



McGill

# EVENT-BY-EVENT AVFD FRAMEWORK

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McGill University

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On behalf of the AVFD group

axial & vector  
charge density

initial condition

+

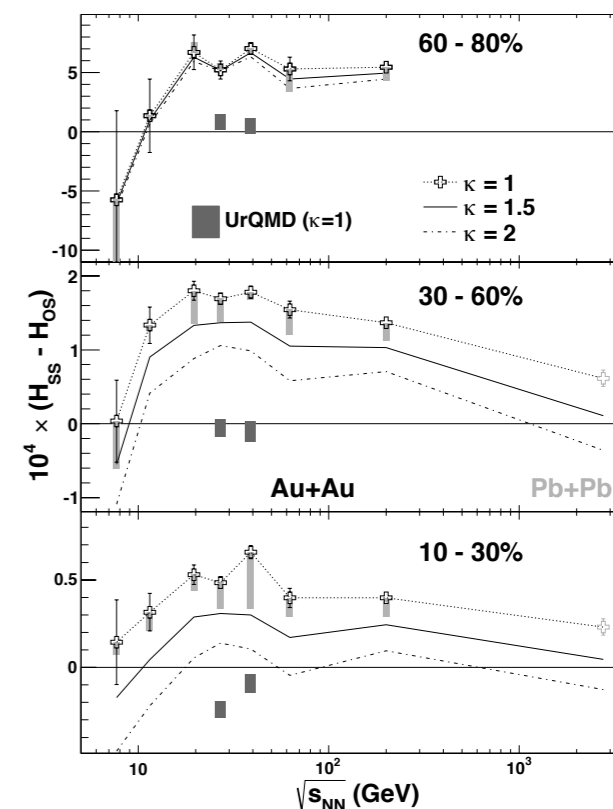
driving force

B field

**A**nomalous  
**-V**iscous  
**F**luid  
**D**ynamics

dynamical  
evolution

final particle  
distribution



$$D_\mu J_R^\mu = + \frac{N_c q^2}{4\pi^2} E_\mu B^\mu \quad D_\mu J_L^\mu = - \frac{N_c q^2}{4\pi^2} E_\mu B^\mu$$

$$J_R^\mu = n_R u^\mu + v_R^\mu + \frac{N_c q}{4\pi^2} \mu_R B^\mu$$

$$J_L^\mu = n_L u^\mu + v_L^\mu - \frac{N_c q}{4\pi^2} \mu_L B^\mu$$

**CME**

**Viscous Effect**

$$\Delta^\mu_\nu d v_{R,L}^\nu = - \frac{1}{\tau_{\text{rlx}}} (v_{R,L}^\mu - v_{\text{NS}}^\mu)$$

$$v_{\text{NS}}^\mu = \frac{\sigma}{2} T \Delta^{\mu\nu} \partial_\nu \frac{\mu}{T} + \frac{\sigma}{2} q E^\mu$$

as the linear perturbation on top of  
2+1D Hydro background

- ▶ B field  $\otimes \mu_5 \Rightarrow$  current  $\Rightarrow$  dipole (charge separation)

$$dN_{\pm}/d\phi \propto 1 + 2 a_{1\pm} \sin(\phi - \psi_{RP}) + \dots$$

- ▶ B field  $\otimes \mu_5 \Rightarrow$  current  $\Rightarrow$  dipole (charge separation)

$$dN_{\pm}/d\phi \propto 1 + 2 a_{1\pm} \sin(\phi - \psi_{RP}) + \dots$$

- ▶ charge separation  $\Rightarrow$  charge dept. two-particle correlation

$$\gamma = \langle \cos(\Delta\phi_i + \Delta\phi_j) \rangle = \langle \cos\Delta\phi_i \cos\Delta\phi_j \rangle - \langle \sin\Delta\phi_i \sin\Delta\phi_j \rangle$$

$$\delta = \langle \cos(\Delta\phi_i - \Delta\phi_j) \rangle = \langle \cos\Delta\phi_i \cos\Delta\phi_j \rangle + \langle \sin\Delta\phi_i \sin\Delta\phi_j \rangle$$

$$\gamma = \kappa v_2 \mathbf{F} - \mathbf{H}$$

$$\delta = \mathbf{F} + \mathbf{H}$$

$\mathbf{F}$ : Bulk Background

$\mathbf{H}$ : Possible Pure CME Signal =  $(a_{1,CME})^2$

1st generation: [1611.04586 & 1711.02496]

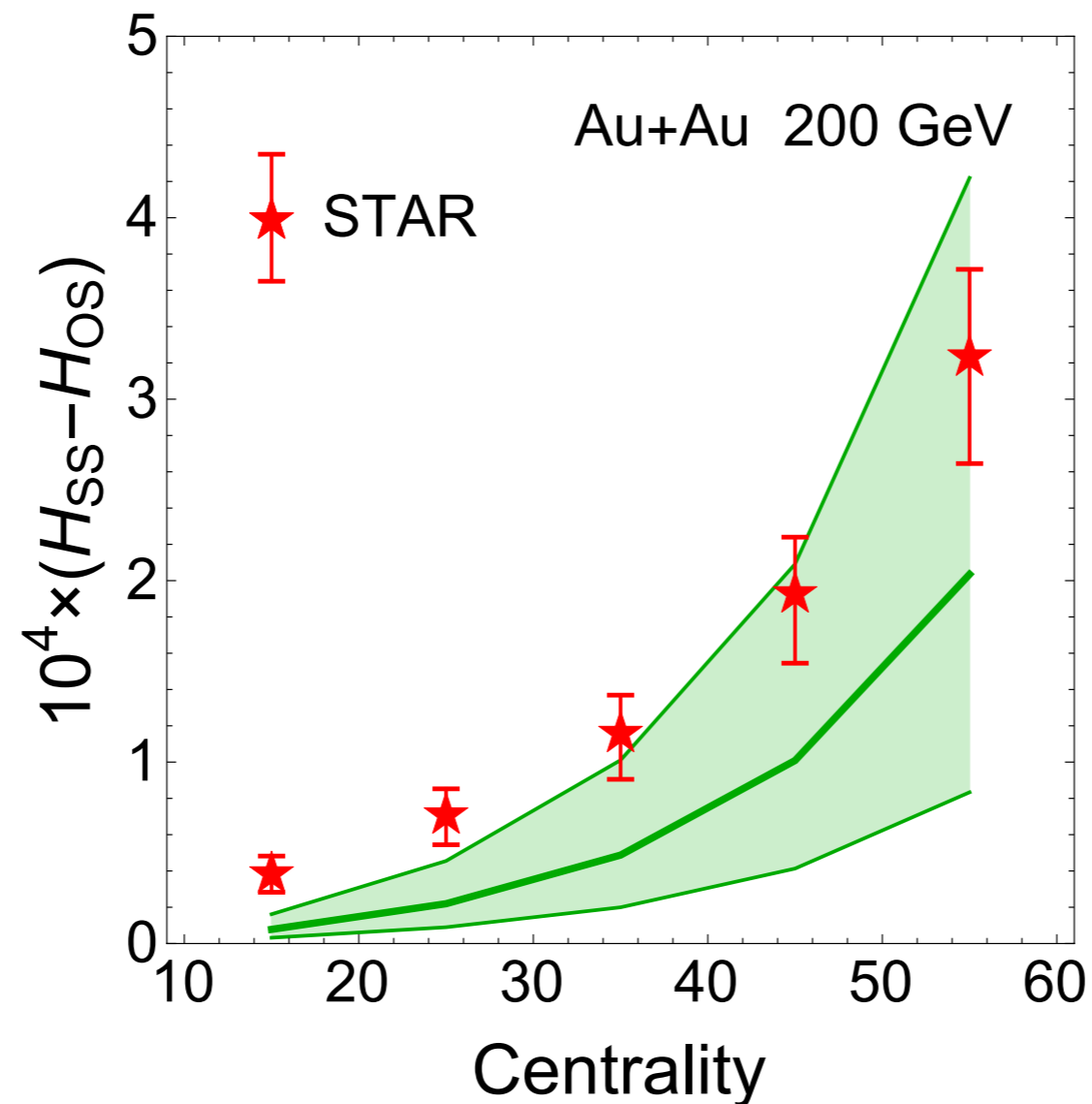
Smooth IC + Hydro + Cooper-Frye Dist. + Res. Decay

(Glauber)

(VISH)

(iS)

(iS)

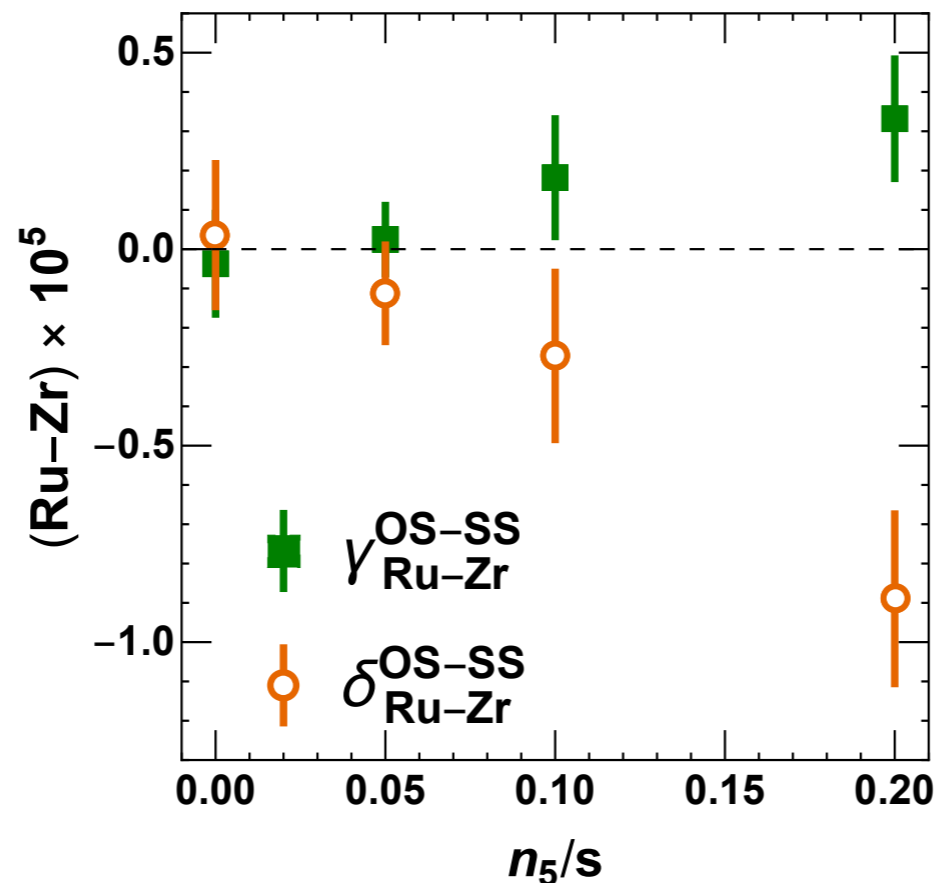


1st generation: [1611.04586 & 1711.02496]

Smooth IC + Hydro + Cooper-Frye Dist. + Res. Decay  
 (Glauber) (VISH) (iS) (iS)

2nd generation: [1910.14010]

EbE IC + Hydro + grand-canonical sampler + Had. Cascade  
 (superMC) (VISH) (iSS w/ PLCC) (UrQMD)



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2nd generation: [1910.14010]

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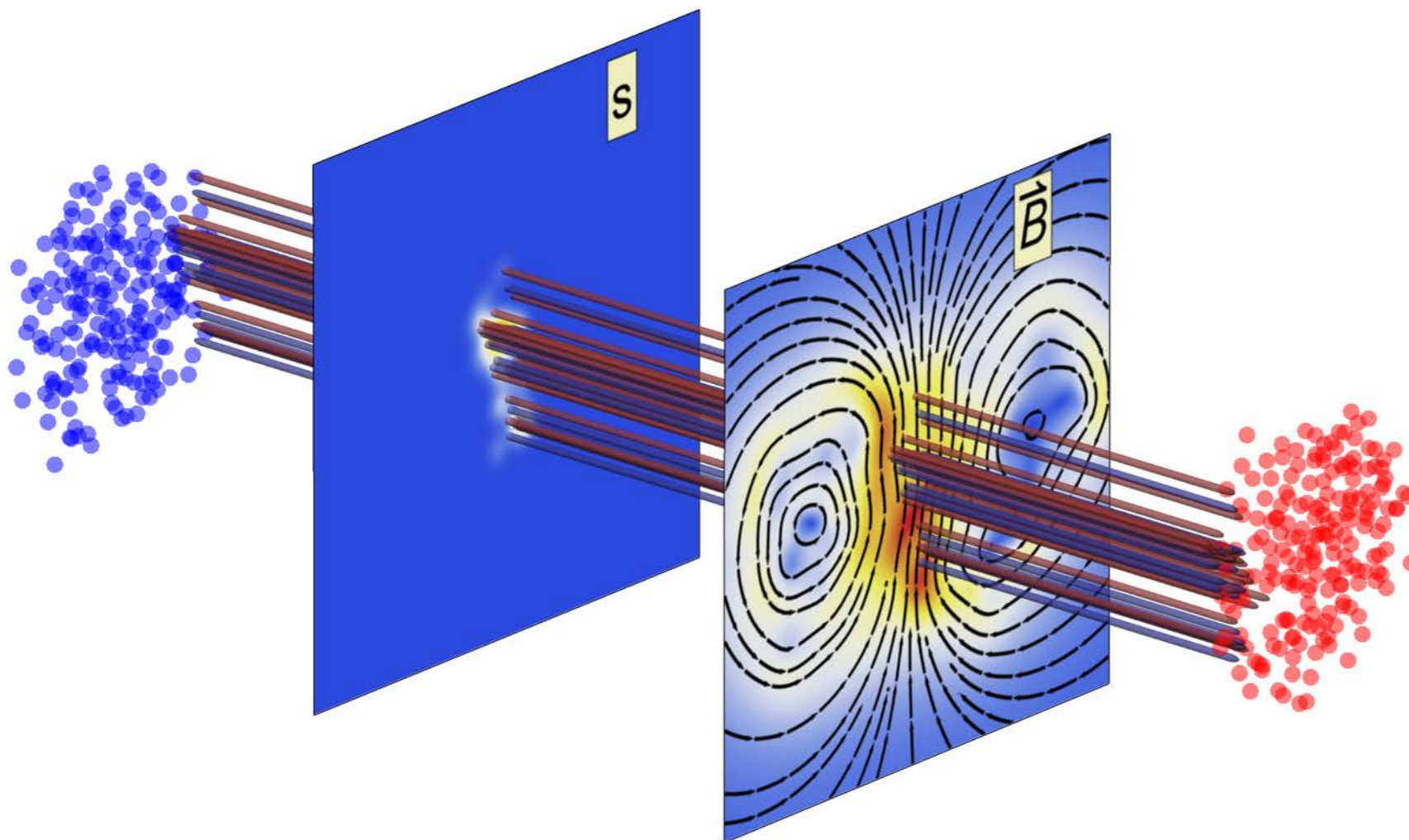
3rd generation:

EbE IC + Hydro + micro-canonical sampler + Had. Cascade  
(AVFD-IC) (MUSIC) (Oliinychenko-Koch) (smash)



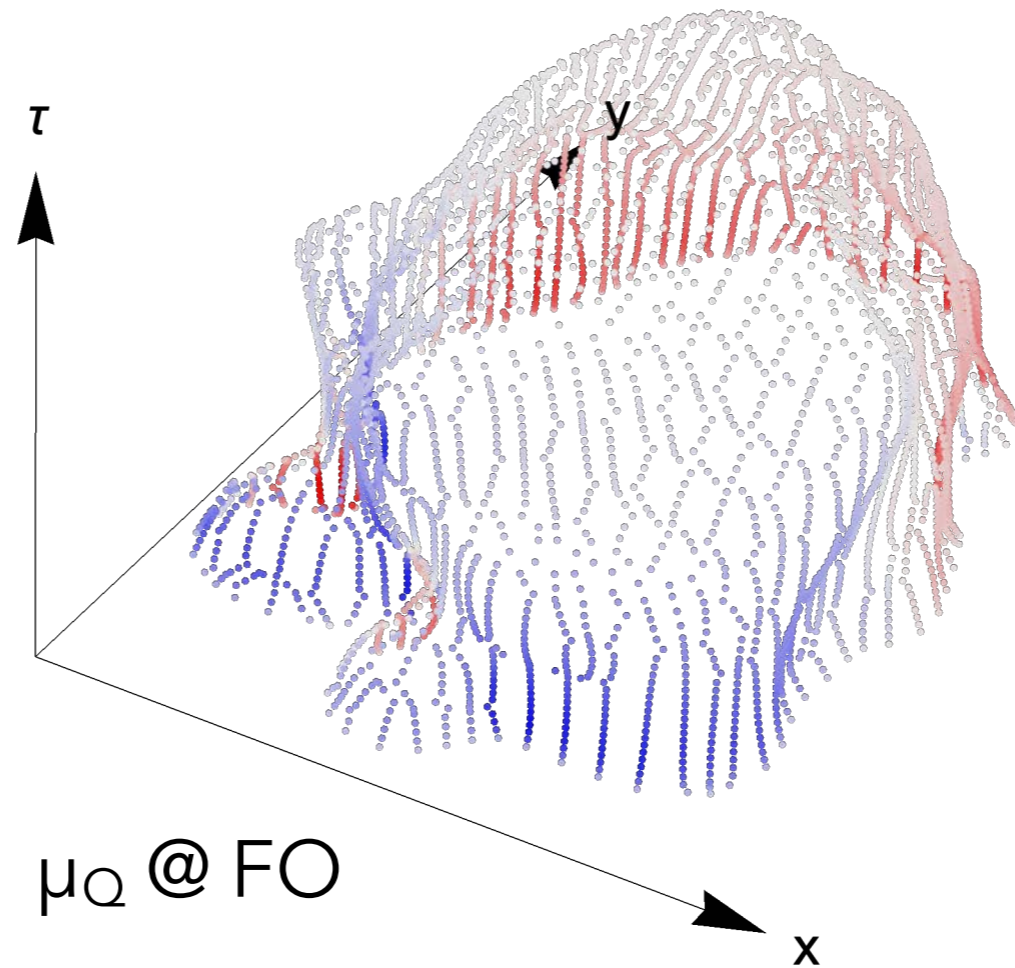
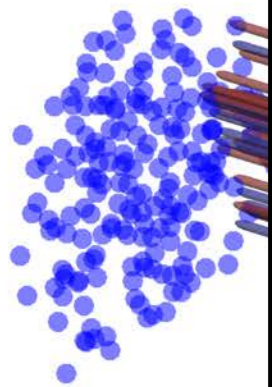
- MC-Glauber Generator
- New feature: able to test nucleon distribution

