

Imaging Nuclei Through Exclusive Vector Meson Production

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BNL Nuclear Physics Seminar

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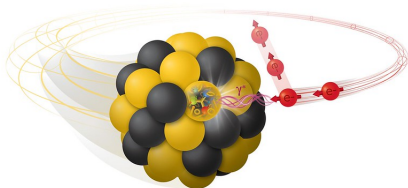
Outline

- 1 Introduction
- 2 Measuring Momentum the Transfer Distribution
- 3 Toy Model
- 4 ePIC Simulation
- 5 Dominate Background Sources
- 6 Incoherent Suppression
- 7 AI Model
- 8 Summary

electron-Proton/Ion Collider (ePIC)

Major goals of the EIC

- 3D structure of nuclei
- **Gluon saturation**
- Origin of proton spin
- Quark and gluon confinement

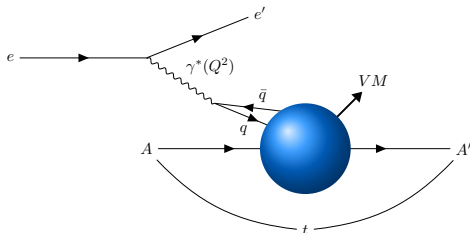


- Highly integrated into beamline
 - Detect particles at **small angles**
- Central detector + Far-forward systems
 - Allows us to **reconstruct exclusive and diffractive physics**

Critical Measurement:

Exclusive Vector Meson (VM) Production

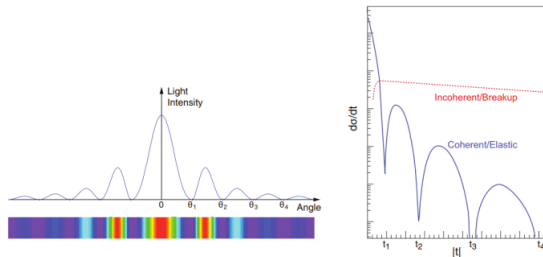
- Probe to gluon density $\rightarrow$ precisely see structure $\rightarrow$ **saturation**
- Deflection of VM measures **spatial distribution** of gluons



- Distribution of momentum transfer (t):
 - Fourier conjugate to impact parameter
 - Reflects the spatial profile
- **Gluon imaging**

Saturation models predict at EIC **more than 20% of the cross-section will be diffractive**

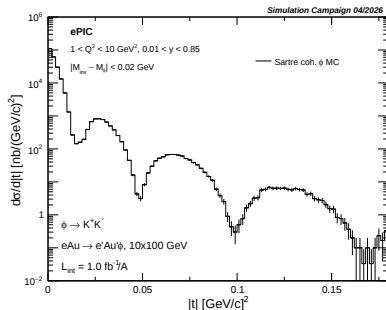
Diffraction eA Events



EIC WP: 10.1140/epja/i2016-16268-9

- **Diffraction pattern in optics:** light intensity on a screen behind a circular object
 - **Diffraction VM production:** expected differential cross-section
- Analogous Fourier transformation
 - Enables **spatial imaging of nucleus**
 - We observe:
 - **Coherent production** → nucleus *remains intact*
 - **Incoherent production** → target *nucleus breaks up*

Goal: Diffractive Pattern



What does diffractive pattern tell us?

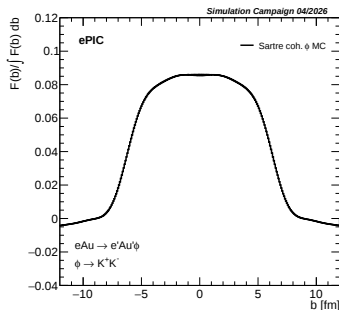
- First peak $\propto$ gluon density²
- First minima $\propto 1/R^2$
- Larger nucleus $\rightarrow$ **closer first minimum**
- **Gluon saturation** $\rightarrow$ shifts first minimum, stronger diffractive oscillations

Form Factor:

$$\frac{d\sigma}{dt}(\gamma^* A \rightarrow VA) \sim g(x, Q^2)^2$$

xg : gluon distribution

Goal: Transformation



What does the transform tell us?

