

Determination of proton parton distribution functions using ATLAS data

J. Ferrando

On behalf of the ATLAS Collaboration



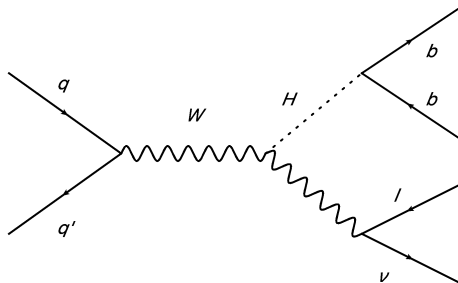
Deep Inelastic Scattering 2021, April 2021

In this talk I will present the most recent determination of Parton Distribution Functions (PDFs) performed by the ATLAS Collaboration:

- [arXiv:2101.05095](#)

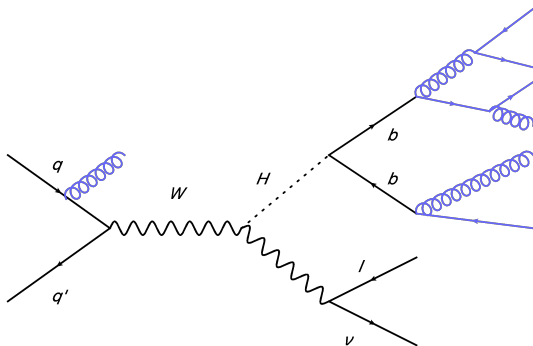
This extraction uses inclusive W/Z and W/Z +jets data sets from LHC Run 1 data. Together with HERA combined data.

Reminder: modelling pp processes



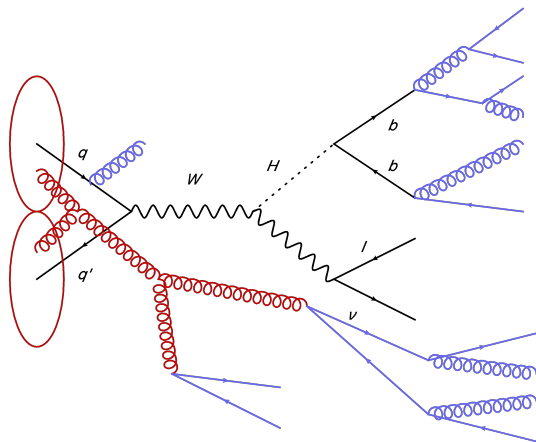
- **Parton Distribution Functions (PDFs):** affect rapidity, mass, charge asymmetry of final state system, and cross-section
- Matrix Element (ME):
- Parton Shower (PS):
- Underlying Event (UE):

Reminder: modelling pp processes



- **Parton Distribution Functions (PDFs):**
- **Matrix Element (ME):** Typically calculated at NLO in QCD for MC generation of SM processes, describes main energy flow, FS object kinematics. Higher-order for some fixed-order (+ resummed) predictions
- **Parton Shower (PS):**
- **Underlying Event (UE):**

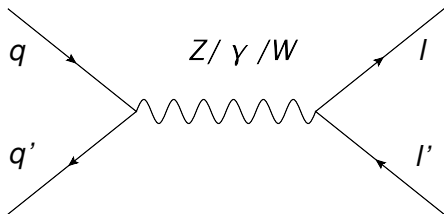
Reminder: modelling pp processes



- **Parton Distribution Functions (PDFs):**
- **Matrix Element (ME):**
- **Parton Shower (PS):** Extra radiation down to hadronisation scale
- **Underlying Event (UE):** Extra soft activity

