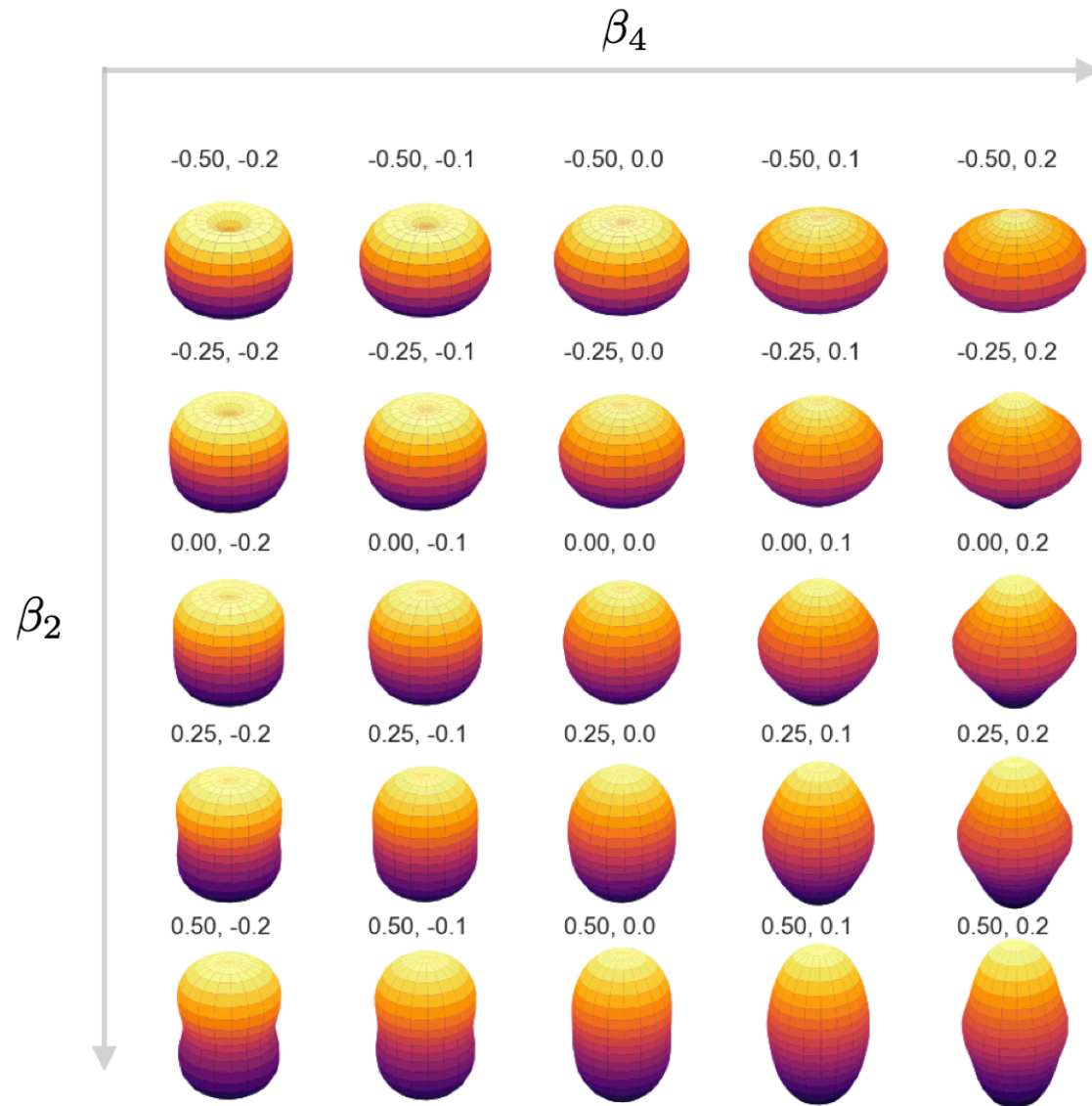


Nuclear deformation

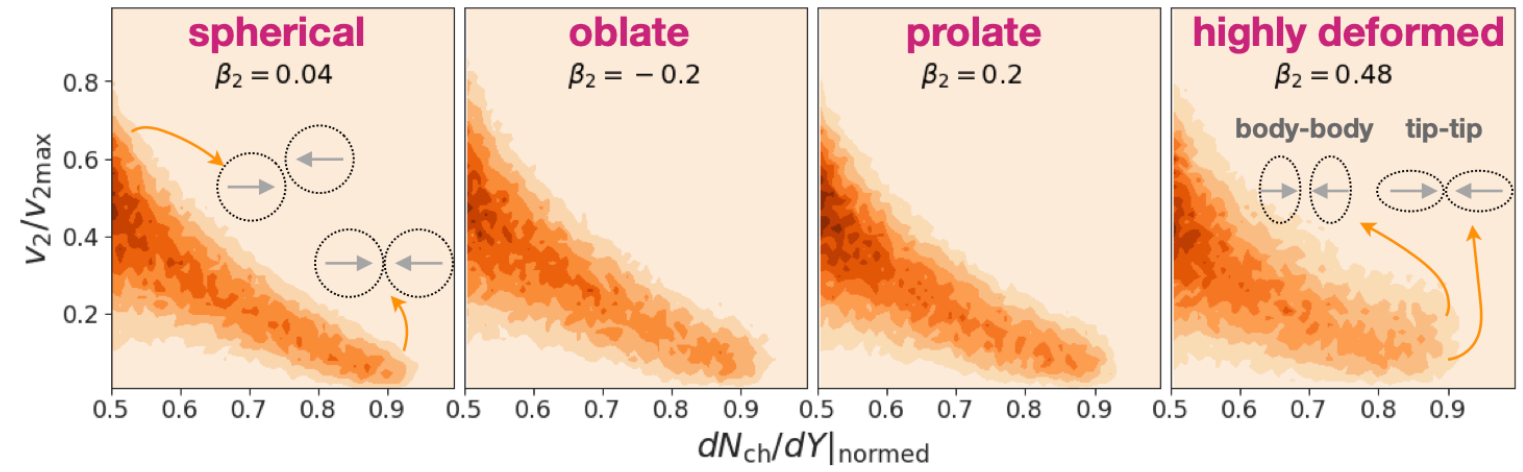
<https://arxiv.org/pdf/1906.06429.pdf>

(a) nuclear shape deformation

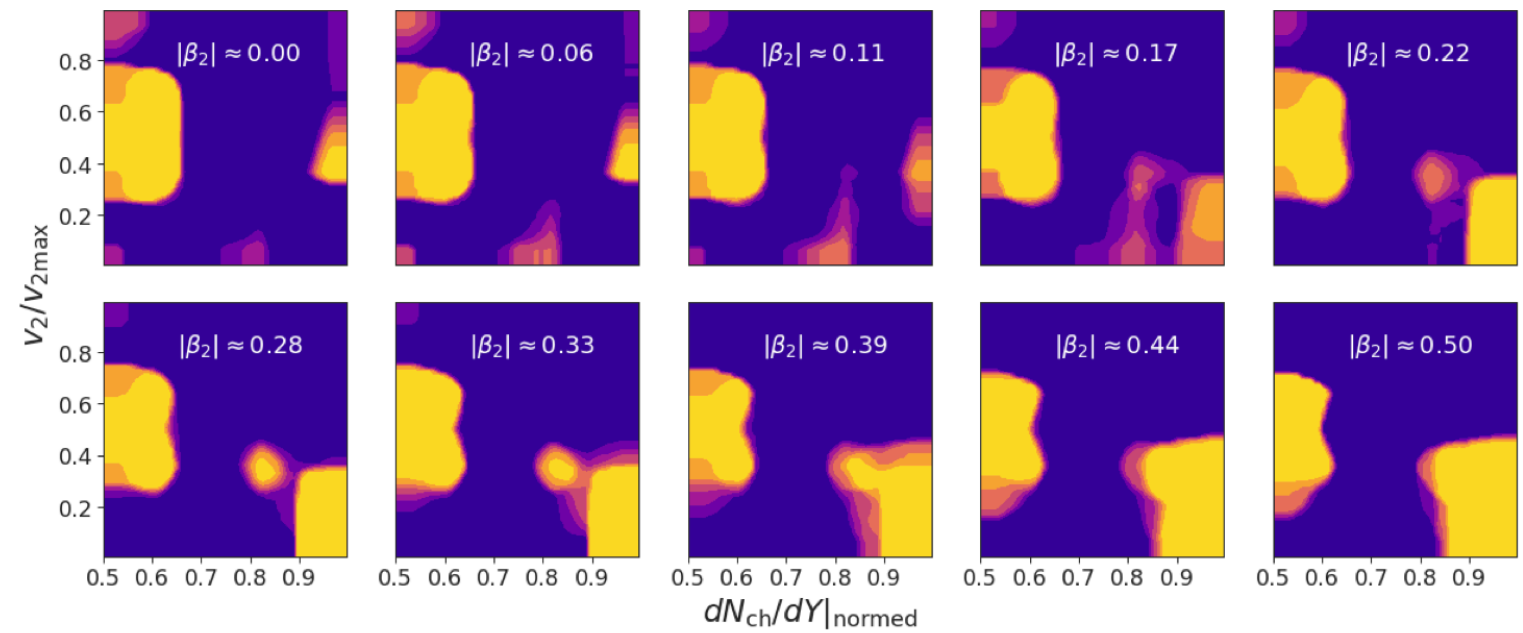


(b) regression performance of deep neural network

(c) final states of heavy ion collisions using different deformed nuclei

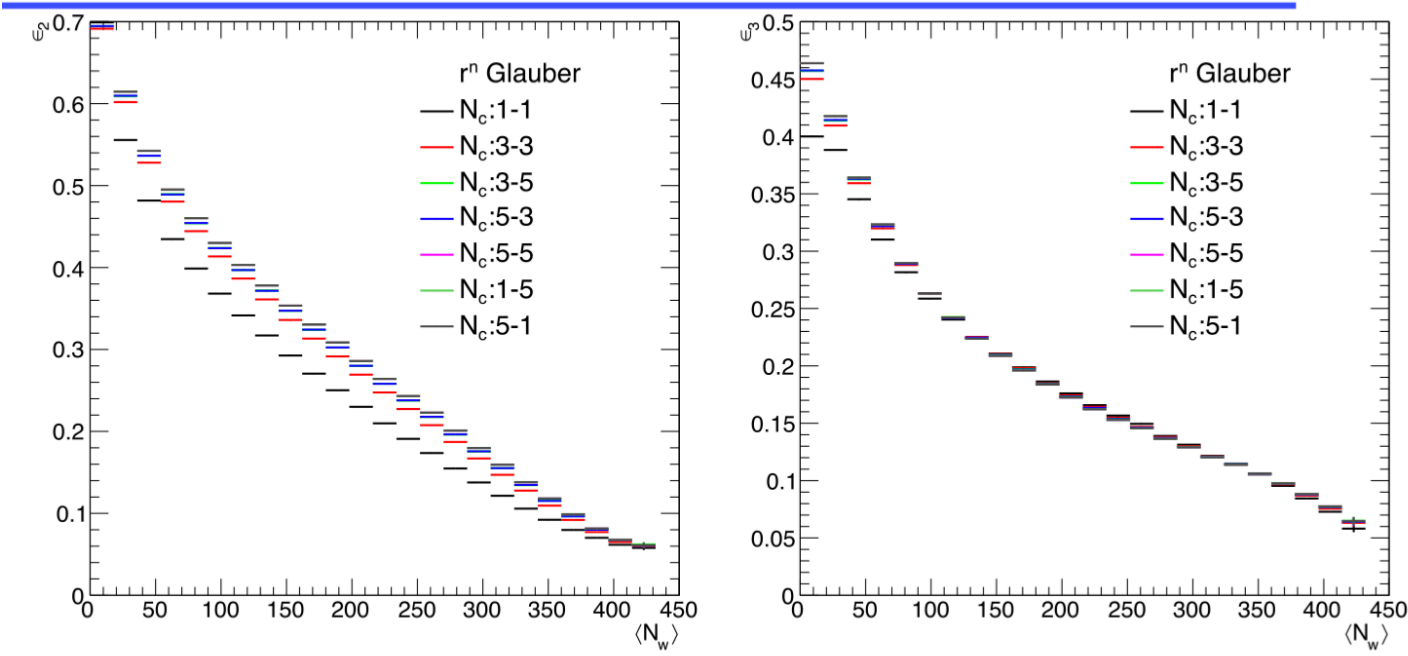


(d) attention maps learned by the deep neural network



in large N_{ch} : larger v_2 fluctuation, sensitive to the β_2

Calculation 1



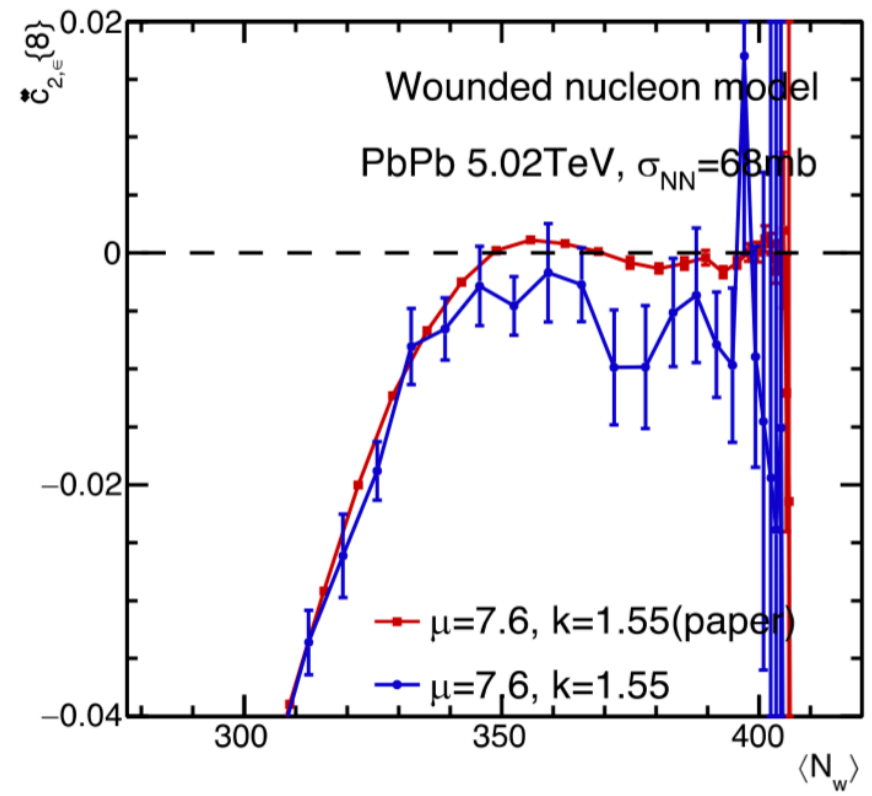
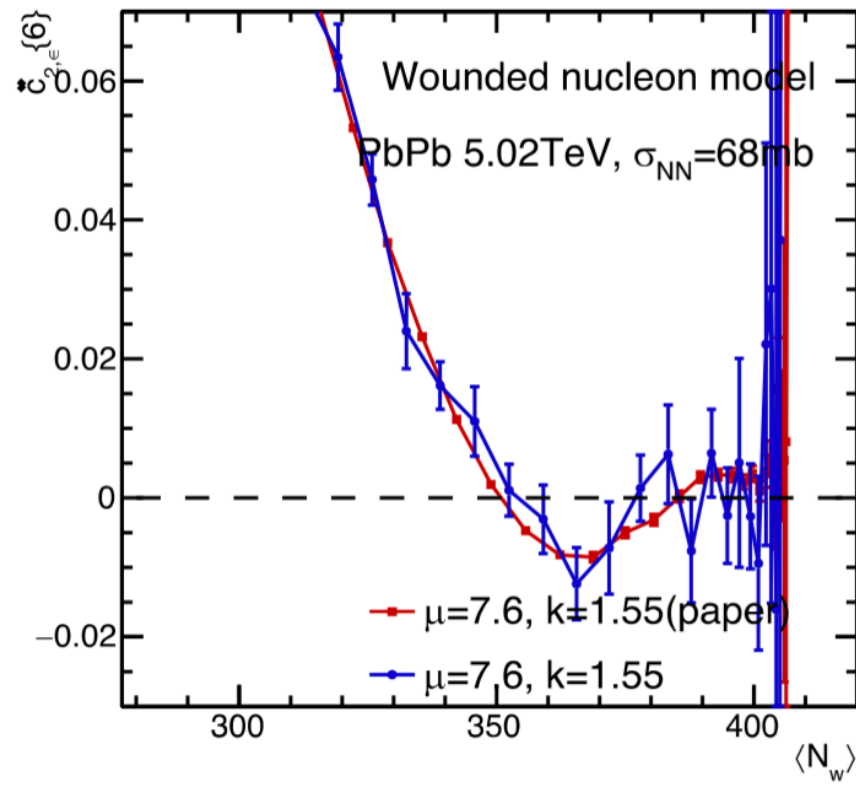
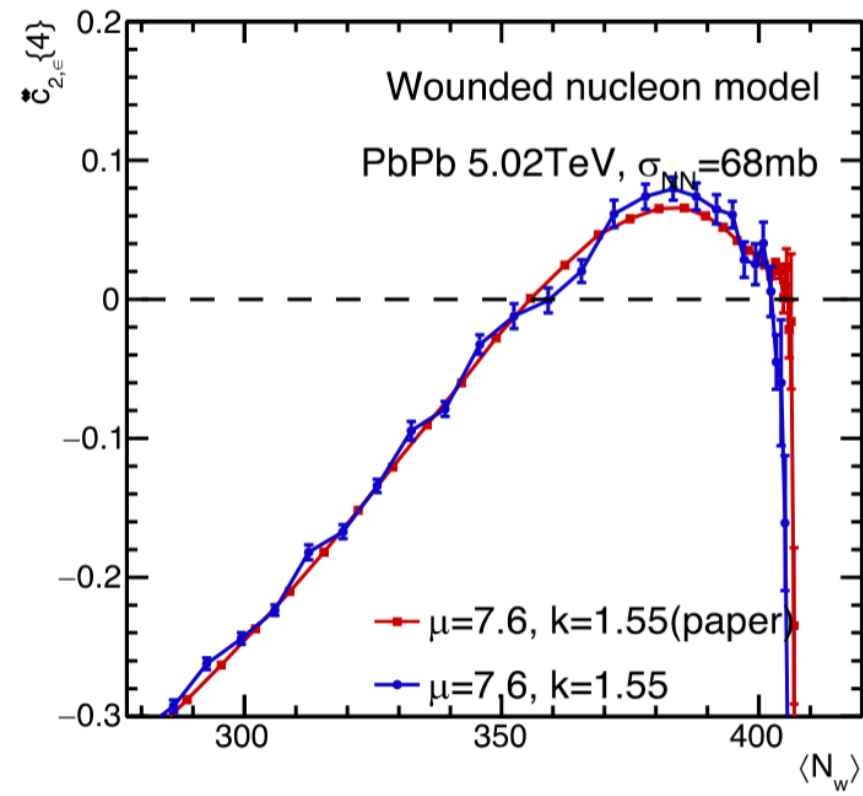
$$\epsilon_n = \epsilon_n e^{in\Phi_n} \equiv -\frac{\langle r^n e^{in\phi} \rangle}{\langle r^n \rangle}$$

$$c_n\{2\} = \langle v_n^2 \rangle$$

$$c_n\{4\} = \langle v_n^4 \rangle - 2\langle v_n^2 \rangle^2$$

$$4c_n\{6\} = \langle v_n^6 \rangle - 9\langle v_n^4 \rangle \langle v_n^2 \rangle + 12\langle v_n^2 \rangle^3$$

