

# Nuclei at Short Distance Scales

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UNH/JLab



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# What were 2007 LRP questions ?

From R. Ransonne's Talk at the 2007 LRP meeting

How is the nucleon affected by the nuclear medium ?

- Change in quark distribution

- Change in nucleon size and shape

How do we get from quarks and gluons to nucleons and mesons ?

- At what distance scale does this occur ?

- What are the signatures ?

How does the nuclear force arise from QCD ?

# JLab highlights from the last 7 years

The EMC effect

Super-fast quarks

Neutron structure  
function at high  $x$

Hadronization

Color transparency

# JLab 12 GeV program

The EMC effect

Super-fast quarks

Neutron structure  
function at high  $x$

Hadronization

Color transparency

access to  
higher  $x$  &  $Q^2$

The EMC effect

Super-fast quarks

Neutron structure  
function at high  $x$

Tensor structure functions

Hadronization

Color transparency



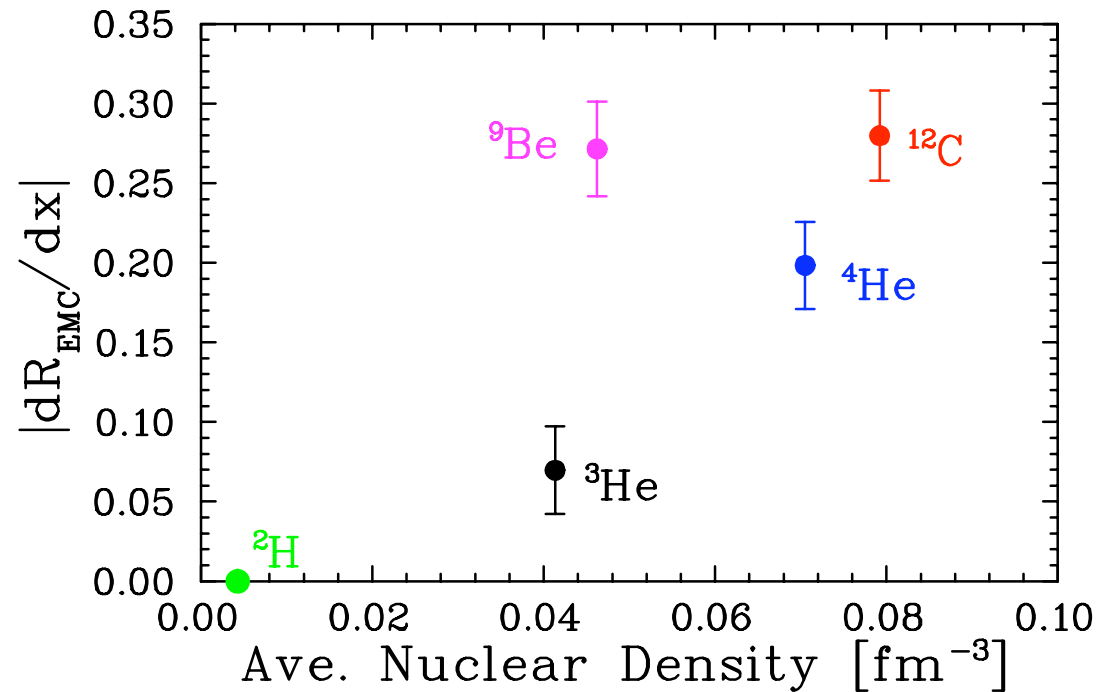
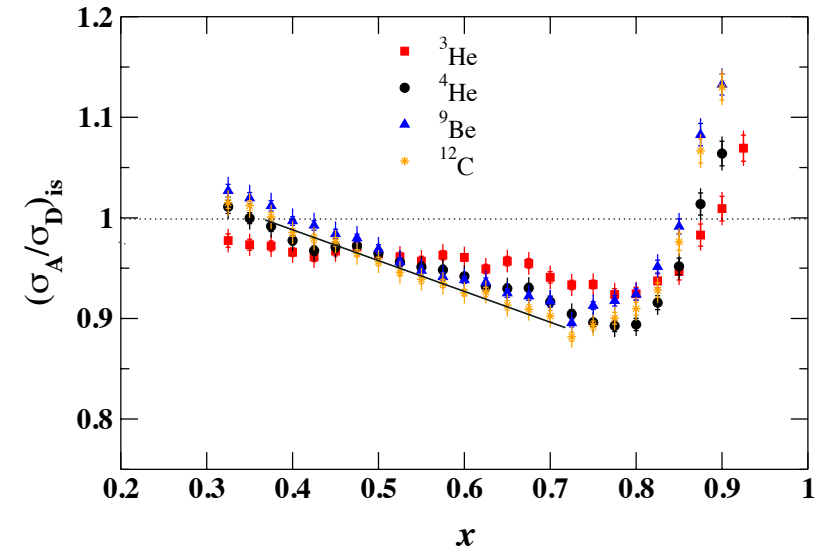




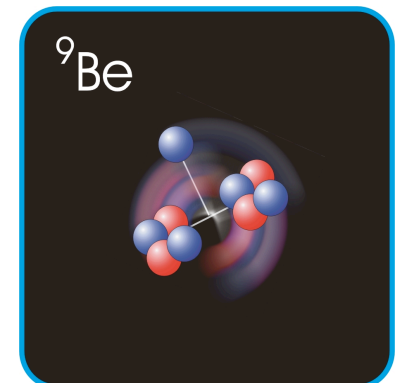
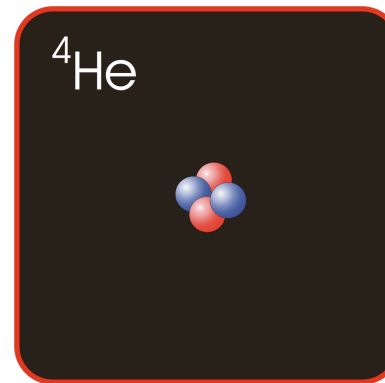
# Quark distributions in nuclei

# The EMC effect on light nuclei

J. Seely et al, PRL103, 202301(2009)



$^9\text{Be}$  has low average density, but large component of structure is  $2\alpha+n$  most nucleons in tight,  $\alpha$ -like configurations



# E12-10-008: EMC effect

A. Daniel, J. Arrington, D. Gaskell

**Stable light nuclei:**  $^3\text{He}$ ,  $^4\text{He}$ ,  $^{6,7}\text{Li}$ ,  $^9\text{Be}$ ,  $^{10,11}\text{B}$  and  $^{12}\text{C}$

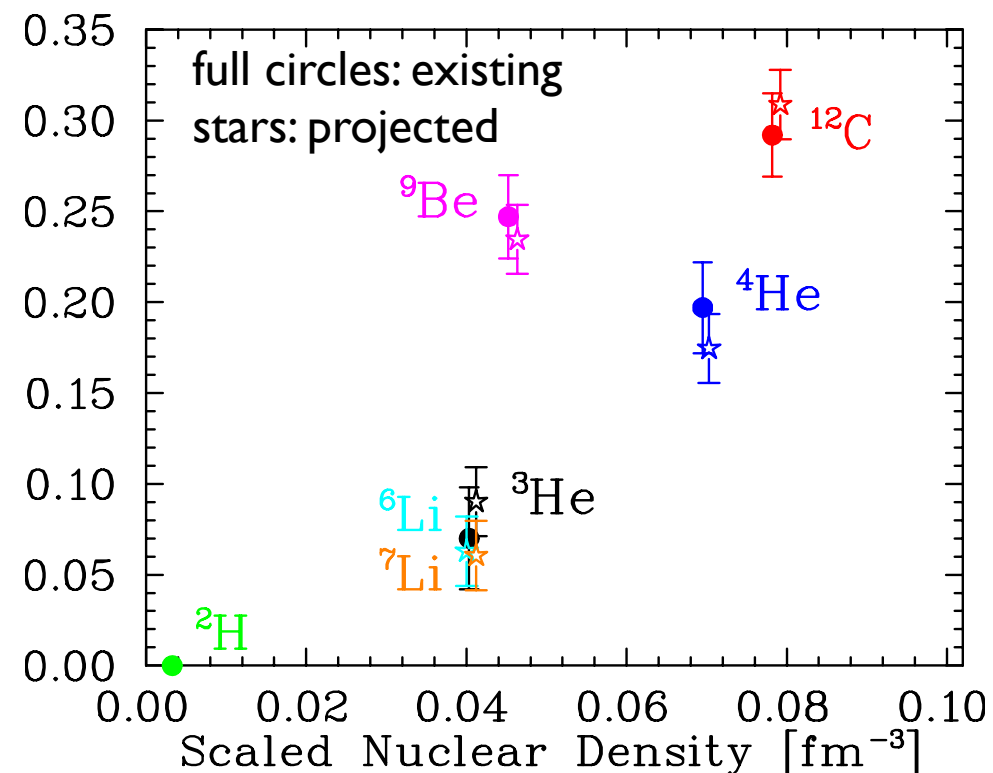
- ▶ Nuclei with significant **clustering** contributions: will provide further information on the detailed behavior in these well-understood nuclei.
- ▶ For  $^{6,7}\text{Li}$ , the **local density picture** predicts an EMC effect well below the other models.
- ▶ From nuclei which differ by just one proton or one neutron: measurement of the **nuclear effects on a single proton or neutron**.

**Data for  $0.1 < x < 1$  (DIS till  $x=0.8$ ):**

- ▶ EMC effect with **high precision at large  $x$**
- ▶ precise measurements of the  **$x$  dependence in the low  $x$  region**.

**Data on  $^{40,48}\text{Ca}$ :**

- ▶ **Isospin-dependence** for the EMC effect
- ▶ Significant variation of the  $n/p$  ratio in the nucleus but similar mass and density.



# E12-14-002: Nuclear dependence of R

S. Malace, E. Christy, D. Gaskell, C. Keppel, P. Solvignon

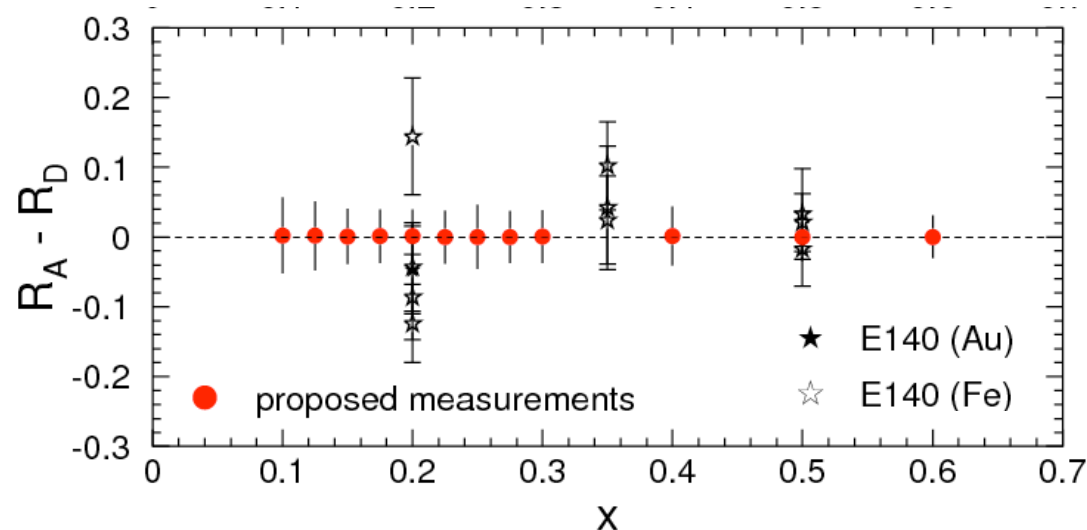
$$\frac{\sigma_A}{\sigma_D} \simeq \frac{F_2^A}{F_2^D} \left[ 1 - \frac{\Delta R(1 - \epsilon)}{(1 + R_D)(1 + \epsilon R_D)} \right]$$

really only true for  $\epsilon=1$

$$\frac{\sigma_A}{\sigma_D} \simeq \frac{F_1^A}{F_1^D} \left[ 1 + \frac{\epsilon \Delta R}{(1 + \epsilon R_D)} \right]$$

really only true for  $\epsilon=0$

Recent analyses showed  $R_A - R_D \neq 0$  --> implications to medium modifications in the anti-shadowing and in the EMC effect regions