W/Z (Jet+) production and Parton Distribution Functions

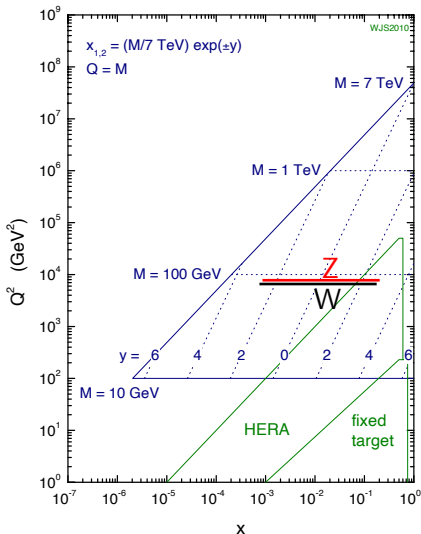
Drell-Yan process



- Simplest hard scattering process to calculate at the LHC
- Cross section has form of integral over: $q(x_1)q(x_2,)\mathcal{M}(x, Q^2)\times \text{LIPS}$.
LIPS=Lorentz Invariant Phase Space
- Here $q(x, Q)$ are PDFs, if the boson is on shell then $Q^2 = M_V^2$
- At rest ($y = 0$) $x_1 = x_2 = M_V/\sqrt{s}$
- if $x_1 > x_2$ then $|y| > 0$, sample higher and lower x at same Q^2
- Going very forward simultaneously samples higher and lower x
- Flavour sensitivity:
 - Z boson sum pairs of all flavours $u\bar{u}, d\bar{d}, \dots$
 - W^+ sums pairings of +ve charged (anti)quarks $(u\bar{d}), (u\bar{s}), \dots$
 - W^- sums pairings of -ve charged (anti)quarks $(d\bar{u}), (d\bar{c}), \dots$

W/Z Production , @ LHC

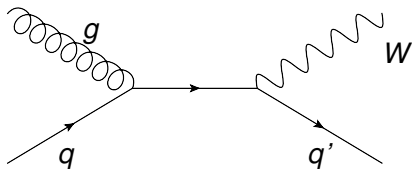
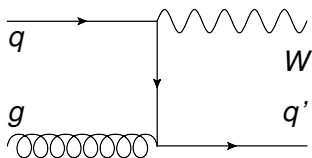
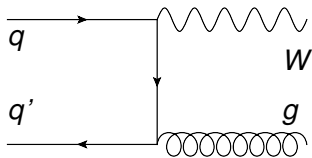
7 TeV LHC parton kinematics



W/Z Production at the LHC

- Exploring a new range of parton kinematics
- Run I data: not only lower x than Tevatron, also lower x than HERA at central rapidity
- LHCb further extends measurement in x
- Inclusive W/Z essentially probes a horizontal band in x, Q^2 space
- 13 TeV Run II data will probe lower x for the same Q^2

Why V +jets?



Aim of including V +jets:

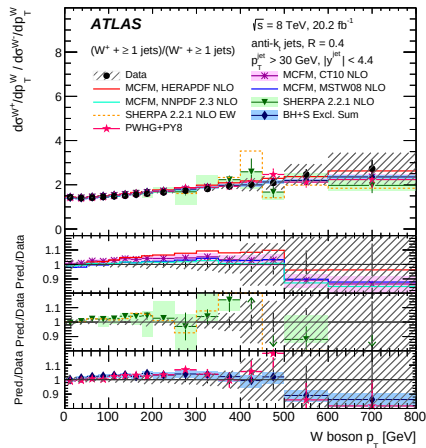
- probe higher Q^2, x
- more sensitivity to gluon

Available V+jets data

Run 1 (8 TeV) measurements of V+jets are available:

- W+jets: [JHEP 1805 \(2018\) 077](#)
- Z+jets : [Eur. Phys. J. C 79 \(2019\) 847](#)

Also NNLO calculations for V+1 jet now available ([Phys. Rev. Lett. 115, 062002 \(2015\)](#)) thus an NNLO PDF QCD fit to extract PDFs is possible



Extracting Parton Distribution Functions

Our PDF fit

ATLAS V+jets PDF fit: input data

- Combined HERA NC/CC DIS data ($Q^2 > 10 \text{ GeV}^2$) [Eur.Phys.J.C 75 \(2015\) 12, 580](#)
- ATLAS inclusive 7 TeV W and Z production measurements [Eur. Phys. J. C 77 \(2017\) 367](#)
- 8 TeV W +jets (p_T^W) and Z +jets ($p_T^{\text{jet}}, |y_{\text{jet}}|$) production data
- Performed using  (xFitter)