$$33c_n\{8\} = \langle v_n^8 \rangle - 16\langle v_n^6 \rangle \langle v_n^2 \rangle - 18\langle v_n^4 \rangle^2 + 144\langle v_n^4 \rangle \langle v_n^2 \rangle^2 - 144\langle v_n^2 \rangle^4.$$

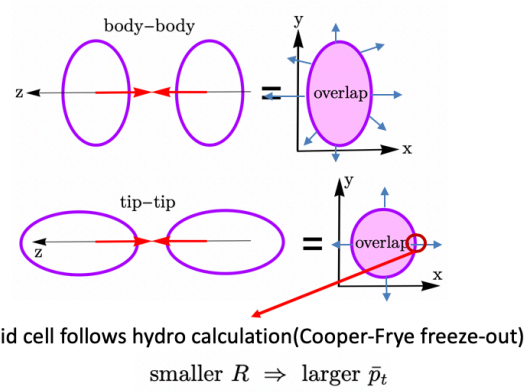
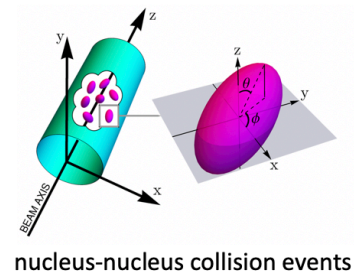


Calculation 2

Mechanism

Physics motivation

Some ideas in hydro calculations:



Elliptic flow is essentially a linear response to the initial eccentricity:

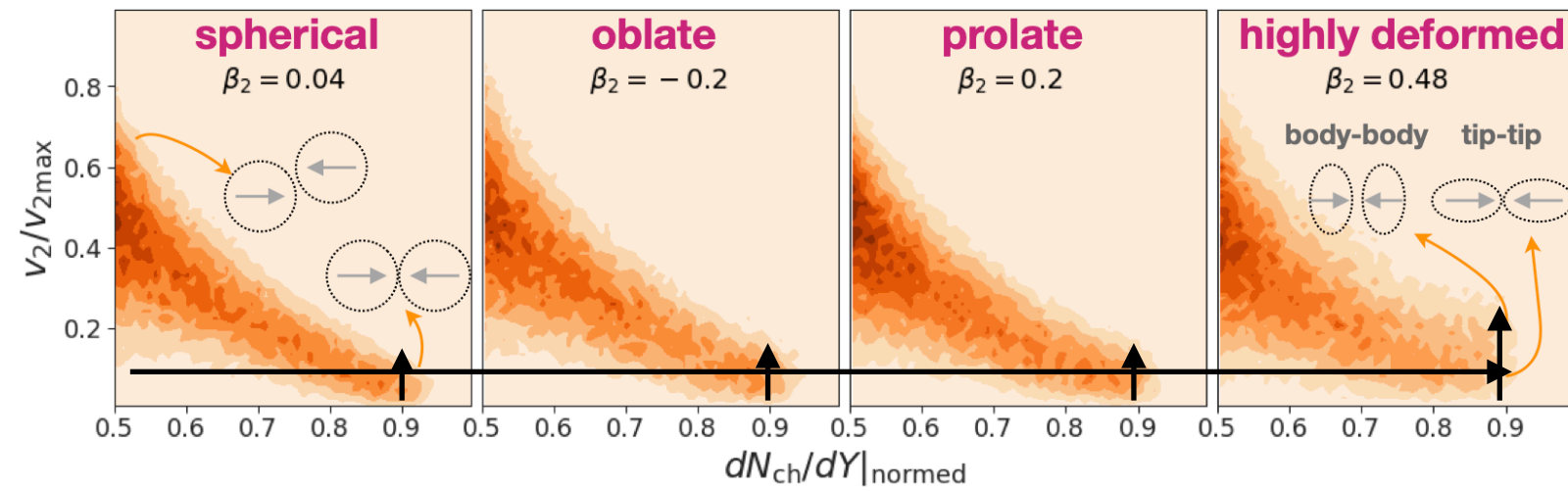
$$v_2 = \kappa_2 \varepsilon_2$$

The value of elliptic flow saturates around a value, so $v_2 = \beta \kappa_2$

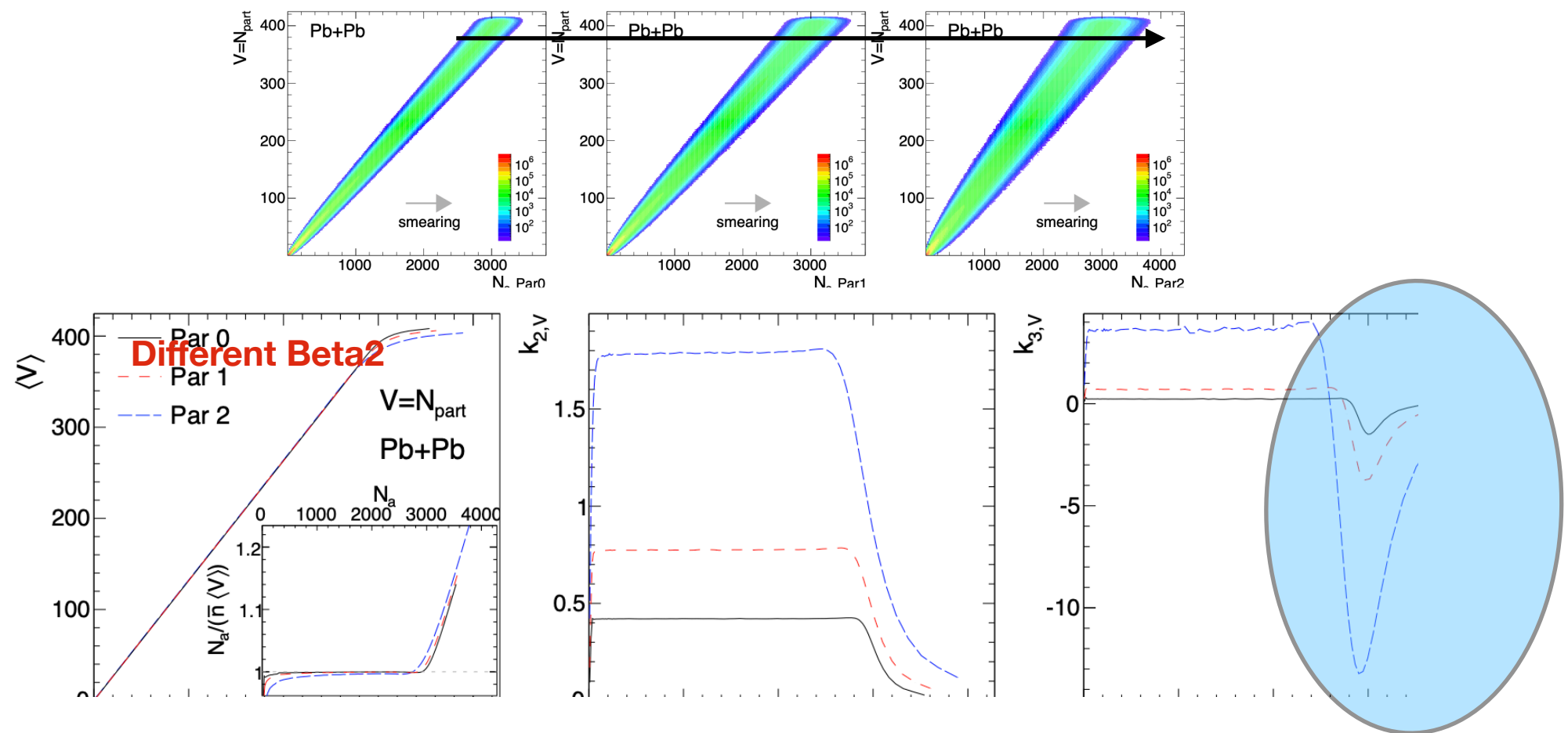
arXiv:1910.04673

4

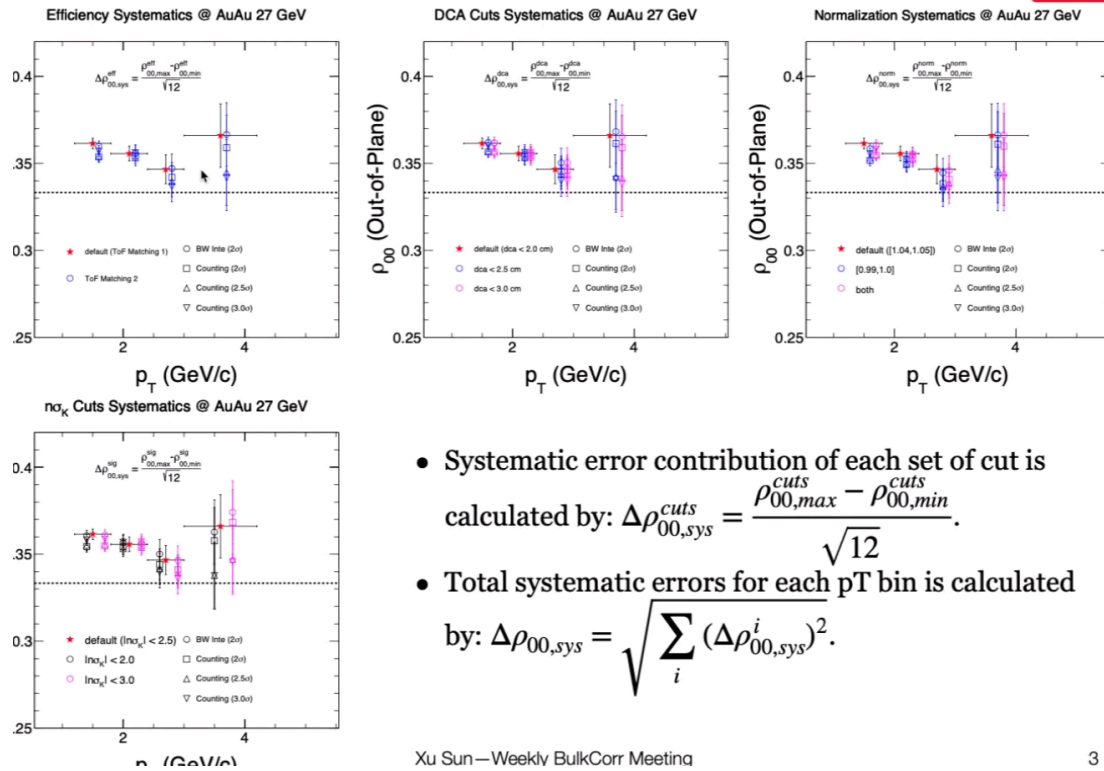
(c) final states of heavy ion collisions using different deformed nuclei



Vary beta2 in Glauber and then calculate the eccentricity cumulant $\sim N_{part}/N_{ch}$

