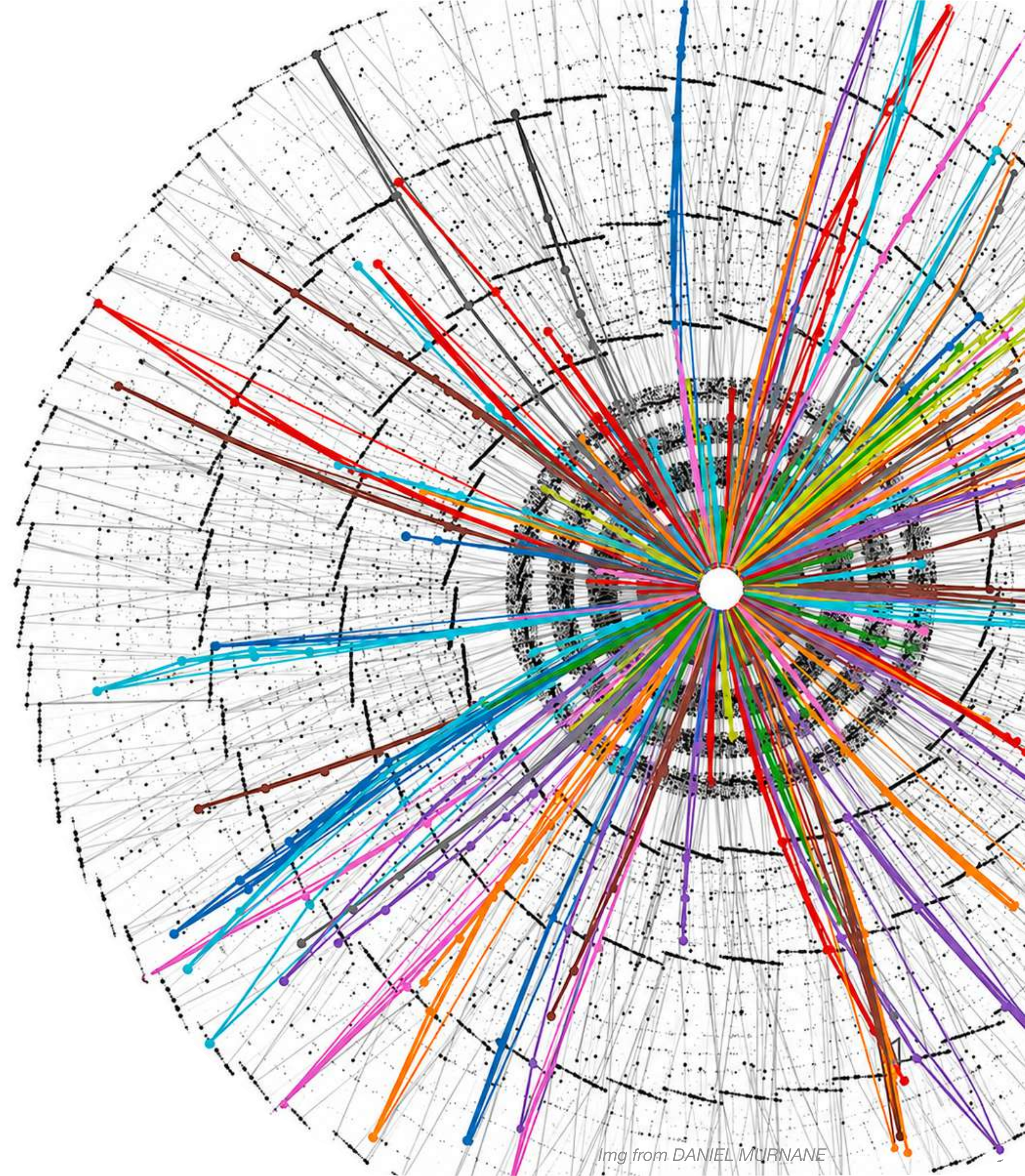


# GNN applied to streaming readout in ElCrecon



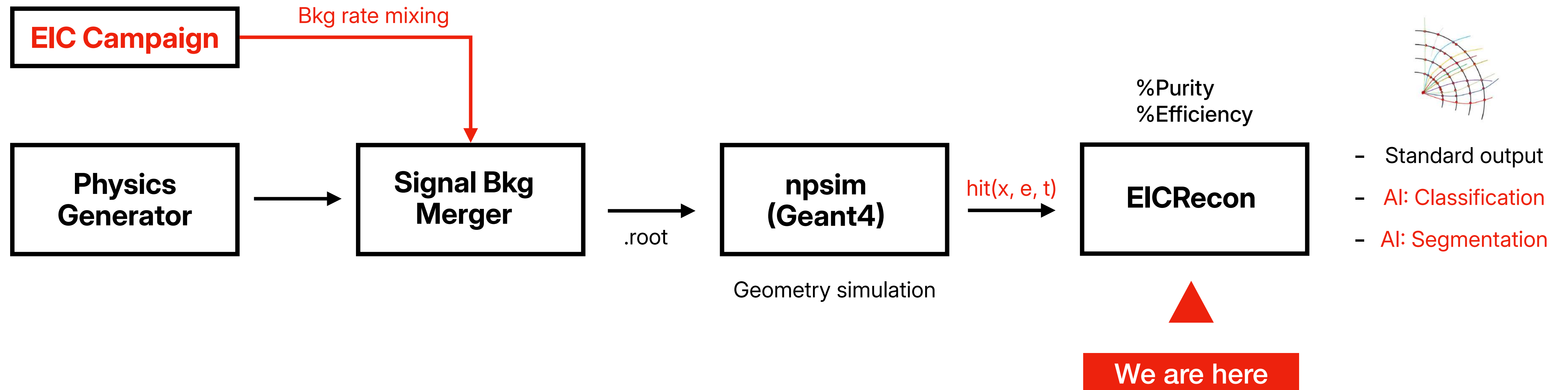
AI Flash Talk  
Oliver Partridge - 16/07/2026



# Introduction

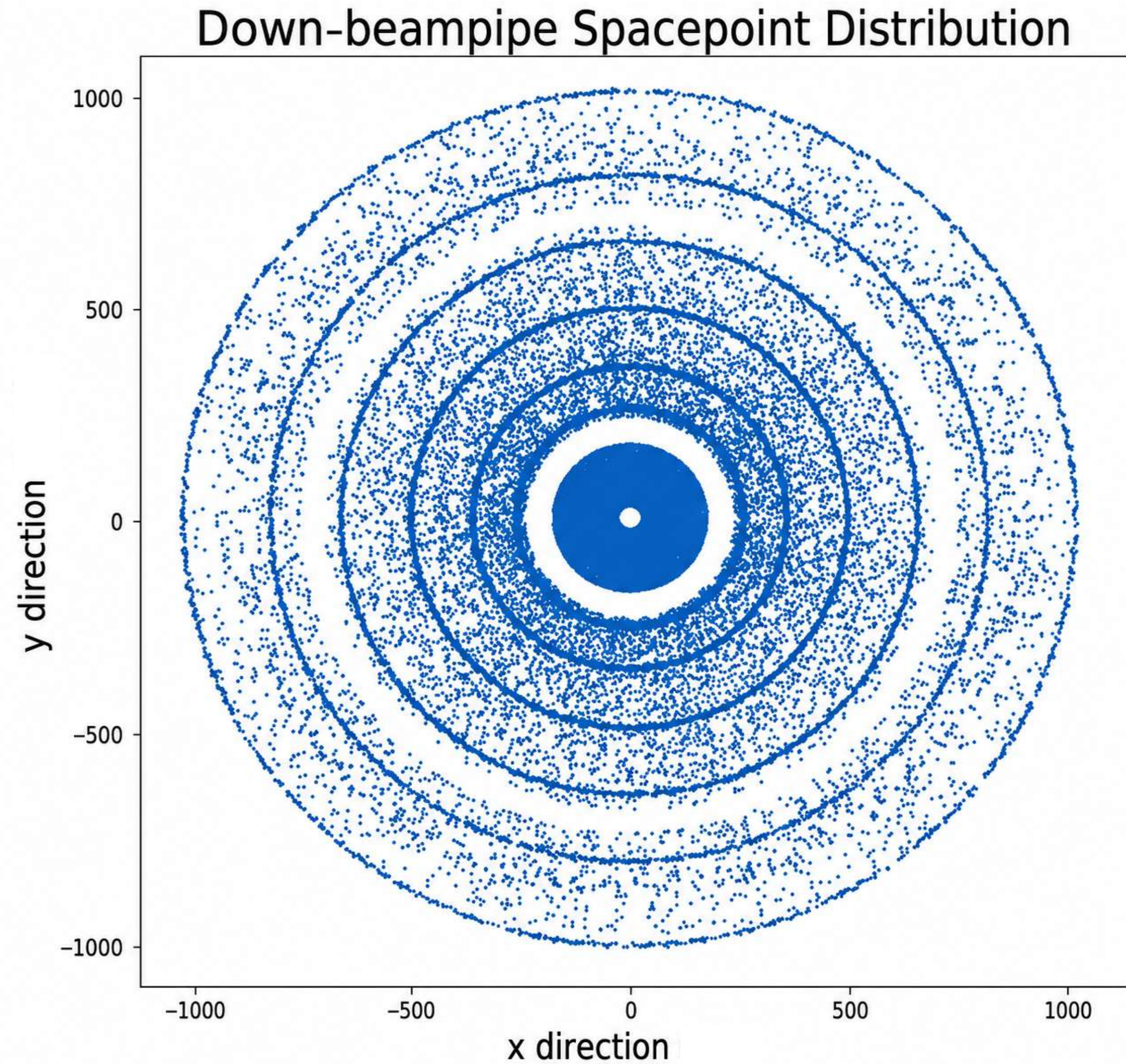
## Quick self presentation

- Oliver Partridge (Engineering student in France)  
Air France, Thales, CNRS, Tokyo City University
- Supervised by Marco Meyer-Conde (TCU)
- My Work: GNN machine learning for pre-filtering streaming readout in EICrecon



