

Global fits of the Standard Model and beyond

Constraining new physics via improved global fits of the
Standard Model Effective Field Theory



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Based on work in collaboration with:

J. de Blas, A. Goncalves, V. Miralles, M. Pierini, L. Silvestrini, M. Valli, and members of



Stress-testing the Standard Model and beyond

Searching for indirect evidence of new physics through precision

- **EW precision fits**: testing the **quantum consistency** of the SM to the highest precision.
- **More observables** are and will be measured with high precision: towards **global fits**.
- Testing models **beyond the SM** in the framework of EFT: **the SMEFT as a proof of concept**.

State of the art of SM theory calculations of EW precision observables

- Γ_W : **only EW one loop**
 - D.Y. Bardin, P.K. Khristova, O. Fedorenko, Nucl. Phys B197 (1982) 1
 - D.Y. Bardin, S. Riemann, T. Riemann, Z. Phys C32 (1986) 121
- M_W : **Full EW 2-loop corr. + leading 3-loop & some 4-loop**
 - M. Awramik, M. Czakon, A. Freitas, G. Weiglein, Phys. Rev. D69 (2004) 053006
- $\sin^2\theta_{eff}^f$: **(light fermions): Full EW 2-loop corr. + leading higher order**
 - M. Awramik, M. Czakon, A. Freitas, JHEP 11 (2006) 048
 - M. Awramik, M. Czakon, A. Freitas, B.A. Kniehl, Nucl. Phys. B 813 (2009) 174
- Γ_Z^f : **Full EW 2-loop corr. + leading higher order**
 - I. Dubovyk, A. Freitas, J. Gluza, T. Riemann, J. Usovitsch, Phys. Lett. B 783 (2018) 86
- $\sin^2\theta_{eff}^b$: **Full EW 2-loop corr. + leading higher order**
 - I. Dubovyk, A. Freitas, J. Gluza, T. Riemann, J. Usovitsch, Phys. Lett. B 762 (2016) 184
- **Leading 3-loop EW-QCD fermionic corr. ($M_W, \sin^2\theta_{eff}^f, \Gamma_Z^f$)**
 - L. Cheng, A. Freitas, JHEP 07 (2020) 210, JHEP 03 (2021) 215

In fit: used 2-loop parametrizations from:
Dubovyk, Freitas, Gluza, Riemann, Usovitsch
JHEP 08 (2019) 113

From same reference:
estimate of residual
theoretical uncertainties

The HEPfit framework

Open-source tool

Statistical framework based on a Bayesian MCMC analysis as implemented in

BAT (Bayesian Analysis Toolkit)
Caldwell et al., arXiv:0808.2552

Supports SM (fully implemented) and BSM models, in particular the dim-6 SMEFT

Used for several global fits and future collider projections.

New release includes EW, Higgs, top, and flavor observables in the SM and the SMEFT with

- SM predictions at NLO or higher.
- SMEFT at tree level (dim-6 operators only).
- Linear (and quadratic) effects from dim-6 operators.
- RGE running of the SMEFT Wilson Coefficients.

HEPfit: a Code for the Combination of Indirect and Direct Constraints on High Energy Physics Models.

Higgs Physics
HEPfit can be used to study Higgs couplings and analyze data on signal strengths.

Precision Electroweak
Electroweak precision observables are included in HEPfit.

Flavour Physics
The Flavour Physics menu in HEPfit includes both quark and lepton flavour dynamics.

BSM Physics
Dynamics beyond the Standard Model can be studied by adding models in HEPfit.

<http://hepfit.roma1.infn.it>

J. De Blas et al., 1910.14012

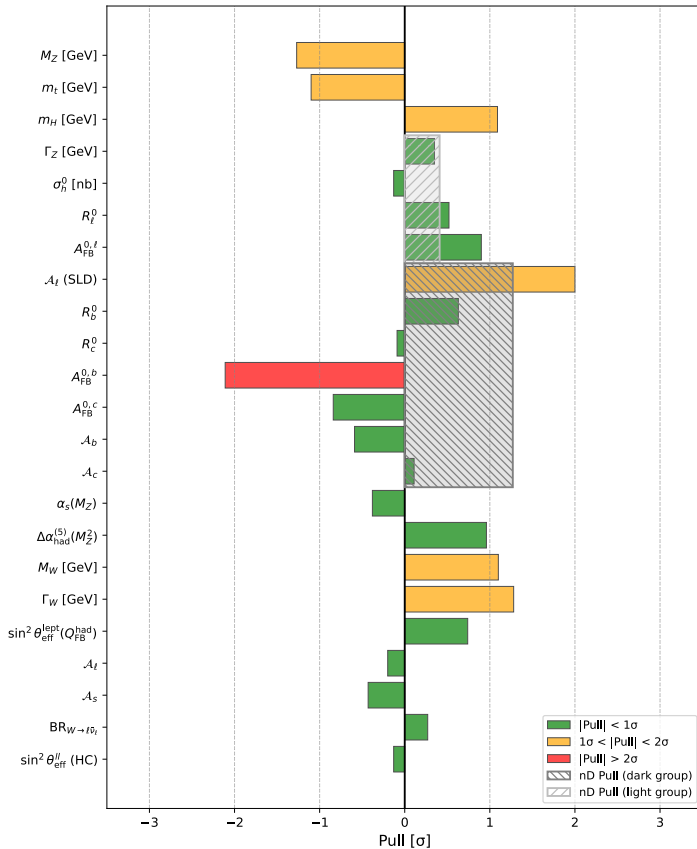
Other existing frameworks for SMEFT global fits:

- SMEFiT**, Celada et al. 2105.00006, 2302.06660, 2404.12809
- Fitmaker**, Ellis et al. 2012.02779
- Aebischer et al., 1810.07698
- Allwicher et al, 2311.00020
- Cirigliano et al. 2311.00021
- Bartocci et al. 2311.04963

} Include flavor

EW precision observables: status of SM precision fit

Individual Pulls: SM Prediction vs. Measurement



α input scheme:

$$\{\alpha, G_F, M_Z, m_H, m_t, \alpha_s\}$$

All parameters and observables floating except α and G_F

Posterior:
the full fit result

Individual prediction:
remove one observable (set of),
fit predict the removed observable.

1D/nD pull: single (set of)
observable(s) pull

	Global SM EW fit				
	Measurement	Posterior	Individual Prediction	1D Pull	nD Pull
$\alpha_s(M_Z)$	0.11873 ± 0.00056	0.11878 ± 0.00055 [0.11769, 0.11986]	0.1199 ± 0.0028 [0.1144, 0.1253]	-0.38	
$\Delta\alpha_{\text{had}}^{(5)}(M_Z^2)$	0.02766 ± 0.00010	0.027631 ± 0.000096 [0.027443, 0.027819]	0.02734 ± 0.00032 [0.02670, 0.02797]	0.96	
M_Z [GeV]	91.1875 ± 0.0021	91.1885 ± 0.0019 [91.1847, 91.1923]	91.1964 ± 0.0068 [91.1832, 91.2097]	-1.27	
m_t [GeV]	172.31 ± 0.32	172.38 ± 0.31 [171.77, 173.00]	174.0 ± 1.5 [171.1, 177.0]	-1.10	
m_H [GeV]	125.100 ± 0.090	125.101 ± 0.090 [124.925, 125.278]	106.2 ± 16.3 [76.2, 141.4]	1.09	
M_W [GeV]	80.3635 ± 0.0080	80.3562 ± 0.0045 [80.3475, 80.3650]	80.3529 ± 0.0054 [80.3423, 80.3635]	1.10	
Γ_W [GeV]	2.151 ± 0.049	2.08844 ± 0.00041 [2.08762, 2.08925]	2.08843 ± 0.00042 [2.08761, 2.08923]	1.28	
$\sin^2 \theta_{\text{eff}}^{\text{lep}}(O_{\text{FB}}^{\text{had}})$	0.2324 ± 0.0012	0.231523 ± 0.000055 [0.231415, 0.231631]	0.231523 ± 0.000057 [0.231412, 0.231634]	0.74	
$-P_{\tau}^{\text{pol}} = \mathcal{A}_{\ell}$	0.1465 ± 0.0033	0.14701 ± 0.00043 [0.14616, 0.14785]	0.14702 ± 0.00043 [0.14616, 0.14788]	-0.20	
Γ_Z [GeV]	2.4955 ± 0.0023	2.49474 ± 0.00052 [2.49372, 2.49577]	2.49466 ± 0.00054 [2.49361, 2.49573]	0.35	
σ_h^0 [nb]	41.480 ± 0.033	41.4862 ± 0.0067 [41.4731, 41.4995]	41.4871 ± 0.0068 [41.4735, 41.5005]	-0.13	0.41
R_{ℓ}^0	20.767 ± 0.025	20.7545 ± 0.0067 [20.7413, 20.7676]	20.7529 ± 0.0069 [20.7394, 20.7668]	0.52	
$A_{\text{FB}}^{0,\ell}$	0.0171 ± 0.0010	0.016208 ± 0.000095 [0.016023, 0.016397]	0.016197 ± 0.000096 [0.016011, 0.016386]	0.90	
\mathcal{A}_{ℓ} (SLD)	0.1513 ± 0.0021	0.14701 ± 0.00043 [0.14616, 0.14785]	0.14700 ± 0.00045 [0.14613, 0.14789]	2.00	
R_b^0	0.21629 ± 0.00066	0.215881 ± 0.0000100 [0.215684, 0.216074]	0.21588 ± 0.00010 [0.21567, 0.21607]	0.63	
R_c^0	0.1721 ± 0.0030	0.172218 ± 0.000052 [0.172117, 0.172320]	0.172218 ± 0.000051 [0.172116, 0.172319]	-0.09	
$A_{\text{FB}}^{0,b}$	0.0996 ± 0.0016	0.10306 ± 0.00031 [0.10247, 0.10366]	0.10305 ± 0.00031 [0.10244, 0.10368]	-2.11	1.27
$A_{\text{FB}}^{0,c}$	0.0707 ± 0.0035	0.07363 ± 0.00022 [0.07318, 0.07407]	0.07362 ± 0.00023 [0.07316, 0.07409]	-0.84	
\mathcal{A}_b	0.923 ± 0.020	0.934735 ± 0.000039 [0.934658, 0.934812]	0.934735 ± 0.000039 [0.934658, 0.934813]	-0.59	
\mathcal{A}_c	0.670 ± 0.027	0.66777 ± 0.00021 [0.66735, 0.66819]	0.66777 ± 0.00022 [0.66735, 0.66820]	0.11	
\mathcal{A}_s	0.895 ± 0.091	0.935642 ± 0.000040 [0.935564, 0.935719]	0.935642 ± 0.000039 [0.935565, 0.935719]	-0.43	
$\text{BR}_{W \rightarrow \tau \nu_{\ell}}$	0.10860 ± 0.00090	0.108361 ± 0.000013 [0.108336, 0.108386]	0.108361 ± 0.000013 [0.108336, 0.108386]	0.27	
$\sin^2 \theta_{\text{eff}}^{\text{ll}}(\text{HC})$	0.23150 ± 0.00023	0.231523 ± 0.000055 [0.231415, 0.231631]	0.231523 ± 0.000057 [0.231412, 0.231634]	-0.13	