- Peak $\rightarrow$ gluon density is highest
- Smooth dist: **sharp diffractive peaks** in $|t|$ dist $\rightarrow$ **heavy nuclei**
- Sharp features: smaller/ more irregular gluon structure $\rightarrow$ protons
- **Gluon saturation** $\rightarrow$ flatter, larger radius

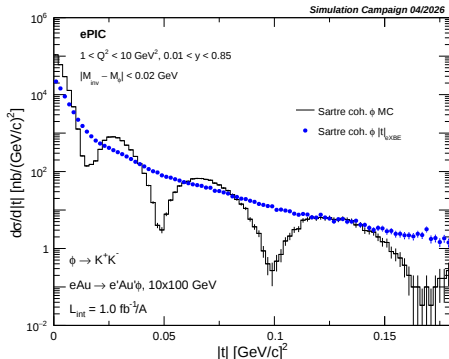
Fourier-Bessel Transformation:

$$\tilde{F}(b) \propto \frac{1}{2\pi} \int_0^\infty d\Delta_T \Delta_T J_0(b\Delta_T) \sqrt{\frac{d\sigma}{d|t|}}$$

b : impact parameter, Δ_T : transverse momentum, J_0 : Bessel function of the first kind

Challenges

Measurements of the $|t|$ distribution encounter **2 primary challenges:**



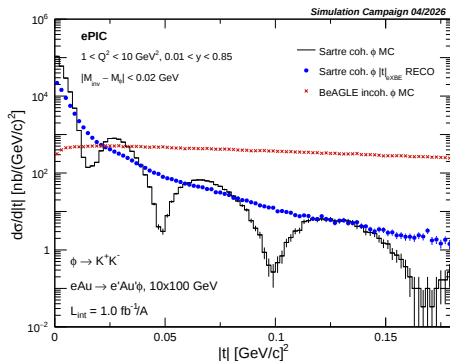
Limited resolution in measuring $|t|$:

- Peaks and valleys washed out
- **Mainly momentum resolution of e'**
 - Scattered very far backward $\rightarrow$ emerges at small angle
 - Tiny angular error $\rightarrow$ **large p_T error**

Best method of $|t|$ reconstruction $\rightarrow |t|_{\text{eXBE}}$ (**blue circles**)

Challenges

Measurements of the $|t|$ distribution encounter **2 primary challenges:**



● **Overwhelming incoherent background:**

- **Red x's**
- Detector **cannot** suppress all incoherent production

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Extracting $|t|$

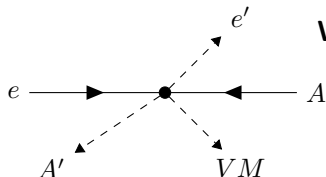
Reconstruct from exclusive VM production

$$|t| = (P_A - P_{A'})^2$$

To access $|t|$: **need complete final state**

- **Cannot measure $P_{A'}$**

- For heavy nuclei $\rightarrow$ stays within beam envelope
- Tiny momentum change + tiny angular deflection

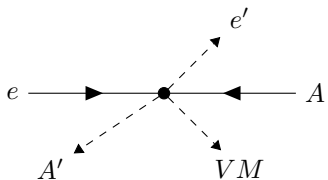


We know 4-momenta of e , A , e' , and VM

$$e + A \rightarrow e' + A' + VM$$

$$P_{A'} = P_e + P_A - P_{e'} - P_{VM}$$

Different Methods



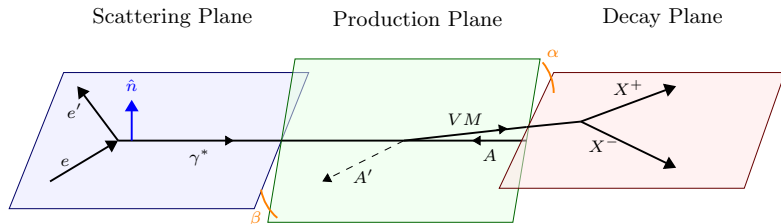
$$|t| = (P_A - P_{A'})^2$$

$$e + A \rightarrow e' + A' + VM$$

$$P_{A'} = P_e + P_A - P_{e'} - P_{VM}$$

- $|t|_{\text{BABE}}$ (method E): $|t| = (P_{VM} + P_{e'} - P_e)^2$
 - Small error/inaccuracy has large effect on $|t| \rightarrow \frac{\sigma_t}{t}$
 - Beam momentum spread
- $|t|_{\text{eX}}$ (method A): $|t| = [\mathbf{p}_T(e') + \mathbf{p}_T(VM)]^2$
 - Underestimates true t , valid only for small $|t|$ and small Q^2
- $|t|_{\text{eXBE}}$ (method L): $|t| = (P_A - P_{A'}^{\text{corr}})^2$
 - Only applies to coherent events

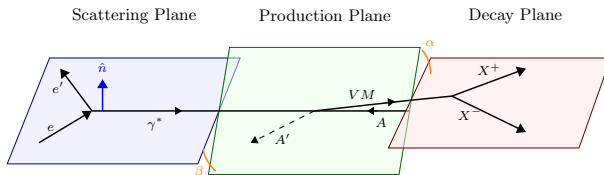
Projected- $|t|$ Method



- Measure **$|t|$ component along normal direction ($\hat{n}$)** of electron scattering plane
- **$|t|\hat{n}$ unaffected by momentum resolution** $\rightarrow$ eliminate momentum resolution contribution from scattered electron

