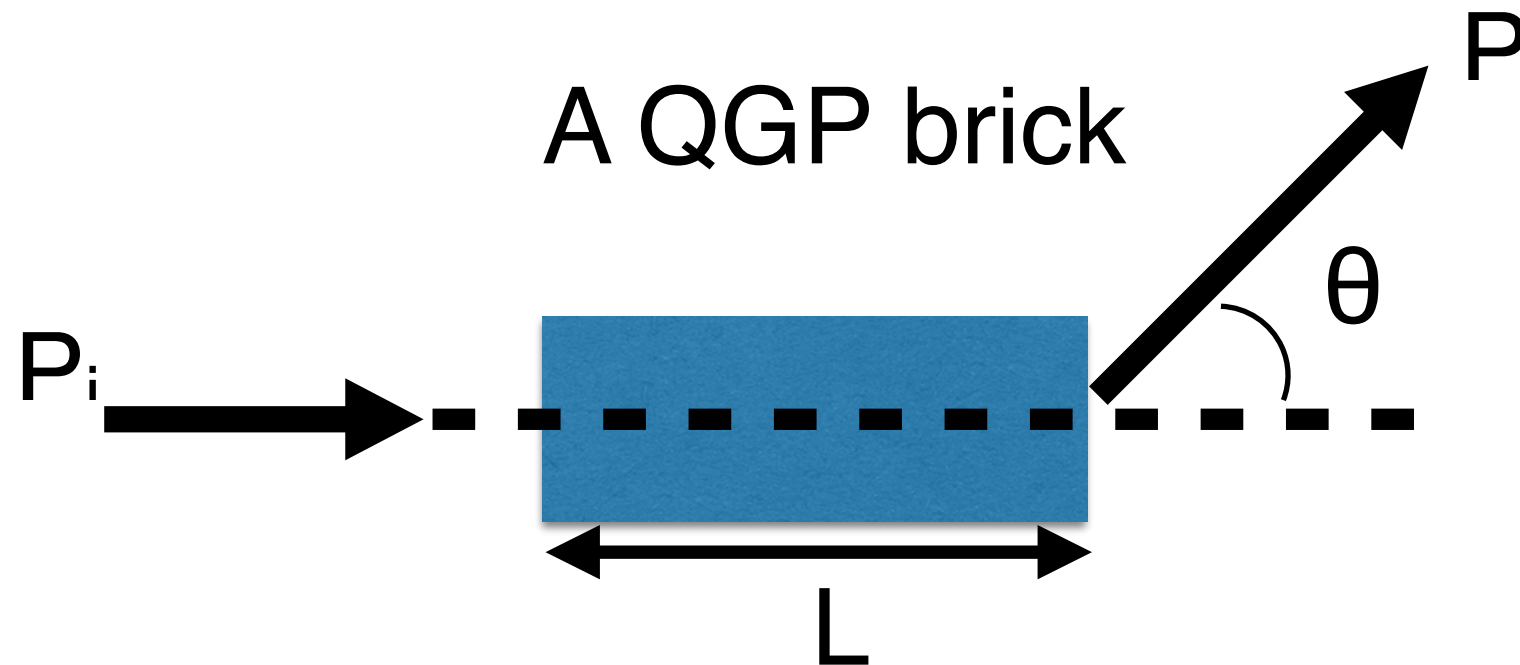


Resolving Point-Like Scatterers in a Liquid QGP



Based on: F. D'Eramo, K. Rajagopal and YY, 1808.03250 (JHEP, to be published) . See 1812.06878 for a shorter version

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JETSCAPE Workshop, Jan.11, 2019



Background

Last decade has seen significant progress on understanding the *long distance* behavior of quarks and gluons in QGP.

Next?

Beam energy scan: the **evolution** of QCD matter as a function of baryon density.

Jet physics at HIC: resolve quarks and gluons in a QGP, and study the **evolution** of their properties as a function of resolution scale.

EIC (US, EU, China): resolve quarks and gluons in a proton, and study the **evolution** of their properties as a function of resolution scale.