E-by-E IC of Bulk & B field



Bulk & => N, N5 evolution

E-by-E

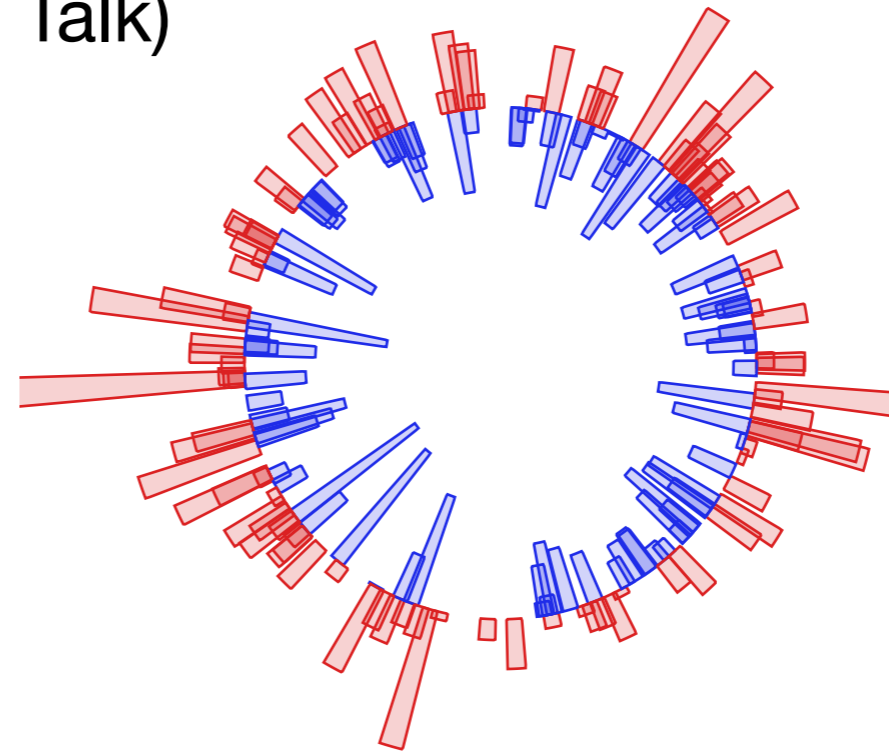


$\mu_{\Omega}$  @ FO



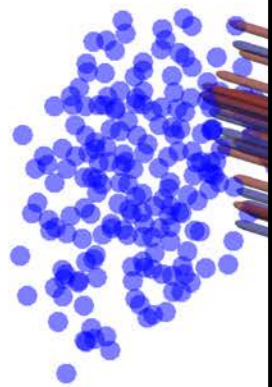
micro-can. Freeze-Out + Hadron Cascade  
(See Dima's Talk)

Bulk &



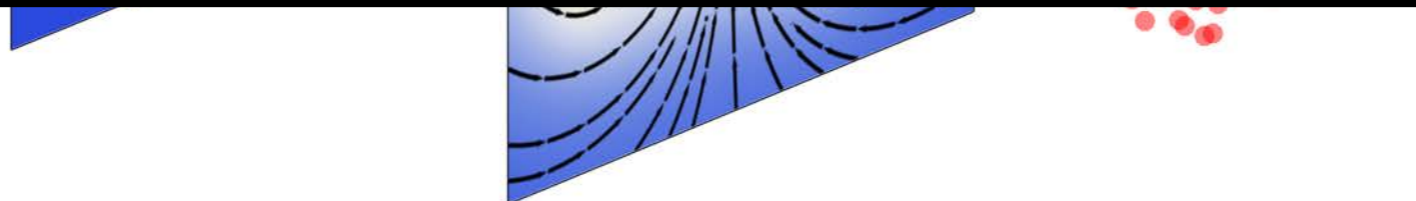
Distribution of (+) / (-) ch.  
Length:  $p_T$ , Angel:  $\varphi$

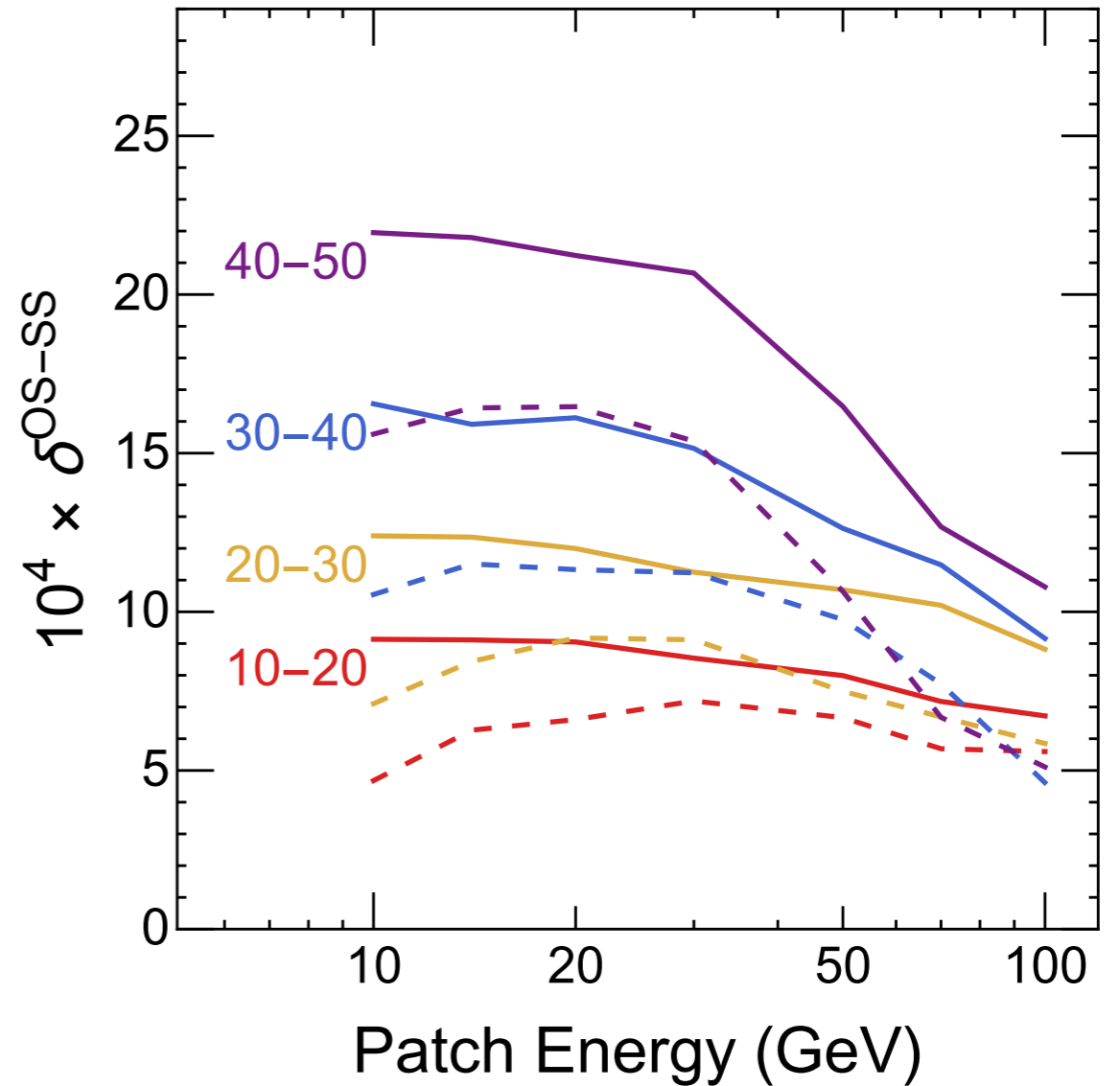
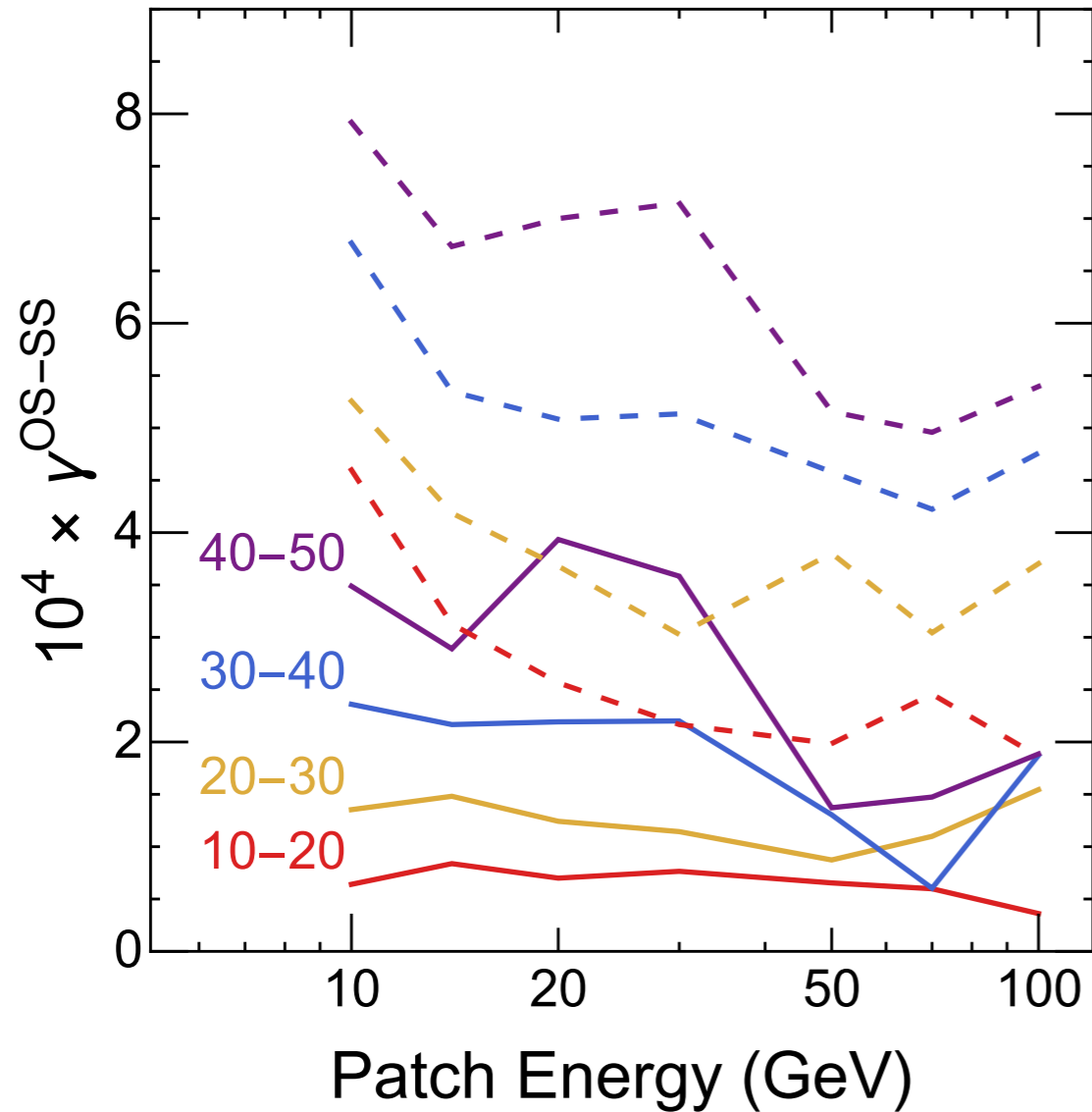
E-by-E



$\mu_Q @ FO$

x





solid:  $n_5=0$ , dash:  $n_5/s=0.2$ ;  
 using smooth (event avg.) hydro  
 uncertainty band not shown;

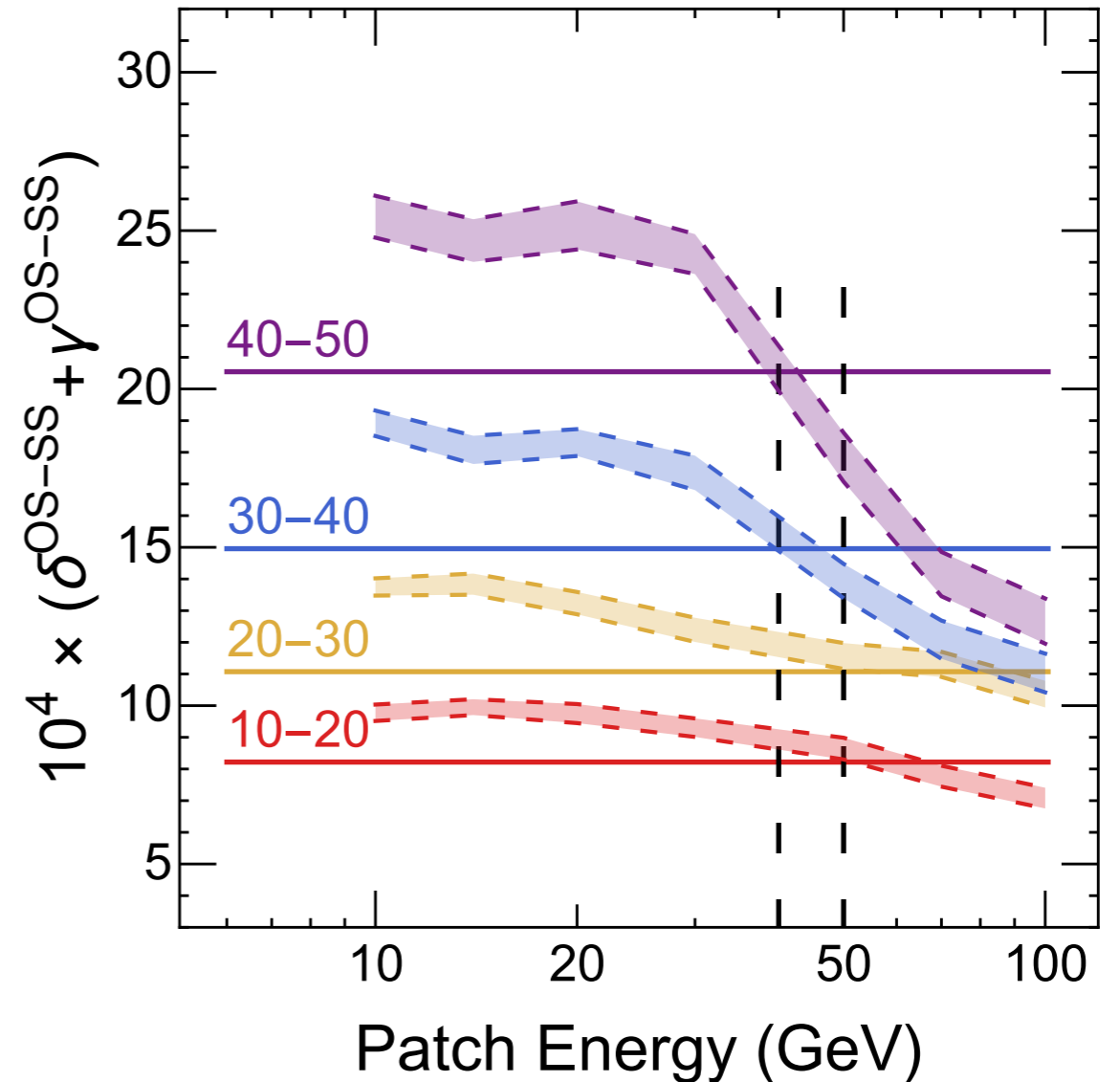
sensitive to both signal and background

$$\gamma^{\text{OS-SS}} \{ \text{RP} \} \sim \gamma_{\text{bkg}}^{\text{OS-SS}} + 2a_{1,\text{CME}}^2$$

$$\delta^{\text{OS-SS}} \sim \delta_{\text{bkg}}^{\text{OS-SS}} - 2a_{1,\text{CME}}^2$$

$$\gamma^{\text{OS-SS}} \{ \text{RP} \} + \delta^{\text{OS-SS}}$$

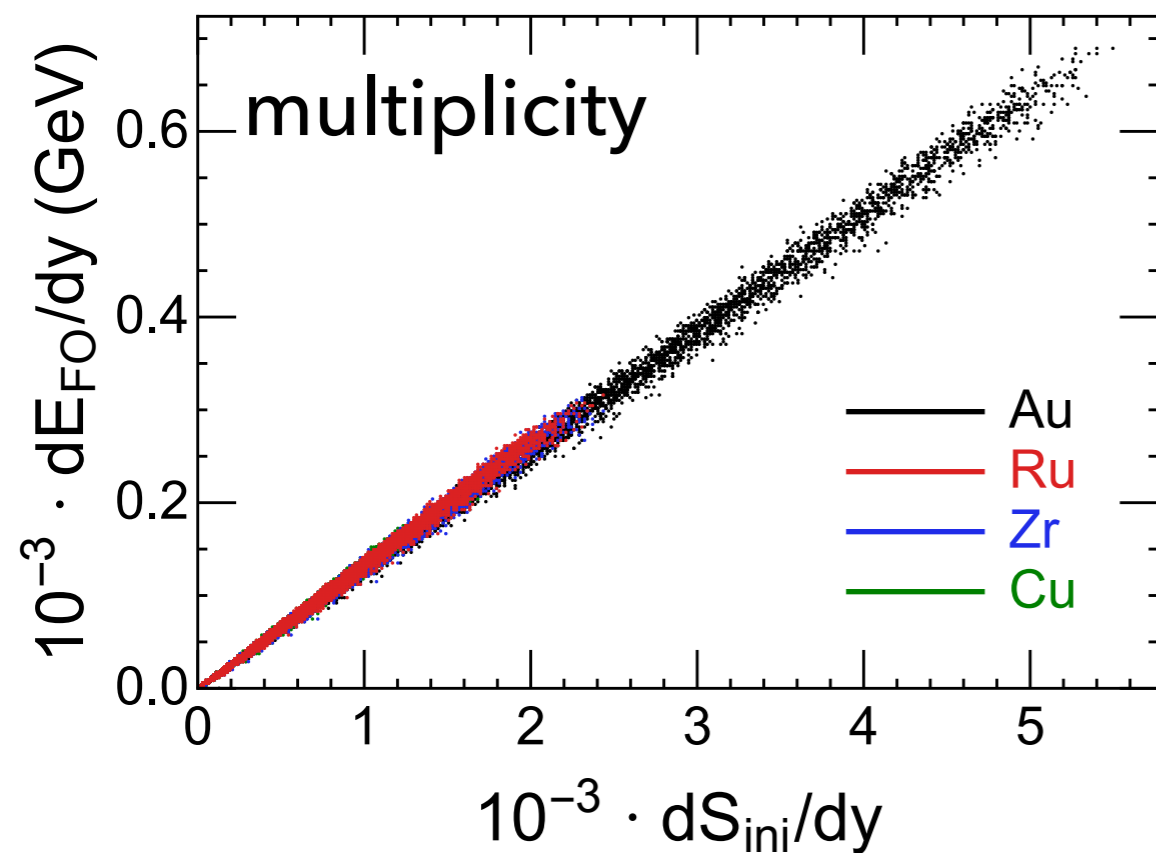
shall be (mostly) background



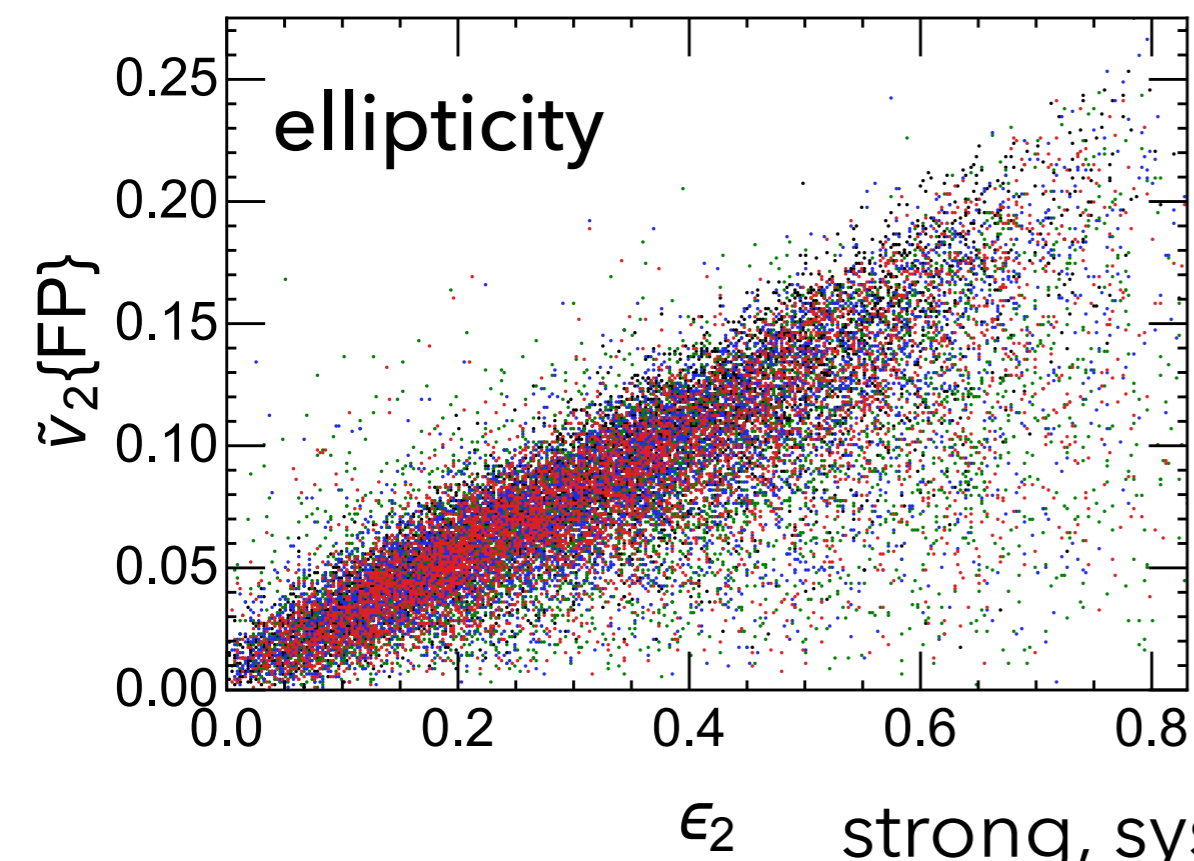
dashing band: simulation result  
 solid horizontal line: experiment,  
 $\Rightarrow E_{\text{patch}} \sim 40 - 50 \text{ GeV};$