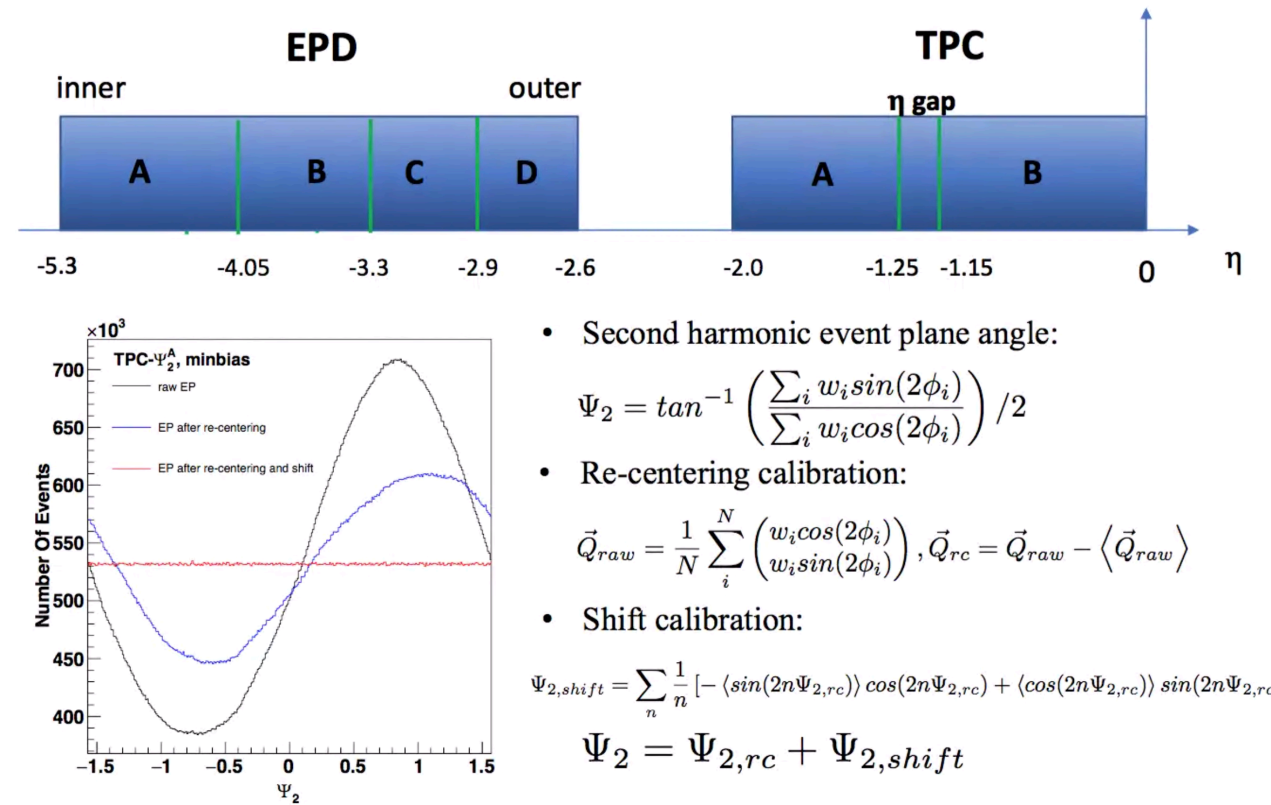


Point-by-Point Systematic Study @ 27 GeV



3

Event Plane Reconstruction



20/3/12

STAR Collaboration Meeting

5

Momentum-conservation correction

- Methods for correcting for momentum conservation effects on flow and event-plane resolution are known [1]
 - But they require the knowledge of particle transverse momentum
- There's no way to get this information from the EPD
 - Must know p_T of each track used in event-plane determination

$$f \equiv \frac{\langle wp_T \rangle}{\sqrt{\langle w^2 \rangle \langle p_T^2 \rangle}}$$

$$= \langle wp_T \rangle_Q \sqrt{\frac{M}{\langle w^2 \rangle_Q N \langle p_T^2 \rangle}}$$

[1] N. Borghini, et al. "Effects of momentum conservation on the analysis of anisotropic flow". <https://arxiv.org/pdf/nucl-th/0202013.pdf>

12 March 2020

STAR Collaboration Meeting - Bulk Corr PWG

8



Analysis Details

QA'd data tree generated by Bill Llope.

Analysis done separately for + & - magnetic field polarities, then weighted averaged the R2 results.

Event selection:

200 GeV Au-Au 2010

Accepted events: 2×10^7 ,

Trigger: Minimum Bias,

Centrality selection: refmult, refmult2, refmult3 (default)

Longitudinal event vertex position range: $|V_z| < 30$ cm,

V_z 6 cm bin for R_2 , then weighted average R_2 .

Track selection:

$N_{\text{TPCclusters}} > 18$ out of a maximum of 45,

$n_{\text{hitratcut}} = 0.52$,

$|y| \leq 0.6$,

$DCA < 2$ cm,

Data tree, PID strategy same with
STAR (Jowzaee, Llope, et al.) arXiv:1906.09204

PID	π^\pm	K^\pm	p(p)
TPC $0.2 < p_T, p < 0.6$ GeV	$n\sigma_\pi < 2, n\sigma_{K,p} > 2$	$n\sigma_K < 2, n\sigma_\pi > 3,$ $n\sigma_p > 2$	
TPC $0.4 < p_T, p < 0.9$ GeV			$n\sigma_p < 2, n\sigma_\pi > 3,$ $n\sigma_K > 2$
TPC + TOF $0.6 < p, p_T < 2.0$ GeV	$-0.15 < m^2 < 0.15$	$0.15 < m^2 < 0.4$	
TPC + TOF $0.9 < p, p_T < 2.5$ GeV			$0.65 < m^2 < 1.1$

Centrality definitions:

refmult — charged multiplicity measured in TPC for $|\eta| < 0.5$ (not corrected for reconstruction efficiency);

refmult2 — charged multiplicity measured in TPC for $0.5 < |\eta| < 1.0$ (not corrected for reconstruction efficiency);

refmult3 — charged multiplicity measured in TPC for $|\eta| < 1.0$ (not corrected for reconstruction efficiency) excluding protons and antiprotons.

Event Plane method

• Q vector calculation

$\omega_i = (\text{mip} > 3) ? 3 : \text{mip}$

$$Q_x = \sum_{i=0}^N \omega_i \cos(2\phi_i)$$

$$Q_y = \sum_{i=0}^N \omega_i \sin(2\phi_i)$$

$$Q_w = \sum_{i=0}^N \omega_i$$

• Normalization

$$Q'_x = \frac{Q_x}{\sqrt{Q_w}} \quad Q'_y = \frac{Q_y}{\sqrt{Q_w}}$$

• Ψ

$$\Psi = \tan^{-1}\left(\frac{Q'_y}{Q'_x}\right)/2$$

• Weight (ω_i) nmipmax = 3

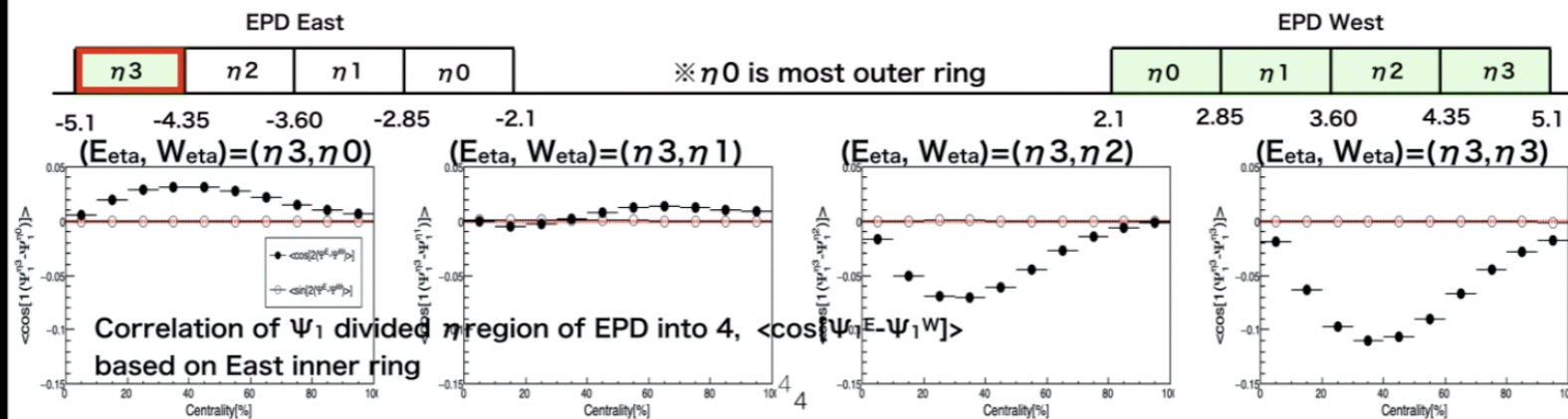
	ω_i
EPD Q1	$\langle \cos[\Psi_1^{\text{EPD}} - \Psi_1^{\text{W}}] \rangle * \text{mip}$
EPD Q2	mip
TPC Q1	η
TPC Q2	pT

• V_n

$$\text{TPC region : } v_2^{\text{EPDEW}} = \frac{\langle \cos[2(\phi - \Psi_2^{\text{EPDEW}})] \rangle}{\sigma_{\text{EPDEW}}} \quad v_2^{\text{TPC}} = \frac{\langle \cos[2(\phi - \Psi_2^{\text{TPC}})] \rangle}{\sigma_{\text{TPC}}}$$

$$\text{EPD region : } v_1^{\text{EPD-West}} = \frac{\langle W' \cos(\phi - \Psi_1^{\text{TPC}}) \rangle}{R_{\text{EP,TPC}}^{(1)} \langle W' \rangle} \quad v_1^{\text{EPD-East}} = \frac{\langle W' \cos(\phi - \Psi_1^{\text{TPC}}) \rangle}{R_{\text{EP,TPC}}^{(1)} \langle W' \rangle}$$

σ^{EPDEW} and σ^{TPC} are the each Ψ_n resolution for each centrality



Support

Downloads

Dataset and reconstruction method

Dataset:

- ✓ Run 14: AuAu @ 200 GeV;
- ✓ The analysis uses picoDst produced from MuDst and picoD0 tree produced from picoDst;
- ✓ The dataset is processed with SL16d library;
- ✓ MB trigger:

Trigger ID	description
450050	vpdmb-5-nobsmd-hlt
450060	vpdmb-5-nobsmd-hlt
450005	vpdmb-5-nobsmd
450015	vpdmb-5-nobsmd
450025	vpdmb-5-nobsmd

Cuts condition

D⁰ reconstruction cut:

- |Rapidity|_{D⁰} < 1;
- $k/\pi : p_T > 0.3 \text{ GeV}$;
- $k/\pi : |\eta| < 1$;
- k/π : at least one hit in layer of PXL and IST
- π PID : Based on TPC dEdx: $|n\sigma| < 3$;
- If TOF available: $|\frac{1}{\beta} - \frac{1}{\beta_{exp}}| < 0.03$;
- k PID : Based on TPC dEdx: $|n\sigma| < 3$;
- If TOF available: $|\frac{1}{\beta} - \frac{1}{\beta_{exp}}| < 0.03$;
- D0 standard topological cut.

K π invariant mass for D⁰ candidates:

- $1.83 < M(D^0) < 1.90 \text{ GeV}/c^2$
- π_{soft} cut:
- $p_T > 0.15 \text{ GeV}/c^2$;
- nHitsFit >= 20;
- gDca <= 3cm;
- $|\eta| < 1$;
- PID: Based on TPC dEdx: $|n\sigma| < 3$;
- If TOF available: $|\frac{1}{\beta} - \frac{1}{\beta_{exp}}| < 0.03$, $p_T > 0.3$;
- $low[i] < \frac{1}{\beta} - \frac{1}{\beta_{exp}} < high[i]$, $0.15 < p_T < 0.3$;

$$\left(\frac{dE}{dx}\right)_{theory} = q^2 \exp \left(B \left(\log_{10} \left(\frac{p|q|}{M_{part}} \right) \right) \right) \quad (2)$$

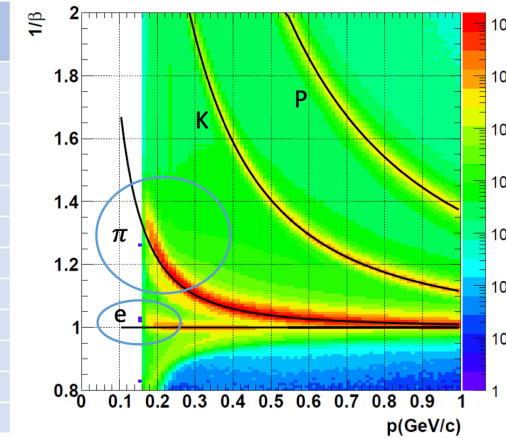
Where, q = charge, p = momentum, $M_{part} = M_\pi$ or M_K or M_{proton} . B is the Bischel function. ¹

<https://drupal.star.bnl.gov/STAR/system/files/Spectra.pdf>

Softpion Tof PID cut

- ✓ $\Delta \frac{1}{\beta} = \frac{1}{\beta_{exp}} - \frac{1}{\beta_{th}}$
- ✓ This cut is defined according to π 's $\Delta \frac{1}{\beta}$ distribution, $\sim (\text{mean} - 3\sigma, \text{mean} + 3\sigma)$
- (pion sample is extracted from $K_S^0 \rightarrow \pi^+ \pi^-$)

p_T range/GeV	$\Delta 1/\beta_{low}$	$\Delta 1/\beta_{high}$
$0.15 \leq p_T < 0.16$	-0.03	0.18
$0.16 \leq p_T < 0.17$	-0.03	0.178
$0.17 \leq p_T < 0.18$	-0.022	0.095
$0.18 \leq p_T < 0.19$	-0.02	0.073
$0.19 \leq p_T < 0.2$	-0.02	0.059
$0.2 \leq p_T < 0.21$	-0.02	0.05
$0.21 \leq p_T < 0.22$	-0.0218	0.05
$0.22 \leq p_T < 0.23$	-0.0226	0.047
$0.23 \leq p_T < 0.24$	-0.023	0.043
$0.24 \leq p_T < 0.25$	-0.0235	0.0386
$0.25 \leq p_T < 0.3$	-0.025	0.035
$p_T > 0.3$	-0.03	0.03



Analysis Meeting, Yuanjing Ji

6

Spectra from TOF

- From TOF, we find the spectra using m^2 distribution in different p_T bins*.
- m^2 is calculated as,

$$m^2 = p^2 \left(\frac{c^2 T^2}{l^2} - 1 \right) \quad (4)$$

Here, T = time of flight, l = pathlength, p = momentum, c = speed of light

- We can find a $T_{expected}$ using the PDG value of the mass of a particular hadron.

