

Nuclear Data Week 2020

## Angular and energy distributions update for structural materials

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## Summary

- Isotope and reactions to update
  - Updating angular and/or energy distribution for 62 materials (Ni, Fe, Zn, Cr, . . . )
  - Published in *Nucl. Instr. Meth. A* **963**, 163699 (2020)
- Motivation
  - No/partial information for discrete levels of (n,p) and (n, $\alpha$ ) reactions cross sections in the Current ENDF/B-VIII.0
  - Large discrepancies for Monte Carlo simulations on angular distributions of the LENZ experiment.
- New data/theory
  - Angular distributions of Hauser-Feshbach formalism in  $\text{CoH}_3$
  - LENZ measurements for several structural materials, such as Fe, Ni, . . .
- Validation
  - Angular distributions measured at LENZ detector compared to those of new evaluations

# Deficiencies in the current ENDF/B-VIII.0

- Status in the current ENDF/B-VIII.0

Status of evaluations on (n,x) reactions (x=p,d,t, $\alpha$ )

	A	B	C	D
<i>p</i>	189	265	9	94
$\alpha$	163	273	25	96
<i>d</i>	18	246	4	289
<i>t</i>	14	227	3	313

(total: 557 nuclei)

A: (n, $X_{level}$ ) and (n, $X_{cont}$ )    B: (n, $X_{tot}$ ) only

C: (n, $X_{level}$ ) or (n, $X_{cont}$ )    D: no data

(n, $X_{tot}$ )=(n, $X_{level}$ )+(n, $X_{cont}$ )

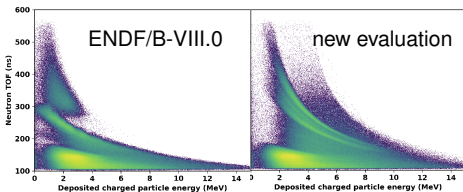
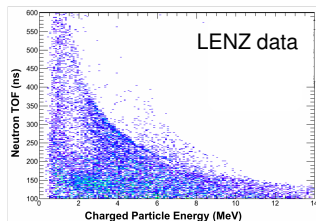
level: ground, 1<sup>st</sup> excited level, 2<sup>nd</sup> excited level, ...

- Updated nuclei

62 materials including Ni,  
Fe, Zn, Cr, ...

- MCNP simulations

(Brass target: 65 % <sup>nat</sup>Cu + 35 % <sup>nat</sup>Zn)



## Production of consistent data sets

- Inconsistent data in the current ENDF/B-VIII.0
  - Cross sections and double differential cross sections (DDX) for total (n,p) and (n, $\alpha$ ) without data of discrete levels
  - Cross sections for discrete levels but no data for continuum state
  - Cross sections for discrete levels with isotropic angular distributions
  - Inclusive or exclusive spectra
  - (No)  $\gamma$  emissions for discrete levels of (n,p) and (n, $\alpha$ )
- Consistent data in new evaluations
  - The cross sections in MF3 if available were not changed.
  - Discrete levels and continuum state were separately saved in MF3
  - Angular distributions for discrete levels were saved in MF4
  - Energy-angular distributions for continuum were exclusively saved in MF6
  - Photon transitions were saved in MF12 for their multiplicity and MF14 for probability.

## Update procedure

- Updating new angular distributions and energy spectra
  - Adopting cross sections from ENDF/B-VIII.0
    - Cross sections of ENDF/B-VIII.0 for  $(n,p)$  and  $(n,\alpha)$  if data available, where threshold energies are recalculated using mass data by Audi2012 and FRDM2012
  - Adding new data
    - Cross sections of discrete levels and continuum state if no data available, where cross sections of  $(n,p_{tot})$  and  $(n,\alpha_{tot})$  are normalized to those of ENDF/B-VIII.0.
  - Adding/Replacing new data
    - Angular distributions of discrete levels and continuum state if no data or isotropic data available
    - Exclusive energy spectra if no data or inclusive spectra available.
- Code: CoH<sub>3</sub>
- Formatting: DeCE
- Processing: NJOY2016
- Simulation: MCNP-6.2

