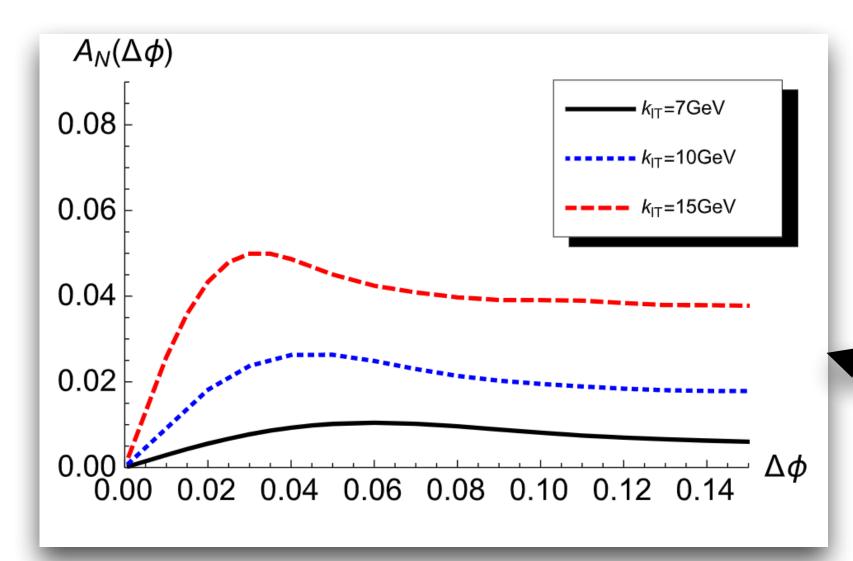
Jet charge for spin asymmetries

Xiaohui Liu

Jets for 3D imaging, 2020



Jets @ EIC

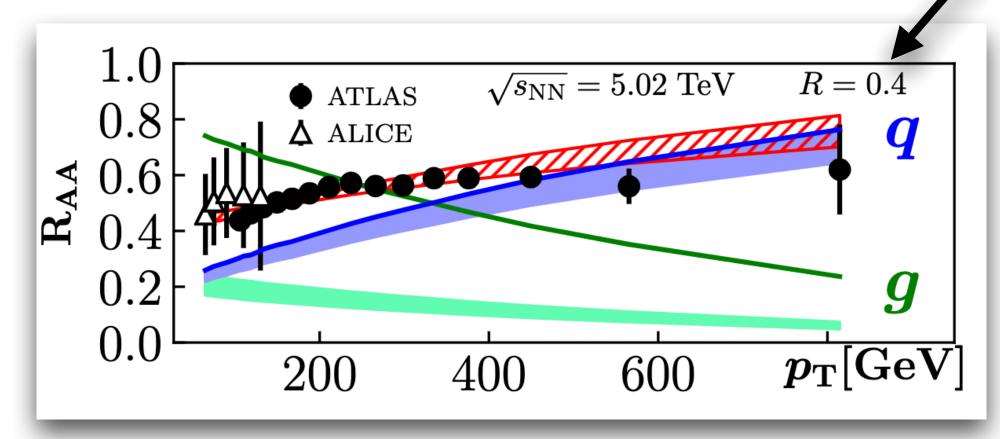


Proton polarization,
Proton polarization,
Collins function
Sivers function

 S_T S_A $\hat{\phi}_{h}$ $\hat{\phi}_{h}$

Kang, Lee, Zhao, 20

XL, Ringer, Vogelsang, Yuan, 19

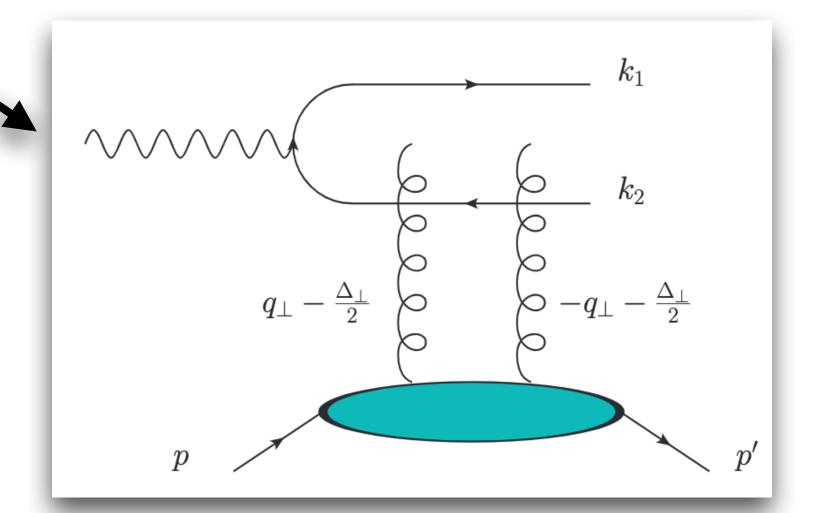


Heavy ion

Small-x, GPD

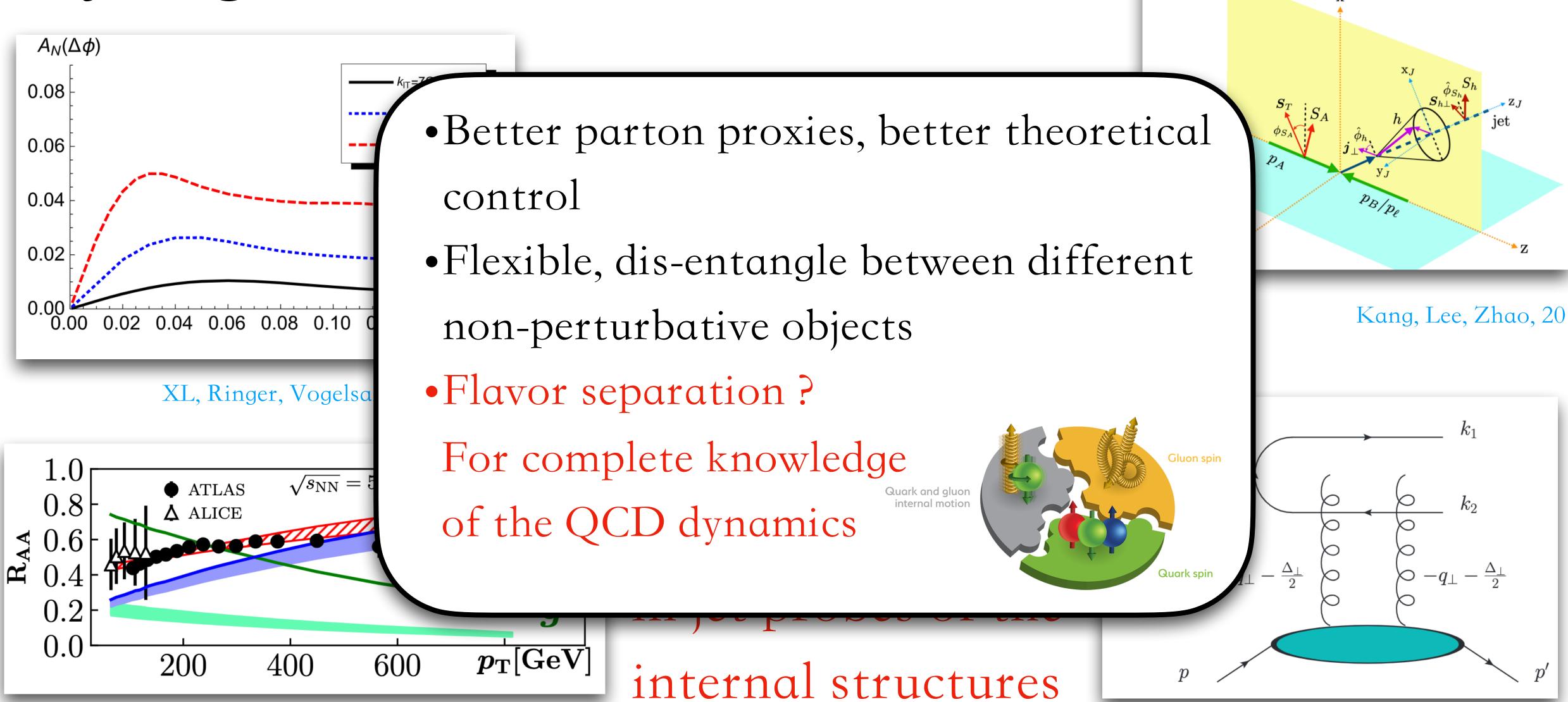
Growing interests in jet probes of the internal structures