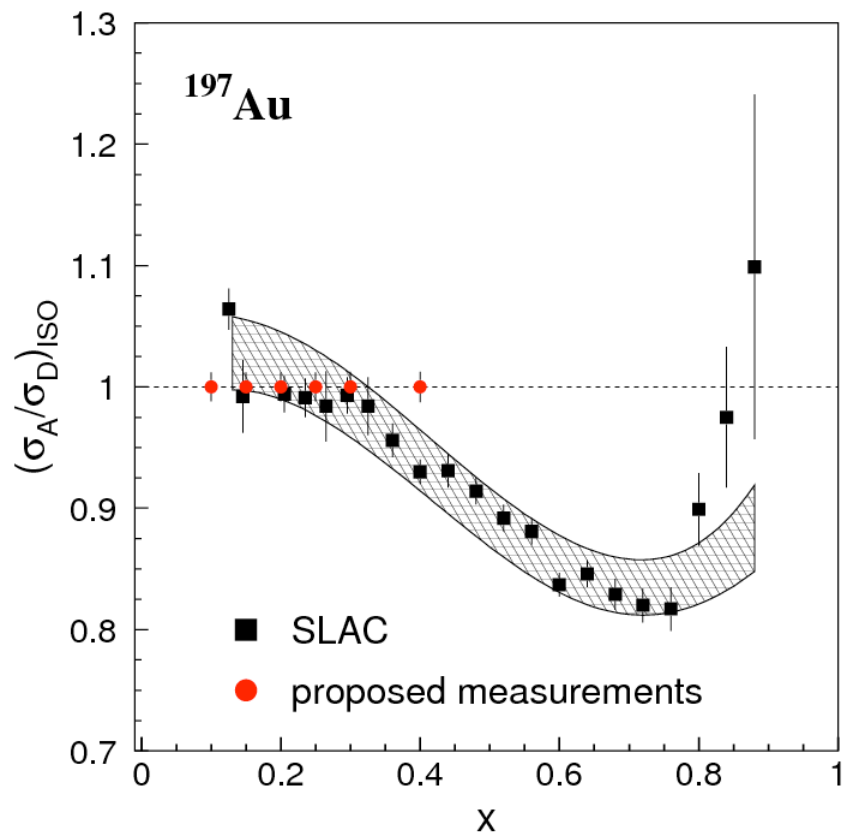
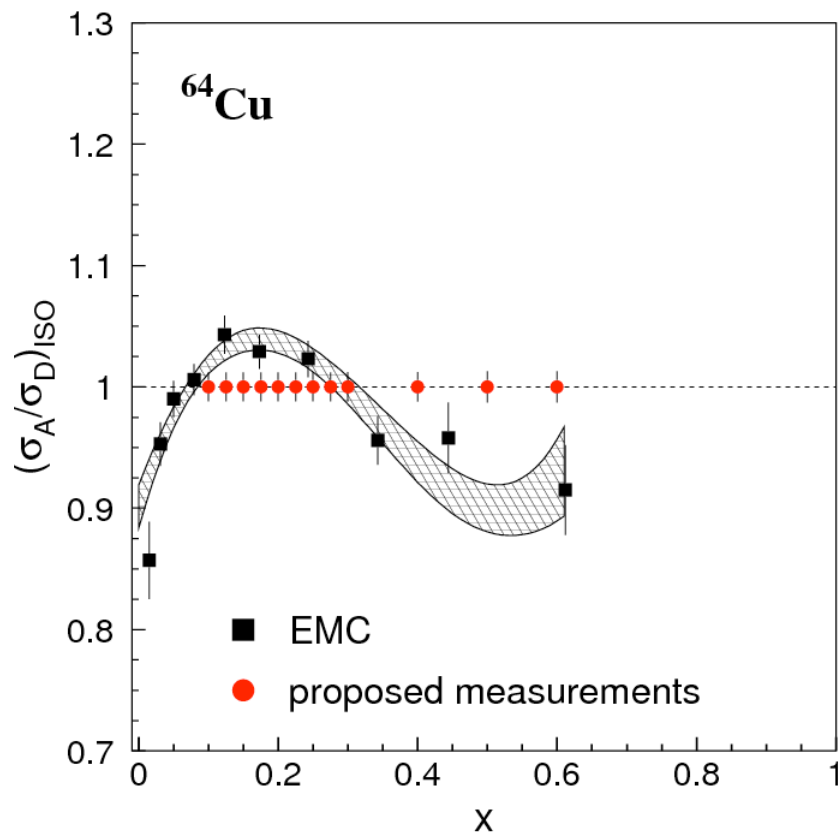


E12-14-002 will measure via **true, model-independent** Rosenbluth L/Ts  $R_A - R_D$  in one dedicated experiment

# E12-14-002: Impact for $\sigma_A/\sigma_D$

S. Malace, E. Christy, D. Gaskell, C. Keppel, P. Solvignon

- Constrain/verify the universality of nuclear modification in  $\sigma_A/\sigma_D$
- Provide experimental constraints for nuclear PDF fits from separated structure functions



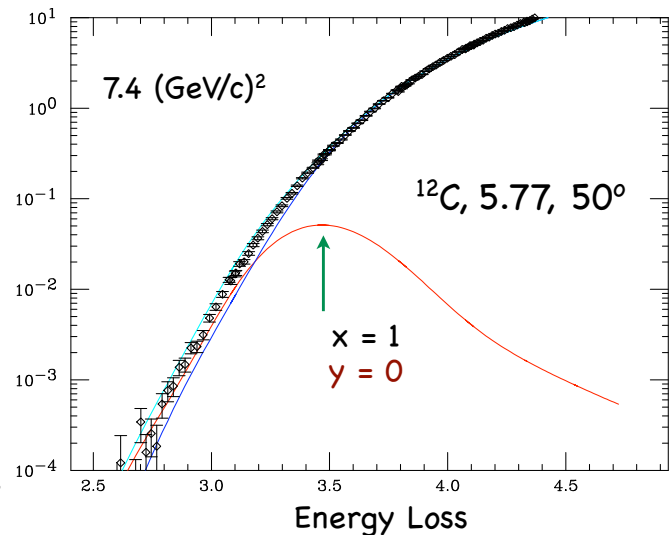
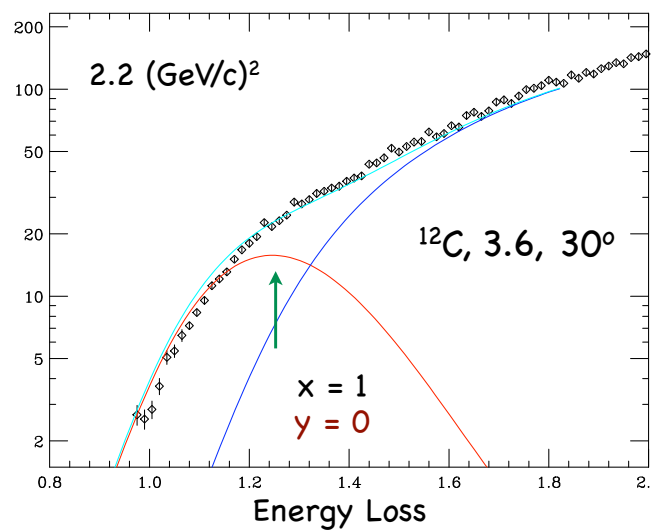
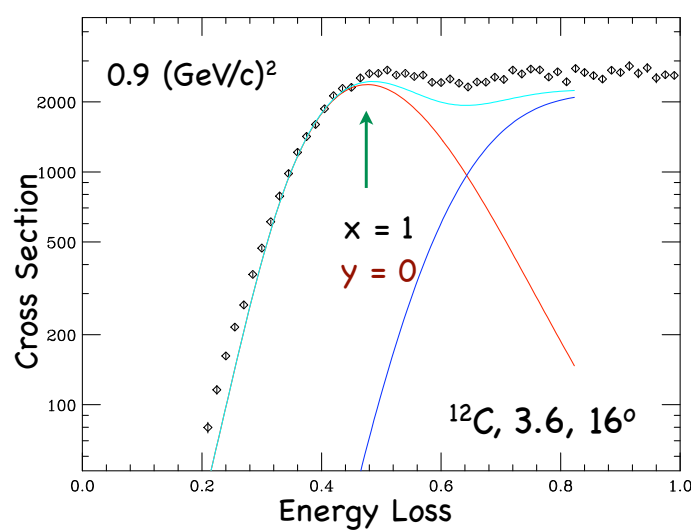
# JLab E02-019: quarks in SRC

Inelastic contribution increases with  $Q^2$

DIS begins to contribute at  $x > 1$

SRC dominates at  $x \gtrsim 1.3$  and  $Q^2 \gtrsim 1.5 \text{ GeV}^2$

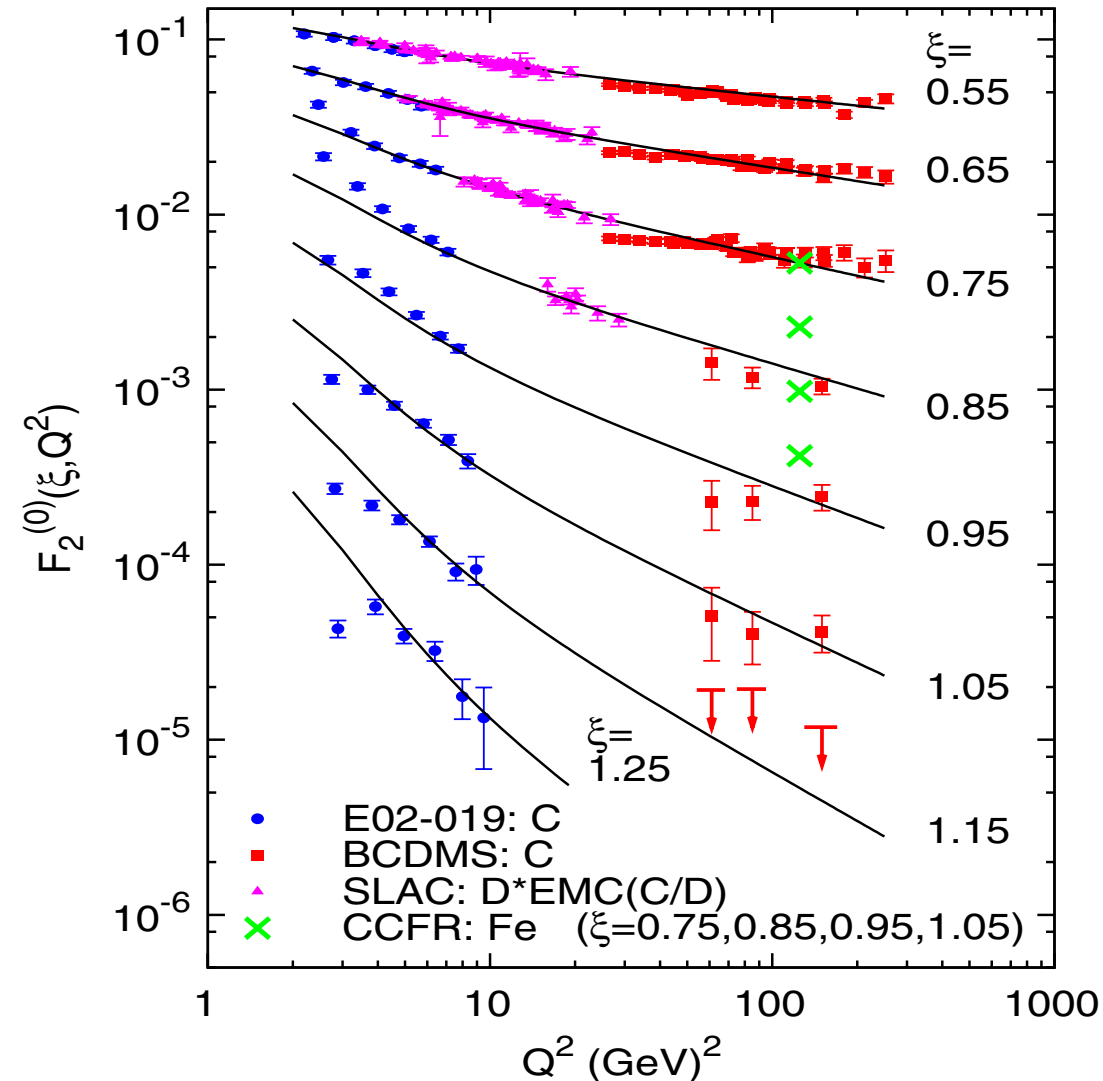
⇒ “super-fast” quarks



As  $Q^2$  increases, we expect to see evidence that we are scattering from a quark at  $x > 1$ , i.e. x-scaling.

