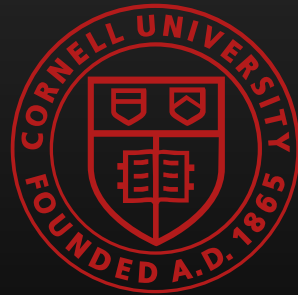


Conformal Freeze-In of Dark Matter

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(Work in progress with S. Hong, M. Perelstein)



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Sept. 27th , Brookhaven Forum 2019

Why?

- We have quite a bit of evidence for the existence of dark matter, but no idea of its microscopic nature.
- Models so far – based on assumption of particle nature of DM.

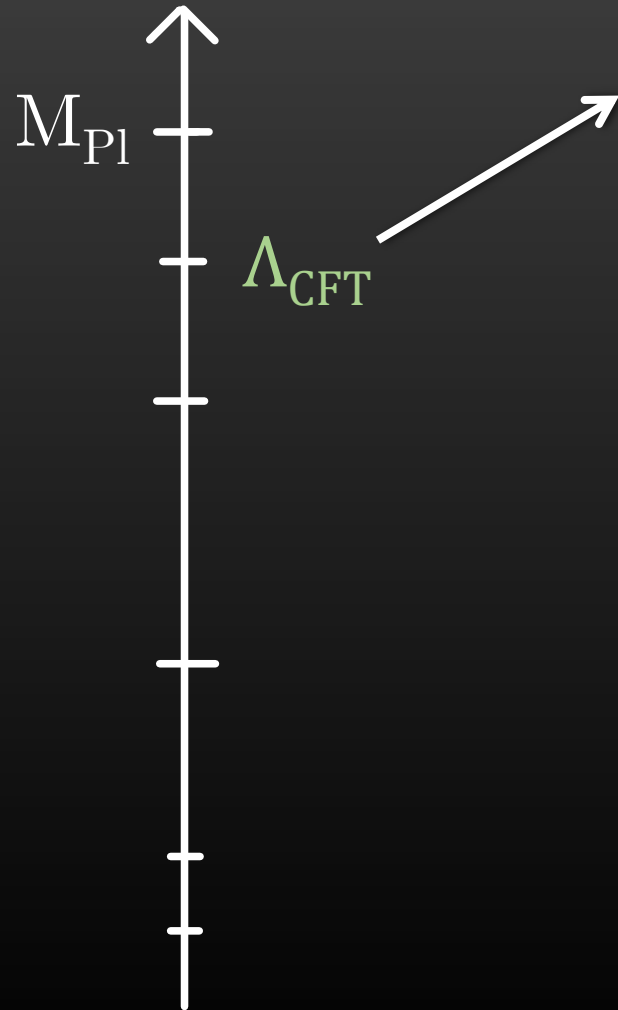
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- What if the thermal history of DM was dominated by a conformal phase?
 1. CFT \Rightarrow No notion of particles possible
 2. Large anomalous dimensions \Rightarrow non-integer operator dimensions

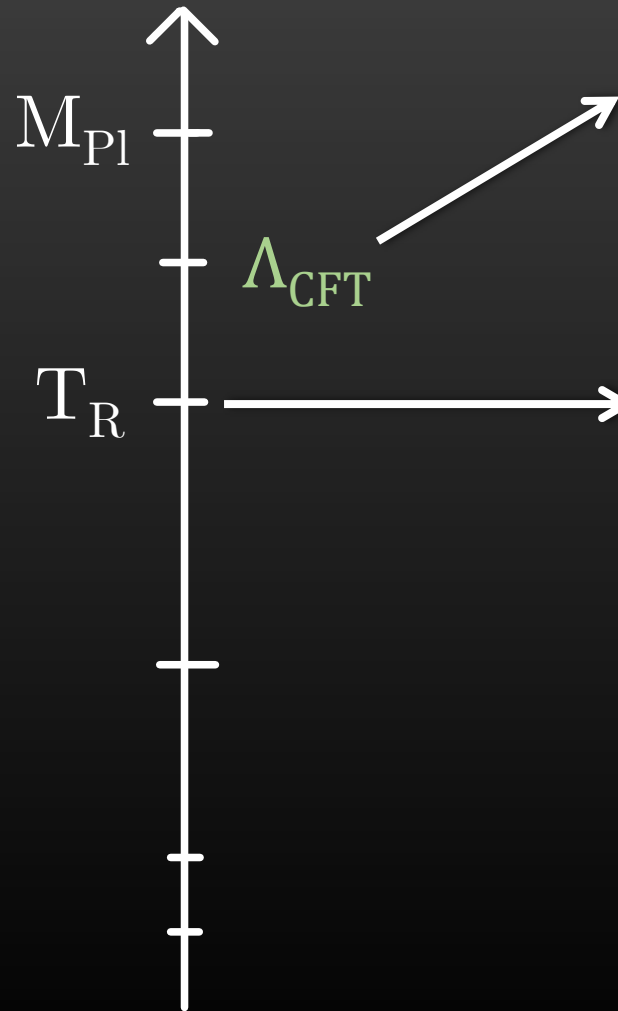
How?



