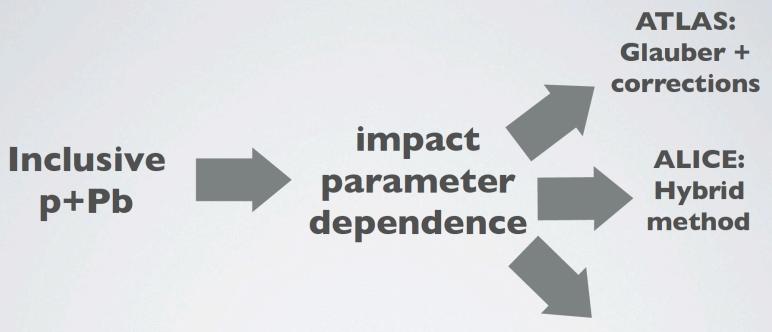
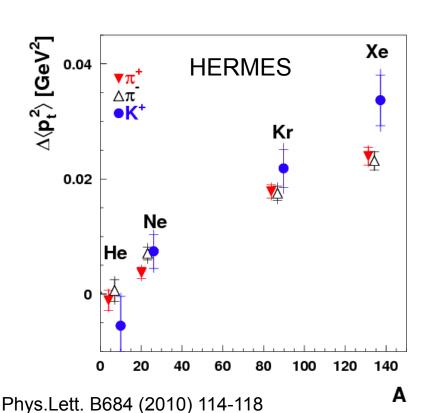
A parting of the ways



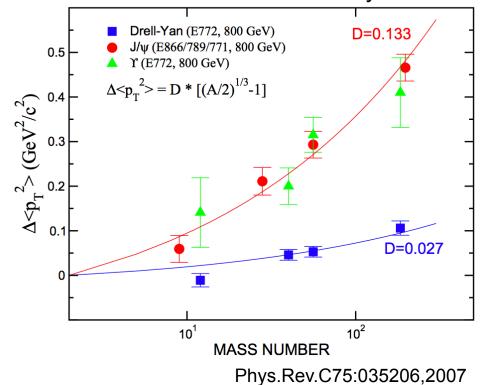
Peter Steinberg: Why no centrality from CMS?

CMS & ALICE: event activity (no geometry)

p_T broadening from fixed target



Re-analysis of E772 data + new E866 data analysis



Some quotes

"If you can do multiple emissions you can do one" (JPB)

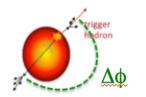
"given a typical density, you can estimate how many collisions there are" (XNW)

"we know, more than one!" (BDMPS crew)

→ Consensus on the necessity to always consider multiple scatterings?

In-medium acoplanarity: GLV vs BDMPS

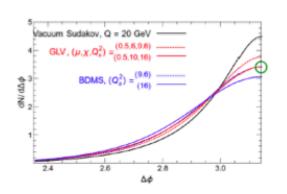
Gyulassy et al. QM18



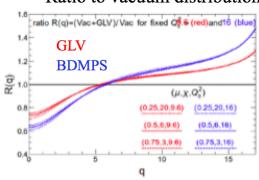
BDMPS: multiple soft scatterings

GLV: few hard scatterings

→interesting variation of in-medium interaction



Ratio to vacuum distribution



- Both models: significant yield suppression relative to vacuum → jet quenching
- Acoplanarity may discriminate pictures of the medium
 - need ~few percent precision in angular distribution: possible with current STAR data, ALICE Run 3 data

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What is others?

Conclusions

- Field has evolved since our days of leading hadron analyses
- Era of "precision heavy-ion physics" requires defining jets in a high background environment
 - Depends on observable, energy, jet R, p_T , and others
- Work is ongoing on reaching a consensus
 - Paper to that effect will come out of the workshop

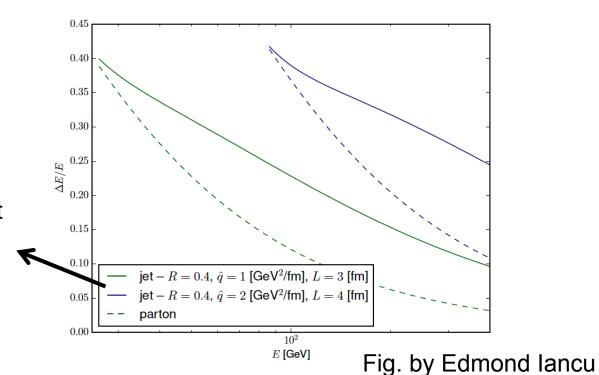
Many thanks to all speakers and participants!!