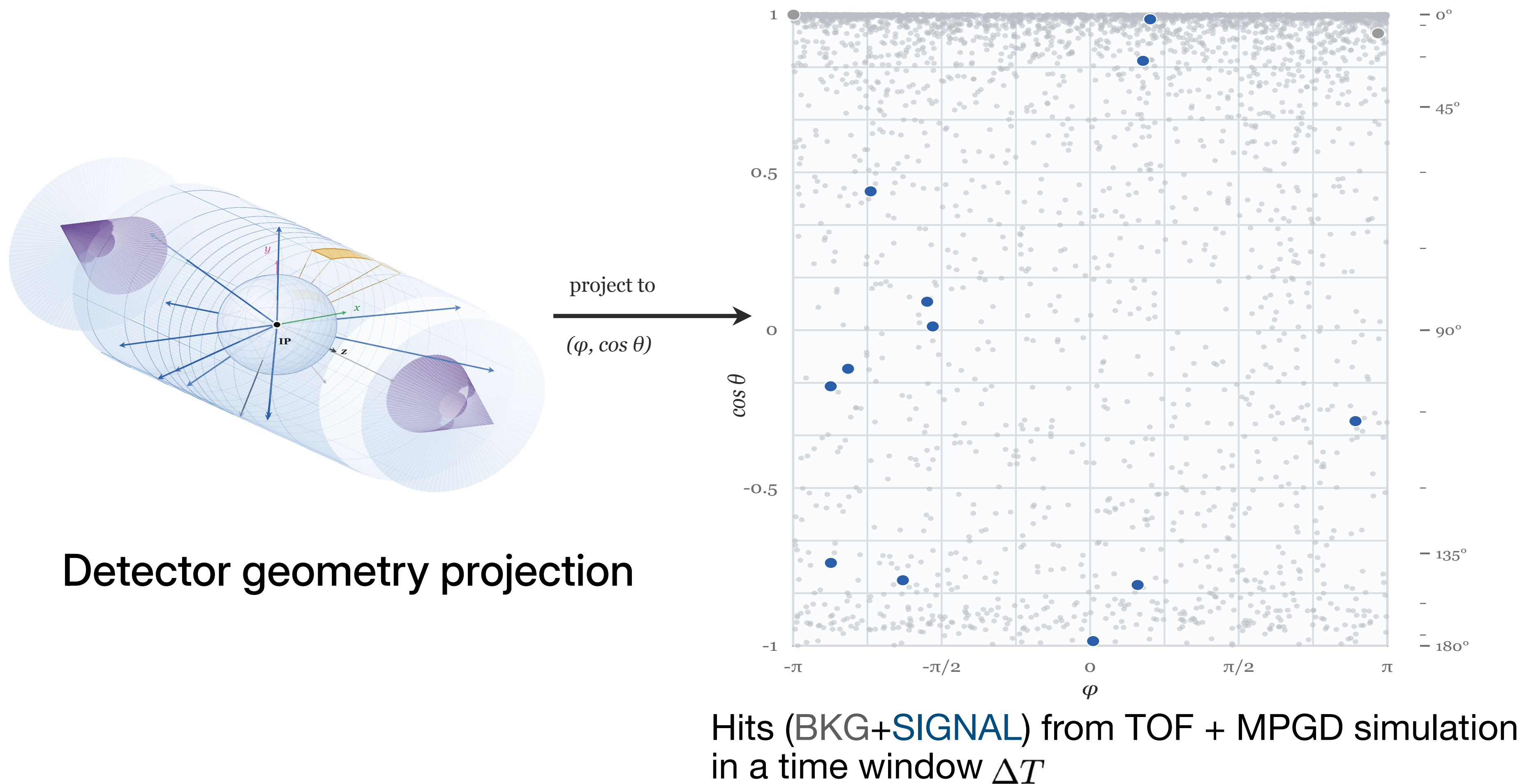
# The problem

**Hits** in a detector are mainly back ground noise.

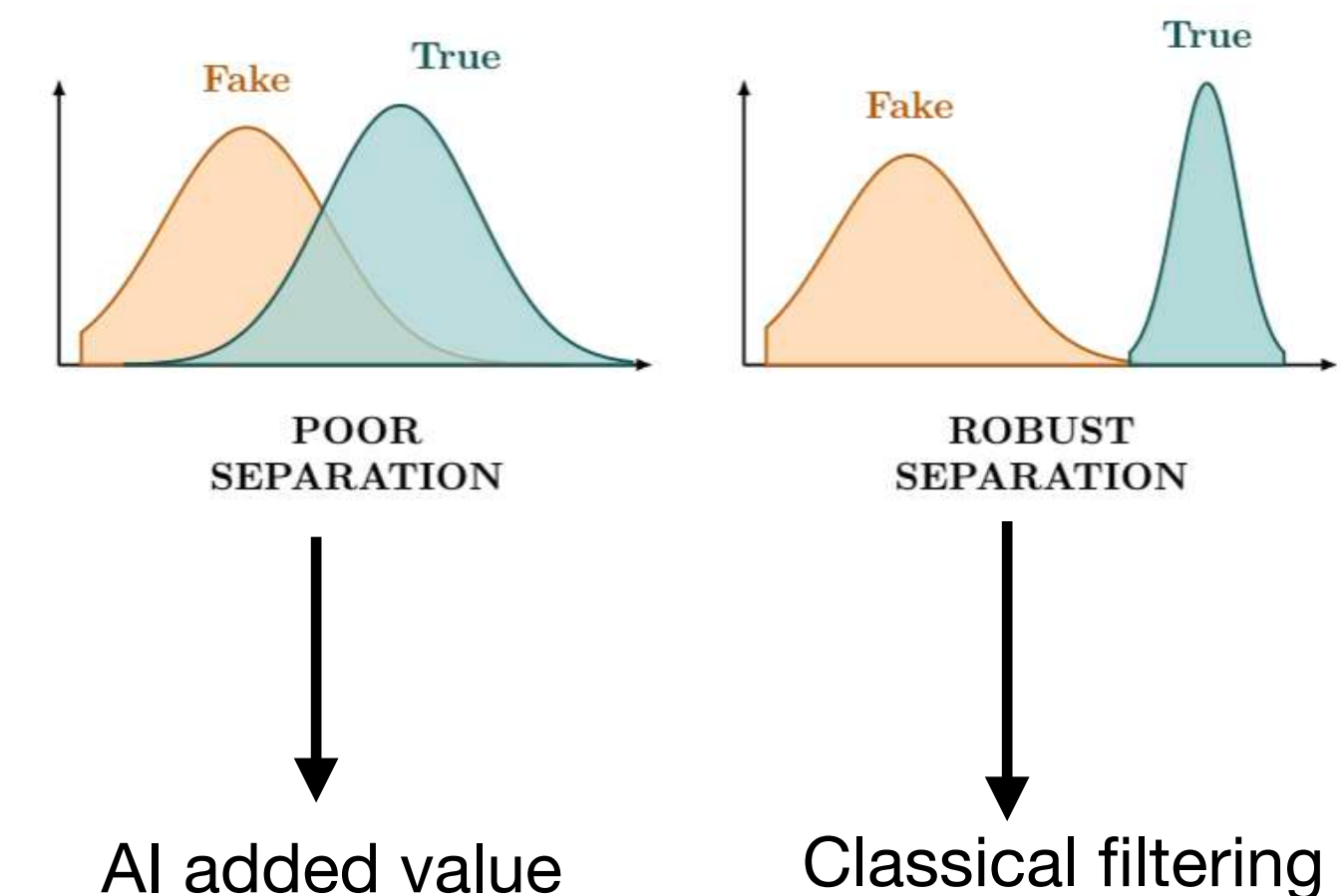


# Event Builder: Time Frame To physics Event

Point cloud model = Raw hit in all the detectors

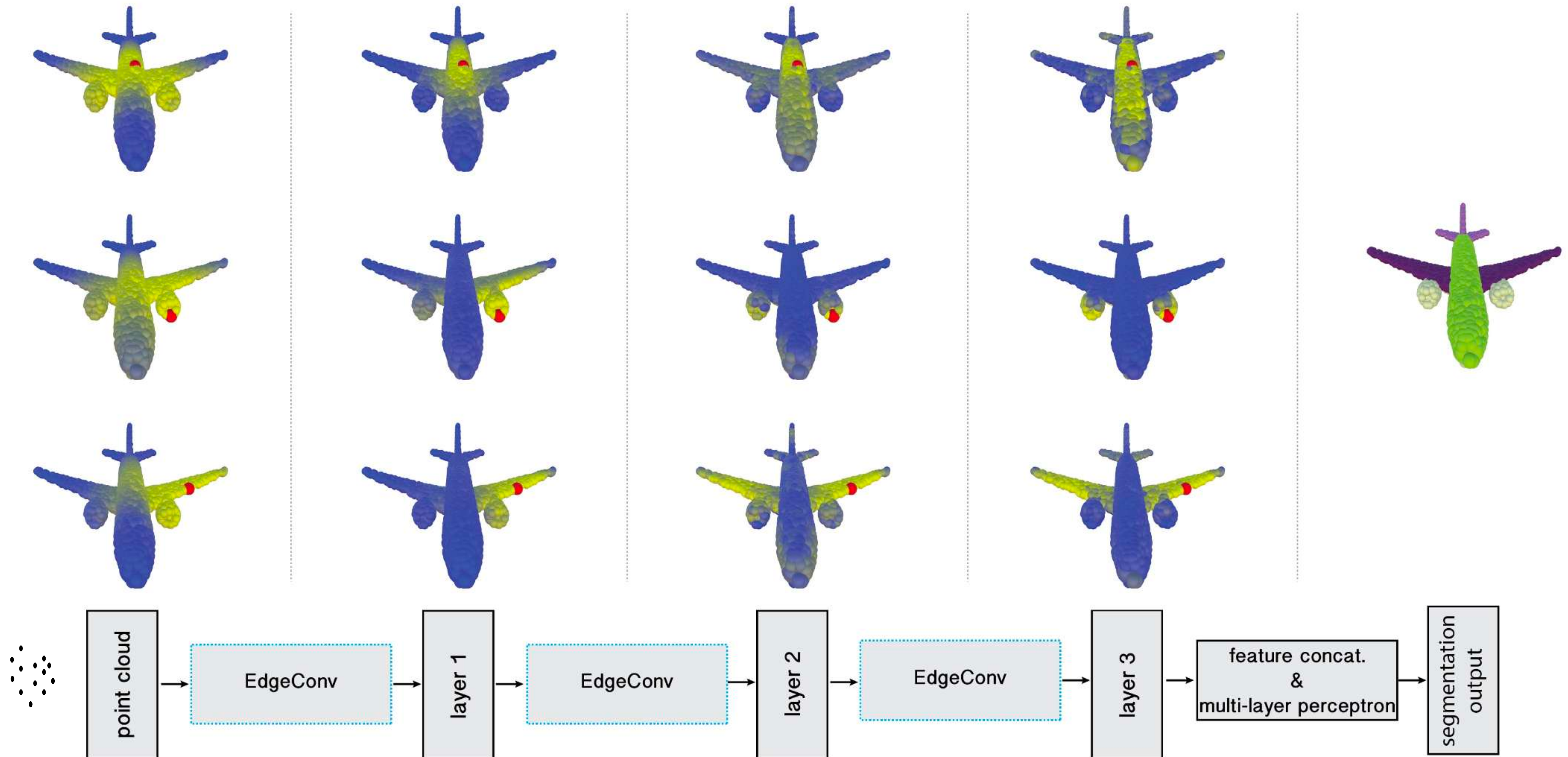


For each cell, we compute an event **significance** score and estimate the probability of a **true** or fake event.



# GNN Model

Our architecture is based on the GNN architecture proposed by Wang et al. (2019)

