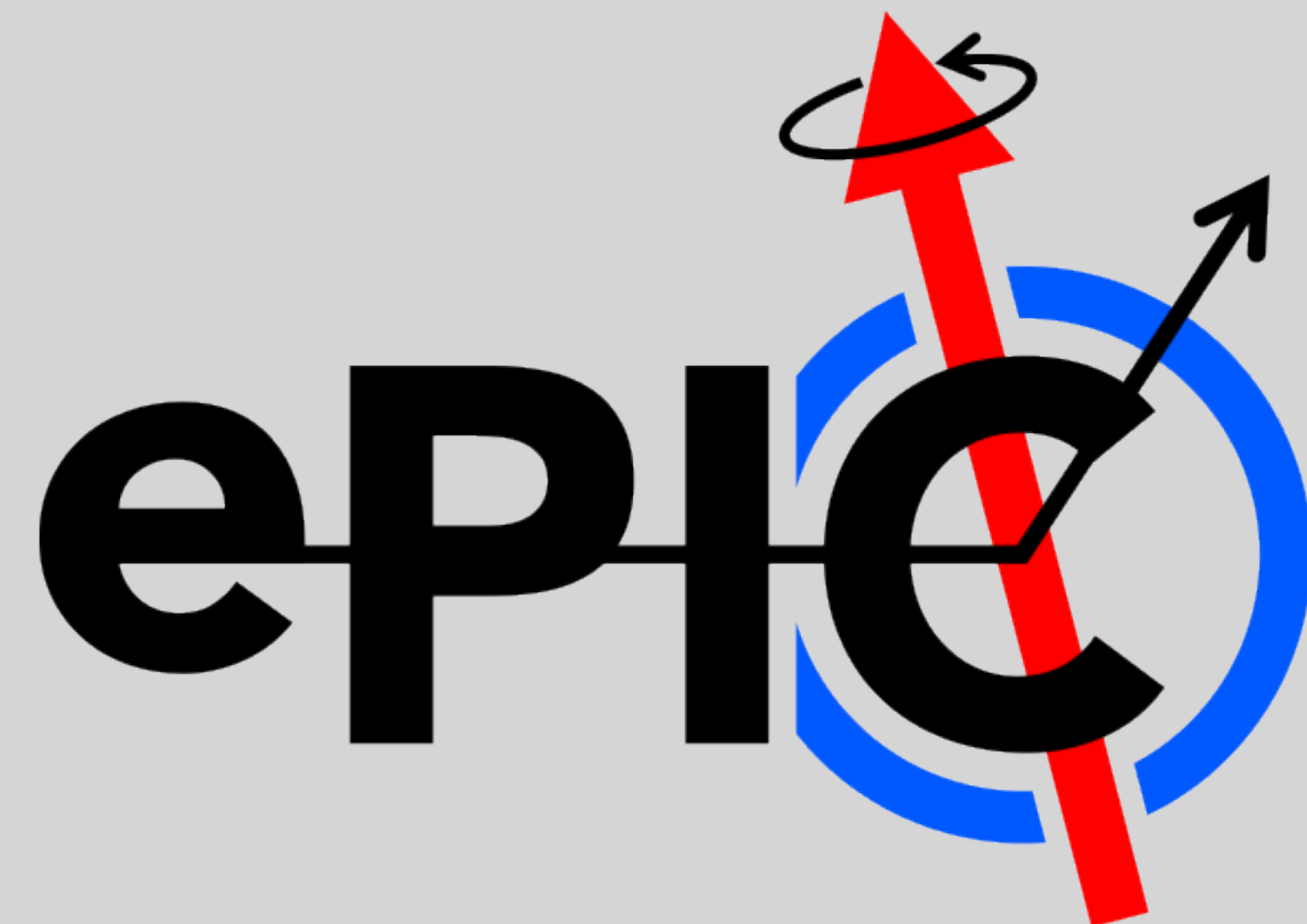


ePIC Barrel HCAL energy calibration using Machine Learning

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Data Set and Selections

- Neutral Current DIS, 26.05.0[$q^2[10 - 100] \text{ GeV}^2$] (No rad) [26.06.0 also available]
- Truth neutron selection $|\text{pdgPar-2112}| < 0.5$
- Truth neutron energy range [1,11] GeV
- Neutron pseudorapidity (η) range [0,1.5]
- Required visible BHCAL response : $E_{BHCAL}^{Cluster} > 0$
- Neural net-work output, E_{NN} (or E_{Pred})

Training Loss and Calorimeter Response Closure

$$L_{\text{total}} = \frac{\sum_i w_i \text{Huber} \left(y_{\text{pred},i}^{\text{scaled}}, y_{\text{true},i}^{\text{scaled}} \right)}{\sum_i w_i} + 50 \left[\frac{1}{N_{\text{bins}}} \sum_{\text{bins}} \left(\left\langle \frac{E_{\text{NN}}}{E_{\text{true}}} \right\rangle_{\text{bin}} - 1 \right)^2 + 0.25 \frac{\sum_i w_i \left(\frac{E_{\text{NN},i}}{E_{\text{true},i}} - 1 \right)^2}{\sum_i w_i} \right]$$

The base Huber loss trains event-by-event log-energy prediction, while the added response-closure term penalizes deviations of the mean calibrated response from unity in true-energy bins.

