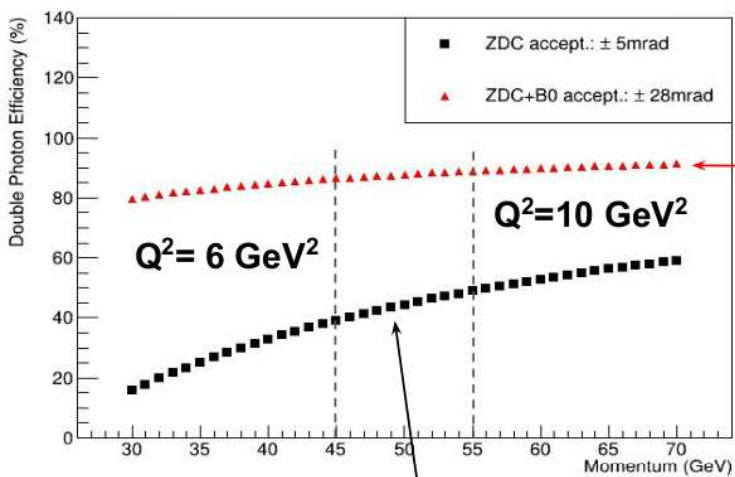
$^2\text{H}(e,e'\pi^+n)n$   $^2\text{H}(e,e'\pi^-p)p$  EIC studies not yet started

# EIC Far Forward Detectors

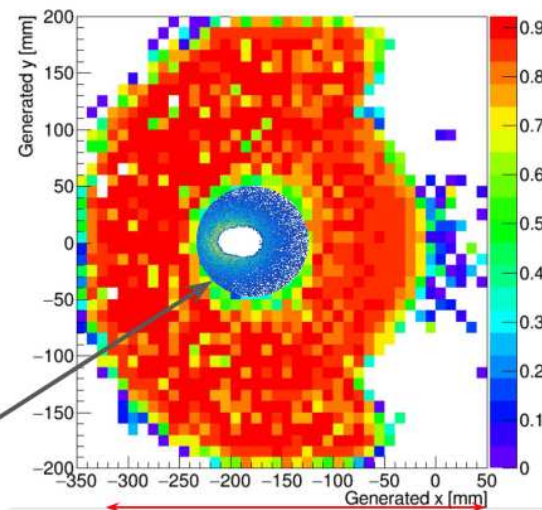
- Crucial to cleanly separate exclusive  $p(e, e' \pi^+ n)$  process from competing inclusive reactions
- EIC measurement impossible unless recoil neutron (very high momentum,  $< 1^\circ$  from outgoing hadron beam) is efficiently detected
- **High quality Zero Degree Calorimeter (ZDC) essential**



## Two photon detection efficiency

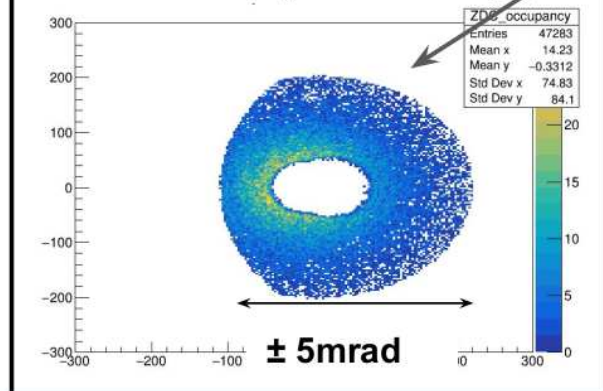


## ZDC + B0 calorimeter

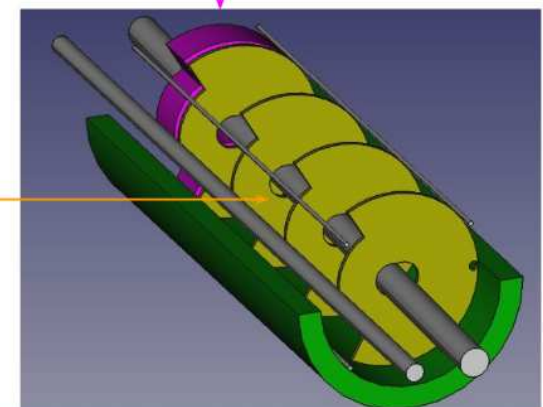


$\pm 28\text{mrad}$  !

## ZDC Acceptance only



## B0 Calorimeter



## B0 Trackers