"central value":  $E_{\text{patch}} = 45 \text{ GeV}$

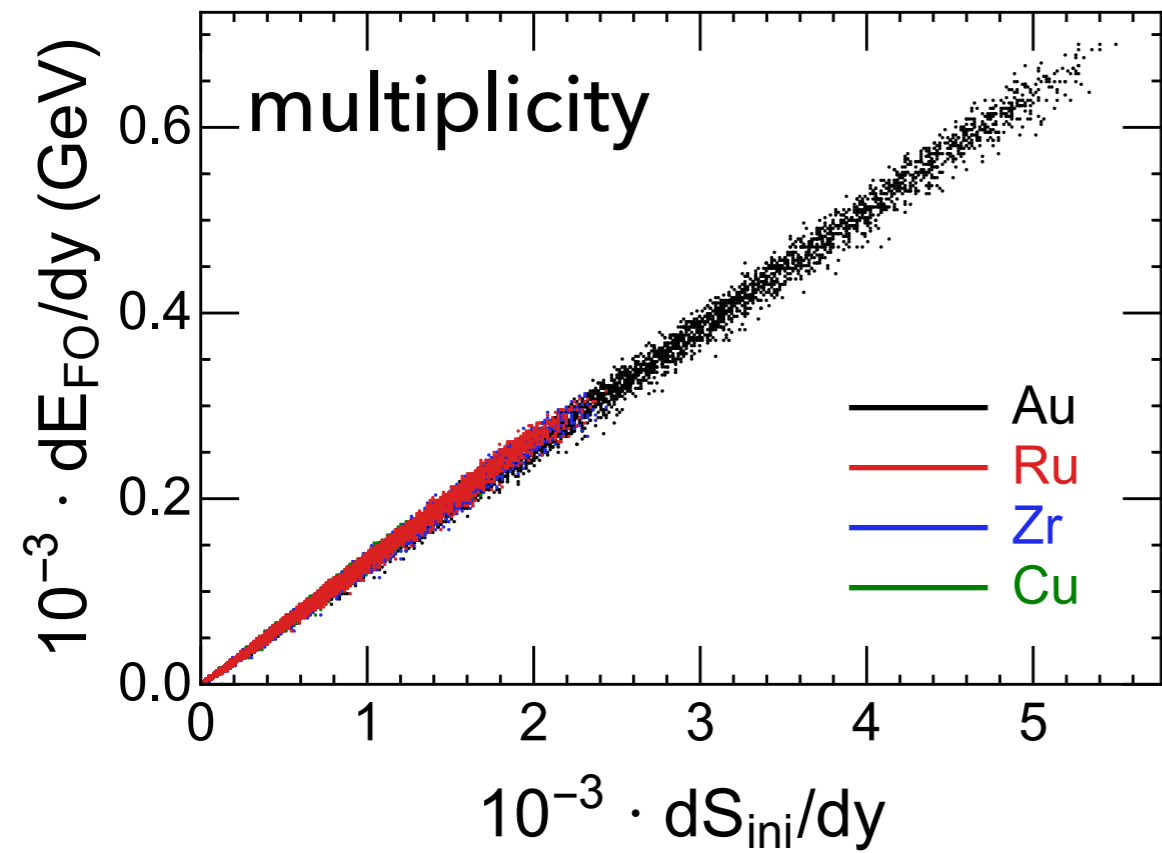




each point stands for one event

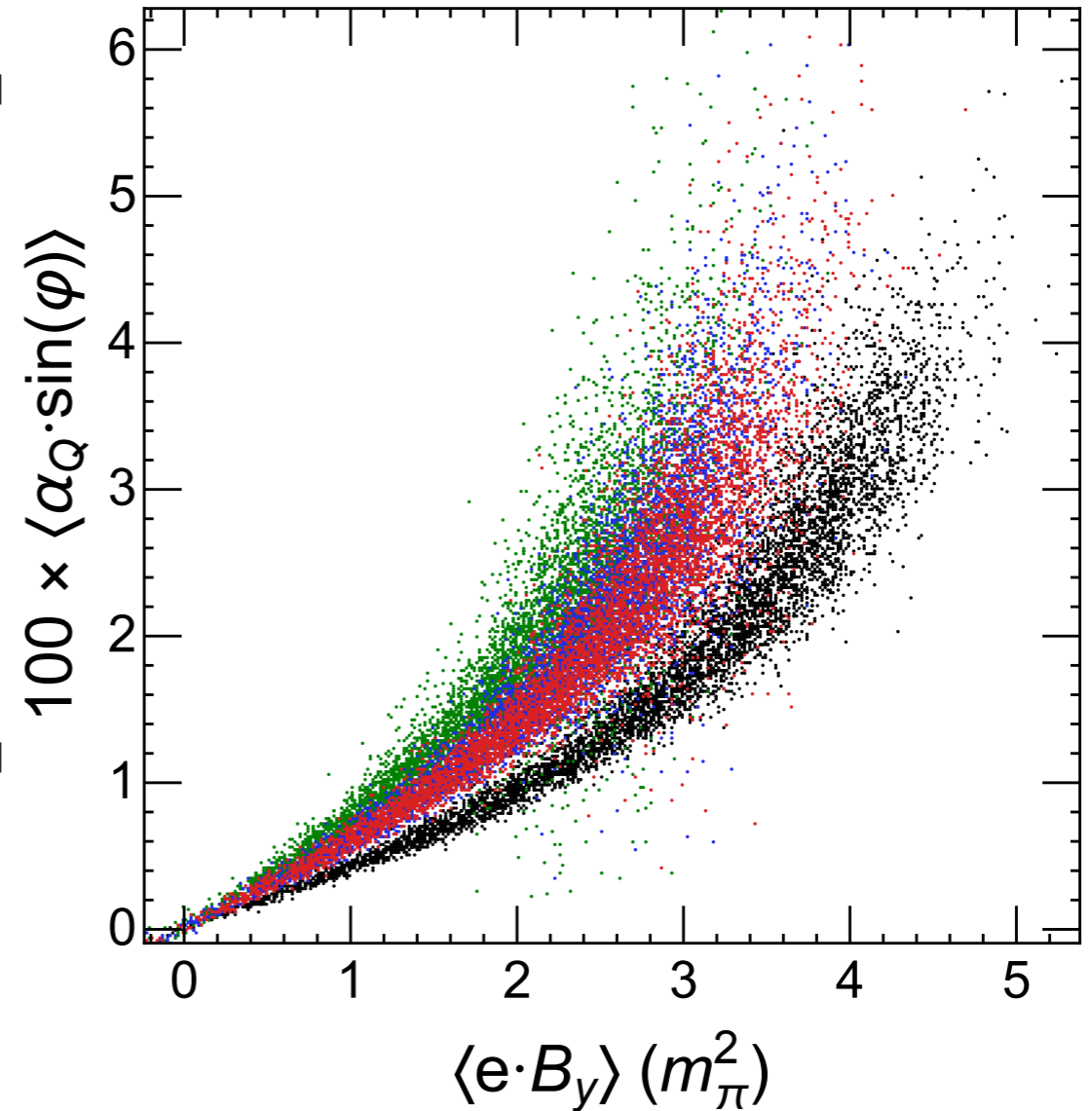


strong, sys. indept. correlation of mul. & ell.

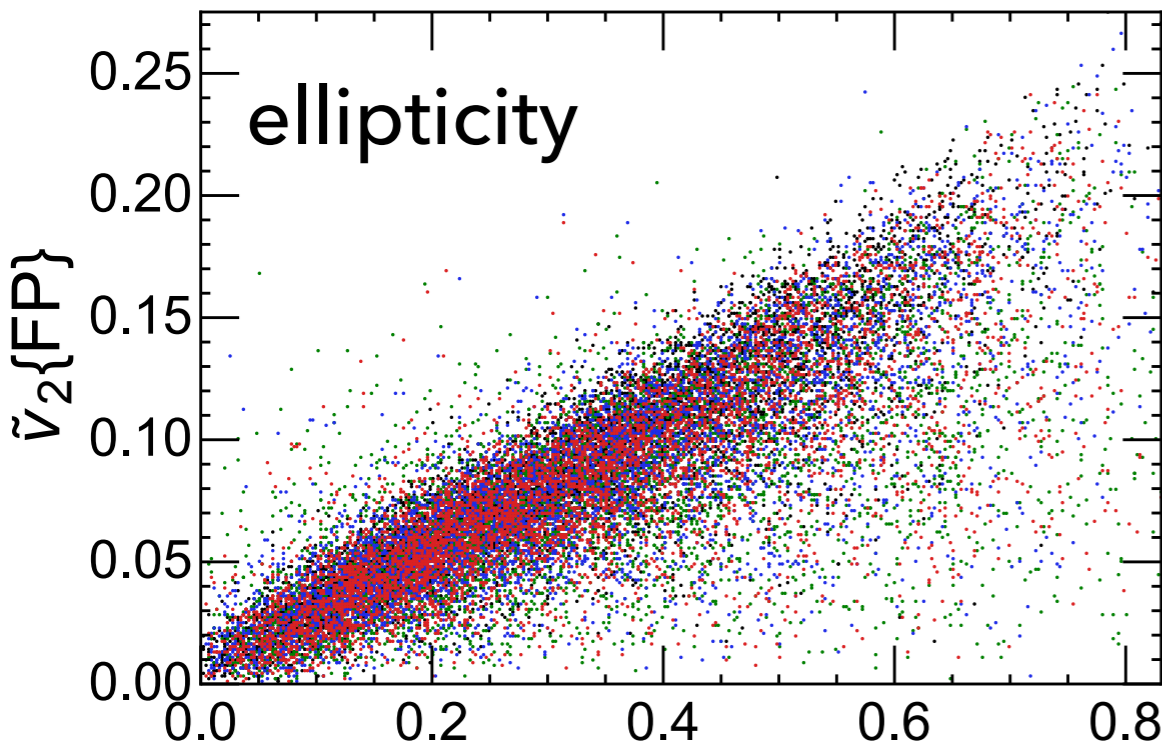


$$\langle \alpha_Q \cdot \sin \varphi \rangle \equiv \left[ \int_{\Sigma} u^{\mu} d\sigma_{\mu} \frac{\mu_Q}{T} \sin \varphi \right] / \left[ \int_{\Sigma} u^{\mu} d\sigma_{\mu} \right]$$

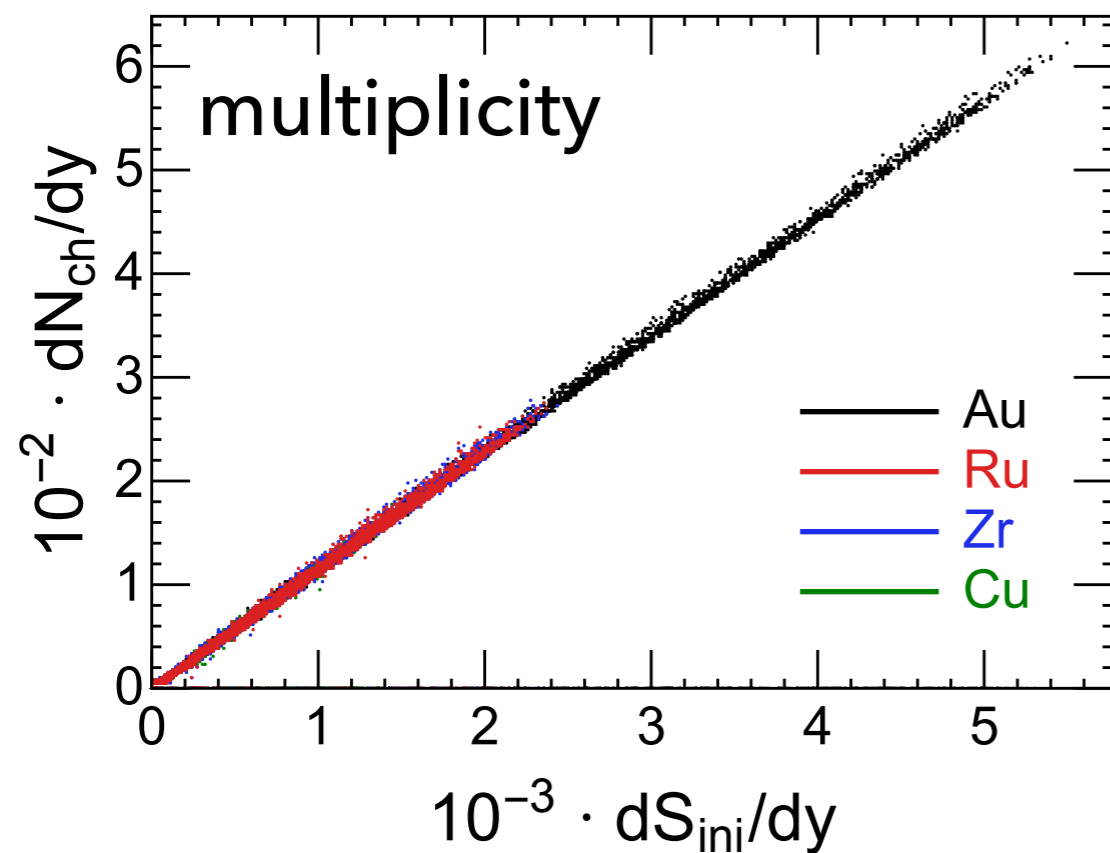
each point stands for one event



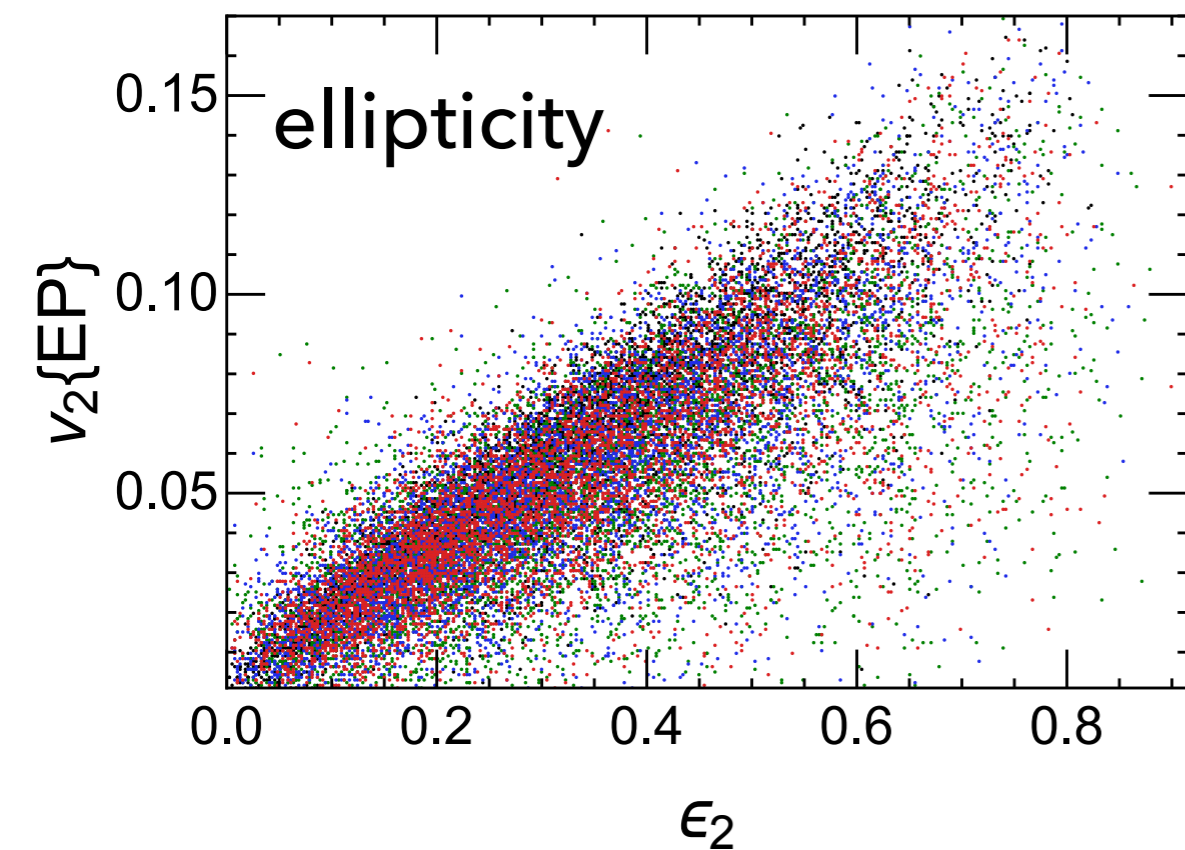
interesting correlation btw. B & dipole



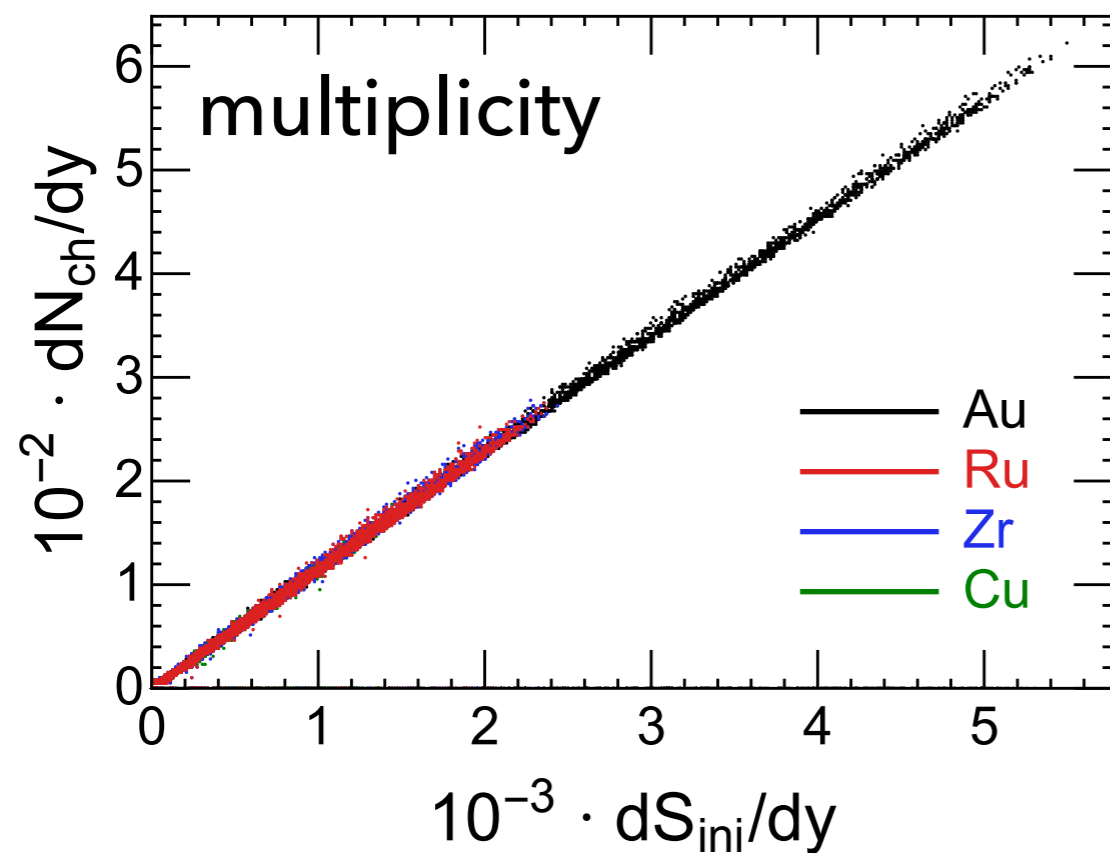
strong, sys. indept. correlation of mul. & ell.