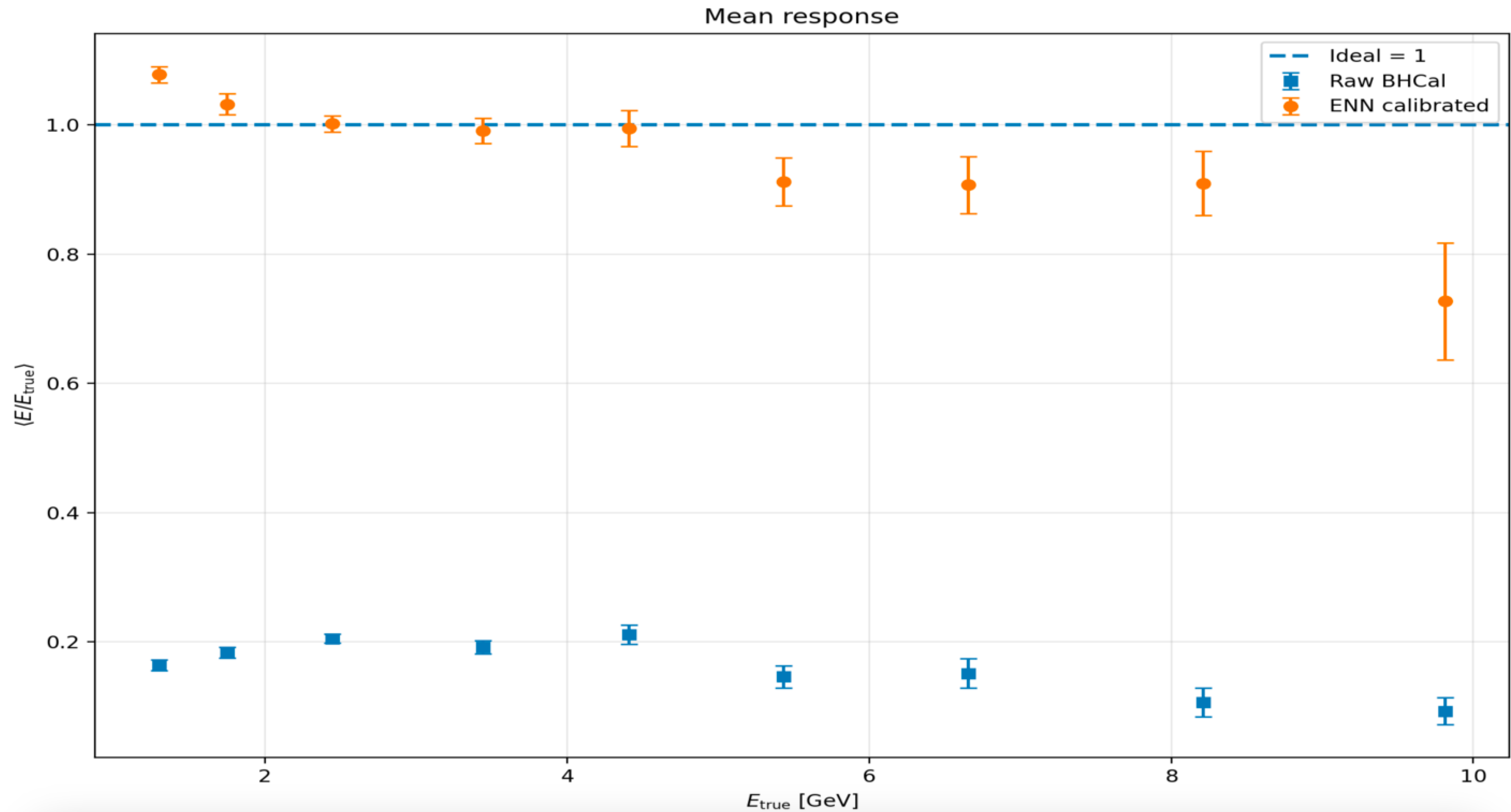
$$\text{Mean response} = \left\langle \frac{E_{\text{NN}}}{E_{\text{true}}} \right\rangle$$

$$\text{Fractional residual} = \frac{E_{\text{NN}} - E_{\text{true}}}{E_{\text{true}}}$$

