A RICH Detector: HBD and Meta-material Technology EIC PID Workshop @ SBU

Klaus Dehmelt

SUNY Stony Brook

July 10, 2019



SBU RICH Prototype in eRD6

Ring Imaging Cerenkov - RICH Detector with high momentum reach aims at

- Low index of refraction of the radiator medium $ightarrow {\sf CF}_4$
- Short radiator length, windowless
- High count of measured photoelectrons
- Precise position determination of each photo-electron





RICH Technology

- Ring imaging requires focusing of Cerenkov photons into ring

 radius directly related to Cerenkov angle
- \blacktriangleright One option: perform focusing with mirror \rightarrow place photo-detector at focal plane
- Cerenkov light yield

$$\frac{dN_{p.e.}}{dx} = 2\pi\alpha Z^2 \sin^2 \theta_{\mathbf{C}} \int_{\lambda_{min}}^{\infty} \varepsilon(\lambda) \frac{d\lambda}{\lambda^2}$$

 $[\]varepsilon(\lambda)$: overall efficiency factor leading to detection of N_{p.e.}; includes effects to story Broot University due to absorption, reflection, transmission, and detection probability

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Vacuum Ultraviolet (VUV with 200 nm $>\lambda>$ 100 nm) photons should be principle goal in making most compact detector design

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Issue 1: Photo-sensitive detector physically separated from medium

Issue 2: Mirror \rightarrow cutoff wavelength

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A Possible "Solution"

- A. Windowless photocathode
 - \blacktriangleright Use medium for photo-detection \rightarrow gas detector with photo-cathode
- B. Quintuple GEM photo-detector
 - Flexible Micro-pattern Gas Detector (MPGD)
- C. VUV high reflective mirror coating
 - \blacktriangleright Di-electric mirror with MgF $_2$ coating

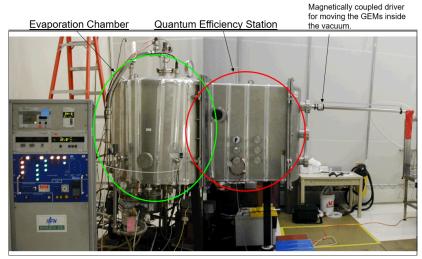


Windowless Photocathode & Quintuple GEM

- ► Gas Electron Multiplier (GEM) invented 1997 by F. Sauli
- Thin polymer foil with copper-cladding, perforated with a high density of microscopic holes
- ► Foils can be stacked → amplification load reduced at each element, allowing for safe operating conditions
- Can be combined with photo-cathode
 - $\star\,$ GEMs have Ni and Au over-coatings to hide the copper
 - $\star\,$ Deposition of thin layer (\sim 300 nm) of CsI on top of GEM that is facing the radiator medium
 - $\star\,$ Work-function of CsI \sim 6.2 eV $\rightarrow \lambda <$ 200 nm
- Photo-detector directly exposed to Cerenkov medium

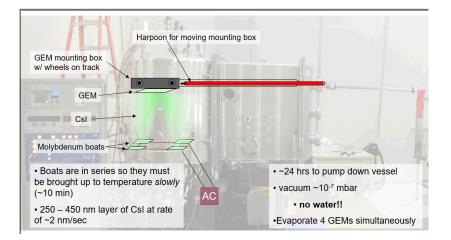


GEM Coating In-house





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GEM Coating In-house

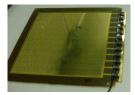
READY FOR EVAPORATION

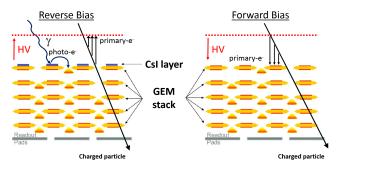




Quintuple GEM

GEM-stack photocathode combination à la Hadron Blind Detector (HBD) @ PHENIX





Quintuple GEM

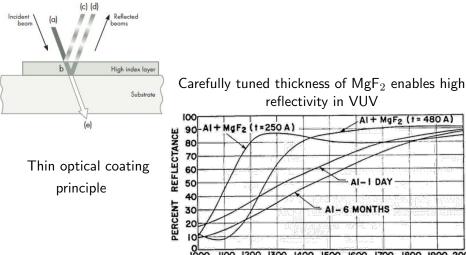
- Why Quintuple-GEMs?
 - A. High detection efficiency for single photo-electrons; CsI coated GEM could limit gain capability \rightarrow HBD application yielded efficiency for single photoelectron avalanche detection was $\frac{1}{e} \sim 37\%$ with triple-GEM setup
 - B. Success in achieving high gain from photosensitive GEM stack is partly due to fact that photocathode itself is optically shielded from avalanche \rightarrow mirror poses risk of background light from avalanches in the first hole layer (CF₄ produces light at \sim 160 nm during avalanche) being reflected back onto the photocathode surface;