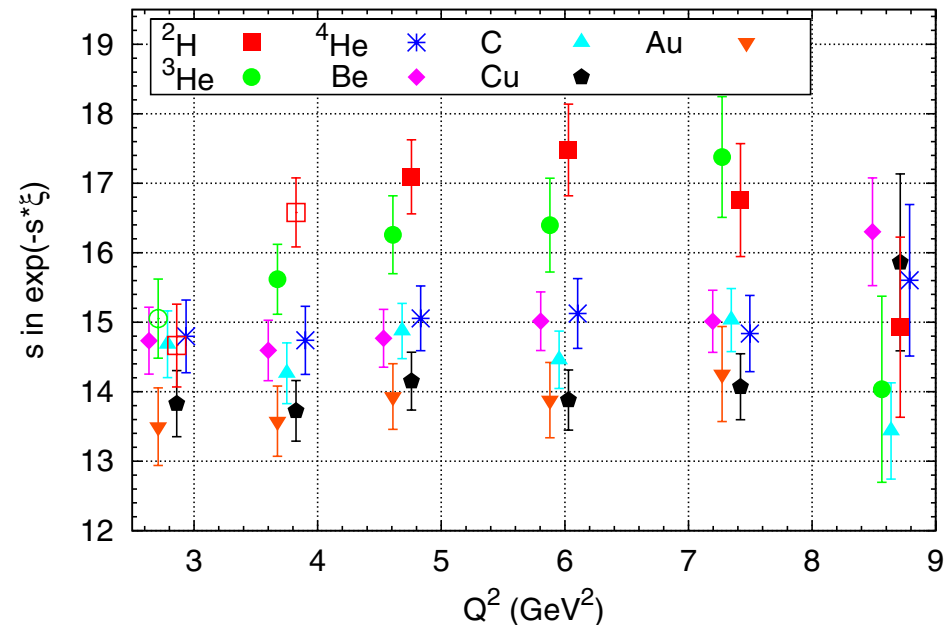
# JLab E02-019: quarks in SRC

N. Fomin et al, PRL105, 212502 (2010)



After applying QCD evolution and TMC, we should be left with quark distributions

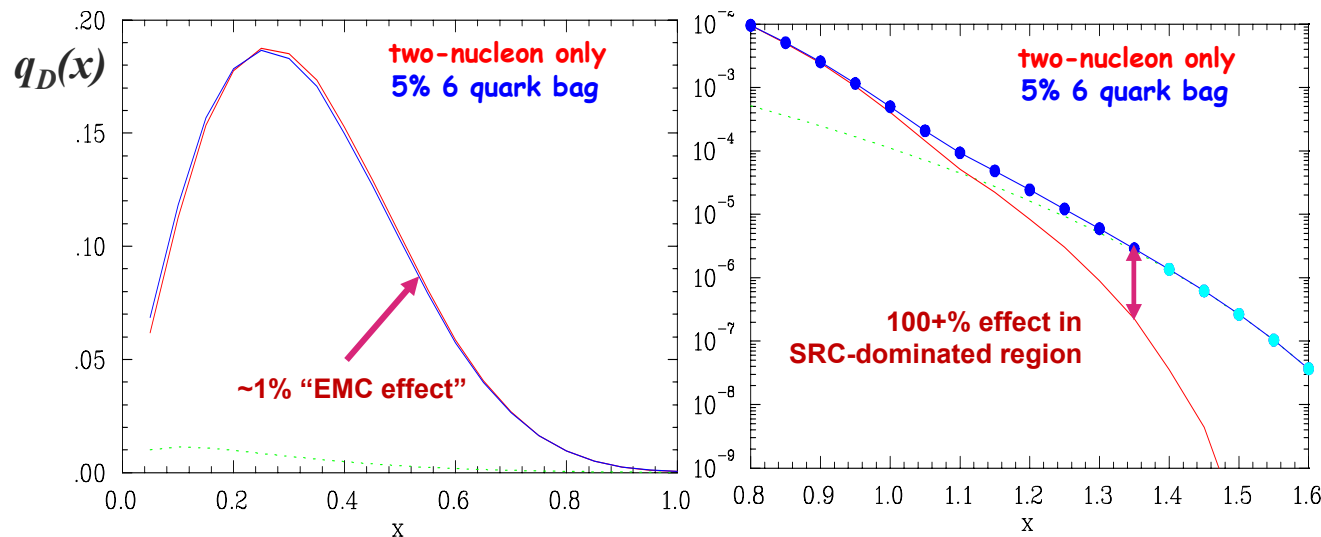
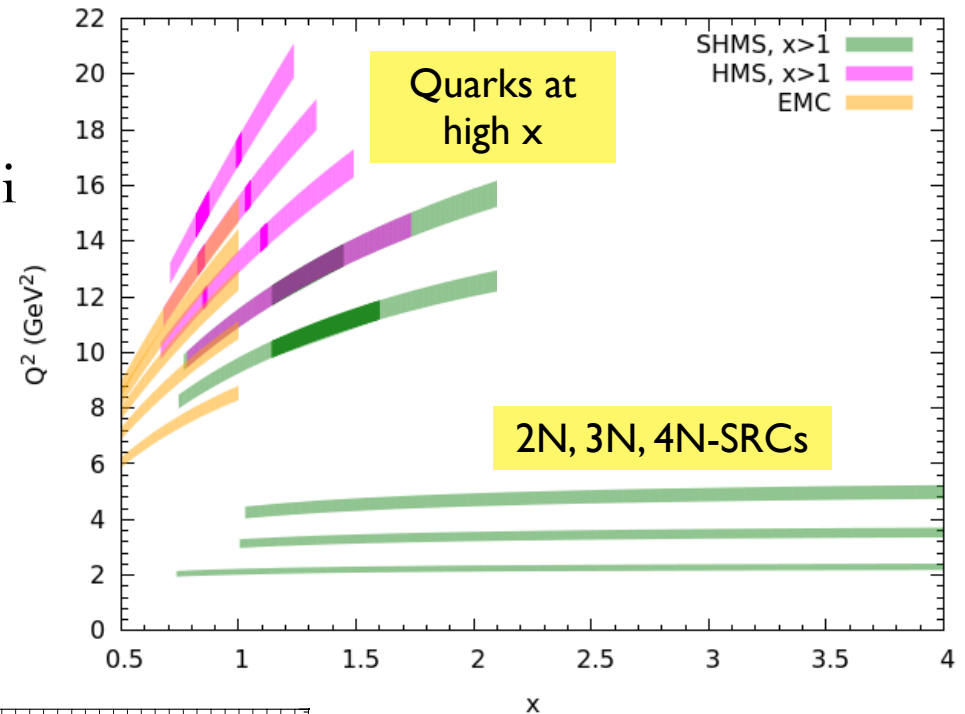
Slope  $s$  in  $\exp(-s\xi)$




# JLab E12-06-105: $x > 1$

J. Arrington, D. Day, N. Fomin, P. Solvignon

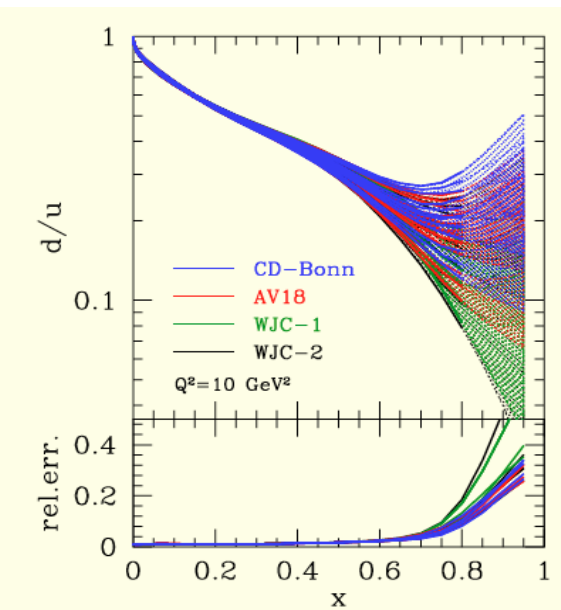
- Higher  $Q^2$  to directly access parton distributions of super-fast quarks in nuclei
- Great sensitivity to multi-quarks configurations
- Access 2N, 3N and 4N-SRC







# **Extracting the neutron structure function from lightest nuclei**

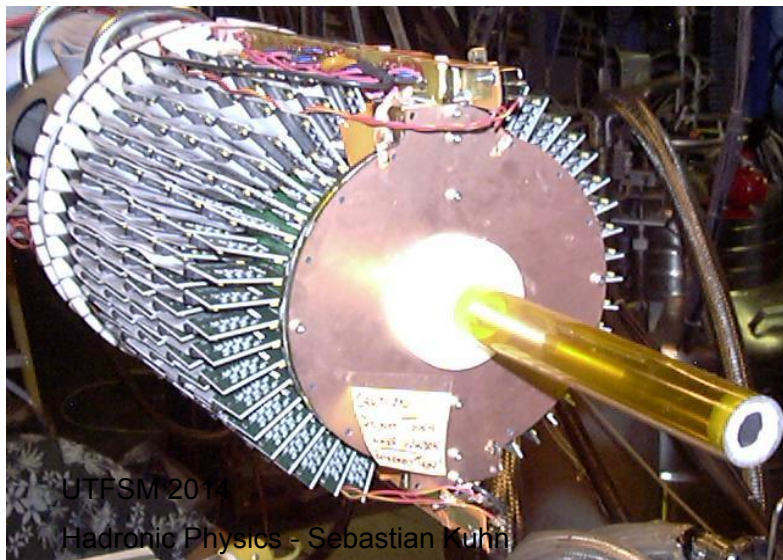


# BoNuS (Experiment e8 w/ CLAS)

CTEQ-JLab  
(CJ) fit of  
world data  
with various  
deuteron  
models

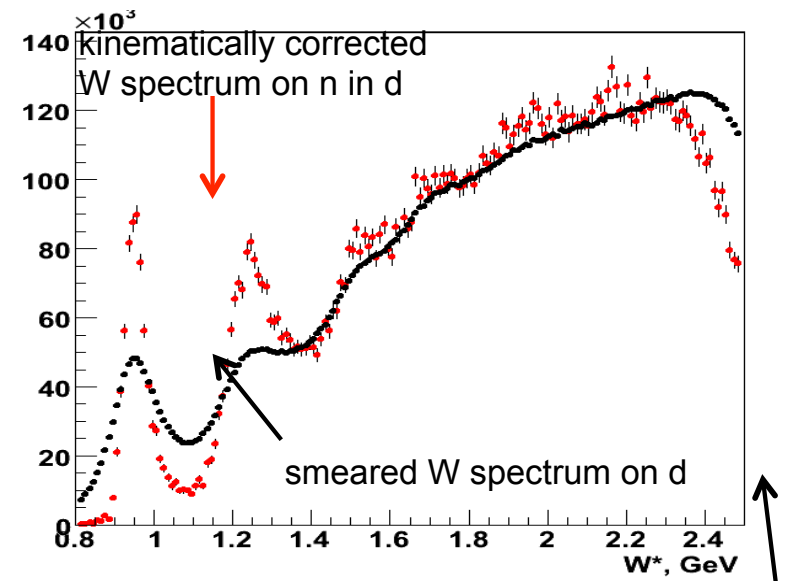
**The Problem:** nuclear binding uncertainties prevent us from knowing  $F_{2n}$  in the resonance region and  $d/u$  ( $x \rightarrow 1$ )

**The Solution:** tag slow spectator protons in  $d(e, e'p_s)X$  with a “radial TPC” (below) to select events on “nearly free” neutrons and to correct for their initial motion.

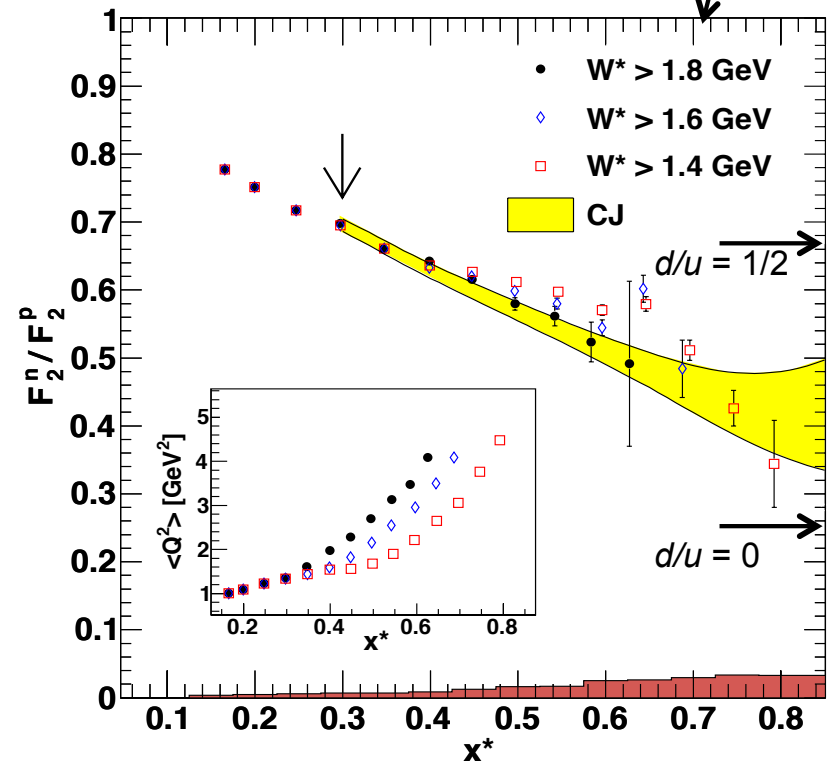


UTFSM 2014

Hadronic Physics - Sebastian Kuhn



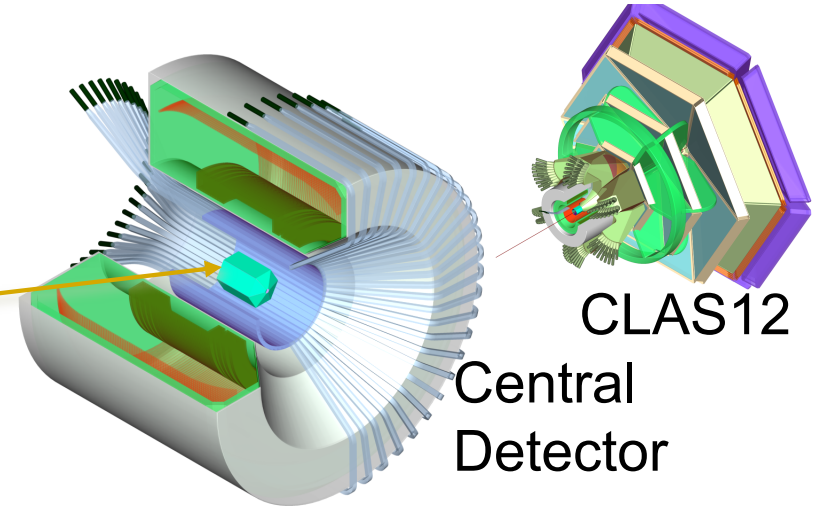
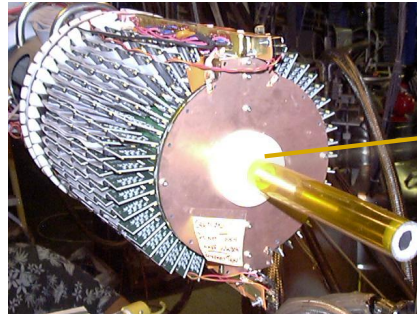
**Results:** Unsmeared resonance spectrum  
Large  $x F_{2n}/F_{2p}$  ratio (to access  $d/u$ ).