## Angular distribution of Hauser-Feshbach formalism in $\text{CoH}_3$

Blatt-Biedenharn Formalism:

$$\left(\frac{d\sigma}{d\Omega}\right)_{ab} = \sum_L B_L P_L(\cos\theta_b),$$

where the Legendre coefficient,

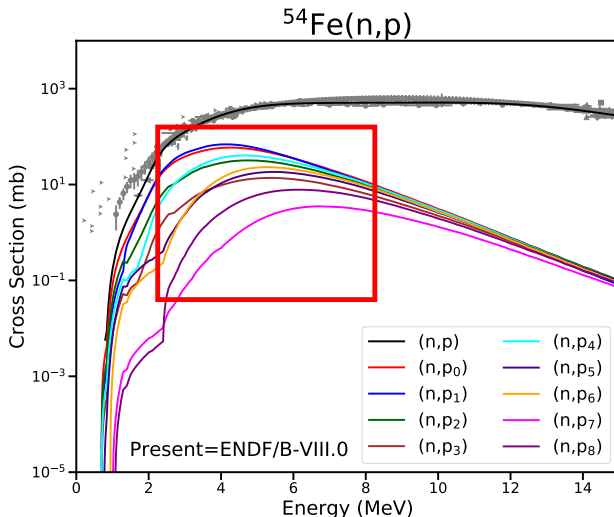
$$\begin{aligned} B_L &= \frac{1}{4k_a^2} \frac{(-)^{I_B - I_A + s_b - s_a}}{(2s_a + 1)(2I_A + 1)} \\ &\times \sum_J (2J + 1)^2 \frac{1}{N_J} \sum_{l_a j_a} \sum_{l_b j_b} W_{ab} \\ &\times \{X_{l_a j_a} X_{l_b j_b} + Y_{l_a j_a, l_b j_b}\}, \end{aligned}$$

is explicitly calculated.

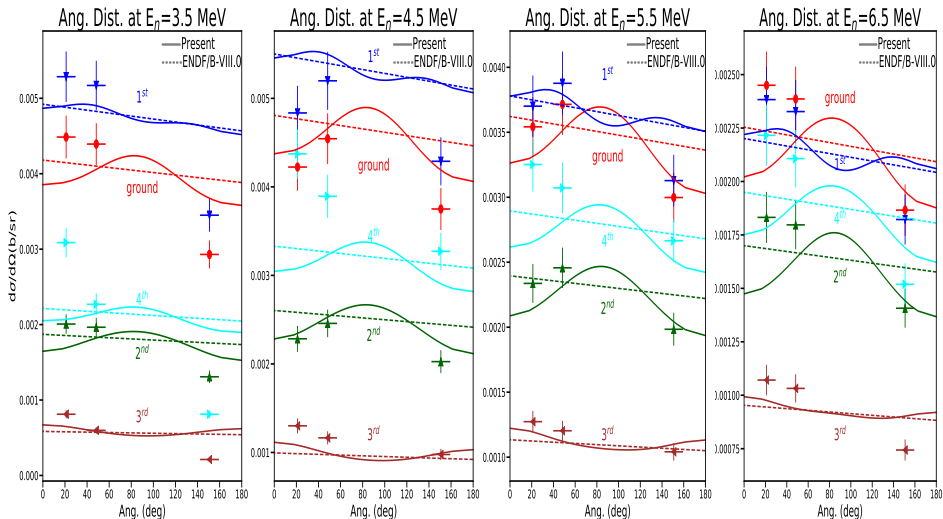
*cf.*

$$\begin{aligned} B_L^{HF} &= \frac{1}{4k_a^2} \frac{(-)^{I_B - I_A + s_b - s_a}}{(2s_a + 1)(2I_A + 1)} \\ &\times \sum_J (2J + 1)^2 \frac{1}{N_J} \\ &\times \sum_{l_a j_a} \sum_{l_b j_b} X_{l_a j_a} X_{l_b j_b}. \end{aligned}$$

Many codes employ  $B_L^{HF}$  multiplied by width fluctuation.

Angular distributions on  $^{54}\text{Fe}(n,p)$  measured at LENZ experiment

# Angular distributions on $^{54}\text{Fe}(n,p)$ measured at LENZ experiment





# Angular distributions on $^{54}\text{Fe}(n,p)$ measured at LENZ experiment