J. de Blas et al. 2204.04204

Update: LR+L.Silvestrini 2511.16534



EW precision observables: status of SM precision fit

For M_W we combine:

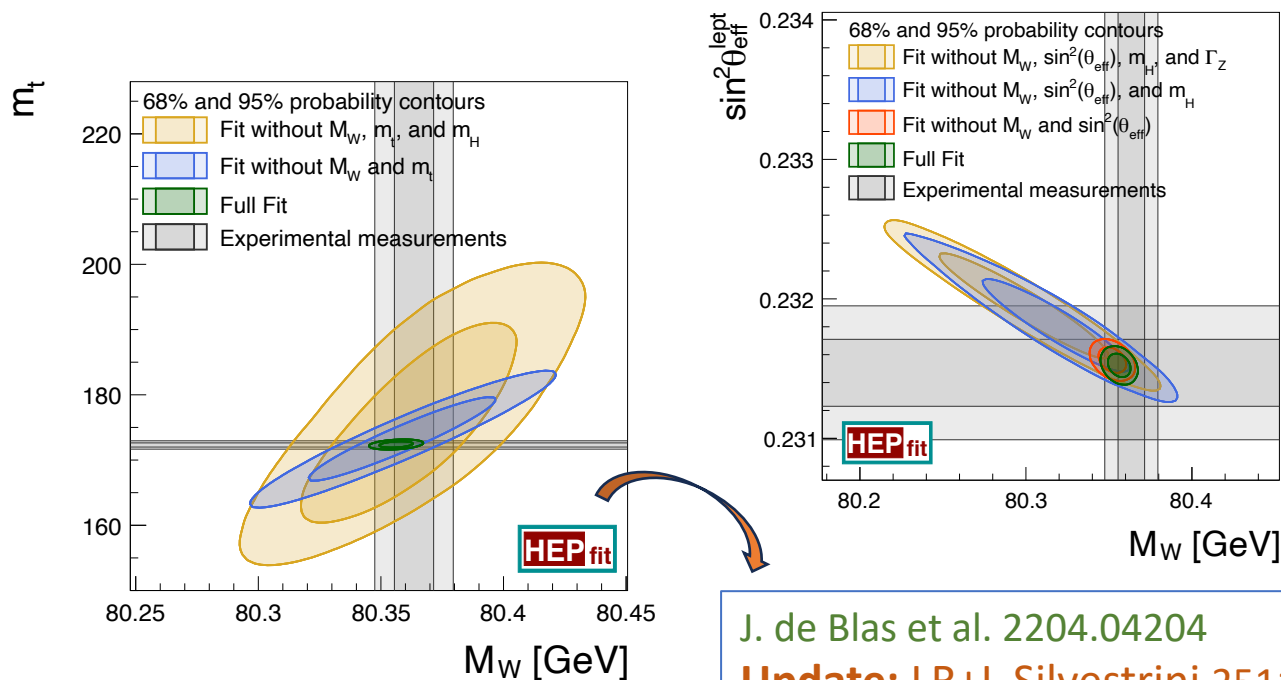
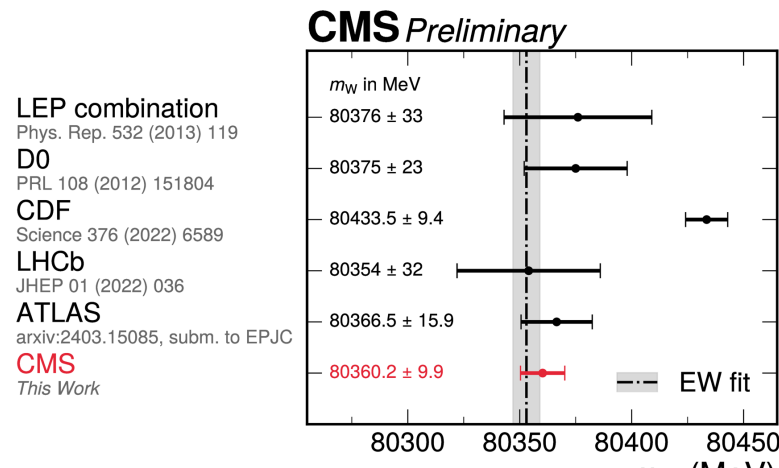
- All LEP 2 measurements
- Previous Tevatron average
- ATLAS and LHCb early measurements
- CDF [$M_W=(80.4335\pm 0.0094)$ GeV]
- ATLAS [$M_W=(80.3665\pm 0.016)$ GeV]
- CMS [$M_W=(80.3602\pm 0.010)$ GeV]

$M_W = 80.366 \pm 0.0080$ GeV (without CDF)
 80.356 ± 0.0045 GeV (from fit)

For m_t we combine:

- 2016 Tevatron combination
- ATLAS Run 1 and early Run2 results
- CMS Run 1 and early Run 2 results
- CMS $l+j$ [$m_t=(171.77\pm 0.38)$ GeV]
- CMS $l+j$ boosted [$m_t=(173.06\pm 0.83)$ GeV]
- ATLAS $l+j$ boosted [$m_t=172.95\pm 0.53$ GeV]

$m_t = 172.31 \pm 0.32$ GeV
 172.38 ± 0.31 GeV (from fit)

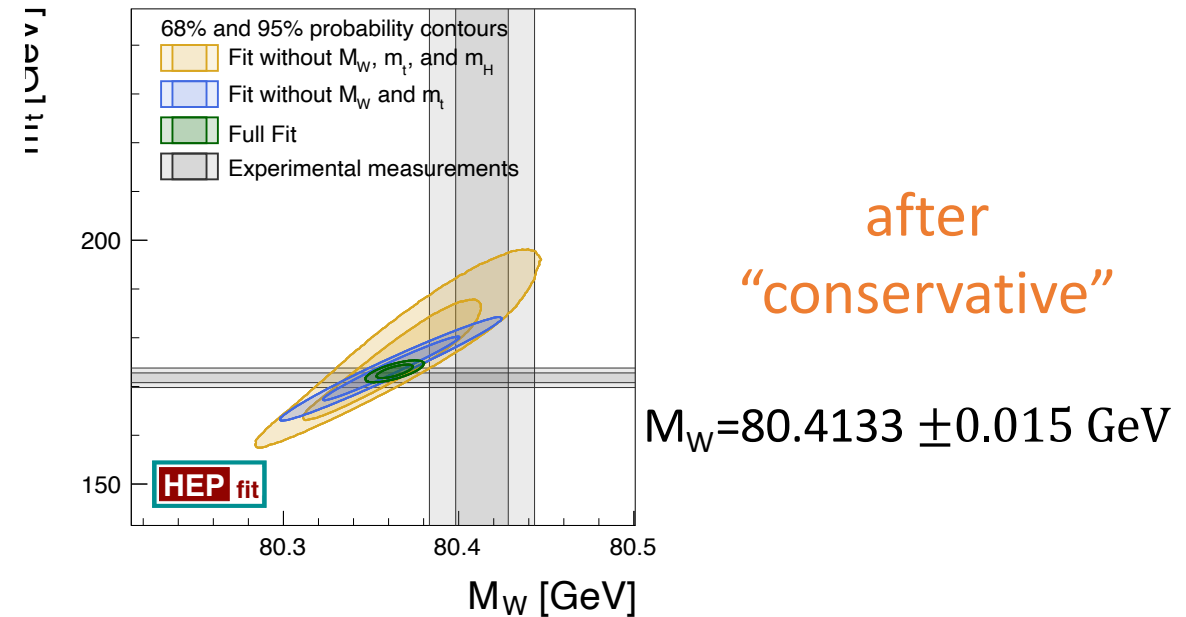
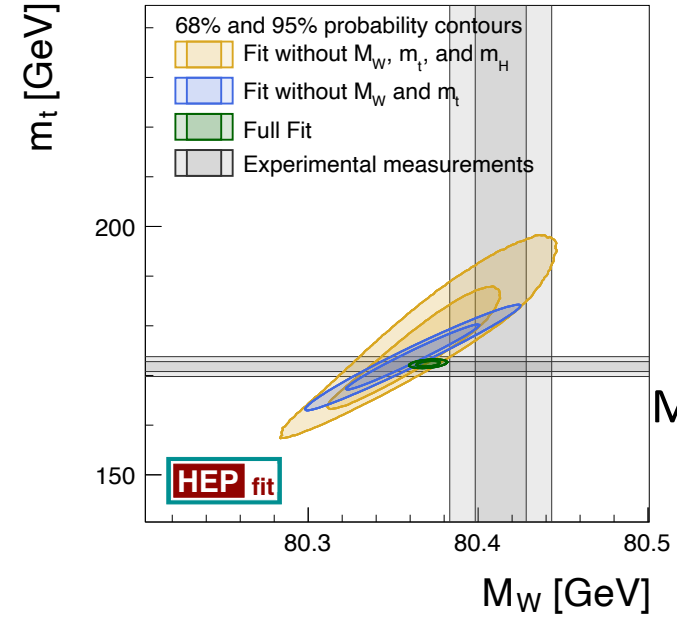
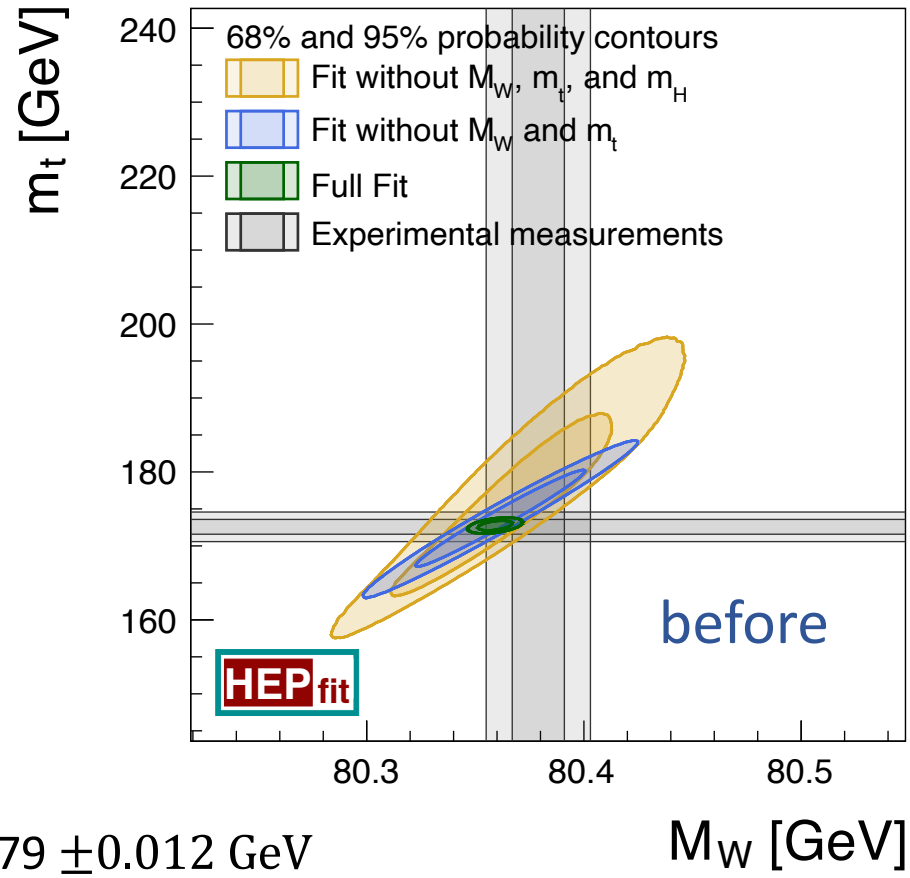