Expecting to see V+jets help to constrain high- x (anti)quark distributions and possibly also the gluon

New ATLAS fits:

- **ATLASepWZVjet20**: all this data
- **ATLASepWZ20**: without the W/Z +jets

Old ATLAS Fit:

- **ATLASepWZ16**: without the W/Z +jets, pre-combined W/Z inclusive data, looser Q^2 cut on DIS data ($> 7.5 \text{ GeV}^2$), and different parametrisation

Fit Assumptions and procedure

- Parametrise PDFs at $Q_0^2 = 1.9 \text{ GeV}^2$
 - $xq(x) = A_i x^{B_i} (1-x)^{C_i} (1 + D_i x + E_i x^2) e^{F_i x}$
 - $xg(x) = A_g x^{B_g} (1-x)^{C_g} (1 + \textcolor{red}{D_g} x + E_g x^2) e^{F_g x} - A'_g x^{B'_g} (1-x)^{C'_g}$
 - Parametrised distributions $xu_V, xd_V, x\bar{d}, x\bar{u}, x\bar{s}, xg$
- Assume:
 - $A_{\bar{u}} = A_{\bar{d}}, B_{\bar{u}} = B_{\bar{d}}$
 - $D_{\bar{s}} = E_{\bar{s}} = 0, B_{\bar{s}} = B_{\bar{d}}$
 - $x_s = x_{\bar{s}}$
 - $C'_g = 25$

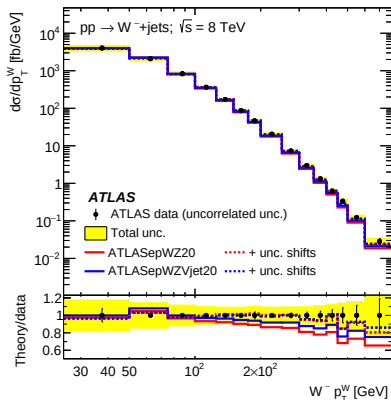
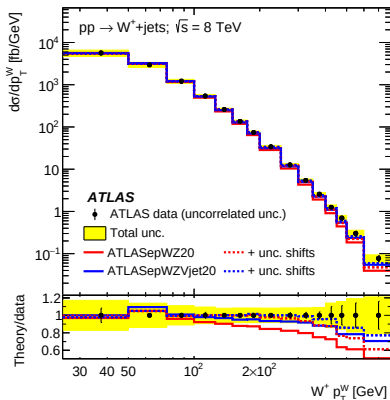
Fit these parameters: using xFitter to evolve PDFs to appropriate scales and calculate corresponding theory cross-section predictions which are compared to data

Difference compared to ATLASpeWZ16:

- D_g parameter shown in **red** is new

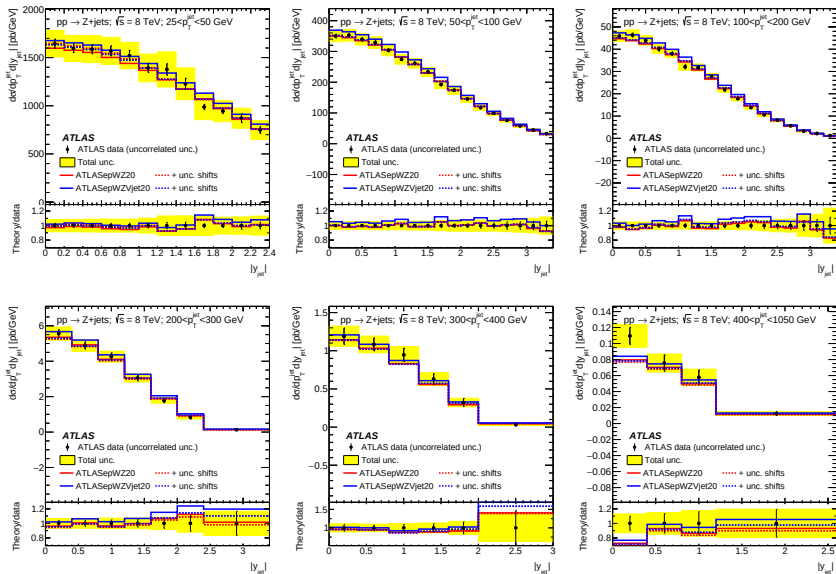
New parametrization is more flexible

Fit Quality



W+jets data described better than for the original ATLAS+HERA data fit

Fit Quality



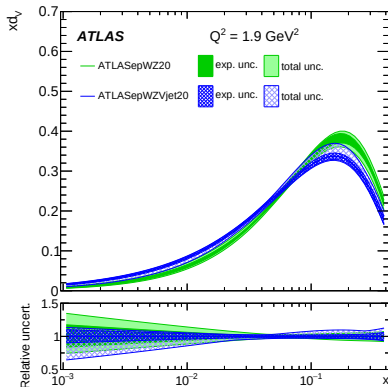
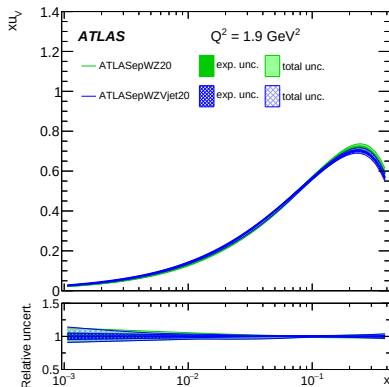
Quality of fit to Z +jets data shows less difference than W case

Fit	ATLASepWZVjet20
Total χ^2/NDP	1460 / 1198
HERA partial χ^2/NDP	1132 / 1016
HERA correlated χ^2	50
HERA log penalty χ^2	-12
ATLAS W, Z partial χ^2/NDP	113 / 105
ATLAS W + jets partial χ^2/NDP	25 / 30
ATLAS Z + jets partial χ^2/NDP	82 / 63
ATLAS correlated χ^2	65
ATLAS log penalty χ^2	6

New data are well fitted.

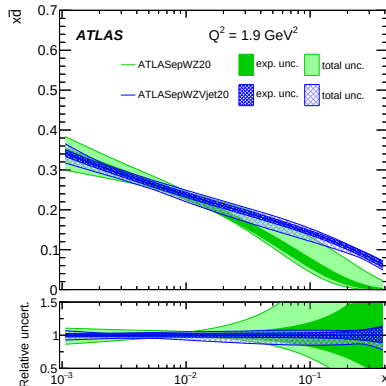
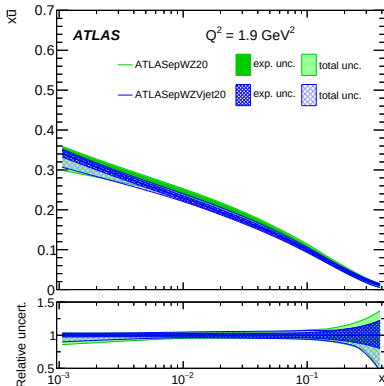
$$\begin{aligned}
 \chi^2 = & \sum_{ik} \left(D_i - T_i \left(1 - \sum_j \gamma_{ij} b_j \right) \right) C_{\text{stat}, ik}^{-1} (D_i, D_k) \left(D_k - T_k \left(1 - \sum_j \gamma_{kj} b_j \right) \right) \\
 & + \sum_j b_j^2 \\
 & + \sum_i \log \frac{\delta_{i, \text{uncor}}^2 T_i^2 + \delta_{i, \text{stat}}^2 D_i T_i}{\delta_{i, \text{uncor}}^2 D_i^2 + \delta_{i, \text{stat}}^2 D_i^2},
 \end{aligned}$$

