Transverse momentum dependence of sea quark distributions



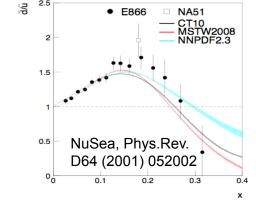
Understanding of the 3D structure of nucleon requires studies of spin and flavor dependence of quark transverse momentum distributions

 $f^a(x,k_T^2;Q^2)$

TMD PDF for a given combination of parton and nucleon spins

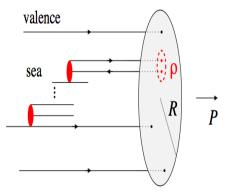
To apply the TMD formalism to data we need to understand the basic properties of the TMDs at a low scale, determined by non-perturbative QCD interactions

Large flavor asymmetry $\ \bar{d} > \bar{u}$ indicate dynamical mechanisms creating nucleon sea



Non-perturbative sea in nucleon due to chiral symmetry breaking ($q\bar{q}$ vacuum condensate, dynamical mass generation)

Nucleon could be regarded as a many-body system with short-range correlations induced by the chiral-symmetry breaking interactions.



- Short–range interactions $\rho\sim 0.3\,{\rm fm}$

New dynamical scale $\rho \ll R$ Shuryak; Diakonov, Petrov 80's

Dynamical mechanisms producing intrinsic transverse momentum in the nucleon may be very different for valence and sea quarks

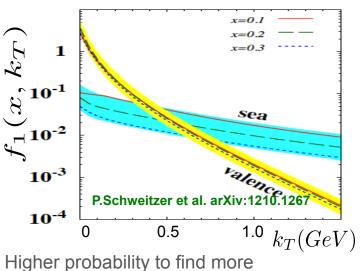


Intrinsic k_T : Valence vs. sea quarks

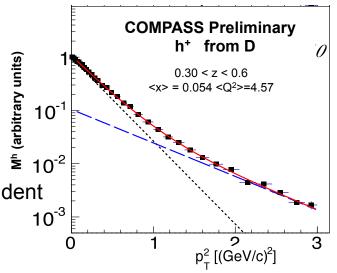
- Predictions from dynamical model of chiral symmetry breaking [Schweitzer, Strikman, Weiss JHEP 1301 (2013) 163] -- short-range correlations between partons (smallsize $q\bar{q}$ pairs) -- sea k_T~vacuum fluctuations (0.3 fm), with significant contribution from short-range forces -- k_T-distributions of valence quarks governed by the overall size of the nucleon of ~1fm (bag, light-front,..) k_T (sea) >> k_T (valence)
 - Effects of short-range correlations may be directly observable in P_T-dependence of hadrons in SIDIS.

•Consistent with experimental data (increasing $<k_T^2>$ with energy, shifts from single Gauss already at $P_T\sim0.6-0.7$ GeV), but require more detailed studies.

•Extraction will require detailed understanding of p_T -dependent distributions of fragmentation functions (BELLE, BABAR).

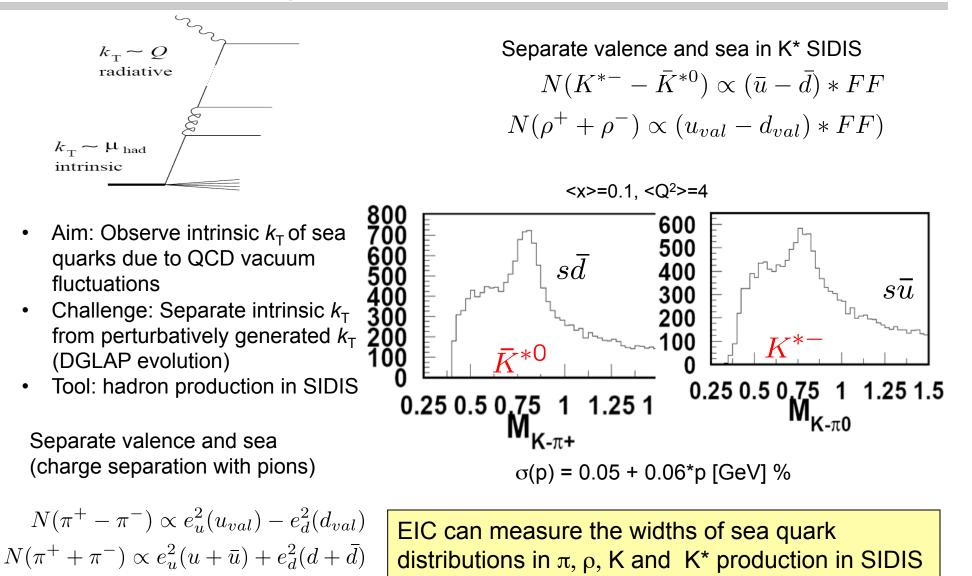


sea quarks at large k_T





Intrinsic k_T: SIDIS observables



Support slides....



H. Avakian (JLab) , TM-2014, Sep 13-15

TMD factorization and analysis framework

TMD factorization theorem separates a transversely differential cross section into a perturbatively calculable part and several well-defined universal factors

$$d\sigma_{\text{SIDIS}} = \sum_{f} \mathcal{H}_{f,\text{SIDIS}}(\alpha_{s}(\mu), \mu/Q) \otimes F_{f/H_{1}}(x, k_{1T}; \mu, \zeta_{1}) \otimes D_{H_{2}/f}(z, k_{2T}; \mu, \zeta_{2}) + Y_{\text{SIDIS}}$$
corrections for the corrections for the region of large kt~O

5 may in general contain a mi? perturbative and non-perturbative contributions region of large

h

Aybat, Collins, Qiu, Rogers 2012

$$\tilde{F}_{H_1}(x, b_T; Q, Q^2) = \tilde{F}_{H_1}(x, b_*; \mu_b, \mu_b^2) \exp \left\{ \begin{array}{c} \text{non perturbative} \\ g_1(x, b_T; b_{\max}) - g_K(b_T; b_{\max}) \ln \left(\frac{Q}{Q_0}\right) \\ + \ln \left(\frac{Q}{\mu_b}\right) \tilde{K}(b_*; \mu_b) + \int_{\mu_b}^{Q} \frac{d\mu'}{\mu'} \left[\gamma_{\text{PDF}}(\alpha_s(\mu'); 1) - \ln \left(\frac{Q}{\mu'}\right) \gamma_K(\alpha_s(\mu')) \right] \right\}$$
perturbatively calculable