

Coherent scattering off lightest nuclei: Objectives

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Novel directions in UPC QCD studies

EIC Pavia meeting, May 2020

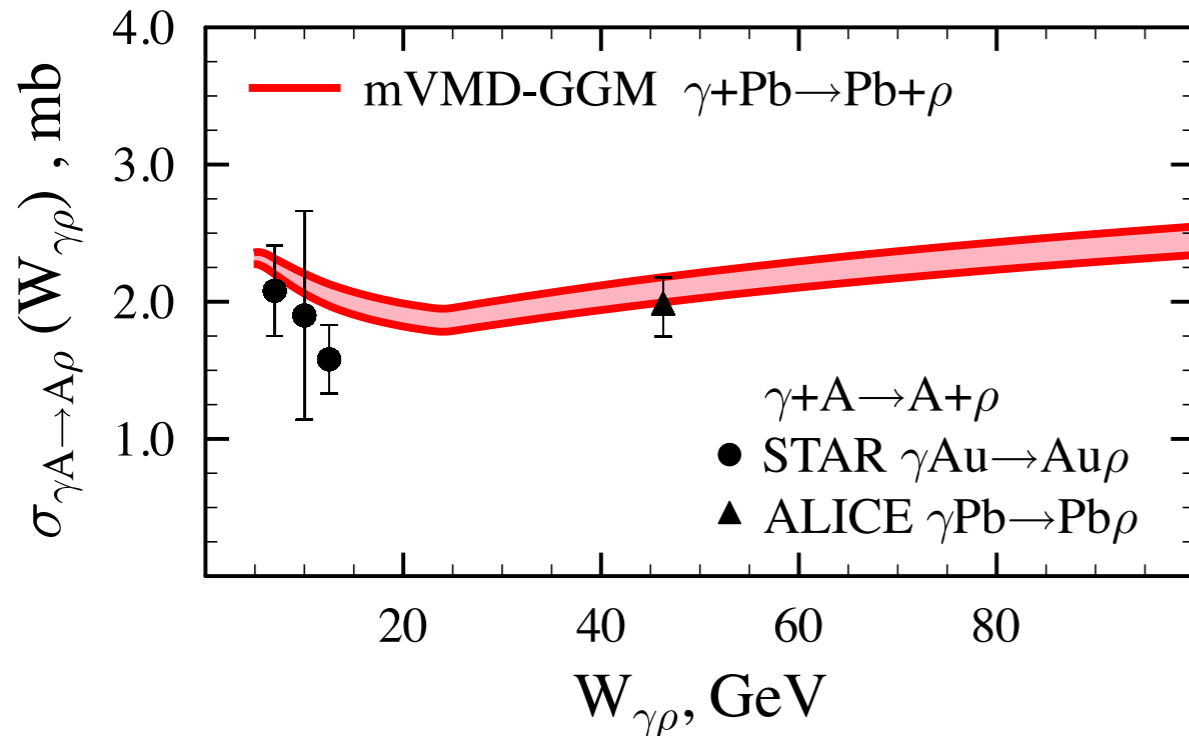
theorists planning to be involved in the study:
Perugia group, V. Guzey, MS

Study of Dynamics of interaction of small and large configurations is one of EIC objectives

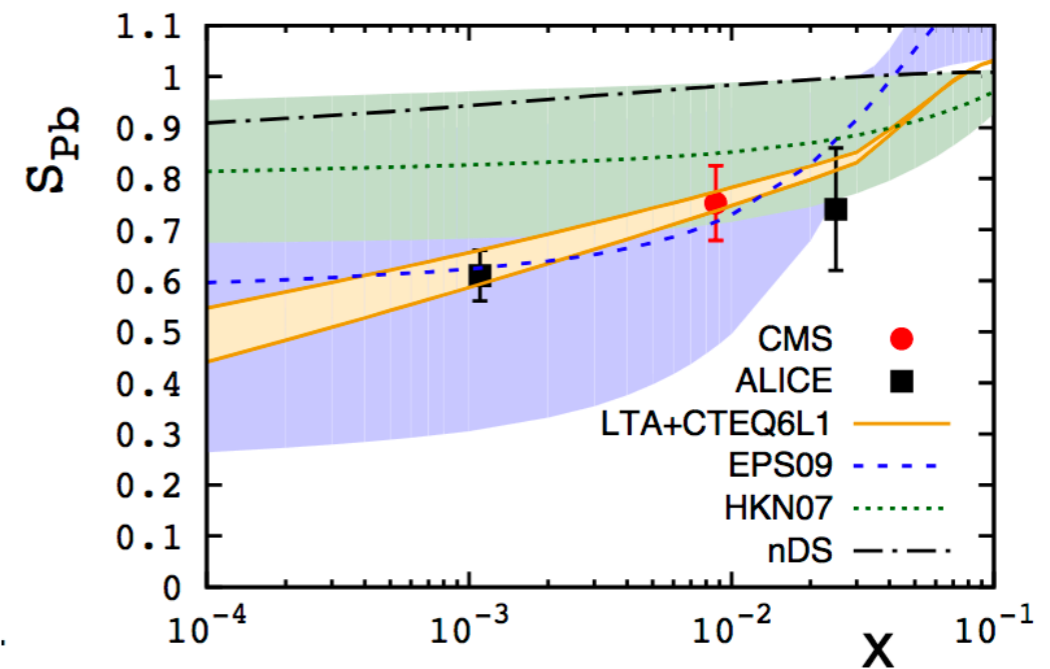
● in reactions $\gamma + \text{Pb/Au} \rightarrow \rho (J/\psi) + \text{Pb/Au}$ large screening effects: 7 (3)