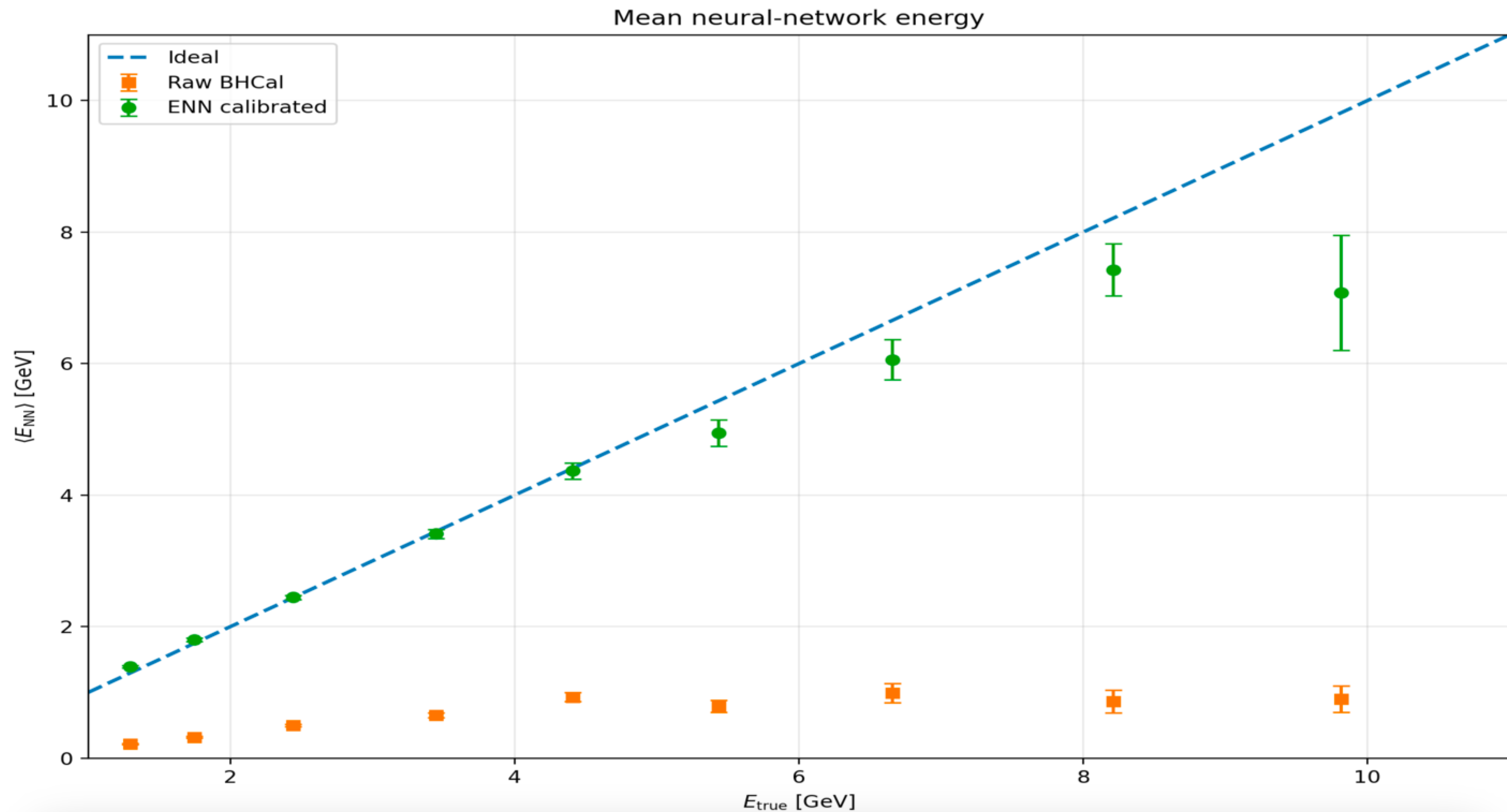
$$\text{Bias} = \left\langle \frac{E_{\text{NN}} - E_{\text{true}}}{E_{\text{true}}} \right\rangle$$

$$\frac{\sigma_E}{E} = \text{std} \left[\frac{E_{\text{NN}} - E_{\text{true}}}{E_{\text{true}}} \right]$$