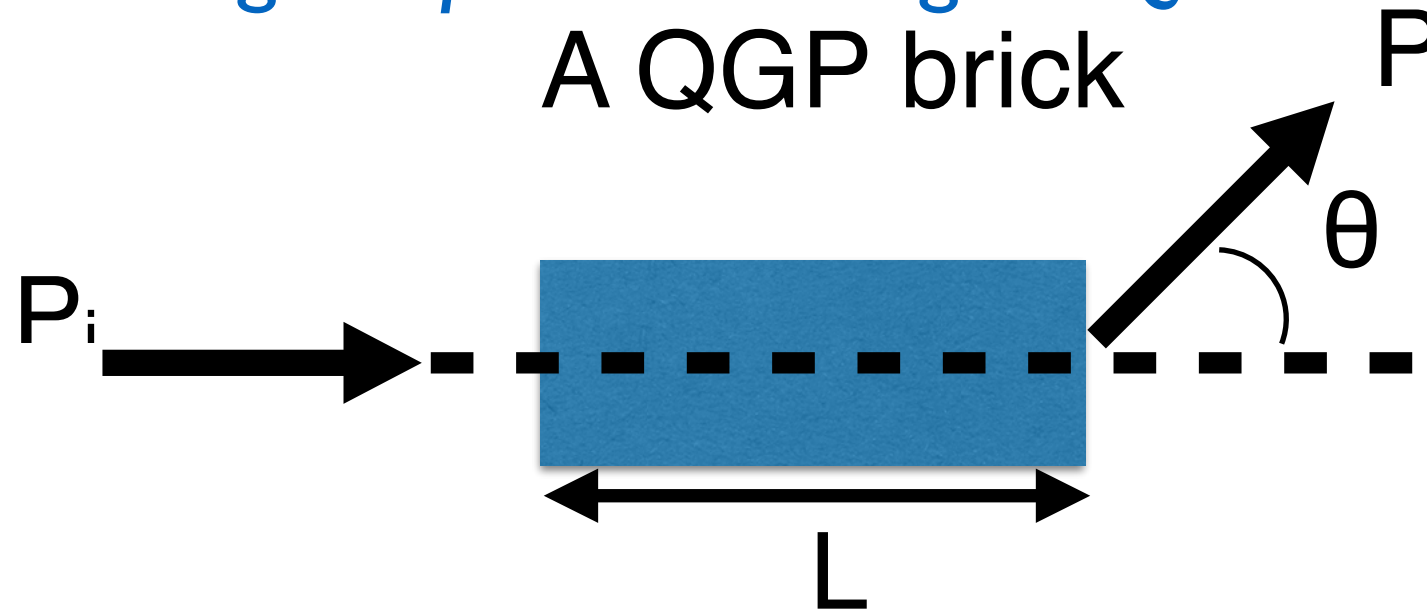
The keyword about the future: evolution

This talk: resolve the individual quarks and gluons in QGP? (via a single scattering with large energy/momentum transfer)

Challenges: sophisticated modeling v.s. precision measurements.

This talk: providing a key theoretical input for future phenomenological analysis.

Shooting an energetic parton through a QGP brick



The object of study: (phase space) distribution of outgoing parton: $F(p, \theta)$.

Our goal: evaluate $F(p, \theta)$ due to a single binary scattering. (see also related study via LBT model.)

Providing inputs for future quantitative studies.

Estimating the threshold angle above which a single scattering becomes dominant and how rare a large angle scattering is.

incident parton + QGP scatterer \rightarrow outgoing parton + X

$$F(p, \theta) = L \sum_{\text{processes}} \int_{k_{\text{scatterer}}} |\mathcal{M}(s, t)|^2 n(k_{\text{scatterer}})$$

The quantity in analogue to $F(p, \theta)$ has been studied previously in the regime

$$p_i/T \rightarrow \infty, \quad \frac{gT}{p_i} \ll \theta \ll 1$$

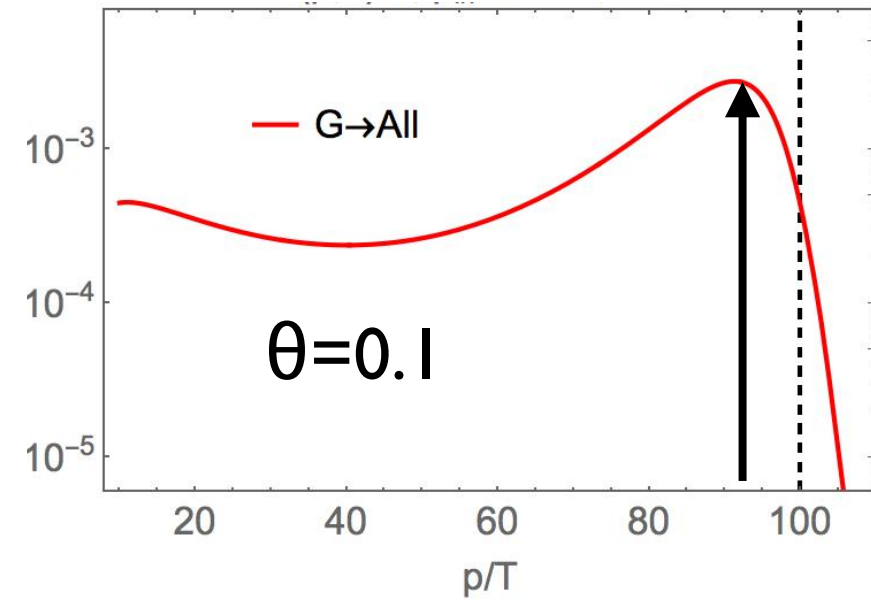
e.g. Aurenche, Gelis and Zaraket JHEP '02; Arnold-Dogan PRD '08; D'Eramo, Lekaveckas, Liu, Rajagopal, JHEP '12...