Valence Quarks



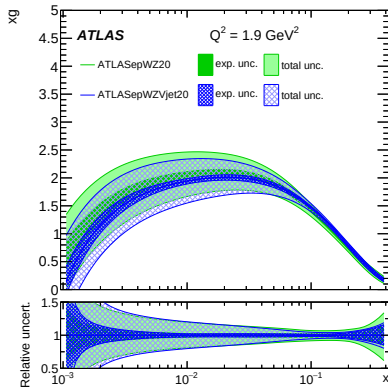
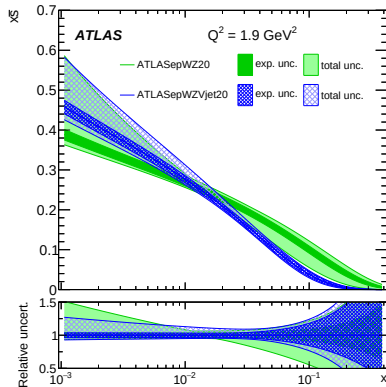
u_V better determined than d_V , V +jets data has a larger effect on d_V
moving it towards results from global fitters

Sea and Gluon



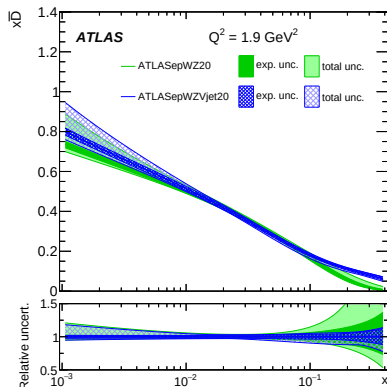
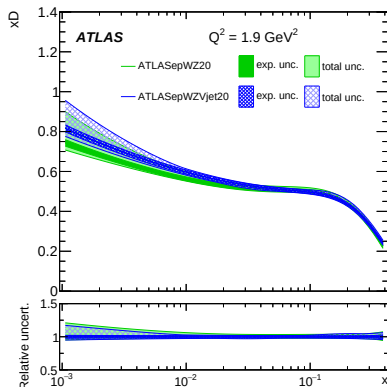
high- x $\bar{d}$ uncertainty reduced considerably, large pull

Sea and Gluon



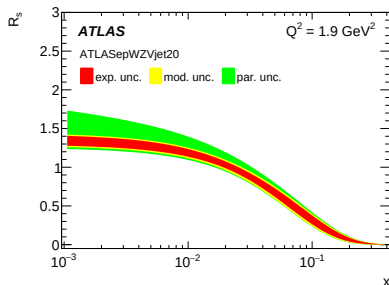
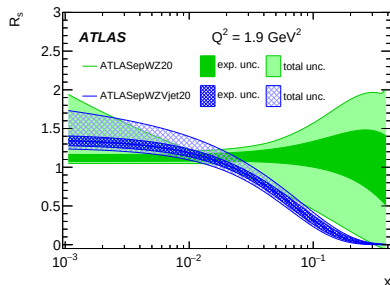
high- x gluon uncertainty reduced considerably,

Sea and Gluon



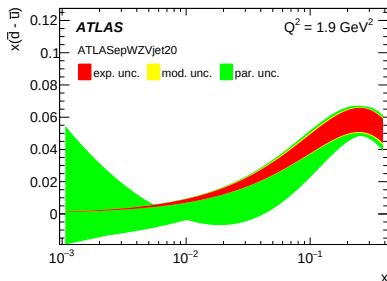
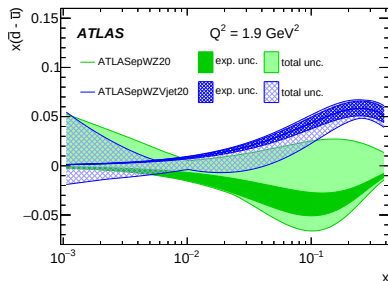
Sums of down type quarks ($x\bar{D} = x\bar{d}_v + x\bar{s}$, $x\bar{D} = x\bar{d} + x\bar{s}$) quite stable, rise in $\bar{d}$ compensated by fall in $\bar{s} + d_v$