Jets/substructures

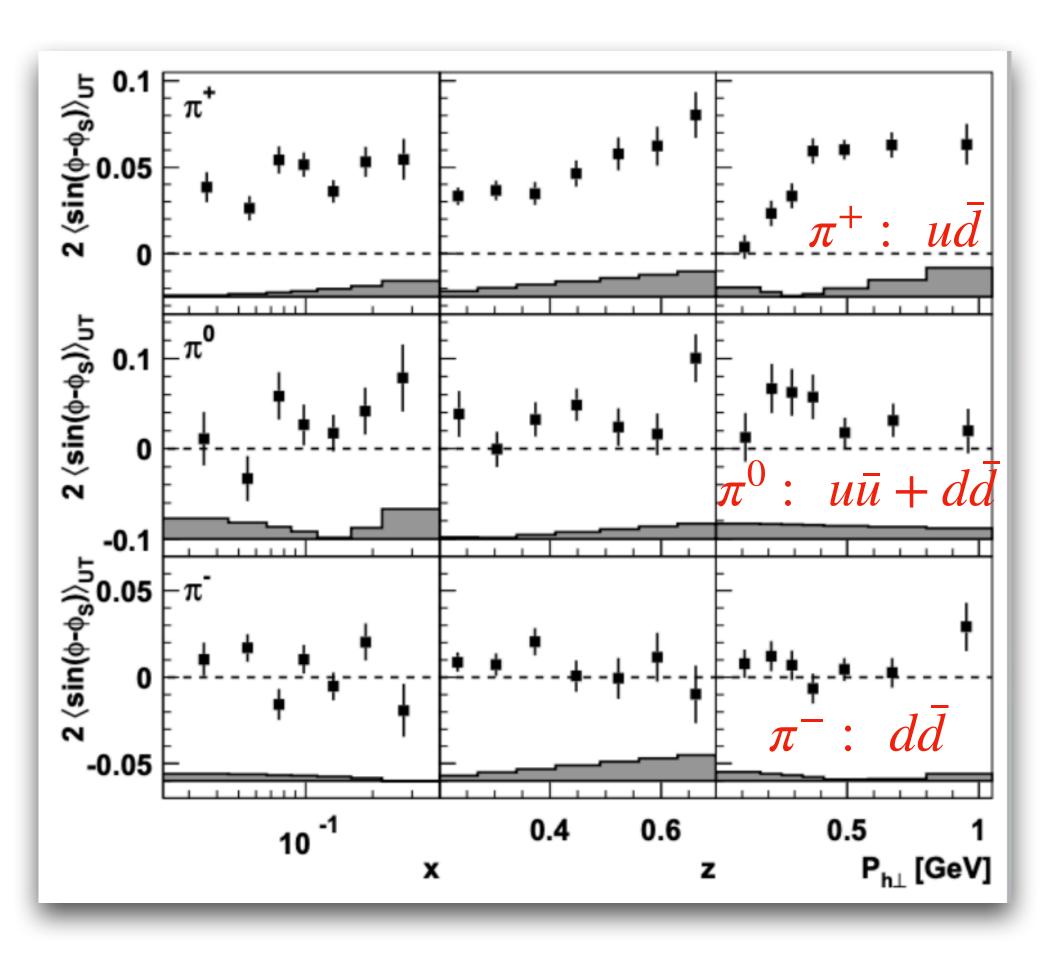


Qiu, et al, 19





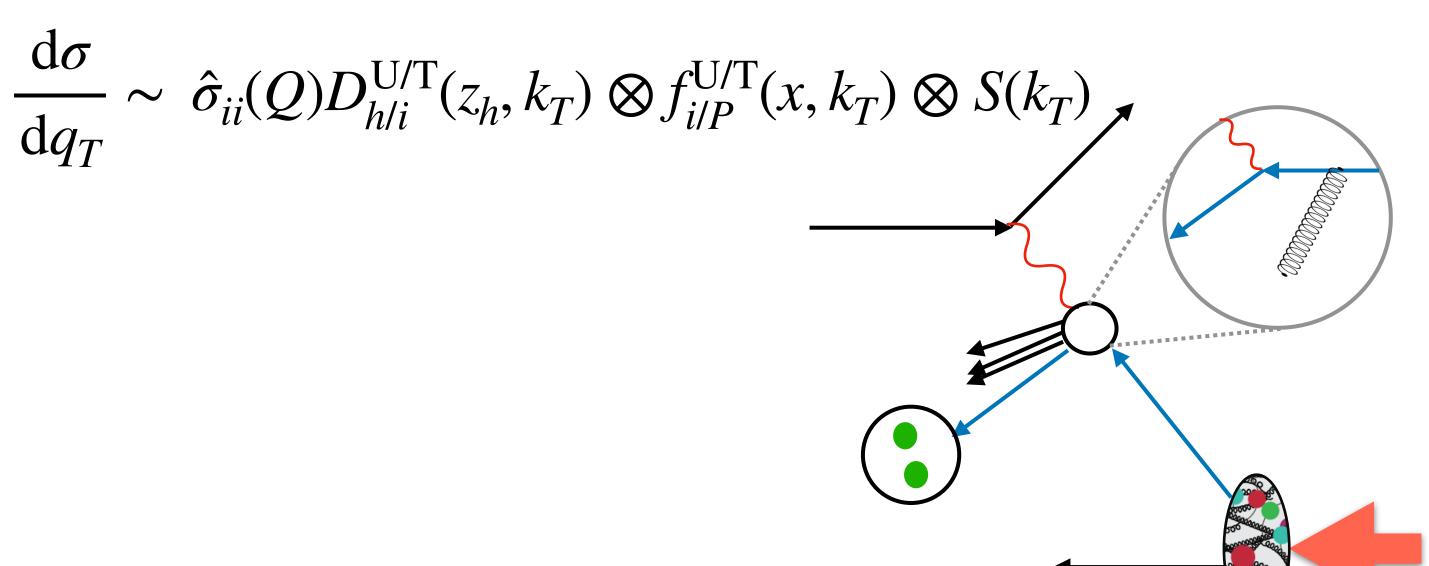
Jets @ EIC



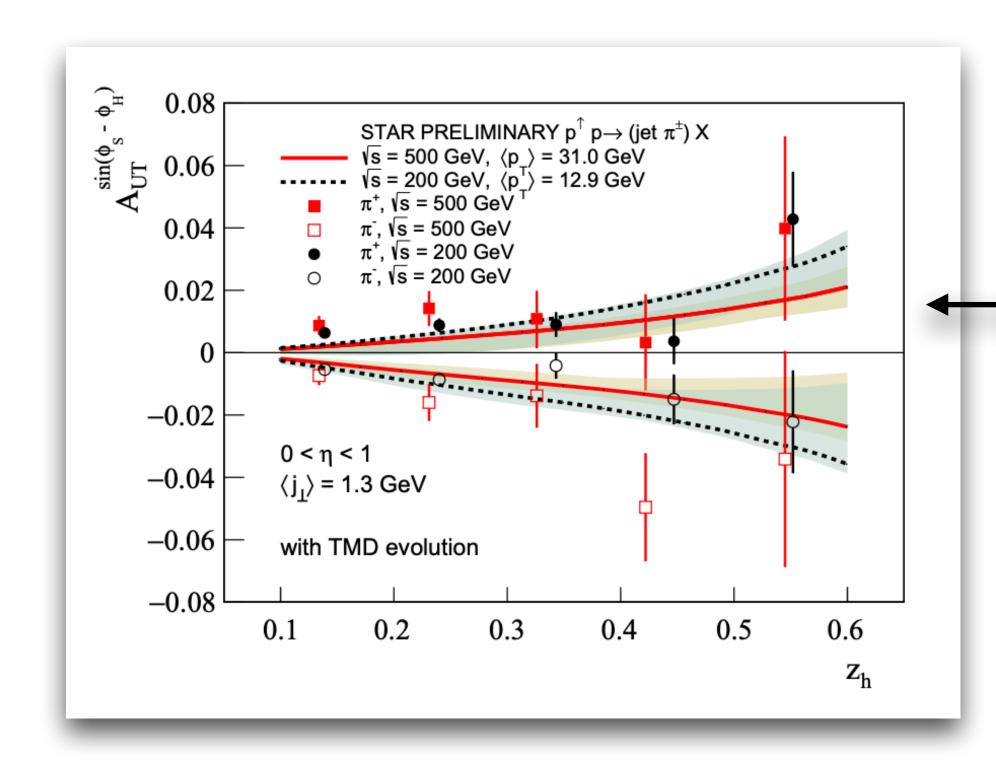
HERMES collaboration, 2009

Flavor separation in SIDIS

- Flavor correlated between initial and final
- Tagging final state hadrons for flavor discrimination
- Need TMD FFs / spin counterparts