Our work: p_i/T is large but not infinity + θ **can be** $\mathcal{O}(1)$.

In different kinematic regime, the relative importance among different processes changes.

As a consequence, new feature emerges!

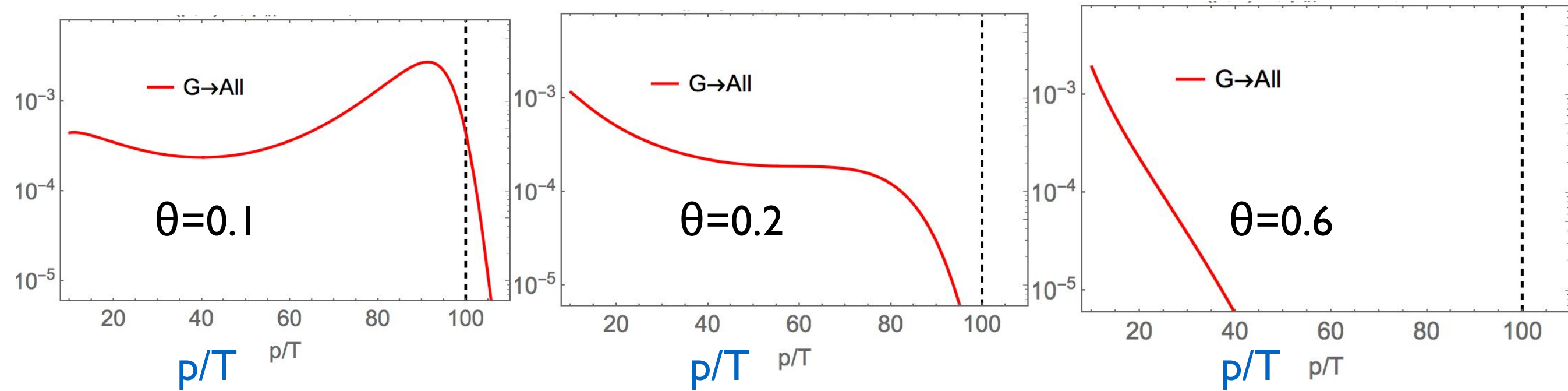
Shooting a gluon with initial energy $p_{in}=100T$