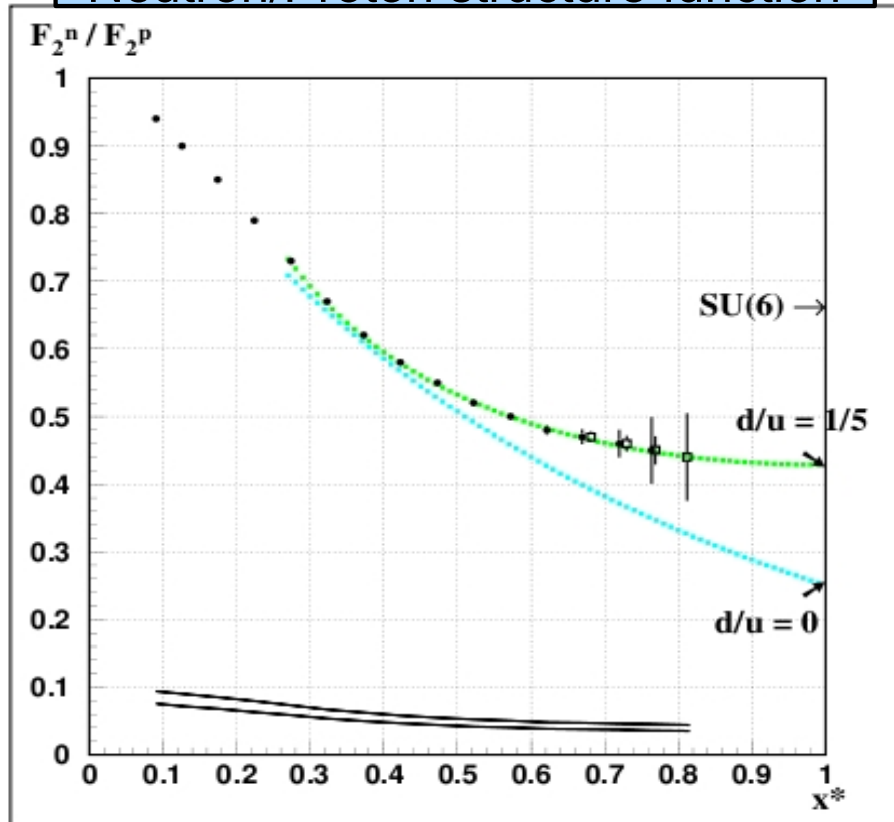
slides for S. Kuhn

# BONuS at 12 GeV

**E12-06-113**

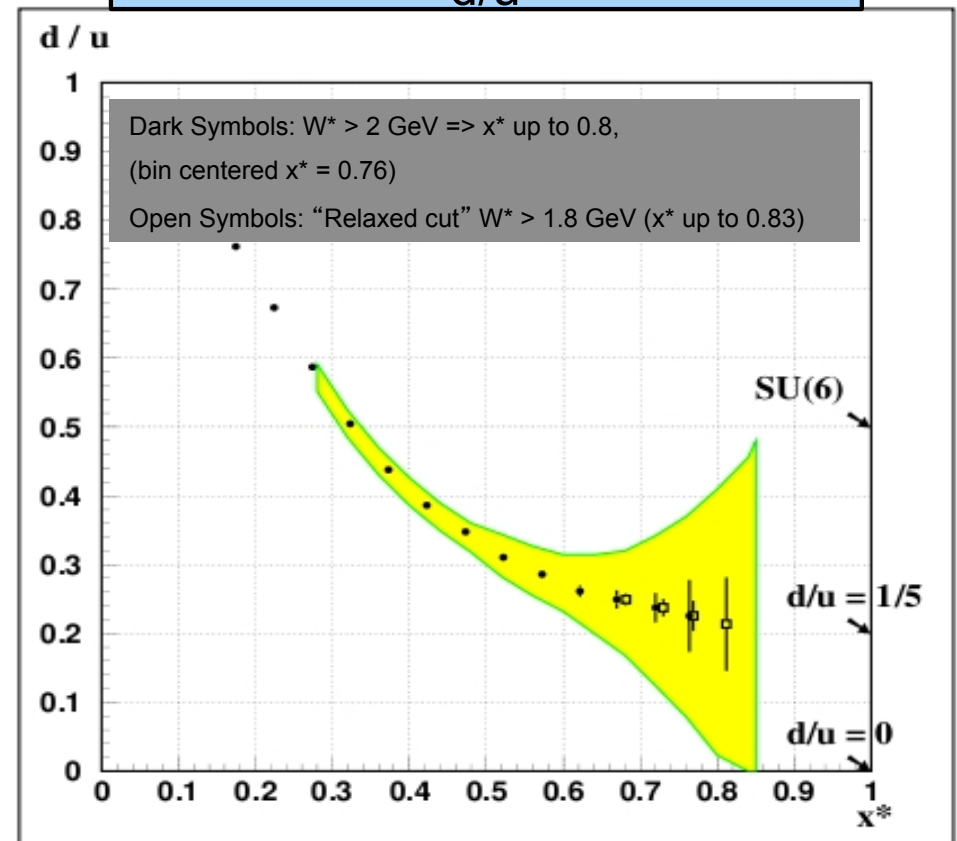


## Neutron/Proton structure function



Data taking of 35 days on  $D_2$  and 5 days on  $H_2$   
 with  $\mathcal{L} = 2 \cdot 10^{34} \text{ cm}^{-2} \text{ sec}^{-1}$

## d/u



# $F_2^n$ from the ratio of $A=3$ mirror nuclei

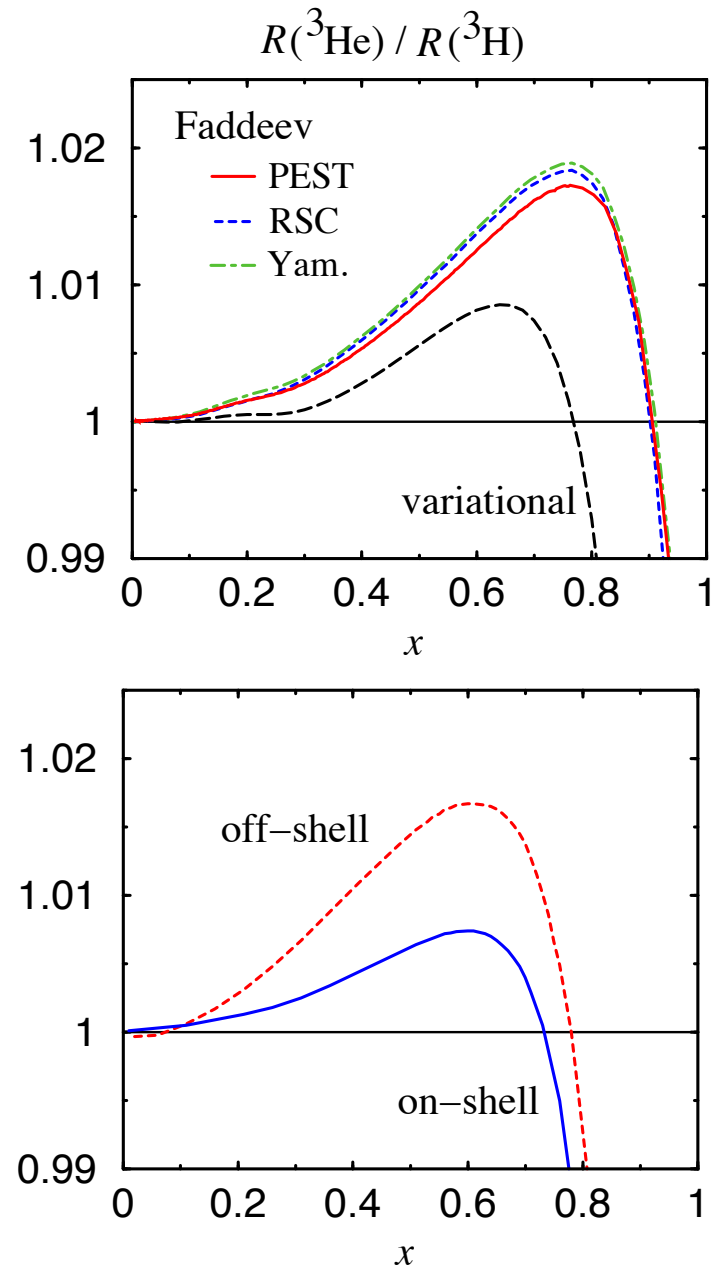
Measure  $F_2$ 's and form ratios:

$$R(^3He) = \frac{F_2^{^3He}}{2F_2^p + F_2^n}, \quad R(^3H) = \frac{F_2^{^3H}}{F_2^p + 2F_2^n}$$

Form “super-ratio”:  $r \equiv \frac{R(^3He)}{R(^3H)}$

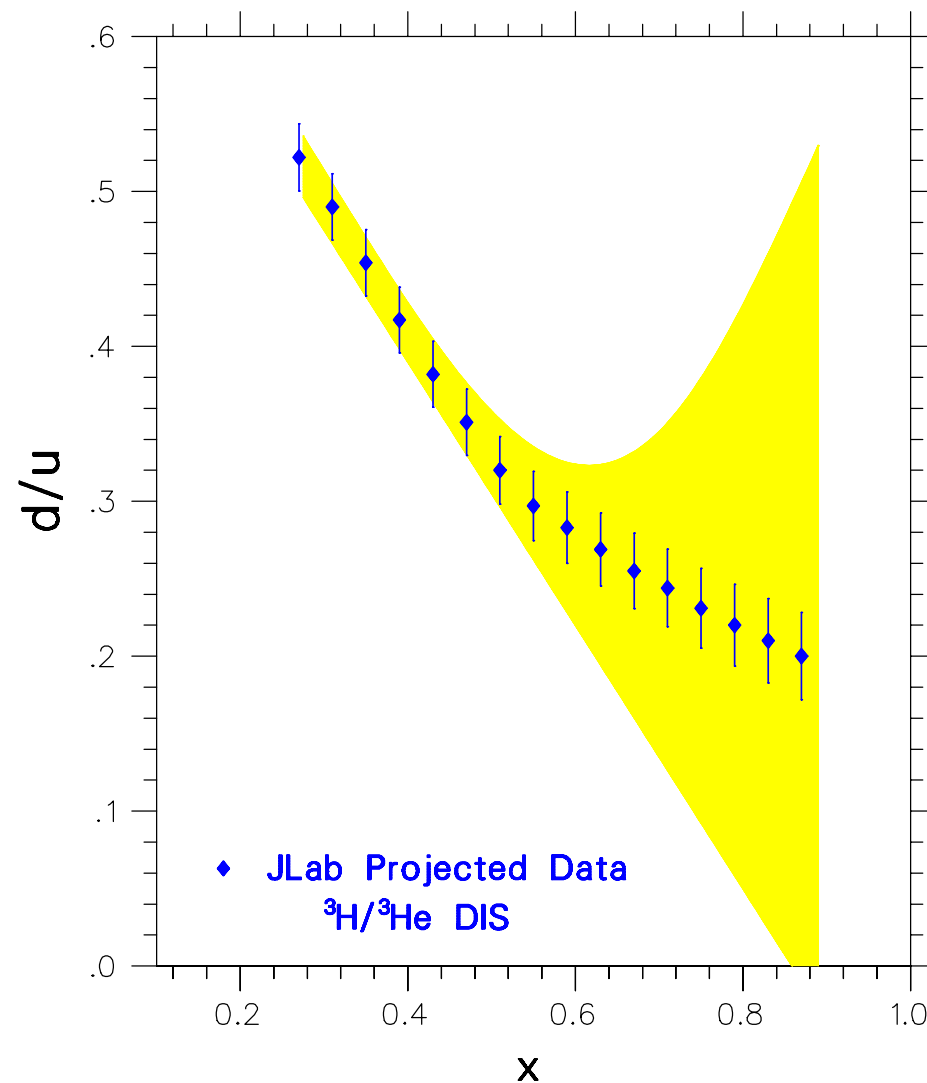
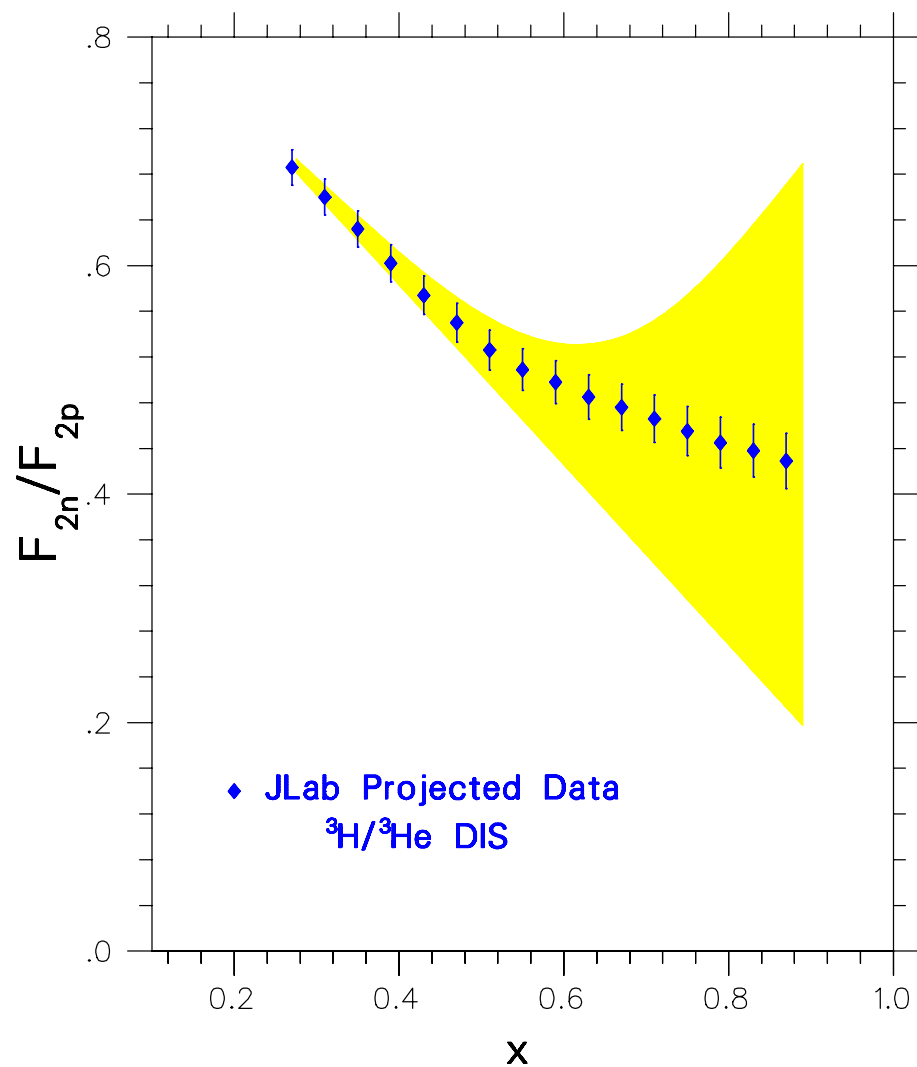
then