Jets @ EIC



Kang, Prokudind, Ringer, Yuan, 2017

Flavor separation with hadrons in jets

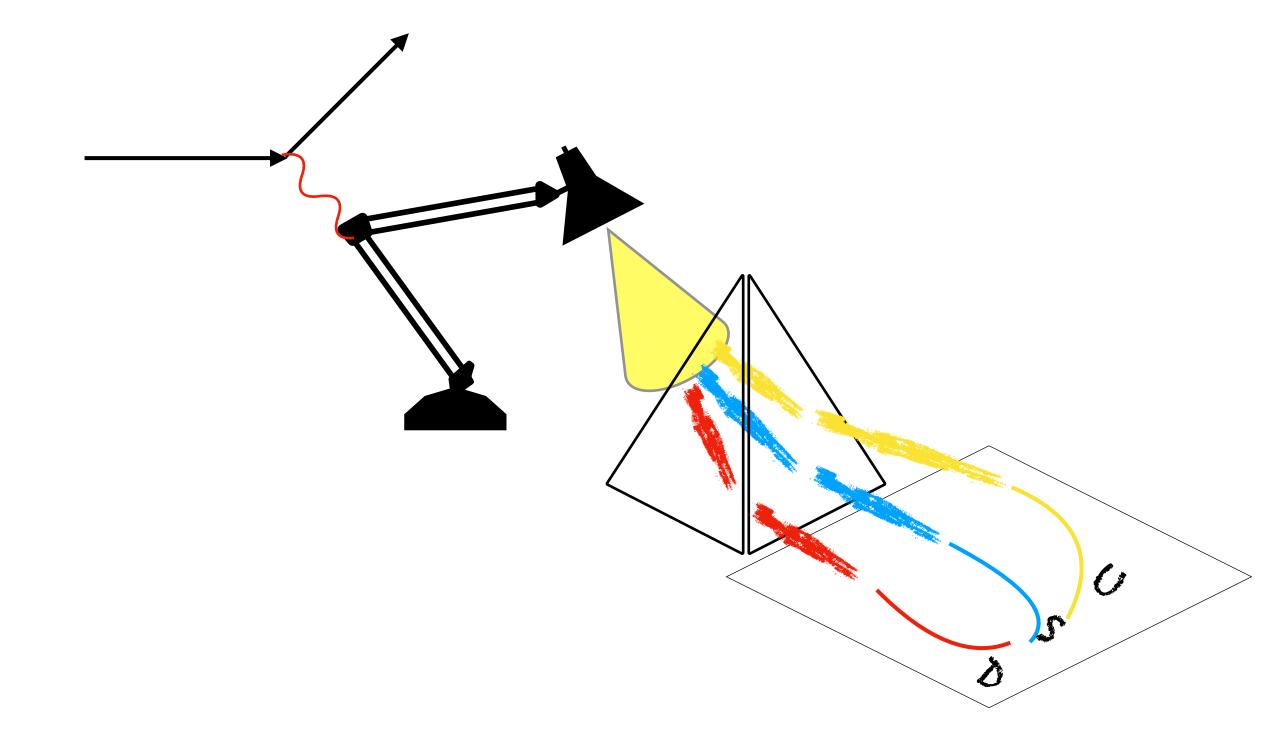
- Tagging hadrons in jet for flavor discrimination
- Applied for the Collins function
- Also good for the flavor separation in Sivers function if small jet-lepton imbalance is measured. For gluon Sivers, see for instance Liang's talk

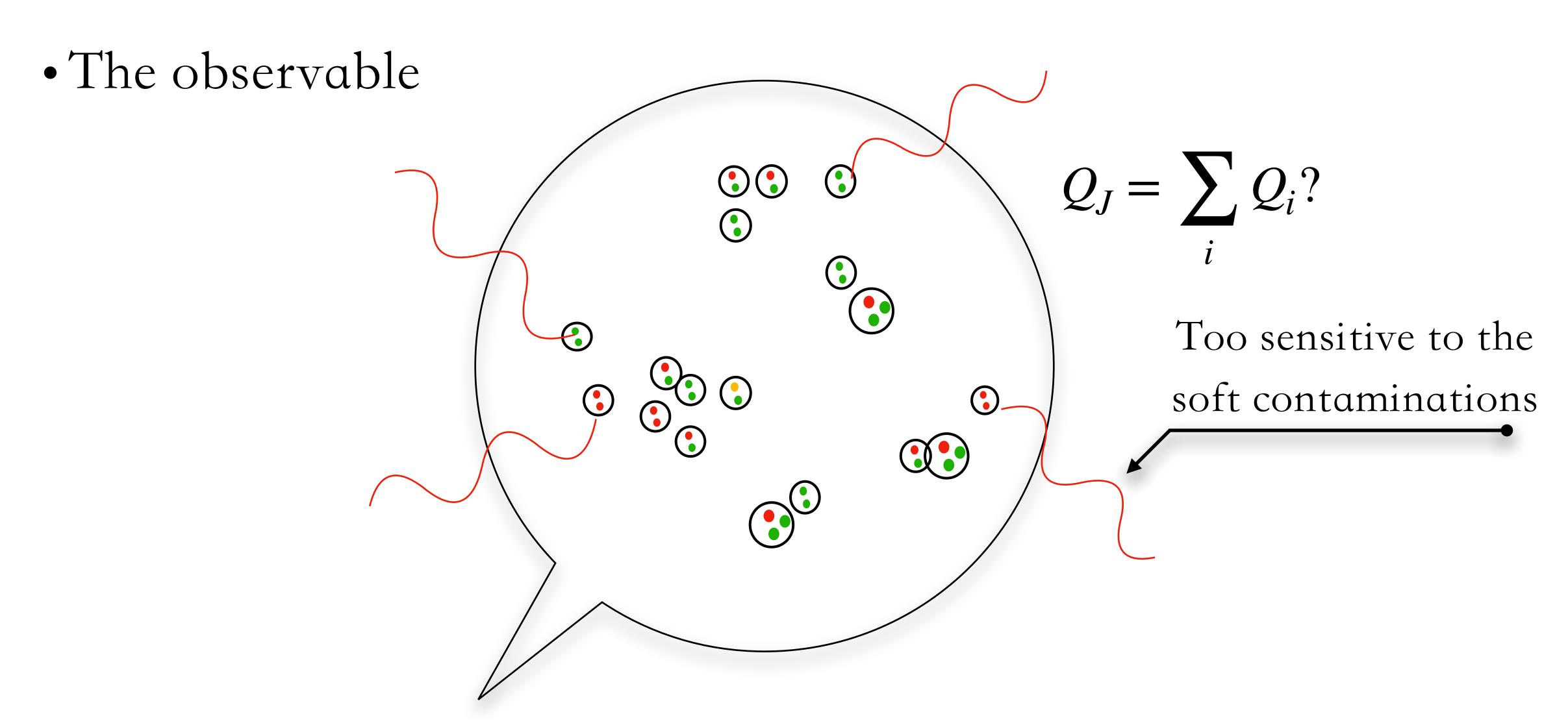
Need FFs

$$\frac{\mathrm{d}\sigma}{\mathrm{d}q_T} \sim \hat{\sigma}_{ii}(Q)D_{h/j}(z_h)J_{ji}(R) \otimes f_{i/P}^{\mathrm{U/T}}(x,k_T)$$