M. Kesler, A. I. Sheikh, et. al., 10.1016/j.physletb.2026.140585

Define Normal Direction



Calculate $\hat{n}$:

$$\hat{n} = \hat{p}_e \times \hat{p}_{e'}$$

$|t|_{\text{eXBE}}$:

$$|t| = (P_A - P_{A'}^{\text{corr}})^2$$

$|t|_{\text{BABE}}$:

$$|t| = (P_{VM} + P_{e'} - P_e)^2$$

$$|t|_{\hat{n}} = [(P_{VM} + P_{e'} - P_e) \cdot \hat{n}]^2$$

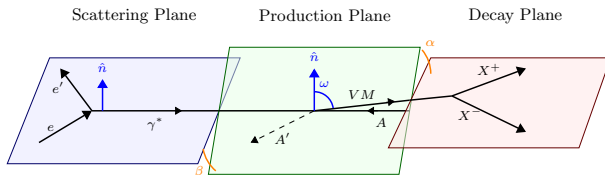
$$|t|_{\hat{n}} = (P_{VM} \cdot \hat{n})^2$$

$$|t| = (|t|_x, |t|_{\hat{n}}, |t|_z, |t|_E)$$

Wedge Cut

$$|t| = (|t|_x, |t|\hat{n}, |t|_z, |t|_E)$$

Want phase space where $|t|\hat{n}$ dominates



- Define $\Delta_x = \sqrt{|t_x|}$ to be in e' direction ($\hat{x} = \hat{n} \times \hat{p}_e$)
- Cut wedge of angle $\omega_{\max}$ from $\hat{n}$ direction ($\Delta_y = \sqrt{|t|\hat{n}}$)

Parameterize $\Delta_{\perp} = \pm\sqrt{|t_{\perp}|}$:

$$\Delta_x = \Delta_{\perp} \sin(\omega)$$

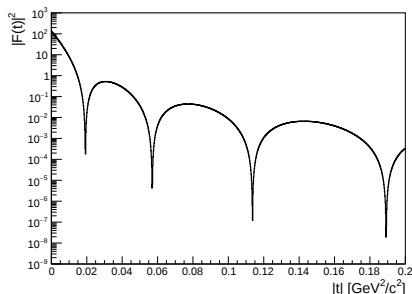
$$\Delta_y = \Delta_{\perp} \cos(\omega)$$

$$\omega_{\max} = \tan^{-1} \left(\frac{\Delta_x}{\Delta_y} \right)$$

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Model Simulations



- Use $F(t)$ to **model diffractive pattern**

$$\frac{d\sigma}{d|t|} \propto |F(t)|^2$$

- Convolution of hard sphere with Yukawa potential

Form Factor:

$$F(\Delta = \sqrt{|t|}) = \frac{4\pi\rho_0}{A\Delta^3} [\sin(R_A\Delta) - R_A\Delta \cos(R_A\Delta)] \left(\frac{1}{1 + a^2\Delta^2} \right)$$

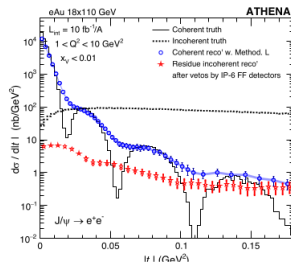
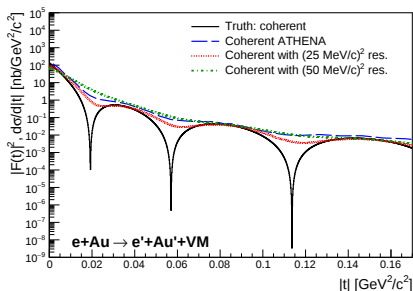
ρ_0 : nuclear density, A : atomic number, R_A : nuclear radius, $\Delta = \sqrt{|t|}$, a : range of Yukawa potential

Model Detector Resolution

Gaussian Smearing:

$$F'(\Delta) = \int F(\Delta) e^{-\frac{(\Delta_x - \Delta'_x)^2}{2\sigma^2}} d\Delta'_x$$

σ : resolution

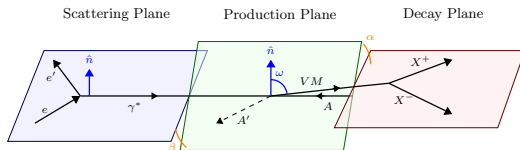


Z. Tu, <https://doi.org/10.5281/zenodo.7074220>

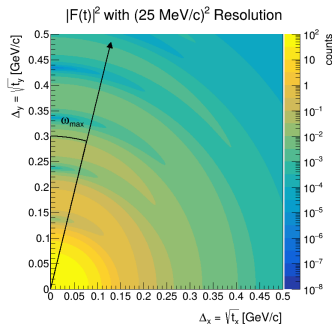
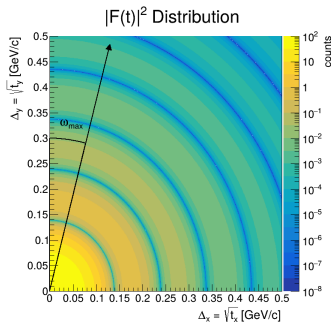
- Compare detector resolution
- We used **25 MeV²/c²** to smear distribution