J. de Blas et al. 2204.04204
 Update: LR+L.Silvestrini 2511.16534

Highlighting sensitivity to anomalies

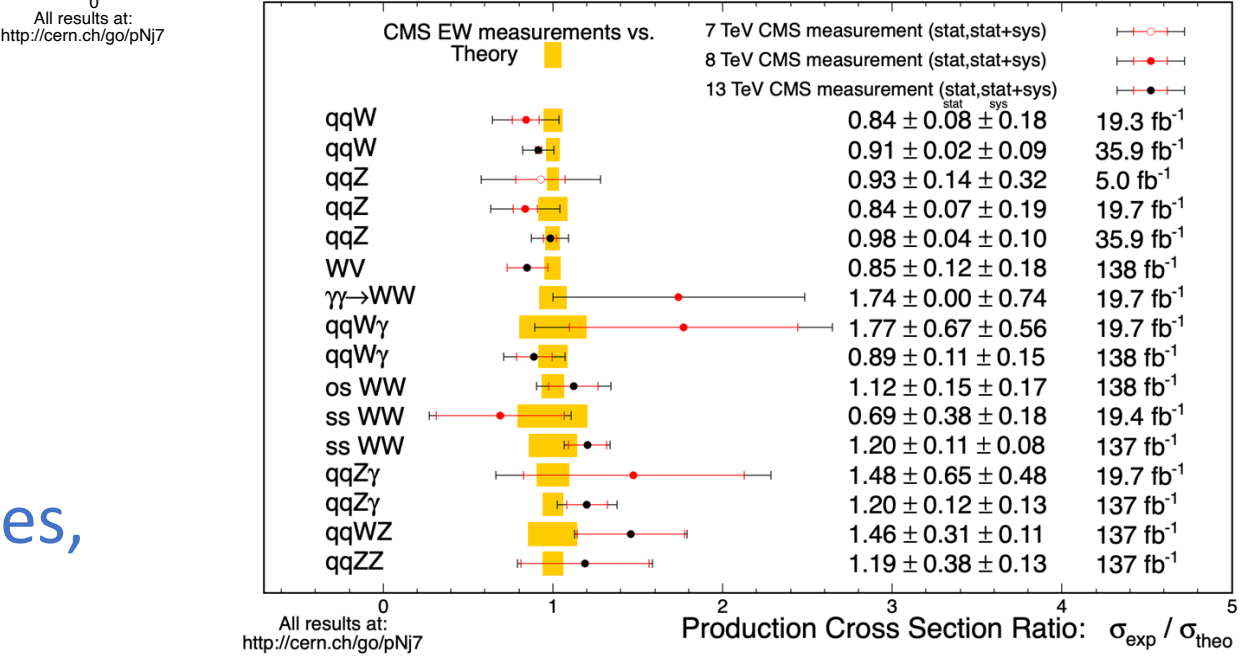
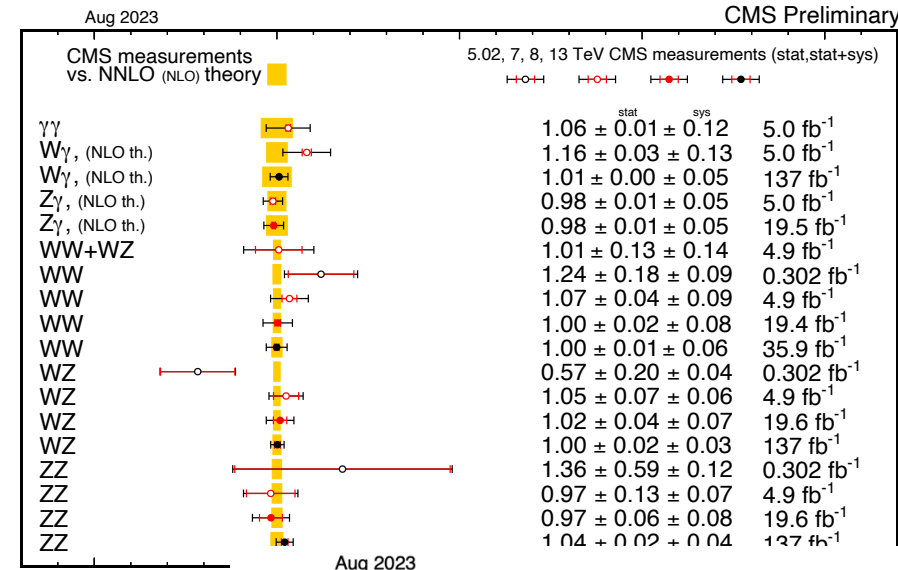
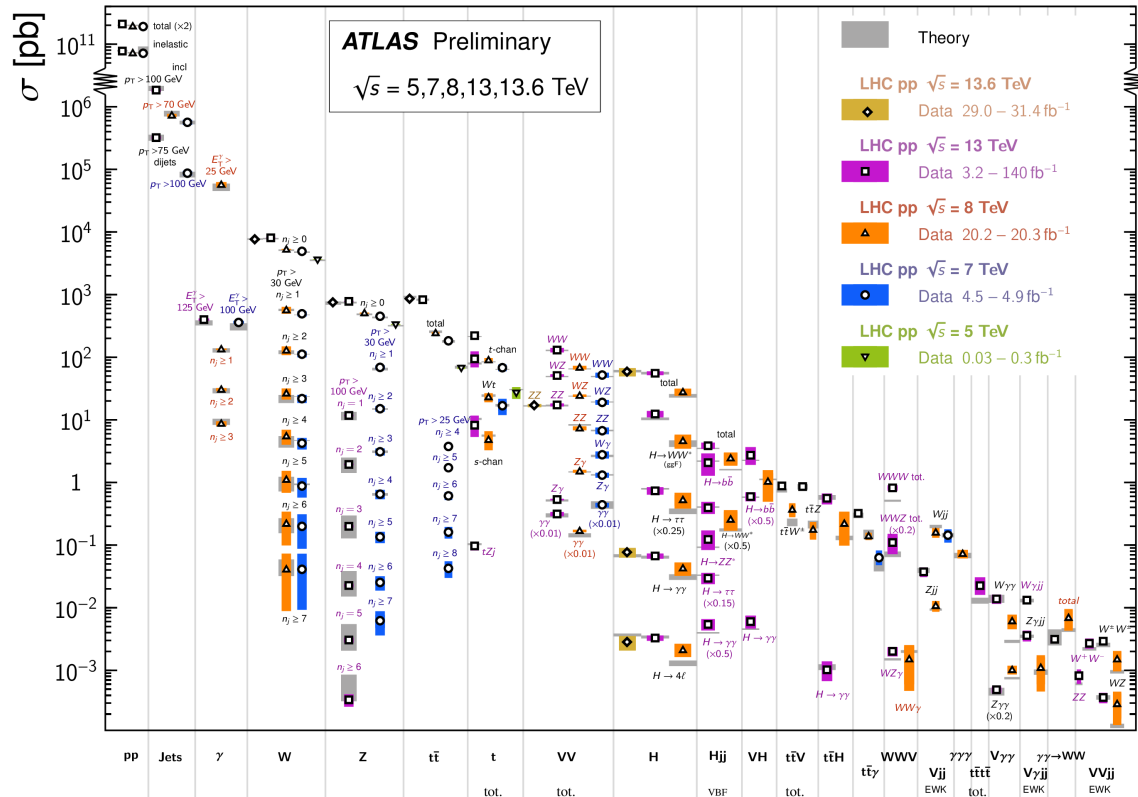
Challenge: CDF M_W measurement

De Blas et al.
[2204.04204]



Beyond EW precision fits: SM broadly consistency with all LHC measurements

Standard Model Production Cross Section Measurements



Across multiple energy scales, signatures, and kinematic regions

Exploring new physics effects via EFT

- The SM Effective Field Theory (SMEFT) approach.
- SMEFT effects on SM parameters and SM interactions.
- Calculating observables in the SMEFT.

Reaching beyond the SM within very general assumptions

The SM Effective Field Theory (SMEFT) as testing ground

Consider the **SM** as an effective low-energy realization of some **UV** completion.