we explained/predicted these suppressions

Gribov - Glauber model with cross section fluctuations



$$S_{Pb} = \left[\frac{\sigma(\gamma A \rightarrow J/\psi + A)}{\sigma_{imp.approx.}(\gamma A \rightarrow J/\psi + A)} \right]^{1/2} = \frac{g_A(x, Q^2)}{g_N(x, Q^2)}$$



Reactions provide information about **color fluctuations of the projectile in soft regime** and **LT gluon shadowing in hard regime**

EIC/LHC: challenge to measure coherent scattering away from $t=0$ for $A \sim 200$

Hence information only about interaction with $\sim 2 - 4$ nucleons *in average*

● **Solution: use the lightest nuclei especially ^4He (also ^3He ?) to study coherent effects for interaction with exactly 2 nucleons in the range of momentum transfer $t=0 \div 0.5 \text{ GeV}^2$**

Advantages:

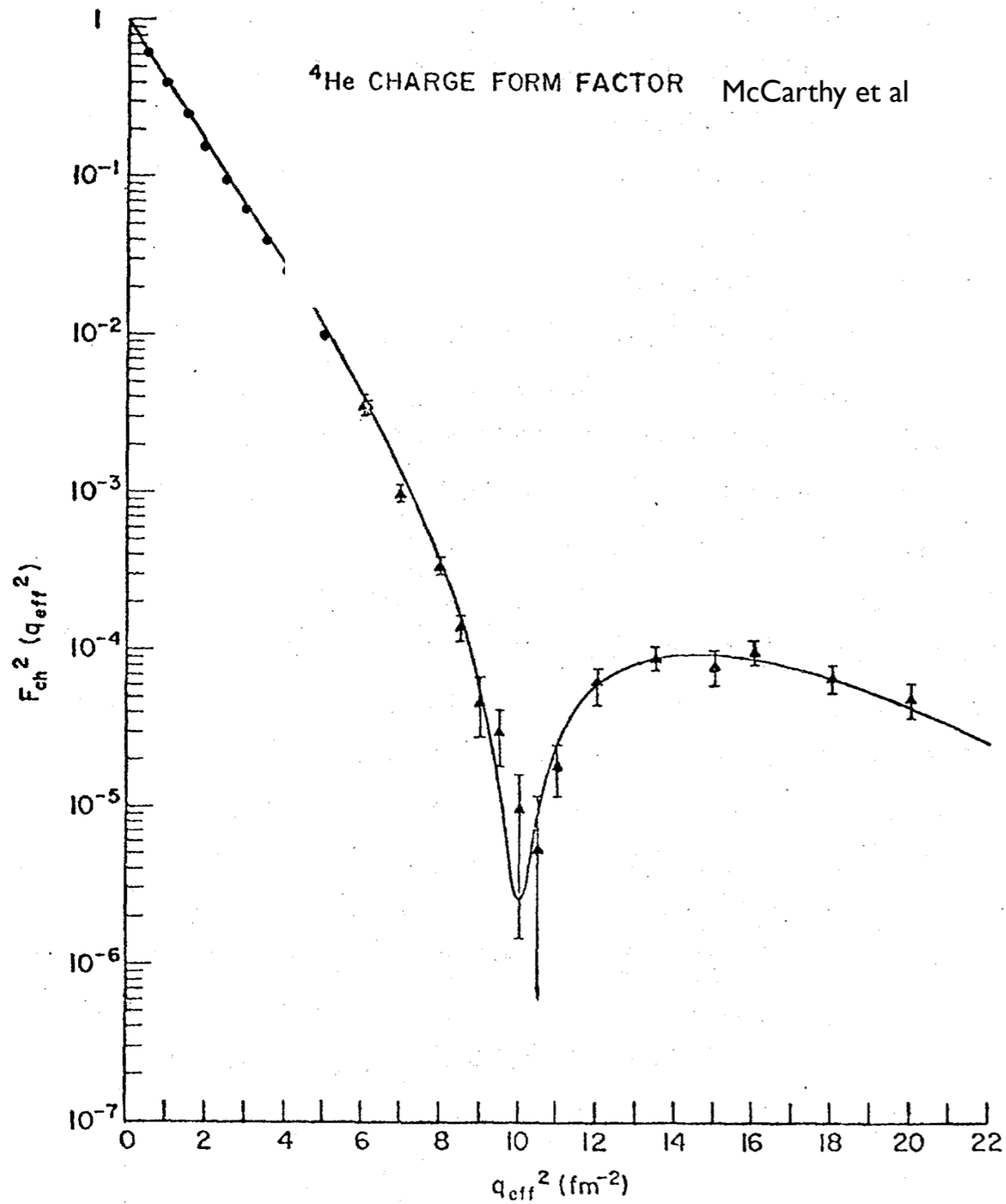
$S(^4\text{He})=0$ - one amplitude

no low-lying excitations (below break up threshold) - easy to select coherent events

significant probability of interactions with two nucleons

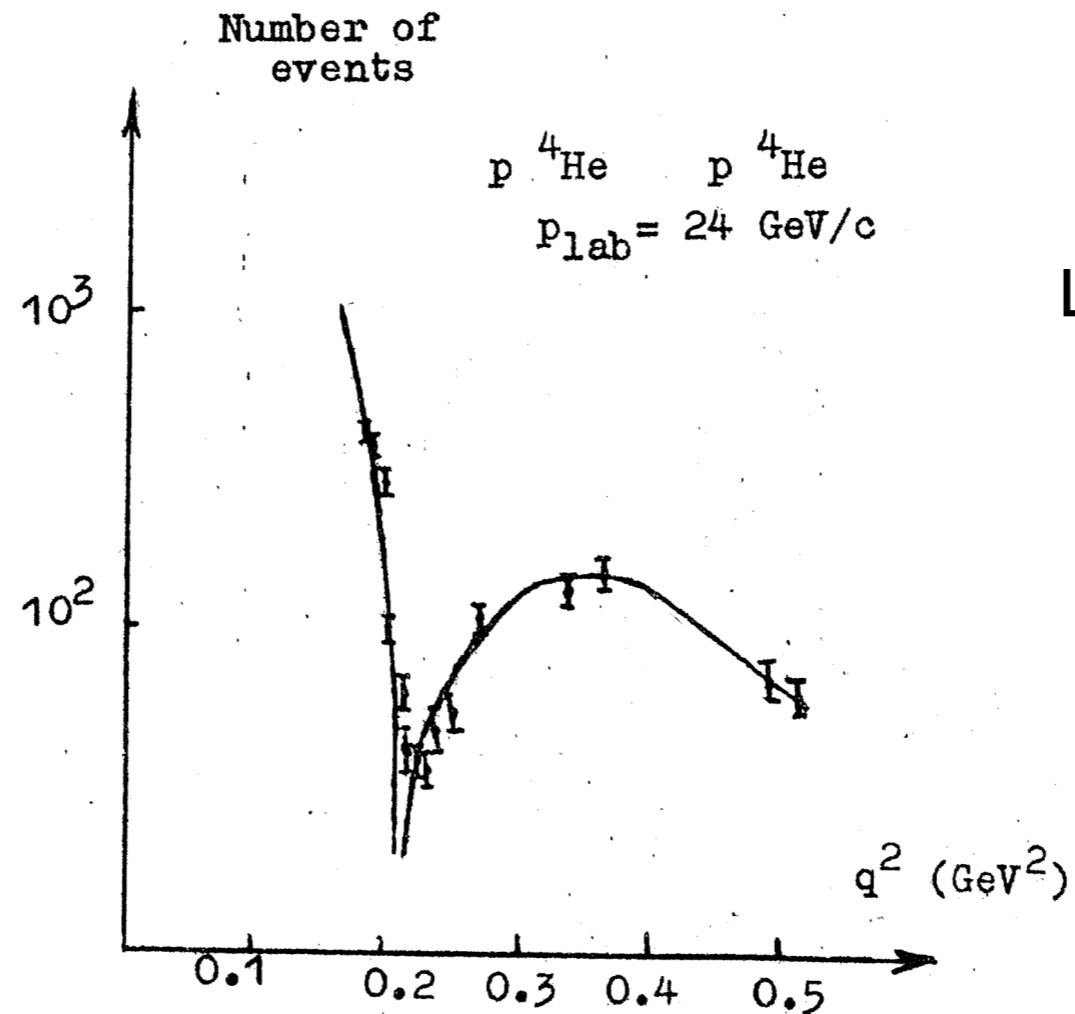
well known wave function.