Constraining PDFs with W +jets



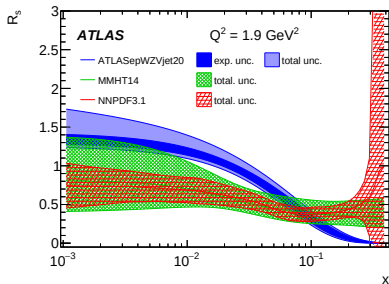
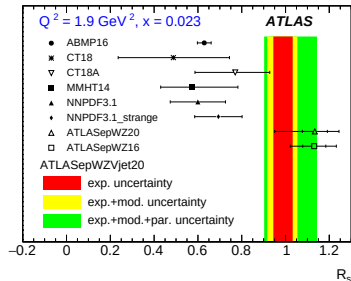
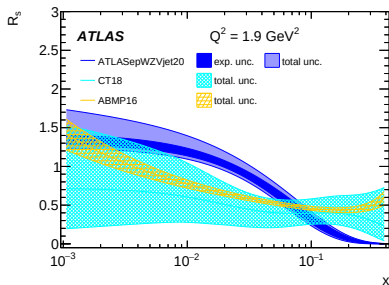
- These data also show more strangeness suppression above $x > 0.03$ ($R_s = \frac{s+\bar{s}}{d+\bar{u}}$) than older fits (though consistent with them), consistent with CMS result.
- Data also favours a +ve $\bar{d} - \bar{u}$ above $x > 0.2$, global fits have this feature usually coming from fitting fixed target (E866) data.

Constraining PDFs with $W+\text{jets}$



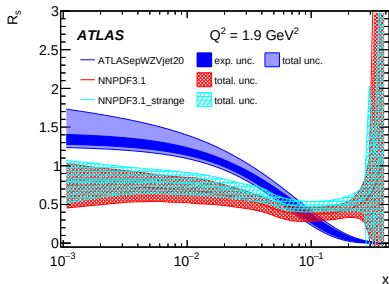
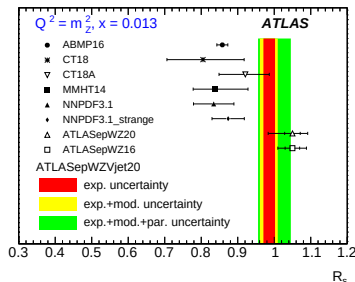
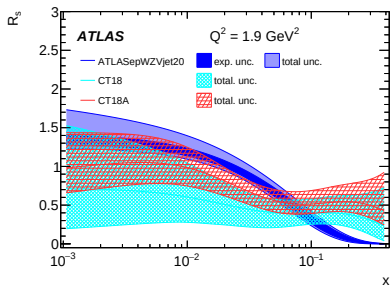
- These data also show more strangeness suppression above $x > 0.03$ ($R_s = \frac{s+\bar{s}}{d+\bar{u}}$) than older fits (though consistent with them), consistent with CMS result.
- Data also favours a +ve $\bar{d} - \bar{u}$ above $x > 0.2$, global fits have this feature usually coming from fitting fixed target (E866) data.

Comparing to Global Fits: R_s



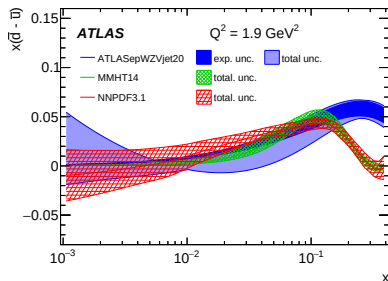
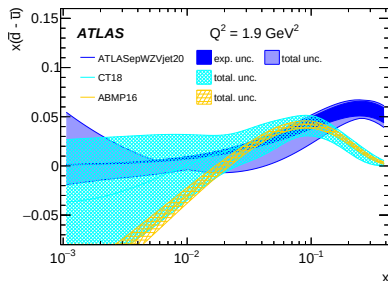
ATLAS fits still find a larger R_s than global fits, but V +jets data bring them closer to each other.