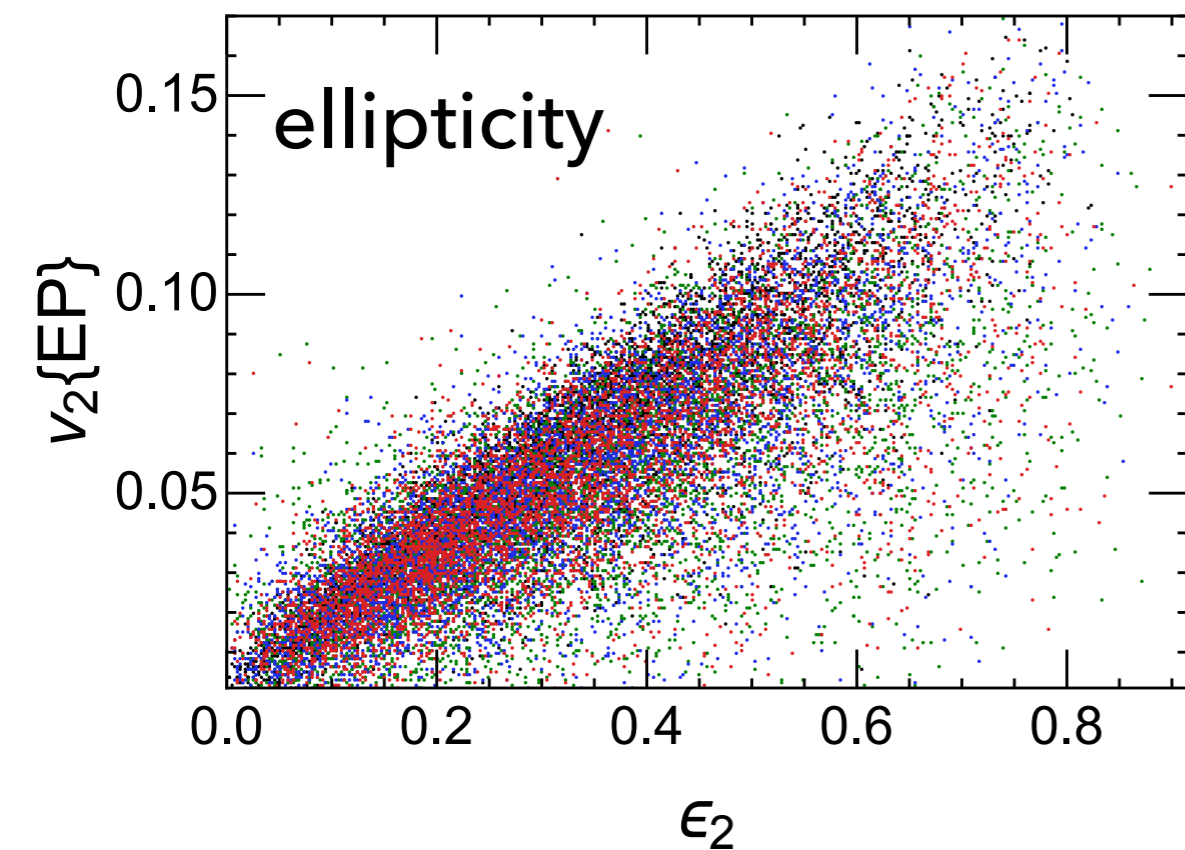
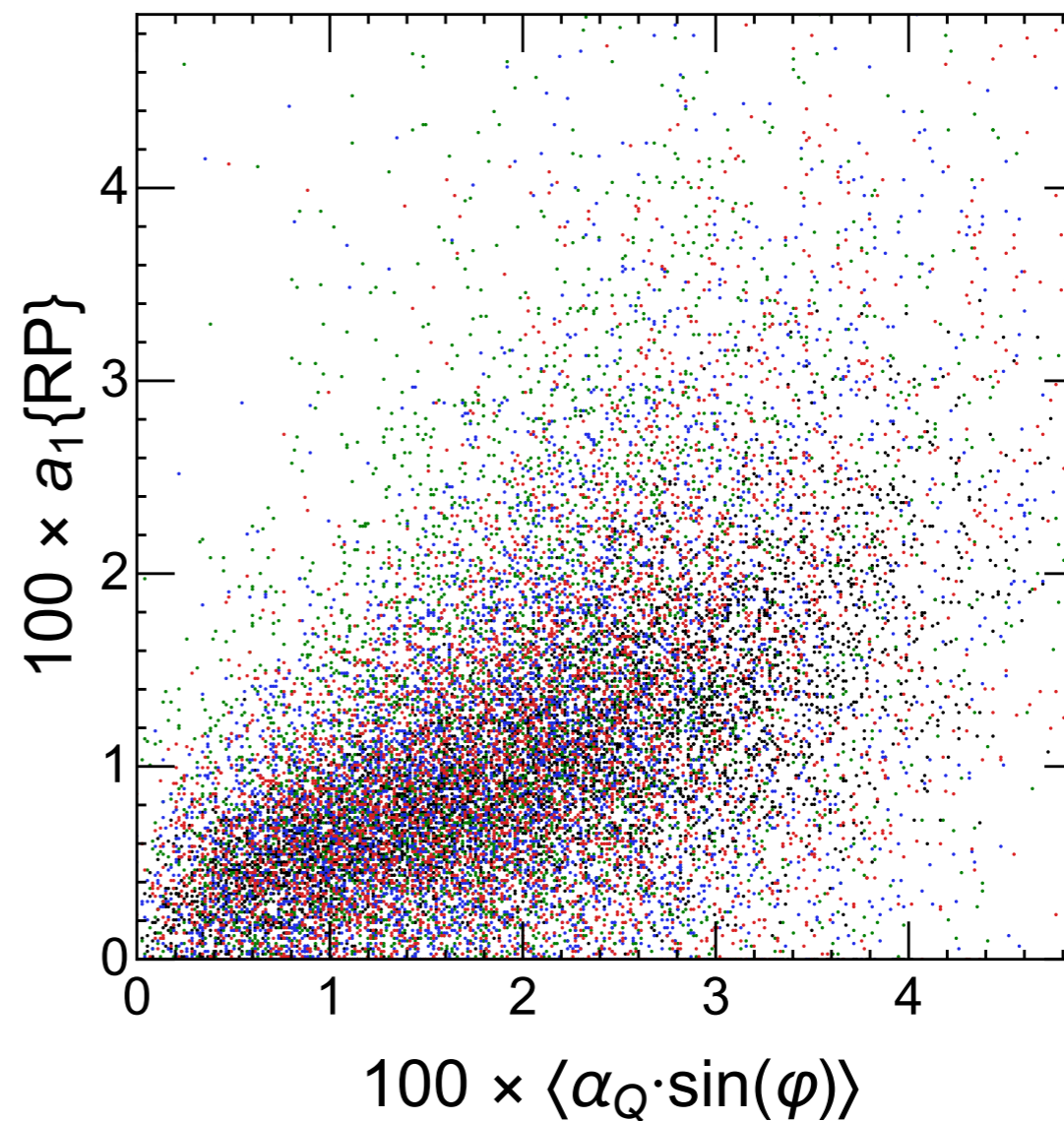
each point stands for one event



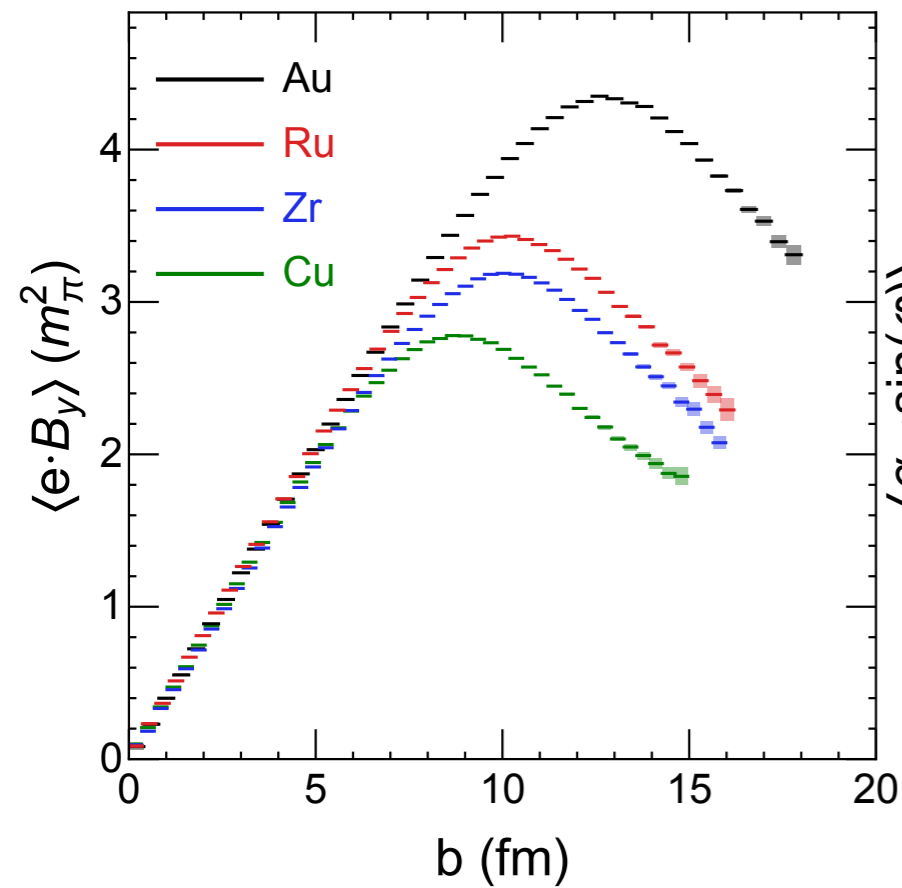




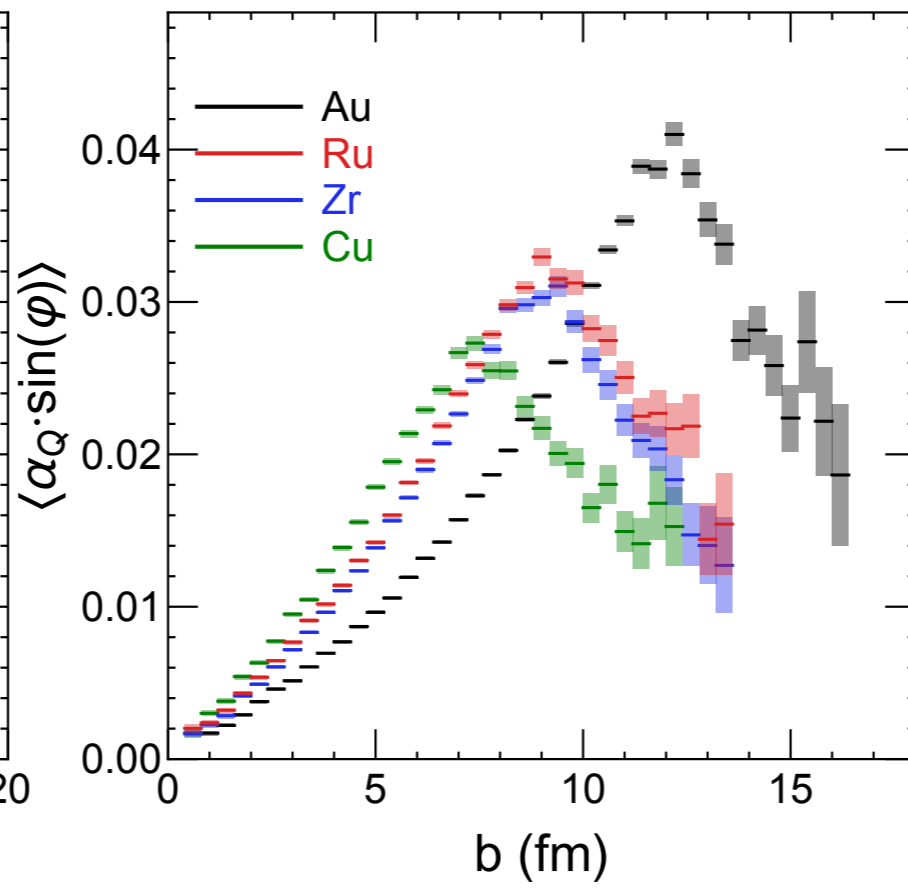
each point stands for one event



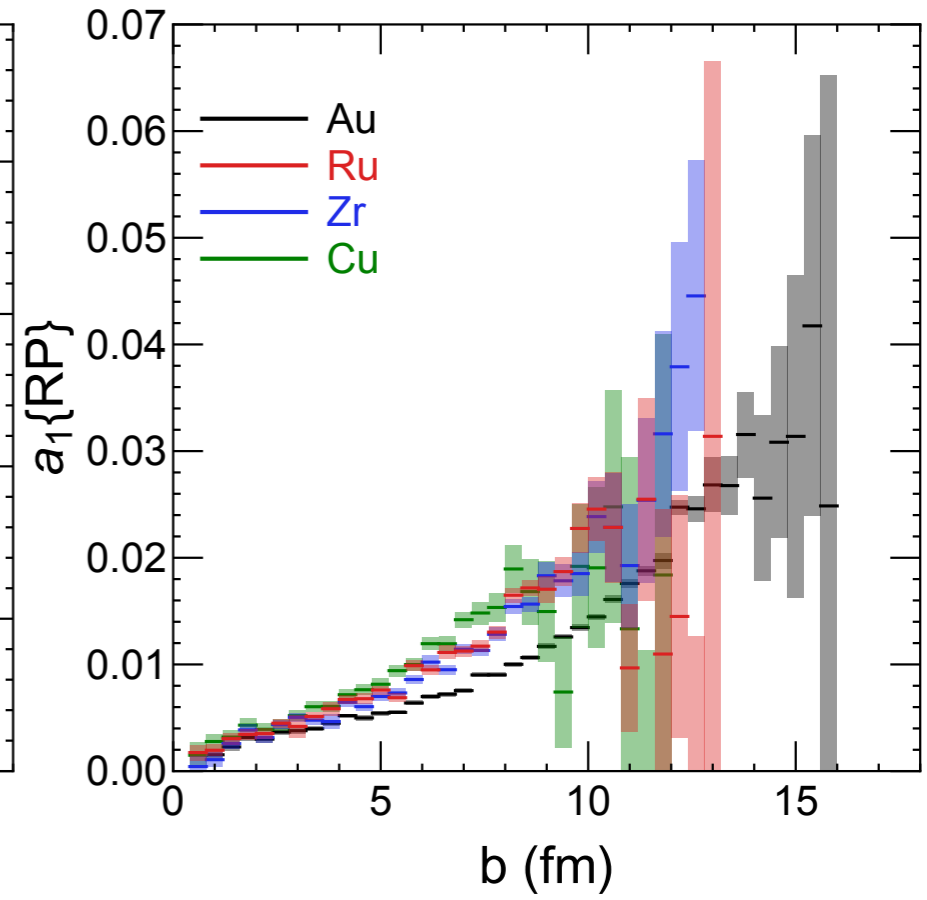
Initial Condition



FO Surface

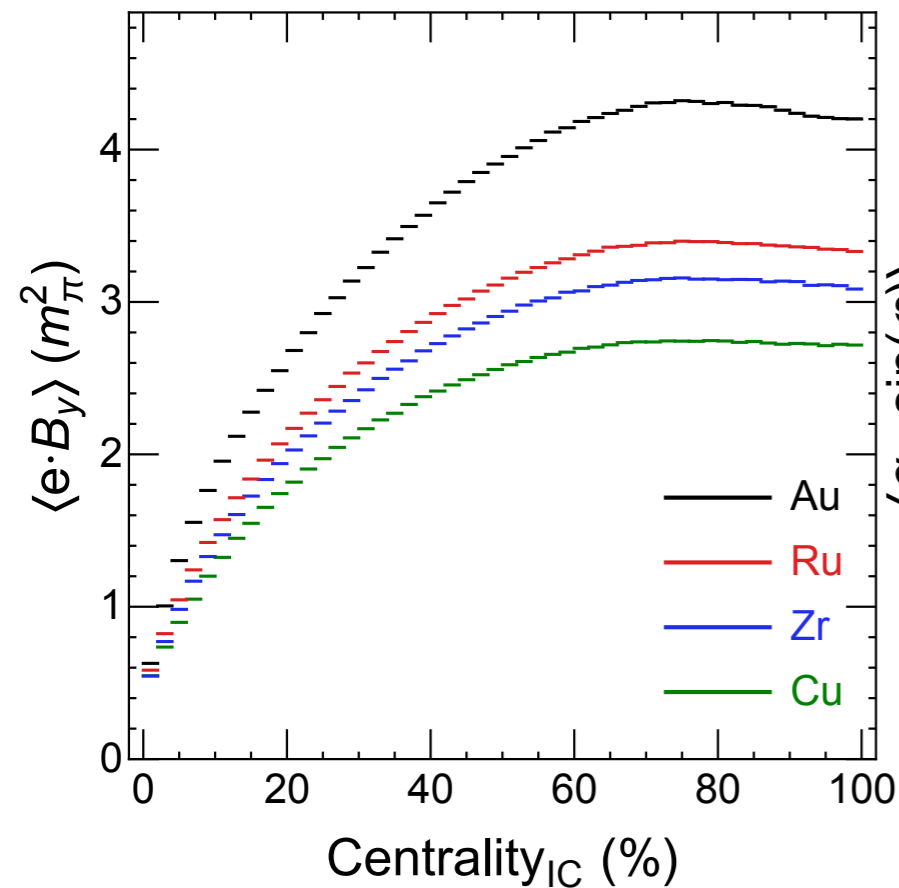


Final Hadrons

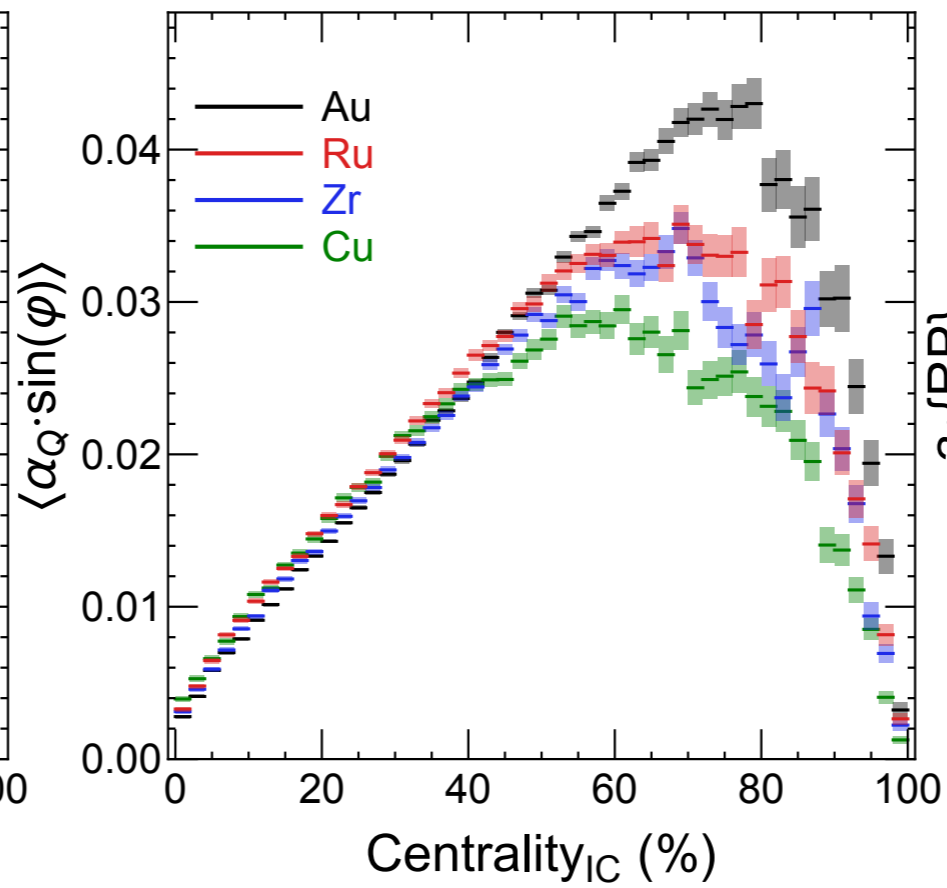


comparison between different systems:  
 B field  $\sim b$  (for central collisions)