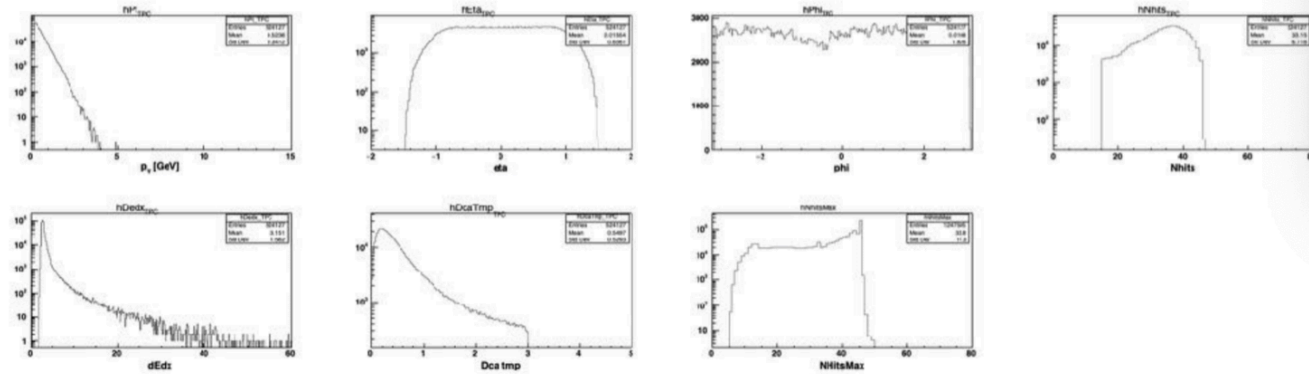
$$T_{exp}^{had} = \frac{l}{c} \left(\frac{m_{had}^2}{p^2} + 1 \right)^{1/2} \quad (5)$$

Where, $had = \pi, K$ or p

27 GeV data analysis

Data set analyzed and cuts applied

- Run18, Au+Au 27GeV, P19ib
- MB trigger = 610001, 610011, 610021, 610031, 610041, 610051
- Eventcuts: $|V_z| < 70\text{cm}$, $V_{tx}R < 1.0\text{cm}$, $|V_z - VPD| < 5\text{cm}$
- Primary Track cuts: $DCA < 3\text{cm}$, $0.15 < p_T < 2.0\text{ GeV/c}$, $|\eta| < 1.5$, $N_{hitsFit} > 15$
- EPD setup: $0.3 < nMip$
- StRefmultCorr is used for centrality



3

Event Plane method

- Q vector calculation

$$\omega_i = (mip > 3) ? 3 : mip$$

$$Q_x = \sum_{i=1}^N \omega_i \cos(2\phi_i)$$

$$Q_y = \sum_{i=1}^N \omega_i \sin(2\phi_i)$$

$$Q_w = \sum_{i=1}^N \omega_i$$

- Normalization

$$Q'_x = \frac{Q_x}{\sqrt{Q_w}}, \quad Q'_y = \frac{Q_y}{\sqrt{Q_w}}$$

- Ψ

$$\Psi = \tan^{-1}\left(\frac{Q'_y}{Q'_x}\right)/2$$

- Weight (ω_i) $n_{mipmax} = 3$

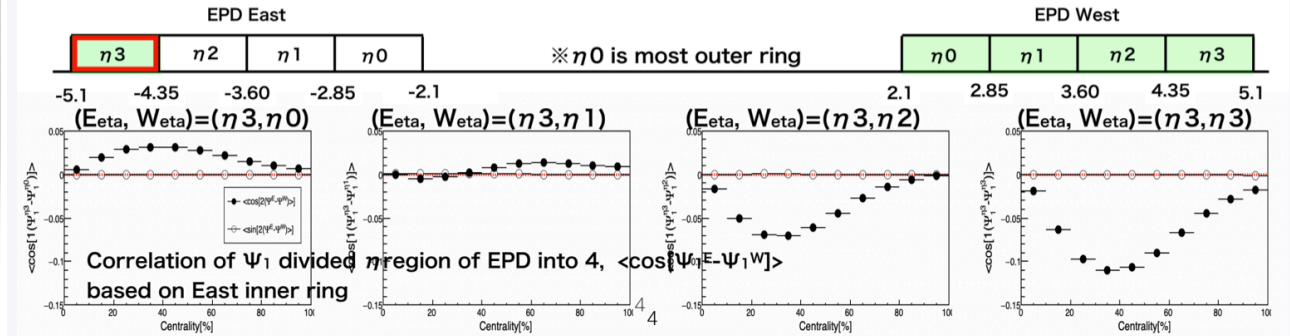
	ω_i
EPD Q1	$\langle \cos[\Psi_1 \eta_{3-} \Psi_1 W \eta_{0,1,2,3}] \rangle * mip$
EPD Q2	mip
TPC Q1	η
TPC Q2	p_T

- V_n

$$\text{TPC region : } v_2^{EPDEW} = \frac{\langle \cos[2(\phi - \Psi_2^{EPDEW})] \rangle}{\sigma_{EPDEW}}, \quad v_2^{TPC} = \frac{\langle \cos[2(\phi - \Psi_2^{TPC})] \rangle}{\sigma_{TPC}}$$

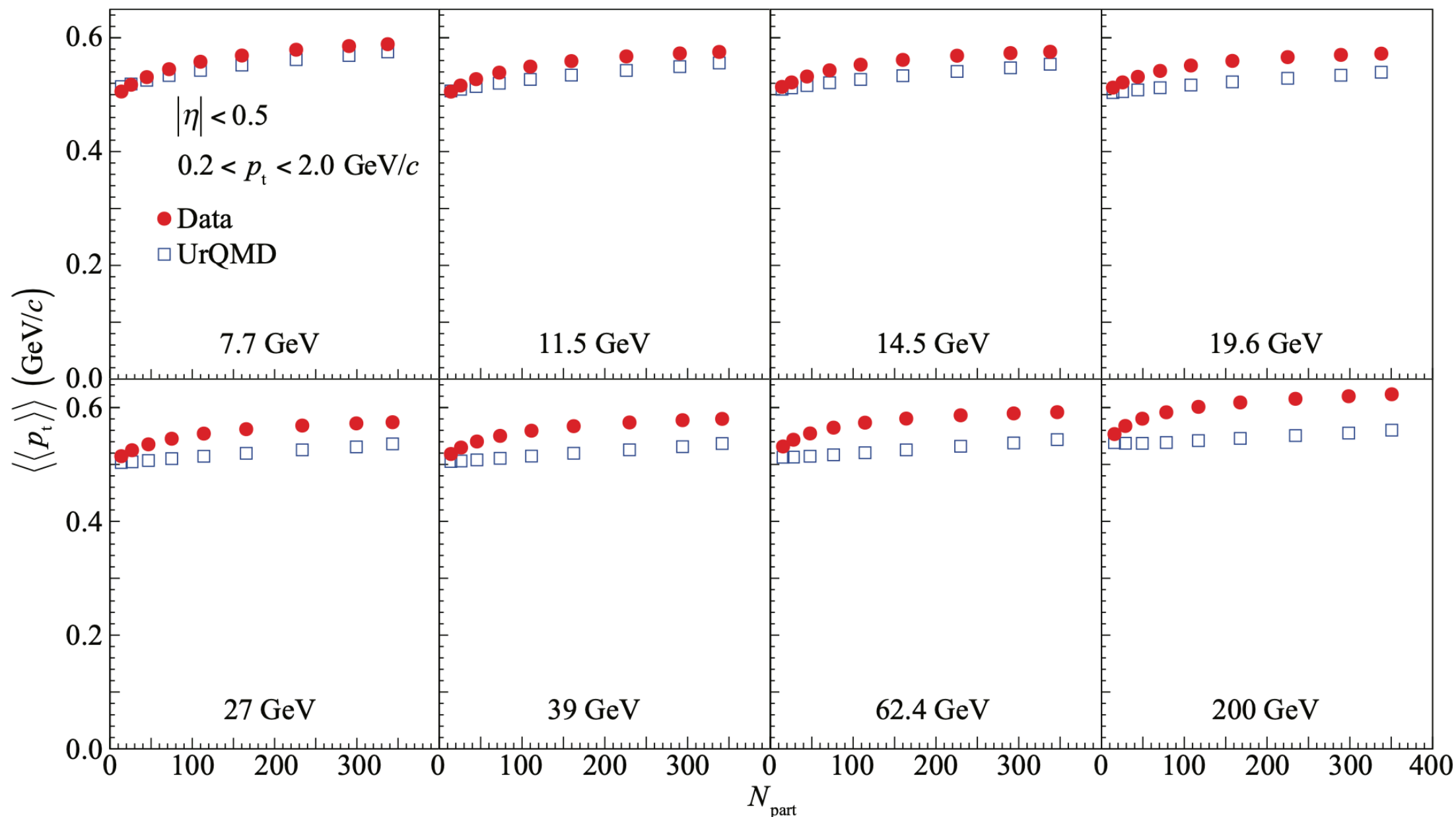
$$\text{EPD region : } v_1^{EPD-West} = \frac{\langle W' \cos(\phi - \Psi_1^{TPC}) \rangle}{R_{EP,TPC}^{(1)} \langle W' \rangle}, \quad v_1^{EPD-East} = \frac{\langle W' \cos(\phi - \Psi_1^{TPC}) \rangle}{R_{EP,TPC}^{(1)} \langle W' \rangle}$$

σ_{EPDEW} and σ_{TPC} are the each Ψ_n resolution for each centrality



<https://www.dropbox.com/s/1xarzcsmvboaekz/pwg0318.pdf?dl=0>

24/02/ presentation



It shows the average transverse momentum as a function of collision energy and collision centrality in data and UrQMD calculations..

Our absolute η range is in 0.5 and transverse momentum is from 0.2 to 2 GeV.

Mean p_t is increasing from peripheral to central collisions.

We also can see that as the collision energy is raised, UrQMD tends to under predict $\langle\langle p_t \rangle\rangle$.

The system created in ultra-relativistic heavy-ion collisions is expected to reach a state close to thermal equilibrium [70, 72]. Such a thermal system can be described by the appropriate thermodynamic ensemble. In heavy-ion collisions, typically only a subsystem can be analysed due to the restriction of the measurement to the (pseudo-)rapidity range of the detectors. Therefore, this subsystem is embedded in the heat bath of the overall system and it is able to exchange energy and particles with this bath. Hence in most cases, the grand-canonical ensemble is the appropriate choice [70, 72]. Considering a measurement of rare particles with specific quantum numbers, the conservation of this quantum number within the subsystem has to be taken into account and the canonical ensemble has to be applied.

In the grand-canonical ensemble a system is characterised by the pressure $P(T, V, \vec{\mu})$, which depends on the temperature T , the volume V and the chemical potentials $\vec{\mu}$ of the system. The chemical potentials ensure the conservation of all relevant charges within the full system. In the strongly interacting matter produced in a heavy-ion collision, these charges are the baryon number B , the electric charge Q and the strangeness S [72]. Therefore, the relevant chemical potentials are $\vec{\mu} = (\mu_B, \mu_Q, \mu_S)$.

Event-by-event fluctuations of the temperature and the conserved charges can reveal properties of the strongly interacting matter created in heavy-ion collisions. One of the most important applications is the investigation of the phase transitions described in section 1.1.2 and depicted in figure 1.1. As discussed there, the exact location and properties of these phase transitions are not known. Phase transitions are expected to have a strong influence on fluctuation signals, especially in the vicinity of a possible critical endpoint of a potential first-order phase-transition line [25, 26, 70, 71]. In addition, fluctuations may provide insight into the relevant degrees of freedom within the collisions, i.e. whether the initial state of the collisions is compatible with a nucleonic scattering scenario, or whether the sub-nuclear partonic structure has to be taken into account [73, 74].


```

1      write(52,124) IAEVT,IARUN,nhadron,bimp,npart1,npart2,
      NELP,NINP,NELT,NINTHJ
czcj      write(52,*)HINT1(21),HINT1(22),HINT1(23),HINT1(24),HINT1(25),
czcj      1      IHNT2(9)
czcj      write(52,*)HINT1(31),HINT1(32),HINT1(33),HINT1(34),HINT1(35),
czcj      1      IHNT2(10)
czcj      write(52,*)VVX,VVY

124      format(3(i7),f10.4,5x,6(i4))

DO 1001 I = 1, MULTI1(J)
      ITYP = ITYP1(I, J)
      PX = PX1(I, J)
      PY = PY1(I, J)
      PZ = PZ1(I, J)
      EE = EE1(I, J)
      XM = XM1(I, J)
      GX = GX1(I,J)
      GY = GY1(I,J)
      GZ = GZ1(I,J)
      FT = FT1(I,J)
      WRITE(52,123)I,ITYP,PX,PY,PZ,XM,GX,GY,GZ,FT
123      format(I6,1x,I6,2(1x,f8.3),1x,f10.3,1x,f6.3,4(1x,f8.2))

```

```
OPEN (52, FILE = 'ana/ampt1.dat', STATUS = 'UNKNOWN')
```

amptsub.f

Initial ampt

```

c      write(16,190) IAEVT,IARUN,nlast,bimp,npart1,npart2,
c      1 NELP,NINP,NELT,NINTHJ
clin-2/2012:
c      write(16,190) IAEVT,IARUN,nlast-ndpert,bimp,npart1,npart2,
c      1 NELP,NINP,NELT,NINTHJ
c      write(16,190) IAEVT,IARUN,nlast,bimp,npart1,npart2,
1 NELP,NINP,NELT,NINTHJ
czcj      write(16,*)HINT1(21),HINT1(22),HINT1(23),HINT1(24),HINT1(25),
czcj      1      IHNT2(9)
czcj      write(16,*)HINT1(31),HINT1(32),HINT1(33),HINT1(34),HINT1(35),
czcj      1      IHNT2(10)
czcj      write(16,*)VVX,VVY
do 1008 ip=1,nlast
      if(amax1(abs(xlast(1,ip)),abs(xlast(2,ip)),
1      abs(xlast(3,ip)),abs(xlast(4,ip))).lt.9999) then
      write(16,211) ip,INVFLV(lblast(ip)), plast(1,ip),
1      plast(2,ip),plast(3,ip),plast(4,ip),
2      xlast(1,ip),xlast(2,ip),xlast(3,ip),xlast(4,ip)
      else
c      change format for large numbers:
      write(16,211) ip,INVFLV(lblast(ip)), plast(1,ip),
1      plast(2,ip),plast(3,ip),plast(4,ip),
2      xlast(1,ip),xlast(2,ip),xlast(3,ip),xlast(4,ip)
      endif
1008      continue

```

```
OPEN (16, FILE = 'ana/ampt2.dat', STATUS = 'UNKNOWN')
```

linana.f

Final ampt

partontimets0.dat

```

      write (54, 104) i, ityp(i),
&      px(i), py(i), pz(i), xmass(i),
&      gx(i), gy(i), gz(i), ft(i)
99      continue

      event = event + 1

101      format (a12)
102      format (2(a8, 2x), '(' ,i3, ', ',i6, ')'+(' ,i3, ', ', i6, ')',
&      2x, a4, 2x, e10.4, 2x, i8)
103      format (i10, 2x, i10, 2x, f8.3, 2x, f8.3)
cglma 104      format (i10, 2x, i10, 2x, 9(e12.6, 2x))
104      format(I10, 1x,I6,2(1x,f8.3),1x,f10.3,1x,f6.3,4(1x,e9.3))
105      format(3(i7),f10.4,5x,6(i4))

      return
end
```