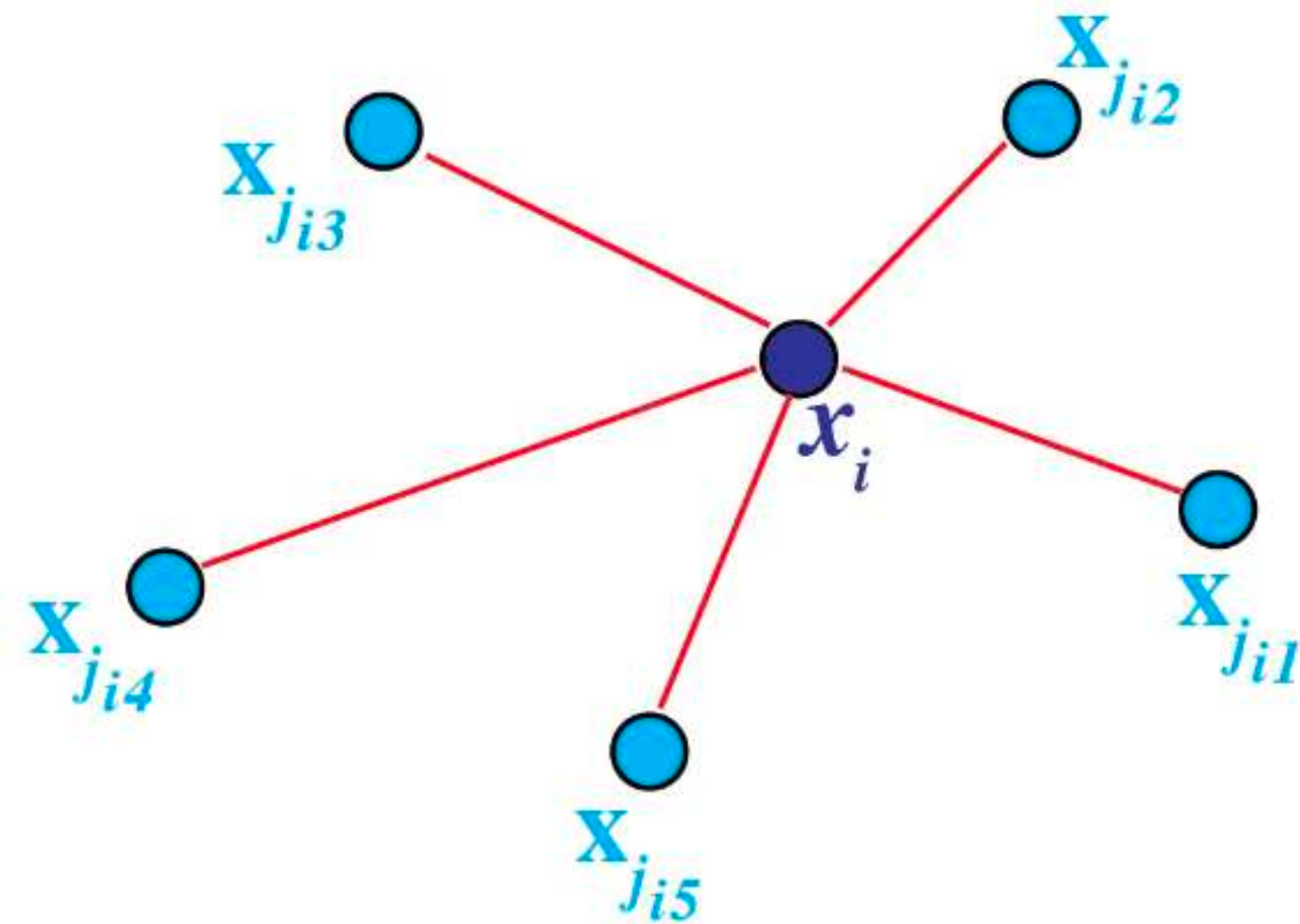


# GNN Model

## What is EdgeConv and K-Nearest Neighbors (KNN)

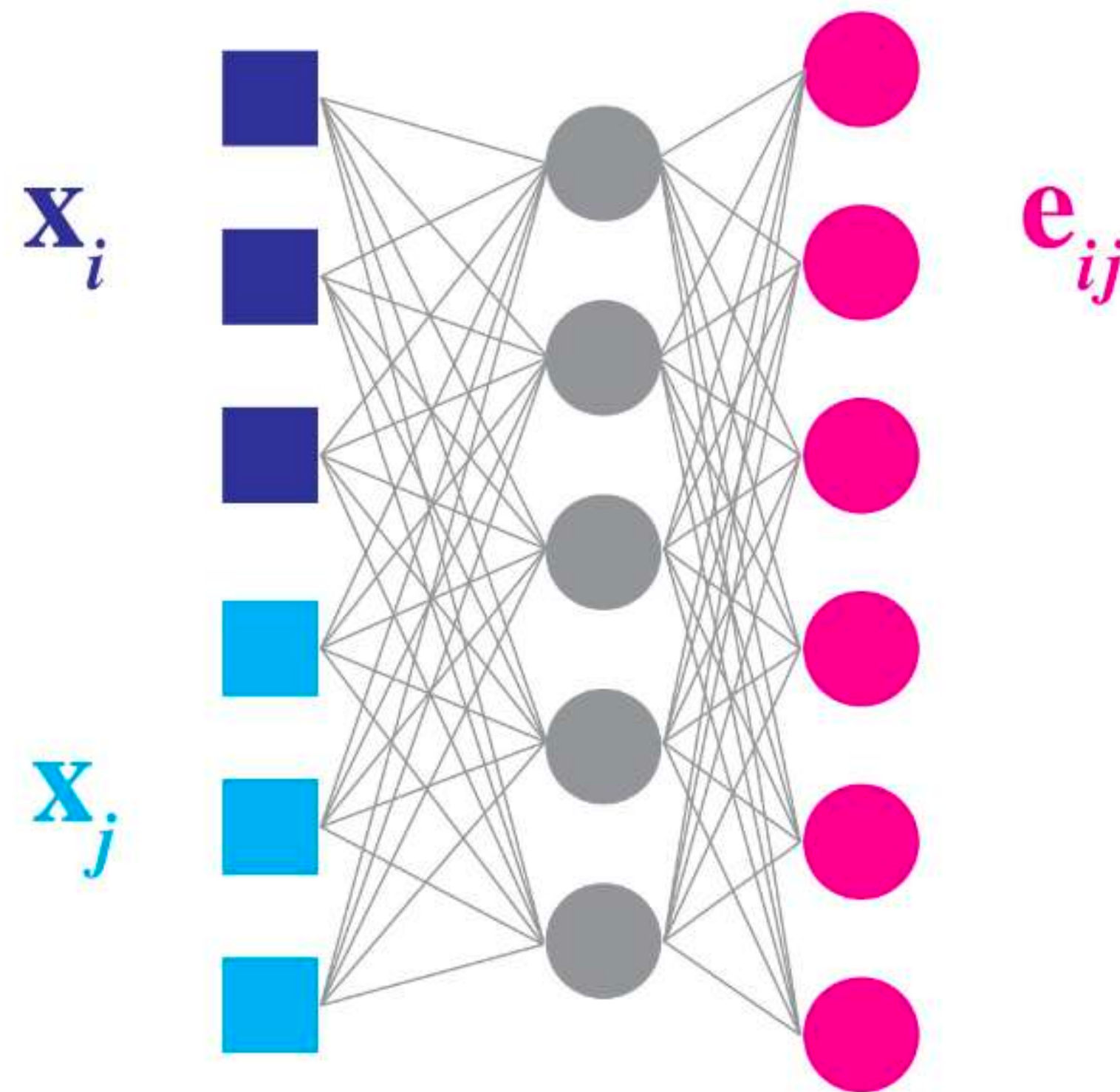
### Dynamic KNN

Using  nanoflann

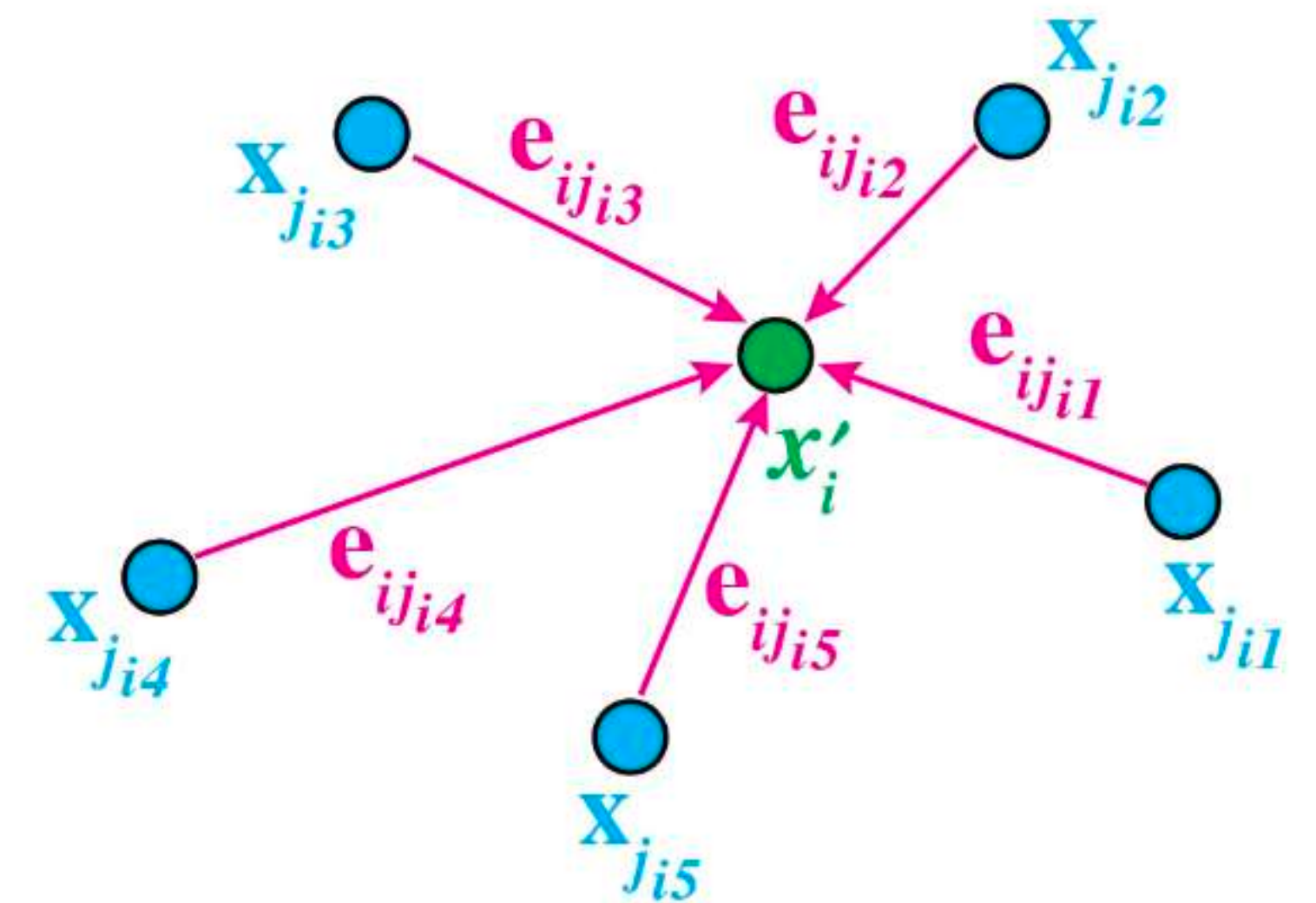


Draw relations with nearest neighbours

### Static graph

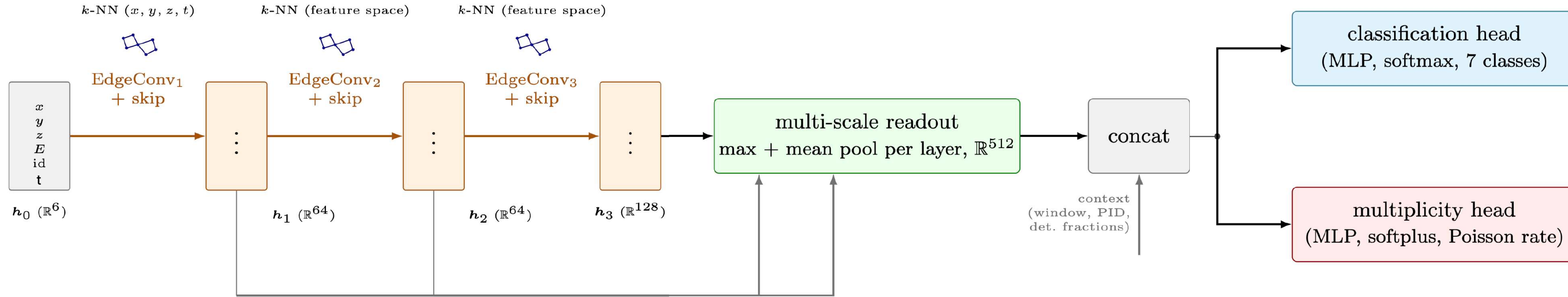


EdgeConv  
→



Represent each hit by its interaction with KNN

# GNN Architecture



## Data

~8000 simulated collisions events split into 75/15/15 training, validation and test

## Optimization

Epochs 20-200  
Optimizer Adam  
Batch size

## Loss function

Cross-entropy loss

## Stability

Curriculum strategy  
Dropout, weight decay, gradient clipping

## Hardware/compute

Training runs on a 4-GPU workstation (NVIDIA Blackwell)