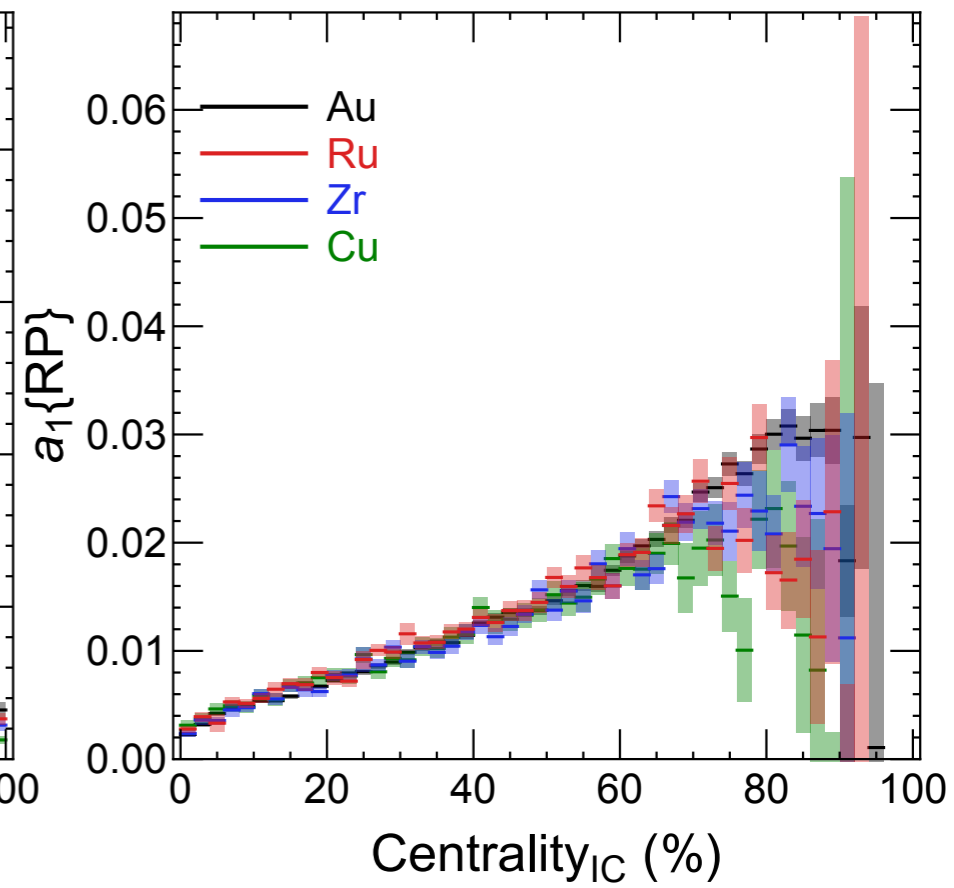
Initial Condition



FO Surface



Final Hadrons

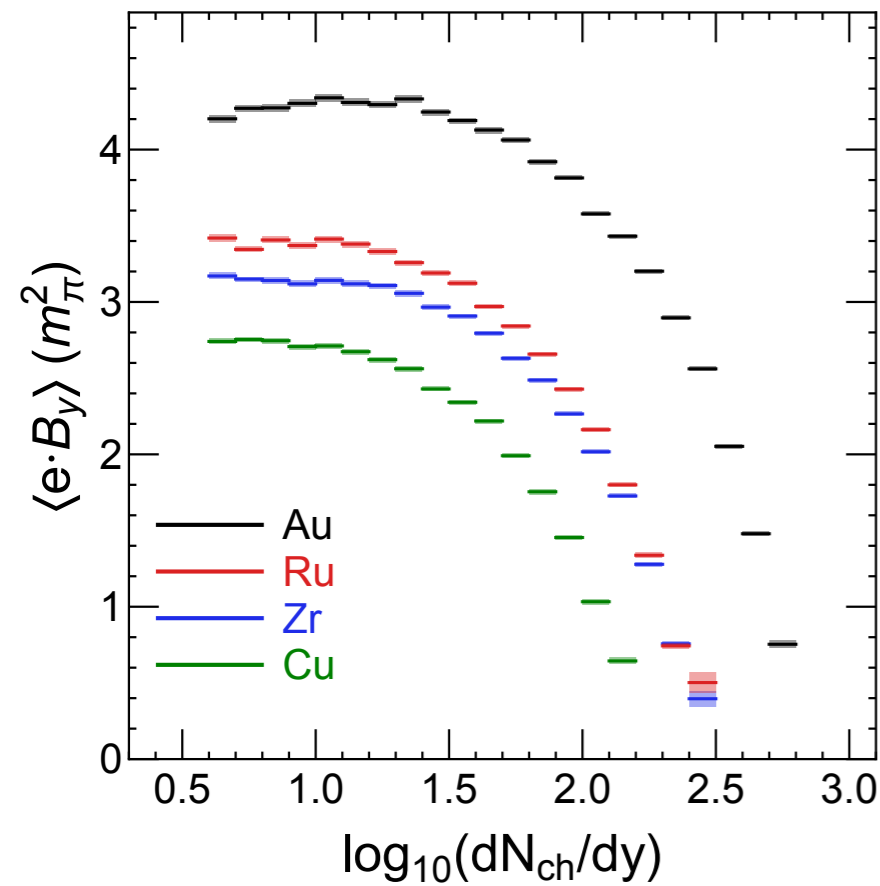


comparison between different systems:

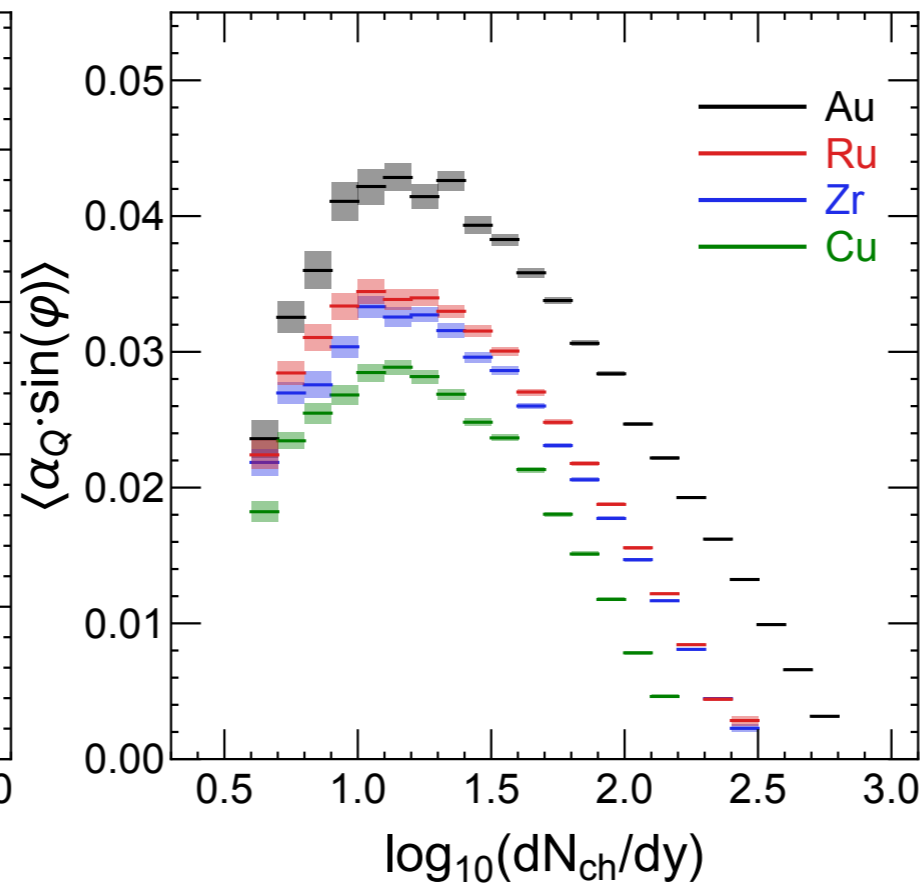
B field  $\sim$  b (for central collisions)

charge dipole & separation  $\sim$  centrality (if the same  $n_5/s$ )

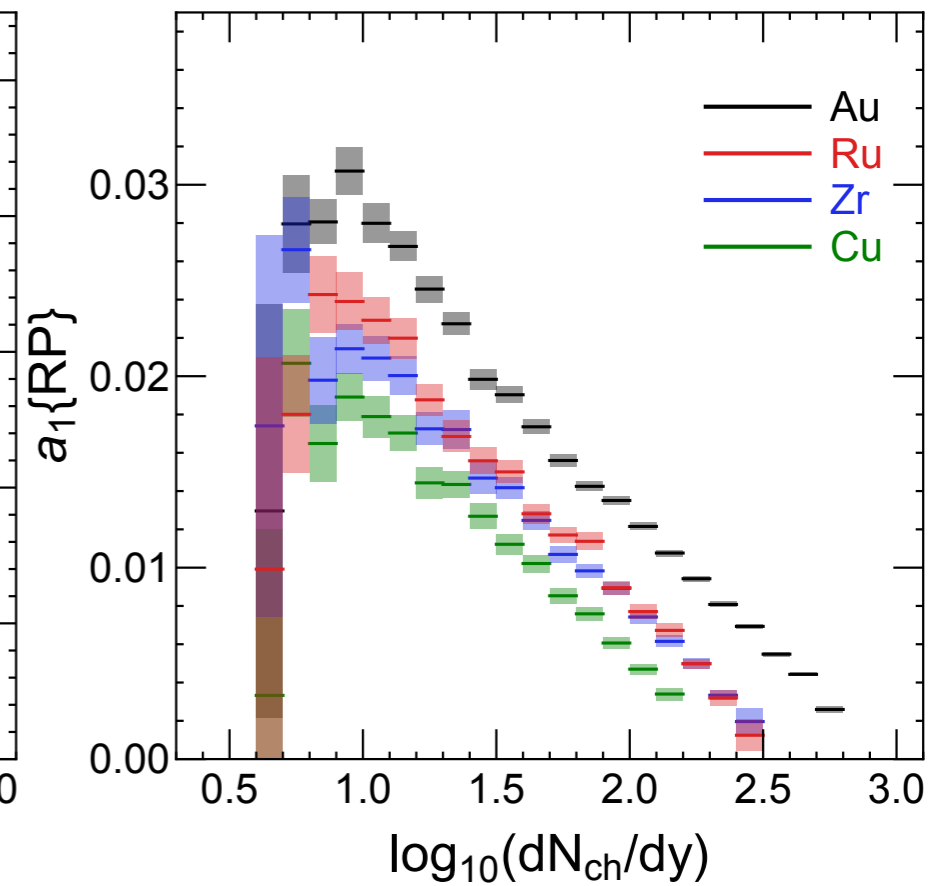
Initial Condition



FO Surface



Final Hadrons

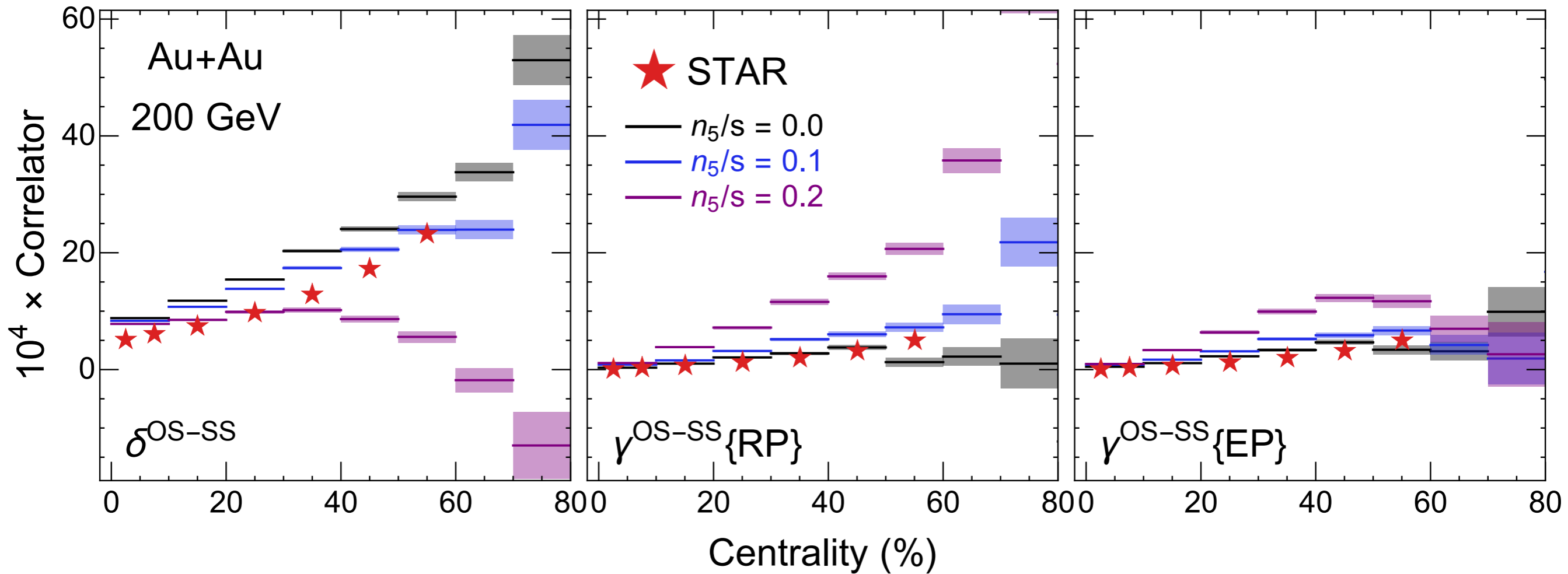


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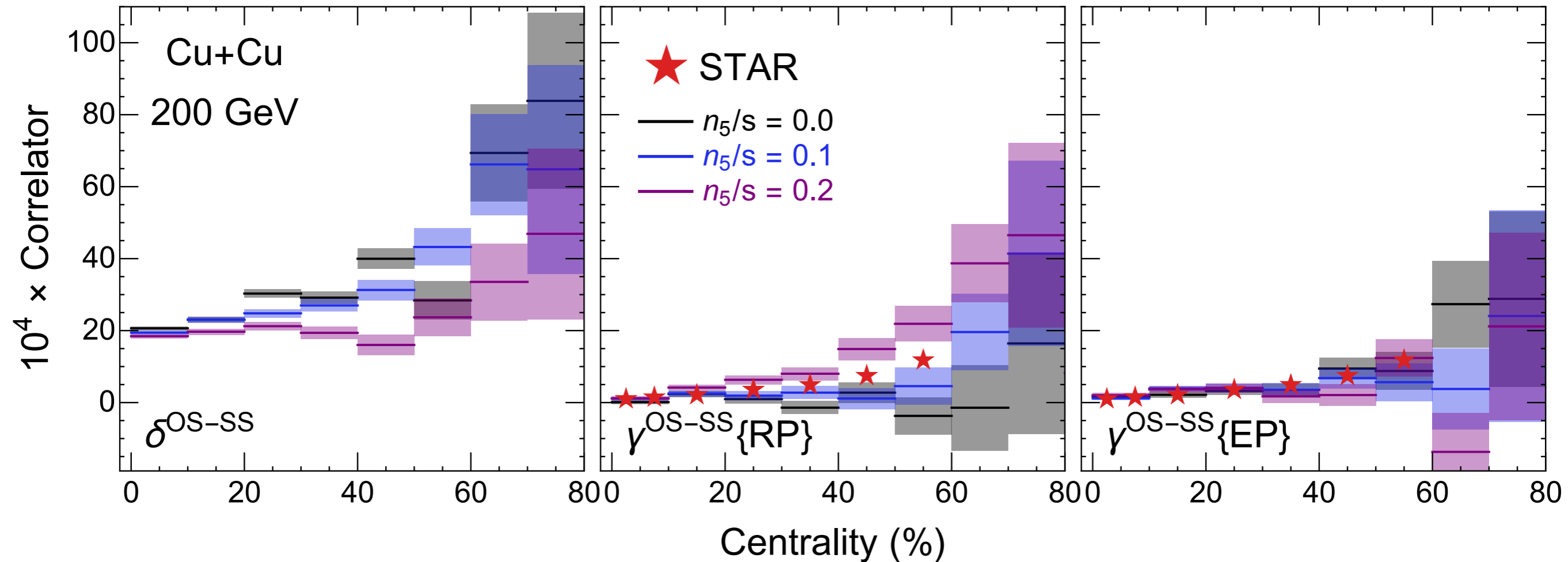
B field  $\sim$  b (for central collisions)

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well separated if binned by multiplicity