Dark sector phase transition from UV theory (e.g. Banks-Zaks theory) to CFT phase.

$$\mathcal{L}_{\text{int}} = \lambda_{\text{CFT}} \frac{\mathcal{O}_{\text{SM}} \mathcal{O}_{\text{CFT}}}{\Lambda_{\text{CFT}}^{D-4}} ; \quad D = d_{\text{SM}} + d_{\text{CFT}}$$

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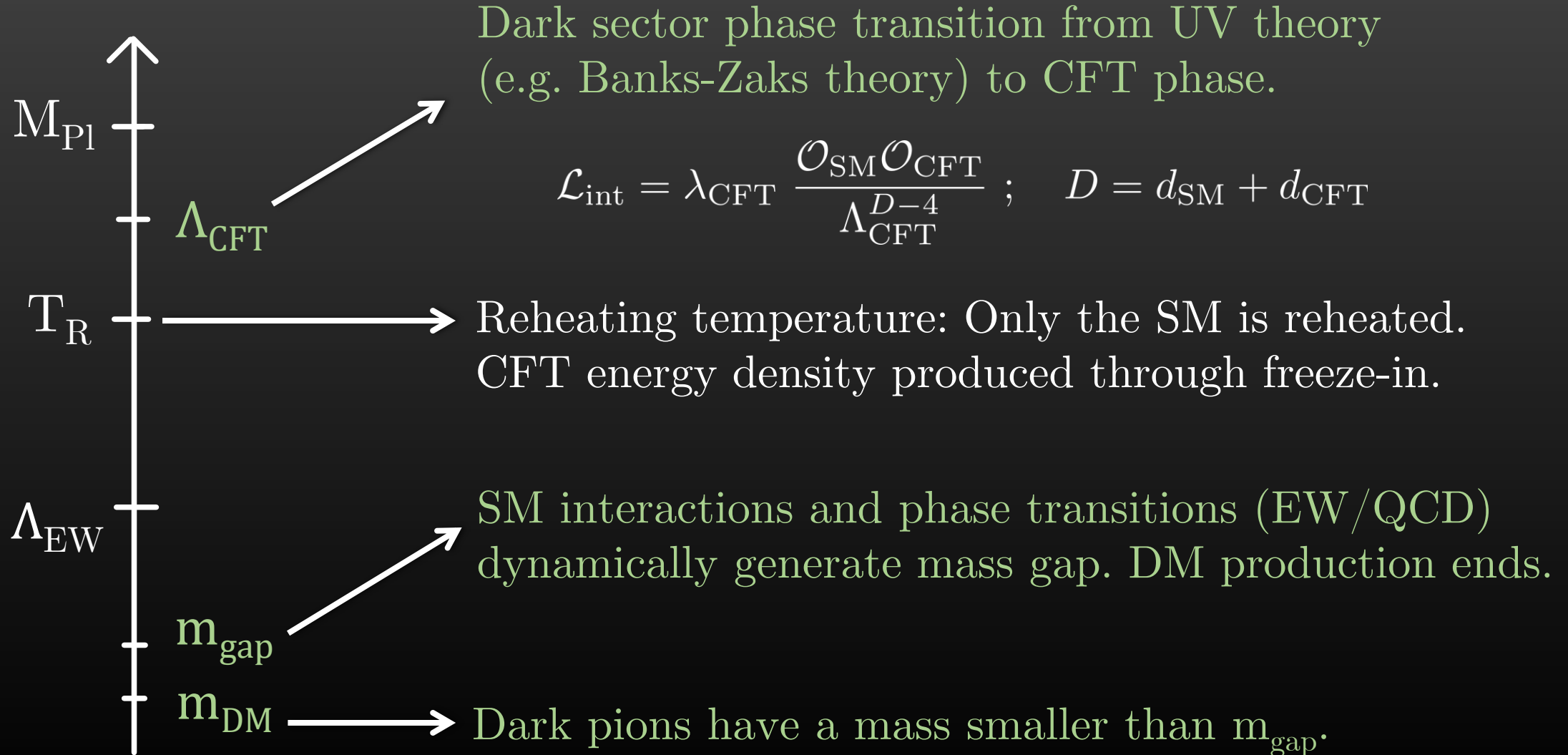