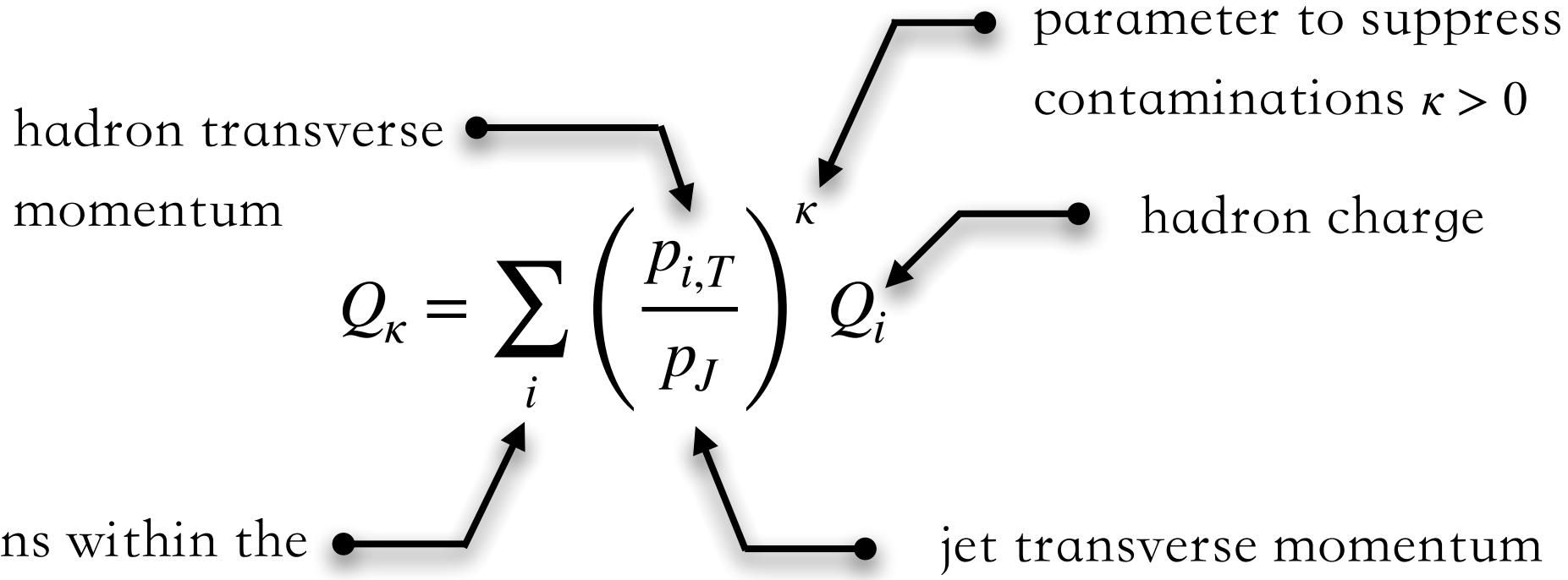
Other alternatives?

- Probe directly the light parton flavors
- No extra non-pert. distributions
- Information beyond QCD
- electro-charge? Robust against the hadronization?





• The observable



sum over hadrons within the jet. Flexibility to use a specific hadron species, "the hadron component" of the jet

Field and R. Feynman, 1978

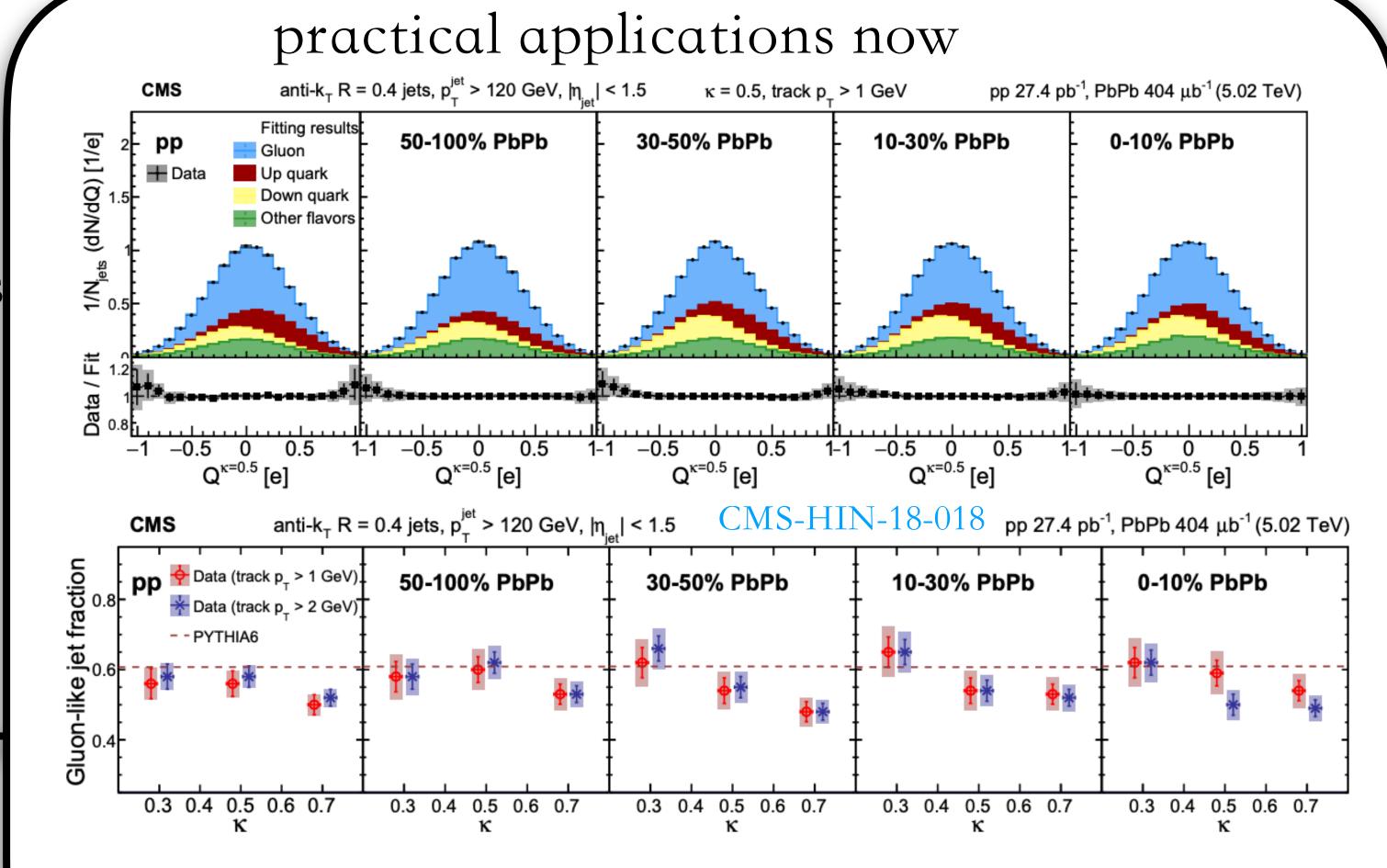
Krohn, Schwartz, Lin, and Waalewijn, 2013