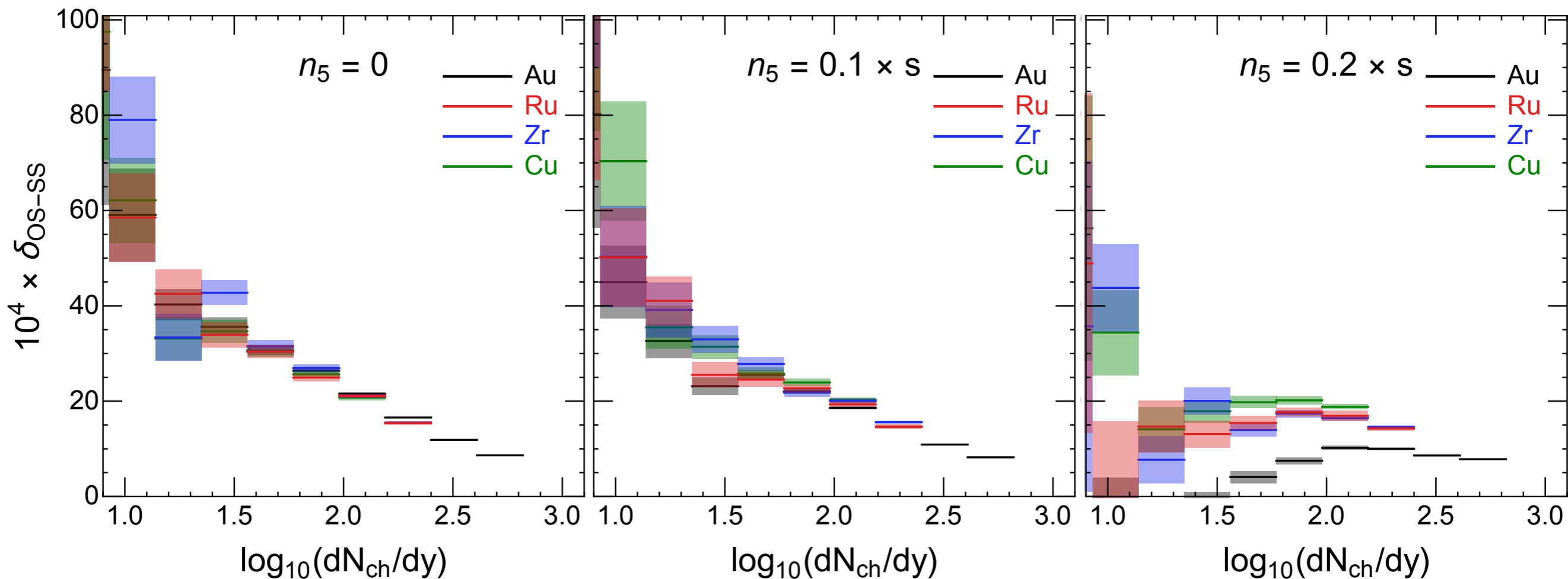


$3 \times 10^6$  min-bias Au+Au events, for each  $n_5$



$10^6$  min-bias Cu+Cu events, for each  $n_5$

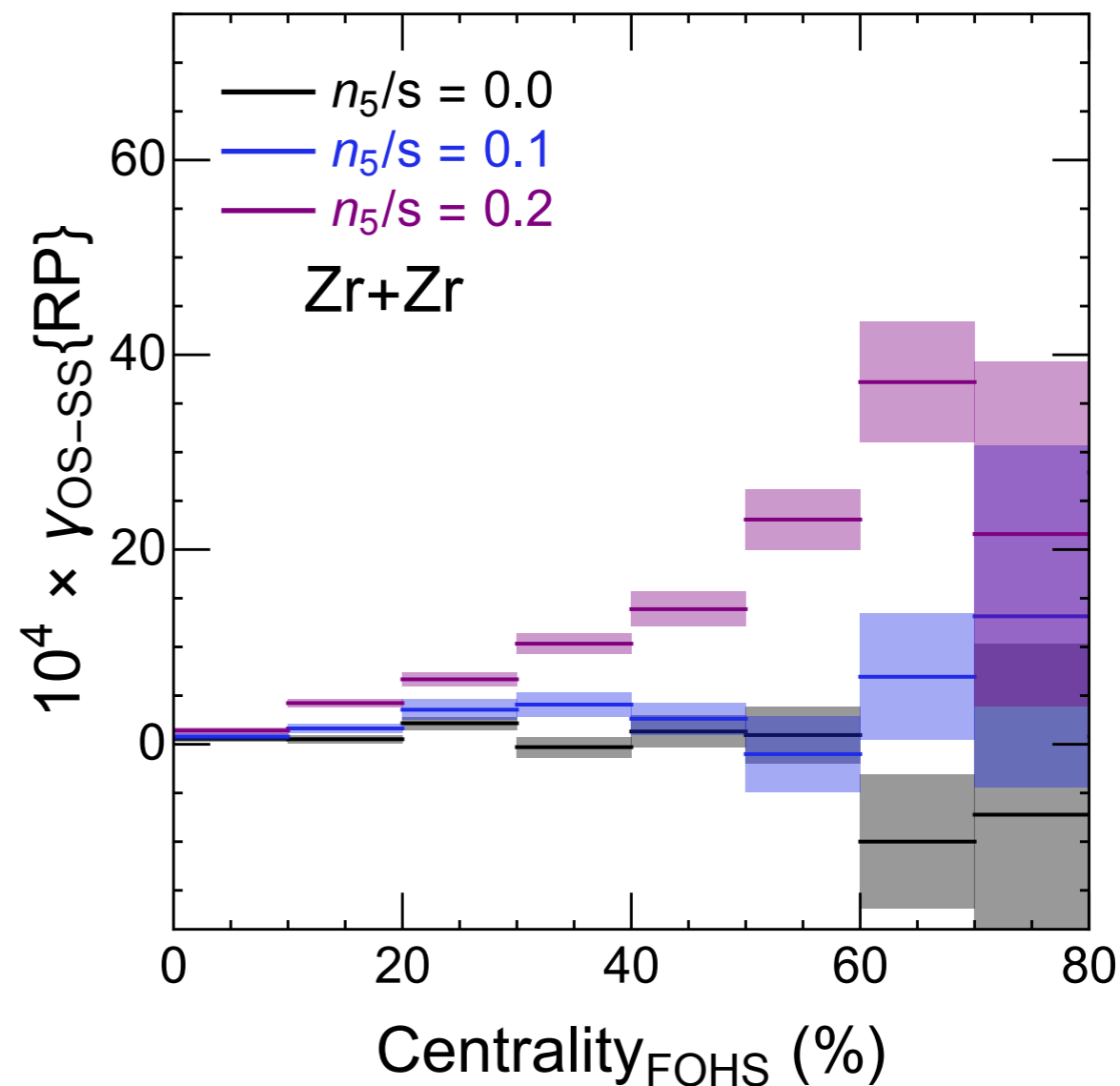
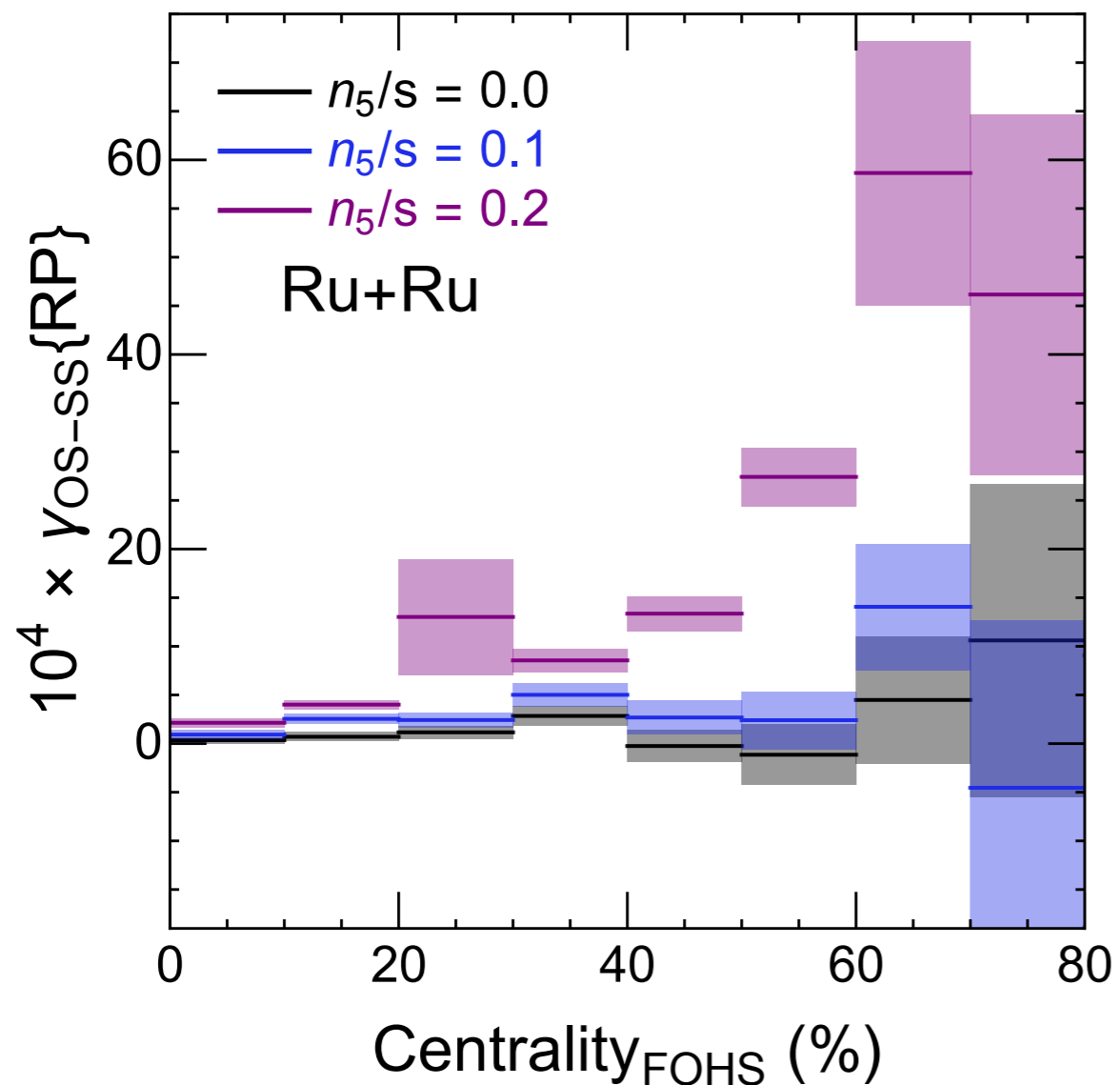
$E_{\text{patch}} \sim 45$  GeV looks promising to estimate the background,  
Need further tunes & more investigations to test the sensitivity,...



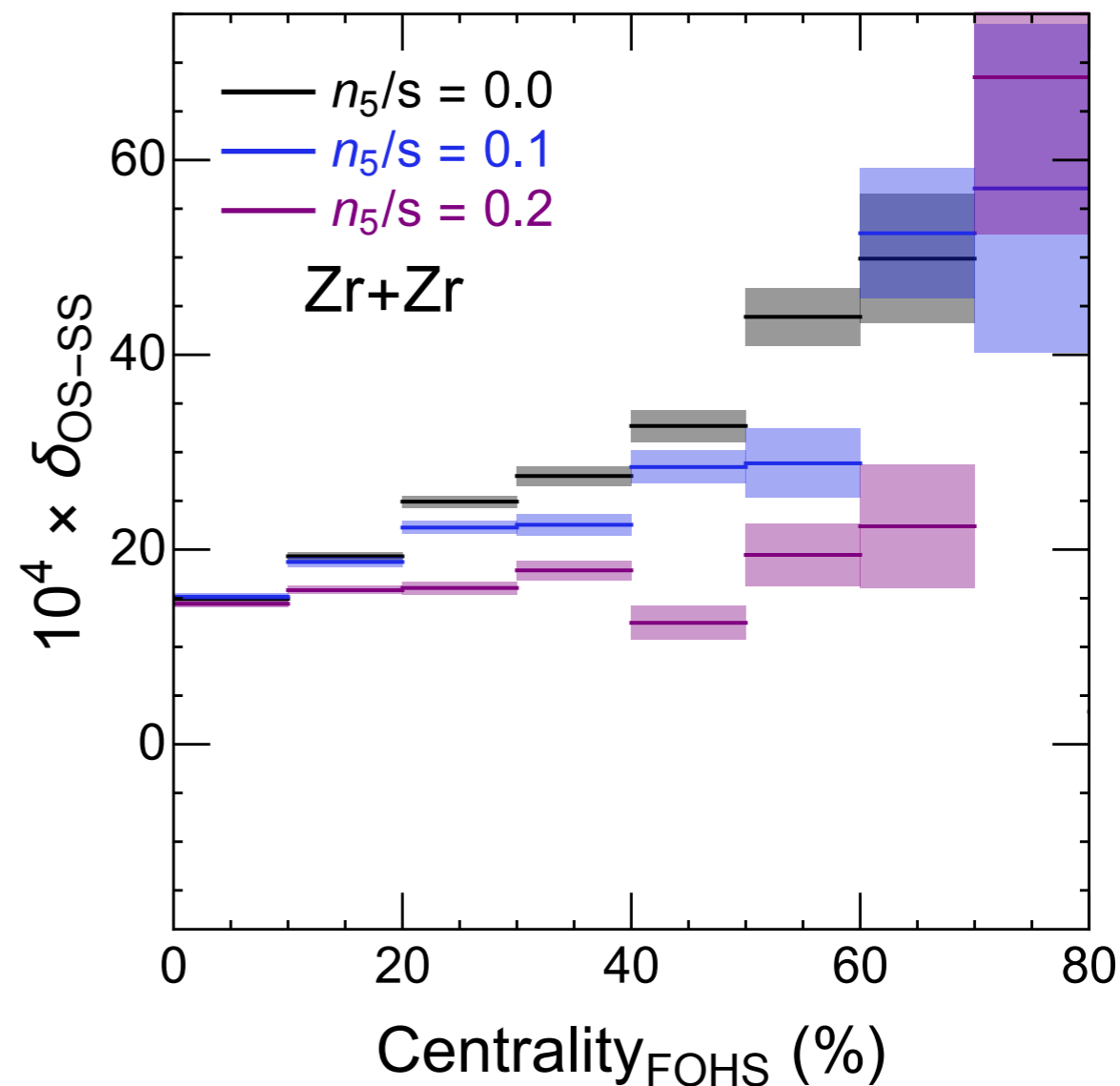
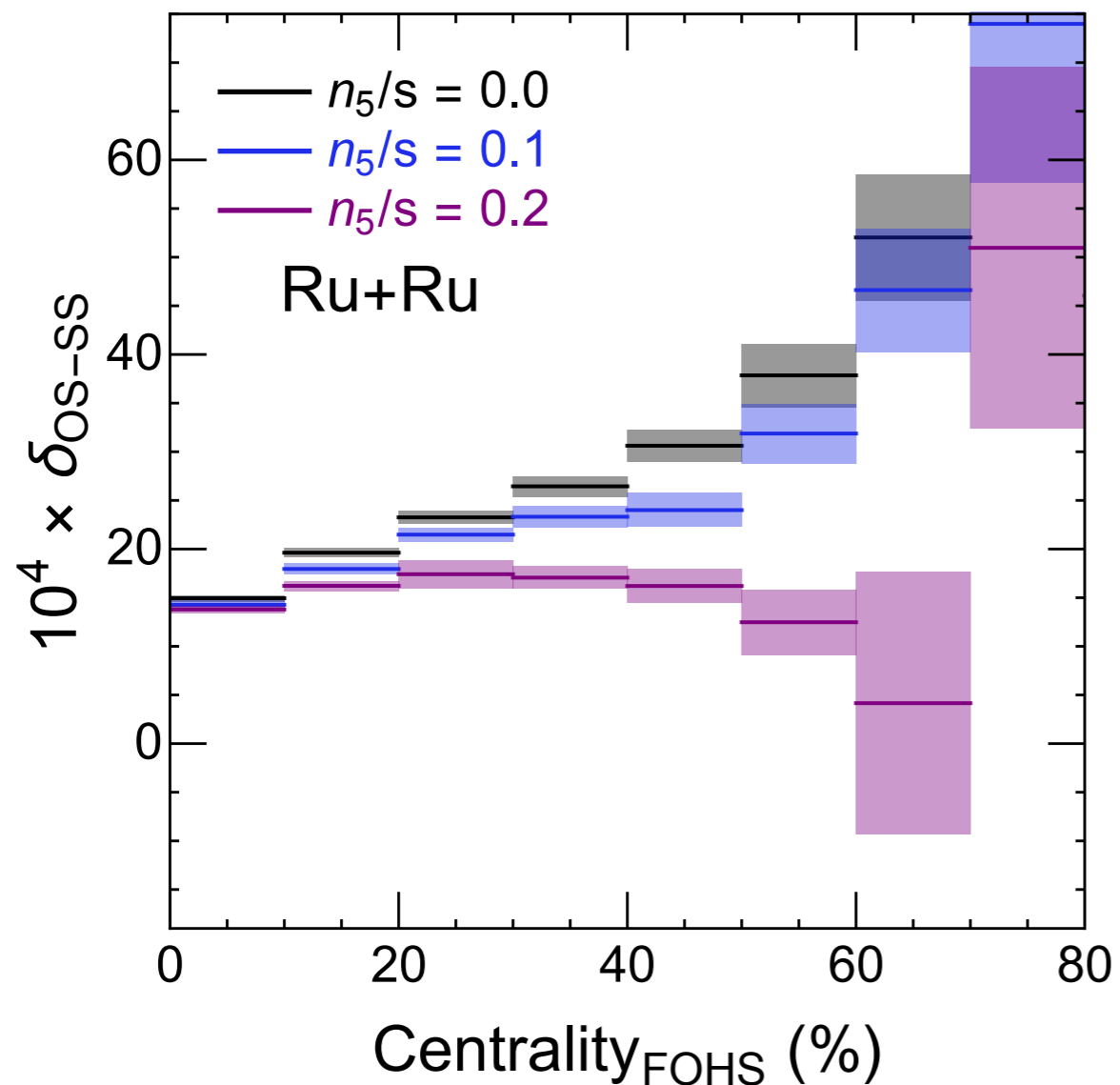
delta-correlator:

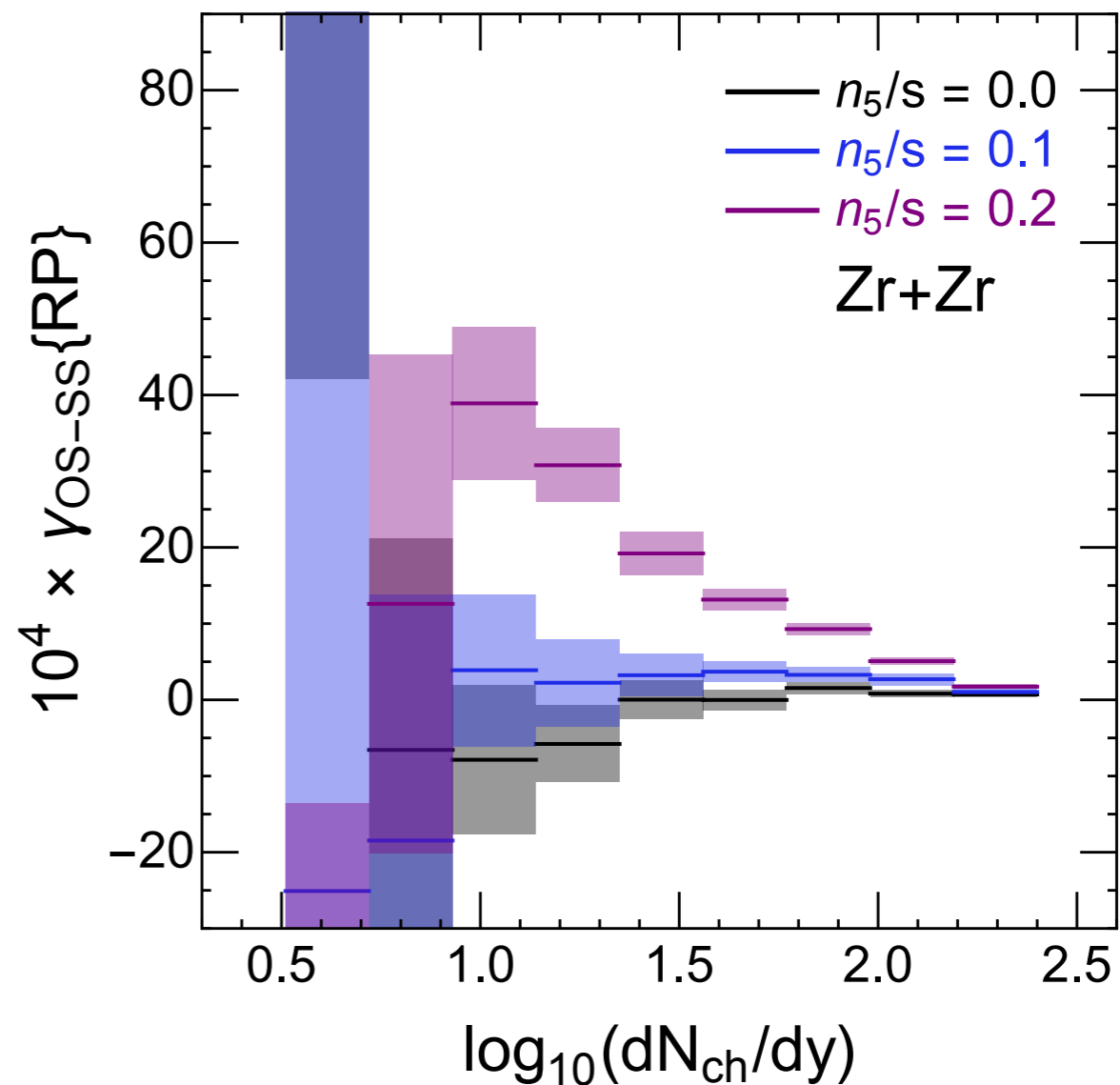
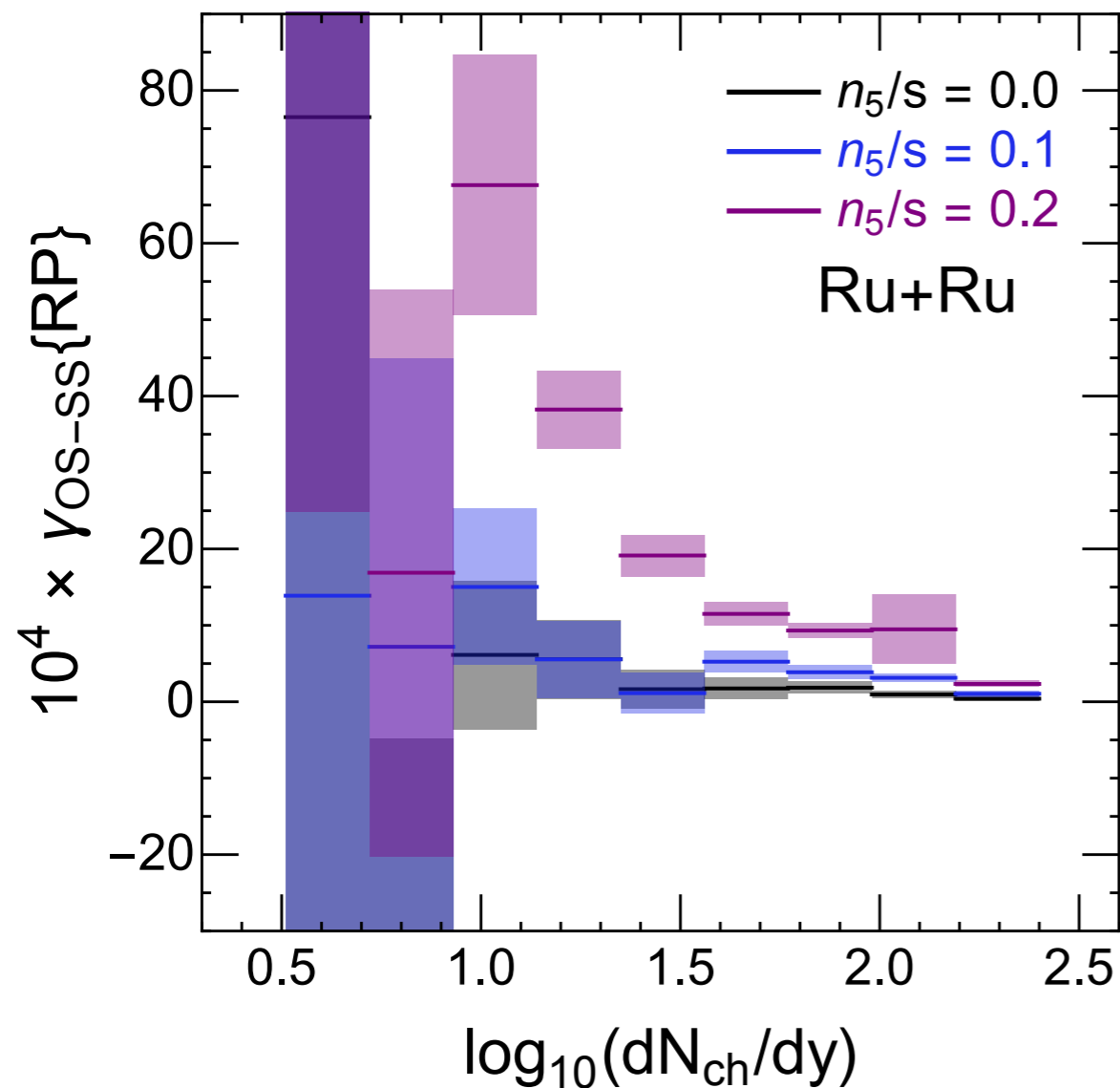
If only background: sys. indept. correlation with multiplicity

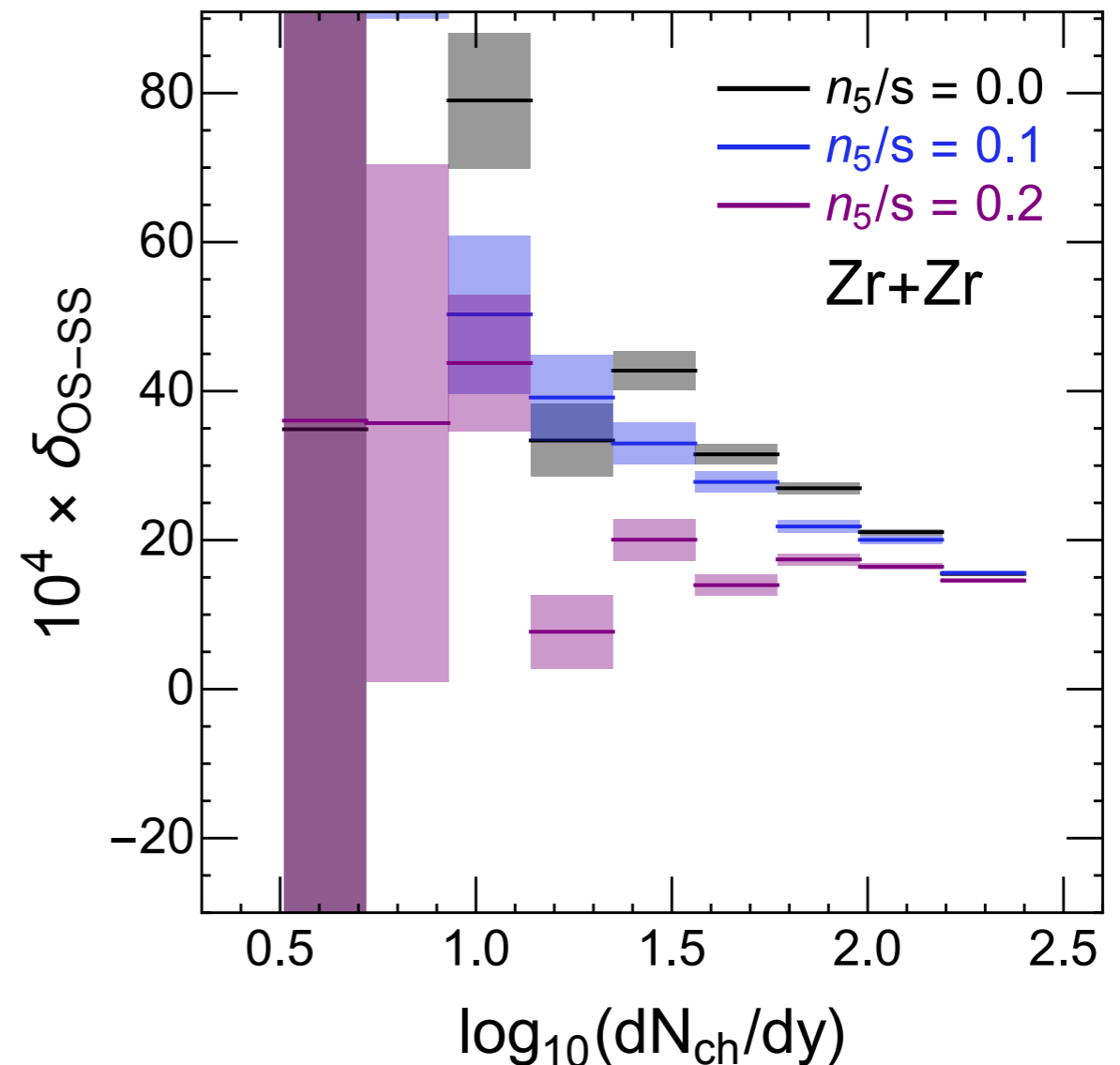
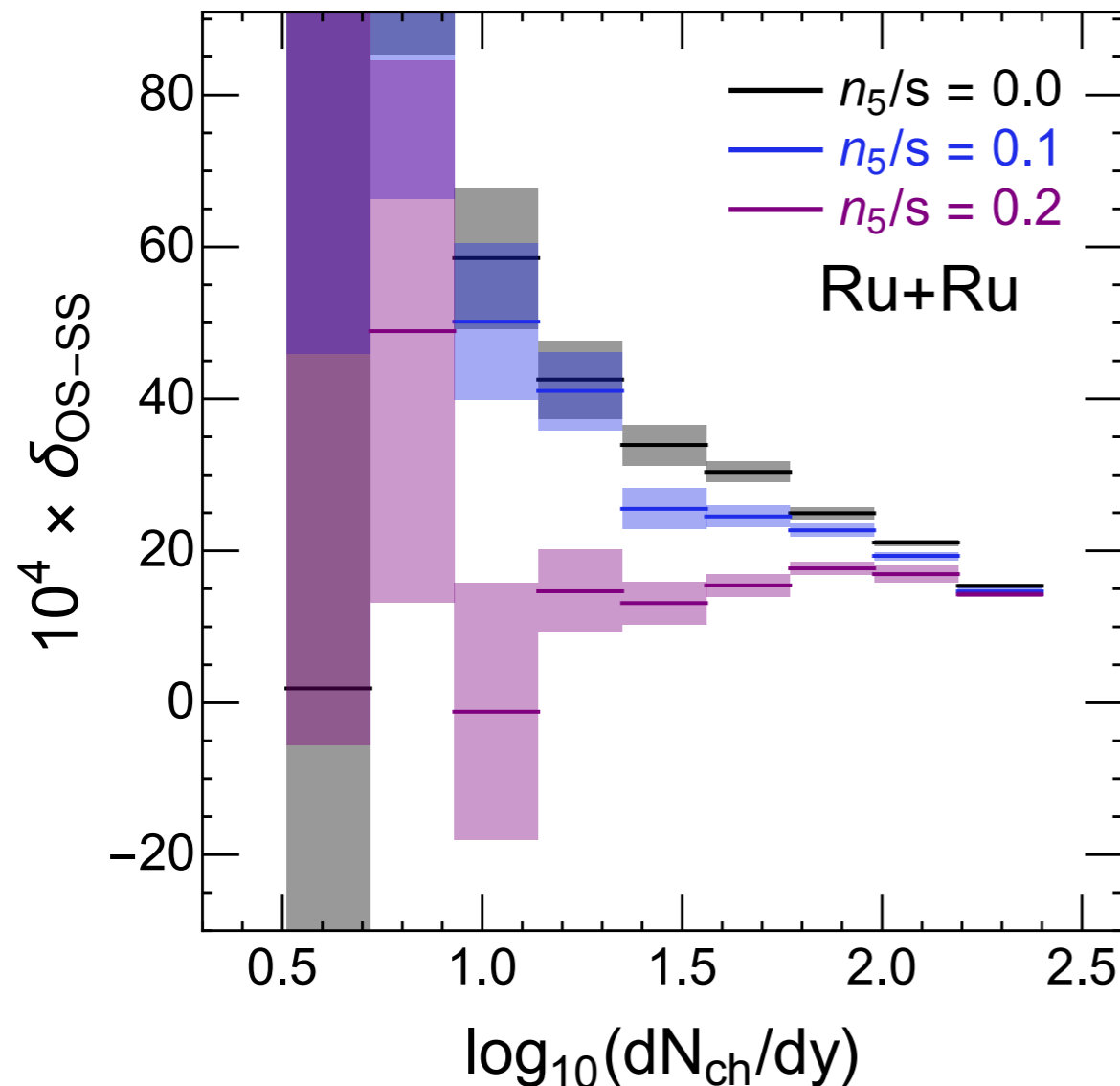
If large enough CME: well separated











$10^6$  min-bias events for each system &  $n_5$

Enough to show its sensitivity to CME,  
 but need more statistics to distinguish the isobar systems

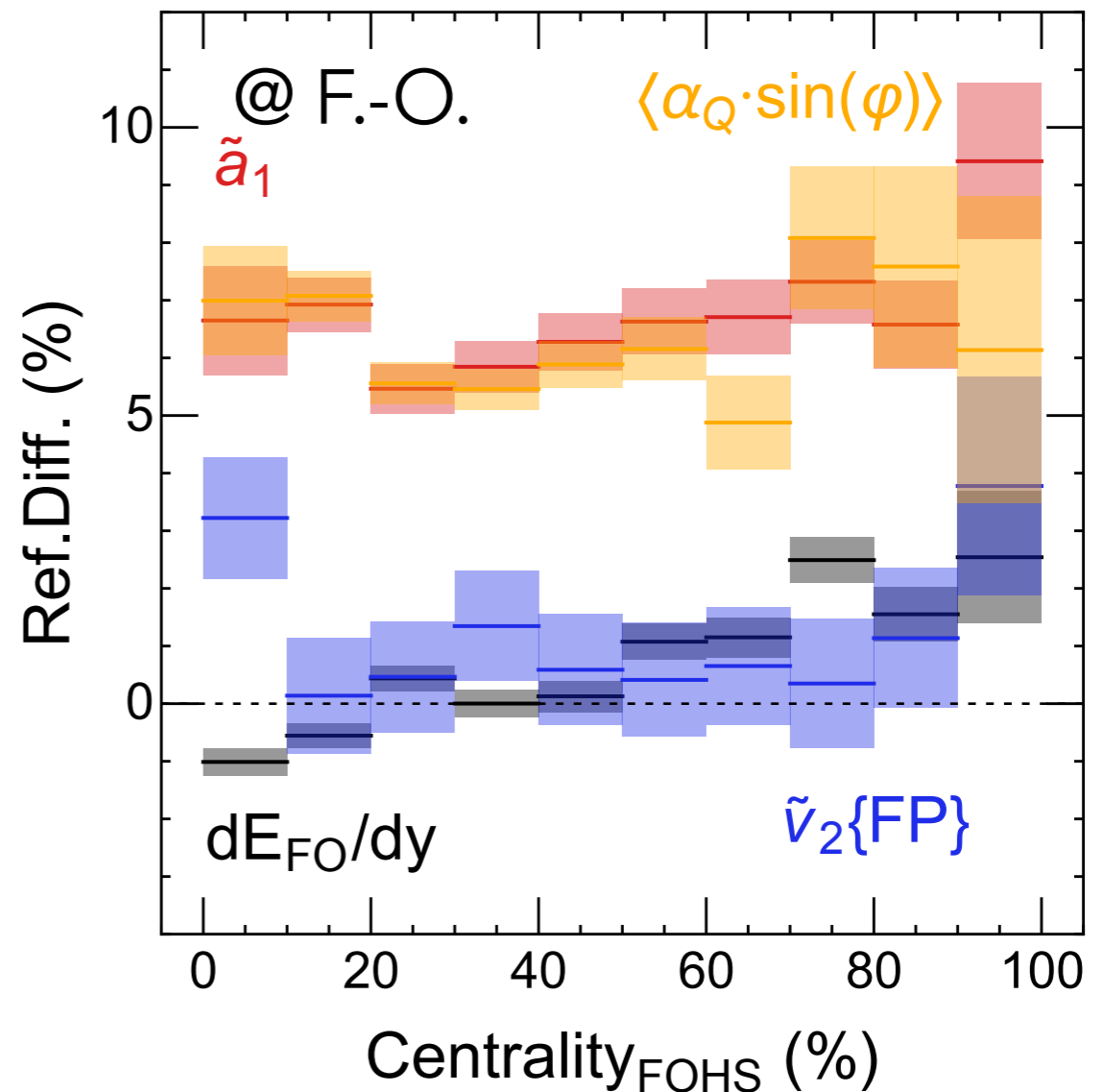
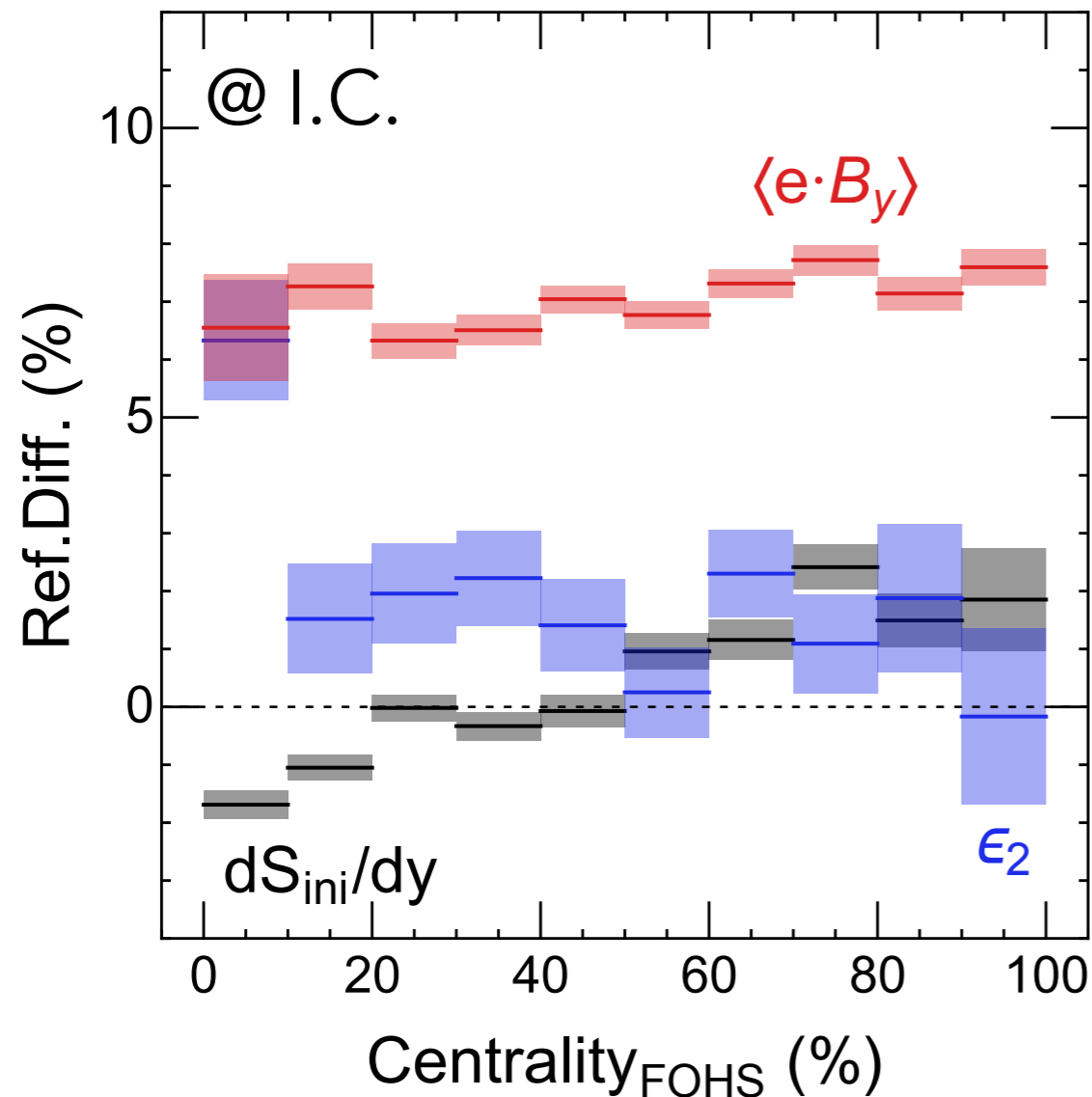
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Question:

Are we on the right track?