	1	142	14.1744	0	0	1	2	1	4						
0.00000000			0.00000000	0.00000000				0.00000000		0.00000000					0
0.00000000			0.00000000	0.00000000				0.00000000		0.00000000					0
0.00000000			0.00000000												
1	-2	0.165	-0.117	0.205	0.006	-.285E+01	-.154E+01	-.208E-01	0.103E+00						
2	2	-0.314	-1.569	-0.611	0.006	-.285E+01	-.154E+01	-.208E-01	0.103E+00						
3	2	-0.250	-0.261	-0.367	0.006	-.206E+01	-.501E+01	-.705E-01	0.121E+00						
4	-2	0.426	-1.573	-1.068	0.006	-.206E+01	-.501E+01	-.705E-01	0.121E+00						
5	-3	-1.418	-0.080	3.002	0.199	-.132E+01	0.921E+00	0.132E+00	0.158E+00						
6	2	-0.653	-0.067	0.433	0.006	-.132E+01	0.921E+00	0.132E+00	0.158E+00						
7	-2	0.311	0.126	-0.087	0.006	-.276E+01	-.137E+01	0.812E-01	0.161E+00						
8	1	0.516	0.758	0.917	0.010	-.276E+01	-.137E+01	0.812E-01	0.161E+00						
9	2	-0.165	-0.010	0.012	0.006	-.223E+01	-.496E+01	-.262E-01	0.172E+00						
10	-1	-0.951	-0.269	-0.191	0.010	-.223E+01	-.496E+01	-.262E-01	0.172E+00						
11	1	-0.201	0.686	0.201	0.010	-.482E+00	-.467E+01	0.104E+00	0.210E+00						
12	-1	-0.247	0.129	0.417	0.010	-.482E+00	-.467E+01	0.104E+00	0.210E+00						
13	-2	0.201	0.169	0.287	0.006	-.119E+01	0.915E+00	0.594E-01	0.211E+00						
14	-1	0.203	-0.356	-0.038	0.010	-.119E+01	0.915E+00	0.594E-01	0.211E+00						
15	-2	-0.162	0.131	0.035	0.006	-.119E+01	0.915E+00	0.594E-01	0.211E+00						
16	-2	0.322	0.031	1.271	0.006	-.118E+01	0.873E+00	0.186E+00	0.213E+00						
17	-2	-0.061	-0.044	-0.036	0.006	-.118E+01	0.873E+00	0.186E+00	0.213E+00						
18	-1	0.794	-0.959	2.164	0.010	-.118E+01	0.873E+00	0.186E+00	0.213E+00						
19	-2	-0.072	-0.104	-0.450	0.006	-.214E+01	-.498E+01	-.254E-01	0.221E+00						
20	1	-0.221	-0.145	0.346	0.010	-.214E+01	-.498E+01	-.254E-01	0.221E+00						
21	2	-0.399	0.120	0.356	0.006	-.135E+01	0.937E+00	0.834E-02	0.224E+00						
22	-2	-0.011	-0.079	-0.323	0.006	-.135E+01	0.937E+00	0.834E-02	0.224E+00						
23	-1	0.392	0.088	0.227	0.010	-.275E+01	-.136E+01	-.150E-01	0.233E+00						

Event, run, multiplicity, impact parameter, projectile ,target , number of elastic in P, number of inelastic in T, number elastic in T, number of inelastic in T

0 0 0 0 0 0
0 0 0 0 0 0
0 0

counts, quark ID, px, py, pz, mass, x, y, z, t

hijing1.383_ampt.f

zpc.dat

```

      write(54,513) IAEVT,IARUN,mul,bimp,npart1,npart2,
& NELP,NINP,NELT,NINTHJ
      write(54,*)HINT1(21),HINT1(22),HINT1(23),HINT1(24),HINT1(25),
& IHNT2(9)
      write(54,*)HINT1(31),HINT1(32),HINT1(33),HINT1(34),HINT1(35),
& IHNT2(10)
      write(54,*)VVX,VVY
c      write(56,513) IAEVT,IARUN,mul,bimp,npart1,npart2,
c      & NELP,NINP,NELT,NINTHJ
cglma add above
      513      format(3(i7),f10.4,5x,6(i4))

clin-6/2009:
      if(ioscar.eq.3) WRITE (95, *) IAEVT, mul
c....call ZPC for parton cascade
      CALL ZPCMN

c      write out parton and wounded nucleon information to ana/zpc1.mom:
clin-6/2009:
c      WRITE (14, 395) ITEST, MUL, bimp, NELP,NINP,NELT,NINTHJ

      write(14,513) IAEVT,IARUN,mul,bimp,npart1,npart2,
& NELP,NINP,NELT,NINTHJ
      write(14,*)HINT1(21),HINT1(22),HINT1(23),HINT1(24),HINT1(25),
& IHNT2(9)
      write(14,*)HINT1(31),HINT1(32),HINT1(33),HINT1(34),HINT1(35),
& IHNT2(10)
      write(14,*)VVX,VVY
      DO 1013 I = 1, MUL
cc      WRITE (14, 411) PX5(I), PY5(I), PZ5(I), ITYP5(I),
c      & XMASS5(I), E5(I)
c      change format for large numbers:
      write(14,211) I, ITYP5(I),
1      PX5(I), PY5(I), PZ5(I), XMASS5(I),
1      GX5(I), GY5(I), GZ5(I), FT5(I)

```

	1	142	14.1744	0	0	1	2	1	4		0
0.00000000			0.00000000	0.00000000			0.00000000		0.00000000		0
0.00000000			0.00000000	0.00000000			0.00000000		0.00000000		0
0.00000000			0.00000000								
1	-2	0.165	-0.117	0.205	0.006	-.285E+01	-.154E+01	-.208E-01	0.103E+00		
2	2	-0.314	-1.569	-0.611	0.006	-.285E+01	-.154E+01	-.208E-01	0.103E+00		
3	2	-0.250	-0.261	-0.367	0.006	-.206E+01	-.501E+01	-.705E-01	0.121E+00		
4	-2	0.426	-1.573	-1.068	0.006	-.206E+01	-.501E+01	-.705E-01	0.121E+00		
5	-3	-1.418	-0.080	3.002	0.199	-.132E+01	0.921E+00	0.132E+00	0.158E+00		
6	2	-0.653	-0.067	0.433	0.006	-.132E+01	0.921E+00	0.132E+00	0.158E+00		
7	-2	0.024	0.014	0.015	0.006	-.204E+01	-.108E+01	-.120E+00	0.964E+00		
8	1	0.516	0.758	0.917	0.010	-.276E+01	-.137E+01	0.812E-01	0.161E+00		
9	2	-0.165	-0.010	0.012	0.006	-.223E+01	-.496E+01	-.262E-01	0.172E+00		
10	-1	-0.951	-0.269	-0.191	0.010	-.223E+01	-.496E+01	-.262E-01	0.172E+00		
11	1	-0.201	0.686	0.201	0.010	-.482E+00	-.467E+01	0.104E+00	0.210E+00		
12	-1	0.102	0.579	0.931	0.010	-.115E+01	-.432E+01	0.124E+01	0.158E+01		
13	-2	0.207	0.015	0.178	0.006	-.112E+01	0.950E+00	0.242E+00	0.412E+00		
14	-1	0.112	-0.037	-0.248	0.010	-.115E+01	0.852E+00	0.462E-01	0.290E+00		
15	-2	-0.139	0.052	0.001	0.006	-.142E+01	0.110E+01	0.108E+00	0.506E+00		
16	-2	0.322	0.031	1.271	0.006	-.118E+01	0.873E+00	0.186E+00	0.213E+00		
17	-2	0.082	-0.217	0.104	0.006	-.120E+01	0.884E+00	0.147E+00	0.282E+00		
18	-1	0.570	-0.786	1.415	0.010	-.114E+01	0.822E+00	0.303E+00	0.347E+00		
19	-2	-0.072	-0.104	-0.450	0.006	-.214E+01	-.498E+01	-.254E-01	0.221E+00		
20	1	-0.221	-0.145	0.346	0.010	-.214E+01	-.498E+01	-.254E-01	0.221E+00		
21	2	-0.399	0.120	0.356	0.006	-.135E+01	0.937E+00	0.834E-02	0.224E+00		
22	-2	-0.039	-0.021	0.004	0.006	-.120E+01	-.718E+00	-.391E+01	0.448E+01		

Event, run, multiplicity, impact parameter, projectile ,target , number of elastic in P, number of inelastic in T, number elastic in T, number of inelastic in T

0 0 0 0 0 0
0 0 0 0 0 0
0 0

counts, quark ID, px, py, pz, mass, x, y, z, t


```

WRITE(99,*) bimp,thetaP,phiP,thetaT,phiT
write(60,513) IAEVT,IARUN,IHNT2(1)+IHNT2(3),bimp,npart1,npart2,
& NELP,NINP,NELT,NINTHJ
write(60,*)HINT1(21),HINT1(22),HINT1(23),HINT1(24),HINT1(25),
& IHNT2(9)
write(60,*)HINT1(31),HINT1(32),HINT1(33),HINT1(34),HINT1(35),
& IHNT2(10)
write(60,*)VVX,VVY
DO 203 JP=1,IHNT2(1)
    IF(NFP(JP,5).GT.-1) THEN
glma write out participant nucleons for projector
        WRITE (60, 396) '1', JP, YP(1,JP)+BBX, YP(2,JP)
        write(60,396) '1', JP, NFP(JP,3),NFP(JP,4), '0', '0',
1 YP(1,JP)+BBX/2, YP(2,JP)+BBY/2, YP(3,JP), NFP(JP,5)
        ENDIF
203 continue
DO 204 JT=1,IHNT2(3)
    IF(NFT(JT,5).GT.-1) THEN
glma write out participant nucleons for target
        WRITE (60, 396) '2', JT, YT(1,JT)+BBY, YT(2,JT)
        write(60,396) '2', JT, NFT(JT,3),NFT(JT,4), '0', '0',
1 YT(1,JT)-BBX/2, YT(2,JT)-BBY/2, YT(3,JT), NFP(JP,5)
        ENDIF
204 continue
396 format(A,1X,I5,2X,I5,1X,I5,1X,A,1X,A,1X,
1 F10.3,3X,F10.3,3X,F10.3,1X,I5)

```

```

c
clin-4/2012 write out initial transverse positions of initial nucleons:
    write(94,*) IAEVT,MISS,IHNT2(1),IHNT2(3),bimp
    DO JP=1,IHNT2(1)
clin-12/2012 write out present and original flavor code of nucleons:
c        write(94,243) YP(1,JP)+0.5*BB*cos(phiRP),
c        1 YP(2,JP)+0.5*BB*sin(phiRP), JP, NFP(JP,5),yp(3,jp)
        write(94,243) YP(1,JP)+0.5*BB*cos(phiRP),
1 YP(2,JP)+0.5*BB*sin(phiRP),JP, NFP(JP,5),yp(3,jp),
2 NFP(JP,3),NFP(JP,4)
    ENDDO

```

	1	1	476	3.2078	0	0	3	191	5	200		
1	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0	0
2	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0	0
3	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0.00000000	0	0
4	1	0	2212	0 0	1.335	0.229	7.119	3				
5	2	0	2212	0 0	-1.082	-0.104	6.308	3				
6	3	0	2212	0 0	-1.862	2.265	6.274	3				
7	4	0	2212	0 0	2.185	-2.010	6.202	3				
8	5	0	2212	0 0	-0.238	-4.472	6.090	3				
9	6	0	2212	0 0	3.531	-3.710	5.683	3				
10	7	0	2112	0 0	-1.045	0.051	5.552	3				
11	8	0	2212	0 0	3.269	0.961	5.501	3				
12	9	0	2212	0 0	1.474	-2.093	5.474	3				
13	10	0	2112	0 0	2.835	4.767	5.457	3				
14	11	0	2212	0 0	2.891	1.234	5.384	3				
15	12	0	2212	0 0	4.916	2.394	5.244	3				
16	13	0	2212	0 0	0.327	-1.120	5.095	3				
17	14	0	2212	0 0	3.357	-1.917	5.078	3				
18	15	0	2112	0 0	-0.096	-0.363	5.074	3				
19	16	0	2212	0 0	-0.771	4.616	5.056	3				
20	17	0	2212	0 0	-0.674	4.262	4.812	3				
21	18	0	2212	0 0	0.072	2.998	4.774	3				
22	19	0	2212	0 0	-1.280	-2.063	4.757	3				
23	20	0	2212	0 0	3.569	1.994	4.679	3				
24	21	0	2212	0 0	-0.514	3.624	4.553	3				
25	22	0	2212	0 0	1.293	3.071	4.544	3				
	23	0	2212	0 0	1.141	1.615	4.509	3				
	24	0	2212	0 0	0.852	4.714	4.498	3				
	25	0	2212	0 0	-1.815	2.355	4.439	3				

	1	1	476	3.2078	0	0	3	191	5	200		
1	1.335	0.229	1	3	7.119	0	2212					
2	-1.082	-0.104	2	3	6.308	0	2212					
3	-1.862	2.265	3	3	6.274	0	2212					
4	2.185	-2.010	4	3	6.202	0	2212					
5	-0.238	-4.472	5	3	6.090	0	2212					
6	3.531	-3.710	6	3	5.683	0	2212					
7	-1.045	0.051	7	3	5.552	0	2112					
8	3.269	0.961	8	3	5.501	0	2212					
9	1.474	-2.093	9	3	5.474	0	2212					
10	2.835	4.767	10	3	5.457	0	2112					
11	2.891	1.234	11	3	5.384	0	2212					
12	4.916	2.394	12	3	5.244	0	2212					
13	0.327	-1.120	13	3	5.095	0	2212					
14	3.357	-1.917	14	3	5.078	0	2212					
15	-0.096	-0.363	15	3	5.074	0	2112					
16	-0.771	4.616	16	3	5.056	0	2212					
17	-0.674	4.262	17	3	4.812	0	2212					
18	0.072	2.998	18	3	4.774	0	2212					
19	-1.280	-2.063	19	3	4.757	0	2212					
20	3.569	1.994	20	3	4.679	0	2212					
21	-0.514	3.624	21	3	4.553	0	2212					
22	1.293	3.071	22	3	4.544	0	2212					
23	1.141	1.615	23	3	4.509	0	2212					
24	0.852	4.714	24	3	4.498	0	2212					
25	-1.815	2.355	25	3	4.439	0	2212					
26	0.817	1.271	26	3	4.421	0	2212					