Extend the Lagrangian of the SM by effective interactions of dim>4

Since the UV completion is unknown, it is necessarily a **bottom-up approach**

$$\mathcal{L}_{SMEFT}(\psi, \phi, A) = \mathcal{L}_{SM}(\psi, \phi, A) + \sum_{d=5}^{\infty} \sum_{i=1}^{n_d} \frac{C_i^{(d)}}{\Lambda^{(d-4)}} Q_i^{(d)}(\psi, \phi, A)$$

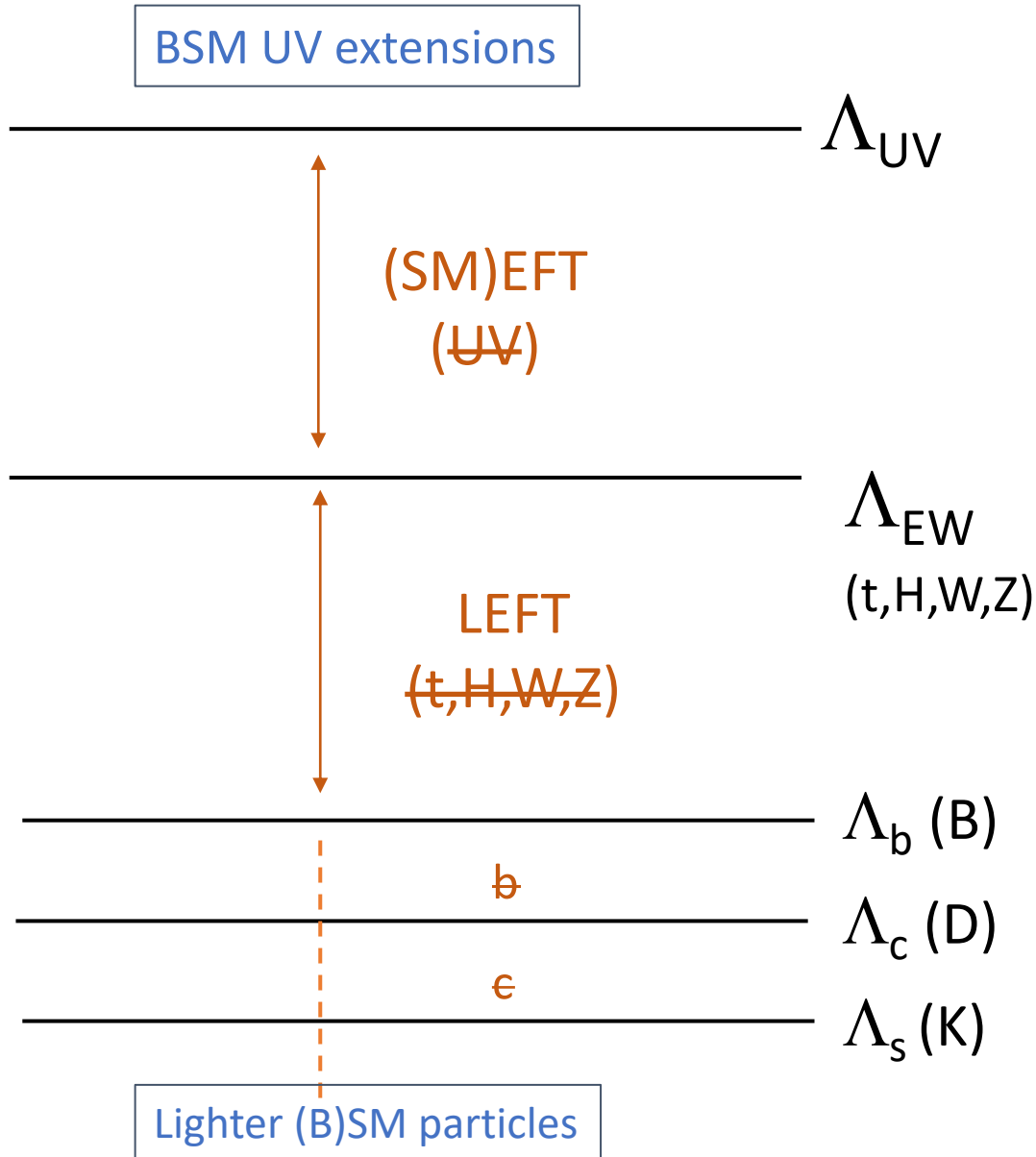
$\psi \rightarrow$ fermions
 $\phi \rightarrow$ scalars
 $A \rightarrow$ gauge bosons

where the $Q_i^{(d)}$ are functions of the fields of the SM (ψ, ϕ, A) and respect

- Lorentz invariance
- $SU(3)_c \times SU(2)_L \times U(1)_Y$ SM gauge symmetry
- Global symmetry such as lepton (L) and baryon (B) number conservation

We will analyze in detail the case of dim=6 operators and discuss how to further connect the SMEFT to the low-energy EFT (LEFT) describing flavor dynamics of B, D, and K mesons.

Connecting far apart scales: the EFT picture



Heavy physics decouples and leaves effective contact interactions of $\text{dim} > 4$



RGE

EFT operators in terms of SM fields

$$\mathcal{L}_{SMEFT} = \mathcal{L}_{SM} + \sum_{i,d} \frac{C_{i,d}^{SMEFT}}{\Lambda^{d-4}} O_{i,d}^{SMEFT}$$



RGE

WC depend on $m_t, M_W, M_Z, M_H, \dots, M_X$

$$\mathcal{L}_{LEFT} = \mathcal{L}_{QED+QCD} + \sum_{i,d} \frac{C_{i,d}^{LEFT}}{\Lambda_{EW}^{d-4}} O_{i,d}^{LEFT}$$

Calculate physical processes at each scale and derive constraints on the UV theory

The SMEFT framework for this study

$$\mathcal{L}_{SMEFT} = \mathcal{L}_{SM}^{(4)} + \sum_i \frac{C_i}{\Lambda^2} Q_i + \dots$$

Grzadkowski, Iskrzynski, Misiak, Rosiek, 1008.4884

“Warsaw” basis

$$\mathcal{L}_{SM}^{(4)} = -\frac{1}{4}G_{\mu\nu}^A G^{A,\mu\nu} - \frac{1}{4}W_{\mu\nu}^I W^{I,\mu\nu} - \frac{1}{4}B_{\mu\nu} B^{\mu\nu} + (D_\mu\varphi)^\dagger(D^\mu\varphi) + m^2\varphi^\dagger\varphi - \frac{1}{2}\lambda(\varphi^\dagger\varphi)^2 + i(\bar{l}'_L \not{D} l'_L + \bar{e}'_R \not{D} e'_R + \bar{q}'_L \not{D} q'_L + \bar{d}'_R \not{D} d'_R) - (\bar{l}'_L \Gamma_e e'_R \varphi + \bar{q}'_L \Gamma_u u'_R \tilde{\varphi} + \bar{q}'_L \Gamma_d d'_R \varphi) + h.c.$$

with covariant derivative:

$$D_\mu = \partial_\mu + ig_s G_\mu^A \mathcal{T}^A + ig_W W_\mu^I T^I + ig_1 B_\mu Y$$

gauge fields and masses, HVV, VVV

Higgs field and Mh

Yukawa couplings

Vff, Hff

X^3		φ^6 and $\varphi^4 D^2$		$\psi^2 \varphi^3$	
\mathcal{O}_G	$f^{ABC} G_\mu^{A\nu} G_\nu^{B\rho} G_\rho^{C\mu}$	\mathcal{O}_φ	$(\varphi^\dagger\varphi)^3$	$\mathcal{O}_{e\varphi}$	$(\varphi^\dagger\varphi)(\bar{l}_p\varphi e_r)$
\mathcal{O}_W	$\varepsilon^{IJK} W_\mu^{I\nu} W_\nu^{J\rho} W_\rho^{K\mu}$	$\mathcal{O}_{\varphi\Box}$	$(\varphi^\dagger\varphi)\Box(\varphi^\dagger\varphi)$	$\mathcal{O}_{u\varphi}$	$(\varphi^\dagger\varphi)(\bar{q}_p\tilde{\varphi}u_r)$
		$\mathcal{O}_{\varphi D}$	$(\varphi^\dagger D^\mu\varphi)^*(\varphi^\dagger D_\mu\varphi)$	$\mathcal{O}_{d\varphi}$	$(\varphi^\dagger\varphi)(\bar{q}_p\varphi d_r)$
$X^2\varphi^2$		$\psi^2 X\varphi$		$\psi^2\varphi^2 D$	
$\mathcal{O}_{\varphi G}$	$\varphi^\dagger\varphi G_{\mu\nu}^A G^{A\mu\nu}$	\mathcal{O}_{eW}	$(\bar{l}_p\sigma^{\mu\nu}e_r)\tau^I\varphi W_{\mu\nu}^I$	$\mathcal{O}_{\varphi l}^{(1)}$	$(\varphi^\dagger i\overleftrightarrow{D}_\mu\varphi)(\bar{l}_p\gamma^\mu l_r)$
$\mathcal{O}_{\varphi W}$	$\varphi^\dagger\varphi W_{\mu\nu}^I W^{I\mu\nu}$	\mathcal{O}_{eB}	$(\bar{l}_p\sigma^{\mu\nu}e_r)\varphi B_{\mu\nu}$	$\mathcal{O}_{\varphi l}^{(3)}$	$(\varphi^\dagger i\overleftrightarrow{D}_\mu^I\varphi)(\bar{l}_p\tau^I\gamma^\mu l_r)$
$\mathcal{O}_{\varphi B}$	$\varphi^\dagger\varphi B_{\mu\nu} B^{\mu\nu}$	\mathcal{O}_{uG}	$(\bar{q}_p\sigma^{\mu\nu}T^A u_r)\tilde{\varphi} G_{\mu\nu}^A$	$\mathcal{O}_{\varphi e}$	$(\varphi^\dagger i\overleftrightarrow{D}_\mu\varphi)(\bar{e}_p\gamma^\mu e_r)$
$\mathcal{O}_{\varphi WB}$	$\varphi^\dagger\tau^I\varphi W_{\mu\nu}^I B^{\mu\nu}$	\mathcal{O}_{uW}	$(\bar{q}_p\sigma^{\mu\nu}u_r)\tau^I\tilde{\varphi} W_{\mu\nu}^I$	$\mathcal{O}_{\varphi q}^{(1)}$	$(\varphi^\dagger i\overleftrightarrow{D}_\mu\varphi)(\bar{q}_p\gamma^\mu q_r)$
		\mathcal{O}_{uB}	$(\bar{q}_p\sigma^{\mu\nu}u_r)\tilde{\varphi} B_{\mu\nu}$	$\mathcal{O}_{\varphi q}^{(3)}$	$(\varphi^\dagger i\overleftrightarrow{D}_\mu^I\varphi)(\bar{q}_p\tau^I\gamma^\mu q_r)$
		\mathcal{O}_{dG}	$(\bar{q}_p\sigma^{\mu\nu}T^A d_r)\varphi G_{\mu\nu}^A$	$\mathcal{O}_{\varphi u}$	$(\varphi^\dagger i\overleftrightarrow{D}_\mu\varphi)(\bar{u}_p\gamma^\mu u_r)$
		\mathcal{O}_{dW}	$(\bar{q}_p\sigma^{\mu\nu}d_r)\tau^I\varphi W_{\mu\nu}^I$	$\mathcal{O}_{\varphi d}$	$(\varphi^\dagger i\overleftrightarrow{D}_\mu\varphi)(\bar{d}_p\gamma^\mu d_r)$
		\mathcal{O}_{dB}	$(\bar{q}_p\sigma^{\mu\nu}d_r)\varphi B_{\mu\nu}$	$\mathcal{O}_{\varphi ud}$	$(\varphi^\dagger i\overleftrightarrow{D}_\mu\varphi)(\bar{u}_p\gamma^\mu d_r)$