Answer:

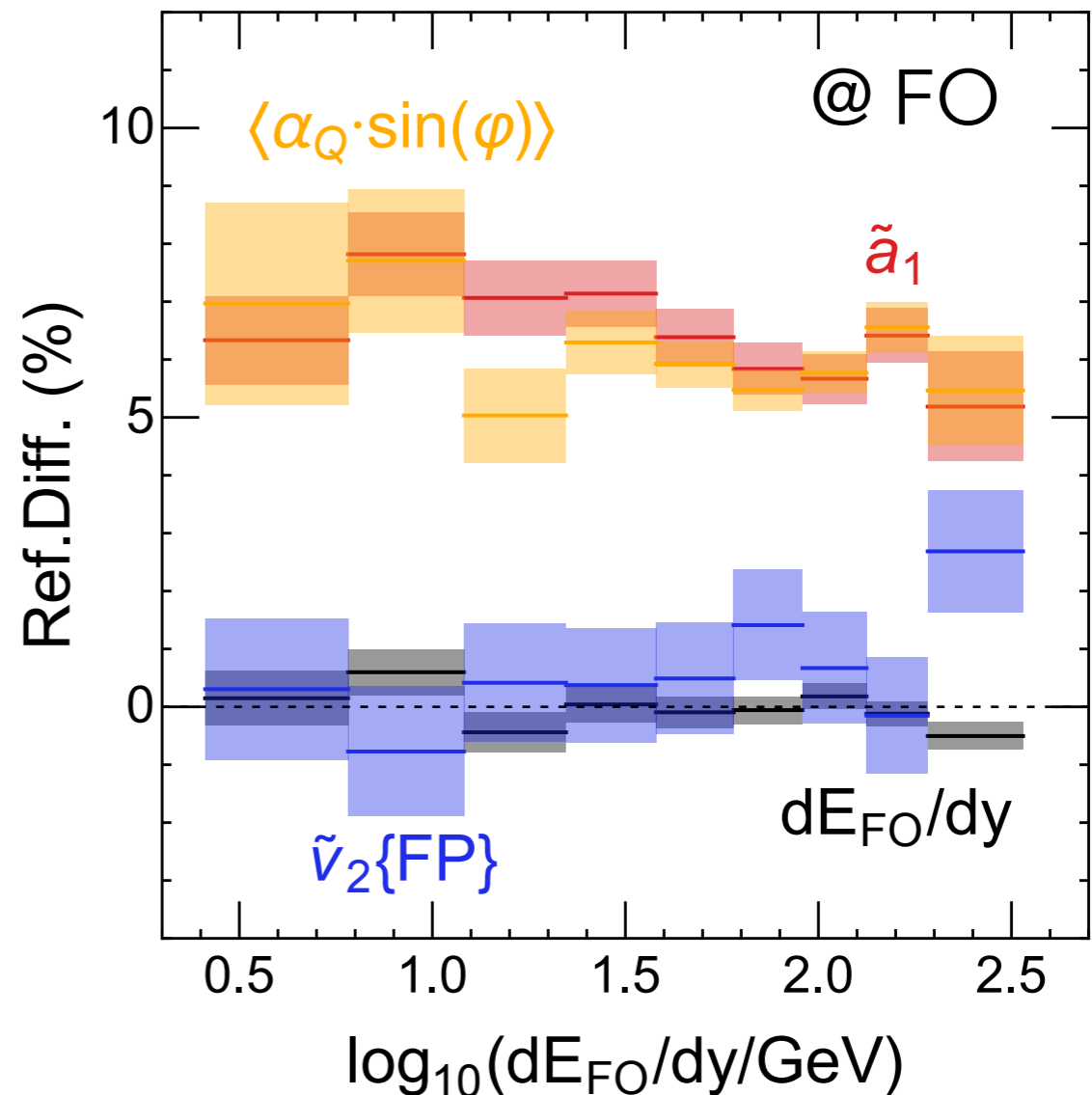
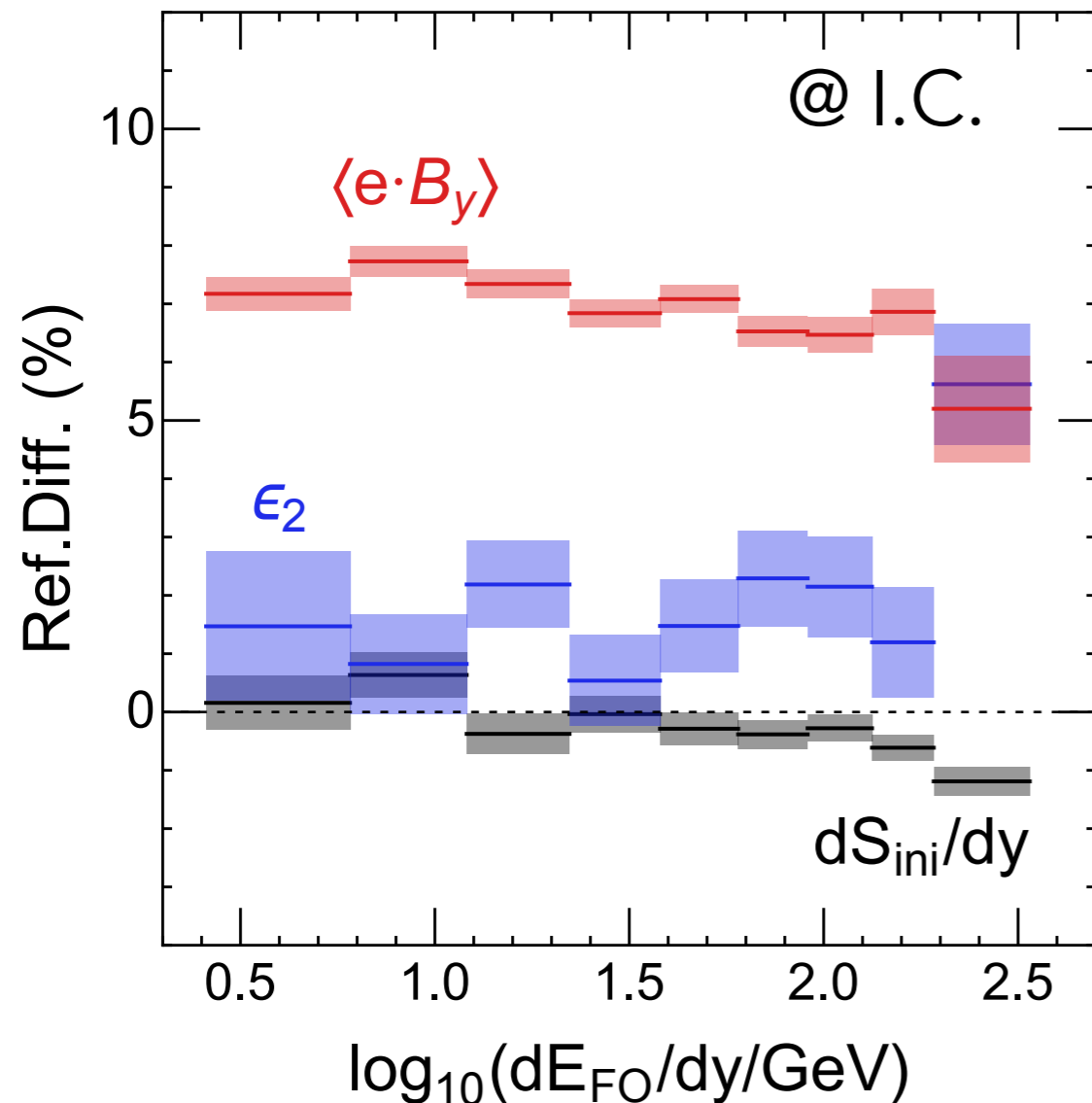
Let's take a look at the comparison of quantities that require less statistics.



Red & Orange: CME-related quantities

Black & Blue: Bulk Background

Clear separation in B field strength & charge dipole



Red & Orange: CME-related quantities

Black & Blue: Bulk Background

Clear separation in B field strength & charge dipole

Multiplicity binning further eliminate possible difference in background

The most updated EBE-AVFD package:

- 1) micro-canonical sampler implemented
- 2) look promising to describe both CME signal & non-CME background

To-Do:

- 1) More statistics
- 2) Further tune  $E_{\text{patch}}$
- 3) Coupled with more realistic B field evolution (see Anping Huang's Talk)

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**THANK YOU!**



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# BACKUP SLIDES

# LCC implementation in the 2nd Gen.

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take neutral systems  
( $\mu = 0$ ) as example

In the current particle sampler,  
two ways to sample particles in a single FOHS cell:

(a) grand-canonical ensemble (both  $N_{\text{net}}$ ,  $E$  fluctuate)

$N_{\text{pos}} \sim$  Poisson Distribution with mean  $\langle N \rangle = N_{\text{thermal}}$

$N_{\text{neg}} \sim$  Poisson Distribution with mean  $\langle N \rangle = N_{\text{thermal}}$

$N_{\text{pos}}$  and  $N_{\text{neg}}$  are not necessarily the same

(b) canonical ensemble ( $N_{\text{net}}$  conserved,  $E$  fluctuates)

$N_{\text{pos}} \sim$  Poisson Distribution with mean  $\langle N \rangle = N_{\text{thermal}}$

$N_{\text{neg}} = N_{\text{pos}}$  [B. Schenke, C. Shen, P. Tribedy, arXiv:1901.04378](#)

# LCC implementation in the 2nd Gen.

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## A hybrid approach?

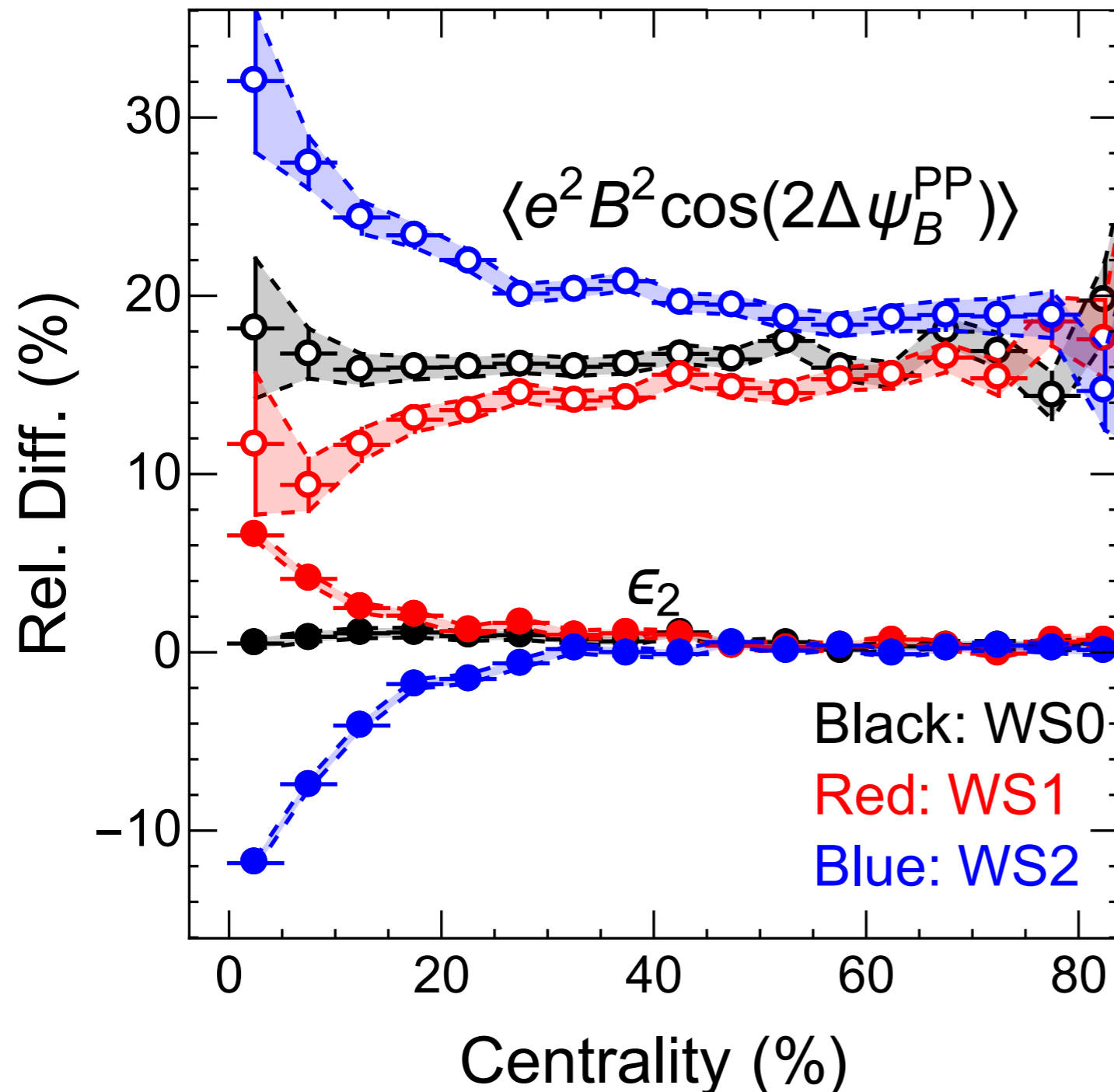
- c) for every cell, randomly choose (a) or (b), according to given acceptance probability  $P_{LCC}$  being a parameter  $\in [0,1]$ .
- $P_{LCC}$  of the charged particles freeze-out *in pairs*, from the *same* cell of hyper-surface;
  - $1-P_{LCC}$  of the charged particles freeze-out *independently*.

Different deformation schemes:

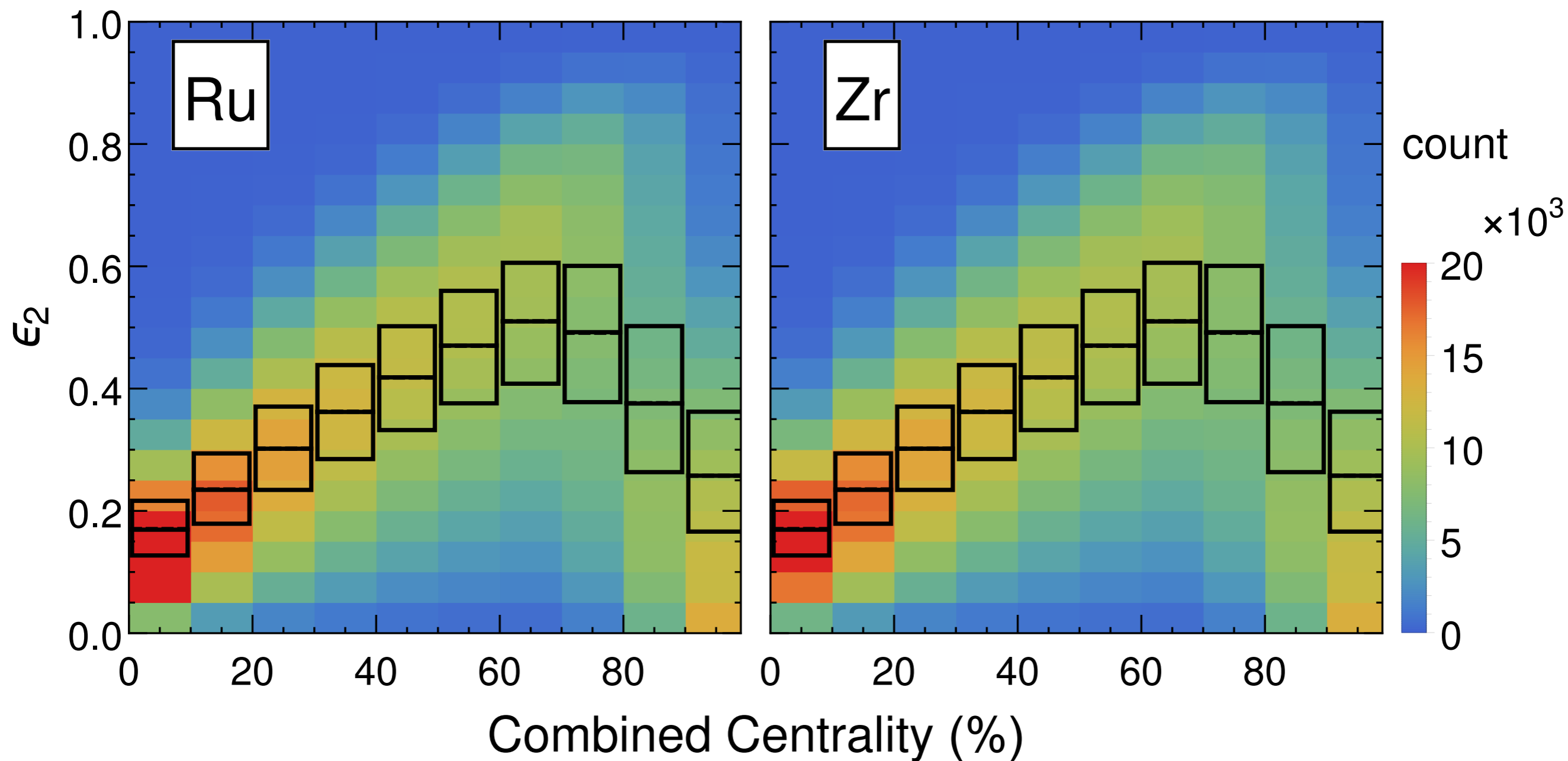
black - no deformation (both are spherical)

red - Ru is more deformed

blue - Zr is more deformed



Several percent relative difference in ellipticity



**Joint cut of Multiplicity  $\otimes$  Eccentricity  $\Rightarrow$  same background!**