• The observable

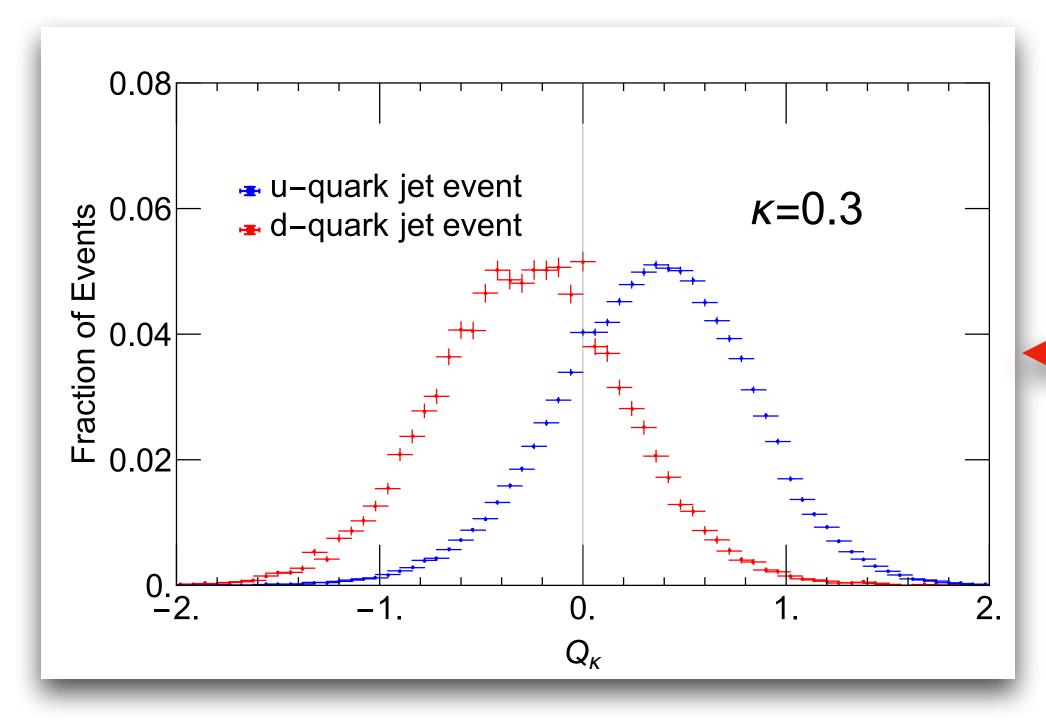
hadron transvers momentum

 Q_{κ}

sum over hadrons within the jet



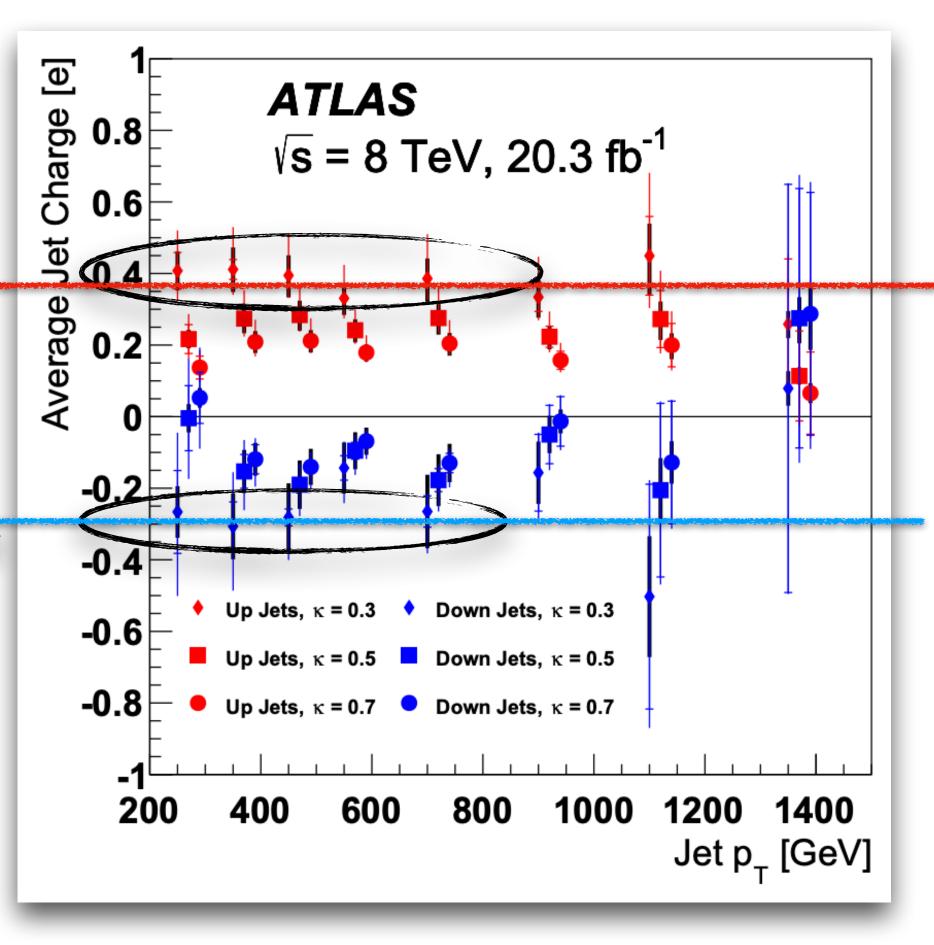
• The observable $Q_{\kappa} = \sum_{i} \left(\frac{p_{i,T}}{p_{J}}\right)^{\kappa} Q_{i}$



Pythia simulation

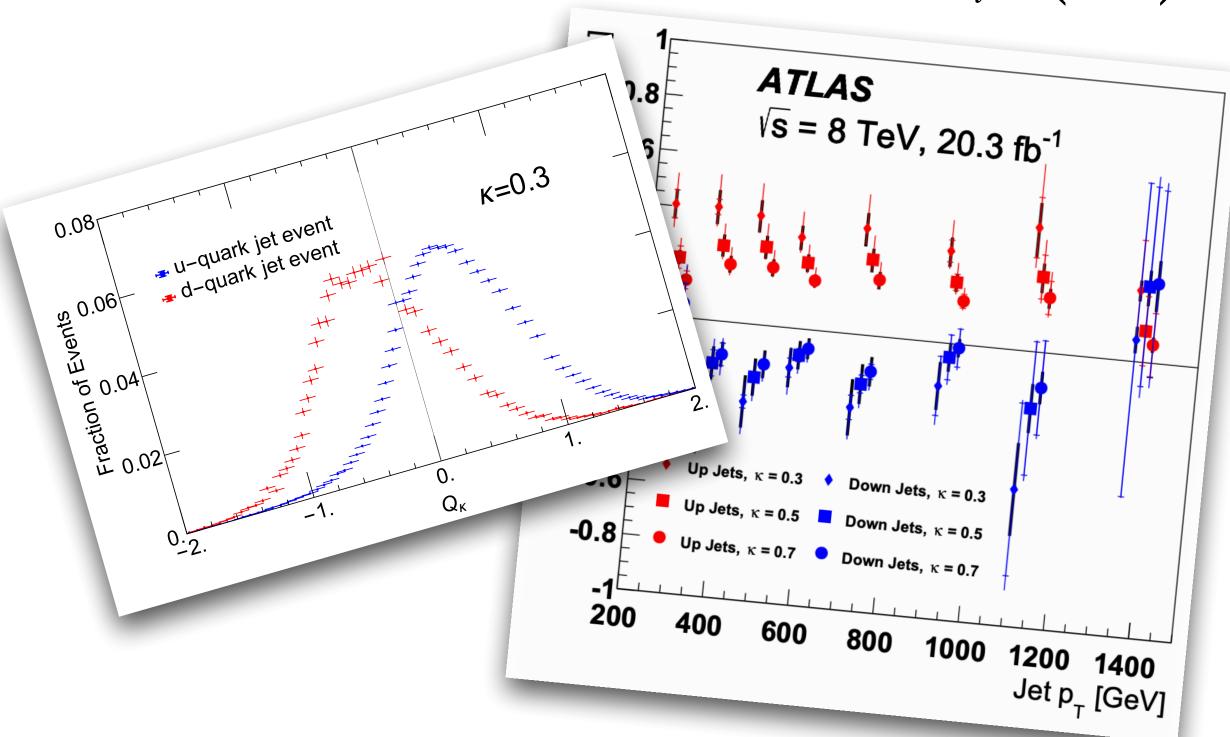
Consistent!

- $\kappa = 0.3$ seems to have the largest separation
- (Almost)independent ofthe jet pT



The ATLAS Collaboration, 2015

• The observable
$$Q_{\kappa} = \sum_{i} \left(\frac{p_{i,T}}{p_{J}}\right)^{\kappa} Q_{i}$$



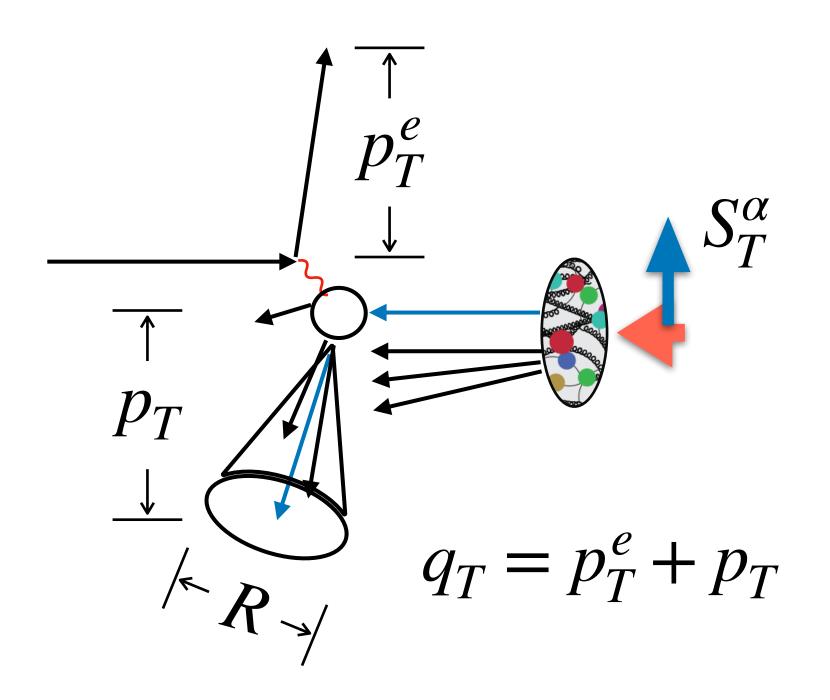
- The sign of the jet charge is largely inherited from the initiating parton, robust against the hadronization,
- Very good u- and d-quark separation by dividing events into different charge bins