$(\bar{L}L)(\bar{L}L)$		$(\bar{R}R)(\bar{R}R)$		$(\bar{L}L)(\bar{R}R)$	
\mathcal{O}_{ll}	$(\bar{l}_p\gamma_\mu l_r)(\bar{l}_s\gamma^\mu l_t)$	\mathcal{O}_{ee}	$(\bar{e}_p\gamma_\mu e_r)(\bar{e}_s\gamma^\mu e_t)$	\mathcal{O}_{le}	$(\bar{l}_p\gamma_\mu l_r)(\bar{e}_s\gamma^\mu e_t)$
$\mathcal{O}_{qq}^{(1)}$	$(\bar{q}_p\gamma_\mu q_r)(\bar{q}_s\gamma^\mu q_t)$	\mathcal{O}_{uu}	$(\bar{u}_p\gamma_\mu u_r)(\bar{u}_s\gamma^\mu u_t)$	\mathcal{O}_{lu}	$(\bar{l}_p\gamma_\mu l_r)(\bar{u}_s\gamma^\mu u_t)$
$\mathcal{O}_{qq}^{(3)}$	$(\bar{q}_p\gamma_\mu\tau^I q_r)(\bar{q}_s\gamma^\mu\tau^I q_t)$	\mathcal{O}_{dd}	$(\bar{d}_p\gamma_\mu d_r)(\bar{d}_s\gamma^\mu d_t)$	\mathcal{O}_{ld}	$(\bar{l}_p\gamma_\mu l_r)(\bar{d}_s\gamma^\mu d_t)$
$\mathcal{O}_{lq}^{(1)}$	$(\bar{l}_p\gamma_\mu l_r)(\bar{q}_s\gamma^\mu q_t)$	\mathcal{O}_{eu}	$(\bar{e}_p\gamma_\mu e_r)(\bar{u}_s\gamma^\mu u_t)$	\mathcal{O}_{qe}	$(\bar{q}_p\gamma_\mu q_r)(\bar{e}_s\gamma^\mu e_t)$
$\mathcal{O}_{lq}^{(3)}$	$(\bar{l}_p\gamma_\mu\tau^I l_r)(\bar{q}_s\gamma^\mu\tau^I q_t)$	\mathcal{O}_{ed}	$(\bar{e}_p\gamma_\mu e_r)(\bar{d}_s\gamma^\mu d_t)$	$\mathcal{O}_{qu}^{(1)}$	$(\bar{q}_p\gamma_\mu q_r)(\bar{u}_s\gamma^\mu u_t)$
		$\mathcal{O}_{ud}^{(1)}$	$(\bar{u}_p\gamma_\mu u_r)(\bar{d}_s\gamma^\mu d_t)$	$\mathcal{O}_{qu}^{(8)}$	$(\bar{q}_p\gamma_\mu T^A q_r)(\bar{u}_s\gamma^\mu T^A u_t)$
		$\mathcal{O}_{ud}^{(8)}$	$(\bar{u}_p\gamma_\mu T^A u_r)(\bar{d}_s\gamma^\mu T^A d_t)$	$\mathcal{O}_{qd}^{(1)}$	$(\bar{q}_p\gamma_\mu q_r)(\bar{d}_s\gamma^\mu d_t)$
				$\mathcal{O}_{qd}^{(8)}$	$(\bar{q}_p\gamma_\mu T^A q_r)(\bar{d}_s\gamma^\mu T^A d_t)$

$(\bar{L}R)(\bar{L}R)$	$(\bar{L}R)(\bar{R}L)$
$\mathcal{O}_{quqd}^{(1)[prst]} = (\bar{q}_p^i u_r)\epsilon_{ij}(\bar{q}_s^j d_t)$	$\mathcal{O}_{ledq}^{[prst]} = (\bar{l}_p^i e_r)(\bar{d}_s q_{ti})$
$\mathcal{O}_{quqd}^{(8)[prst]} = (\bar{q}_p^i T^A u_r)\epsilon_{ij}(\bar{q}_s^j T^A d_t)$	
$\mathcal{O}_{lequ}^{(1)[prst]} = (\bar{l}_p^i e_r)\epsilon_{ij}(\bar{q}_s^j u_t)$	
$\mathcal{O}_{lequ}^{(3)[prst]} = (\bar{l}_p^i\sigma_{\mu\nu}e_r)\epsilon_{ij}(\bar{q}_s^j\sigma^{\mu\nu}u_t)$	

4-fermion interactions: tt, ttH, DY, flavour

- Dim-6 operators only, including linear (and quadratic effects)
- Obeying SM gauge symmetry
- One Higgs doublet of SU(2)_L, SSB linearly realized.
- Assuming different flavor symmetries: U(3)⁵, U(2)⁵ ...; no CPV

SMEFT predictions

A given observable will be written as

$$O_{\text{SMEFT}} = O_{\text{SM}} + \Delta O^{(1)} + \Delta O^{(2)} + \dots$$

SM: including SM
higher-order corrections

SMEFT: tree level + SM K-factors

Observables have been calculated either analytically and via parametrizations reported in the literature (e.g. EW observables) or obtained using various tools (analytic results, MG5_aMC@NLO or in-house codes with **SMEFTci2**, a new UFO file developed for this study, Feynart+Feyncalc, ...)

See also, SmeftFR-v3, Dedes et al. 2302.01353

Including direct and indirect SMEFT effects from dim-6 operators up to $O(1/\Lambda^4)$, by **A. Goncalves**

SMEFT Predictions: Higgs-boson Observables

- Higgs-boson production cross-sections and branching ratios
- **Signal strength modifiers:**

- Production cross-sections as inclusive or fiducial observables through *Simplified Template Cross-Sections (STXS)*

- SMEFT predictions obtained differently depending on their complexity: Analytic vs. Numeric computations with *Madgraph* [J. Alwall, et al, arXiv:1405.0301]

$$\mu_{ij} = \frac{\sigma_i \times Br_j}{\sigma_i^{SM} \times Br_j^{SM}}$$

With SMEFT expansion:

$$\mu_{ij} = 1 + \left(\frac{\Delta\sigma_i^{(1)}}{\sigma_i^{SM}} + \frac{\Delta Br_j^{(1)}}{Br_j^{SM}} \right) + \left(\frac{\Delta\sigma_i^{(2)}}{\sigma_i^{SM}} + \frac{\Delta Br_j^{(2)}}{Br_j^{SM}} + \frac{\Delta\sigma_i^{(1)} \Delta Br_j^{(1)}}{\sigma_i^{SM} Br_j^{SM}} \right) + \dots$$

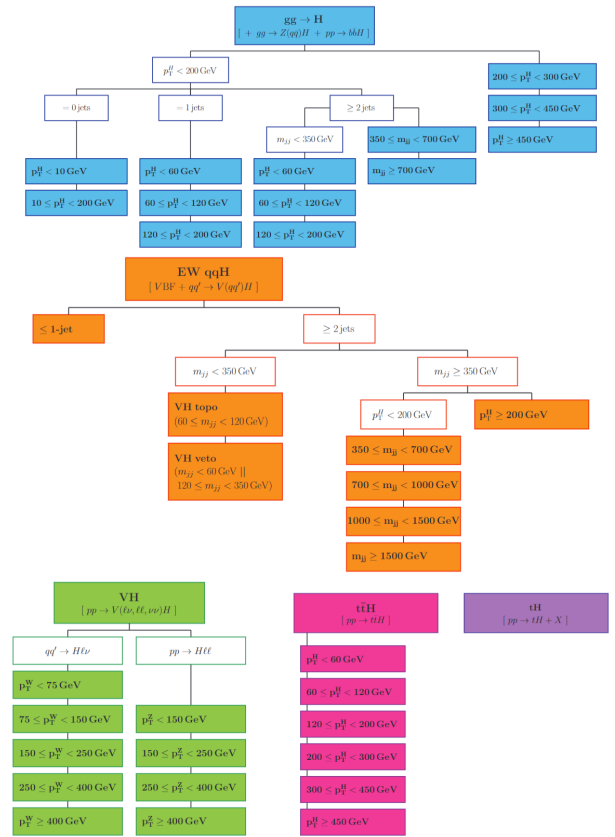
$$Br_j^{SM} = \frac{\Gamma_j^{SM}}{\Gamma_H^{SM}}$$

$$\Delta Br_j^{(1)} = \frac{\Delta\Gamma_j^{(1)}}{\Gamma_j^{SM}} - \frac{\Delta\Gamma_H^{(1)}}{\Gamma_H^{SM}}$$

$$\Delta Br_j^{(2)} = \frac{\Delta\Gamma_j^{(2)}}{\Gamma_j^{SM}} - \frac{\Delta\Gamma_H^{(2)}}{\Gamma_H^{SM}} - \frac{\Delta\Gamma_j^{(1)}}{\Gamma_j^{SM}} \frac{\Delta\Gamma_H^{(1)}}{\Gamma_H^{SM}} + \left(\frac{\Delta\Gamma_H^{(1)}}{\Gamma_H^{SM}} \right)^2$$

“Building blocks”

$$\frac{\Delta\sigma_i^{(1,2)}}{\sigma_i^{SM}} \quad \frac{\Delta\Gamma_j^{(1,2)}}{\Gamma_j^{SM}}$$



Extending the reach of precision fits beyond EW observables: Higgs, top, and flavor

- **Global fits of the SMEFT can constrain NP** in a fairly model-independent way
- **Improved theoretical and experimental precision** will enable their constraining power.