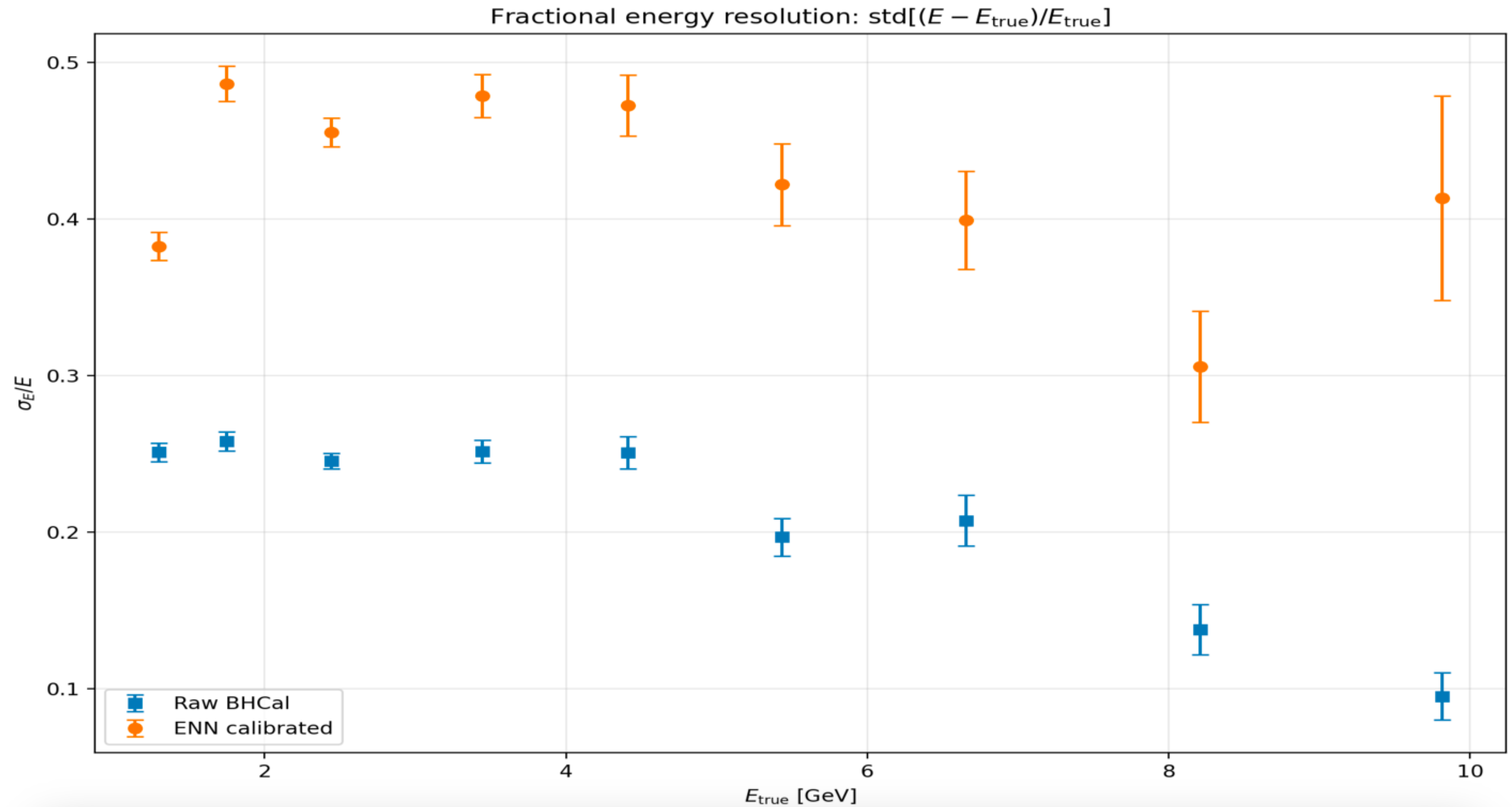
Mean Response vs True energy



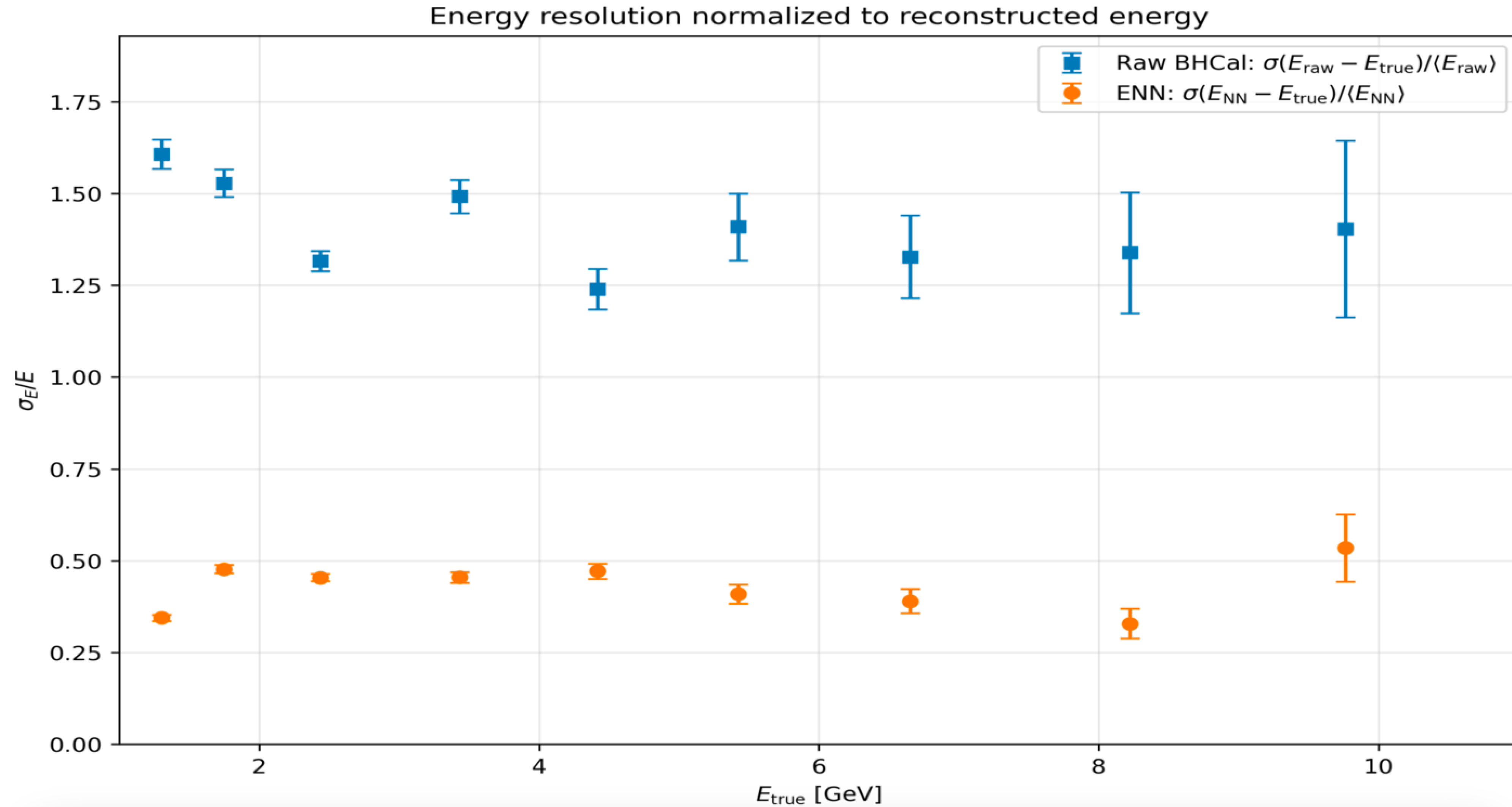
Mean Neural-Network Energy (ML Predicted)