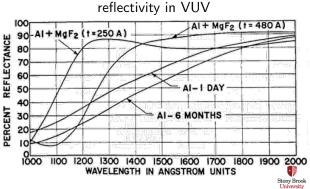
fifth GEM to be operated at gain \sim 1 for minimizing risk



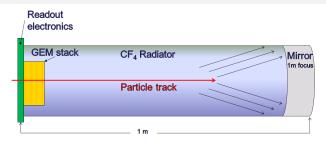
Scintillation no issue due to high granularity of readout

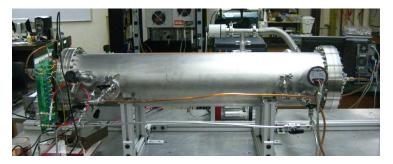
VUV mirror





RICH Detector Prototype Setup







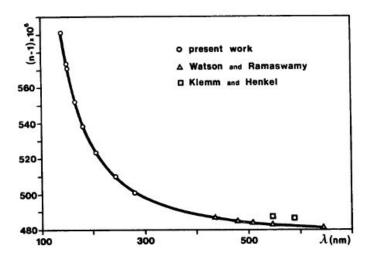
Detector Prototype Setup

- Quintuple-GEM module
 - \star detection plane/entrance window
 - $\star\,$ standard 10×10 cm 2 GEMs with a hole diameter of 70 μm and 140 μm pitch
 - $\star\,$ Csl coating \rightarrow to exceed a certain thickness of photosensitive material (> 200 nm)
 - $\star\,$ high quantum efficiency of up to 70% at smallest wavelengths ($\sim\,$ 120 nm)
 - \blacktriangleright readout via square array composed of 512 tessellated hexagons with apothem of ${\sim}2.5~\text{mm}$
 - electronically readout with APV25 chip
 - ▶ 128 readout channels per chip, 192 element deep pipeline
 - 50 ns CR-RC type shaping amplifier, pulse shape processing stage
 - ▶ noise $\sim 600e^-$, gain $\sim 10^4$
- Mirror
 - \star focusing device/exit window
 - $\star\,$ curvature radius r = 2 m \rightarrow focal plane of mirror coincides with surface of CsI-coated GEM



Detector Prototype Setup

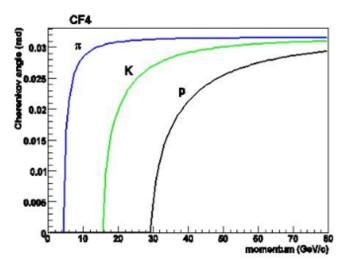
- Radiator
 - $\star~{\rm Tetrafluoromethane}~{\rm CF_4},~n_{CF_4}(\lambda\leq~200~nm)\geq 1.00052$
 - $\star\,$ recirculating, clean gas system \rightarrow control impurities (H_2O, O_2)





Detector Prototype Setup

- Radiator
 - $\star~$ Tetrafluoromethane CF4, $n_{CF4} (\lambda \leq~200~nm) \geq 1.00052$
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Test-Beam SLAC-ESTB

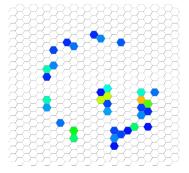
SLAC provides electrons: proof-of-principle test

- \blacktriangleright Electrons saturate Cerenkov angle at already low energies \rightarrow no velocity measurements necessary
- 9 GeV electron beam @ 5 Hz was collimated into test-beam area
- With 70% probability electron bursts were empty (no electrons) → most bursts containing two or more electrons were excluded
- Triggering with plastic scintillator and Lead-Glass (PbGI) calorimeter downstream, included into data acquisition via a DRS4 chip-based readout system



Data analysis

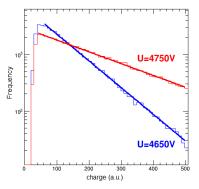
- Analysis according to identification and measurement of the ring diameters
- Pattern recognition algorithm for identifying pads that were producing rings
- Fitting procedure for determining position and diameter of ring $\{x,y,d\} \rightarrow$ combinatorial Hough transform chose most probable triplet-combination