Beyond EW precision fits: global precision fits

Constraining new physics through a broad spectrum of collider and flavor observables

EW precision observables

- Z-pole observables (LEP/SLD): $\Gamma_Z, \sin^2\theta_{\text{eff}}, A_l, A_{\text{FB}}, \dots$
- W observables (LEP II, Tevatron, LHC): M_W, Γ_W
- $m_t, M_H, \sin^2\theta_{\text{eff}}$ (Tevatron/LHC)

Including recent LHC measurements of m_t and M_W

Higgs boson observables

- Production and decay rates
- Simplified Template Cross Sections (STXS)

Top quark observables

- $pp \rightarrow t\bar{t}, t\bar{t}Z, t\bar{t}W, t\bar{t}\gamma, tZq, t\gamma q, tW, \dots$

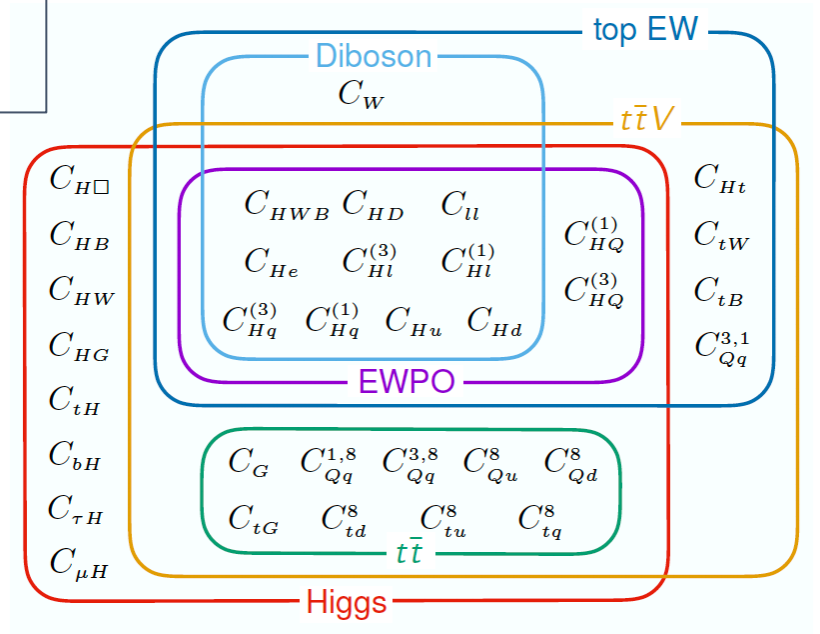
Drell-Yan, Di-boson measurements

- $pp \rightarrow W, Z \rightarrow f_i \bar{f}_j$
- $pp \rightarrow WZ, WW, ZZ, Z\gamma$

ATLAS and CMS Run 1+2 results

Flavor observables

- $\Delta F=2: \Delta m_{B_{d,s}}, A_{sl}^{s,d}, D^0 - \bar{D}^0(\phi_{12}^M), \epsilon_K$
- Leptonic decays: $B_s \rightarrow \mu^+ \mu^-, B \rightarrow \tau \nu, K \rightarrow \ell \nu, \pi \rightarrow \ell \nu$
- Semi-leptonic decays: $B \rightarrow D^{(*)} \ell \nu, B \rightarrow \pi \ell \nu, K \rightarrow \pi \ell \nu$
- Radiative B decays: $B \rightarrow X_{s,d} \gamma$

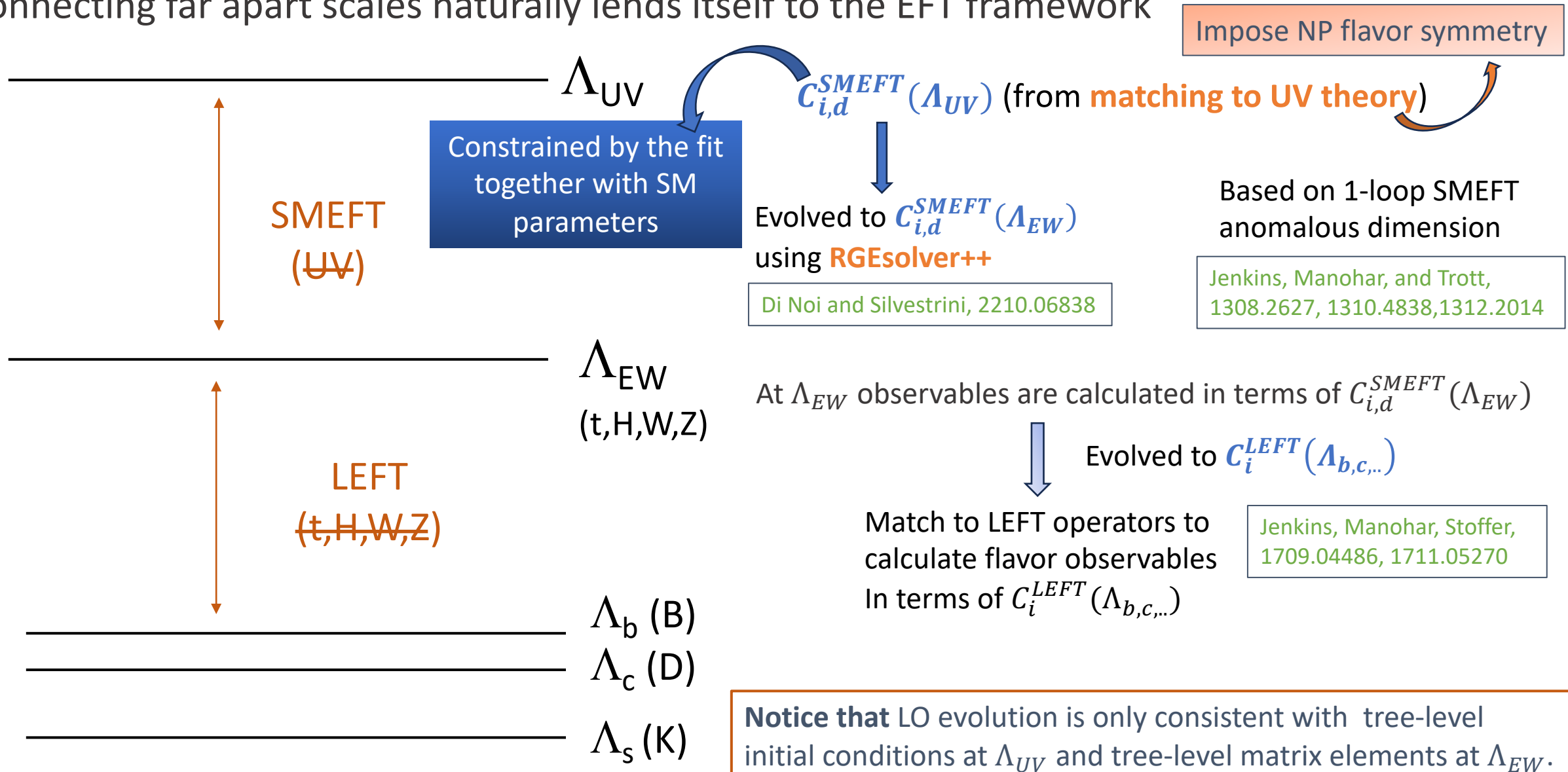


Flavor involves almost all of them either directly or through RGE

Exp: PDG, HFLAV
Th: best available predictions

Beyond EW fits – Higgs, top, EW, and flavor observables

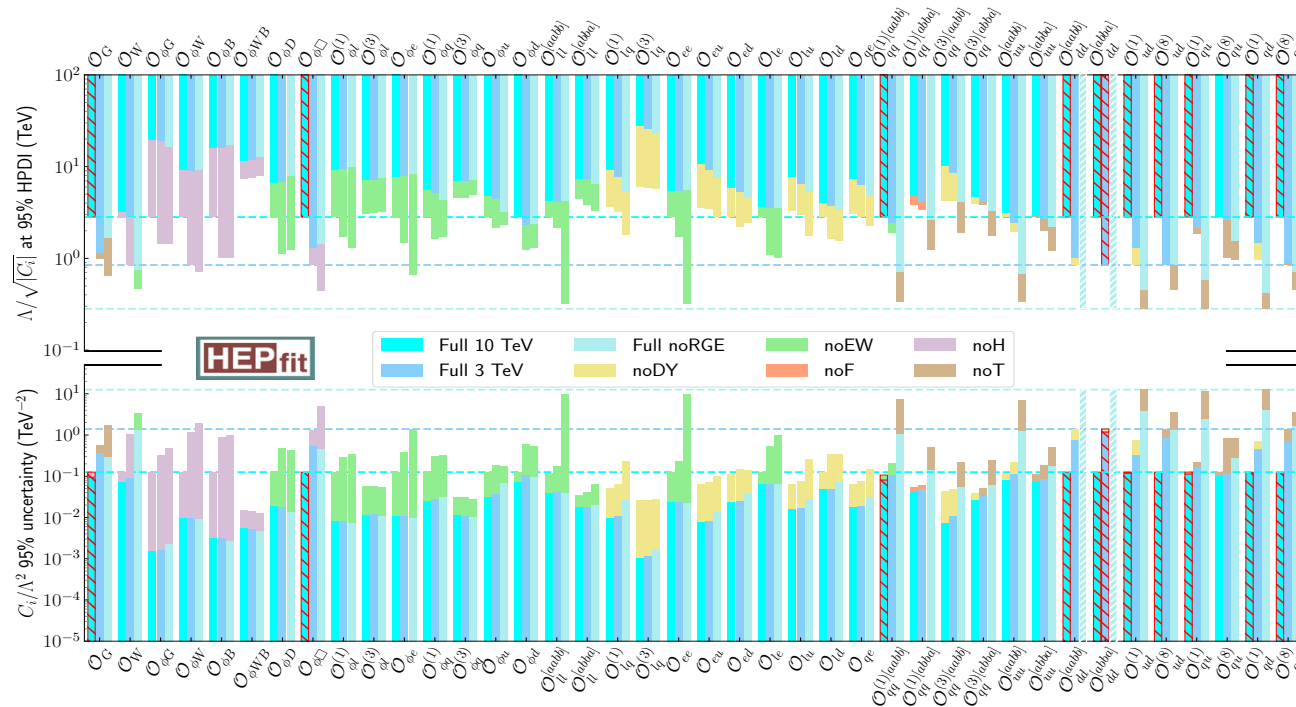
Connecting far apart scales naturally lends itself to the EFT framework



UV theory flavor symmetry: $U(3)^5 (Q_L, u_R, d_R, L_L, e_R)$

De Blas, Goncalves, Miralles,
L.R., Silvestrini, Valli,
[2507.06191](#), JHEP 03 (2026) 013

Studying the **constraining power of different sets of observables** and the **effect of RGE**