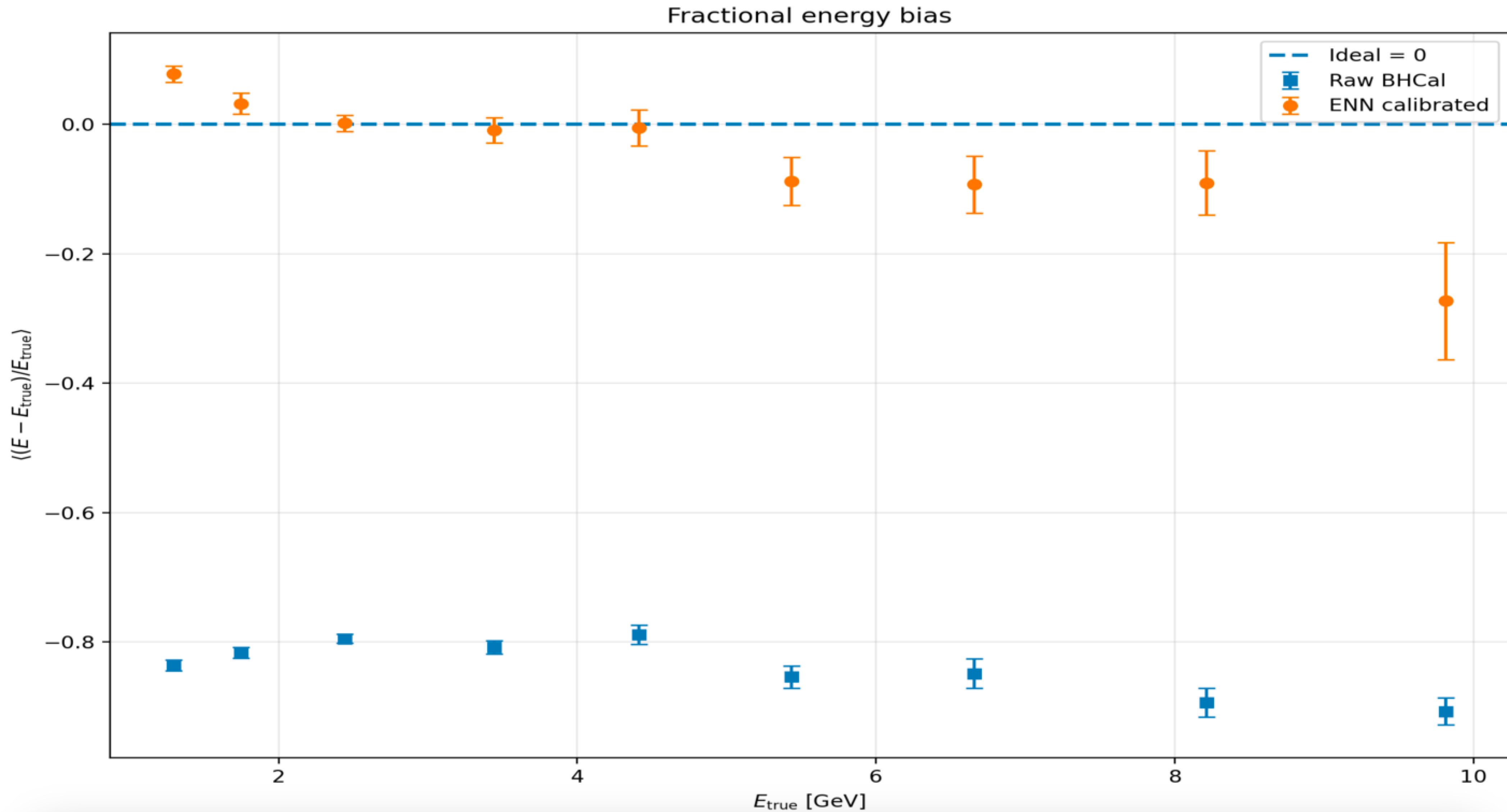
Energy-resolution vs True energy



Energy Resolution normalized to E_{NN}

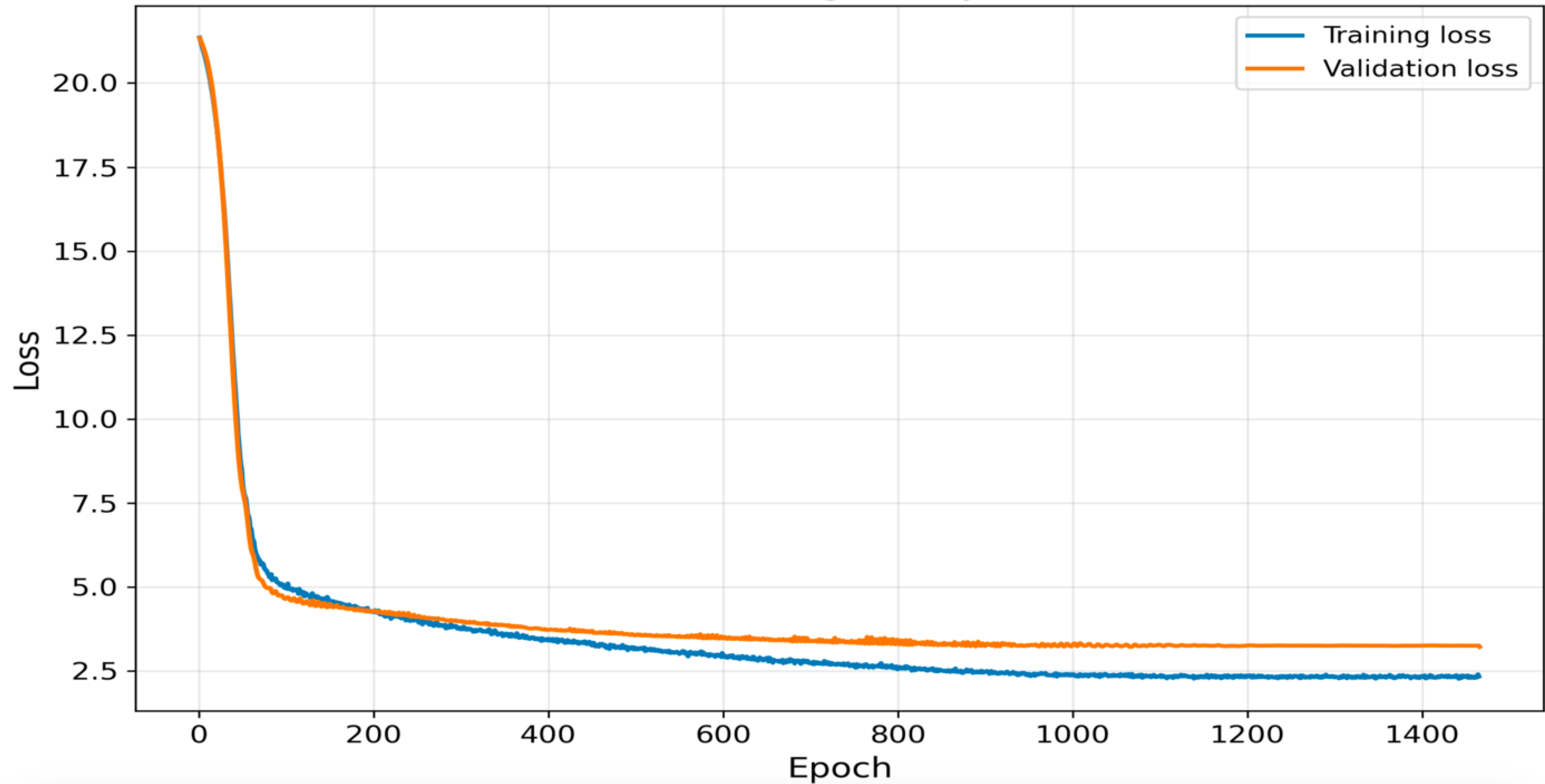


Fractional energy bias



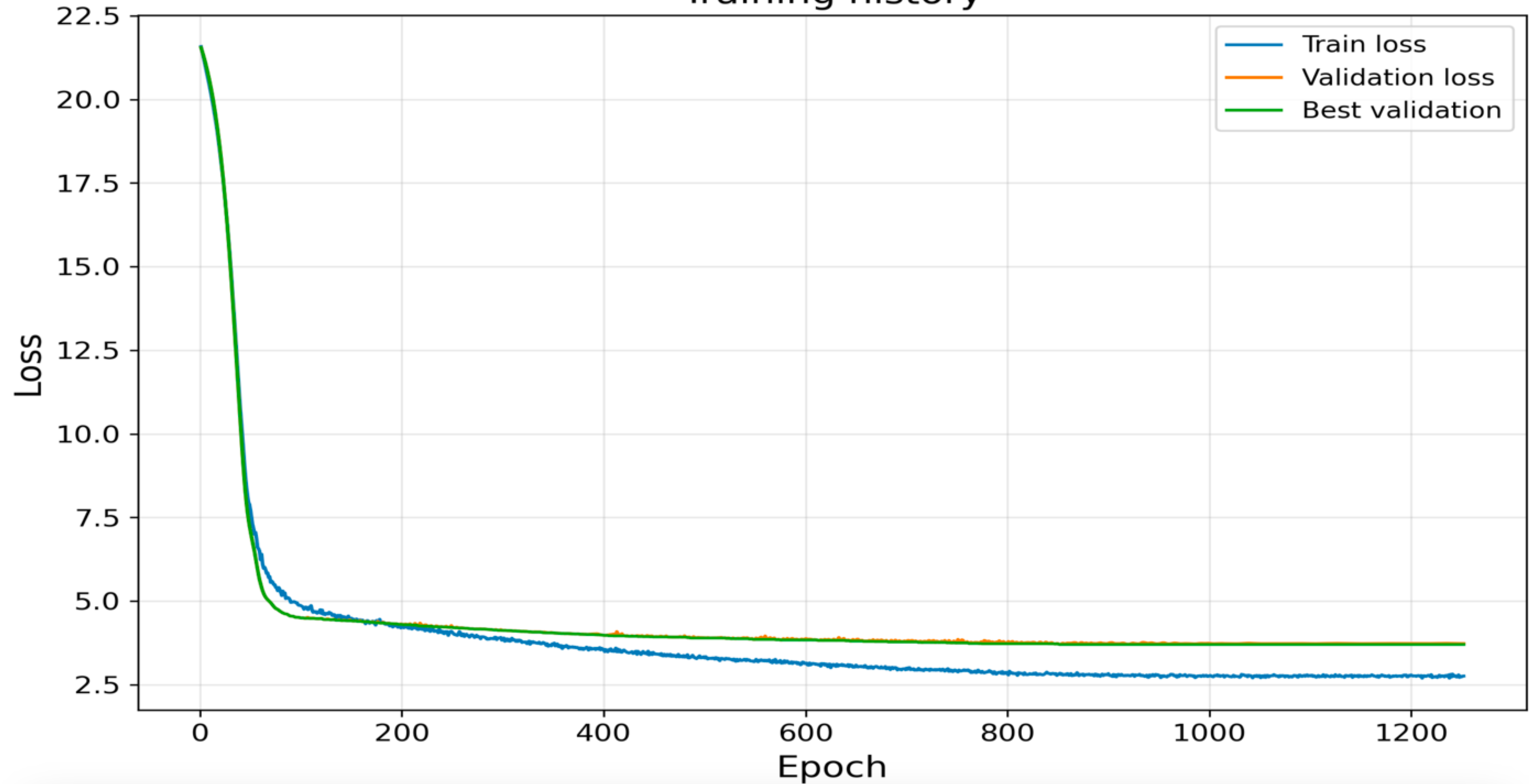
Loss vs epochs

Training history



Loss vs epochs

Training history

