

H \rightarrow ZZ activities: summary

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Comparison of generators

Higgs simulation

H \rightarrow ZZ signal: 4l, 2l 2jet, 2l2 ν , 2l2 τ analyses

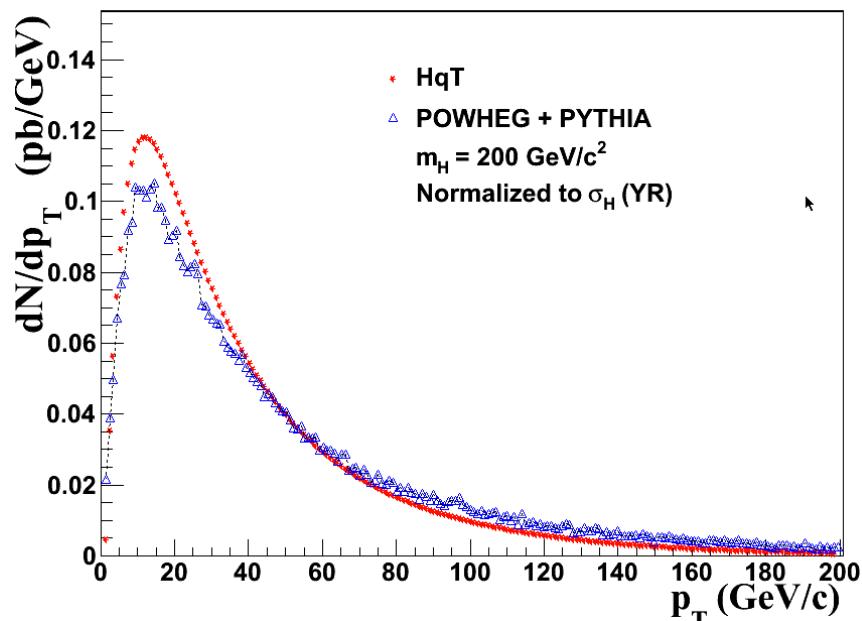
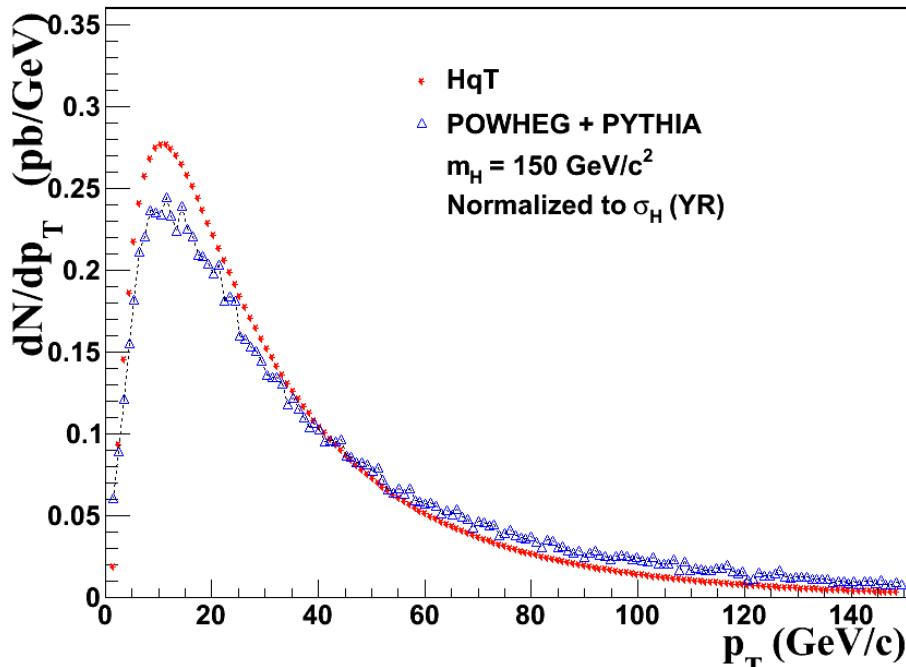
- ❖ POWHEG NLO (CMS official production)
- ❖ MC@NLO for comparison
- ❖ Sherpa for comparison
- ❖ HqT / HNNLO from Grazzini et al.
- ❖ JHU code for helicity treatment and spin correlations

On going studies:

- ❖ **Hqt** for Higgs pT distribution and reweighting
- ❖ comparison of distribution between generators:
 - ❖ POWHEG (+ PYTHIA) vs HNNLO
 - ❖ SHERPA vs HNNLO
 - ❖ MC@NLO vs HNNLO
 - ❖ which distributions to be produced ?
 - ❖ pT of higgs, pT of Z, pT of leptons
 - ❖ di lepton, 4 lepton invariant mass
 - ❖ eta, phi ?....
 - ❖ isolation variable
- ❖ Effect of cuts on NNLO k-factor calculation documented for H \rightarrow WW and H \rightarrow ZZ
(to be quantified in the context of current analyses with common agreed cuts)