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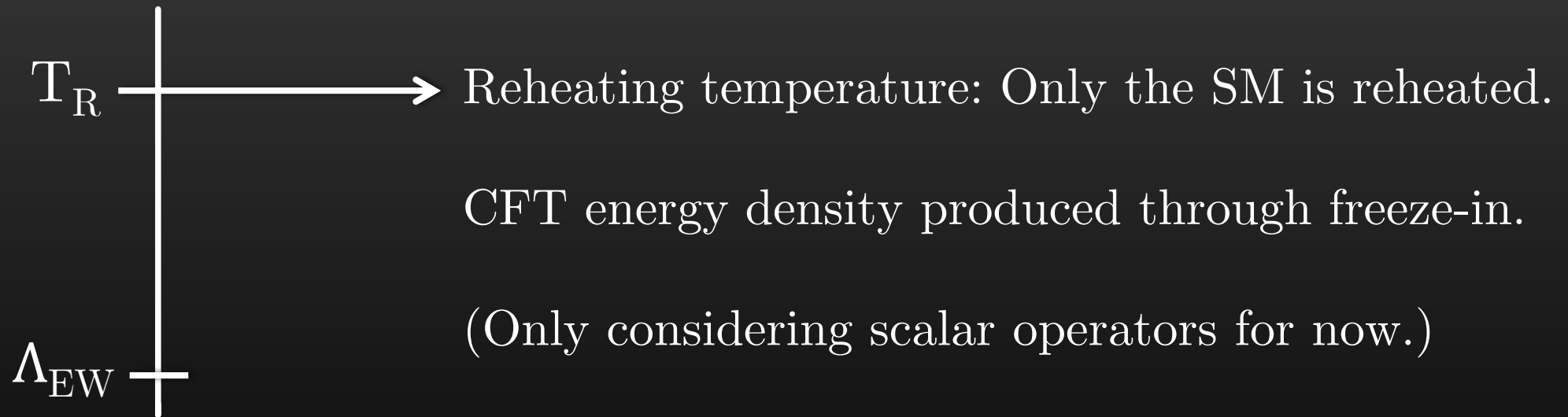
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Reheating temperature: Only the SM is reheated. CFT energy density produced through freeze-in.

How?



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Boltzmann Equations

➤ No particles or number densities \Rightarrow Use energy density instead!

$$T_{\mu}^{\mu} = 0 \Rightarrow P_{\text{CFT}} = \frac{1}{3} \rho_{\text{CFT}}$$

$$\Rightarrow \frac{\partial \rho_{\text{CFT}}}{\partial t} + 4H \rho_{\text{CFT}} = C$$

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What is the collision term?

Can derive $\text{SM} \rightarrow \text{CFT}$ term, but for $\text{CFT} \rightarrow \text{SM}$, need finite temperature

CFT correlators, $\langle \mathcal{O}_{\text{CFT}} \mathcal{O}_{\text{CFT}} \rangle_T$: unknown for $D > 2$!

