Indirect Detection of Axion Dark Matter with Neutron Stars

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WIMP DM "holy trinity"



Analogue for axions??



(analogy isn't perfect: $2 \rightarrow 1$ rather than $2 \rightarrow 2$)

Where to look?

Magnetar - largest B-fields in the known universe!



 $B_{\rm max} \sim 10^{11} {\rm T}$

Also strong gravity: $v_{\rm esc} \sim 0.2c$

DM accelerates toward star along radial trajectories axion velocity is crucial



Resonant conversion Need momentum matching

Option 1: B-field has significant spatial variations at axion wavelength (hard to obtain: $m_a = 10^{-6} \text{ eV} \implies \lambda_a \sim \text{m}$)

Option 2: B-field is approximately homogeneous, photon dispersion changes with plasma density



Neutron stars: ideal candidates!

2 key (related) ingredients for axion indirect detection:



1. Strong B-fields

$$B_{\theta} = \frac{B_0}{2} \left(\frac{r_{\rm NS}}{r}\right)^3 \sin \theta$$

$$B_0 \sim 10^{10} \text{ T}$$

2. Goldreich-Julian model
 relates plasma frequency
 in "lobes" to dipole B-field:

$$\omega_p \propto \sqrt{n_e} \propto \sqrt{B_0 \left(\frac{r_{\rm NS}}{r}\right)^3 (3\cos^2\theta - 1)}$$

Monotonically decreasing, can always solve $\omega_p = m_a$.

Infalling axion DM conversion



gravitational acceleration + Liouville = enhanced DM density

Photon transition probability



transition prob. peaks at conversion radius, happens over distance

$$L = \sqrt{\frac{2\pi r_c v_c}{3m_a}}$$

outgoing photon wave damped by plasma (like ocean waves):

$$p_{a\gamma}^{\infty} \approx \frac{1}{2v_c} g_{a\gamma\gamma}^2 B(r_c)^2 L^2$$

$$\begin{array}{l} & \text{Expected photon flux} \\ & \frac{d\mathcal{P}}{d\Omega} \approx 2 \times p_{a\gamma}^{\infty} \rho_{\mathrm{DM}}^{r_c} v_c r_c^2 \\ & \text{incoming+outgoing} \end{array} \\ & = \rho_{\mathrm{DM}}^{\infty} \frac{2}{\sqrt{\pi}} \frac{1}{v_0} \sqrt{\frac{GM}{r_c}} \qquad \approx \sqrt{\frac{2GM_{\mathrm{NS}}}{r_c}} \end{array}$$

$$\frac{d\mathcal{P}(\theta, \theta_m, t)}{d\Omega} = \frac{d\mathcal{P}(\theta = \frac{\pi}{2}, \theta_m = 0)}{d\Omega} \times \frac{3\left(\hat{\mathbf{m}} \cdot \hat{\mathbf{r}}\right)^2 + 1}{\left|3\cos\theta\,\hat{\mathbf{m}}\cdot\hat{\mathbf{r}} - \cos\theta_m\right|^{4/3}}$$

time-dependent! misalignment angle

Total power ~ 10^{10} W for QCD axion, local DM density

Radio bump hunt



[Arecibo]



Desired characteristics:

- Radio-quiet (negligible foreground)
- Low DM velocity dispersion (dwarfs)
- Close by (< kpc), or
- DM-rich (Galactic center, dwarfs)

Added bonus: energy conservation keeps line narrow

Neutron star menagerie:





Neutron star $f = m_a / (2\pi) [\text{Hz}]_{10^9}$ 10^{10} 10^{8} menagerie: 10^{-10} SJR J1745-2900 Chandra HRC-I: 2005-2008 (25ks) 10^{-1} SgrA* $g_{a\gamma\gamma} ~[1/{ m GeV}_{ m i}]$ 10^{-14} 10^{-16} SGR J1745-2900 RX J0806.4-4123 QCD Axion INS in M54 CAST 10^{-18} Magnetar! $B_0 \approx 10^{10} \text{ T}$ ADMX SGR J1745-2900 (NFW) SGR J1745-2900 (DM spike **ADMX** Projection 0.1 pc from GC 10^{-5} 10^{-7} 10^{-6} 10^{-4} Potentially enormous $m_a \,[\text{eV}]$ Solid = equator, dashed = best-case DM density

Time-dependent signal

Misaligned neutron stars have rotation axis misaligned from magnetic poles:

strong time dependence of plasma freq. in GJ model

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Striking signal: looks promising!

Polarization signal

EM wave always polarized along direction of B-field at conversion radius

Neutron star populations

Doppler broadening: larger bandwidth But signal adds incoherently! If $N_{NS} > 1000$, still win

NS populations at Green Bank Telescope

Can be competitive with ADMX with 1 hour of observation!