Hqt vs POWHEG + PYTHIA

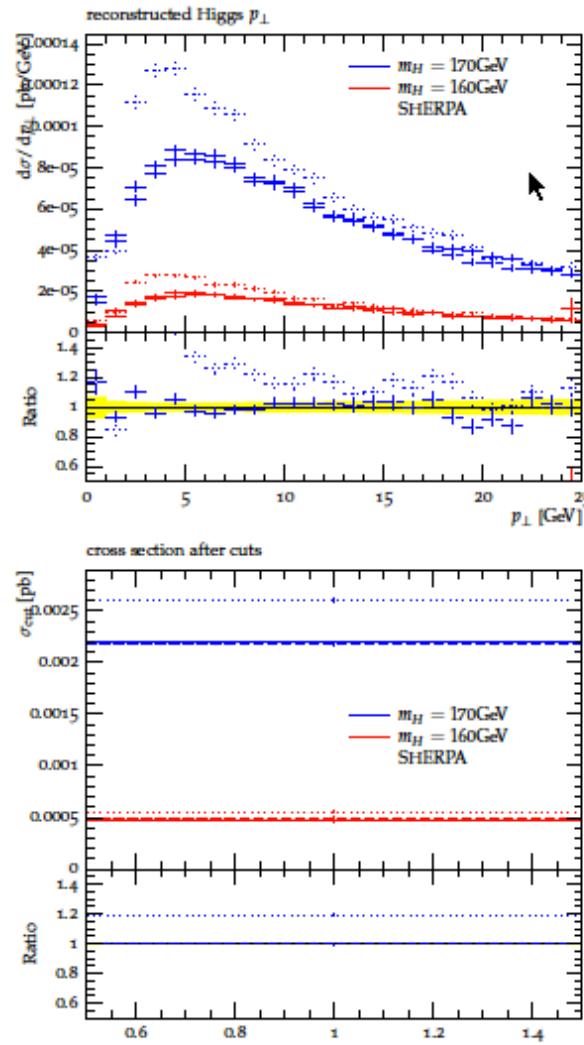
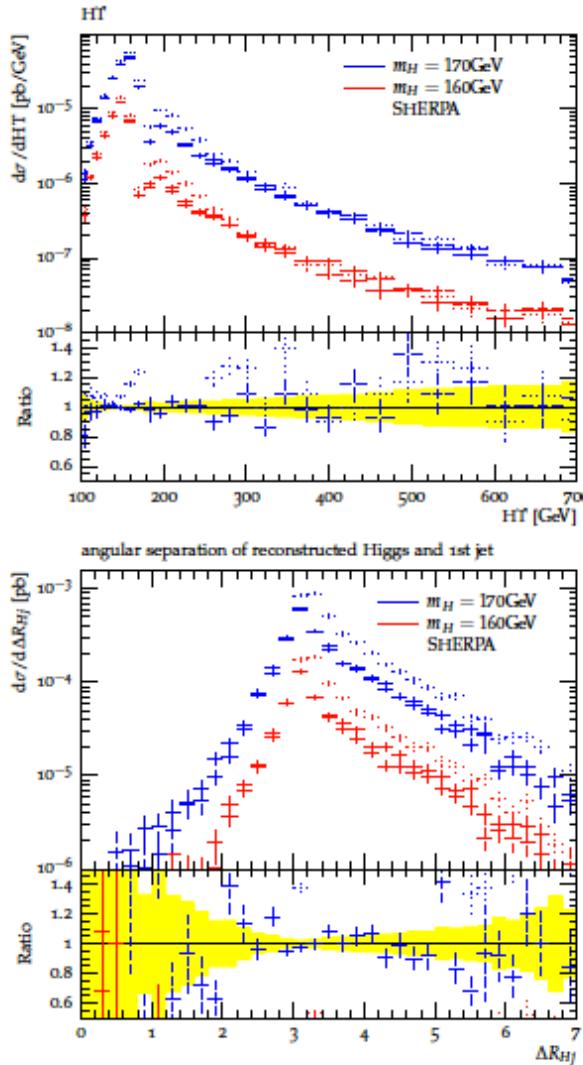
- I. Hqt ran for masses between 120 and 500 GeV/c²
- II. POWHEG + PYTHIA ran for CMS official production
- III. Normalization to the total cross section of higgs production of Yellow Report



- I. By the ratio of histograms → weight
- II. Then reweight the pT in POWHEG + PYTHIA
- III. Check the **impact for HZZ observables**
- IV. Check the weight at the POWHEG level (matrix element)

- use version SHERPA-1.3.0
- SHERPA run cards provided for all setups included in working plan: → MS
 - powheg-emission only, different PDFs, scale variations
 - powheg-emission + parton shower, different PDFs, scale variations
 - full event generation, different PDF+ α_s tunes
 - fixed order NLO setups (ME level) for comparisons/cross-checks
<http://iktp.tu-dresden.de/~marek/HiggsNLO/setups/setups.html>
- reweight with local NNLO-NLO K-factor derived from HqT → NF
- Rivet analyses constructed by Frank Siegert

Prel. First Results – $pp \rightarrow h \rightarrow Z[\rightarrow ee] + Z[\rightarrow \mu\mu]$



M. Schoenherr

$m_h = 160, 170$ GeV

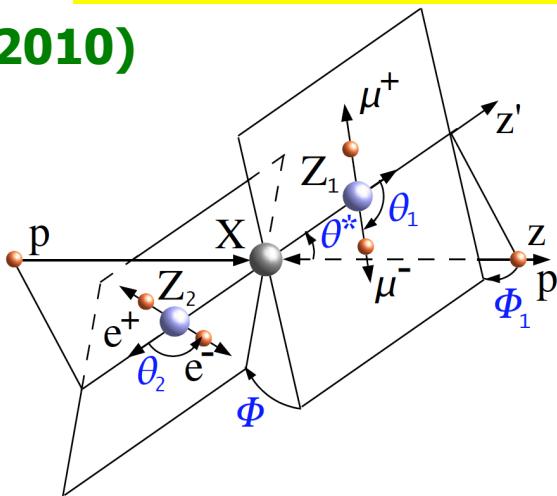
- dotted – powheg-emission only
- dashes – powheg-emission plus parton shower and QED corrections
- solid – full event simulation incl. hadronisation, hadron decays, underlying event