$$\boxed{\frac{F_2^n}{F_2^p} = \frac{2r - F_2^{^3He}/F_2^{^3H}}{2F_2^{^3He}/F_2^{^3H} - r}}$$



# E12-10-008: MARATHON

G. Petratos, J. Gomez, R. Holt, R. Ransome





# Tensor polarized deuteron program

# Tensor Structure Functions

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Frankfurt & Strikman (1983)

Hoodbhoy, Jaffe, Manohar (1989)

$$W_{\mu\nu} = -F_1 g_{\mu\nu} + F_2 \frac{P_\mu P_\nu}{\nu}$$

$$+ i \frac{g_1}{\nu} \epsilon_{\mu\nu\lambda\sigma} q^\lambda s^\sigma + i \frac{g_2}{\nu^2} \epsilon_{\mu\nu\lambda\sigma} q^\lambda (p \cdot q s^\sigma - s \cdot q p^\sigma)$$

$$- b_1 r_{\mu\nu} + \frac{1}{6} b_2 (s_{\mu\nu} + t_{\mu\nu} + u_{\mu\nu})$$

$$+ \frac{1}{2} b_3 (s_{\mu\nu} - u_{\mu\nu}) + \frac{1}{2} b_4 (s_{\mu\nu} - t_{\mu\nu})$$

} Tensor Polarized  
Spin-1 Target



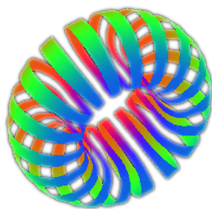
# Tensor Structure Functions

Frankfurt & Strikman (1983)

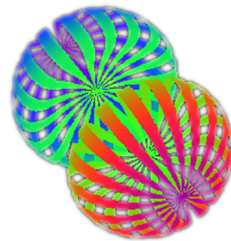
Hoodbhoy, Jaffe, Manohar (1989)

$$\begin{aligned}
 W_{\mu\nu} = & -F_1 g_{\mu\nu} + F_2 \frac{P_\mu P_\nu}{\nu} \\
 & + i \frac{g_1}{\nu} \epsilon_{\mu\nu\lambda\sigma} q^\lambda s^\sigma + i \frac{g_2}{\nu^2} \epsilon_{\mu\nu\lambda\sigma} q^\lambda (p \cdot q s^\sigma - s \cdot q p^\sigma) \\
 & - b_1 r_{\mu\nu} + \frac{1}{6} b_2 (s_{\mu\nu} + t_{\mu\nu} + u_{\mu\nu}) \\
 & + \frac{1}{2} b_3 (s_{\mu\nu} - u_{\mu\nu}) + \frac{1}{2} b_4 (s_{\mu\nu} - t_{\mu\nu})
 \end{aligned}$$

} Tensor Polarized  
Spin-1 Target



—



$$b_1(x) = \frac{q^0(x) - q^1(x)}{2}$$

b1 : Nice mix of nuclear and quark physics

measured in DIS (so probing quarks), but depends solely on the deuteron spin state

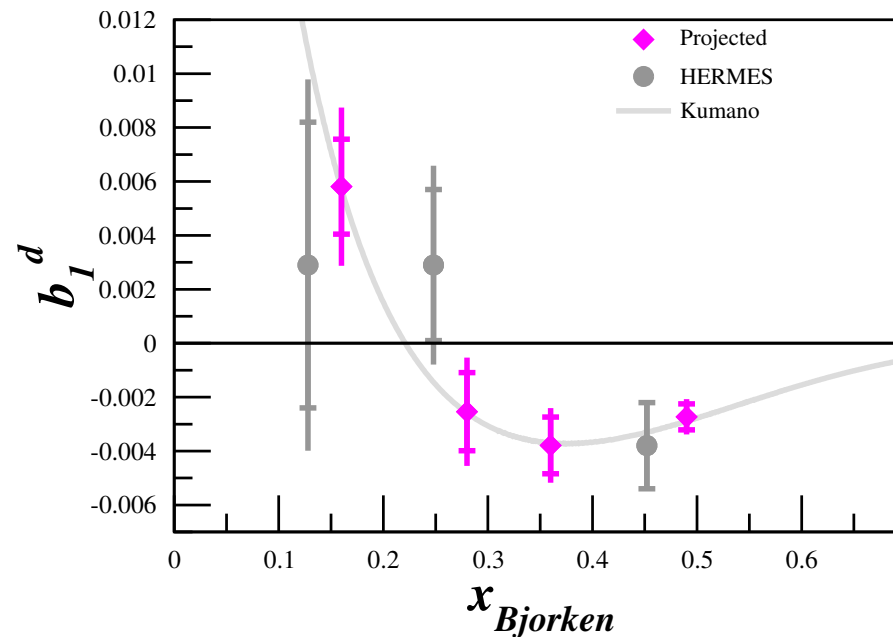
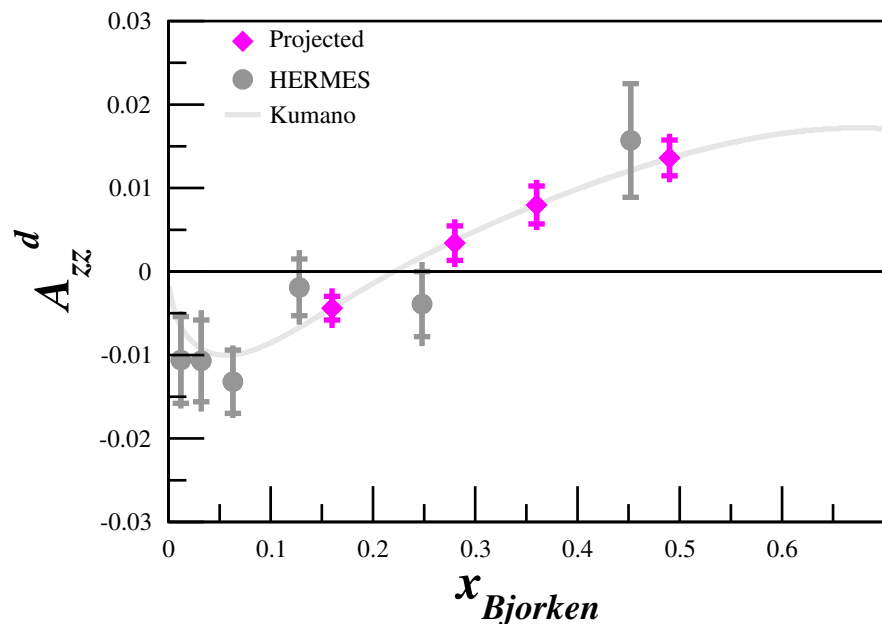
We can investigate nuclear effects at the level of partons!



# E12-13-011 : $b_1$

A<sup>-</sup> Rating, C<sub>1</sub> Approval

Slifer(contact), Chen, Long, Kalantarians, Keller, Rondon, Solvignon



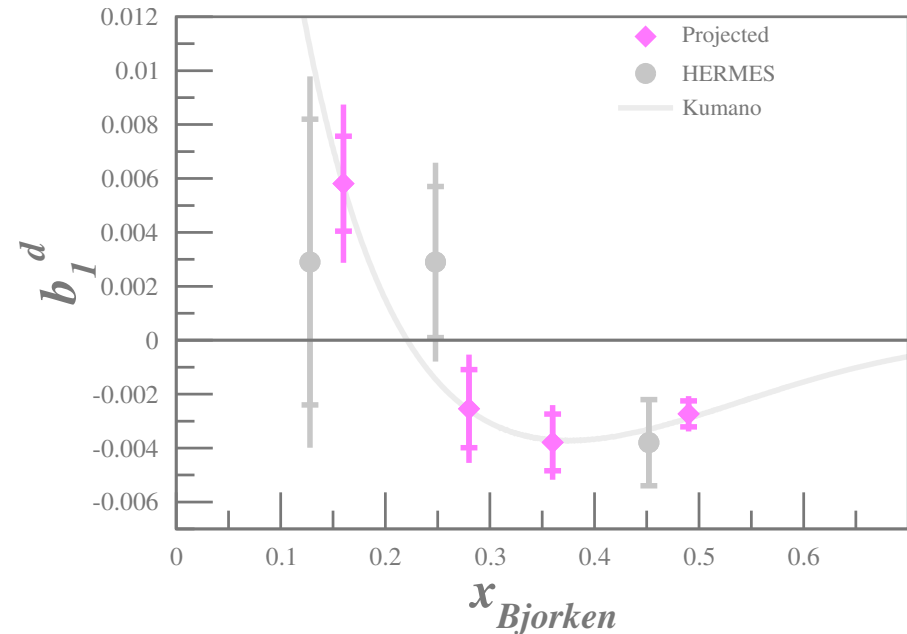
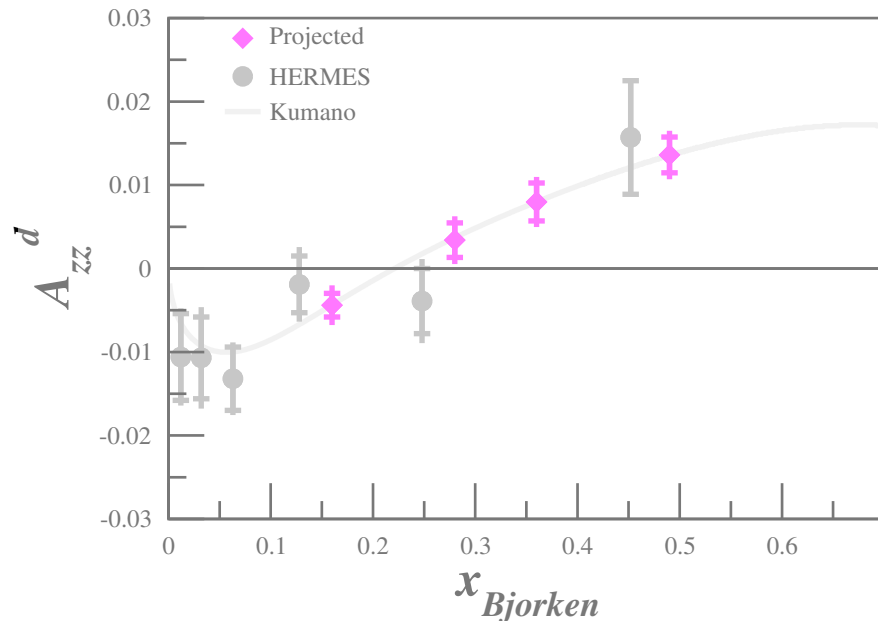
## JLab Hall C Inclusive Scattering

$P_{zz} = 35\%$  Tensor Polarized ND<sub>3</sub>

# E12-13-011 : $b_1$

A<sup>-</sup> Rating, C<sub>1</sub> Approval

Slifer(contact), Chen, Long, Kalantarians, Keller, Rondon, Solvignon



## JLab Hall C Inclusive Scattering

$P_{zz} = 35\%$  Tensor Polarized ND<sub>3</sub>

Sensitive to tensor pol of quark sea

Allows test of CK Sum Rule

$$\int_0^1 dx b_1(x) = 0$$

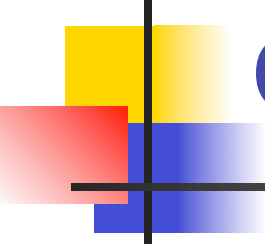
## Clean Probe of Hidden Color

G. Miller, Phys.Rev. C89 (2014) 045203

no conventional nuclear mechanism can reproduce the Hermes data, but that the 6-quark probability needed to do so ( $P_{6Q} = 0.0015$ ) is small enough that it does not violate conventional nuclear physics.

