Kinematics Resolution, Stability and Purity in NC channel

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Kinematics resolution

$$\frac{\mathcal{Q}^2 = -q^2 = -(k_{\mu} - k_{\mu}')^2}{\mathcal{Q}^2 = 2E_e E_e' (1 - \cos \Theta_{e'})}$$

$$\frac{\partial x_e}{\partial z} = \frac{1}{y_e} \frac{\partial E_e'}{\partial z} \oplus \left[\frac{x_e}{E_e / E_p} - 1 \right] \tan \frac{\theta_e'}{2} \delta \theta_e'$$

$$y = \frac{pq}{pk} = 1 - \frac{E_e'}{E_e} \cos^2 \left(\frac{\theta_e'}{2} \right)$$

$$x = \frac{Q^2}{2pq} = \frac{Q^2}{sy}$$

$$\frac{\partial x_e}{\partial z} = \frac{1}{y_e} \frac{\partial E_e'}{\partial z} \oplus \left[\frac{x_e}{E_e / E_p} - 1 \right] \cot \frac{\theta_e'}{2} \delta \theta_e'$$

$$\frac{\partial y_e}{\partial z} = \left[1 - \frac{1}{y_e} \right] \frac{\partial E_e'}{\partial z} \oplus \left[\frac{1}{y_e} - 1 \right] \cot \frac{\theta_e'}{2} \delta \theta_e'$$

$$\frac{\partial Q_e^2}{\partial z} = \frac{\partial E_e'}{\partial z} \oplus \cot \frac{\theta_e'}{2} \delta \theta_e'$$

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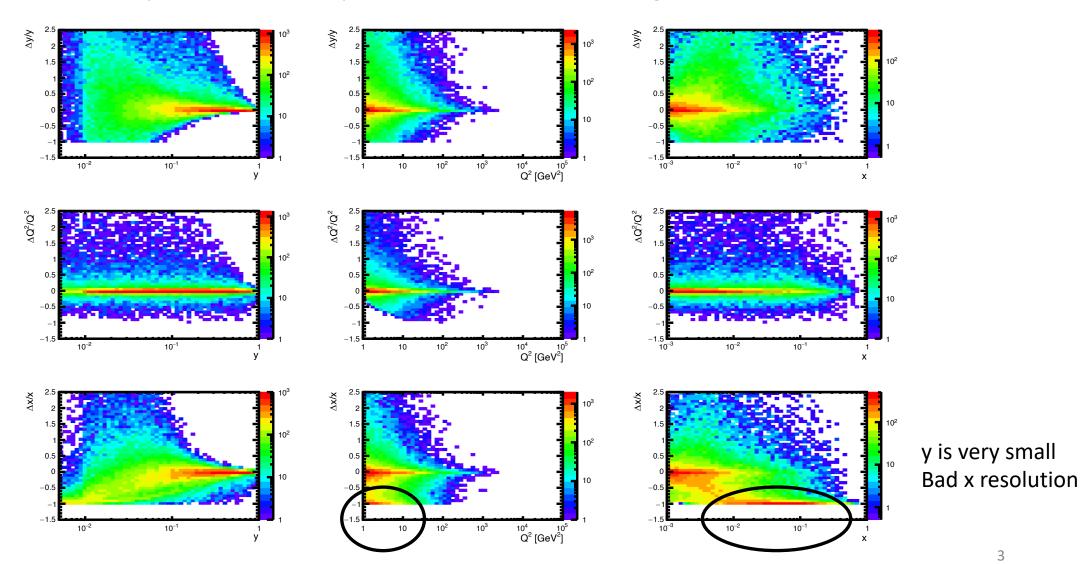
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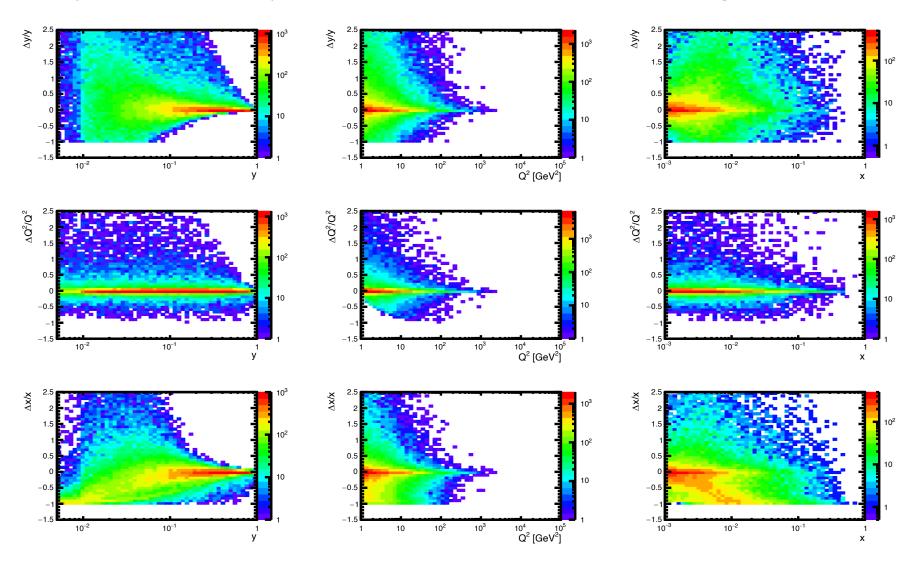
$$\frac{\partial Q_e'}{\partial z} = \frac{\partial Q_$$