## Hyperparameter selection

3-4 layer depth  
Graduated width 64, 64, 128, 256

## Goal

2 heads:  
- Classification  
- Multiplicity  
Model dimensionning

# GNN Training

## Curriculum learning

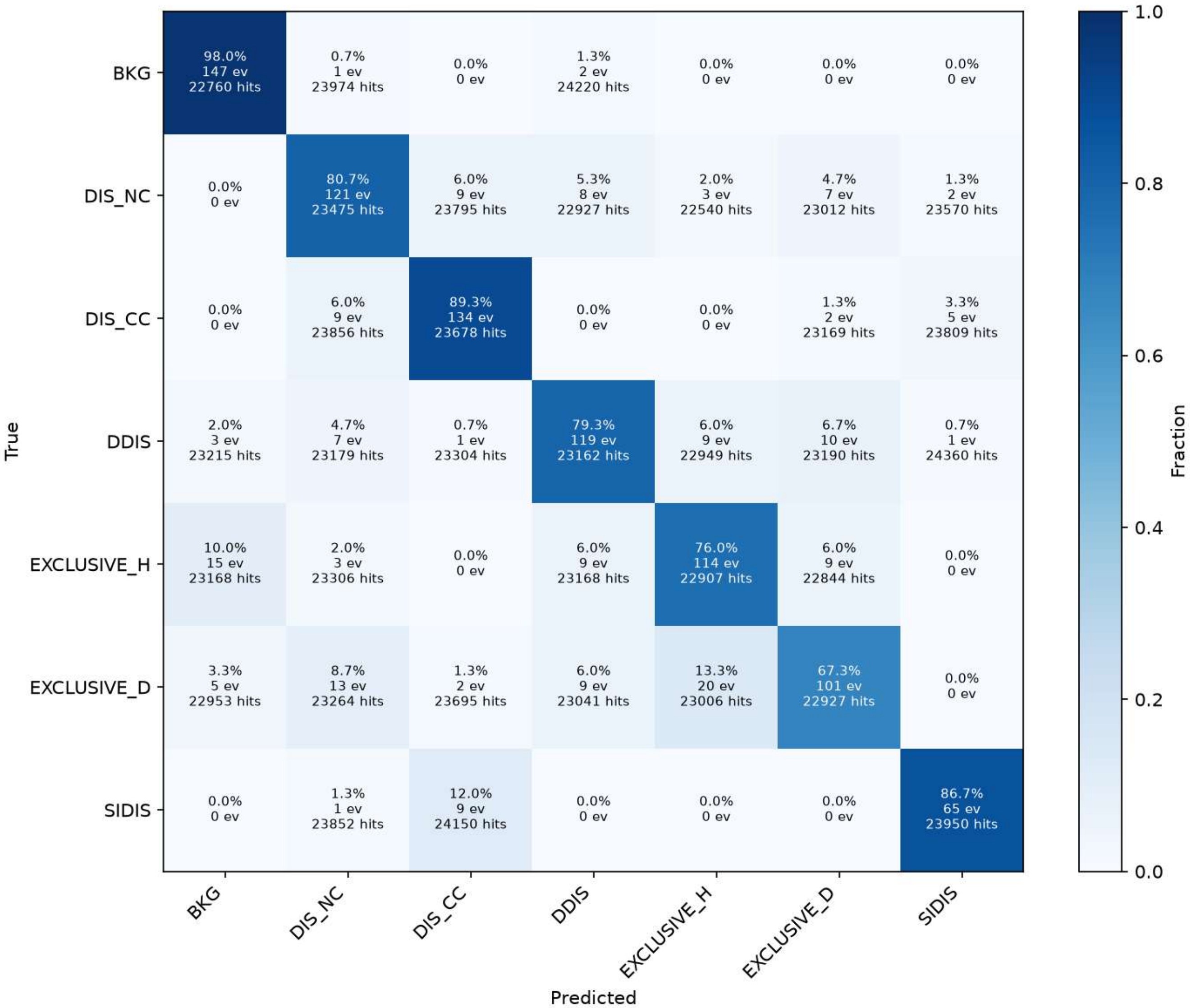
The model is trained on **increasing level of noise**.

| Noise ladder | Bkg rate |
|--------------|----------|
| vanilla      | 0 Hz     |
| gold-coating | 1.3 GHz  |
| vacuum       | 3.3 GHz  |