John Hopkins U. generator vs POWHEG

- Currently use JHU generator
 - ◆ Includes all spin correlations
 - ◆ LO + parton showers
 - ◆ Winter10
- Assess:
 - ◆ Uncertainties in acceptance (feeds into limits)
 - ◆ Uncertainties from higher order effects
- Use POWHEG for comparison
 - ◆ Proper NLO calculation
 - ◆ Biggest effects expected from NLL resummation (not included)
 - ◆ Winter10
- Currently parton level only

S. Bolognesi

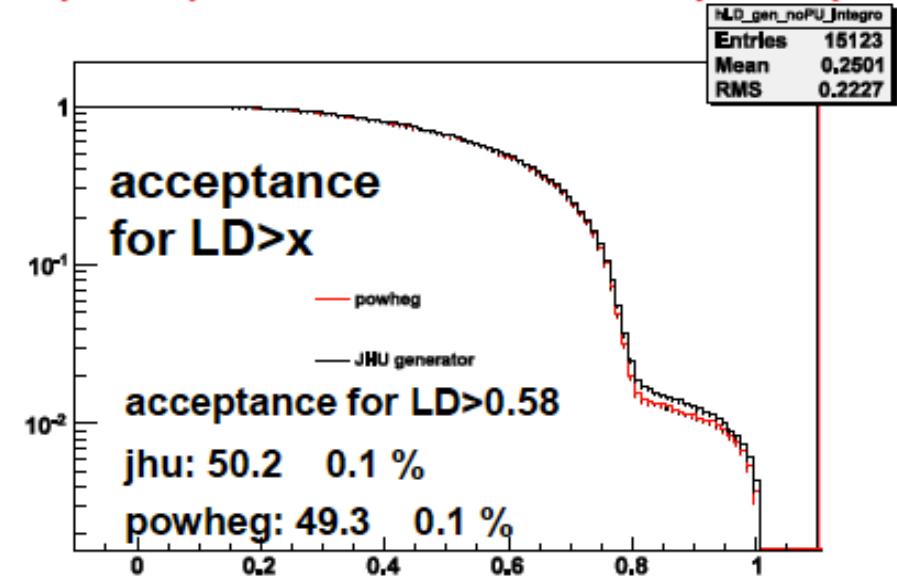
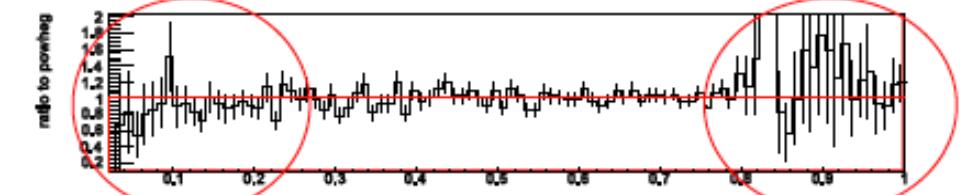
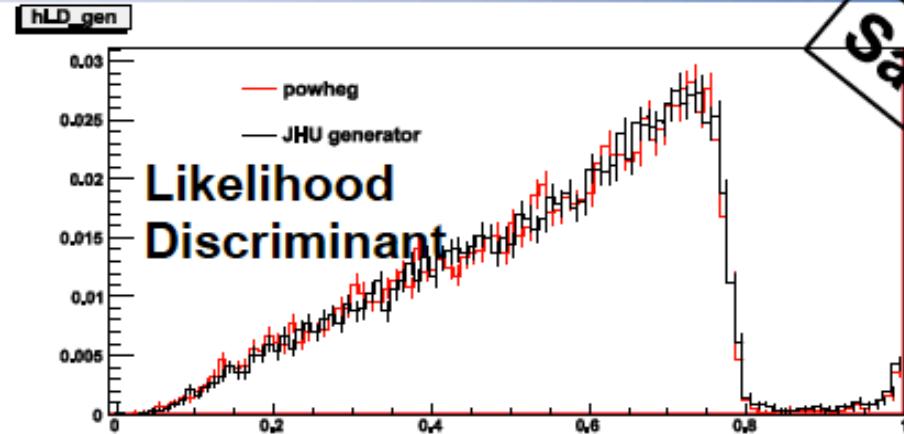
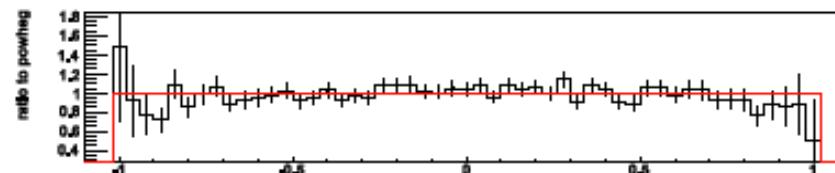
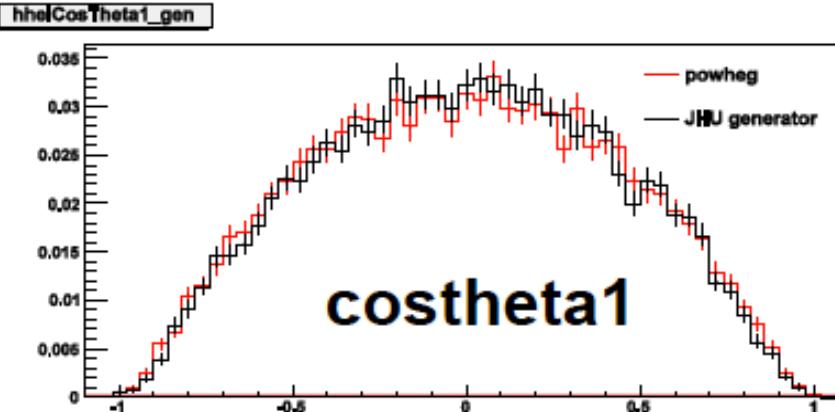
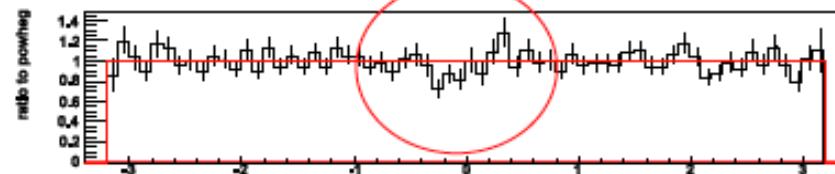
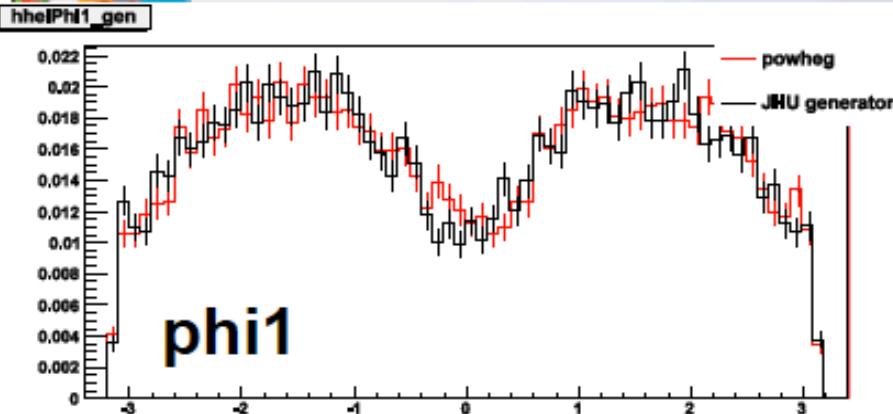
Ref. PRD81, 075022(2010)