- **Fit individual operators** (one $C_i(\Lambda) \neq 0$ at a time, multiple $C_i(\mu)$ induced by RGE)
- Choose scales such that LO RGE effects can be relevant ($\log(\mu_1^2/\mu_2^2) \geq 2$)
- $\Lambda = 1, 3, 10$ TeV \rightarrow reach of current/future colliders
- **Between different Λ : not a simple rescaling** because of RGE effects

Lower half: uncertainty on C_i/Λ^2 reported as half of the 95% HPDI (high posterior density interval)

Upper half: lower bound on $\Lambda/\sqrt{|C_i|}$ from the maximum of the 95% HPDI of $|C_i|$

(since no interval is driven away from zero at 95% probability, we can only put a lower bound)

Dashed lines: perturbativity bounds ($|C_i| \sim 4\pi$)

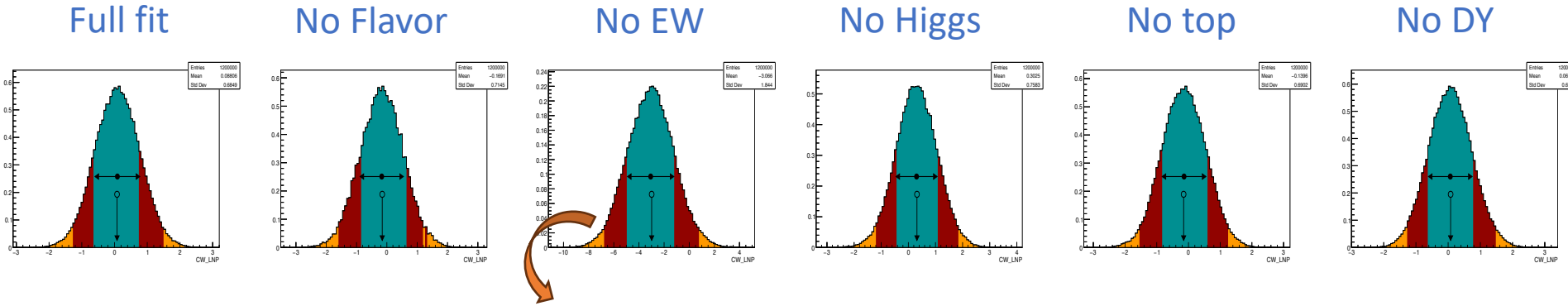
Red shades: posteriors touches the edges of the prior (truncated) \rightarrow need better measurements

White shades: posterior completely flat \rightarrow need more observables

For illustration (C_W)

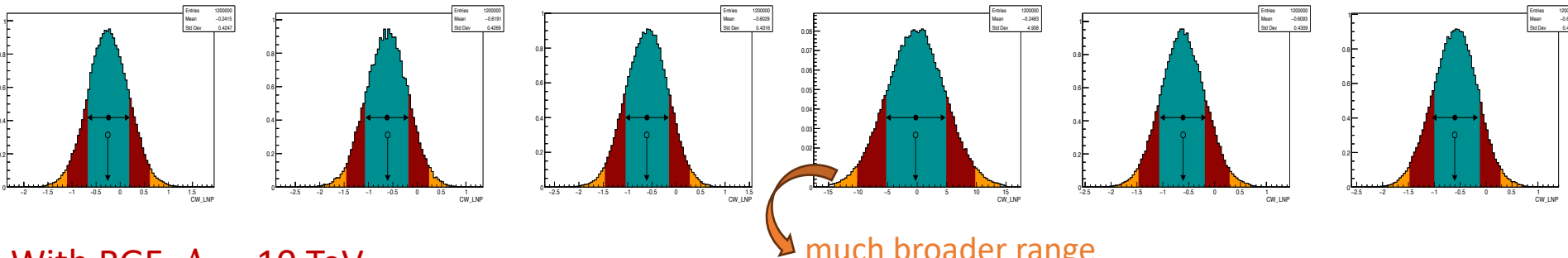
All 95% intervals compatible with $C_W=0$:
the bounds on C_W/Λ^2 can only establish
a lower bound on Λ

No RGE ($\Lambda = 1$ TeV)



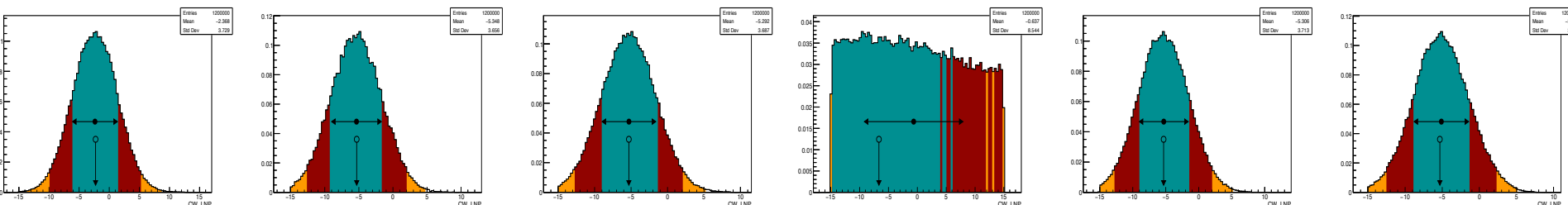
No RGE:
EW obs. are the
strongest constraint

With RGE, $\Lambda = 3$ TeV



With RGE, $\Lambda = 3$ TeV
Higgs obs. are the
strongest constraint

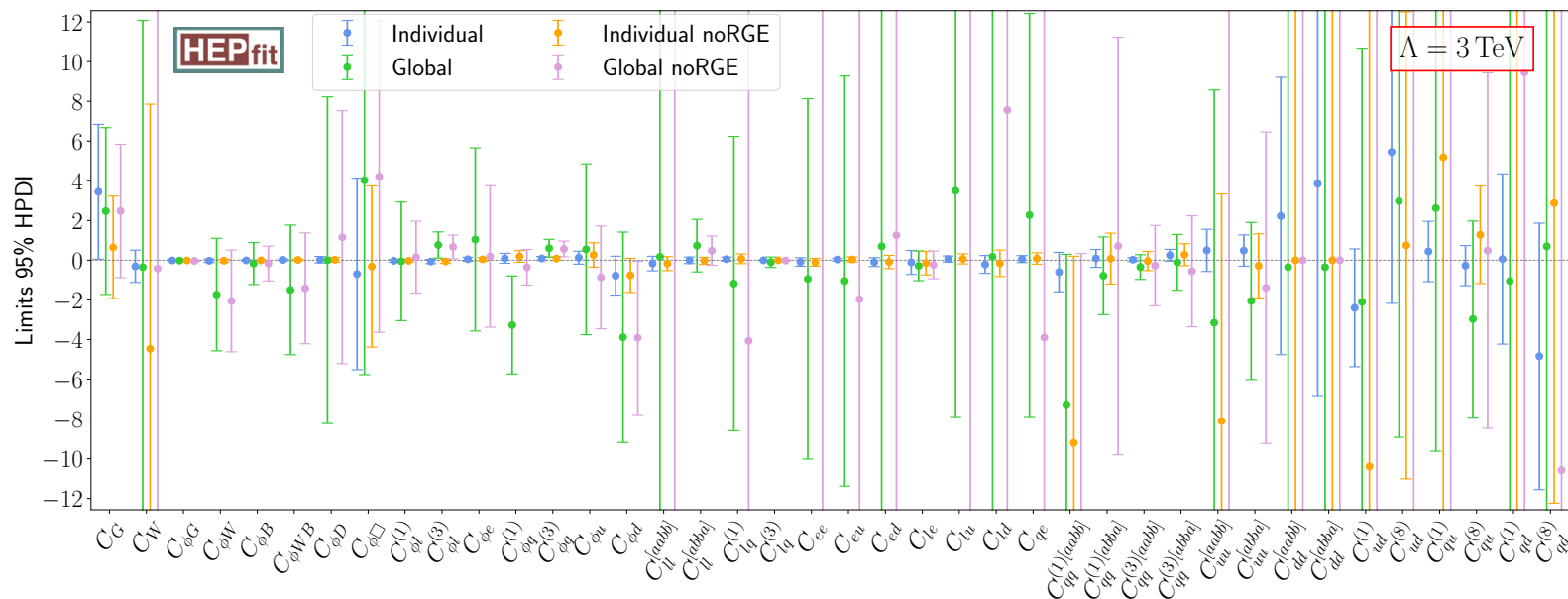
With RGE, $\Lambda = 10$ TeV



With RGE, $\Lambda = 10$ TeV
Higgs obs. are the
strongest constraint, but
overall less constrained.