- Reconstructed variables are calculated from the scattered electrons after EIC Smear with Rad effects
- (Rec-True)/Ture Vs True are shown: $\Delta y/y_T$ vs (y_T, x_T, Q^2_T) , $\Delta x/x_T$ vs (y_T, x_T, Q^2_T) , $\Delta Q^2/Q^2_T$ vs (y_T, x_T, Q^2_T)
- Different y cuts on resolution are studied.
- Max limit y cut is leaded by detector performance, y<0.95 is applied at the first place.

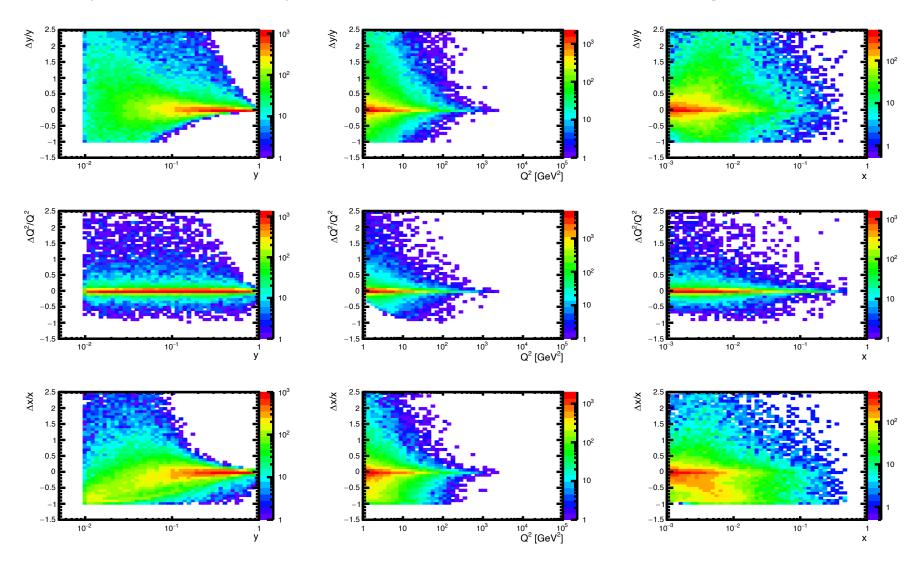
(Rec-True)/Ture Vs True, y<0.95



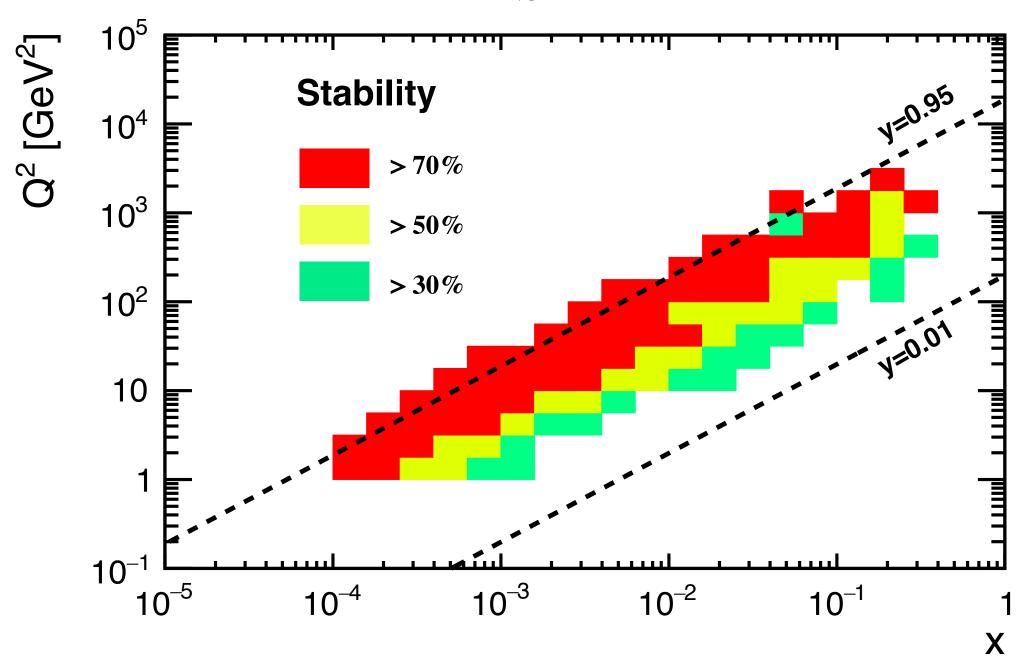
(Rec-True)/Ture Vs True, 0.005<y<0.95

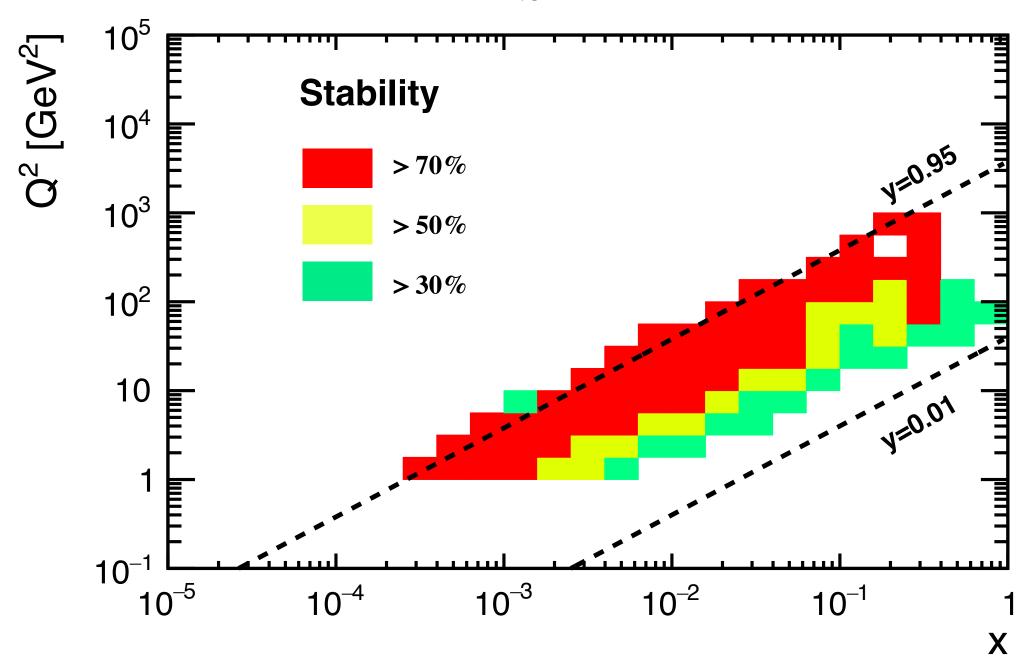


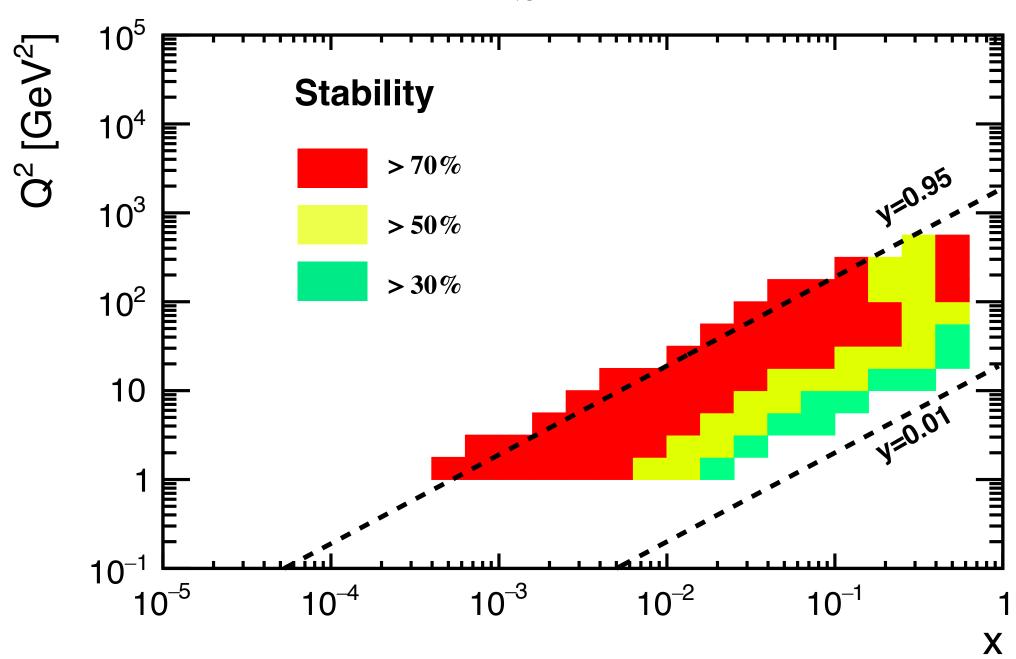
(Rec-True)/Ture Vs True, 0.01<y<0.95



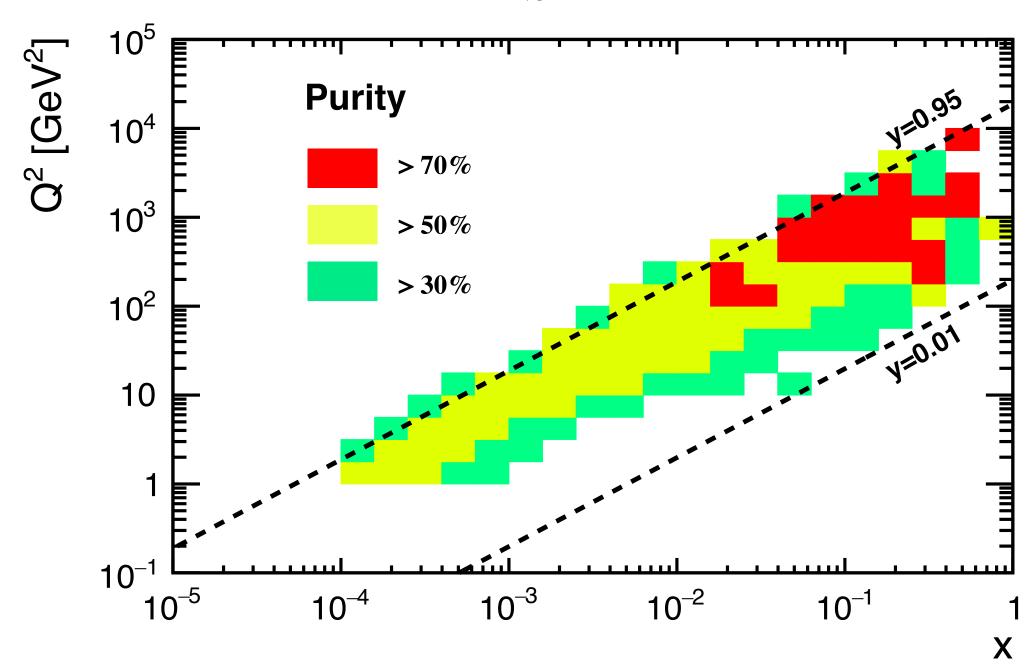
- **Stability**: The fraction of events generated in a given bin i that were reconstructed in the same bin i \rightarrow S(i) = N_{gen&reco}(i)/N_{gen}(i). The stability reflects the bin migration out of a generated bin(y_G, x_G,Q²_G).
- Reconstructed kinematics include Radiative and ElCsmear effects.
- 5 bins in x and 4 bins in Q² per decade.