• The factorization Kang, XL, Mantry, Shao, 2020

$$\frac{\mathrm{d}^5 \sigma_{UT}^i(S_\perp)}{\mathrm{d}y_e \mathrm{d}^2 p_T^e \mathrm{d}^2 q_T} = e_i^2 \sigma_0 \epsilon_{\alpha\beta} S_\perp^\alpha \int \frac{\mathrm{d}b_T^2}{(2\pi)^2} e^{iq_T \cdot b_T} \tilde{W}_{T,i}^\beta$$

$$\tilde{W}_{T,i}^{\beta} = H(Q)\tilde{f}_{1T,i}^{\perp,\beta}(x,b_T)S_J(b_T,R)\mathcal{J}_i(p_TR)$$

W/O the jet charge observation XL, Ringer, Vogelsang, Yuan, 19



• The factorization Kang, XL, Mantry, Shao, 2020

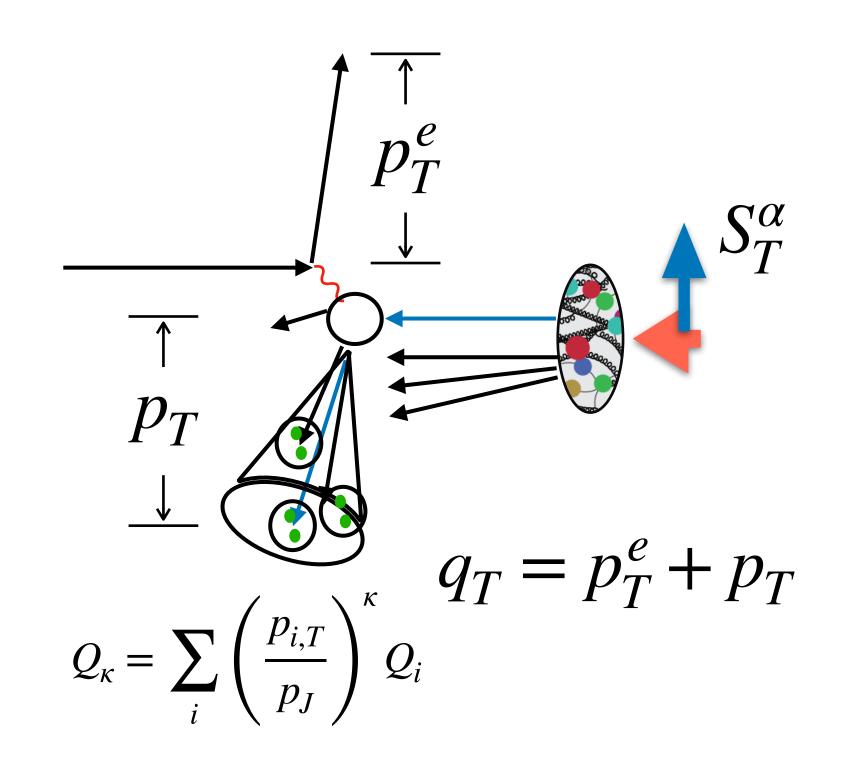
$$\frac{\mathrm{d}^6 \sigma_{UT}^i(S_\perp)}{\mathrm{d}y_e \mathrm{d}^2 p_T^e \mathrm{d}^2 q_T \mathrm{d}Q_\kappa} = e_i^2 \sigma_0 \epsilon_{\alpha\beta} S_\perp^\alpha \int \frac{\mathrm{d}b_T^2}{(2\pi)^2} e^{iq_T \cdot b_T} \tilde{V}_{T,i}^\beta$$

$$\tilde{V}_{T,i}^{\beta} = H(Q)\tilde{f}_{1T,i}^{\perp,\beta}(x,b_T)S_J(b_T,R)\mathcal{G}_i(Q_\kappa,p_TR)$$

See also Krohn, et. al, 2013 for unpolarized pp

$$\to \tilde{f}_{1T,i}^{\perp,\beta}(x,b_T)S_J(b_T,R)H(Q)\mathcal{J}_i(p_TR)\frac{\mathcal{G}_i(Q_\kappa,p_TR)}{\mathcal{J}_i(p_TR)}$$

$$\to W_i \frac{\mathcal{G}_i(Q_\kappa, p_T R)}{\mathcal{J}_i(p_T R)}$$



• The factorization Kang, XL, Mantry, Shao, 2020

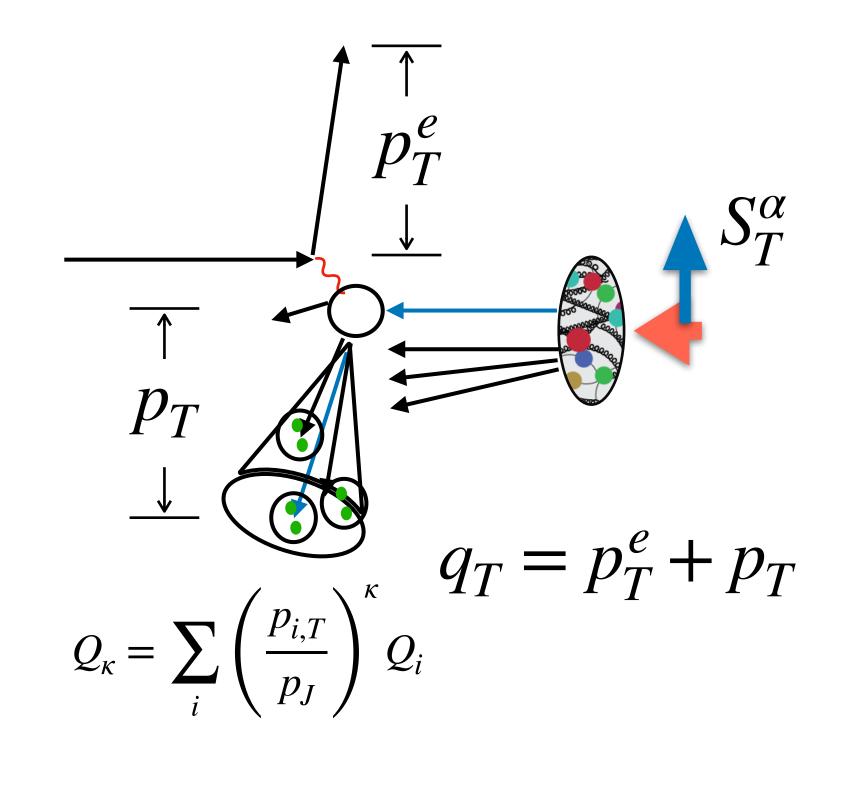
$$\frac{\mathrm{d}^{6}\sigma_{UT}^{i}(S_{\perp})}{\mathrm{d}y_{e}\mathrm{d}^{2}p_{T}^{e}\mathrm{d}^{2}q_{T}\mathrm{d}Q_{\kappa}} = \frac{\mathrm{d}^{5}\sigma_{UT}^{i}(S_{\perp})}{\mathrm{d}y_{e}\mathrm{d}^{2}p_{T}^{e}\mathrm{d}^{2}q_{T}}\frac{\mathcal{G}_{i}}{\mathcal{G}_{i}}$$

$$\tilde{V}_{T,i}^{\beta} = H(Q)\tilde{f}_{1T,i}^{\perp,\beta}(x,b_T)S_J(b_T,R)\mathcal{G}_i(Q_\kappa,p_TR)$$

See also Krohn, et. al, 2013 for unpolarized pp

$$\rightarrow \tilde{f}_{1T,i}^{\perp,\beta}(x,b_T)S_J(b_T,R)H(Q)\mathcal{J}_i(p_TR)\frac{\mathcal{G}_i(Q_\kappa,p_TR)}{\mathcal{J}_i(p_TR)}$$

$$\to W_i \frac{\mathcal{G}_i(Q_{\kappa}, p_T R)}{\mathcal{J}_i(p_T R)}$$



$$\int Q_{\kappa} \frac{\mathcal{G}_{i}(Q_{\kappa}, p_{T}R)}{\mathcal{J}_{i}(p_{T}R)} = 1$$

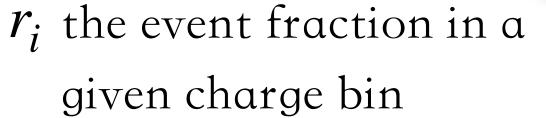
• The factorization Kang, XL, Mantry, Shao, 2020

$$\frac{\mathrm{d}^5 \sigma_{UT}(S_\perp)}{\mathrm{d}y_e \mathrm{d}^2 p_T^e \mathrm{d}^2 q_T} = \sum_{i=u,d,\cdots} \int_{Q_\kappa \in \mathrm{bin}} \mathrm{d}Q_\kappa \frac{\mathcal{G}_i(Q_\kappa, p_T R)}{\mathcal{J}_i(p_T R)} \frac{\mathrm{d}^5 \sigma_{UT}^i(S_\perp)}{\mathrm{d}y_e \mathrm{d}^2 p_T^e \mathrm{d}^2 q_T}$$

$$= \sum_{i=u,d,\cdots} r_i \frac{\mathrm{d}^5 \sigma_{UT}^i(S_\perp)}{\mathrm{d} y_e \mathrm{d}^2 p_T^e \mathrm{d}^2 q_T}$$