Typical event from ESTB campaign

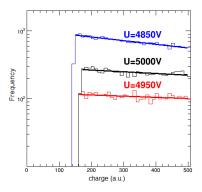


Charge spectrum for "low" gain setting



Classic pulse height distribution behavior according to exponential form

Charge spectrum for "high" gain setting

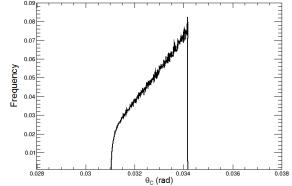


Polya distribution; saturation and firing of neighboring pads

Expected number of photons per ring

MC simulation taking into account

- transverse diffusion of the charge cloud during amplification process,
- Cerenkov-angle function of wavelength
- weighting effect for the Cerenkov intensity

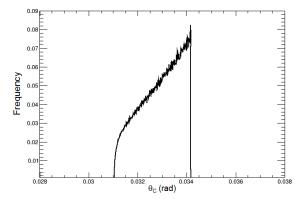


Chromatic dispersion $\sigma_{\theta_C}/\theta_C \sim 2.5\%$, $\overline{n}_{\gamma,MC} = 16$ vs $\overline{n}_{\gamma,meas.} = 9$

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- transverse diffusion of the charge cloud during amplification process,
- Cerenkov-angle function of wavelength
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Degradation of photocathode/mirror most likely caused

$$\overline{n}_{\gamma,meas.} << \overline{n}_{\gamma,MC}$$

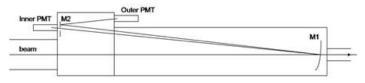


Test-Beam Fermilab-FTBF

Main goal: assess detector performance for identification of hadrons

The hadrons

- secondary particles produced by 120 GeV/c proton beam indecent upon a target
- momentum range of secondaries is 1-32 GeV/c (limited by the beamline optics)
- ▶ trigger on particles under consideration with FTBF differential Cerenkov counter (adjustable index of refraction → gas pressure)
- $\pi/K/p$ @ 20 GeV/c, 25 GeV/c, and 32 GeV/c



Higher momentum secondaries available from the "upstream target" \to most kaons produced upstream would have decayed before reaching our apparatus

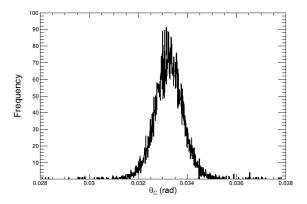


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Test-Beam FTBF

- Same setup as at ESTB with refurbished CsI-GEM
- GEM-tracker hodoscope for determining ring center
- Preparation for FTBF with simulations

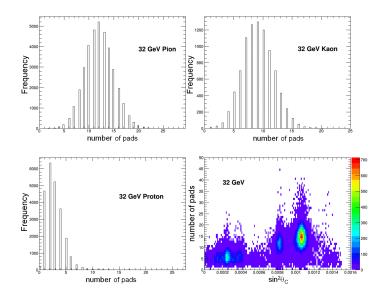
Simulated Cerenkov angle for pions with momentum of 32 GeV/c in ${\rm CF}_4\to\theta_C=(33.2\pm1.0)\ mrad$





Test-Beam FTBF

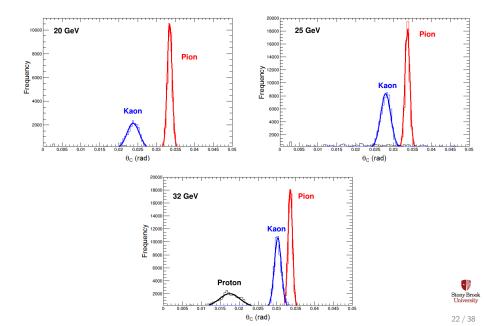
Distributions for number of responding pads for various particles





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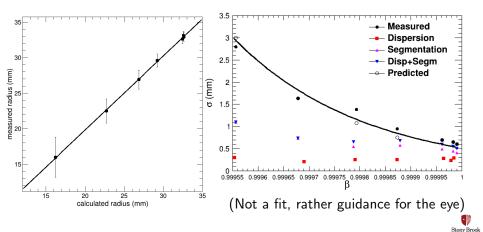
Test-Beam FTBF - Particle Separation