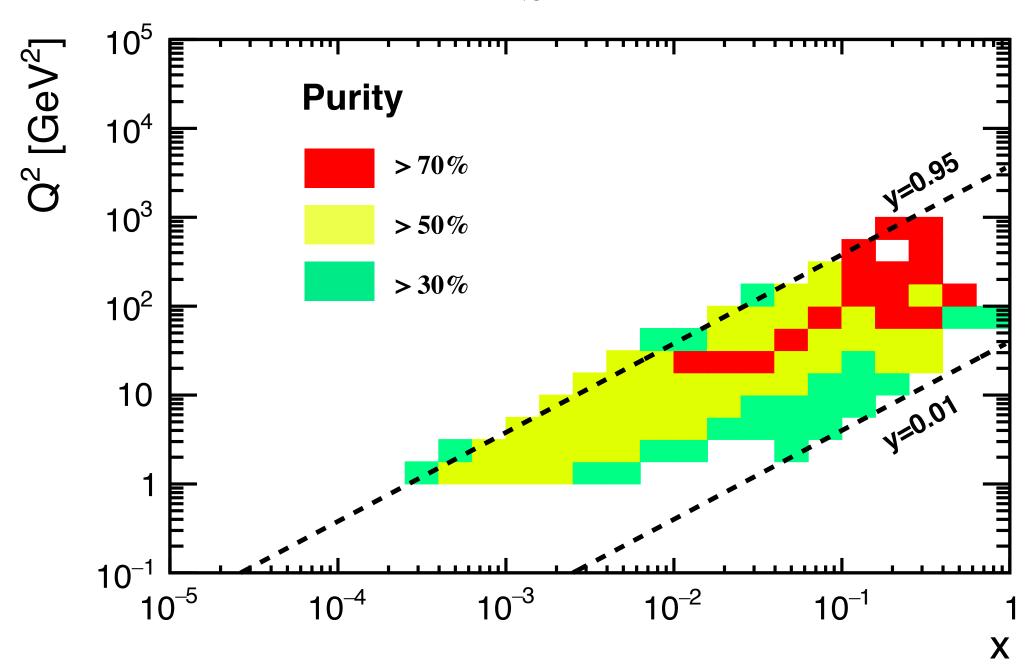


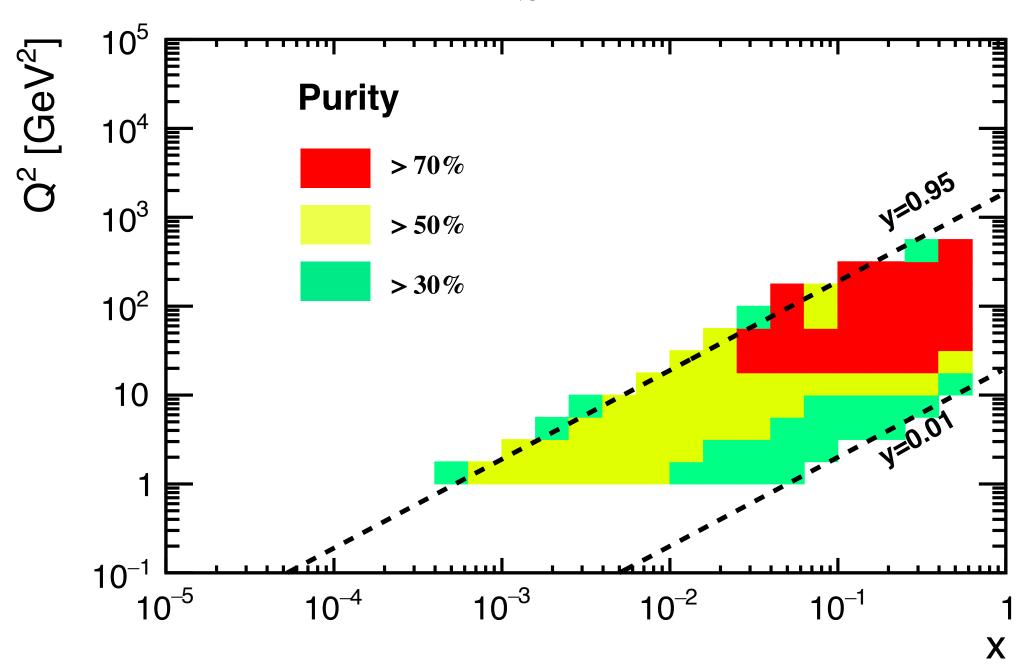




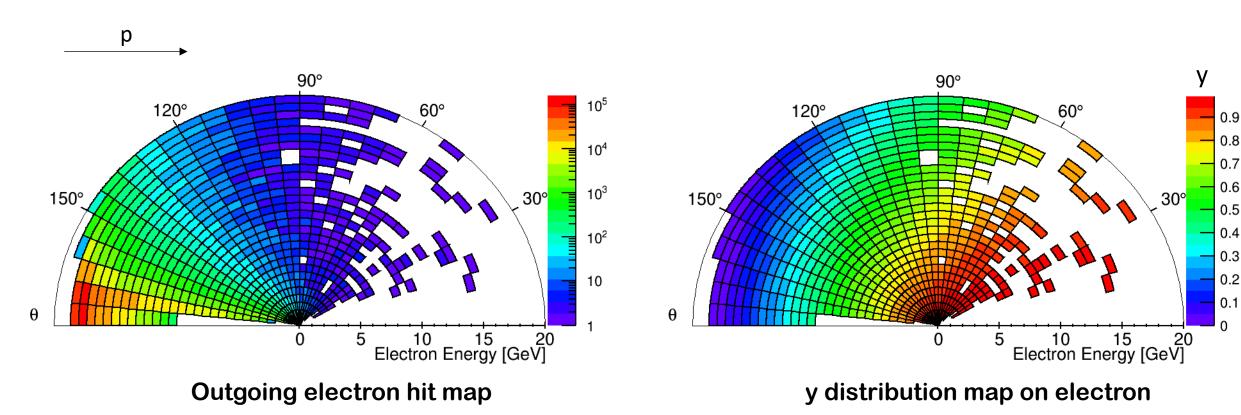
- **Purity**: The fraction of events reconstructed in a given bin i that were generated in the same bin $i \rightarrow P(i) = N_{gen\&reco}(i)/N_{reco}(i)$. The purity reflects the bin migration into a reconstructed bin $(y_R, x_{R,}Q^2_R)$.
- Reconstructed kinematics include Radiative and ElCsmear effects.
- 5 bins in x and 4 bins in Q² per decade







