# Towards a Full Implementation of Conserved Charges in (2+1) Hydrodynamics



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## **Introduction and Motivation**

- The goal of the Beam Energy Scan II project is to continue the search for a critical end point in the QCD phase diagram
- Relativistic viscous hydrodynamics has been extremely successful in describing data
- Initial conditions for charge distributions (baryon number, strangeness, electric) could be subject to fluctuations which propagate through the hydrodynamics, to the final state

# Hydrodynamic Model

- A simple Bjorken expansion can be used to begin to study effects qualitatively [1][2] $\frac{\partial \epsilon}{\partial \tau} = -\frac{\epsilon + p + \pi_{\xi}^{\xi} + \Pi}{\tau} \qquad \qquad \frac{\partial \pi_{\xi}^{\xi}}{\partial \tau} = -\frac{\pi_{\xi}^{\xi}}{\tau_{\pi}} + \frac{4\eta'}{3\tau_{\pi}\tau} - \frac{4\pi_{\xi}^{\xi}}{3\tau} \qquad \qquad \frac{\partial \Pi}{\partial \tau} = -\frac{\Pi}{\tau_{\Pi}} - \frac{\zeta}{\tau_{\Pi}\tau}$
- This is a (0+1) hydrodynamic system, since it evolves strictly in time
- We model the behavior of transport coefficients to be in line with physical expectations
  - <u>On The Left</u>: Shear viscosity with dynamical minimum, pushed to lower temperatures at higher chemical potential
  - On The Right: Two models for bulk viscosity, one as a function of speed of sound, the
- The dynamical behavior of transport coefficients is not well understood

The goal of this project is to study the effects of dynamic transport coefficients on the system's evolution and to quantify how small scale initial state fluctuations can emerge in final state observables



other with fully controlled max, width, and  $T_c$  [3][4]





 $\mu_B[MeV]$ 

## Thermodynamic Model

- Traditionally, hydrodynamics assumes local equilibrium for fluid cells so that the equations are closed with the thermodynamic equation of state (EOS)
- The relevant equation of state for strongly interacting matter is the Nuclear EOS - At  $\mu_B = 0$ , Lattice calculation are matched to a Hadron Resonance Gas description across
  - The finite density and critical point EOS used in this work was found by mapping  $(T, \mu_B)$

ICCING (Initializing Conserved Charges in Nuclear Geometries)

- Initial transverse charge distributions and their diffusive properties are needed for generalizing to (2+1) hydrodynamics
- Using a CGC framework, gluon splitting probabilities and MC methods can convert an energy density profile into charge profiles [7]



#### References

[1] P. Romatschke, Int. J. Mod. Phys. E E 27, 1 (2010); [2] D. Bazow, U. W. Heinz, M. Strickland, Comput. Phys. Commun. 225, 92, (2018); [4] P. Parotto, Et al. arXiv: 1805.05249; [3] J.E. Bernhard, J. Scott, A. Steffen, Nucl. Phys. A A 967, 293, (2017); [4] A. Buchel, Phys. Lett. B B 663, 286, (2008) [5] P. Parotto, Et al. arXiv: 1805.05249; [6] J. Auvinen, H. Peterson, Phys. Rev. C C 88, (2013); [7] M. Martinez, M. Sievert, D. Wertepny, JHEP 02, 024, (2019);