## Verification of $b_1$ Zero-Crossing

critical for satisfaction of CK sum rule  
clear signature of exotic effects

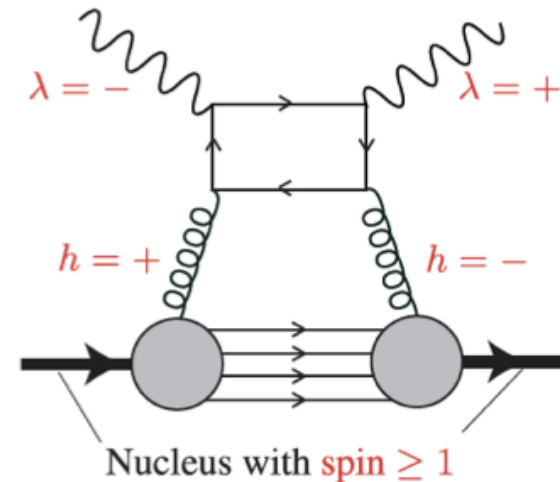
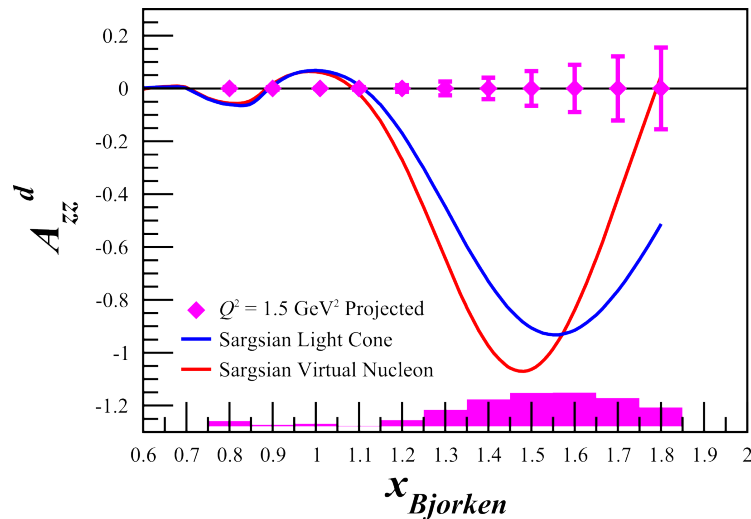


# Sum rule for the 2<sup>nd</sup> moment of deuteron's $b_1$

slide for O.Teryaev

- Must give zero if summed over quarks, antiquarks and gluons
- Deuteron as isoscalar target provides sum of light quarks contributions
- Deviation from zero signals on the collective tensor polarized glue, like the quarks momentum  $\sim 1/2$  indicated the gluons existence
- Also probes the quarks coupling to gravity and equivalence principle

**Mod.Phys.Lett. A24 (2009) 2831-2837**



## Azz for x>1

$P_{zz} = 35\%$  Tensor Polarized  $\text{ND}_3$   
 $A_{zz} \approx 1$  in this region

Direct probe of Tensor force  
 SRCs and pn dominance  
 Sensitive to S-wave/D-wave ratio


Encouraged for full submission by PAC42

## b4 structure function (aka $\Delta$ )

Polarized  $^{14}\text{NH}_3$  Target

Non-zero value would be a clear signature of  
 exotic gluon states in the nucleus

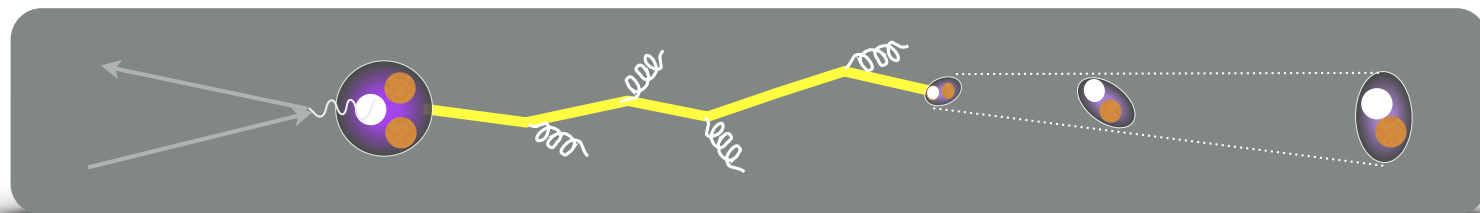
Encouraged for full submission by PAC42



**How do we get from quarks and gluons to  
nucleons and mesons ?**

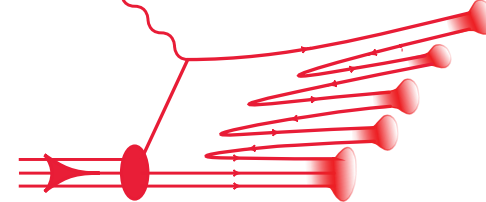
# Hadronization Physics: E-02-104 and E12-06-117

- Hadronization: a QCD puzzle for more than four decades
- Fundamental process, but nonperturbative:
  - ➡ time-based, so not historically accessible with lattice QCD
  - ➡ constrained by hadron multiplicities, but these are not sensitive to dynamics at the femtometer scale
- Now there is a *new opportunity*:
  - ➡ Identified hadrons + nuclear targets + high luminosity
  - ➡ Access to color propagation, neutralization, and fluctuations

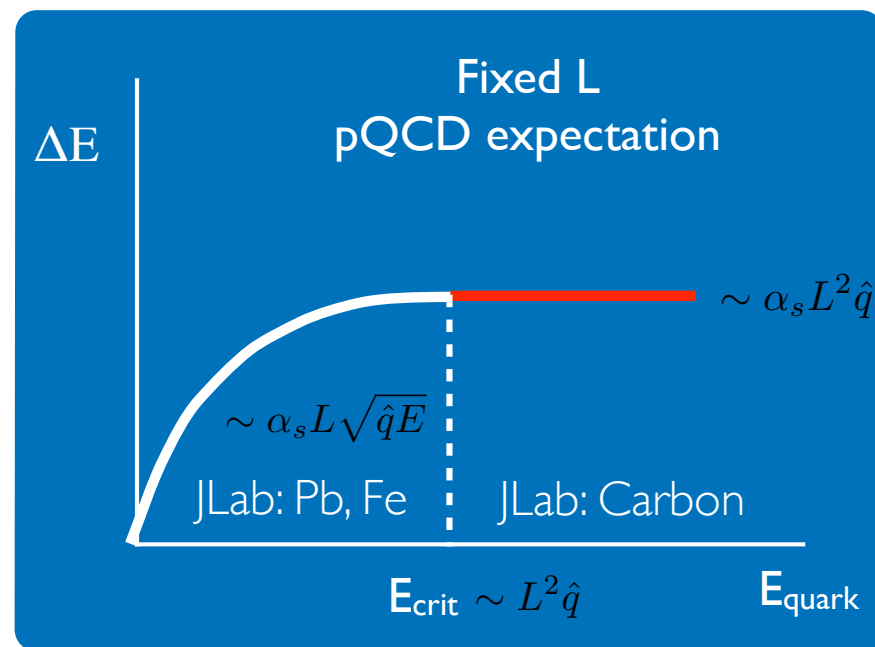
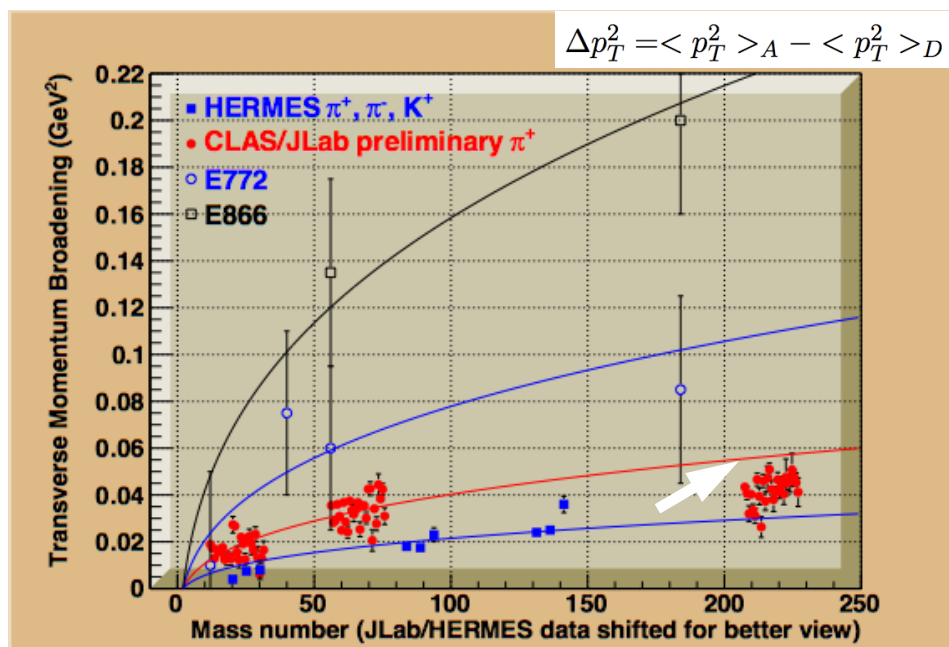




# What we are learning

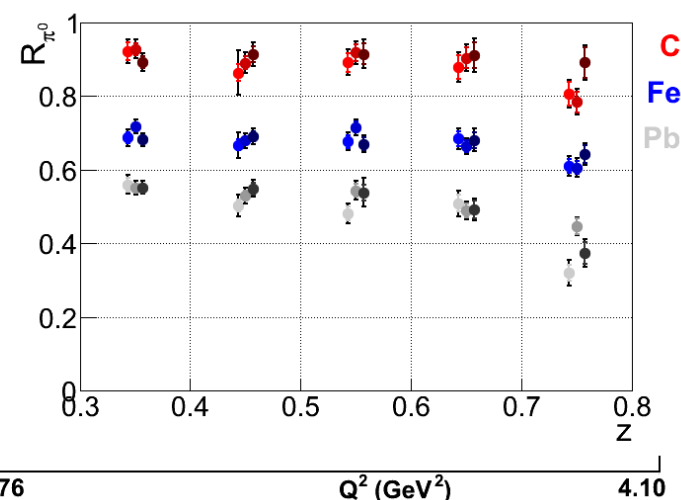
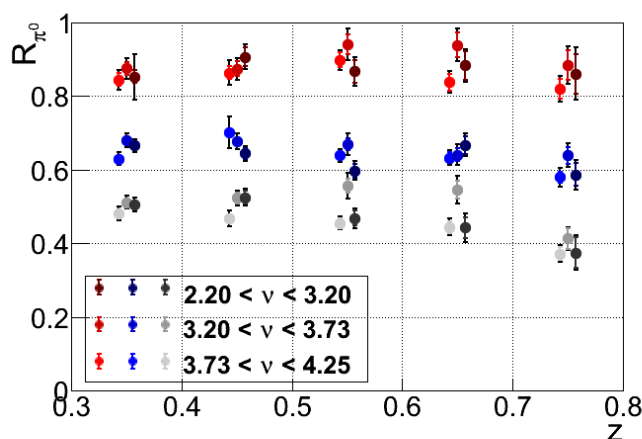
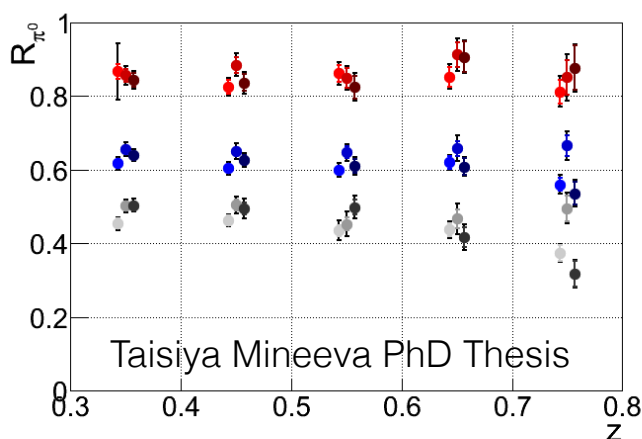
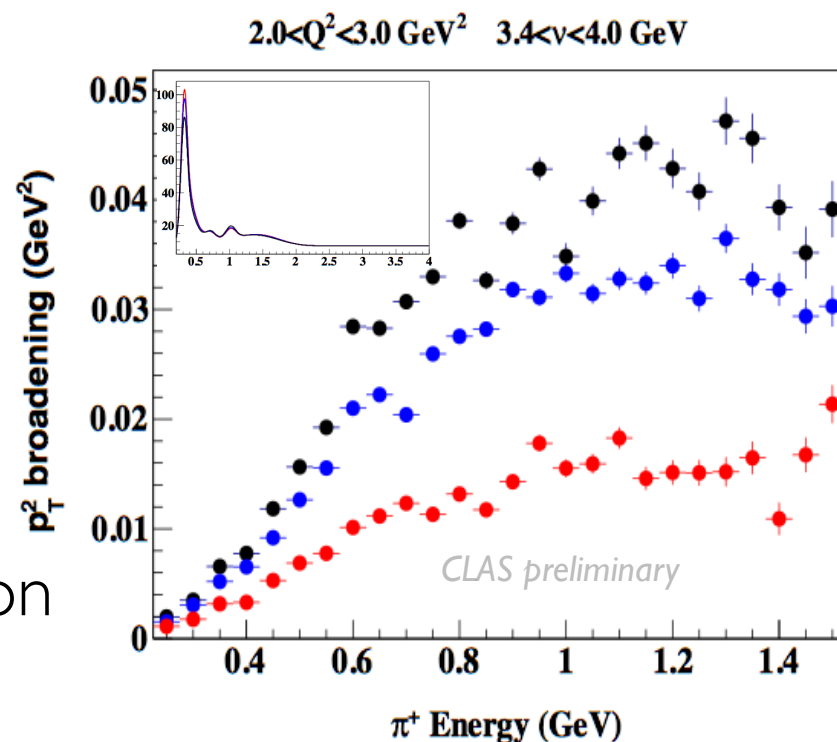