Definition of a jet

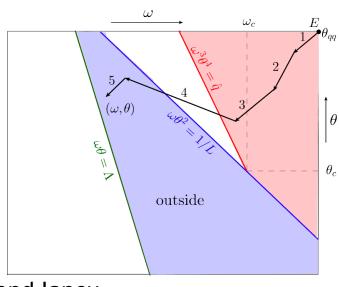
A example where theorist thinks about this very differently than experimentalist

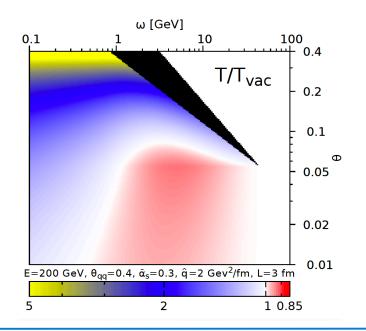
This jets includes everything that is not medium-induced radiation Eg: no clustering, no resolution parameter



Reset of angular ordering when leaving the medium

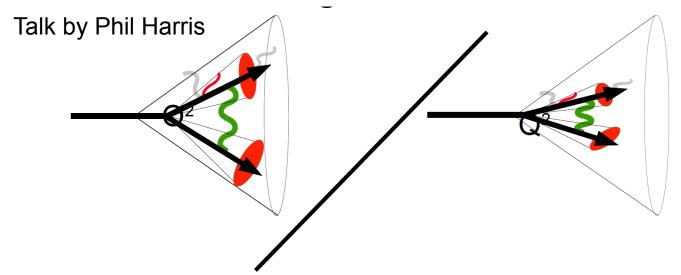
How to measure this? / Can we measure this?





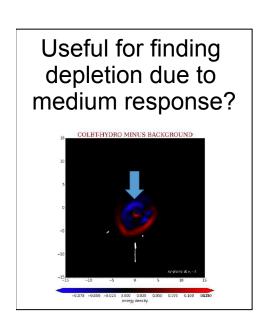
Talk by Edmond lancu

Decorrelation techniques



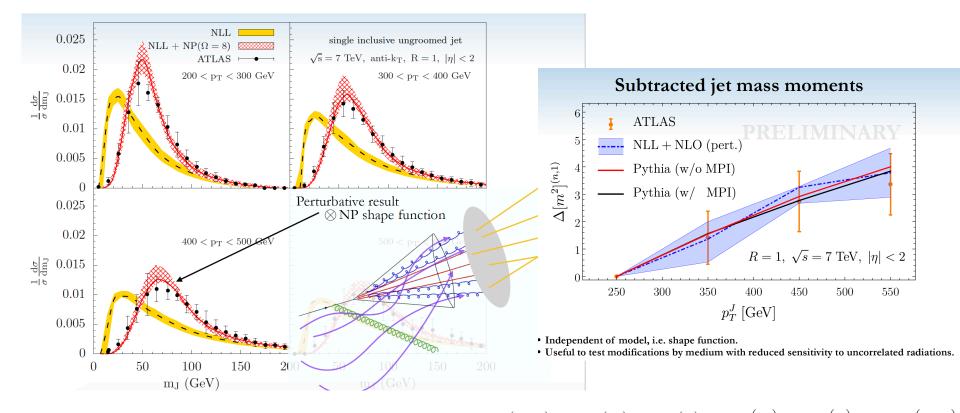
Many ideas to decorrelate jets against observables

Decorrelation allows for data based ratios



Allows us to be sensitive to small features

Jet Mass



$$\Delta \tau^{(m,n)} \equiv [\tau]^{(m)} - [\tau]^{(n)} = [\tau]^{(m)}_{\text{pert}} - [\tau]^{(n)}_{\text{pert}} \equiv \Delta \tau^{(m,n)}_{\text{pert}}$$