### Physics classes

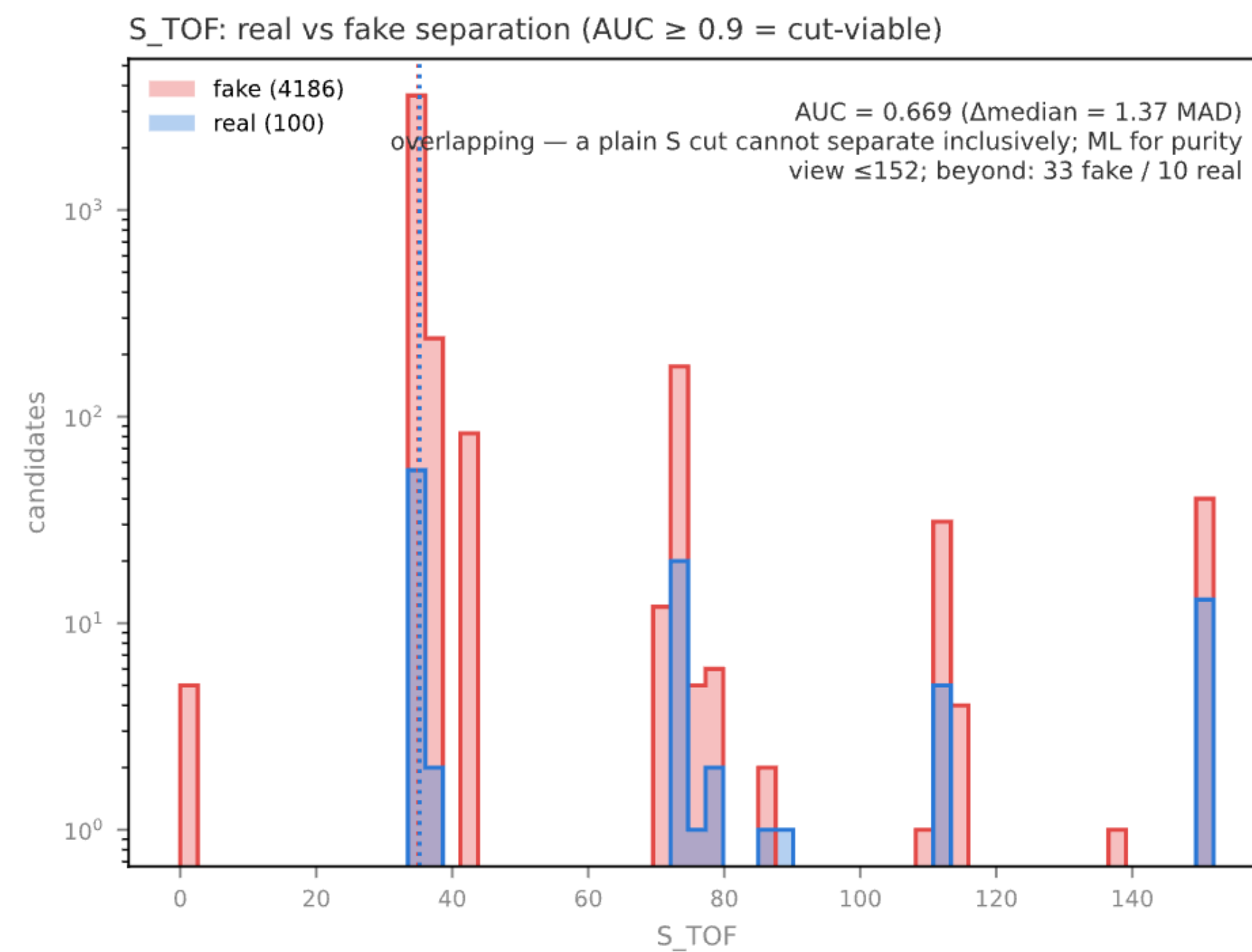
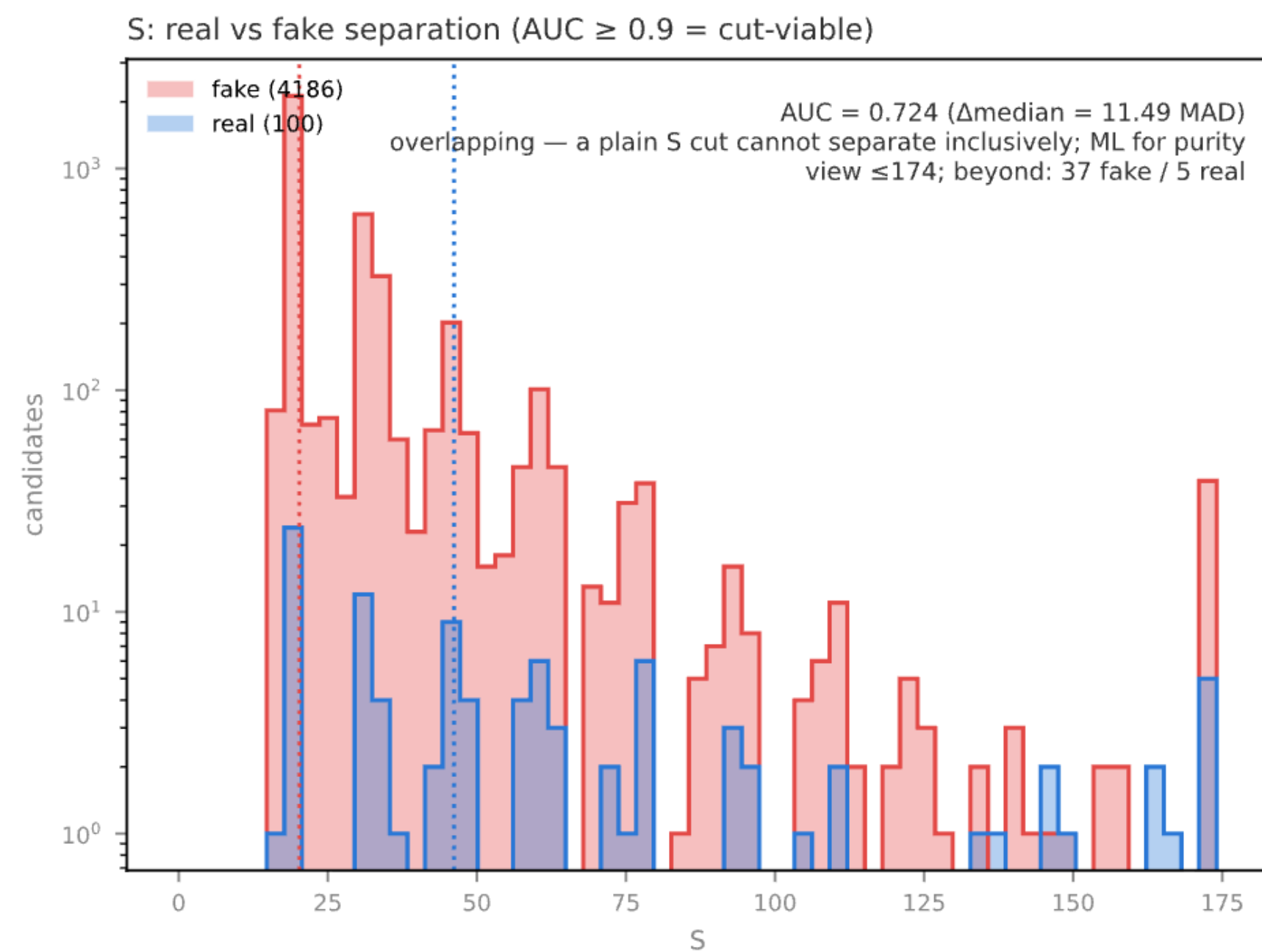
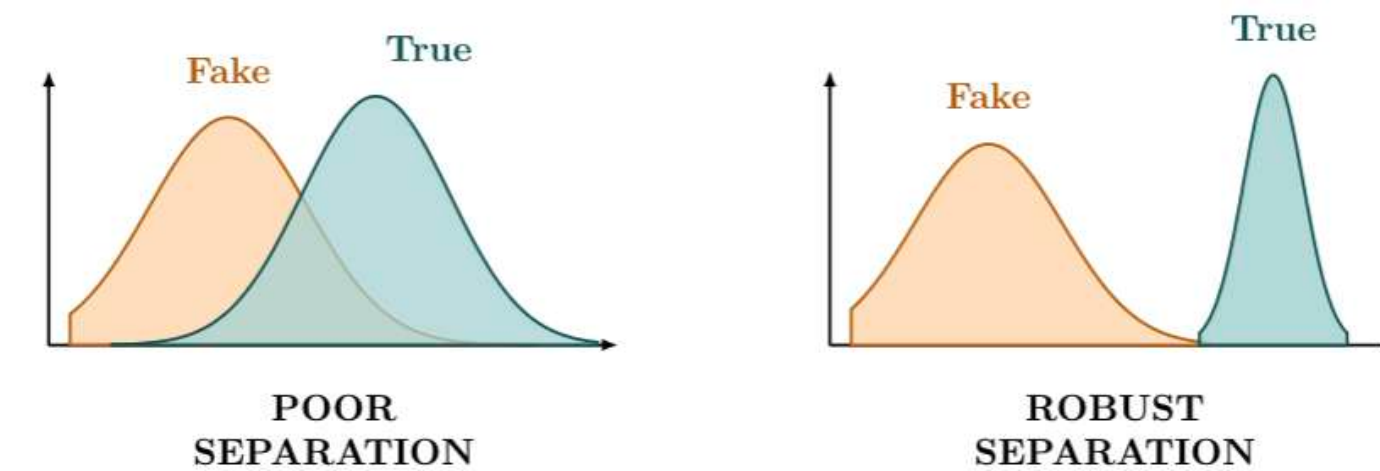
| # | Class       | Description                                                           |
|---|-------------|-----------------------------------------------------------------------|
| 0 | BKG         | Machine backgrounds (SynRad, Touschek, Coulomb, BeamGas, Brems)       |
| 1 | DIS_NC      | DIS neutral current (scattered $e^-$ visible in backward ECal)        |
| 2 | DIS_CC      | DIS charged current (forward jets + missing-E)                        |