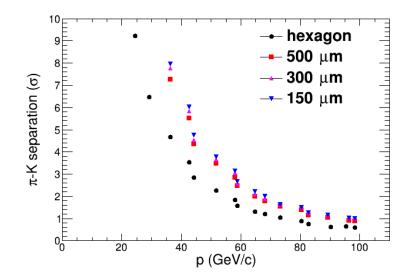
Test-Beam FTBF

Good matching of radii

Contributors of resolution smearing

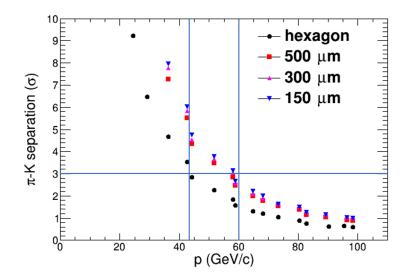


Test-Beam FTBF: Separation Power



Test-Beam FTBF: Separation Power

Hexagonal pads not sufficient for separation @ 50 ${\rm GeV/c}$





RICH Prototype Studies in eRD6 - 2015

Conclusion then:

... segmentation of the readout, we have used for our prototype is not sufficient ...

 \ldots radiator gas, CF_4 provides only little diffusion so that charge sharing over more than one pad on the readout plane is essentially excluded \ldots

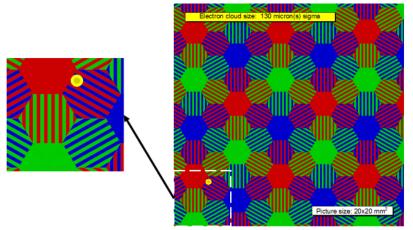
Possible solution then:

- ... to overcome this limitation one has to either reduce the pad size which will result in a significantly higher channel count ...
- ... to introduce charge broadening via resistive layers, however, this introduces other complications which makes this approach less desirable ...
- ... unconventional pad shapes ...



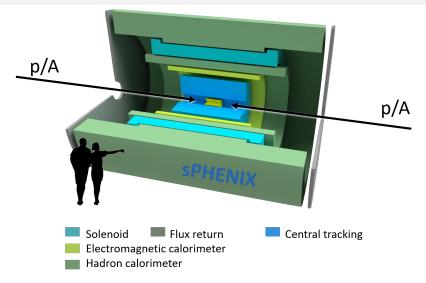
RICH Prototype Studies in eRD6 - 2015

Alexander Kiselev



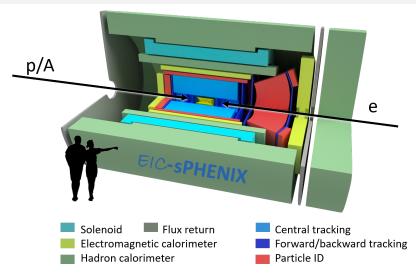


Motivation - Reuse sPHENIX for Day-1 EIC-Detector





Motivation - Reuse sPHENIX for Day-1 EIC-Detector



Detector gets very crowded \rightarrow Particle ID with least space Least space and many more issues might be resolved!



Possible solution now:

- In to change the conditions for the radiator material in the way that it acquires properties of high index-of-refraction material in one direction and small index-of-refraction in the other direction ...
- It is conceivable that a material can be constructed whose permittivity and permeability values may be designed to vary independently and arbitrarily throughout a material
- ► transformation optics → correspondence between coordinate transformation and material implementations

Transformation Optics Meta-materials (TOM)



Transformation Optics

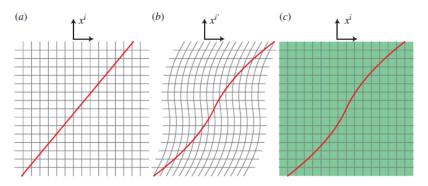
- \diamondsuit Spatially changing refractive index leads to changes in light-propagation characteristics \rightarrow $\rm MIRAGE$
- Artificial media that have spatially changing optical properties can bend light in almost any manner
- \diamondsuit Manipulate optical properties \rightarrow Transformation Optics
 - Framework exploiting form-invariance of Maxwell's equations in design of material parameters of optical devices
 - ★ Form-invariance of Maxwell's equations under coordinate transformations → equivalence between geometries and media



Physical-/Electromagnetic-Space

 Equivalence between geometries (Electromagnetic Space ES) and media (Physical Space PS)

TOM Principle



(a) **ES** in Cartesian coordinate system (b) Same **ES** in deformed coordinate system x' = f(x, y); y'=y(c) **PS**, in which meta-material is implemented as of curved **ES** (b)



- Sought after properties: material parameters of medium for Cherenkov radiation along x-axis in medium with background refractive index ε_b = n²_b, with *linear coordinate stretching* along principle axes: x' = f(x), y' = g(y) and z' = h(z)
- Equivalence relation of transformation optics yields material properties