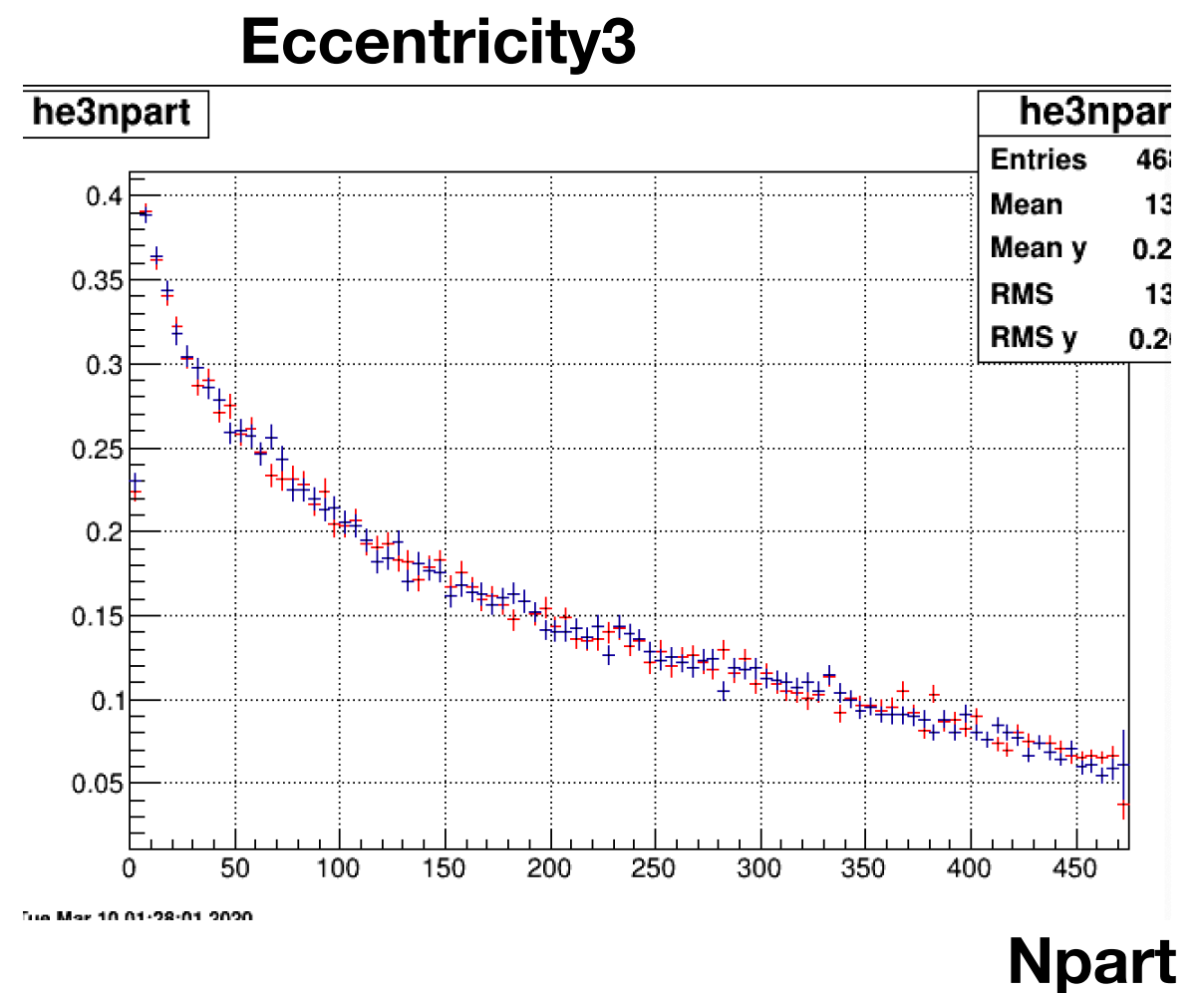
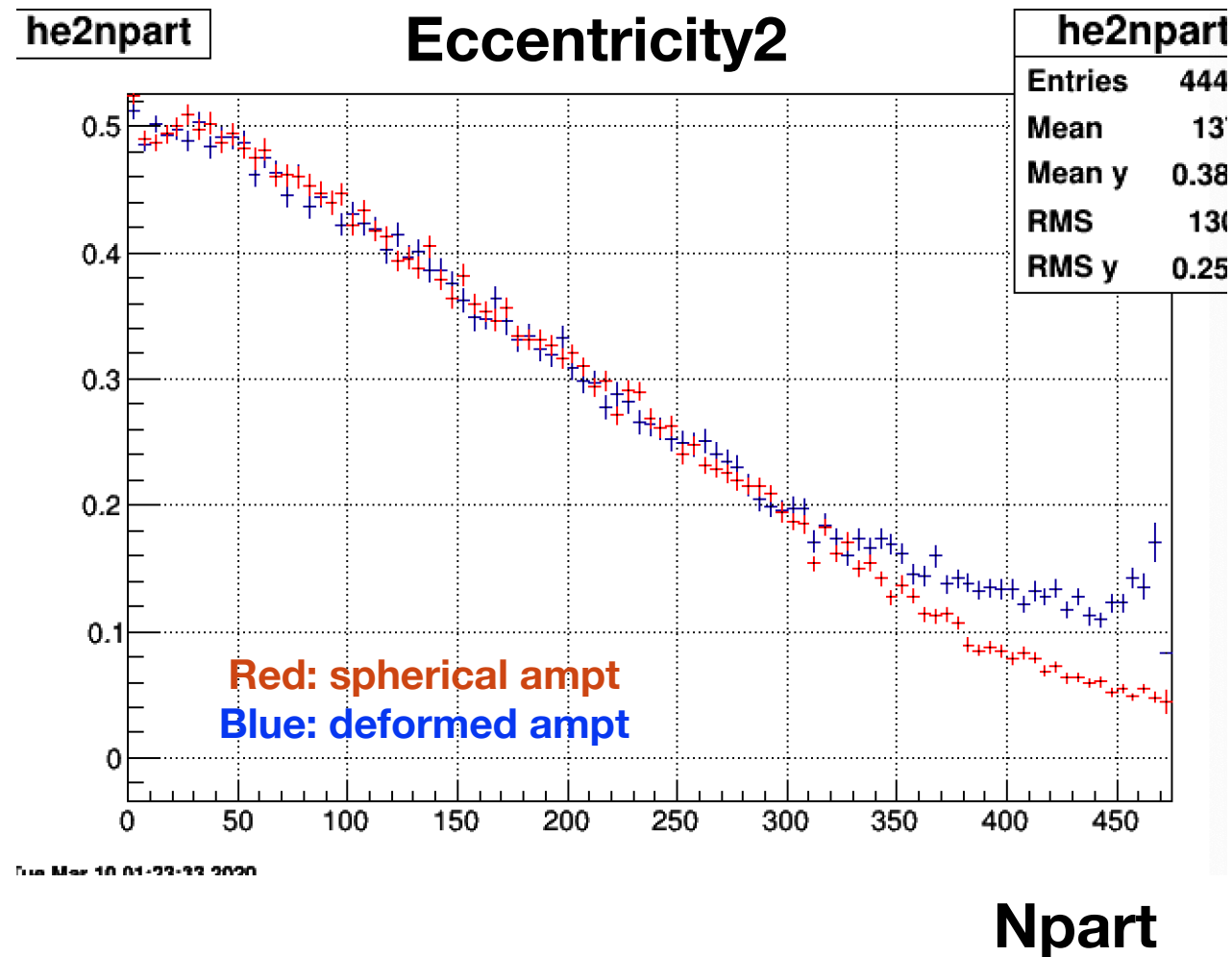
1.4.2. Basic concepts of fluctuation analyses

A brief introduction to the basic concepts of event-by-event fluctuation analyses in heavy-ion collisions is presented here. The principles of event-by-event fluctuations are discussed in more detail in [70] and a review of hadronic fluctuations and correlations can be found in [71].

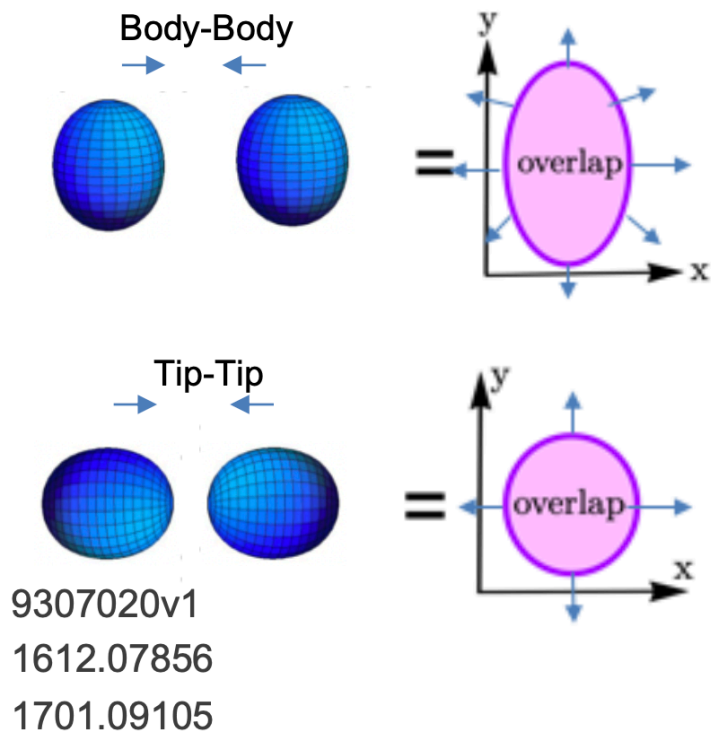
The system created in ultra-relativistic heavy-ion collisions is expected to reach a state close to **thermal** equilibrium [70,72]. Such a **thermal** system can be described by the appropriate thermodynamic ensemble. In heavy-ion collisions, typically only a subsystem can be analysed due to the restriction of the measurement to the (pseudo-)rapidity range of the detectors. Therefore, this subsystem is embedded in the heat bath of the overall system and it is able to exchange energy and particles with this bath. Hence in most cases, the grand-canonical ensemble is the appropriate choice [70,

the fireball fluctuate. Even when we take a subsample with exactly the same number of participants, the size is slightly (a few percent) different from event to event. The amount of these fluctuations depends on a specific model of the nucleon structure and elementary collisions, but the effect persists as a **generic** phenomenon. If two fireballs created with the same number of participants (thus having nearly equal entropy) have different size, then the smaller one will lead to faster collective expansion (cf. Fig. 1). In hydrodynamics this is caused by a larger radial gradient of the pressure, whereas in transport models by a higher collision rate of partons. As a result, the smaller system leads to a larger radial flow, and consequently, a larger average transverse momentum in the event, denoted as $\langle p_T \rangle$. Thus, on these general grounds, we expect a strong negative correlation between the initial fireball size and $\langle p_T \rangle$.

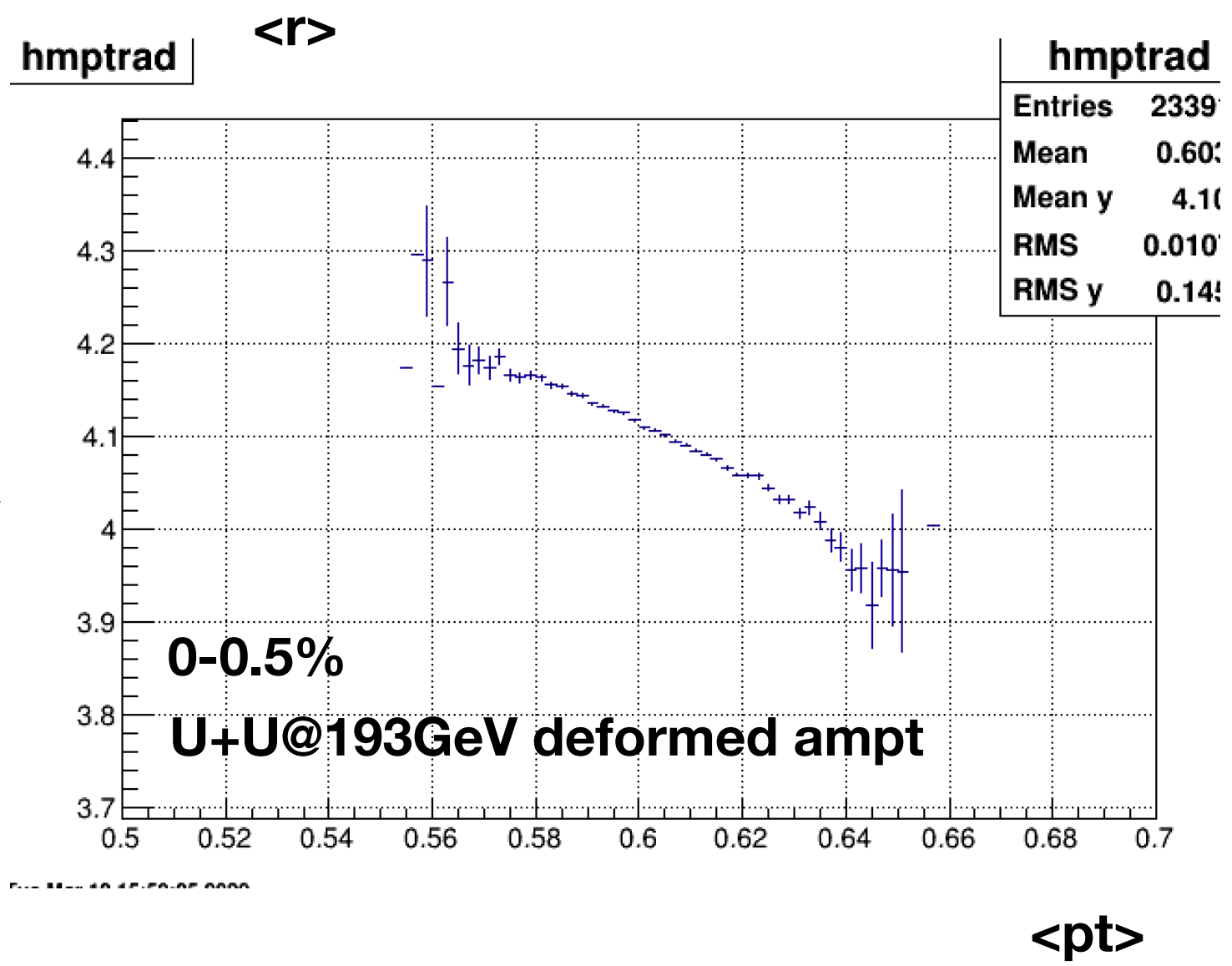
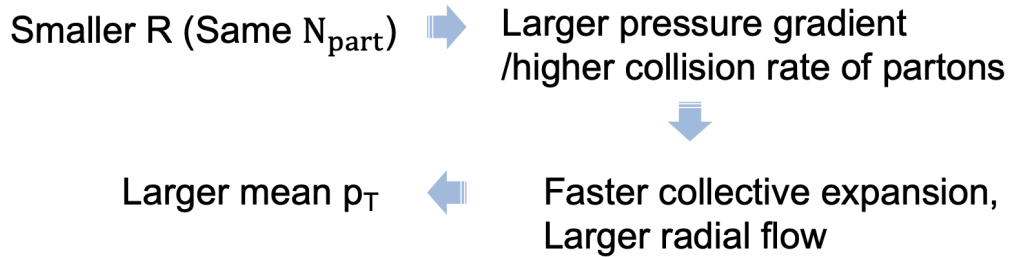
Au+Au@200GeV ampt