$F(p, \theta)/(g^4 L T)$ vs p/T for different θ s

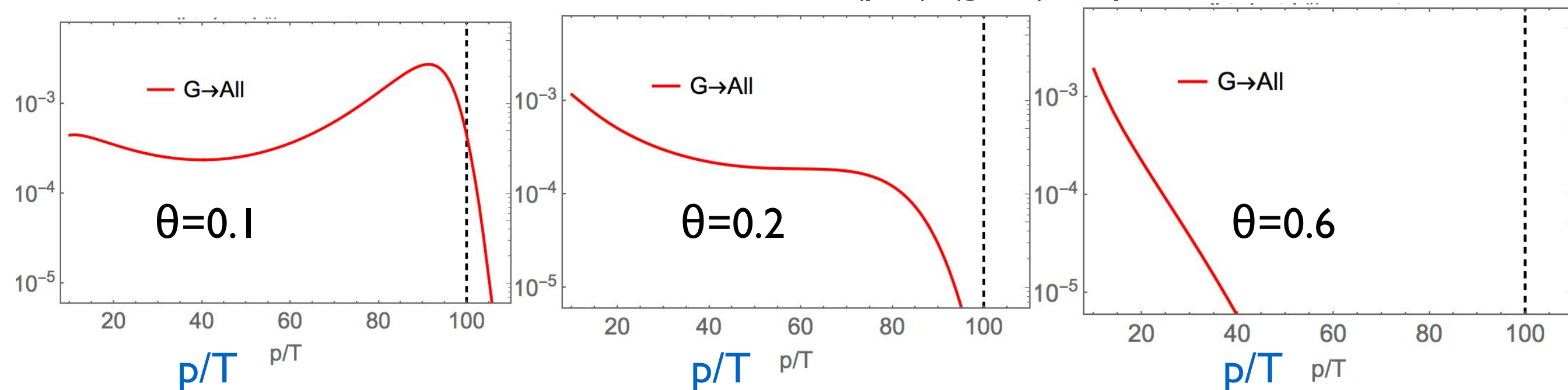
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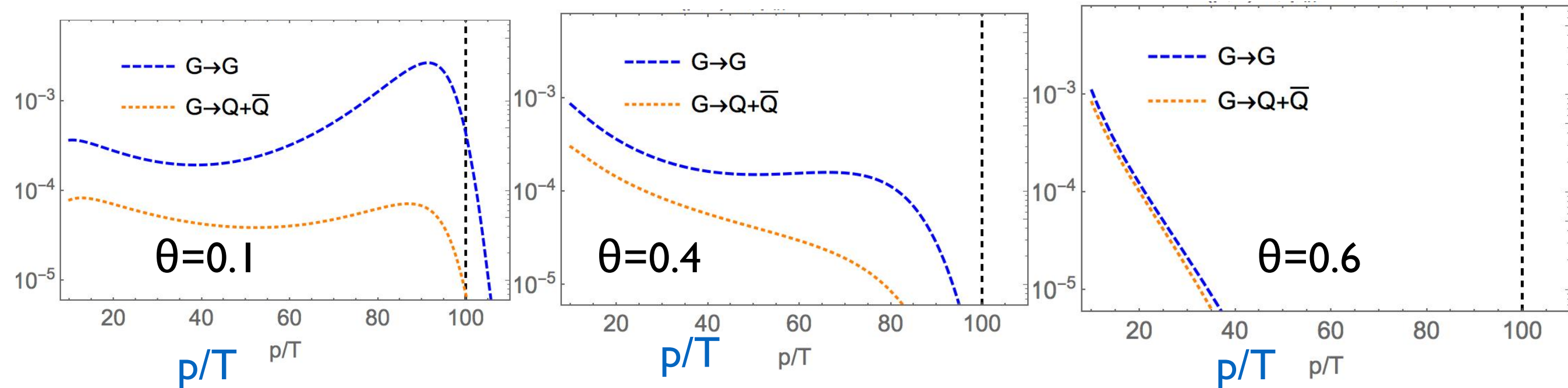


Qualitative changes on p -dependence with increasing θ .

Kinematic constraint: large momentum transfer requires large energy transfer.

At large angle, more outgoing partons are coming from the scatterers in the QGP brick. (Related to this, processes such as $gg \longrightarrow q\bar{q}$ can be as important as “Rutherford scattering”, e.g. $gg \longrightarrow gg$)

Distribution of outgoing gluon and quark. $F(p,\theta)/(g^4LT)$ vs p/T for different θ s