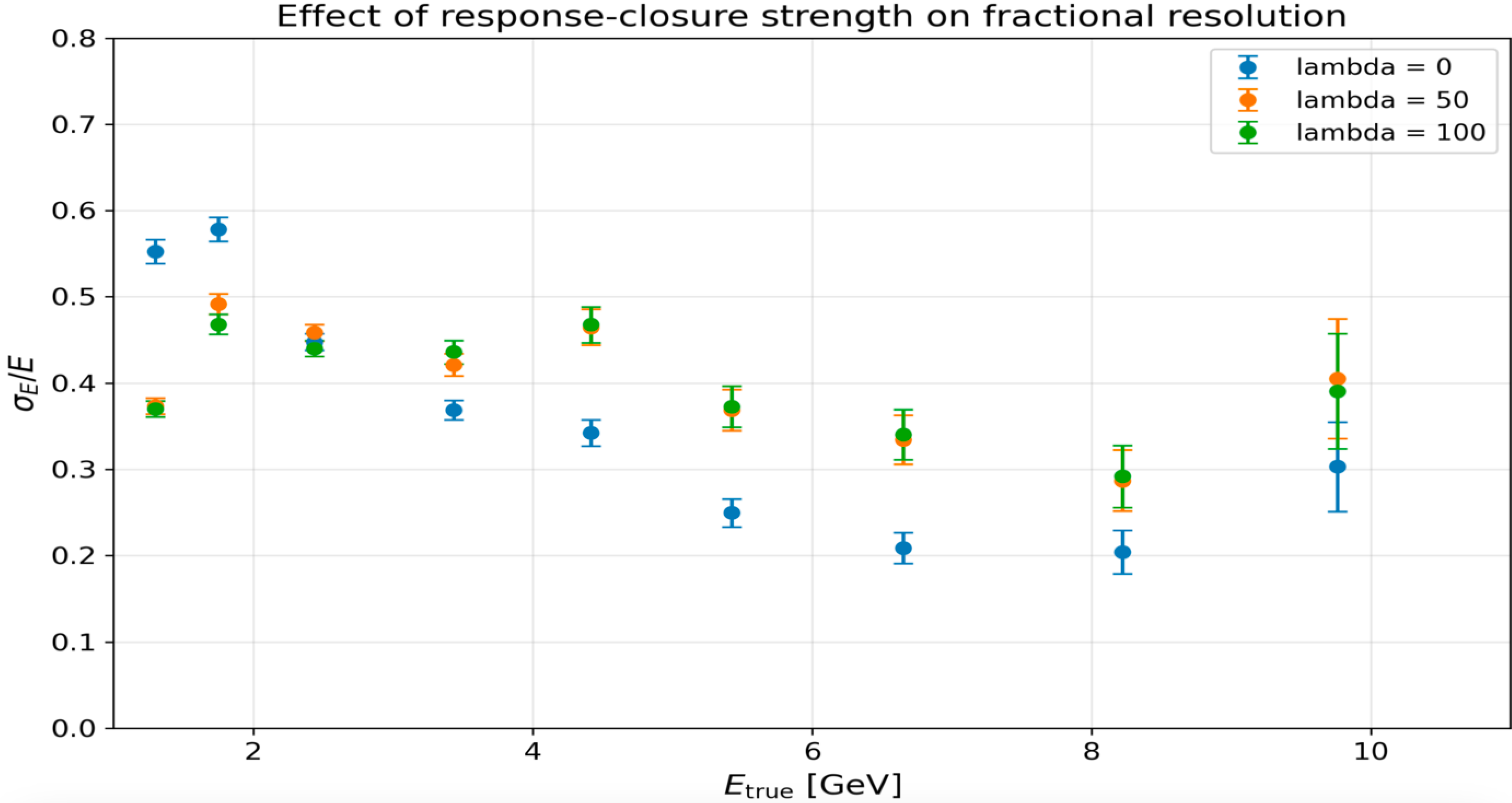


Summary

- Response-closure helps low/middle energy calibration but not high energy and at this q^2 , training suffers from low statistics for high energy neutrons
- Train $q^2(100-1000)$ sample as a next step

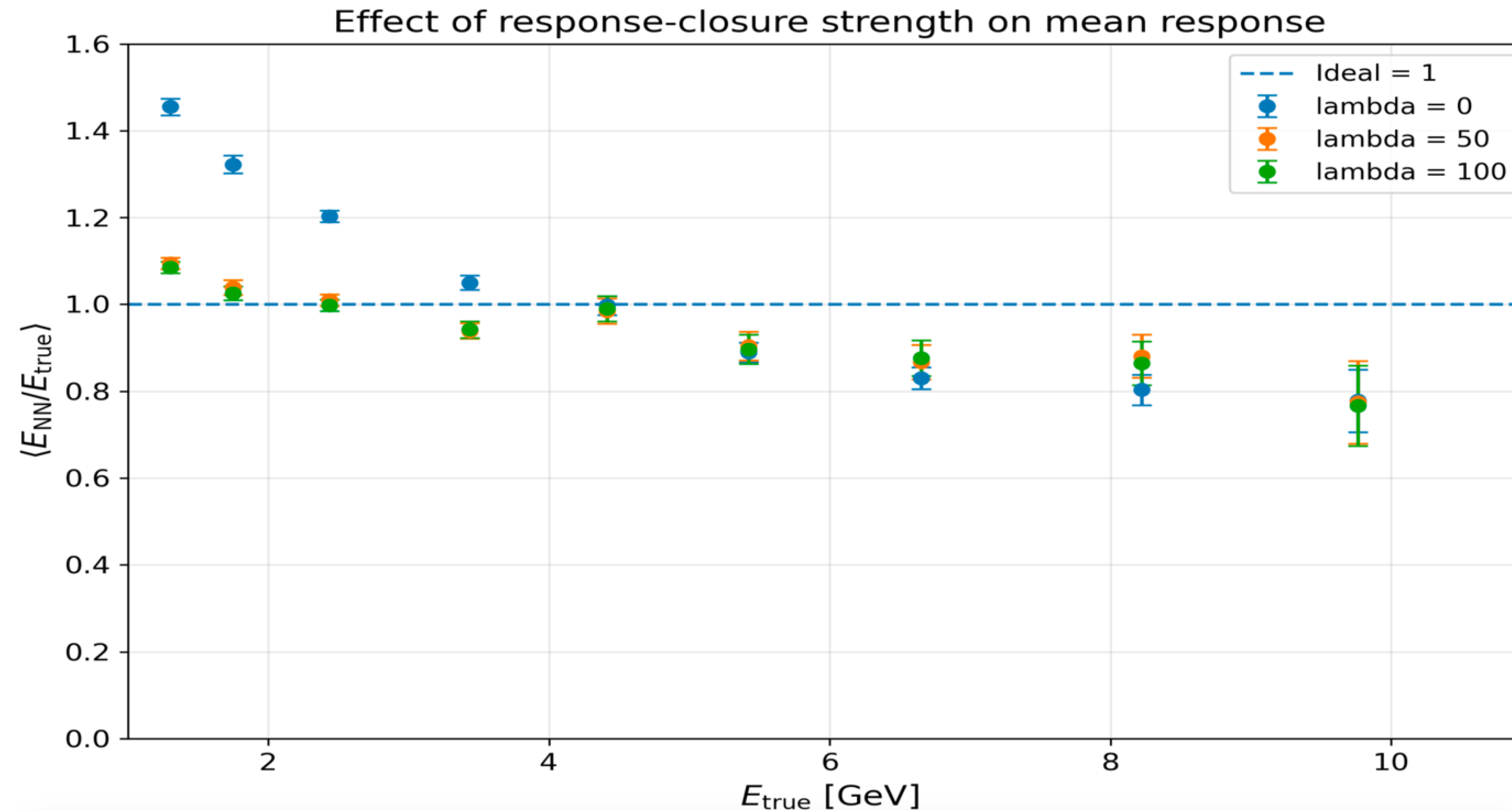
Backup

Effect of response-closure on fractional resolution



Effect of response-closure strength on mean response

- To check whether the response-closure penalty is over-constraining the model, I trained otherwise identical models with different `lambda_response` values. $\lambda = 0$ is the baseline without closure regularization, $\lambda = 50$ is the current working model, and $\lambda = 100$ tests a stronger closure penalty. I compare mean response, bias, and fractional resolution on the validation sample.



Effect of response-closure strength on bias