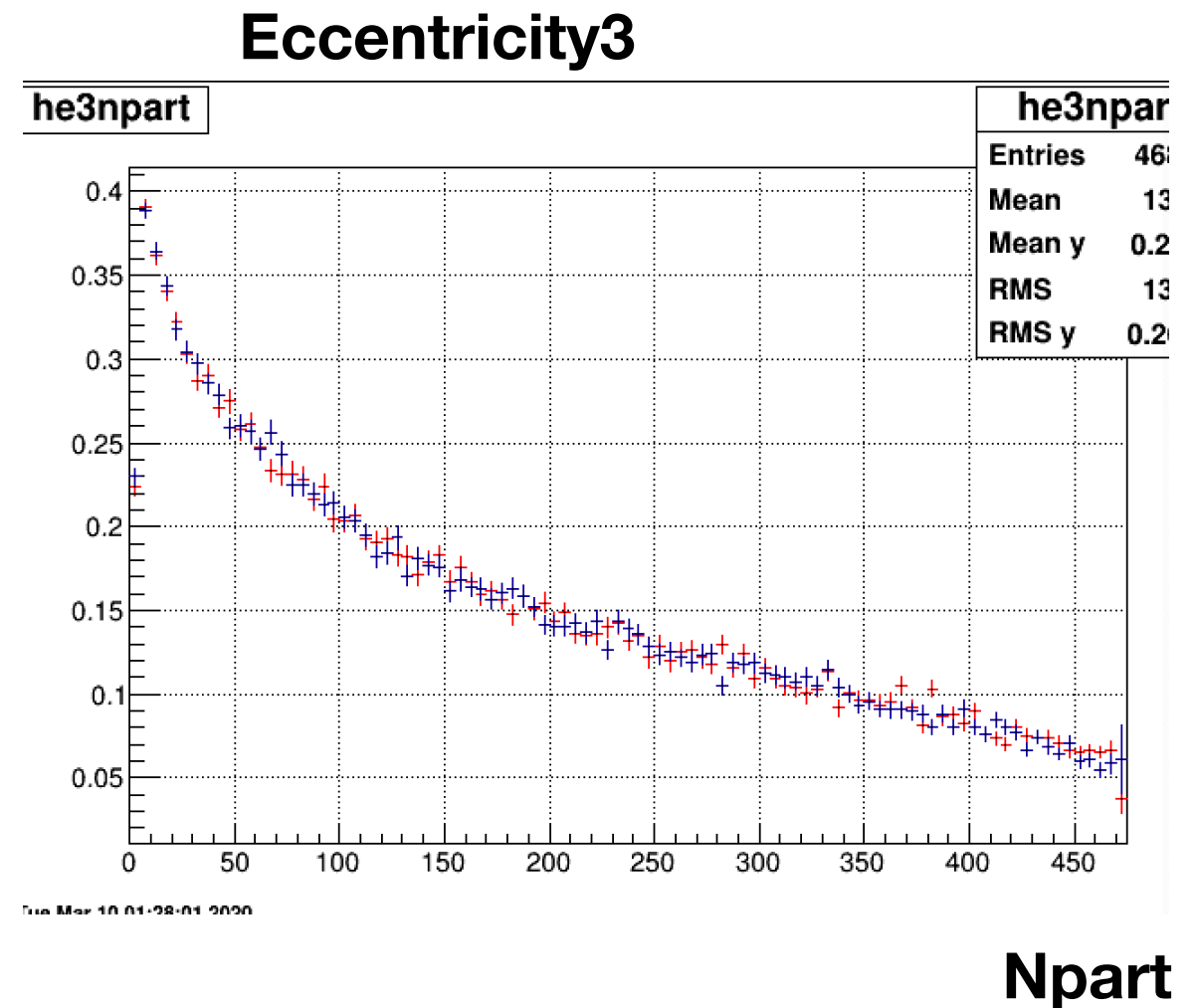
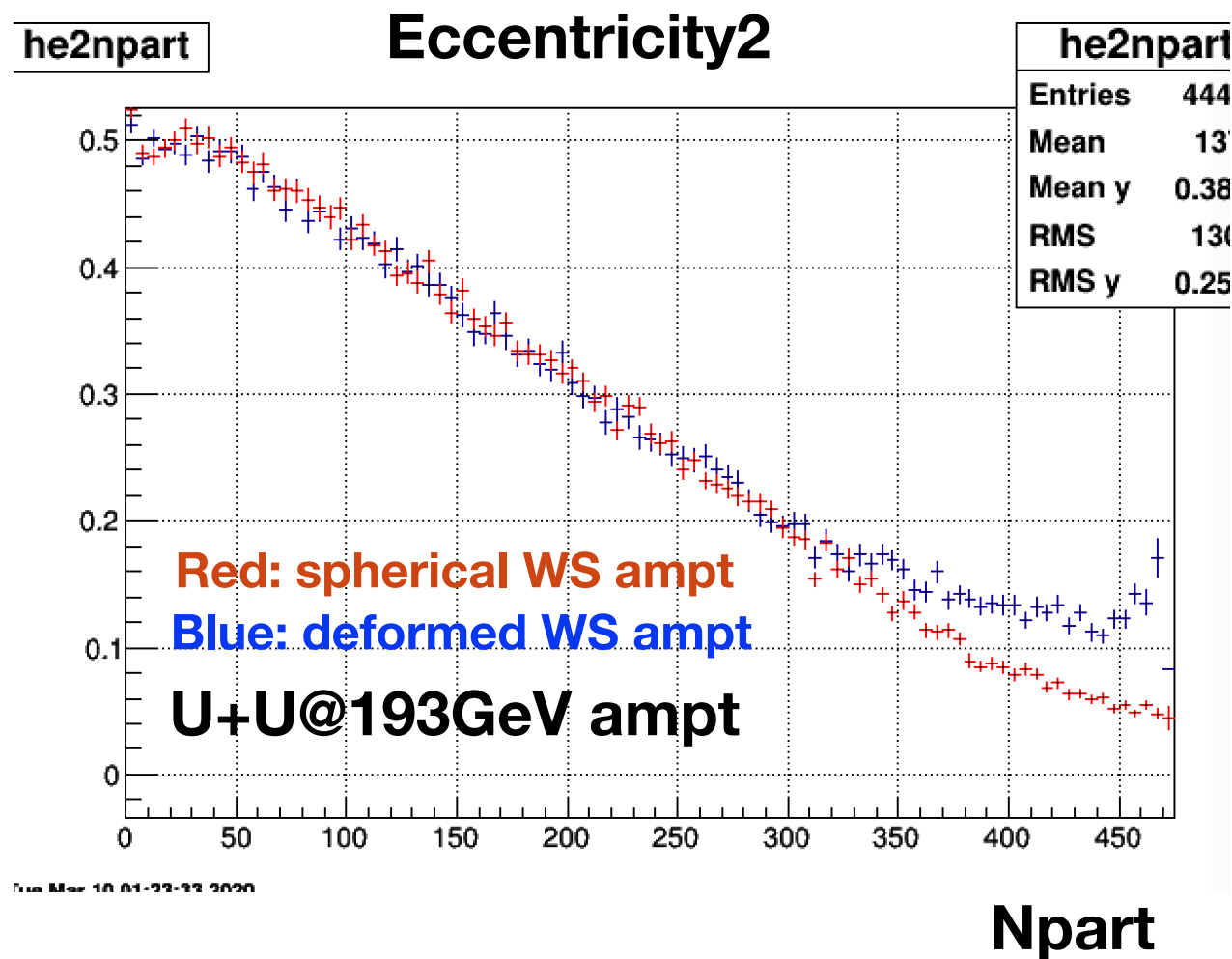
1. Deformation has larger effect on eccentricity2 in UCC but no effect on eccentricity3. Because eccentricity3 is due to fluctuation not geometry.
2. 50000events in 0-100%



Size-mean p_T transmutation



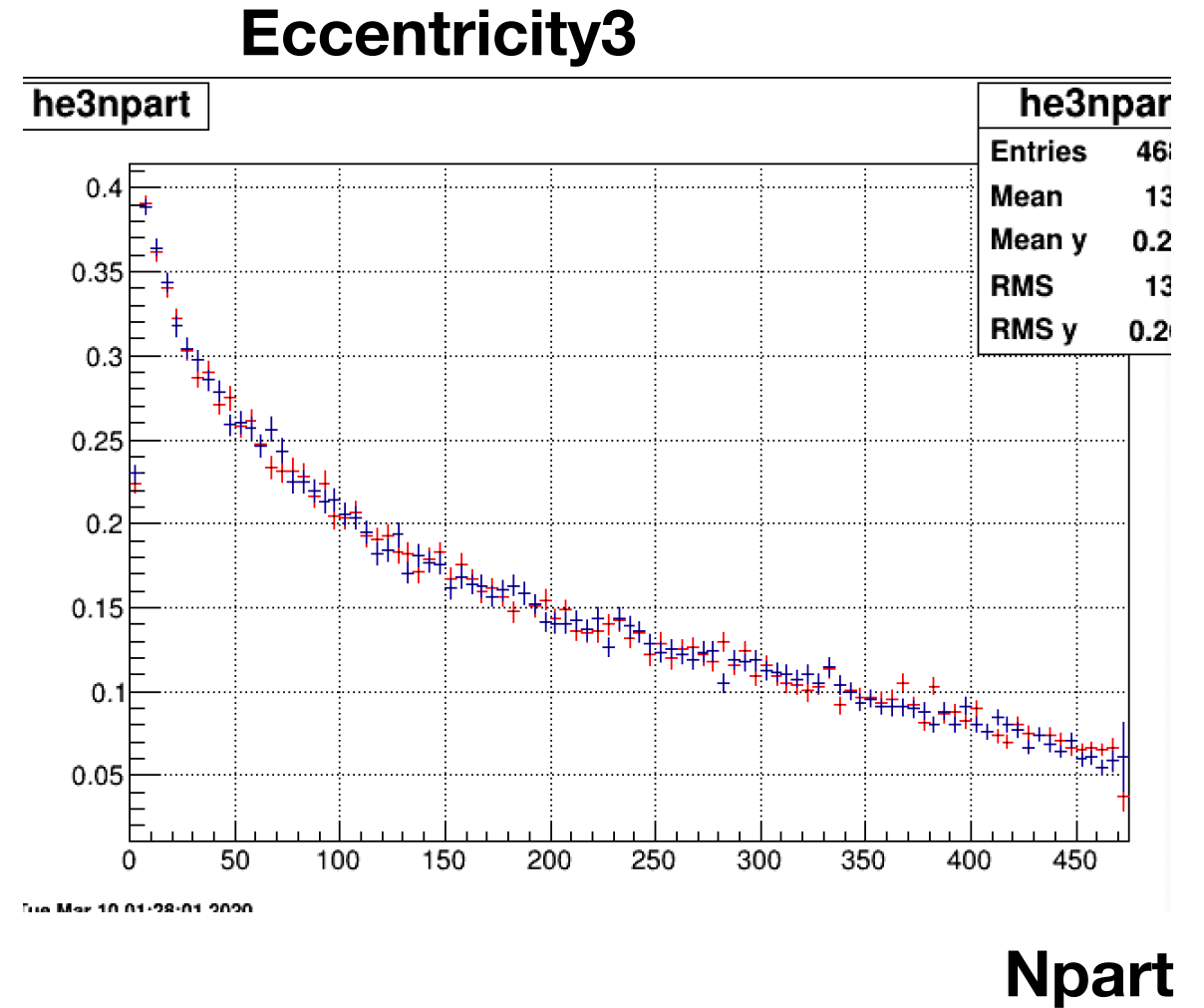
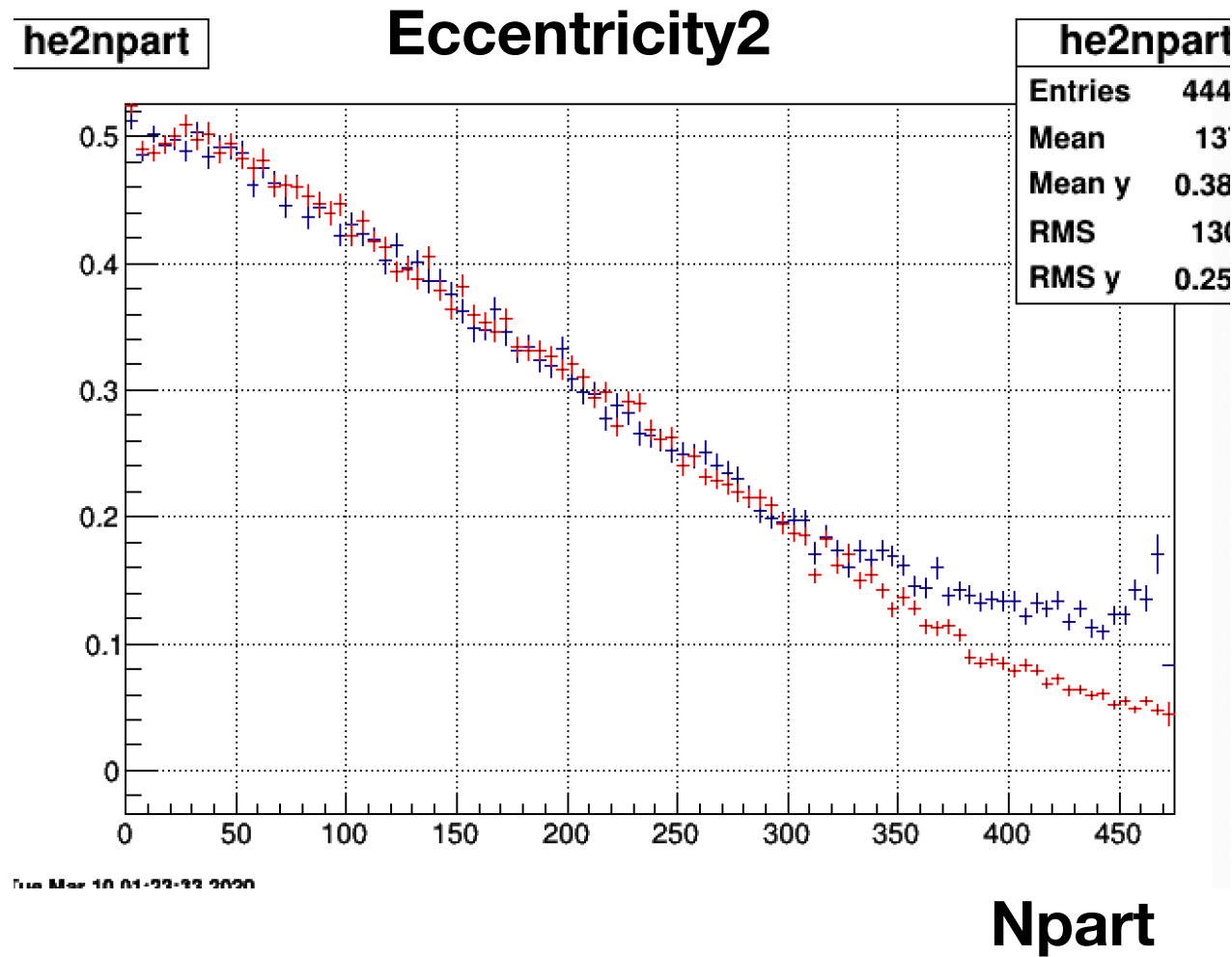
1. Deformation has larger effect on initial geometry($\langle r \rangle$ - $\langle p_T \rangle$)



1. Deformation has larger effect on eccentricity2 in UCC but no effect on eccentricity3. Because eccentricity3 is due to fluctuation not geometry.
2. 50000events in 0-100%

Deformation in ampt

Red: spherical WS ampt Blue: deformed WS ampt



1. Deformation has larger effect on eccentricity2 in UCC but no effect on eccentricity3. Because eccentricity3 is due to fluctuation not geometry
2. 50000events in 0-100%

$$\langle r^2 \rangle = \frac{\int dx dy s_k(x, y)(x^2 + y^2)}{\int dx dy s_k(x, y)}, \quad (3)$$