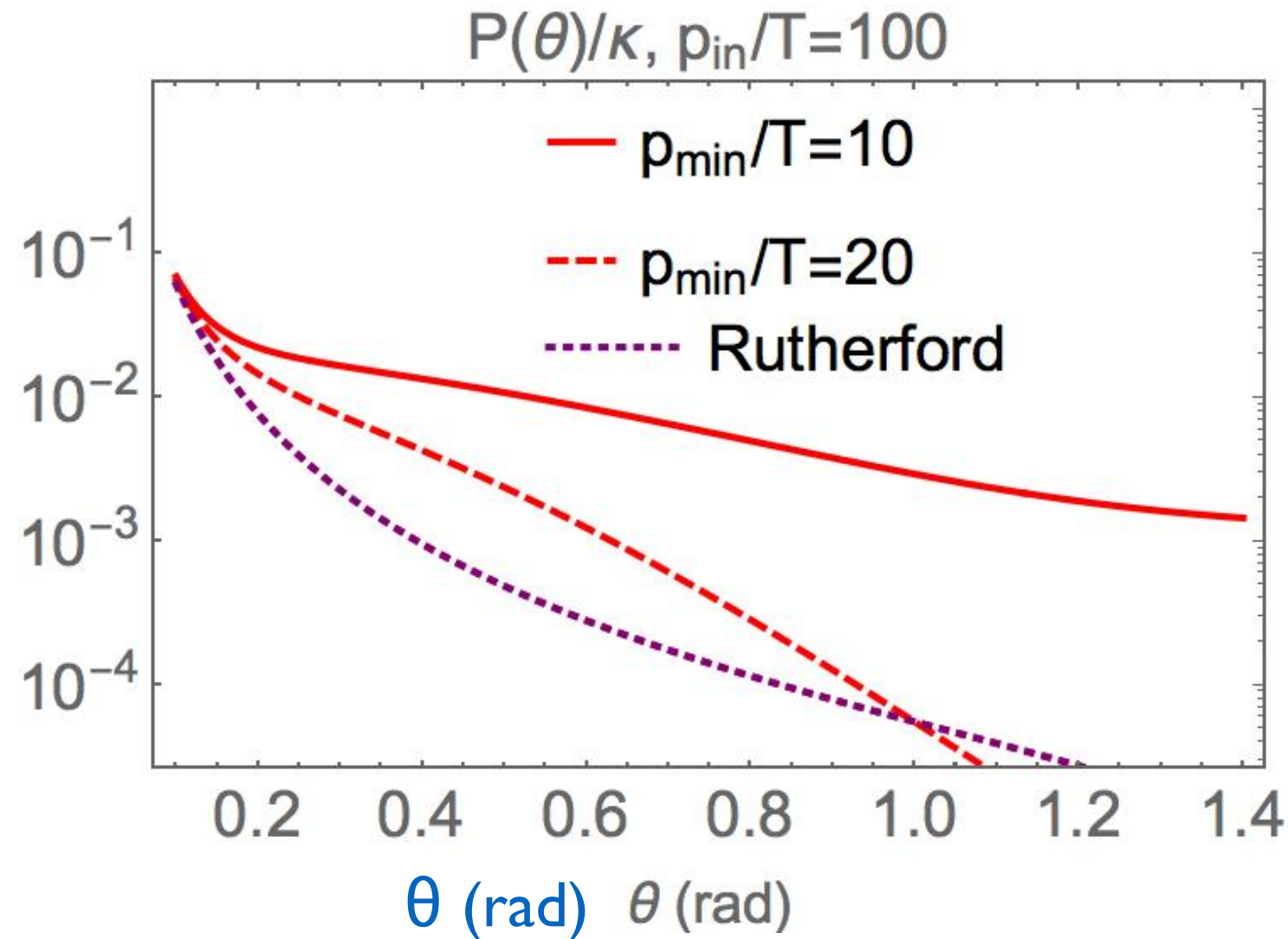


With increasing θ , the number of outgoing quark becomes comparable to that of outgoing gluon.