| 3 | DDIS        | Diffractive DIS (rapidity gap + intact proton in RPs)                 |
| 4 | EXCLUSIVE_H | Hard exclusive non-diffractive (DVCS, DVMP, DEMP, TCS)                |
| 5 | EXCLUSIVE_D | Diffractive vector-meson ( $J/\Psi$ , $\rho$ , $\phi$ ; 2-body decay) |
| 6 | SIDIS       | Semi-inclusive DIS ( $D^0$ , $\Lambda$ , $\Lambda_c$ , dijets)        |

Confusion matrix

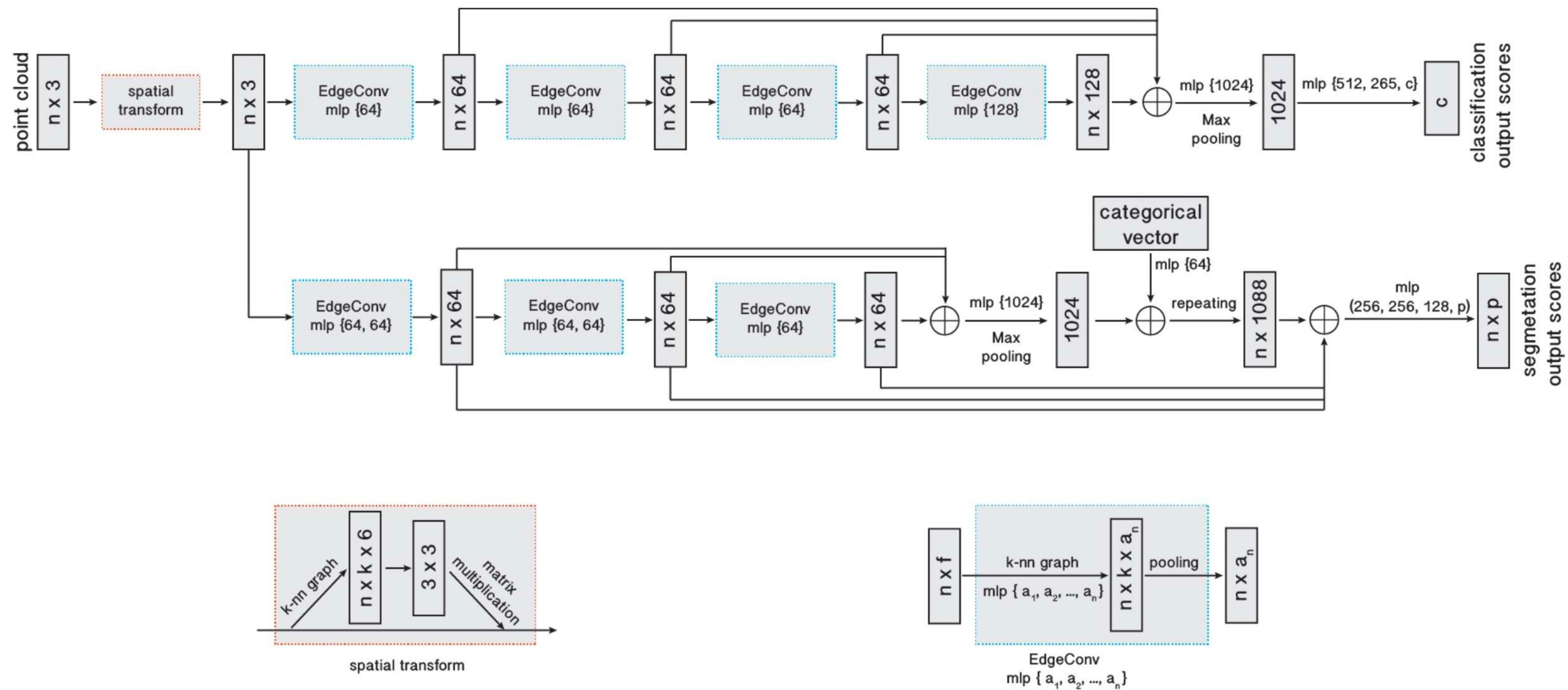


# What support or collaboration could help move it forward?

Advising for more realistic data → the current bkg noise is not time structured.