Comparing to Global Fits: R_s



Including W/Z 7 TeV data in global fits (e.g. CT18A), increases R_s distribution

Comparing to Global Fits: $x(\bar{d} - \bar{u})$



Consistent with global fits up to $x \sim 0.1$, above this x the V +jets is most sensitive and shows different behaviour

- Progress in theory and recent measurements allow us to include V +jets data in PDF fits
- Data has power to constrain mid-high- x d and s quark distributions
- Results show that including this data improves consistency of fits to HERA data+ATLAS data with Global fits that also include fixed target data
- Falling R_s distribution and $x\bar{d} > x\bar{u}$ at high- x ; still unsuppressed strange at low- x

Back-up Slides

Back-up slides from now on:

- Model and Parametrisation uncertainties
- Correlation Model
- Extra $x(\bar{d} - \bar{u})$
- Figures at $Q^2 = M_Z^2$

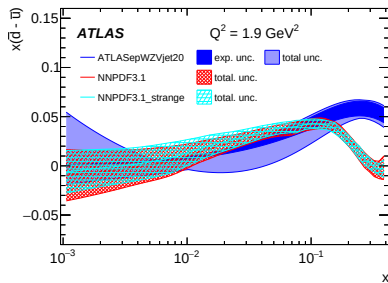
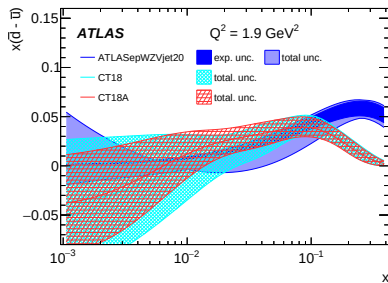
Model and Param Uncertainties

Nominal χ^2/NDF	1460 / 1198
Parameter variations	
$A_{\bar{u}} \neq A_{\bar{d}}$	1458 / 1197
$A_{\bar{u}} \neq A_{\bar{d}} \& B_{\bar{u}} \neq B_{\bar{d}}$	1454 / 1196
$B_{\bar{s}} \neq B_{\bar{d}}$	1459 / 1197
$B_{\bar{u}} \neq B_{\bar{d}}$	1459 / 1197
$D_{\bar{d}}$	1459 / 1197
D_{d_v}	1460 / 1197
$D_{\bar{s}}$	1460 / 1197
D_{u_v}	1457 / 1197
$E_{\bar{d}}$	1459 / 1197
$E_{\bar{s}}$	1460 / 1197
$E_{\bar{u}}$	1459 / 1197
F_{d_v}	1460 / 1197
$F_{\bar{s}}$	1460 / 1197
$F_{\bar{u}}$	1458 / 1197
F_{u_v}	1456 / 1197
Model variations	
$Q_{\min}^2 = 12.5 \text{ GeV}^2$	1393 / 1149
$Q_{\min}^2 = 7.5 \text{ GeV}^2$	1529 / 1238
$Q_0^2 = 2.2 \text{ GeV}^2$ and $m_c = 1.49 \text{ GeV}$	1465 / 1198
$Q_0^2 = 1.6 \text{ GeV}^2$ and $m_c = 1.37 \text{ GeV}$	1458 / 1198
$\alpha_S(m_Z) = 0.120$	1463 / 1198
$\alpha_S(m_Z) = 0.116$	1458 / 1198
$m_b = 4.75 \text{ GeV}$	1461 / 1198
$m_b = 4.25 \text{ GeV}$	1458 / 1198

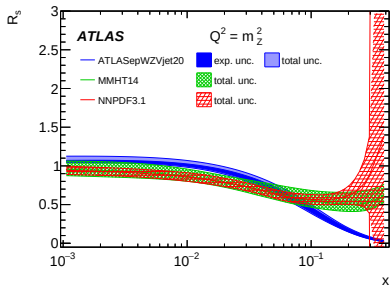
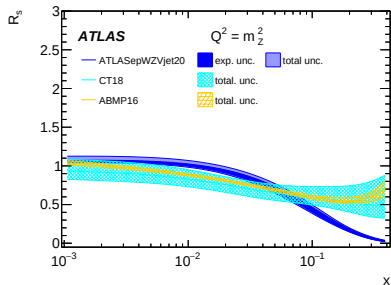
Correlation Model