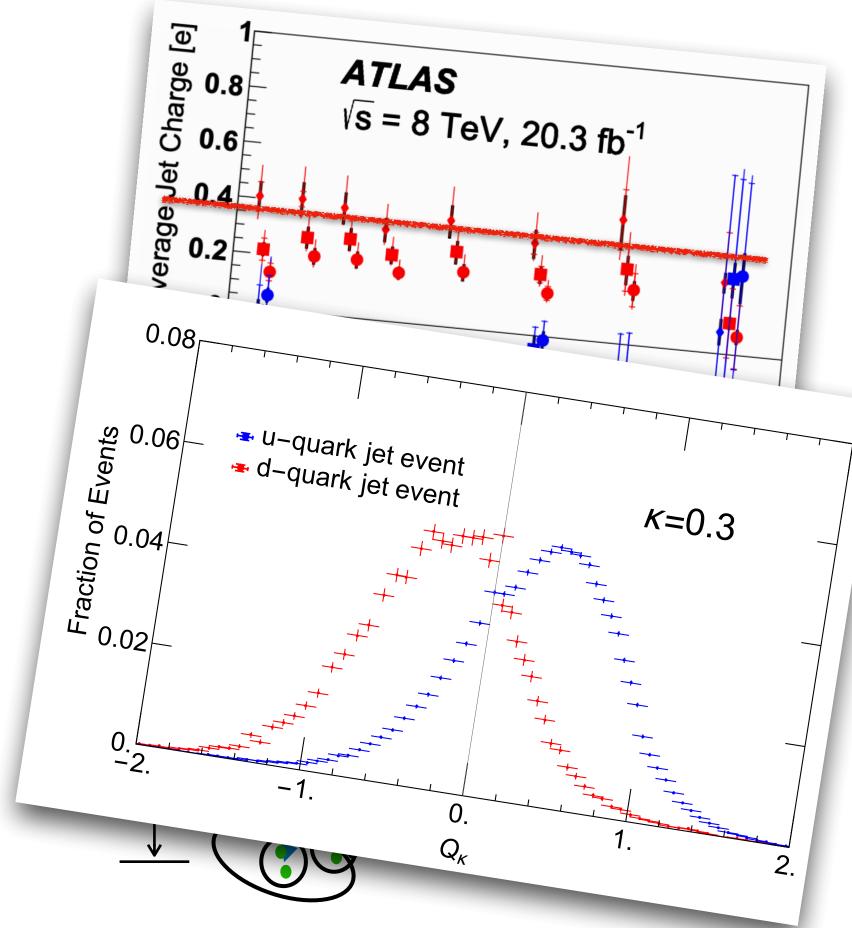
$$\int Q_{\kappa} \frac{\mathcal{G}_{i}(Q_{\kappa}, p_{T}R)}{\mathcal{J}_{i}(p_{T}R)} = 1 \quad \longrightarrow \quad \sum_{\text{bin}} r_{i} = 1$$

By choosing the charge bin, we can control the sensitivity to different quark flavors

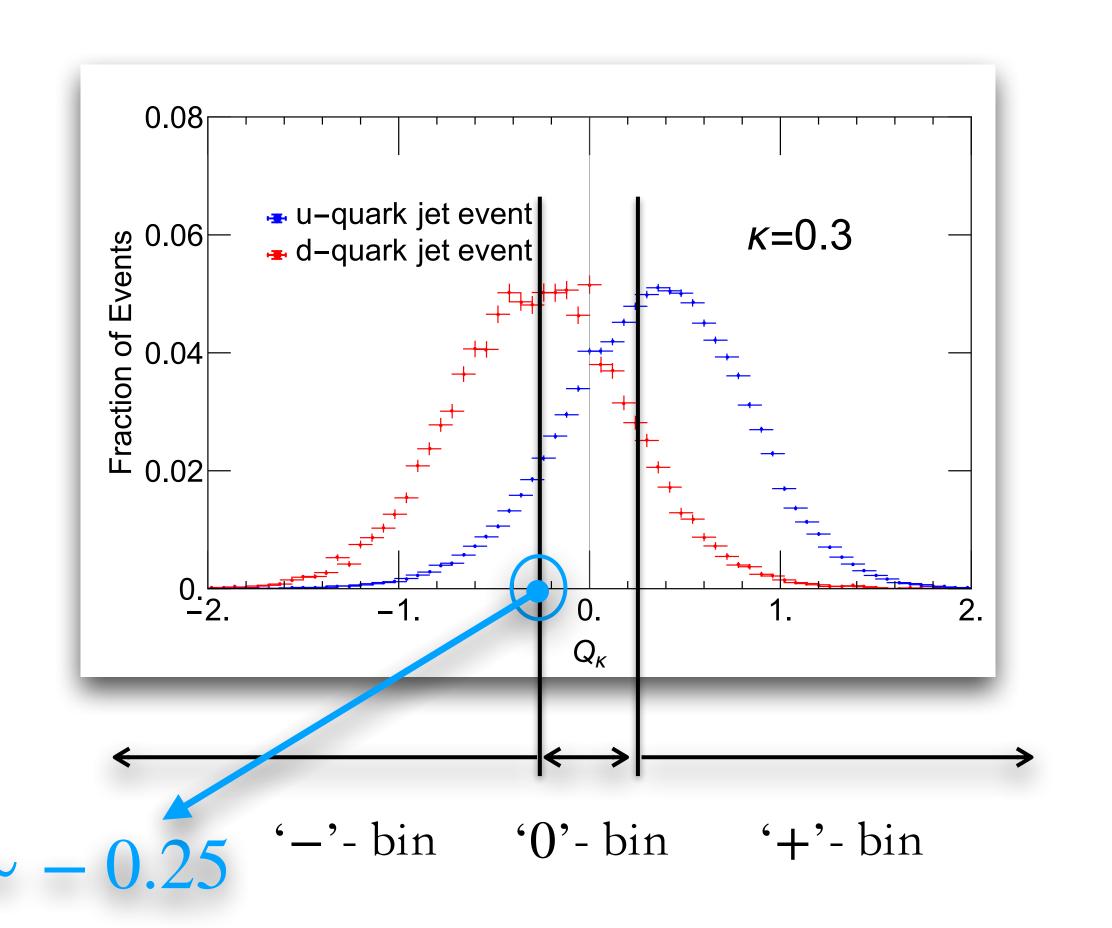


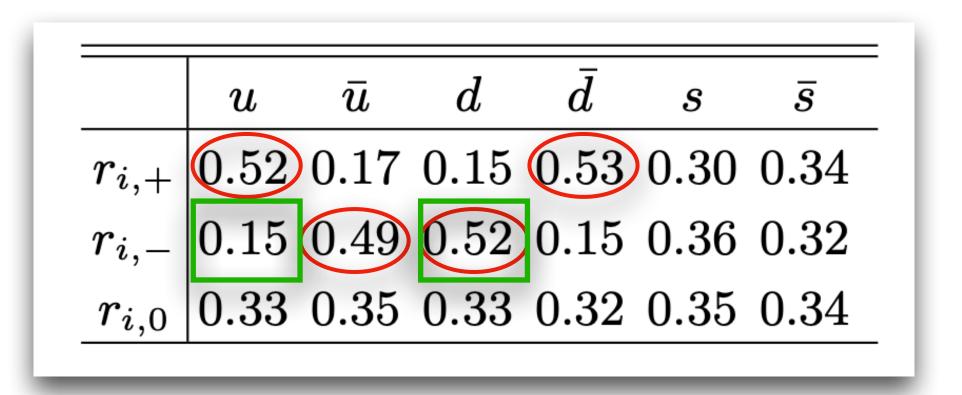


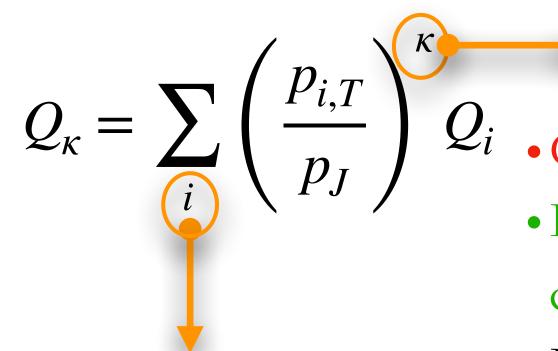
- Scale independent
- \bullet mild p_TR dependence via loops, small for small κ
- Universal, similar to the NRQCD quarkonium matrix element; with flavor symmetry