Projection Plus Wedge Cut

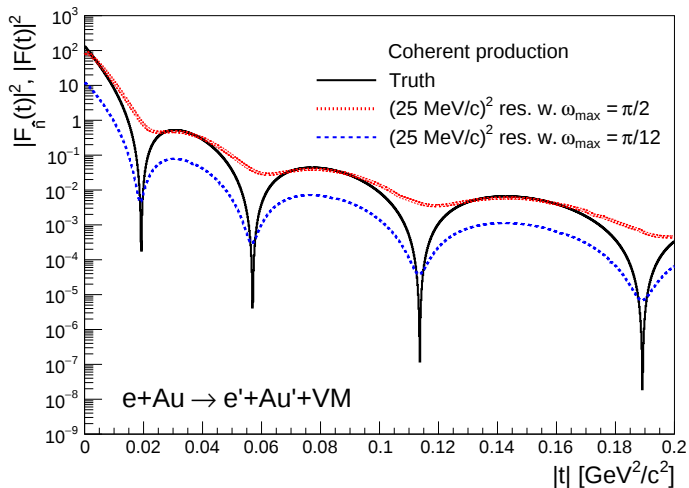
Want phase space where $|t|_{\hat{n}}$ dominates



- Eliminates most of e' direction (Δ_x)
- Capture more of diffractive pattern



Model Results

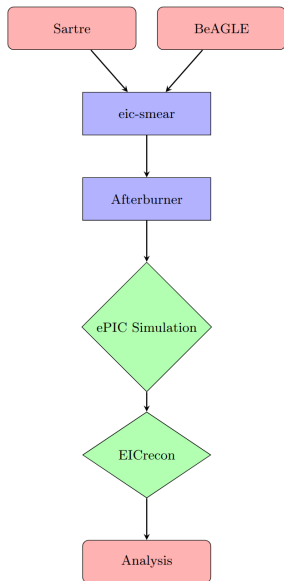


Ability to resolve the minima!

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Event Generators: eAu 10x100 GeV



Sartre1.39-1

T. Toll & T. Ullrich, <https://sartre.hepforge.org/>

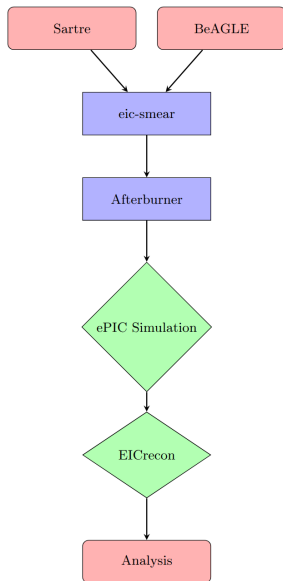
- Event generator for exclusive diffractive VM production
- Saturated, CraterLake 26.04.1:
 - **Coherent exclusive ϕ and ρ production**

BeAGLE1.03.02-1

E. Aschenaue, M. Baker, et. al., <https://eic.github.io/software/beagle.html>

- General purpose eA Monte-Carlo generator
- CraterLake 26.04.1:
 - **Incoherent ϕ production and DIS**

Preparing for Analysis



eic-smear

T. Burton, M. Savastio, et. al., <https://github.com/eic/eic-smear>

- **Adds detector smearing**
- Builds and writes events to ROOT file

Afterburner

EIC Collab., <https://github.com/eic/afterburner>

- **Adds beam crossing angle and beam effects**
- Converts HepMC file

ePIC Simulation & EICrecon

ePIC Collab., <https://github.com/eic/epic>

- Simulate hits, detector geometry, and **generates data**
- **Reconstructs data** for analysis

Code Logic: Build Clean Exclusive Events

Implement e' Finder

ePIC Collab., <https://github.com/eic/snippets/blob/main/ElectronID/ElectronID.hh>

- $0.8 < E/p < 1.2$
- Isolation energy > 0.9 GeV

Build HFS:

- $\phi \rightarrow K^+ K^-$
- Veto if **HFS** > 2 or if **!kaons**

Build DIS Kinematics:

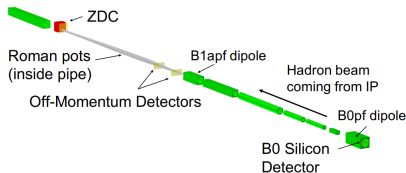
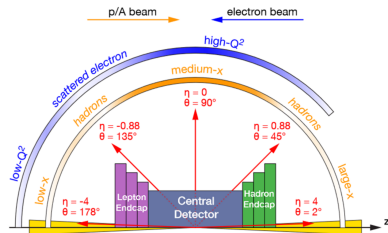
- $15 < E - p_z < 25$ GeV
- $1 < Q^2 < 10 \text{ GeV}^2/c^2$
- $0.01 < y < 0.85$

Remove incoherent events:

- Veto **OMD**, **RP**, or **ZDC**

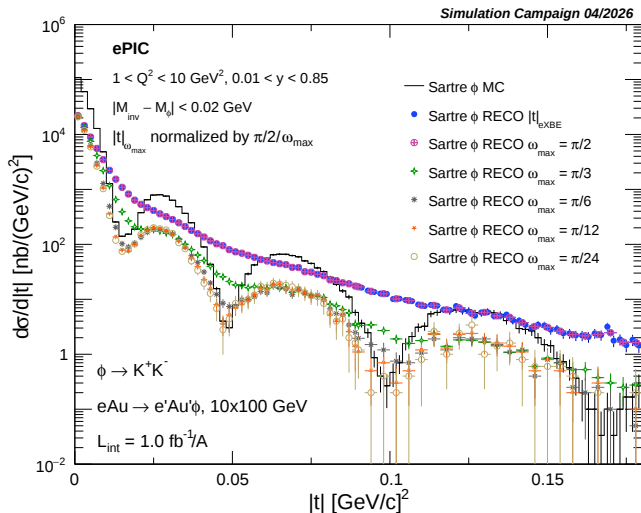
Calculate $|t|$:

- **Extract $|t|$ from ϕ kinematics**



EIC YR: <https://doi.org/10.1016/j.nuclphysa.2022.122447>

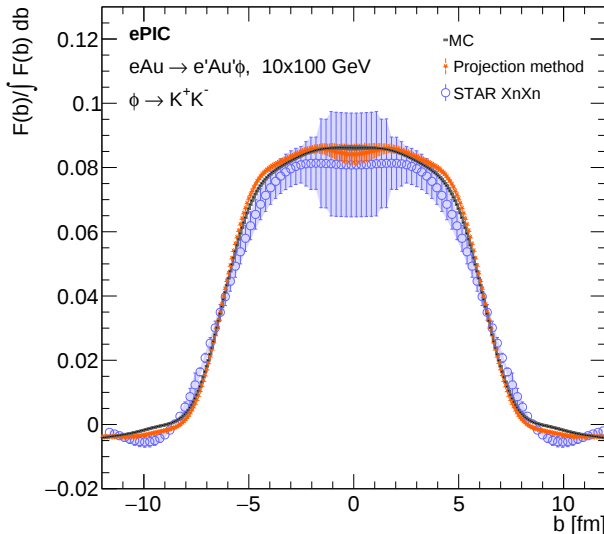
Different $\omega_{\max}$ Cuts



- $|t|_{eX} \Rightarrow |t|_{\omega=\pi/2}$
- Increase $\omega_{\max}$:
 - Increase **ability to resolve dips**
 - Lose statistics
- Will use $\omega_{\max} = \pi/12$ for rest of results

The Transformation

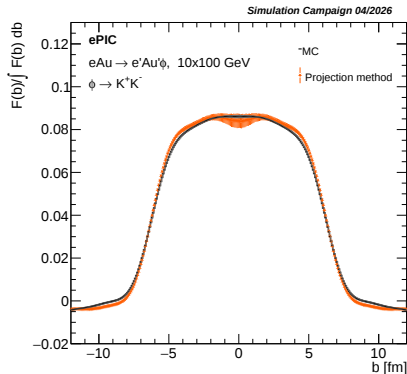
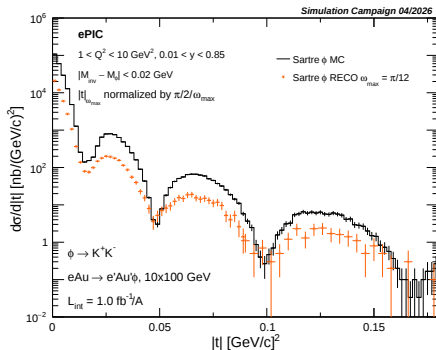
Simulation Campaign 04/2026



- Small errors in minima = large errors in density
- Need precise location of minima
- Smaller $|b|$ determined by larger $|t|$