Systematic Uncertainty	7 TeV inclusive W, Z	8 TeV $W + \text{jets}$	8 TeV $Z + \text{jets}$
Jet energy scale [55]	*	JetScaleE#1	ATL_JESP1
		JetScaleE#2	ATL_JESP2
		JetScaleE#3	ATL_JESP3
		JetScaleE#4	ATL_JESP4
		JetScaleE#5	ATL_JESP5
		JetScaleE#6	ATL_JESP6
		JetScaleEta1	ATL_JESP7
		JetScaleEta2	ATL_JESP8
		JetScaleHighPt	ATL_JESP9
		JetScaleMC	ATL_JESP10
	JetScaleNPV	JetScalePileup1	ATL_PU_OffsetNPV
	JetScaleMu	JetScalePileup2	ATL_PU_OffsetMu
Jet punchthrough [55]	-	JetScalepunchT	ATL_PunchThrough
Jet resolution [55]	JetRes	JetResolution10	ATL_JER
Jet flavour composition [55]	-	JetScaleFlav1Known	ATL_Flavor_Comp
Jet flavour response [55]	-	JetScaleFlav2	ATL_Flavor_Response
Pile-up jet rejection (JVF) [56]	-	JetJVFcut	ATL_JVF
E_T^{miss} scale [57]	MetScaleWen	METScale	-
E_T^{miss} resolution [57]	MetRes	METResLong	-
		METResTrans	-
Electron energy scale [58]	*	ElScaleZee	ATL_ElecEnZee
Electron trigger efficiency [59]	*	ElSFTrigger	ATL_Trig
Electron reconstruction efficiency [60,61]	*	ElSFReco	ATL_RecEff
Electron identification efficiency [60,61]	*	ElSFId	ATL_IDEff
Luminosity [62,63]	*	LumiUncert	ATL_Lumi_2012_8TeV
WW background cross section [64]	*	XsecDibos	ATL_WW_xs
Top background cross section [65]	*	XsecTop	ATL_ttbar_xs

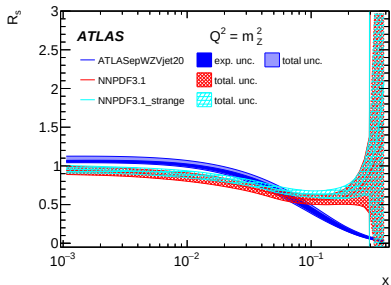
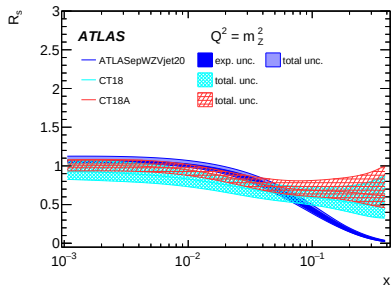
Comparing to Global Fits: $x(\bar{d} - \bar{u})$, Extras



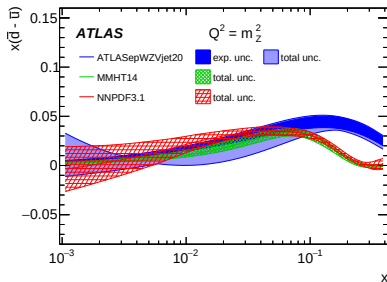
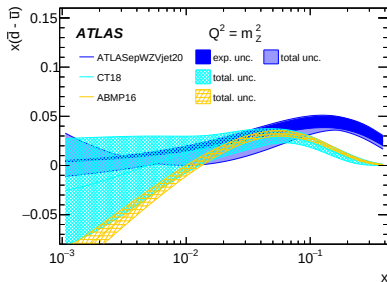
At $Q^2 = M_Z^2$: I



At $Q^2 = M_Z^2$: II



At $Q^2 = M_Z^2$: III



At $Q^2 = M_Z^2$: IV