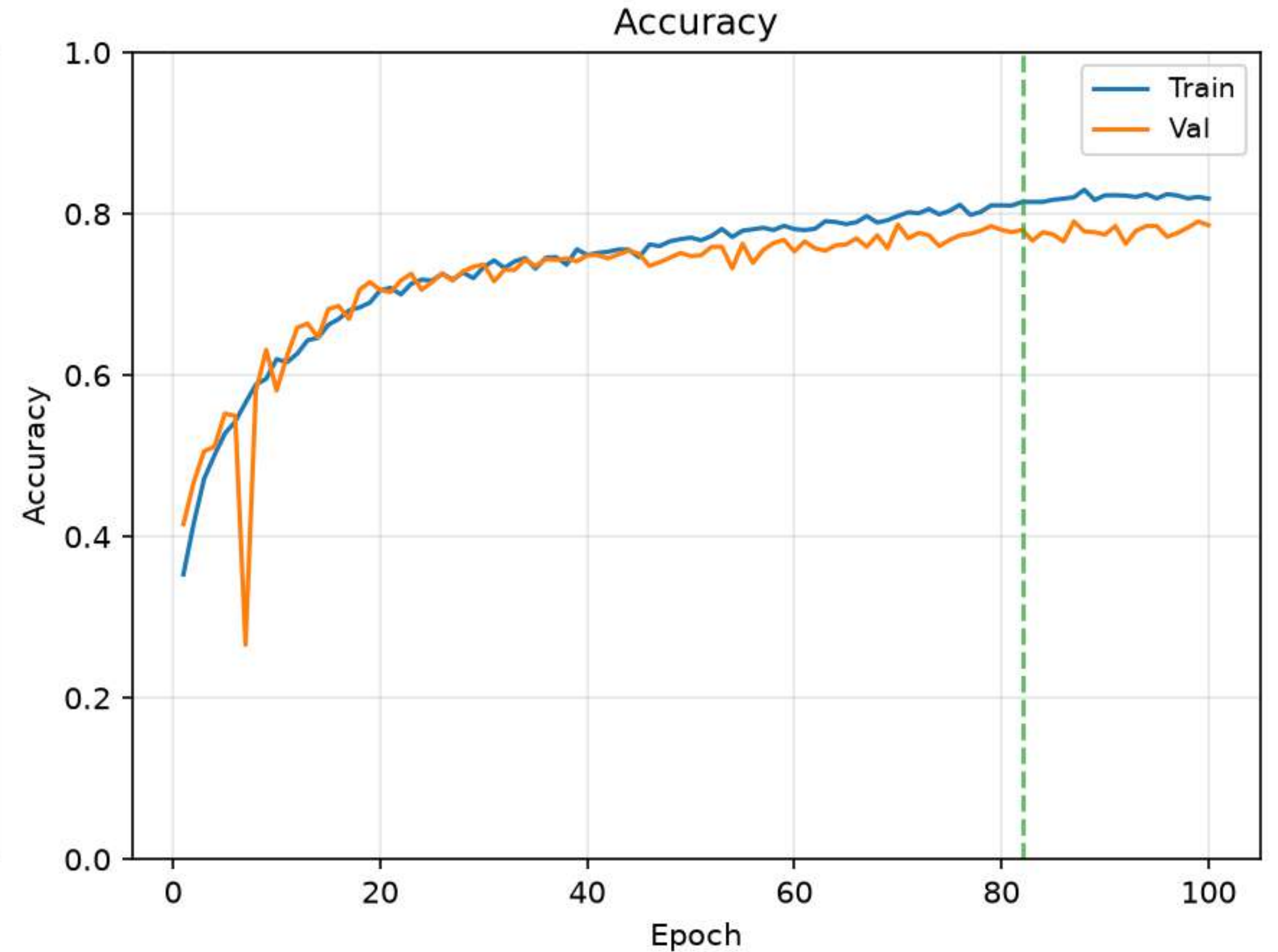
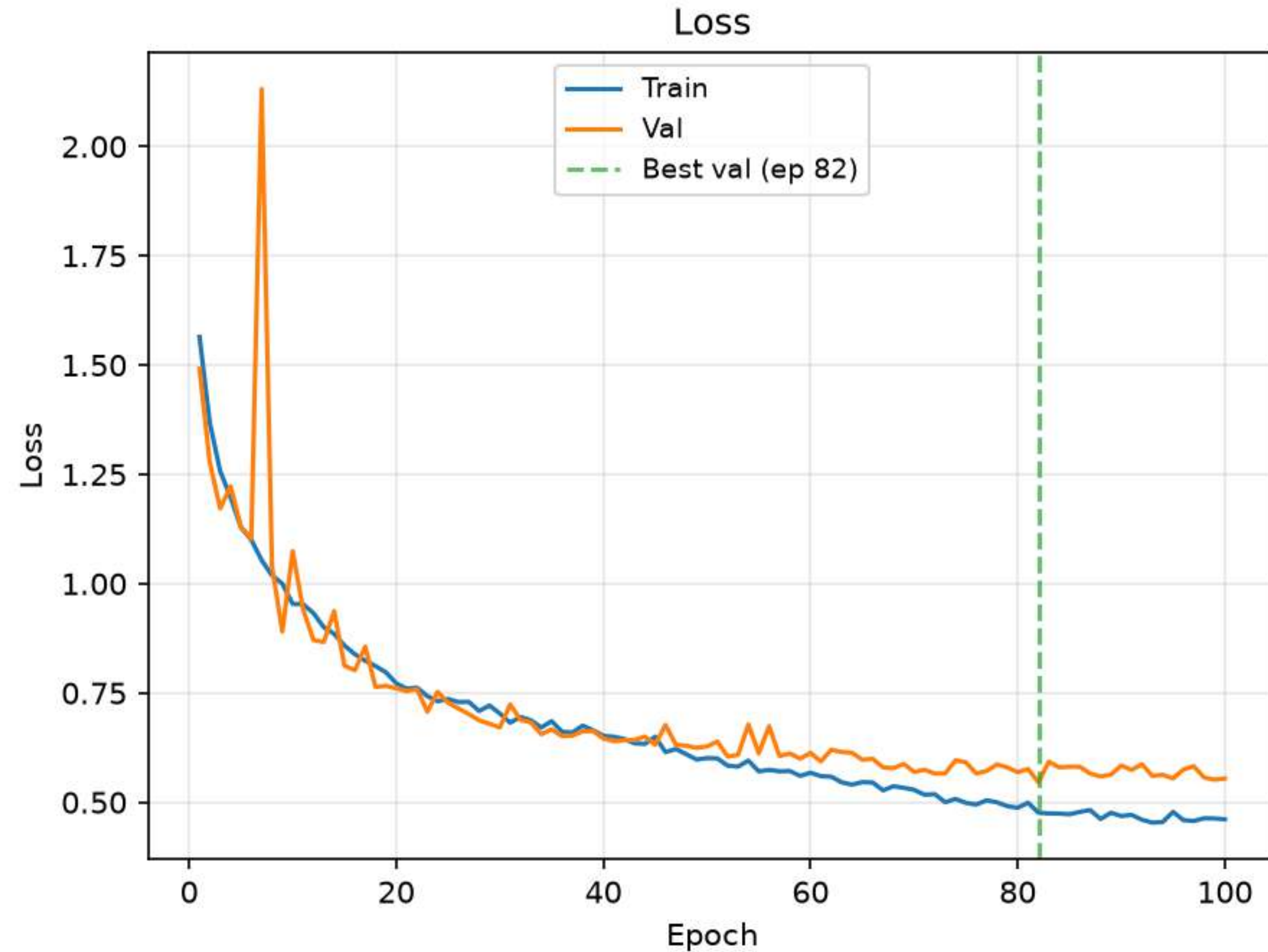


# A1 Model architecture



# A2 Loss and accuracy

gold-new-100epochs-nocaphits-3depth-graduated



# A3 Probability

Point cloud model = Raw hit in all the detectors

For each cell we define:

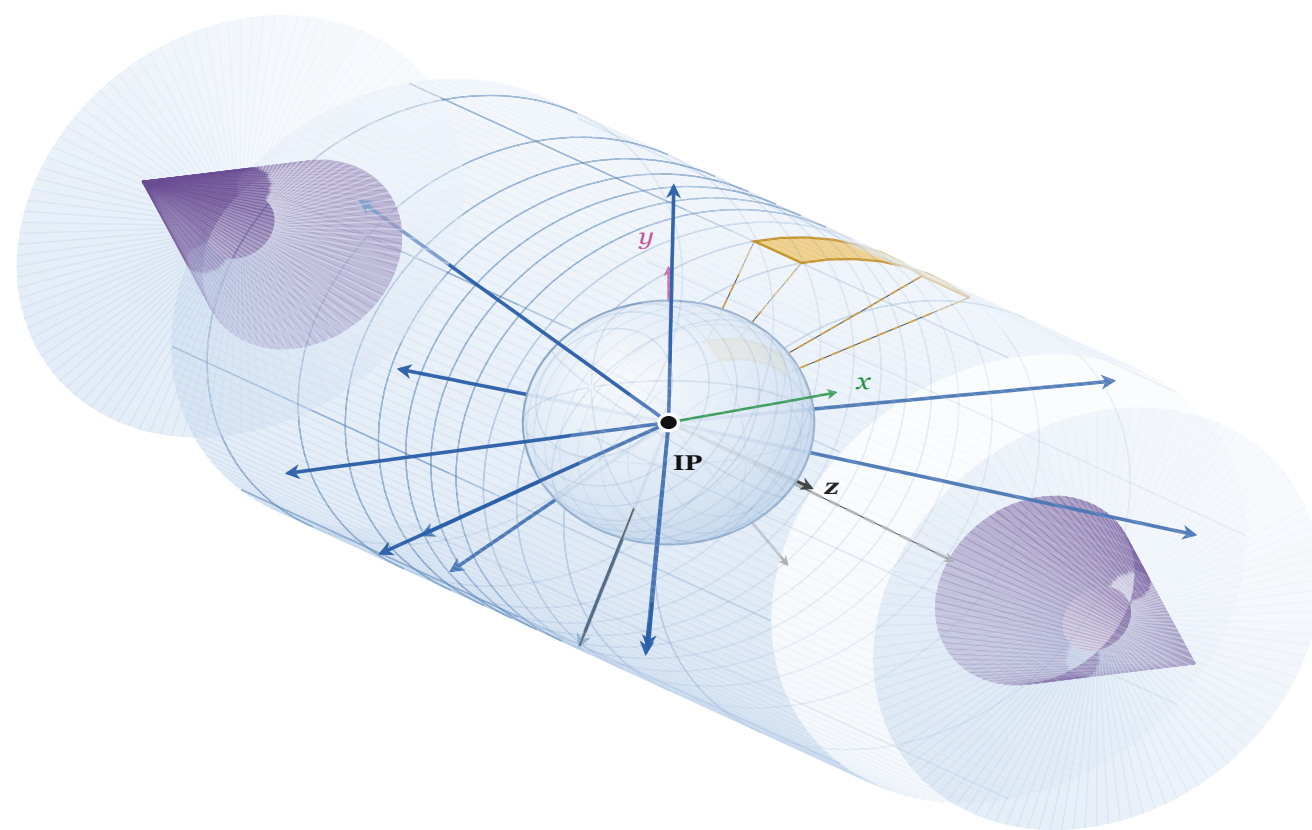
$C_{\max}$  Peak cell occupancy

$$\mu = \frac{N \cdot \Delta t}{N_{\text{cell}} \cdot \Delta T}$$

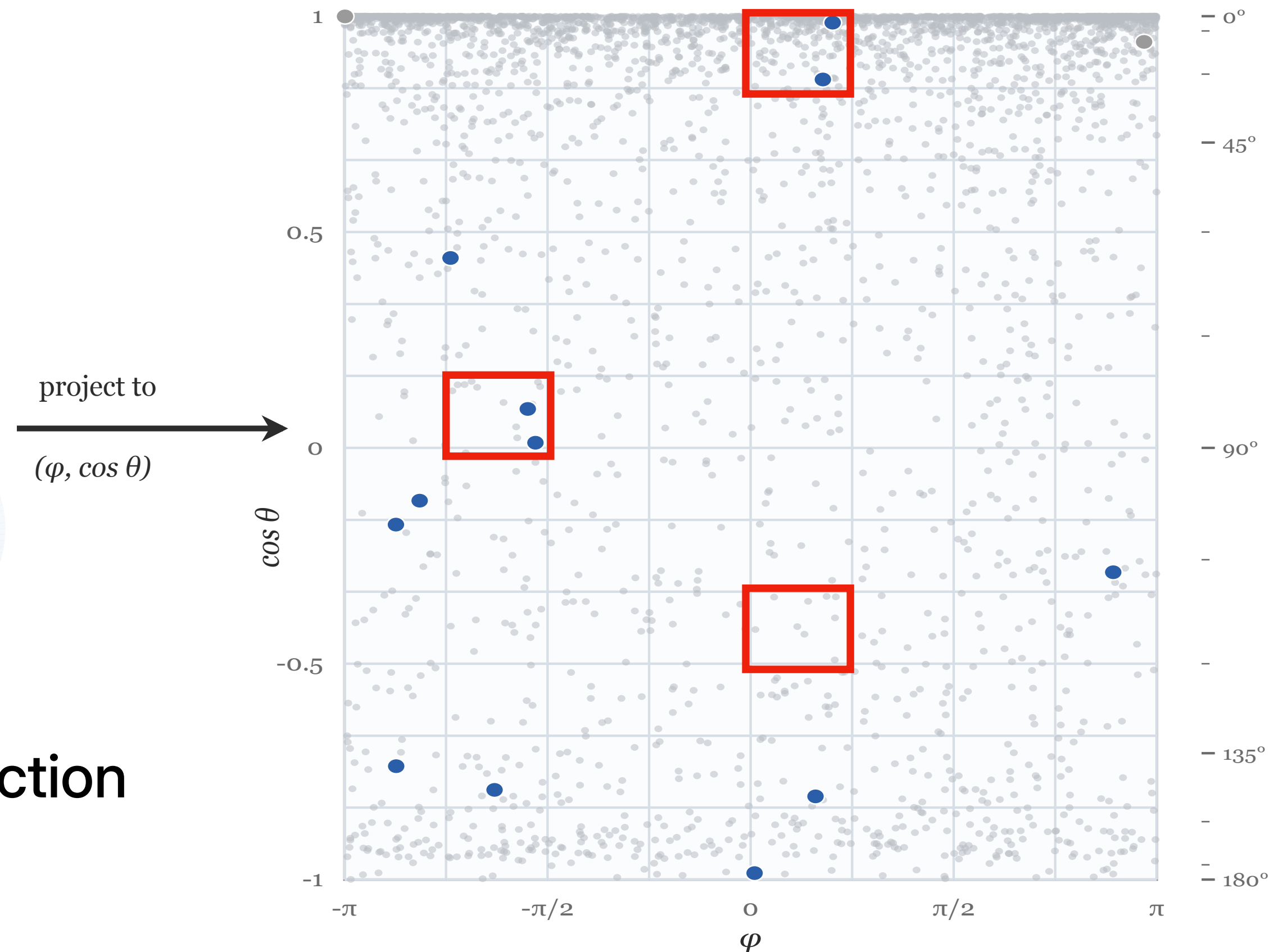
Mean occupancy

$$S = \frac{C_{\max}}{\mu}$$

Significance



Detector geometry projection



Hits (BKG+SIGNAL) from TOF + MPGD simulation

# A3 Probability

**Point cloud model** = Raw hit in all the detectors

$H_0$ : Observed hits are entirely consistent with accidental bkg fluctuations.

No genuine physics event is present in the considered time window and angular cell

Background model under the null hypothesis  $H_0$ :

$$X \sim \text{Poisson}(\mu)$$

Per-event false-alarm criterion:

$$P(X \geq k \mid \mu) < p_{\text{FALSE}}$$

Significance from the  $p$ -value:

$$S = -10 \log_{10}(p\text{-value})$$

Detection criterion in terms of significance:

$$\text{SNR}(S_i, \mu) \gg 1$$

Large- $\mu$  (Gaussian) limit of the Poisson significance test:

$$\mu \gg 1 \iff \chi^2_{N_{\text{dof}}} \sim 1$$

For each cell we define:

$C_{\text{max}}$  Peak cell occupancy

$$\mu = \frac{N \cdot \Delta t}{N_{\text{cell}} \cdot \Delta T}$$

Mean occupancy

$$S = \frac{C_{\text{max}}}{\mu}$$

Significance

time coincidence (threshold  $\kappa$ )

$$|t - t_i| < 3 \sigma_{\text{MPGD}} \quad \text{MPGD} + \text{TOF}$$