STAR Collaboration,
10.1103/PhysRevC.96.054904

Final Results of Projected- $|t|$ Method



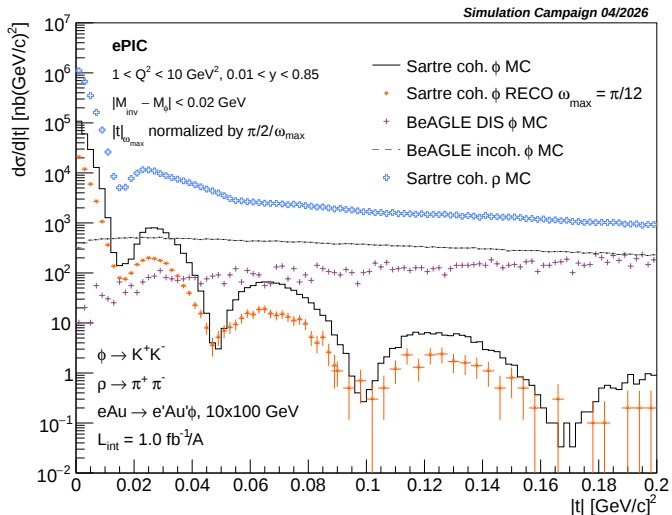
Significant **improvement** in both distributions!

M. Kesler, A. I. Sheikh, et. al., <https://doi.org/10.5281/zenodo.19439688>

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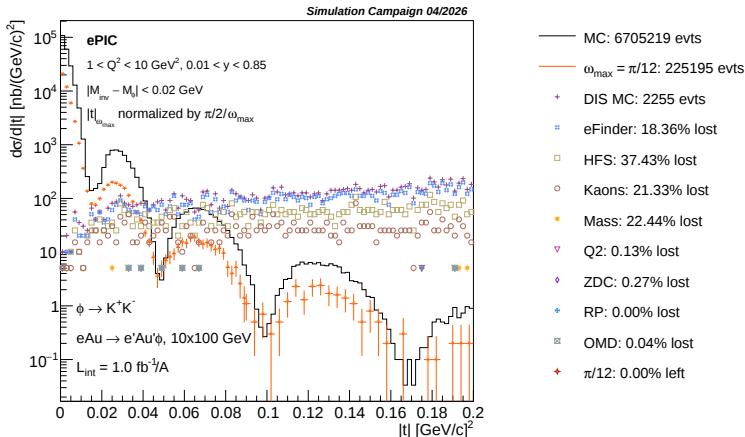
Background Contributions



- DIS background
- Incoherent production
- ρ contamination

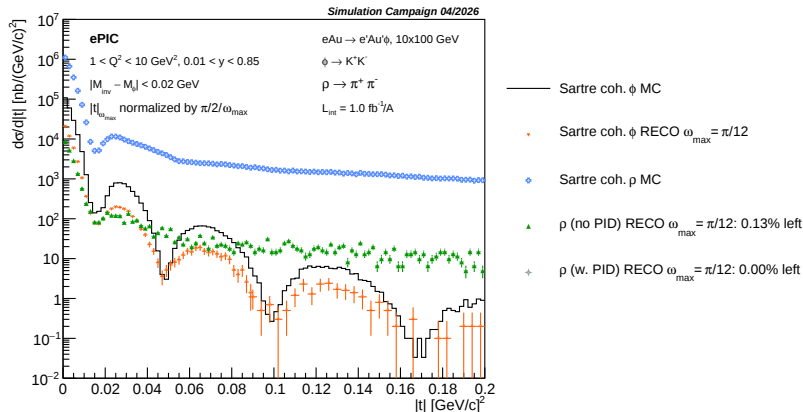
Note: will implement more sources of uncertainty in future

DIS Background



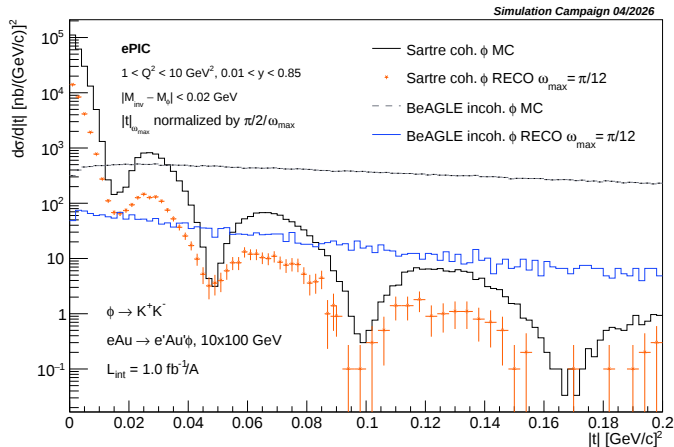
- **Distribution is dominated** by DIS background contributions
- Applying all vetoes and cuts **removes DIS background**

ρ Contamination



- VM **daughters can be misidentified**
- Applying PID **removes ρ contribution**