• As a flavor prism Kang, XL, Mantry, Shao, 2020, see also STAR collaboration



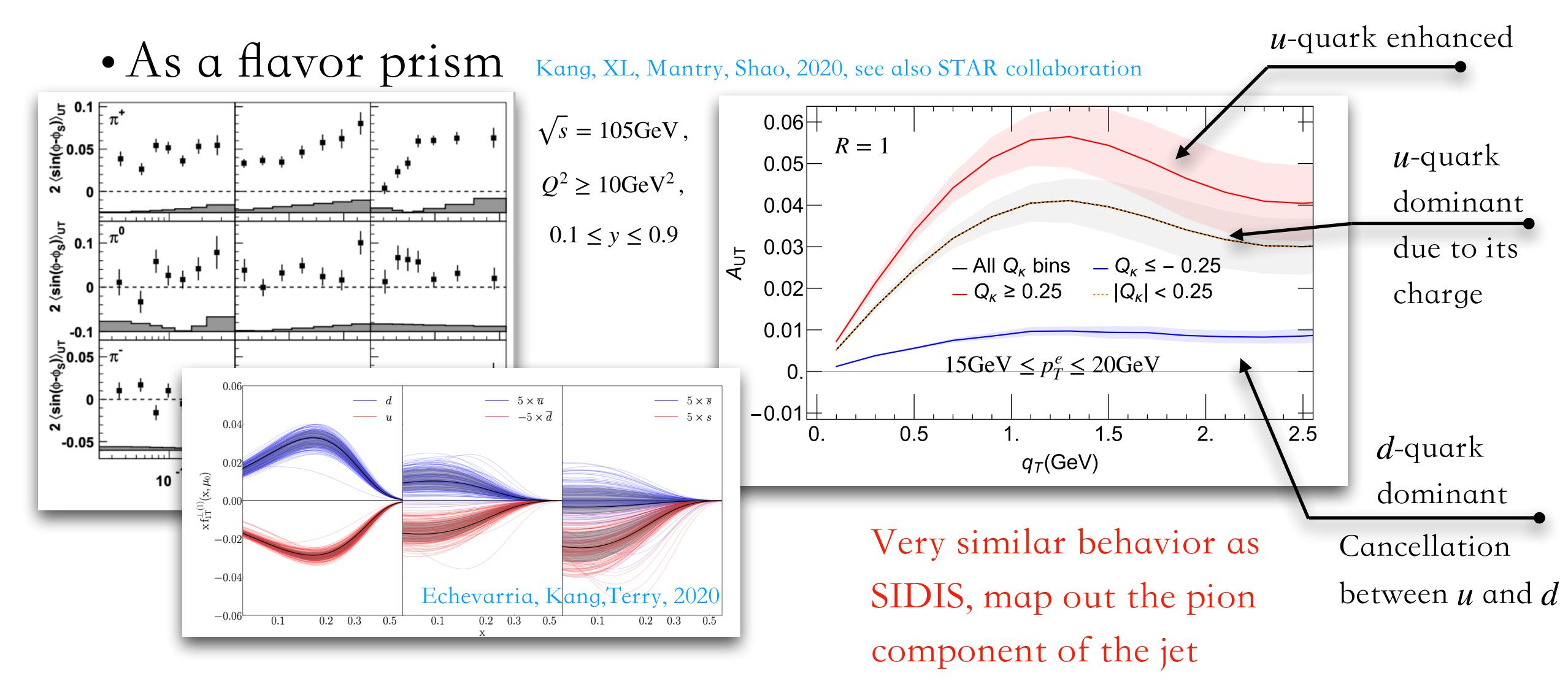




choose π 's in this study " π "-jet

choose $\kappa = 0.3$, large separation

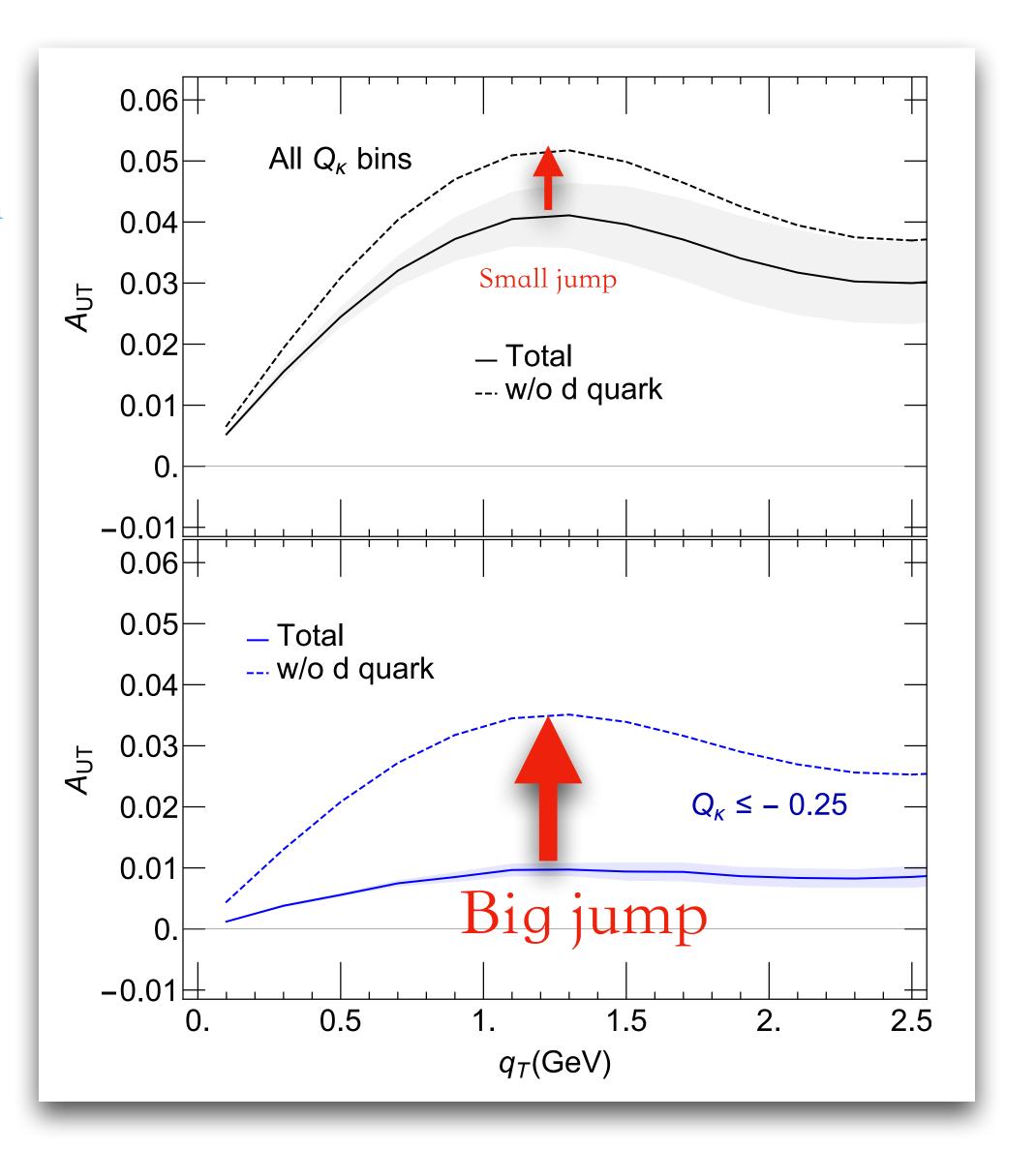
- Obvious flavor symmetries
- Expect enhancement of the d quark in the —-bin
- Expect enhancement of the s quark if the kaon component used



• As a flavor prism

Kang, XL, Mantry, Shao, 2020, see also STAR collaboration

Dramatically improved sensitivity to the d quark in the negative charge bin



Conclusions

- The jet charge is sensitive to the parton species
- Maps out flavors; maps a specific hadron component of the jet
- Demonstrate its power in the flavor separation
- Expect to have applications in all hadron structure studies at
 - EIC and other colliders

Happy HOLIDAYS