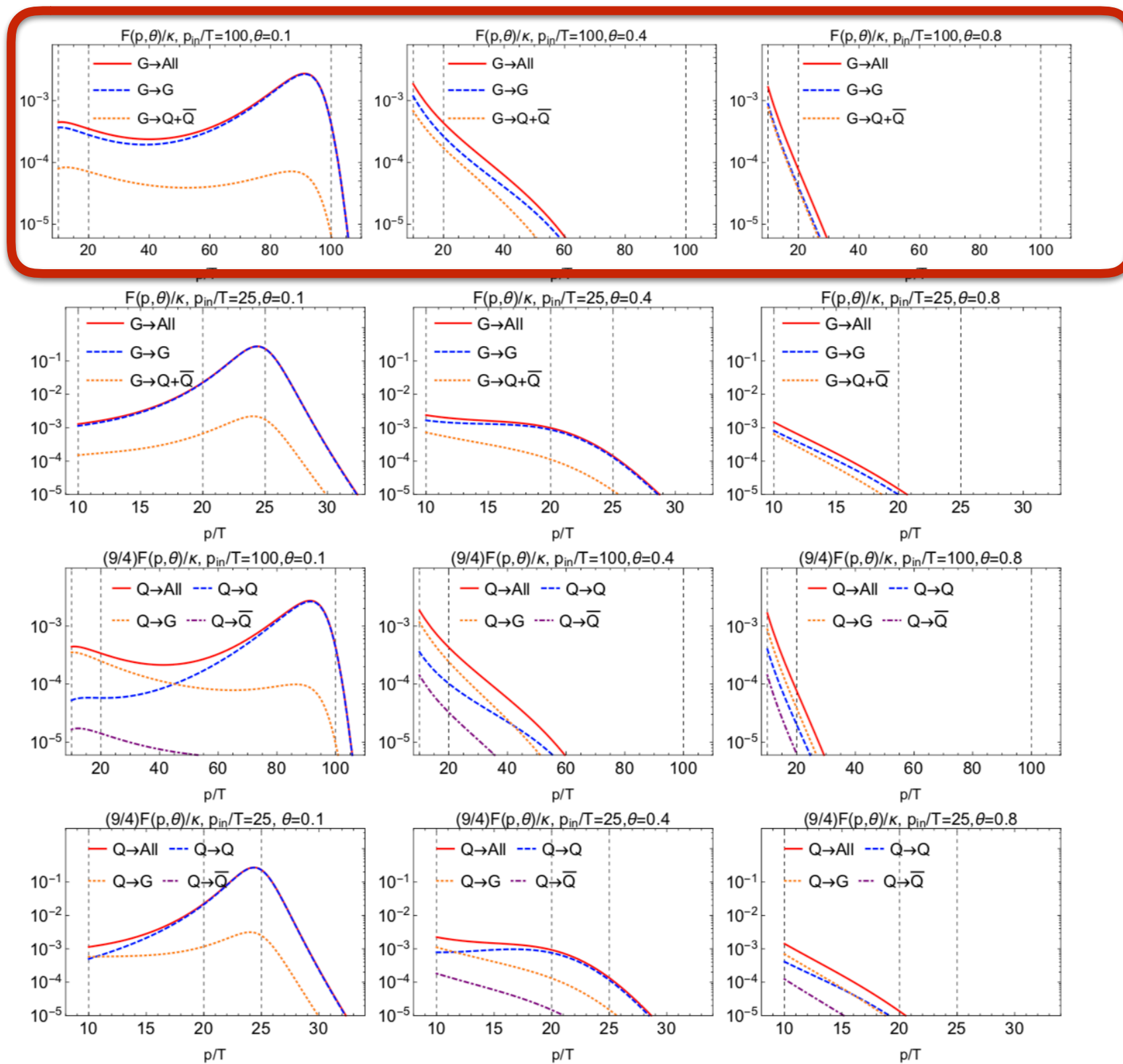
As more partons are coming from the medium, outgoing parton at large θ carries more information about the medium itself.