Incoherent Production



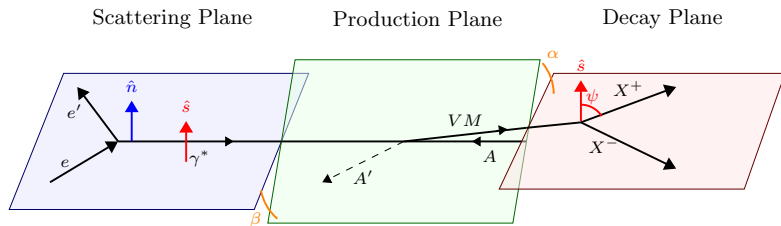
- Dominate source of background
- Detector can suppress some
- Can **only** resolve first minima

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Spin Projection

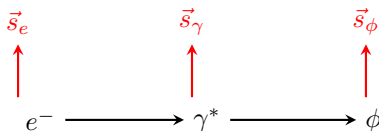
Measure decay angle of VM wrt electron beam polarization



- **Difference in spin transfer** between coherent & incoherent
- VM **azimuthal decay patterns** should also **differ**
- ψ measured relative to spin axis → **longitudinal or transverse polarization**

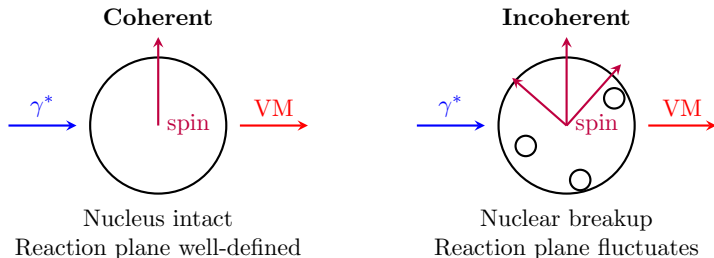
Coherent Processes

- In ep $\rightarrow$ **photon polarization** almost fully **transferred to VM**
K. Schilling, P. Seyboth, G. Wolf, [https://doi.org/10.1016/0550-3213\(70\)90070-2](https://doi.org/10.1016/0550-3213(70)90070-2)
- Correlation between VM **momentum & impact parameter**
H1 Collab., [https://doi.org/10.1007/JHEP05\(2010\)032](https://doi.org/10.1007/JHEP05(2010)032)
- In UPCs $\rightarrow$ VM spin aligned with photons polarization
ALICE Collab., <https://doi.org/10.1016/j.physletb.2024.139017>
- Alignment results in **azimuthal modulation in daughter emission** wrt VM momentum



Spin transfer through spin-0 Pomeron

Incoherent Processes



- **Little azimuthal modulation has been observed**
- **Correlation** between polarized photon and VM spin **not fully preserved**
- **Can be experimentally tested:**
 - In UPCs: measure spin alignment of incoherently produced VMs wrt reaction plane
 - In eA: measure polarization of a nonexclusive process at a given $|t|$

Separating Coherent From Incoherent Production

Goal:

Take advantage of **differences in** degree of **spin alignment**
→ method holds for transverse or longitudinal polarization

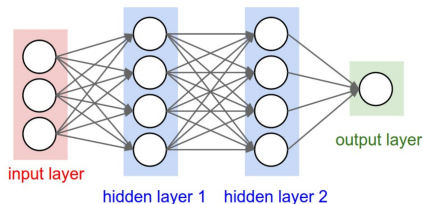
Next Steps:

- No spin in simulation files
- Need to **put in by hand**
- Calculate angle (ψ) between $\hat{s}$ and $\hat{K}$
- **Compare distributions** from coherent and incoherent processes

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Multilayer Perceptron (MLP)



- Deep learning artificial NN
- 3 or more layers
- Can **learn non-linear patterns in data**
- Feedforward NN

Goal

- Give model (supervised learning):
 - $|t|_{MC}$
 - Kinematics from eA collisions
- **Train it to recover the $|t|$ distribution**

- Model **learns relationship between $|t|_{\text{MC}}$ and kinematic variables**
- $|t|_{\text{MC}}$ provides correct mapping

$$|t|_{\text{MC}} \Rightarrow f(Q_{\text{RECO}}^2, x_{\text{RECO}}, y_{\text{RECO}}, \dots)$$

- Promising **results without the wedge cut**

Next Steps:

- Compare model e' resolution with ePIC
- Continue hyperparameter tuning and optimizing model

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Summary

New technique shows considerable enhancement:

- Projected- $|t|$ method able to **resolve much more of diffractive pattern**
- Proves a **more precise transformation**
- Allows us to study onset of saturation

Currently Working On:

- **Incoherent Suppression**
 - Relies on polarization transfer
 - Looking for **any finite difference in correlations** between coherent and incoherent processes
 - Statistically separate the two components
- **ML**
 - Compare with ePIC analysis
- **Saturation**
 - Compare saturated and unsaturated distributions

