Hadron dynamics summary

- Transform hydro field into particles (particlization)
 talks by Sangwook, Maneesha, Maneesha, Shuzhe
- Hadron transport including mean field
 - talk by Agnieszka
- Data fitting

Particlization

- General:
 - Account for details such as viscous corrections and spectral shapes etc
 - Shapes are done, and viscous corrections for shear viscosity
- Fluctuations, correlations:
 - Poisson sampling generates additional fluctuations and washes out correlations
 - Micro-canonical sample (Dima)
 - Sampling is done and works, patches still need more conceptual input
 - Sampling (2,3,4,...) particle correlations (Maneesha)
 - two particle correlation function at "freeze out" available, particlization to be done

Spectral shapes



Viscous corrections (shear)



$$p_i = (\delta_{ij} + \alpha \pi_{ij}) p'_j$$
 red and green

$$f(p) = f_0(p) + \alpha \pi_{ij} \frac{p_i p_j}{E}$$

black and blue

Viscous correction (bulk)



$$p_i = (1 + \alpha \Pi_{i,i}) p_i$$



Micro Canonical Sampling

- Main motivation: Stochastic hydro
 - All (including thermal) fluctuations are provided by ensemble of stochastic hydro events
 - Need to map the "local" values of ALL conserved charges into kinetic theory for each member of the stochastic hydro ensemble.
 - added benefit: small systems, global conservation for nonstochastic hydro
- Patches: Forced upon us since computational cells have <<1 particles
 - No need for classical fluids.
 - Coarse grains computational grid into physical grid
 - Open question: How to chose the patch "size"
 - Fixed energy: Intuitive, but may "interfere" with stochastic fluctuations
 - Any good ideas and suggestions are welcome

Micro Canonical(+) Sampling



It works! And is sufficiently fast

Able to account for (energy) density variation within patch if so desired

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Micro-canonical sampling: Patching





Effects of patch algorithm are present but tolerable



Patches

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Kinematic constraints will be softened in stochastic hydro...



"control voluo" E = 15 GoV

Hydro+



Hadronic Transport

- Include mean field to be able to match EOS on the hadronic side
 - develop flexible mean field (DFT) Hamiltonian
 - implement in Smash

Mean field

the energy density of the system:

$$\mathscr{E} = \mathscr{E}[f_{\mathbf{p}}] = \int \frac{d^3 p}{(2\pi)^3} \,\epsilon_{kin} \,f_{\mathbf{p}} \,+\, \sum_{i=1}^N C_i (j_\mu j^\mu)^{\frac{b_i}{2} - 1} \left[j^0 j^0 - g^{00} \left(\frac{b_i - 1}{b_i} \right) j_\lambda j^\lambda \right]$$

like Skyrme energy, but Lorentz covariant

the quasiparticle energy and obtain equations of motion (EOMs):



Mean field in smash





Where are we

- Particlization algorithms in good shape
- Patches need some physics input
- Semi flexible mean field available
- Implemented and tested in SMASH

To Do

- Better understand the patch "size"
 - use data
 - would be very helpful to have some kind of stochastic hydro to "play" with
- Extend mean field to include scalar interaction
 - proved more flexibility
 - requires additional work on the SMASH side
- Data Fitting
 - Need parameterization of initial state
 - •Nice progress reported by Bjoern
 - Need to get going