Form factor goes through zero: $F_e(Q^2=0.4 \text{ GeV}^2)=0$



e.m. form factor goes through 0
at $-t \sim 0.4 \text{ GeV}^2$
 \Rightarrow strong sensitivity to double
scattering starting at $-t \sim 0.4 \text{ GeV}^2$

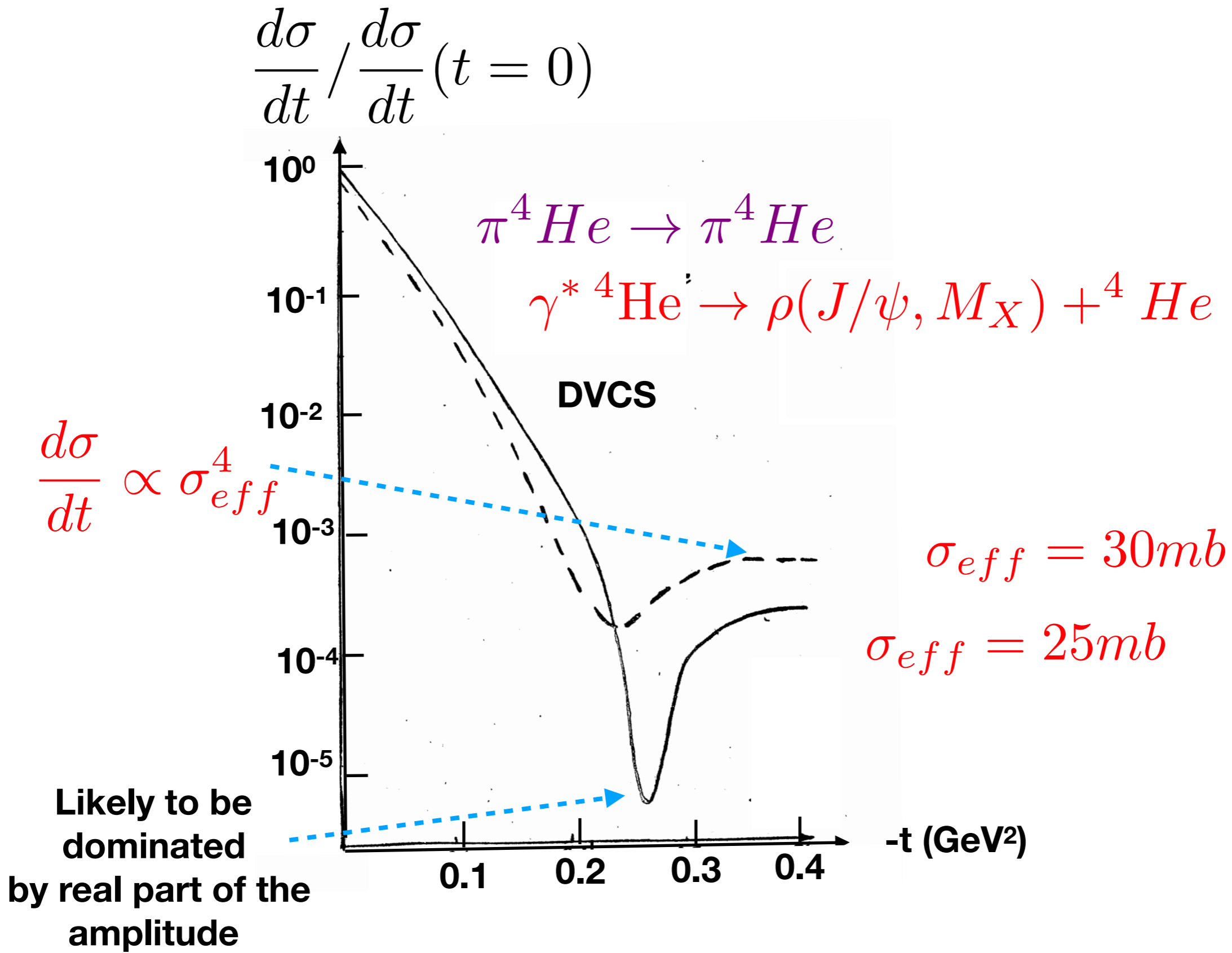
Glauber model works well for energies where Gribov shadowing is still small.