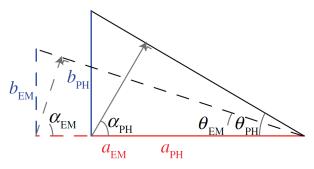
$\frac{\varepsilon_{x,x}}{\varepsilon_0\varepsilon_b}$	$=rac{\mu_{x,x}}{\mu_0}=$	$\frac{g'(y)h'(z)}{f'(x)}$
$\frac{\varepsilon_{y,y}}{\varepsilon_0\varepsilon_b}$	$=rac{\mu_{y,y}}{\mu_0}=$	$\frac{f'(x)h'(z)}{g'(y)}$
$\frac{\varepsilon_{z,z}}{\varepsilon_0\varepsilon_b}$	$= \frac{\mu_{z,z}}{\mu_0} =$	$\frac{f'(x)g'(y)}{h'(z)}$

with f', g', h' transformations into **PS**

Ginis V. et al. "Controlling Cherenkov Radiation with Transformation-Optical Metamaterials". In: *Physical Review Letters* 113.167402 (2014). DOI: 10.1103/PhysRevLett.113.167402.



- Cherenkov radiation obeys geometry of electromagnetic reality
- Inhomogeneous Maxwell equations with plane monochromatic wave as solution yields dispersion relation \rightarrow calculate Cherenkov angle in TOM





Resultant⁵:

$$\tan(\alpha_{PH}) = \frac{k_y}{k_x} = \frac{G}{F} \frac{\sqrt{F^2 \epsilon_b \omega^2 / c^2 - k_x^2}}{k_x} = \frac{G}{F} \tan\left(\theta_{Ch, n_b}\right)$$

 $\theta_{Ch,n_b}:$ angle of Cherenkov radiation emitted in a medium with refractive index n_b

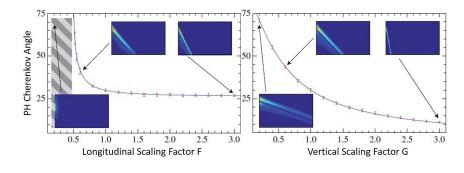
$$\Rightarrow \alpha_{PH} = \arctan\left(\frac{G}{F}\tan\left(\arccos\left(\frac{c}{n_b F v}\right)\right)\right)$$
$$= \arctan\left(\frac{G}{F}\tan\left(\arccos\left(\frac{1}{F n_b \beta}\right)\right)\right)$$

Compare to classical Cherenkov angle: $\cos \theta_{Ch} = \frac{1}{n\beta} \Rightarrow \theta_{Ch} = \arccos \frac{1}{n\beta}$



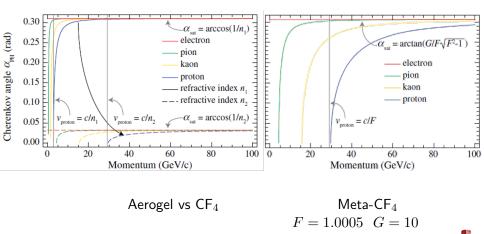
 ${}^{5}F = f', \ G = g', \ H = h'$

Full-wave numerical simulations of Cherenkov radiation $c/n_b v = 0.5$



$$G = 1$$
 $F = 1$

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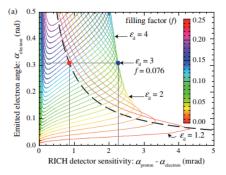
What are Meta-materials?

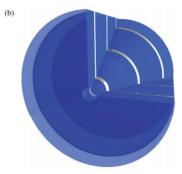
Meta-materials are fabricated structures and composite materials that either mimic known material responses or qualitatively have new, physically realizable response functions that do not occur or may not be readily available in nature.



Meta-Materials for Cherenkov-Radiation Detection

- ► Fabricate devices that provide materials with inhomogeneous indices of refraction → photonic crystals and meta-materials
- ▶ Formed by building units of size s intermediate between the molecular scale $m = (1 3) \ nm$ and the optical wavelength λ





Comparison between traditional radiators and meta-material radiators for fixed momentum (40 GeV/c) and wavelength ($\lambda = 700 \ nm$)

Implementation of metamaterial: Several thin silver cylinders embedded in a dielectric with f=0.076



R&D Program

- Perform calculations and simulations for determining the material parameters that constitute particle detectors with enhanced detection sensitivity
- Work out with commercial providers a realistic meta-material implementation of such a detector with transparent dielectrics
- Upgrade our existing RICH prototype with photo-multipliers (SiPMs?) and adapt mirror to new detection conditions
- ► BIG Challenge: find appropriate material composition that resemble desired radiator properties → trial-and-error approach at first