Back up: large Inelasticity y



10⁻¹
-1<η<4.5

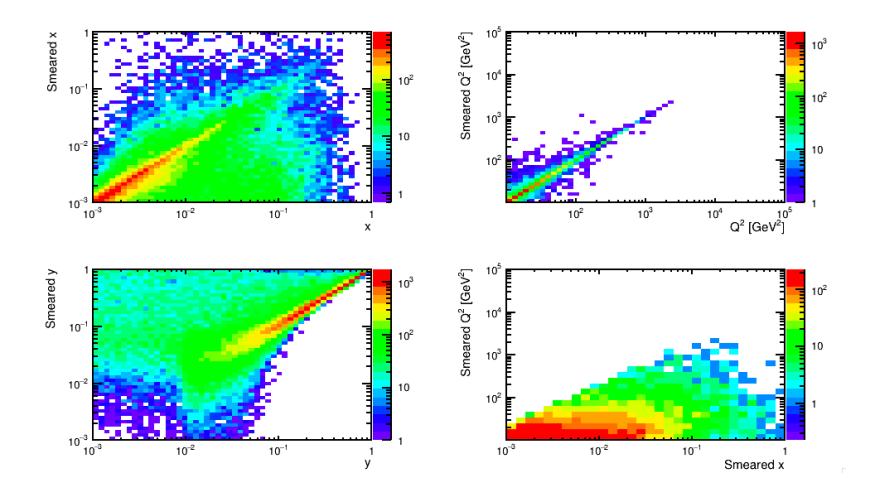
-2<η<-1
-4.5<η<-2

2 4 6 8 10 12 14 16 18 20

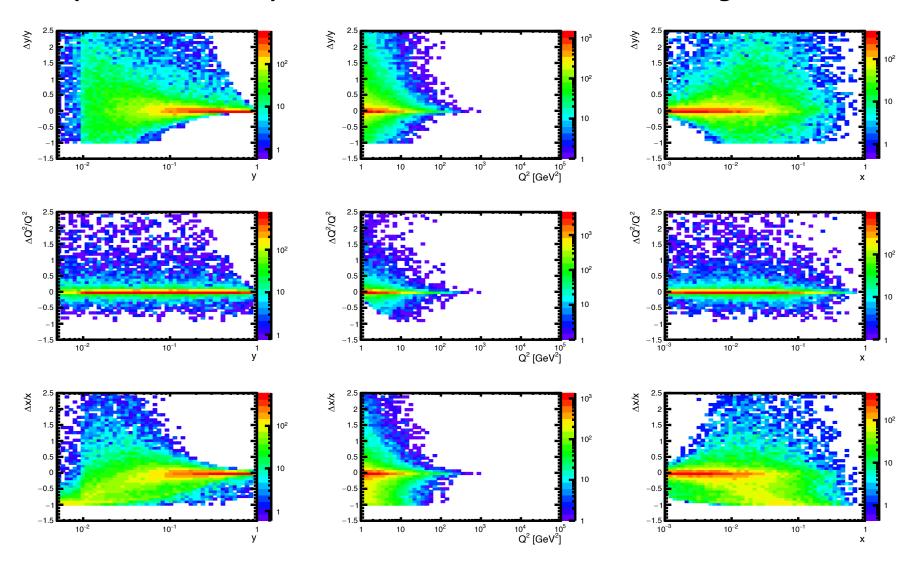
E [GeV]

• Large y: electron energy is relatively small and the outgoing direction is forward->EMCal resolution is bad, so y<0.95 is applied.