Levin & MS 1975

*no contribution of impulse
approximation term*

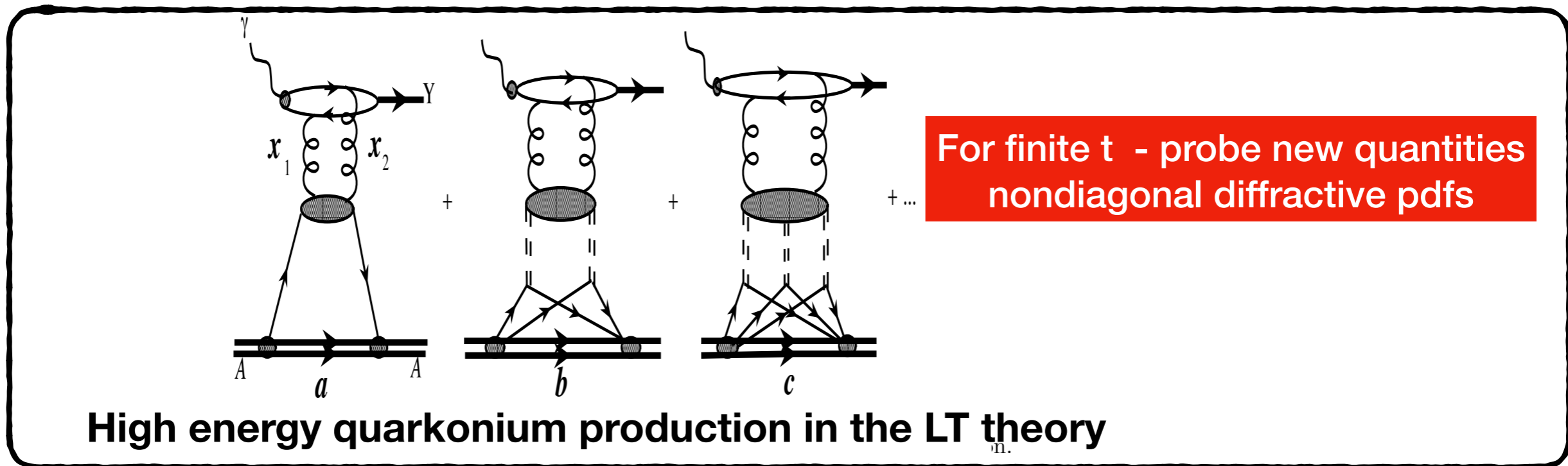
Strong sensitivity of the cross section to the strength of double scattering



Cross section for scattering off 4He at $-t=0.4\pm 0.05 \text{ GeV}^2$ is only 5 times smaller than for the same t for scattering off hydrogen



Counting rates are sufficient study transition from soft regime to LT



$$R(t) = \frac{d\sigma}{dt} / \frac{d\sigma}{dt}(t = 0)$$

Examples:

$$R_{\gamma^* \rightarrow \rho}(Q^2, t = 0.4) \quad \text{study how R drops with increase of } Q$$

$$R_{\gamma^* \rightarrow J/\psi}(Q^2, t = 0.4) \approx R_{\gamma^* \rightarrow J/\psi}(Q^2, t = 0.4) \quad \text{for } Q^2 > 10 \text{ GeV}^2$$

A nice plot for Yellow report: $R(t)$ for $Q^2 = 0$ & 10 for J/ψ and ρ

Requirements for detector for $e^4\text{He}$ collisions

(similar requirements for $e^3\text{He}$)

vector meson production

-t range: up to 0.5 GeV^2

Good resolution in t for $-t \sim 10^{-2} \text{ GeV}^2$

inelastic diffraction

additional requirement: resolution in diffractive mass

measurement of M_X in $e^4\text{He}$ requires a very good resolution in $x_{\mathcal{P}}$