Angle distribution

$$P(\theta) \equiv \int_{p_{\min}} dp F(p, \theta)$$



(An incident gluon with initial energy $p_i = 100T$.)



For results with other values of p_i/T and the case with an incident quark, see our paper (we are happy to provide tabulated results as well).

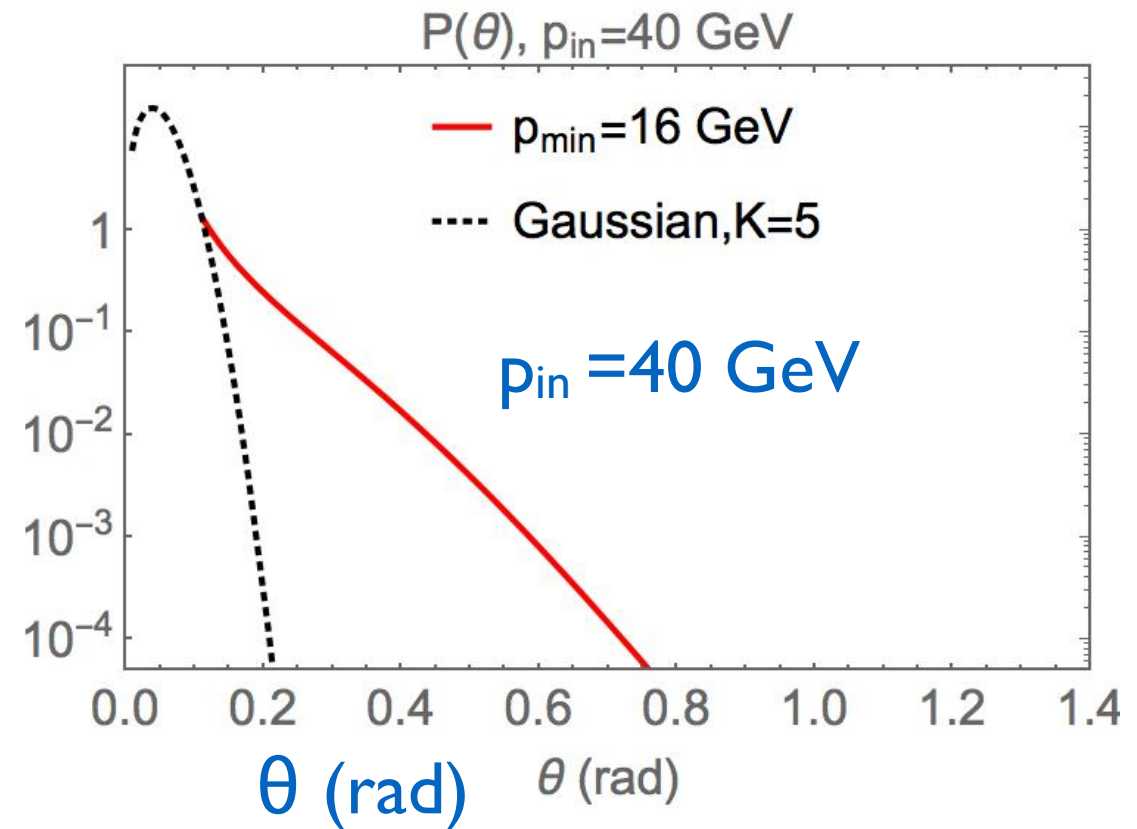
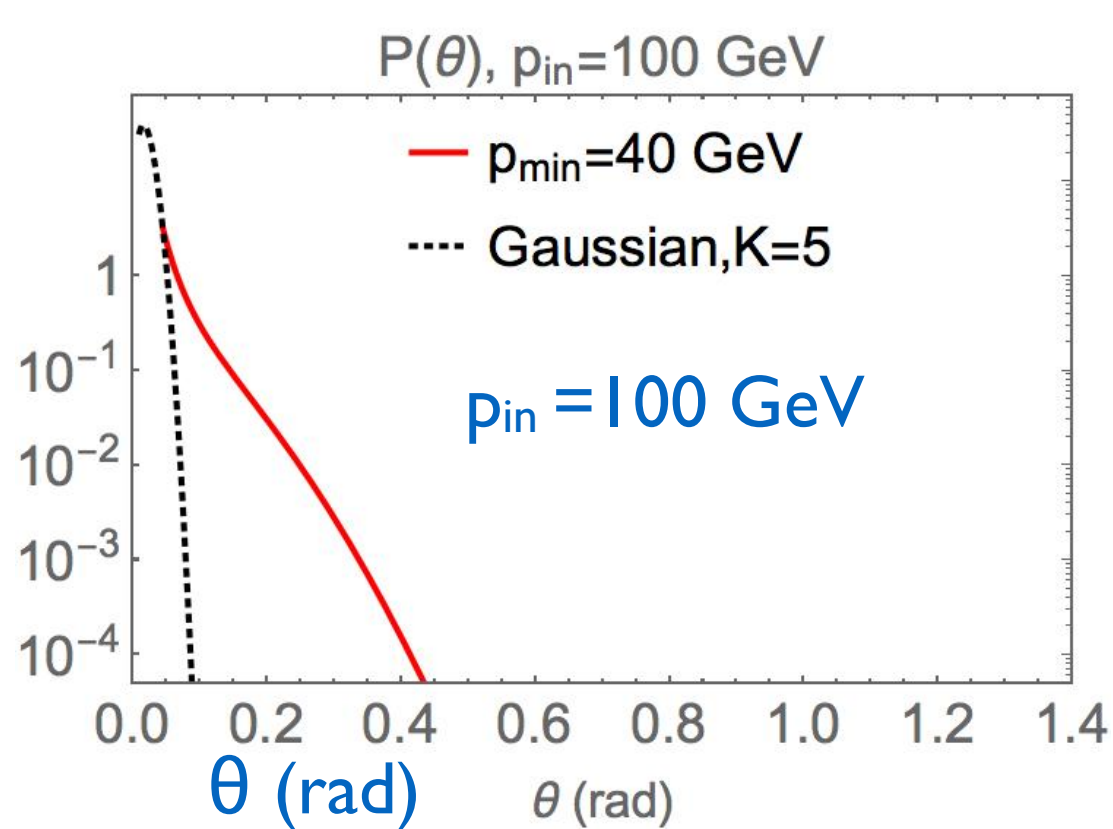
Q1: above which θ a single scattering is dominant over the results from multi-scatterings. ?

c.f. Kurkela and Wiedemann, PLB '14

Q2: In the single scattering dominant regime, how rare a single scattering will happen?