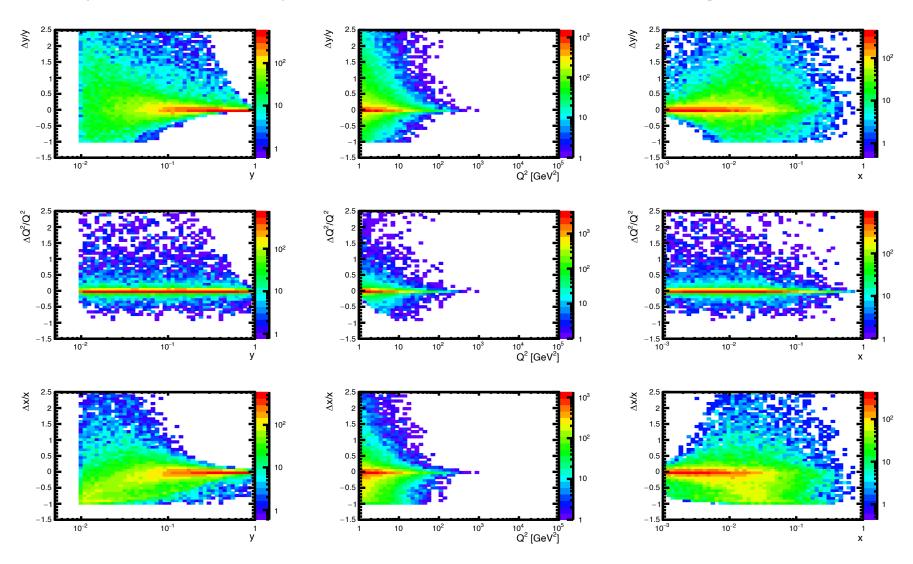
18x275 GeV



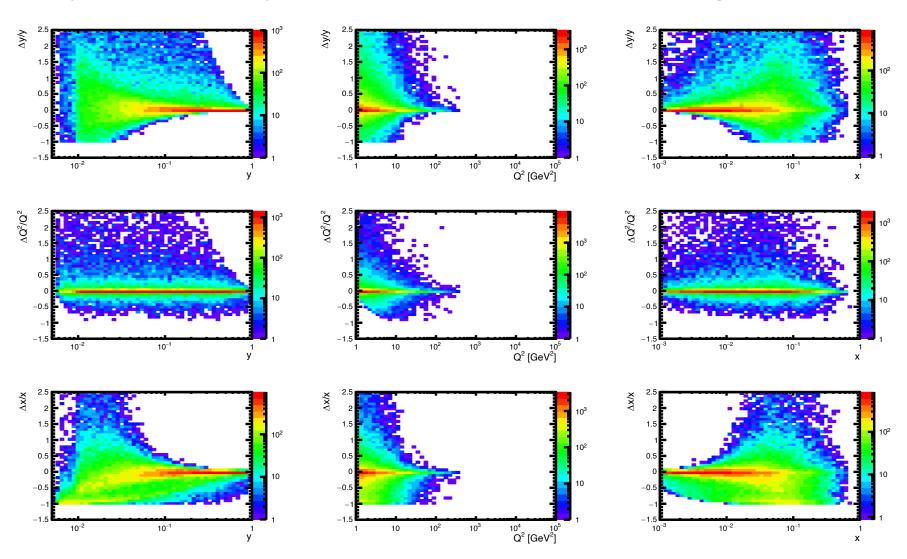
(Rec-True)/Ture Vs True, 0.005<y<0.95



(Rec-True)/Ture Vs True, 0.01<y<0.95



(Rec-True)/Ture Vs True, 0.005<y<0.95



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