Angular Variables

Sara

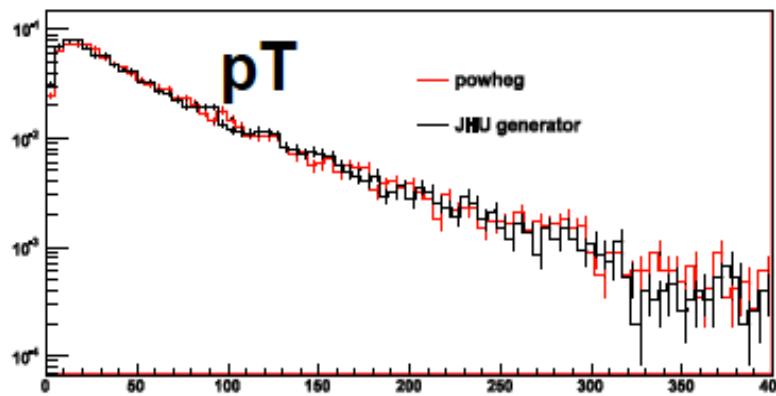




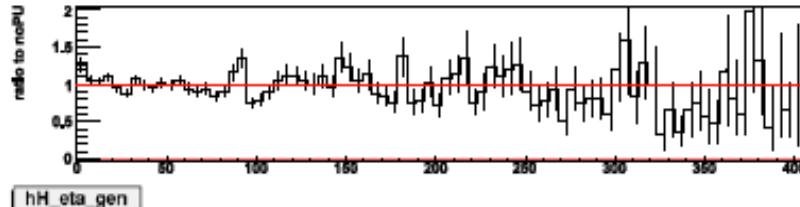
Higgs Kinematics

Sara

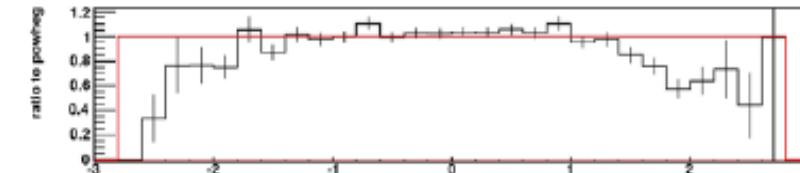
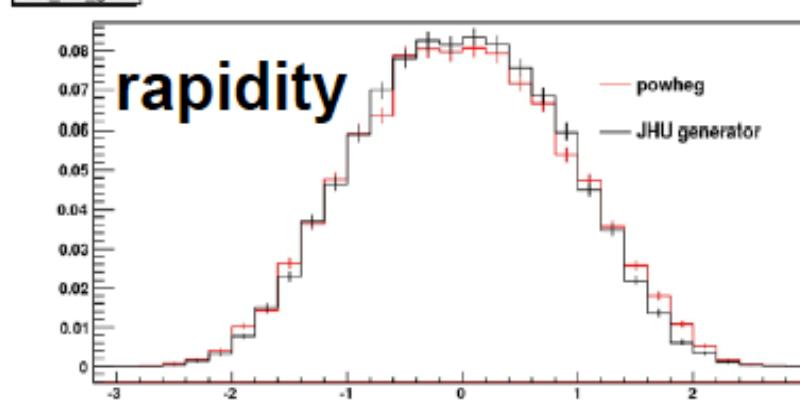
hH_pt_gen