Boltzmann Equations

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- To ignore backreaction, need $T_{\text{CFT}} \ll T_{\text{SM}}$
- Weak coupling, CFT should not be in thermal equilibrium with the SM
 - Solution: Freeze-In!
- Boltzmann Equation with this assumption:

$$\Rightarrow \frac{\partial \rho_{\text{CFT}}}{\partial t} + 4H\rho_{\text{CFT}} = n_{\text{SM}}^2 \langle \sigma(\text{SM} \rightarrow \text{CFT}) v E_{\text{tot}} \rangle$$

Simple Dimensional Analysis

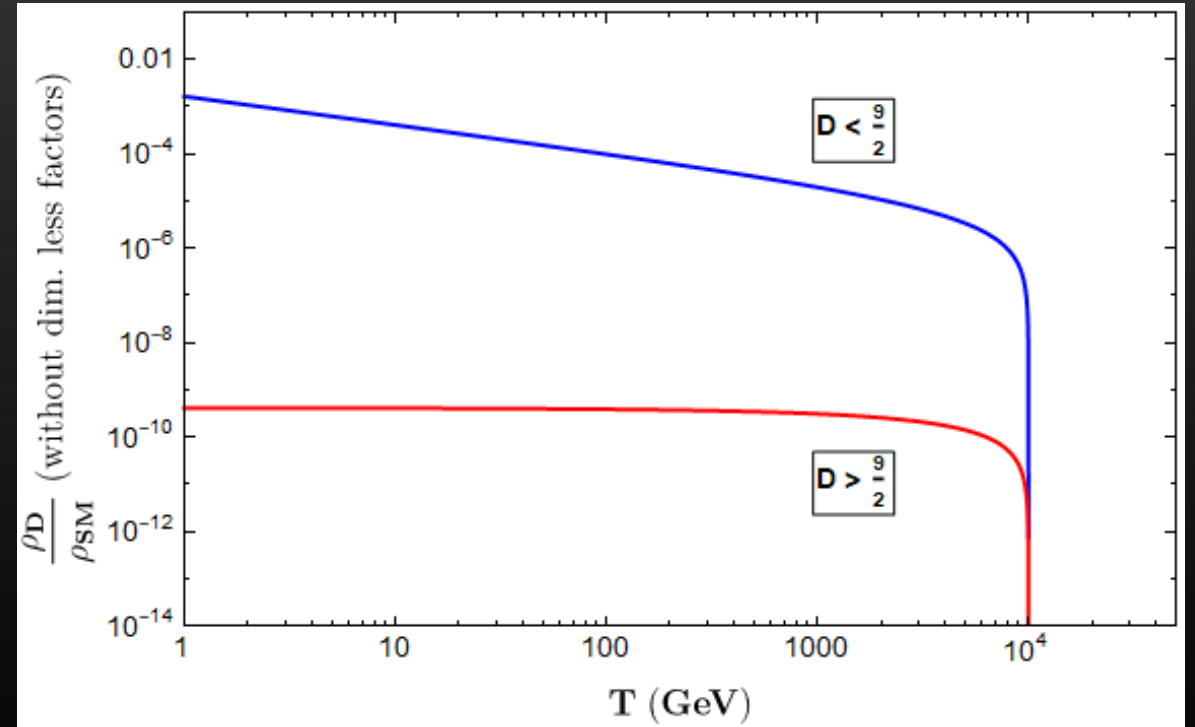
- Without calculating the actual collision term, we can predict how the energy density will grow:

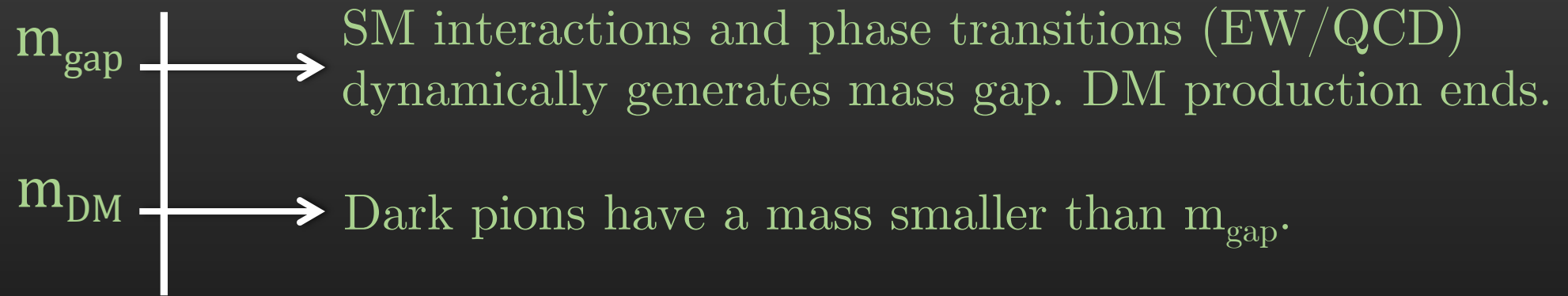
$$n_{\text{SM}}^2 \sim T_{\text{SM}}^6 ; \langle \sigma v E \rangle \sim \frac{T_{\text{SM}}^{2D-9}}{\Lambda^{2(D-4)}}$$

$$\Rightarrow C \sim \frac{T_{\text{SM}}^{2D-3}}{\Lambda^{2D-8}}$$

$$\Rightarrow \rho_{\text{CFT}} \sim T^4 \times \frac{T_R^{2D-9} - T_{\text{SM}}^{2D-9}}{2D-9}$$

- NOT freeze-in for $D > 4.5$





Concrete Example: $\mathcal{O}_{\text{SM}} = H^\dagger H$

➤ Production modes:

→ Above weak scale:

▣ Annihilation ($H H \rightarrow \text{CFT}$)

→ Below weak scale:

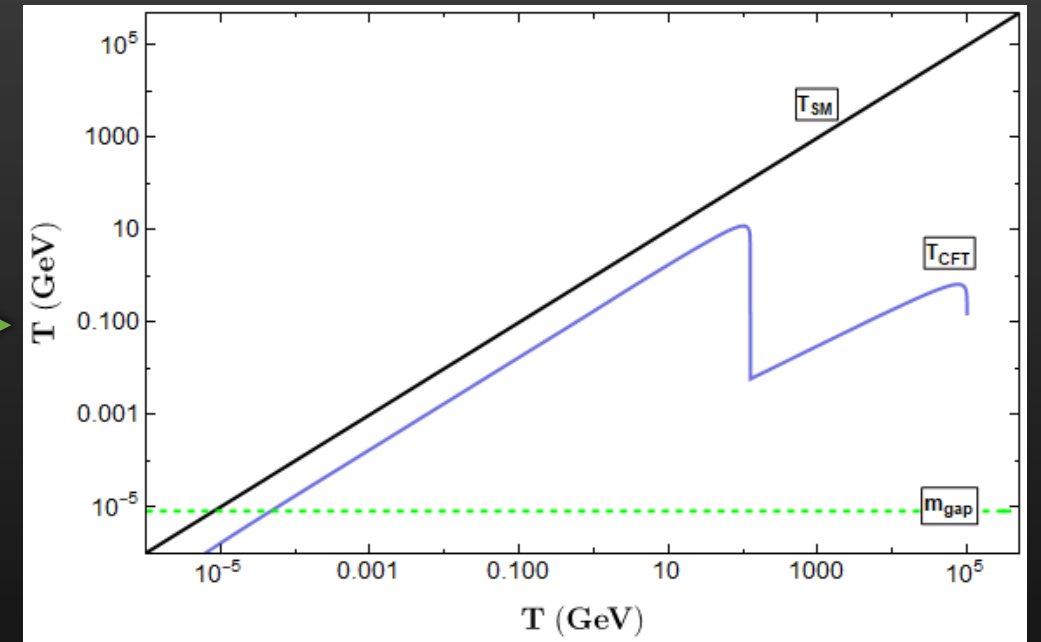
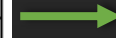
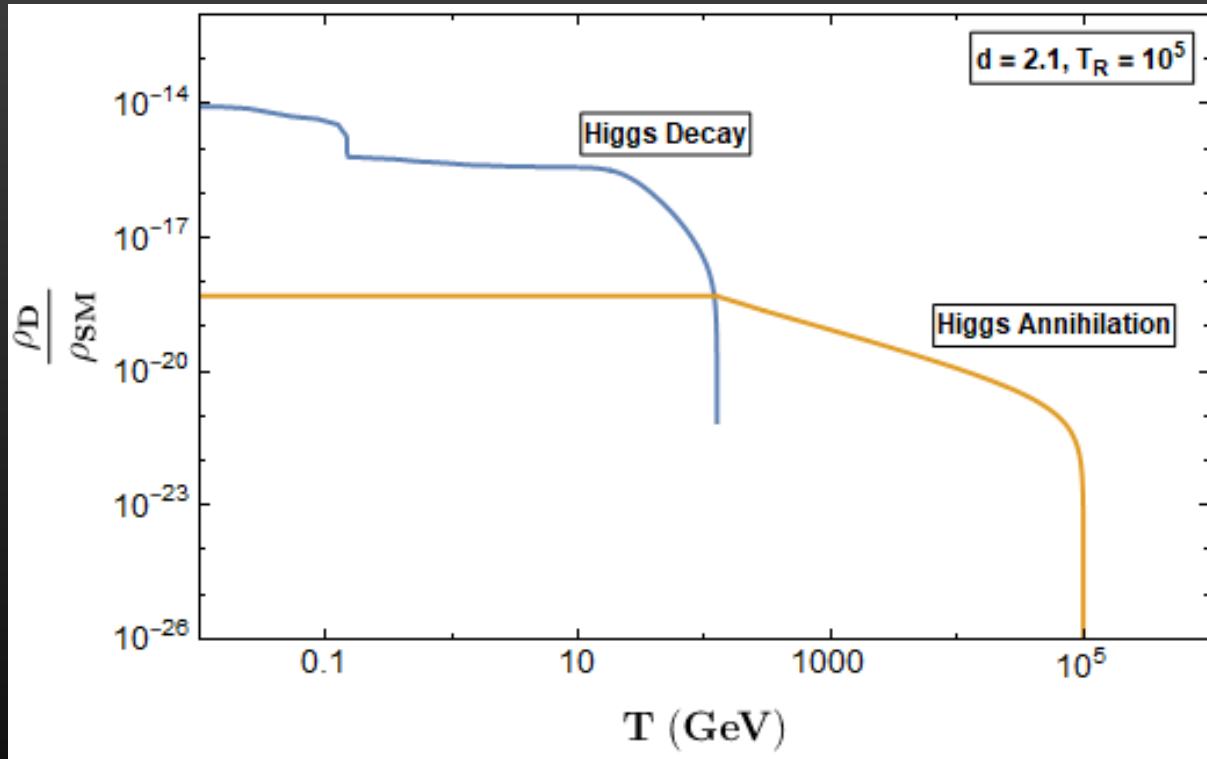
▣ Decay ($H \rightarrow \text{CFT}$)

▣ Quark/gluon fusion through Higgs portal ($Q Q / g g \rightarrow \text{CFT}$)

➤ When SM scale becomes relevant/deformation to CFT is significant, conformality is lost and a mass gap is generated.

e.g. from simple dim. analysis, for $H^\dagger H$,
$$m_{\text{gap}} = \left(\frac{v^2}{\Lambda^{(D-4)}} \right)^{\frac{1}{4-d}}$$