All ranges broader than for $\Lambda = 3$ TeV

$U(3)^5$ case: individual vs global

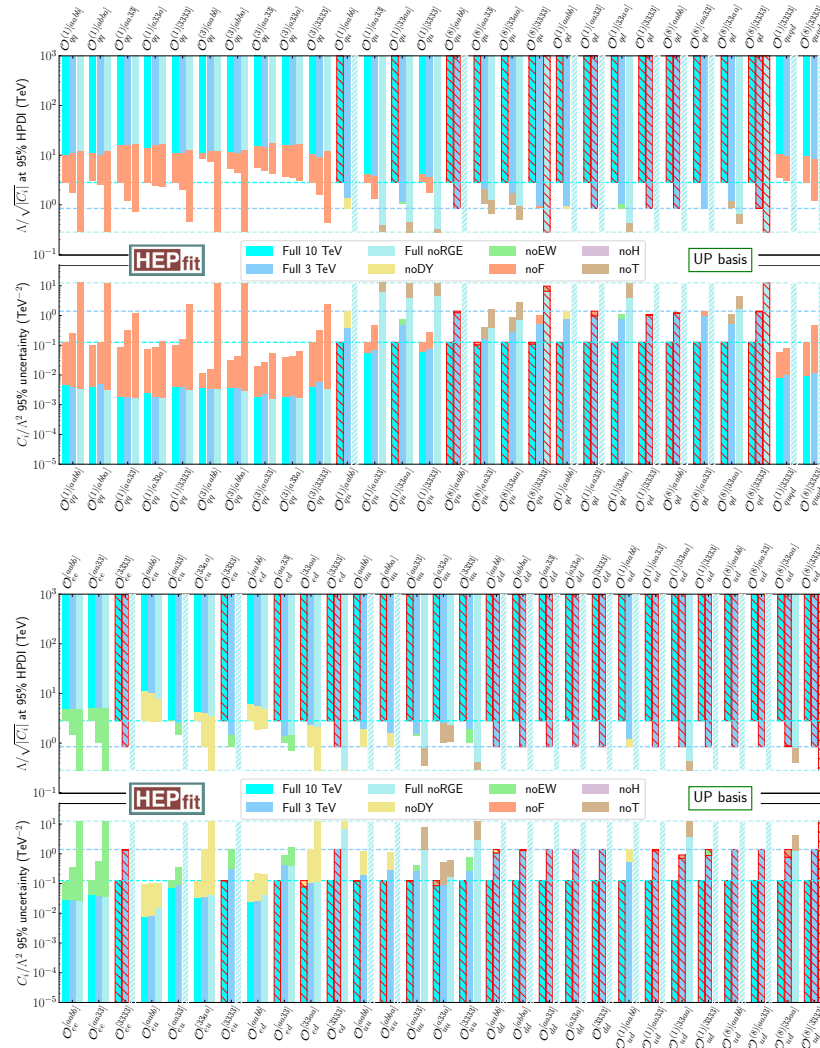
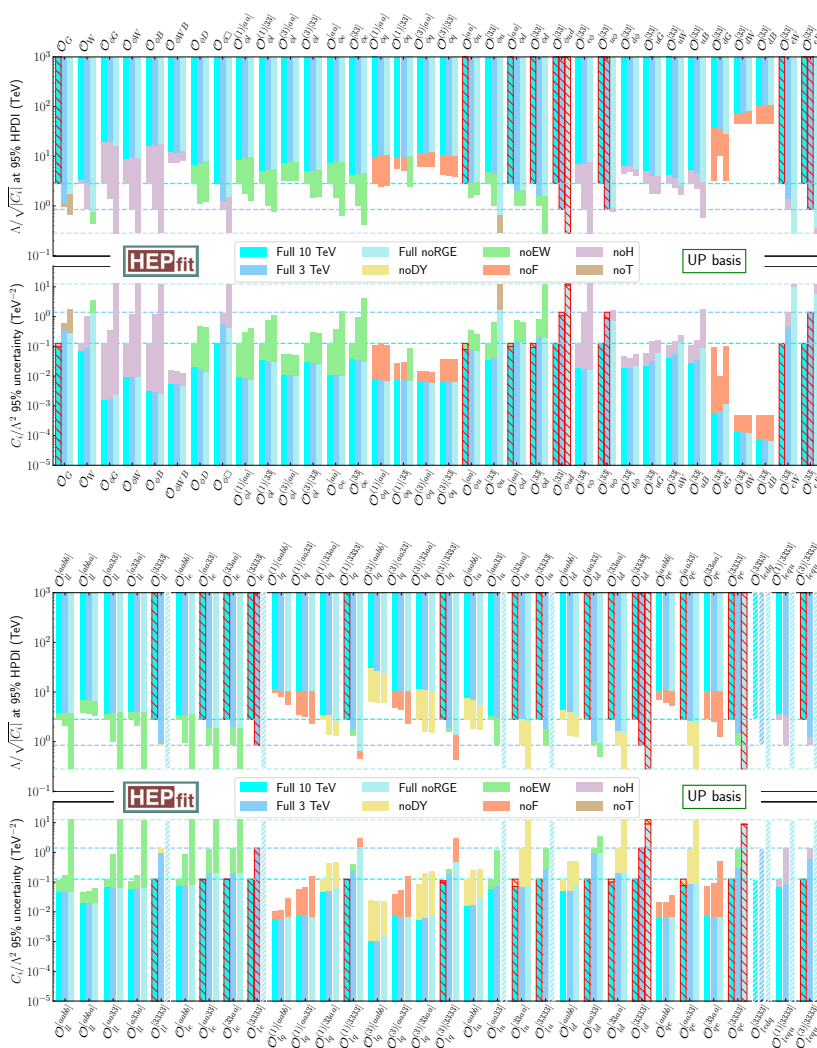


This is already relevant input to model building!

- In general (both individual and global): **adding more observables lift degeneracies but leaves strong correlations**
- Although bounds get diluted in the global fit, both with and without RGE, some cases still very well constrained, giving strong lower bounds.
- Global fits, if really global, are numerically massive. Adding all existing measurements may prevent the fit from converging or take a lot of educated choices: fine balance between higher information and better convergence.

UV theory flavor symmetry: $U(2)^5$, testing the third family

The impact of a non flavor-blind choice. More scenarios can be explored.



124 operators (123 if not considering $O_\phi = (\phi^\dagger \phi)^3$)

Main flavor constraints coming from:

- $B \rightarrow X_s \gamma$ (O_{dG}, O_{dW}, O_{dB})
- $B_s \rightarrow \mu^+ \mu^-$ ($O_{qe}^{[ijkl]}$)
- meson mixing ($O_{qq}^{(1,3)}$)

Summary and Outlook

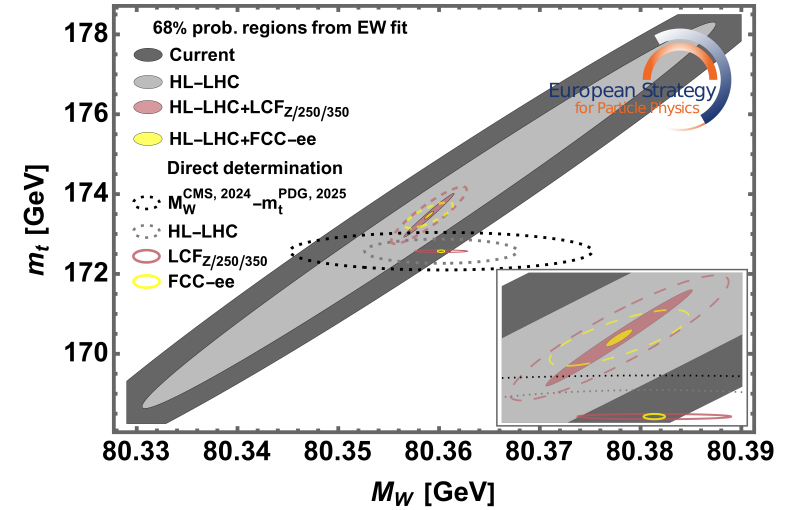
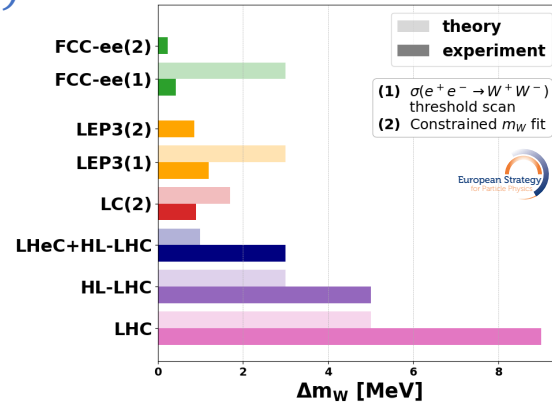
- After the Higgs discovery **collider physics** remains as a **unique and necessary test of BSM scenarios**, both via direct and indirect evidence.
- Extending **precision fits** beyond EW observables, allows to **connect Higgs, top, and flavour physics**, allowing to test the SM paradigm and its effective extensions at an unprecedented level.
- The **SMEFT (→LEFT) framework** can be used to connect unknown physics at the UV scale (> 1 TeV) to the EW scale and below within a **systematic framework that allows some model independence** and can provide hints of specific BSM physics.
- Improving the **precision of theoretical predictions** can add crucial **constraining power to global fits** of the SM and beyond and **provide indications towards future explorations**.

EW precision fits: reach of future colliders

Current and projected experimental precision (e^+e^-)

Observable	Current	FCC-ee	LCF	LEP3
Δm_Z (keV)	2000	4 (100)	200	7.5 (100)
$\Delta \Gamma_Z$ (keV)	2300	4 (12)	125	7.5 (23)
δR_μ ($\times 10^{-6}$) $R_\mu \equiv \frac{\Gamma_{\text{had}}}{\Gamma_\mu}$	1600	2.4 (2.3)	90 (90)	4.5 (2.3)
δR_b ($\times 10^{-6}$) $R_b \equiv \frac{\Gamma_b}{\Gamma_{\text{had}}}$	3300	1.2 (1.6)	70 (60)	2.2 (3.0)
$\Delta \sin^2 \theta_W$ ($\times 10^6$)	130	0.4 (0.5)	2.7 (2.3)	0.75 (0.95)
$\Delta \alpha(m_Z)^{-1}$ ($\times 10^3$)	14	0.8, 3.8	-	1.4, 7.3
Δm_W (keV)	9900	180 (160)	500 (1600)	430 (700)
$\Delta \Gamma_W$ (keV)	42000	270 (200)	2000	650 (500)

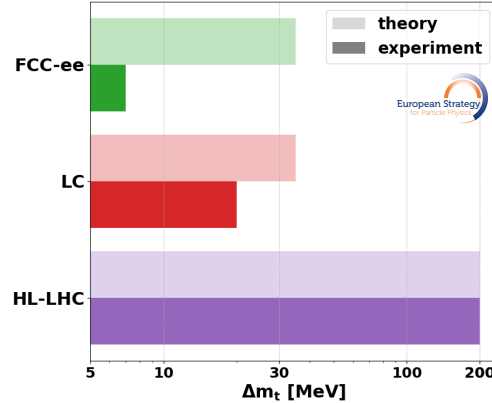
Parametric uncertainties



Current and projected theoretical precision (e^+e^-)

Observable	Current	Conservative	Aggressive
Γ_Z (MeV)	0.23	0.035	—
m_Z (MeV)	0.3	0.03	—
R_ℓ (10^{-3})	12	0.4	—
R_b (10^{-4})	4.4	0.44	0.09
R_c (10^{-4})	17	1.7	0.34
σ_{had} (pb)	25	1.7	—
A_{FB}^ℓ (10^{-4})	6	0.43	—
A_{FB}^b (10^{-4})	1.5	0.32	0.028
A_{FB}^c (10^{-4})	1.1	0.23	0.021

From extraction
(background,
ISR/FSR)



Observable	Current	Conservative	Aggressive
Γ_Z (MeV)	0.4	0.08	0.016
R_ℓ (10^{-3})	6.0	1.2	0.2
R_b (10^{-4})	1.0	0.2	0.035
R_c (10^{-4})	0.5	0.1	0.02
σ_{had} (pb)	6	1.6	0.3
$\sin^2 \theta_{\text{eff}}$ (10^{-5})	4.5	0.7	0.06
m_W (MeV)	4.0	1.0	0.1

From SM
prediction