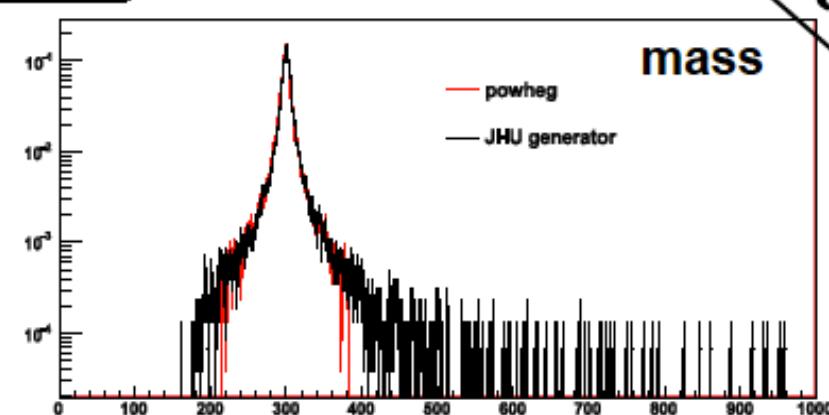
ratio to noPU



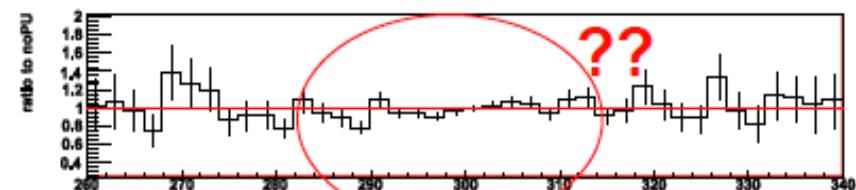
ratio to noPU



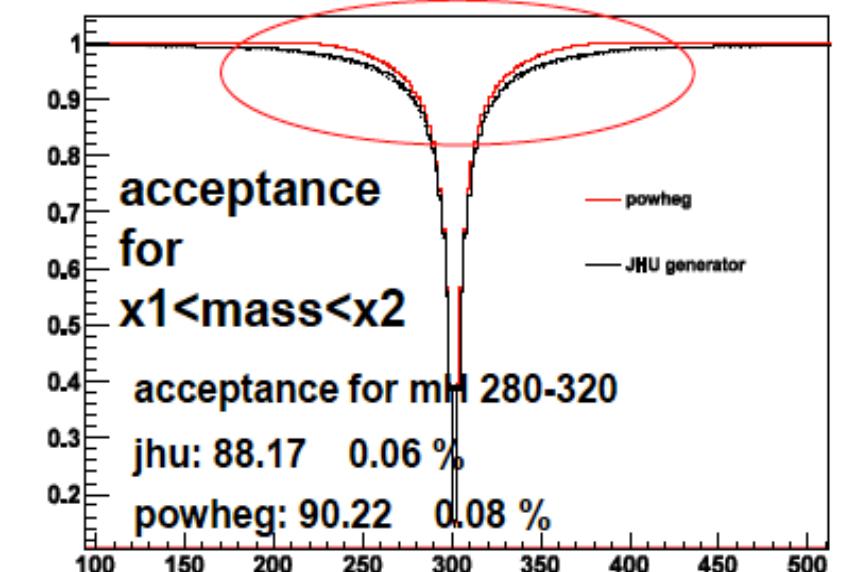
hH_mass_gen



ratio to noPU



ratio to noPU



JHU generator vs POWHEG: summary

- Overall good agreement between generators
- Good agreement on important angular variables
- Most prominent difference in Higgs mass shape
- Look more closely at lepton kinematics (currently sample biased due to RECO level preselection)



	powheg	jhu	difference
mjj 75-107 GeV	95.96%	96.57%	0.4%
mll 70-112 GeV	97.63%	97.42%	0.2%
LD > 0.58	49.3%	50.2%	1%
mH 280-320 GeV	88.17%	90.22%	2%

Generator studies from ATLAS

- ❖ Successfull tests with POWHEG ggF + Pythia
- ❖ Successfull tests with Sherpa (**Tulay Donszelmann**)
- ❖ First tests of comparing POWHEG and SHERPA on going
- ❖ Comparison in the HZZ4l phase space

- ❖ The subsequent study will concern MC@NLO

Background control from data

Background studies

Main background:

- ❖ PYTHIA LO
- ❖ MadGraph/MadEvent + PYTHIA LO
- ❖ Alpgen + PYTHIA LO
- ❖ Sherpa
- ❖ GG2ZZ LO
- ❖ POWHEG NLO

Basic concepts to assess:

- ❖ Comparison of LO generators (MadGraph/Alpgen) and w.r.t NLO generators (POWHEG)
- ❖ Definition of control region where the bkg is dominant while the signal is absent
- ❖ Extrapolation from control to signal region with MC expectation
- ❖ Definition of the uncertainty on bkg yield and shape

Evaluation and control of ZZ

The Problem:

- Not enough ZZ continuum in near side-bands
- Constraints on integrated ZZ continuum statistically limited

The Solution:

- Rely on the **measurement** of Z boson production
- Rely on theory for the shape of the $d\sigma_{ZZ}/dM_{4l}$ differential spectrum
- Cross check with direct MC simulation of ZZ production and selection

Principles:

- Similarity between $Z^{(*)}$ and $ZZ^{(*)}$ diagrams; dominant contributions to the cross-section coming from quark currents via EWK couplings
- Measurement of σ_Z and knowledge of the ratios $(\sigma_{ZZ}/\sigma_Z)_{\text{theory}}$ and $(\varepsilon_{ZZ}/\varepsilon_Z)_{\text{MC}}$ can be exploited to partially cancel out systematics

ZZ: closure test

- Normalization to Z :

$$N_{ZZ \rightarrow 4e} = \frac{\sigma_{pp \rightarrow ZZ \rightarrow 4e}^{NLO}}{\sigma_{pp \rightarrow Z}^{NNLO}} \cdot \frac{\epsilon_{ZZ \rightarrow 4e}^{MC}}{\epsilon_{Z \rightarrow ee}^{MC}} \cdot N_{Z \rightarrow ee}^{observed} \pm stat \pm systematics \pm theory$$

- ZZ simulation from MC:

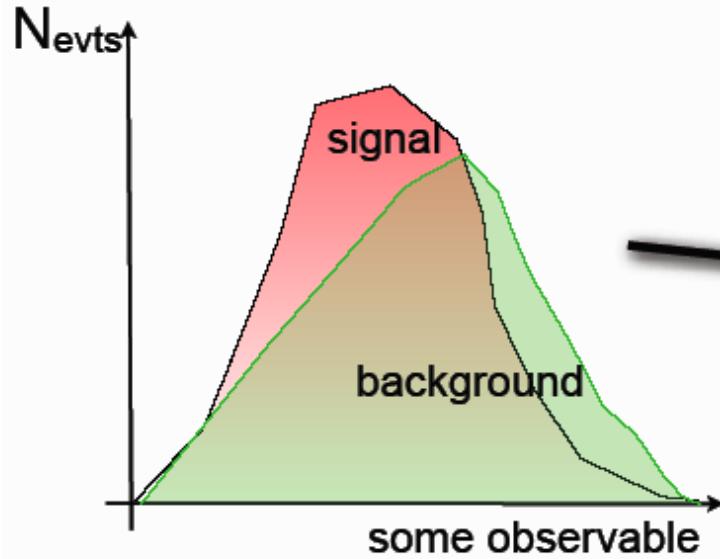
$$N_{ZZ \rightarrow 4e}^{MC} = L \cdot \sigma_{pp \rightarrow ZZ \rightarrow 4e}^{NLO} \cdot \epsilon_{ZZ \rightarrow 4e}^{MC} \pm stat \pm (lumi \oplus systematics) \pm theory$$

<< 10% 5% 6%

$$N_{ZZ \rightarrow 4e}^{MC} = 2.95 \pm 0 \pm 0.33 \pm 0.19$$

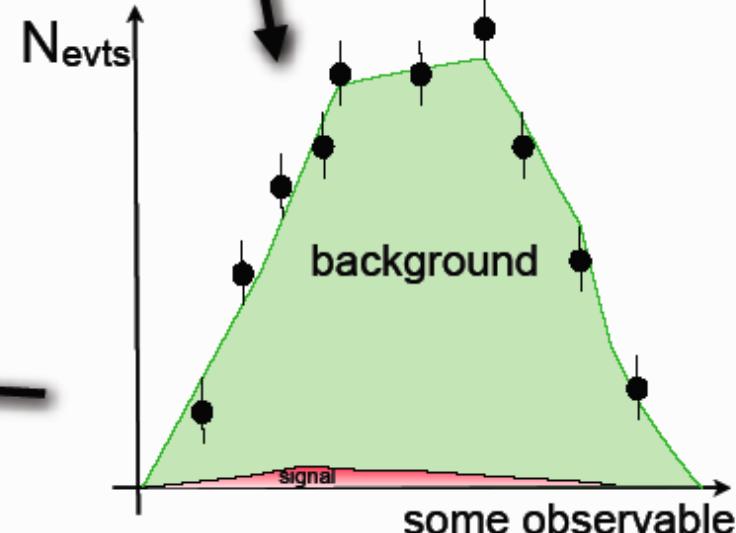
- ZZ observation

Control region: extrapolation from SR to CR



invert cuts :
from signal enhancement to
background enhancement

a_{exp} → experimental uncertainties
(like isolation, pt etc...)



use data to
normalize background

a_{TH} → Theoretical uncertainties
(diff. distr. + pdf + scale+...)

theory :
use theory to compute
change in background
when inverting cuts

$$N_{(\text{signal region})}^B = a_{\text{exp}} * a_{\text{TH}} * N_{\text{control region}}^B$$