From now on: $g=1.5, T=0.4$ GeV, $L=3$ fm

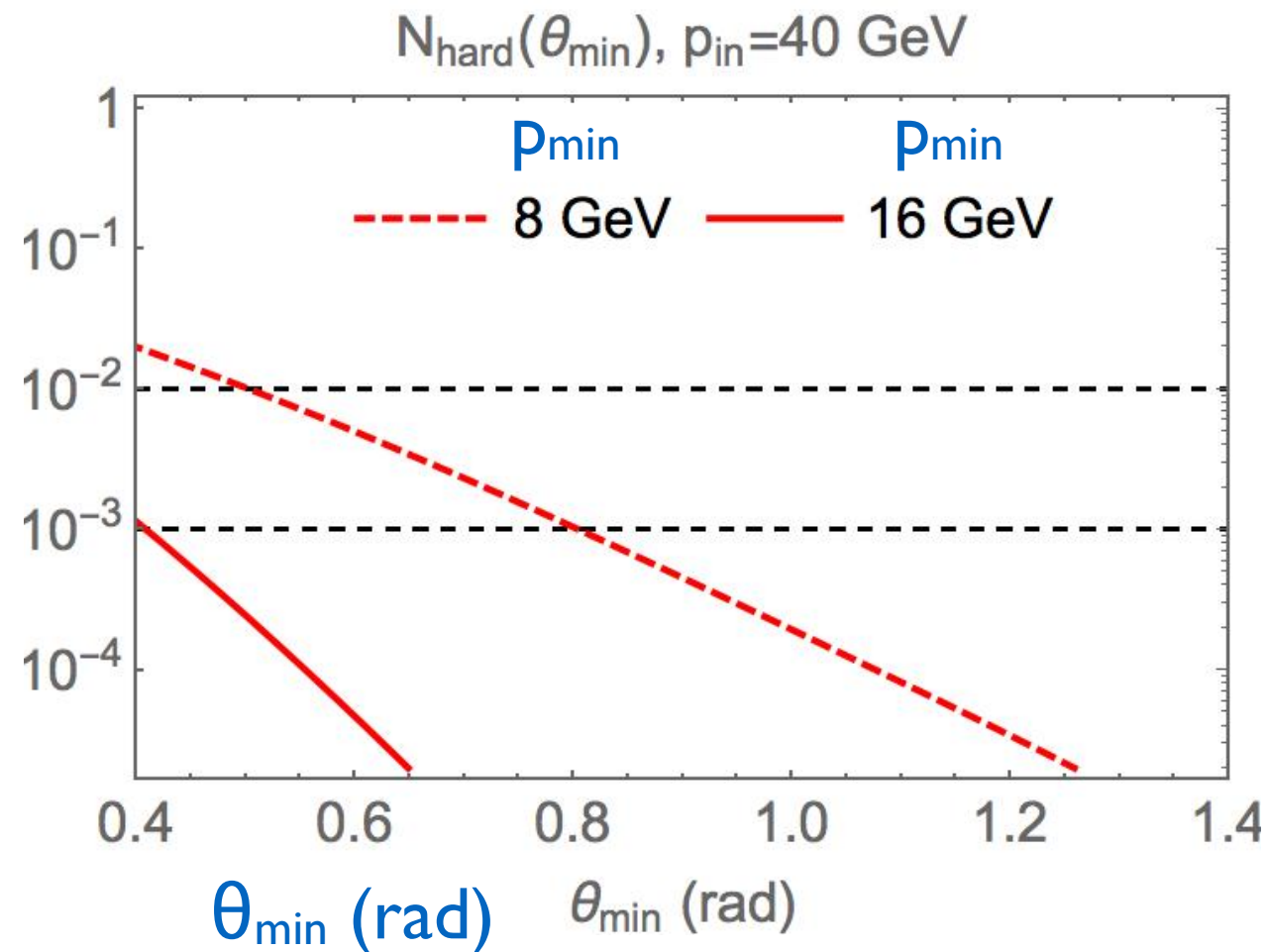
Above which θ a single scattering becomes dominant?



We make the comparison between our results and Gaussian distribution. (We relate the width of Gaussian to jet-quenching parameter.)

Choosing a suitable p_i is helpful for looking for large angle scattering.

$$N_{\text{hard}}(\theta_{\text{min}}) \equiv \int_{\theta_{\text{min}}} d\theta P(\theta)$$



For example: for $p_{\text{min}}=8\text{GeV}$, $N_{\text{hard}} = 0.01$ for $\theta>0.5$ and $N_{\text{hard}} = 0.001$ for $\theta>0.8$.

Summary and outlook

We have evaluated the phase space distribution of an outgoing parton due to a single scattering between an energetic incident parton and the scatterers in QGP brick.

Processes different from Rutherford scattering can be important with large angle.

Future: from an energetic parton to a parton shower; from a QGP brick to the expanding fireball.

Personal perspective: short-distance does not mean that there will be no surprise.(e.g. the phases of large baryon density limit of QCD is rather rich). Look forward to surprises about short-distance behavior of quarks and gluons in QGP.

Back-up



III. Niklas Elmehed. © Nobel Media

Arthur Ashkin

Prize share: 1/2



III. Niklas Elmehed. © Nobel Media

Gérard Mourou

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III. Niklas Elmehed. © Nobel Media

Donna Strickland

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“Extremely small objects and incredibly rapid processes are now being seen in a new light.”

The announcement of Royal Swedish Academy of Sciences

It would be interesting if the “small objects” and “rapid processes” of hot QCD matter being seen.