- Can constrain the *virtual quark lifetime* via  $p_T$  broadening
  - ➔ @12 GeV: should clearly see time dilation with increasing  $\nu$
- Quark energy loss is significantly less than  $-\frac{dE}{dx} = \frac{\alpha_s N_c}{4} \Delta p_T^2$ 
  - ➔ @12 GeV: probing the critical energy region
- New@12 GeV: polarization degrees of freedom - SSA and more



# What we are learning

- Can constrain hadron formation time via  $p_T$  broadening
  - ➔ @12 GeV: rare hadrons ( $\phi$  meson); baryon hadronization; hadron mass dependence and flavor content
- Multiplicity ratios, and thus hadronization mechanisms, have at least 3-fold differential kinematic dependences



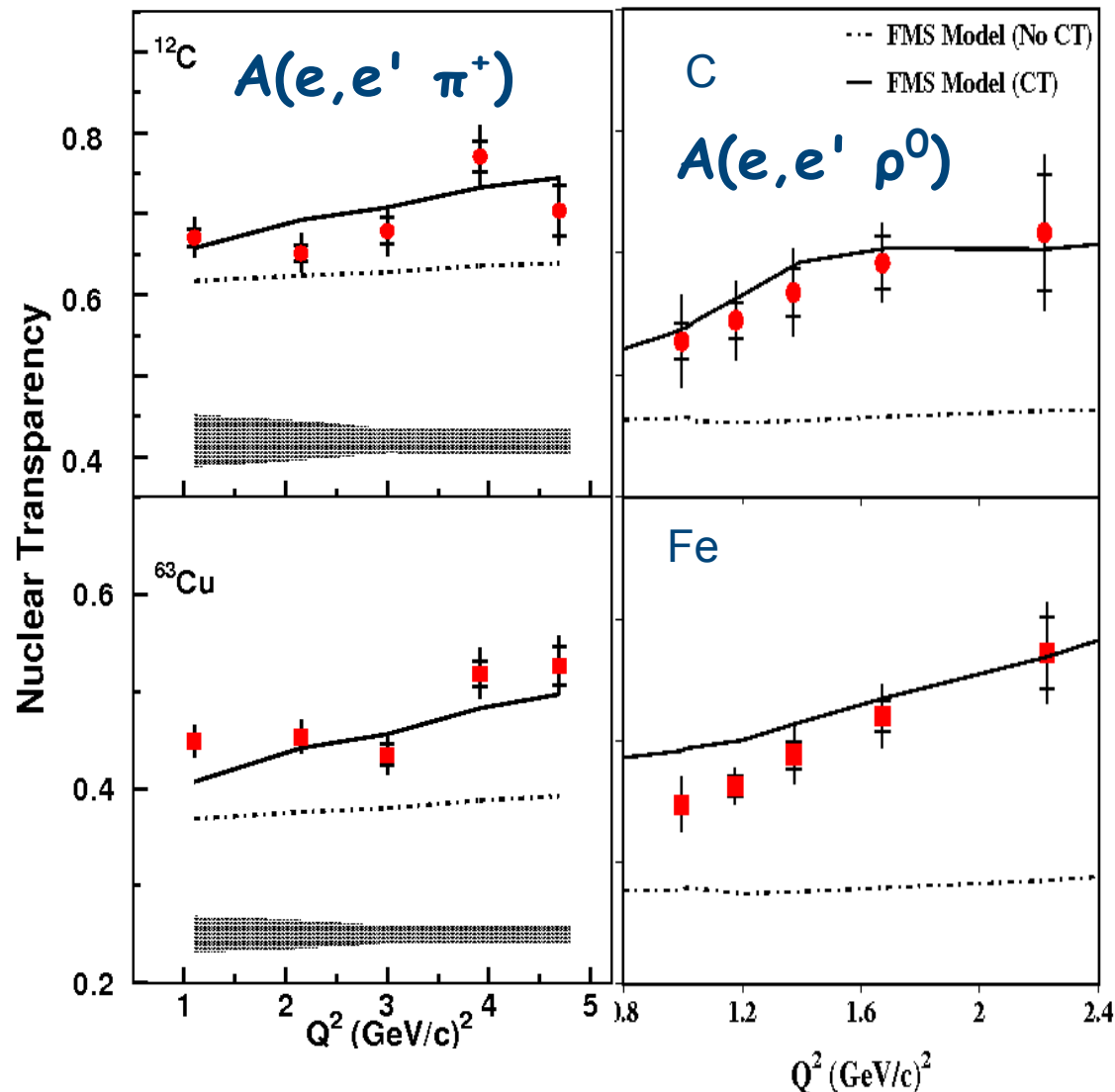
Neutral pion, 3-fold differential multiplicity ratio,  $z$  dependence vs.  $v$  and  $Q^2$



# The Onset of Color Transparency

slides for D. Dutta

## JLab Experiments conclusively find the onset of CT



- Hall-C Experiment E01-107 pion electroproduction from nuclei found an enhancement in transparency with increasing  $Q^2$  &  $A$ , consistent with the prediction of CT.

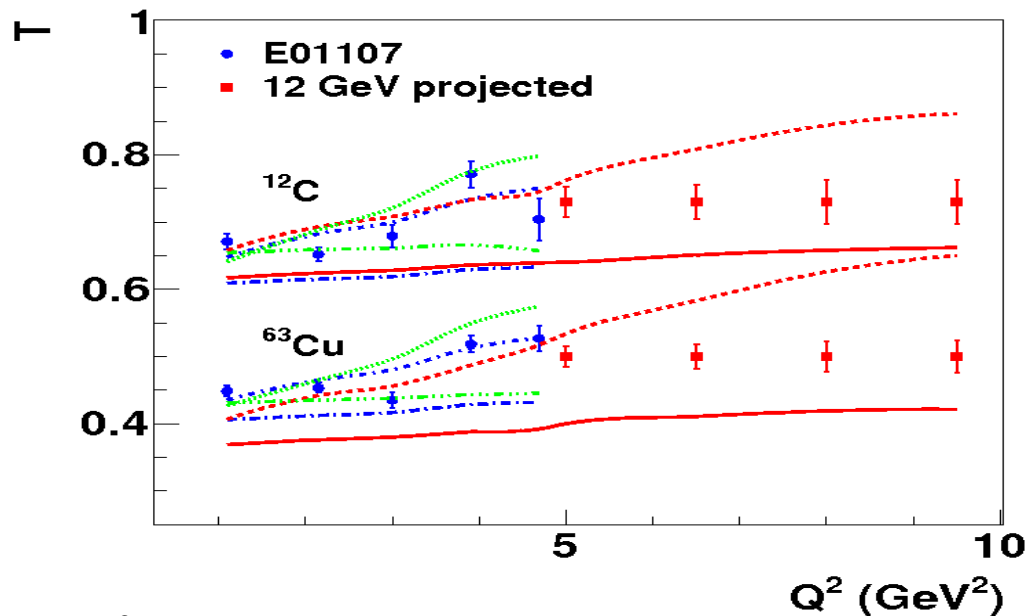
(X. Qian et al., PRC81:055209 (2010),  
B. Clasie et al, PRL99:242502 (2007))

- CLAS Experiment E02-110 rho electroproduction from nuclei found a similar enhancement, consistent with the same predictions

(L. El-Fassi, et al., PLB 712, 326 (2012) )

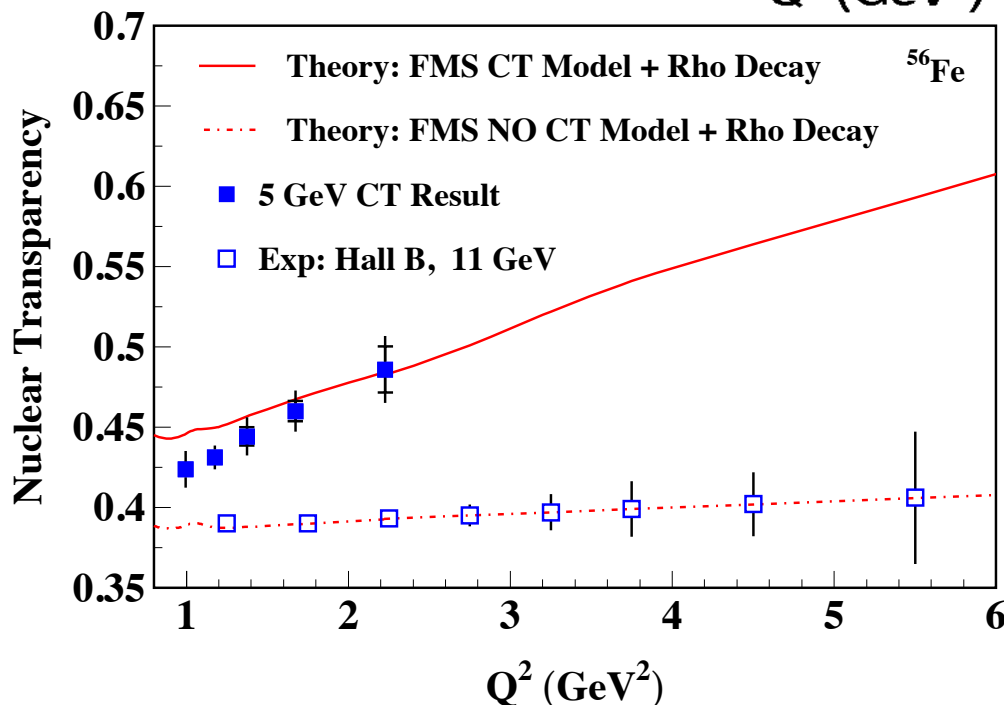
# Meson Transparency @ 11 GeV

slides for D. Dutta



**Both pion and rho transparency measurements will be extended at 11 GeV to the highest  $Q^2$  accessible**

**will help confirm the onset of CT observed at 6 GeV**

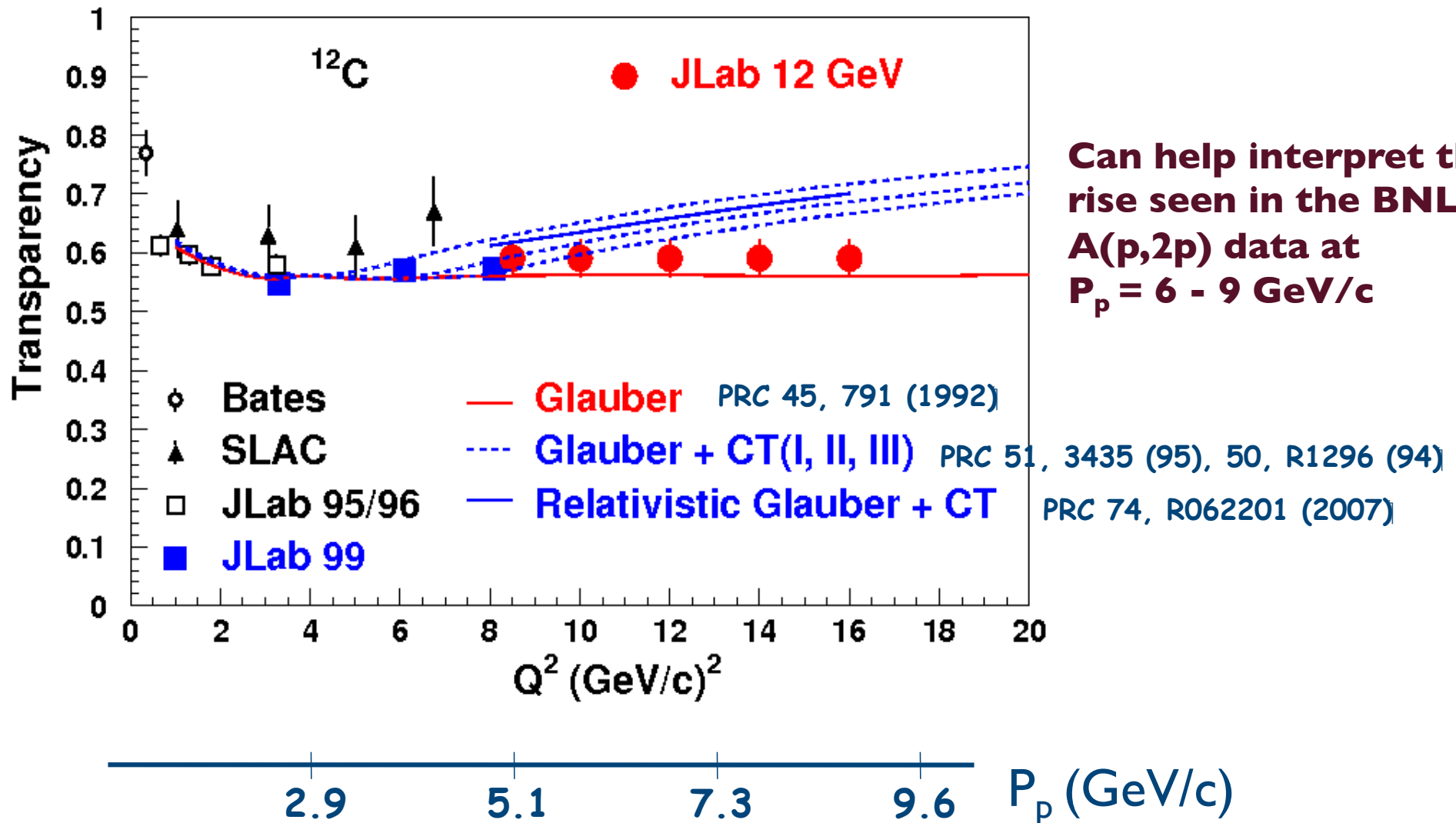


**will verify the strict applicability of factorization theorems for meson electroproduction**

# Proton Transparency @ 11 GeV

slides for D. Dutta

## $A(e,e'p)$ @ 11 GeV JLab E12-06-107



# Quarks in Nuclei at JLab 12 GeV

## The EMC effect:

- Extended study on the local density effect and first study of the isospin dependence
- Is the SRC-EMC relationship real and what is the origin ?
- Also related: Nuclear dependence of R, super-fast quarks and extraction of the neutron structure function