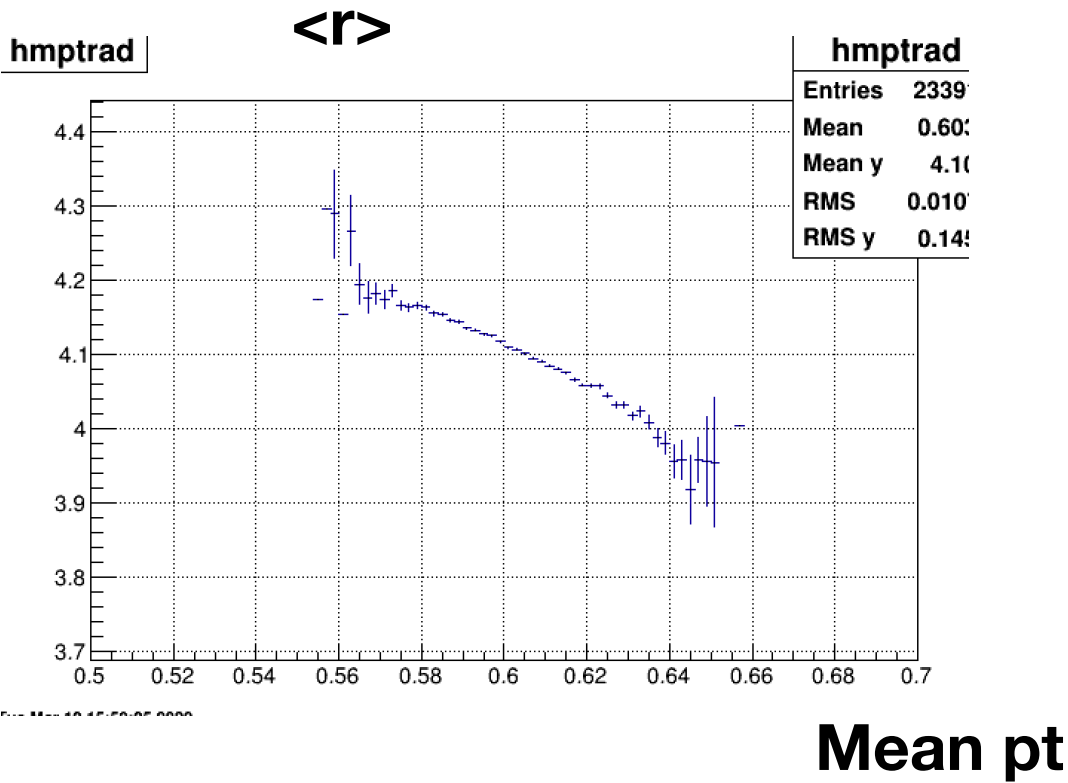
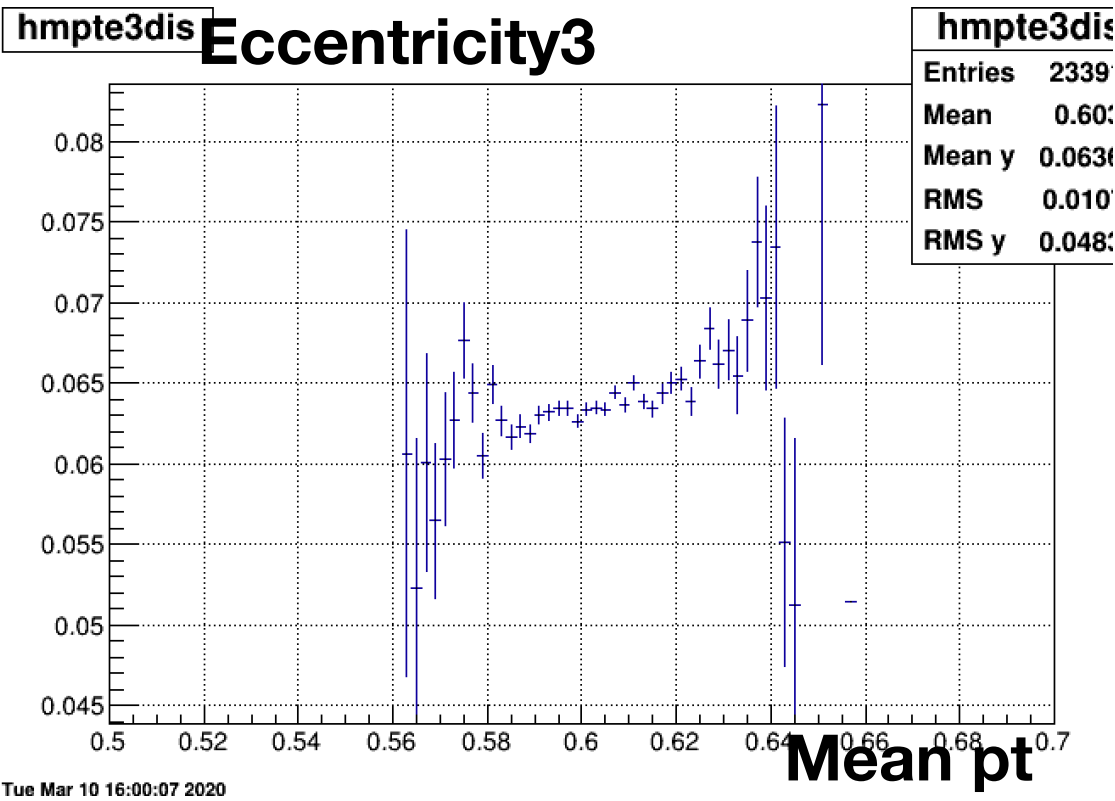
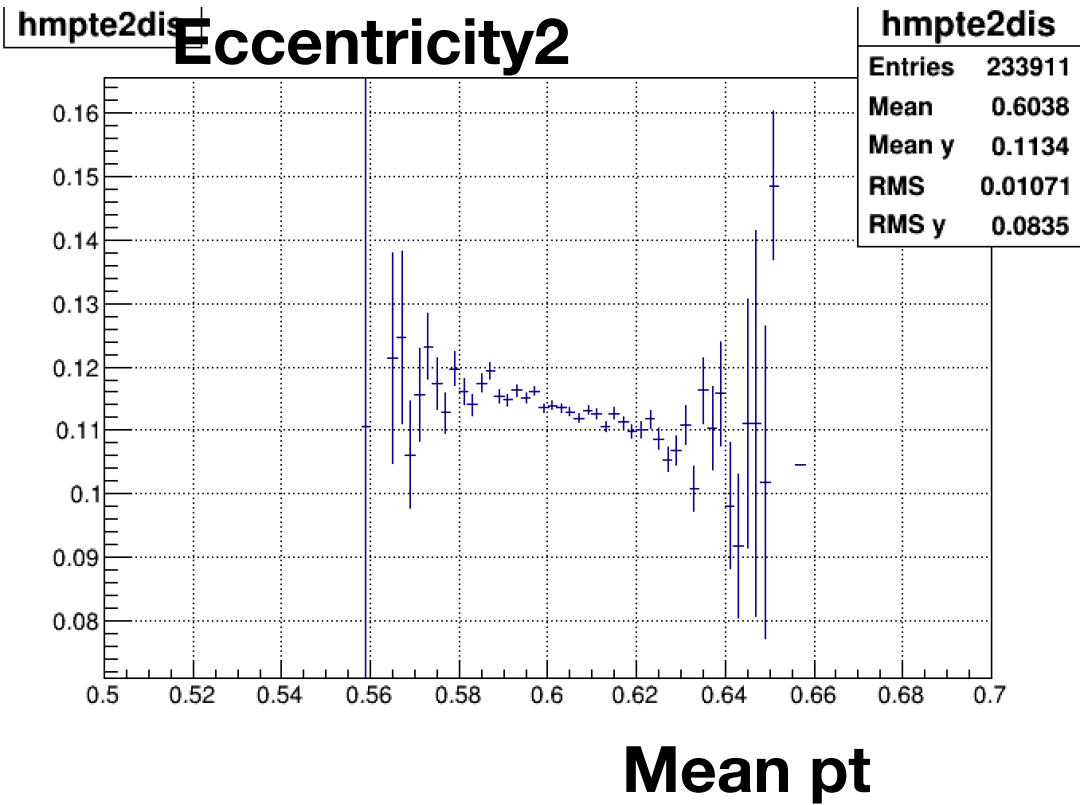
$$\langle r \rangle_k \equiv \sqrt{\langle r^2 \rangle}.$$

Averaging over N_{ev} events is denoted with another pair of brackets, for instance the event-averaged transverse size is denoted as

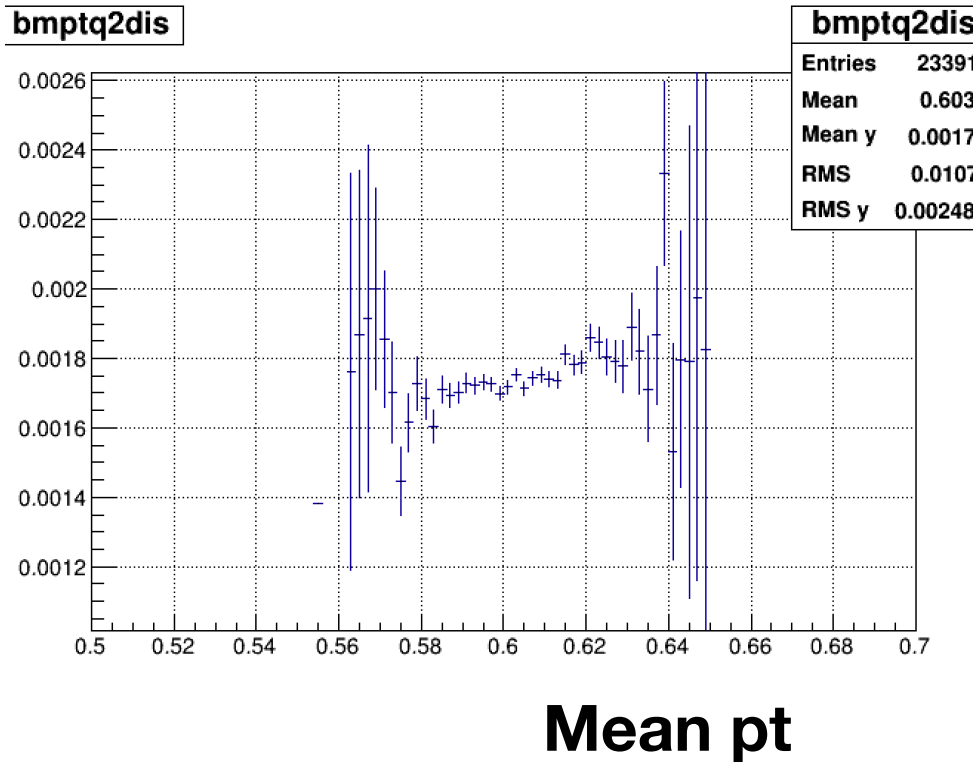
$$\langle \langle r \rangle \rangle = \frac{1}{N_{\text{ev}}} \sum_{k=1}^{N_{\text{ev}}} \langle r \rangle_k. \quad (4)$$

For sources with a large azimuthal deformation, a definition of the size parameter more appropriate for large

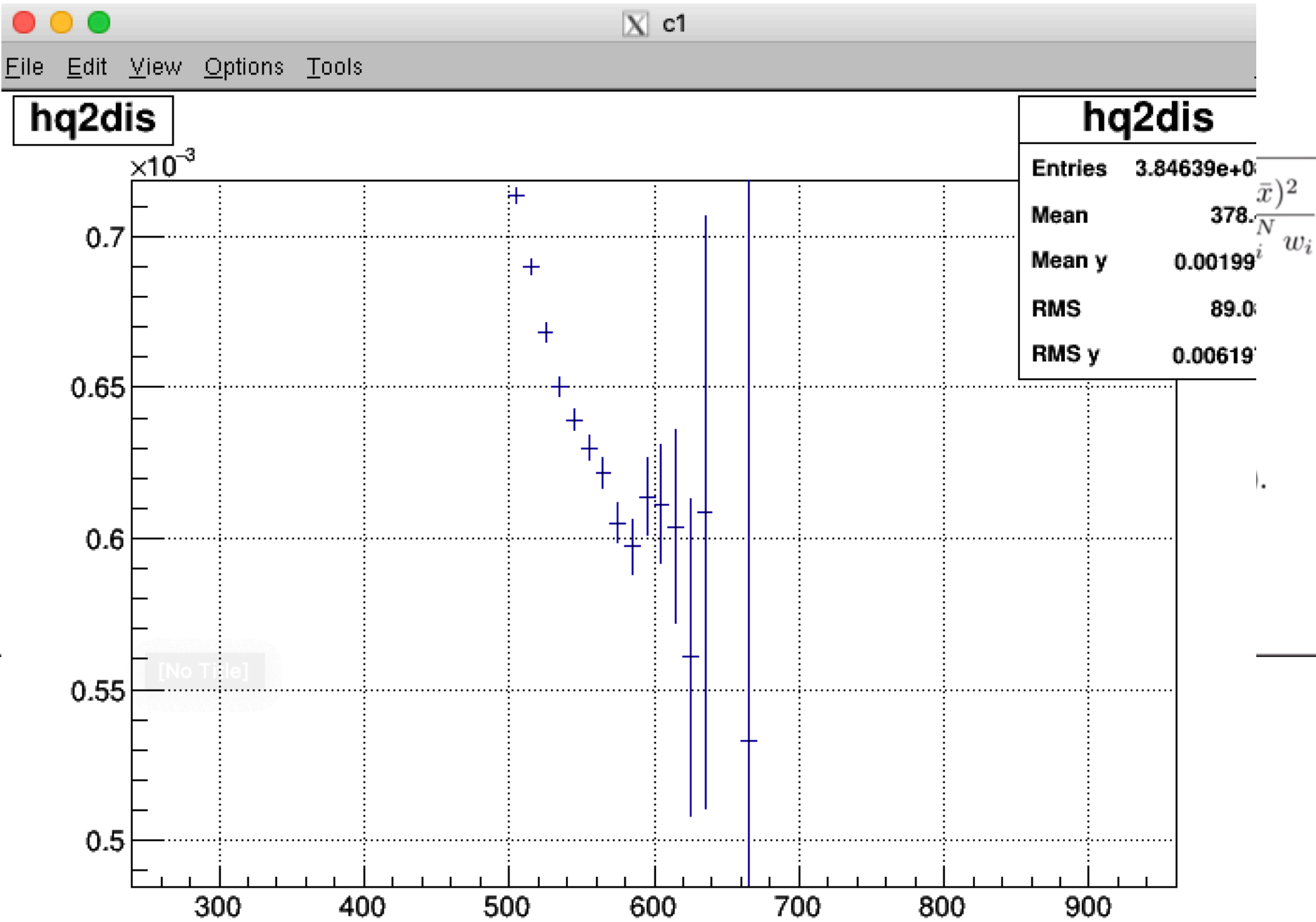
More statistics in deformed ampt



$c_2\{2\}$, subevent (η , (-1,-0.1), (0.1,1))



Run comparison



Define centrality