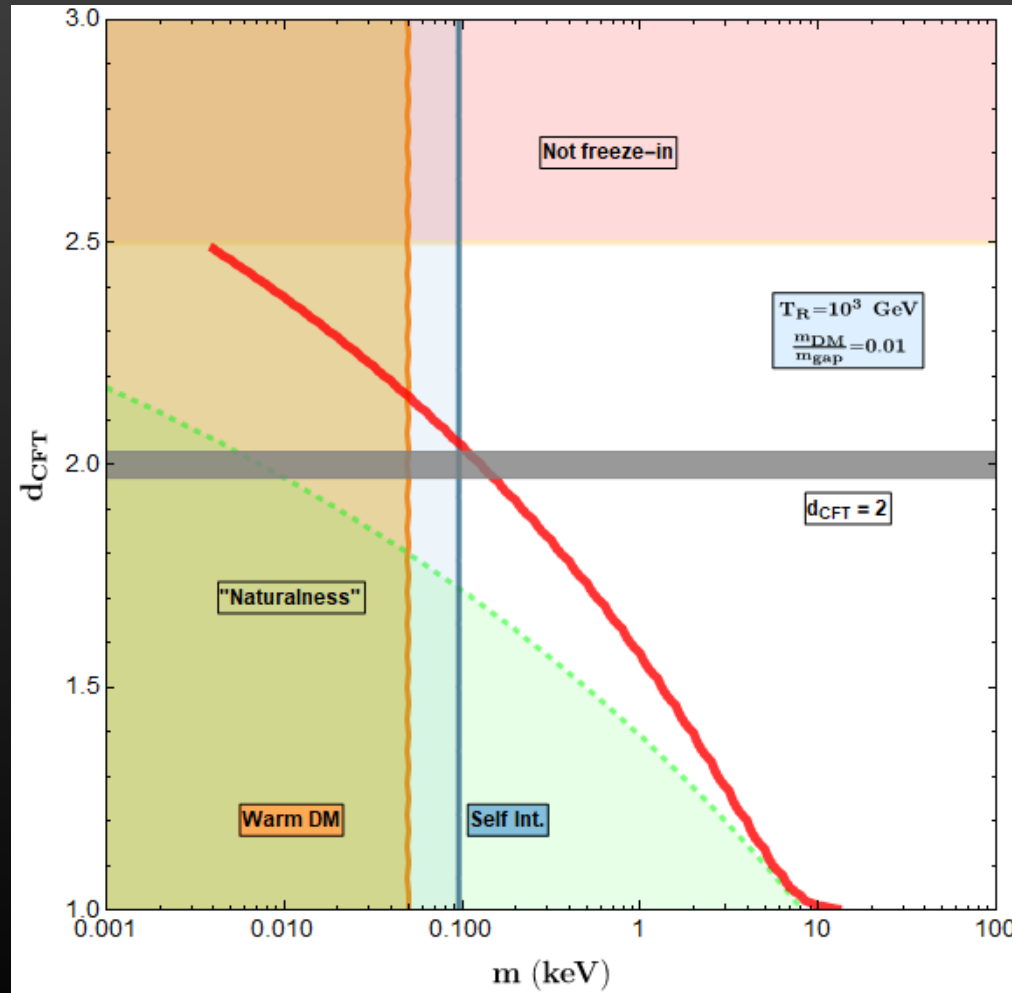
Concrete Example: $\mathcal{O}_{\text{SM}} = H^\dagger H$



$T_{\text{CFT}} \ll T_{\text{SM}}$ as required.

Higgs decay is the most important process in the Higgs scalar operator case.

Relic Density Plot for $\mathcal{O}_{\text{SM}} = H^\dagger H$



Light keV scale DM!

Note that the WDM bound is weaker for our case.

Typical Higgs portal constraints that are beyond this plot:

- Higgs invisible decay
- Supernova bounds
- Stellar Cooling
- Rare meson decays

Other Constraints

- Direct Detection: DM is too light to be relevant.
- BBN: No ΔN_{eff} constraint, as energy in dark sector is very low at BBN.

Work in progress:

1. Beam dump experiments: Similar to rare meson decays; most likely not relevant (more careful check to be completed).
2. CMB distortions.

Conclusions

- Possible to have naturally light dark matter candidate!
- Non-integral operators in the dark sector's history
- Dynamically generated mass gap: mass is linked to coupling.
- Minimal model, with essentially 2 parameters: d , and $\frac{m_{\text{gap}}}{m_{\text{DM}}}$
- Look out for our paper later this year!

Thank You!