Control of Zbb

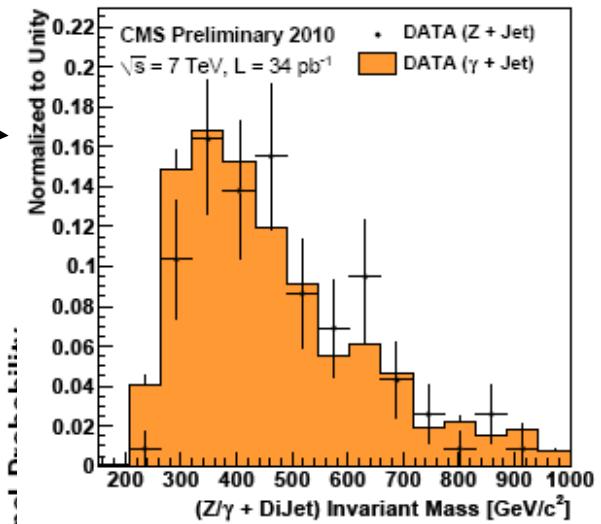
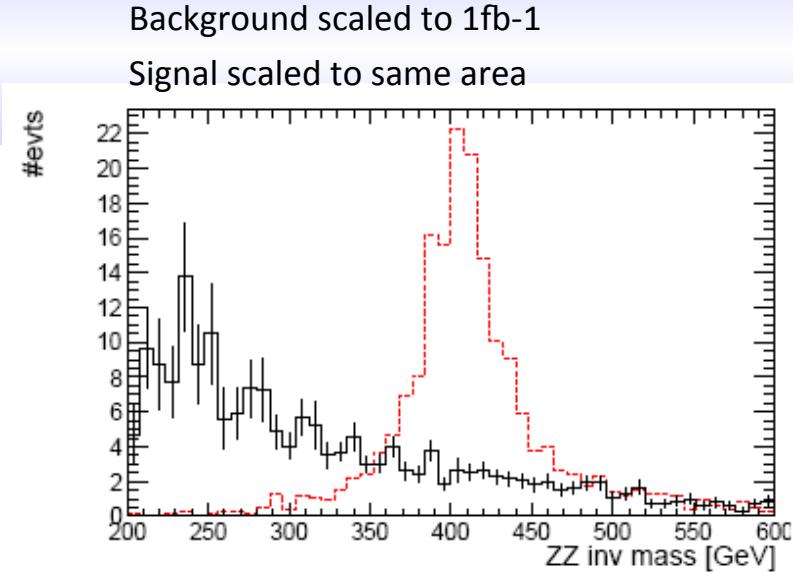
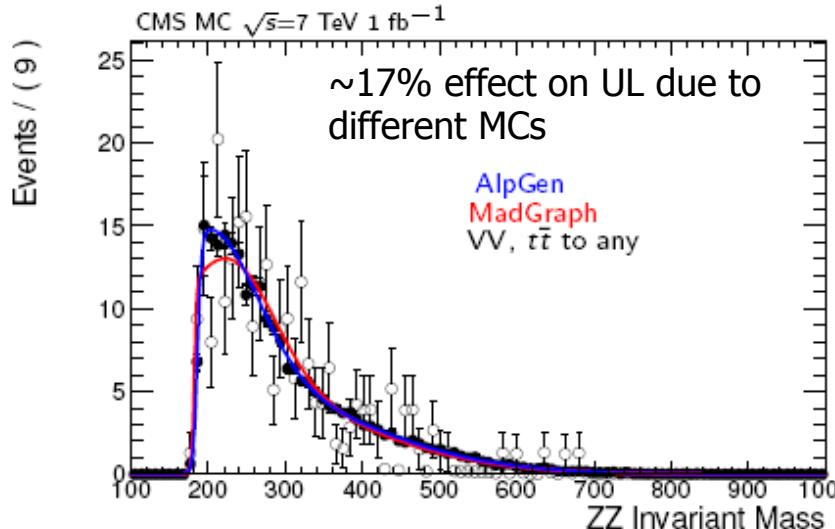
- ✧ Prediction of alpgen and MadGraph to be verified
- ✧ L. Reina, F. Cordero (arXiv:0906:1923 and arXiv:0809.3003) are working to integrate Zbbar diagrams in POWHEG
- ✧ Absolute cross section at NLO are currently computed with MCFM → anyway this is not enough
- ✧ Control region defined or 4 lepton analysis but the quite low yield at 1 fb^{-1} O(1 event) makes difficult the measurement from data → inspecting alternative methods

Background control for $H \rightarrow ZZ \rightarrow 2l2j$

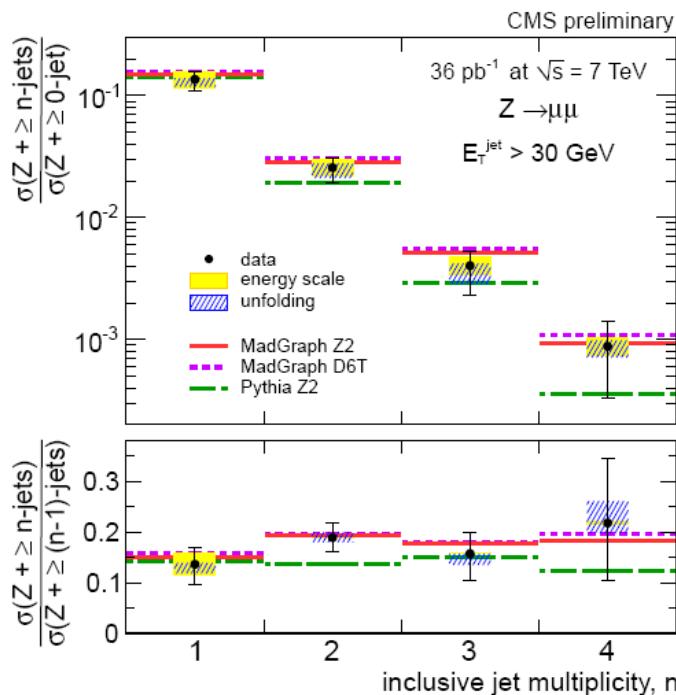
- Fit to m ZZ distribution to separate background ($Z+jets$ continuum) from signal peak

e.g., unbinned maximum likelihood fit with pdf taken from:

- $\gamma+jets$ data
- mjj sidebands in data
- MC



Z+jets measurement in CMS



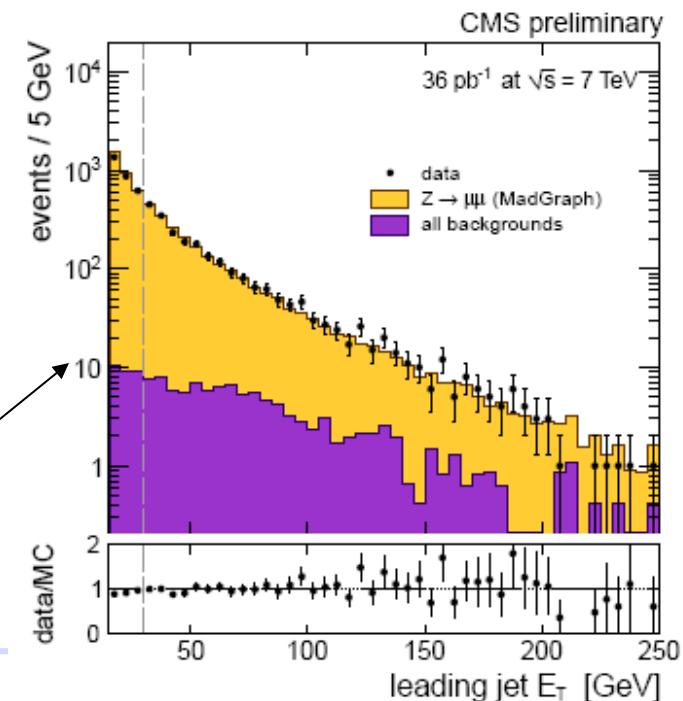
Good agreement with Madgraph (as expected, sizable disagreement with Pythia)

- leptons inside acceptance with:
 $pT > 10, 20$ GeV
 std quality cuts and isolation
- PF jets inside acceptance with:
 $pT > 30$ GeV
 std loose quality cuts

□ Comparison with $H \rightarrow ZZ \rightarrow 2l2j$ phase space:

- ~same lepton acceptance ($pT > 20, 20$ GeV),
- same jets acceptance
- → require **at least 2 jets with $m_{jj} \sim m_Z$**

Since jets pt shape agree with madgraph, **this Higgs phase space is well modeled**



Estimate background from sidebands

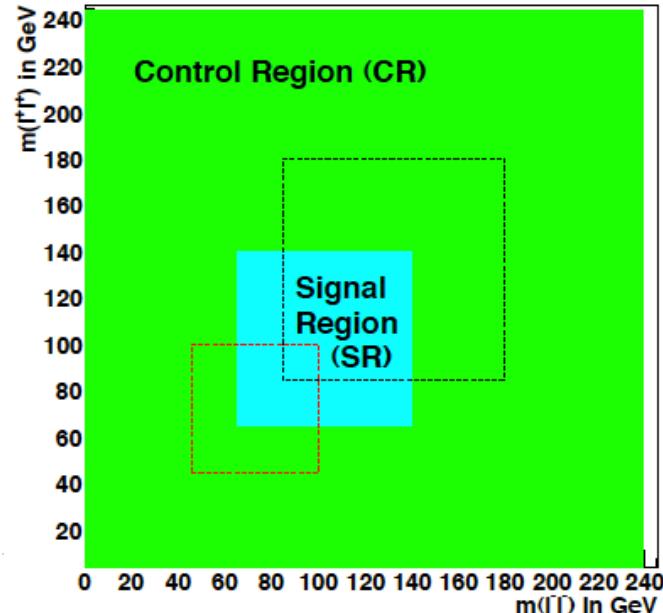
Purpose: evaluate N_{BG} in signal region from data

$\alpha = N_{SR} / N_{CR}$ in MC \rightarrow Evaluate α from MC
(sensible to the theoretical uncert.)

$N_{BG} = \alpha (N_{CR}^{Data} + 1)$ \leftarrow Evaluate N_{CR} from data

Issues:

- if $N_{CR} = 0$ in MC $\rightarrow \alpha = N_{SR}$
- if $\alpha = 0$, then instead $\alpha = \text{statistical uncertainty on the Monte Carlo prediction.}$
- the probability density function N_{CR}^{Data} can be described by a Gamma distribution
 - mean is $N_{CR}^{Data} + 1$
 - dispersion is $\sqrt{(N_{CR}^{Data} + 1)}$
 - then the rate N_{BG} is $N_{BG} = \alpha (N_{CR}^{Data} + 1)$
 - the relative error is: $\Delta N_{BG} = 1/\sqrt{N_{CR}^{Data} + 1}$



R. D. Cousins, J. T. Linnemann, and J. Tucker, "Evaluation of three methods for calculating statistical significance when incorporating a systematic uncertainty into a test of the background-only hypothesis for a Poisson process", Nucl. Instrum. Meth. A595 (2008) 480–501. doi: 10.1016/j.nima.2008.07.086

Manpower

General: no dedicated/full time manpower

CMS: S. Pelliccioni, S. Bolognesi, G. Singh, N. De Filippis, C. Mariotti, one student from I. Puljak

ATLAS: S. Paganis, Tulay + 2 students.

Theorists: M. Schoenherr, F. Krauss