Backup Slides

Gluon Saturation in Early Running of ePIC/EIC

- Establishing the non-linear QCD regime is identified as **one of most critical EIC goals**
- Diffraction cross-sections **very sensitive** to onset of non-linear dynamics in QCD $\sigma \propto xg(x, Q^2)^2$

Species	Beam energy (GeV)	Integrated luminosity (fb ⁻¹)	Electron-beam polarization	Hadron-beam polarization
e+Ag	9 × 115	1.0	NO	N/A
e+D	9 × 130	1.5	LONG	NO
e + p	9 × 130	1.0	LONG	TRANS and/or LONG
e + p	9 × 275	2.5	LONG	TRANS and/or LONG
e+Au	9 × 100	1.0	LONG	N/A
e + ³ He	9 × 166	1.5	LONG	TRANS and/or LONG

"An early measurement of coherent diffraction in eA collisions at the EIC would provide the first unambiguous evidence for gluon saturation" - YR

<https://doi.org/10.1016/j.nuclphysa.2022.122447>

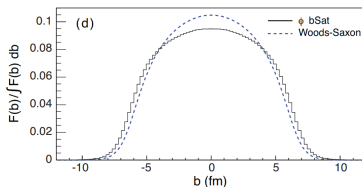
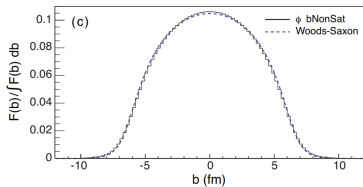
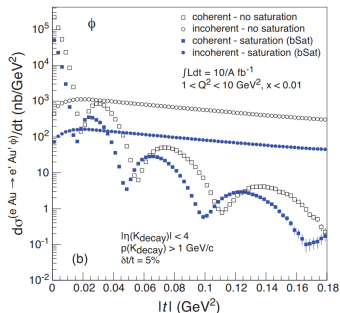
How Can We Tell?

Compare:

- $|t|$ distributions
- Density distributions

Looking for:

- Shift in minima
- Stronger oscillations
- Flatter, larger radius

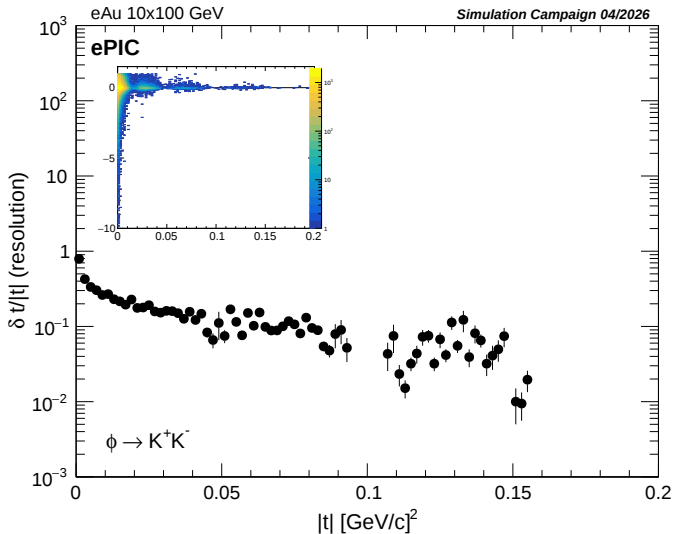


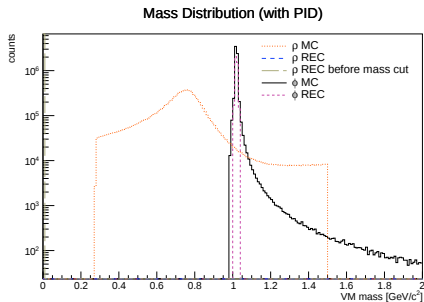
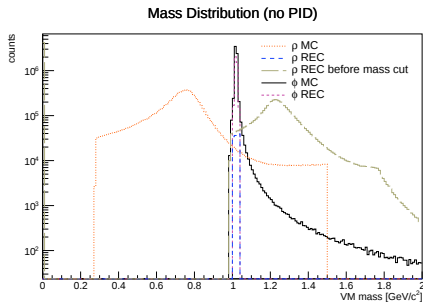
Toll and Ullrich arXiv:1211.3048

The Onset of Saturation

Next Steps:

- **Generate Sartre non-saturated files (bNonSat)**
 - Currently I've been working with **saturated simulations (bSat)**
 - Coming soon → **files already processed and submitted for ρ and ϕ**
 - Hopefully ready for August campaign





Adding PID eliminates all ρ contamination (blue dashed curve and green long dashed curve)