## Tensor Structure functions:

- Another way to look at nuclear effect at the parton level
- High sensitivity to hidden color
- Access to possible novel partonic components in nuclei

## Hadronization at 12 GeV:

- High sensitivity to time dilation and quark energy loss
- Constraint on hadron formation time

## Color transparency at 12 GeV:

- Unique probe of the space-time evolution of special configurations of the hadron WF
- Disentangle different effects: small-size-configuration (SSC) creation, its formation and interaction with the nuclear medium

# Acknowledgements

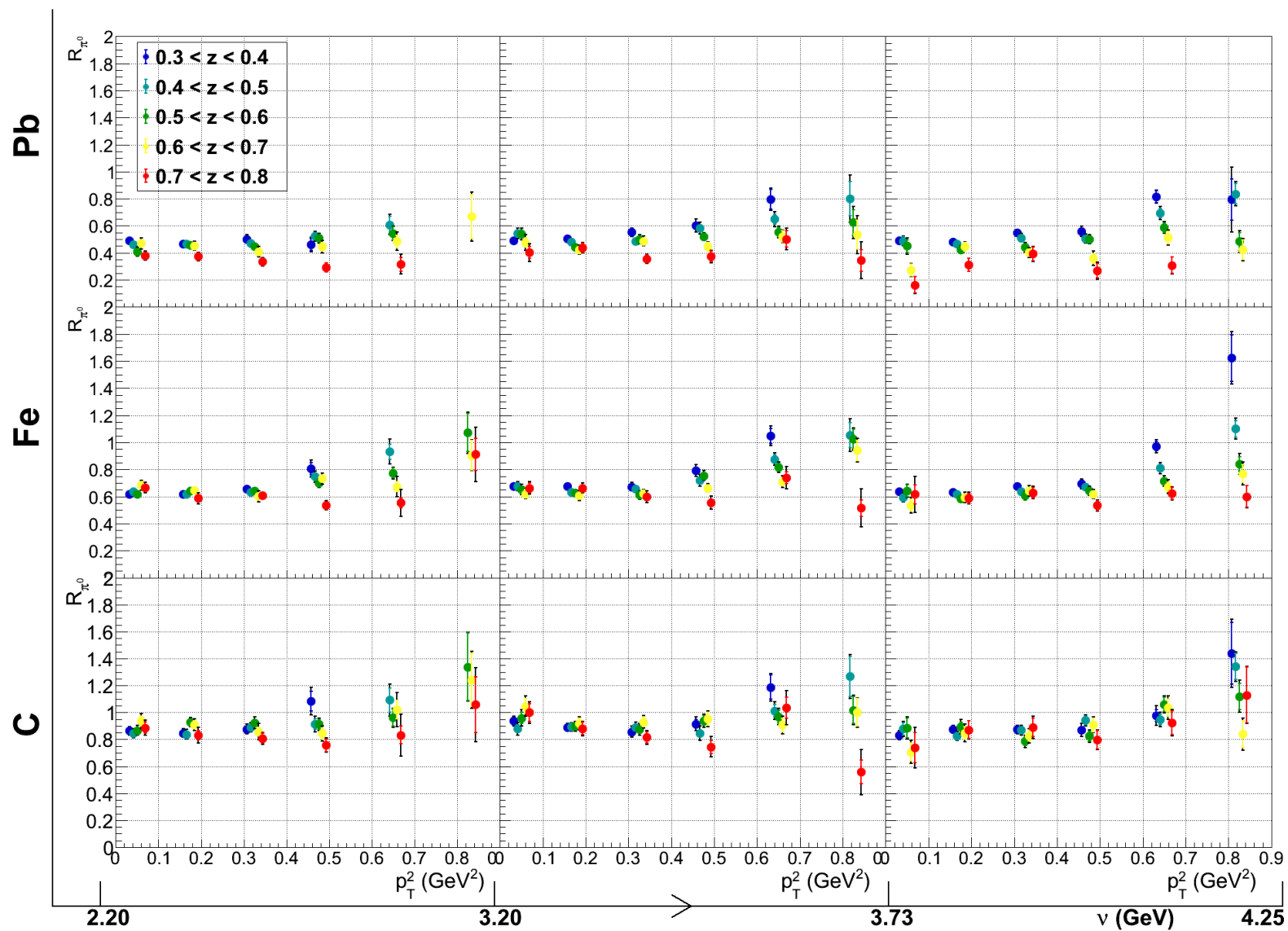
Thanks to

John Arrington, Will Brooks, Donal Day, Dipangkar Dutta, Nadia Fomin, Kawtar Hafidi, Sebastian Kuhn, James Maxwell, Karl Slifer, Oleg Terayev  
for providing slides and comments.

# EXTRA SLIDES



# Hadronization



T. Mineeva Ph.D thesis

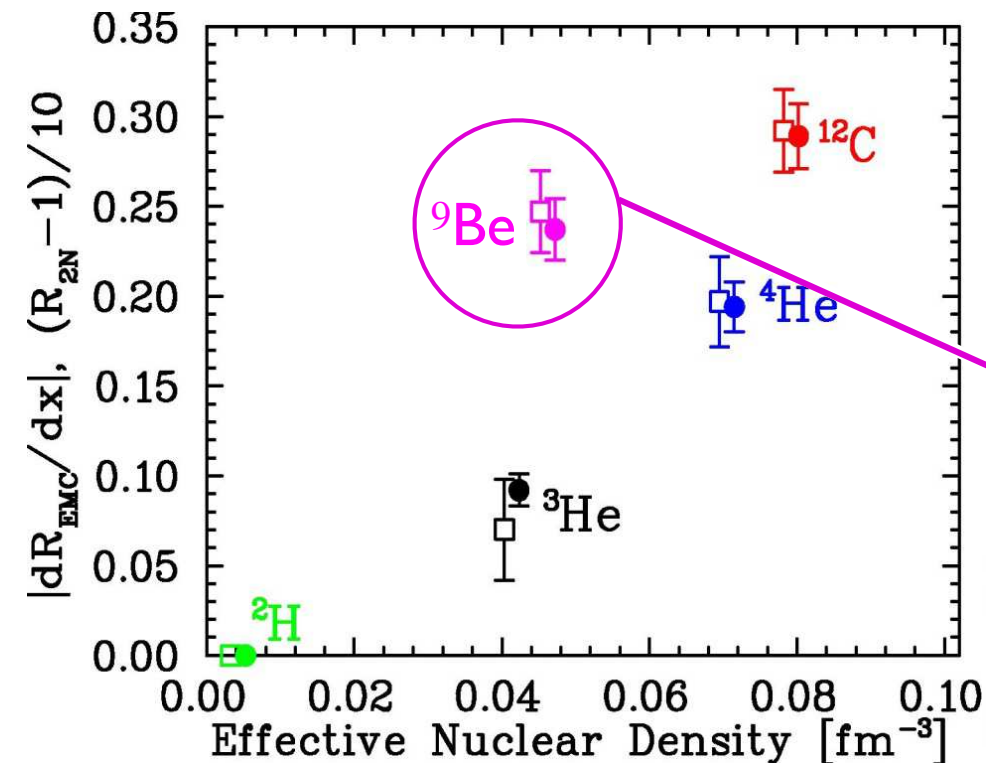
# Issues

- 1) Structure of two nucleon SRC - S vs D wave  
(polarized deuteron or measurement of the polarization in the final state)
- 2) Discovery of the nonnucleonic degrees of freedom in nuclei - we know that they present (EMC effect ) etc - but this is indirect.  
  
this includes tagged EMC effect in the deuteron, looking for Delta isobars,...
- 3) Direct observation of the three nucleon correlations
- 4) Testing different treatments of the relativistic descriptions of nuclei.
- 5) Observing superfast ( $x > 1$ ) quarks in nuclei in DIS at Jlab 12.



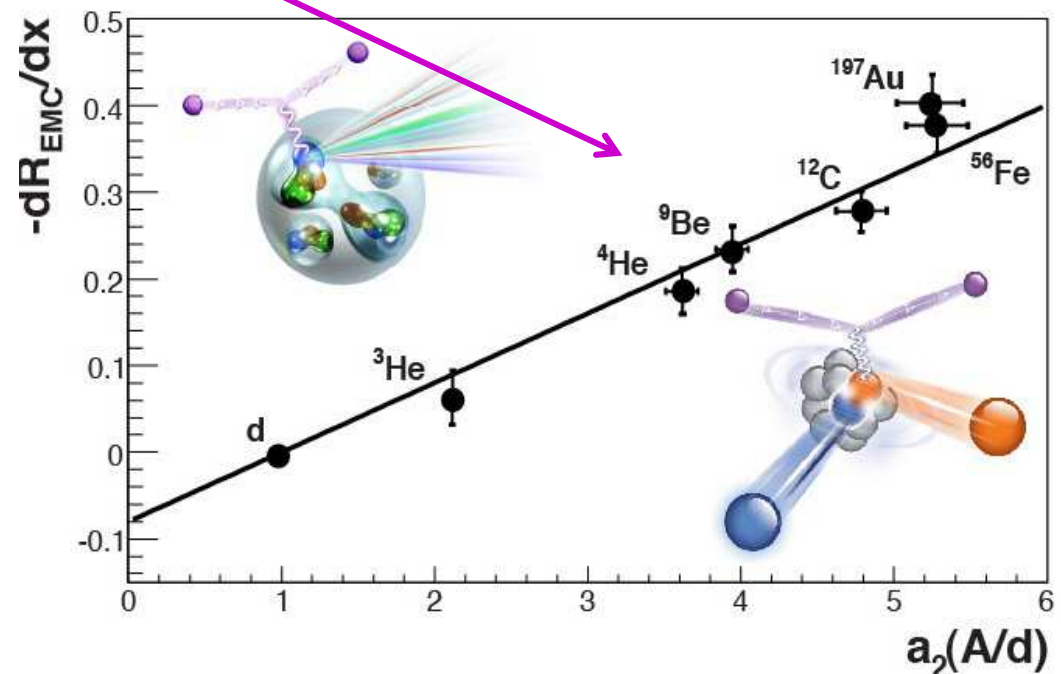


# EMC vs. SRC



Same odd behavior for SRC  
and EMC effect in  ${}^9\text{Be}$

Both observables show similar  
behavior, **suggesting a common origin**



J. Seely et al, PRL103, 20231 (2009)

N. Fomin et al, PRL108, 092502 (2012)

J. Arrington, A. Daniel, D. Day, N. Fomin, D. Gaskell  
and P. Solvignon, PRC 86, 065204 (2012)

O. Hen, E. Piasetzky and L. Weinstein, PRC85, 047301 (2012)

L. Weinstein, E. Piasetzky, D. Higinbotham, J. Gomez, O. Hen and R. Shneor, PRL106, 052301 (2011)

# MARATHON: Physics motivations

SU(6)-symmetric wave function of the proton in the quark model (spin up):

$$|p \uparrow\rangle = \frac{1}{\sqrt{18}} (3u \uparrow [ud]_{S=0} + u \uparrow [ud]_{S=1} - \sqrt{2}u \downarrow [ud]_{S=1} - \sqrt{2}d \uparrow [uu]_{S=1} - 2d \downarrow [uu]_{S=1})$$

u and d quarks identical, N and  $\Delta$  would be degenerate in mass.

In this model:  $d/u = 1/2$ ,  $F_2^n/F_2^p = 2/3$ .

pQCD: helicity conservation ( $q \uparrow \uparrow p$ )

$\Rightarrow d/u \approx 2/(9+1) \approx 1/5$ ,  $F_2^n/F_2^p \approx 3/7$  for  $x \rightarrow 1$

SU(6) symmetry is broken: N- $\Delta$  Mass Splitting

- Mass splitting between  $S=1$  and  $S=0$  diquark spectator.
- symmetric states are raised, antisymmetric states are lowered ( $\sim 300$  MeV).
- $S=1$  suppressed

$\Rightarrow d/u = 0$ ,  $F_2^n/F_2^p = 1/4$ , for  $x \rightarrow 1$

